

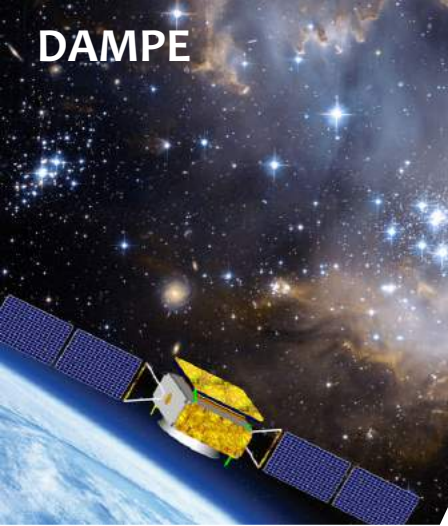
# Galactic cosmic ray propagation and cross sections

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University of Perugia & INFN

XSCRC-2019 – 13-15 November – CERN, Geneve



Istituto Nazionale di Fisica Nucleare – Sezione di Perugia  
Università di Perugia / C.R.I.S.P. ASI-UniPG 2019-2-HH.0



DAMPE



VOYAGER



FERMI



AMS-02, PAMELA



CALET



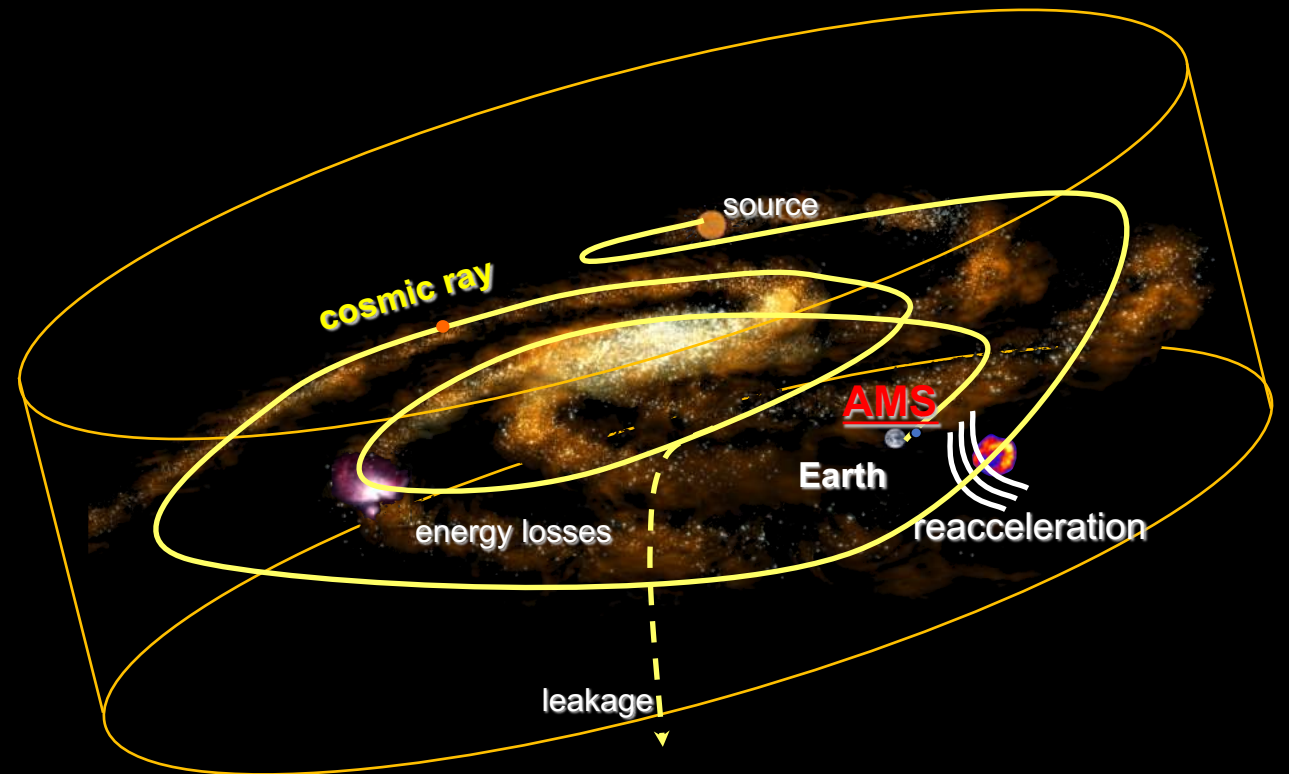
CTA, HESS, MAGIC

a golden age  
of new cosmic ray  
measurements

# The physical picture

General **paradigm** based on three pillars [established mechanisms]

- Shock acceleration in SNRs: origin of primary CRS (p, C-N-O, Fe)
- Diffusive transport in interstellar (& interplanetary) magnetic turbulence
- Collisions with ISM gas → production of secondaries (Li-Be-B, antimatter)



*The concrete realizations are often based on simplifying assumptions pertaining e.g. dimensionality, homogeneity, isotropy, stationarity, linearity...*

# The physical picture

Transport equation:

$$\frac{\partial \psi}{\partial t} = Q + \nabla \cdot (K \nabla \psi) + \frac{\partial}{\partial R} R^2 K_R \frac{\partial}{\partial R} \frac{1}{R^2} \psi - \frac{\partial}{\partial R} [\dot{R} \psi] - \Gamma_t \psi$$

CR density

Source

Spatial diffusion

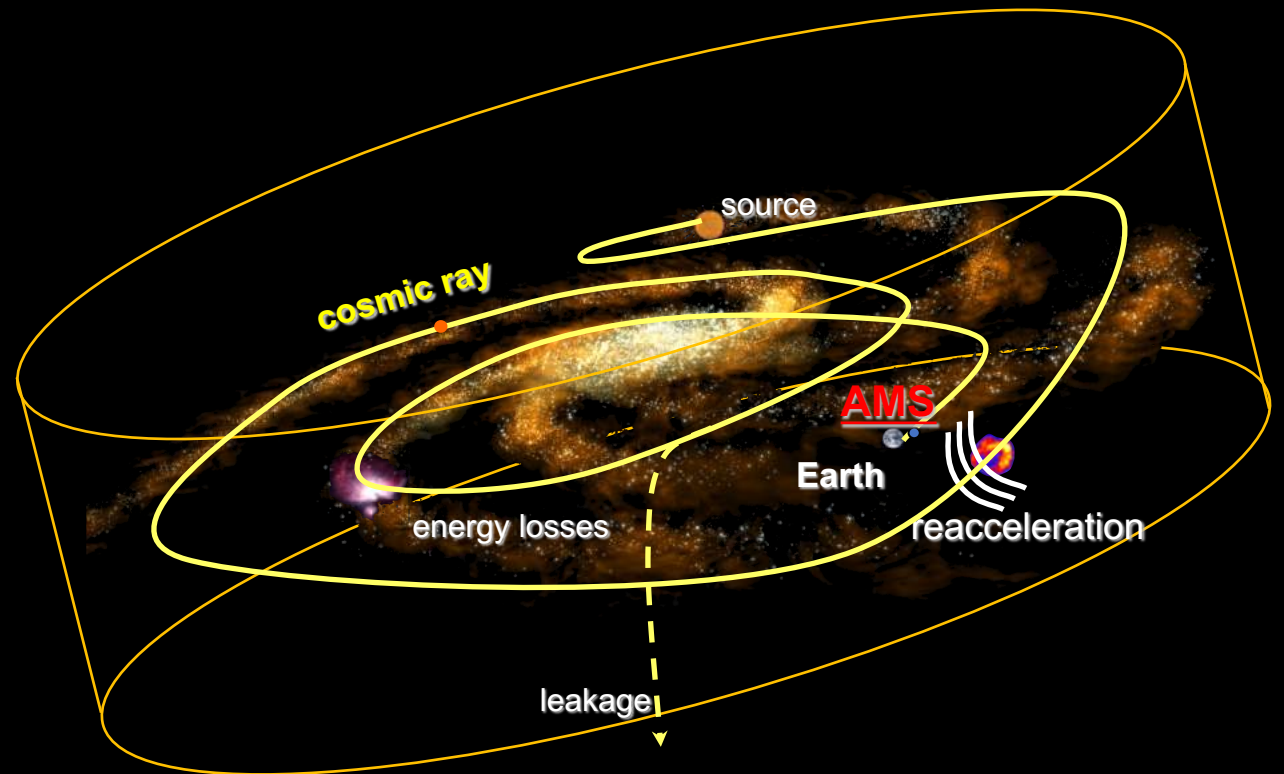
Reacceleration  
(rigidity diffusion)

Losses

Decay or  
destruction

Steady-state  $\partial \psi / \partial t \equiv 0$

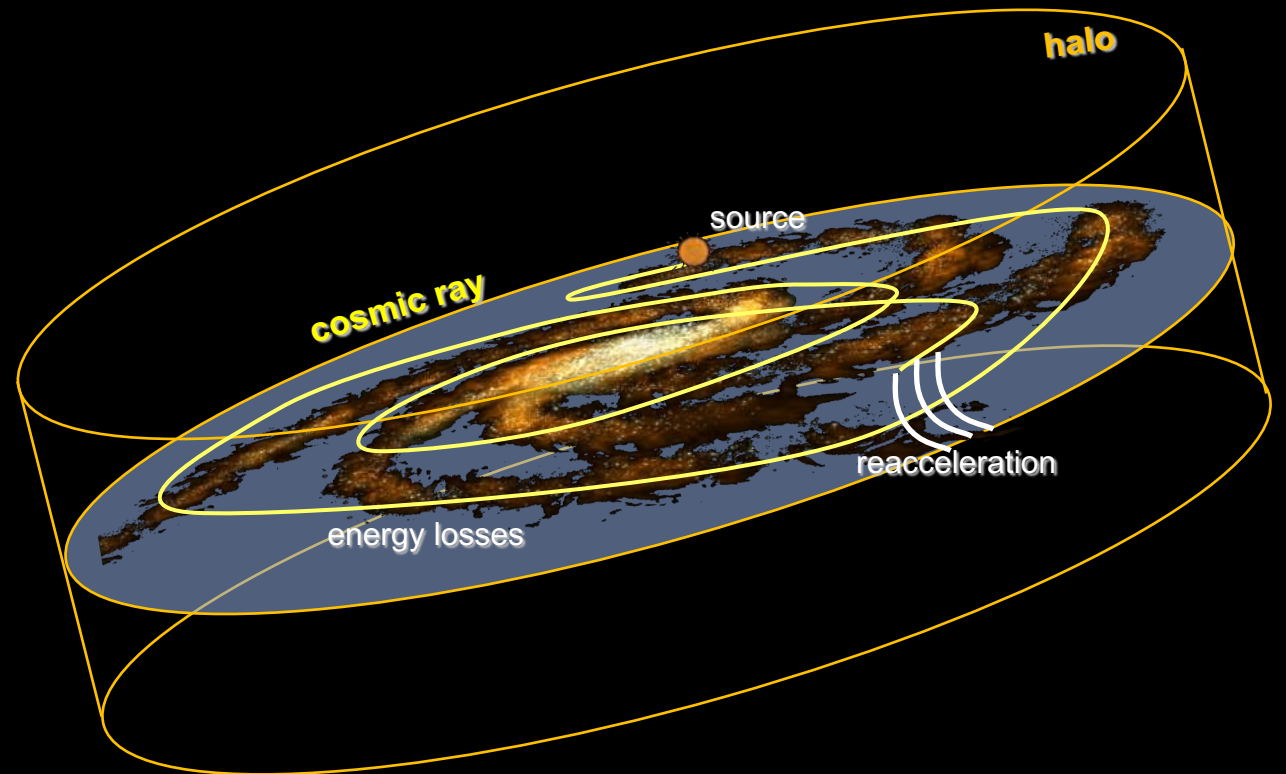
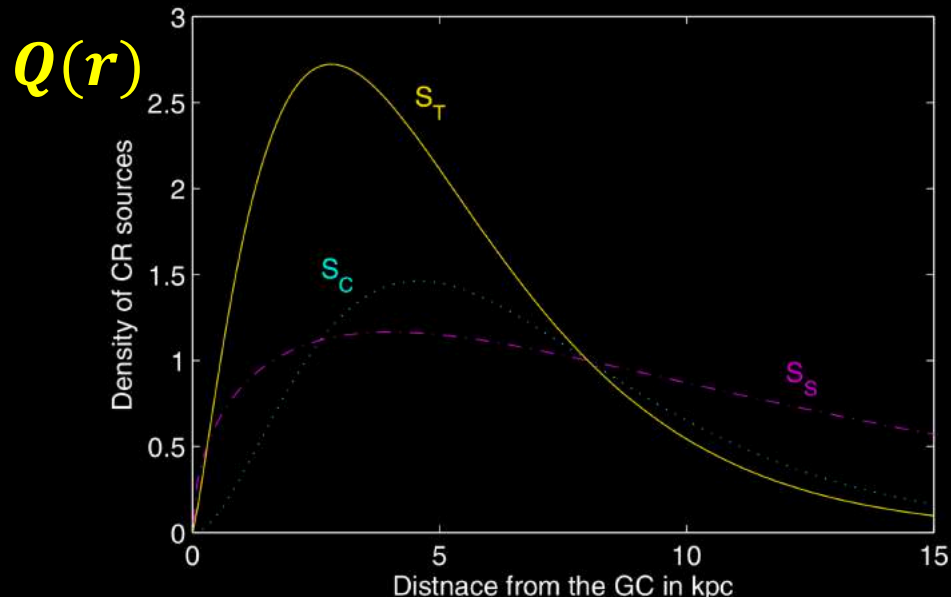
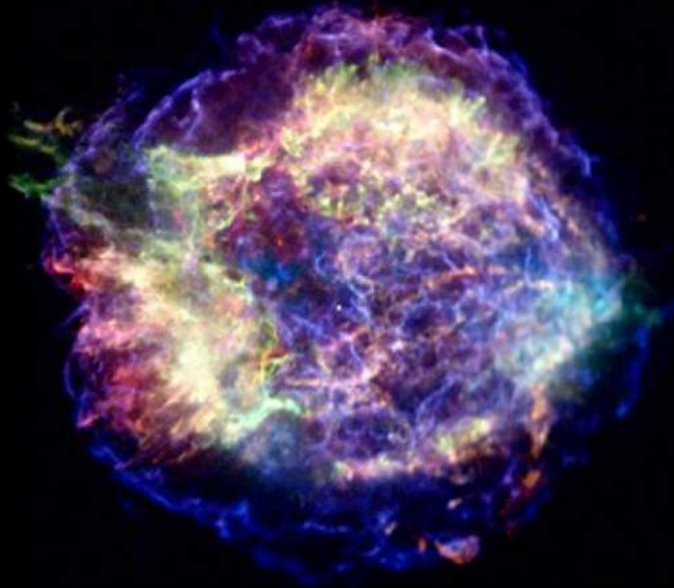
Boundary conditions  $\psi(\Omega) \equiv 0$



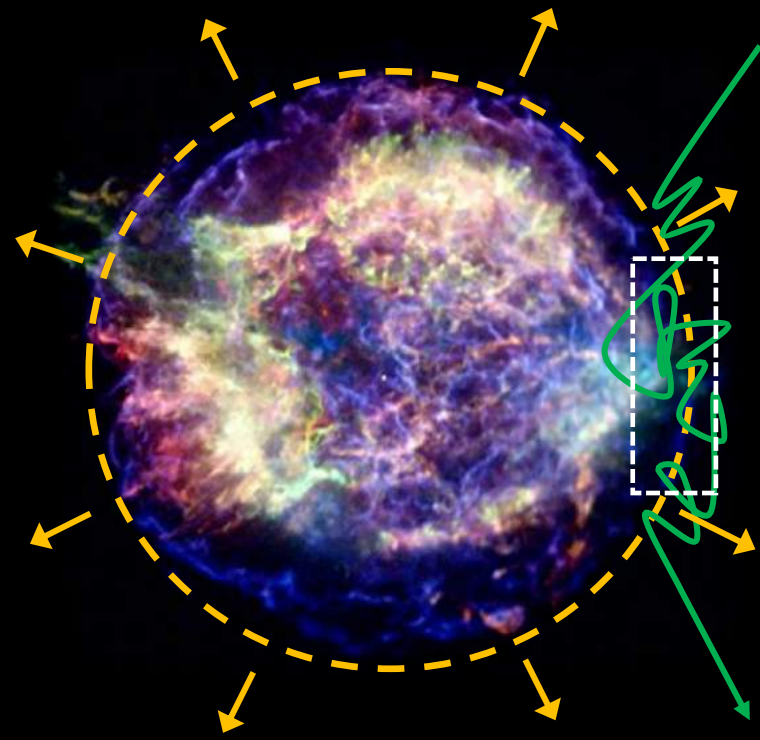
# Primary sources and acceleration

Supernova remnants: shockwaves generated by SN explosions

- SNRs are known CR factories. PeV acceleration observed in GC
- Mostly on the Galactic disk. Average SN rate  $\sim 3/\text{century}$ .
- They also inject turbulence in the ISM!



# Primary sources and acceleration



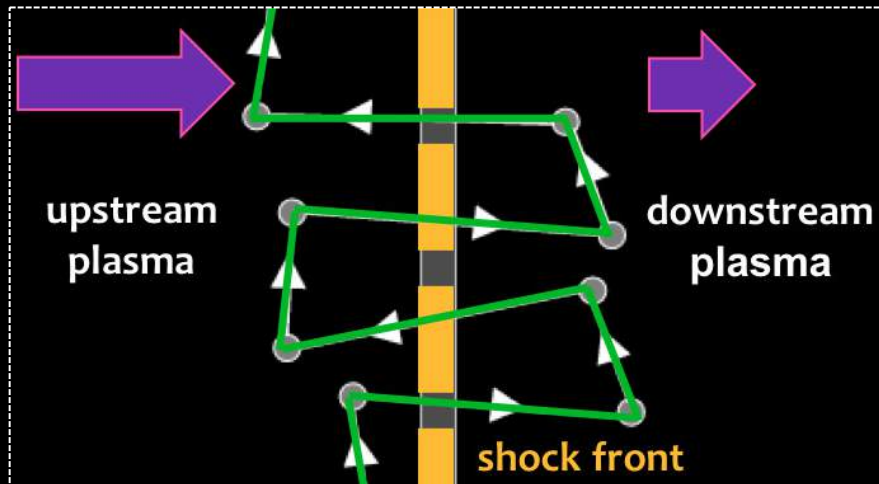
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- SNRs are known CR factories. PeV acceleration observed in GC
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- They also inject turbulence in the ISM!

Linear diffusive shock acceleration theory (DSA)

→ Power law energy spectrum of CRs injected in the ISM

$$Q(R) \propto Y (R/R_0)^{-\nu}$$



$\nu \approx 2$  injection index for linear DSA planar shocks

$Y = \text{SNR composition factors} \approx \text{ISM abundances}$

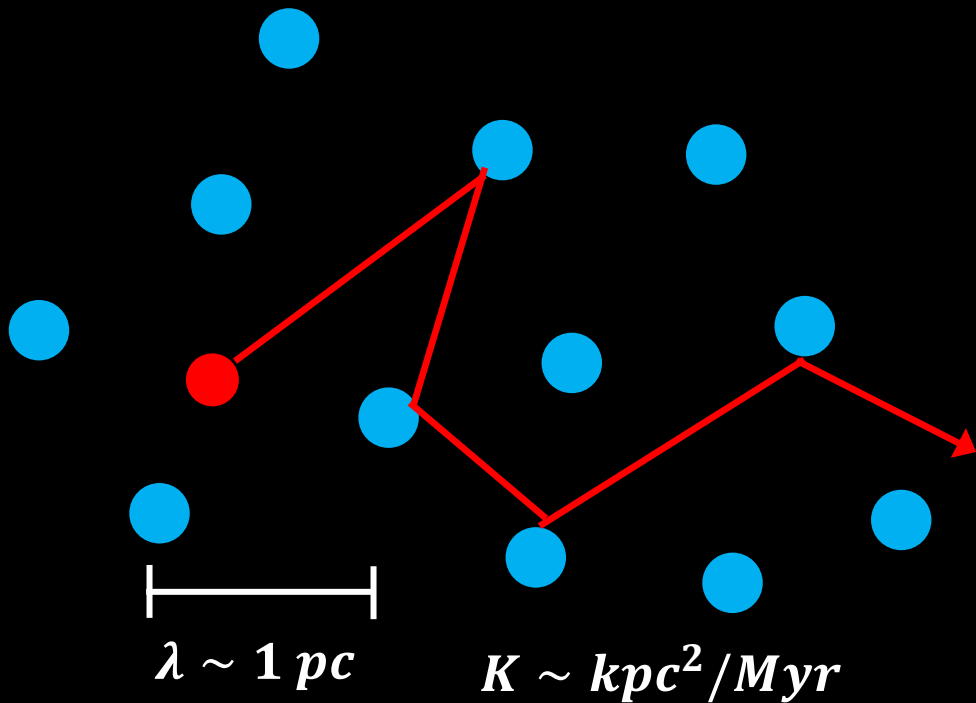
Bell 1978, Ostriker&Blandford 1978, Krimskii 1977

# Diffusive Transport

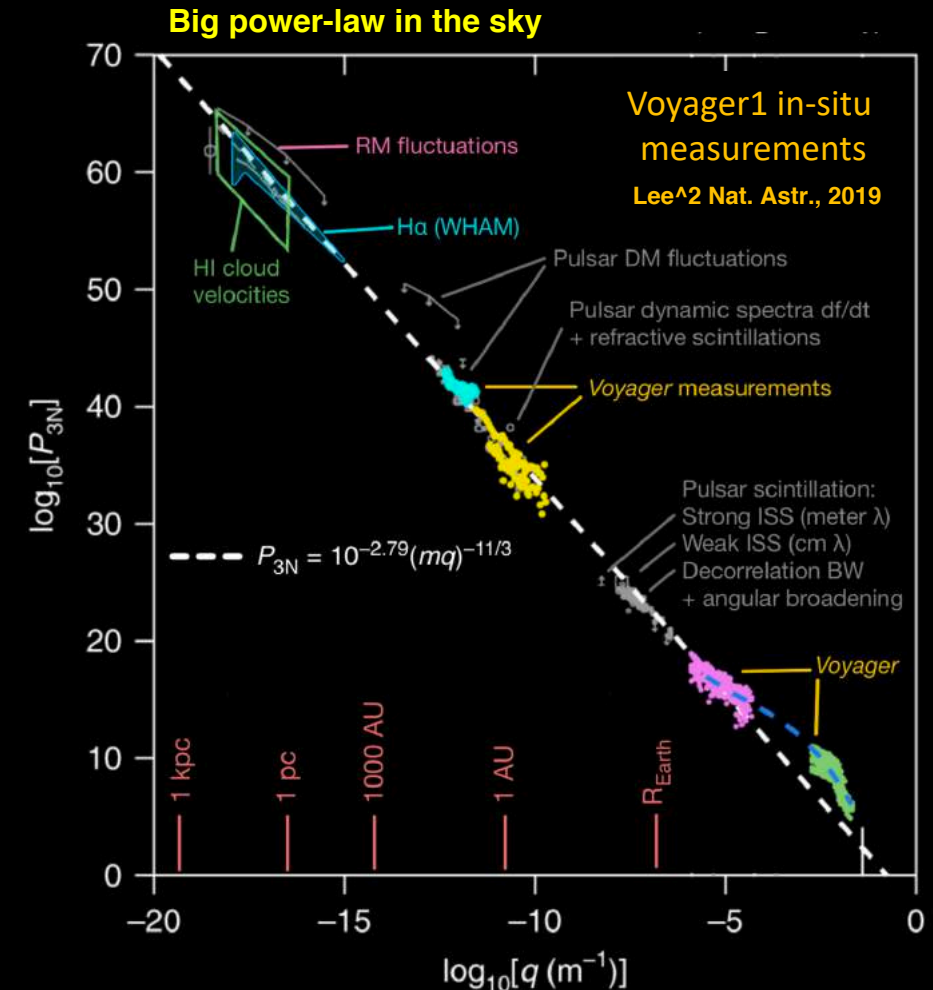
Erratic motion of CRs through small-scale irregularities of the B-field

Related to the spectrum of interstellar turbulence, the “big power law in the sky”

$$K = \frac{1}{3} v \lambda$$



$$K \propto \beta R^{1/3}$$

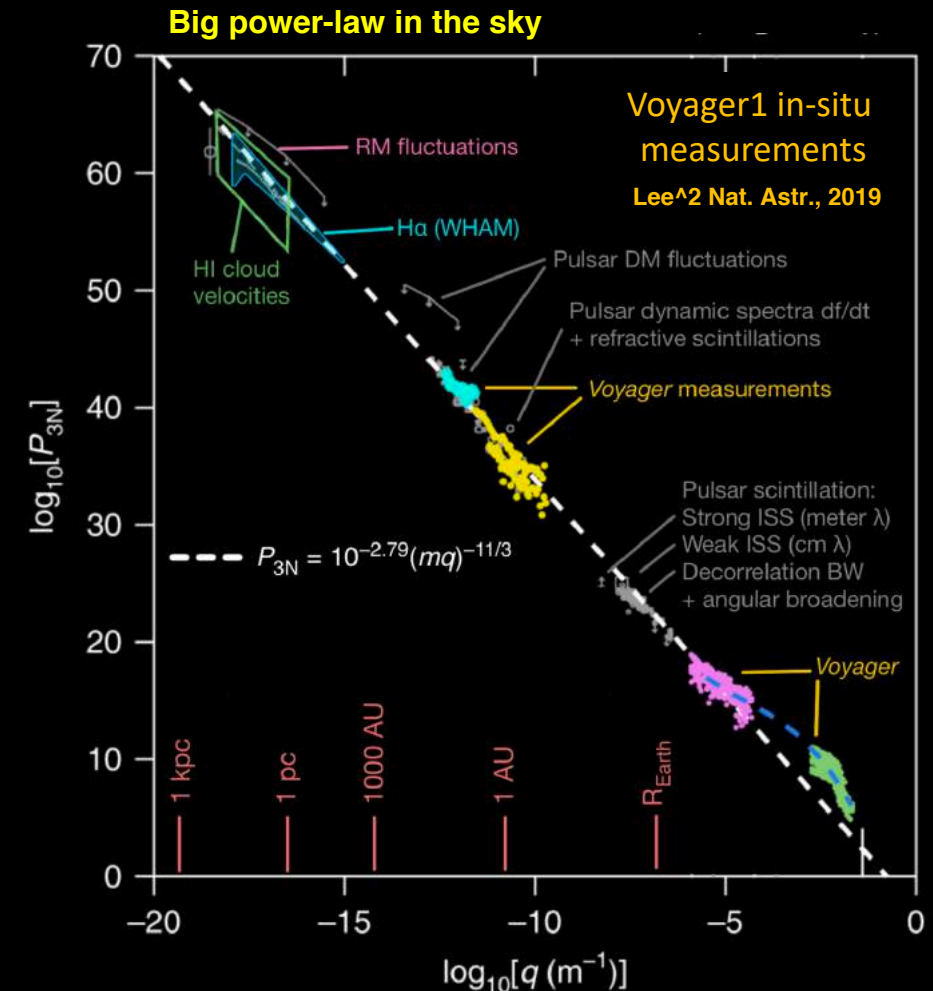
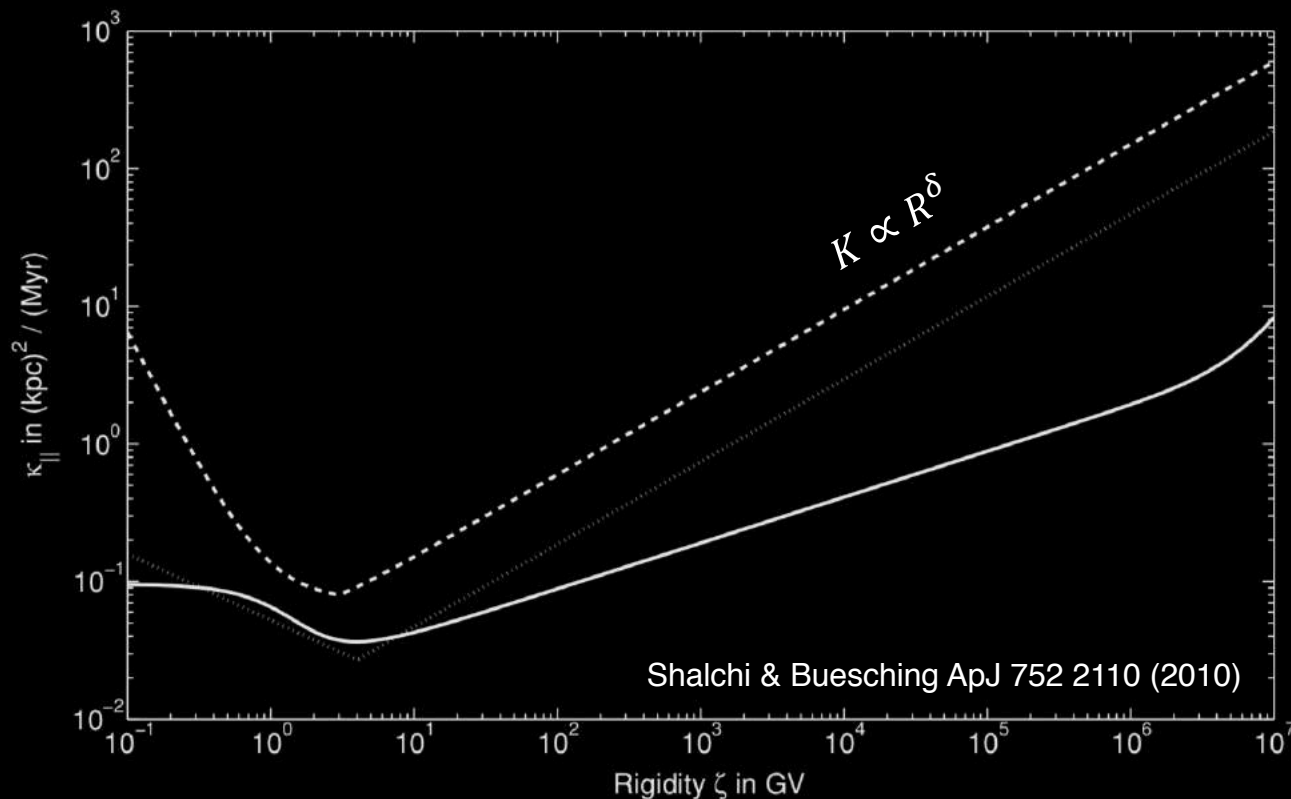


# Diffusive Transport

Erratic motion of CRs through small-scale irregularities of the B-field

Related to the spectrum of interstellar turbulence, the “big power law in the sky”

$$K = K_0 \beta (R/R_0)^\delta$$





# Diffusive Transport

Transport equation:

$$\frac{\partial \psi}{\partial t} = Q + \nabla \cdot (K \nabla \psi) + \frac{\partial}{\partial R} R^2 K_R \frac{\partial}{\partial R} \frac{1}{R^2} \psi - \frac{\partial}{\partial R} [\dot{R} \psi] - \Gamma_t \psi$$

Losses                      Decay or destruction

Source

CR density

Spatial diffusion

$$K = K_0 \beta (R/R_0)^\delta$$

Spectral index  $\delta \sim 0.3 - 0.5$

Reacceleration

$$K_R \propto R^2 v_A^2 / K$$

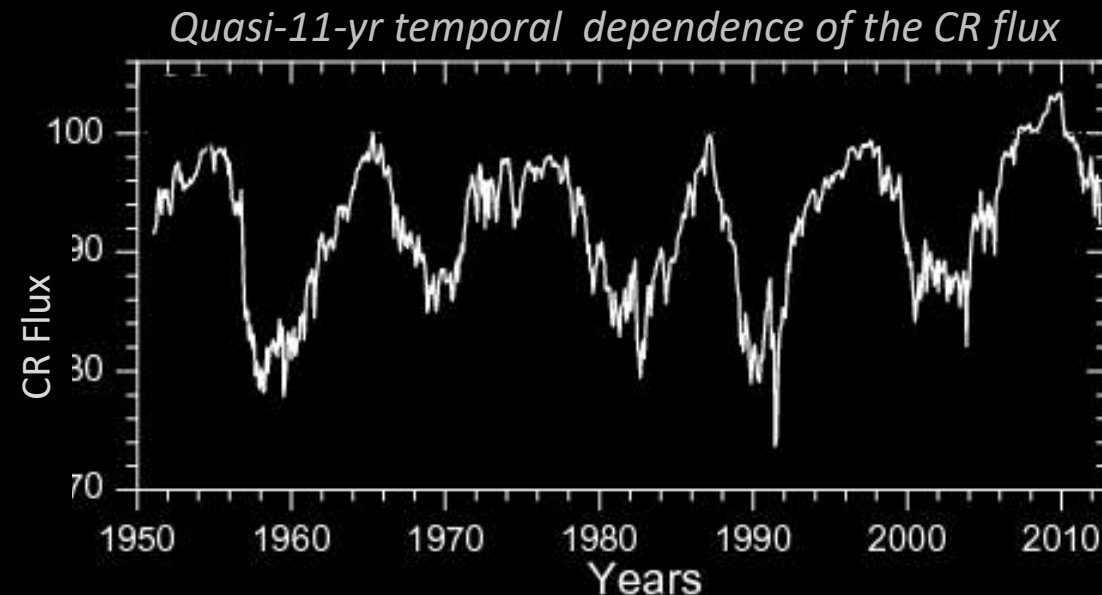
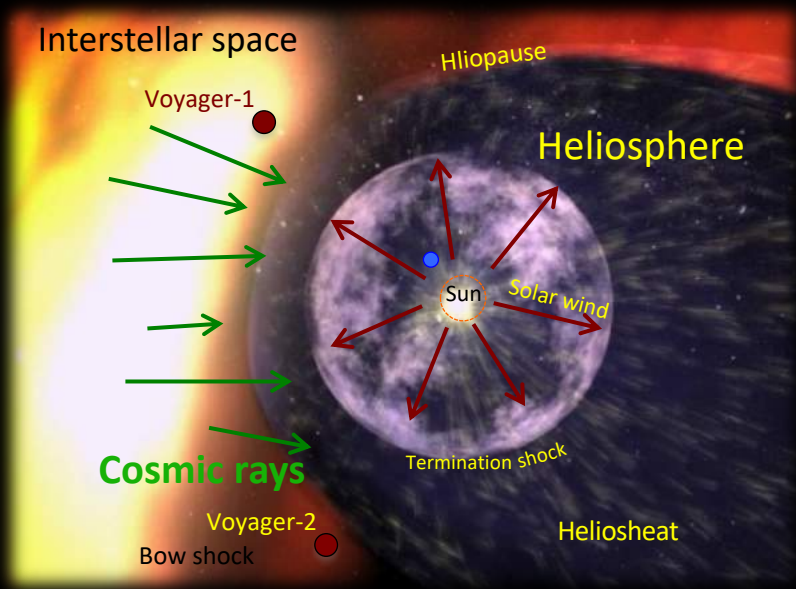
Alfven waves of speed  $v_A$

$$v_A = B_0 / \sqrt{4\pi\rho} \sim 7 \text{ km/s}$$

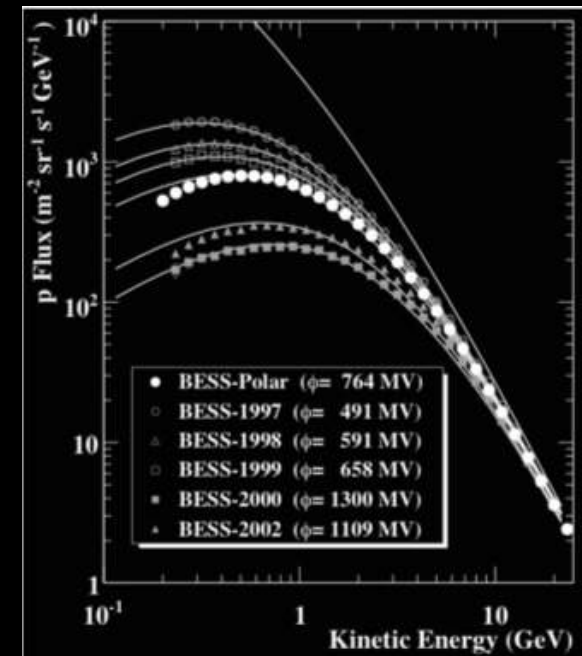
# Diffusive-convective Transport in Heliosphere

All measurements on Galactic cosmic rays are made inside the heliosphere  
(with the remarkable exception of Voyager-1 and Voyager-2)

When CRs enter the heliosphere, they interact with the magnetized solar wind  
-> Transport processes: diffusion, convection, cooling, drift

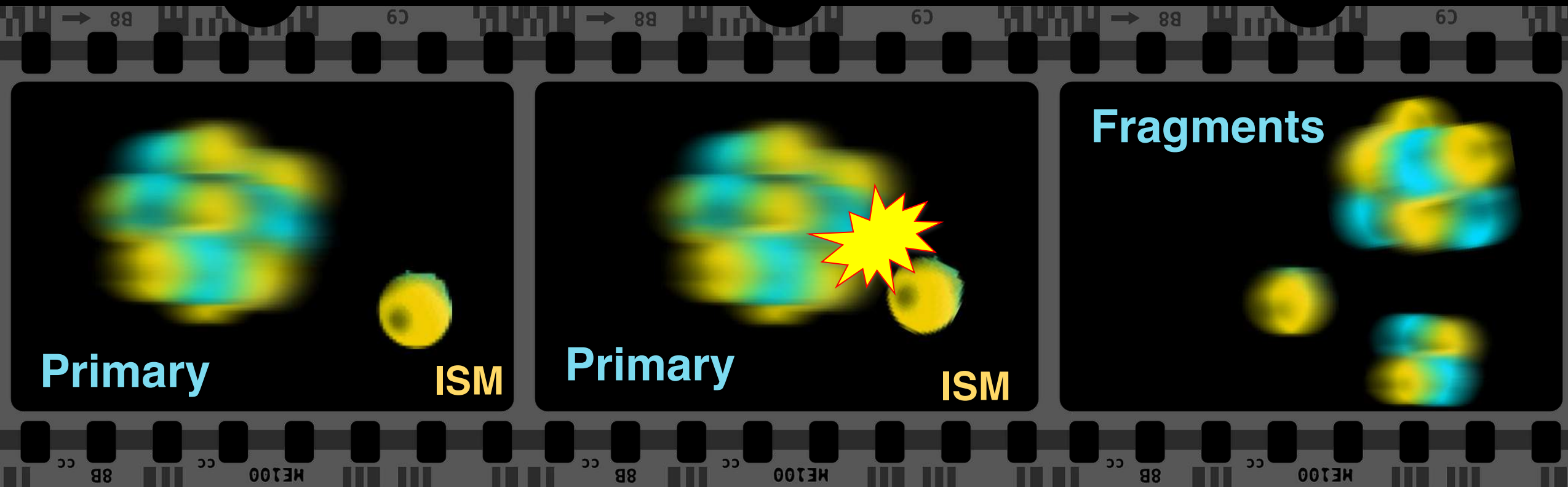


*Modulation of CR energy spectra*



# Collisions

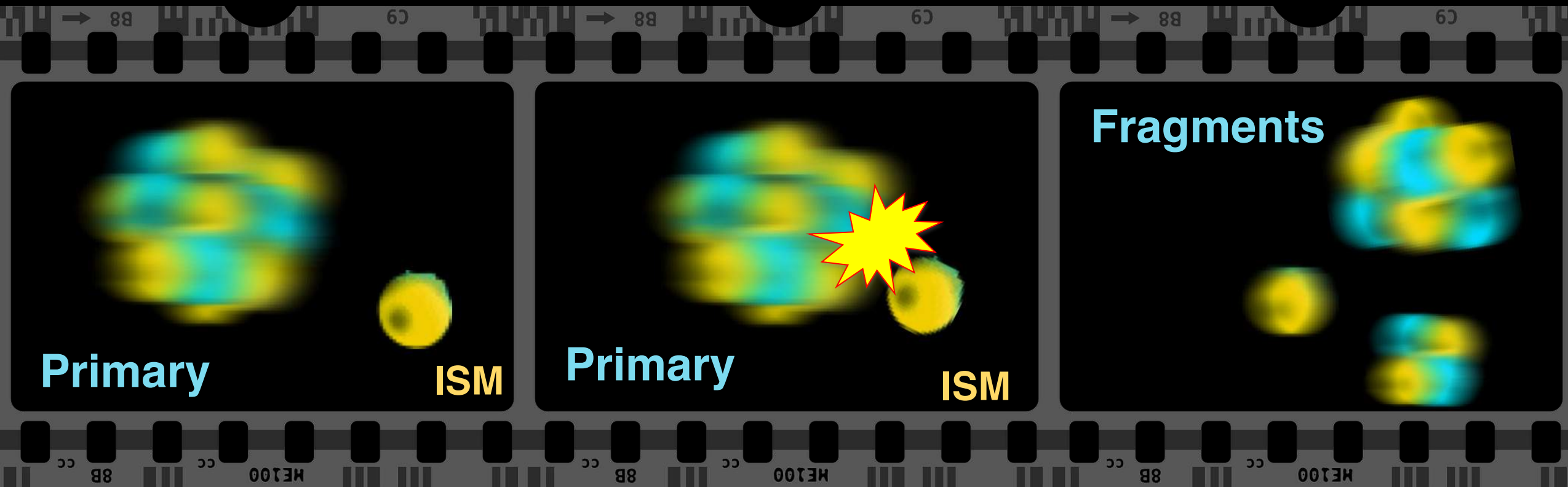
$$Q_j^{sec}(E) = \sum_{ism} \sum_k n^{ism} \beta_k c \int_{E_k} \psi_k(E_k) \frac{d\sigma_{k \rightarrow j}^{ism}}{dE}(E, E_k) dE_k$$



# Collisions

two-component ISM + straight-ahead

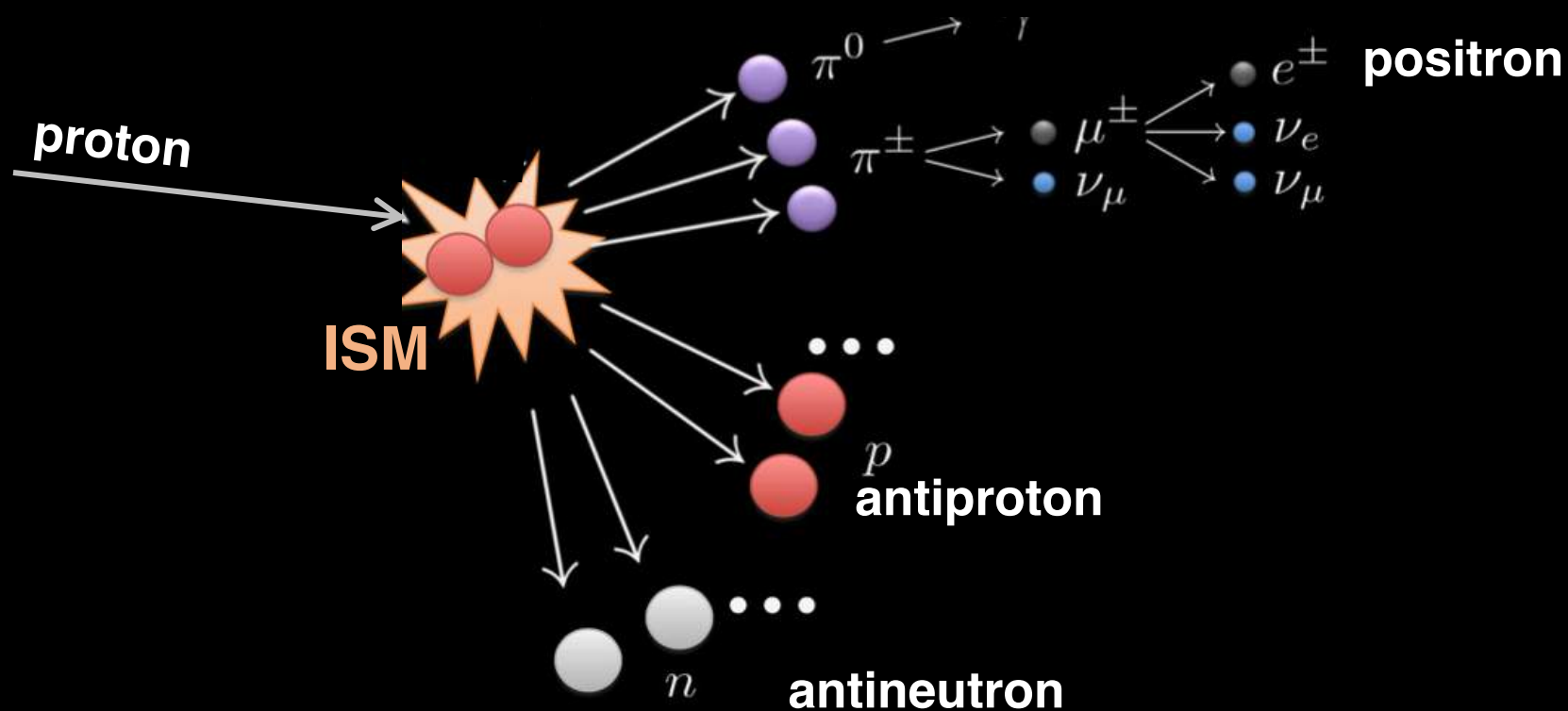
$$Q_j^{sec}(E) = \sum_k \left\{ n^H \beta_k c \sigma_{k \rightarrow j}^H(E) + n^{He} \beta_k c \sigma_{k \rightarrow j}^{He}(E) \right\} N_k(E)$$



# Collisions

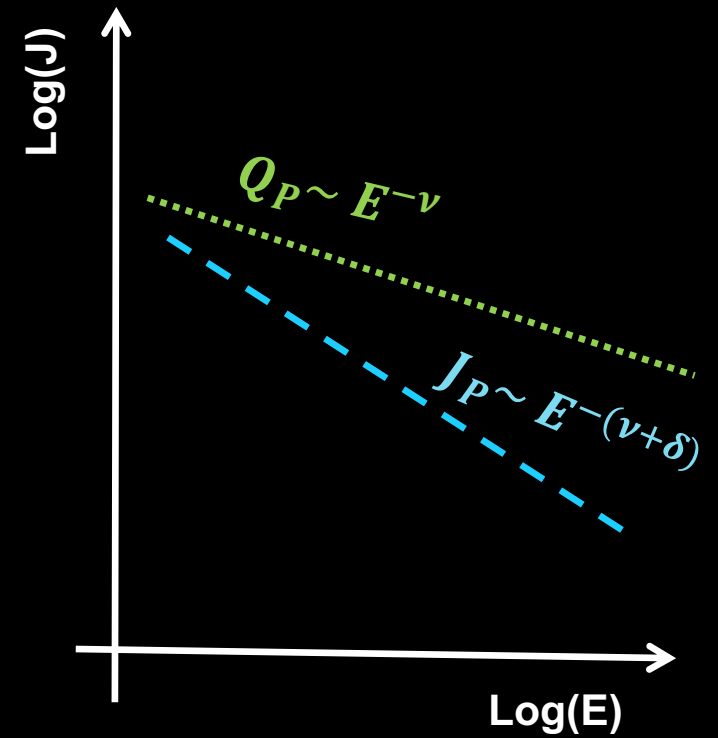
Antimatter:

$$Q_j^{sec}(E) = \sum_{ism} \sum_k n^{ism} \beta_k c \int_{E_k} \psi_k(E_k) \frac{d\sigma_{k \rightarrow j}^{ism}}{dE}(E, E_k) dE_k$$



# Basic predictions: primary & secondary CRs

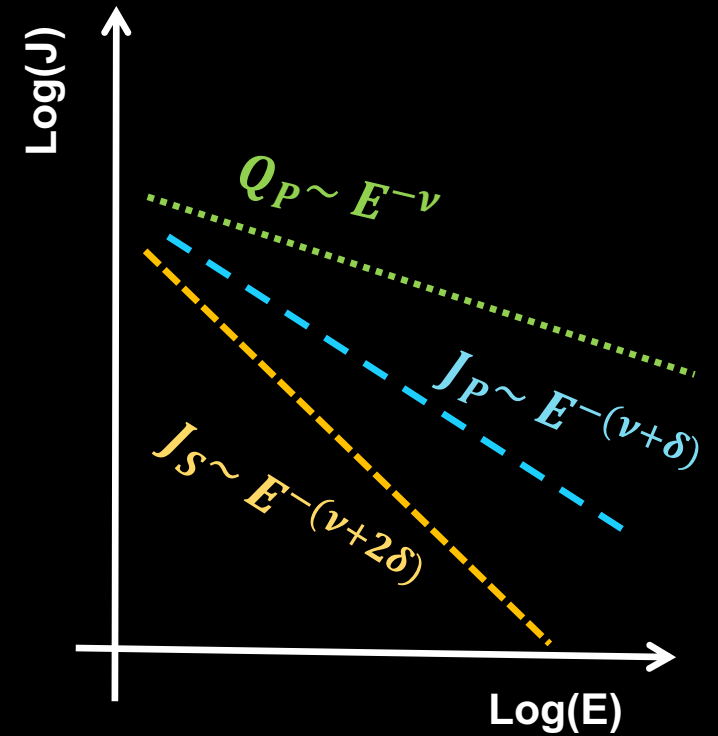
$$J_P(E) \approx \frac{Q_P(E)}{K(E)/L} \propto E^{-(\nu+\delta)} \quad (\text{H, He, C-N-O, Fe...})$$



# Basic predictions: primary & secondary CRs

$$J_P(E) \approx \frac{Q_P(E)}{K(E)/L} \propto E^{-(\nu+\delta)} \quad (\text{H, He, C-N-O, Fe...})$$

$$J_S(E) \approx \frac{Q_S(E)}{K(E)/L} \propto \frac{J_P(E) \sigma_{P \rightarrow S}(E)}{K(E)/L} \propto E^{-(\nu+2\delta)} \quad (\text{2H, 3He, Li-Be-B...})$$



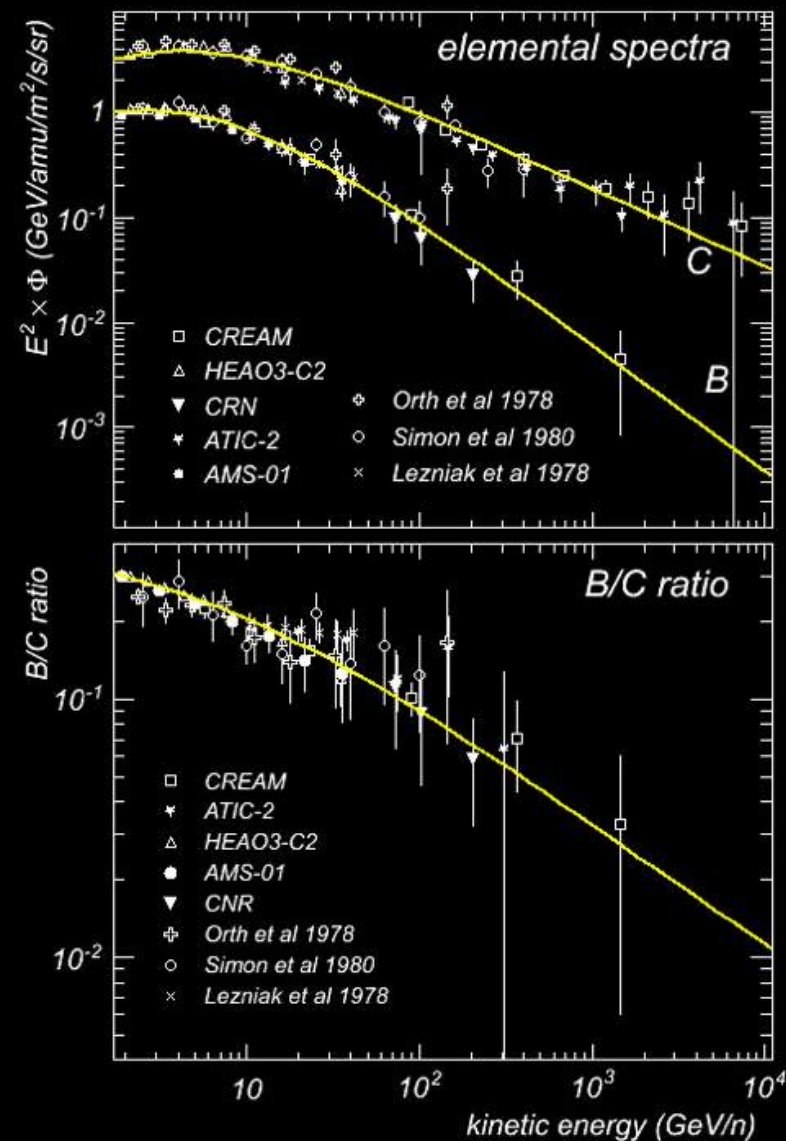
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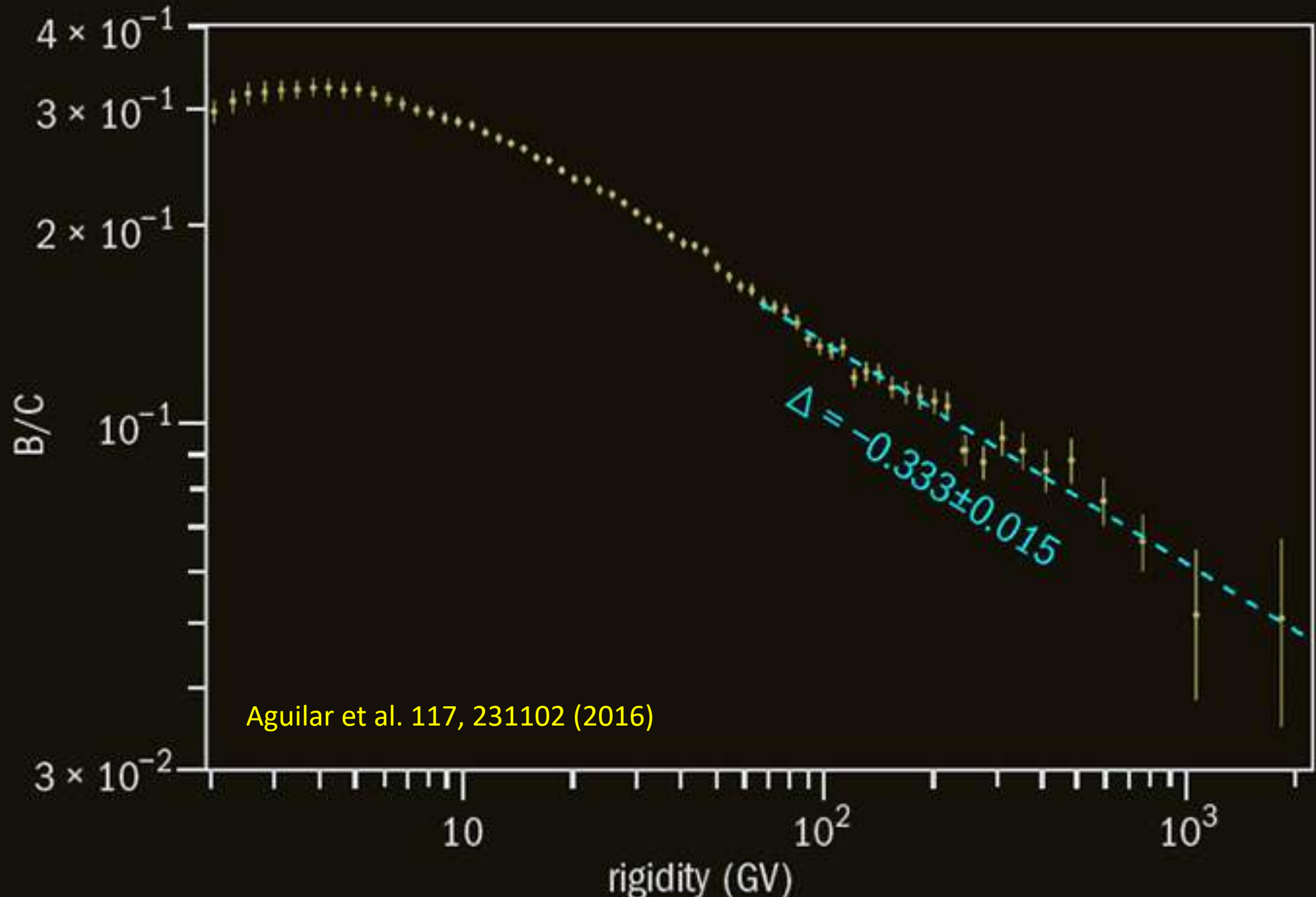
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Secondary/primary ratios, e.g. B/C

$$B/C \propto \frac{L}{K_0} R^{-\delta}$$



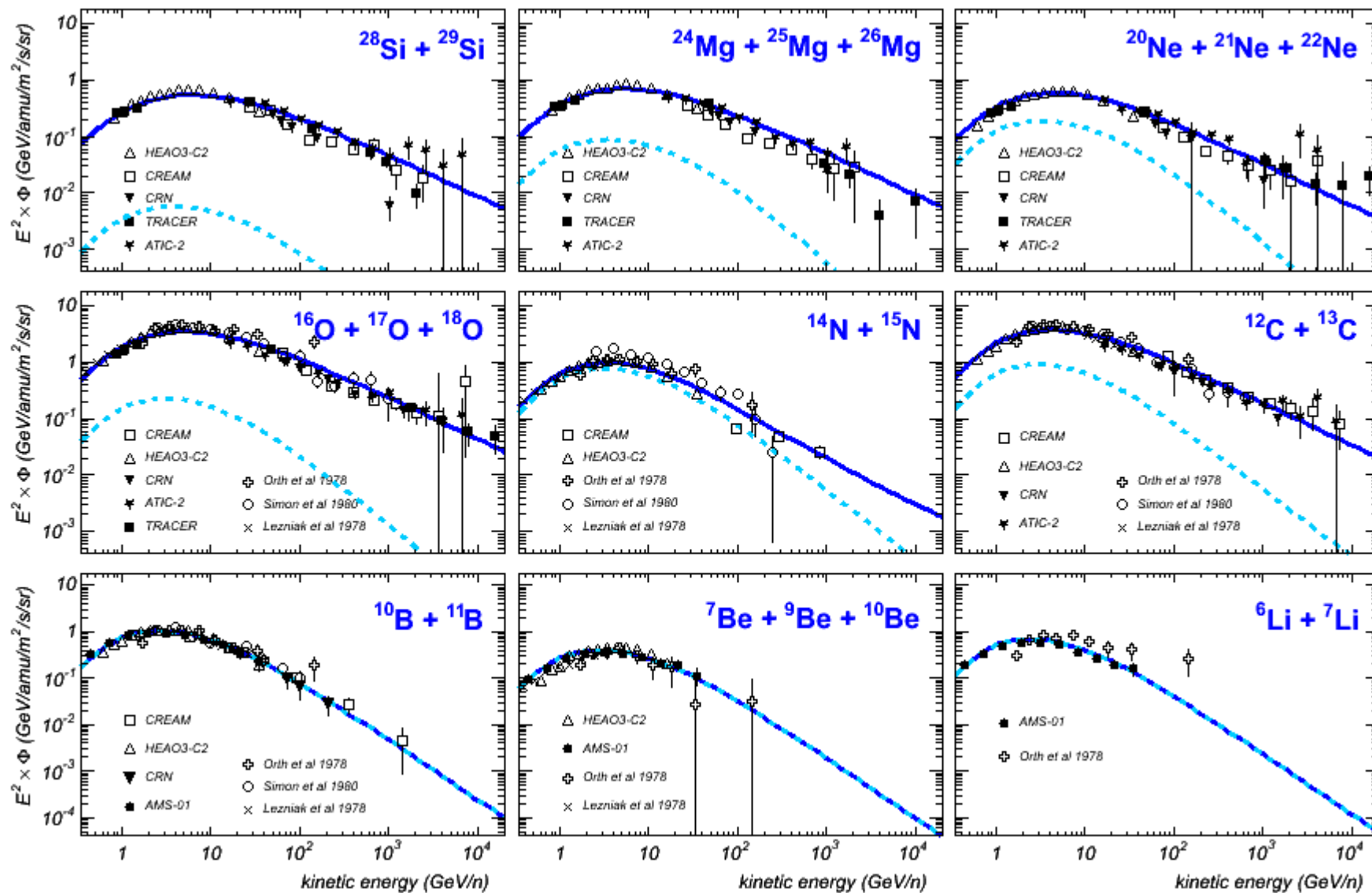




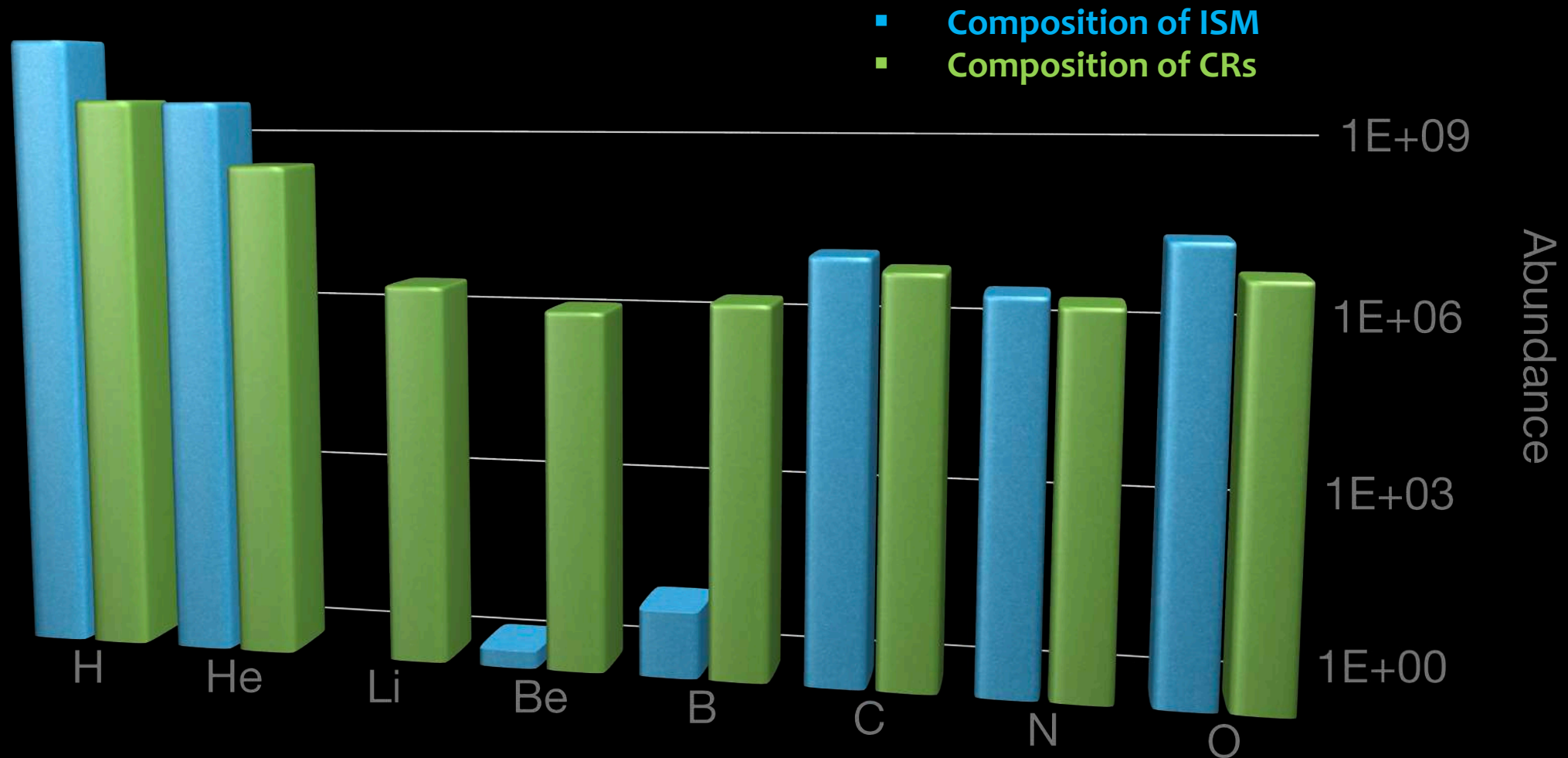
# Basic predictions: primary & secondary CRs

total elemental spectra – secondary component

NT & Donato A&A 2012 [1203.6094]



# Basic predictions: primary & secondary CRs



# Parameter degeneracy & radioactive Be

$$J_P \approx \frac{Y_P}{K_0/L} R^{-(\nu+\delta)}$$

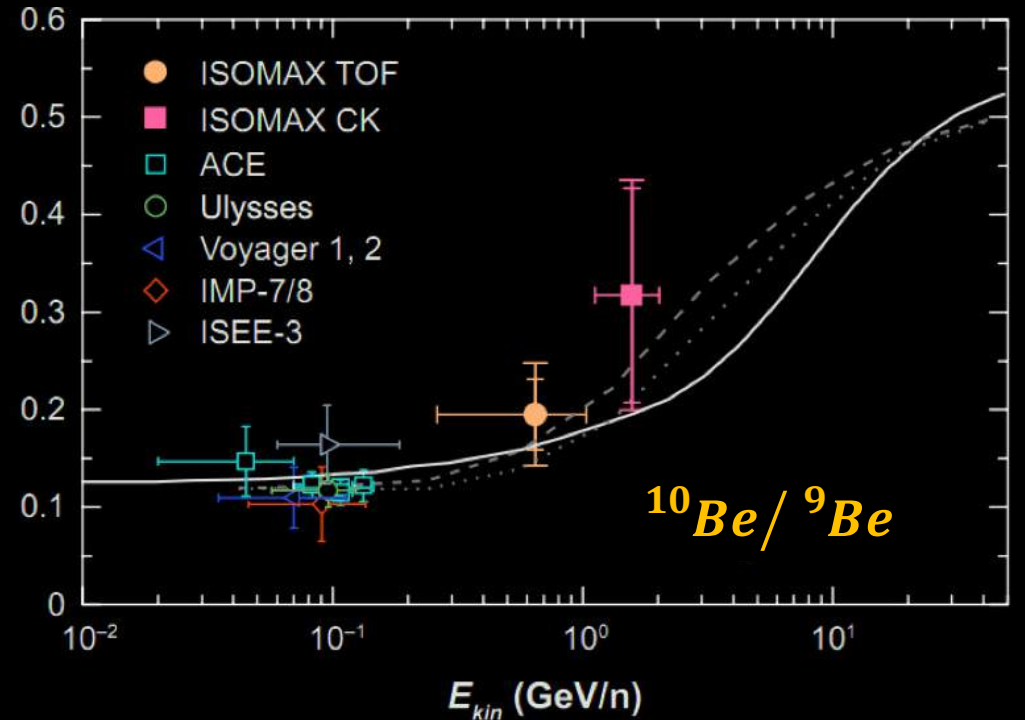
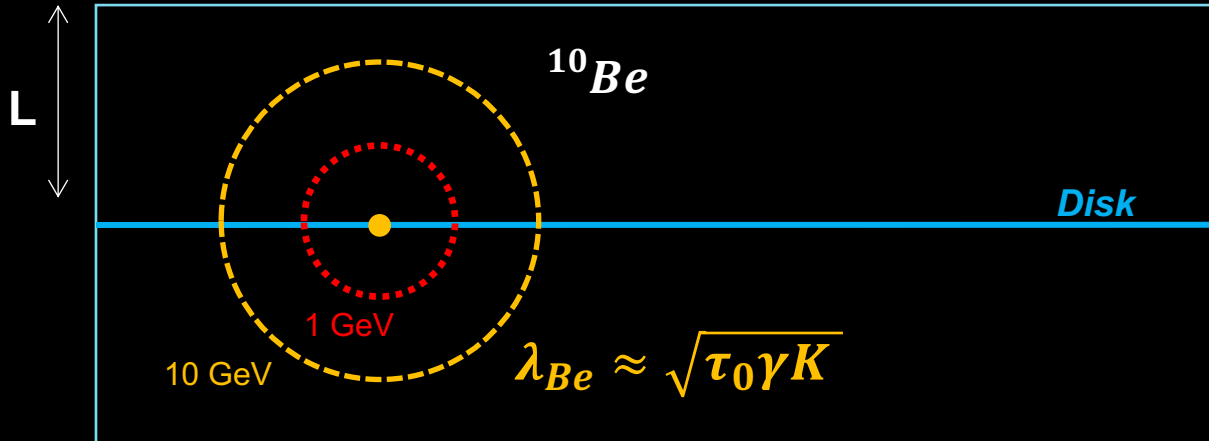
Source composition

$$B/C \propto \frac{L}{K_0} R^{-\delta}$$

obtain source spectral index  $\nu$

$$^{10}\text{Be}/^9\text{Be} \propto \frac{\sqrt{K_0}}{L}$$

resolve K and halo height L



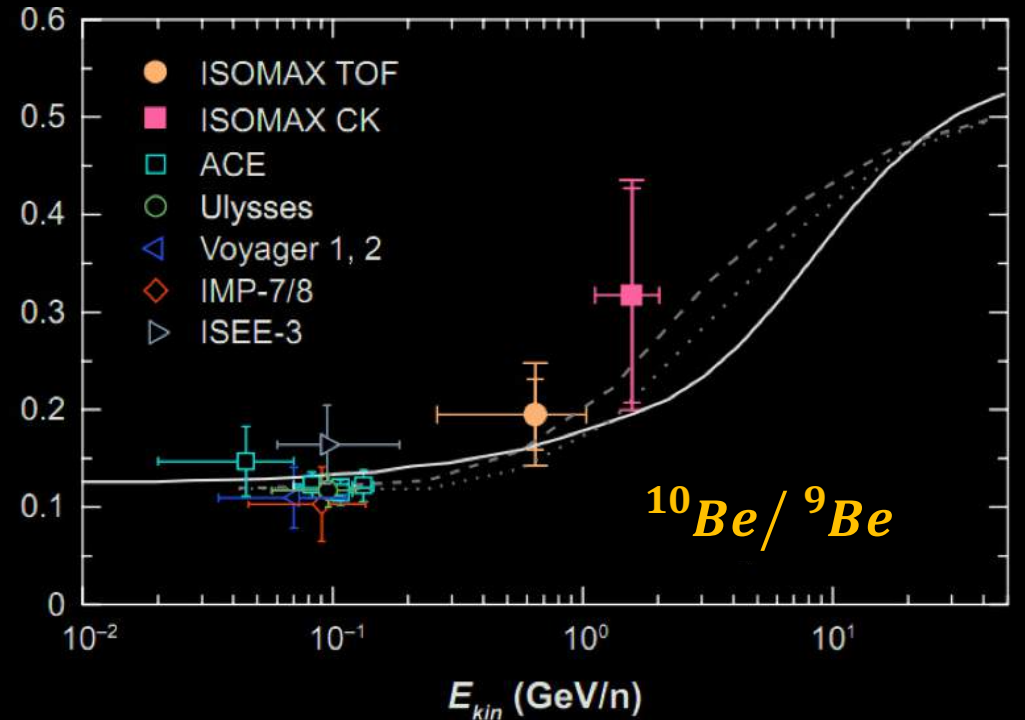
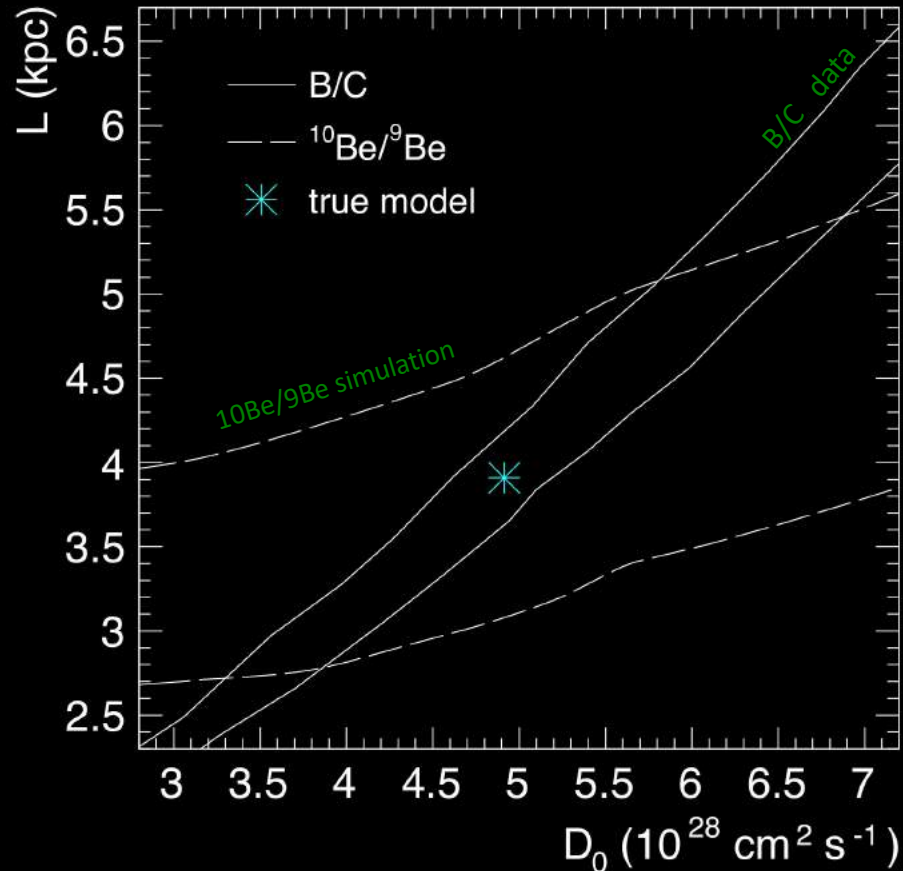
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# Parameter degeneracy & radioactive Be

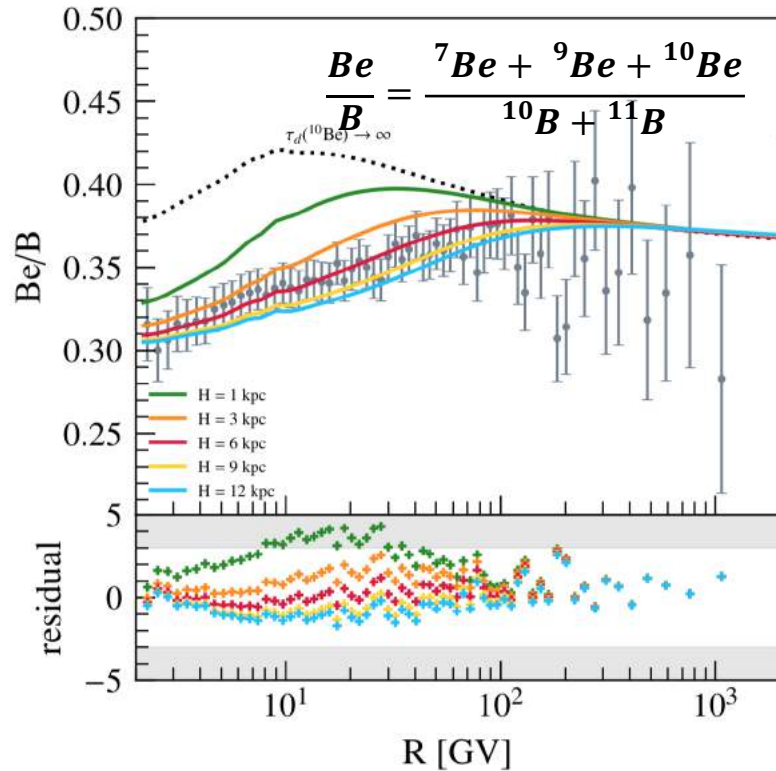
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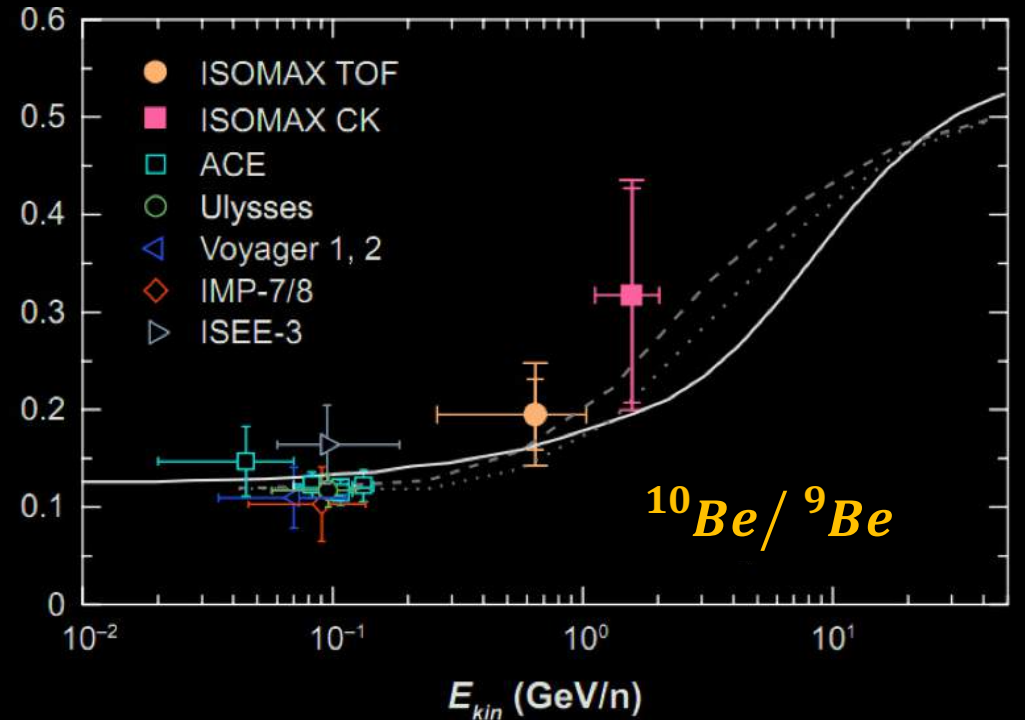
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resolve K and halo height L

Elemental Be/B ratio

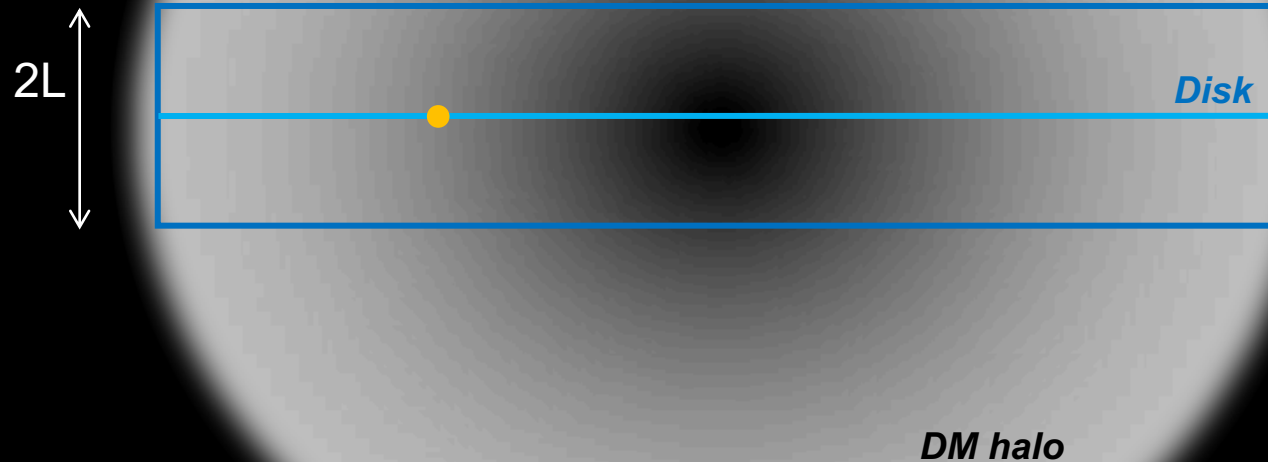


Evoli+ 1910.04113



# The importance of breaking the $K_0/L$ degeneracy

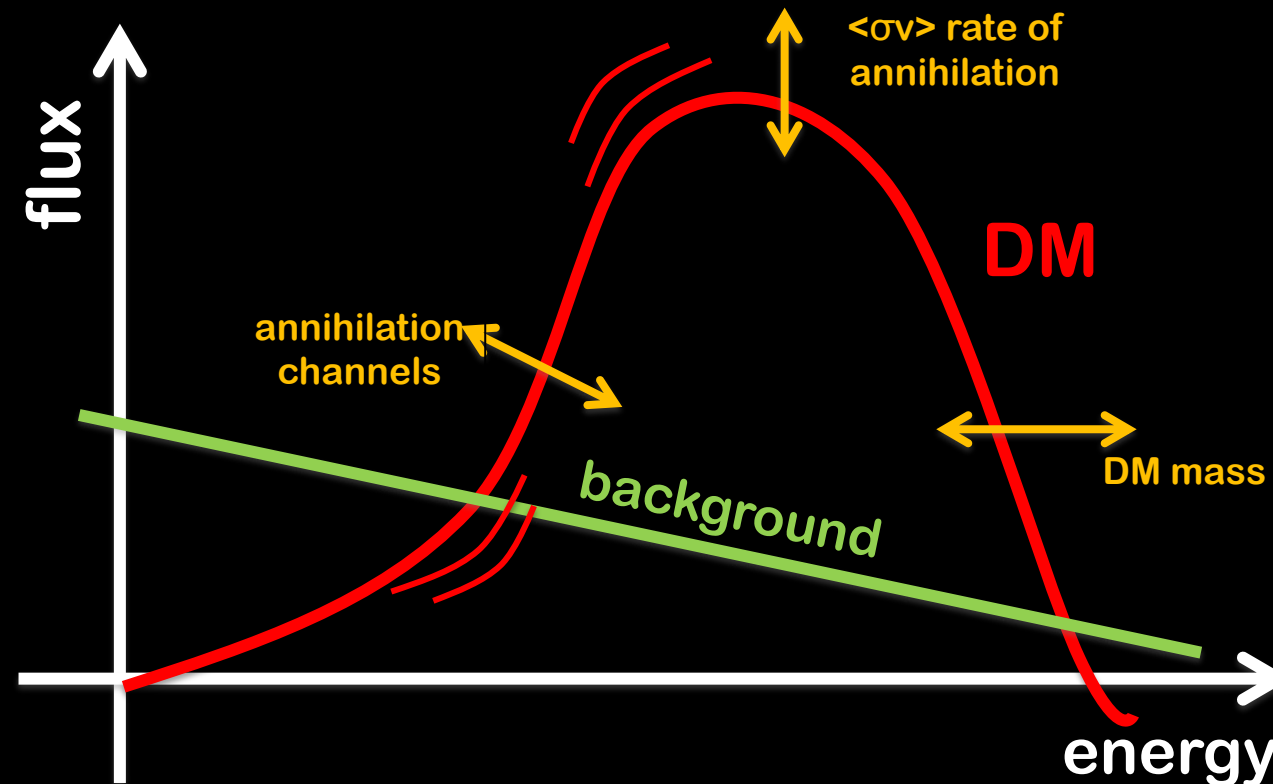
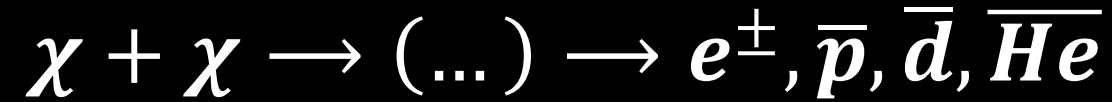
>> Talk by M. Cirelli



The  $L$  parameter sets how much signal from DM annihilation is injected in the confinement region

# The importance of breaking the $K_0/L$ degeneracy

>> Talk by M. Cirelli



The  $L$  parameter sets how much signal from DM annihilation is injected in the confinement region



# Nuclear fragmentation and Li-Be-B production

$$Q_f^{sec}(E) = \sum_p \{n^H \beta_p c \sigma_{p \rightarrow f}^H(E) + n^{He} \beta_p c \sigma_{p \rightarrow f}^{He}(E)\} \psi_p(E)$$

Even under straight-ahead, there is a huge number of XSs, i.e., combinations of projectile, fragments, target ISM, and energy dependence.

$$\sigma_{p \rightarrow f}^t(E)$$

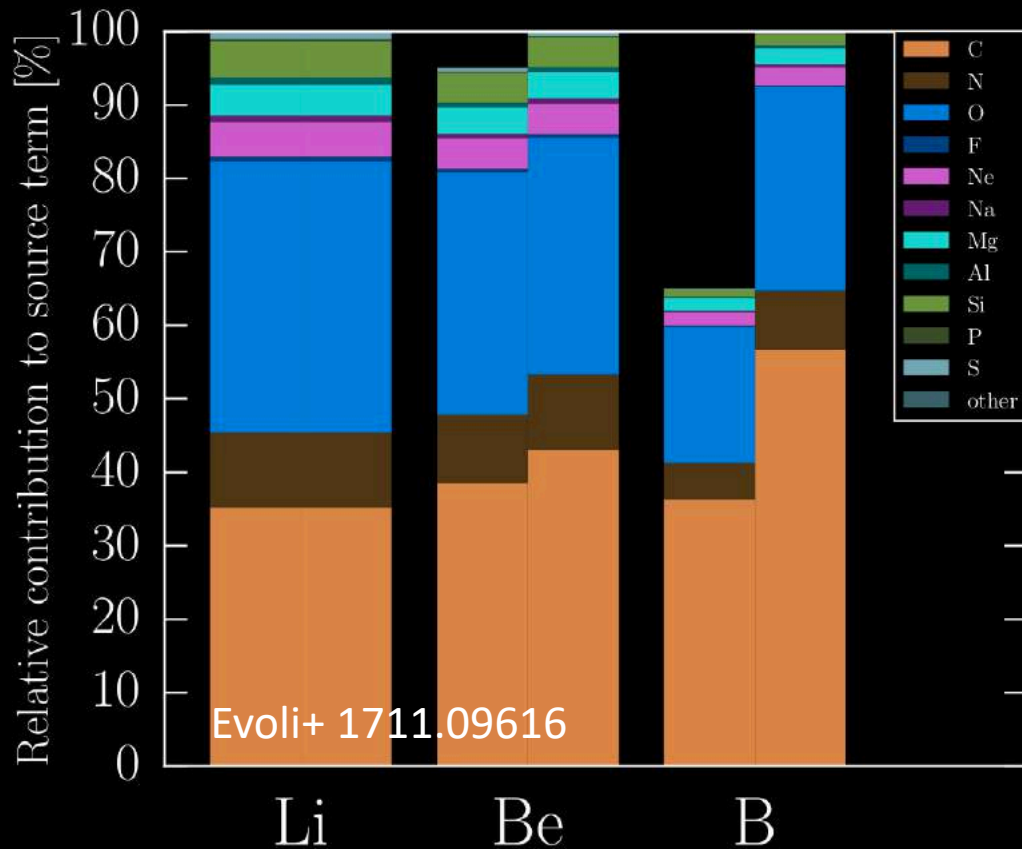
WNEW, YIELDX: Semi-empirical parametric formulae, with assumed factorized forms

$$\sigma_{p \rightarrow f}^t(E) = \sigma_0(Z_p, Z_f) \times F_1(Z_f, Z_p, E) \times F_2(Z_p, A_p, Z_f, A_f) \times F_3(A_t, Z_t)$$

GALPROP: use individual fits channel-by-channel (for H-target). Use semiempirical formulae for unmeasured channels (and some  $F_3$  factor for all reactions involving He target). Assume constant high-energy dependence (like WNEW & YIELDX) at unmeasured energies.

# Nuclear fragmentation and Li-Be-B production

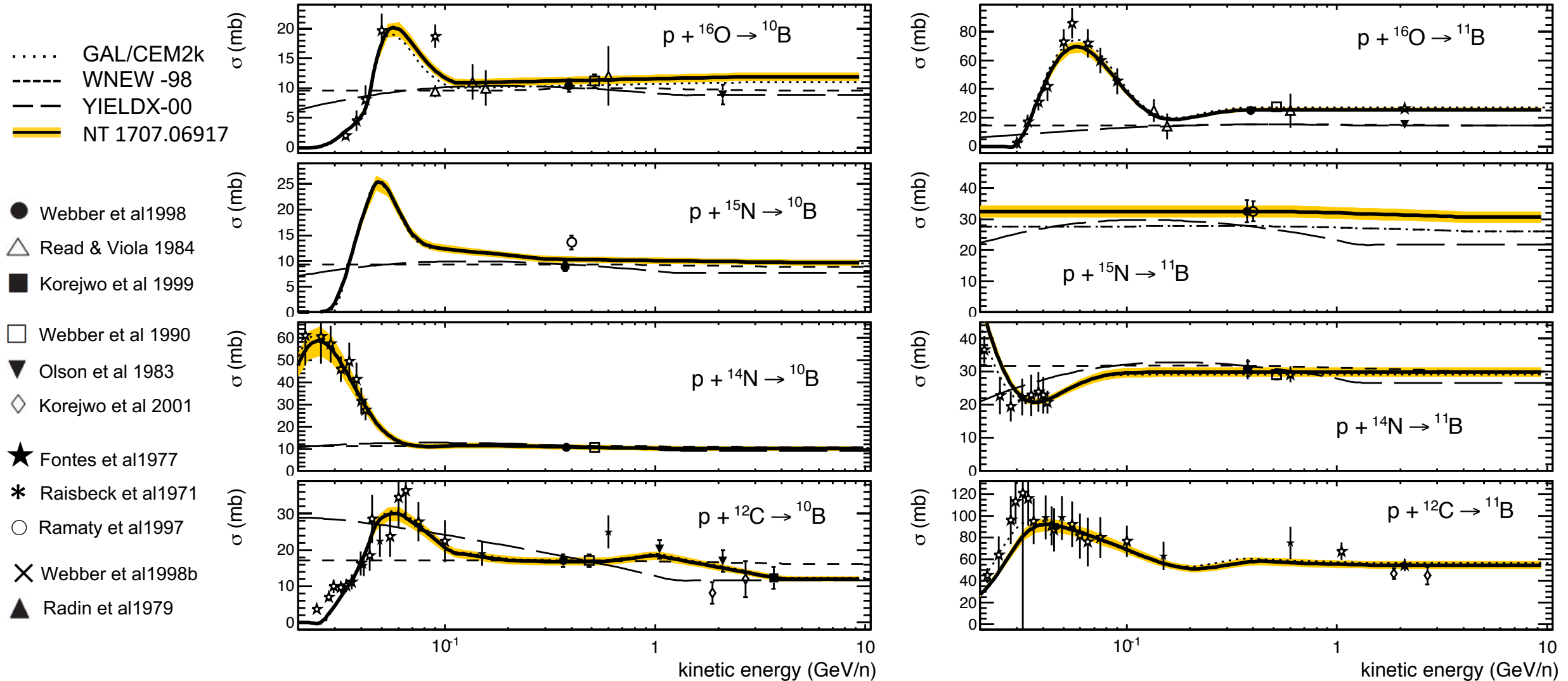
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Proj $\rightarrow$ Frag	$\sigma_{P \rightarrow F}^H \pm \delta\sigma_{P \rightarrow F}^H$	Data Sets
$^{16}\text{O} \rightarrow ^{11}\text{B}$	$(25.66 \pm 1.06)$ mb	$\triangle \bullet \square * \blacktriangledown$
$^{16}\text{O} \rightarrow ^{10}\text{B}$	$(11.92 \pm 0.52)$ mb	$\triangle \bullet \square * \blacktriangledown$
$^{15}\text{N} \rightarrow ^{11}\text{B}$	$(30.63 \pm 2.48)$ mb	$\bullet \circ$
$^{15}\text{N} \rightarrow ^{10}\text{B}$	$(9.69 \pm 0.77)$ mb	$\bullet \circ$
$^{14}\text{N} \rightarrow ^{11}\text{B}$	$(29.80 \pm 1.08)$ mb	$\bullet \square * \star$
$^{14}\text{N} \rightarrow ^{10}\text{B}$	$(10.15 \pm 0.84)$ mb	$\bullet \square * \star$
$^{12}\text{C} \rightarrow ^{11}\text{B}$	$(54.73 \pm 2.57)$ mb	$\bullet \square \blacksquare * \blacktriangledown \star \diamond$
$^{12}\text{C} \rightarrow ^{10}\text{B}$	$(12.05 \pm 0.58)$ mb	$\bullet \square \blacksquare * \blacktriangledown \star \diamond$
...		NT 1509.05776

# Boron production cross-sections and uncertainties

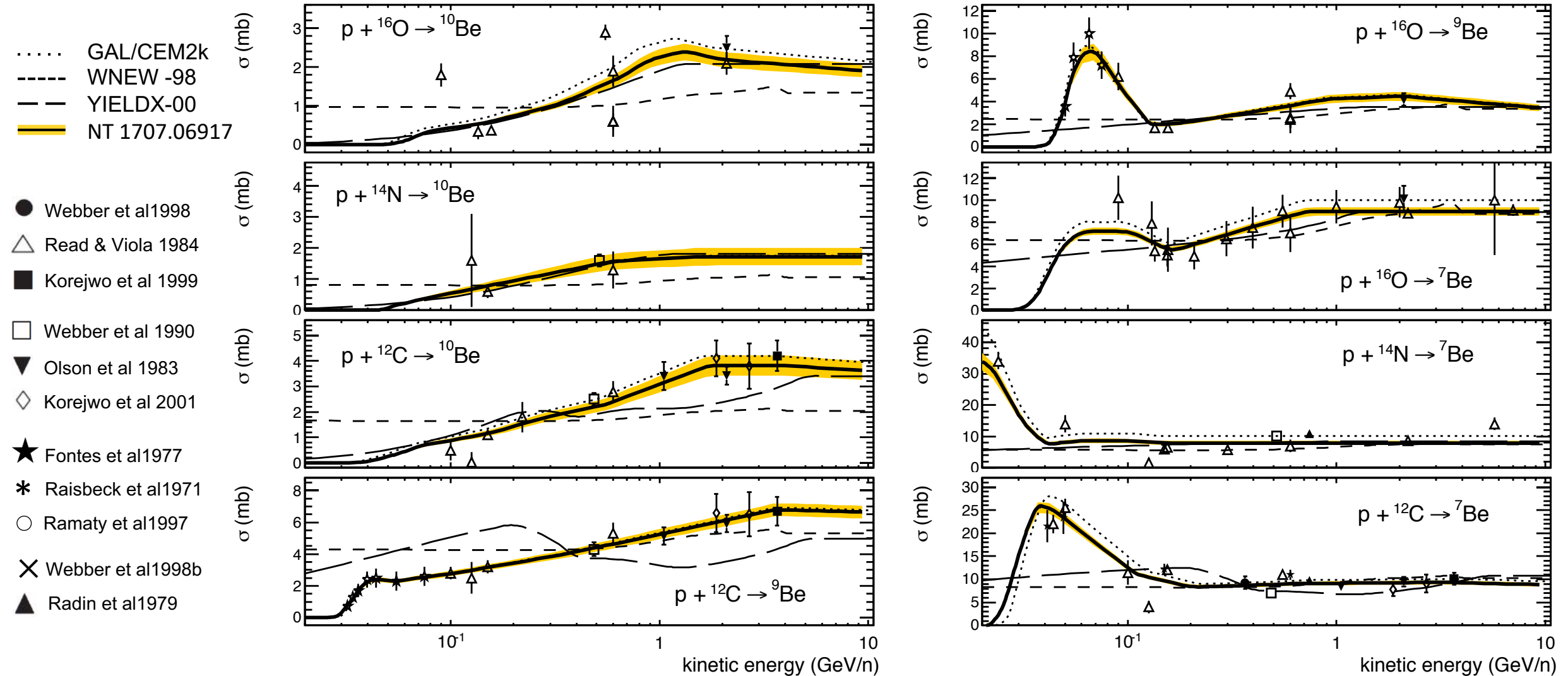
XS data and formulae for  $^{10}\text{B}$  and  $^{11}\text{B}$  production from C-N-O collisions off hydrogen



[From NT 1509.05776. See also Genolini+ 1803.04686, Evoli+ 1711.09616, NT 1707.06917]

# Beryllium production cross-sections and uncertainties

XS data and formulae for  ${}^7\text{Be}$ ,  ${}^9\text{Be}$  and  ${}^{10}\text{Be}$  production from C-N-O collisions off hydrogen



[From NT 1509.05776. See also Genolini+ 1803.04686, Evoli+ 1711.09616, NT 1707.06917]

# “Tertiary” reaction channels

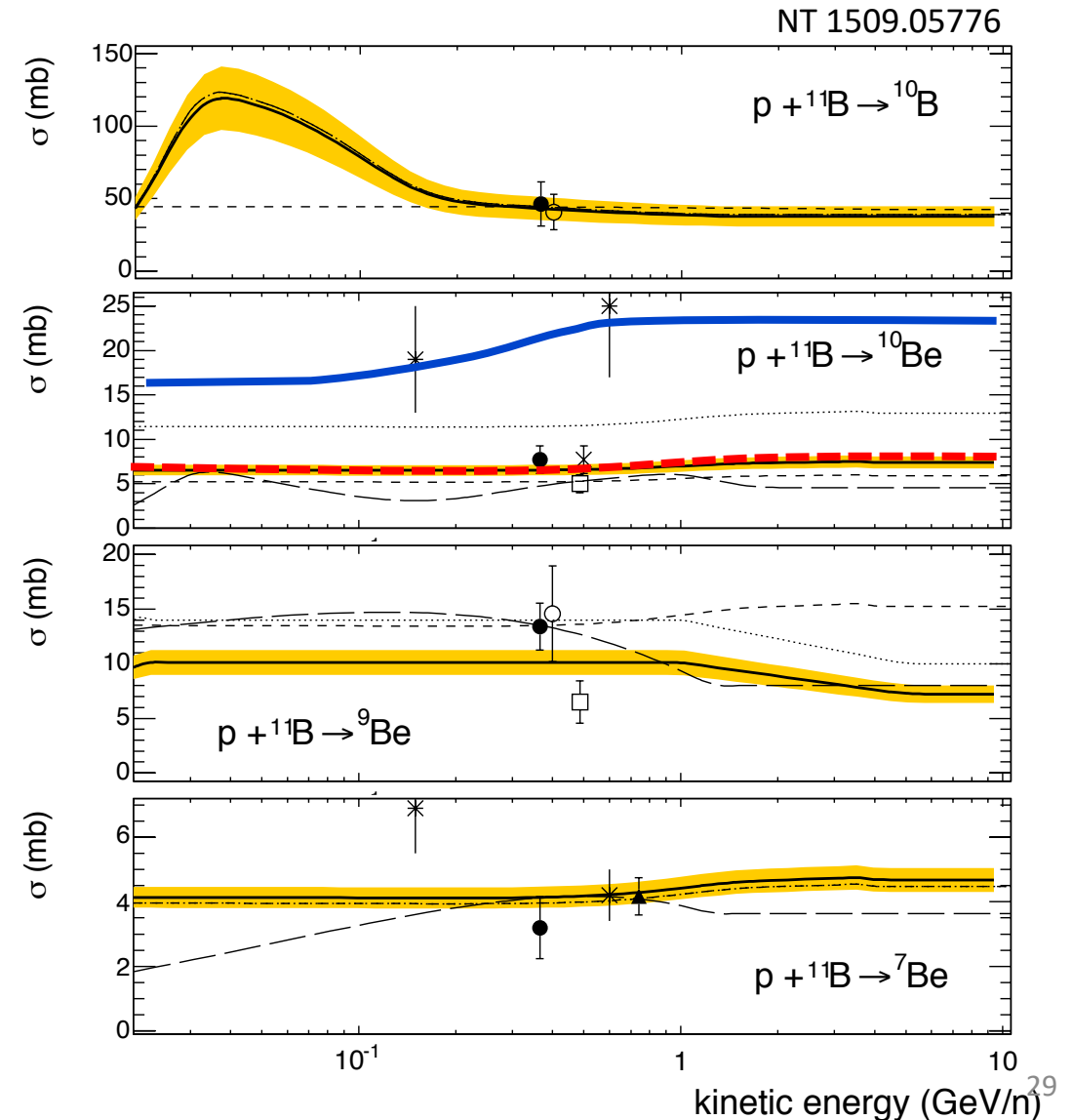
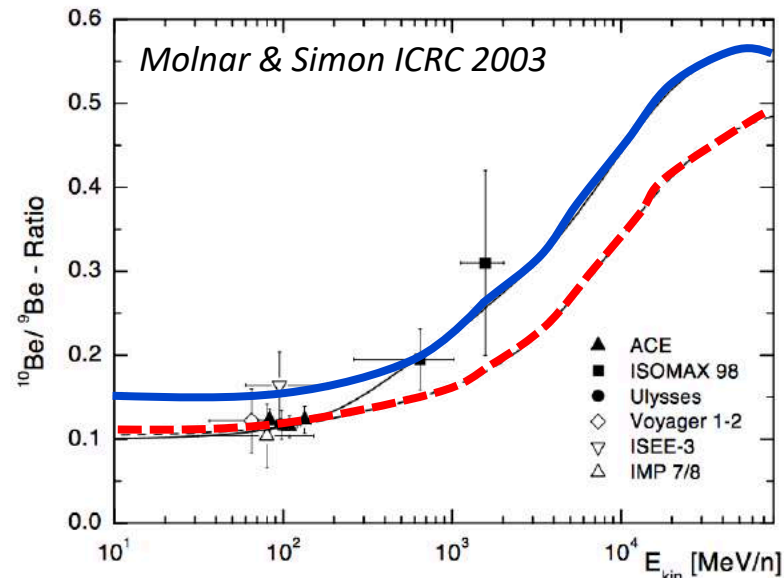
*A large fraction of Li-Be progenitors are secondary isotopes Be-B*

*Important to precisely model the Li & Be fluxes*

*Essential to correctly interpret  $^{10}\text{Be}/^9\text{Be}$  data*

- *Lack of CR data on  $^{10}\text{Be}$  isotope*
- *Lack of XS data on  $^{10}\text{Be}$  production*

*Very important for modeling the DM signal from annihilations in the halo*



# Multi-step and “virtual” reaction channels

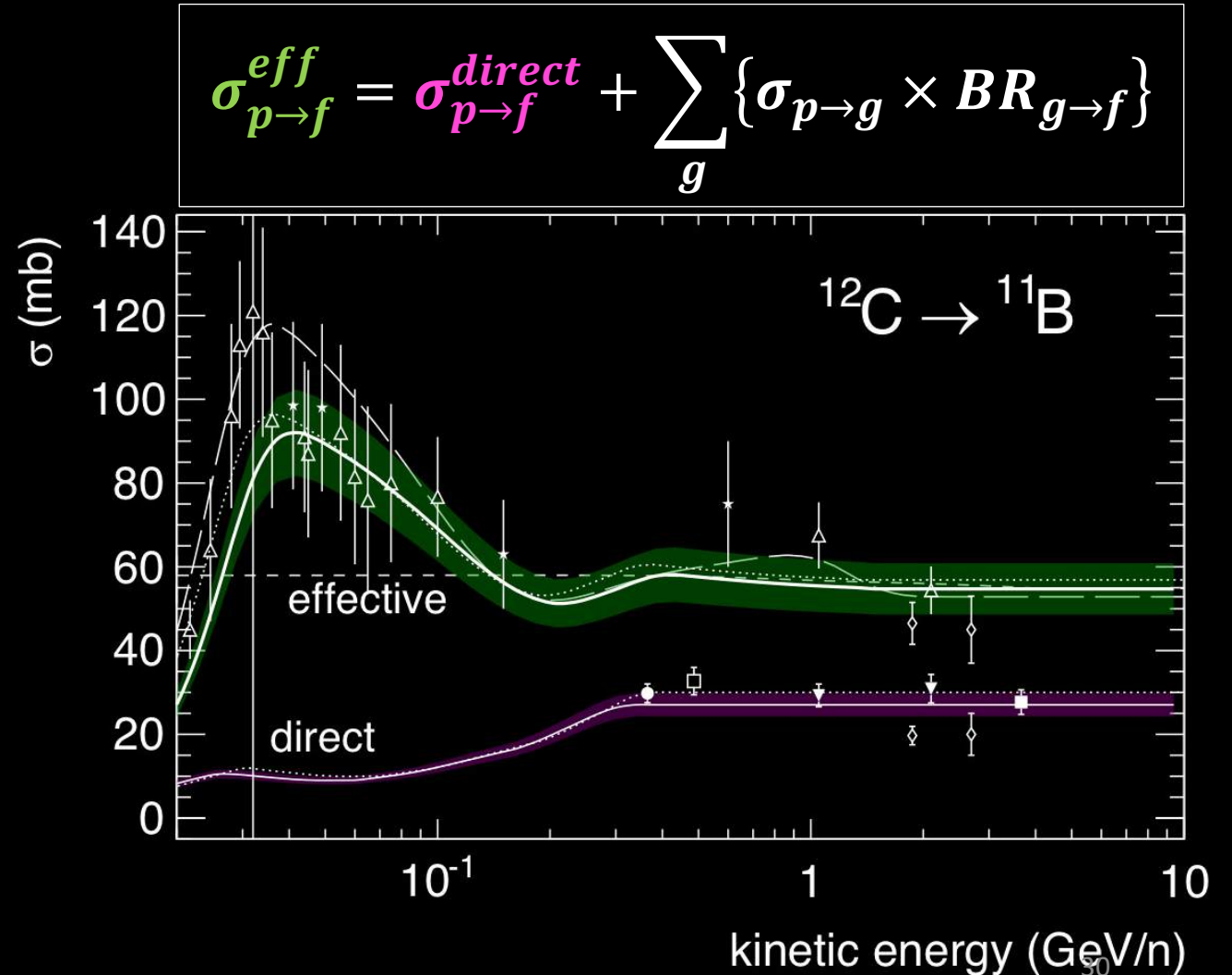
## Short-lived “ghost” nuclei



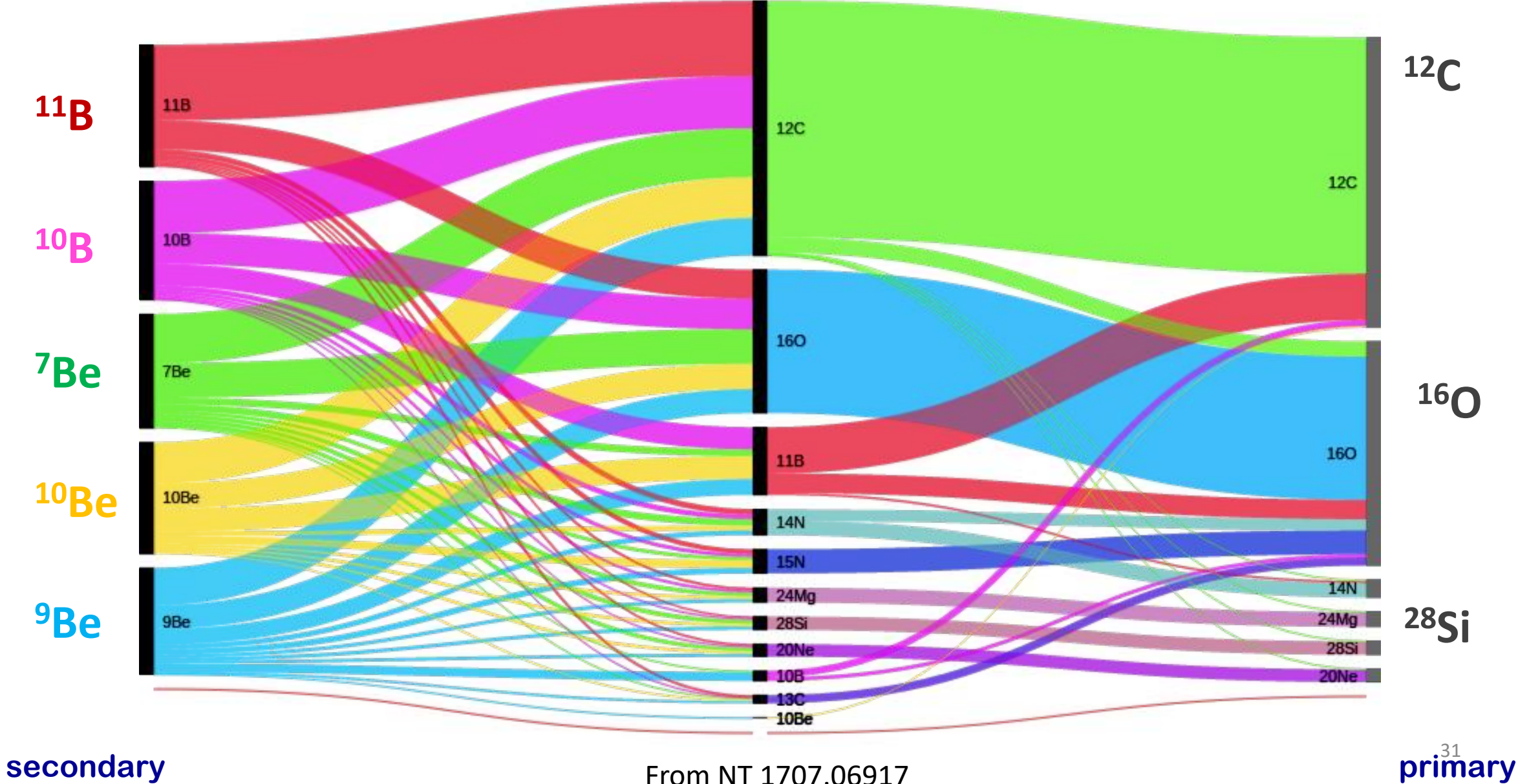
## Long-lived intermediate nuclei



## Stable intermediate nuclei



# Multi-step cosmic ray fragmentation

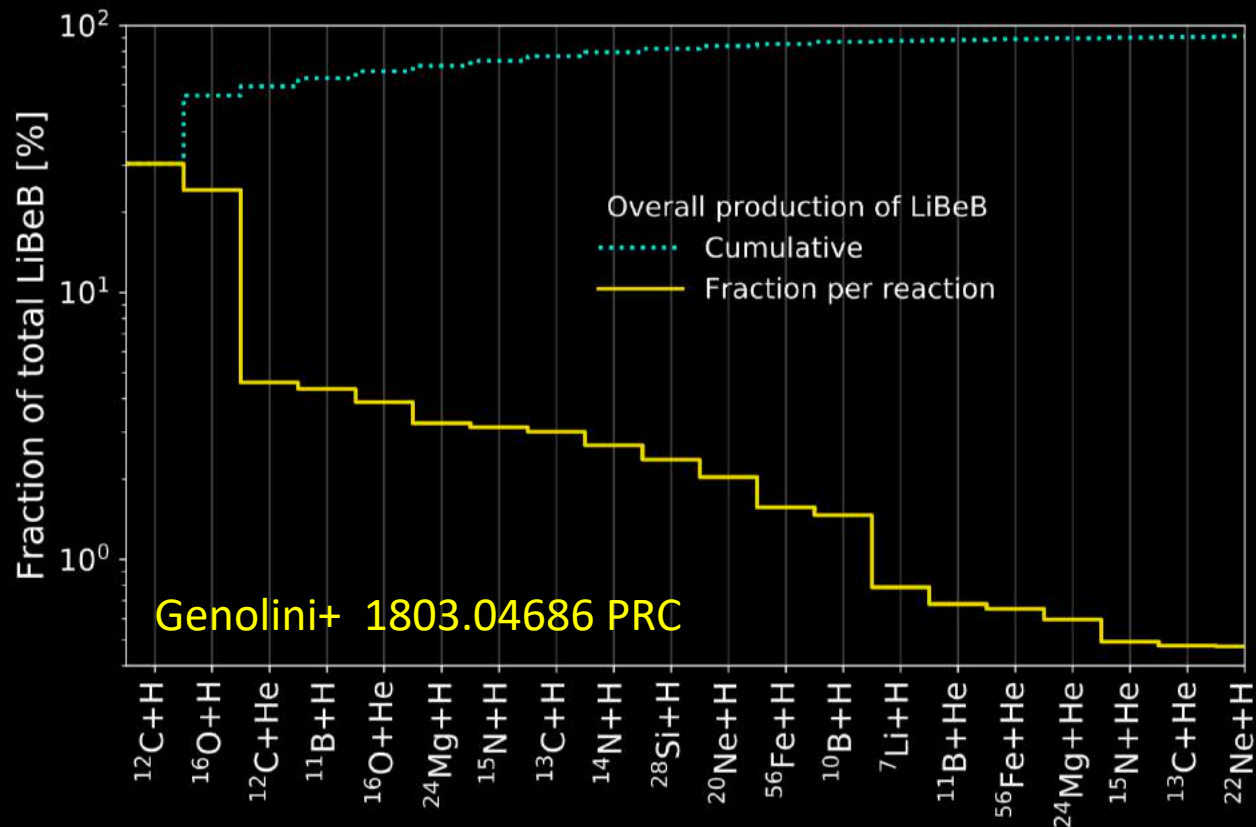


# Importance of target composition

Interstellar gas: 90% hydrogen and 10% helium.

XS Data: mostly off hydrogen -> semiempirical models are made for H targets.

He target -> rescaling factor  $F=F(E,A,Z)$  from Ferrando 1998. Typically  $F\sim 1.3-2.0$



## Li-Be-B production ranking

$^{12}\text{C} + \text{H}$  30 % [ $\gg$  Genolini's talk]

$^{16}\text{O} + \text{H}$  22 %

$^{12}\text{C} + \text{He}$  5 %

$^{11}\text{B} + \text{H}$  5 %

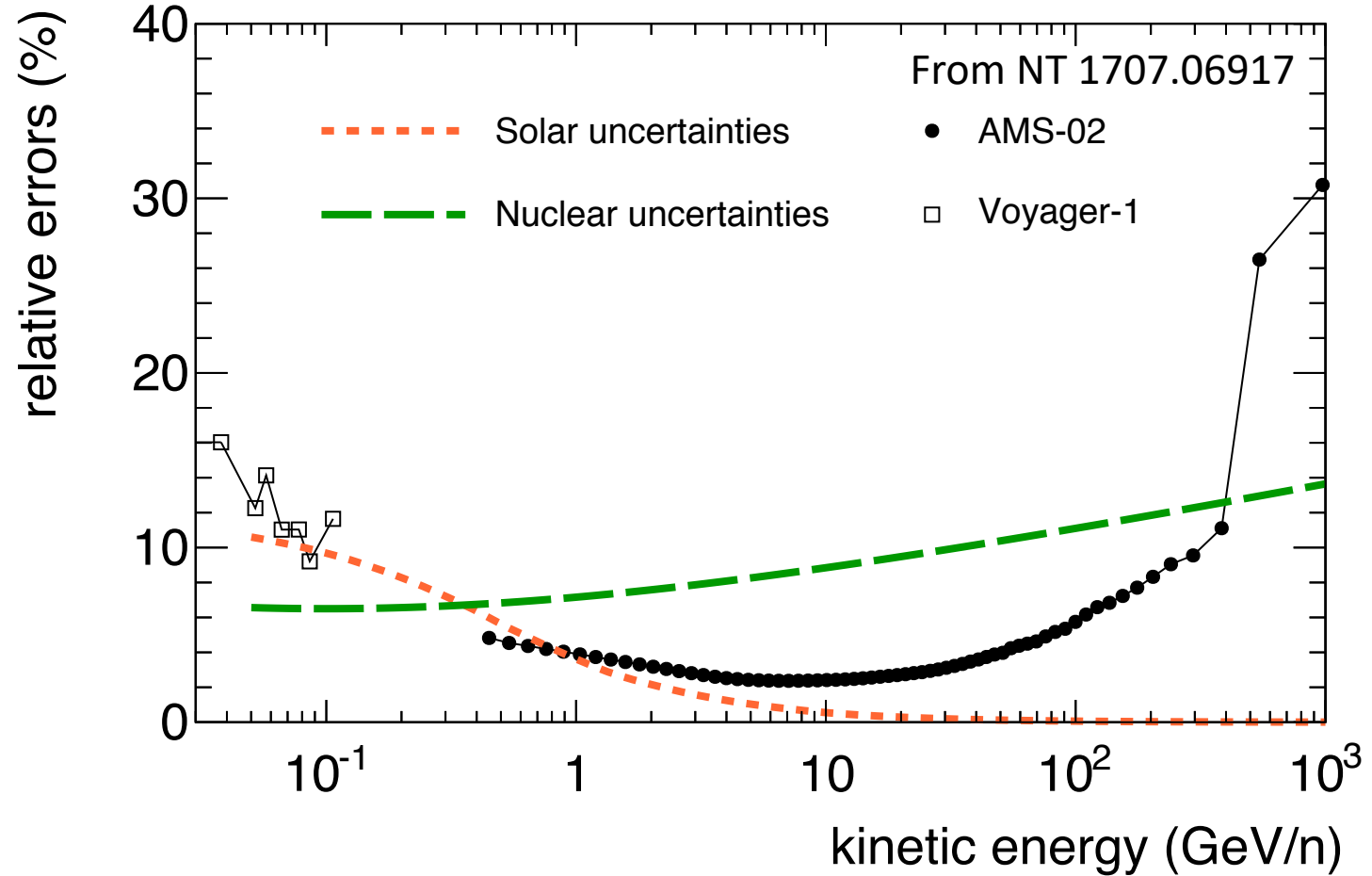
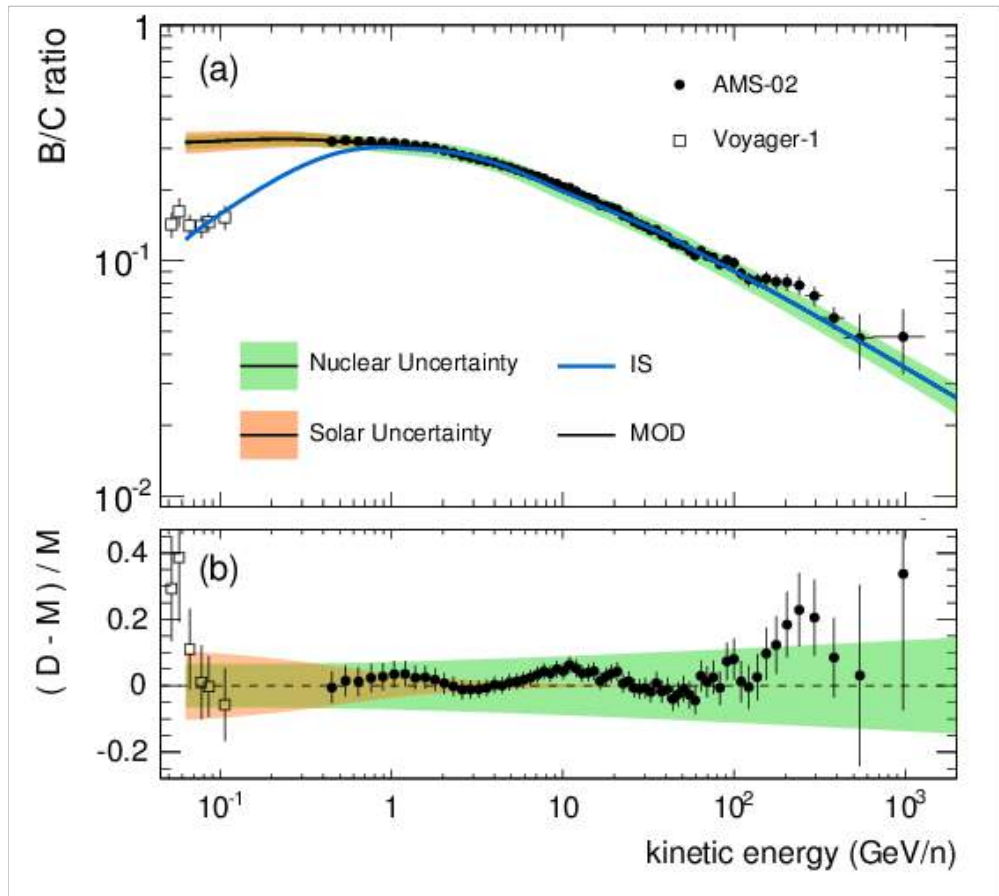
$^{16}\text{O} + \text{He}$  4 %

-> subdominant but appreciable



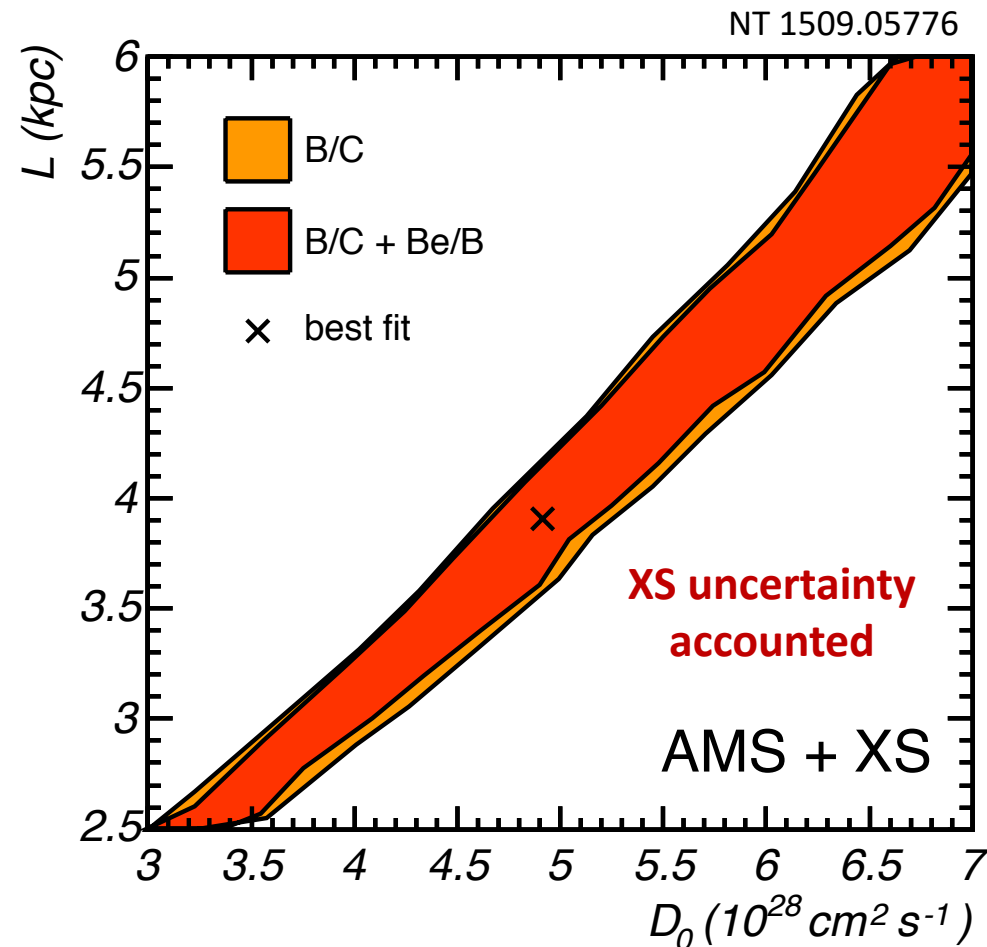
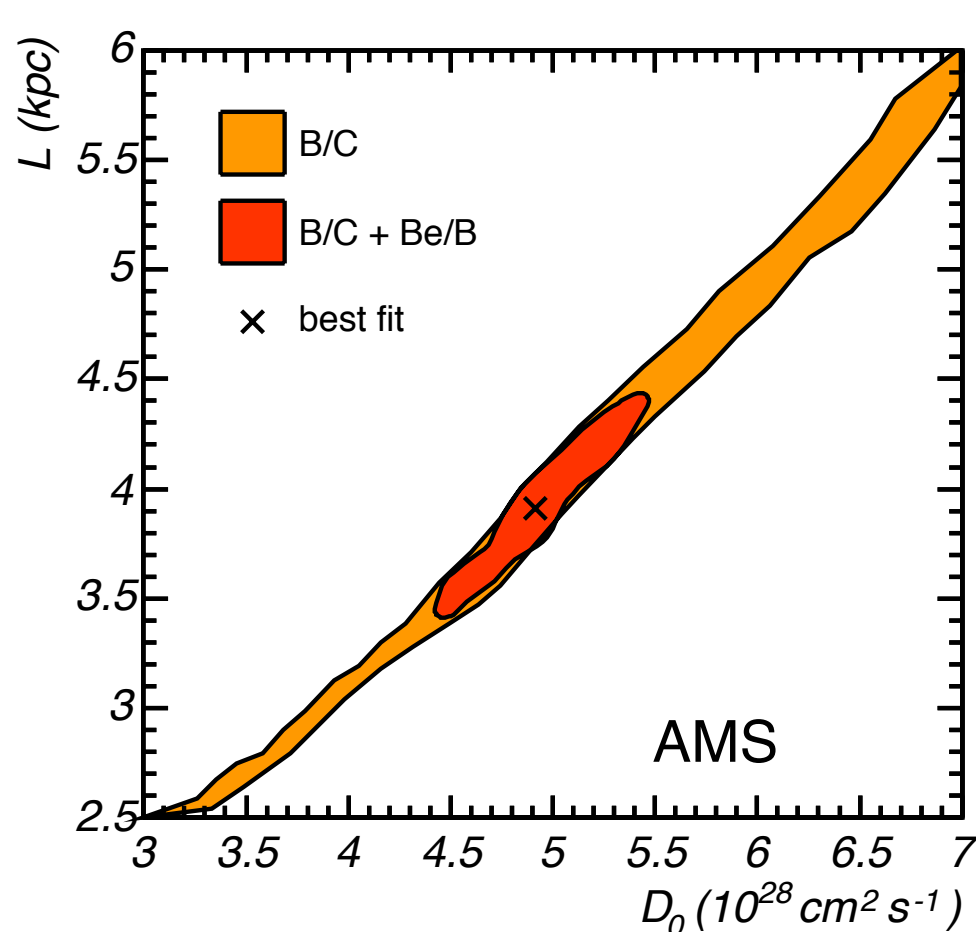
# Nuclear uncertainties in the B/C ratio

- ✓ Cross-section uncertainties are dominating at 0.5 – 500 GeV/n energies
- ✓ Accounting for bin-to-bin correlation would mitigate the problem



# Impact of cross-section uncertainties

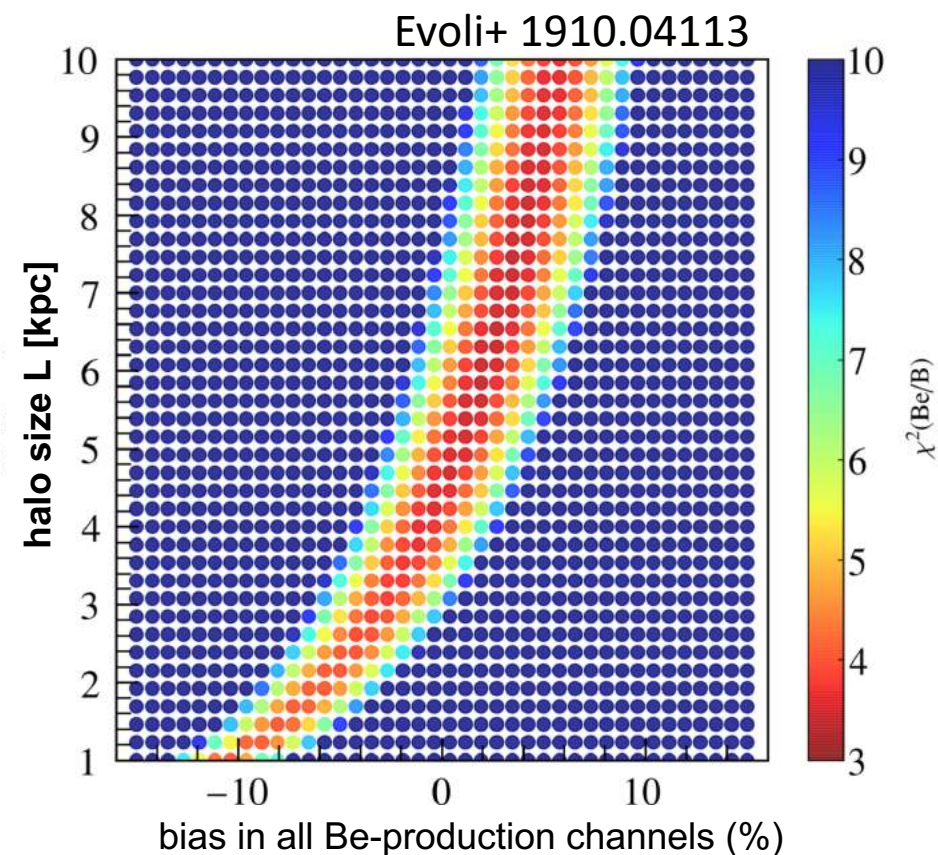
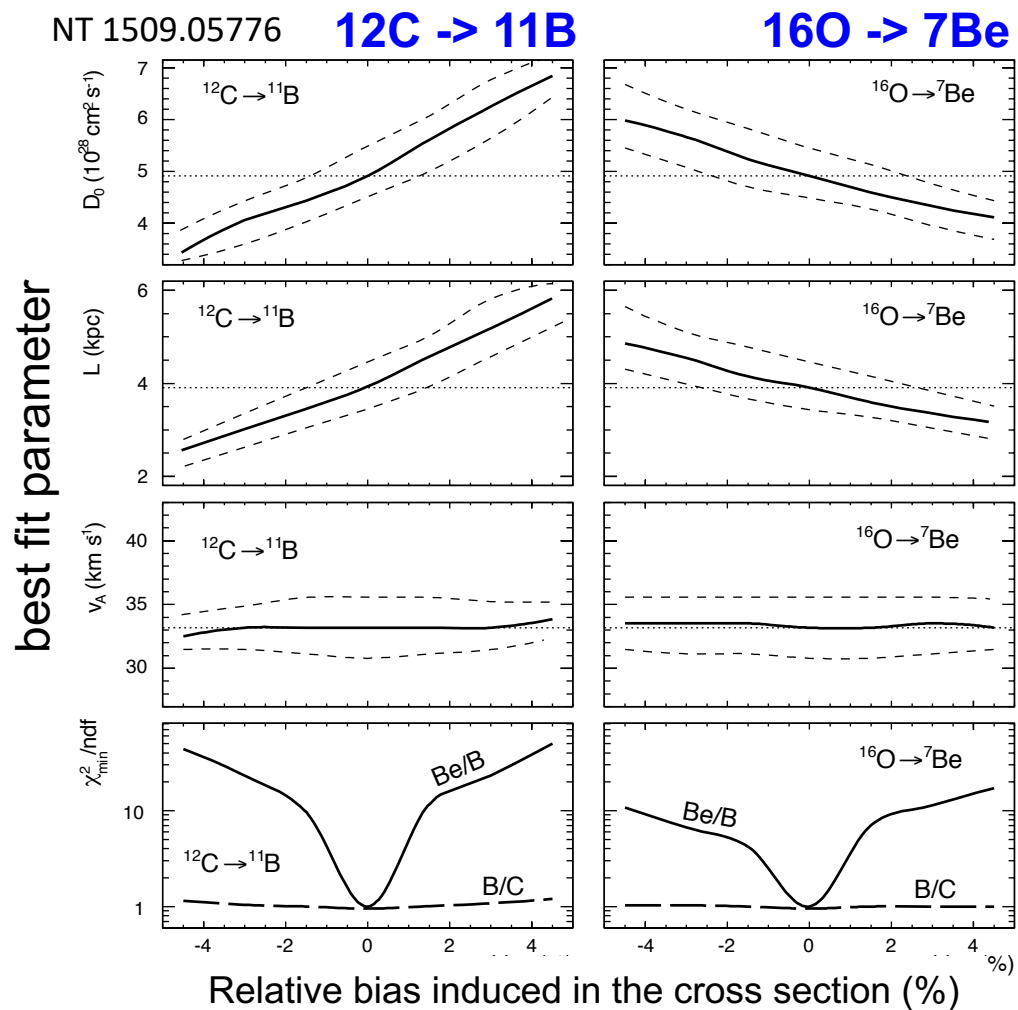
Combined data on B/C and Be/B ratios



- ✓ Left: Combined (and precise) data on B/C and Be/B ratios can **lift** the L-K degeneracy
- ✓ Right: Uncertainties in Be and B production cross-sections **restore** the degeneracy

# Impact of cross-section uncertainties

## Systematic bias in individual XS channels



- ✓ Undetected biases in individual XS channels cause parameter mis-determination
- ✓ Large XS biases could be detected in secondary/secondary ratios

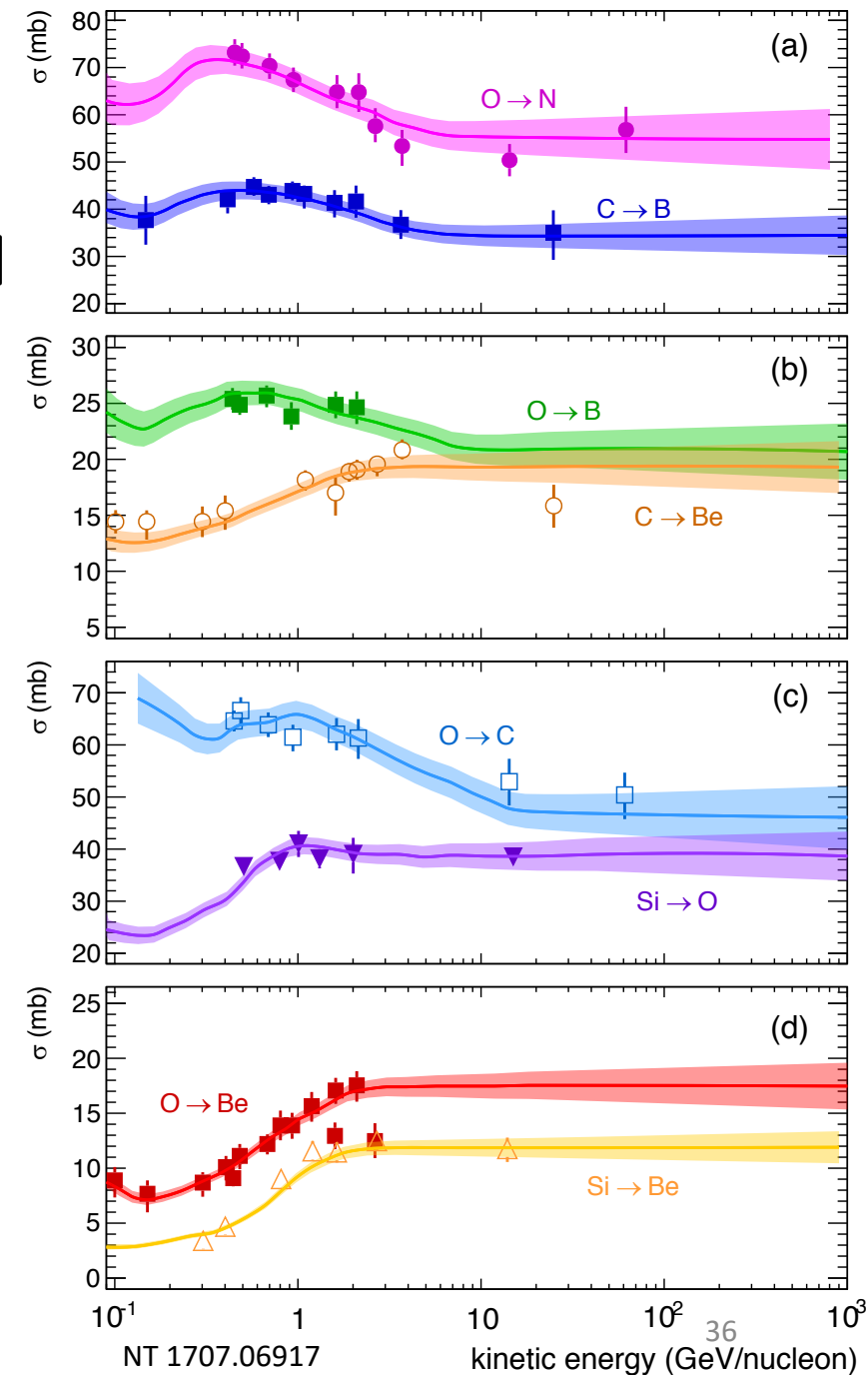
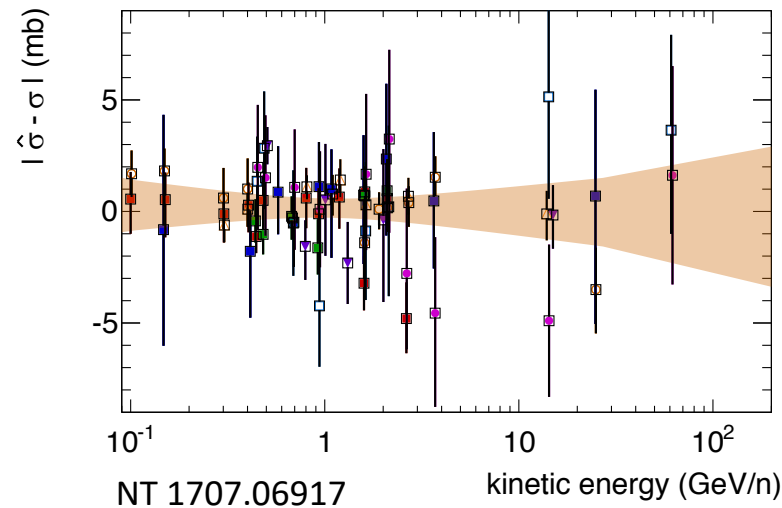
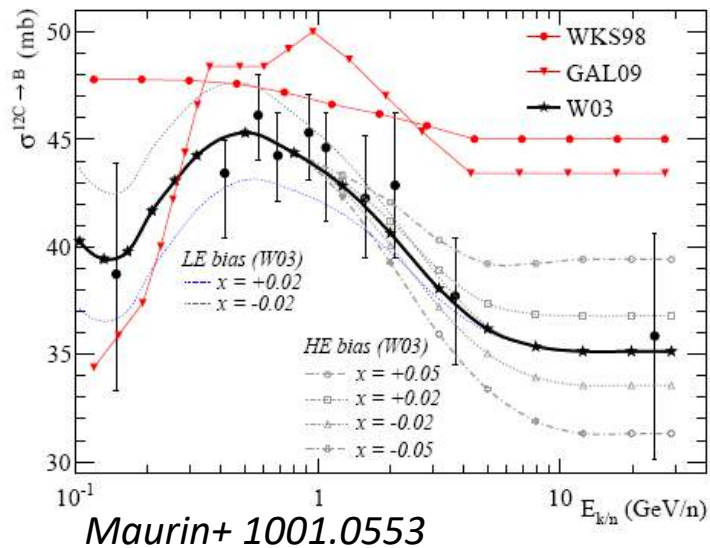
# Potential bias: energy dependence

E-dependence in XSs may cause bias in the determination of propagation parameters, e.g. diffusion index [Maurin+ A&A 2010]

Lack of high-energy data in isotopically-resolved XS

It is important to understand and constrain the energy dependence of XSs at GeV – multi-TeV scale

Total inelastic and charge-changing XSs (only Z-resolved) can provide constraints on the energy dependence of partial XS

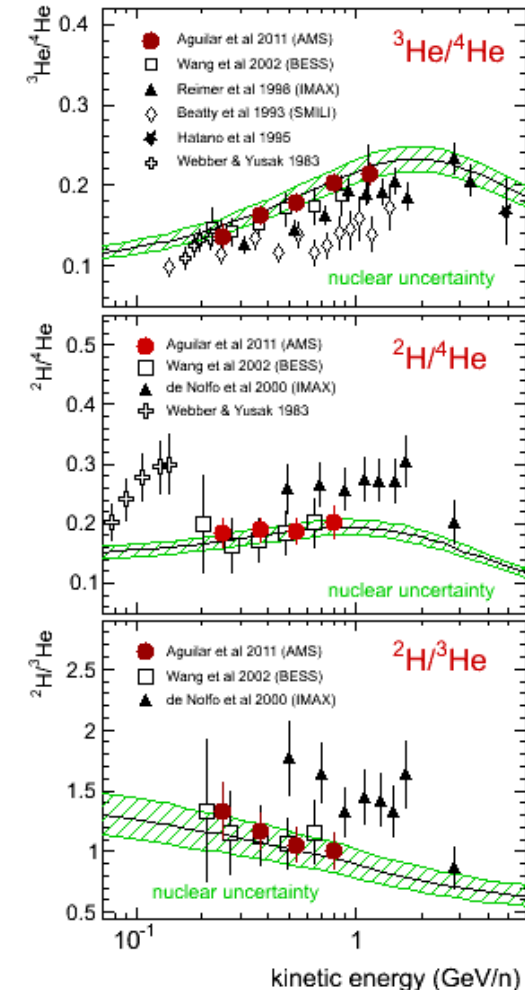
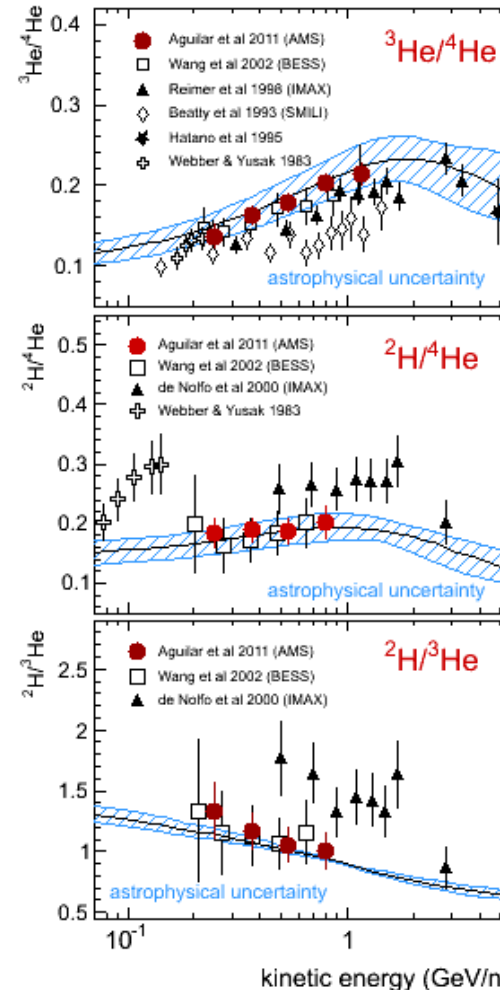
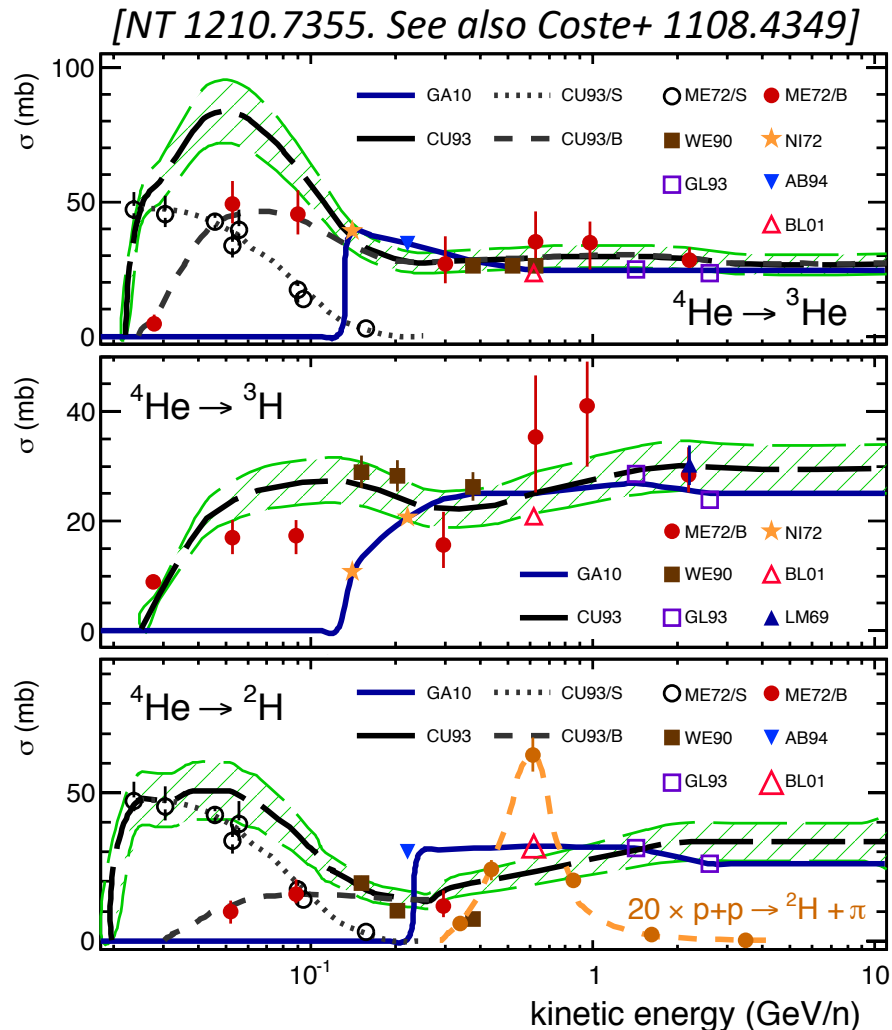


# Cross sections for H-He isotopes

The CR quartet  
 $^1\text{H}$ - $^2\text{H}$ - $^3\text{He}$ - $^4\text{He}$

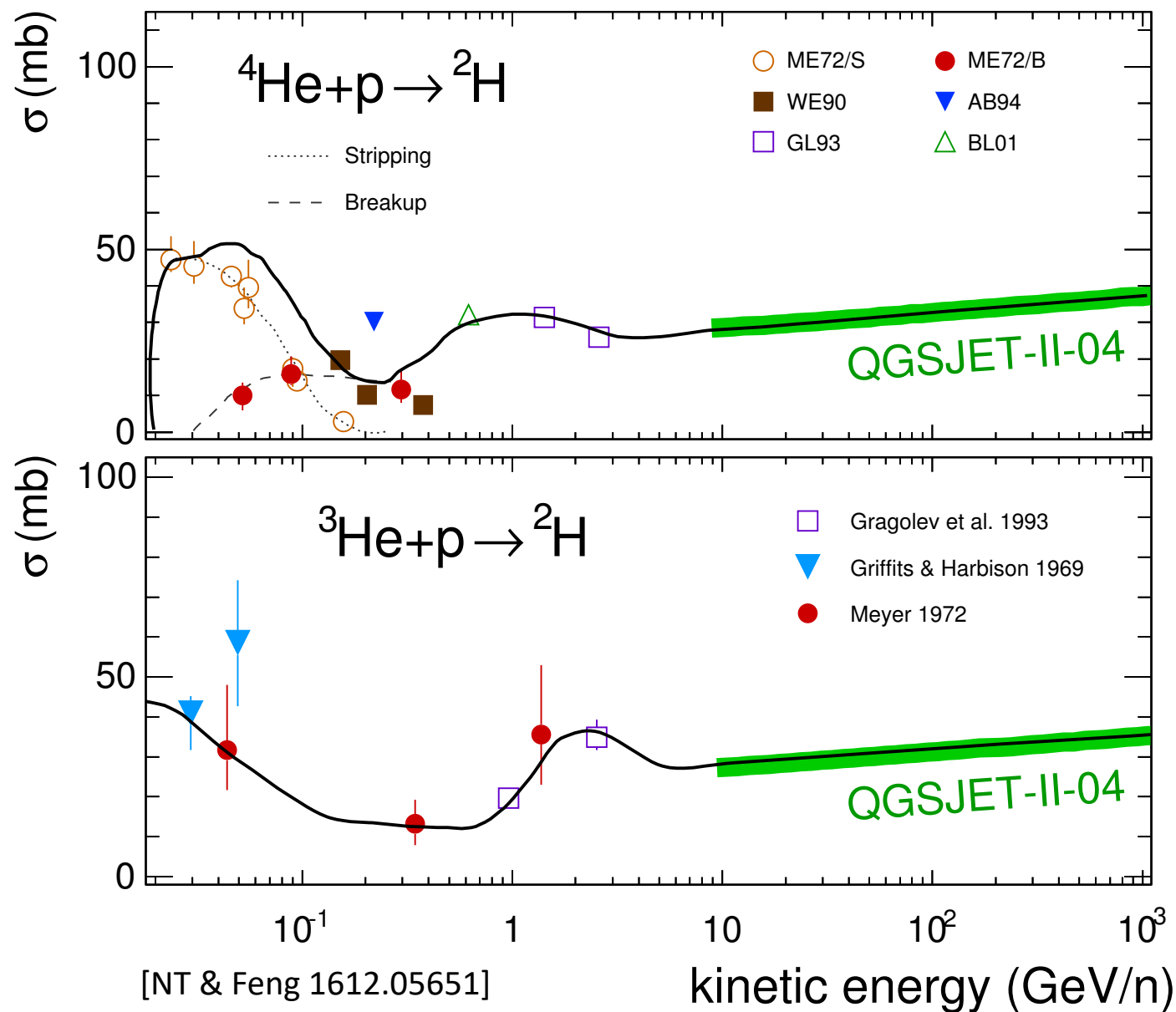
- ✓ Several nuclear data up to few GeV/n. No data above 10 GeV/n (QGSJET used)
- ✓ New  $^3\text{He}/^4\text{He}$  ratio from AMS. To be compared with B/C ratio

[>> A. Oliva talk]



# Cross sections for H-He isotopes

The CR quartet  
 $^1\text{H}$ - $^2\text{H}$ - $^3\text{He}$ - $^4\text{He}$



High energy extrapolation with hadronic generator QGSJET-II-04. The XS is increasing with energy

# Challenged by the data

Recent CR data at high energies (multi-GeV to multi-TeV) are revealing several “anomalies”, i.e., unexpected features

- **Positron excess**: evidence for extra source of HE leptons [PAMELA, Fermi, AMS]
  - **Antiprotons**: hints of excess at  $\sim 20$  GeV. Flat  $p\bar{p}/p$  ratio at  $\sim 50-500$  GeV [AMS]
  - Spectral **hardening** at  $R \sim 300$  GV in **primary** fluxes [PAMELA, CREAM, AMS]
  - Spectral **softening** at  $R \sim 10$ -TeV in the **proton** flux [DAMPE, CREAM]
  - Spectral **hardening** at  $R \sim 300$  GV in **secondary/primary** ratios [AMS]
  - Non universality of CR spectral indices (**p/He anomaly**) [CREAM, PAMELA, AMS]
  - Diffuse  **$\gamma$ -ray** hardening towards Galactic Centre & GeV excess [FERMI]
- Time to relax the several simplifying assumptions in the models, e.g. linearity, homogeneity, stationarity, isotropy
- Need for better control of all (astro)physical inputs of CR models such as to approach the precision of new measurements

# Some conclusions – considerations and questions

The link between laboratory data and XSs inside CR models is not straightforward

Uncertainties in **Boron** production (~10%) are larger than those in **B/C data** (~2% from AMS-02). The impact of XS uncertainty in CR propagation is not straightforward.

All data on isotopic XS are below ~5 GeV. At **high energies**, secondary/primary diagnostic tools rely on **extrapolation** (constant XSs) from semiempirical formulae.

Uncertainties in Be production cause **mis-determination** of CR diffusion parameters. Especially if **Be/B** is used in place of  $^{10}\text{Be}/^9\text{Be}$ . Need data for some reactions e.g.  $^{11}\text{B} \rightarrow ^{10}\text{Be}$

Combined sets of **sec/pri** or **sec/sec** ratios can help to 'keep under control' the XSs. Inconsistencies among these ratios may reveal the presence of bias in some XS reactions.

Lack of XS data for light-nuclei off **He target**. Non-negligible ISM component with  $Z > 1$  is.

Can we rely on **straight-ahead** approximation, within the precision of AMS-02 nuclear data?

Can we rely on usual formulae for **inelastic** XSs, e.g. for heavy or fragile elements?