

Exotic Meson

Spectroscopy at COMPASS

Bernhard Ketzer

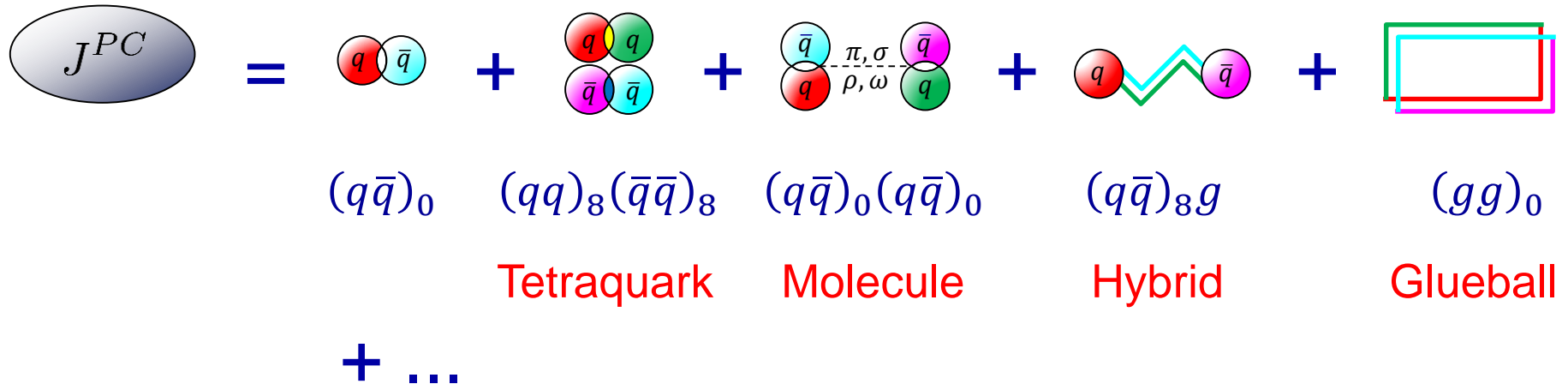
Rheinische Friedrich-Wilhelms-Universität Bonn

on behalf of the COMPASS Collaboration

International Workshop on Partial Wave Analyses and Advanced Tools for Hadron
Spectroscopy (PWA11 / ATHOS6)

Rio de Janeiro

2 September 2019



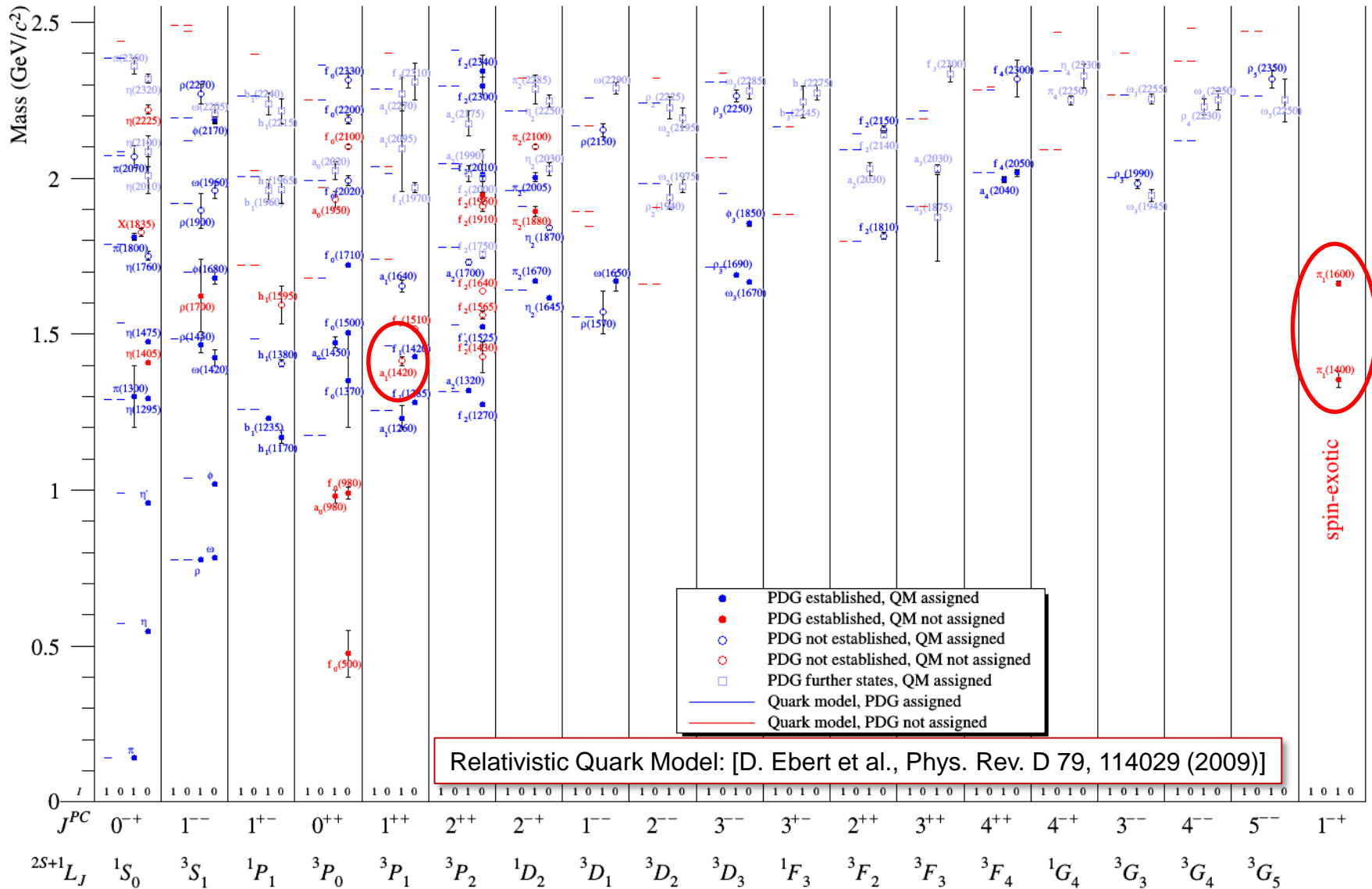
Where are they?

How to identify them?

- Spin-exotic: $J^{PC} = 0^{--}, 0^{+-}, 1^{-+}, \dots$
- Supernumerary states
- Flavor-exotic: $|Q|, |I_3|, |S|, |C| \geq 2$
- Comparison with models, lattice

Need:

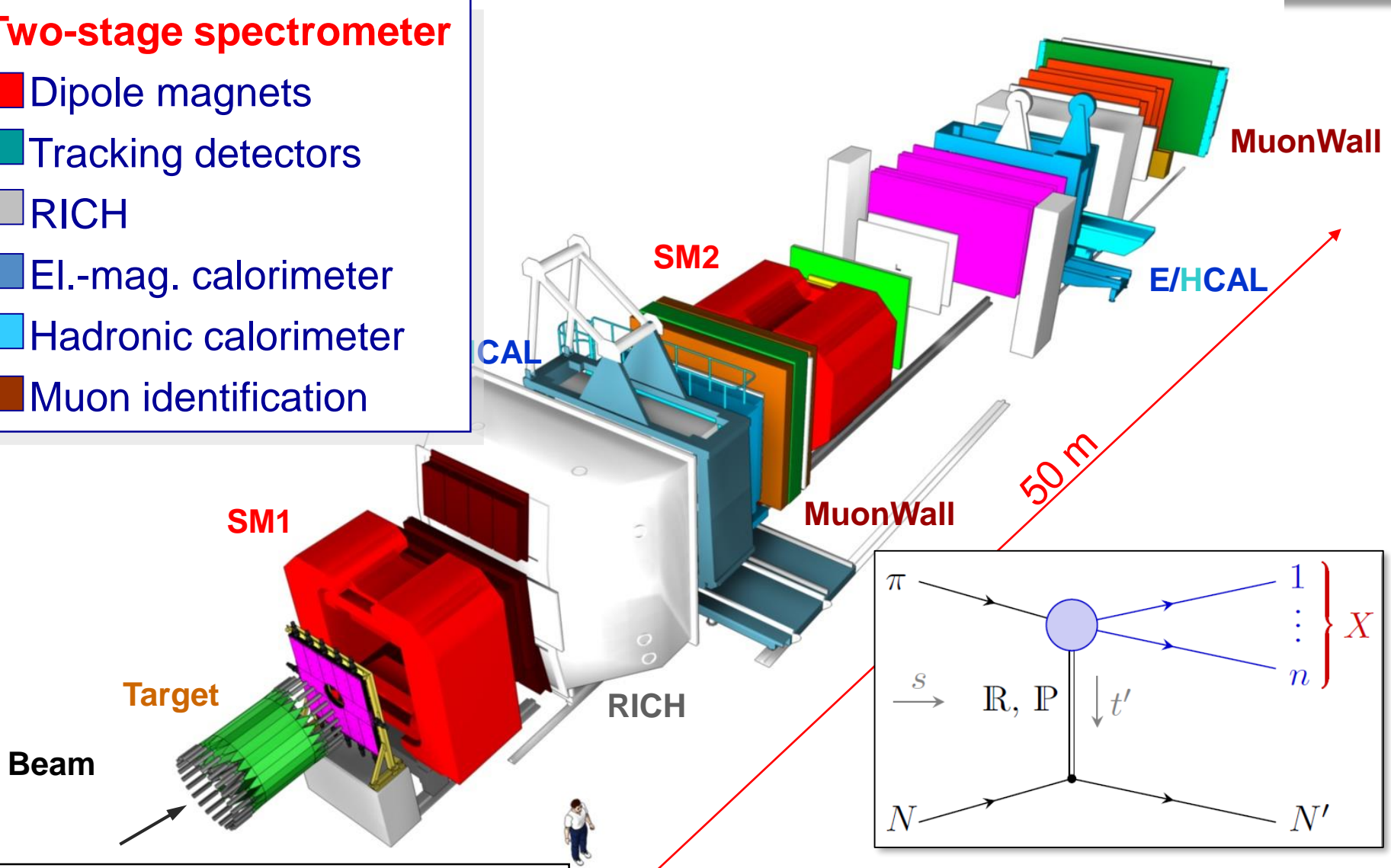
- Large data sets with small statistical uncertainties
- Complementary experiments
 - production mechanisms
 - final states
- Advanced analysis methods
 - reaction models
 - theoretical constraints



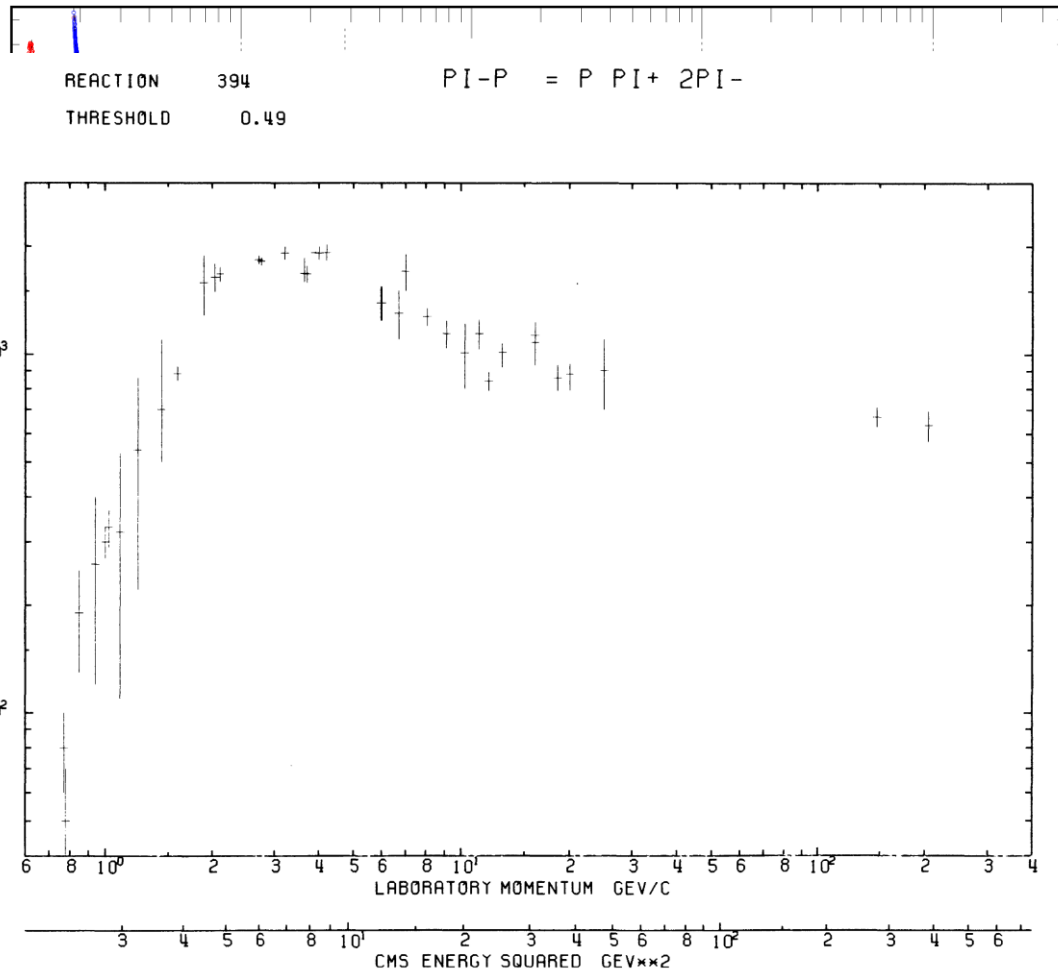
spin-exotic

Two-stage spectrometer

- Dipole magnets
- Tracking detectors
- RICH
- El.-mag. calorimeter
- Hadronic calorimeter
- Muon identification



[COMPASS, P. Abbon et al., NIM A 779, 69 (2015)]



Plots from [V. Flaminio et al., CERN-HERA 83-01, 1983]

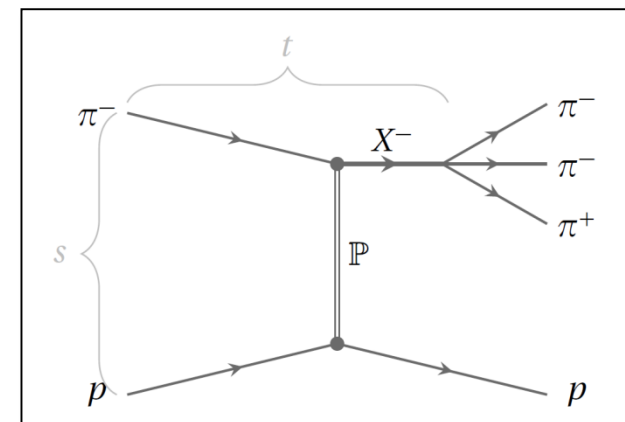
COMPASS (190 GeV):
 $\sqrt{s} = 18.9 \text{ GeV}$

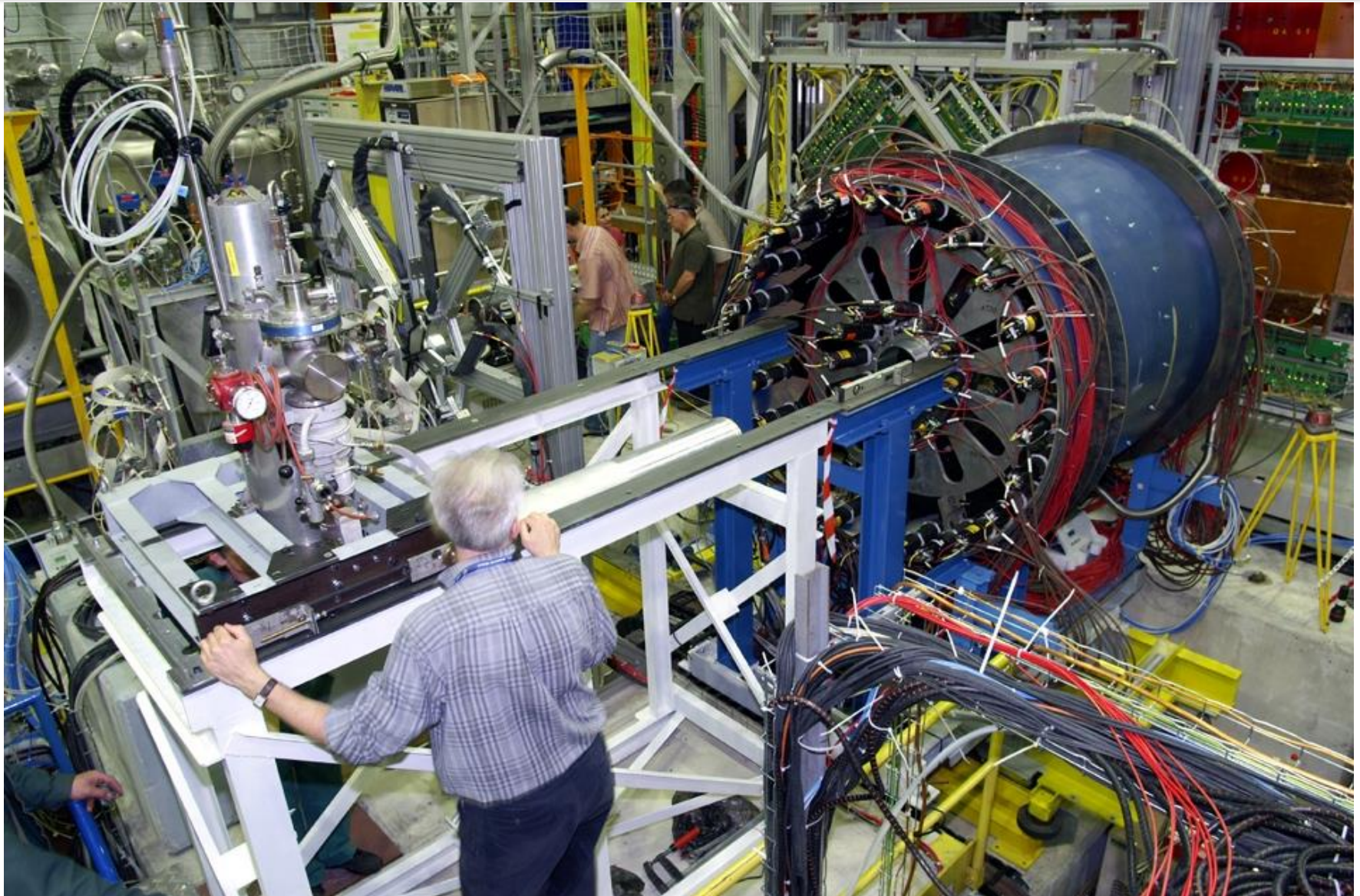
Total $\pi^- p$: 24 mb [Carroll 1979]

Elastic $\pi^- p$: 3 mb [Schiz 1981]

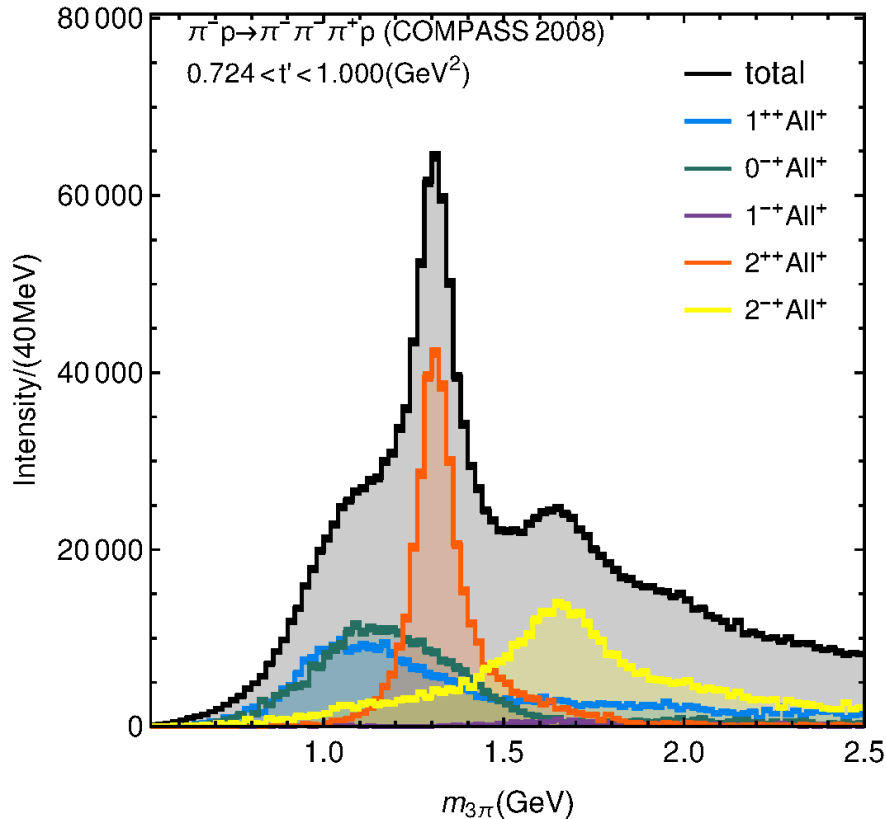
Single π diffraction (205 GeV):
 $1.9 \pm 0.2 \text{ mb}$ [Winkelmann 1974]

π diffr. into $\pi^- \pi^- \pi^+$:
 $416 \pm 50 \mu\text{b}$ [Bingham 1974]

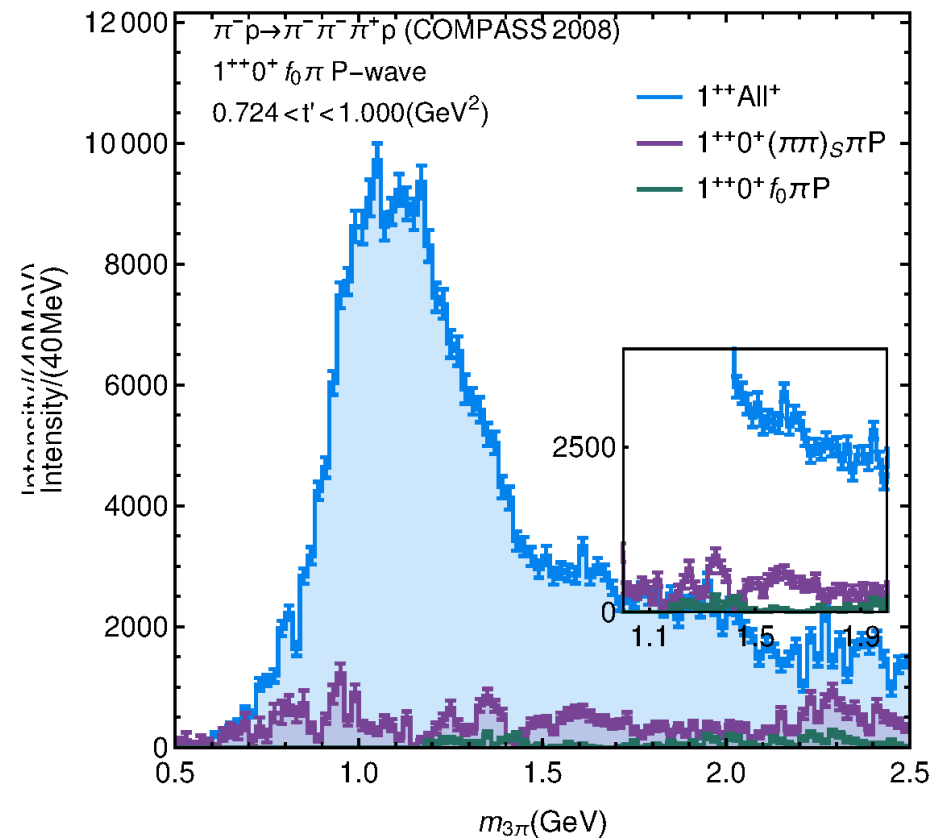




Total intensity

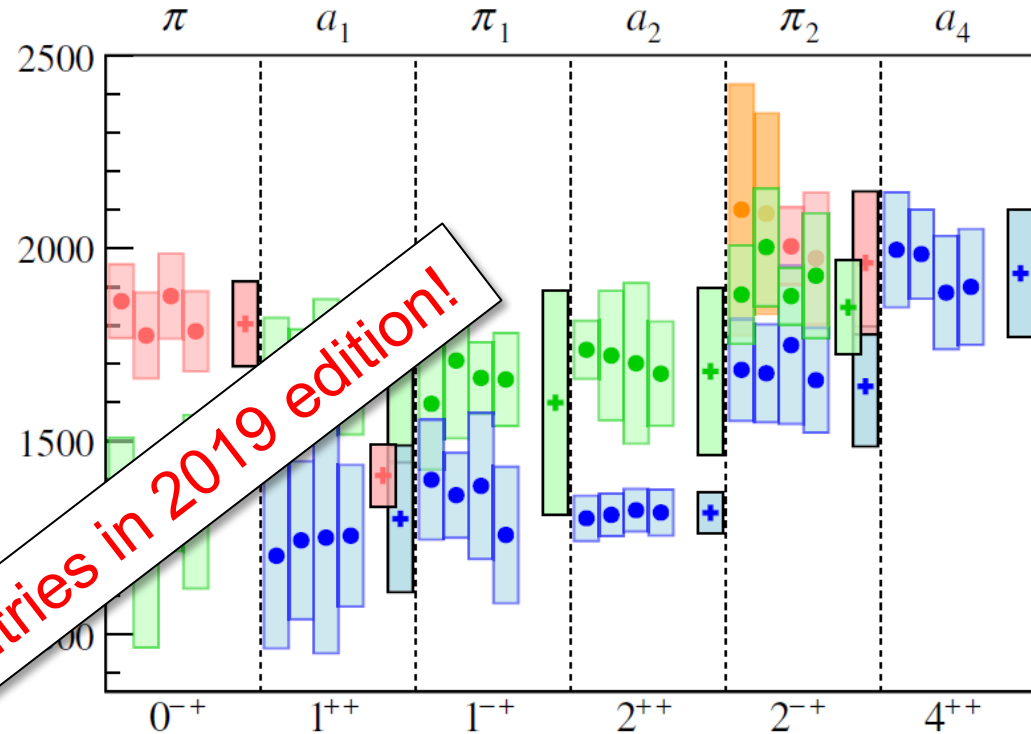
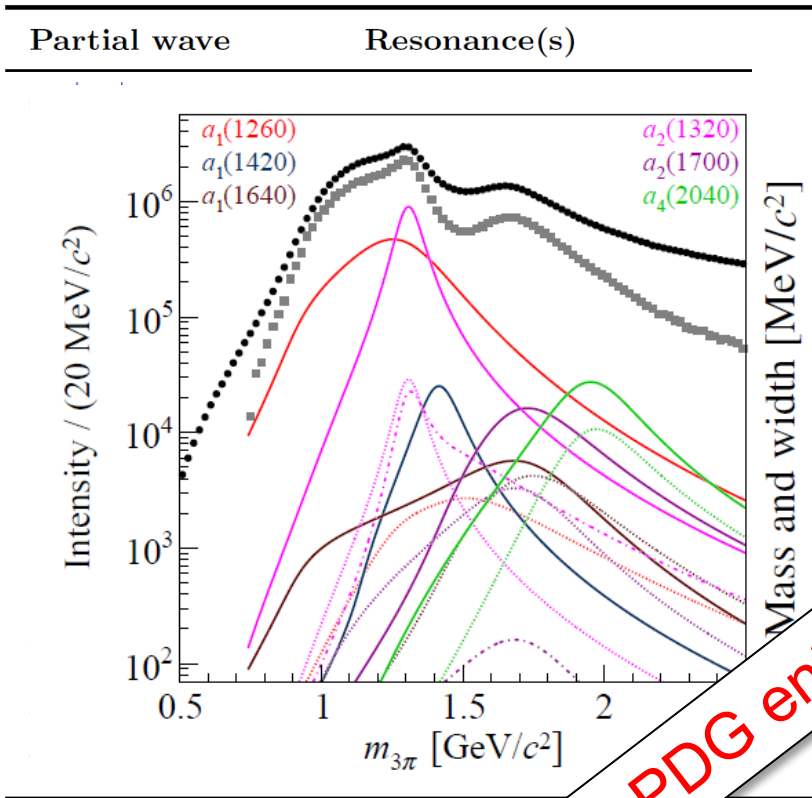


1^{++} Waves



- Largest wave-set to date: 88 waves
- Independent fits in 100 bins (20 MeV) of $m_{3\pi}$ and 11 bins of t'

[COMPASS, C. Adolph et al., PRD 95, 032004 (2017)]



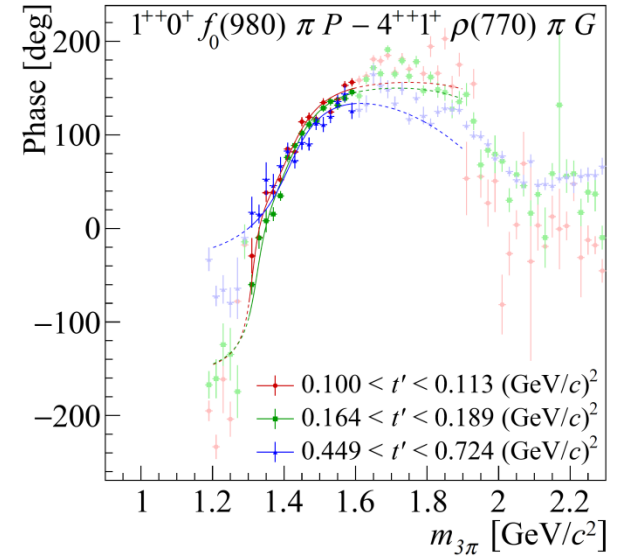
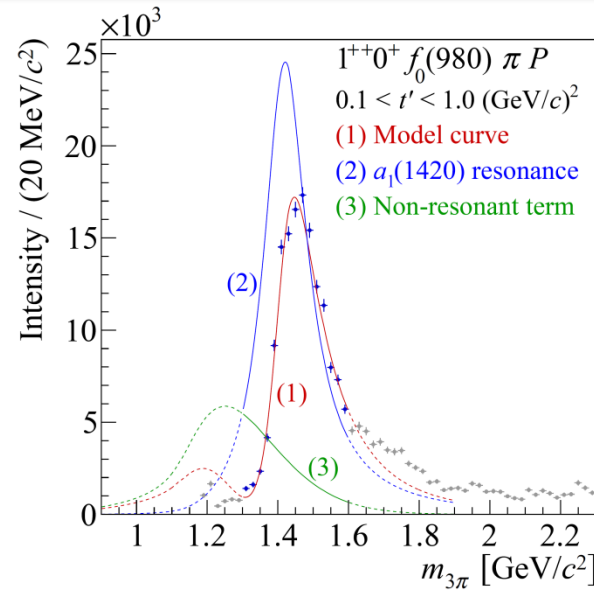
11 new PDG entries in 2019 edition!

Breit-Wigner model

- 14 waves, 11 resonances
- simultaneous over all t' slices

- previous measurements
 - + new COMPASS results
 - decay width
- colors: different excitations

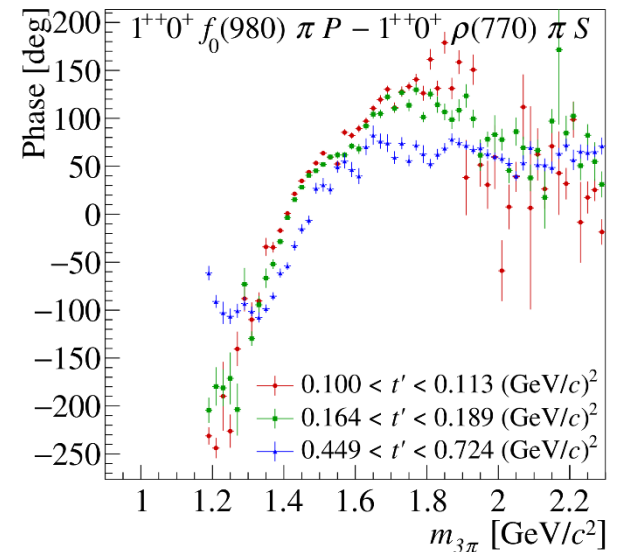
[COMPASS, M. Aghasyan et al., PRD 98, 092003 (2018)]



- Data described well by Breit-Wigner and non-resonant background
- Parameters for BW:

$$M_0 = 1414_{-13}^{+15} \text{ MeV/c}$$

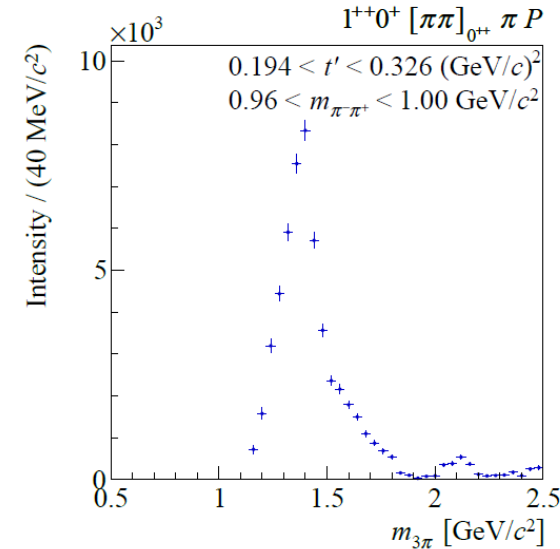
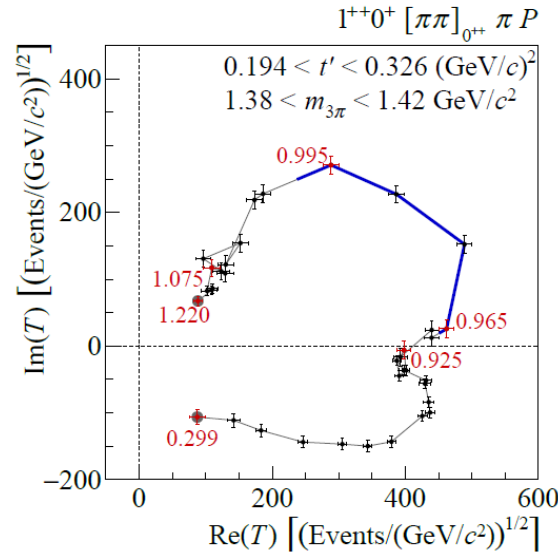
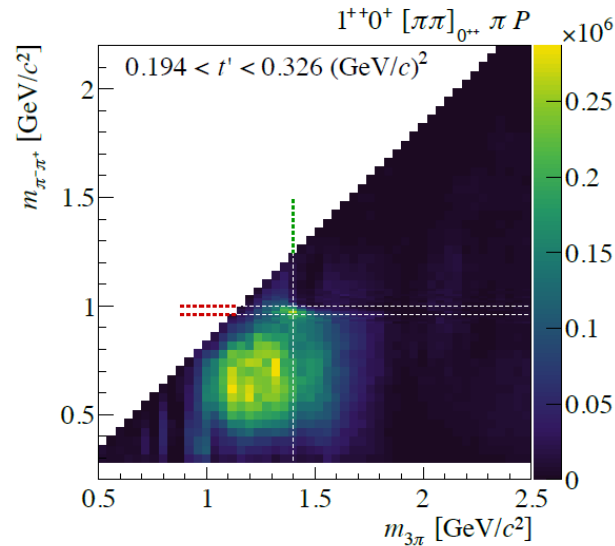
$$\Gamma_0 = 153_{-23}^{+8} \text{ MeV/c}$$
- Not an artefact of analysis (\nearrow freed isobar fit)



[C. Adolph et al., COMPASS, PRL 115, 082001 (2015)]

[C. Adolph, et al. (COMPASS Collaboration), PRD 95 (2017) 032004]

[F. Krinner et al., PRD 97 (2018) 114008]

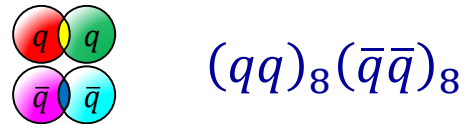


F. Krinner, Thu 9:00

Freed isobar analysis (model-independent isobar amplitude)

- Replace fixed parameterization of 2-body amplitude $J_{\text{iso}}^{PC} = 0^{++}$ by **set of free (complex) parameters in 2-body mass bins**
- No separation into several isobars
- Amplitude for $[\pi\pi]_{0^{++}}$ isobars determined from data for three $J_{3\pi}^{PC} = 0^{-+}, 1^{++}, 2^{-+}$, now also extended to $[\pi\pi]_{1^{--}}$ and $[\pi\pi]_{2^{++}}$

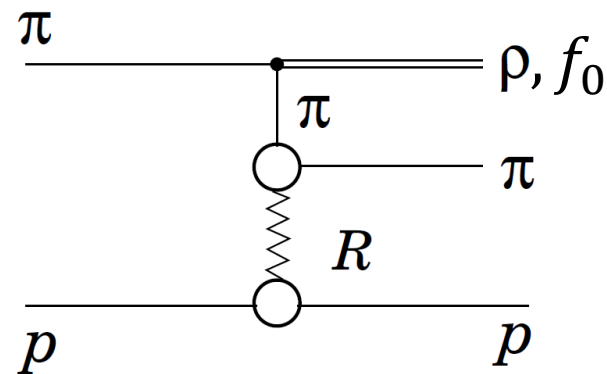
- Tetraquark state [Z.-G. Wang (2014), H.-X.Chen et al. (2015), T. Gutsche et al. (2017)]



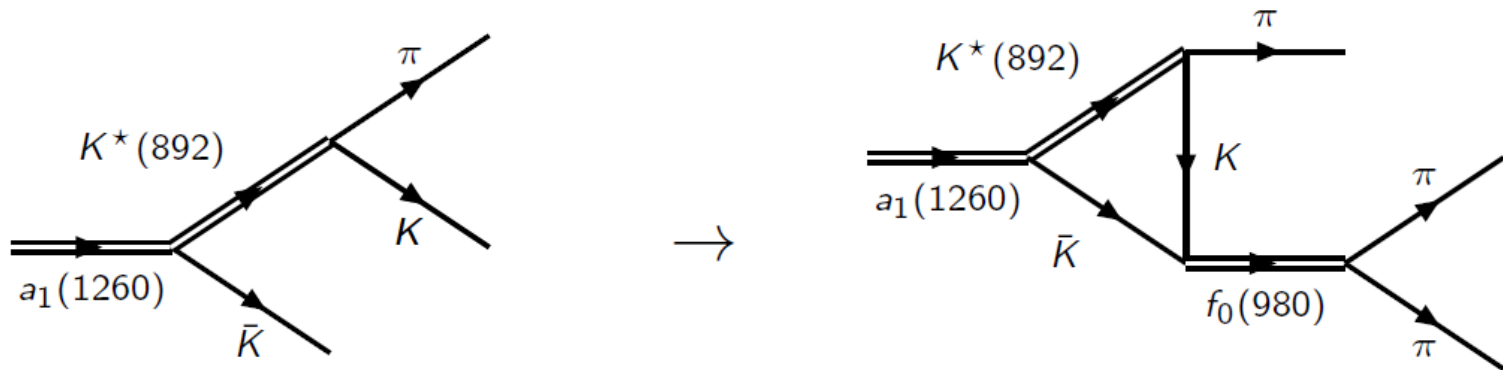
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- $K^* \bar{K}$ molecule [T. Gutsche et al. (2017)]



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- Interference of Deck $\rho\pi$ S and $f_0\pi$ P -wave [J.-L. Basdevant et al. (2015)]

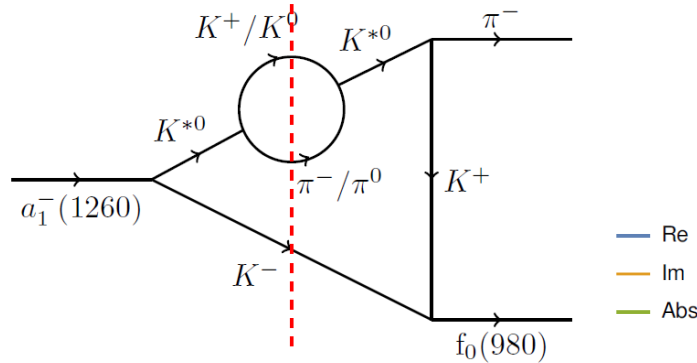


- Tetraquark state [Z.-G. Wang (2014), H.-X.Chen et al. (2015), T. Gutsche et al. (2017)]
- $K^* \bar{K}$ molecule [T. Gutsche et al. (2017)]
- Interference of Deck $\rho\pi S$ and $f_0\pi P$ -wave [J.-L. Basdevant et al. (2015)]
- Triangle singularity [M. Mikhasenko et al., PRD 91, 094015 (2015), F. Aceti, PRD 94, 096015 (2016)]

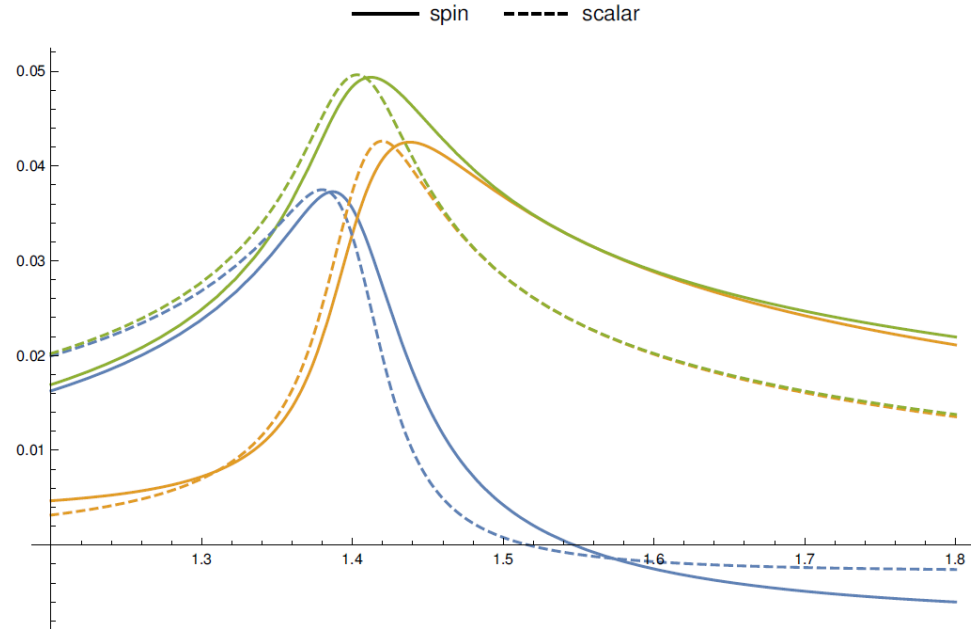


- Decay of $a_1(1260) \rightarrow K^* \bar{K}$ above threshold
- Final-state rescattering of $K \bar{K}$ to $f_0(980)$
 - ⇒ logarithmic singularity of amplitude if particles close to mass shell

Scalar case:

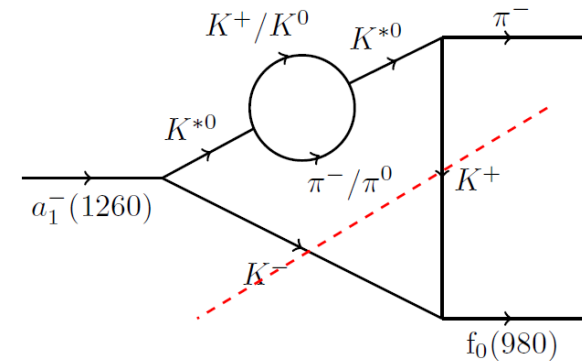
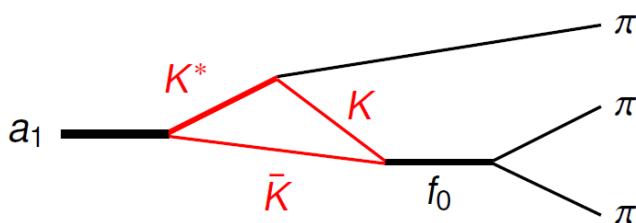


- dispersive approach
- all particles treated as scalars
- finite width of K^* included

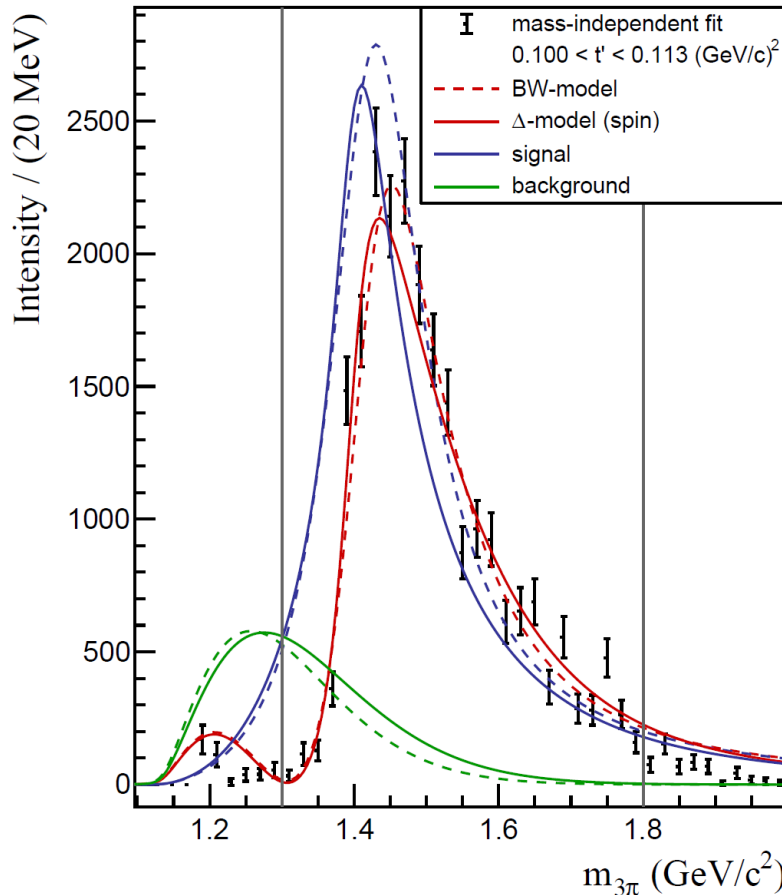


Take into account spins:

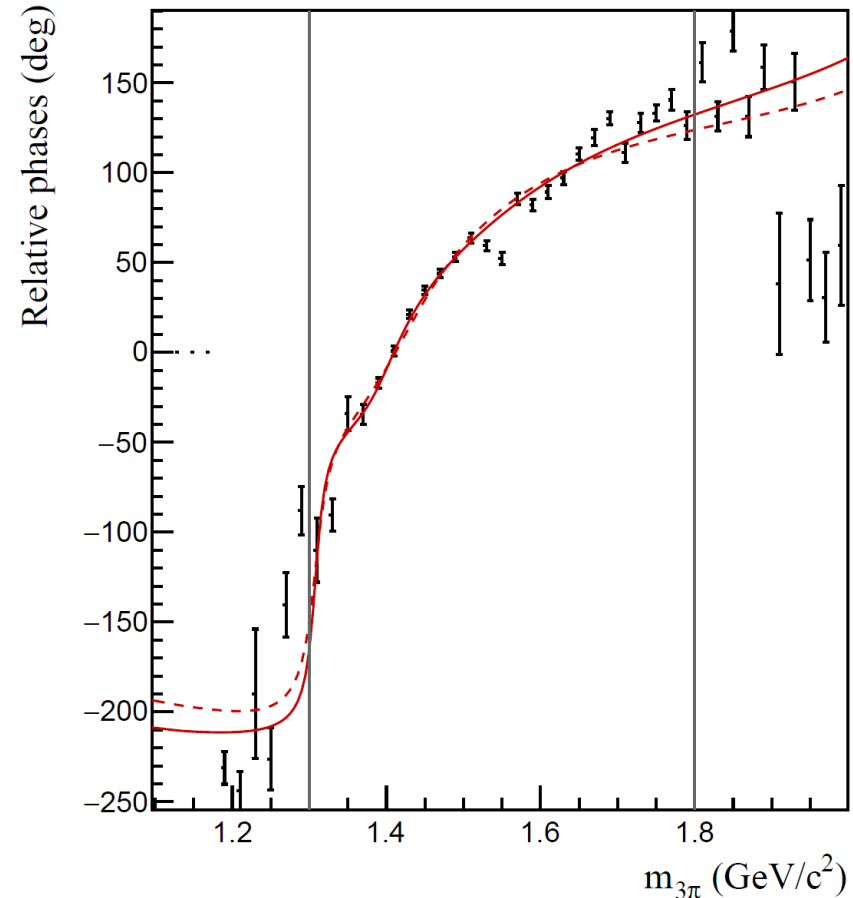
- partial-wave projection method



$J^{PC}M^{\epsilon}=1^{++}0^{+} f_0\pi P$ - Intensity



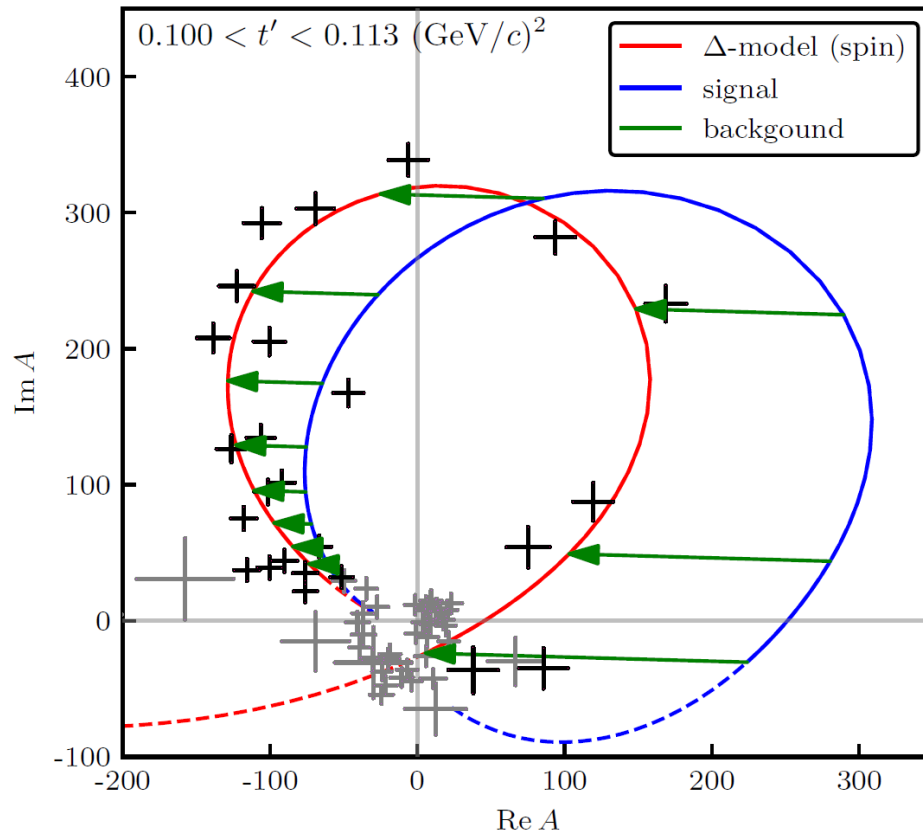
$J^{PC}M^{\epsilon}=1^{++}0^{+} (\rho\pi S - f_0\pi P)$ - Interference



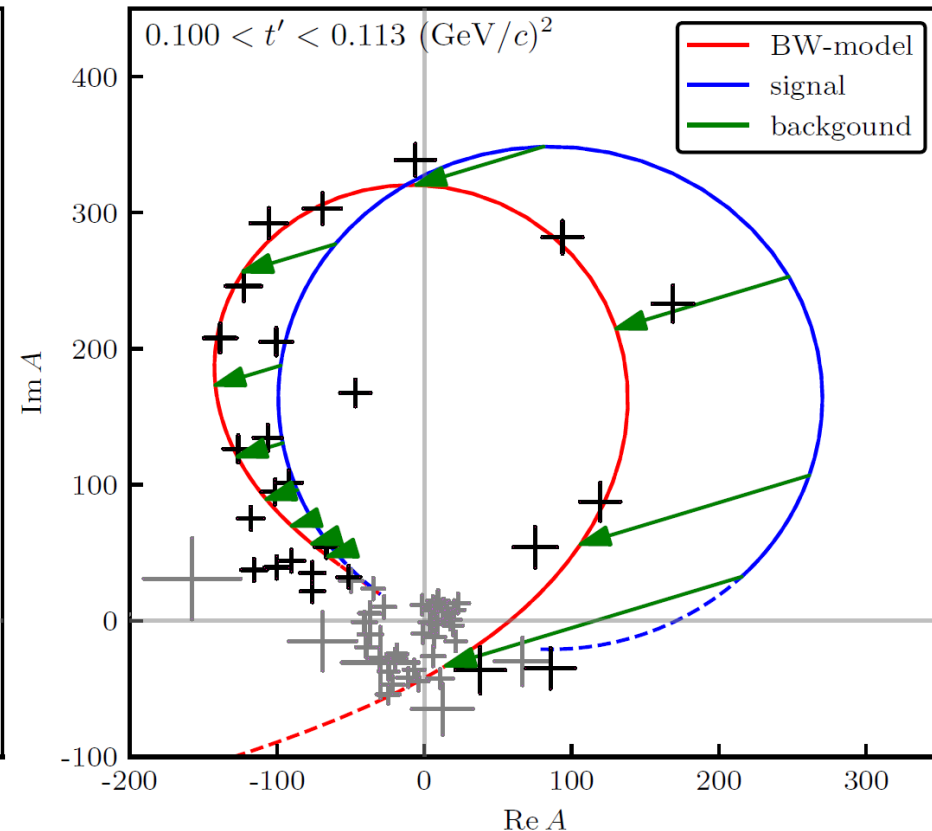
- Similar χ_{red}^2 for both fits (slightly better for triangle)
- No new free parameters for $a_1(1420)$ signal by triangle mechanism

- Phase motion of pure triangle diagram is only $\sim 90^\circ$
- Observed phase motion close to 180° produced by shift due to background

Amplitude of the $J^{PC} M^e = 1^{++} 0^+ f_0 \pi$ P -wave



Amplitude of the $J^{PC} M^e = 1^{++} 0^+ f_0 \pi$ P -wave



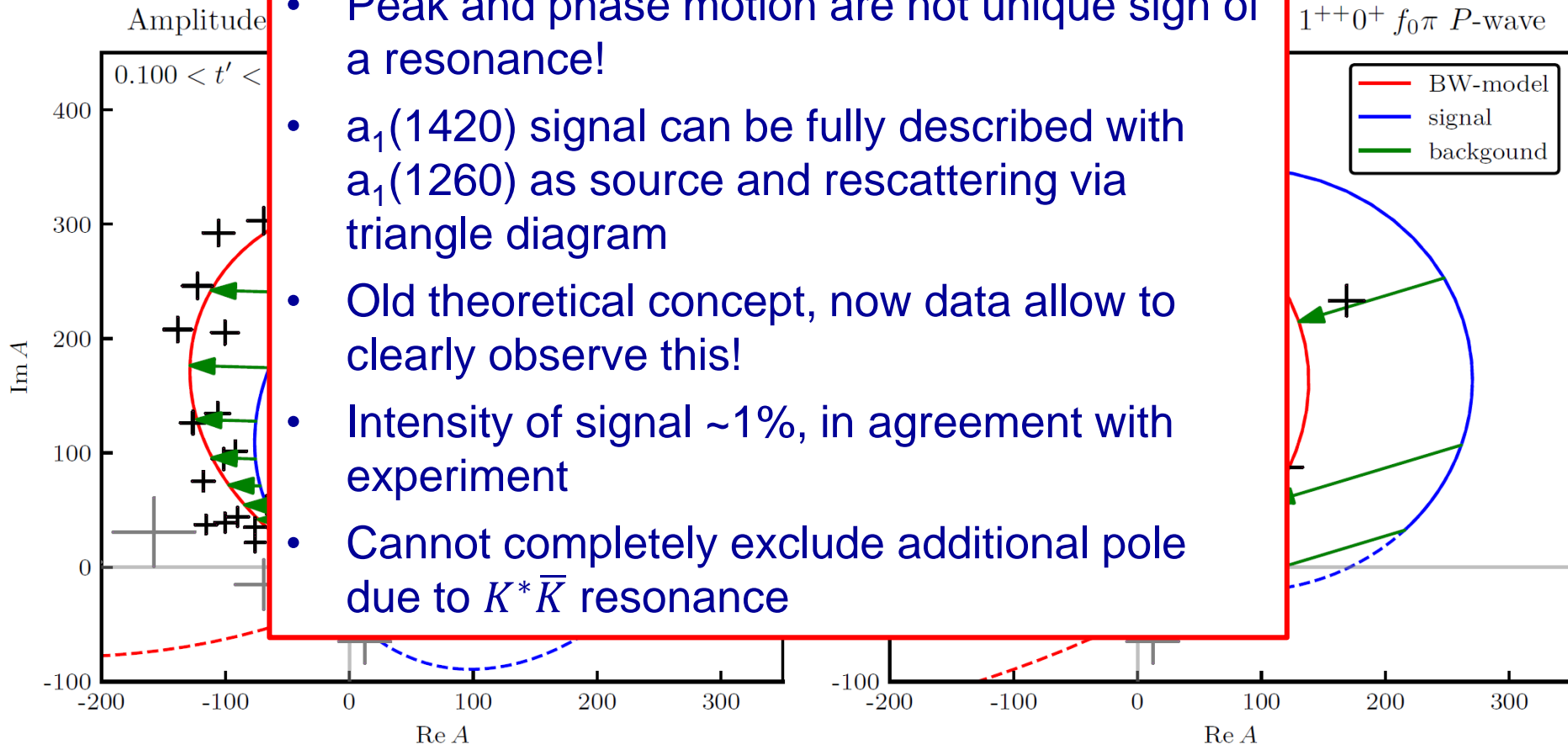
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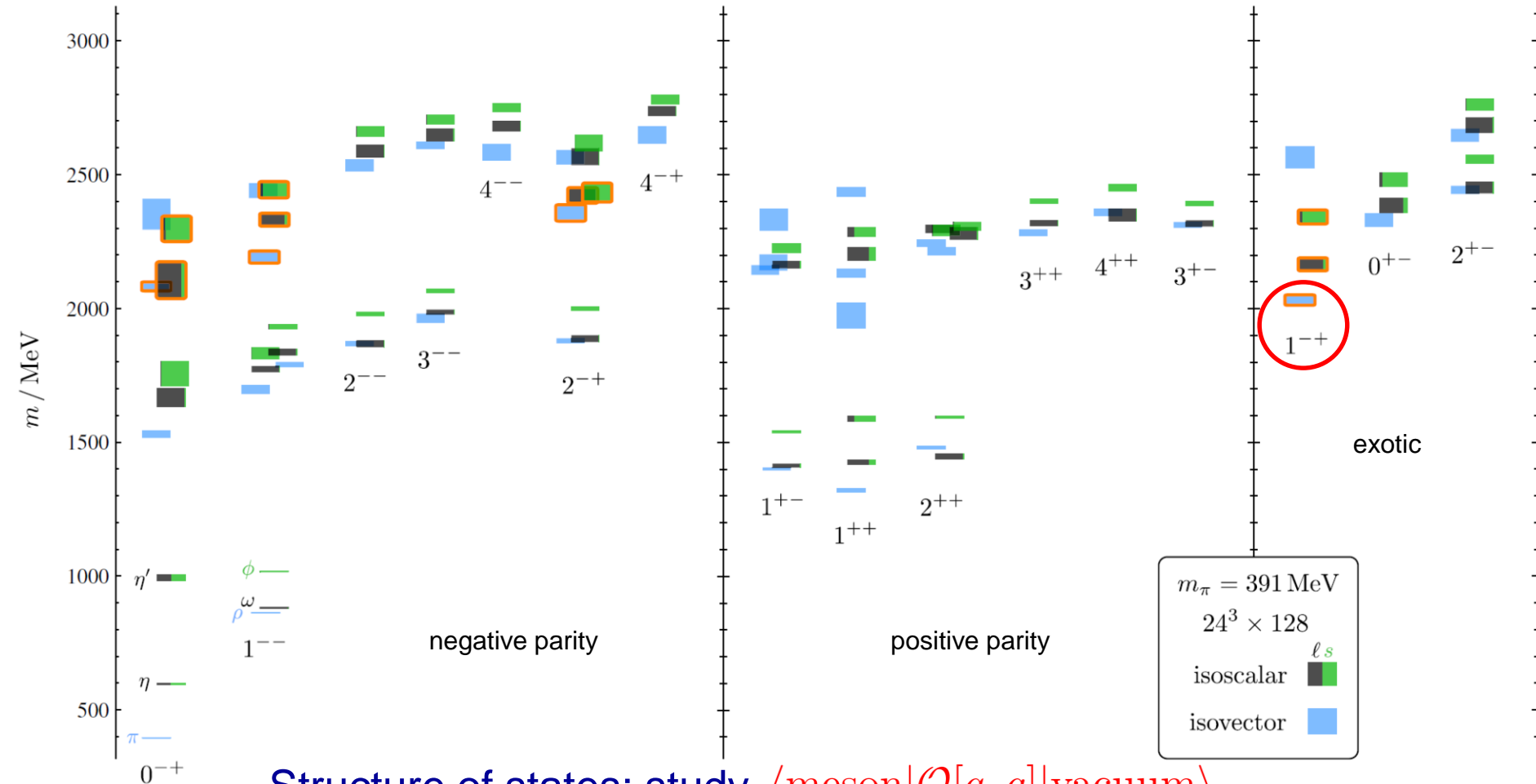
- Observed **Summary for $a_1(1420)$**

- Peak and phase motion are not unique sign of a resonance!
- $a_1(1420)$ signal can be fully described with $a_1(1260)$ as source and rescattering via triangle diagram
- Old theoretical concept, now data allow to clearly observe this!
- Intensity of signal $\sim 1\%$, in agreement with experiment
- Cannot completely exclude additional pole due to $K^*\bar{K}$ resonance

to background

$1^{++}0^+ f_0\pi$ P-wave

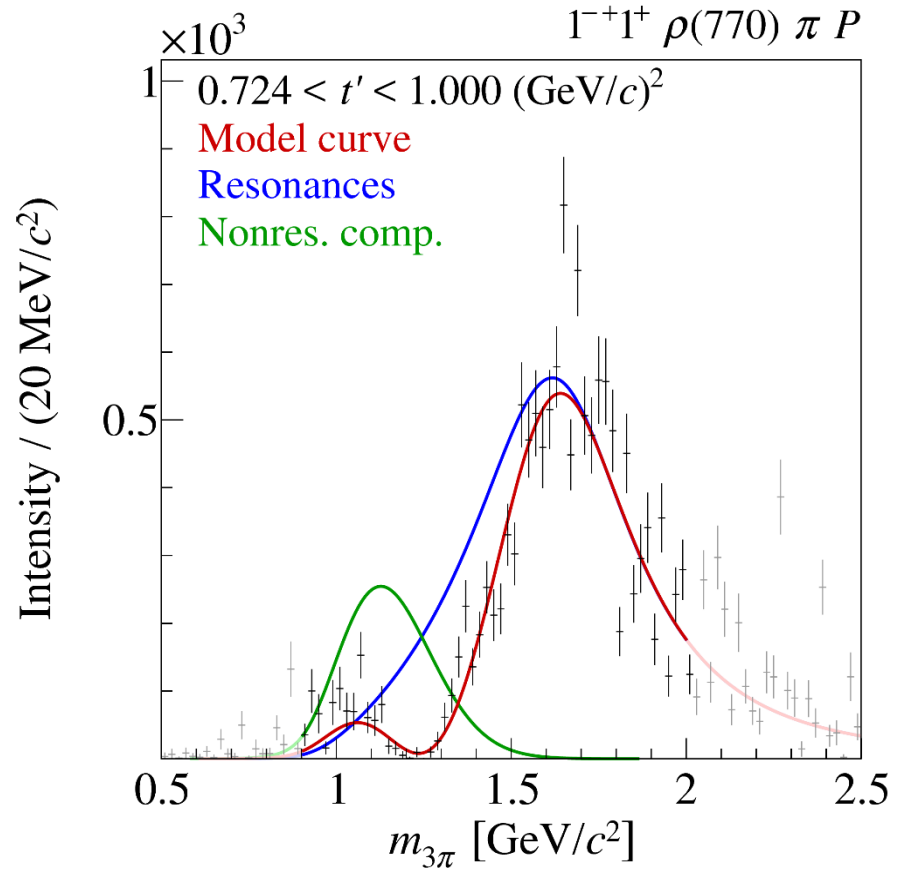
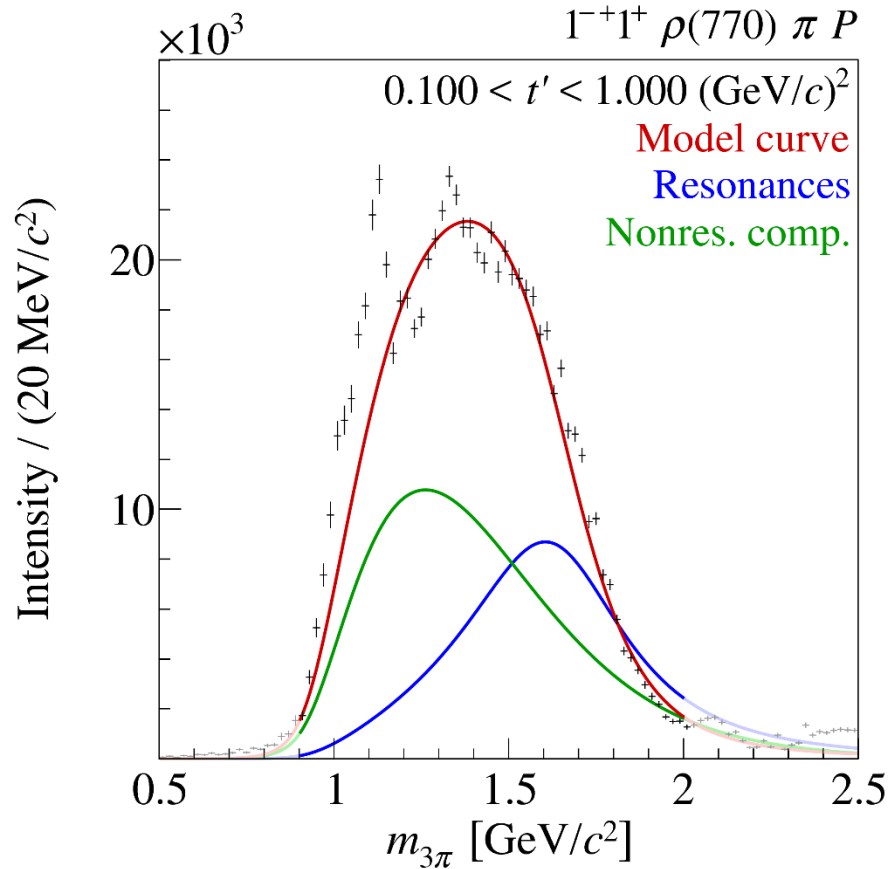




Structure of states: study $\langle \text{meson} | \mathcal{O}[q, g] | \text{vacuum} \rangle$

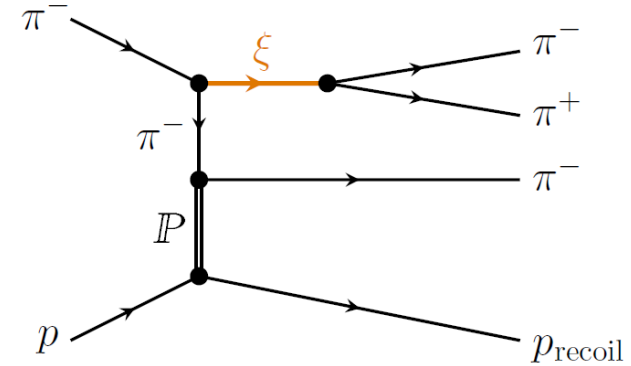
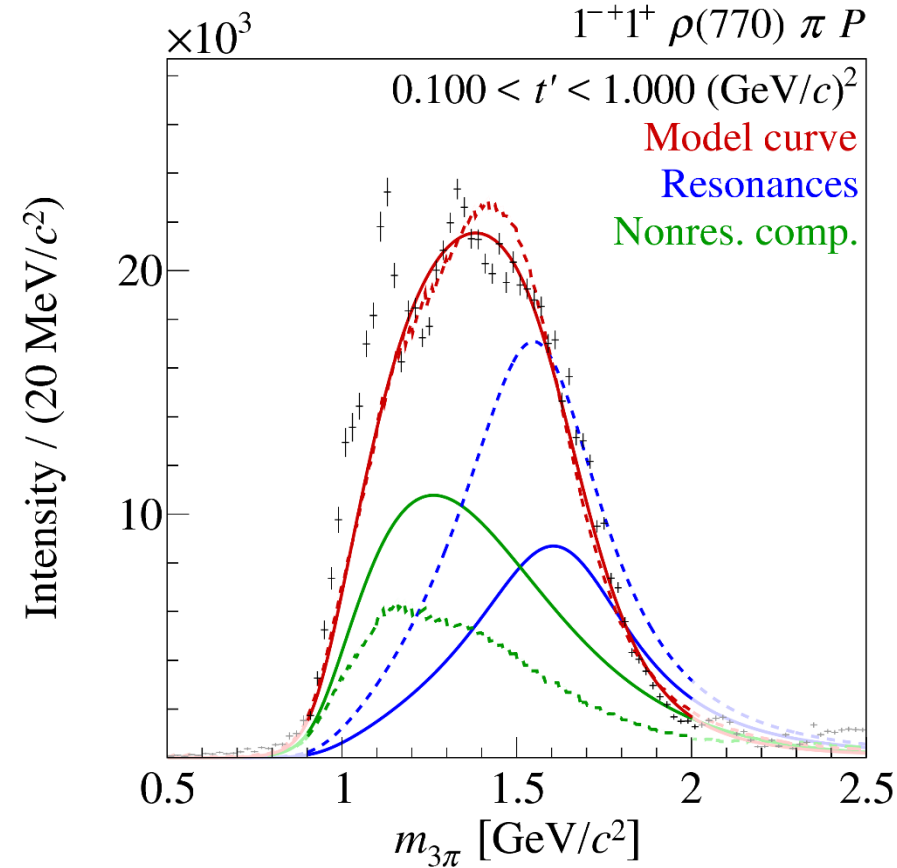
with e.g. $\mathcal{O}[q, g] \sim {}^3S_1, {}^3D_1, {}^1\text{hyb}_1$

$m_\pi = 391 \text{ MeV}$
 $24^3 \times 128$
 isoscalar ℓs
 isovector



- Resonance-model fit to spin-density matrix: 14 waves
- Exploit t' dependence to separate resonant and non-resonant contributions

[M. Aghasyan et al. (COMPASS), Phys. Rev. D 98, 092003 (2018)]



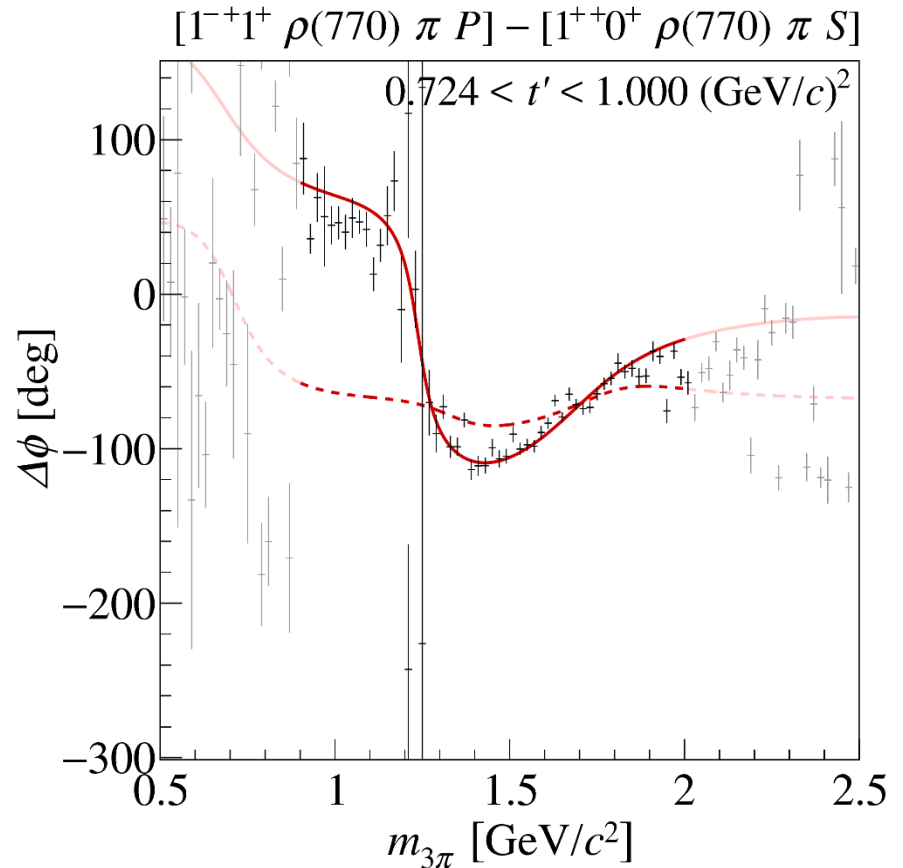
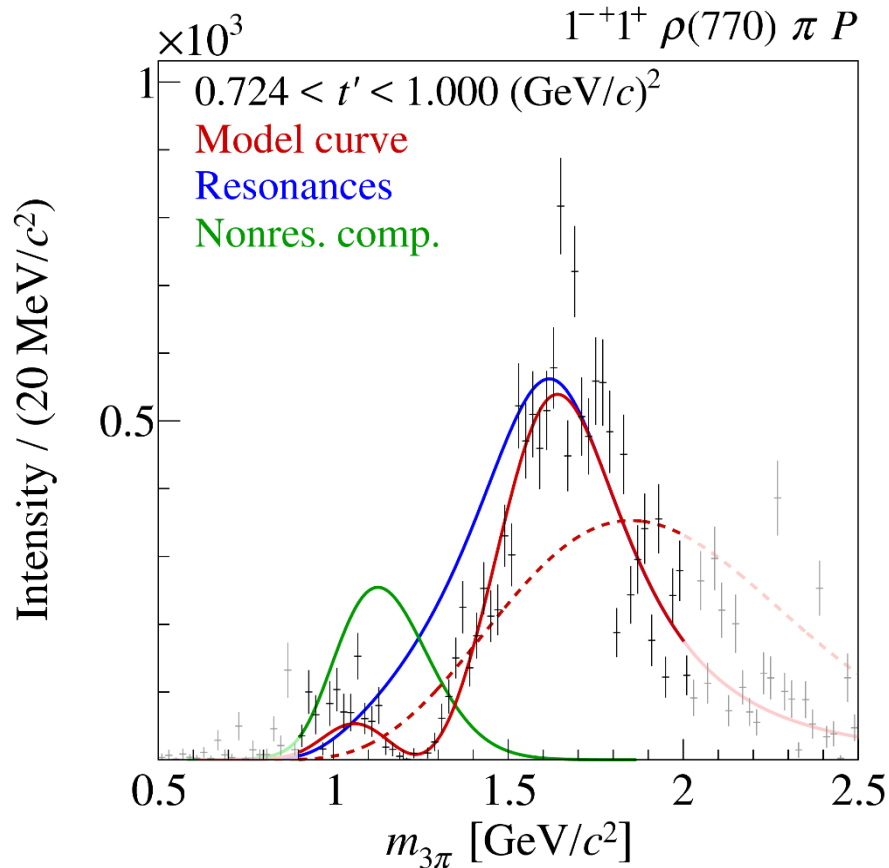
- Background shape in agreement with Deck-model studies
- Resonance parameters for $\pi_1(1600)$

$$M_0 = 1600_{-60}^{+110} \text{ MeV}/c^2$$

$$\Gamma_0 = 580_{-230}^{+100} \text{ MeV}/c^2$$

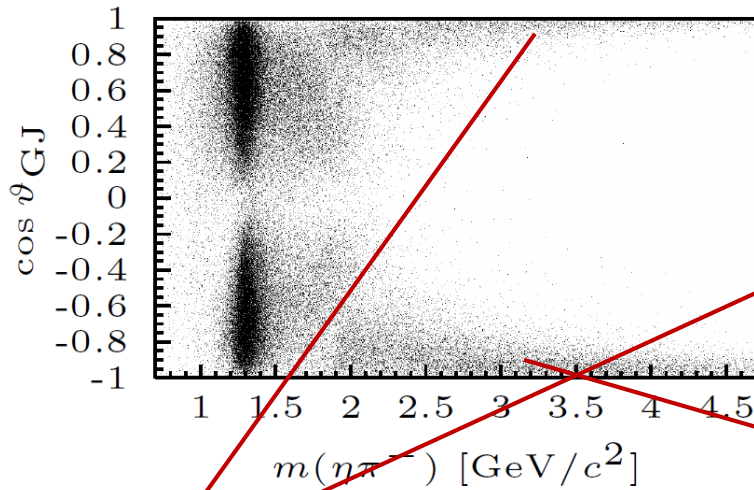
- Bad description of data without resonance component

[M. Aghasyan et al. (COMPASS), Phys. Rev. D 98, 092003 (2018)]

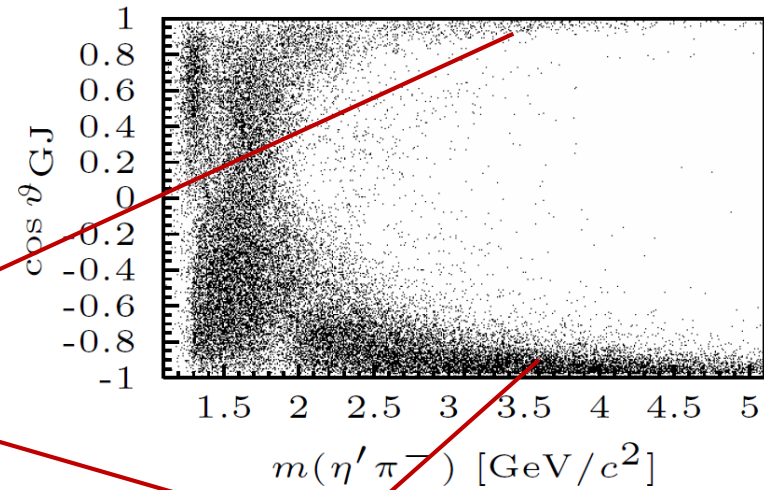


Bad description of data without resonance component

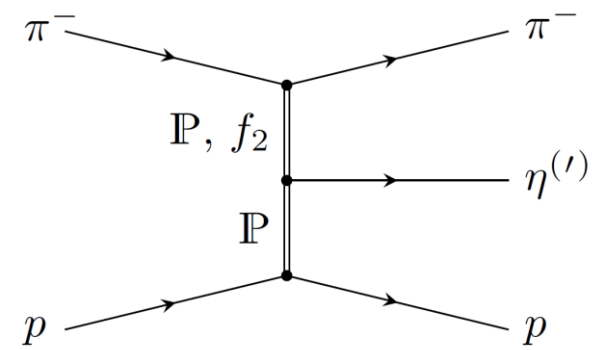
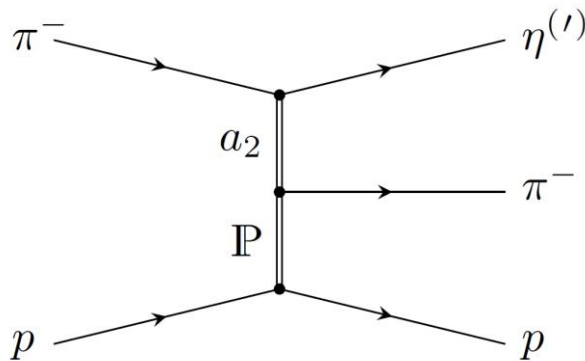
$\Rightarrow \pi_1(1600)$ needed to describe data



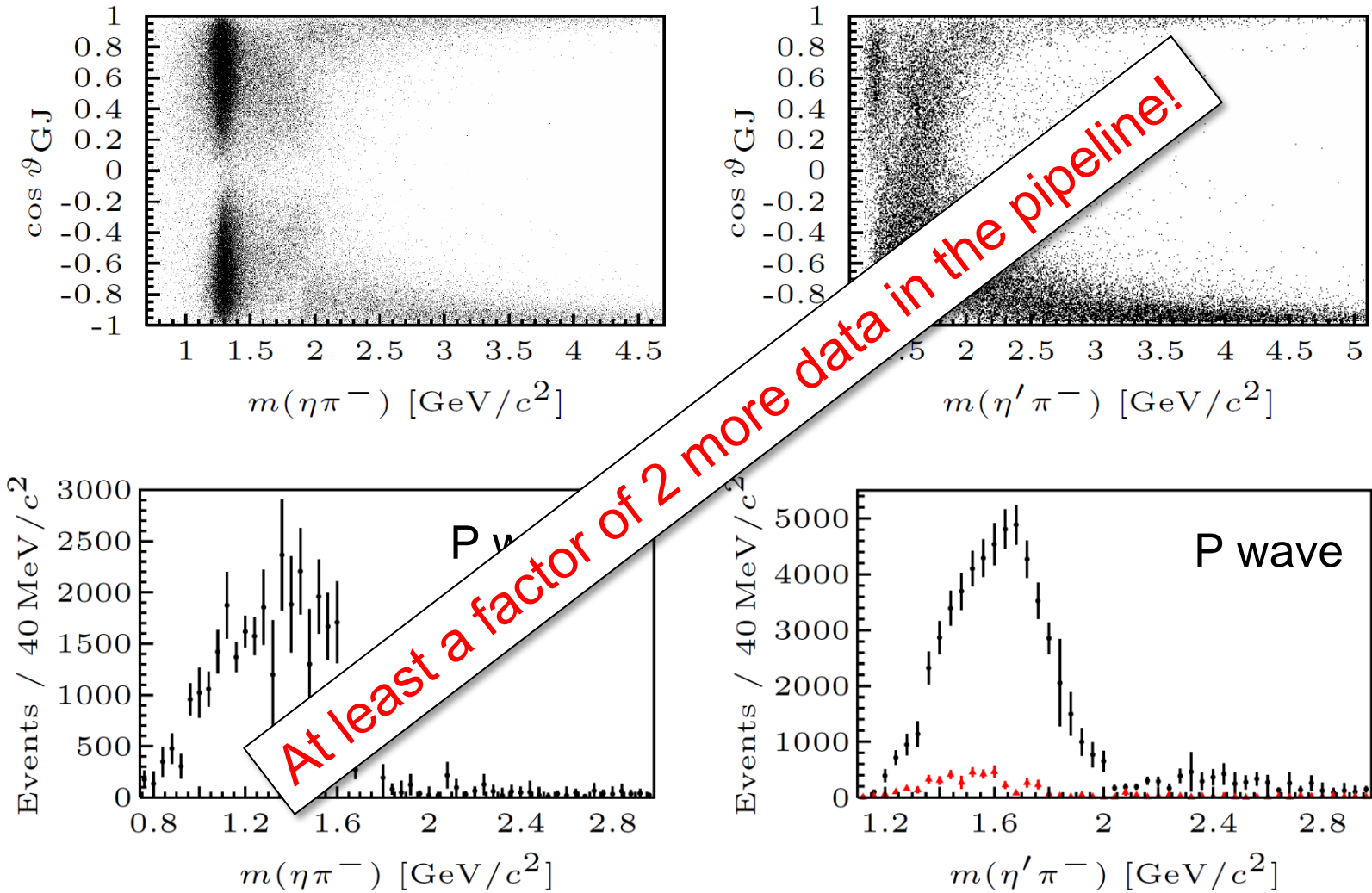
Forward $\eta^{(\prime)}$



Backward $\eta^{(\prime)}$

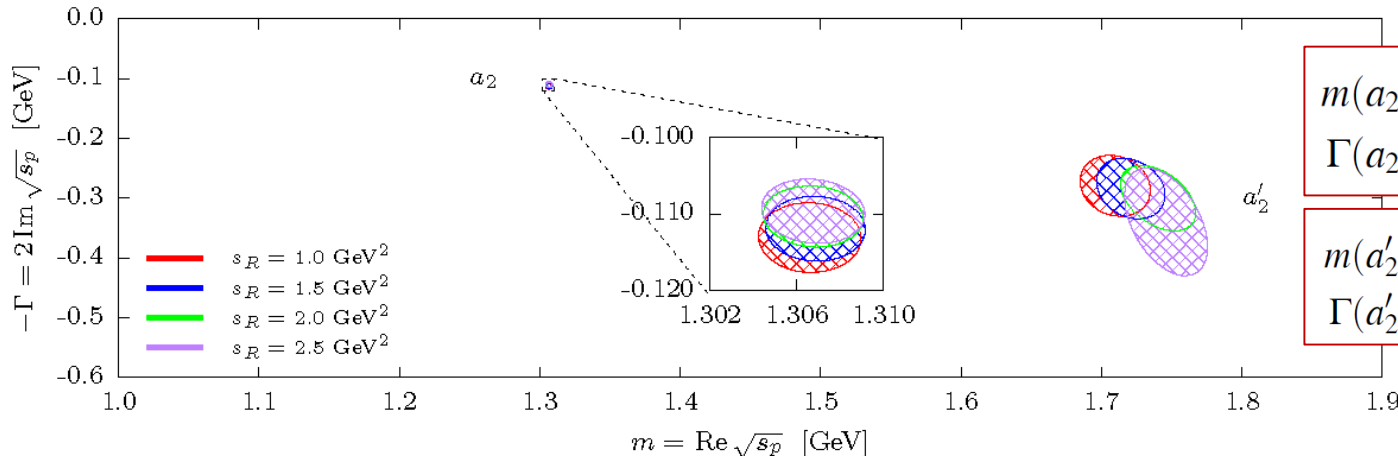
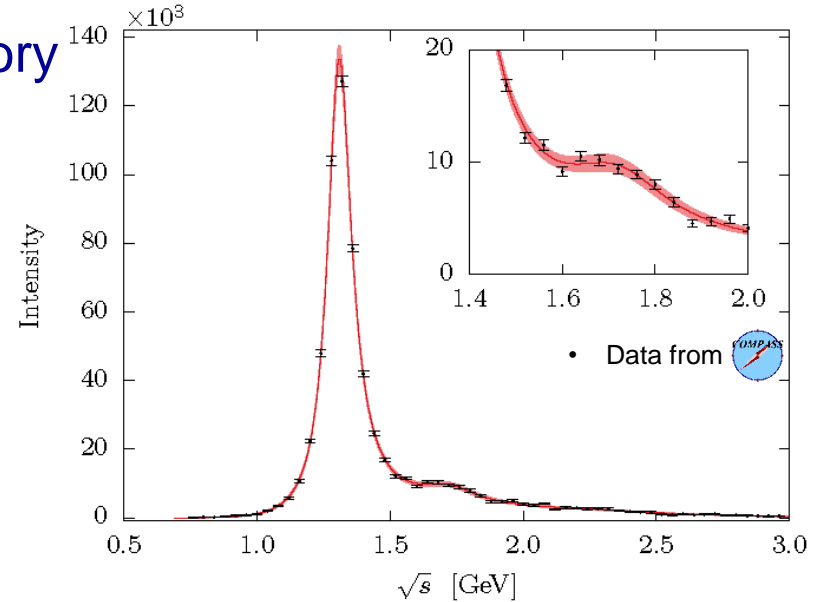
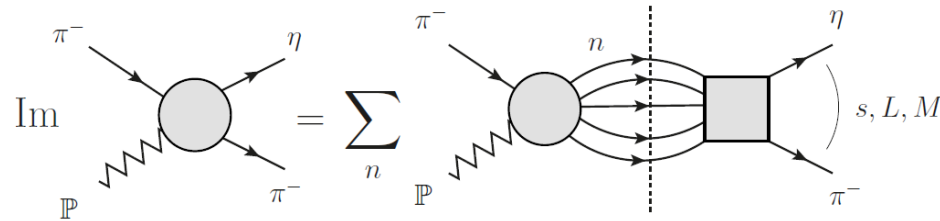


[C. Adolph (COMPASS), Phys. Lett. B 740, 303 (2015)]



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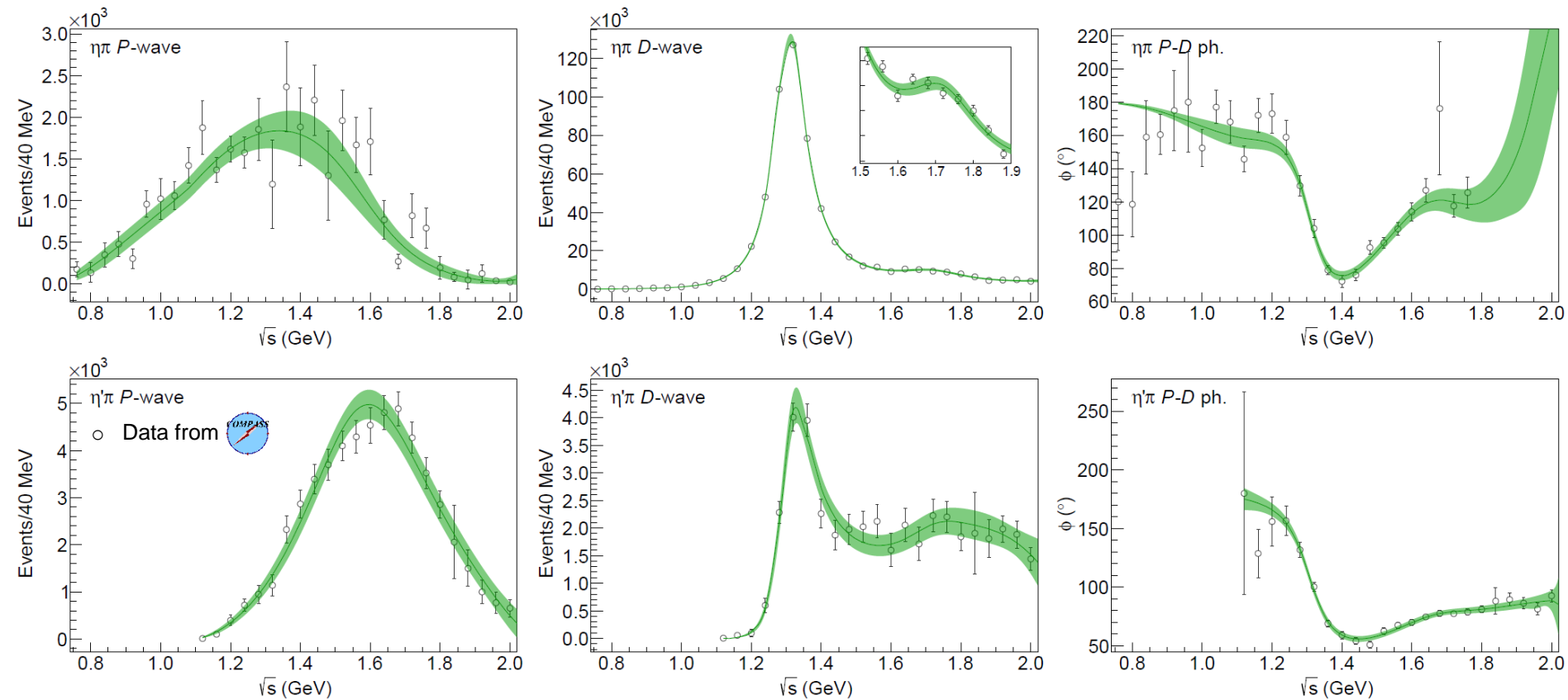
- Analytical model based on S-matrix theory
- Test case: $\eta\pi$ *D*-wave
- Unitarity: $\text{Im } \hat{a}(s) = \rho(s) \hat{f}^*(s) \hat{a}(s)$



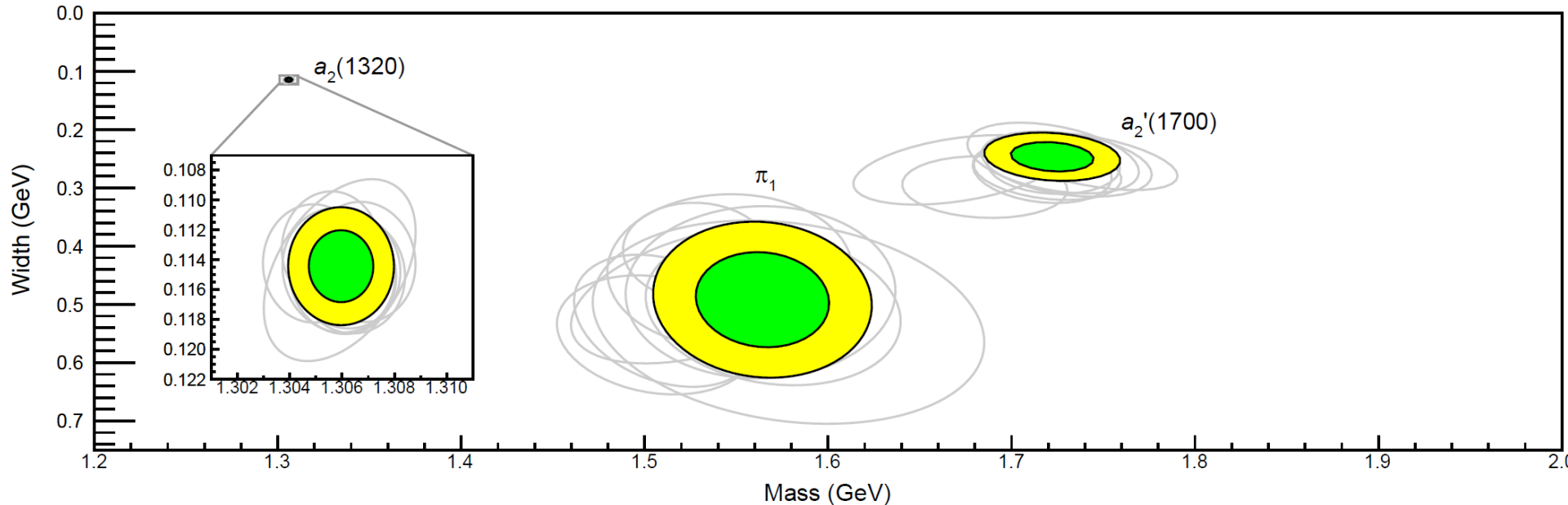
$m(a_2) = (1307 \pm 1 \pm 6) \text{ MeV},$
 $\Gamma(a_2) = (112 \pm 1 \pm 8) \text{ MeV},$

$m(a'_2) = (1720 \pm 10 \pm 60) \text{ MeV},$
 $\Gamma(a'_2) = (280 \pm 10 \pm 70) \text{ MeV},$

[A. Jackura et al. (JPAC, COMPASS), Phys. Lett. B 779, 464 (2018)]



[A. Rodas et al. (JPAC), Phys. Rev. Lett. 122, 042002 (2019)]



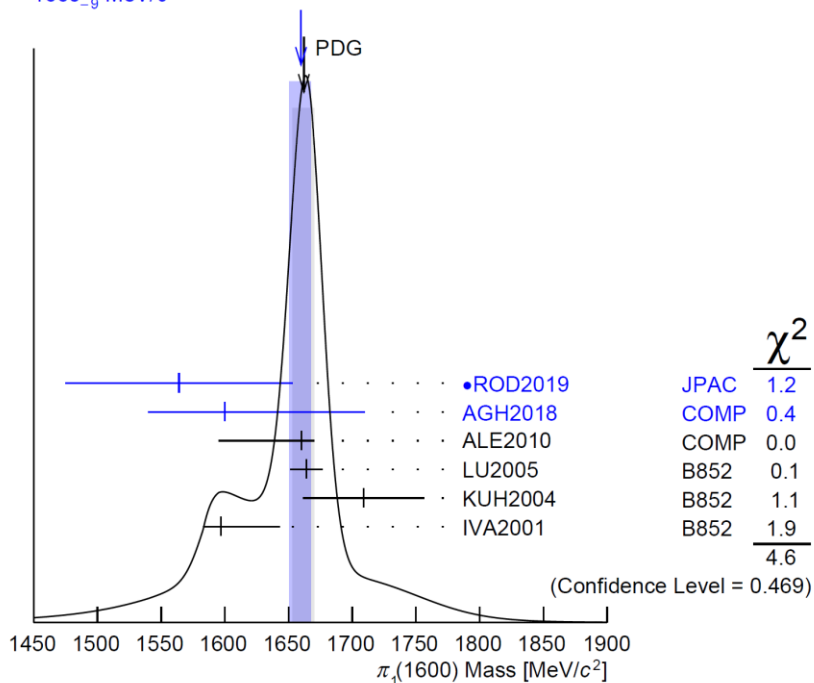
- only a single pole needed to describe both $\eta\pi$ and $\eta'\pi$ peaks
- consistent with $\pi_1(1600)$

Poles	Mass (MeV)	Width (MeV)
$a_2(1320)$	$1306.0 \pm 0.8 \pm 1.3$	$114.4 \pm 1.6 \pm 0.0$
$a_2'(1700)$	$1722 \pm 15 \pm 67$	$247 \pm 17 \pm 63$
π_1	$1564 \pm 24 \pm 86$	$492 \pm 54 \pm 102$

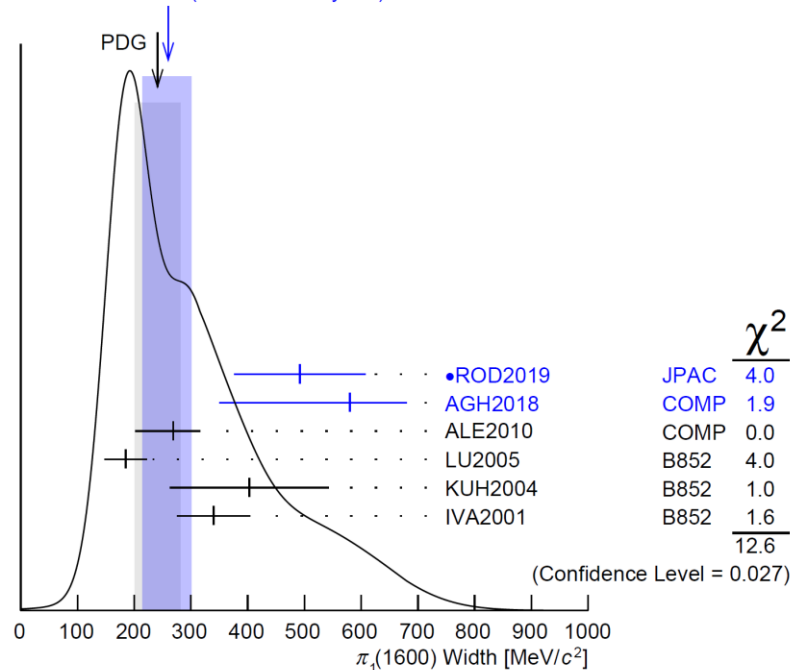
[A. Rodas et al. (JPAC), Phys. Rev. Lett. 122, 042002 (2019)]

- Resonant nature of signal in $J^{PC} = 1^{-+}$ established from COMPASS 3π data
- Coupled-channel analysis for $\eta\pi$ and $\eta'\pi$ using a unitary model only requires one single pole to describe P-wave peaks at 1.4 and 1.6 GeV
- Fit allows to extract pole position of lightest hybrid meson for first time

Weighted Average
 $1660^{+8}_{-9} \text{ MeV}/c^2$



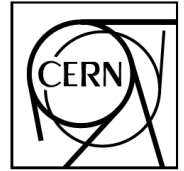
Weighted Average
 $260 \pm 40 \text{ MeV}/c^2$ (Error scaled by 1.6)



- Hadron spectroscopy is entering **precision era**
- Extremely large data samples with π and μ beams from COMPASS
- Very small statistical uncertainties for dominating resonances
 - ⇒ systematic **model uncertainties** dominate
 - ⇒ multi-dimensional **PWA in bins of m_X and t'**
- **14 new PDG entries** (Jan. 2019) based on COMPASS data (3 w/ JPAC)
- Small signals and effects can be studied for the first time
- Spin-exotic $\pi_1(1600)$: (re-) observed by COMPASS
 - ⇒ resonant nature established
 - ⇒ one single pole sufficient to describe peaks at 1.4 and 1.6 GeV
- New axial vector signal observed in $a_1(1420) \rightarrow f_0(980)\pi$
 - ⇒ has all features of a genuine resonance
 - ⇒ data can be described by triangle singularity

- Strongly coupled QCD still far from being understood
- Identify (exotic) multiplets and measure decay patterns
- Need large data samples for
 - complementary production mechanisms
 - different final states
- Advanced analysis methods
 - simple BW fits may be misleading
 - reaction models satisfying principles of S-matrix theory
- Advances in Lattice QCD (multi-particle scattering states)
- A new QCD facility is proposed at the M2 beamline of CERN SPS from 2022 onwards

EUROPEAN ORGANIZATION FOR NUCLEAR RESEARCH



Letter of Intent (Draft 2.0)

A New QCD facility at the M2 beam line of the CERN SPS

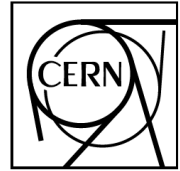
October 17, 2018

Proton radius measurement using muon-proton elastic scattering
Hard exclusive reactions using a muon beam and a transversely polarised target
Drell-Yan and charmonium production
Measurement of antiproton production cross sections for Dark Matter Search
Spectroscopy with low-energy antiprotons
Spectroscopy of kaons
Study of the gluon distribution in the kaon via prompt-photon production
Low-energy tests of QCD using Primakoff reactions
Production of vector mesons and excited kaons off nuclei

<https://arxiv.org/abs/1808.00848>

arXiv:1808.00848v3 [hep-ex] 15 Oct 2018

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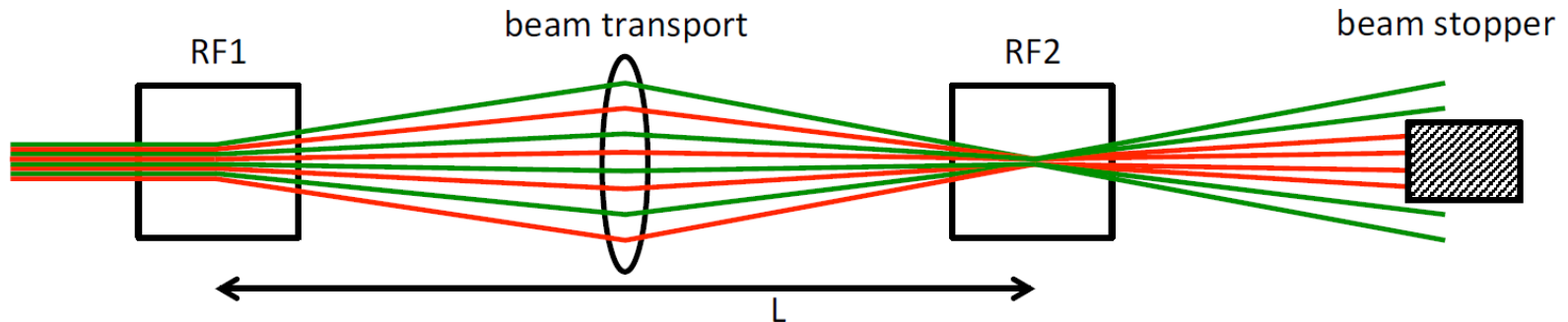
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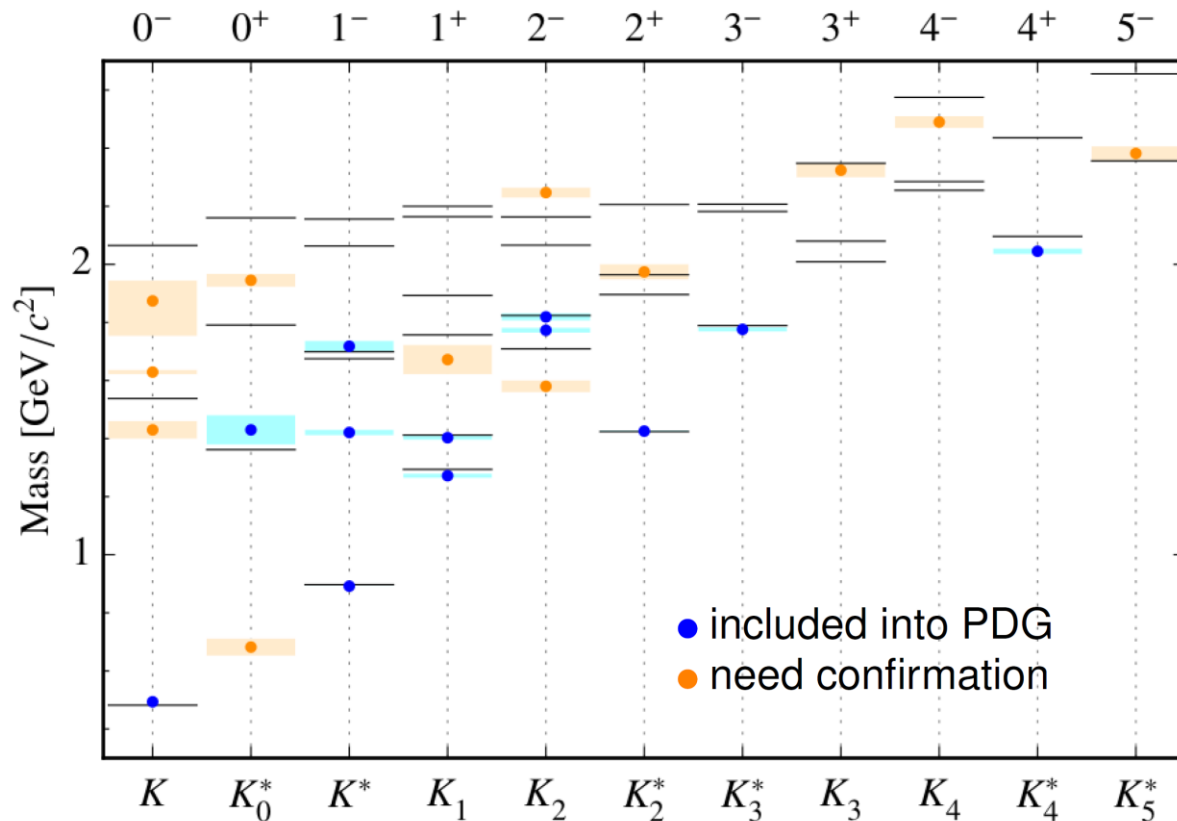
arXiv:1808.00848v3 [hep-ex] 15 Oct 2018

Reminder: Panofsky-Schnell-System with two cavities (CERN 68-29)



- Particle species: same momenta but different velocities
- Time-dependent transverse kick by RF cavities in dipole mode
- RF1 kick compensated or amplified by RF2
- Selection of particle species by selection of phase difference

$$\Delta\Phi = 2\pi (L f / c) (\beta_1^{-1} - \beta_2^{-1})$$
- For large momenta: $\beta_1^{-1} - \beta_2^{-1} = (m_1^2 - m_2^2) / 2p^2$

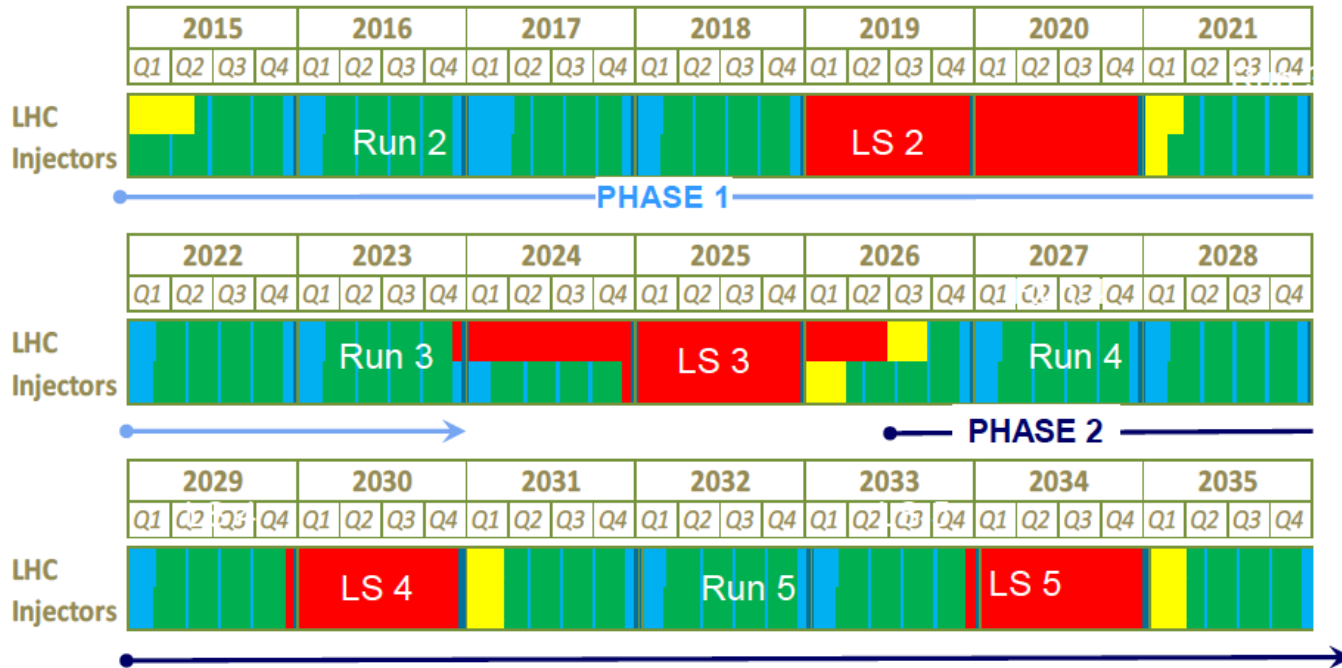
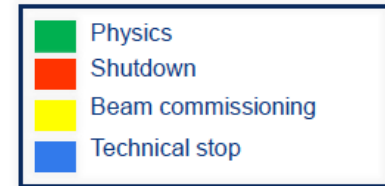


- 25 kaon states listed by PDG ($M < 3.1$ GeV), 13 of those need confirmation
- many predicted quark-model states still missing
- some hints for supernumerary states

S. Wallner, Fri 9:30

LHC roadmap: according to MTP 2016-2020 V1

LS2 starting in 2019 => 24 months + 3 months BC
 LS3 LHC: starting in 2024 => 30 months + 3 months BC
 Injectors: in 2025 => 13 months + 3 months BC



- conventional-beams program: 2022-2024
- RF-separated beams: from 2026 on



Spare Slides

Conventional PWA

- requires fixed isobar parameterizations
- wrong isobar shape might influence results

Novel method: freed-isobar PWA

[F. Krinner et al., PRD 97 (2018) 114008]

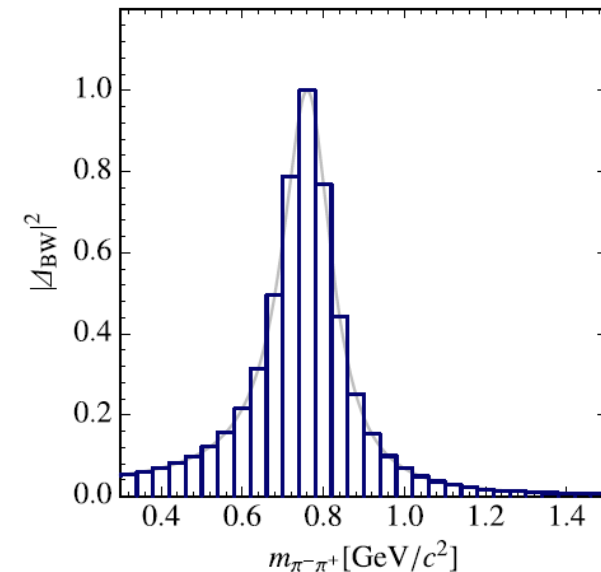
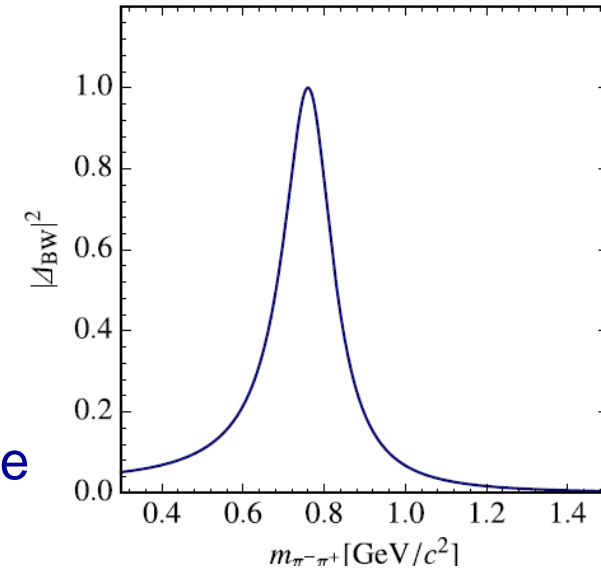
- replace fixed isobar parameterizations by step-like functions, i.e. a **set of free (complex) parameters in 2-body mass bins** with $\delta m = 40$ MeV (10 MeV around 980 MeV)

- Combined phase information: $\phi_{tot} = \phi_{prod} + \phi_{decay}$

⇒ Determine dynamics of isobars from data

⇒ Obtain **model-independent isobar amplitude**

⇒ Study **rescattering effects** (C. Hanhart et al.)



Unitarity constraints for production and interaction:

$$\Delta_s \hat{a}(s) = 2i \rho(s) \hat{t}^*(s) \hat{a}(s), \quad (1)$$

$$\Delta_s \hat{t}(s) = 2i \rho(s) |\hat{t}(s)|^2, \quad (2)$$

With $\hat{t}(s) = N(s)/D(s)$

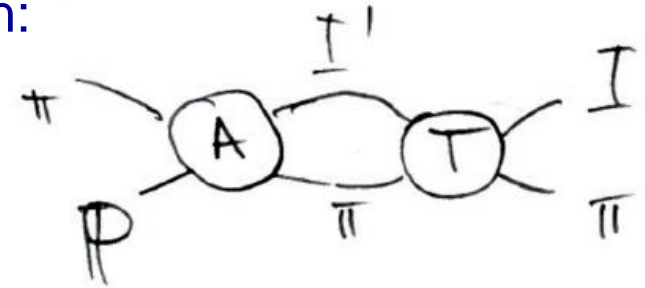
(2) becomes $\Delta_s D(s) = -2i\rho(s)N(s)$

with general solution
$$D(s) = D_0(s) - \frac{1}{\pi} \int_{s_{th}}^{\infty} ds' \frac{\rho(s')N(s')}{s' - s}.$$

Parameterize $D(s)$ with CDD poles
$$D_0(s) = c_0 - c_1 s - \frac{c_2}{c_3 - s},$$

LHC of $N(s)$ modeled with a higher-order pole

$$\rho(s)N(s) = g\lambda^{\frac{5}{2}}(s, m_\eta^2, m_\pi^2)/(s + s_R)^7$$



General solution for $\hat{a}(s)$ for a given $D(s)$ and $N(s)$

$$\hat{a}(s) = b(s) + \frac{1}{\pi D(s)} \int_{s_{th}}^{\infty} ds' \rho(s') \frac{N(s')b(s')}{s' - s} \equiv \frac{n(s)}{D(s)},$$

Parameterization of $n(s)$

$$n(s) = \frac{1}{c_3 - s} \sum_j^{n_p} a_j T_j(\omega(s)).$$