#### Singlet Benchmarks for hh, hS, SS<sup>1</sup>

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<sup>1</sup>Based on work by I. Lewis, M. Sullivan, C-Y. Chen, S. Dawson, I. Lewis PRD91 (2015) 035015, I. Lewis, M. Sullivan PRD96 (2017) 035037, S. Dawson, M. Sullivan PRD97 (2018) 015022

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- Can add a real or complex gauge singlet to the SM
- At the renormalizable level, only couples to the SM Higgs doublet
- Simple and useful BSM scenario for modifying the Higgs sector
  - Can result in a strong first order electroweak phase transition <sup>2</sup>
  - New scalar state(s) that can decay to SM states OR other scalar states when kinematically allowed

<sup>2</sup>see e.g. JHEP 1708 (2017) 098

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# Real Singlet Extension (no $Z_2$ symmetry)<sup>3</sup>

• The most general renormalizable potential:

$$egin{aligned} V(H,S) &= -\ \mu^2 H^\dagger H + \lambda (H^\dagger H)^2 + rac{a_1}{2} H^\dagger HS + rac{a_2}{2} H^\dagger HS^2 \ + \ b_1 S + rac{b_2}{2} S^2 + rac{b_3}{3} S^3 + rac{b_4}{4} S^4. \end{aligned}$$

• Can choose  $\langle S 
angle = 0$  with field redefinitions

 Obtain mass eigenstates h<sub>1</sub>, h<sub>2</sub> with masses m<sub>1</sub> = 125 GeV and m<sub>2</sub> from mixing:

$$\begin{pmatrix} h_1 \\ h_2 \end{pmatrix} = \begin{pmatrix} \cos\theta & \sin\theta \\ -\sin\theta & \cos\theta \end{pmatrix} \begin{pmatrix} h \\ s \end{pmatrix}$$

 Want to satisfy global minimization of EW vacuum, perturbative unitarity, and vacuum stability

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<sup>&</sup>lt;sup>3</sup>based on C-Y. Chen, S. Dawson, I. Lewis PRD91 (2015) 035015, I. Lewis, M. Sullivan PRD96 (2017) 035037

### $S \rightarrow hh$ Benchmarks for Real Singlet Model



- Maximum  $BR(h_2 \rightarrow h_1 h_1)$  subjected to theoretical constraints
- Higgs precision gives  $\sin \theta_{max} = 0.22$  for  $m_2 < 650$  GeV
- W-mass constraints give sin  $\theta_{max} = 0.21$  for  $m_2 > 650$  GeV

# Complex Singlet Extension (no $Z_2$ , U(1) symmetries)<sup>4</sup>

• The most general renormalizable potential:

$$\begin{split} V(\Phi,S_c) = & \frac{\mu^2}{2} \Phi^{\dagger} \Phi + \frac{\lambda}{4} (\Phi^{\dagger} \Phi)^2 + \left(\frac{1}{4} \delta_1 \Phi^{\dagger} \Phi S_c + \frac{1}{4} \delta_3 \Phi^{\dagger} \Phi S_c^2 \right. \\ & + a_1 S_c + \frac{1}{4} b_1 S_c^2 + \frac{1}{6} e_1 S_c^3 + \frac{1}{6} e_2 S_c \mid S_c \mid^2 \\ & + \frac{1}{8} d_1 S_c^4 + \frac{1}{8} d_3 S_c^2 \mid S_c \mid^2 + h.c. \right) \\ & + \frac{1}{4} d_2 (\mid S_c \mid^2)^2 + \frac{\delta_2}{2} \Phi^{\dagger} \Phi \mid S_c \mid^2 + \frac{1}{2} b_2 \mid S_c \mid^2 \end{split}$$

• Can choose  $\langle S_c \rangle = 0 + 0i$  with field redefinitions

 Require perturbative unitarity, vacuum stability, and reproduction of the EW vacuum like the real case

<sup>4</sup>based on S. Dawson, M. Sullivan PRD97 (2018) 015022

- Expand the complex scalar into a real and imaginary part:  $S_c = (S_0 + iA)/\sqrt{2}$
- The mass eigenstates  $h_1$ ,  $h_2$ , and  $h_3$  with masses  $m_1 = 125$  GeV,  $m_2$ , and  $m_3$  will in general be an arbitrary orthogonal mixture of the CP even gauge eigenstates h,  $S_0$ , and A
- A field redefinition to rotate S<sub>c</sub> by a complex phase can remove one of the rotation angles

$$\begin{pmatrix} h_1 \\ h_2 \\ h_3 \end{pmatrix} = \begin{pmatrix} \cos\theta_1 & -\sin\theta_1 & 0 \\ \sin\theta_1\cos\theta_2 & \cos\theta_1\cos\theta_2 & \sin\theta_2 \\ \sin\theta_1\sin\theta_2 & \cos\theta_1\sin\theta_2 & -\cos\theta_2 \end{pmatrix} \begin{pmatrix} h \\ S_0 \\ A \end{pmatrix}$$

• The same constraints on  $\theta$  in the real singlet model apply to  $\theta_1$  in this model

- In the  $\theta_2 \rightarrow 0$  limit, SM gauge boson and fermion couplings of  $h_3$  go to 0
- Thus single production of  $h_3$  goes to 0
- Trilinears coupling  $h_3$  to  $h_2$  and  $h_1$  will not generally go to 0
- Thus pair production of  $h_3$  with another scalar will not generally go to 0
- This limit is interesting as it provides a benchmark scenario for *hS* and *SS* production where these channels would be the discovery channels for *S*

### $S_h eavy \rightarrow Sh$ Benchmarks for Complex Singlet Model



- Maximum  $BR(h_2 \rightarrow h_1 h_3)$  subjected to theoretical constraints
- Enough freedom in trilinears that the constrained total width and inherited SM width are all that constrains the BR

### $S_h eavy \rightarrow SS$ Benchmarks for Complex Singlet Model



• Maximum BR $(h_2 \rightarrow h_3 h_3)$  subjected to theoretical constraints

• Reaches same upper limit as  $h_1h_3$  case

- Real singlet model with an extra decoupled scalar mode can be embedded in the complex singlet model
- General complex singlet model might give more freedom to the BR due to more parameters
- But nothing would be qualitatively different from real singlet *hh* production
- Complex singlet also bring many more parameters



•  $h_2$  production is just SM-like rates suppressed by  $\sin^2 \theta_1 \cos \theta_2 \rightarrow \sin^2 \theta_1$ 

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# h<sub>3</sub> Branching Ratios



- If  $m_3 > 2m_1$  then one has to worry about on-shell decays to  $h_1h_1$
- Below  $h_1h_1$  threshold, as long as  $\theta_2 = 0$  is only a rough approximation,  $h_3$  will inherit SM-like BRs

- Singlet models are great, relatively simple benchmark models that affect only the Higgs
- The real singlet model is ideal for *hh* production benchmarks
- The complex singlet model in the  $\theta_2 \rightarrow 0$  limit is ideal for SS and hS production benchmarks
- *hS* or *SS* production could be the discovery channel for light or intermediate mass scalars

Any questions?