

LHC HXS WG workshop
WG2 summary

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October 18th, 2019

WG2: Higgs properties

- **Topics:**

- ✓ STXS and Differential observables
- ✓ Pseudo Observables
- ✓ EFT and BSM interpretations
- ✓ Tools

- **Changes in the convenorship:**

- ✓ Marco Delmastro
- ✓ Mingshui Chen → Predrag Milenovic
- ✓ David Marzocca → Jorge de Blas
- ✓ Francesco Riva

Twiki: <https://twiki.cern.ch/twiki/bin/view/LHCPhysics/LHCHXSWG2>

Roadmap

Topic	ShortDescription
STXS & differential XS	STXS stage 1.1 TH uncertainties treatment recommendation
STXS & differential XS	STXS stage 1.1 binning recommendation
PO	PO Summary for experiments. Scenarios for $h \rightarrow 4l$ decays. Mapping to other frameworks.
EFT	BSM Benchmarks and mapping to EFT. Determine benchmarks sensitive to differential and coupling measurements, define relevant EFT parameters
EFT	Interpretation Workflow Summary: Processes, Operators and BSM Interpretations
EFT	Fit to STXS using a standardized mapping of STXS stage 1.0
EFT	Global Fit in EFT Framework; inclusion of top and Electroweak measurements
EFT	High-Energy Higgs Probes: Longitudinal multiboson processes as tests of Higgs physics

WG2: what have we been discussing?

Higgs EFT parameterisation efforts

Speaker: Chris Hays (University of Oxford (GB))

 LHCHXSWG_1610...

EFT parameterisation and Higgs total width in SMEFT

Speakers: Ilaria Brivio (Universidad Autonoma de Madrid (ES)), Ilaria Brivio (University of Heidelberg)

 slides_HXSWGmee...


EFT parameterisation of STXS (CMS)

Speaker: Jonathon Mark Langford (Imperial College (GB))

 lhchxswg_eft_para...

EFT parameterisation of STXS (ATLAS)

Speaker: Ana Rosario Cueto Gomez (Centre National de la Recherche Scientifique (FR))

 MethodologyEF_ST...

EFT parameterisation tools within ATLAS/CMS

Speaker: Andrew Gilbert (Northwestern University (US))

 LHCHXSWG-EFTTo...

EFT
parametrizations
and tools


Higgs + top EFT interpretations

Speakers: Ken Mimasu (Particle Physics-Rutherford Appleton Laboratory-STFC - Science &),

 Mimasu_HXSWG.pdf

Higgs + multi-boson EFT interpretations

Speaker: Marc Riembau (Universite de Geneve (CH))

 CERNhxswg_oct19...

Automated matching at 1-loop for EFTs


Speakers: Adrian Carmona (CERN), Adrian Carmona Bermudez (Universidad de Granada (ES))

 MM.pdf

EFT theory developments

Motivation for differential observables


Speakers: Frank Tackmann, Frank Tackmann (Deutsches Elektronen-Synchrotron (DE))

 2019-10-16_Higgs_...

Differential observables

Motivation for differential observables - follow-up

Speakers: Frank Tackmann (Deutsches Elektronen-Synchrotron (DE)), Frank Tackmann

 2019-10-17_Higgs_...

Experimental summary


Speaker: Hongtao Yang (Lawrence Berkeley National Lab. (US))

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Experimental summary of
properties measurements

Extending STXS with final state information

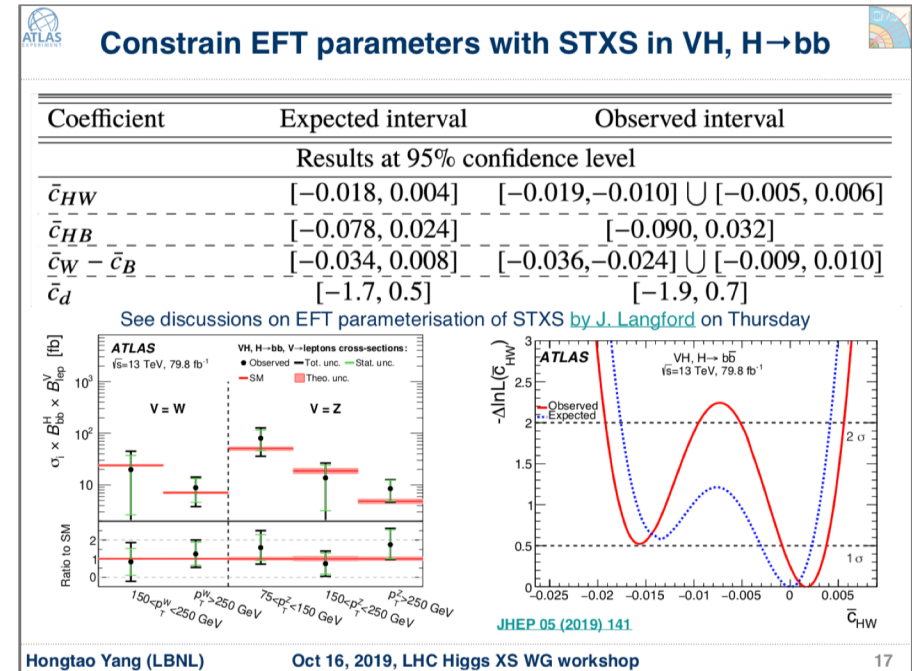
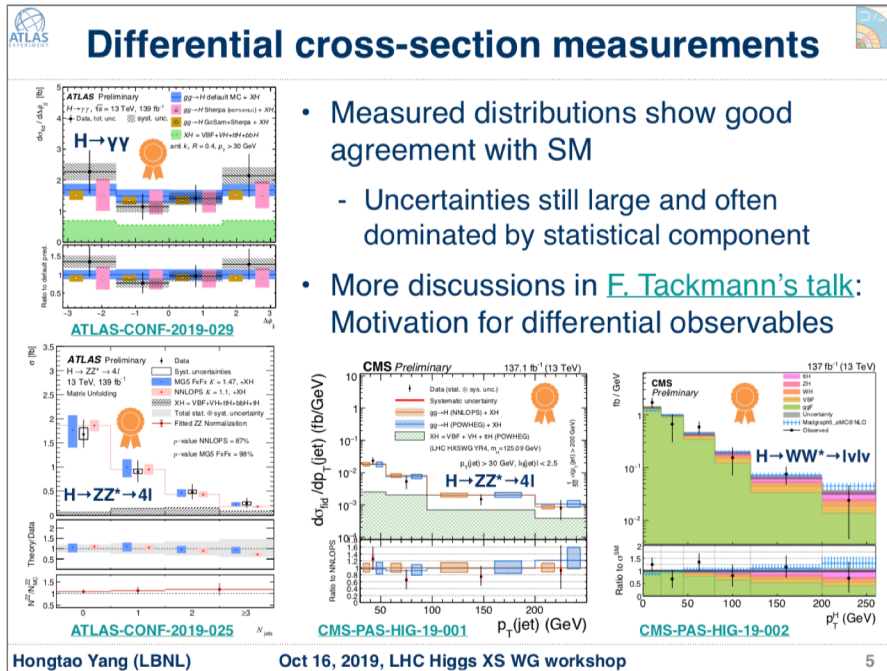
Speakers: Michael Duehrssen-Debling (CERN), Nicolas Berger (Centre National de la Recherche Scientifique (FR))

 STXS_and_decay_i...

Measurements with
final state information

Experimental summary : Higgs properties

- **Higgs boson properties measurements:** Reach unprecedented precision
 - ✓ 10% uncertainty on inclusive production XS and coupling modifiers
 - ✓ Differential XS measurements extended to additional final states (added HWW)
 - ✓ STXS implemented in major channels (stage 0, stage I.I), now used in EFT interpretations

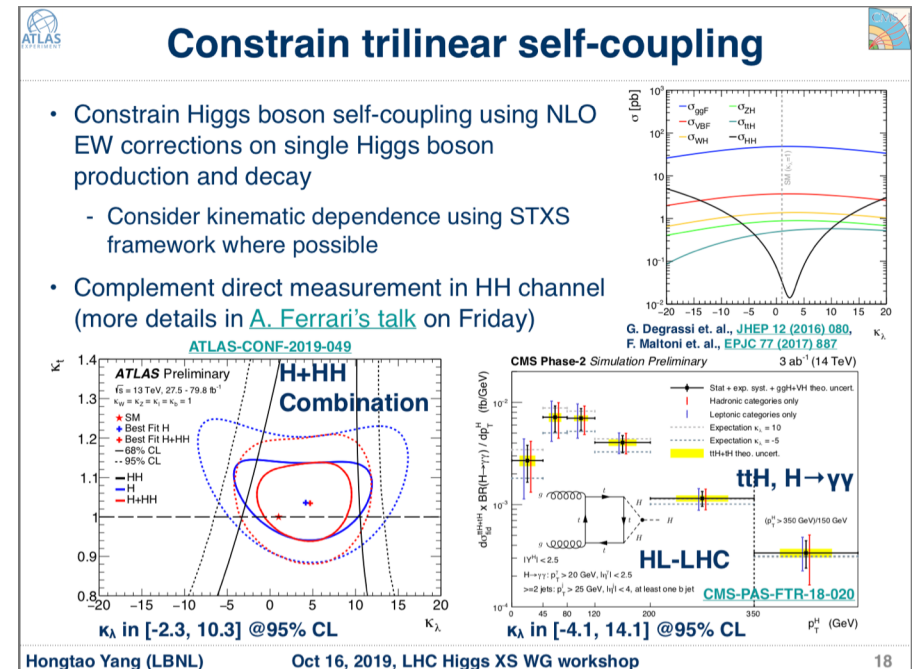
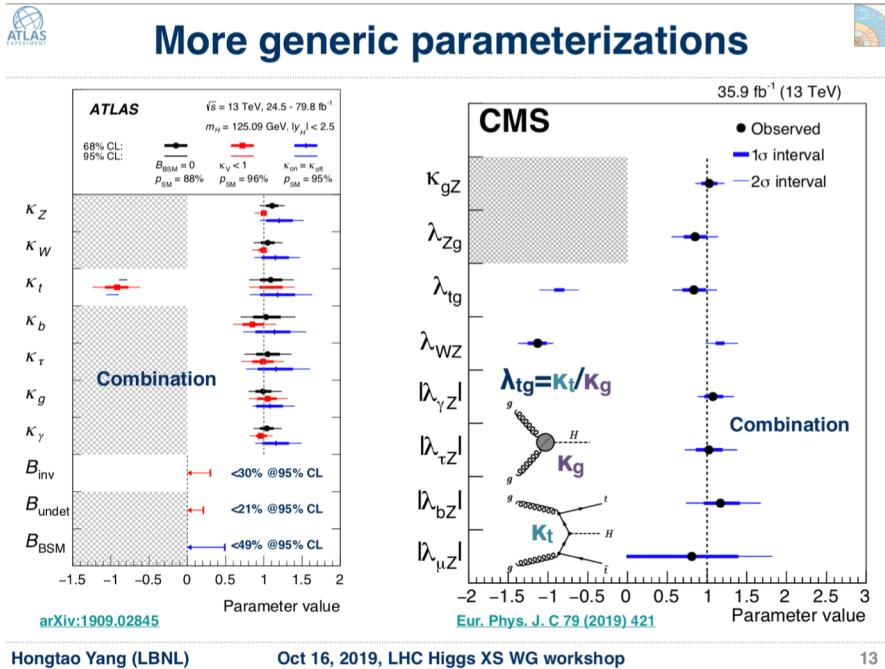


- **Suggestion:**

- ✓ Compare the EFT sensitivity from STXS vs. differential XS (or dedicated) analyses

Experimental summary : Higgs properties

- **Higgs boson properties measurements:** Reach unprecedented precision
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- **Constraints on trilinear self-couplings:**

- ✓ From NLO EW corrections in single Higgs, complement direct measurement in HH channel
- ✓ EFT interpretation discussions: joint parallel sessions WG2 - HH

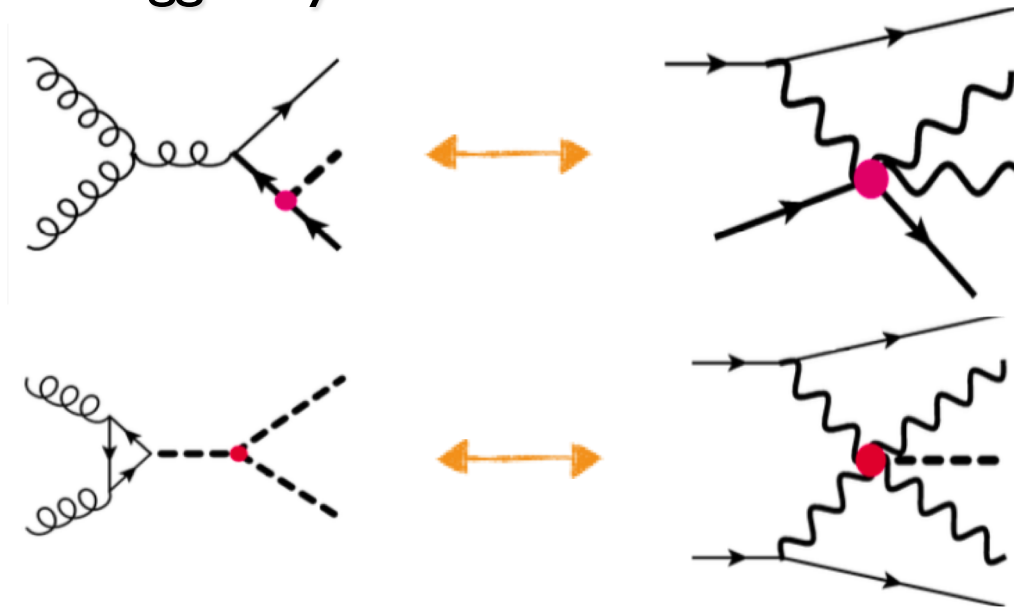
EFT theory development: high-energy probes

- In the SM, all scalars belong to the Higgs doublet:

$$\begin{pmatrix} h^+ \leftarrow W_L \\ h + ih^0 \leftarrow Z_L \end{pmatrix}$$

Modifications in Higgs Physics = modifications in EW physics

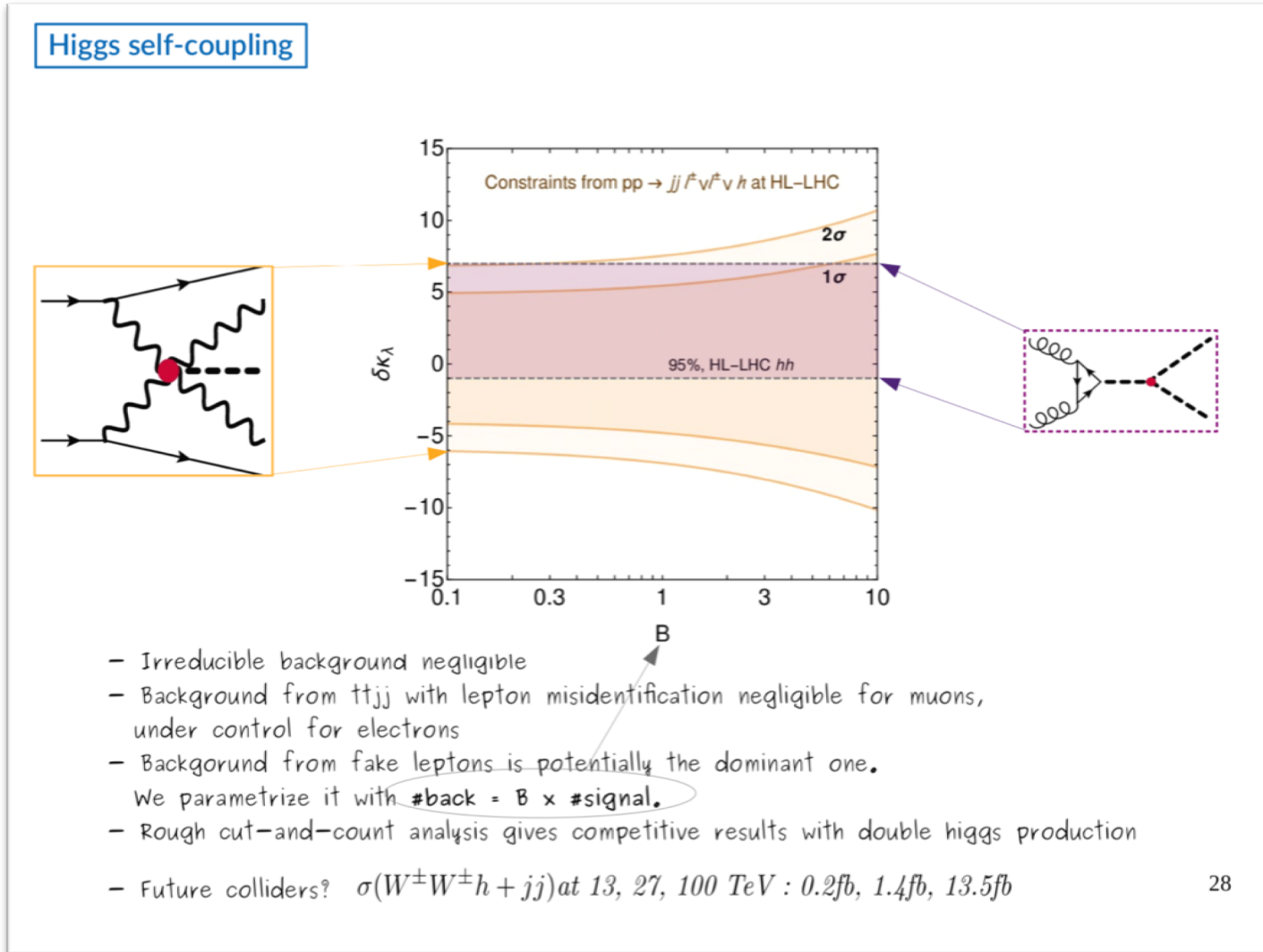
e.g.



EFT theory development: high-energy probes

- The same EFT interactions modifying the Higgs properties can be probed in other processes involving EW bosons and benefit from growing with E effects...

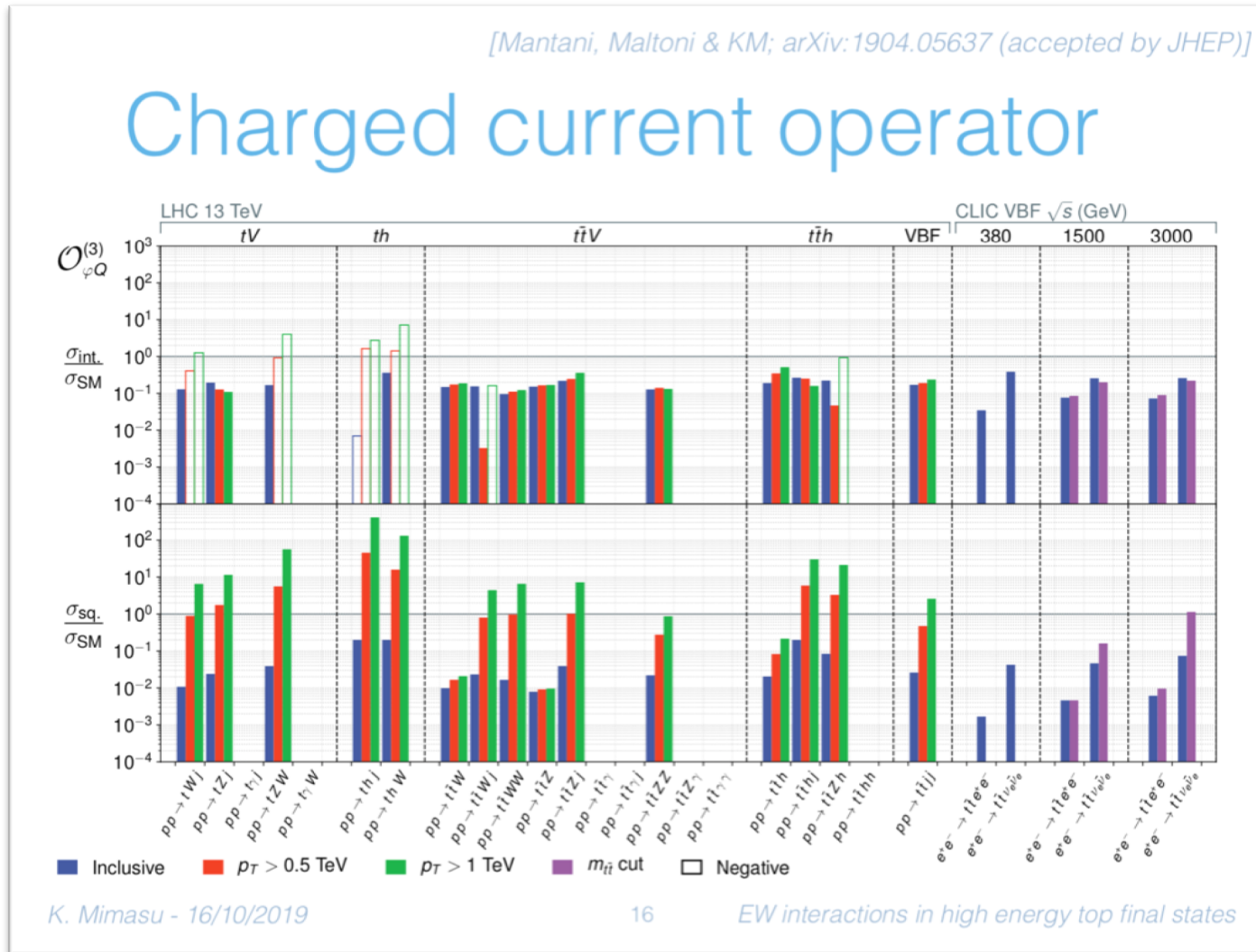
Complementary probes of the same EFT interactions



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EFT theory development: high-energy probes

- This type of effects and the relevant $2 \rightarrow 2$ processes (where they can be tested) have been already systematically classified for the case of interactions involving the top...



EFT theory development: high-energy probes

- Next steps
 - ✓ General study of high-energy probes of H EFT interactions using longitudinal multi-boson processes
 - ✓ Map process/operators
 - ✓ Only a small number of operators enters a given process
 - ✓ EFT Theory @ high-E
 - ✓ Preparation of note on “High-Energy Benchmarks”
 - ✓ Extend “proof-of-concept” studies presented at WS to more realistic studies
 - More realistic treatment of backgrounds
 - Better understanding signal/background kinematics
 - Explore vector boson polarisation information
 - Include more channels
 - Realistic detector simulations
 - ...

EFT parameterisation and tools

- SMEFT parameterization:** Include all EFT operators that contribute significantly

Example 1: Higgs and EW processes

- $U(3)^5$ flavor symmetry
- all relevant interactions included
- tree-level, interference only

23 relevant operators

Brivio,Hays,Smith,Trott,Žemaitytė in preparation

also: Ellis,Murphy,Sanz,You 1803.03252 20

Z,W couplings

$$\begin{aligned} Q_{Hl}^{(1)} &= (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{l}\gamma^\mu l) \\ Q_{He} &= (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{e}\gamma^\mu e) \\ Q_{Hq}^{(1)} &= (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{q}\gamma^\mu q) \\ Q_{Hq}^{(3)} &= (iH^\dagger \overleftrightarrow{D}_\mu^i H)(\bar{q}\sigma^i \gamma^\mu q) \\ Q_{Hu} &= (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{u}\gamma^\mu u) \\ Q_{Hd} &= (iH^\dagger \overleftrightarrow{D}_\mu H)(\bar{d}\gamma^\mu d) \end{aligned}$$

$$\begin{aligned} Q_{HD} &= (D_\mu H^\dagger H)(H^\dagger D^\mu H) \\ Q_{HWB} &= (H^\dagger \sigma^i H)W_{\mu\nu}^i B^{\mu\nu} \\ Q_{Hl}^{(3)} &= (iH^\dagger \overleftrightarrow{D}_\mu^i H)(\bar{l}\sigma^i \gamma^\mu l) \\ Q_{ll} &= (\bar{l}_p \gamma^\mu l_r)(\bar{l}_r \gamma^\mu l_p) \end{aligned}$$

input quantities

TGC

$$Q_W = \varepsilon_{ijk} W_\mu^{i\nu} W_\nu^{j\rho} W_\rho^{k\mu}$$

Bhabha scattering

$$\begin{aligned} Q_{ee} &= (\bar{e}\gamma^\mu e)(\bar{e}\gamma_\mu e) \\ Q_{le} &= (\bar{l}\gamma^\mu l)(\bar{e}\gamma_\mu e) \\ Q_{ll} &= (\bar{l}_p \gamma^\mu l_p)(\bar{l}_r \gamma_\mu l_r) \end{aligned}$$

$$\begin{aligned} Q_{Hbox} &= (H^\dagger H) \square (H^\dagger H) \\ Q_{HG} &= (H^\dagger H) G_{\mu\nu}^a G^{a\mu\nu} \\ Q_{HB} &= (H^\dagger H) B_{\mu\nu} B^{\mu\nu} \\ Q_{HW} &= (H^\dagger H) W_{\mu\nu}^i W^{i\mu\nu} \\ Q_{uH} &= (H^\dagger H)(\bar{q}\tilde{H}u) \\ Q_{dH} &= (H^\dagger H)(\bar{q}\tilde{H}d) \\ Q_{eH} &= (H^\dagger H)(\bar{l}\tilde{H}e) \\ Q_G &= \varepsilon_{abc} G_\mu^{a\nu} G_\nu^{b\rho} G_\rho^{c\mu} \\ Q_{uG} &= (\bar{q}\sigma^{\mu\nu} T^a \tilde{H}u) G_{\mu\nu}^a \end{aligned}$$

H processes

PRELIMINARY

Ilaria Brivio (ITP Heidelberg)

The Higgs width in the SMEFT

4/19

Example 2: top quark processes

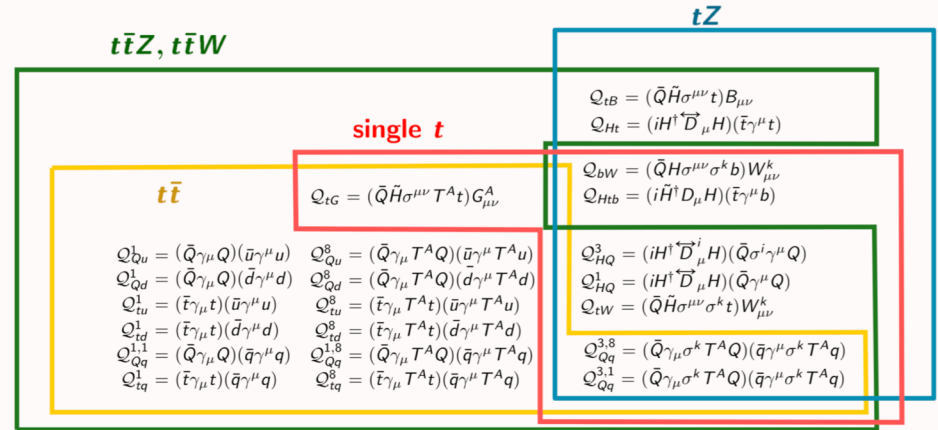
- $U(2)_q \times U(2)_u \times U(2)_d$
- top interactions only for now
- up to NLO QCD, quadratic SMEFT

22 relevant operators

Brivio,Bruggisser,Maltoni,Moutafis,Plehn,Vryonidou,Westhoff,Zhang 1910.05966

also: Hartland,Maltoni,Nocera,Rojo,Slade,Vryonidou,Zhang 1901.05965

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Ilaria Brivio (ITP Heidelberg)

The Higgs width in the SMEFT

5/19

- individual processes necessarily have blind directions
- combination of different processes / sectors required

	total $N_f = 3$	WZH pole obs.
general	2499	~ 46
MFV	~ 108	~ 30
$U(3)^5$	~ 70	~ 24

Brivio,Jiang,Trott 1709.06492

EFT parameterisation and tools

- **SMEFT parameterization:** Include all EFT operators that contribute significantly

The Higgs width in the SMEFT

leading channels:

$$H \rightarrow \bar{f}f$$

$$H \rightarrow gg$$

$$H \rightarrow \gamma\gamma$$

$$H \rightarrow \bar{f}f\gamma$$

$$H \rightarrow 4f$$

available as $H \rightarrow ZZ^*$, $H \rightarrow WW^*$ \times $Br(Z, W)$ relying on narrow width approx. for Z, W .

good in SM but **not sufficient** in the SMEFT!

main reason: tree $\gamma\gamma, Z\gamma$ mediated diagrams

also missing:

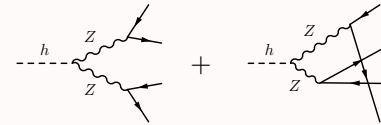
- ▶ CC - NC interference
- ▶ crossed-current interference in ZZ diagrams
- ▶ $\delta\Gamma_V, \delta m_V^2$ corrections for off-shell boson

- ▶ $4f, \gamma\gamma, \bar{b}b$ most relevant ones individually
- ▶ **all** need to be calculated for $\delta\Gamma_H^{\text{tot}} \rightarrow Br$

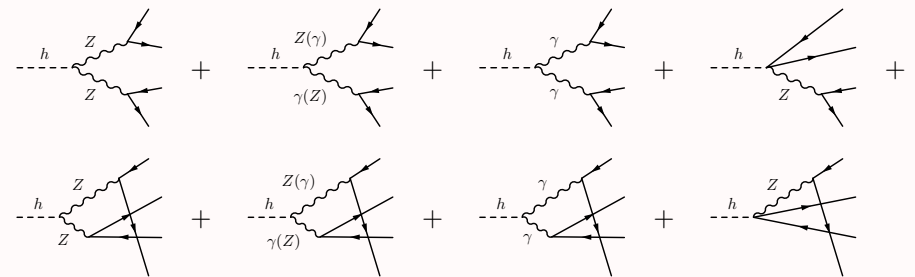
$H \rightarrow 4f$ in the SMEFT - complexity

$$h \rightarrow e^+e^-e^+e^-$$

SM



interfering with



• SMEFT tools

- ✓ Parameterization of Higgs total width (implemented, important effects)
- ✓ Event-by-event reweighting tool (planned to be LHE-based)
 - Ready in ~ 6 months?
 - Modular implementation needed (e.g. should be able to compute weight from LHC input files)

EFT parameterisation and tools

- **ATLAS/CMS EFT parameterization efforts**

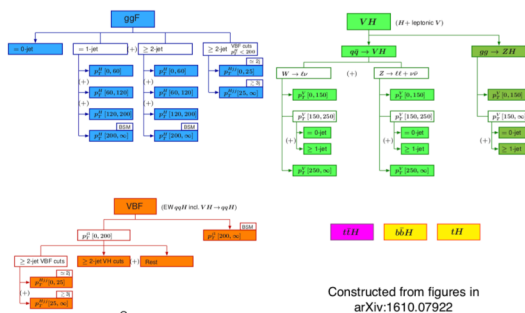
- ✓ Move from SILH to Warsaw basis, from HEL to SMEFTsim model (towards global EFT fit)
- ✓ Multiple tools/approaches (and public codes) in ATLAS/CMS

STXS parameterization

Measurement yields: $y_j = \sum_i A_{ji} \cdot r_i \cdot (\sigma_i \cdot B_{4\ell})_{SM} \cdot r_f \cdot \left(\frac{B_f}{B_{4\ell}}\right)_{SM} \cdot \mathcal{L}$ ATLAS-CONF-2017-047

$$\sigma_i \times B_{4\ell} = (\sigma_i \times B_{4\ell})_{SM} \left(1 + \frac{\delta\sigma_i}{\sigma_i^{SM}} + \frac{\delta\Gamma_{4\ell}}{\delta\Gamma_{4\ell}^{SM}} - \frac{\delta\Gamma_{tot}}{\delta\Gamma_{tot}^{SM}} \right) \quad \frac{B_f}{B_{4\ell}} = \left(\frac{B_f}{B_{4\ell}}\right)_{SM} \left(1 + \frac{\delta\Gamma_f}{\Gamma_f^{SM}} - \frac{\delta\Gamma_{4\ell}}{\delta\Gamma_{4\ell}^{SM}} \right)$$

ATLAS Preliminary



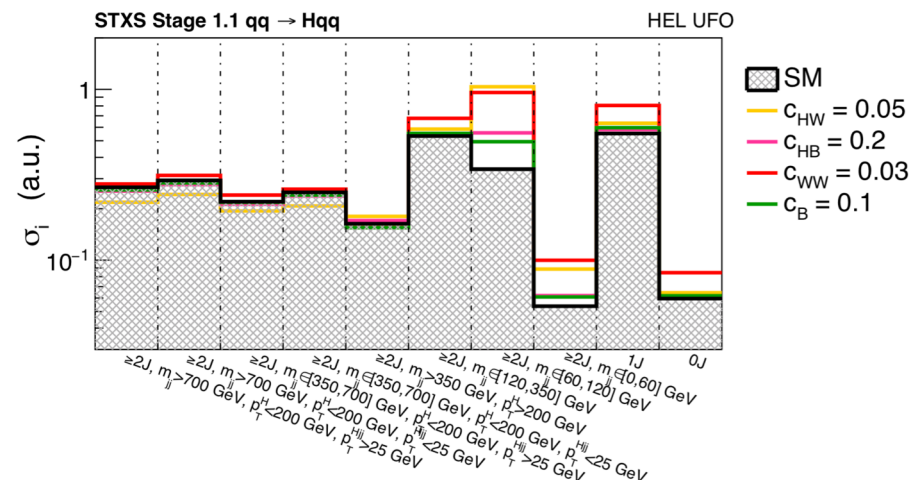
EFT parameterization:

$$\frac{\sigma}{\sigma_{SM}} = 1 + \sum_i A_i \tilde{c}_i + \sum_{ij} B_{ij} \tilde{c}_i \tilde{c}_j$$

- ✓ Extensive validations for STXS EFT parameterization

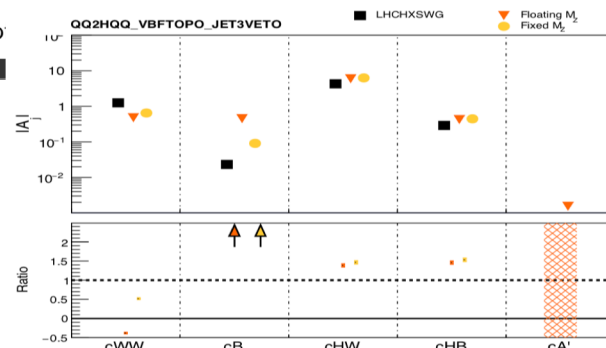
EFT parametrization: stage 1.1 qqH

- Beyond stage 0: account for shape effects as well as total rates



- Only fit subset o

J. Langford



EFT parameterisation and tools

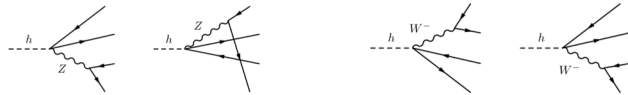
- **ATLAS/CMS EFT parameterization efforts**

- ✓ Move from SILH to Warsaw basis, from HEL to SMEFTsim model (towards global EFT fit)
- ✓ Multiple tools/approaches (and public codes) in ATLAS/CMS

Acceptance corrections

SM extrapolation to total decay width biases EFT interpretation

Particularly for $H \rightarrow 4\ell$ and $H \rightarrow \ell\nu\ell\nu$ where new classes of diagrams appear at dimension-6



Ideally STXS would be split into $m_{\ell_3\ell_4}$ bins for $H \rightarrow 4\ell$ and $m_{\ell\ell}$ bins for $H \rightarrow \ell\nu\ell\nu$

For now we can estimate a correction based on published event selection in these channels
The correction for requirements on invariant masses is approximately universal for the production modes

Apply to decay ratio equations

$$y_j = \sum_i A_{ji} \cdot r_i \cdot (\sigma_i \cdot B_{4\ell})_{SM} \cdot r_f \cdot \left(\frac{B_f}{B_{4\ell}} \right)_{SM} \cdot \mathcal{L}$$

$$\left(\frac{B_S}{B_{4\ell}} \right)_{SM} \left(\frac{A_S}{A_{4\ell}} \right)_{SM} \left[1 + \sum_{\alpha} \left(\frac{\delta\Gamma_S}{\Gamma_S^{SM}} \right)^{\alpha} \left(\frac{A_S^{SMEFT}}{A_S^{SM}} \right)^{\alpha} - \sum_{\beta} \left(\frac{\delta\Gamma_{4\ell}}{\Gamma_{4\ell}^{SM}} \right)^{\beta} \left(\frac{A_M^{SMEFT}}{A_{4\ell}^{SM}} \right)^{\beta} \right]$$

Can be calculated with Madgraph or analytically, e.g.

$$\left[\frac{2\delta g_{L,ei}^{W\ell}}{\text{Re}[(g_{L,e})^{SM}]} + \frac{2\delta g_{L,\mu k}^{W\ell}}{\text{Re}[(g_{L,\mu})^{SM}]} + 2 \left[\frac{\delta M_W^2}{M_W^2} - \frac{\delta G_F}{\sqrt{2}} + C_{H,kin} \right] \right] \int dp s^4 \frac{A_{WW}^{Ni}}{A_{4\ell}^{SM}} + \dots$$

Outstanding issue is the EFT modifications to the (four-body) decays

Possible to estimate corrections ad hoc

Preferable for STXS decays to be split into the dominantly measured regions

$$\frac{B_{\ell\nu\ell\nu}}{B_{4\ell}} \begin{cases} \rightarrow \frac{B_{\ell\nu\ell\nu}^{m_{\ell\ell} < 55}}{B_{4\ell}^{m_{3\ell_4} > 10}} \\ \rightarrow \frac{B_{\ell\nu\ell\nu}^{m_{\ell\ell} > 55}}{B_{4\ell}^{m_{3\ell_4} > 10}} \end{cases} + \frac{B_{4\ell}^{m_{3\ell_4} < 10}}{B_{4\ell}^{m_{3\ell_4} > 10}}$$

(or use $H \rightarrow \gamma\gamma$ as denominator)

- ✓ Extensive validations for STXS EFT parameterization
- ✓ Acceptance effects important for unfolded results – need corrections & STXS modifications
 - Full simulation of EFT effects at detector/reconstruction level mitigates problem

EFT parameterisation and tools

• ATLAS/CMS EFT parameterization efforts

- ✓ Move from SILH to Warsaw basis, from HEL to SMEFTsim model (towards global EFT fit)
- ✓ Multiple tools/approaches (and public codes) in ATLAS/CMS

Eigenvector decomposition

Production modes only (BRs set to SM values):

Complete tables in backup

Eigenvalue	Eigenvector	
95892.10	$-1.00 \cdot c_{HG}$	From ggF
620	$-0.24 \cdot c_{HW} + 0.13 \cdot c_{HI3} - 0.95 \cdot c_{Hq3}$	Mix of VBF+V(had)H and V(lep)H
34	$-0.14 \cdot c_G - 0.13 \cdot c_{Hbox} + 0.16 \cdot c_{HI3} + 0.12 \cdot c_{uH} + 0.82 \cdot c_{uG} - 0.17 \cdot c_{qq11} - 0.40 \cdot c_{qq31} - 0.18 \cdot c_{uu1} - 0.11 \cdot c_{qu8}$	From top
10	$-0.64 \cdot c_{HW} + 0.18 \cdot c_{HWB} + 0.23 \cdot c_{HI3} - 0.18 \cdot c_{Hq1} + 0.14 \cdot c_{Hq3} + 0.60 \cdot c_{Hu} - 0.21 \cdot c_{Hd} - 0.14 \cdot c_{ll1}$	

- * Sensitivity to c_{HG} , c_{Hq3} , $|c_{uG}|$, c_{HW} , c_{Hu} , c_{HI3} (potentially c_{Hq1})
- * Including the decay brings additional sensitivity to c_{HW} , c_{HB} and c_{HWB} but also stronger correlations

H→γγ (good experimental sensitivity, no affected by acceptance) :

Eigenvalue	Eigenvector	
504594	$0.16 \cdot c_{HG} - 0.24 \cdot c_{HW} - 0.84 \cdot c_{HB} + 0.45 \cdot c_{HWB}$	From gg→H→γγ
14290	$-0.99 \cdot c_{HG} - 0.14 \cdot c_{HB}$	
63	$0.14 \cdot c_{HW} + 0.96 \cdot c_{Hq3} + 0.11 \cdot c_{Hu} + 0.15 \cdot c_{uG} $	
7	$-0.11 \cdot c_G + 0.50 \cdot c_{HW} - 0.13 \cdot c_{HB} - 0.11 \cdot c_{HI3} + 0.11 \cdot c_{Hq1} - 0.18 \cdot c_{Hq3} - 0.26 \cdot c_{Hu} + 0.65 \cdot c_{uG} - 0.13 c_{qq11} - 0.32 c_{qq31} - 0.14 \cdot c_{uu1}$	

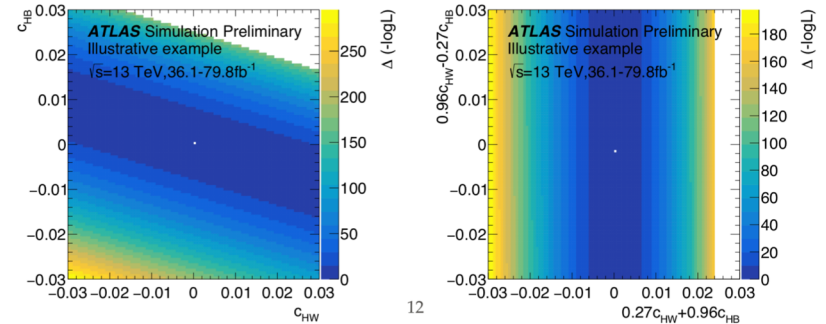
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cHW, cHB and cHWB

- * cHW, cHB and cHWB strongly correlated:
 - ◆ Sensitivity coming from H→γγ. Little sensitivity from VBF and VH.
 - ◆ Analytic expression for H→γγ decay (CP-even case) width:

$$\frac{\Gamma(H \rightarrow \gamma\gamma)}{\Gamma_{SM}(H \rightarrow \gamma\gamma)} \approx \left| 1 + \frac{8\pi^2 \bar{v}_T^2}{\Gamma'} C_{\gamma\gamma} \right|^2, \quad \text{with } C_{\gamma\gamma} = \frac{1}{\bar{g}_2^2} c_{HW} + \frac{1}{\bar{g}_1^2} c_{HB} - \frac{1}{\bar{g}_1 \bar{g}_2} c_{HWB},$$

- * Sensitive direction is calculated to be $0.27c_{HW} + 0.96c_{HB}$



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- ✓ Possibilities to identify flat directions in the EFT fit (helps with the fit convergence)
- ✓ Next step is to move to SMEFT@NLO (important for loop effects in H→γγ and gg→H)

EFT parameterisation and tools

• ATLAS/CMS EFT parameterization efforts

- ✓ Move from SILH to Warsaw basis, from HEL to SMEFTsim model (towards global EFT fit)
- ✓ Multiple tools/approaches (and public codes) in ATLAS/CMS

Strategies



- Two approaches for constructing the signal model \mathbf{P}_s as a function of observables \mathbf{x} given coefficients \mathbf{c}_j

Sum of full-sim. signal PDFs

[1]

$$P_s(\mathbf{x} | \mathbf{c}_j) = \sum_i a_i(\mathbf{c}_j) \cdot p_i(\mathbf{x})$$

where:

- i runs over a set of fixed points in the EFT space
- \mathbf{a}_i are normalisation coefficients
- $p_i(\mathbf{x})$ are the pdfs for the fixed points - possibly from separate MC samples or matrix element reweighting of a smaller set of samples

Parameterise gen-level fiducial bins

[2]

$$P_s(\mathbf{x} | \mathbf{c}_j) = \sum_k \left(P_{SM}^k(\mathbf{x}) \cdot \sum_j c_j \mu_j^k \right)$$

where:

- \mathbf{k} runs over fiducial bins at generator level
- $P_{SM}^k(\mathbf{x})$ is the SM reco.-level signal pdf for events in gen.-level bin \mathbf{k}
- μ_j^k is a scaling constant for the effect of \mathbf{c}_j on bin \mathbf{k}

- In the following slides show concrete examples of both (but not intended to be complete!)

17/10/19

A. Gilbert (NWU)

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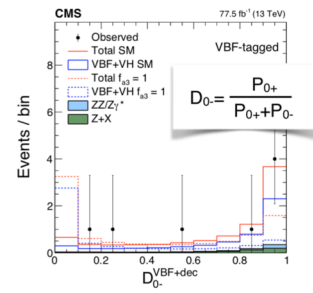
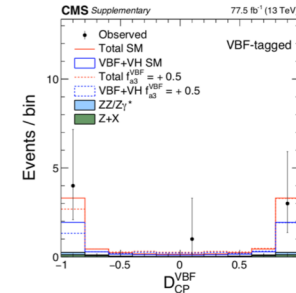
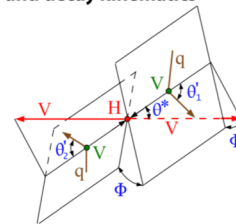
HVV anomalous couplings in CMS



Phys. Rev. D 99, 112003 (2019)

- Construct optimal observables using the MELA technique (public code)

Contains both production and decay kinematics



- Simulation using the JHU generator and POWHEG, reweighting to different AC points using MELA
- Signal model construction follows a flexible and extensible approach:

$$P_{jk}^{\text{sig/int}}(\vec{x}; \vec{\xi}_{jk}, f_{ai}, \phi_{ai}) = \sum_{m=0}^M \underbrace{P_{jk,m}^{\text{sig/int}}(\vec{x}; \vec{\xi}_{jk})}_{\text{PDFs for each component}} \underbrace{f_{ai}^m (1 - f_{ai})^{M-m} \cos^m(\phi_{ai})}_{\text{Normalisation}}$$

M up to 4

A. Gilbert (NWU)

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✓ Two strategies for constructing signal model as function of observables and EFT coefficients

- Pros and cons, both can exist and be combined, as long as certain conventions are followed

EFT parameterisation and tools

• ATLAS/CMS EFT parameterization efforts

- ✓ Move from SILH to Warsaw basis, from HEL to SMEFTsim model (towards global EFT fit)
- ✓ Multiple tools/approaches (and public codes) in ATLAS/CMS

EFT2Obs

- Approach [2] implies finding scaling of each bin i as:

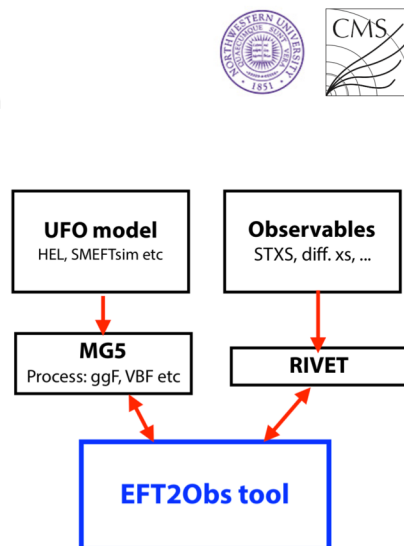
$$\sigma_i = \sigma_i^{\text{SM}} + \sum_j c_j \sigma_{i,j}^{\text{int}} + \sum_{jk} c_j c_k \sigma_{i,jk}^{\text{BSM}}, \text{ where } j$$

and k run over all relevant operators

$$\mu_i = 1 + \sum_j c_j A_{i,j} + \sum_{jk} c_j c_k B_{i,jk}, \text{ relative to}$$

the SM prediction \Rightarrow need to find A_j, B_{jk}

- EFT2Obs - Small project started in Les Houches, aims to be usable both inside and outside of the experiments
- Agnostic to specific EFT implementation, easy to implement new models
- **Developing solution based on Madgraph5_aMC@NLO + RIVET**



Demo code [here](#)
Full functionality in development

Effective Lagrangian morphing (ATLAS)

- Public code: RooLagrangianMorphing (based on RooFit)
- Given a set of input templates/PDFs and the corresponding EFT parameter points generates a morphing function to model any point in parameter space
- Supports approaches [1] and [2]. Inputs can be independent samples or ME reweighted

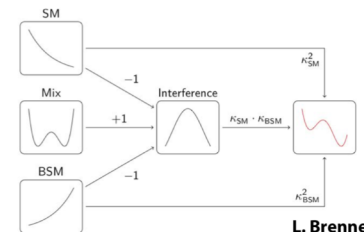
- **Morphing function** for an observable T_{out} at any coupling point \vec{g}_{target} constructed from weighted sum of input samples T_{in} at fixed coupling points \vec{g}_i

$$T_{out}(\vec{g}_{target}) = \sum_{i=1}^{N_{input}} w_i(\vec{g}_{target}; \vec{g}_i) \cdot T_{in}(\vec{g}_i) \quad \text{e.g. } T = \Delta\phi_j$$

This method allows for more complicated distributions

- Continuous
- Analytic
- Fast

Combines rate and shape information simultaneously



- ✓ Two strategies for constructing signal model as function of observables and EFT coefficients
 - Pros and cons, both can exist and be combined, as long as certain conventions are followed
- ✓ Important to have multiple (public) implementations, for complementary and cross-check

BSM interpretation and tools

- **EFT interpretation is an intermediate step to easily translate experimental results in terms of (well motivated) new physics scenarios**

✓ WG2 activities during 2018 focused on preparing a set of BSM benchmarks sensitive to H differential and coupling measurements and their mapping to the EFT.

✓ Document has been just finalised

- LHCHXSWG-2019-006
- <https://cds.cern.ch/record/2694087>

BSM Benchmarks for Effective Field Theories in Higgs and Electroweak Physics

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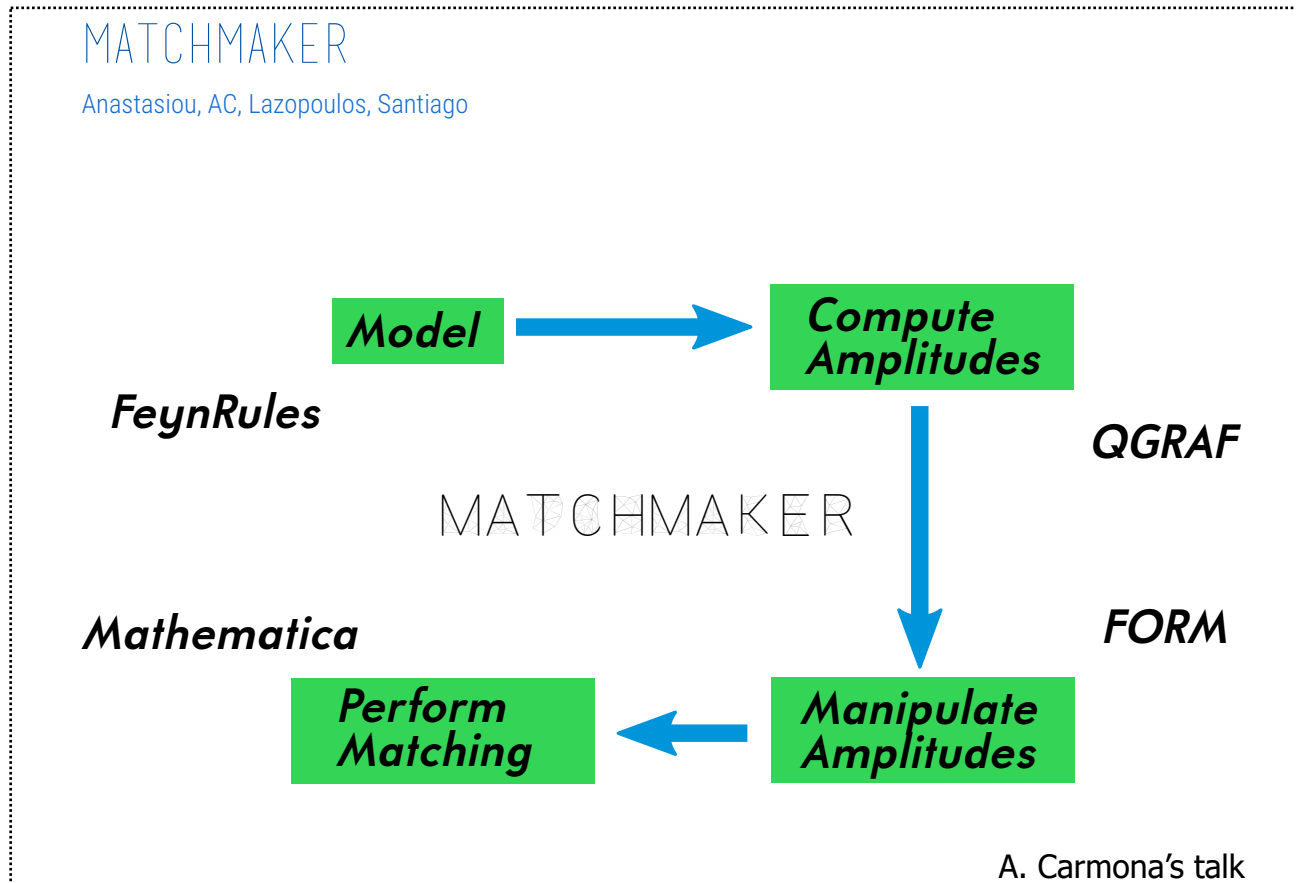
Abstract

Effective Field Theories (EFTs) capture effects from heavy dynamics at low energy and represent an essential ingredient in the context of Standard Model (SM) precision tests. This document gathers a number of relevant scenarios for heavy physics beyond the SM and presents explicit expressions for the Wilson coefficients in their low-energy EFT. It includes *i*) weakly coupled scenarios in which one or a few particles of different spins and quantum numbers interact linearly with the SM and generate EFT effects at tree-level, *ii*) scenarios where heavy particles interact quadratically whereupon the resulting EFT arises only at loop-level and *iii*) strongly coupled scenarios where the size of Wilson coefficients is controlled by symmetry arguments. This review aims at motivating experimental EFT studies in which only a subset of all possible EFT interactions is used, as well as facilitating the theoretical interpretation of EFT fits.

BSM interpretation and tools

- **BSM/EFT matching tools:**

- ✓ Apart from tools dedicated to implement the EFT parameterization, matching the EFT results with non-minimal BSM scenarios can be greatly simplified using automated tools, e.g. MATCHMAKER (Automated matching at 1-loop)



Extending STXS with final state information

- *Motivations*

- ✓ Agree on general decay-oriented measurements, as independent as possible on interpretation assumption (as STXS for production)
- ✓ POs most general proposal so far, but a few cons
 - Interference terms difficult to treat
 - Meaning not necessarily intuitively or directly connected to observable quantities
 - Covariance matrix of a joined measurement with STXS bins could be insufficient

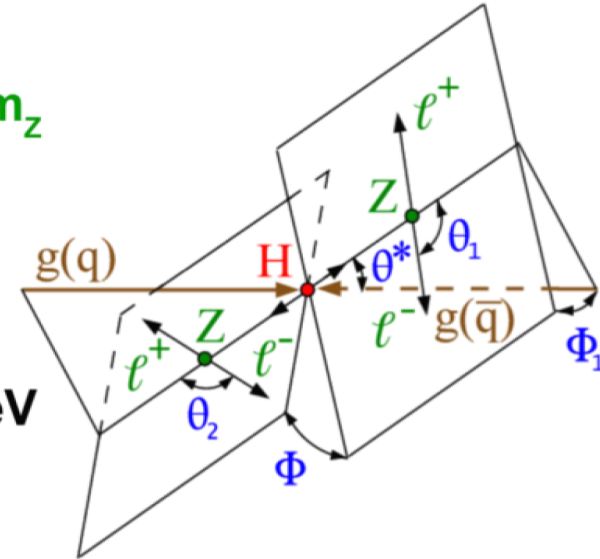
- **Still missing: something we can all agree upon to use for general Higgs decay measurements**
 - **Needs to be sufficiently general**
 - **Suitable to do measurements, e.g. should be closely related to observable quantities**
 - **If possible, assumptions needed for interpretations should be avoided for the measurements**

Extending STXS with final state information

A compromise ?

$H \rightarrow 4l$:

- 1st Z usually ~ on-shell, mass $m_{12} \sim m_Z$
- 2nd Z off-shell, mass $q^2 = m_{34}$
- STXS for q^2 dependence:
make bins in m_{34} .
Experiments usually cut $m_{34} > \sim 10$ GeV
- Within each bin, q^2 is ~ constant
 - Can choose bins or continuous parameters without worry about q^2 expansion
 - Continuous parameters could be stage 2



$H \rightarrow l\nu l\nu$:

- Want to be as independent from production bins as possible
- Only one Lorentz invariant observable: $m_{ll} \rightarrow$ Let's make bins₁₂

Extending STXS with final state information

Even more minimal starting point

We have seen in the EFT discussions that acceptance effects in decays play a role. Treat it like $|Y_H| > 2.5$ in production

- $H \rightarrow ZZ^*$
 - Add 3 $H \rightarrow ZZ^*$ sub-bins
 - $H \rightarrow 4l, m_{34} < X$ ($X \sim 10$ GeV, not measured region)
 - $H \rightarrow 4l, X < m_{34} < 62.5$ GeV
 - $H \rightarrow ZZ^* \rightarrow !4l$ (populated in ttH multilepton)
- $H \rightarrow WW^*$
 - Add 4 $H \rightarrow WW^*$ sub-bins
 - $H \rightarrow l\nu l\nu, m_{ll} < X1$ ($X1 \sim 10$ GeV, not measured region)
 - $H \rightarrow l\nu l\nu, X1 < m_{ll} < X2$ ($X2 \sim 50-60$ GeV)
 - $H \rightarrow l\nu l\nu, X2 < m_{ll}$
 - $H \rightarrow WW^* \rightarrow !l\nu l\nu$ (populated in ttH multilepton, VHWW)

Agreed to start from this “Stage 0”

Experiment to discuss details (e.g. m_{34} binning depending on p_T^{lep} selections)

More binning (e.g. angular variable to define asymmetries) could be added at a later stage

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Theory motivations for differential observables

The distinction between hard vs. resolution variables is also natural for BSM sensitivity

- **Born/hard variables** by definition probe the kinematics of the respective hard $H+N$ -jet interaction
 - ▶ They are naturally sensitive to (indirect) BSM effects that change the hard interaction structure
 - ▶ Requires one to be in the appropriate genuine $H+N$ -jet Born region
- **Resolution variables** probe the QCD emission pattern
 - ▶ They are naturally insensitive to BSM effects

Important to both cover and separate different phase-space regions

- 2D measurement is much more useful than several different but strongly correlated 1D projections
 - Measuring as many observables as precisely as possible should have higher priority than combining differential spectra between channels or experiments
-
- The same for "colour singlet + jets" processes (e.g. Z/W +jets, H +jets, etc.)
 - H +jets specific due to ggH loop - useful to measure

Differential observables proposal: H + 0 jets

Legend: hard/Born variables, resolution variables

Higgs observables

- Higgs: Y_H, p_T^H , eventually 2D $\{Y_H, p_T^H\}$
- $H \rightarrow \gamma\gamma$ decay:
 - ▶ 2D $\{p_{T1}, p_{T2}\}$ (exposes recoil, asymmetric cuts)
 - ▶ equivalent/redundant: $\eta_1, \eta_2, \cos\theta^*, \Delta\eta_{1,2}$
 - ▶ p_{Tt}, ϕ^* (alternatives to p_T^H)
- $H \rightarrow ZZ$ decay: 2D $\{m_{12}, m_{34}\}, \dots$
- $H \rightarrow WW$ decay: 2D $\{p_{T1}, p_{T2}\}, \dots$

Direct resolution observables

- $p_T^{\text{jet}}, \tilde{E}_T$
- $\mathcal{T}_f^{\text{jet}}, \tilde{\mathcal{T}}_f$ (some preference for \mathcal{T}_C over $\mathcal{T}_B, \mathcal{T}_f$ vs. $\mathcal{T}_f^{\text{cm}}$?)
- dedicated track-based measurement: E_T, \mathcal{T}_f
- 2D $\{p_T^{\text{jet}}, \mathcal{T}_f^{\text{jet}}\}$ or $\{p_T^H, \mathcal{T}_f^{\text{jet}}\}$
 - ▶ equivalent/redundant: y^{jet} for $p_T^{\text{jet}} \geq p_T^{\text{cut}}$ or 2D $\{p_T^{\text{jet}}, y^{\text{jet}}\}$

“proposal” = suggestion of possible (multi-dimensional) observables
Exact set of variables and binning to be discussed by experiments depending on sensitivity and experimental challenges

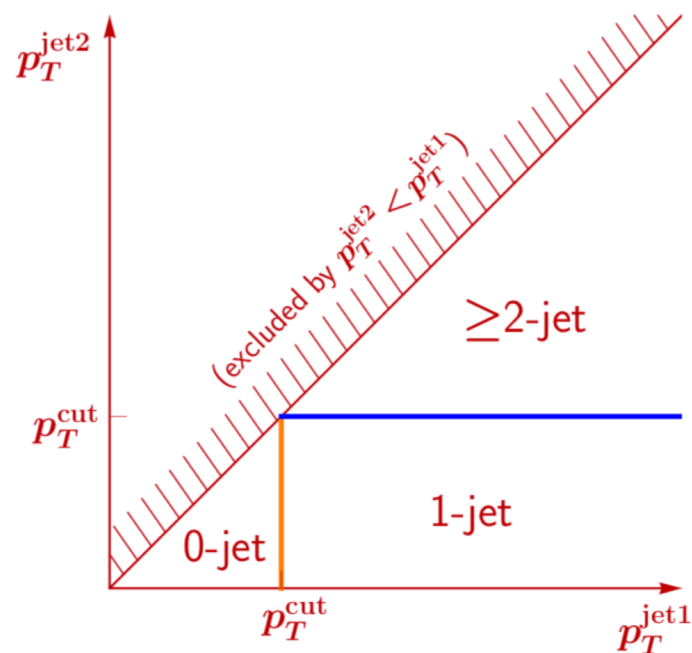
Differential observables proposal: H + 1 jets

Possible hard observables

- $pp \rightarrow H j$ is $2 \rightarrow 2$ (ignoring decay now) \rightarrow 3 independent variables
- $p_T^H, Y_H, p_T^{\text{jet}}, y^{\text{jet}}, \mathcal{T}_f^{\text{jet}}, \dots$: already covered, see above
- More options: m_{Hj}, \dots

Resolution observables

- Options: $p_T^{Hj}, p_T^{\text{jet2}}, \mathcal{T}_f^{\text{jet2}}, \mathcal{T}_1, \dots$
- Genuine 2D needed
 - ▶ $\{p_T^H, p_T^{Hj}\}, \{p_T^{\text{jet1}}, p_T^{\text{jet2}}\},$
 $\{p_T^H, p_T^{\text{jet}}\} \equiv \{p_T^H, p_T^H - p_T^{\text{jet}}\}$ (redundant)
 - ▶ $\{p_T^H, \mathcal{T}_1\}$
 - ▶ $\{m_{Hj}, p_T^{Hj}\}, \{m_{Hj}, \mathcal{T}_1\}$



Differential observables proposal: $H + 2$ jets

Here we are running into statistics limitations ...

Hard observables

- Previous variables: p_T^H , p_T^{jet1} , m_{Hj} , p_T^{Hj} , ...: already effectively covered
- $\Delta\phi_{jj}$, m_{jj} , $\Delta\eta_{jj}$, ...

Resolution observables

- p_T^{Hjj} , $\Delta\phi_{H,jj}$, p_T^{jet3} , ...

In all cases

- Separate genuine $H + 2$ region from $H + 0, 1$ regions
- e.g. measure in bins of $p_T^{\text{jet1,2}} \leq m_H/2$ and $p_T^{\text{jet1,2}} \geq m_H/2$

Next steps

- EFT interpretations
 - ✓ Great progress in theory tools and experimental implementations of parametrizations
 - ✓ Planning to have follow-up meeting to clarify pending issues
 - ✓ Plan to prepare note on high-energy probes of EFT
- STXS
 - ✓ Stage 1.2 STXS being finalized
 - ✓ STXS uncertainty paper to appear soon
 - ✓ “STXS-in-decay” Stage 0 proposal agreed on
 - Experiments to decide bin boundaries (e.g. m_{34})
- Differential observables
 - ✓ Plan to prepare “recommendation” writeup
 - Experiments to decide minimal set of observables of binning