

19th MCnet Meeting

Equilibration in QCD with an effective kinetic
theory event generator for proton-proton and
heavy ion collisions

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LUND
UNIVERSITY

ABOUT ME

- Umeå, Sweden.

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- *S-Duality In Supersymmetric Yang-Mills Theory*
at Imperial College London.

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- *S-Duality In Supersymmetric Yang-Mills Theory*
at Imperial College London.
- *Vorticity and Gravitational Wave Perturbations on
Cosmological Backgrounds Using the 1+1+2 Covariant
Split of Spacetime*
at Umeå University.

PHD PROJECT

- Complete event generator for proton-proton, proton-ion and ion-ion collisions in SHERPA.

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- Main part: implement an effective kinetic theory describing weakly coupled QCD plasmas in thermal field theory.
- Suitable initial conditions and a hadronisation prescription.

EFFECTIVE KINETIC FIELD THEORY

Boltzmann equations,

$$(\partial_t + \bar{v} \cdot \nabla_{\bar{x}}) f = -C[f]$$

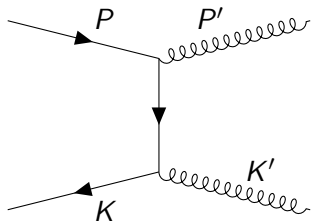
where $f = f(\bar{x}, \bar{p}, t)$ is the phase space density and $C[f]$ is a local collision term, which in this case takes into account a QCD version of LPM effect ¹.

¹P. Arnold, G.D. Moore, and L.G. Yaffe, Journal of High Energy Physics (2003).

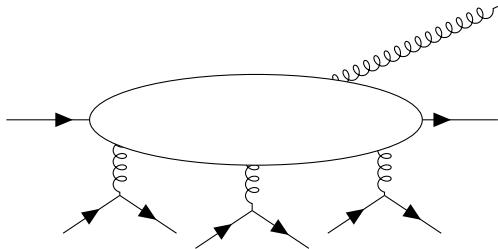
EFFECTIVE KINETIC FIELD THEORY

Processes to include:

$2 \rightarrow 2$, e.g.



" $1 \leftrightarrow 2$ ", e.g.



EFFECTIVE KINETIC FIELD THEORY

Defines collision term,

$$(\partial_t + \bar{v} \cdot \nabla_{\bar{x}}) f = -C^{2\leftrightarrow 2}[f] - C''^{1\leftrightarrow 2''}[f].$$

POINCARÉ INVARIANCE

- Relativistic mechanics in $8N$ -dimensional phase space ^{2 3 4}.

²G. Peter, C. Noack, and D. Behrens, Phys. Rev. C 49 (1994)

³D. Behrens, C. Noack, and G. Peter, Phys. Rev. C 49 (1994)

⁴V. Borchers, J. Meyer, St. Gieseke, G. Martens, C.C. Noack, Phys. Rev. C 62 (2000)

POINCARÉ INVARIANCE

- Relativistic mechanics in $8N$ -dimensional phase space ^{2 3 4}.
- Simplified Hamiltonian, assuming particles to behave as free between binary scatterings, time ordered by frame independent τ , chosen as proper time for massive particles.

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POINCARÉ INVARIANCE

- Relativistic mechanics in $8N$ -dimensional phase space^{2 3 4}.
- Simplified Hamiltonian, assuming particles to behave as free between binary scatterings, time ordered by frame independent τ , chosen as proper time for massive particles.
- Given equations of motion from above for $x^\mu(\tau) = x_i^\mu - x_j^\mu$ and $p^\mu(\tau) = p_i^\mu + p_j^\mu$, minimize the Poincaré invariant distance

$$d_{ij}^2(\tau) = - \left(x_\mu - \frac{x_\nu p^\nu}{p^2} p_\mu \right) \left(x^\mu - \frac{x_\nu p^\nu}{p^2} p^\mu \right)$$

to find closest approach.

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Thank you for listening!