

# ZH at high energy

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$HZ \rightarrow bb \, qq$  at  $\sqrt{s_{\text{eff}}} > 2500$  GeV characterised by two high-energy boosted fat jets, back-to-back in azimuth

Excellent jet mass resolution helps to discriminate between signal and background signatures

- Investigate subjet behavior and jet substructure
- Concentrate on  $H \rightarrow bb$ , use b-tagging information to reject backgrounds and to help selecting H jet

→ accurate measurement of underlying  $\sqrt{s_{\text{eff}}}$  beneficial for EFT fits

Jets defined using VLC algorithm with  $\beta=\gamma=1.0$ , run in exclusive mode with  $R=0.7$  with  $n_{\text{jets}}=2$   
→ tight timing and  $p_T$  selection applied on particle flow objects for jet clustering

Check for isolated leptons and photons with  $E > 10$  GeV

Requirement: relative isolation  $\text{relIso} < 0.10$  within a cone of 10 degrees

→ lepton veto in event selection

Ordering jets by masses  $m(j1) > m(j2)$ , treat  $j1$  as H jet,  $j2$  as Z jet

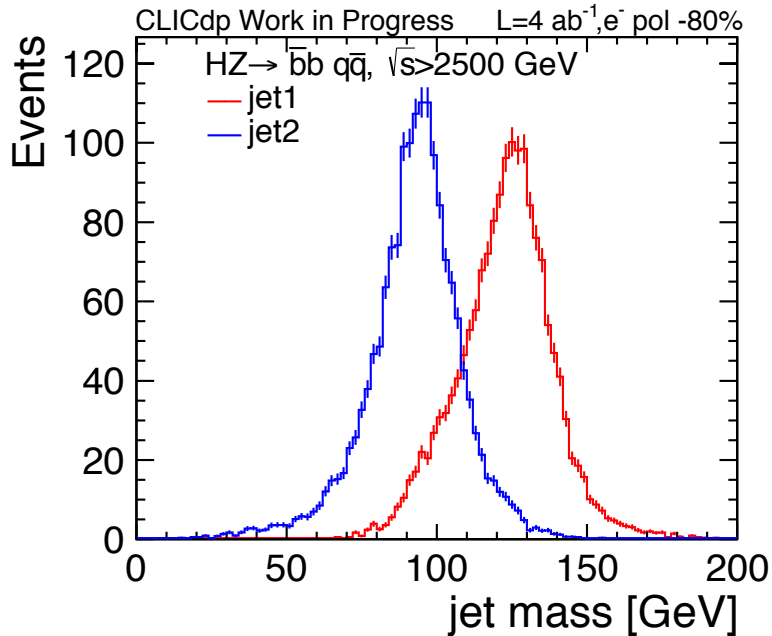
## Total Cross-section: $ee \rightarrow qqqqqq$ sum of 14 different six quark datasets

Process	Cross-section in fb Polarization $e^- -80 \%$	Cross-section in fb Polarization $e^- +80 \%$
$HZ \rightarrow H qq$	3.78	2.67
$ee \rightarrow qq$	1269	786
$ee \rightarrow qqqq$	902	120
$ee \rightarrow qqqqqq$	64.4	22.3

## Event numbers for cut on reconstructed $\sqrt{s} > 2500 \text{ GeV}$

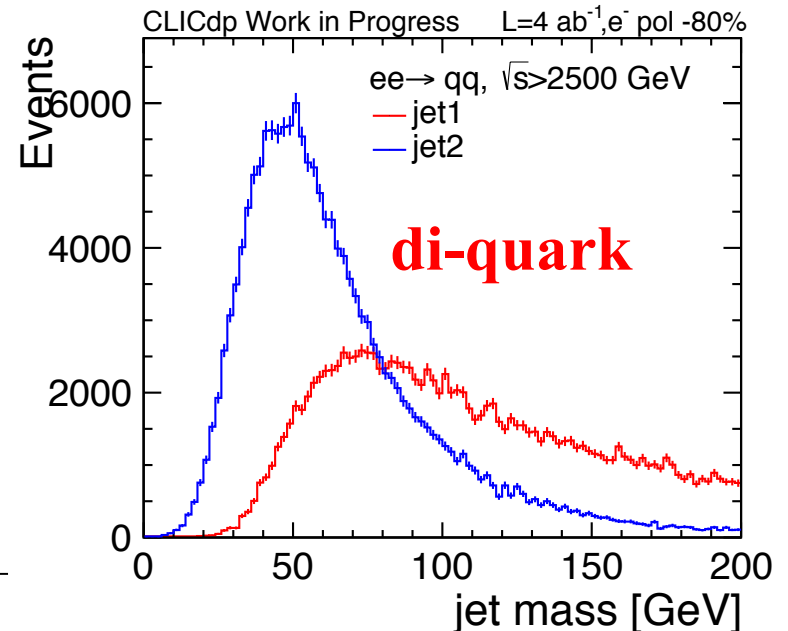
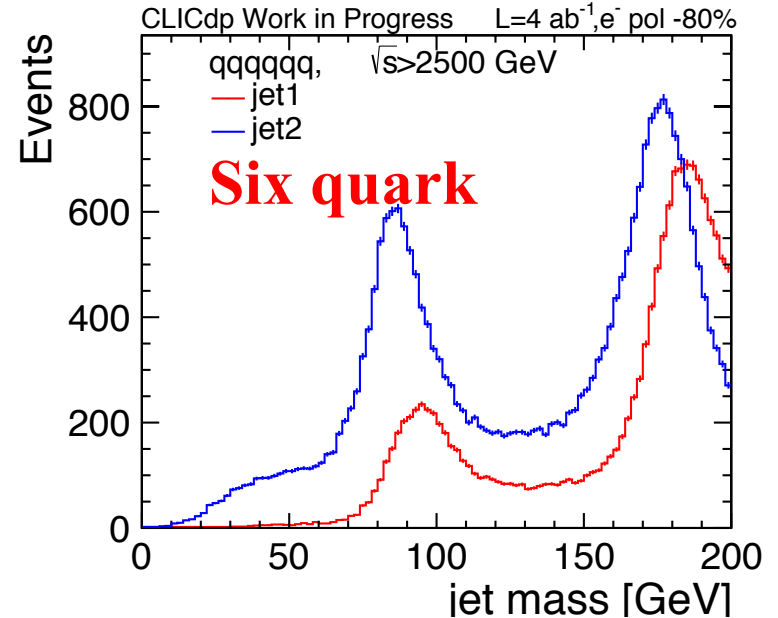
Process	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ $e^- \text{ pol } -80 \%, L=4 \text{ ab}^{-1}$	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ $e^- \text{ pol } +80 \%, L=1 \text{ ab}^{-1}$
$HZ \rightarrow bb qq$	1660	291
$ee \rightarrow qq$	165 000	17 800
$ee \rightarrow qqqq$	239 000	8 090
$ee \rightarrow qqqqqq$	31 300	3 010

## HZ signal

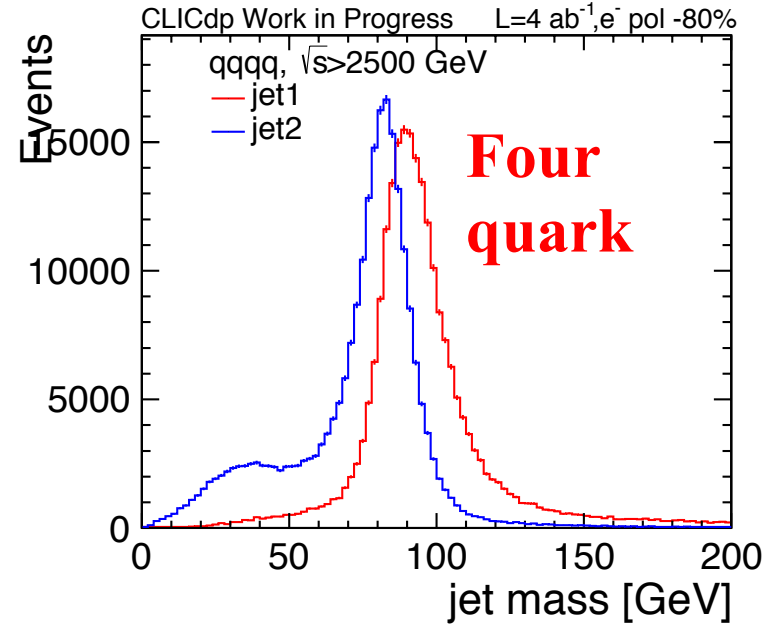
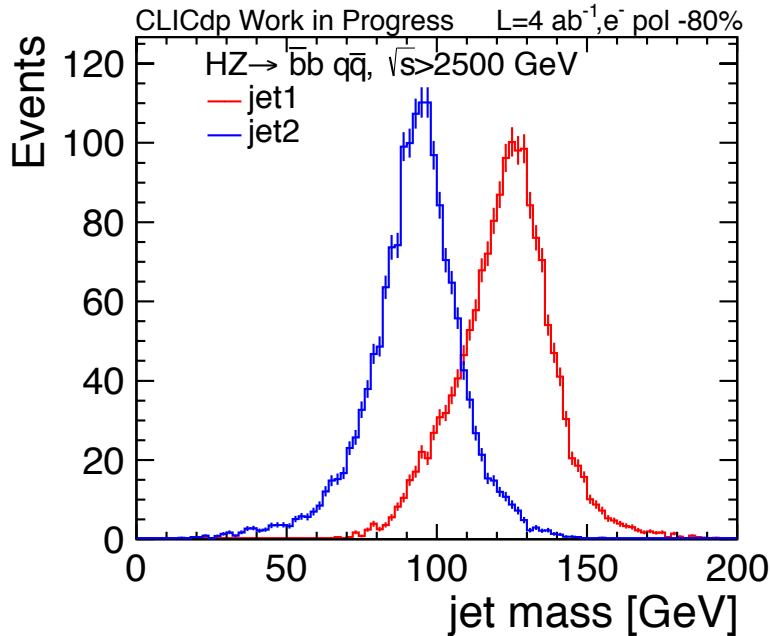


Clear peak at Z and H mass for signal

- for diquark sample peaks at lower values with long tail
- Six quark sample has leading peak around top mass, subleading peak around W mass



## HZ signal

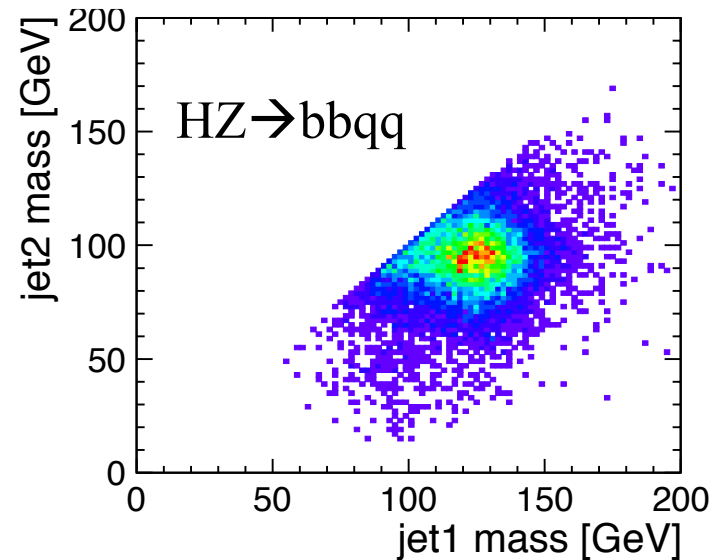
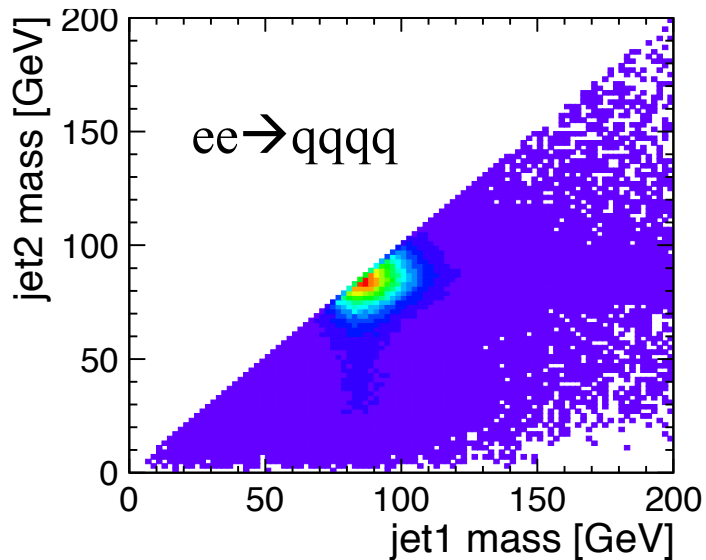
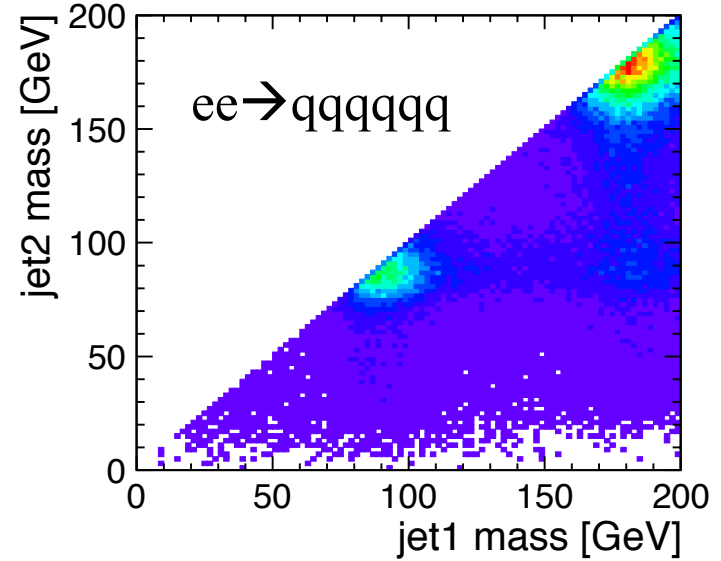
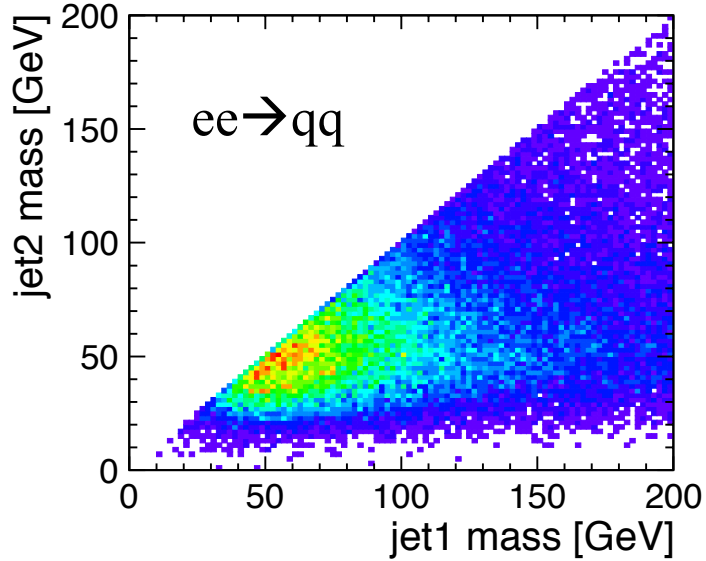


Apply two dimensional ellipse cut on jet1-jet2 mass plane around Z and H mass with windows of  $\Delta m(j1) = \Delta m(j2) = 20$  GeV

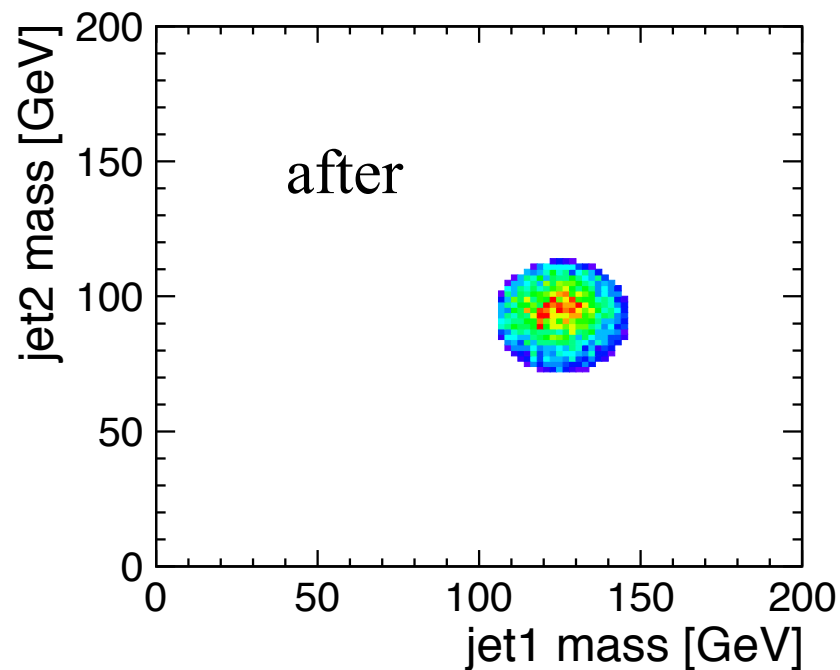
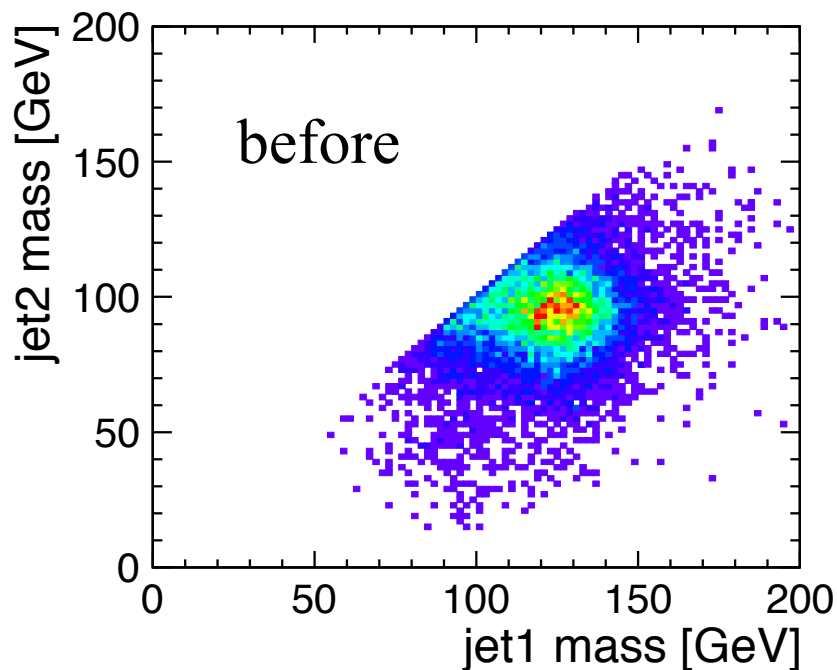
→ Cuts more on the lower tail of  $m(j1)$ , needed to reject qqqq background

Four quark sample has narrow peaks around W and Z masses  
→ sizeable tails to higher masses

# Background jet 1 mass vs jet2 mass



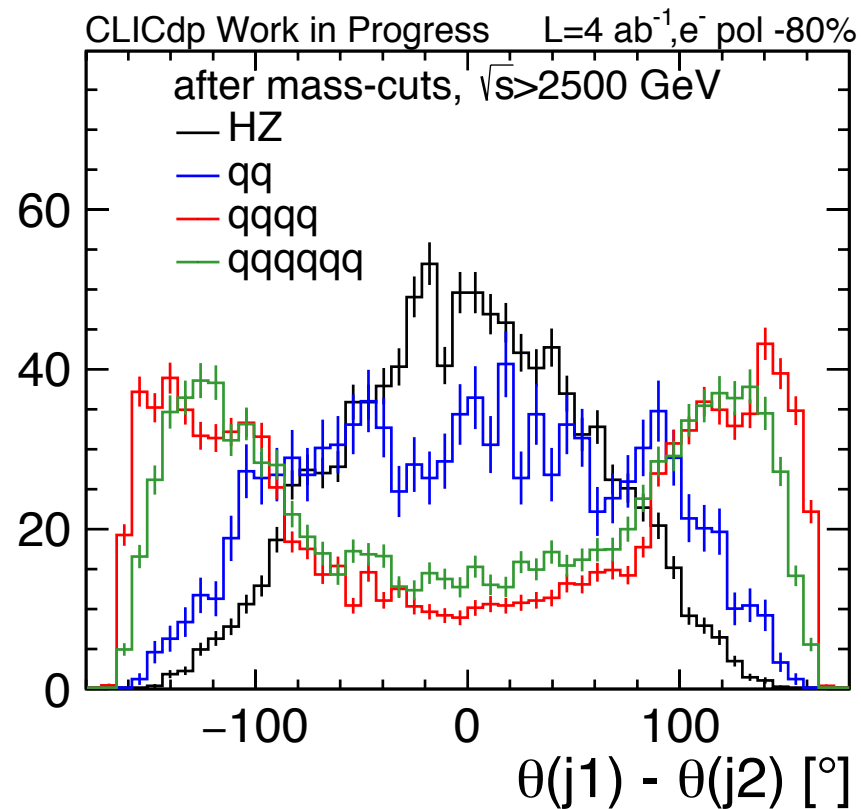
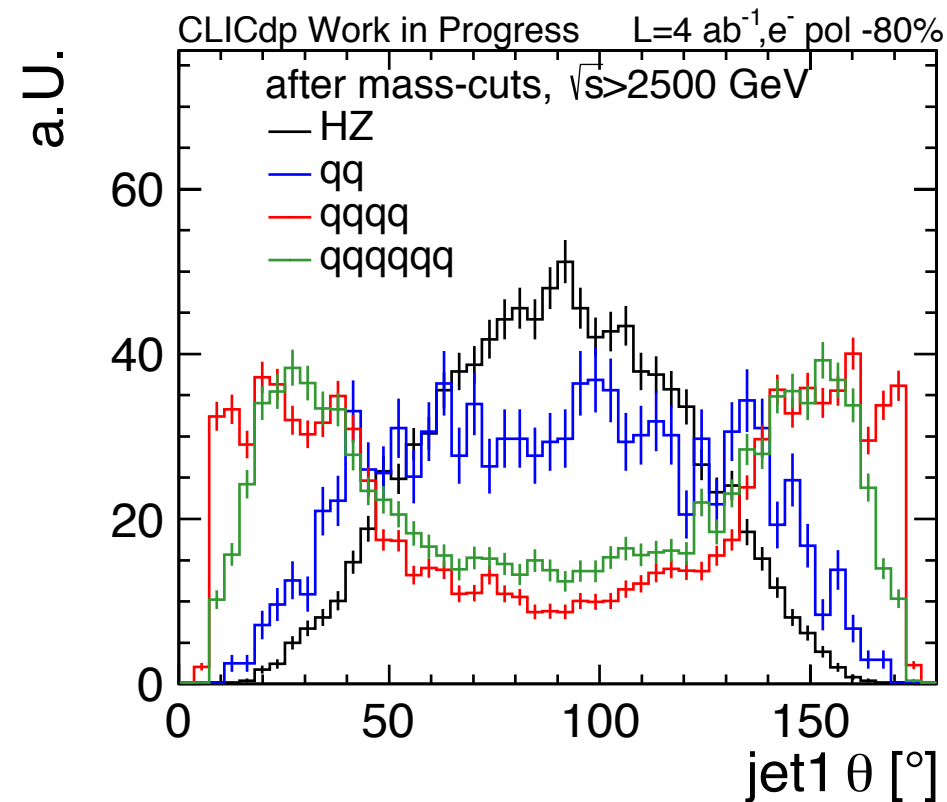
# Mass Cuts for $\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$



Process	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ $e^- \text{ pol } -80 \%, L=4 \text{ ab}^{-1}$	Efficiency In %	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ $e^- \text{ pol } +80 \%, L=1 \text{ ab}^{-1}$	Efficiency In %
$HZ \rightarrow bb \text{ } qq$	1020	61	179	62
$ee \rightarrow qq$	8020	4.9	860	4.8
$ee \rightarrow qqqq$	20399	8.5	771	9.5
$ee \rightarrow qqqqqq$	1080	3.4	49	1.6



# Mass and Theta Cuts for $\sqrt{s}_{\text{reco}} > 2500$ GeV



For four and six quark samples jets forward peaked, jets typically in opposite hemispheres

Keep events with  $\Delta\theta(j1, j2) < 100^\circ$  and  $20^\circ < \theta(j1) < 160^\circ$

→ Cut could be potentially tightened

# Theta on top of mass cuts for $\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$



Process	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ $e^- \text{ pol } -80 \%, L=4 \text{ ab}^{-1}$	Total (to prev cut) Efficiency In %	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ $e^- \text{ pol } +80 \%, L=1 \text{ ab}^{-1}$
$HZ \rightarrow bb \text{ } qq$	956	57 (93)	167
$ee \rightarrow qq$	6550	4.0 (82)	699
$ee \rightarrow qqqq$	8215	2.7 (32)	337
$ee \rightarrow qqqqqq$	523	1.7 (49)	24

Cuts on polar angle keeps most of the HZ and di-quark dataset, removes significant parts of remaining four and six quark events

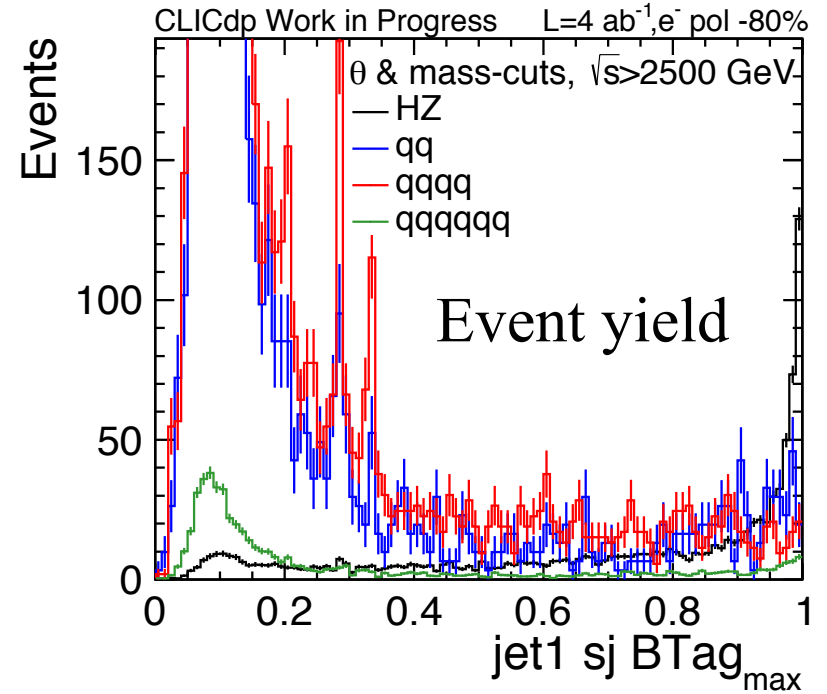
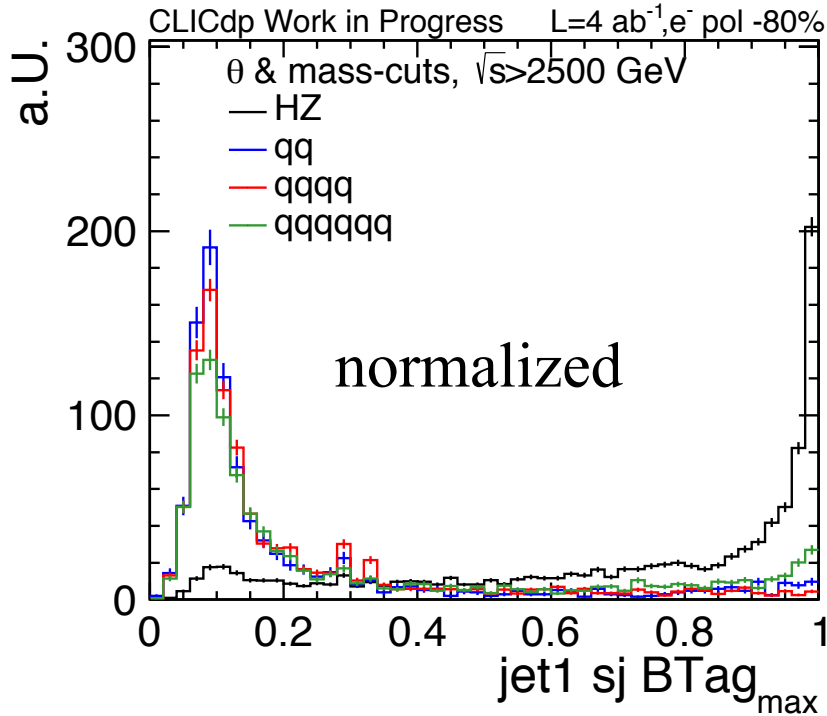
Use particles clustered in both large jets used as input for vertex reconstruction and flavour tagging procedure

- Jet Refiner running on jet particles, clustering the input in two jets, VLC7
- Each fat jet has two subjets
- Since LCFIPlus uses vertex jets as seed for jet clustering, typically splitting in refined jets considerably different from FastJet subjet declustering, e.g. after LFCIPlus leading subjet harder
- For HZ signal, the subjet with the largest BTag belongs to the more massive jet
- For background subjet with largest BTag belongs to both jets



Cut on largest BTag value of subjets assigned to the leading fat jet  $B_{\text{Tag}} > 0.9$

# After mass, theta and Btag>0.9 cuts



Process	√s <sub>reco</sub> >2500 GeV e <sup>-</sup> pol -80 %, L=4 ab <sup>-1</sup>	Total (to prev cut) Efficiency In %	√s <sub>reco</sub> >2500 GeV e <sup>-</sup> pol +80 %, L=1 ab <sup>-1</sup>
HZ → bb qq	407	24.5 (42.7)	68
ee→qq	262	0.16 (4.0)	22
ee→qqqq	147	0.11 (1.8)	10
ee→qqqqqq	42	0.13 (8.1)	2.5

Cuts on jet masses, polar angle and BTagging information reduce background significantly, di-quark dominated the background events

→ Use substructure information within fat jets, for signal two subjets within those fat jets

## Transverse momentum and energy correlation functions

- Introduced in JHEP 06 (2013) 108 by A.J Larkoski, G.P Salam and J Thaler

$$\text{ECF}(N, \beta) = \sum_{i_1 < i_2 < \dots < i_N \in J} \left( \prod_{a=1}^N E_{i_a} \right) \left( \prod_{b=1}^{N-1} \prod_{c=b+1}^N \theta_{i_b i_c} \right)^\beta$$

Maybe more suitable for  $e^+e^-$  collisions

$$\text{ECF}(N, \beta) = \sum_{i_1 < i_2 < \dots < i_N \in J} \left( \prod_{a=1}^N p_{T i_a} \right) \left( \prod_{b=1}^{N-1} \prod_{c=b+1}^N R_{i_b i_c} \right)^\beta$$

Used by the LHC experiments  
So far investigated these variables

$$\text{ECF}(0, \beta) = 1,$$

$$\text{ECF}(1, \beta) = \sum_{i \in J} p_{T i},$$

Both definitions available in FastJet

$$\text{ECF}(2, \beta) = \sum_{i < j \in J} p_{T i} p_{T j} (R_{ij})^\beta,$$

Energy correlation double ratios  $C_N^{(\beta)}$  defined as

$$C_N^{(\beta)} \equiv \frac{r_N^{(\beta)}}{r_{N-1}^{(\beta)}} = \frac{\text{ECF}(N+1, \beta) \text{ECF}(N-1, \beta)}{\text{ECF}(N, \beta)^2}$$

$D_2^{(\beta)}$  introduced in JHEP 12 (2014) 009 (<https://arxiv.org/abs/1409.6298>)  
by A.J Larkoski, I. Moult and D. Neill as

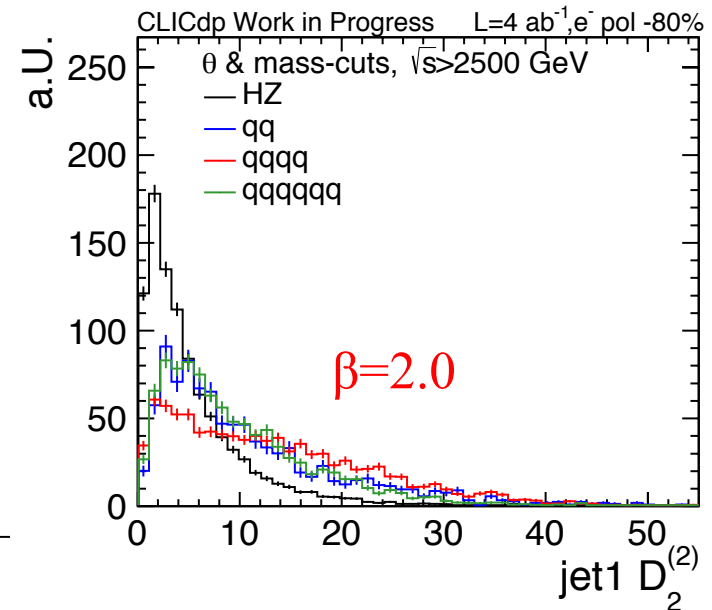
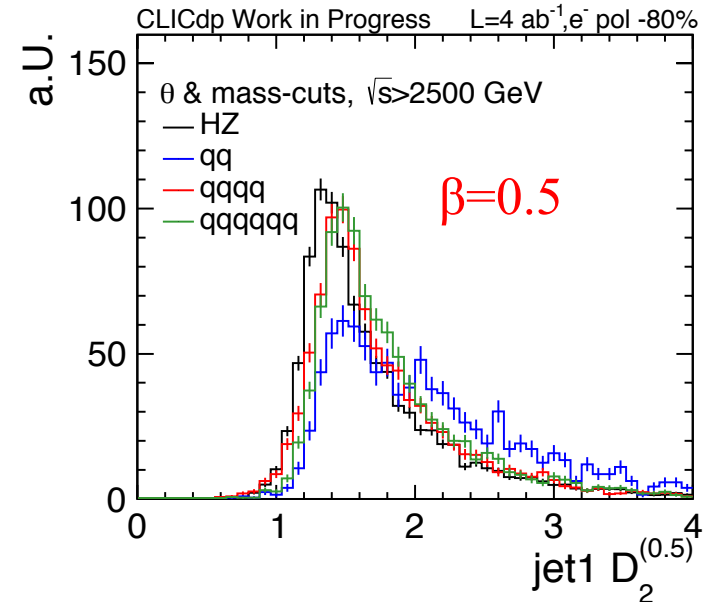
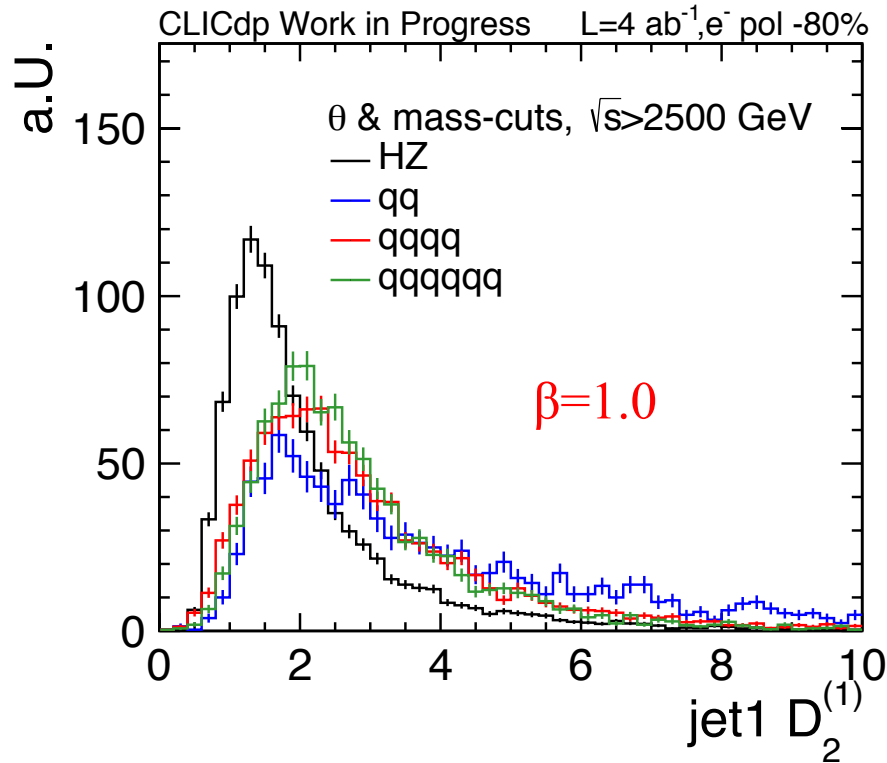
$$D_2^{(\beta)} = \text{EFC}(3, \beta) / \text{EFC}(2, \beta)^3$$

$$C_2^{(\beta)} = \text{EFC}(3, \beta) * \text{EFC}(1, \beta) / \text{EFC}(2, \beta)^2$$

# Leading jet Energy Correlation Double Ratio $D_2^{(\beta)}$

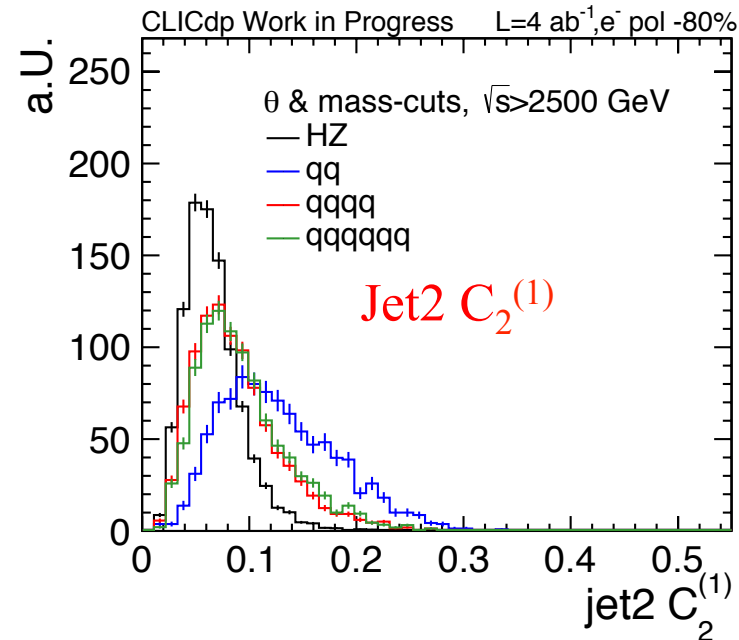
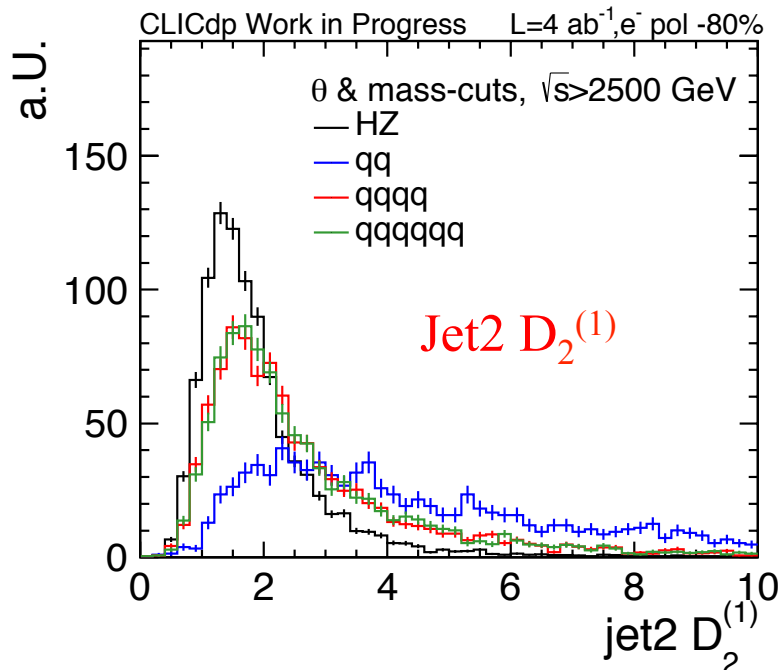


Studied three different beta values: 0.5, 1 and 2, variables least discriminant using  $\beta=0.5$



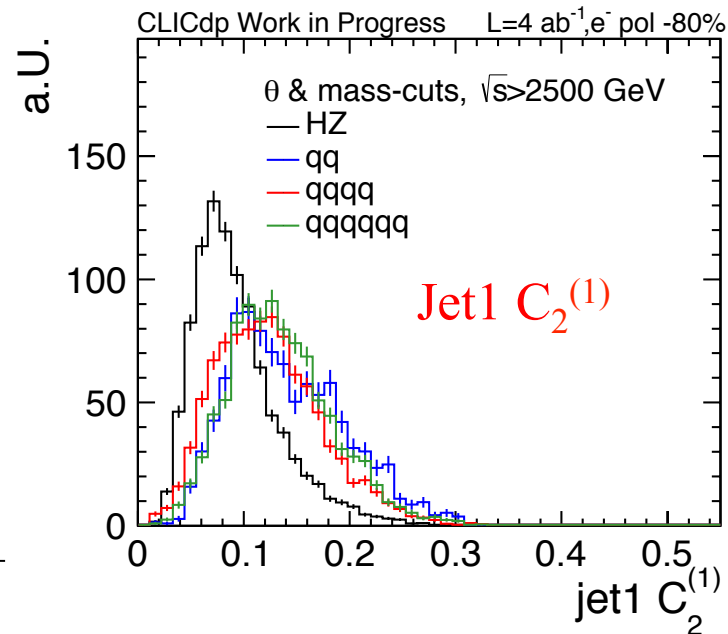
Use  $\beta=1.0$  for now  
→ for HZ dataset distribution peaked at lower values

# Energy Correlation Double Ratios $C_2^{(1)}$ and $D_2^{(1)}$



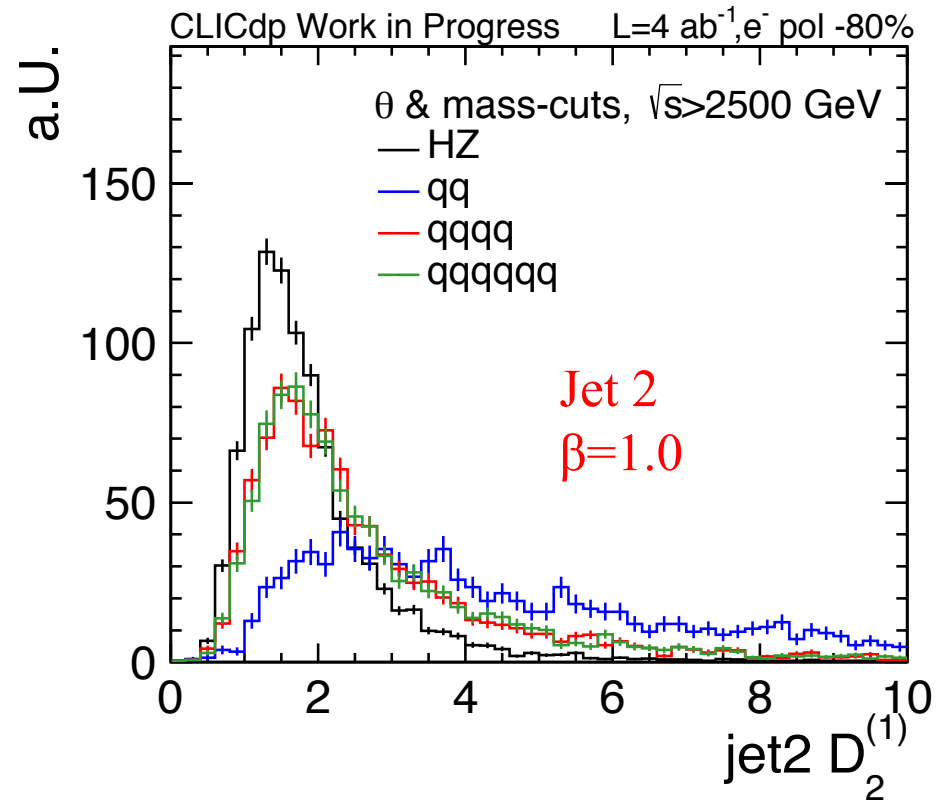
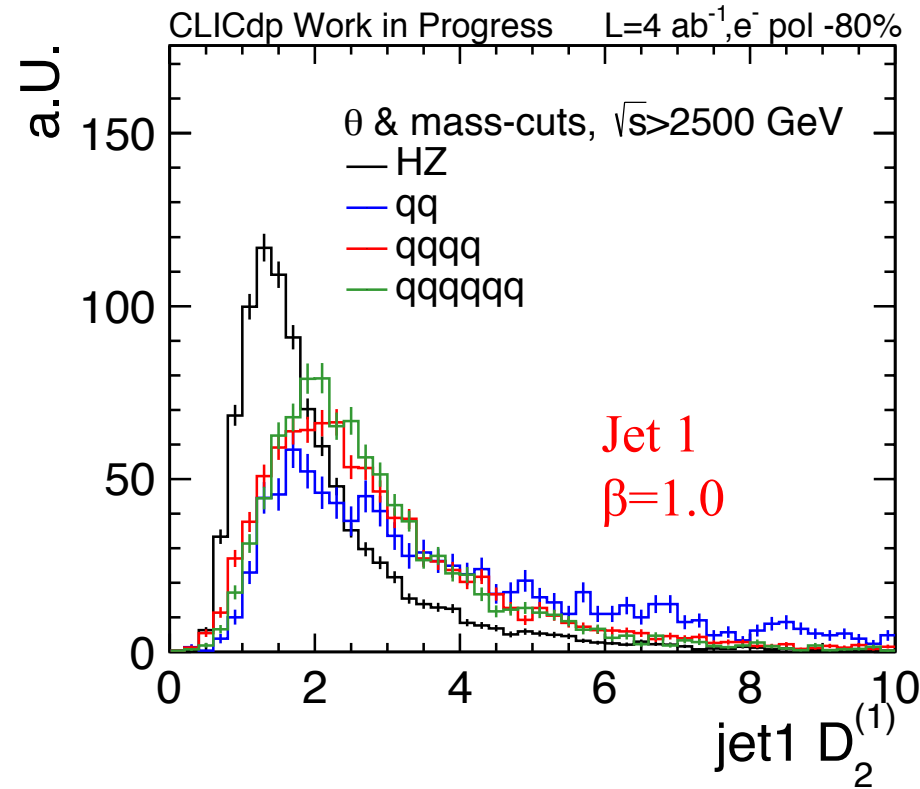
Jet Energy correlation ratios of both jets  
additional handle to discriminate between signal  
and backgrounds

→  $D_2$  and  $C_2$  quite correlated, choose  $D_2$





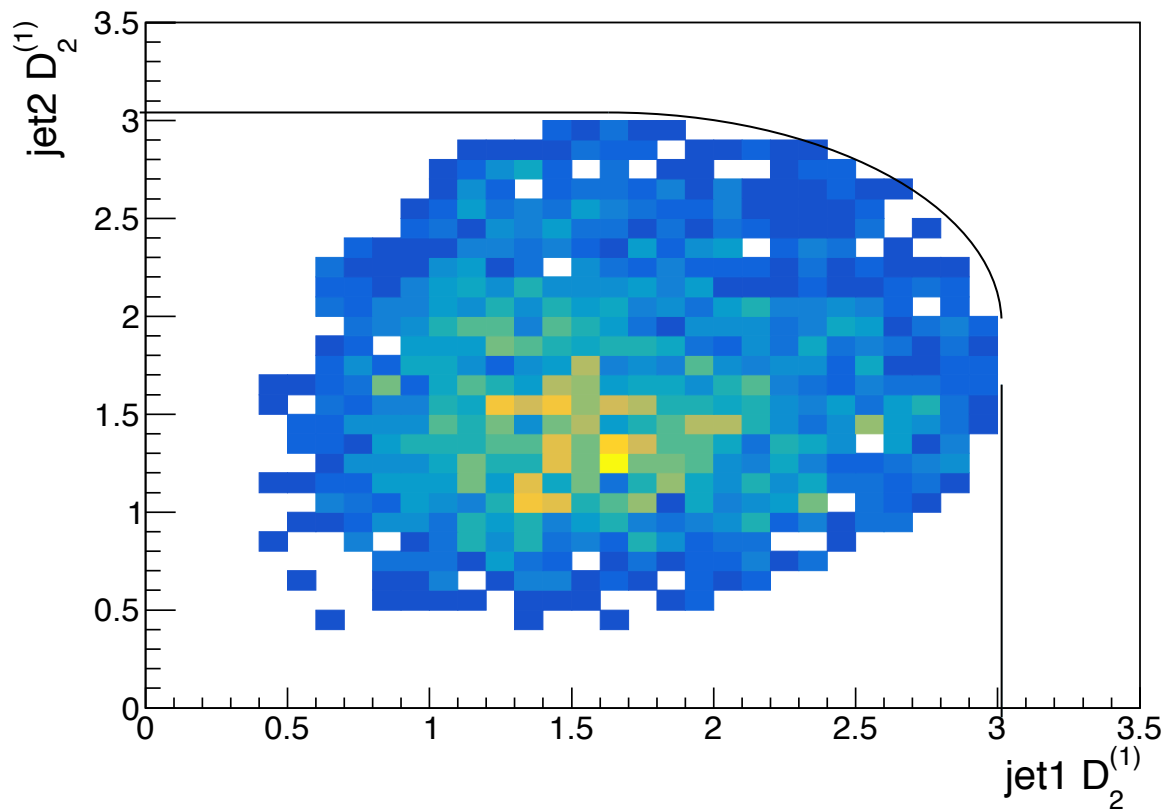
# Energy Correlation Ratio $D_2^{(1)}$



Most powerful against  $ee \rightarrow qq$ , for four and six quark backgrounds leading jet  $D_2$  more discriminant

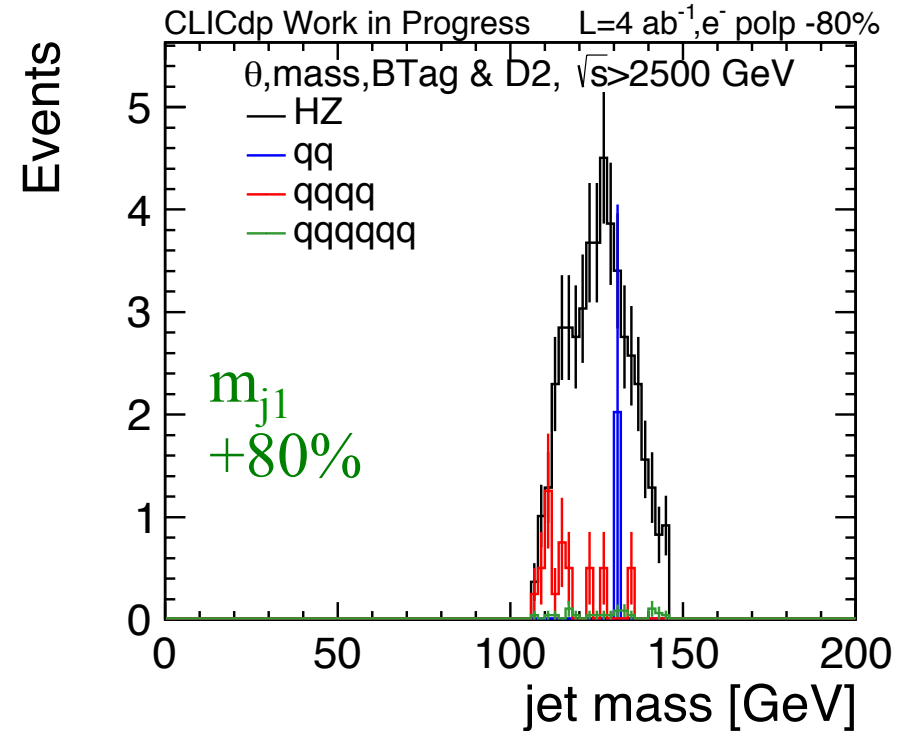
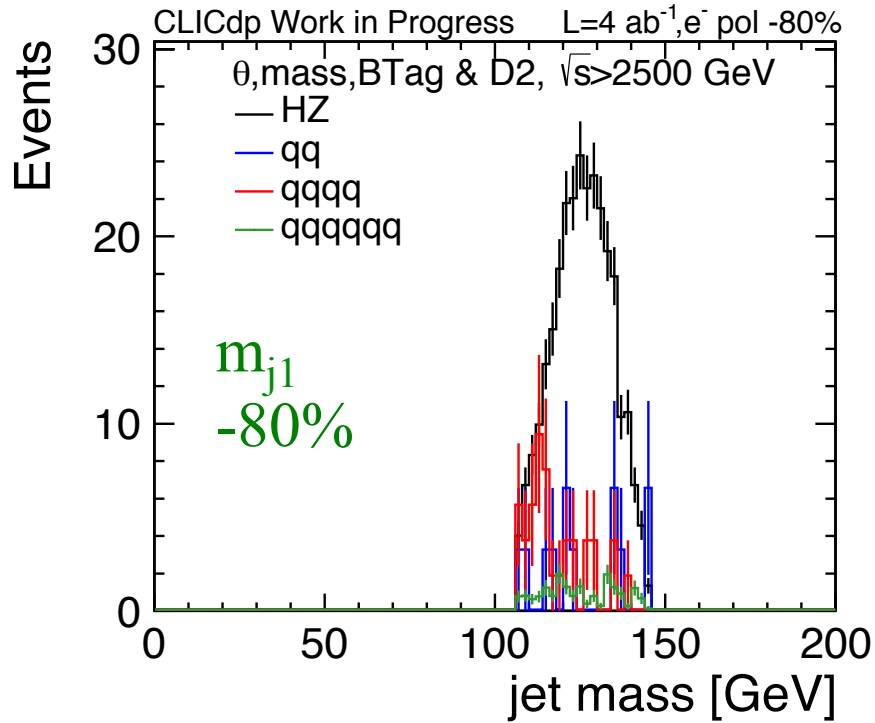
→ Cut on 2D plane on upper end

Cut on 2 dimensional distributions of jet substructure variables



Selection keeps most of the signal, but removes the tails of all backgrounds

# Final cut flow default example

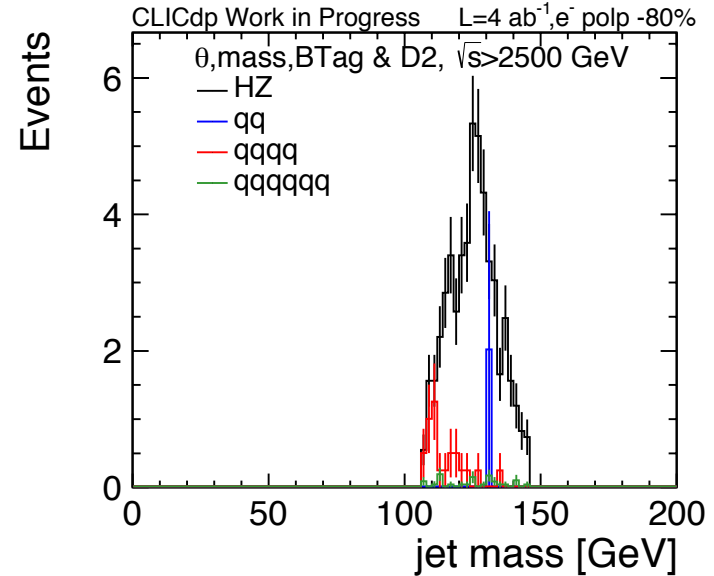
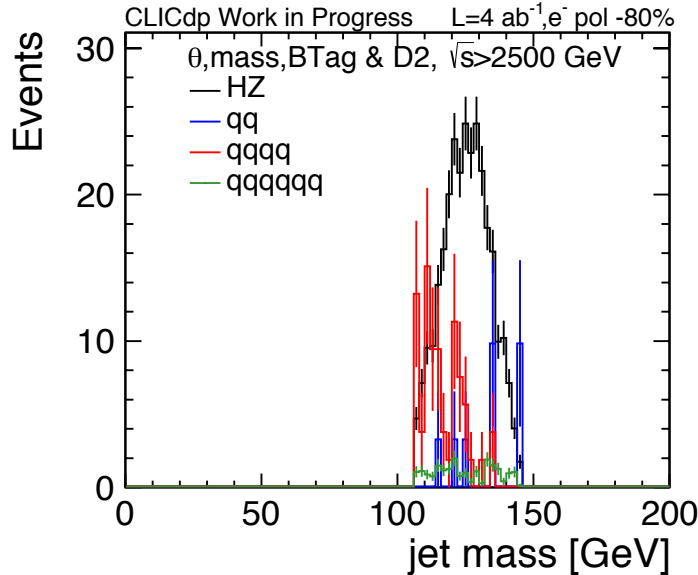


Process	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ e <sup>-</sup> pol -80 %, L=4 ab <sup>-1</sup>	Total (to prev cut) Efficiency In %	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ e <sup>-</sup> pol +80 %, L=1 ab <sup>-1</sup>
HZ → bb qq	282	17 (69)	48
ee → qq	39	0.02 (15)	2.0
ee → qqqq	57	0.02 (38)	5.0
ee → qqqqqq	18	0.06 (43)	0.9

# Alternative Cut Flow



Keep jet mass and polar angle cuts, relax cut on  $B_{tag} > 0.8$ , tighten cut on  $D_2 \rightarrow$  increase in  $ee \rightarrow qqqq$  background, slight decrease for  $ee \rightarrow qq$



Process	$\sqrt{s}_{reco} > 2500$ GeV $e^-$ pol -80 %, $L=4$ $ab^{-1}$	Total (to prev cut) Efficiency In %	$\sqrt{s}_{reco} > 2500$ GeV $e^-$ pol +80 %, $L=1$ $ab^{-1}$
$HZ \rightarrow bb qq$	288	17.2 (54)	52
$ee \rightarrow qq$	30	0.018 (6.6)	2.0
$ee \rightarrow qqqq$	90	0.037 (25)	5.3
$ee \rightarrow qqqqqq$	21	0.07 (31)	1.1

# Open H selection, default cuts



So far always select  $H \rightarrow bb$ , based on MC truth. In case we remove this cut based on MC information, the number of events increases from 282 to 288 for the dataset with negative polarization.

The amount of  $H \rightarrow bb$  within that sample is 98 %

For the +80 % polarization sample  $H \rightarrow bb$  contributes to 98 % of the final selected events as well

Process	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ $e^- \text{ pol } -80 \%, L=4 \text{ ab}^{-1}$	Total (to prev cut) Efficiency In %	$\sqrt{s}_{\text{reco}} > 2500 \text{ GeV}$ $e^- \text{ pol } +80 \%, L=1 \text{ ab}^{-1}$
$HZ \rightarrow H qq$	288	17 (69) on $H \rightarrow bb$	49
$ee \rightarrow qq$	39	0.02 (15)	2.0
$ee \rightarrow qqqq$	57	0.02 (38)	5.0
$ee \rightarrow qqqqqq$	18	0.06 (43)	0.9

Without any signal selection the jet with the larger mass is matched to the H in around 85 % of cases. After the final selection this is the case in more than 98 %

First look at HZ signal with  $H \rightarrow bb$  and backgrounds from  $ee \rightarrow qq$ ,  $ee \rightarrow qqqq$  and  $ee \rightarrow qqqqqq$

Discrimination between signal and backgrounds by cuts on

- Jet masses against all three backgrounds
  - Jet polar angle (rejects mainly  $ee \rightarrow qqqq$  and  $ee \rightarrow qqqqqq$ )
  - Flavour identification, using BTagging on the leading jets
  - Energy correlations addressing the differences in jet substructure  $\rightarrow$  particularly helpful to discriminate against  $ee \rightarrow qq$
- $\rightarrow$  Further tuning limited by available statistics in  $ee \rightarrow qq$  and  $ee \rightarrow qqqq$  datasets
- $\rightarrow$  Signal selection almost exclusively selects  $H \rightarrow bb$  events, more massive jet is matched to H with over 98 %

Next step:

Use most discriminating variables in BDT

MC Production has been started to increase statistics of di-quark and four quark