

# Event reconstruction at the LHC



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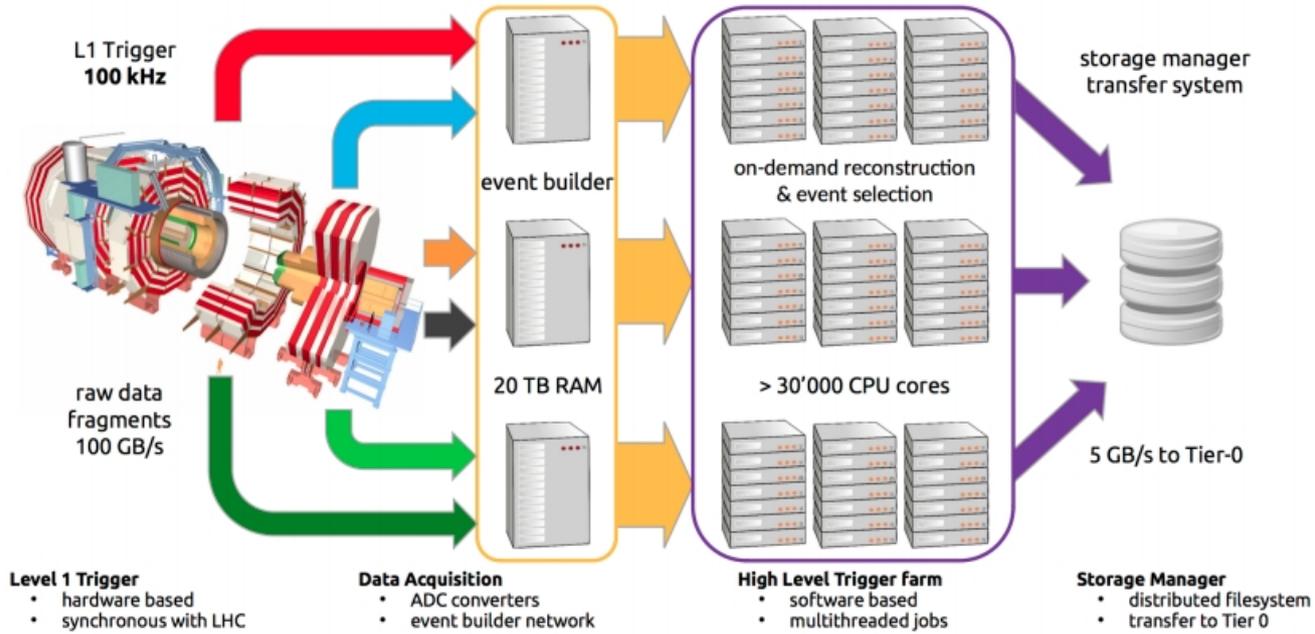


African School of Fundamental  
Physics and Applications

With some slides from  
R.Mazini, J.Rojo, C.Roda

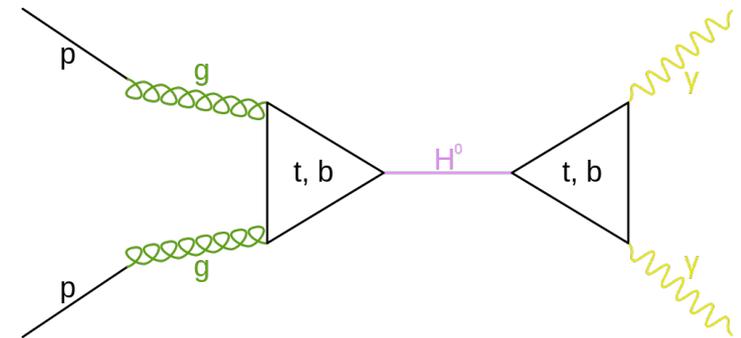
# What is reconstruction?

- Events passing the trigger are stored on tape at CERN
- But one event, like a picture from your camera phone, is just a collection of numbers
- As I physicist, I want information like “a 10 GeV electron was emitted at 30 degrees from the beam” rather than 011010100101...
- Reconstruction is what transforms digitised electrical signals from the detector into physics objects



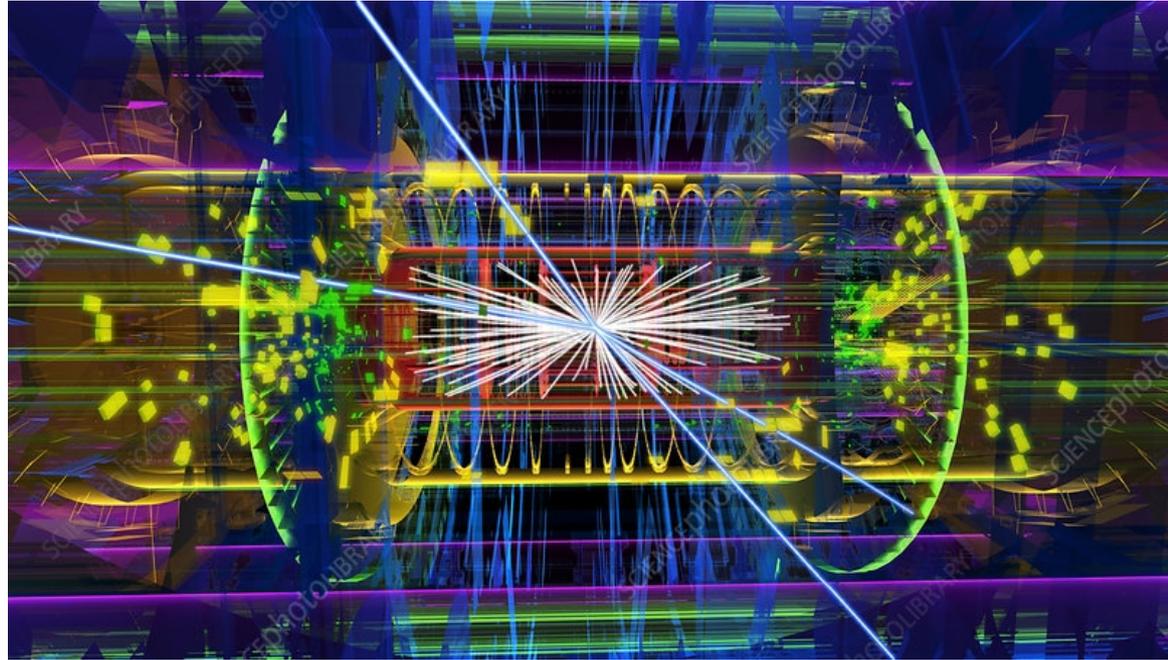
# When particles collide

- Production of heavy states that decay into lighter states, measured by the detector
- I like to say as a half-joke that collider physics is like sending two apples (protons) at full speed against each other, and produce a water melon (heavy state, eg. Higgs boson)
- The water melon explodes immediately, the only thing we can measure are the little black seeds from its explosion
- We have to reconstruct the shape of the water melon by measuring the black seeds
- → we have to reconstruct the properties of the Higgs from the two photons from its decay

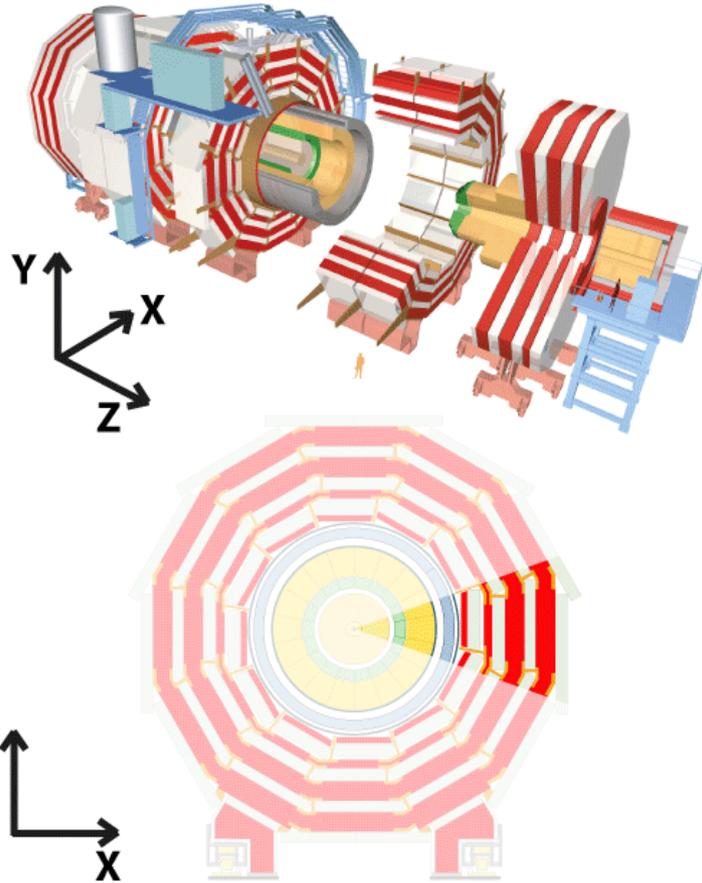


# What can we detect?

- We can only measure directly particles with  $c\tau > \sim 1\text{m}$  (muons, pions, kaons, but not charm or beauty hadrons)
- Detector around collision point to measure decay products, and reconstruct short-lived states from them
- In a collider, detectors have cylindrical shape with several independent layers

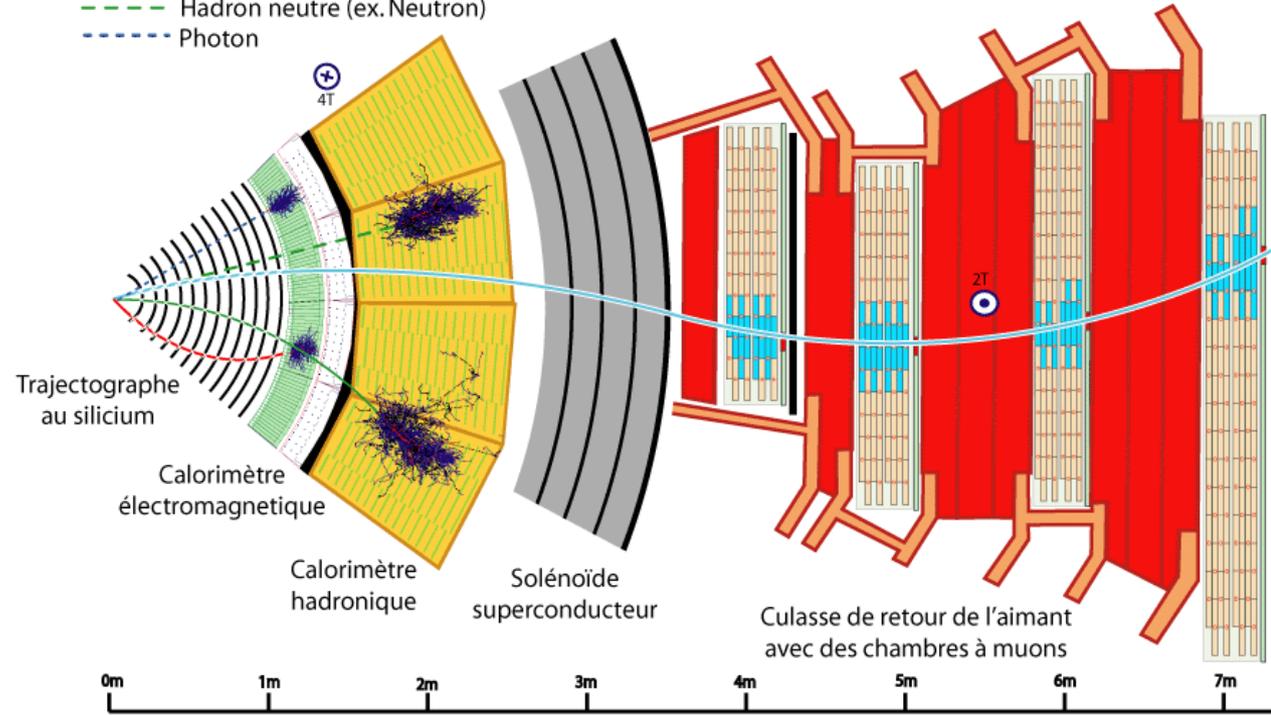


# A typical detector slice (CMS)



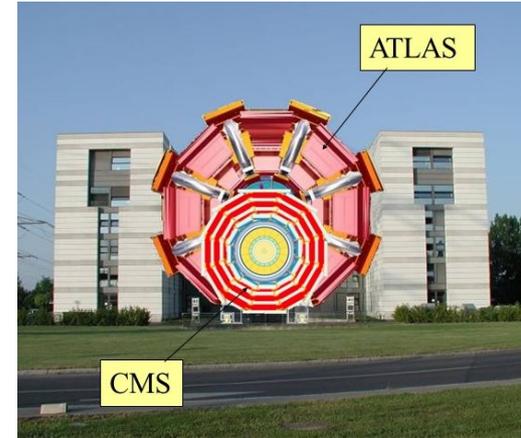
Légende:

- Muon
- Électron
- Hadron chargé (ex. Pion)
- Hadron neutre (ex. Neutron)
- Photon



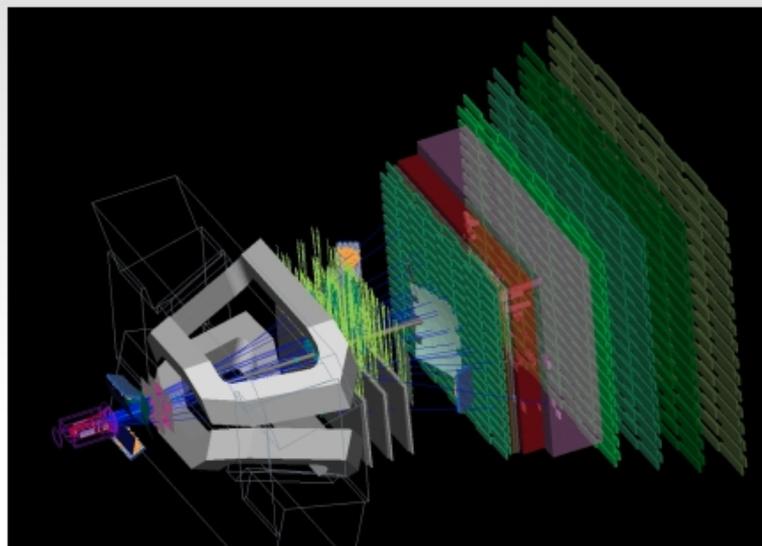
# Differences between ATLAS and CMS

- Size:
  - ATLAS is 43m long 25m high
  - CMS 25m long 15m high
- Magnetic field:
  - ATLAS 9 magnets (1 2T solenoid, 8 ~1T air-core toroids, 2 FWD toroids)
  - CMS 1 4T solenoid
- Detector technologies:



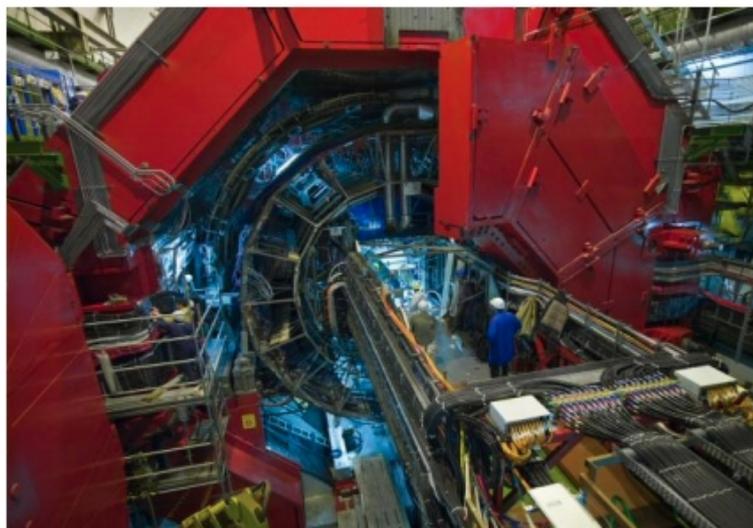
	ATLAS	CMS
tracking	Silicon/gas	Silicon
EM calo	Liquid Argon	PbWO crystals
Had calo	Steel/scint, LAr	Brass/scint
Muon	RPCs / drift	RPCs / drift

# LHCb and ALICE



LHCb dedicated to forward low-angle physics (especially b-quark production) looks like a pyramid with axis on the beam

Very good particle identification

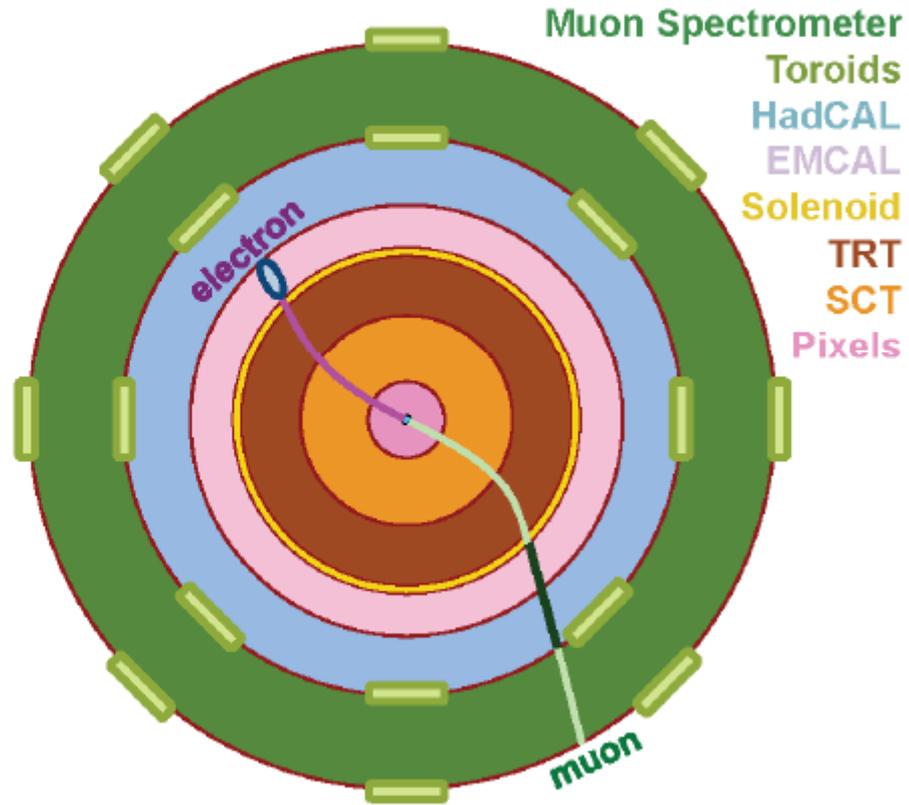


Alice looks for high-multiplicity events in nucleus-nucleus collisions- the only LHC detector to have a gas tracker due to low-lumi and high-occupancy operation

# Detecting electrons and muons

	I	II	III	
Quarks	2.4 MeV u	1.3 GeV c	170 GeV t	$\gamma$
	4.8 MeV d	104 MeV s	4.2 GeV b	g
	<2 eV $\nu_e$	<2 eV $\nu_\mu$	<2 eV $\nu_\tau$	91 GeV Z
Leptons	0.5 MeV e	16 MeV $\mu$	1.8 GeV $\tau$	80 GeV W
				126 GeV H
				Bosons

Simplified Detector Transverse View

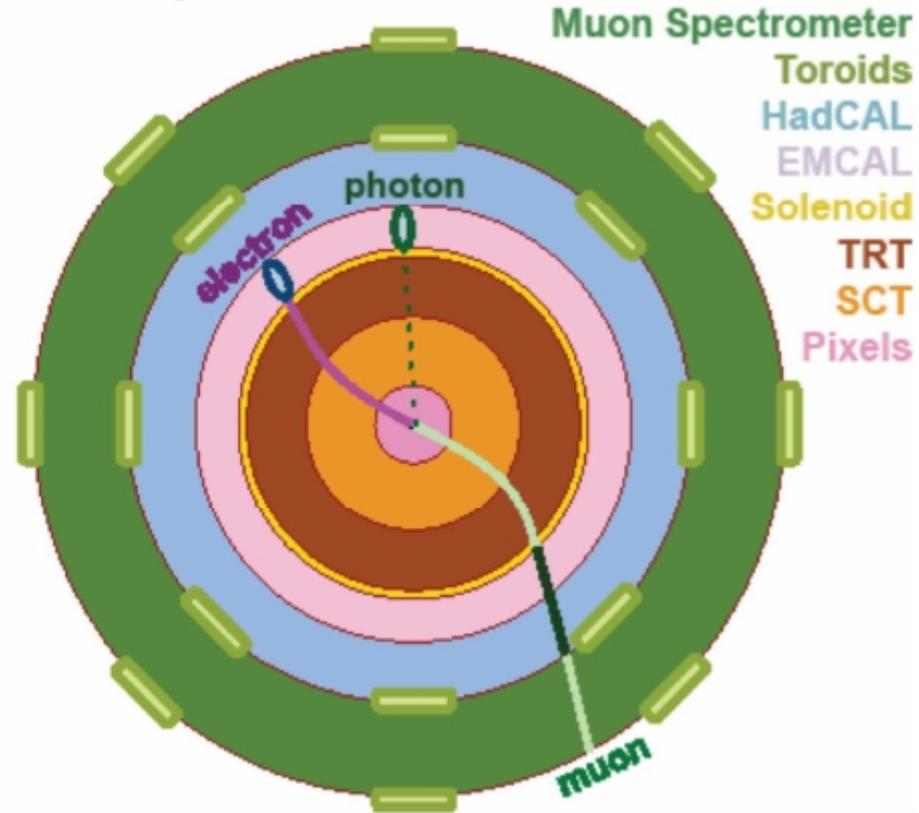


# Detecting photons

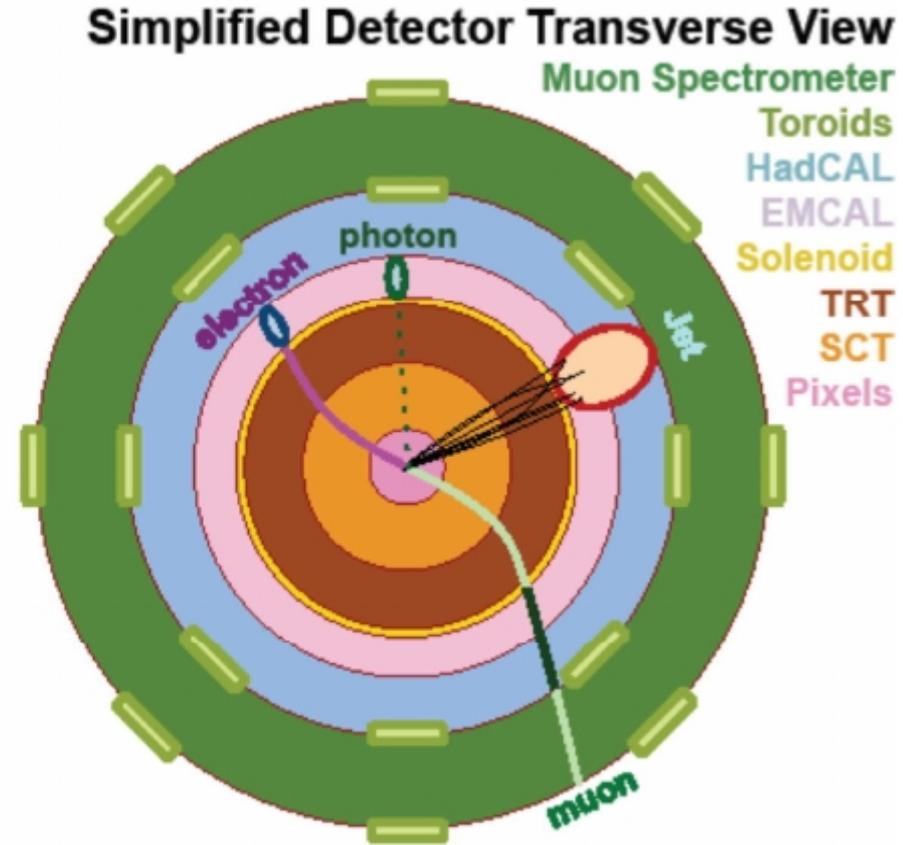
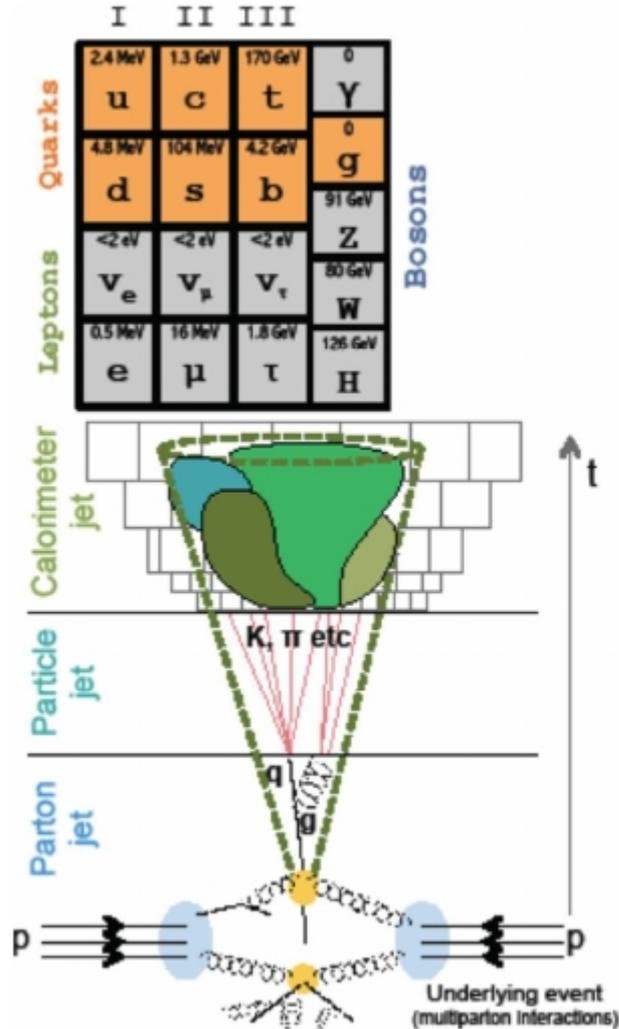
	I	II	III	
Quarks	2.4 MeV u	1.3 GeV c	170 GeV t	$\gamma$
	4.8 MeV d	104 MeV s	4.2 GeV b	g
	$< 2$ eV $\nu_e$	$< 2$ eV $\nu_\mu$	$< 2$ eV $\nu_\tau$	Z
Leptons	0.5 MeV e	16 MeV $\mu$	1.8 GeV $\tau$	W
				H

Bosons

## Simplified Detector Transverse View



# Detecting jets (hadrons)



# Detecting what you can't detect (neutrinos, DM etc)

	I	II	III	
Quarks	24 MeV u	1.3 GeV c	170 GeV t	0 γ
	4.8 MeV d	104 MeV s	4.2 GeV b	0 g
	<2 eV ν <sub>e</sub>	<2 eV ν <sub>μ</sub>	<2 eV ν <sub>τ</sub>	91 GeV Z
Leptons	0.5 MeV e	16 MeV μ	1.8 GeV τ	80 GeV W
				126 GeV H

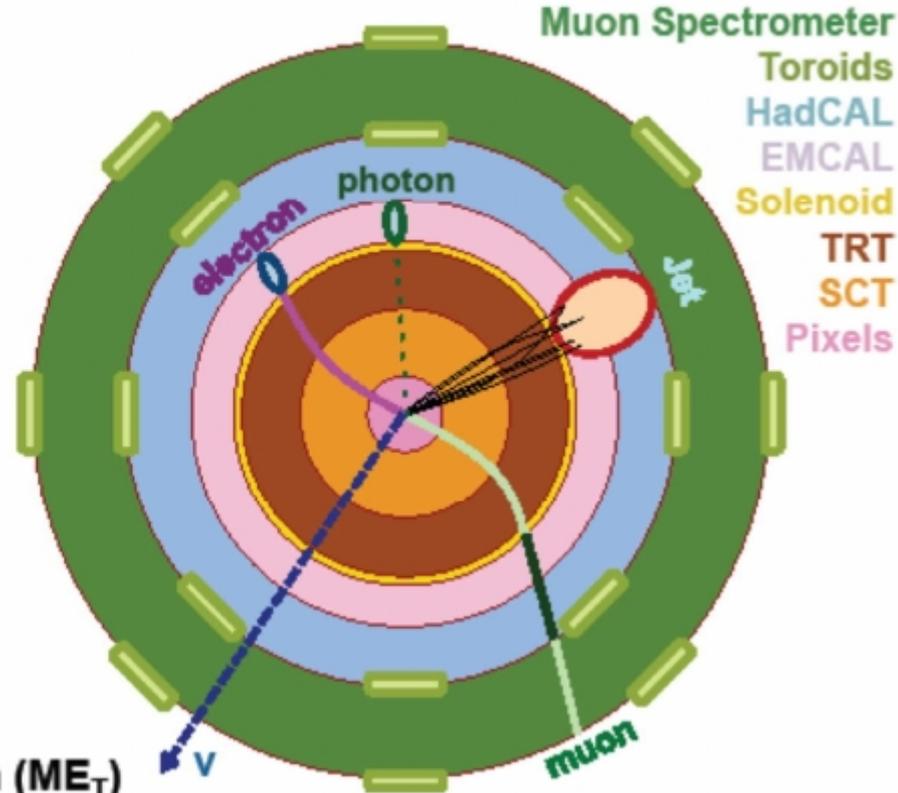
Also “invisible” particles  
from DM, SUSY...

In the transverse plane:

$$\sum \vec{p}_T = 0$$

Missing Transverse Momentum (ME<sub>T</sub>)

## Simplified Detector Transverse View



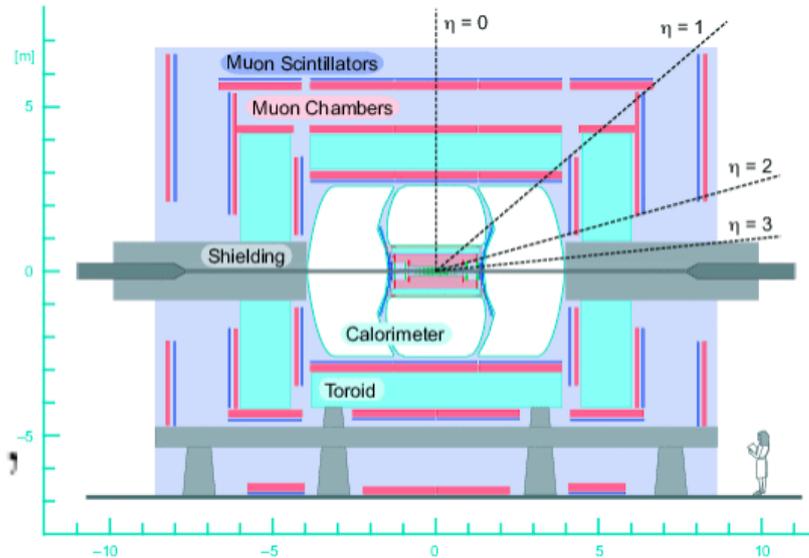
# Relevant variables (why transverse plane)

- Only variables invariant under z-boost should be used.
- This is why cuts are expressed in terms of  $E_t$  and not  $E$ , and instead of the angle  $\theta$  we use rapidity

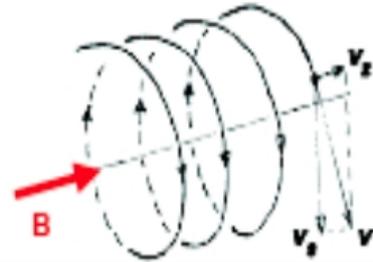
$$\phi_z = \frac{1}{2} \log_e \frac{E + p_z c}{E - p_z c}$$

It depends on the mass of an object, so it cannot directly reference to a detector location; for that we use pseudorapidity, equal to rapidity for massless particles:

$$\eta = -\ln \left[ \tan \left( \frac{\theta}{2} \right) \right],$$



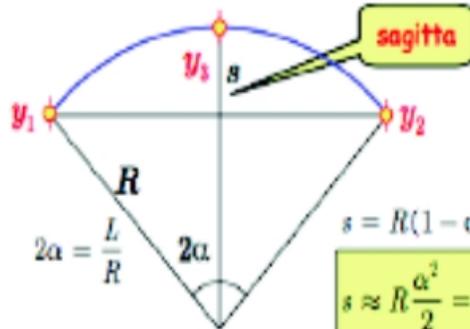
# Measuring momentum



$$R(m) = \frac{p_{\perp} (GeV)}{0.3B(T)}$$

Since the transverse momentum is proportional to the bending radius, the momentum resolution depends on the accuracy in measuring  $R$

$$R = \frac{p}{0.3B} \quad \frac{\delta p}{p} = \frac{\delta R}{R}$$



$$s = y_3 - \frac{y_1 + y_2}{2} \quad \delta s = \sqrt{\frac{3}{2}} \delta y \sim \delta y$$

$$s = R(1 - \cos \alpha)$$

$$|\delta s| = \frac{L^2}{8R} \frac{\delta R}{R} \sim \delta y$$

$$\frac{L^2}{8R} \frac{\delta p}{p} = \delta y$$

$$s \approx R \frac{\alpha^2}{2} = \frac{L^2}{8R}$$

$$\frac{\delta p}{p} = \frac{8R}{L^2} \delta y$$

$$\frac{\delta p}{p} = \frac{8p}{0.3BL^2} \delta y$$

$$\frac{\delta p}{p^2} = \frac{8\delta y}{0.3BL^2}$$

# The ATLAS tracker

## Pixel Detector

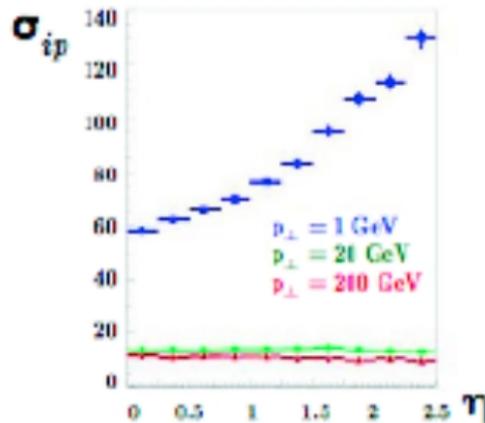
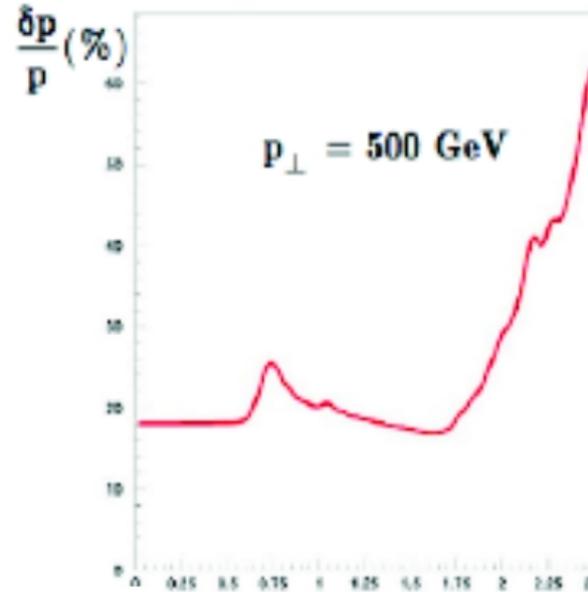
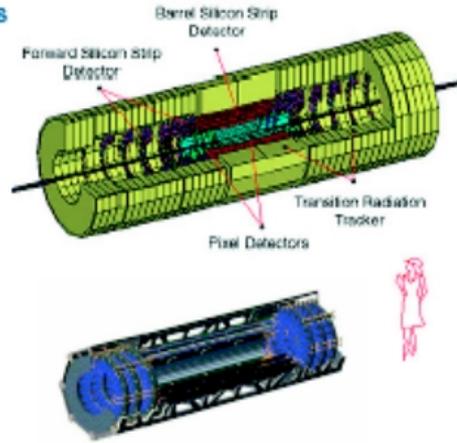
3 barrels, 3+3 disks:  $80 \times 10^6$  pixels  
 barrel radii: 4.7, 10.5, 13.5 cm  
 pixel size  $50 \times 400 \mu\text{m}$   
 $s_r = 6-10 \mu\text{m}$   $s_z = 66 \mu\text{m}$

## SCT

4 barrels, disks:  $6.3 \times 10^6$  strips  
 barrel radii: 30, 37, 44, 51 cm  
 strip pitch  $80 \mu\text{m}$   
 stereo angle  $\sim 40 \text{ mrad}$   
 $s_r = 16 \mu\text{m}$   $s_z = 580 \mu\text{m}$

## TRT

barrel:  $55 \text{ cm} < R < 105 \text{ cm}$   
 36 layers of straw tubes  
 $s_r = 170 \mu\text{m}$   
 400.000 channels



# The CMS tracker

## Pixel Detector

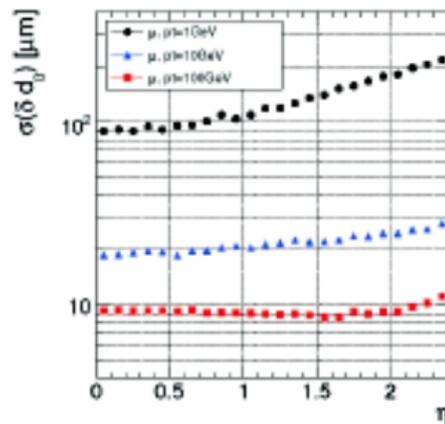
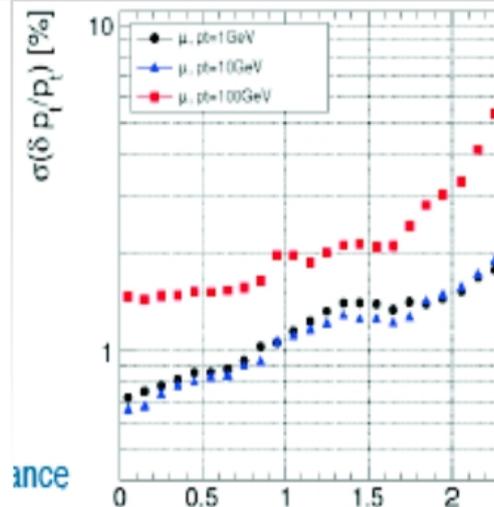
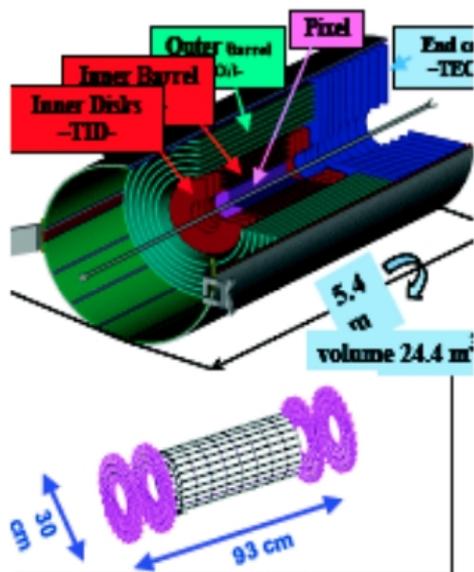
2 barrels, 2 disks:  $40 \times 10^6$  pixels  
 barrel radii: 4.1,  $\sim 10$ . cm  
 pixel size  $100 \times 150 \mu\text{m}$   
 $\sigma_{r\phi} = 10 \mu\text{m}$   $\sigma_z = 10 \mu\text{m}$

## Internal Silicon Strip Tracker

4 barrels, many disks:  $2 \times 10^6$  strips  
 barrel radii:  
 strip pitch 80, 120  $\mu\text{m}$   
 $\sigma_{r\phi} = 20 \mu\text{m}$   $\sigma_z = 20 \mu\text{m}$

## External Silicon Strip Tracker

6 barrels, many disks:  $8 \times 10^6$  strips  
 barrel radii: max 110 cm  
 strip pitch 80, 120  $\mu\text{m}$   
 $\sigma_{r\phi} = 30 \mu\text{m}$   $\sigma_z = 30 \mu\text{m}$



# Reconstructing tracks

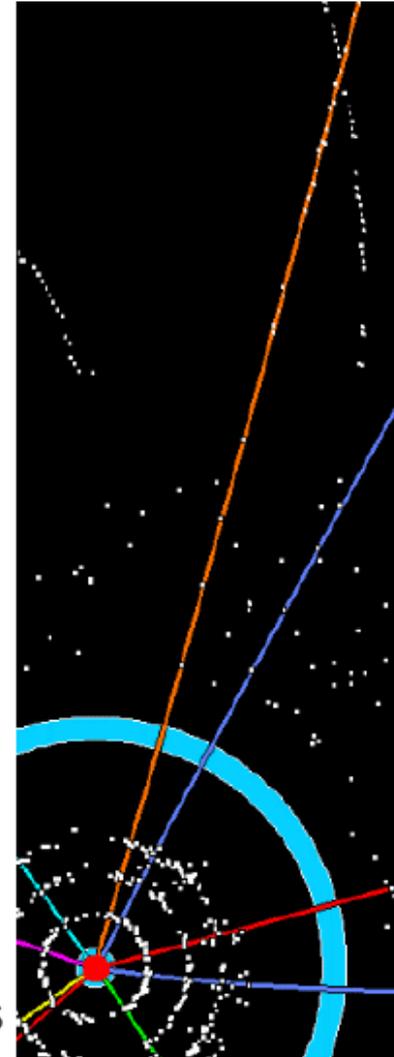
ATLAS has 3 tracking detectors: pixel, SCT, TRT  
(straw tubes)

Sequence:

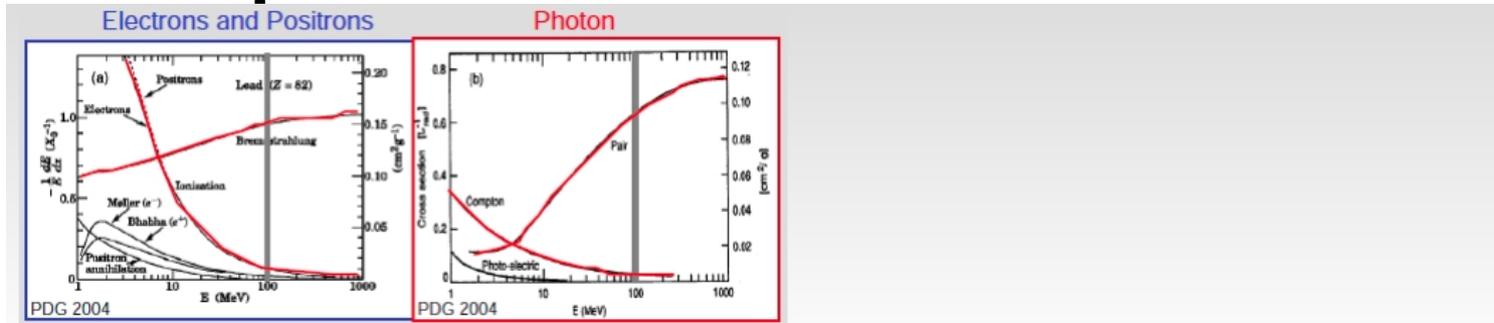
1. Creation of 3-dimensional Space Points in Pixel and SCT (Si-Layers)
2. Search for Track Seeds with Space Points in Si-Layers
3. Track Fit of Seeds found and ambiguity processing
4. Extrapolation into TRT and search for compatible measurements
5. Track fit of Pixel, SCT and TRT measurements
6. Track scoring and track selection

From raw data to physics results

R. Mazini AS



# Interactions of electrons and photons in a calorimeter



$e^+ / e^-$	$\gamma$
<ul style="list-style-type: none"> <li>Ionisation</li> </ul>	<ul style="list-style-type: none"> <li>Photoelectric effect</li> </ul>
<ul style="list-style-type: none"> <li>Bremsstrahlung</li> </ul>	<ul style="list-style-type: none"> <li>Compton effect</li> </ul>
	<ul style="list-style-type: none"> <li>Pair production</li> </ul>

# Reconstructing invariant mass in a calorimeter

Natural width: for  $M_H \approx 100 \text{ GeV} \rightarrow \Gamma_H / M_H \leq 10^{-3}$

Experimental width of  $m_{\gamma\gamma} = 2 E_1 E_2 (1 - \cos\theta_{\gamma\gamma})$  :

$$\frac{\sigma_m}{m} = \frac{1}{\sqrt{2}} \left[ \left( \frac{\sigma_1}{E_1} \right) \oplus \left( \frac{\sigma_2}{E_2} \right) \oplus \left( \frac{\sigma_\theta}{\text{tg}\theta_{\gamma\gamma}/2} \right) \right]$$

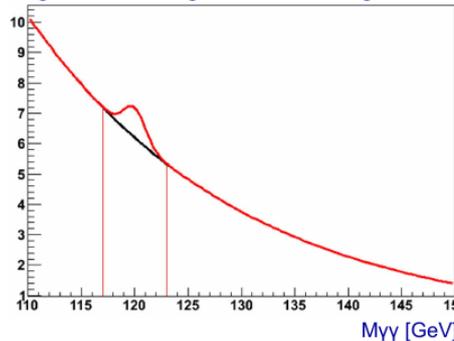
$$\frac{\sigma(E)}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

$$\sigma(\theta) \approx \frac{50 \text{ mrad}}{\sqrt{E}}$$

Same for ATLAS and CMS ...

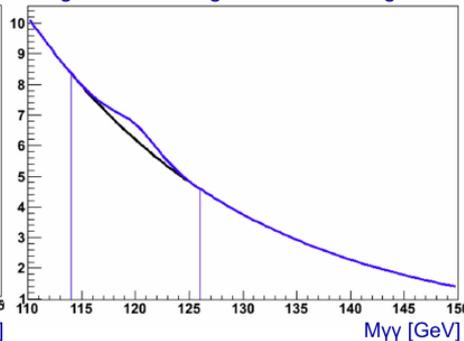
Mass resolution 1 GeV

Signal over background in cut range ~10%



Mass resolution 2 GeV

Signal over background in cut range ~5%

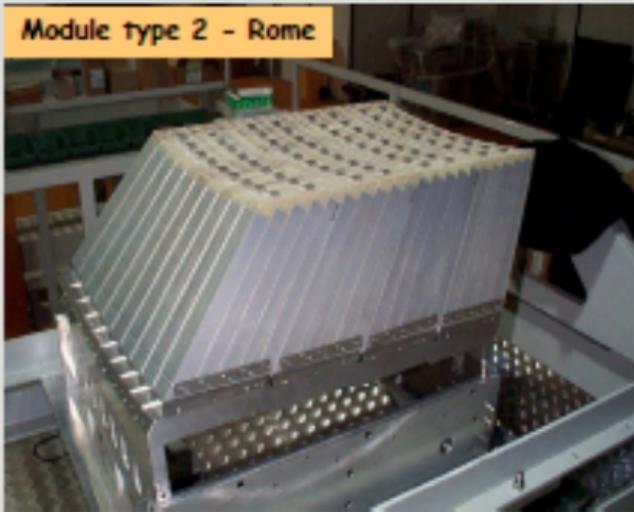


- Can make the difference for a discovery!

# CMS Crystal calorimeter

- ✓ Compact
- ✓ Transverse segmentation

Material	$X_0/cm$	$E_c/MeV$	$R_M/cm$
Fe	1.8	22	1.7
Lead	0.56	7.4	1.6
<b>PbWO<sub>4</sub></b>	<b>0.89</b>		<b>2.2</b>



Crystal dimensions:

longitudinal  $25 X_0 = 22.2$  cm

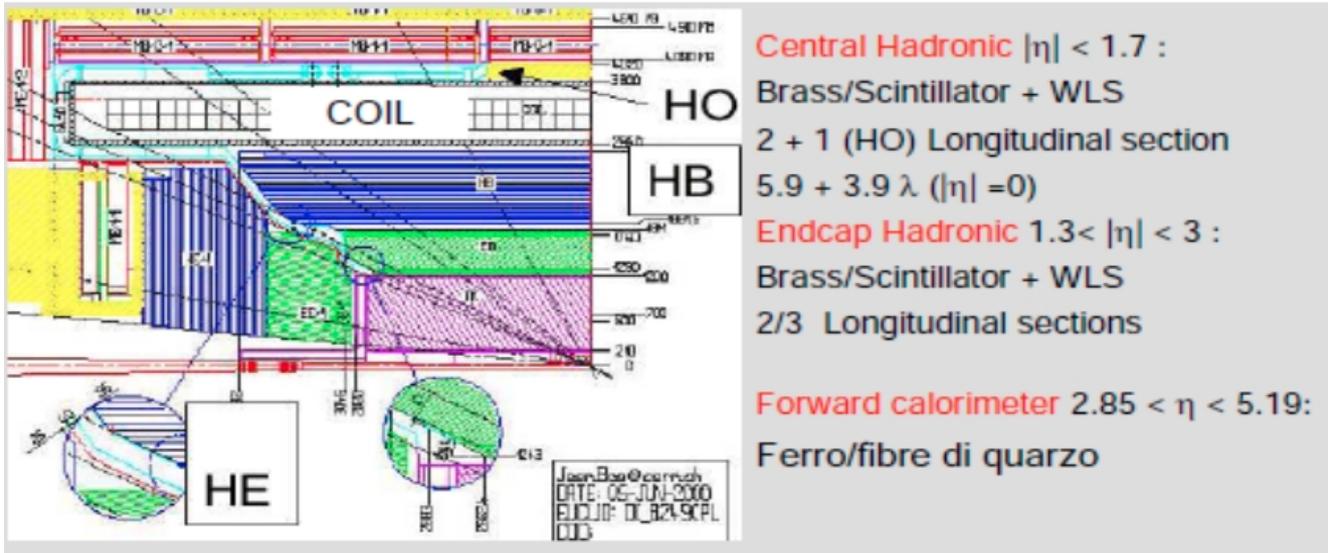
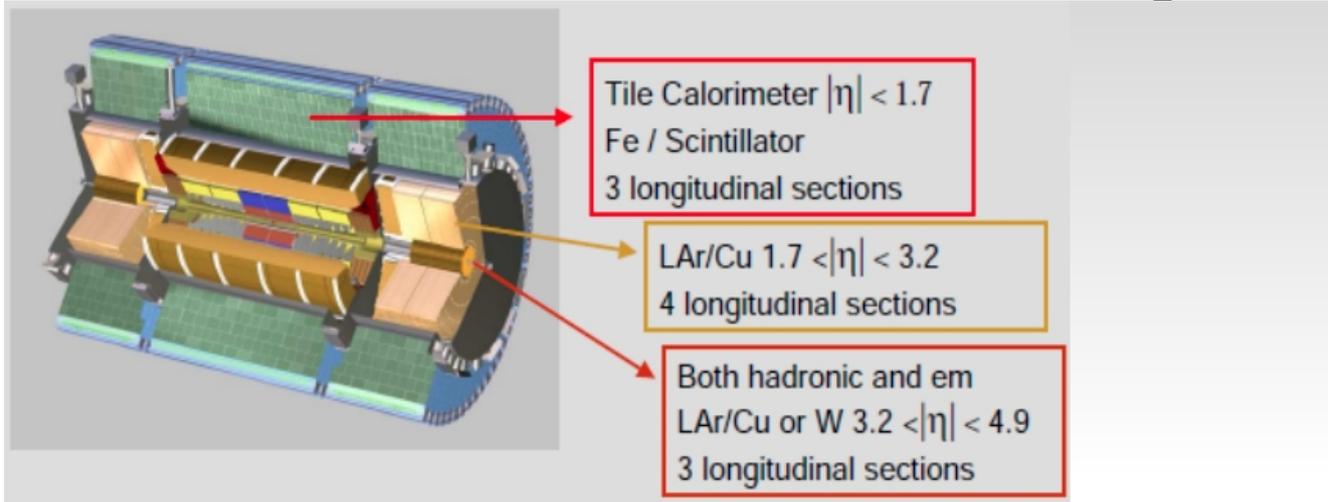
Transverse  $1 R_M = 2.2$  cm

95% of the shower contained  
in  $2 R_M$



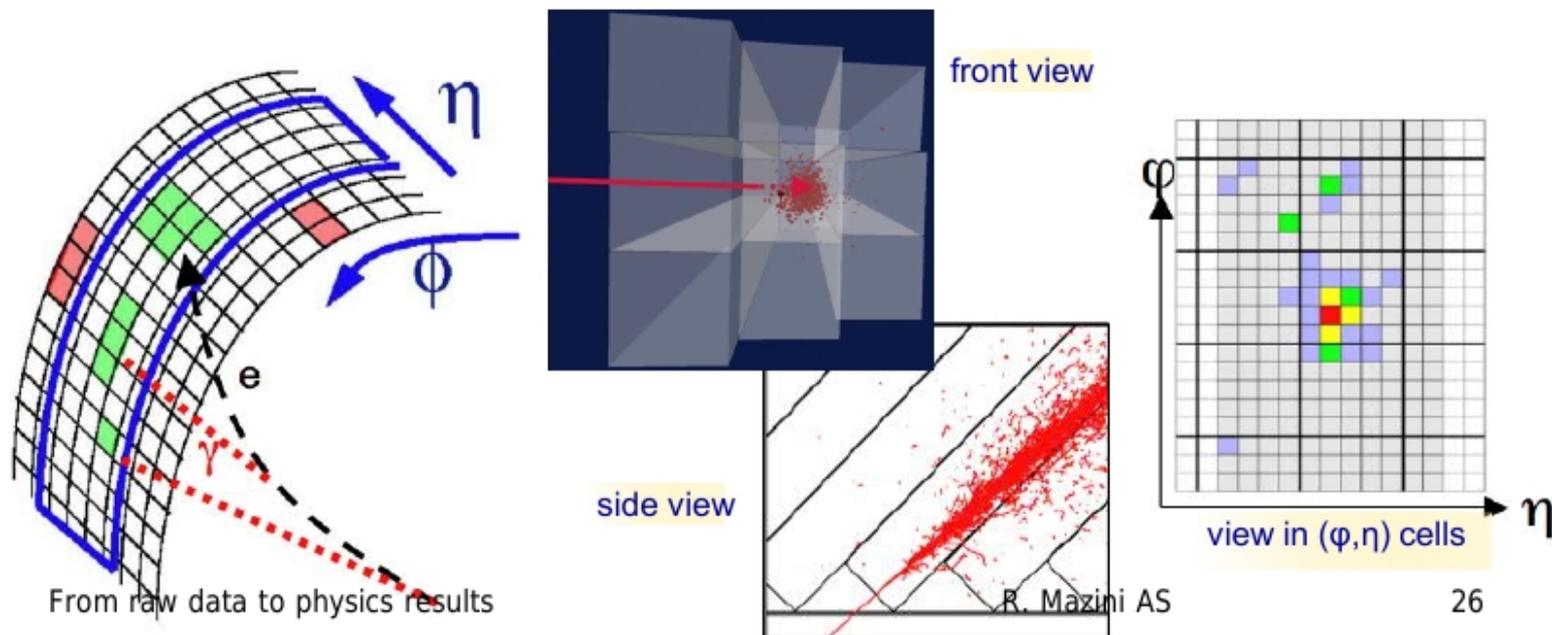


# Hadronic calorimetry



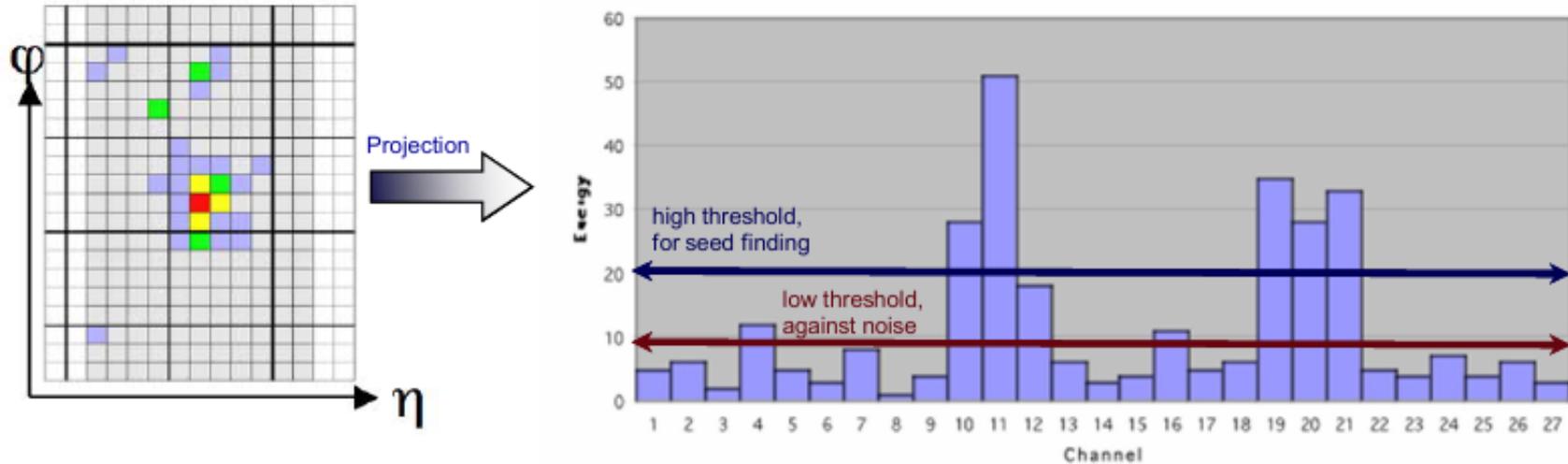
# Energy reconstruction in calorimeters

- Calorimeters are segmented in **cells**
- Typically a shower extends over several cells
  - Useful to reconstruct precisely the impact point from the “center-of-gravity” of the deposits in the various cells
- Example CMS Crystal Calorimeter:**
  - electron energy in central crystal  $\sim 80\%$ , in  $5 \times 5$  matrix around it  $\sim 96\%$
- So **task** is : identify these clusters and reconstruct the energy they contain



# Determination of cluster energy

- Clusters of energy in a calorimeter are due to the original particles
  - Clustering algorithm groups individual channel energies
  - Don't want to miss any; don't want to pick up fakes

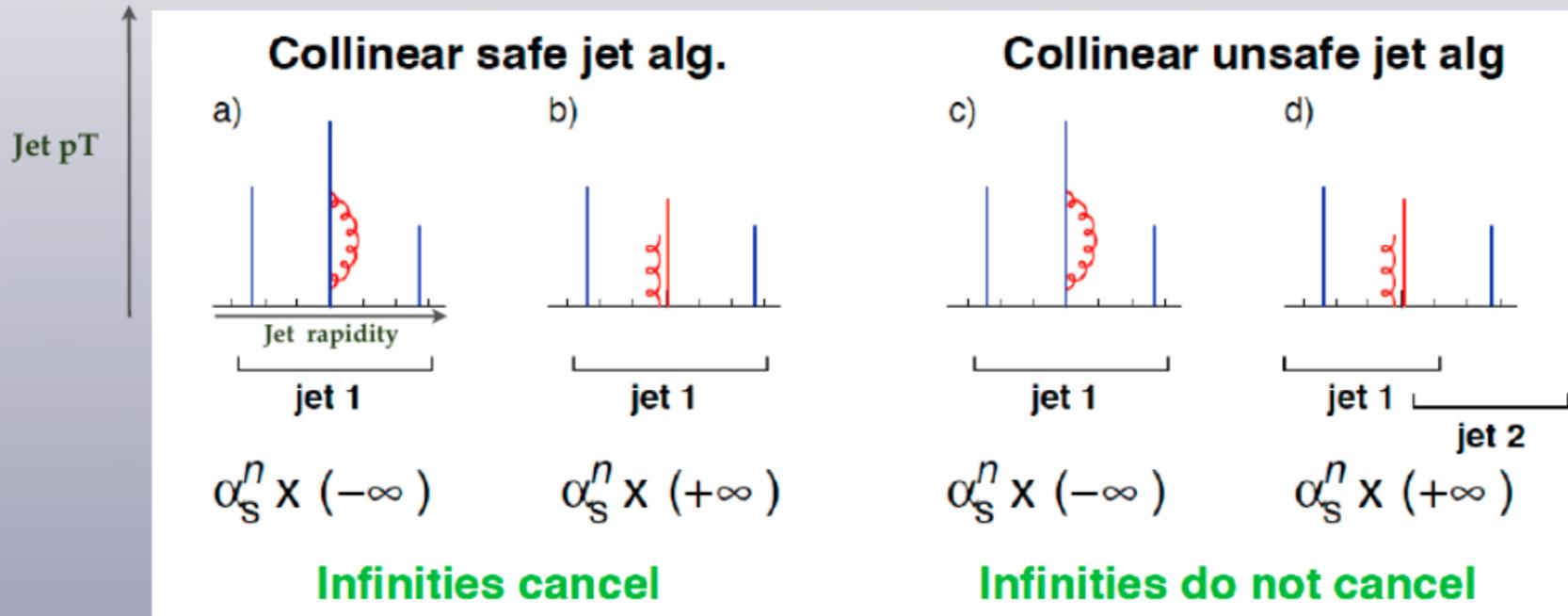


- Careful tuning of thresholds needed
  - needs usually learning phase
  - adapt to noise conditions
  - too low : pick up too much unwanted energy
  - too high : loose too much of "real" energy. Corrections/Calibrations will be larger

# Jet algorithms

☞ In the particular case of jet algorithms, **infrared safety** can be formulated as the requirement that if the **final state particles** are modified by a **soft emission** or a **collinear splitting** then the set of hard jets found should be unchanged

☞ Failing this criterion, a jet definition will produce **infinite results** at some point in the perturbative expansion because of the **lack of cancellation** of infrared divergences



In the **IRC unsafe algorithm**, a **collinear splitting** leads to a **different set of final state jets** and thus to the lack of cancellation of soft and collinear divergences (KLN theorem)

# Sequential recombination algorithms

It is possible to **generalize the kt algorithm** by introducing a modified distance as follows

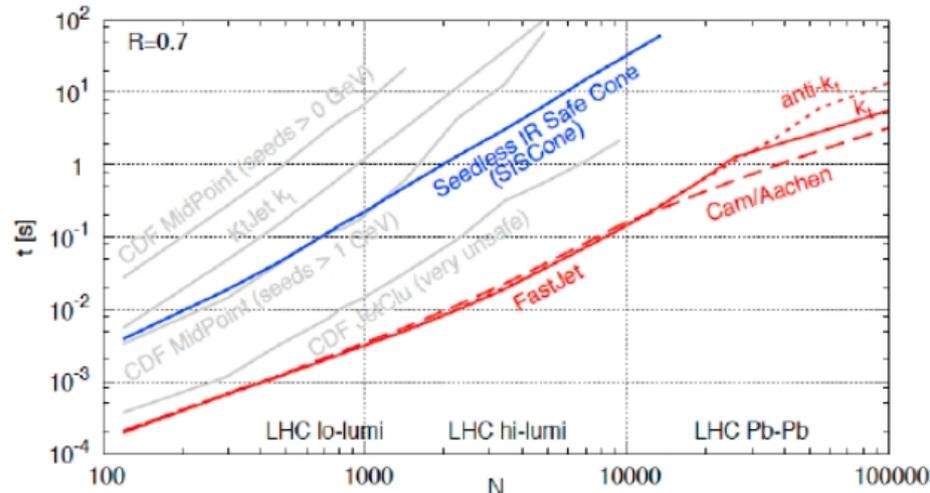
$$d_{ij} = \min(p_{ti}^{2p}, p_{tj}^{2p}) \frac{\Delta R_{ij}^2}{R^2}, \quad \Delta R_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2,$$

$$d_{iB} = p_{ti}^{2p},$$

- ☞  $p = 1$  -> kt algorithm: follows QCD branching structure in pt and in angle
- ☞  $p = 0$  -> **Cambridge/Aachen**: follows QCD branching structure **only in angle**
- ☞  $p = -1$  -> **Anti-kT algorithm**: unrelated to QCD branching structure, with clustering measure favouring recombination of high-pT particles

By construction, these sequential recombination algorithms are **infrared safe**

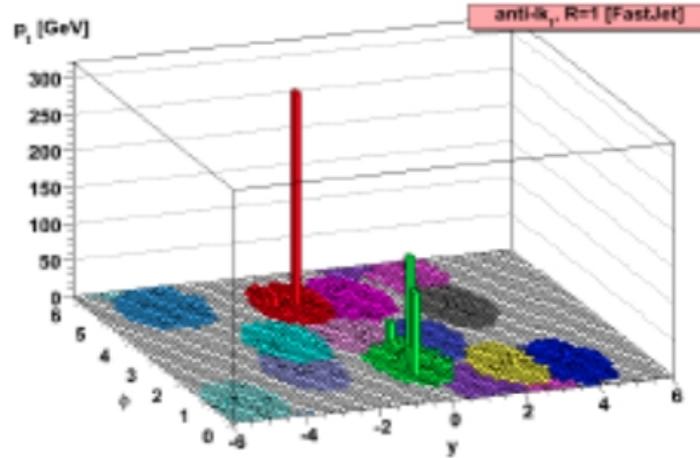
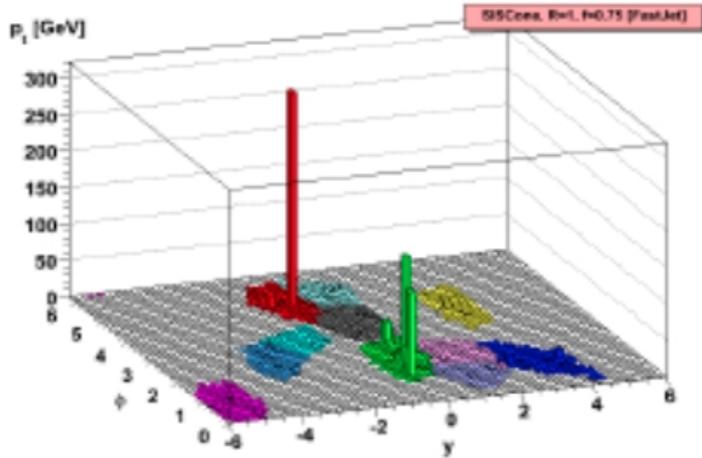
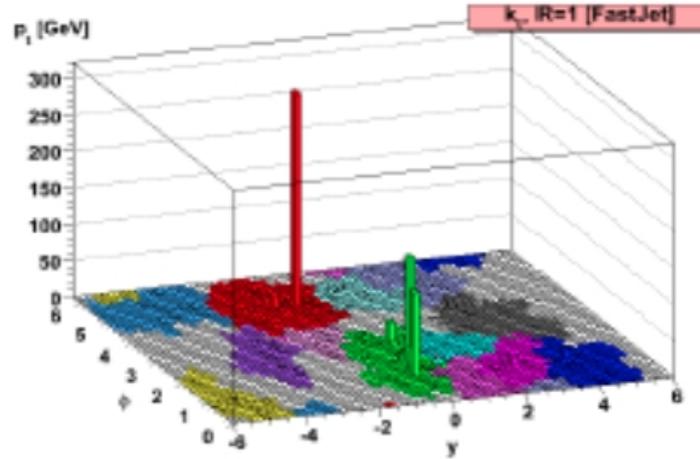
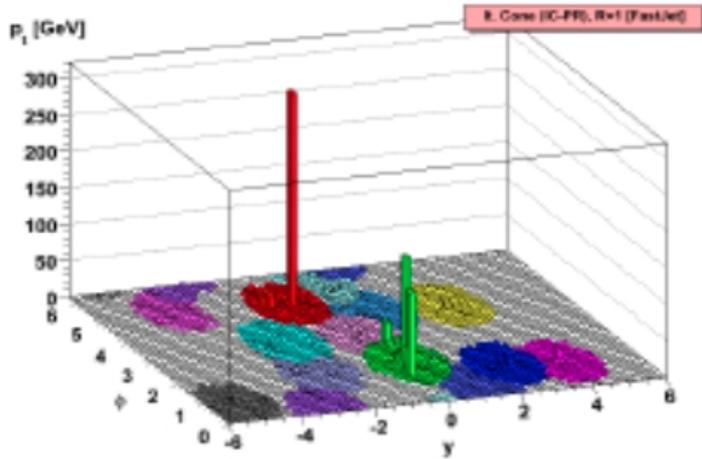
At the LHC, the default jet algorithm is the **Anti-KT** algorithm, for reasons that we discuss now



Original implementations of kt algorithm very **slow**,  $T=O(N^3)$ , making it unpractical for high-multiplicity hadron collisions

Modern implementations (**FastJet**) much more efficient using computational geometry, and achieve  $T=O(N \log N)$

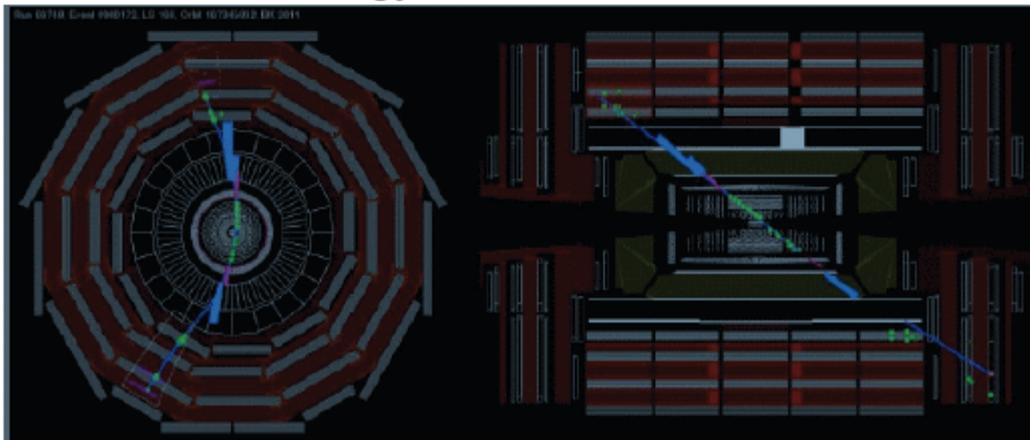
# Same event reconstructed by different algorithms



AntiKt, seeded by a combination of calorimeter clusters and tracks (Particle Flow) is default in both ATLAS and CMS

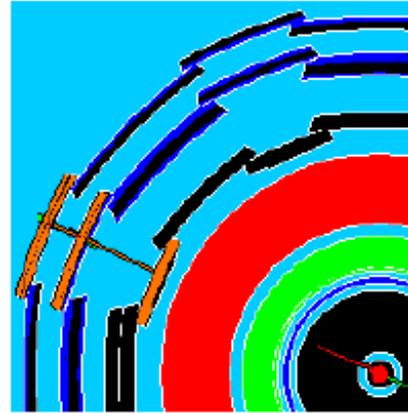
# Muon detectors

- Obviously very similar to inner detector tracking
  - But much less combinatorics to deal with
- Reconstruct tracks in muon and inner detector and combine them
- Strategy
  - Find tracks in the muon system
  - Match with track in inner tracker
  - Combine track measurements
  - Consistent with MIP
- Little or no energy in calorimeters



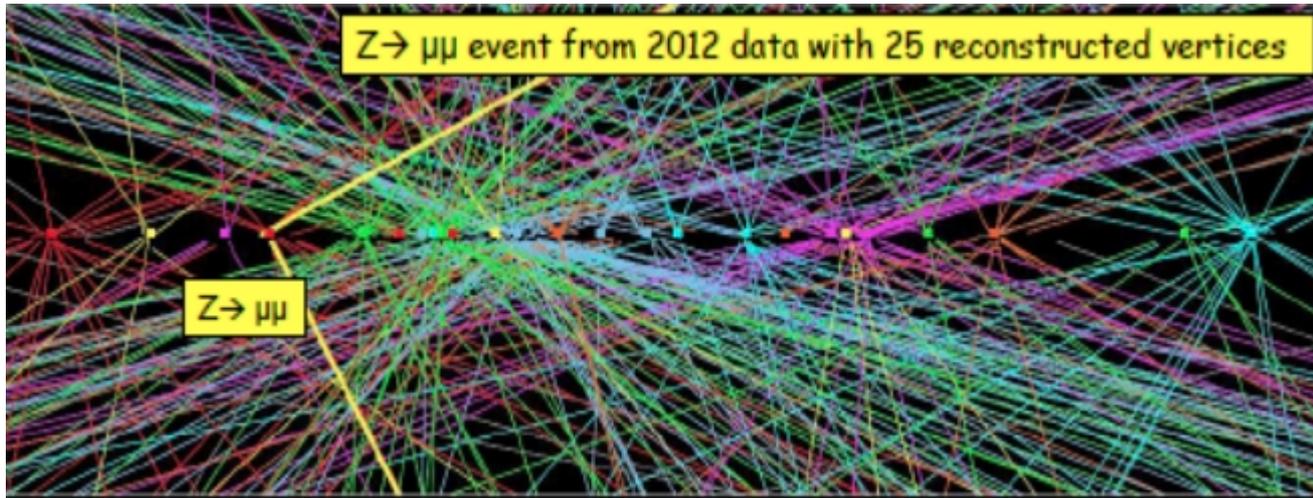
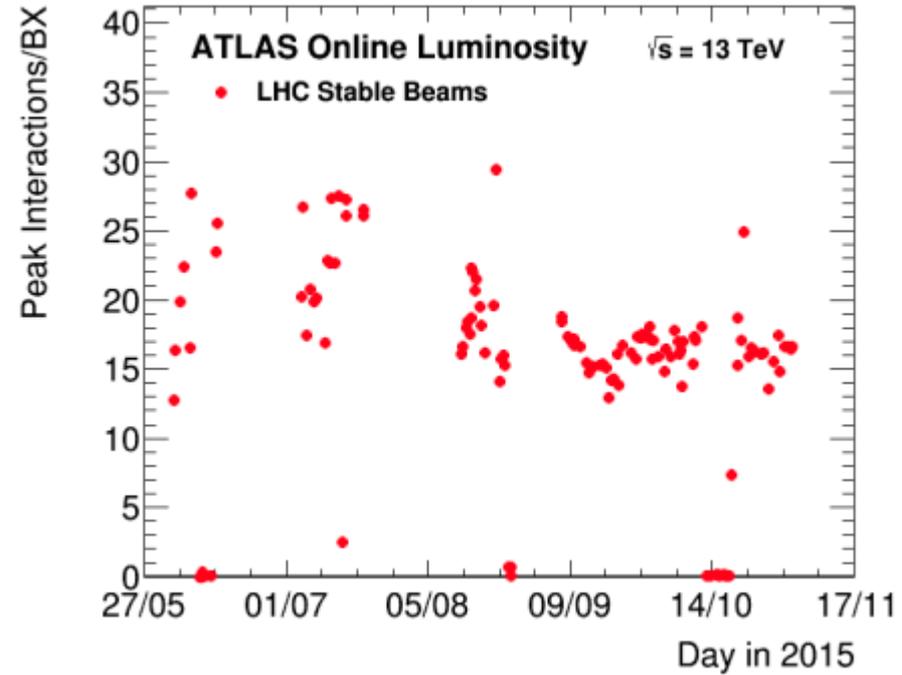
# Reconstructing muons

- Because of its long lifetime, the muon is basically a stable particle for us ( $c\tau \sim 700 \text{ m}$ )
- It does not feel the strong interaction
  - Therefore, they are very penetrating
- It's a minimum ionising particle (MIP)
  - Only little energy deposit in calorimeter
- However, at high energies ( $E > 0.2 \text{ TeV}$ ) muons can sometimes behave more like electrons!
  - At high energies, radiative losses<sup>0</sup> begin to dominate and muons can undergo bremsstrahlung
- Muons are identified as a track in the muon chambers and in the inner tracking detectors
- Both measurements are combined for the best track results

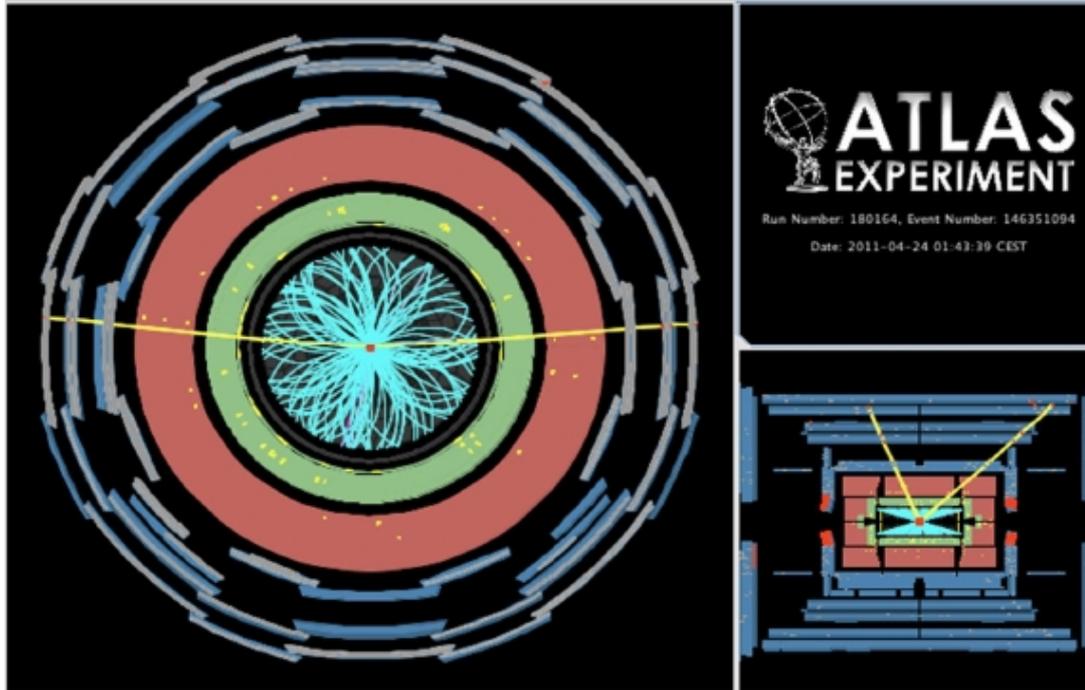


# Pileup

- If we have  $1E9$  events/s, and 40M Bunch Crossings/s, it means there are about 25 events/bunch crossing.
- Analysing an event at the LHC is like making sense of 25 pictures one on top of each other



# Analysing data with pileup

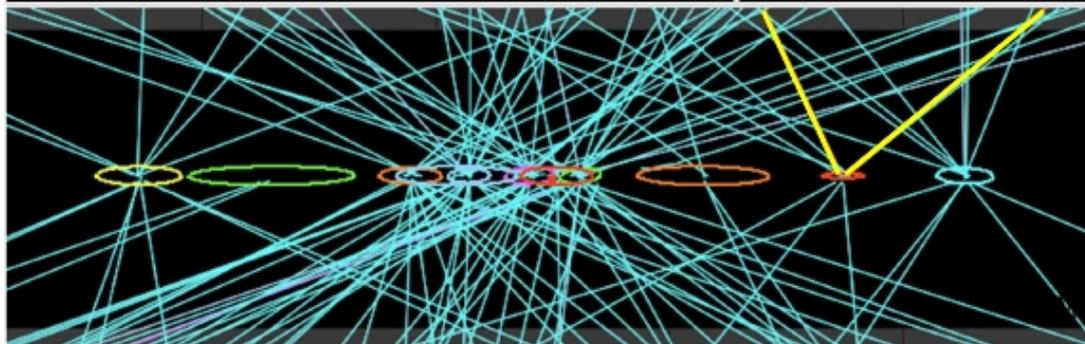


Z- $\mu\mu$  event in ATLAS.

With 11 reconstructed vertices.

Tracks with transverse momentum  $p_T > 0.5 \text{ GeV}$  are shown

How can we do physics analysis with such a huge number of tracks in the detector?



Associate tracks to vertex, and determine PRIMARY vertex, removing tracks not associated with it

# Conclusions

- Reconstruction lies in the interface between detector and physics
- Calibrated signals from the detectors are combined to produce physics objects
- Some times (eg electrons) signals from two detectors are combined
- Proper jet reconstruction requires understanding of QCD
- The presence of pileup makes everything more complicated (or interesting!)