

Inflation Ends, What's Next?

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after inflation: a GAP in our cosmic history

?

*image is my modification of the one produced by the PDG, 2014

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after inflation: GAP — connects physics of inflation to the Standard Model

14 billion years

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Observationally challenging because: early times and small length scales (no inflationary "amplifier"), thermalization etc. But there is hope !

14 billion years

after inflation: GAP — consequences ?

?

.
Starobinsky(1979/80), Nanopolous et. al (1983), Silverstein & Westhpal (2008), Kallosh & Linde (2013), McAllister et. al (2014) ... also see C.Vafa's talk. degrees of freedom with *N*^e↵ = 0.39 (disfavoured, but not excluded, by *Planck*). Dotted lines show loci of approximately confor example:

what we "know" about inflation (simplest case - scalar field driven inflation) — flattened potentials

 $\overline{1}$

$$
S = \int d^4x \sqrt{-g} \left[\frac{m_{\rm pl}^2}{2} R - \frac{1}{2} (\partial \phi)^2 - V(\phi) \right]
$$

end of inflation ?

- shape of the potential (self couplings)
- couplings to other fields

$$
\chi\,\ ,\psi\; A_\mu
$$

end of inflation (simplest)

• shape of the potential (self couplings)

*there will still be gravitational particle production of other fields, see for example Kolb & Long (2021) and earlier papers

 \ast similar to a matter dominated universe, also see Adrienne Erikcek's talk so see Adrienne Erikcek's talk $\frac{1}{2}$ $\frac{1}{2}$ *also see N. Musoke's talk

oscillating scalar field: self-interaction driven fast instability & "oscillon" formation

*without oscillons, but relevant for instabilities, see related (much) earlier work: Khlopov, Malomed & Zeldovich (1985)

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insensitivity to initial conditions

oscillating scalar field: self-interaction driven fast instability & "oscillon" formation

MA, Easther, Finkel, Flauger & Hertzberg (2011) 1106.3335

self-interaction driven fast instability & "oscillon" formation + gravitational clustering

MA, Easther, Finkel, Flauger & Hertzberg (2011) 1106.3335

MA & Mocz (2019) * non-relativistic, Schrodinger-Poisson 1902.07261

expansion

self-interactions

gravitational int. \blacktriangledown

relativistic to non-relativistic effective theory

Klein-Gordon-Einstein

Salehian, Zhang, MA, Kaiser, Namjoo, (2021)

solitons : oscillons

spatially localized coherently oscillating exceptionally long-lived

*see talk by David Cyncynates on lifetimes in the parallel session also

For example:

Bogolubsky & Makhankov (1976) Gleiser (1994) Copeland et al. (1995) MA & Shirokoff (2010) Hertzberg (2011) MA (2013) Mukaida et. al (2016) Zhang, MA, et. al (2020)

solitons : oscillons, scalar-stars … spatially localized, coherently oscillating, long-lived

self-interaction

solitons : oscillons, scalar stars … spatially localized, coherently oscillating, long-lived

*lifetimes can be much, much larger than the Hubble time scale at the end of inflation *for regime with strong field gravity regime, see also Muia et. al & Nazari et. al (2019,20)

- see entire parallel session " BSM with Compact Objects"

 $t=1m^{-1}$

dynamics in quadratic power law minima + wings

inflaton potential

$$
w\to 0
$$

eq. of state

matter domination Homogeneous oscillations

$$
w=\frac{n}{n}
$$

Turner (1983)

Homogeneous oscillations

dynamics in different power law minima + wings

Lozanov & MA (2016/17) 1608.01213, 1710.06851

equation of state from oscillating fields

the *spatially averaged* equation-of-state of fields

 $-(n = 1)$ quadratic minima $w = 0$

power law at the minimum

Lozanov & MA (2016/17)

eq. of state & CMB observables

* non-quadratic minimum $n \neq 1$ * no oscillons here

also see: Kamionkowski & Munoz (2014), Cook et. al (2015) and others

upper bound on duration to radiation domination slowly decaying amplitude, continuing its particle in the continuing its particle in the continuing its particle
The continuing is particle in the continuing its particle in the continuing in the continuing in the continui ation domination. After such a such a succession of \sim

mately equal and much greater than the potential and much greater than the potential ϵ

of the modes near *k* = 0 due to the broad band * addition of other light fields, see Antusch, Figueroa, Marschall, Torrenti (2020)

couplings to other fields

$$
S = \int d^4x \sqrt{-g} \left[\frac{m_{\rm pl}^2}{2} R - \frac{1}{2} (\partial \phi)^2 - V(\phi) - \frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{g_{\phi\gamma}}{4} \phi F_{\mu\nu} \tilde{F}^{\mu\nu} - \frac{1}{2} (\partial \chi)^2 - m_{\chi\chi}^2 + g_{\phi\chi} \phi \chi^2 + \dots \right. \\
\left. - \bar{\psi} (i\gamma \cdot \partial - m) \psi - g_{\phi\psi} \phi \bar{\psi} \psi + \dots \right]
$$

* lots of fun to be had with perturbative and non-perturbative dynamics

coupling to "photons"

4 $F_{\mu\nu}F^{\mu\nu} - \frac{g_{\phi\gamma}}{4}$ $\frac{\phi\gamma}{4}\phi F_{\mu\nu}\tilde{F}^{\mu\nu}$ $-\frac{1}{2}$ 2 $(\partial \chi)^2 - m_\chi^2 \chi^2 + g_{\phi\chi} \phi \chi^2 + \dots$ $-\bar{\psi}(i\gamma\cdot\partial - m)\psi - g_{\phi\psi}\phi\bar{\psi}\psi + ...$

$$
S = \int d^4x \sqrt{-g} \left[\frac{m_{\rm pl}^2}{2} R - \frac{1}{2} (\partial \phi)^2 - V(\phi) - \frac{1}{4} \right]
$$

an application: "photons" from oscillons

2

and o↵ (bottom panels). The early instability due to self-interactions gives rise to the formation of solitons from an almost

homogeneous the squaling to photons is very strong Δ dehead at al (2014) and later papers ounica because the couping to photons is very strong, assided et. ar (2010) and fater papers. $*$ this scenario be modified because the coupling to photons is very strong Adshead et. al (2016) and later papers. pupers. With the scalar field also players and important role. This richness in the close-encounter dynamics in the close-encounter dynamics in the close-encounter dynamics in the close-encounter dynamics in the close-enco

FIG. 6. Gravitational clustering facilitates close encounters at late times between solitons. Such close encounters lead to MA & Mocz (2019)

photons from oscillons

- no emission before merger
- explosive after merger
- a threshold & resonant effect

*might not be easy to achieve because the amplitude is highest at the end of inflation, so most photons produced then before (if) soliton formation. Also, likely not enough for reheating * but other mechanisms to produce the solitons might work, also applications in the late universe

MA & Mou (2020) 2009.11337

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MA & Mou (2020) 2009.11337

explosive, self-regulating photon production from mergers

explosive photon production from soliton mergers

~30% of total energy goes into axion waves

~20% of remaining goes into EM radiation

* for an exploration of gravitational wave production from mergers, see Helfer, Garcia et. al (2018)

"photons" from oscillons: in external fields

electric field. The charge density and current density oscillate in time, generating dipole radiation. MA, Long, Mou & Saffin (2021) [2103.12082](https://arxiv.org/abs/2103.12082)

explosive vs. steady radiation

scalar stars/oscillons/solitons can radiate energy in electromagnetic fields radiated power depends on axion-photon coupling and characteristics of soliton configuration

MA, Long, Mou & Saffin (2021)

-
-

coupling to massive "photons"

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* production could be via "misalignment" of inflaton, for example: Co et. al (2018), Agrawal et. al (2018) in context of dark matter

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hedgehog oscillon $\frac{1}{2}$ **directional** oscillon (easier to form) f

$$
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* for dilute ones supported by gravity, see Adshead and Lozanov (2021), for analogs in complex vector fields for the hedgehog case, see Loginov (2015)

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lots more to explore!

* Abelian Higgs / GFiRe (Lozanov & MA 2019) 1603.05663, 1911.06827

* towards model independent characterization: *Wires to Cosmology* (MA, Baumann, Carlsten, Garcia, Green, Wen +) 2001.09158, [1512.02637](https://arxiv.org/abs/1512.02637)

(also earlier paper on random potentials, for example McAllister et. al 2012, and recent multifield reheating, Martin & Pinol 2021)

 $F_{\mu\nu}F^{\mu\nu} - \frac{g_{\phi\gamma}}{4}$ $\frac{\phi\gamma}{4}\phi F_{\mu\nu}\tilde{F}^{\mu\nu}$ $\frac{1}{2}$ 2 $m_\gamma^2 A^2 + V_{\rm nl}(A^2)$

 $(\partial \chi)^2 - m_{\chi}^2 \chi^2 + g_{\phi \chi} \phi \chi^2 + \dots$

 $-\bar{\psi}(i\gamma\cdot\partial - m)\psi - g_{\phi\psi}\phi\bar{\psi}\psi + \ldots$

* thermal vs. non-thermal effects, see for example Garcia & MA 2018 1806.01865

$$
S = \int d^4x \sqrt{-g} \left[\frac{m_{\rm pl}^2}{2} R - \frac{1}{2} (\partial \phi)^2 - V(\phi) - \frac{1}{4} F_{\phi} \right] \frac{1}{2} (\phi - \bar{\psi})
$$

^a = 1*.*⁰ ^p

* lots more to explore: see talk by Qi<mark>anshu Lu</mark> on "Spillway Preheating" (Fan, Lozanov and Lu 2021 2101.11008) does not develop in the Higgs due to our choice of *e*, as explained in Section 4.1. Only once Terreating (Fall, LOZanov and Lu ZOZT ZTOT. T p_{max} the reconstructed probability density function for ln(22) p_{max}

 10^{-9}

 $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $($ - $)$ For a general moduli review, see Kane Watson and Sinha S_{eff} shows of the Modulus (first row) fields on a two-dimensional slice through $\frac{1}{\sqrt{2}}$ For a general moduli review, see Kane Watson and Sinha (2015)

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14 billion years

after inflation: a GAP in our cosmic history