

# Rescuing *VBF H*→*Invisible*Events with Novel Vertex Selection

Connecting The Dots 2020

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### Current state of Primary Vertex Identification in $VBF H \rightarrow Invisible$

Default — Exploit high transverse momentum ( $p_T$ ) tracks  $\rightarrow$  Pick vertex with largest  $\Sigma p_T^2$ 

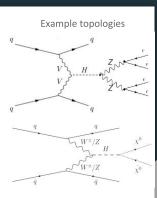
Challenging for Vector Boson Fusion (*VBF*)  $Higgs \rightarrow Invisible$  topology

Vertex Selection efficiency (VSE) much lower than other topologies (~80%)

Primary Challenges for  $VBF H \rightarrow Invisible$ :

- Low visible  $p_{\tau}$  interaction due to invisible particles in final state
- ullet Forward Hard Scatter jets outside tracker acceptance, reducing visible  $p_{\scriptscriptstyle T}$  further
- Merged Pileup (PU) vertices, which have a large resulting  $\Sigma p_T^2$  from the tracks of all the merged uncorrelated interactions

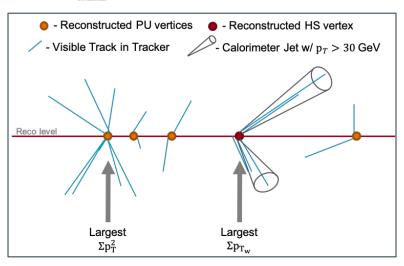
Can we improve it?



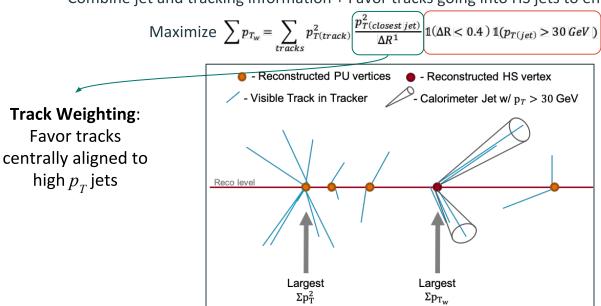
Maximize  $\Sigma p_T^2$ 

Combine jet and tracking information + Favor tracks going into HS jets to enhance visible HS  $p_{\scriptscriptstyle T}$ 

$$\text{Maximize } \sum p_{T_w} = \sum_{tracks} p_{T(track)}^2 \, \frac{p_{T(closest\,jet)}^2}{\Delta R^1} \, \mathbb{1}(\Delta R < 0.4) \, \mathbb{1}(p_{T(jet)} > 30 \, \text{GeV})$$



Combine jet and tracking information + Favor tracks going into HS jets to enhance visible HS  $p_{\scriptscriptstyle T}$ 

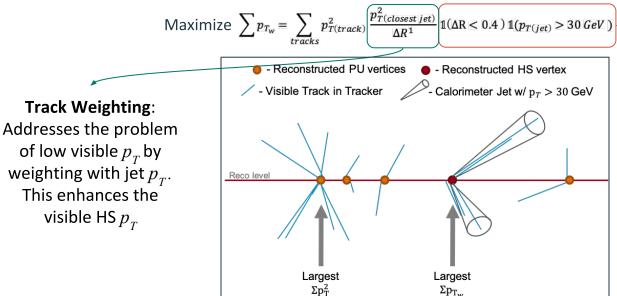


Vertex Grooming: Consider tracks

inside hard jets

4

Combine jet and tracking information + Favor tracks going into HS jets to enhance visible HS  $p_{\scriptscriptstyle T}$ 



#### **Vertex Grooming:**

Addresses the problem of merged PU vertices by neglecting "background" PU tracks that are uncorrelated to hard jets

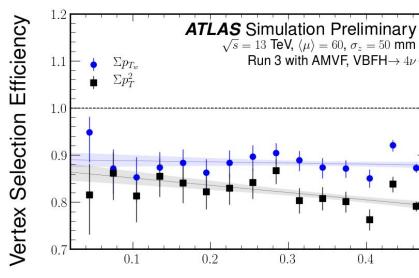
Vertex selection efficiency as a function of Pileup density.

Pileup density is the local density of vertices at the Primary Vertex in the event.

Default sumPT selection method (square) is compared with sumPTw selection (circle).

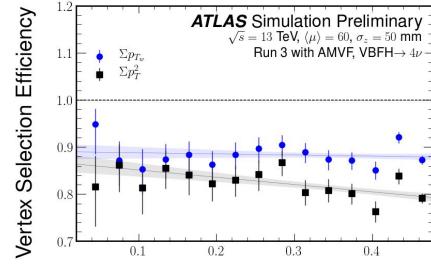
Error bars are statistical errors. Best fit linear functions are drawn through the sets of points with 1-sigma error bands to visualize the slopes with Pileup density.

AMVF refers to the Adaptive Multi-Vertex Finder algorithm used to reconstruct vertices<sup>[1]</sup>.

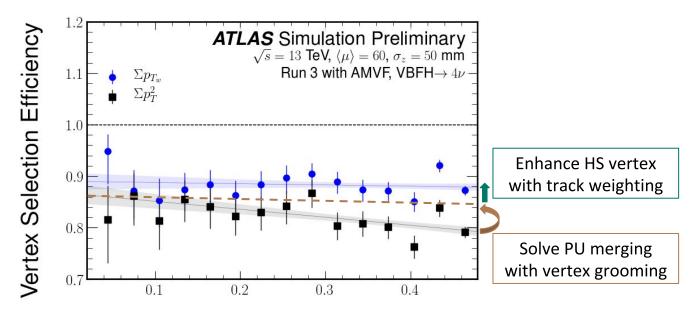


Average Local Pile-up Density [/mm]

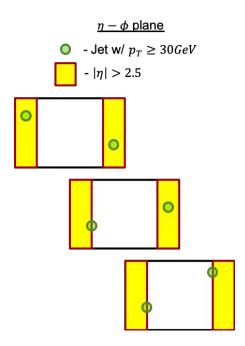
- Inclusive Vertex Selection Efficiency improved from 80% to 88%
- Performance limited by charged particles outside tracker acceptance due to forward jets
- Solved challenge of merged PU vertices (with high  $\Sigma p_T^{\ 2}$ ) by utilising correlations between HS tracks and HS jets
  - $\circ$  PU tracks from merged PU vertices are uncorrelated to jets hence don't contribute to  $\Sigma p_{\mathrm{Tw}}$



Inclusive VSE improved from 80% to 88%



- Vertex selection limited due to charged particles beyond acceptance,  $|\eta| > 2.5$
- Concretely identify cases of significant activity beyond tracking acceptance →
- Case of 2 jets completely outside tracking acceptance ( $|\eta|$ >2.5) can only be addressed at HL-LHC<sup>[1]</sup> where the tracking coverage is extended to  $|\eta|$ <4.0
- Partially contained jets can be accounted for by matching tracks to calorimeter jets



### How to define cases with significant activity beyond tracker acceptance?

- We can exploit the PU jet distribution (Most events have either 0 PU jets or 1 central PU jet)
- Low Confidence Event: An Event with significant activity ( $p_T$ ) beyond tracker acceptance
  - $\geq$  2 jets with  $p_T$  > 30 GeV and  $|\eta|$  > 2.1 with RpT < 0.1 w.r.t. any vertex

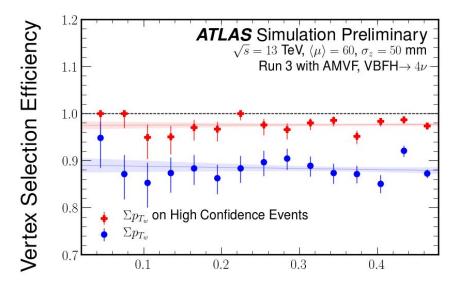
$$RpT = \sum\nolimits_{tracks}^{in\,vertex} (p_{T(track)}/p_{T(jet)} . \Theta(\Delta R_{(track-jet)} < 0.4)$$

- ullet High Confidence Event: An Event with significant activity (  $p_T$  ) within tracker acceptance
  - $\circ$  < 2 jets with  $p_T$  > 30 GeV and  $|\eta|$  > 2.1 with RpT < 0.1 w.r.t. any vertex

Vertex selection efficiency as a function of Pileup density. sumPTw selection on all events (circle) is compared with sumPTw selection on High Confidence Events (cross).

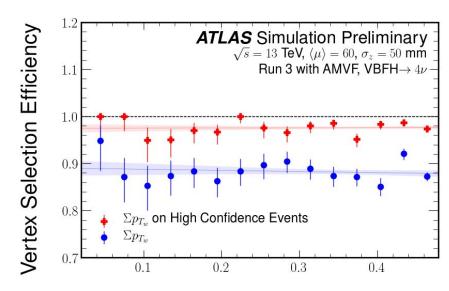
Every High Confidence Event has sufficient tracks inside forward Hard Scatter jets, leading to a very high vertex selection efficiency with sumPTw.

Error bars are statistical errors. Best fit linear functions are drawn through the sets of points with 1-sigma error bands to visualize the slopes with Pileup density.

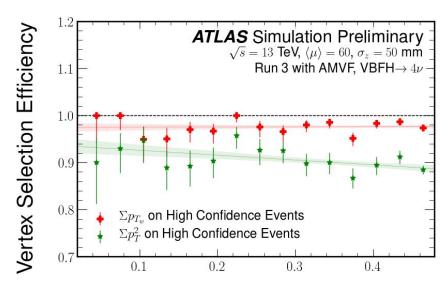


Average Local Pile-up Density [/mm]

- Handle events differently based on presence of hard jets with tracks outside acceptance
- High confidence events should be utilized for vertex selection
  - Significantly improved VSE ~98%
  - $\hbox{$\circ$} \quad \hbox{Remaining 2\% inefficiency comes from events with} \\ \hbox{$a$ Hard QCD PU interaction that has larger $\Sigma p_{\mathrm{Tw}}$} \\ \hbox{$than the $\mathit{VBF}$ $H{\to}\mathit{Invisible}$ vertex}$
- Low confidence events can be retained for Physics
  - Contain useful jets (with no tracks)



- Compare  $\Sigma p_{Tw}$  and  $\Sigma p_{T}^{2}$  on High Confidence Event category
- Inclusive VSE improved from 89% to 98%
- Primarily limited by
  - Merging of PU vertices
  - Hard QCD PU interactions



#### What would this look like at HL-LHC?

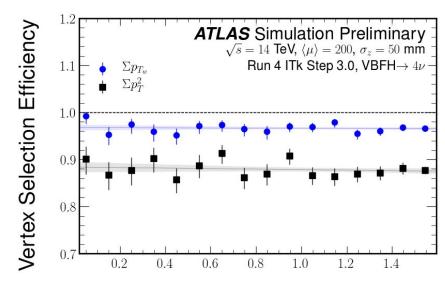
Vertex selection efficiency as a function of Pileup density.

Pileup density is the local density of vertices at the Primary Vertex in the event.

Default sumPT selection method (square) is compared with proposed sumPTw selection (circle).

Note: Efficiencies are larger than the values from current primary vertex identification due to increased tracking acceptance at the HL-LHC<sup>[1]</sup> (Run 4); PU merging is less prominent due to improved tracking resolution at HL-LHC.

Error bars are statistical errors. Best fit linear functions are drawn through the sets of points with 1-sigma error bands to visualize the slopes with Pileup density.

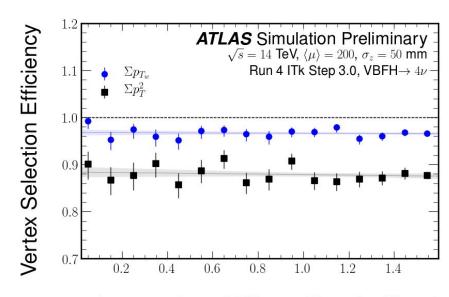


Average Local Pile-up Density [/mm]

#### What would this look like at HL-LHC?

- Tracking acceptance expanded to  $|\eta| < 4^{[1]}$
- Low visible  $p_T$  challenge remains
- Increased incidences of PU Dijet events

- Maximising  $\Sigma p_{\scriptscriptstyle \mathrm{Tw}}$  aids with low visible  $p_{\scriptscriptstyle \mathrm{T}}$
- Hard QCD PU handled by event selection
- Inclusive VSE improved to 97% (from 88%)



### Rescuing *VBF H→Invisible* Events with Novel Vertex Selection Conclusions

A novel vertex selection method  $\Sigma p_{Tw}$  is introduced that exploits the correlation between HS tracks and jets to boost the visible  $p_T$  of the VBF  $H{\rightarrow}Invisible$  vertex and remove the impact of uncorrelated PU interactions. A new event categorization is defined to identify the conditions under which the vertex selection algorithm is reliable, rescuing VBF invisible events that could be otherwise rejected due to a wrongly selected vertex.

#### Current Geometry (Run 3)

- Vertex Selection Efficiency improved from 80% to 88%
- Impact of Pileup Merging rectified
- Restricting to High Confidence Events yields higher VSE at 98%
- Low Confidence Events usable with good VBF jets but uncertain vertex

#### HL-LHC (Run 4)

- Vertex Selection Efficiency improved from 88% to **97%** by using  $\Sigma p_{Tw}$  instead of  $\Sigma p_T^2$
- Increased track acceptance & improved track resolution gives boost in performance of both methods



### Data used and Event Selection applied

#### Run 3

- Assuming Run 2 layout, beam optics, filing schemes etc
- Identifiable event:
  - 2 truth matched HS reconstructed jets
  - $\circ$   $p_{_{\rm T}}$  >70,50 GeV,  $\eta$  <4.0
  - $\circ$   $\Delta \phi$  < 2.6,  $\Delta \eta$  > 3.0

#### Run 4

- Step 3 layout
- Identifiable event:
  - 2 truth matched HS reconstructed jets
  - $\circ$   $p_{\scriptscriptstyle T}$  >70,50 GeV,  $\eta$  <4.0
  - $\circ$   $\Delta \phi < 2.6, \Delta \eta > 3.0$

### Gaussian assumption

To account for limited stats after Event Selection, We use average local PU vertex density, which is an approximation of the true local PU density

Density
$$(z)=rac{\mu}{\sqrt{2\pi\sigma^2}} \exp{-rac{z^2}{2\sigma^2}}$$

### How does vertex splitting manifest?

