LXX International conference "NUCLEUS –2020. Nuclear physics and elementary particle physics. Nuclear physics technologies"

Contribution ID: 20

Type: Poster report

## Influence of relativistic nucleon dynamics on the scalar quark condensate in nuclear matter

Wednesday, 14 October 2020 18:50 (20 minutes)

The scalar quark condensate  $\kappa(\rho) = \langle M | \sum_i \bar{q}_i q_i | M \rangle$  in nuclear matter can be presented as  $\kappa(\rho) = \kappa(0) + \kappa_N \rho + S(\rho)$  with  $\langle M |$  the ground state of the matter while q are the operators of the light quarks u and d. Here  $\rho$  is the density of the matters,  $\kappa(0)$  is the vacuum value of the condensate. In the second term on the right hand side the matrix element  $\kappa_N$  is  $\kappa_N = \langle N | \sum_i \bar{q}_i q_i | N \rangle$  with  $\langle N |$  standing for the free nucleon at rest. This matrix element can be expressed in terms of the nucleon sigma term  $\sigma_N$  related to observables. The various experiments provide the values between 40 MeV and 65 MeV for  $\sigma_N$ . The first two terms in definition of  $\kappa(\rho)$  compose the gas approximation.

The contribution  $S(\rho)$  describes the change of  $\kappa(\rho)$  caused by the nucleon interactions. It was demonstrated that  $S(\rho)$  is due mostly to the pion cloud created by interacting nucleons (see [1] for references). In the latter calculations  $S(\rho)$  was obtained employing the nonrelativistic approximation for nucleons of the matter (curve 1 in Fig.1). The latest results obtained in framework of chiral perturbation theory [2] are shown by the curve 2.

In the present report the matter is viewed as a relativistic system of nucleons. In the first step we neglect their interactions. We find that the quark condensate can be presented as  $\kappa(\rho) = \kappa(0) + \kappa_N \rho F(\rho, m^*(\rho))$  with  $F(\rho, m^*(\rho)) = 2/(\pi^2 \rho) \int_0^{p_F} dp \, p^2 \, m^* / \sqrt{m^{*2} + p^2}$ . Here  $p_F$  is the Fermi momentum,  $m^*$  is the nucleon Dirac effective mass. Note that the same function  $F(\rho, m^*(\rho))$  connects the vector and scalar densities in the Walecka model.

The effective mass  $m^*$  can be calculated in a hadron model. In the version of QCD sum rules presented in [3] the right hand side of the scalar channel equation contains the effective mass  $m^*(\rho)$  while the left hand side contains the scalar condensate  $\kappa(\rho, m^*(\rho))$ . Thus we come to self-consistent equation for  $m^*(\rho)$  which was solved in [3]. Here we employ these results for calculation of  $\kappa(\rho)$  (curve 3 in Fig.1). One can see that inclusion of the relativistic dynamics of nucleons is as important as that of nucleon interactions.

References:

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[3] E.G.Drukarev, M.G.Ryskin, V.A.Sadovnikova, Eur. Phys. J., v. A55, p.34(2019).

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Session Classification: Poster session 4 (part 2)

**Track Classification:** Section 4. Relativistic nuclear physics, elementary particle physics and highenergy physics.