

Heavy-quark diffusion coefficient in out-of-equilibrium plasmas

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Introduction

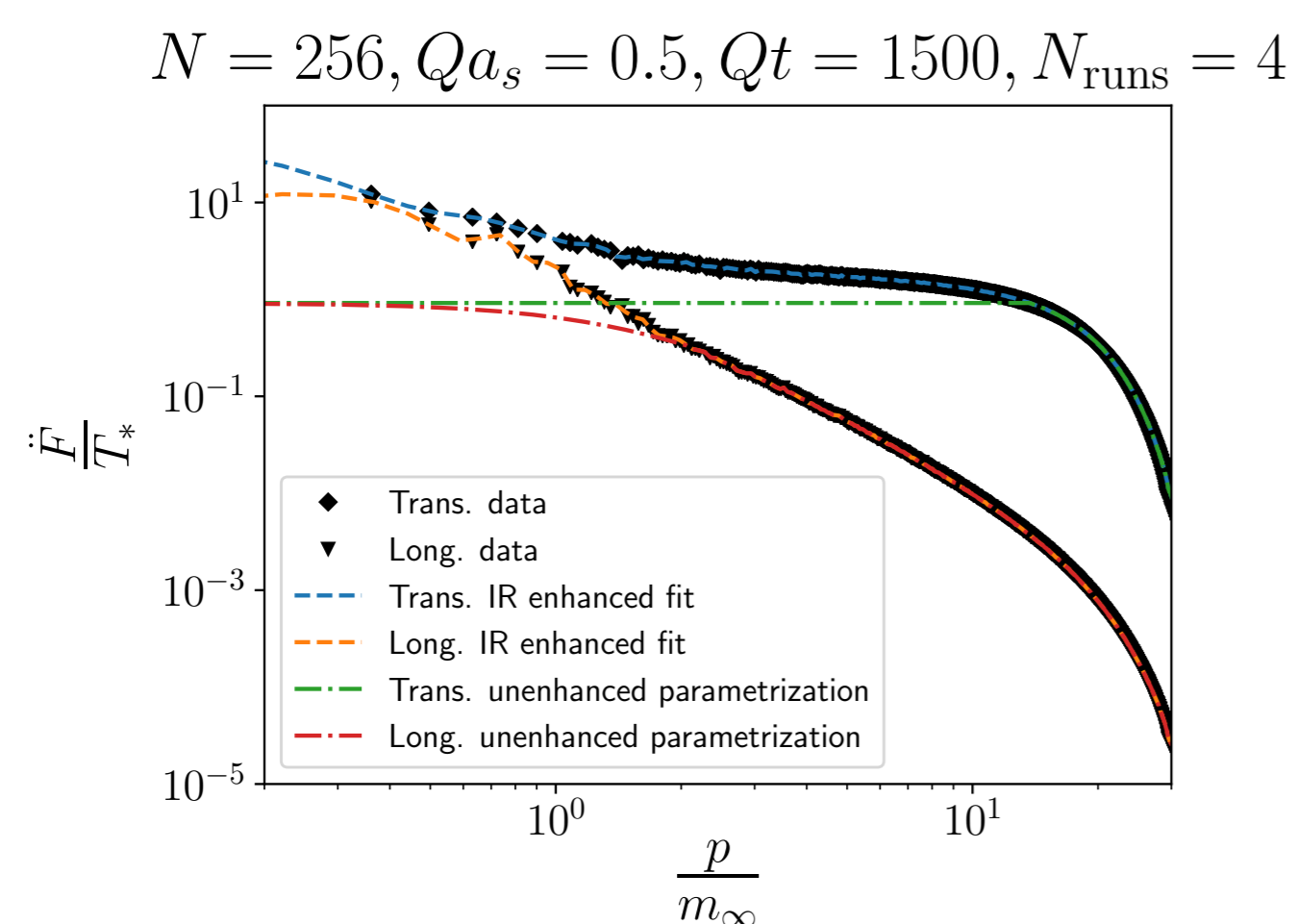
Transport coefficients contain information about the microscopic properties of the medium. We study the **heavy quark (HQ) momentum diffusion coefficient κ out of equilibrium** by using classical Yang-Mills (CYM) simulations in the **self-similar regime**. With this setup we aim to **mimic the medium consisting of overoccupied gluon fields created at the initial stages of an ultrarelativistic heavy ion collision**.

Extracting κ , 3 methods

CYM Measure the force-force correlation, $A^0 = 0$ [3].

$$\kappa(t, \Delta t) = \frac{1}{3N_c} \int_t^{t+\Delta t} dt' \frac{1}{V} \int d^3x \sum_{i=1}^3 \times \langle gE_i^a(\mathbf{x}, t) gE_i^a(\mathbf{x}, t') \rangle = \int_t^{t+\Delta t} dt' \kappa(t, t'). \quad (1)$$

HTL Use results from LO HTL perturbation theory to estimate $\ddot{F}(t, t+\Delta t) \approx \langle E(t)E(t+\Delta t) \rangle$. Include our data [2] on the quasiparticle damping rate and \ddot{F} .



Measured $\ddot{F}(t, t)$ (black points). Dash-dotted lines: HTL expectation.

KT Kinetic theory [1]. Extract $f(k)$ from lattice, compute:

$$\kappa_{\text{KT}}^{\tilde{t} \rightarrow \infty} = \frac{1}{6M} \int \frac{d^3k d^3k' d^3p'}{(2\pi)^9 8k^0 k'^0 M} (2\pi)^3 \times \delta^3(\mathbf{p} + \mathbf{k}' - \mathbf{p}' - \mathbf{k}) 2\pi\delta(k' - k) \mathbf{q}^2 \times |\mathcal{M}_{\text{gluon}}|^2 f(k) f(k'), \quad (2)$$

Conclusions

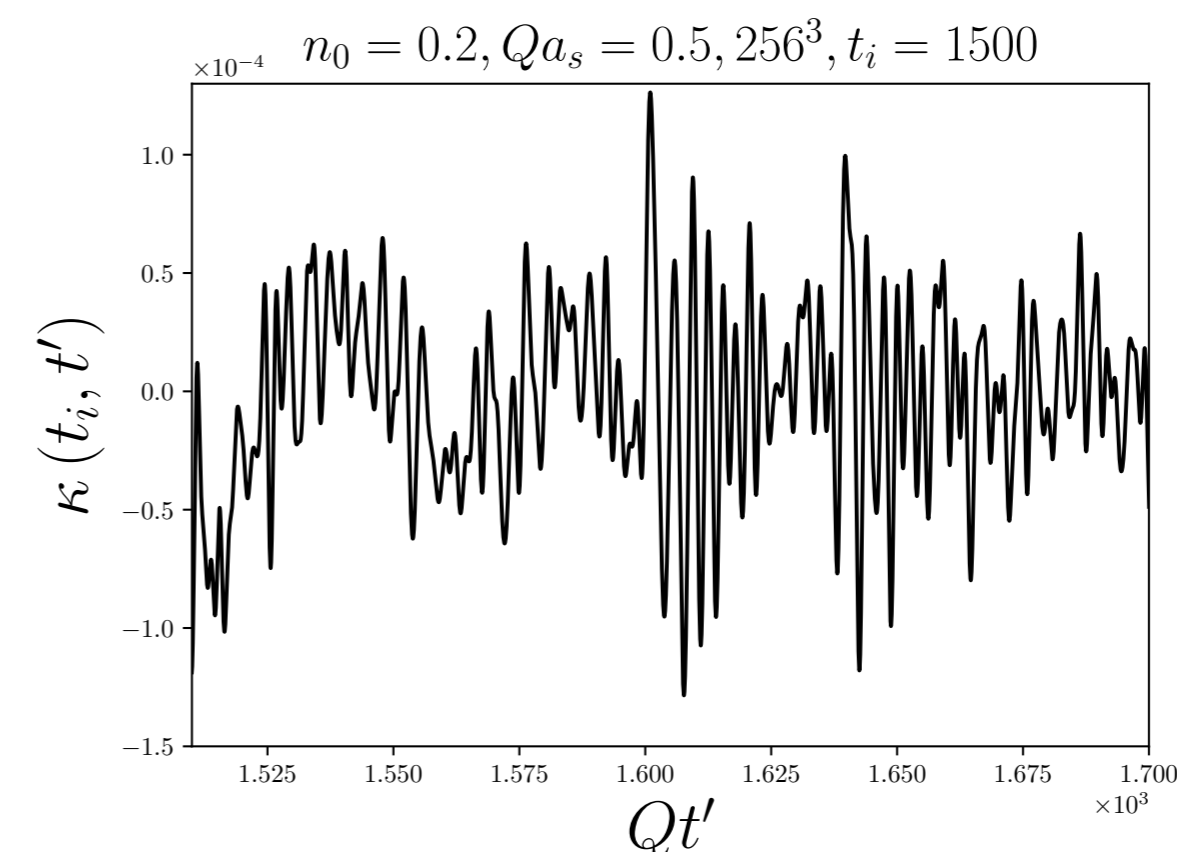
- We measure the heavy quark momentum diffusion coefficient κ far from equilibrium. κ follows an approximate $t^{-1/2}$ power law (preliminary). This is consistent with HTL ($t^{-5/7} \times$ logarithmic correction). Including the IR enhancement improves the agreement with the transient time behavior.
- We find that the IR enhancement of the *gauge-fixed* \ddot{F} leads to an observable modification of the *gauge-invariant* signal in $\kappa(t, \Delta t)$. Oscillations in finite \tilde{t} have a similar frequency as the plasmon frequency.

References

- [1] G. D. Moore, D. Teaney, Phys.Rev. C71 (2005) 064904
- [2] K. Boguslavski, A. Kurkela, T. Lappi, J. Peuron, Phys.Rev. D98 (2018) no.1, 014006
- [3] S. Caron-Huot, M. Laine, G. D. Moore JHEP 0904 (2009) 053

Signal from real time lattice

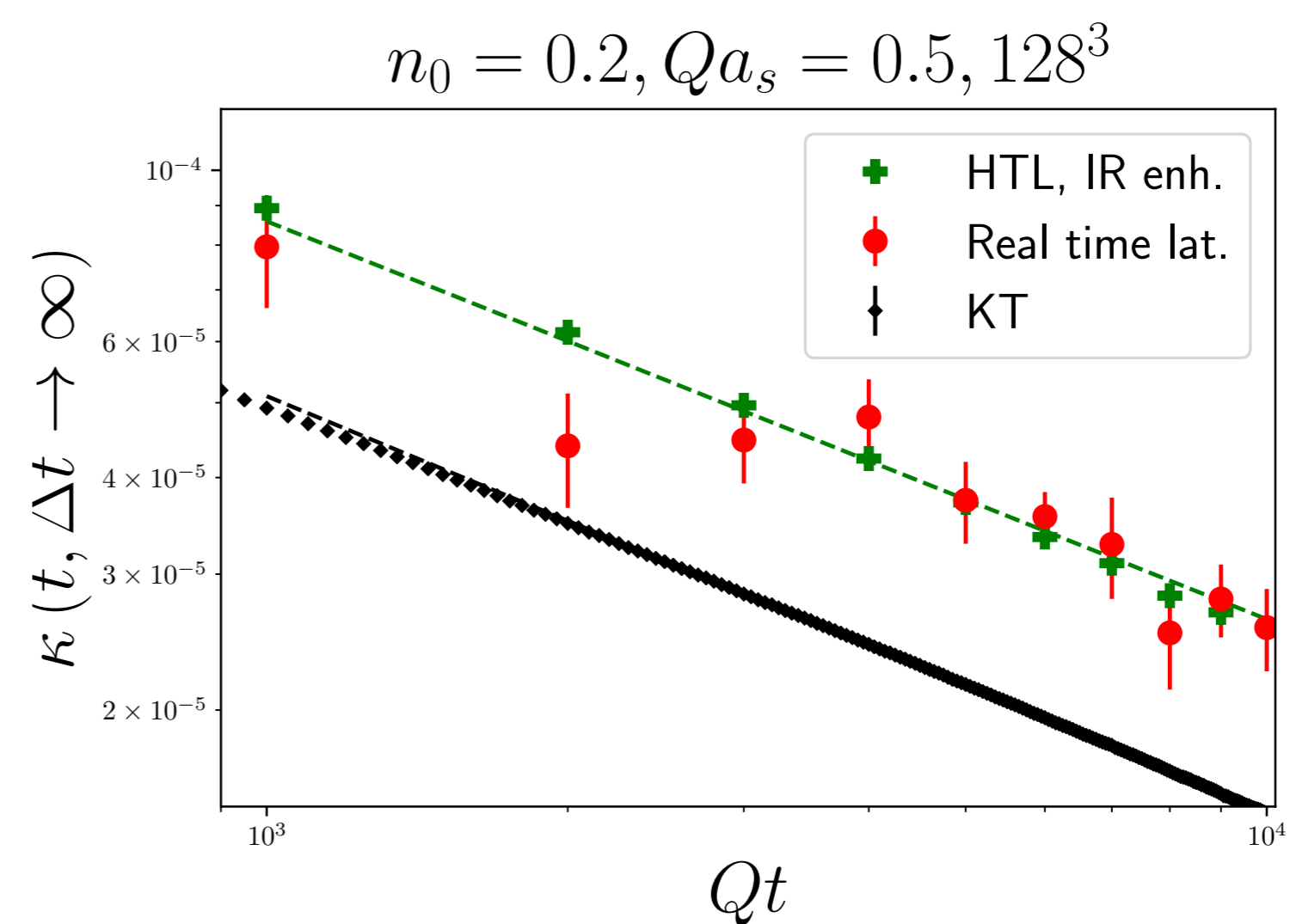
Extracted signal in time and frequency domains



- The signal $\kappa(t, \Delta t)$ in the t -domain, initially large, fast oscillations not shown.

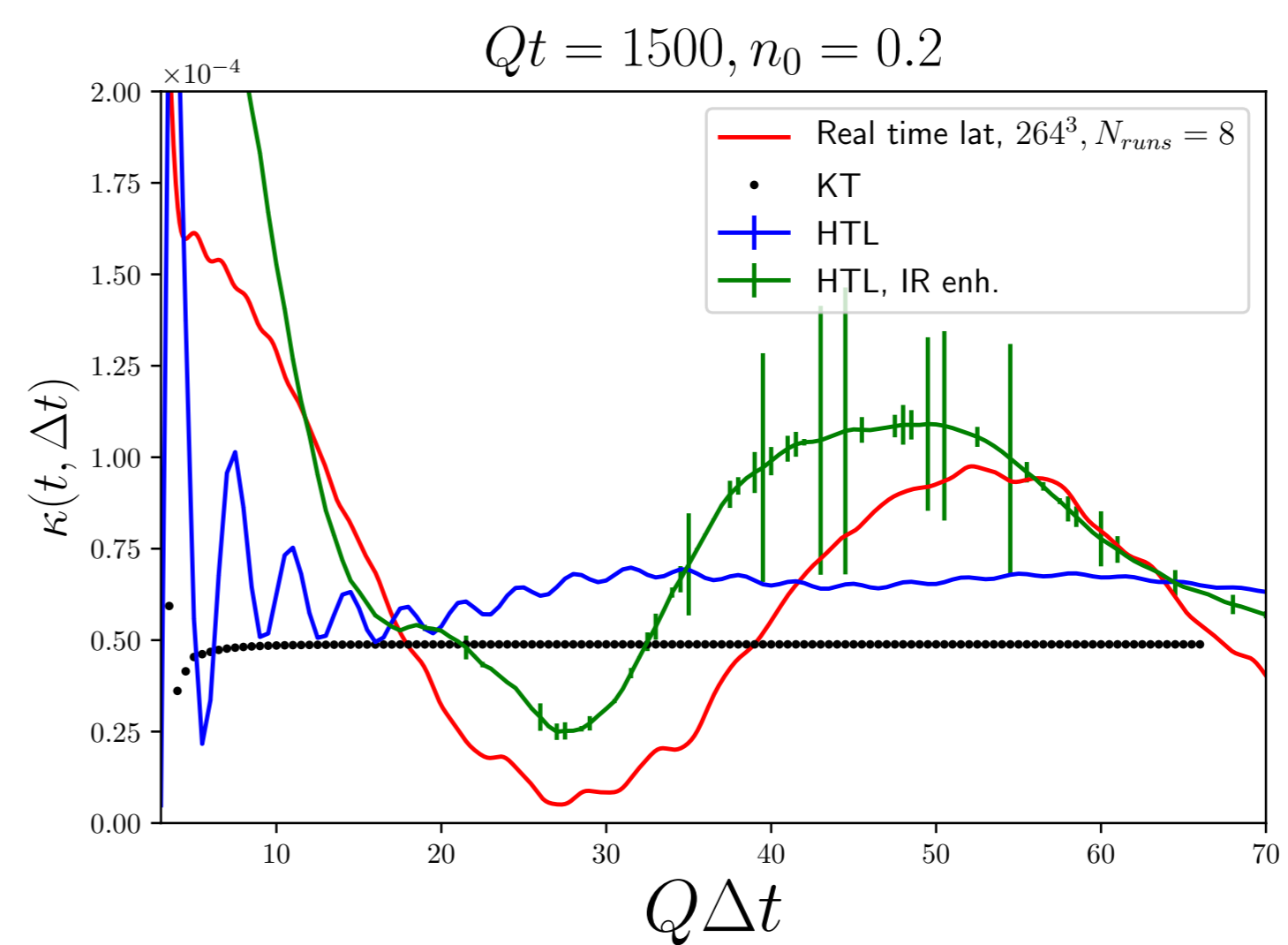
Results: Time dependence and IR enhancement

Dependence on time t of $\kappa(t) = \lim_{\Delta t \rightarrow \infty} \kappa(t, \Delta t)$



- At large t our gauge field configuration is that of a universal attractor where the physical scales evolve as powerlaws in t . We extract the powerlaw of κ so that we can compare the exponent and coefficient to other physical scales, such as m_D, T_*, Λ .
- Preliminary: HTL method close to real time lattice extraction, KT method is a factor ~ 2 smaller.
- Real time lattice datapoints obtained by averaging the Δt dependence.

Dependence on size of the integration window Δt



- HTL curve corresponds to unenhanced \ddot{F} . HTL IR enh. corresponds to the enhanced (extracted from data) \ddot{F} .
- KT curve corresponds to the generalization of (2).