

IWARA2020 Video Conference - 9th International Workshop on Astronomy and Relativistic Astrophysics



IWARA

From Quarks to Cosmos

Spotlight Plenary Talks



Title:

Triaxially-deformed Freely-precessing Neutron Stars:
Continuous electromagnetic and gravitational radiation

Abstract:

1. The free precession could manifest in (i) the spectra of continuous gravitational waves (GWs) in the kilohertz band, and (ii) the timing behavior and pulse-profile characteristics.
2. We extend previous work and investigate the free precession of a triaxially-deformed NS with analytical and numerical approaches. In particular, its associated continuous GWs and pulse signals are derived.

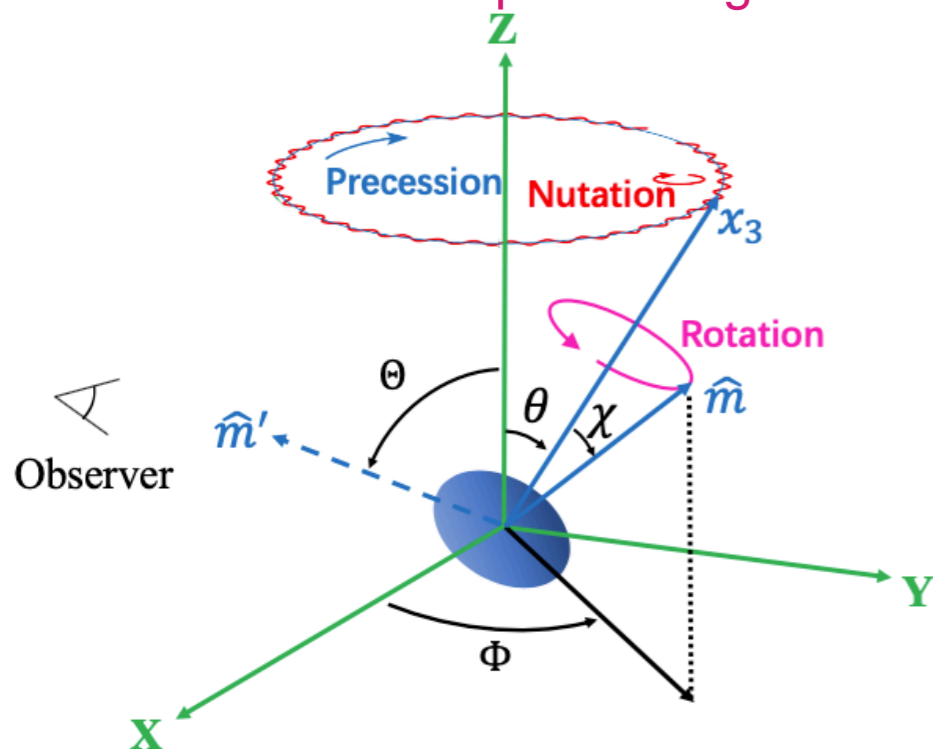


Yong Gao (left 1st)
gaoyong.physics@pku.edu.cn
Peking University, China
arXiv:2007.02528

1. How does a triaxially-deformed freely-precessing NS moves?

2. What can be extracted from GWs and timing signals?

A triaxial and precessing NS



• Time evolution of configuration

1. Analytical solution with elliptic functions
2. Numerical solution using quaternions

• Parameterized description of NS

$$\epsilon \equiv \frac{I_3 - I_1}{I_3}$$

Oblateness

$$\delta \equiv \frac{I_2 - I_1}{I_3 - I_2}$$

Nonaxisymmetry

$$\gamma \equiv \tan \theta_{\min}$$

Wobble

➤ **Modulated timing signals of pulsar:**

$$\Delta\Phi = F(\psi, \theta, \phi)$$

Phase residual = **Function of NS configuration**

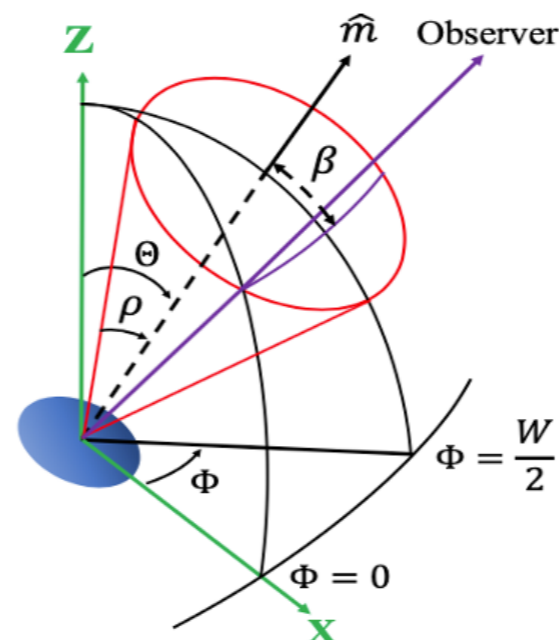
➤ **Modulated pulse profile:**

$$W = G(\Theta), \quad \Theta = H(\psi, \theta, \phi, \chi, \iota)$$

Pulse width = **Function of configuration, emission cone, line of sight**

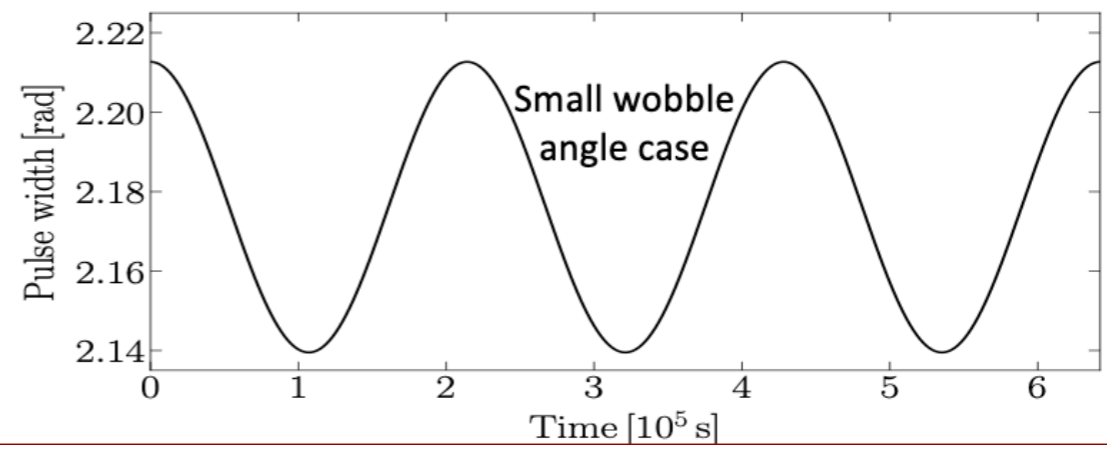
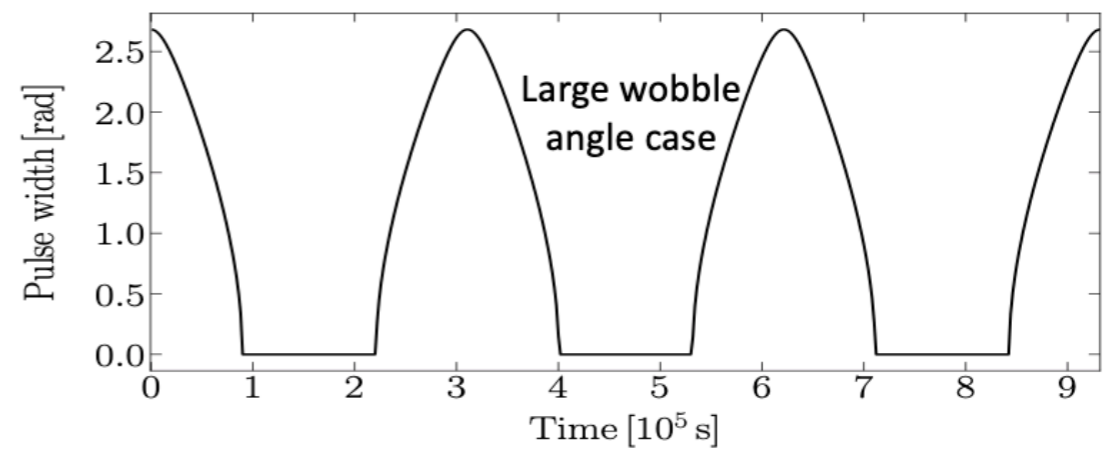
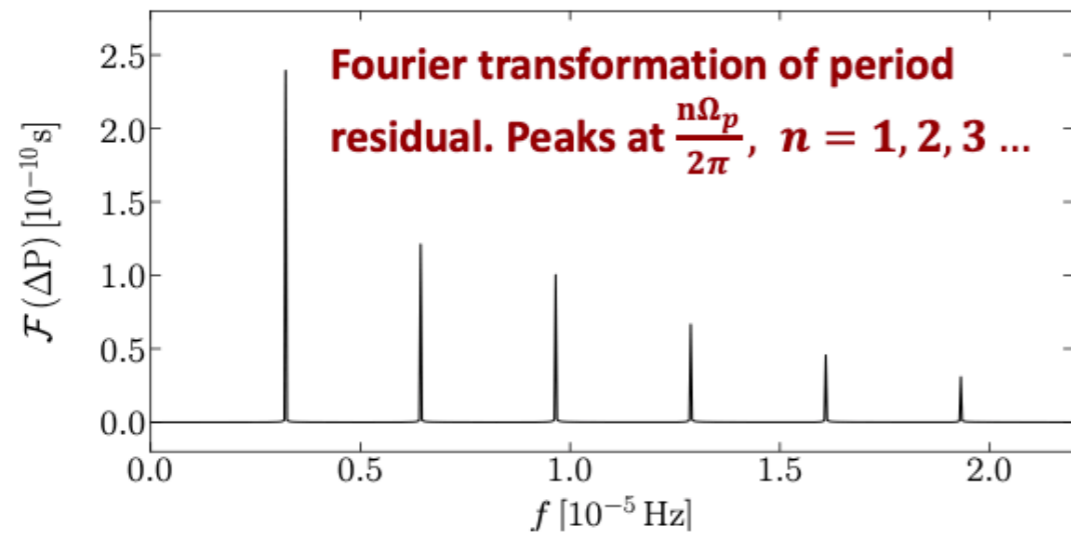
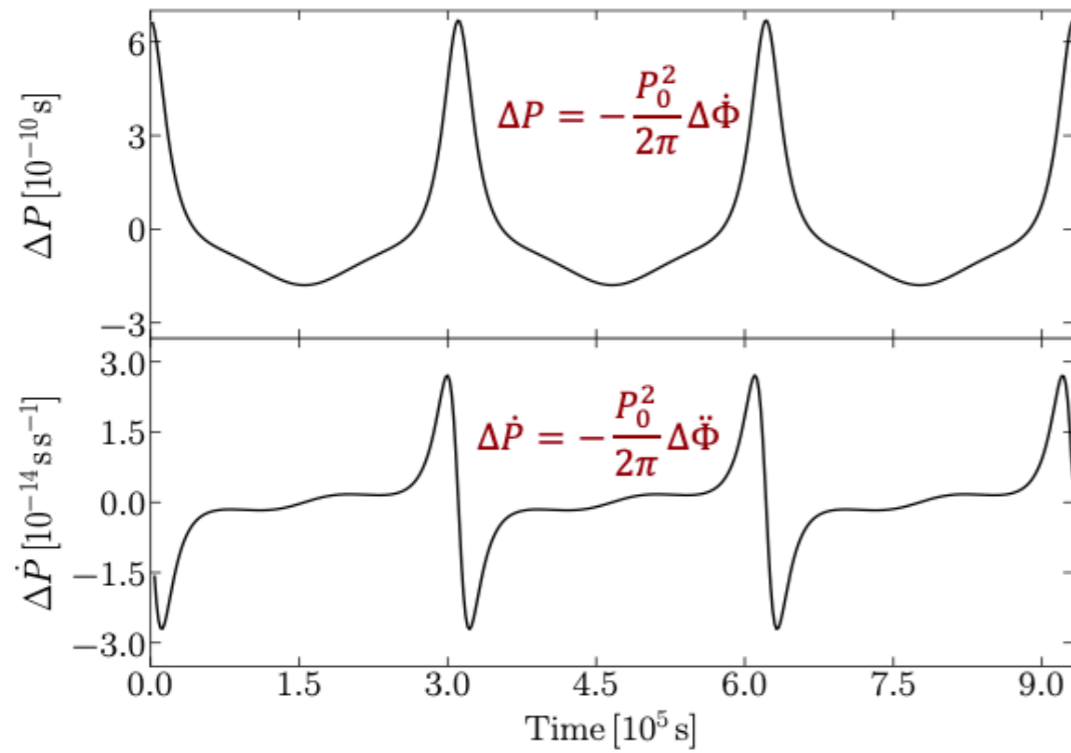
➤ **Quadrupole radiation of GW:**

$$h_{ij}^{\text{TT}} = \frac{2G}{c^4 r} \frac{d^2 I_{ij}}{dt^2} = -\frac{2G}{rc^4} \mathcal{R}_{ik} \mathcal{R}_{jl} A_{kl}$$



Electromagnetic radiation is confined in a emission cone with angular radius ρ

Conclusion: Radio/X-ray signals and continuous GWs from precession will provide valuable information on the structure of NS



Small wobble

$$\Delta P \approx \frac{P_0^2}{2\pi} \Omega_p \gamma (\delta + 1) \cot \chi \cos(\Omega_p t) + \frac{P_0^2}{4\pi} \Omega_p \gamma^2 (1 + 2 \cot^2 \chi) \cos(2\Omega_p t)$$

