

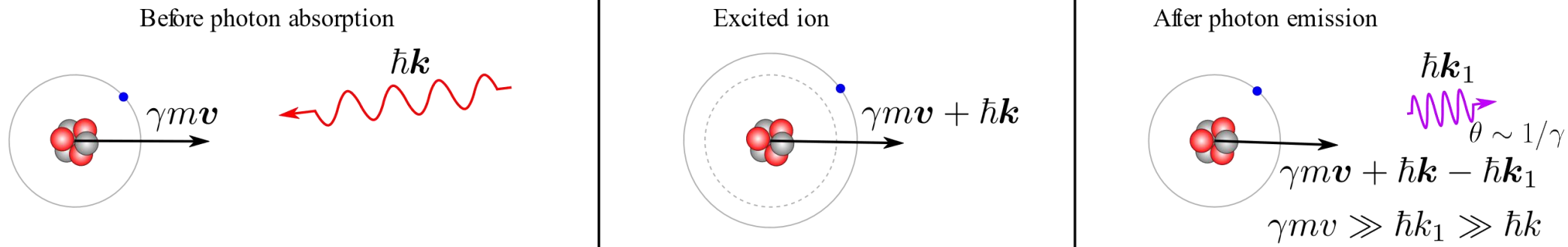
# Gamma Factory ion beam dynamics

Alexey Petrenko (Budker INP)

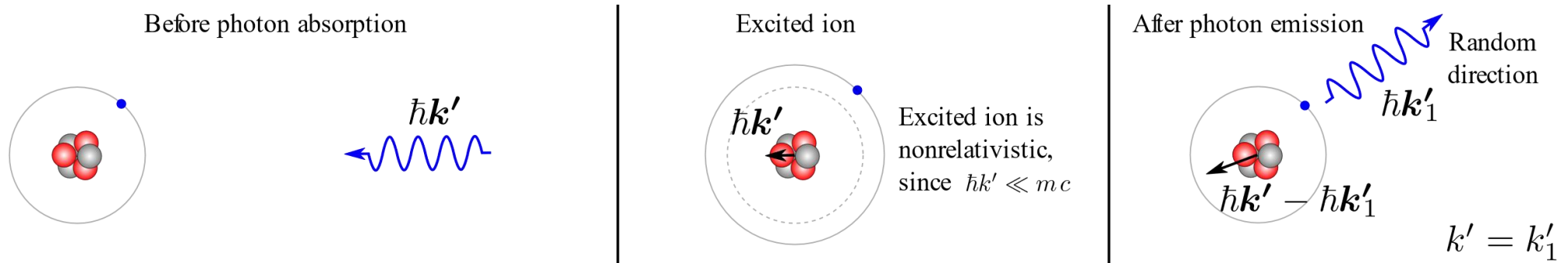
[Gamma Factory meeting at CERN](#), March 26, 2019.

# Laser-ion interaction kinematics

In the lab frame:



In the ion's frame:



**What is the effect of radiation emission on the ion beam dynamics?**

**Longitudinal cooling:** because energy loss grows with ion energy.

**Transverse cooling:** because all components of ion momentum are lost due to the photon scattering but only the longitudinal component is restored in the RF resonator.

**Longitudinal heating:** because energy loss per emission is random due to the random direction of photon emission in the ion's frame of reference.

## The LHC H-like Pb example:

Ion charge  $Z = 81$ , mass  $A = 208$ ,  $\gamma = 2719$ ,  $p_z = 526.5 \text{ TeV}/c$ ,

$\hbar\omega' = 69 \text{ keV}$  (Lyman-alpha line), laser  $\hbar\omega = 12 \text{ eV}$  (98 nm),  
emitted gamma  $\hbar\omega_{1,\text{max}} = 373 \text{ MeV}$ , typical angle of emission  $\theta_1 \sim 1/\gamma \sim 0.3 \text{ mrad}$ .

Typical transverse kick due to gamma emission:

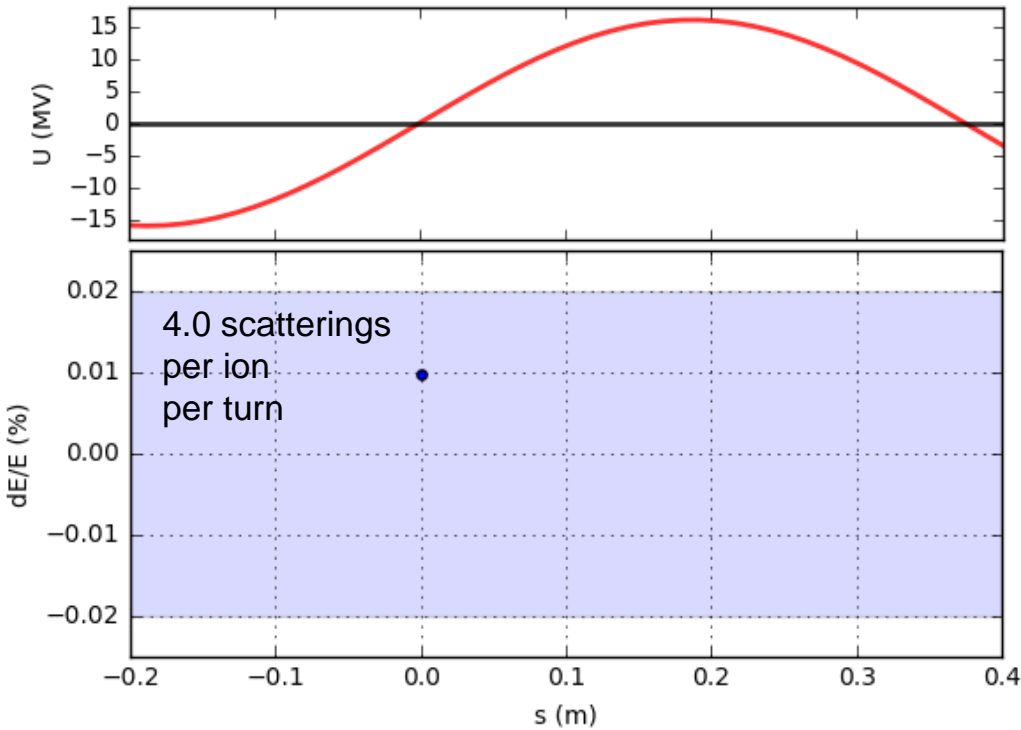
$$p_x/p_z \sim \hbar\omega'/p_z c \sim 69 \text{ keV} / 527 \text{ TeV} \sim 10^{-7} \text{ mrad}.$$

Typical transverse beam parameters at the LHC interaction point for example:

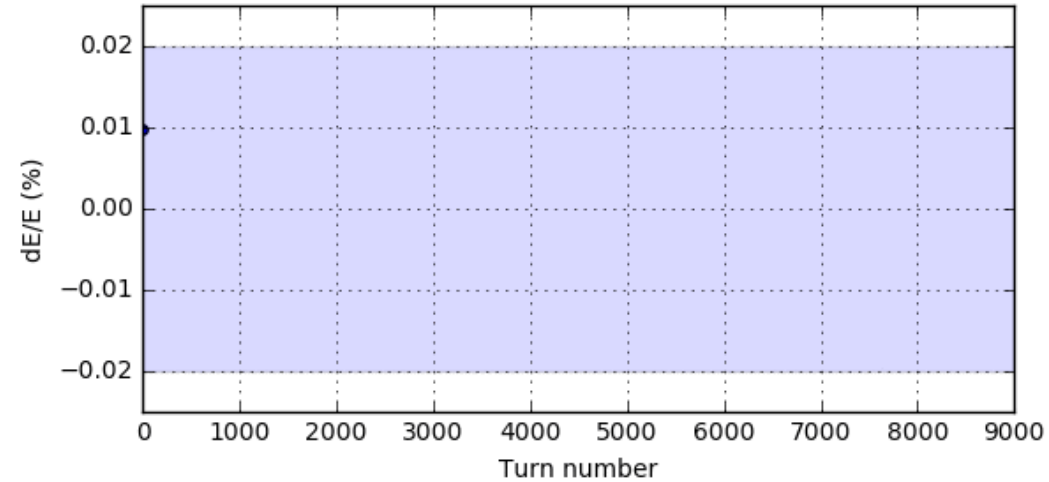
Transverse beam size = 0.026 mm, angular spread = 0.026 mrad ( $10^5$  times higher).

Typical energy spread in the beam is  $\Delta p/p \sim 10^{-4}$ , while the average  $\delta p_z$  due to the photon emission is  $200 \text{ MeV}/c \Rightarrow \delta p_z / p_z = 200 \text{ MeV} / 527 \text{ TeV} = 3.7 \cdot 10^{-7} \Rightarrow \Delta p / \delta p \approx 300$ , and even with one scattering per turn the longitudinal effects will be significant in  $\sim 100$ -1000 turns.

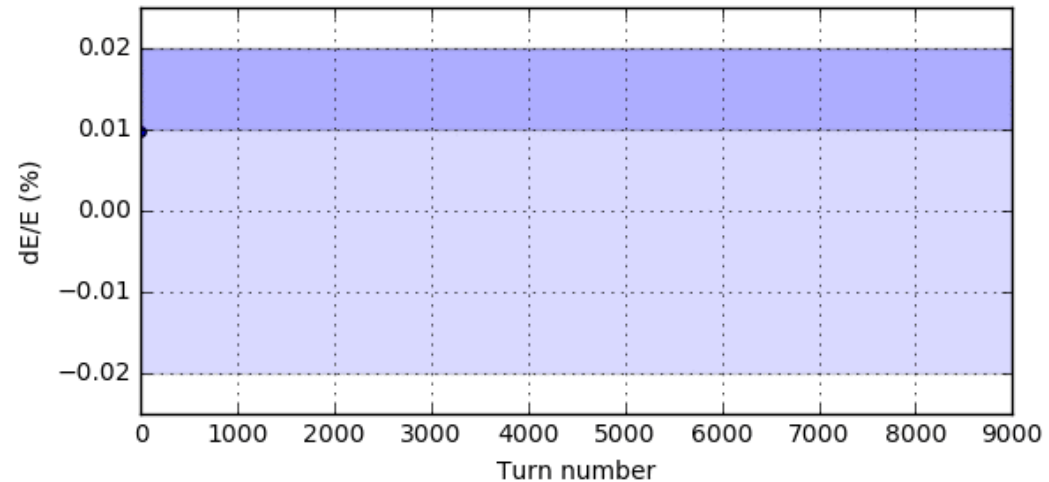
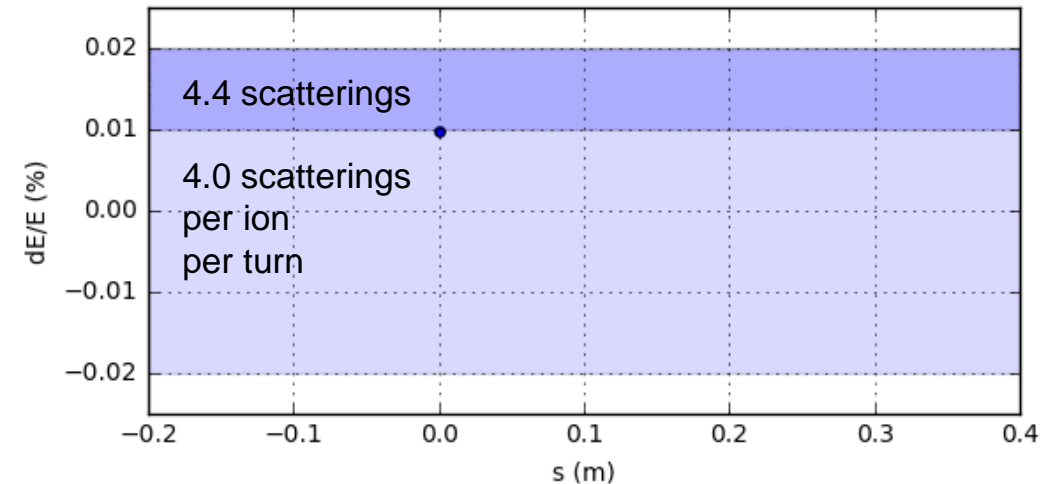
# Longitudinal laser cooling is important to stabilize the ion motion:



The important effect of photon emissions on ion beam dynamics is in the energy loss of the partially stripped ion. This energy loss is randomly distributed from 0 to 400 MeV in this case of Pb ion with one remaining electron in the LHC. This randomness excites uncontrolled growth of synchrotron oscillations leading to a loss of ion from the RF-bucket:



The synchrotron oscillations can be stabilized by a small change in the spectral distribution of the laser beam (or by adding another low-power laser):



The longitudinal beam dynamics is quite sensitive to imbalance of energy radiated at  $\Delta p > 0$  vs  $\Delta p < 0$ :

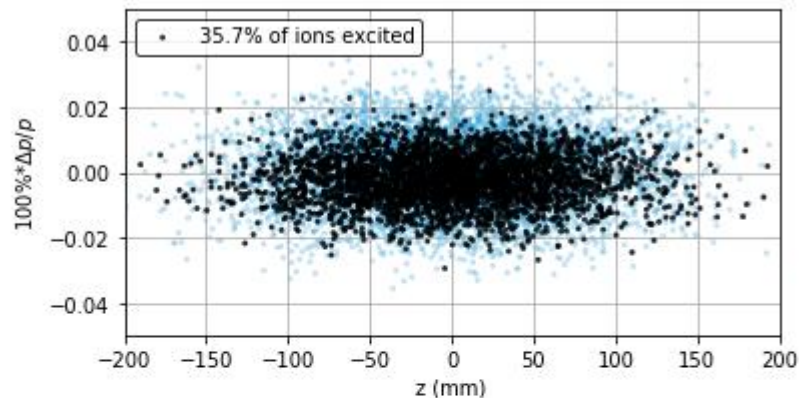
Fourier-limited Gaussian laser pulse with  $\sigma(\Delta\omega/\omega) = \sigma(\Delta p/p)$  centered on  $p_0(1 \pm 0.5\Delta p/p)$

Laser waist size  $w_0 = 2\sigma_{x,y} = 40 \mu\text{m}$ , energy = 42  $\mu\text{J}$ .

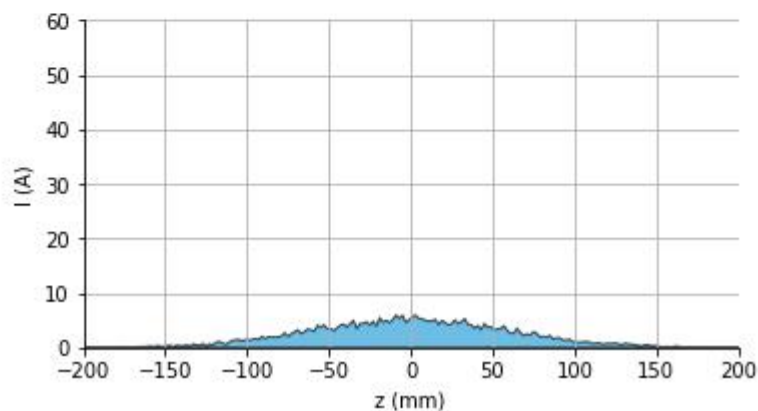
Slightly shorter central laser wavelength:

Turn: 0

**A**



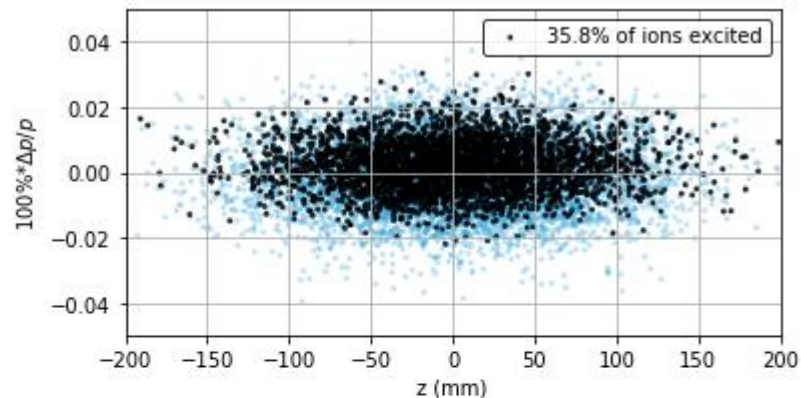
**B**



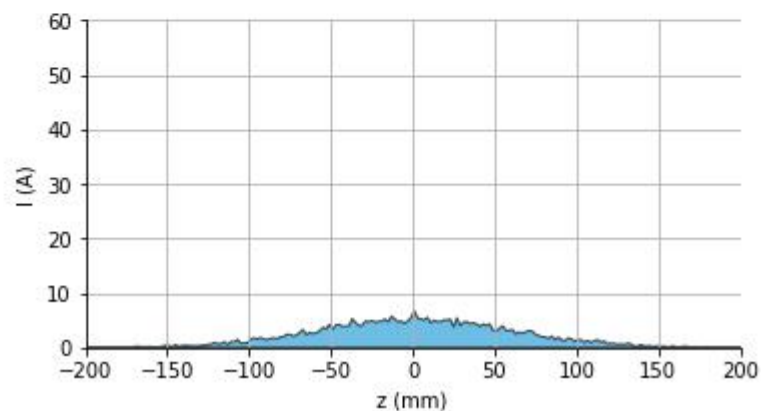
Slightly longer central laser wavelength:

Turn: 0

**A**



**B**

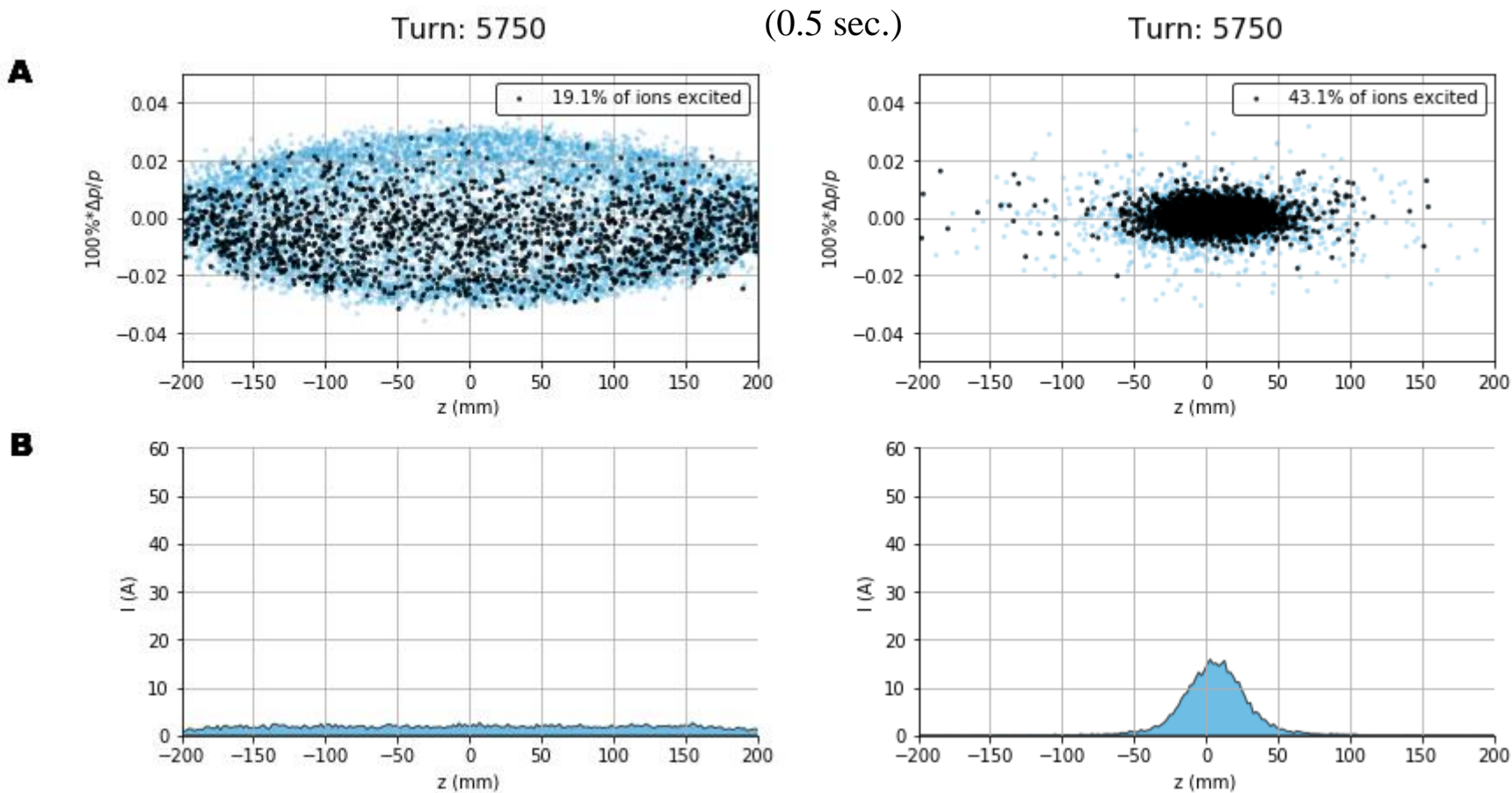


Black dots – excited ions, blue dots – not excited ions.

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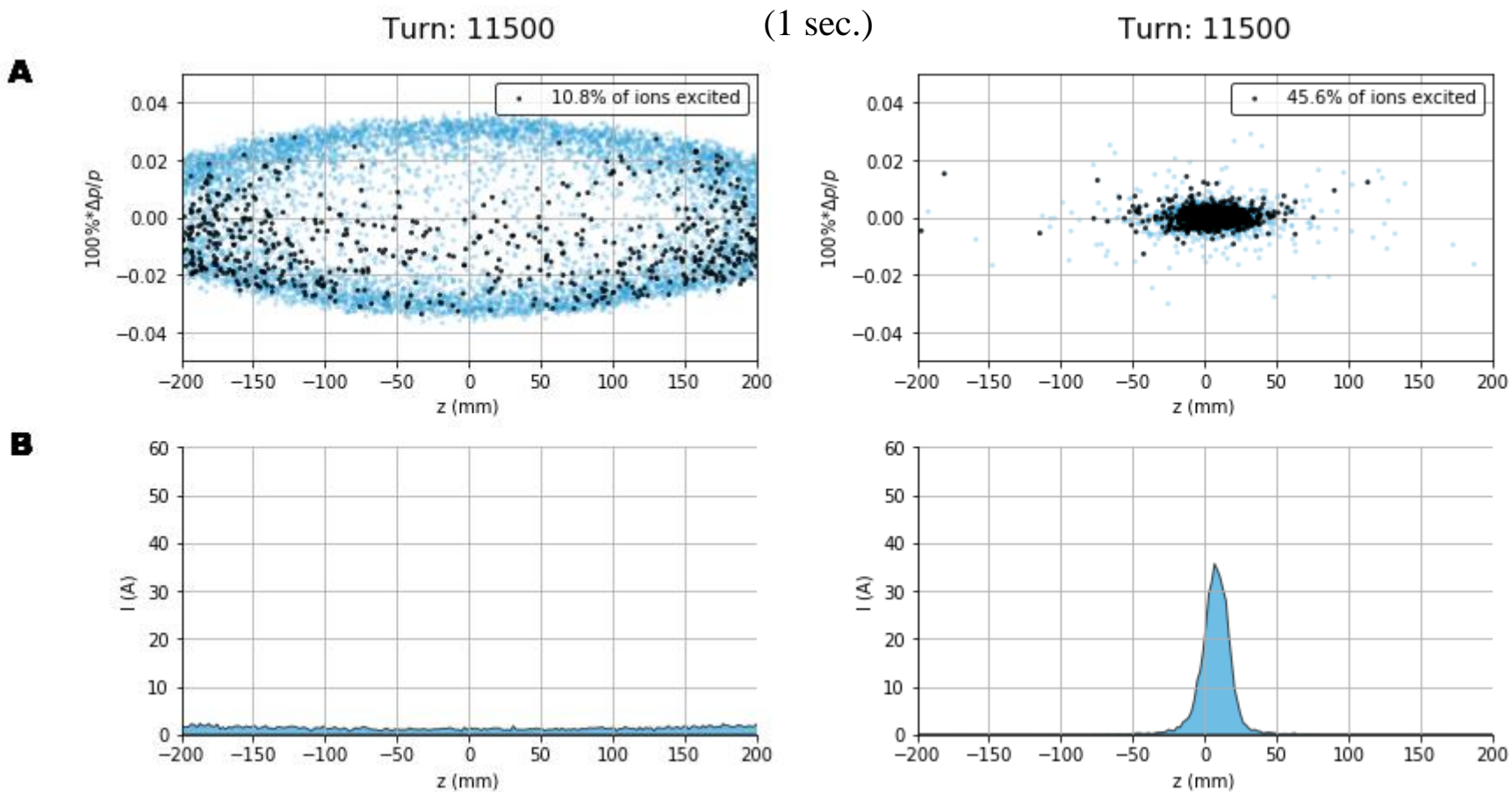
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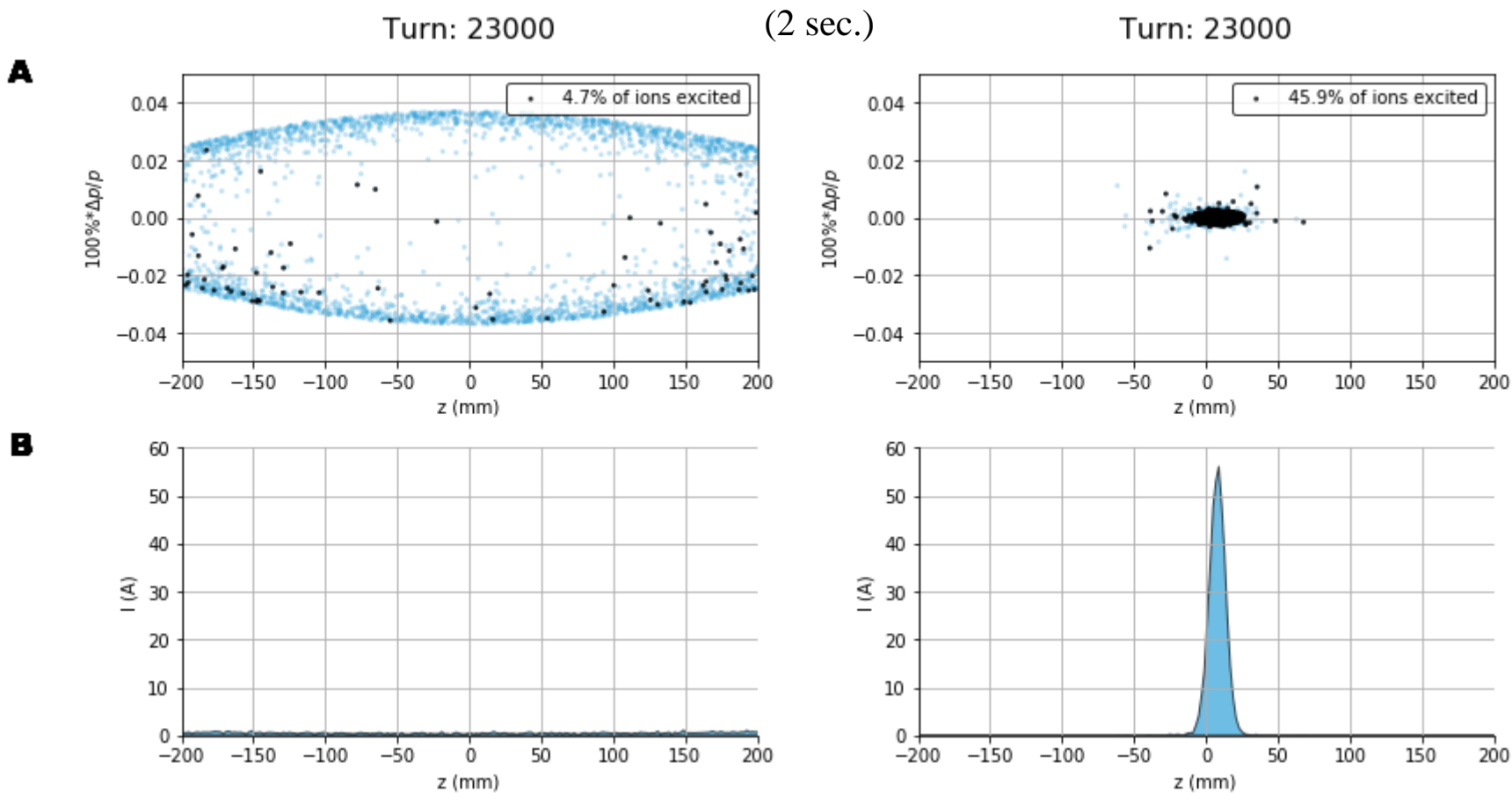
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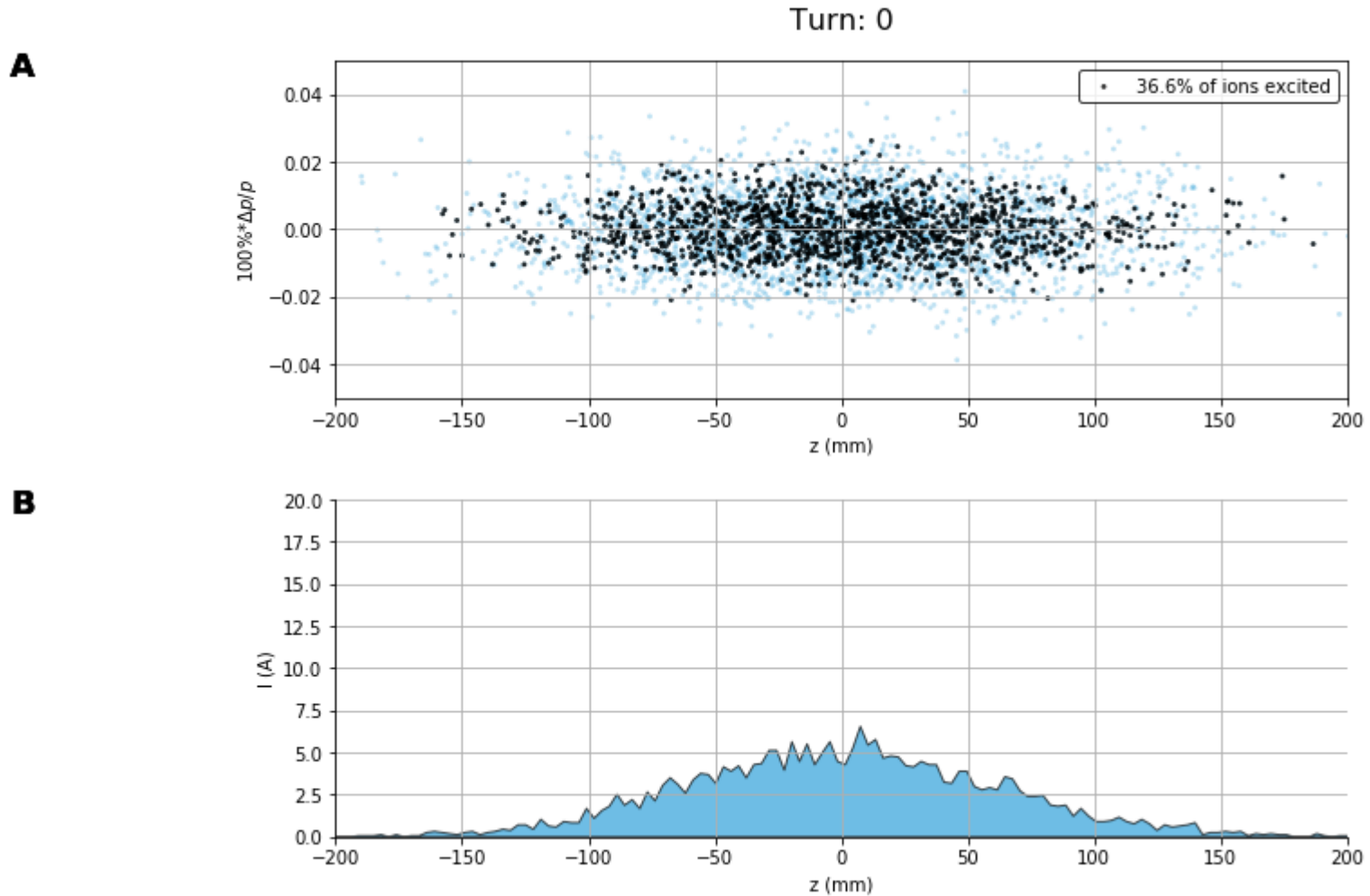
Laser waist size  $w_0 = 2\sigma_{x,y} = 40 \mu\text{m}$ , energy = 42  $\mu\text{J}$ .



Maybe a good approach would be to introduce heating in the middle while limiting the  $\Delta p$  growth with a barrier. This can be done by alternating the cooling and heating regimes or using a laser with a complicated frequency profile (or two lasers).



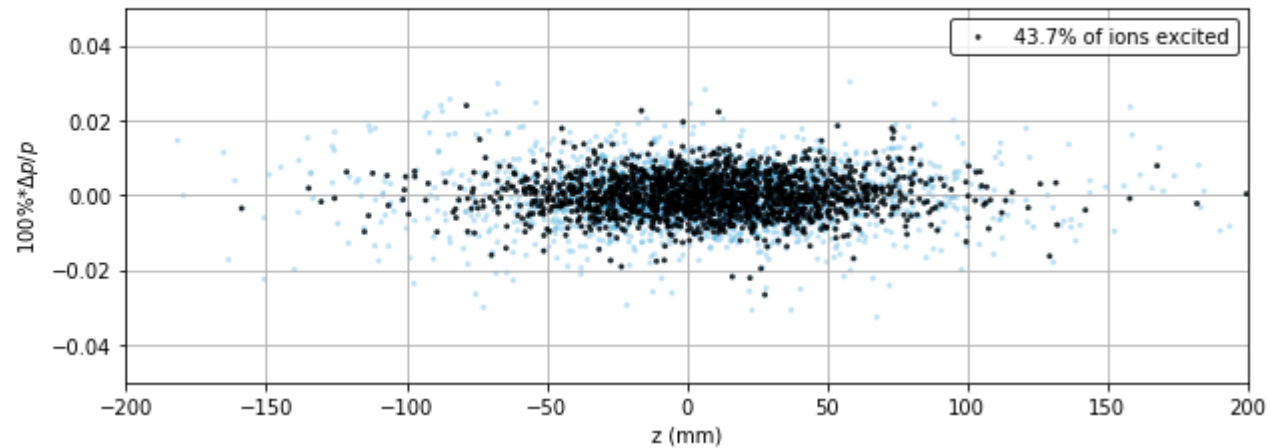
Fourier-limited Gaussian laser pulse with  $\sigma(\Delta\omega/\omega) = \sigma(\Delta p/p)$  centered on  $p_0(1+0.05\Delta p/p)$   
Laser waist size  $w_0 = 2\sigma_{x,y} = 40 \mu\text{m}$ , energy = 42  $\mu\text{J}$ .



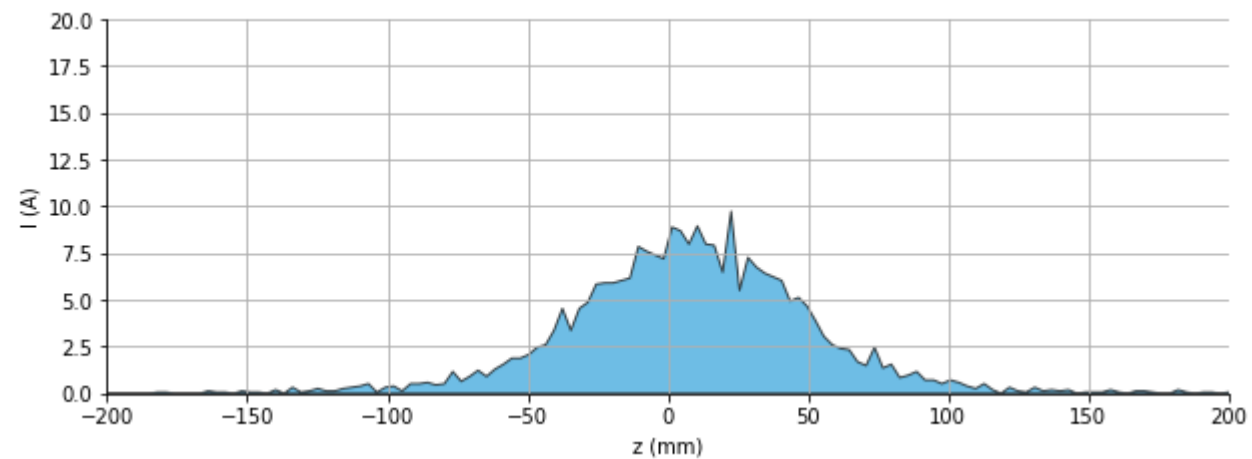
Fourier-limited Gaussian laser pulse with  $\sigma(\Delta\omega/\omega) = \sigma(\Delta p/p)$  centered on  $p_0(1+0.05\Delta p/p)$   
Laser waist size  $w_0 = 2\sigma_{x,y} = 40 \mu\text{m}$ , energy = 42  $\mu\text{J}$ .

Turn: 30000 (2.7 sec.)

**A**



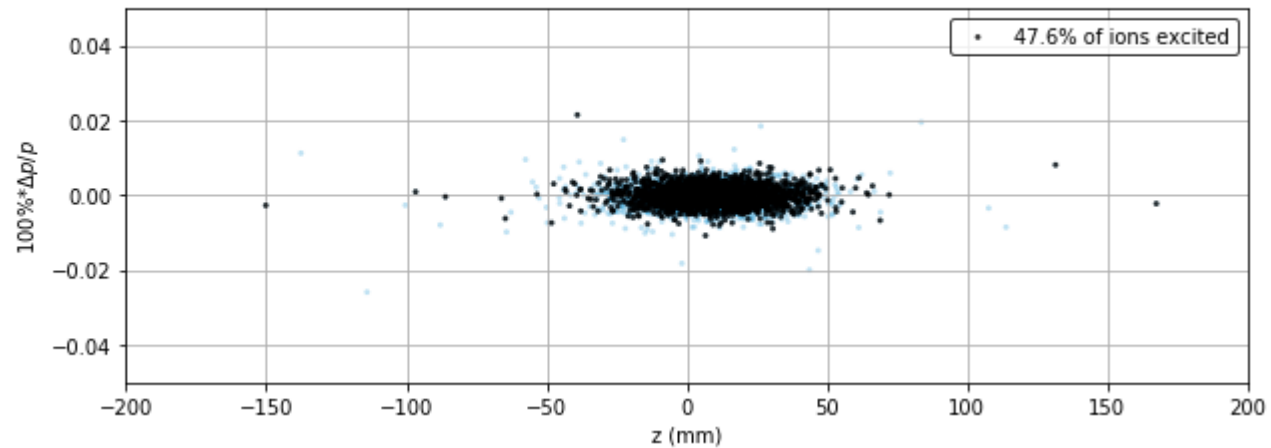
**B**



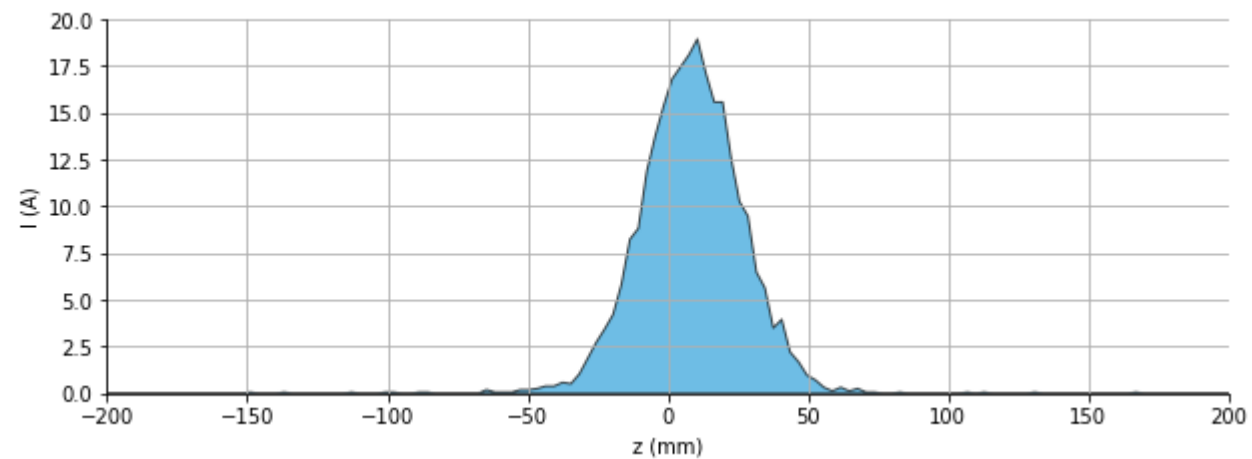
Fourier-limited Gaussian laser pulse with  $\sigma(\Delta\omega/\omega) = \sigma(\Delta p/p)$  centered on  $p_0(1+0.05\Delta p/p)$   
Laser waist size  $w_0 = 2\sigma_{x,y} = 40 \mu\text{m}$ , energy = 42  $\mu\text{J}$ .

Turn: 130000 (11.7 sec.)

**A**



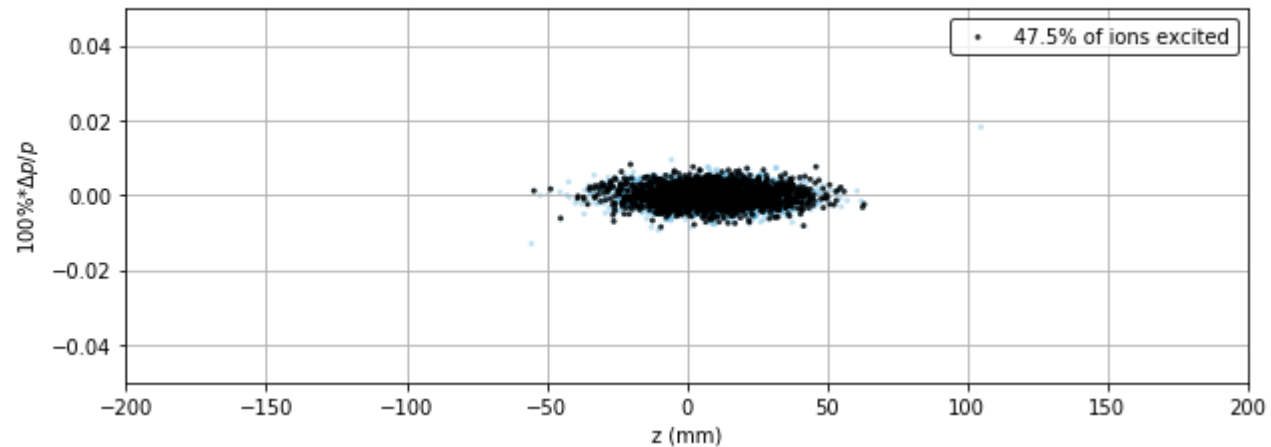
**B**



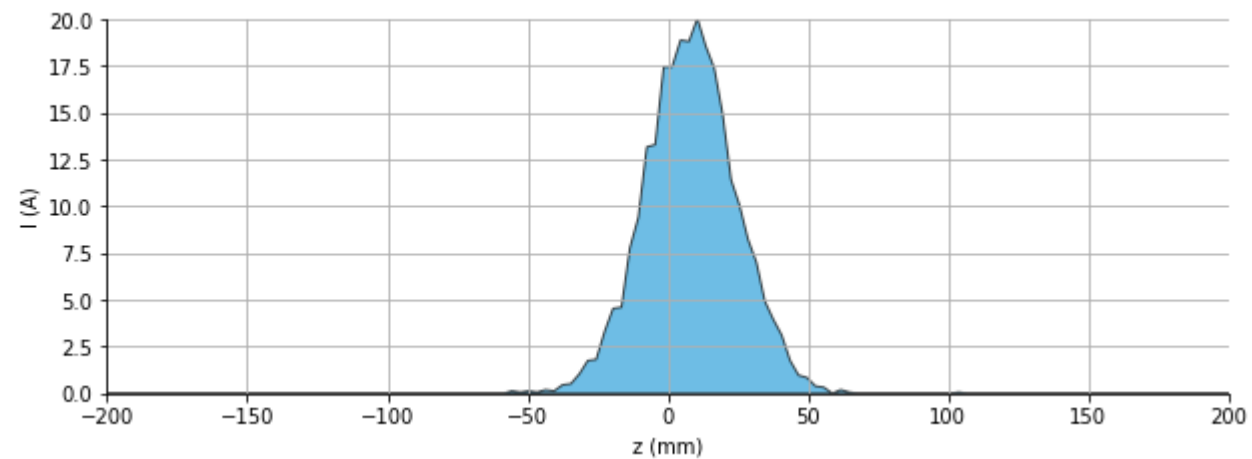
Fourier-limited Gaussian laser pulse with  $\sigma(\Delta\omega/\omega) = \sigma(\Delta p/p)$  centered on  $p_0(1+0.05\Delta p/p)$   
Laser waist size  $w_0 = 2\sigma_{x,y} = 40 \mu\text{m}$ , energy = 42  $\mu\text{J}$ .

Turn: 200000(18 sec.)

**A**



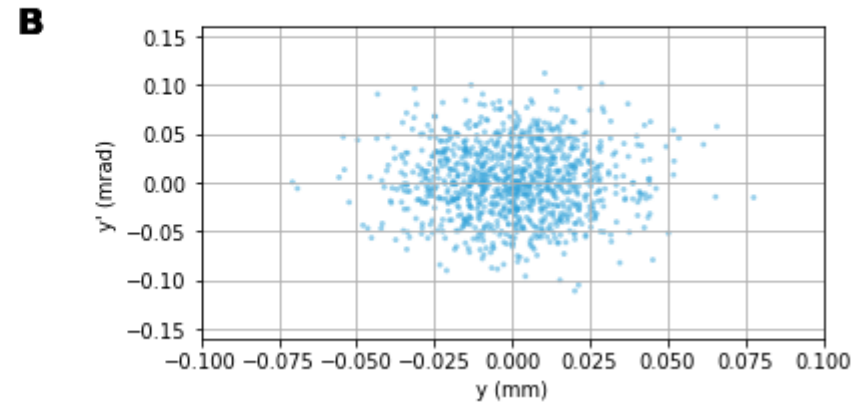
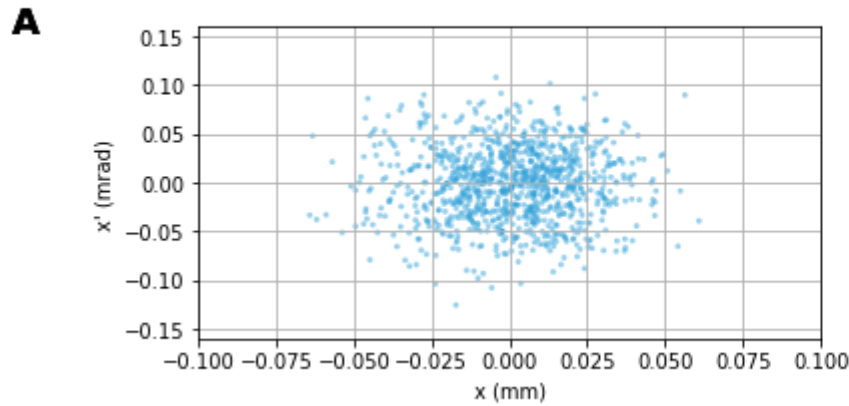
**B**



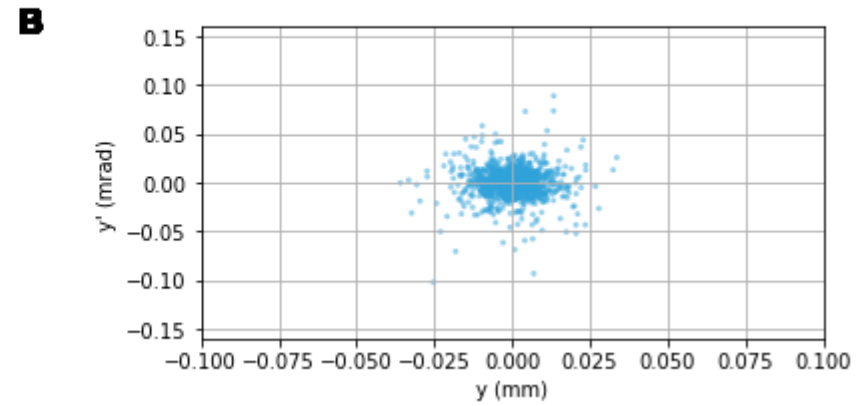
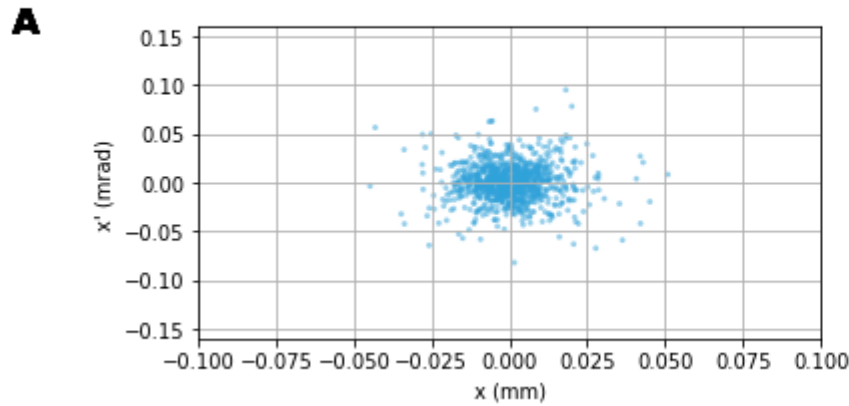
# Transverse cooling is much slower:

Turn: 0

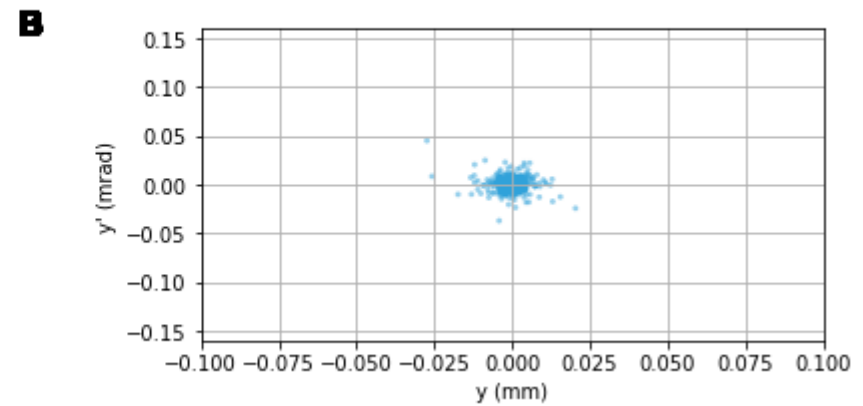
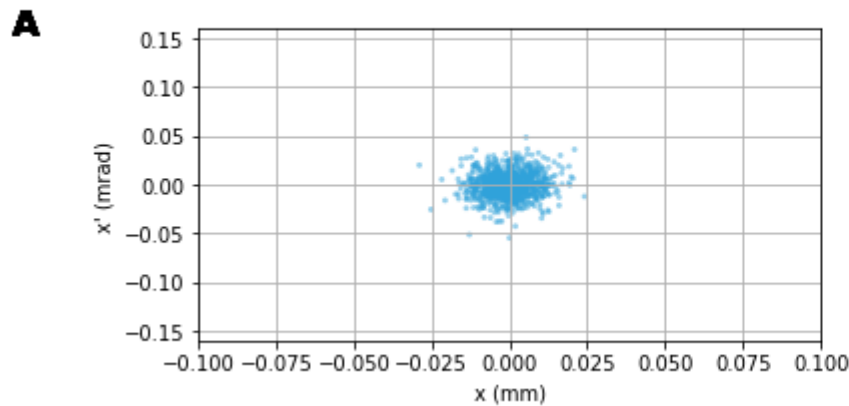
[https://anaconda.org/petrenko/lhc\\_psi\\_beam\\_vs\\_laser](https://anaconda.org/petrenko/lhc_psi_beam_vs_laser)



Turn: 10000000 (15 min.)



Turn: 20000000 (30 min.)

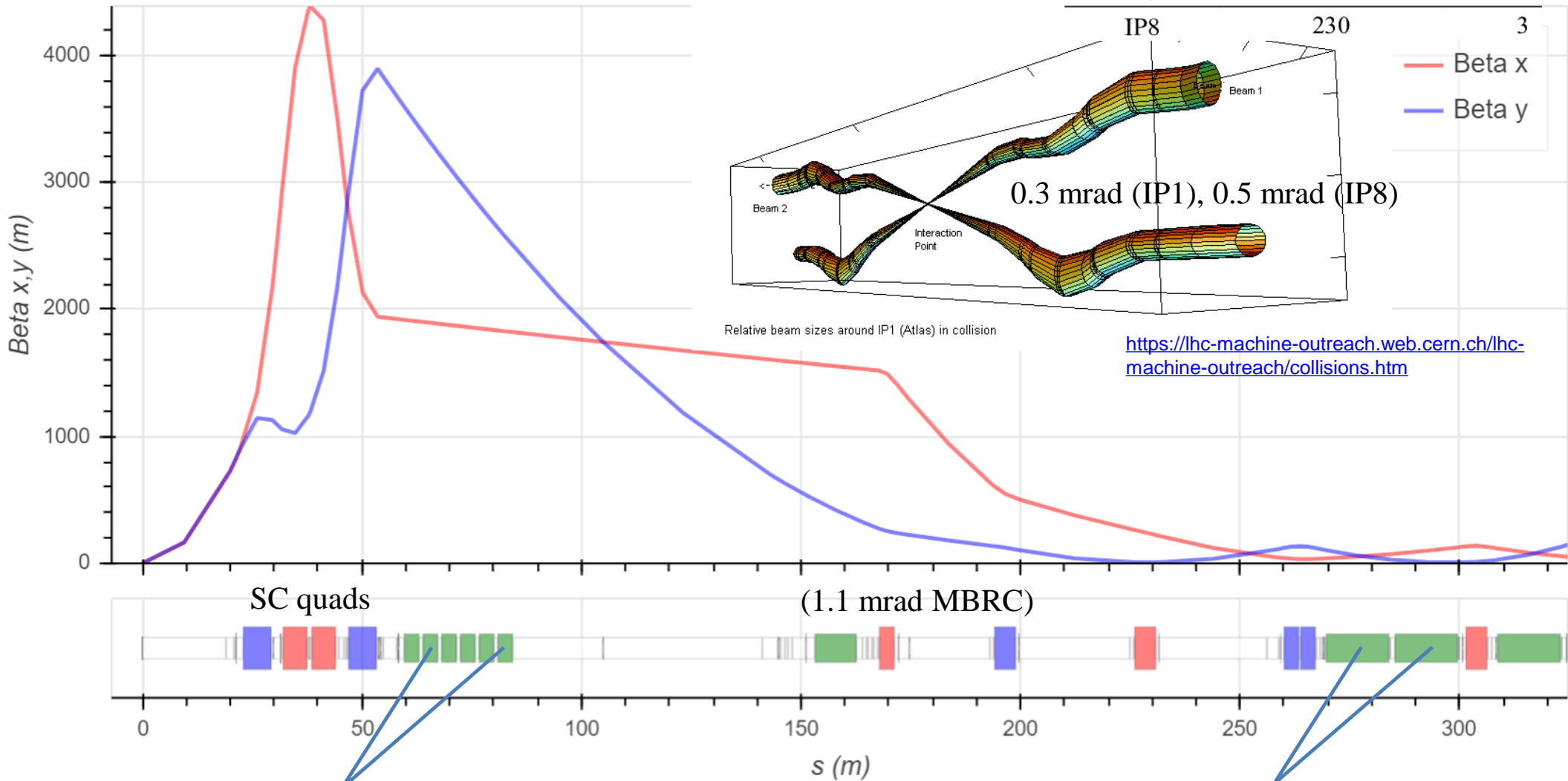


Cooling time ~ time to radiate the full ion energy:  $530 \text{ TeV} / (0.5 * 190 \text{ MeV}) = 5.6e6 \text{ turns (8.5 min)}$

# Interaction region:

Beta-function at the center of the IP1 (ATLAS) = 0.6 m.

Beam Energy	Interaction Point	Half crossing angle [ $\mu\text{rad}$ ]	$\beta^*$ [m]
4TeV	IP1	145	0.6
	IP2	90	3
	IP5	145	0.6
	IP8	230	3



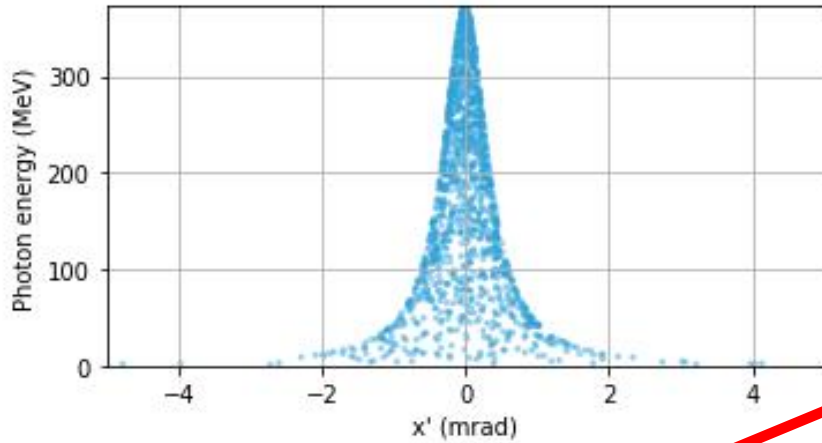
[Normal-conducting dipoles](#) (0.19 mrad each, 1.13 mrad with 6 dipoles)

(5.1 mrad [Main Dipoles](#))

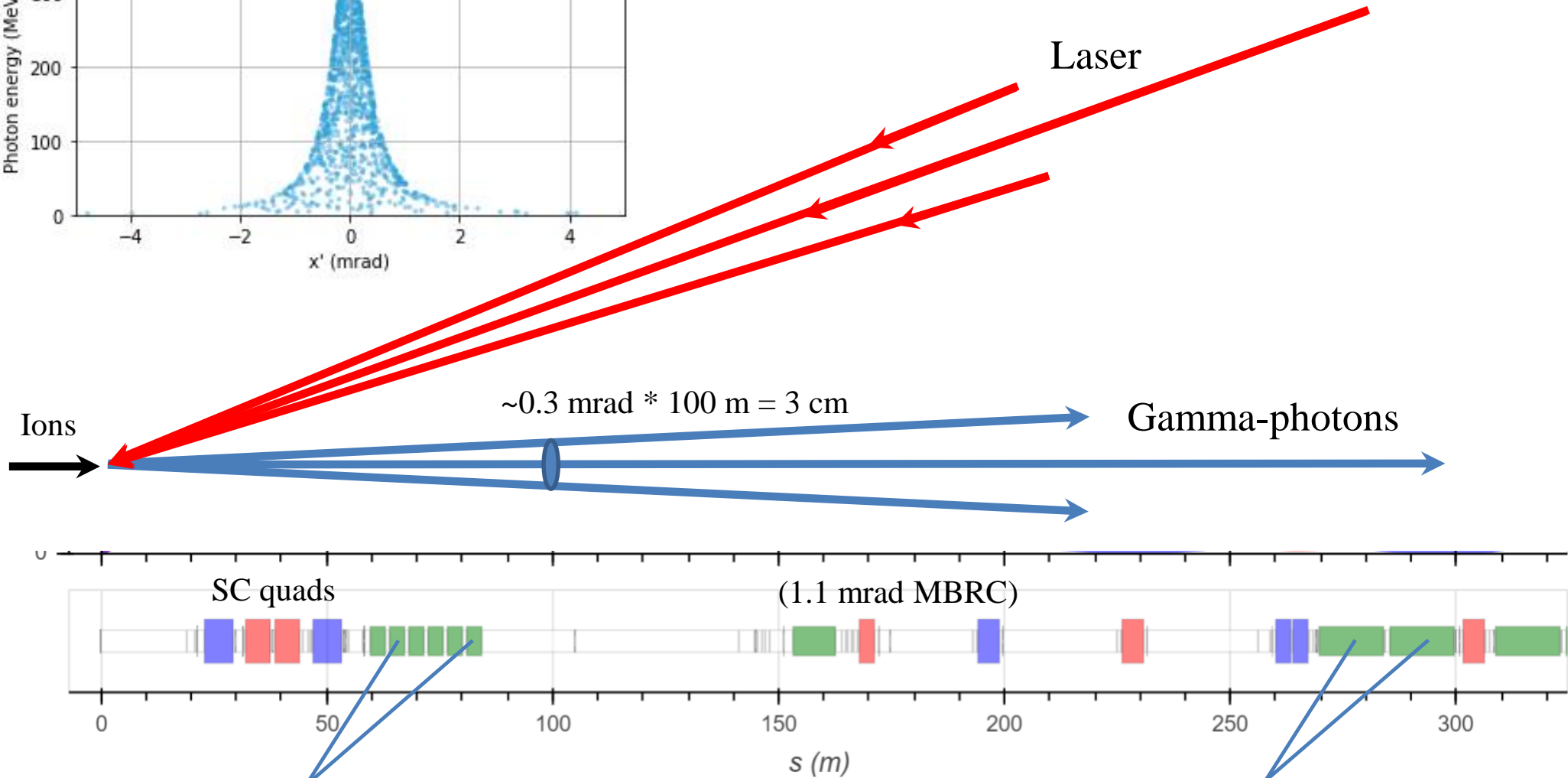
[https://apetrenko.blob.core.windows.net/lhc/LHC\\_optics.html](https://apetrenko.blob.core.windows.net/lhc/LHC_optics.html)

# Interaction region:

Angle-energy plot of emitted gamma-photons:



Angular divergence of the laser beam  $\theta = \frac{\lambda_l}{\pi w_0} = 0.78$  mrad.

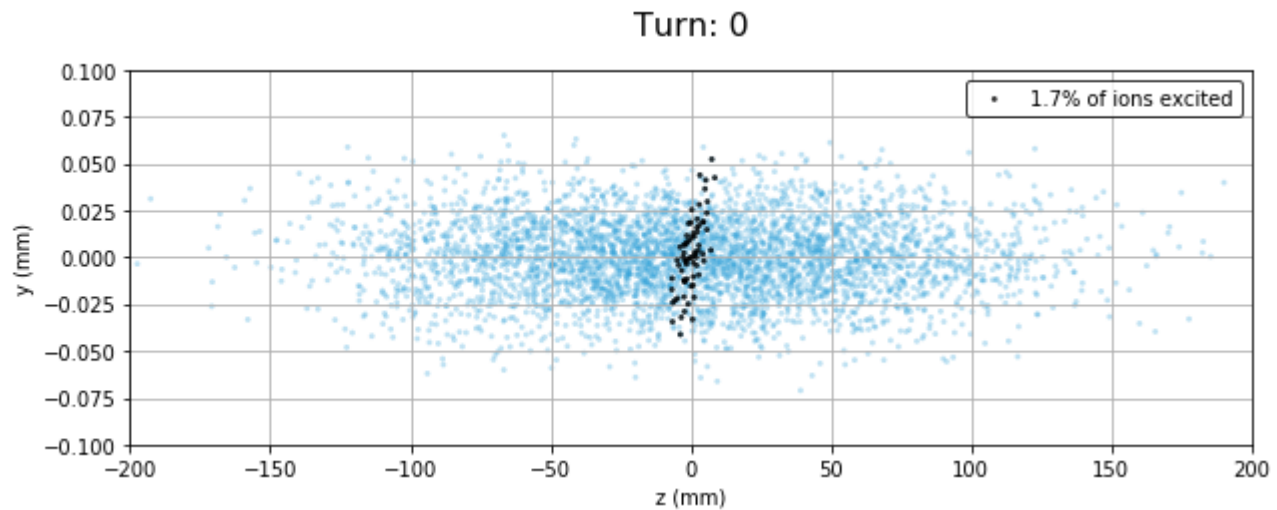


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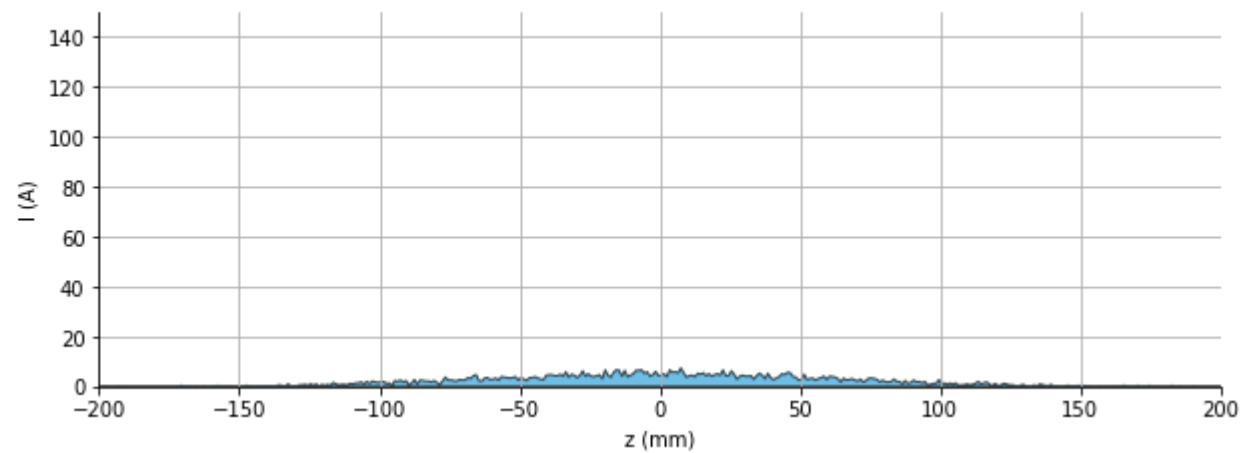
(5.1 mrad [Main Dipoles](#))

# Interaction with 1 degree crossing angle:

**A**



**B**

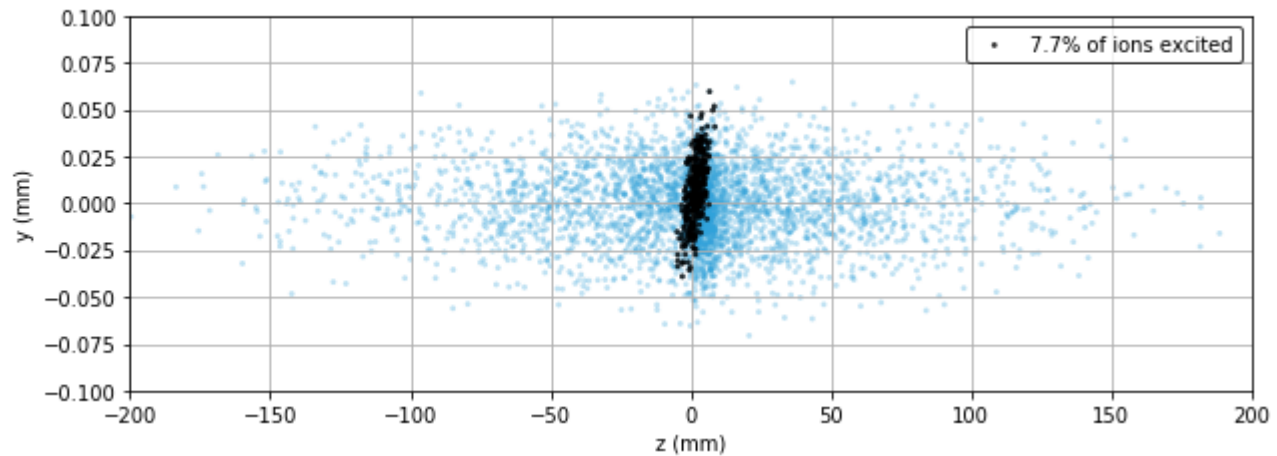




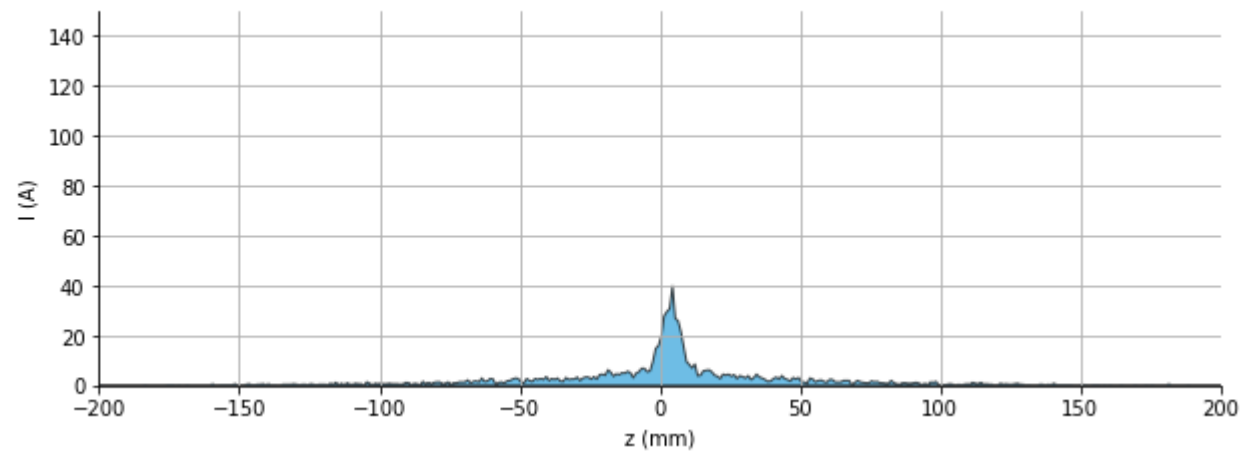
# Interaction with 1 degree crossing angle:

Turn: 20000 (1.8 sec.)

**A**



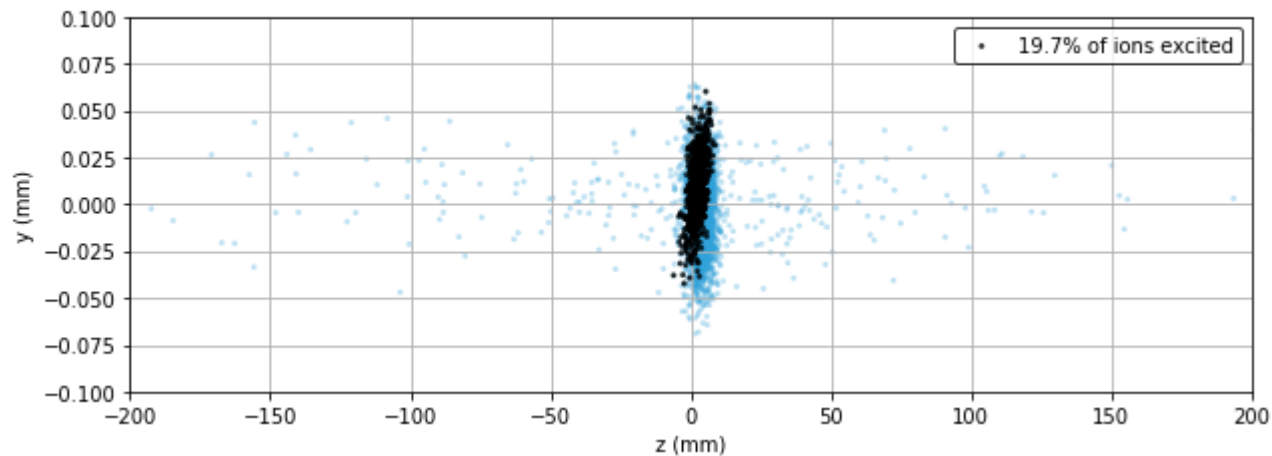
**B**



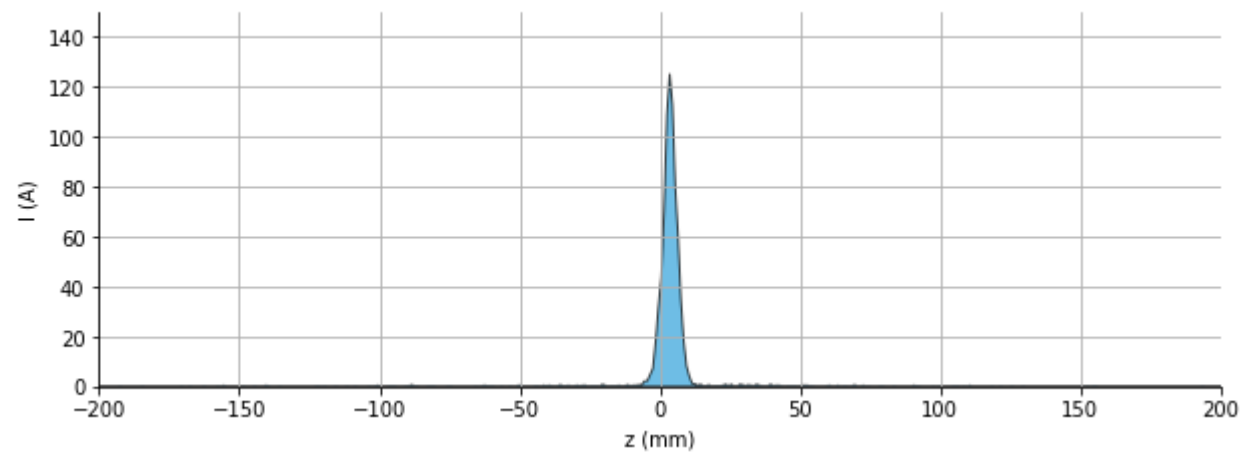
# Interaction with 1 degree crossing angle:

Turn: 100000 (9 sec.)

**A**

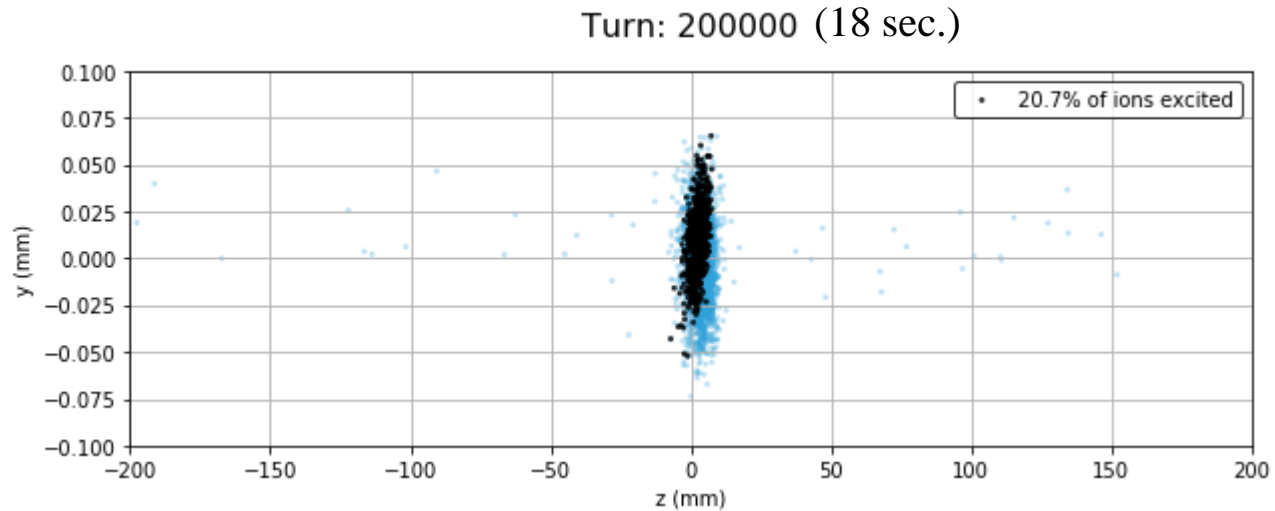


**B**

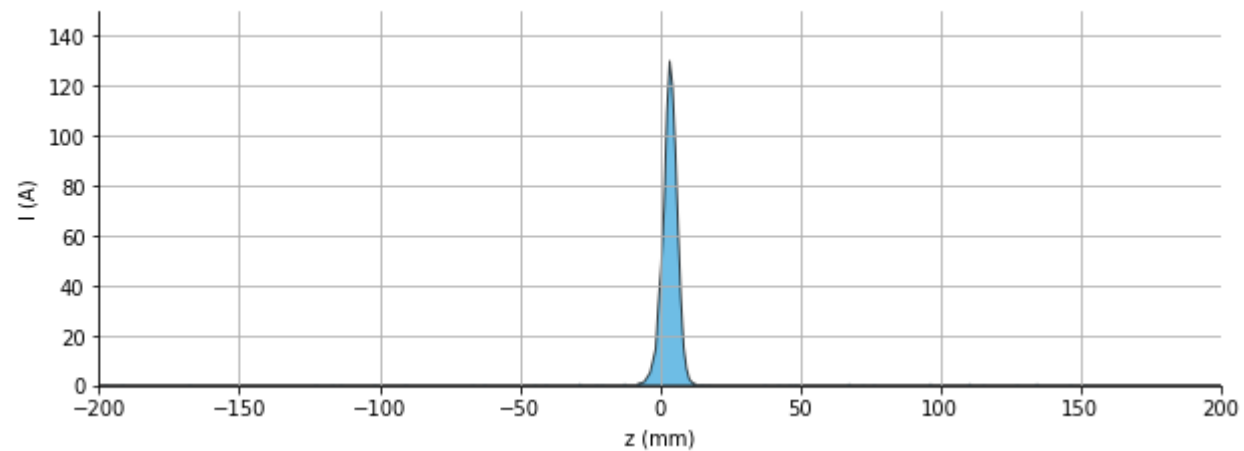


# Interaction with 1 degree crossing angle:

**A**



**B**



Fast longitudinal cooling allows to compress the bunch and increase the geometric overlap.

## Conclusions:

- Understanding and control of the fast longitudinal cooling/heating is critically important for the stable operation of a Gamma Factory.
- Transverse cooling can help to reduce the laser power requirements.
- Longitudinal cooling can be helpful with laser crossing at some angle.
- Questions to study next:
  - 1) Collective instabilities
  - 2) Intra-Beam Scattering
  - 3) Detailed laser-ion beam interaction region including laser input and gamma-radiation output.