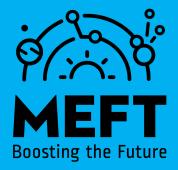


Evolutionary Dynamics of Signaling Games

Author: Diogo Pires

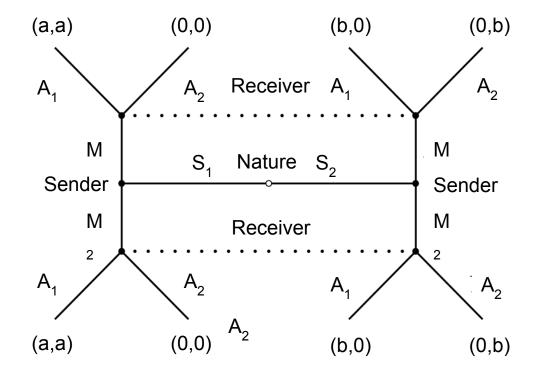
Supervisors: Francisco C. Santos José Luís Martins



Framework - Signaling Game

- \rightarrow Cheap-talk;
- → Partially conflicting interests;
- \rightarrow Strategies;
- → Honest signaling and interpretation:

$$\begin{array}{c} \boldsymbol{S}_1 \rightarrow \boldsymbol{M}_1 \rightarrow \boldsymbol{A}_1 \\ \boldsymbol{S}_2 \rightarrow \boldsymbol{M}_2 \rightarrow \boldsymbol{A}_2 \end{array}$$



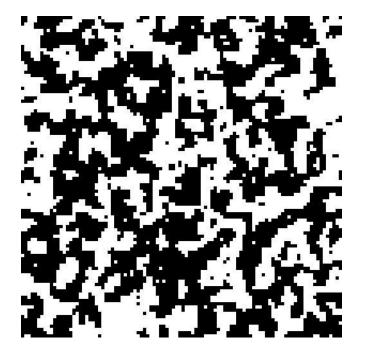
Framework - Evolution

- → Symmetrize the Signaling Game;
- → Evolve populations, allowing players to replicate;
- → Fermi function as a stochastic update rule;
- → Look at β as the selection pressure.

$$p(A \rightarrow B) = \frac{1}{1 + e^{-\beta(\Pi_B(k) - \Pi_A(k))}}$$

Framework - Small Mutation Limit

- → Players will act collectively in a population monomorphic state;
- → Mutants can invade these monomorphic populations;
- → We can compute the transitions from monomorphic state A to B and get the stationary distribution.



Framework - Networks



- → Players form links between each other;
- →Links eventually die;
- →When the networks changes very fast, we can compute effective payoffs;
- →Reveals new dynamics.

$$\pi_{AB}' = \frac{\alpha_A \alpha_B}{\alpha_A \alpha_B + \gamma_{AB}} \pi_{AB}$$

Questions

- I. How can signaling evolve?
- II. Can we assess how much time an evolutionary system is expected to spend in each signaling equilibria?
- III. What's the role of (dynamical) structured populations in the emergence of signaling systems?





