

# Efficiency improvements in Monte Carlo algorithms for high-multiplicity processes

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DRESDEN  
concept  
Exzellenz aus  
Wissenschaft  
und Kultur

# Machine Learning based unweighting

- speed up unweighting by using ML model to predict event weight
  - use “ML based unweighting“
  - save time to explicitly calculate ME and PS
- for 2 → n process
  - 4-momenta:  $4 \times (2+n)$  input numbers (features)

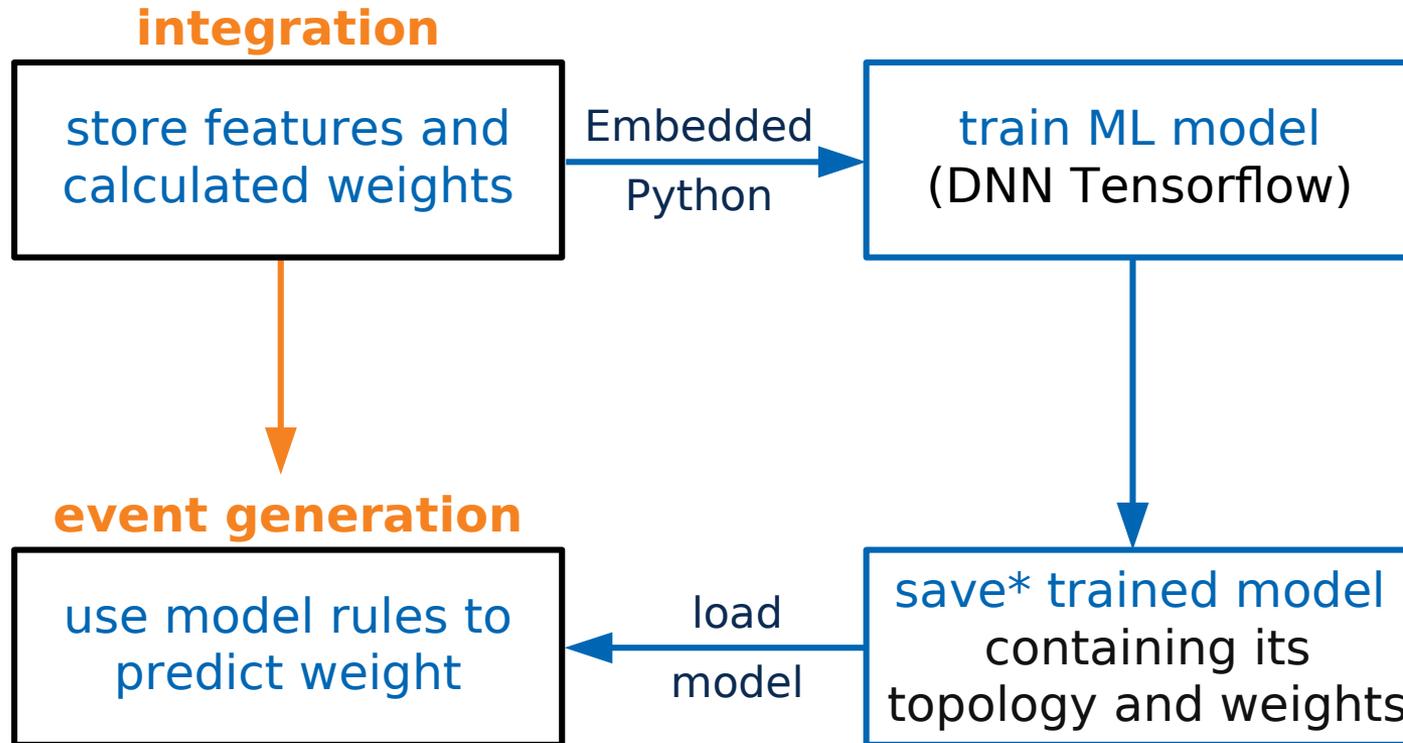
## Classic unweighting

1. generate event
2. calculate corresponding weight  $w$
3. generate uniformly distributed random number  $R \in [0,1]$
4. if  $w > R \cdot w_{\max}$  :  
    accept event  
    else:  
        go back to 1.

## ML based unweighting

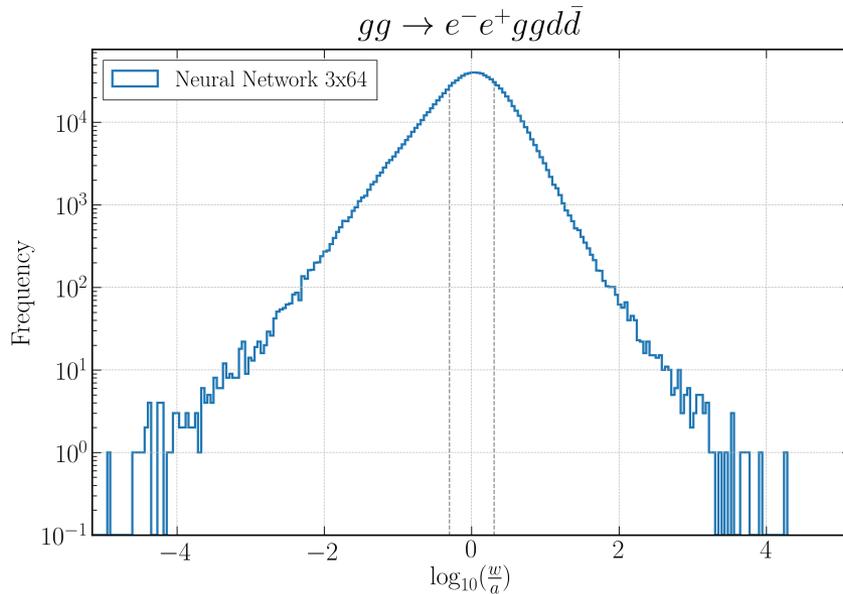
1. generate event
2. calculate approximated weight  $a$
3. generate uniformly distributed random number  $R \in [0,1]$
4. if  $a > R \cdot w_{\max}$  :  
    go to 5.  
    else:  
        go back to 1.
5. calculate event weight  $w$  and keep the event with weight  $\frac{w}{a}$

→ second unweighting needed



**“Classic”  
Machine Learning**

\*as JSON object

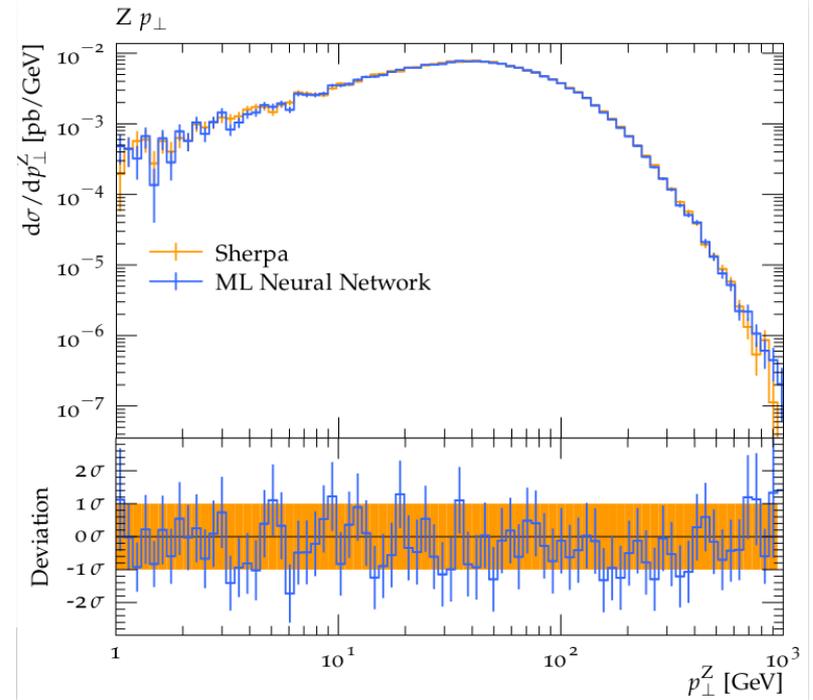
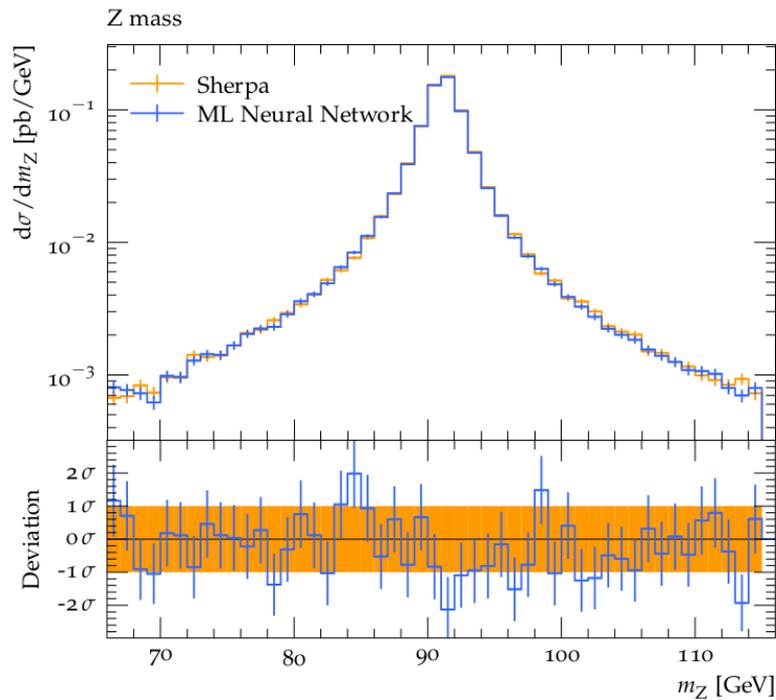


$$\frac{\#(\frac{w}{a} > \frac{1}{2} \wedge \frac{w}{a} < 2)}{\# total} \approx 51\%$$

Process	Evt.gen. Time Sherpa / ML
$gg \rightarrow e^-e^+ggddb$	6.1
$ug \rightarrow e^-e^+gggu$	5.5
$du \rightarrow e^-e^+ggdu$	2.1
$gd \rightarrow e^-e^+gggd$	5.6

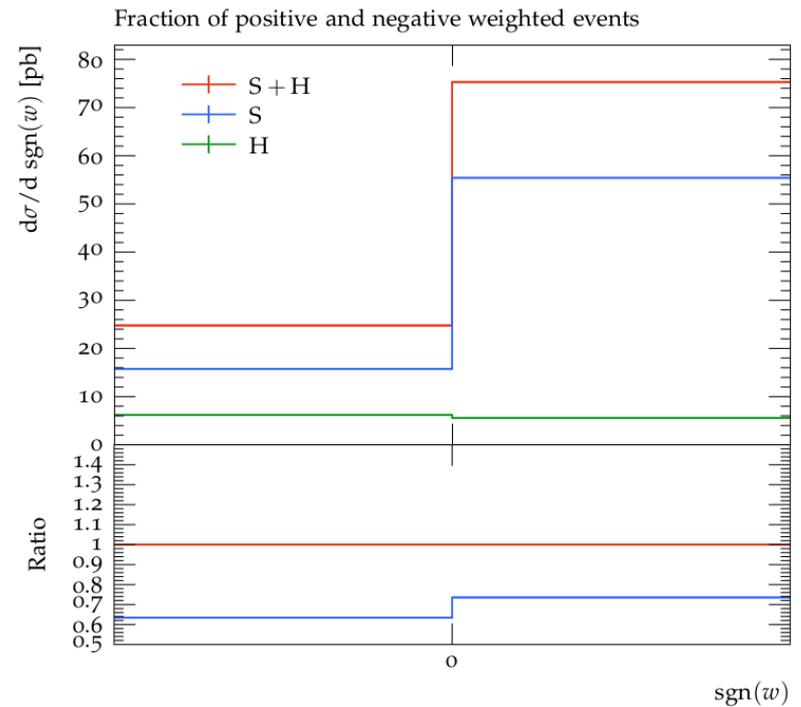
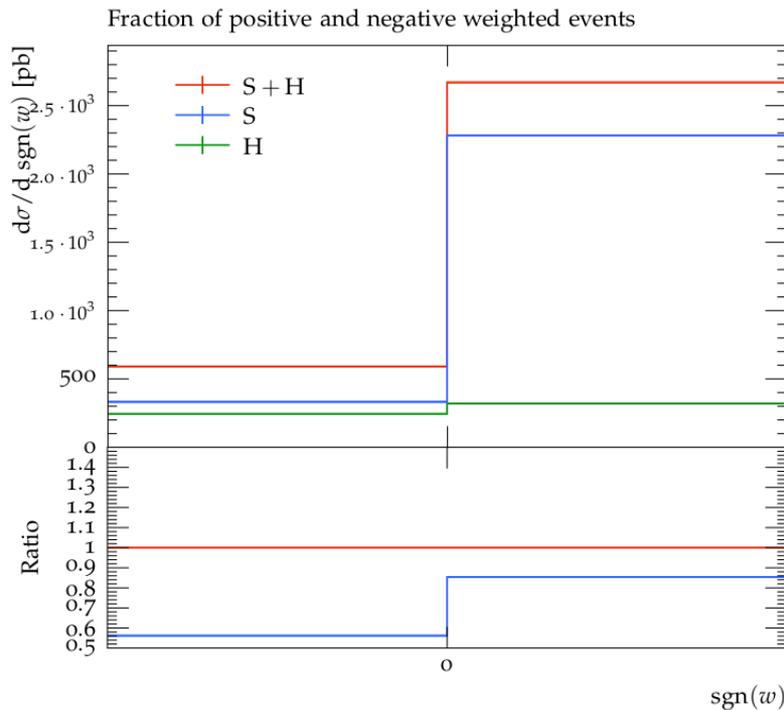
- only Z+jets so far
- further tests for W+jets, ttbar+jets in progress
- event generation time ML up to **6 times faster** than Sherpa!
- only Amegic thus far

$$gg \rightarrow e^- e^+ gg d \bar{d}$$



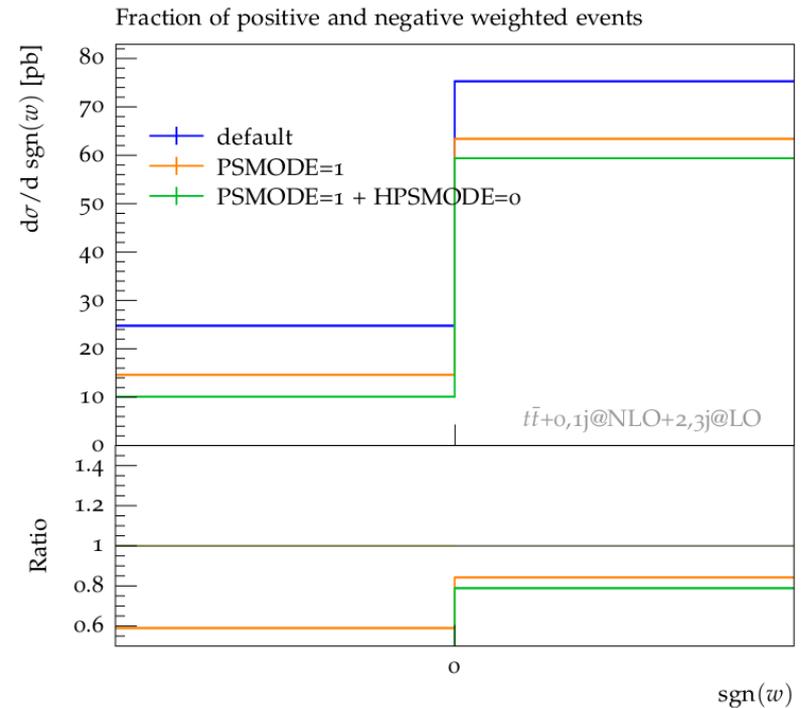
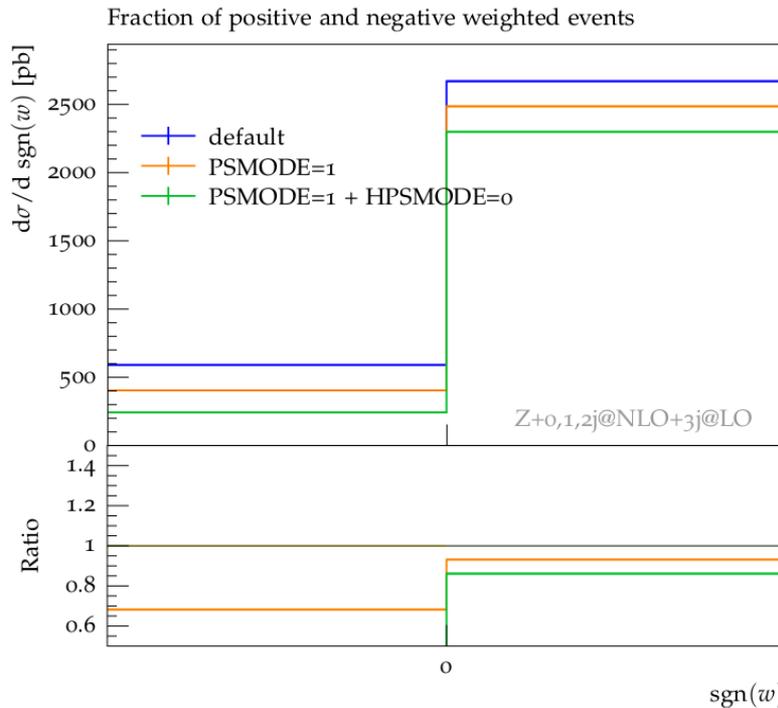
# Reduction of negative weight fraction

$Z + 0, 1, 2j@NLO + 3@LO$        $t\bar{t} + 0, 1j@NLO + 2, 3@LO$



→ negative weights mostly from S events

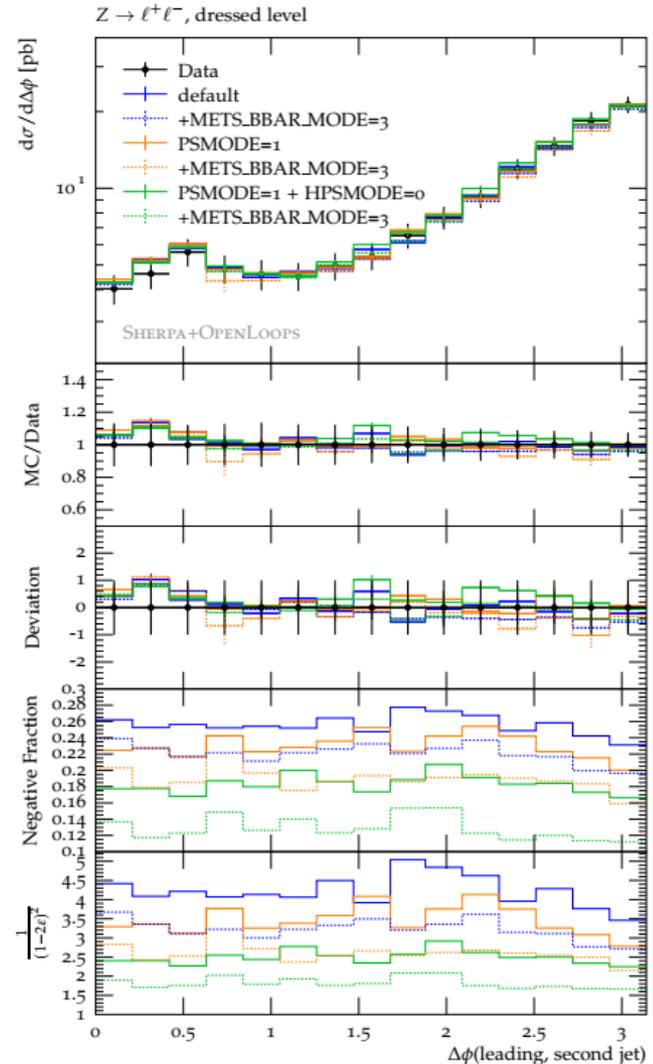
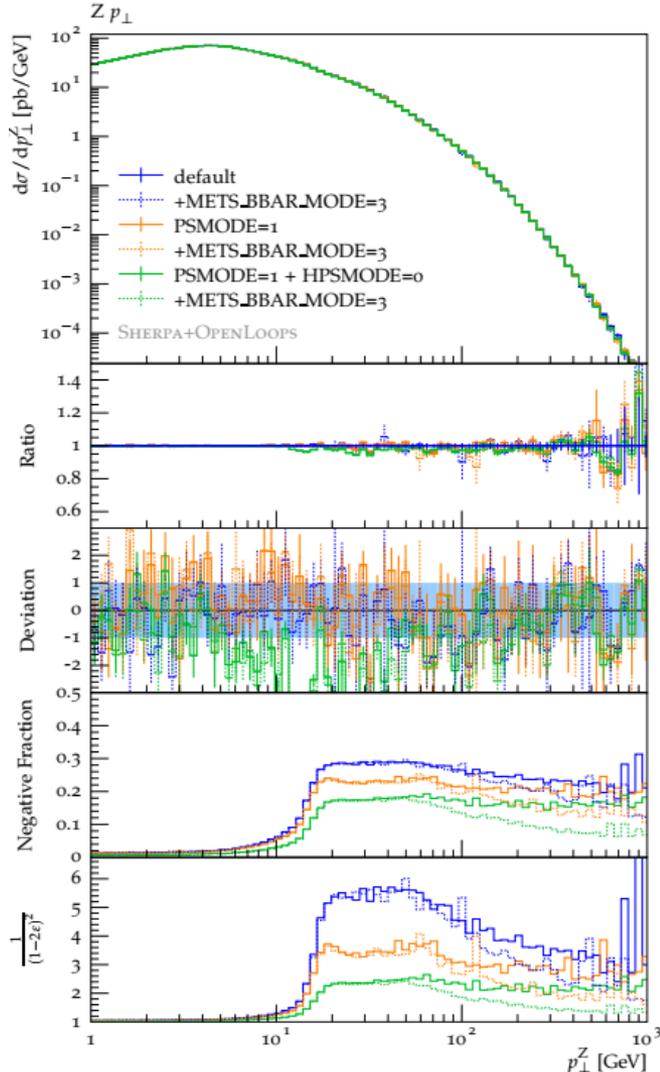
- run MC@NLO in leading color mode → “PSMODE=1”
- Sudakov suppression on H events → “HPSMODE=0”



Negative weight fractions

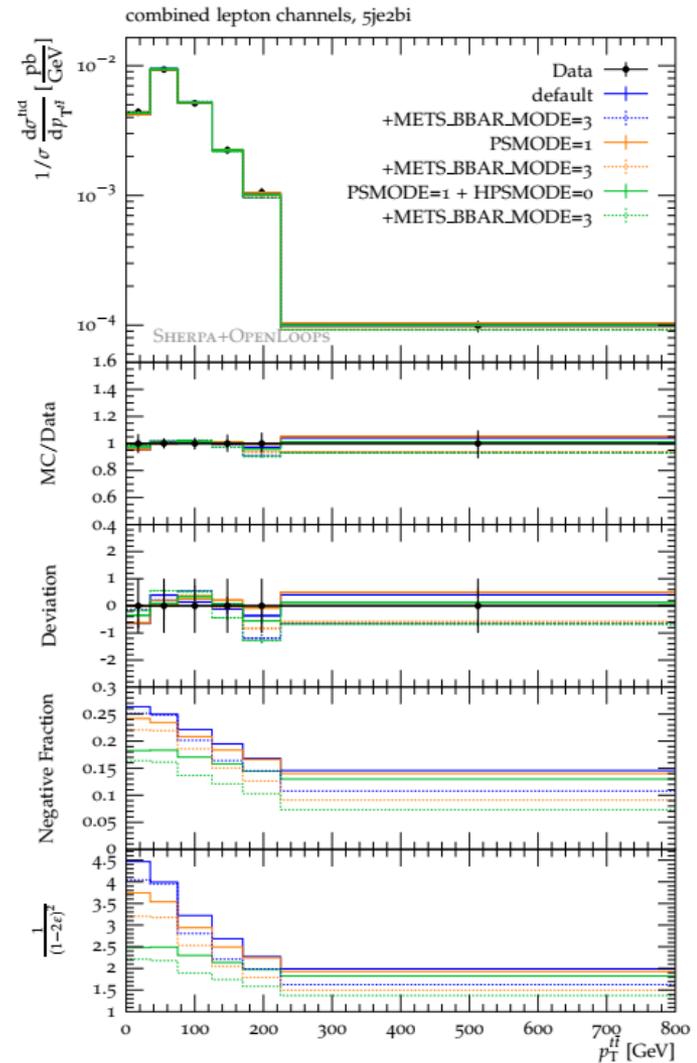
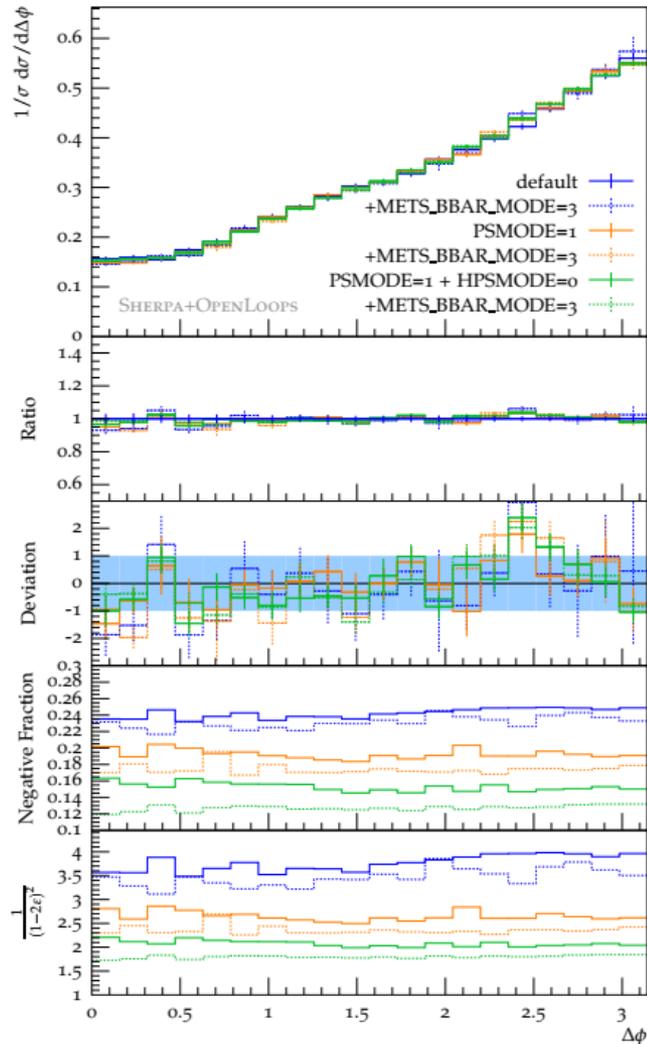
	default	PSMODE=1	HPSMODE=0
Z+jets	18.14%	13.97%	9.53%
ttbar+jets	24.75%	18.72%	14.50%

“METS\_BBAR\_MODE=3” → using local K-factor from core process

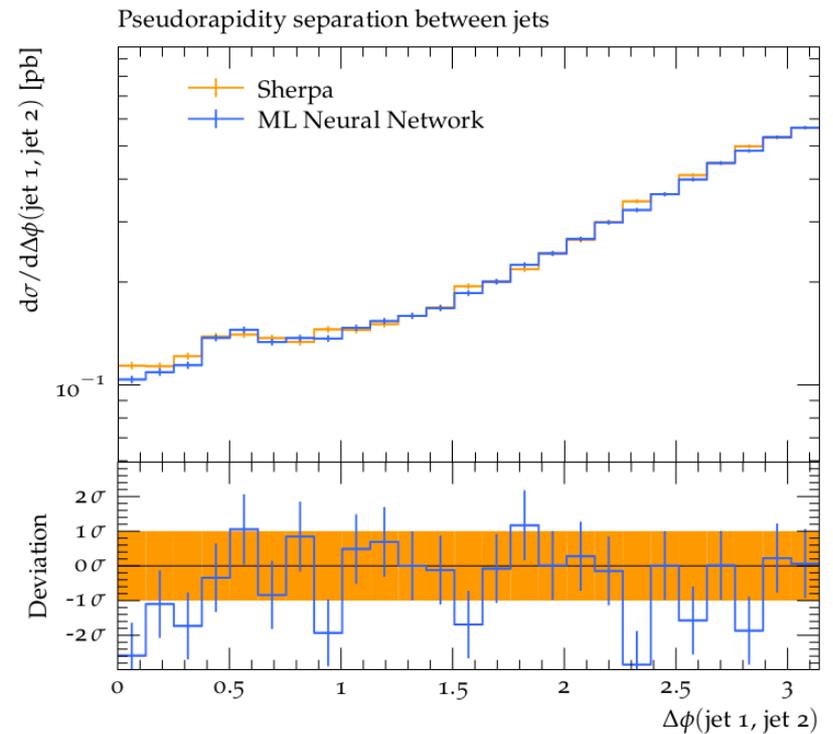
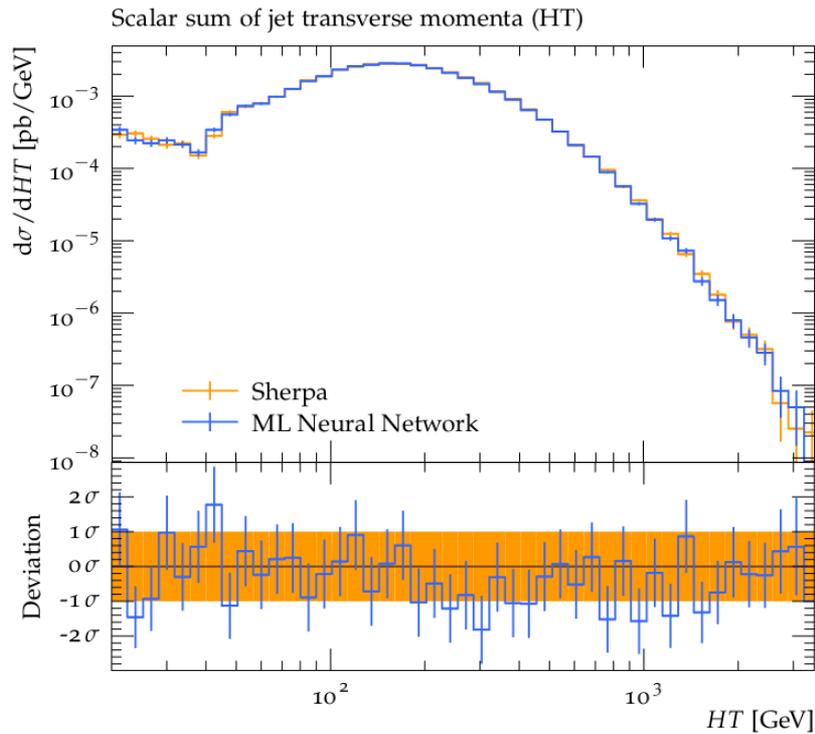


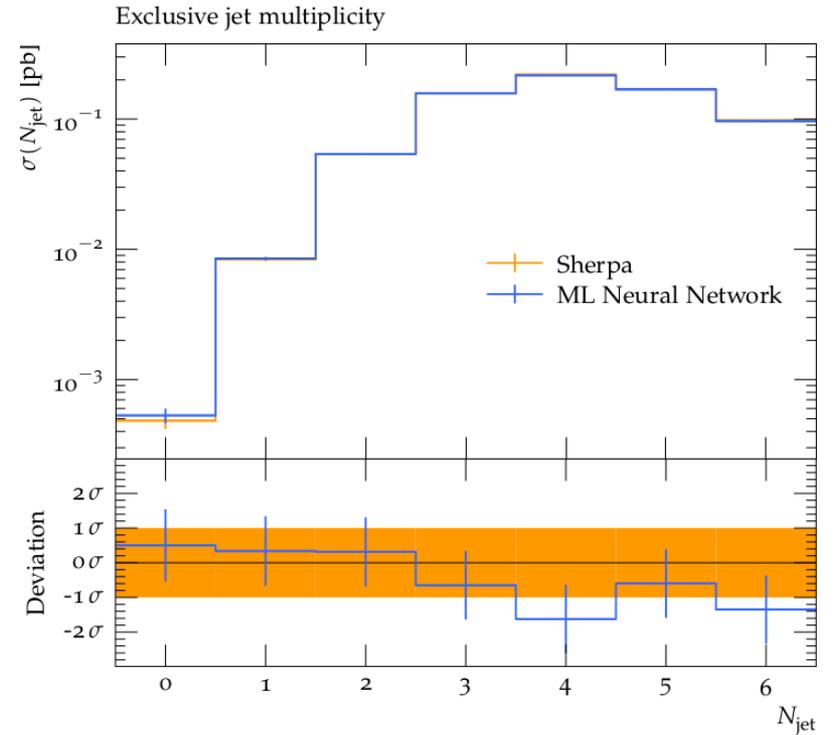
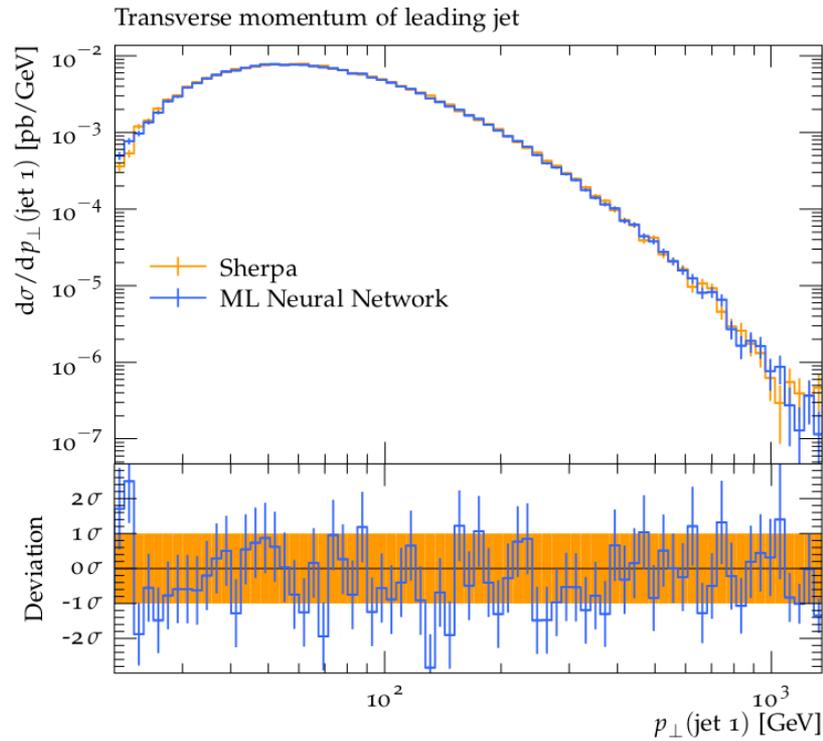
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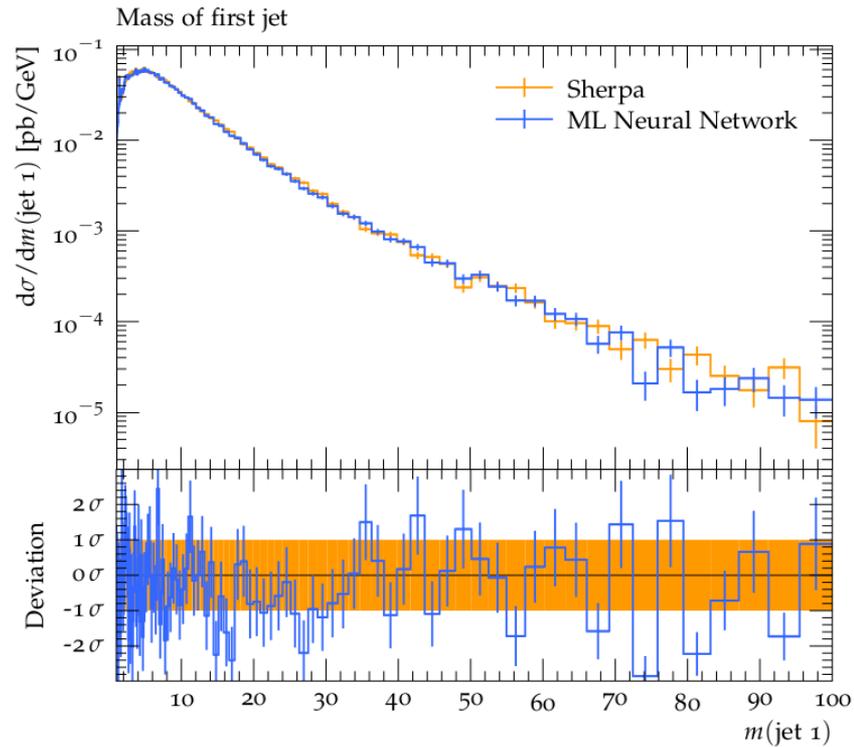
( $N_\ell = 1$ )

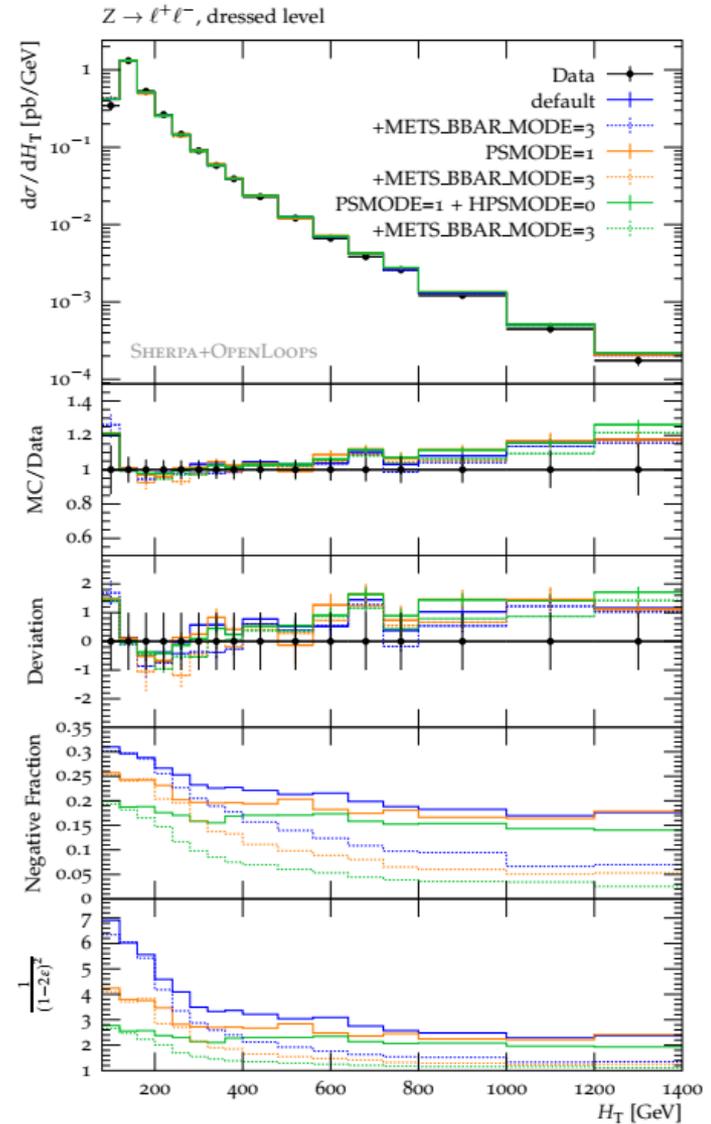
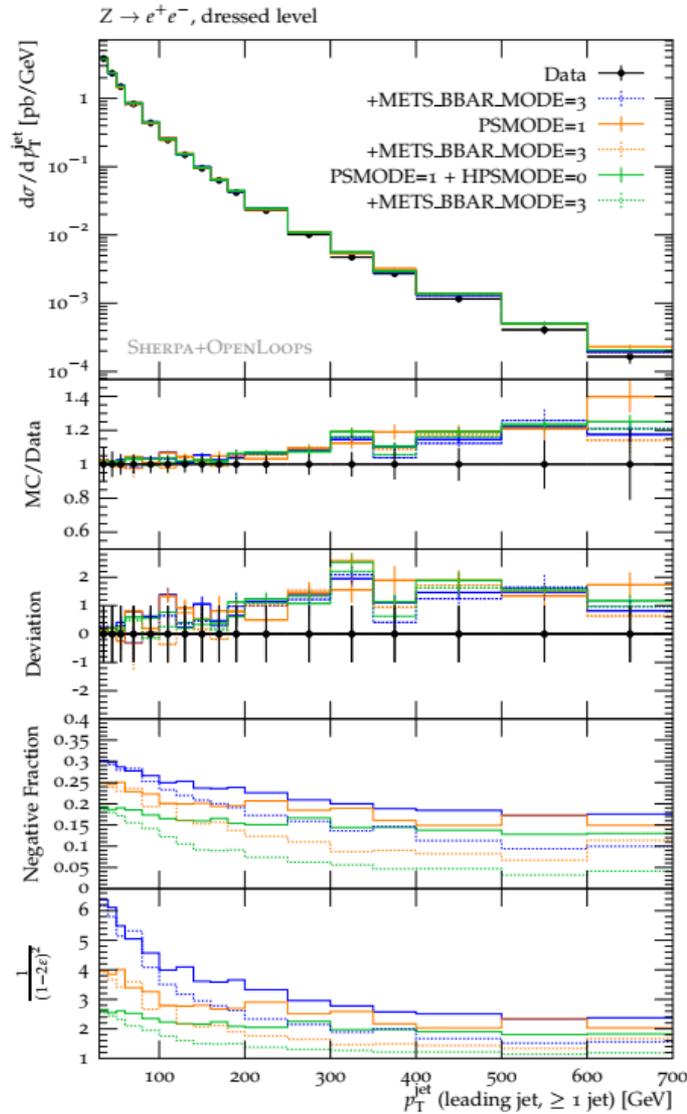


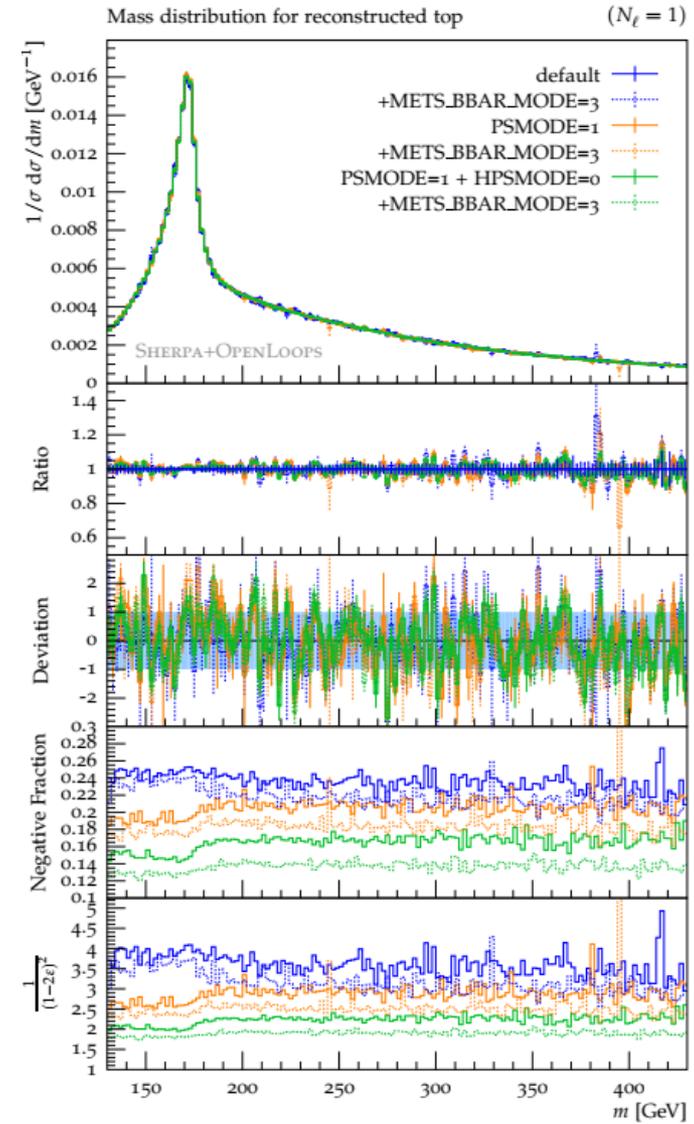
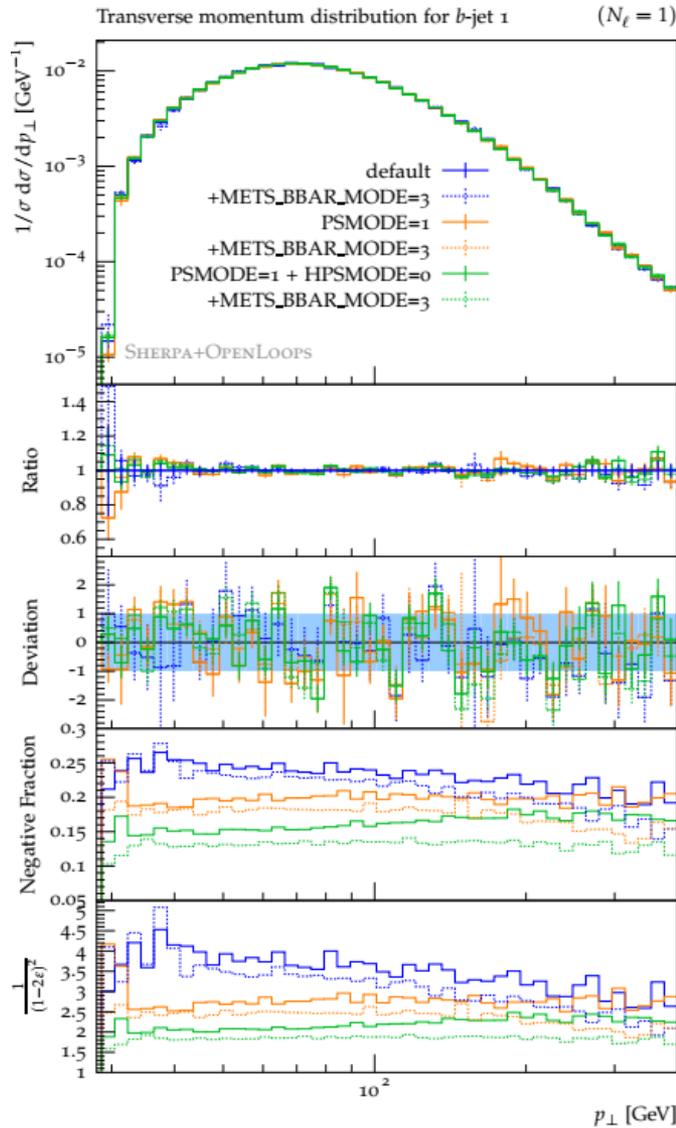
# Backup











- employ “second integration” phase:  
→ generate as many points as used for training
- iteratively, determine median of maxima throughout events passing first unweighting

