

# UNDER (NO) PRESSURE

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## ANALYTICAL CLASSIFICATION OF PRESSURE READINGS



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### 1 ABSTRACT

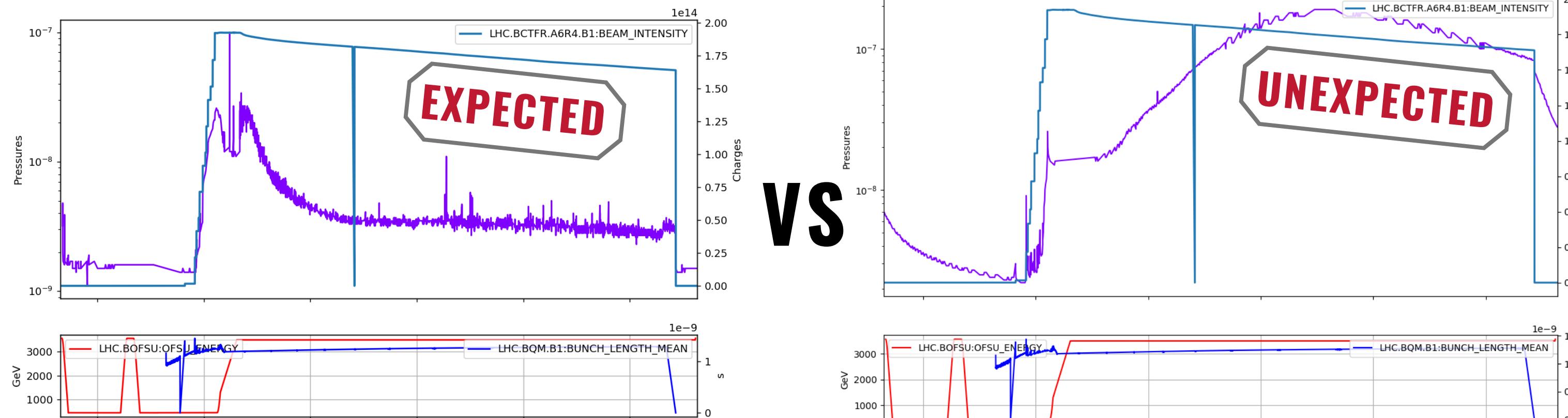
All along the LHC, vacuum gauges provide valuable pressure readings. With them, the integrity of the vacuum can be confirmed.

Knowing the linear relationship that exists between the temperature and pressure an automatic algorithm has been developed to detect areas where pressure behaviour may infer temperature increase. This divides the gauges into two classes: expected and unexpected. The resulting analytical algorithm correctly classifies pressure responses with very high accuracy.

### 3 PROPOSAL

Given a set of pressure readings, determine whether the gauge is behaving as expected.

Figure 1: Expected versus Unexpected pressure responses



Unexpected behaviour of the gauge could indicate increased power loss.

### 4 METHODOLOGY

Figure 3: Normalisation

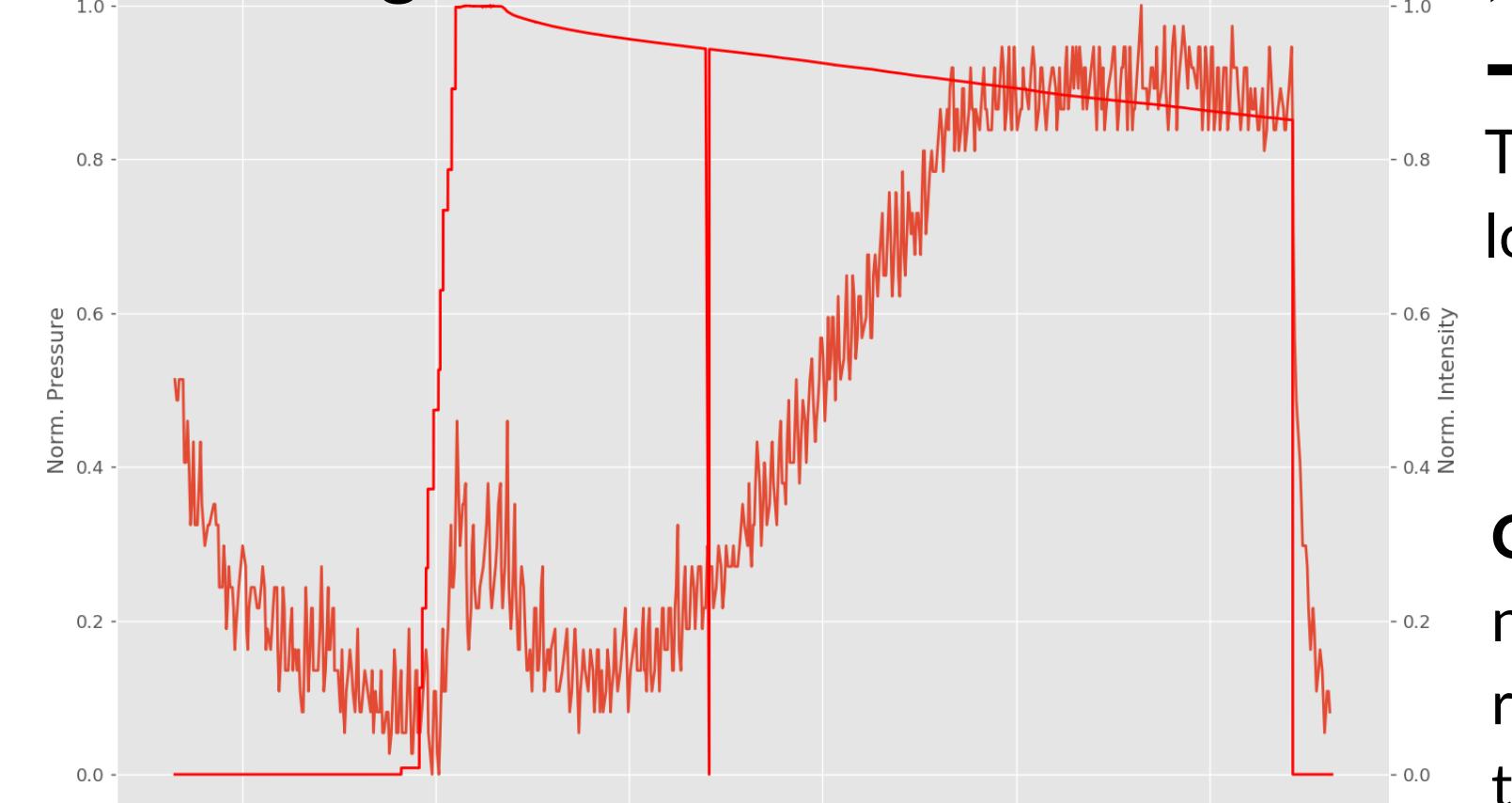


Figure 5: Normalisation

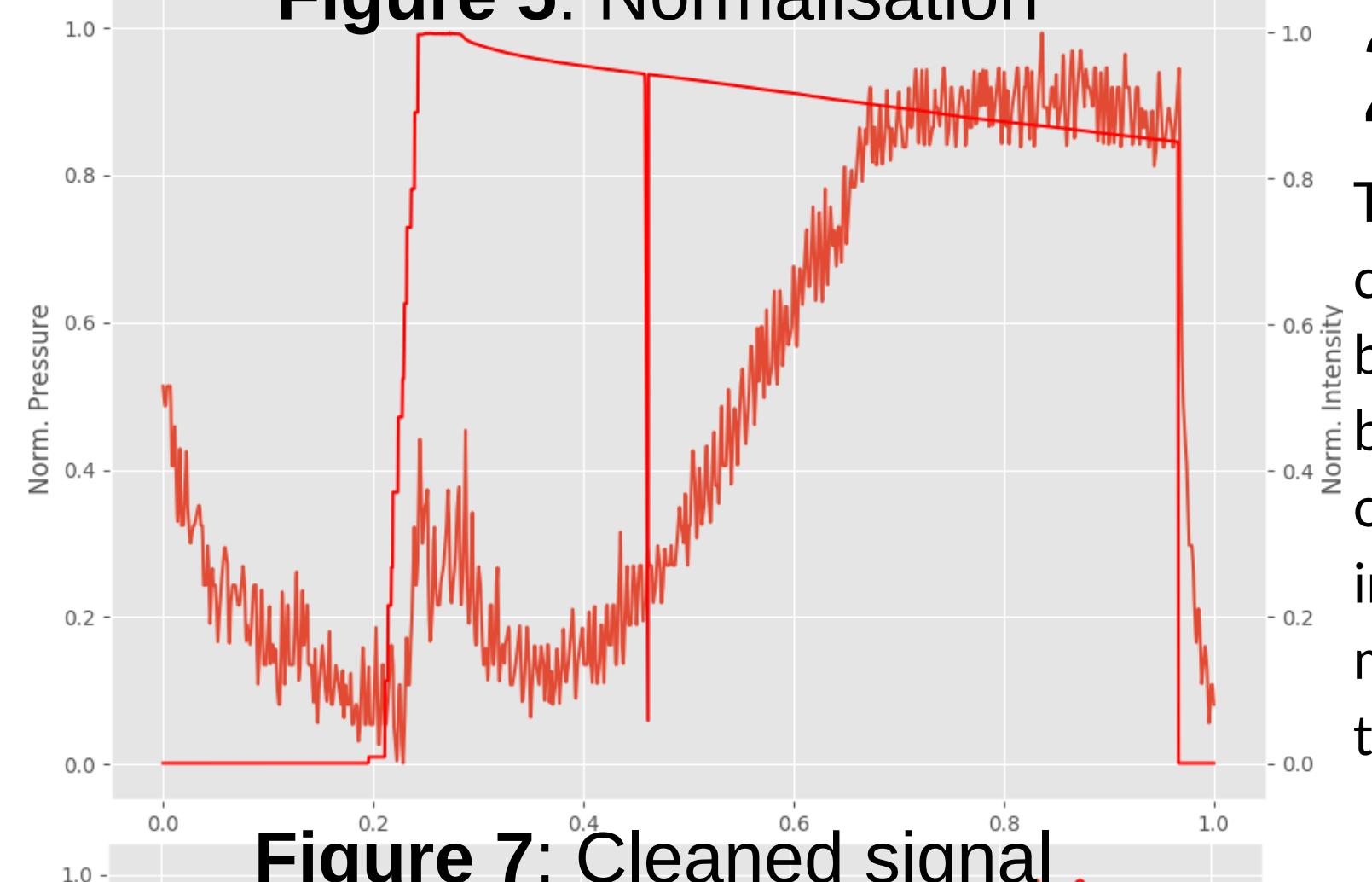


Figure 7: Cleaned signal

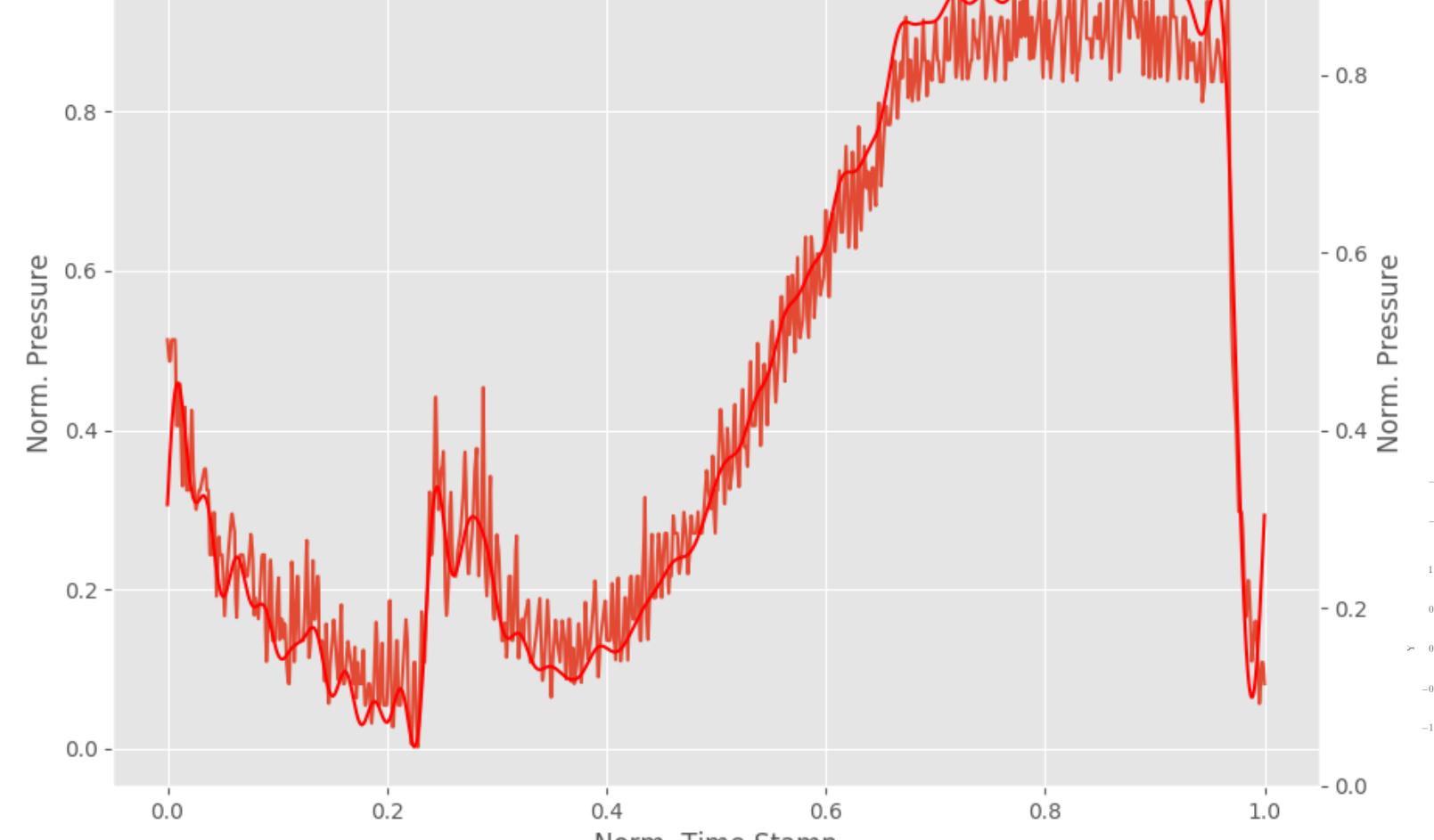


Figure 10: Function fitting

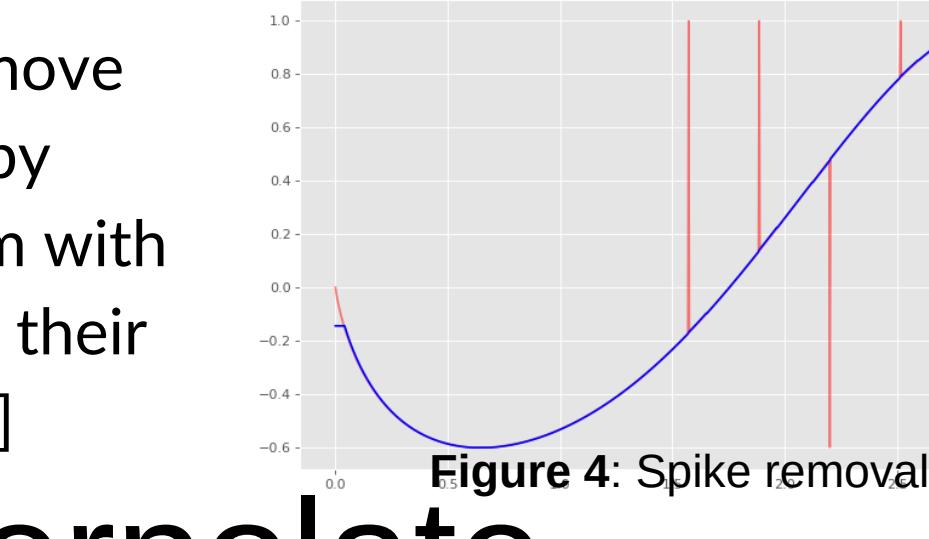


#### 1) Normalise Data

Translate values to range between 0 and 1. To do so losslessly, we apply **feature scaling** [3]:

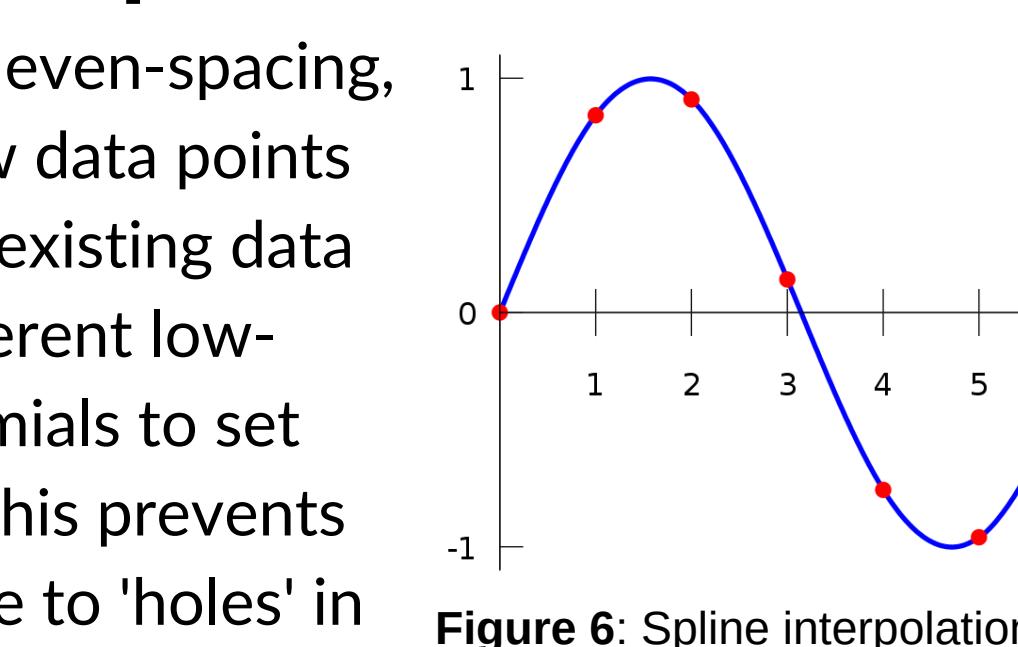
$$\frac{x - \min(x)}{\max(x) - \min(x)}$$

**Optional:** Remove noise in data by replacing them with the median of their neighbours.[4]



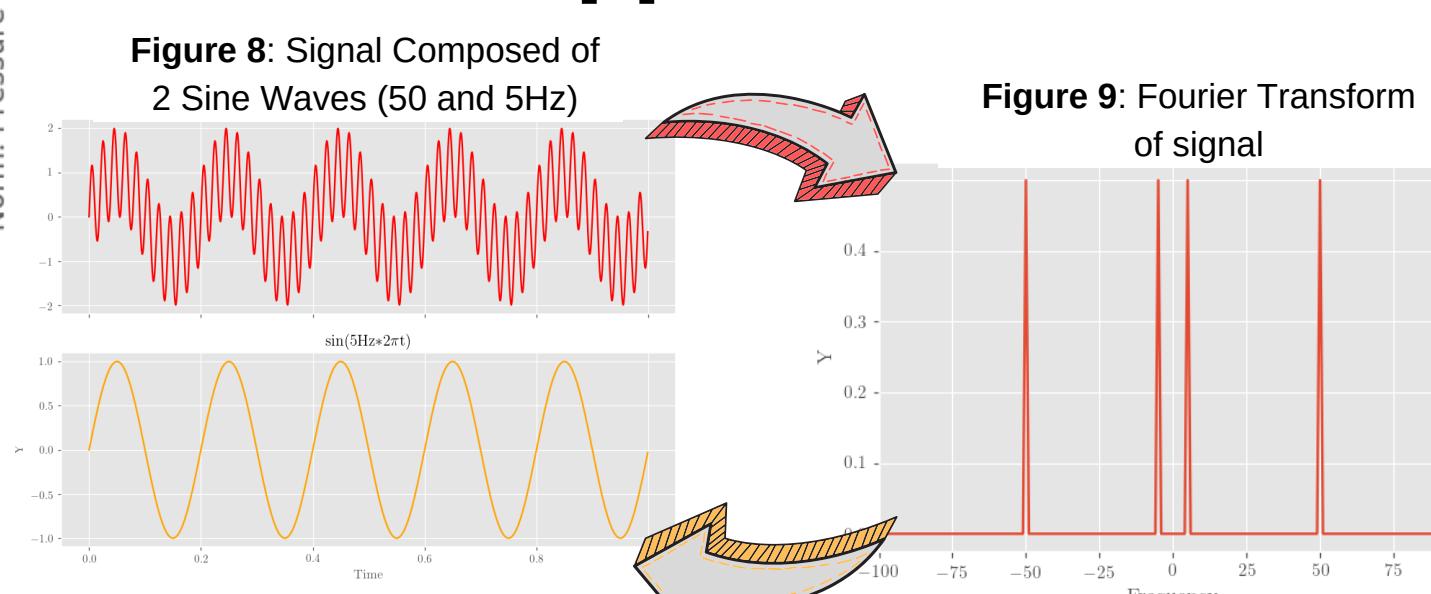
#### 2) Interpolate

To guarantee even-spacing, construct new data points based on the existing data by fitting different low-order polynomials to set intervals.[5] This prevents mis-fitting due to 'holes' in the data.



#### 3) Low Pass filter

Cut off terms above 40Hz in Fourier domain to reduce noise [6]



#### 4) Fit functions

Fit a decay function (expected) and a 3rd order polynomial (unexpected)

$$\text{Decay Function} \quad a(1 - x)^b + c \quad \text{Polynomial Function} \quad ax^3 + bx^2 + cx + d$$

Compare their Mean Square error to classify the probe's response

### 2 BACKGROUND



Figure 2: Waves inside the beamline

### 5 NUMERICAL RESULTS

Figure 11: Classification in action

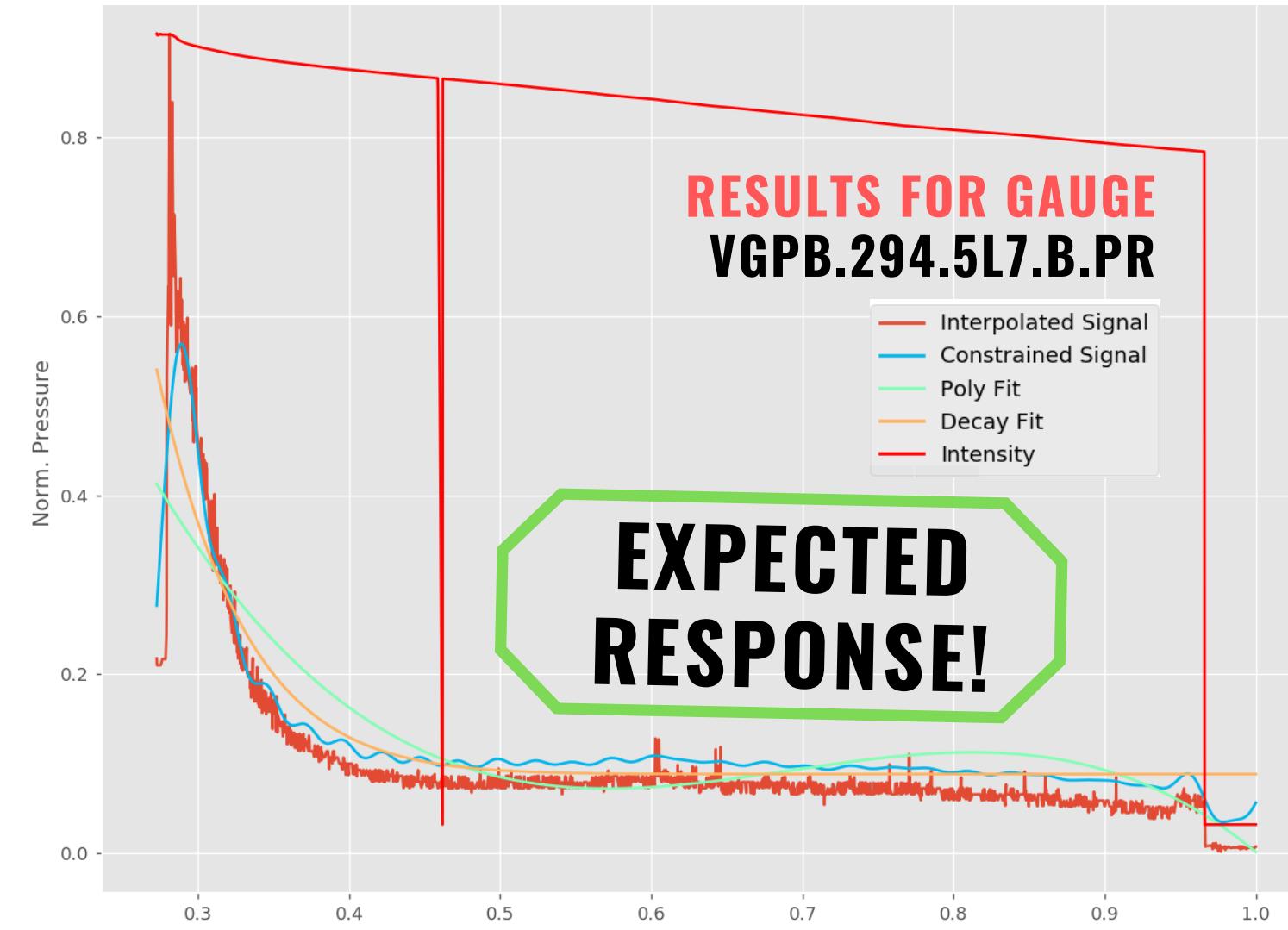
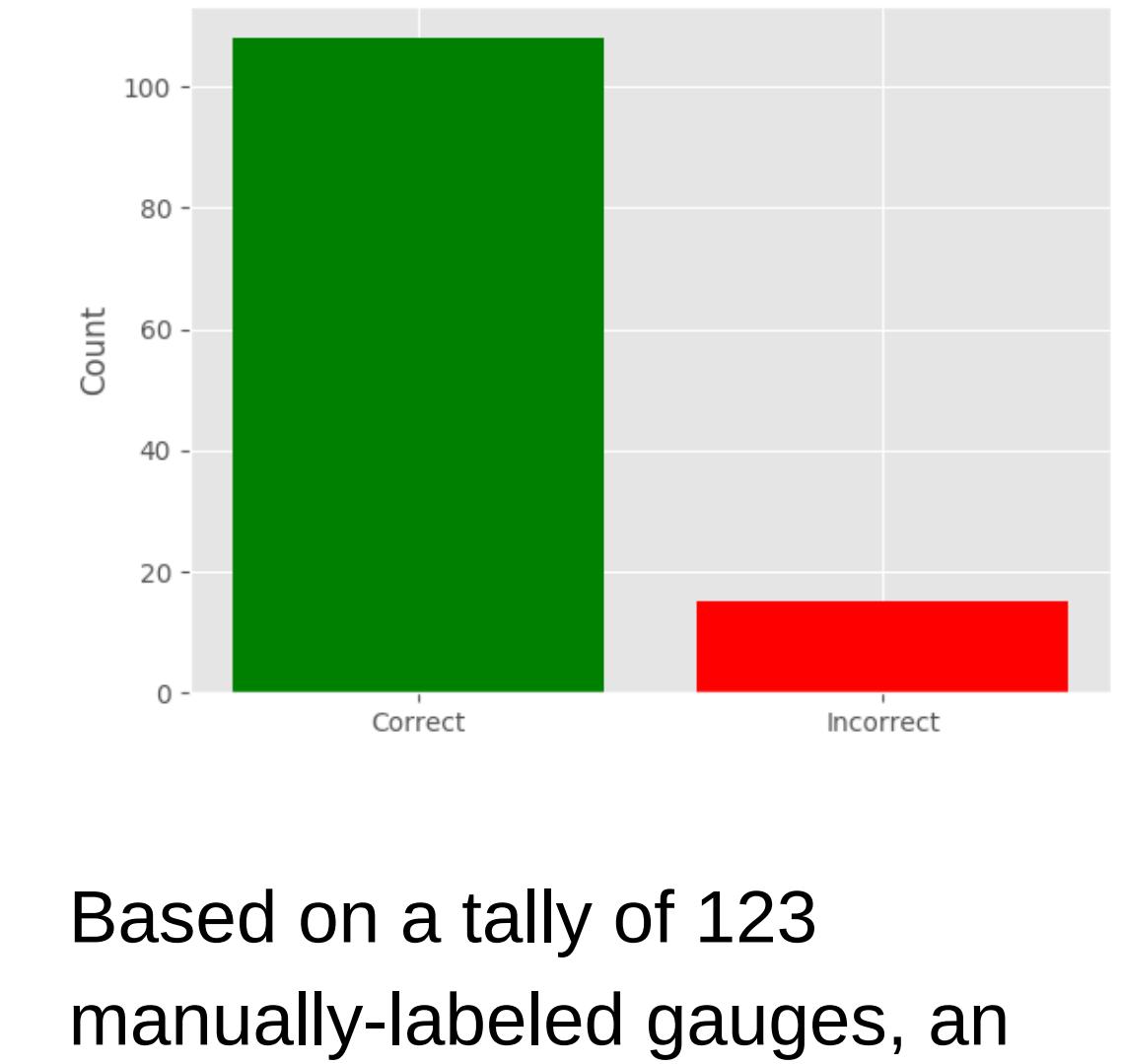
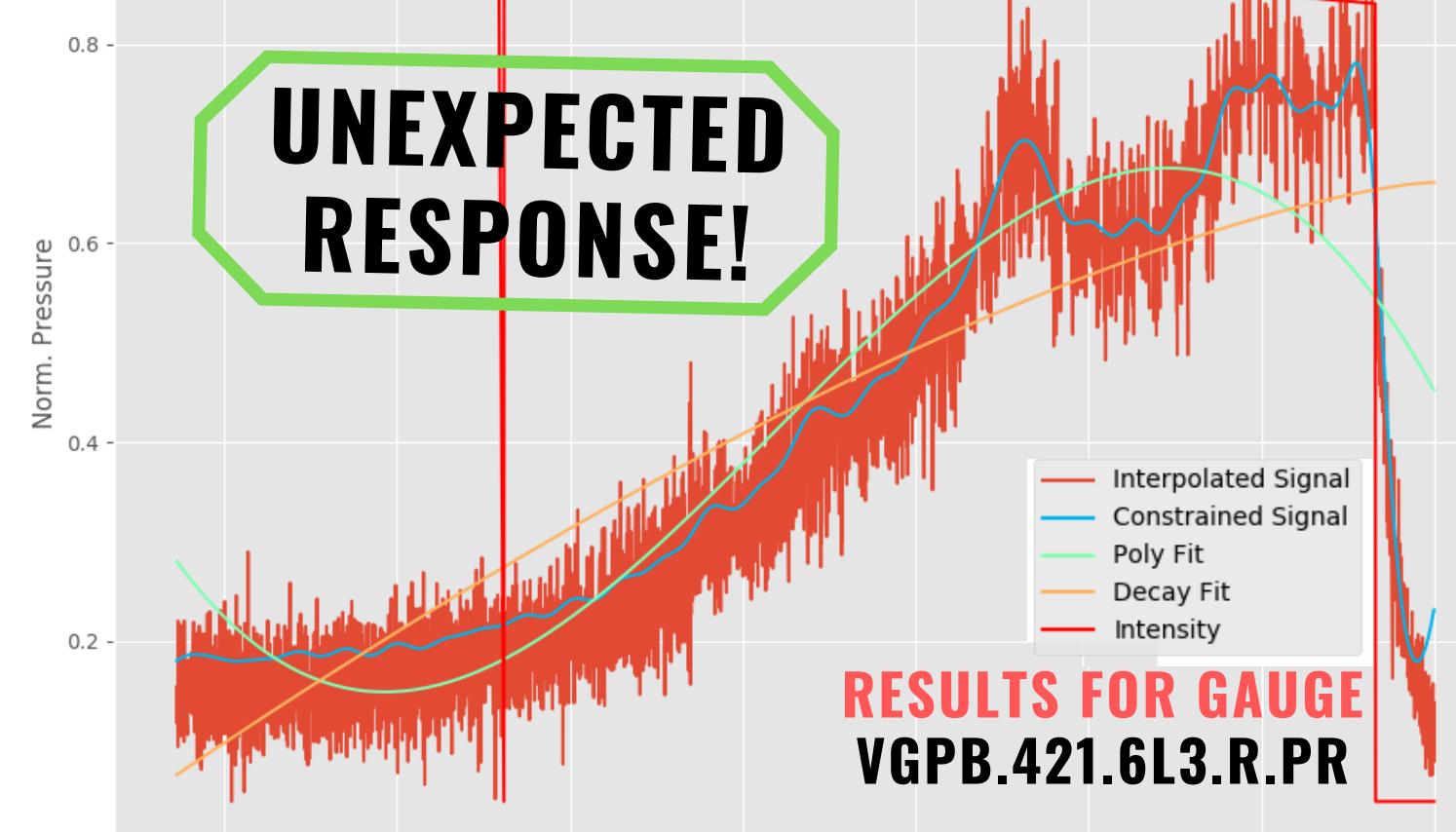


Figure 12: Classifier Performance



Based on a tally of 123 manually-labeled gauges, an accuracy of ~87.8% is achieved using the classifier.



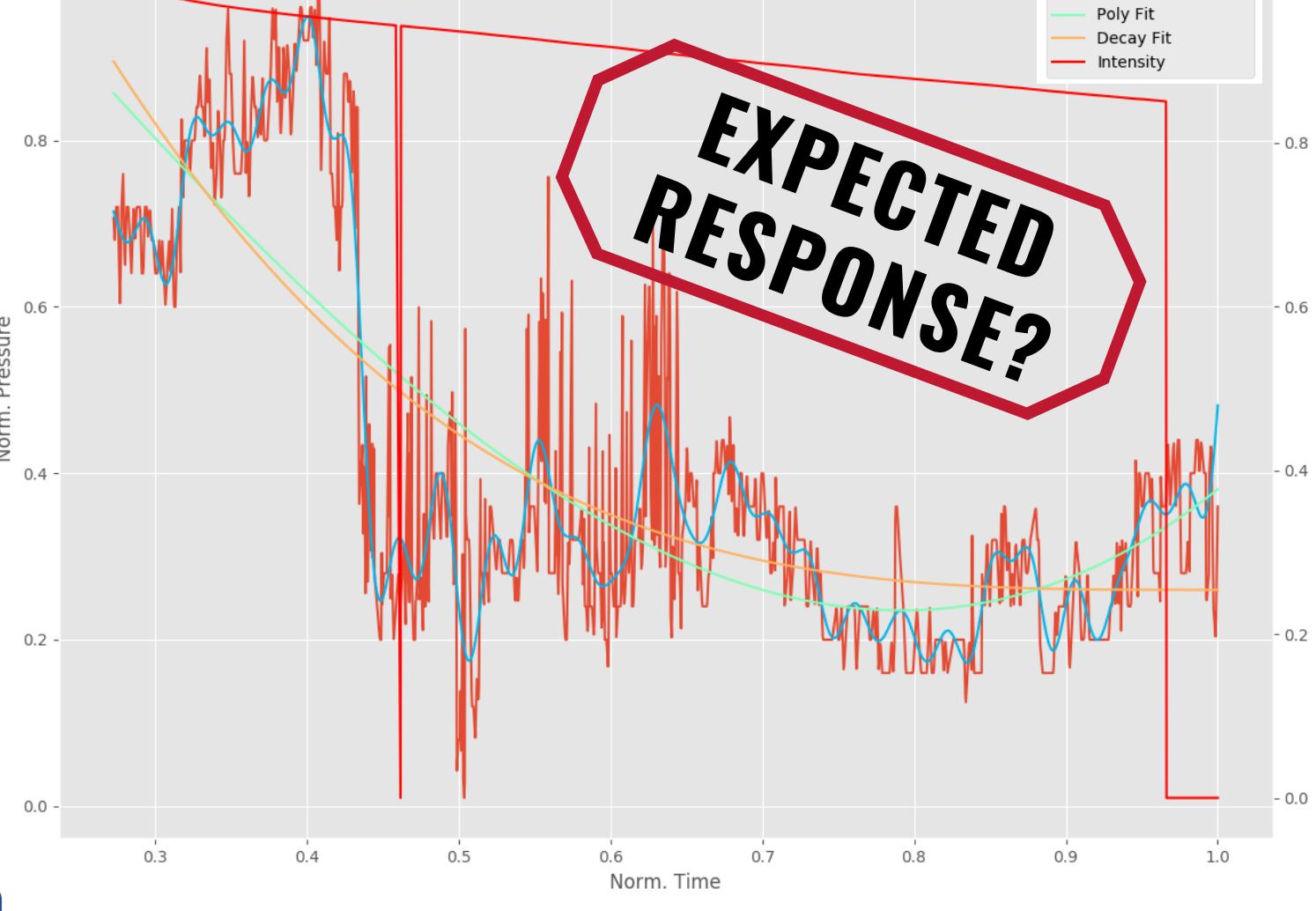
### 6 CONCLUSION

Based on the results presented here, it is possible to classify vacuum gauges using a completely analytical approach. This works at **87.8% accuracy** for simple responses. However, it does not generalize well to unusual or multi-modal responses.

```
At Fill 2016/7494
s: reload current fill
d: move forward one fill
a: move backward one fill
j: jump to a specific fill
b: step through X fills in specified direction
f: fix selected location until called again
x: to quit this wizard
z: analyze using Analytical Classifier
```

Figure 13: Vacuum Gauge explorer

Figure 14: Misclassification



To gain higher accuracy, a Machine Learning (ML) approach is proposed whereby:

- The tuning of parameters such as the cut-off frequency are learned
- Existing ground truths are used to train the ML model

### 7 BIBLIOGRAPHY

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