IN SITU MEASUREMENTS OF THE ATLAS JET ENERGY SCALE USING 13 TeV pp DATA LHCC Poster Session – CERN, 27 February 2019

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The quarks and gluons produced in proton-proton collisions form collimated sprays of particles, known as jets. Jets are produced with large cross-sections, and so **a precise** understanding of the ATLAS detector's response to these objects improves the quality of physics analyses. The Jet Energy Scale (JES) is studied in situ by several analyses which are inputs to a statistical combination. The absolute JES is measured using events where the jet recoils against a reference object, which can be a calibrated photon, a reconstructed Z boson, or a system of well-measured jets with lower p_T . The relative scale of jets in the forward and central detector regions is measured using **balanced dijet systems**.

- **For each stage**, the response $R_{in\, situ}$ is defined as the mean of the Gaussian fit to the $p_T^{\rm jet}/p_T^{\rm ref}$ distribution.
- The ratio $R_{in\, situ}^{data}/R_{in\, situ}^{MC}$ is an **useful estimate of the JES in data and MC**. Through numerical inversion, a **correction to the jet four-momenta is derived.**

$$
\boldsymbol{R}_{\text{bal}} = \left\langle \frac{p_{\text{T}}^{\text{jet}}}{p_{\text{T}}^{\text{ref}}} \right\rangle, \ p_{\text{T}}^{\text{ref}} = p_{\text{T}}^{Z/\gamma} \times |\cos(\Delta \phi)|.
$$

- **Missing Projection Fraction (MPF):** the reference object is balanced against the whole hadronic recoil in an event.

$$
R_{\text{MPF}} = \left\langle 1 + \frac{\hat{n}_{\text{ref}} \times \vec{E}_T^{\text{miss}}}{E_T^{\text{ref}}}\right\rangle.
$$

- The **momentum balance could be altered** by the presence of **initial/final-state radiation** and **pile-up** → **mitigated with the selection criteria**
- The two methods are **sensitive to different systematic effects and provide complementary measurements of the JES**. **For the current recommendations, since the MPF technique is less sensitive to pile-up effects, it was taken as baseline**.

The **recoil system** (high- p_T jet) is calibrated up to the Z/γ -jet (η -intercalibration) stage. **Recoil system**

Multiple iterations are performed to extend the p_T reach.

The **relative -intercalibration** starts by using jets in the **central detector region** $(|\eta_{det}| < 0.8)$ to extend the jet calibration to the **forward detector region** $(0.8 < |\eta_{\text{det}}| < 4.5)$ using a system of equations for the jet p_T balance.

- **The matrix method** has been used, where numerous independent reference regions are chosen, measuring the jet response relative to all reference regions simultaneously.
- Dijet topologies are selected in which the two jets are expected to have equal p_T .
- The jet transverse momentum balance is quantified by the **asymmetry** (A) :

 The **average response** between the **leading jet** and the **recoil system** is defined as:

 R_{MIB} =

- Contamination of the **leading jet** is minimised, and **dijet balanced topologies** are supressed with the selection criteria.
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Fig. The response (R) **with respect to the reference region** is defined as:

$$
\overrightarrow{p_T^{\text{recoil}}}
$$

Probe jet

The multi-jet balance uses topologies with 3 or more jets to balance a high- p_T jet against a **recoil** system composed of multiple lower- p_T jets.

3. *V* **+ jet balance 4. Multi-jet balance**

- A residual calibration of jets within $|\eta| < 0.8$ is derived through the p_T balance against a **Z** boson or a photon.
- **Two techniques** have been used for deriving the balance:
- **Direct Balance (DB):** measures the ratio between a fully reconstructed jet's p_T calibrated up to the η -intercalibration stage and a **reference** object's p_T ,

Abstract

Leading jet

$$
A = \frac{p_T^{\text{probe}} - p_T^{\text{ref}}}{p_T^{\text{avg}}}, p_T^{\text{avg}} = \frac{p_T^{\text{probe}} + p_T^{\text{ref}}}{2}
$$

$$
\boldsymbol{R} = \left\langle \frac{p_T^{\text{probe}}}{p_T^{\text{ref}}} \right\rangle \approx \frac{2 + \langle A \rangle}{2 - \langle A \rangle}.
$$

Reference object: Z/ γ

 $\Delta \phi$

→ Calibrations were **derived separately for 2015+2016 and 2017 data**, with their corresponding **central values**, **statistical** and **non-closure uncertainties**.