

IN SITU MEASUREMENTS OF THE ATLAS JET ENERGY RESOLUTION USING 13 TeV PP DATA

LHCC Poster Session - CERN, 27 February 2019

JER Parametrization

$$rac{oldsymbol{\sigma_{p_{\mathrm{T}}}}}{p_{\mathrm{T}}} = rac{N}{p_{\mathrm{T}}} \oplus rac{S}{\sqrt{p_{\mathrm{T}}}} \oplus C$$

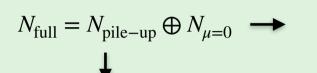
N: noise term → pile-up and electronics noise

S: stochastic term → sampling calorimeter

C: constant term → passive material

The abundance of jets in proton-proton collisions makes it very important to understand the typical range of energy values a given jet can deposit in the detector. This quantifies the Jet Energy Resolution (JER) and is studied *in situ* by two analyses which are then inputs to a *statistical combination*. The first analysis measures the effect of *pile-up and detector noise* on the JER, the second measures the JER of anti- k_t R = 0.4 jets with p_T up to 1.5 TeV by using *well-balanced dijet systems*. This poster focuses on the JER measurement of *particle flow jets* that are reconstructed by combining information from topological clusters and tracks.

Noise Term Measurement



Noise from electronics

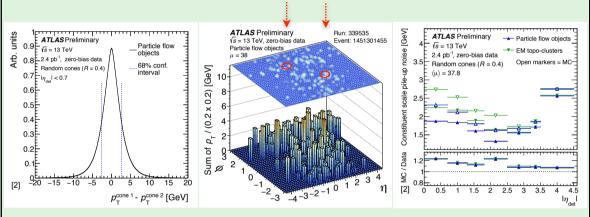
Extracted from JER of MC with no pile-up

Noise from pile-up

Particle flow cell-by-cell subtraction

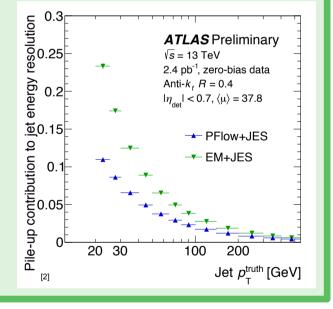
Random cones method:

- 1) Sum energies within randomly distributed and non-overlapping pairs of cones (R = 0.4) in **zero-bias data**
- 2) Width of momentum difference of two cones gives noise at constituent scale



Extraction of $N_{\rm full}$

The random cones noise is scaled to JES in bins of particle-level jet p_T . **The pile-up noise term** is extracted from a fit to the pile-up resolution ------- and added in quadrature to the noise from electronics.



Dijet Direct Balance

Resolution of probe jet studied from **momentum balance** with well-measured reference jet

$$A = \frac{p_{\rm T}^{\rm ref} - p_{\rm T}^{\rm probe}}{\left(p_{\rm T}^{\rm ref} + p_{\rm T}^{\rm probe}\right)}$$

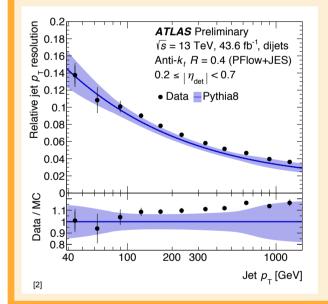
Studied across η with the **central reference method**:

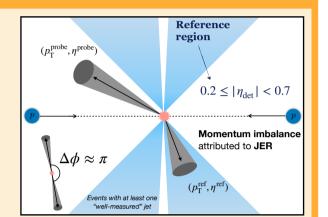
$$\left(\frac{\sigma_{p_{\mathrm{T}}}}{p_{\mathrm{T}}} \right)^{\mathrm{ref}} = \frac{\sigma_{A}^{\mathrm{det}}}{\sqrt{2}}, \quad \text{for } 0.2 \leq |\eta_{\mathrm{det}}^{\mathrm{probe}}| < 0.7$$

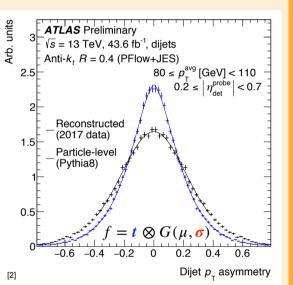
$$\left(\frac{\sigma_{p_{\mathrm{T}}}}{p_{\mathrm{T}}} \right)^{\mathrm{probe}} = \sigma_{A}^{\mathrm{det}} \ominus \left(\frac{\sigma_{p_{\mathrm{T}}}}{p_{\mathrm{T}}} \right)^{\mathrm{ref}}, \quad \text{else}$$

Fit Convolution

The particle-level asymmetry (ISR, jet out-of-cone radiation) is modelled with an *ad-hoc* function *t*. Fitting the convolution with a **Gaussian** provides a measure of the detector JER σ.







Comparison to MC

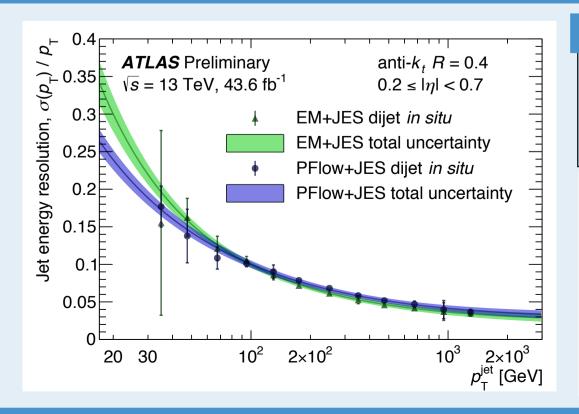
The Monte Carlo JER predictions are extracted from $\sigma\left(p_{\mathrm{T}}^{\mathrm{reco}}/p_{\mathrm{T}}^{\mathrm{truth}}\right)$ and compared to the dijet results.

After the combination, the average JER in MC is smeared to match data.

JER Combination

Combined fit

Dijet results fitted with N, S, C parametrization with fixed noise term from the random cones measurement. Particle flow jets show lower JER and smaller uncertainties at low p_T , which is driven by the noise term.



Uncertainties

The main systematic uncertainties arise from method non-closure, jet energy scale uncertainty, and the modelling of dijet events. The noise term uncertainties are important at low p_T .

