

Early Minimum-Bias Physics in ALICE – Status and Plans

Jan Fiete Grosse-Oetringhaus
for the ALICE collaboration

Minimum Bias @ Early LHC Meeting
1. - 2. March 2010, CERN



Content

- ALICE's trigger for MB physics
- Event classes
- 0 bin and background
- Diffractive treatment
- Some MB results
- Plans

**This talk uses
Pythia 6.4.14 with tune D6T
Phojet 1.12 with Pythia 6.2.14
unless otherwise indicated**

ALICE – Trigger and Acceptance

- MB Triggers

- SPD

$$|\eta| < 2.0 \text{ (1.4)}$$

- V0

$$2.8 < \eta < 5.1$$

$$-1.7 < \eta < -3.7$$

- MB Tracking

- SPD

$$|\eta| < 1.4$$

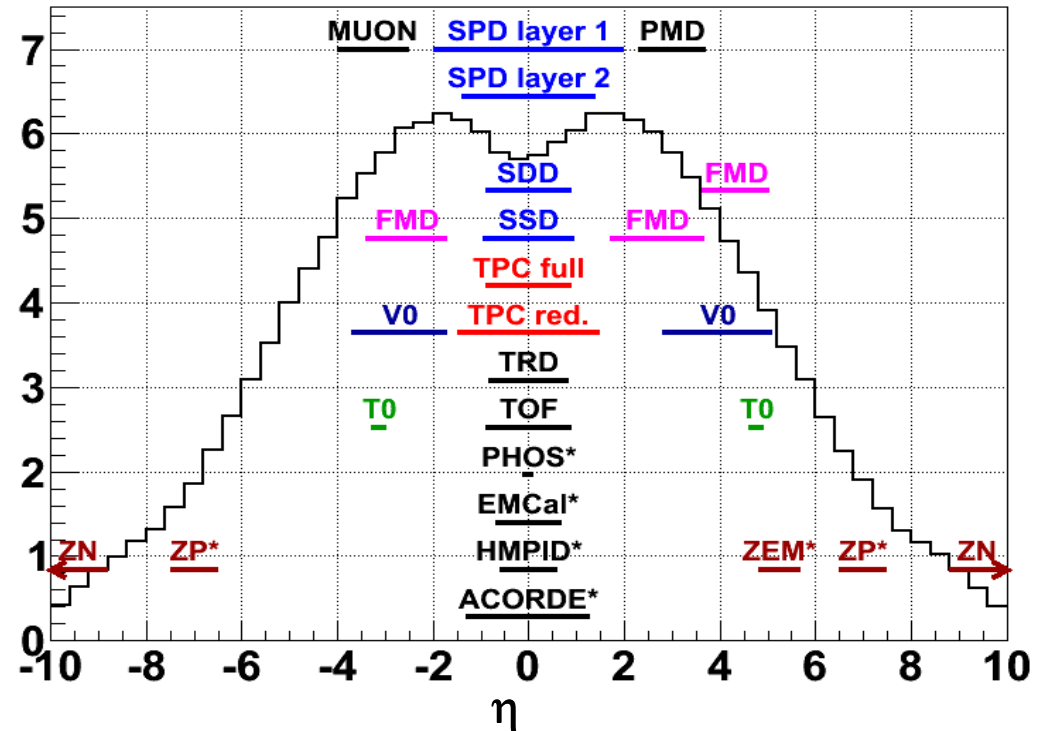
$$p_T > 50 \text{ MeV}/c$$

- TPC

$$|\eta| < 0.9$$

$$p_T > 150 \text{ MeV}/c$$

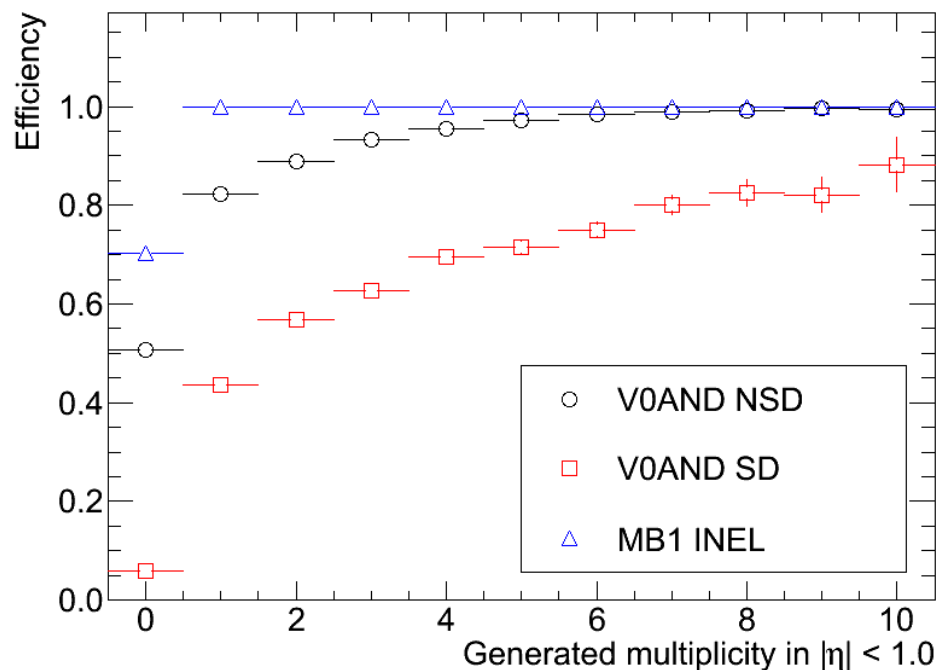
Detector Acceptance



Trigger for MB Physics

- ALICE measures MB properties for all inelastic (INEL) and non single-diffractive (NSD) events
 - "MB1" trigger for INEL: central pixel hit (SPD) or forward scintillator (V0)
 - One particle in 8 η units
 - (Trigger-)sensitive to 96-98% of the inelastic x-section
 - "V0AND" trigger for NSD: both forward scintillators
- Possible ND trigger V0AND + several hits centrally
 - 90% ND and 20% SD/DD

900 GeV		ND	SD	DD
Pythia	MB1	100	77	92
	V0AND	98	29	49
Phojet	MB1	100	86	98
	V0AND	98	34	66





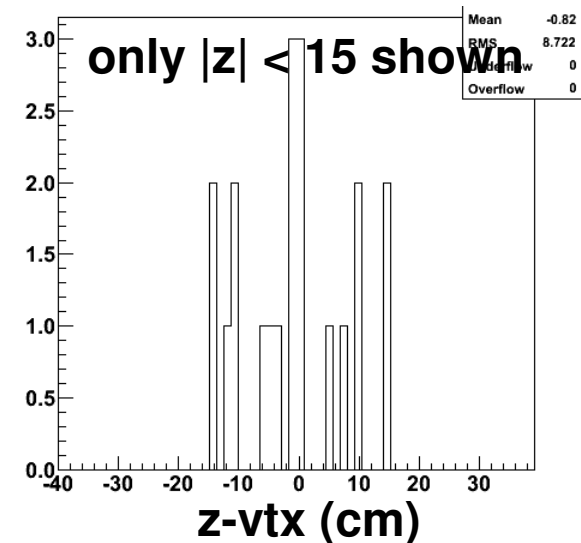
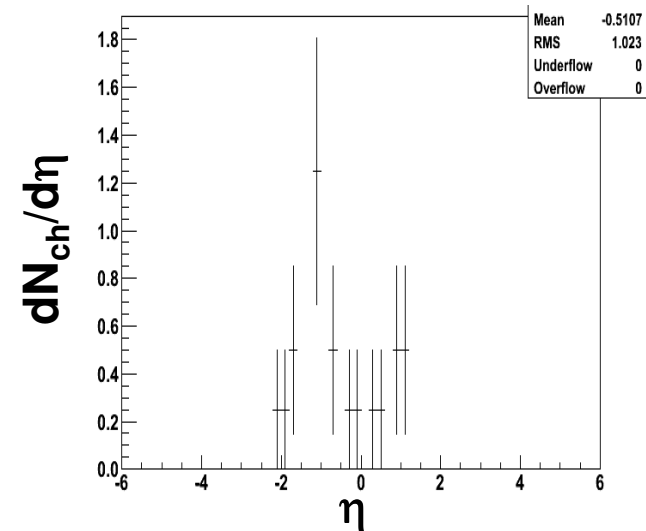
“0 bin” Treatment

- Significant amount of triggered events have no reconstructed vertex, no track in acceptance
- Use the number of triggered events as input for the normalization (“0 bin = measured 0”)
- Correct with trigger efficiency for this bin
 - MC dependence
- Assess background from control triggers
 - Single bunch passing, no bunch passing
 - Background with activity very small

Background @ 900 GeV

- Relative to accepted events in bunch crossing trigger
 - About 2.1% each in single bunch triggers
 - About 1.2% in “empty” trigger (= noise)
 - 0.02% have a vertex and tracks
 - The remaining go into the 0 bin, which can be subtracted with the control triggers
 - Bunch intensities taken into account
- Background with activity is negligible

ALICE run 104967,90,92





Diffraction Treatment

Single Diffraction

- Use MC generator for corrections per process type (SD, DD, ND)
- Combine using measured weights
- Replay measurement conditions
 - $M^2/s < 0.05$ for UA5 measurement
 - Weight SD such that replayed fraction matches measurement
 - Experiments have corrected for non-SD contribution in their measurements

SD, 900 GeV	Pythia	Phojet
MC fraction	22.3%	19.1%
Replay	18.9%	15.2%
Measurement	$(15.3 \pm 2.3)\%$	

*UA5: Z. Phys. C33, 175, (1986)
derived from ratio of SD/NSD

Diffractive Treatment

Double Diffraction

- Does DD matter?
 - Yes, unless your trigger is 100% efficient for DD
- UA5
 - Uses central gap of $|\eta| < 1 \dots 3$
 - UA5 somehow corrects for their efficiency to find certain gap sizes
 - Hadron-level definition for DD not evident from the paper
- CDF
 - Measures with a gap of 3 η -units (including $\eta = 0$)

DD, 900 GeV	Pythia	Phojet
MC	12.3%	6.4%
Measurement	$(8 \pm 5)\%$	

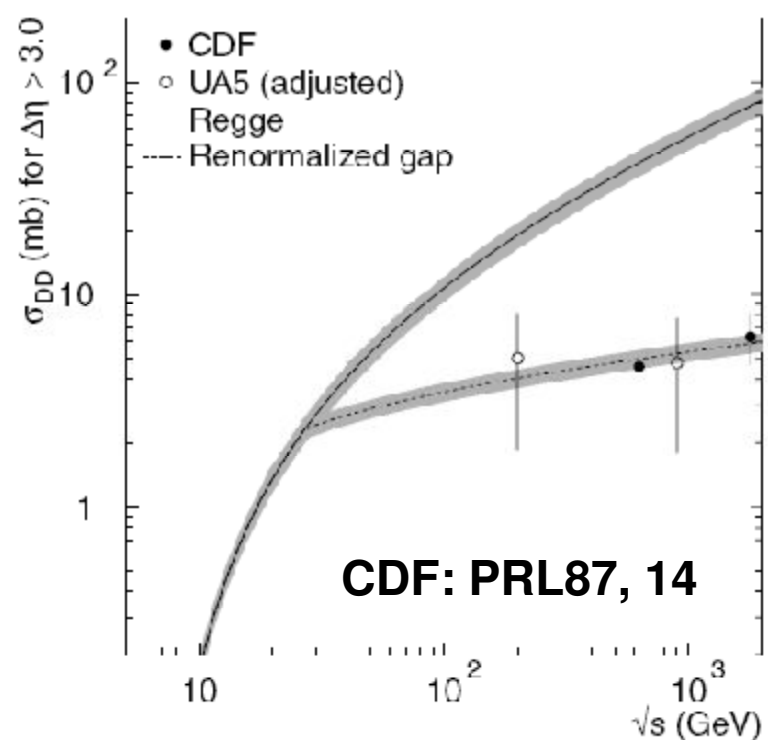
DD, 1.8 TeV	Pythia	Phojet
MC	12.6%	5.8%
Replay $\Delta\eta^0 > 3$	6.6%	2.2%
Measurement	$(7.5 \pm 2.2)\%$	

UA5: Z. Phys. C33, 175, (1986)

CDF: PRL87, 14

Diffractive Treatment - DD (2)

- CDF scales their and UA5 result to floating gap of 3 η -units (“ $\Delta\eta > 3$ ”)
- Consistent measurements
- Replay works for Pythia, but not for Phojet
- Treatment of DD remains ambiguous



		Pythia	Phojet
900 GeV	MC	12.3%	6.4%
	Replay $\Delta\eta > 3$	10.6%	3.6%
	UA5 scaled	(9.5 \pm 6)%	
1.8 TeV	MC	12.6%	5.8%
	Replay $\Delta\eta > 3$	10.3%	3.5%
	CDF scaled	(10.7 \pm 3.1)%	



Diffractive Treatment at Larger \sqrt{s}

- 2.36 TeV
 - Measurements at 1.8 TeV
 - For SD: E710, Phys. Lett. B301, 313 (1993)
 - Other cut on SD: $2 < M^2 < 0.05s$
 - For DD: CDF: PRL87, 14
 - Ratios SD/INEL, DD/INEL fairly constant as function of \sqrt{s}
 - No extrapolation needed from 1.8 TeV and 2.36 TeV
- 7 TeV?
 - Topic for discussion at this workshop



Towards a Hadron-Level Definition for SD

- ALICE plans to use a hadron-level definition for SD (for the correction to NSD)
 - Study difference between MC flags and hadron-level definition
- Use the UA5 definition
 - $M^2/s < 0.05$
- First observations
 - The SD bin gets other contributions
 - Small contribution from DD, ND
 - Central diffraction flows to 90% into SD (Phojet)

Systematic Uncertainties

- Use uncertainty on measurement to estimate systematic uncertainty due to unknown relative fraction
 - E.g. for SD at 900 GeV*: $(15.3 \pm 2.3)\%$
 - Large errors on DD, dominate
- For ALICE
 - Effect on INEL sample, MB1 triggered data $< 1\%$
 - Effect on NSD sample, V0AND triggered data 2-3%
- Use Pythia / Phojet to assess different kinematics

* Z. Phys. C33, 175, (1986)

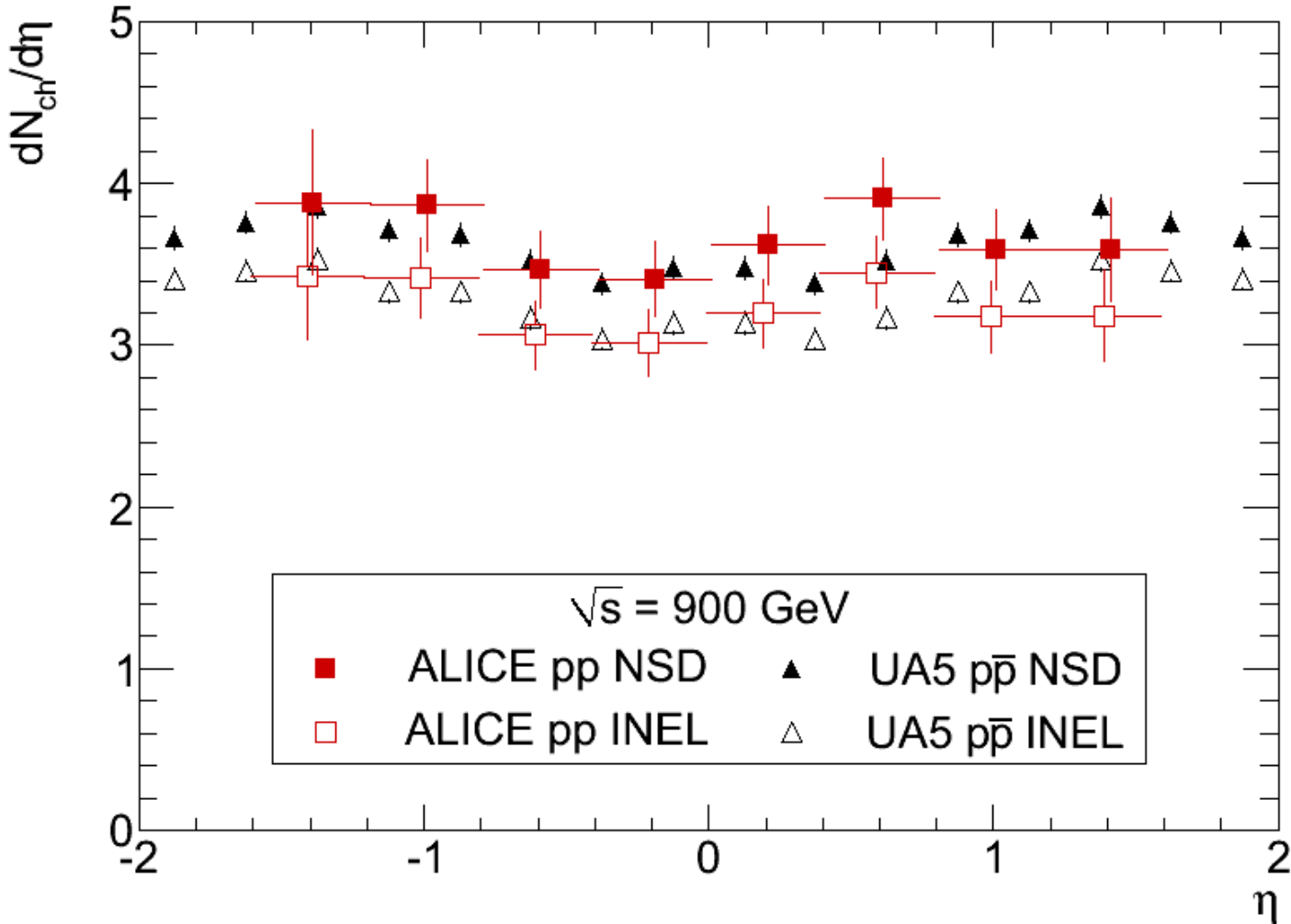
Other Remarks

- Normalization to 1 track
 - Normalization to one *measured* track trivial
 - However, to compare with other experiments
 - Correct for tracking inefficiency, dead areas etc.
 - Some MC dependence comes in due to the multiplicity distribution
 - Alternative
 - Correct to events triggered in the same phase space region
 - Possible for ALICE SPD trigger because it is part of the online trigger
 - Other experiments?
- Charged primary hadrons vs. charged primary particles
 - ALICE: charged primary particles, excluding weak decays from strange particles
 - CMS: charged primary hadrons
 - Charged leptons about 1.5% of charged primaries at 900 GeV, $|\eta| < 1$ (Pythia)
 - Includes e^+e^- from π^0 etc.



Results...

$dN_{ch}/d\eta$ @ 900 GeV

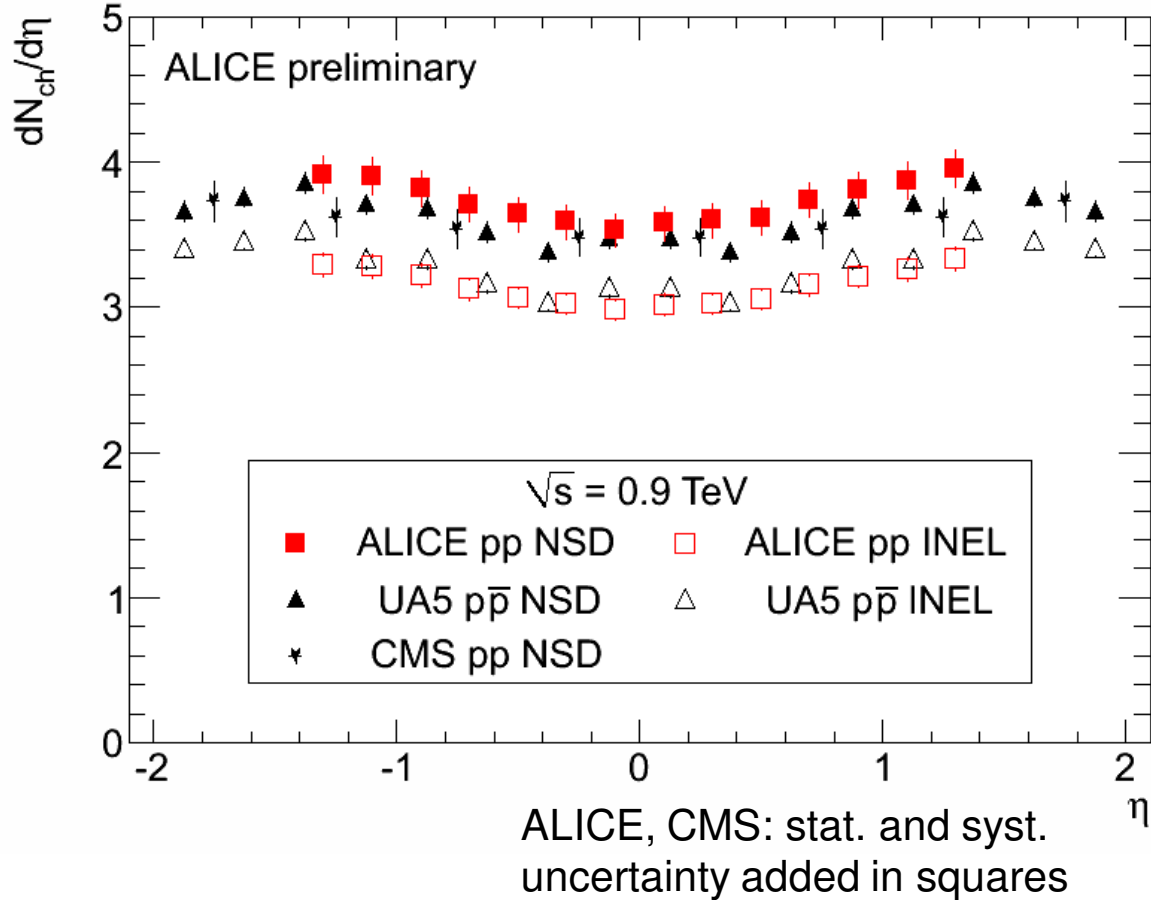


European Physical Journal C: Volume 65, Issue 1 (2010), Page 111



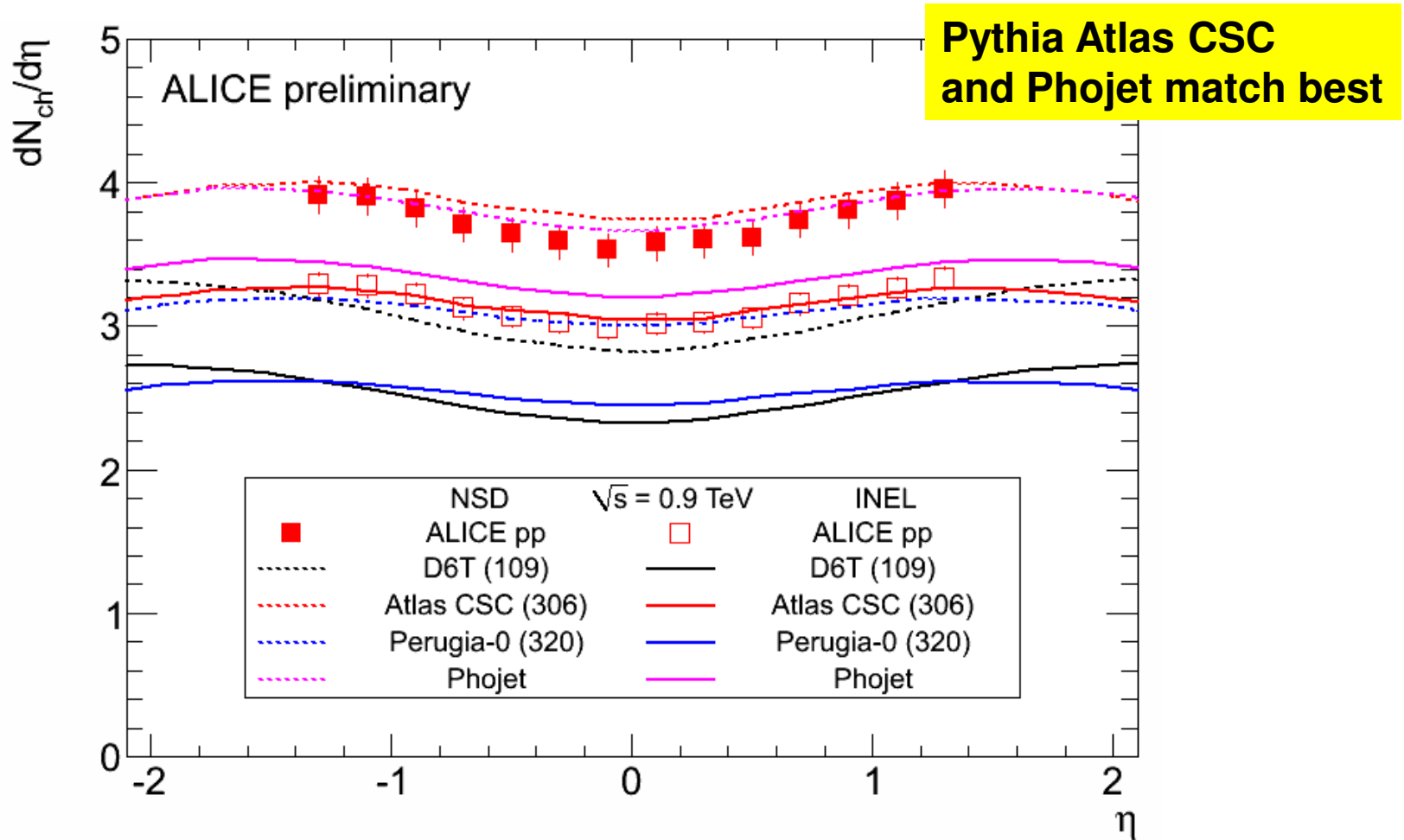
$$dN_{ch}/d\eta$$

- 900 GeV
- High-statistics measurement (90k events)
- Different triggers for NSD and INEL



	INEL	NSD
ALICE preliminary	$3.02 \pm 0.01 \pm 0.07$	$3.58 \pm 0.01 \pm 0.11$
ALICE published	$3.10 \pm 0.13 \pm 0.22$	$3.51 \pm 0.15 \pm 0.25$
UA5 Z. Phys. C33 1 (1986)	$3.09 \pm 0.05 \pm ?$	$3.43 \pm 0.05 \pm ?$
CMS JHEP 02 (2010) 041		$3.48 \pm 0.02 \pm 0.13$

Comparison to MC

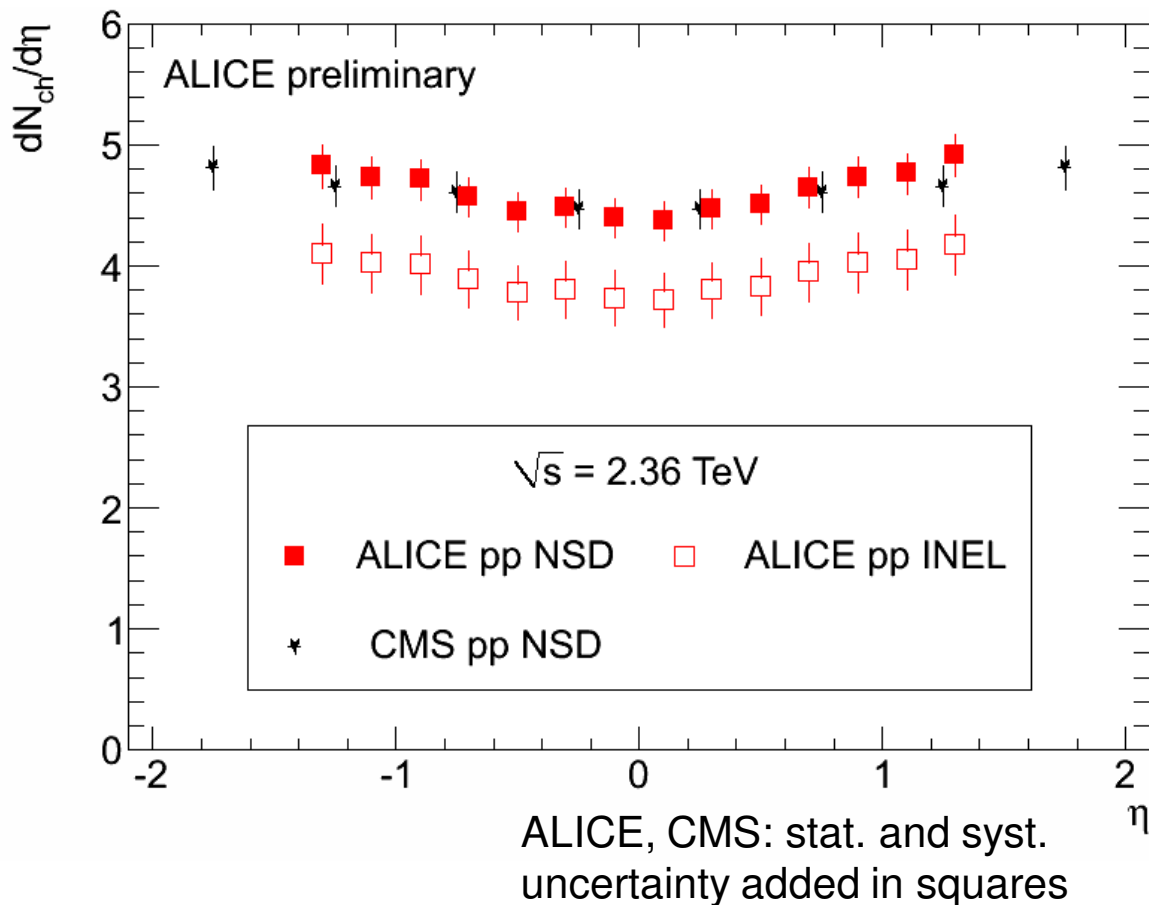


D6T/Atlas: Pythia 6.4.14 - Perugia-0: Pythia 6.4.21 - Phojet 1.12 with Pythia 6.2.14



$$dN_{ch}/d\eta$$

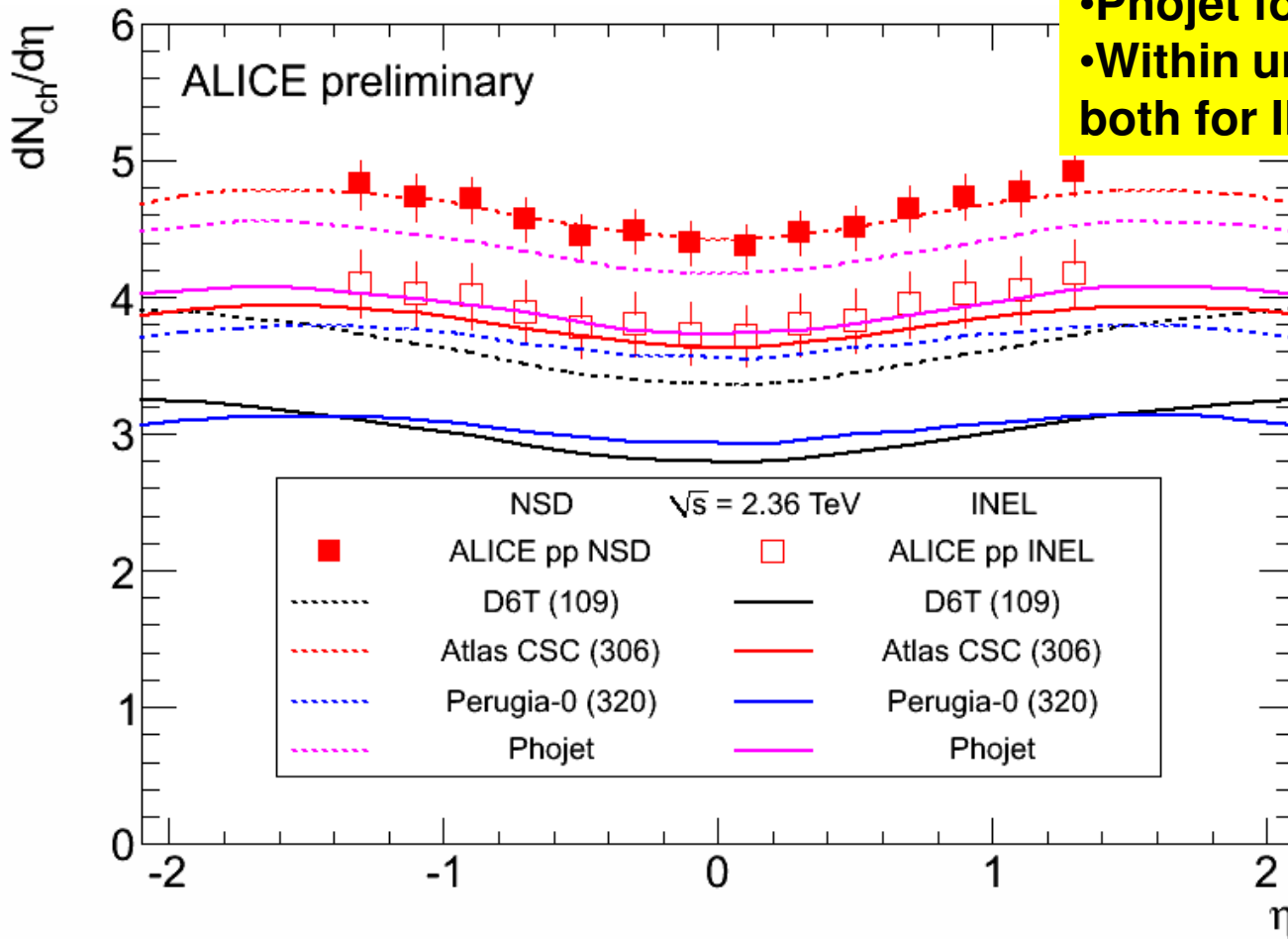
- 2.36 TeV
- 41k events
- Same trigger for INEL/NSD
- 0 bin correction from MC
 - Larger syst. uncertainty



	INEL	NSD
ALICE preliminary	$3.77 \pm 0.01 \pm 0.23$	$4.44 \pm 0.01 \pm 0.16$
CMS JHEP 02 (2010) 041		$4.47 \pm 0.04 \pm 0.16$

Comparison to MC

- Pythia Atlas CSC for NSD
- Phojet for INEL
- Within uncertainties both for INEL/NSD



D6T/Atlas: Pythia 6.4.14 - Perugia-0: Pythia 6.4.21 - Phojet 1.12 with Pythia 6.2.14

Increase from 0.9 to 2.36 TeV

- $dN_{ch}/d\eta$ in $|\eta| < 0.5$

Larger increase of multiplicity at mid-rapidity as in MC generators

in %	INEL	NSD
ALICE preliminary*	$24.8 \pm 0.5 \pm 7.6$	$24.0 \pm 0.5 \pm 4.5$
CMS JHEP 02 (2010) 041		$28.4 \pm 1.4 \pm 2.6$
Pythia D6T (109)	19.7	18.7
Pythia ATLAS CSC (306)	19.2	18.3
Pythia Perugia-0 (320)	19.6	18.5
Phojet	17.5	14.5

Stat. uncertainty on MC values < 0.1%

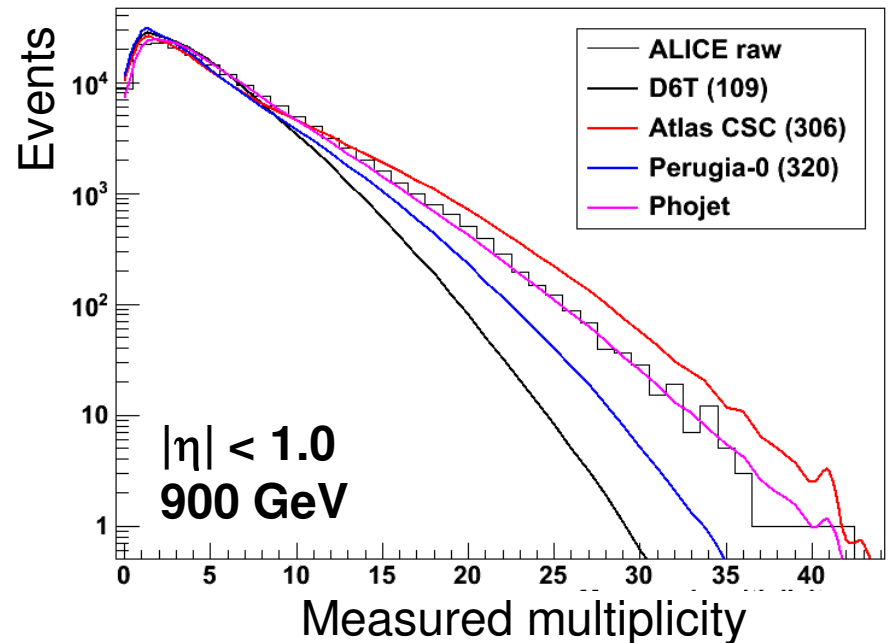
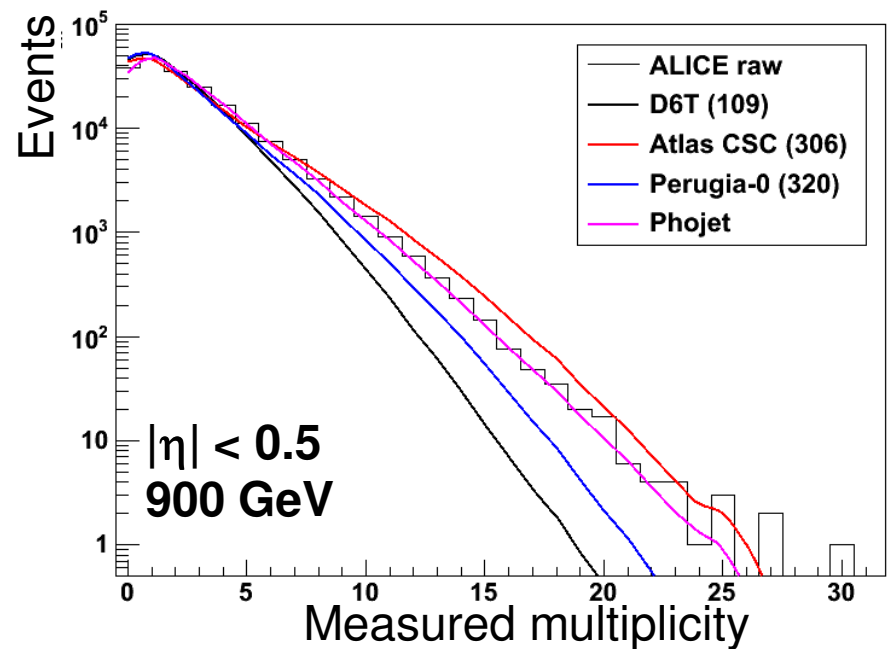
* systematic uncertainty overestimated (correlations not taken into account, yet)



Multiplicity Distributions

- 900 GeV
- Work in progress
- RAW spectra
- MCs propagated through detector response

Phojet remarkably close to data

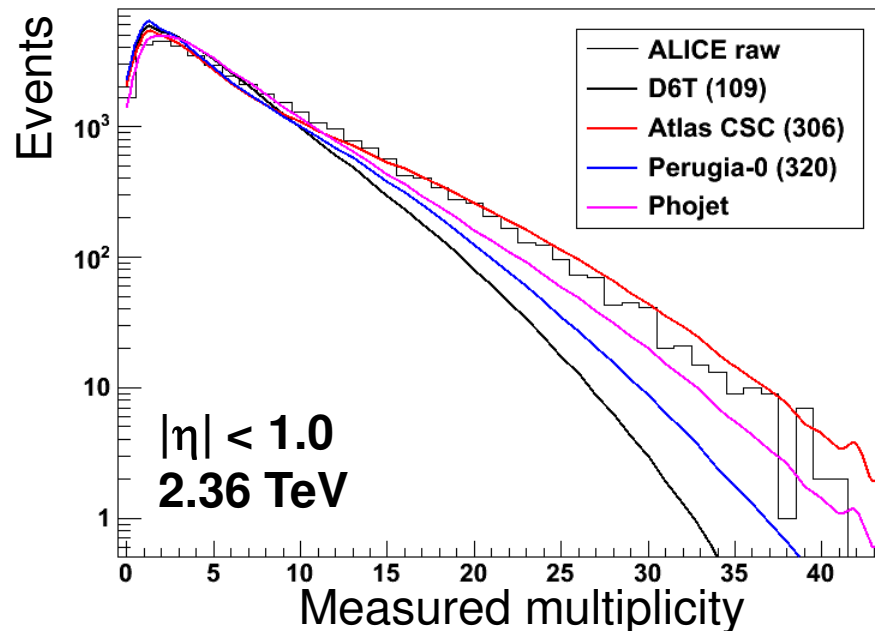
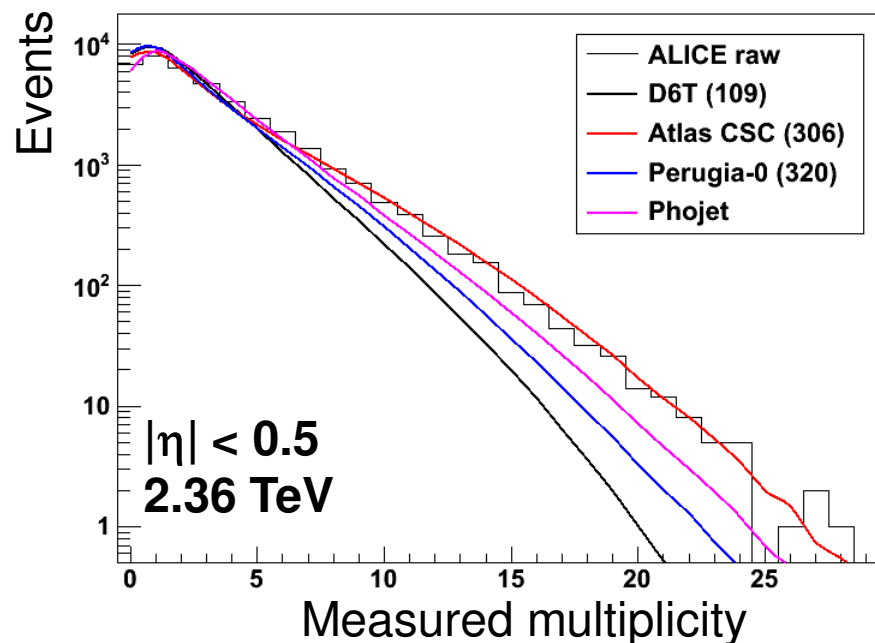




Multiplicity Distributions

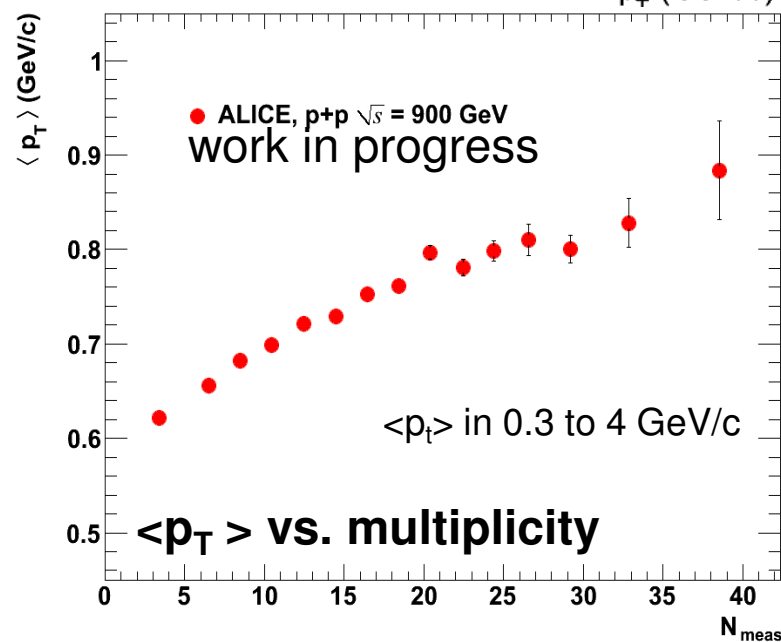
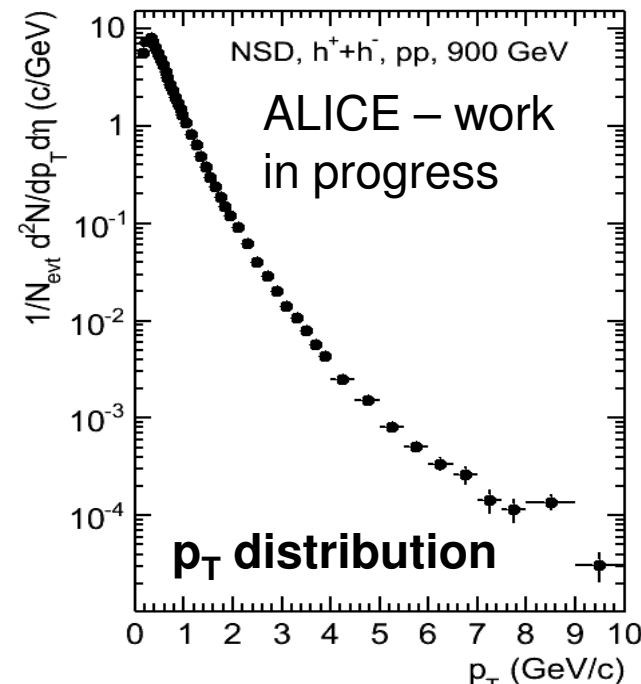
- 2.36 TeV
- Work in progress
- RAW spectra
- MCs propagated through detector response

Tail grows faster than expected



Other Ongoing Analysis Effort

- Charged particle pseudorapidity density + multiplicity distribution (0.9 + 2.36 TeV)
- Charged particle p_T
- Identified particles p_T (π , K , p)
- Strangeness production (K^0 , Λ , Ξ , Φ)
- Baryon-antibaryon asymmetry
- Bose-Einstein correlations
- π^0 spectra
- Event structure
- Azimuthal correlations
- η - ϕ correlations





Summary

- Data from LHC at 0.9 and 2.36 TeV leads to a rich set of analyses and MB results
- First MB results presented
 - Treatment of diffraction is time-consuming and partly ambiguous
 - We can challenge the MCs already at 2.36 TeV
 - Other comparison plots for this WG to be produced when analyses are in final stage

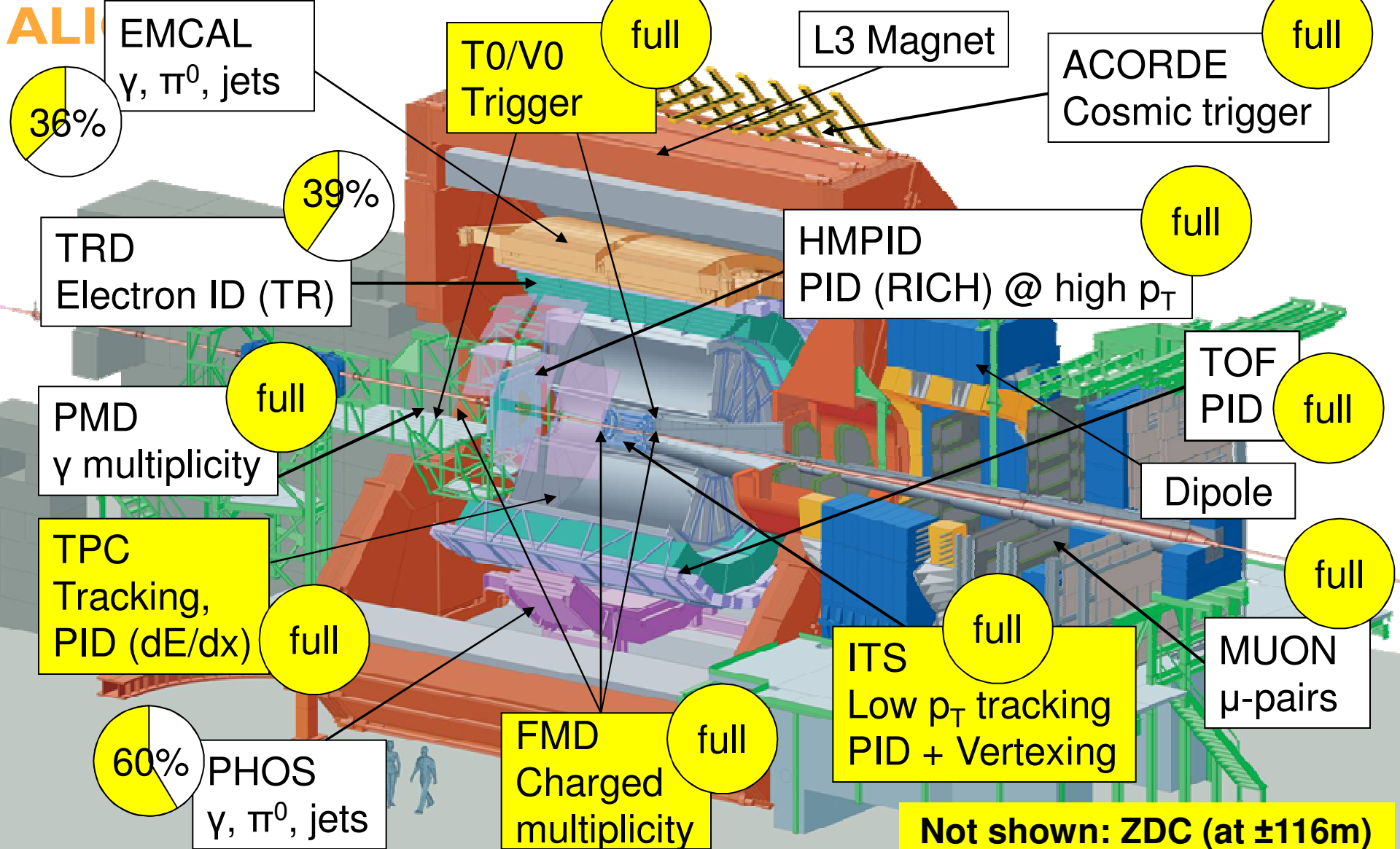
**Credits for help with preparing this talk:
Sparsh Navin, Martin Poghosyan, Andreas Morsch, Michele Floris**



Backup

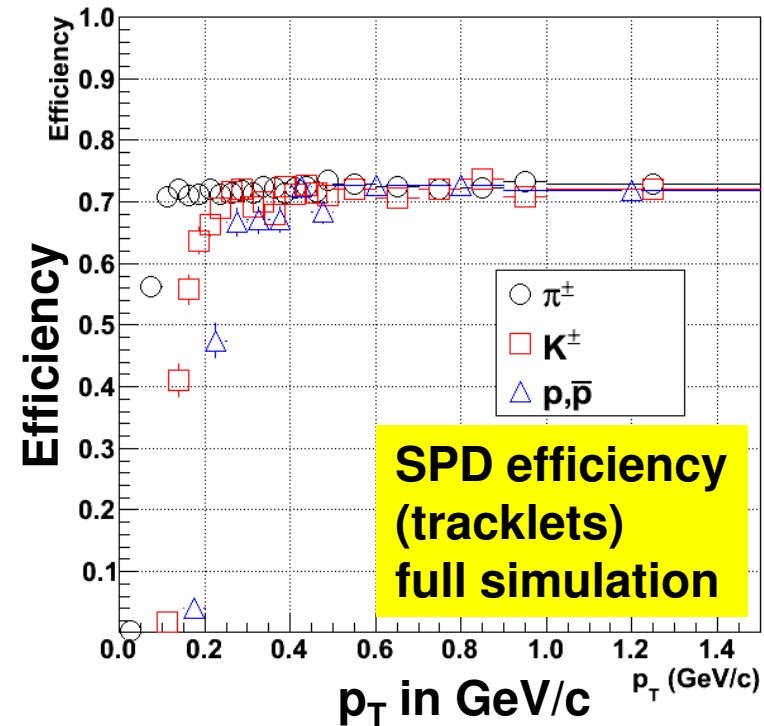
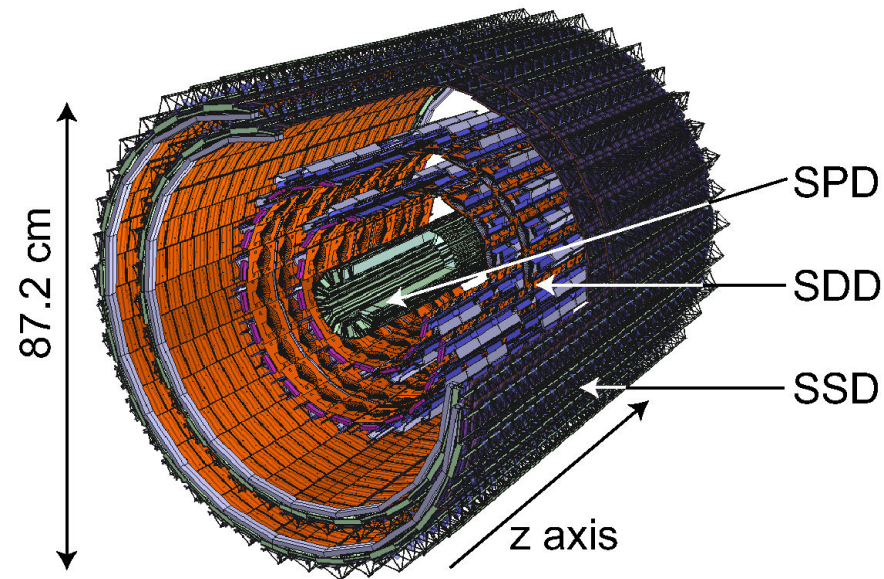


A Large Ion Collider Experiment



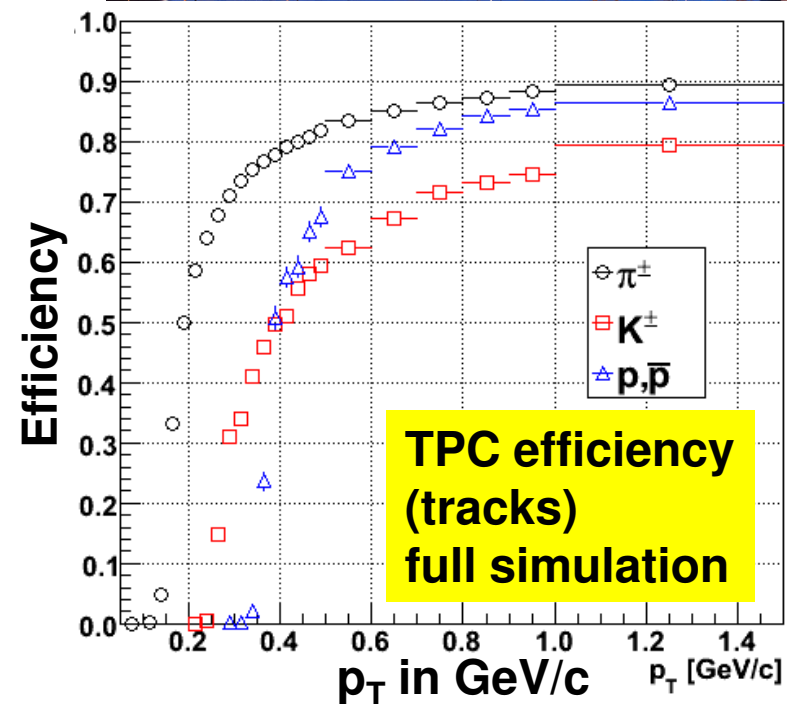
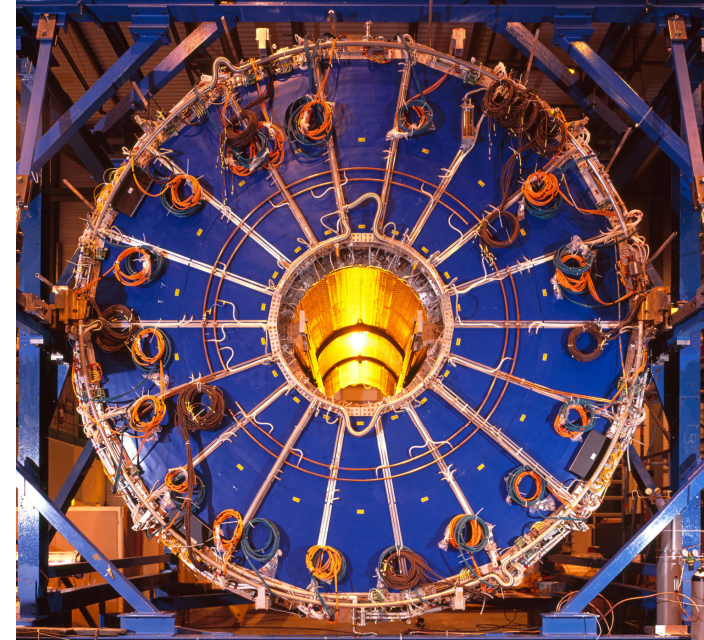
Silicon Pixel Detector (SPD)

- Two innermost layers of the Inner Tracking System (ITS)
- Radii of 3.9/7.6 cm ($|\eta| < 2.0/1.4$)
- 9.8 M channels
- MB trigger (Fast OR) + High-multiplicity trigger
- Tracklet: 2 points + vertex
- Very efficient down to $p_T \sim 30$ MeV/c
- Nominal efficiency 99%
 - but $\sim 12\%$ need hardware fixes



Time Projection Chamber (TPC)

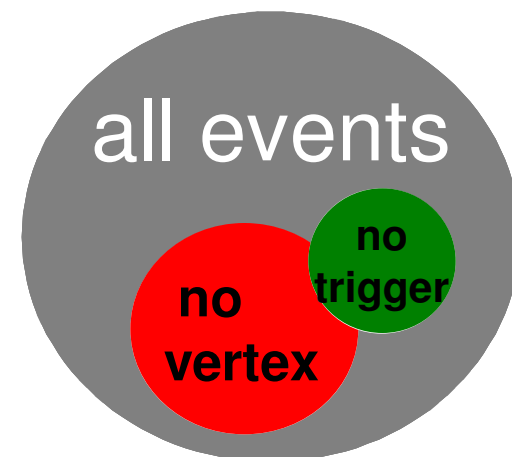
- Largest TPC in the world (90 m³)
- 0.85 m < r < 2.5 m
- $|\eta| < 0.9$ (1.5)
- 560 K channels, up to 160 clusters per track
- Tracking & PID
- Laser system for calibration and alignment



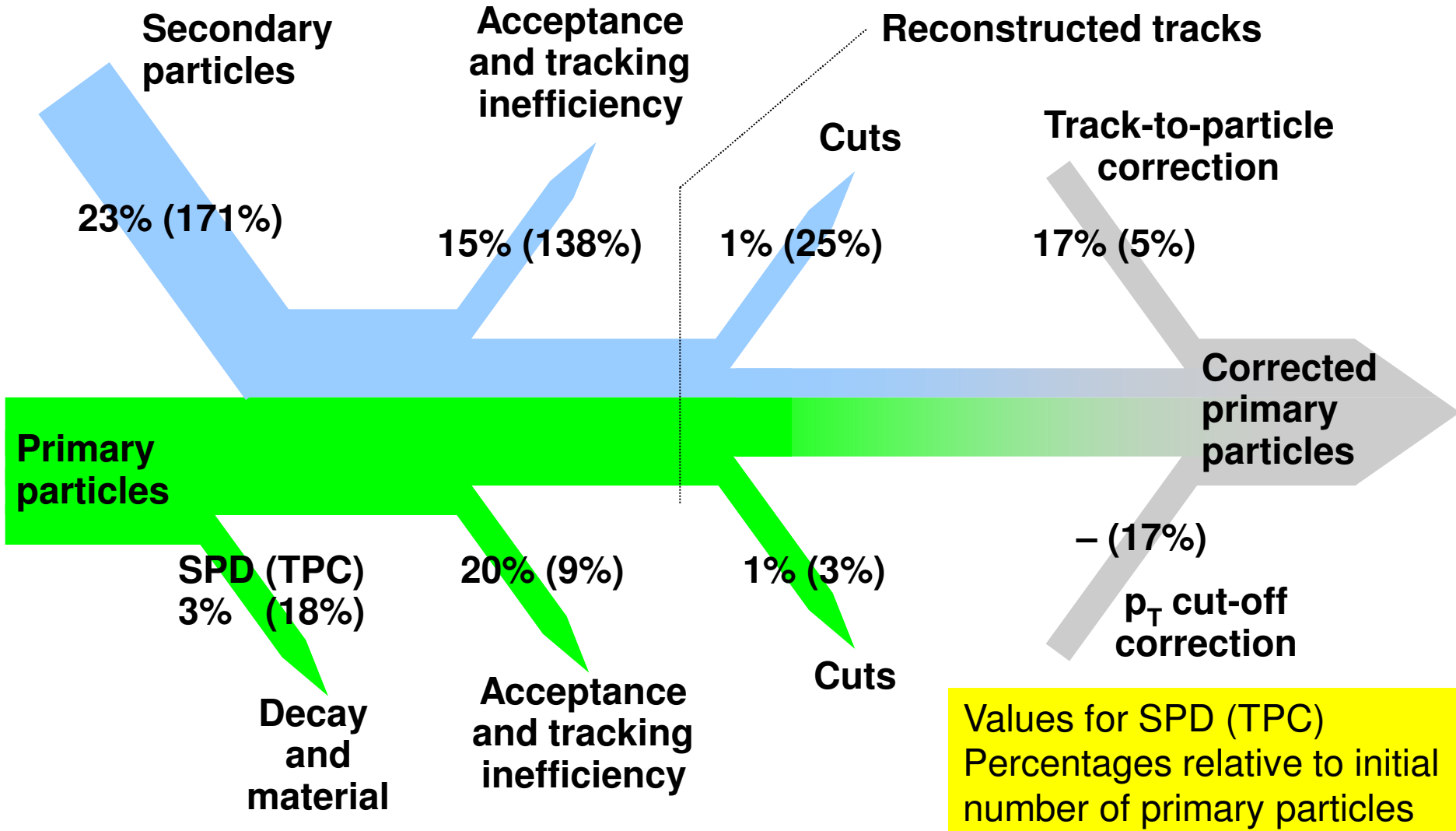
$dN_{ch}/d\eta$ Measurement

- Basically $\frac{dN_{ch}}{d\eta} = \frac{\text{Tracks}}{\text{Events}}$ if the detector was perfect
- But... there is
 - Detector acceptance, tracking efficiency
 - Decay, energy loss, stopping
 - Vertex reconstruction efficiency/bias, trigger efficiency/bias
 - Low momentum cut-off
- Three corrections needed
 - Track-to-particle correction
 - p_T cut-off (only TPC)
 - Vertex reconstruction correction
 - Trigger bias correction

Primary Particles = charged particles produced in the collision and their decay products excluding weak decays from strange particles

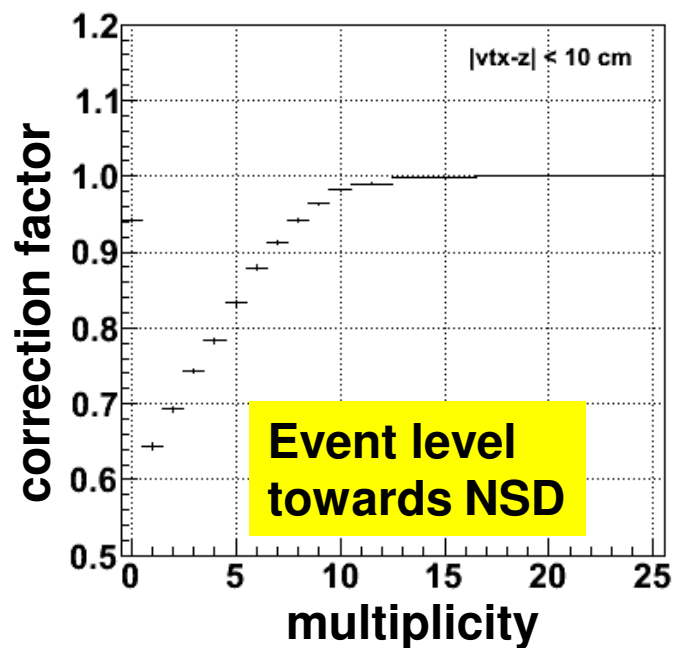
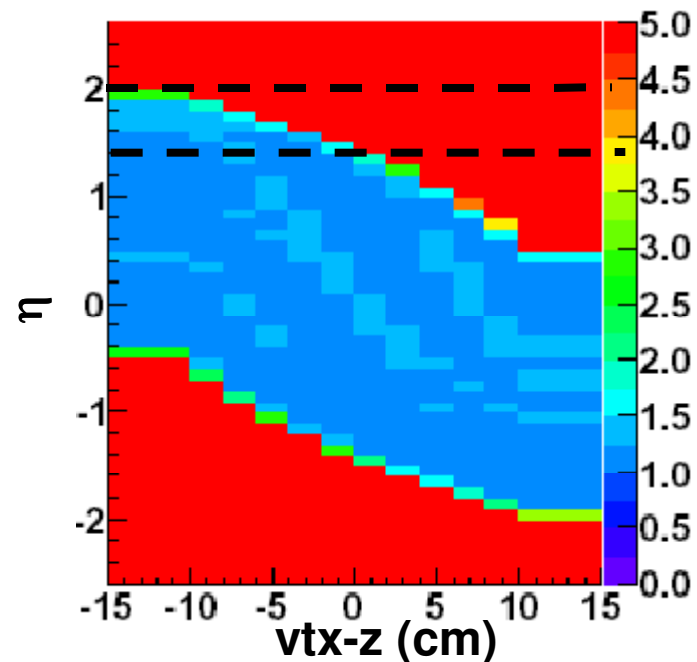


Correction on Track Level



Corrections

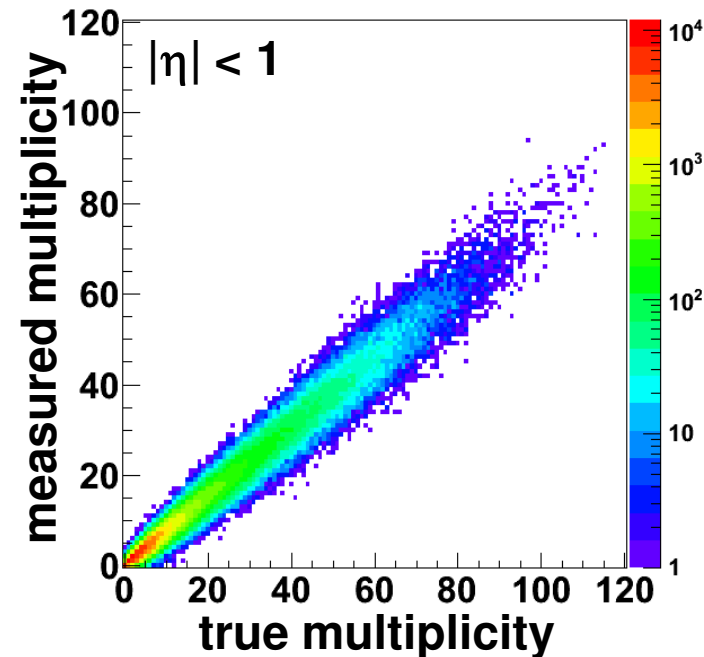
- Track-to-particle correction
 - Acceptance of the SPD clearly visible
 - Average factor ~ 1.3 (central region)
 - Function of η , z-position of event vertex (vtx-z)
- Trigger-bias correction
 - Corrects towards
 - Inelastic events
 - NSD events
 - Event and track level
 - Function of multiplicity, vtx-z



Multiplicity Measurement

$$P(N_{\text{ch}}) = \frac{\text{Events with multiplicity } N_{\text{ch}}}{\text{All events}}$$

- Efficiency, acceptance
 - Resolution vs. bin size \rightarrow bin flow
 - Correction by unfolding
- Detector response $M = RT$
 - Probability that a collision with the true multiplicity t is measured as an event with the multiplicity m
- Vertex reconstruction, trigger bias correction
 - Like for $dN_{\text{ch}}/d\eta$, but in unfolded variables (true multiplicity) because it is applied after unfolding

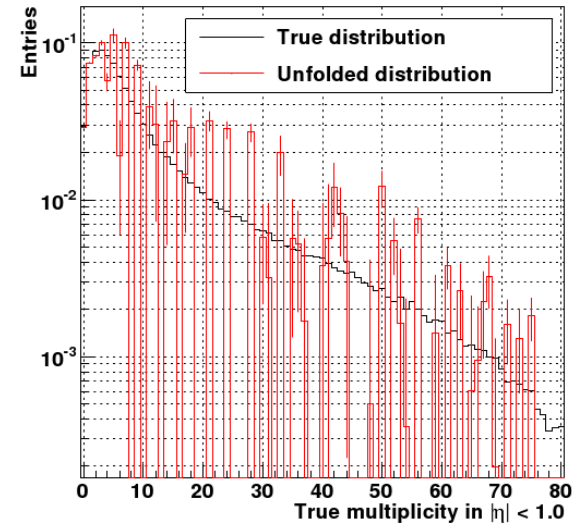
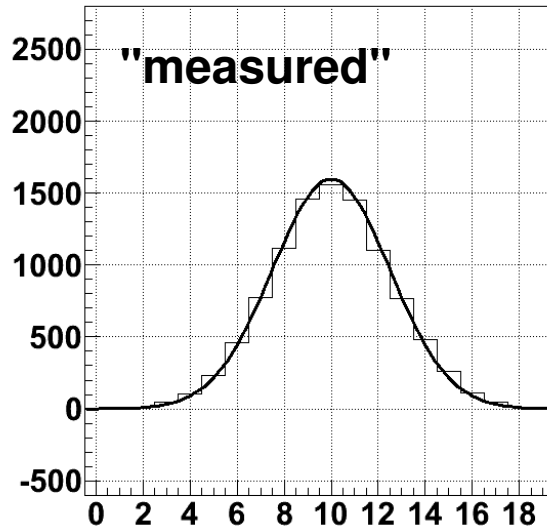


Challenges with Unfolding

- Example with a simple quadratic response matrix R
- True distribution (Gaussian is assumed) converted to measured distribution using R
- 10,000 measurements generated
- R is inverted and used to infer the 'true' distribution
→ large statistical fluctuations

$$\begin{pmatrix} 0.75 & 0.25 & 0 & \dots \\ 0.25 & 0.50 & 0.25 & \dots \\ 0 & 0.25 & 0.50 & \dots \\ \vdots & & & \ddots \end{pmatrix}$$

$$T = R^{-1}M$$



Unfolding using χ^2 -Minimization

$$\chi^2(\mathbf{U}) = \sum_m \left(\frac{M_m - \sum_t R_{mt} U_t}{e_m} \right)^2 + \beta R(\mathbf{U})$$

- One free parameters per bin for unfolded spectrum U_t
- Regularization
 - Prefer constant
 - Least curvature
 - Reduced cross-entropy (MRX) (optional: a-priori distribution ε) (Nucl.Instrum.Meth. A340:400-412,1994)

Regularizations

$$R(\mathbf{U}) = \sum_t (a_t)^2$$

$$a_t = \frac{U_t'}{\sqrt{U_t}} = \frac{U_t - U_{t-1}}{\sqrt{U_t}}$$

$$a_t = \frac{U_t''}{\sqrt{U_t}} = \frac{U_{t-1} + 2U_t - U_{t+1}}{\sqrt{U_t}}$$

$$R(\hat{\mathbf{U}} = \mathbf{U} / \sum_t U_t) = \sum_t \hat{U}_t \ln \frac{\hat{U}_t}{\varepsilon_t}$$

Unfolding using Bayesian Method

Bayesian method (based on Bayes' theorem)

(e.g. Nucl.Instrum.Meth.A362:487-498,1995)

$$\tilde{R}_{tm} = \frac{R_{mt} P_t}{\sum_{t'} R_{mt'} P_{t'}}$$

$$U_t = \sum_m \tilde{R}_{tm} M_m$$

$$\hat{U}_t = (1 - \alpha) U_t + \frac{\alpha}{3} (U_{t-1} + U_t + U_{t+1}) \quad (\text{optional})$$

R_{mt} **Response matrix**

\tilde{R}_{tm} **Smearing matrix**

P_t **Prior distribution (guess)**

M_m **Measured distribution**

U_t **Unfolded distribution**

α **Weight parameter**

Iterative method:

1. Choose prior distribution P_t
2. Calculate $\tilde{R}_{tm}, U_t, \hat{U}_t$
3. Replace P_t by \hat{U}_t ; go to 2.

Limited number of iterations provides implicit regularization (V. Blobel, hep-ex/0208022)