

PHENIX Results on J/ψ Polarization in p+p Collisions

Alexandre Lebedev (ISU) for the PHENIX Collaboration



Charmonium production in p+p collisions

Measurements of heavy quark bound states provide a good way to explore QCD.

Energy scale of the heavy quark mass is larger than the hadronization scale

⇒ NRQCD techniques can be used to provide theoretical access to hadronization.

J/ψ , a $c\bar{c}$ bound state with spin = 1 is especially convenient.

- J/ψ decays to lepton pairs with high branching ratio.

- copiously produced.

Many J/ψ production models describe well general features, like p_T or rapidity distributions.

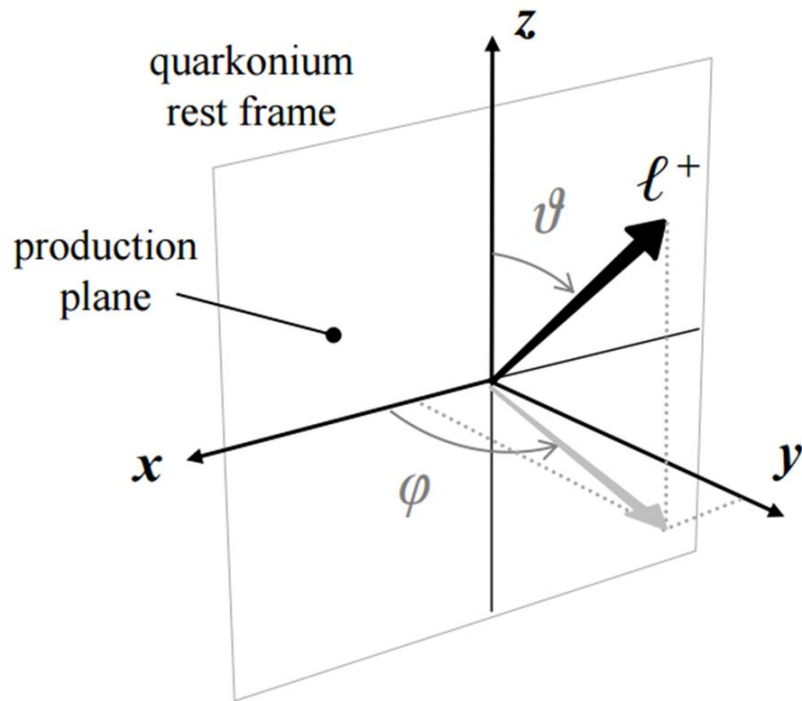
Describing finer details, like angular distribution (spin alignment) provide an additional handle on distinguishing production mechanisms.

Polarization introduction

We are looking at un-polarised p+p collisions.

“Polarization” is not a good choice of words. “Spin alignment” is better.

We are looking at angular distribution of a positively charged decay lepton relative to a “polarization axis” in quarkonium rest frame.



$$\frac{dN}{d \cos \vartheta d\varphi} \propto 1 + \lambda_{\vartheta} \cos^2 \vartheta + \lambda_{\vartheta\varphi} \sin 2\vartheta \cos \varphi + \lambda_{\varphi} \sin^2 \vartheta \cos 2\varphi$$

Often shortened to:

$$\frac{d\sigma}{d \cos \theta^*} = A(1 + \lambda \cos^2 \theta^*)$$

Different “polarization frames” can be used, depending on the goal of the study.

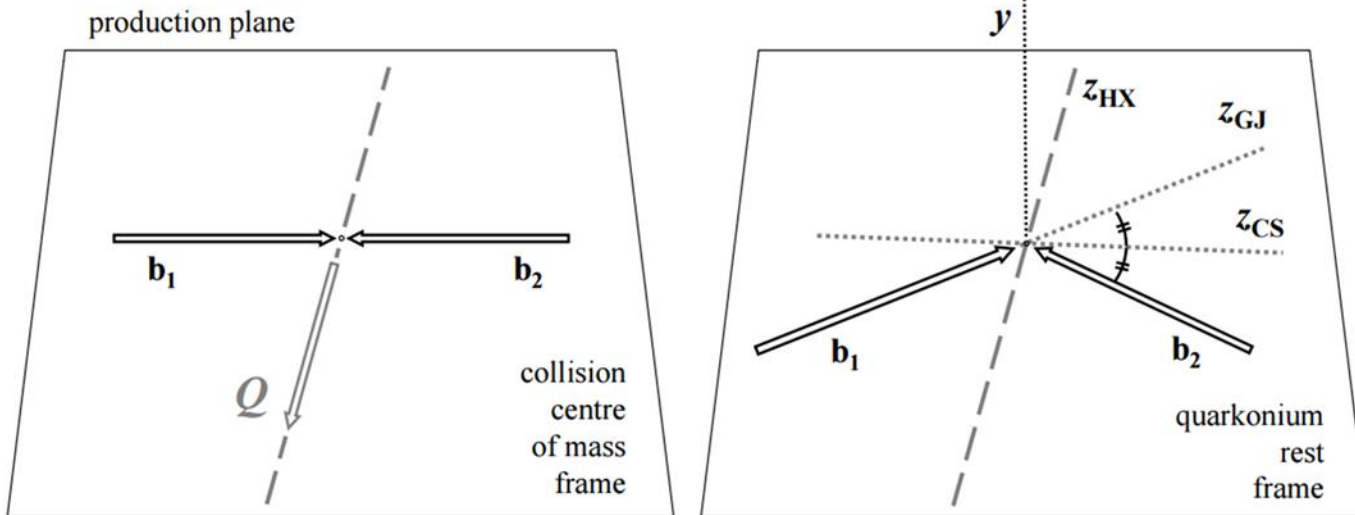
Polarization frames: choosing Z-axis

Helicity (HX): J/ψ momentum in lab frame, explores final state effects

Gottfried-Jackson (GJ): beam particle momentum, fixed target experiments.

Collins-Soper (CS): bisector of two colliding beams.

- *Note the difference between parton momentum used in theory and proton momentum used in experiment*
- *Inclusive vs. direct production is also an important consideration*



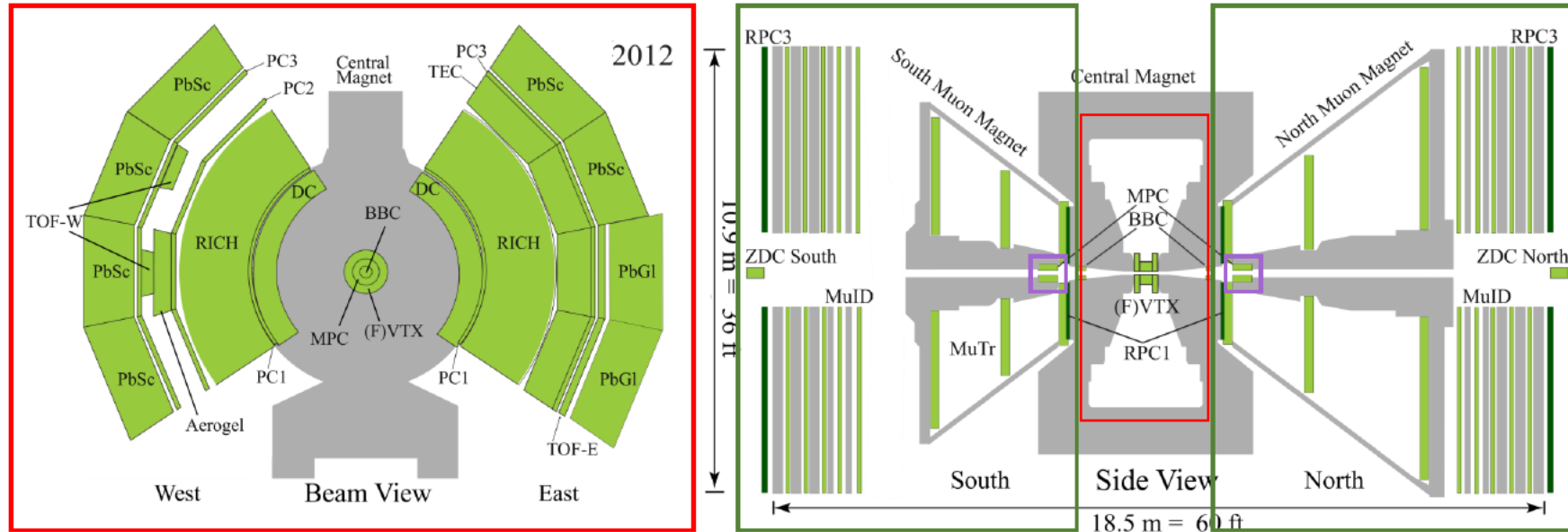
$$\frac{d\sigma}{d(\cos\vartheta)d\varphi} \propto 1 + \lambda_\theta \cos^2\vartheta + \lambda_{\theta\varphi} \sin(2\vartheta) \cos\varphi + \lambda_\phi \sin^2\vartheta \cos 2\varphi$$

Frame-invariant parameters

$$\tilde{\lambda} = \frac{\lambda_\theta + 3\lambda_\phi}{1 - \lambda_\phi}$$

$$F = \frac{1 + \lambda_\theta + 2\lambda_\phi}{3 - \lambda_\theta}$$

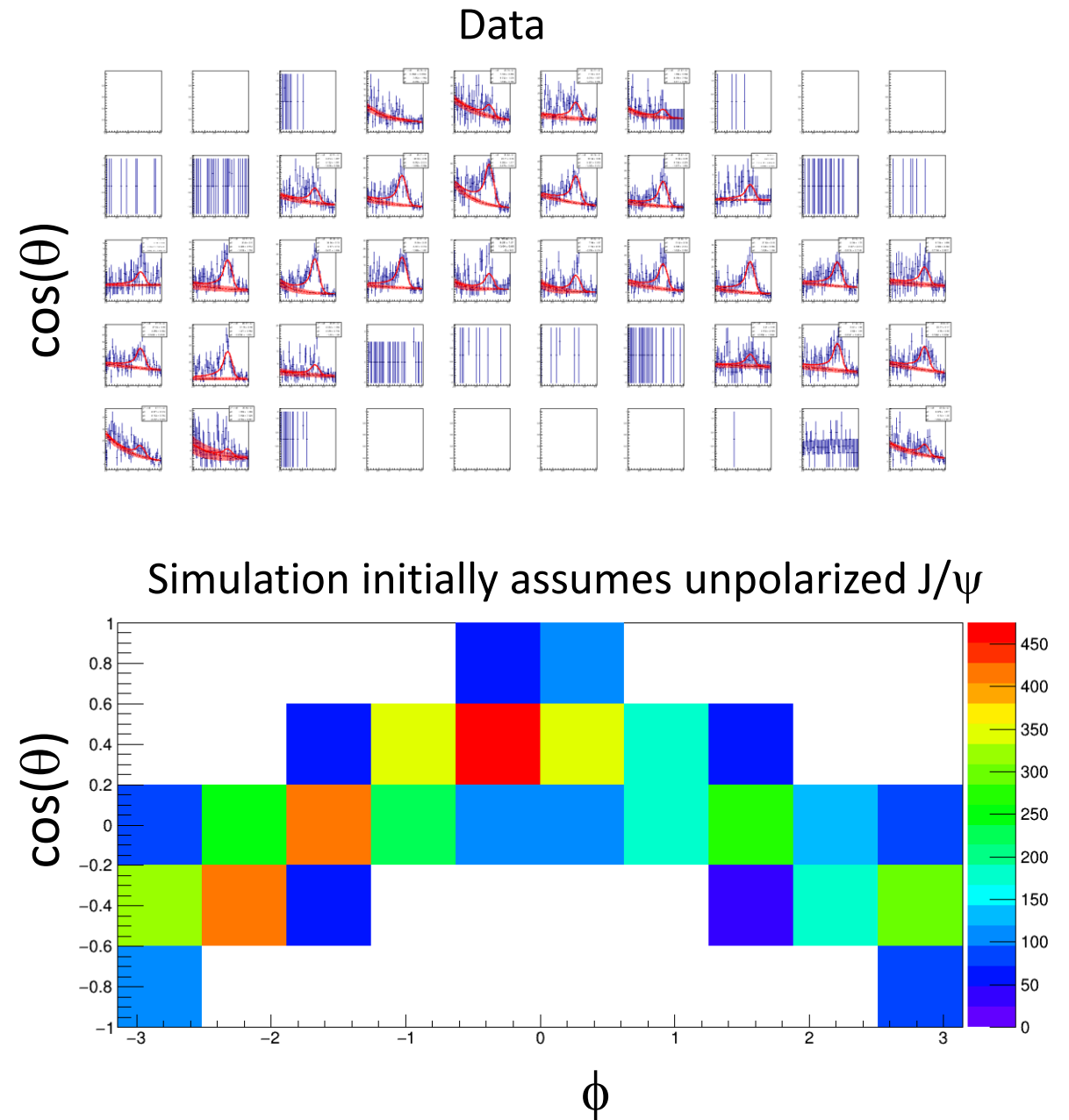
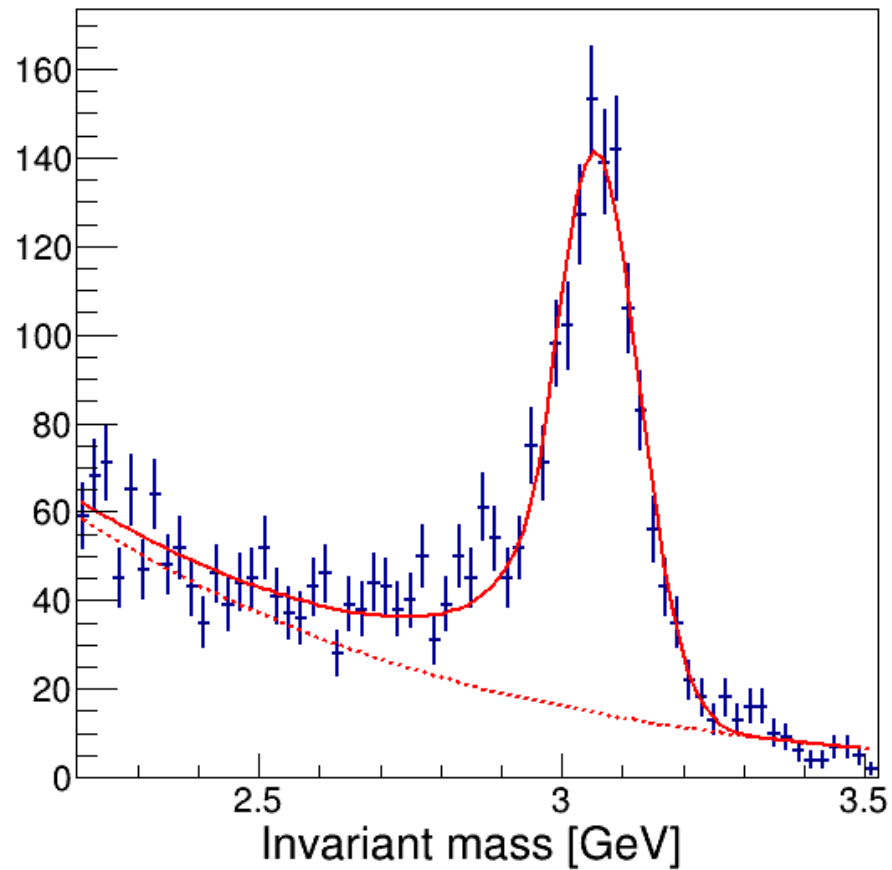
The PHENIX Detector



- **Central Arms** ($|\eta| < 0.35$, $\Delta\phi = \frac{\pi}{2} \times 2$)
 - VTX (Si pixel and strip, from 2011)
 - Tracking: DC, PC
 - pID: RICH, ToF
 - EMCal: PbGl, PbSc
- **Muon Arms** ($1.2 < |\eta| < 2.2$ (S) or 2.4 (N), $\Delta\phi = 2\pi$)
 - FVTX (Si strip, from 2012)
 - Tracking: MuTr (CS chambers)
 - pID: MuID (steel interleaved larocci tubes), RPCs
- **MPC/MPC-Ex** ($3.1 < |\eta| < 3.8$, $\Delta\phi = 2\pi$)
 - EMCal (PbWO_4) / Preshower by W + Si minipads

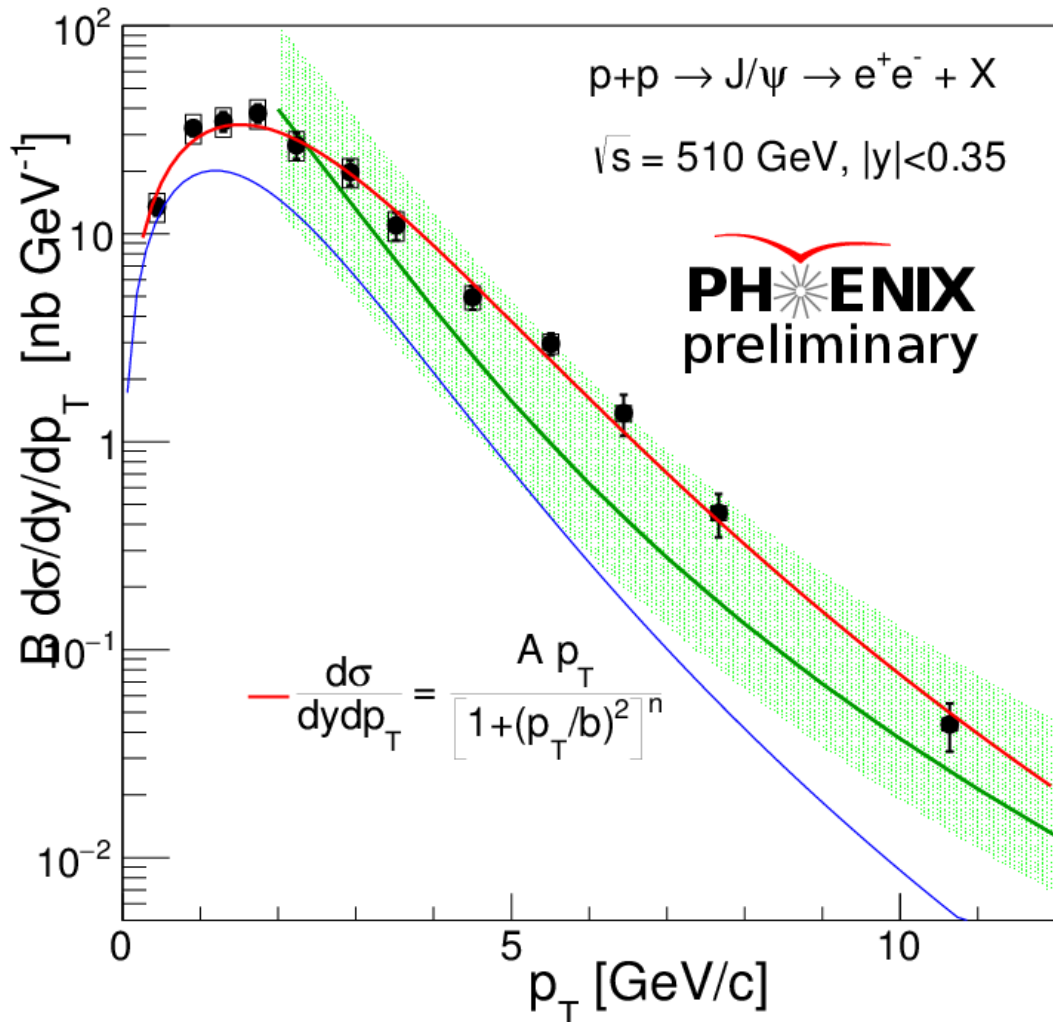
Analysis details

J/ψ are measured via invariant mass distribution of decay leptons.



J/ψ p_T distribution at mid-rapidity

$$A = 37.6; b = 4.33; n = 4.61$$



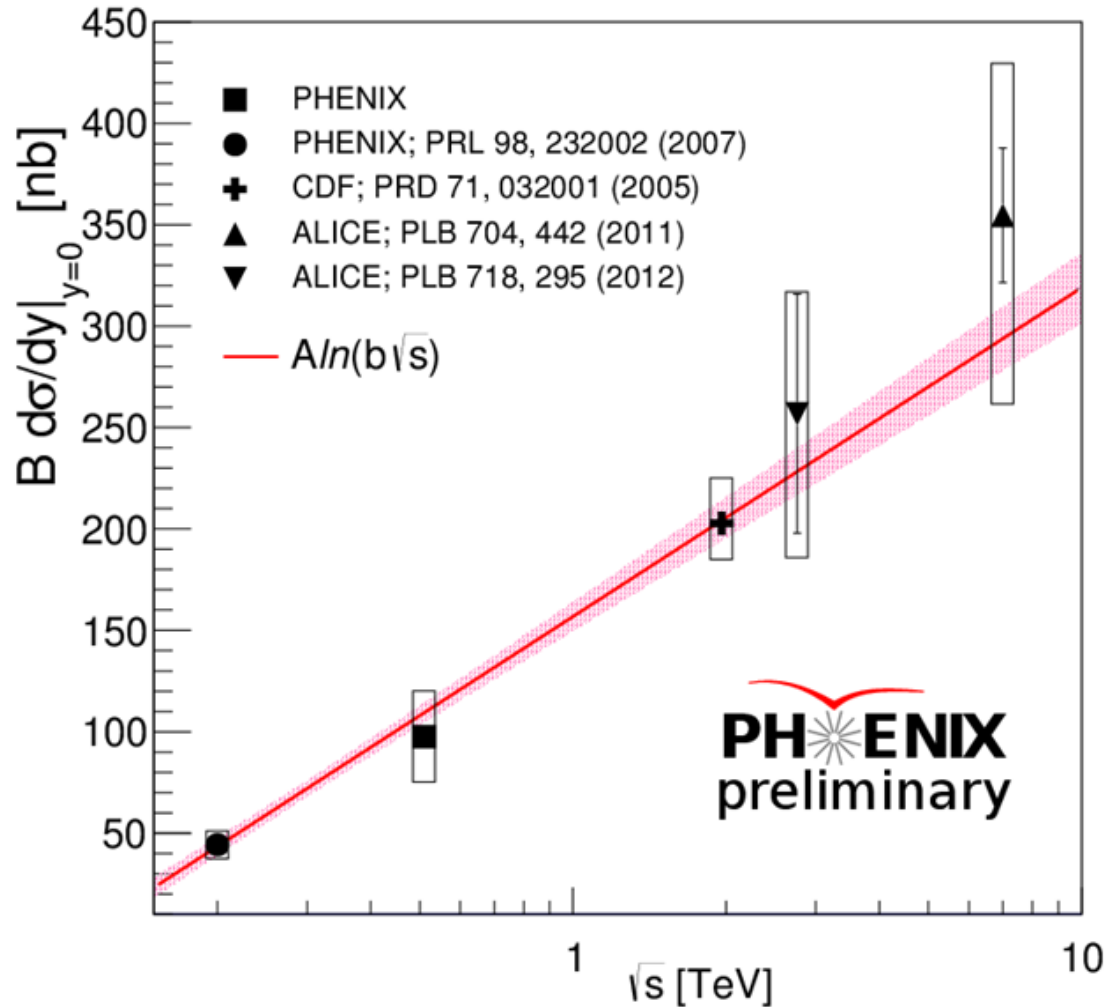
The shape of the J/ψ p_T distribution can strongly affect polarization acceptance due to limited PHENIX acceptance in ϕ

Blue: fit to J/ψ p_T distribution in p+p at 200 GeV (PHENIX, PRL 98, 232002 (2007))

Green: theory prediction based on full NRQCD at NLO with leading relativistic corrections including CS and CO states.

M. Butenschoen and B. A. Kniehl,
Mod. Phys. Lett. A 28, 1350027 (2013)
Phys. Rev. Lett, 108, 172002 (2012)

J/ψ cross-section vs. \sqrt{s} at mid-rapidity



$$B \frac{d\sigma}{dy}(y=0) = 97.6 \pm 3.6 \text{ (stat)} \pm 5.1 \text{ (sys)} \\ \pm 9.8 \text{ (global)} \\ \pm 19.5 \text{ (mult. coll.) nb}$$

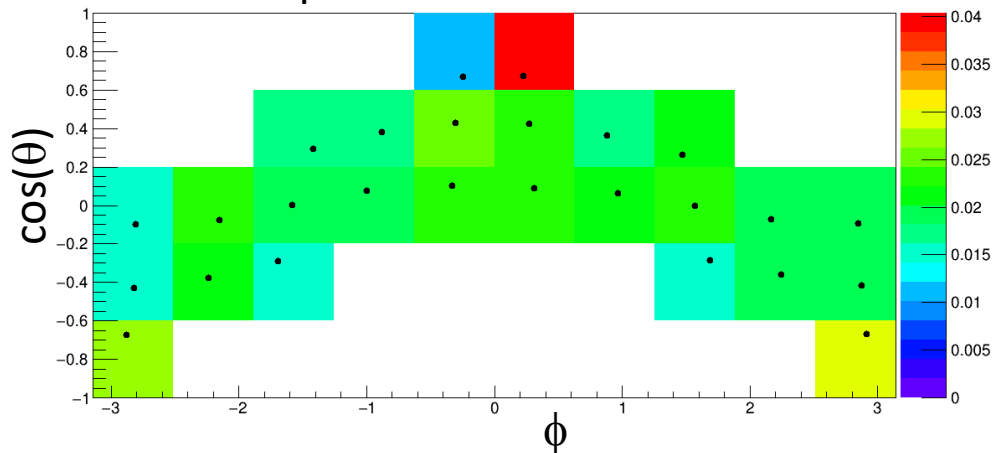
Simple log dependence allows to predict J/ψ yield at any \sqrt{s}

$$A = 70.4 \text{ nb}; b = 9.27 \text{ TeV}^{-1}$$

No cross-section at forward rapidity due to minimum J/ψ p_T

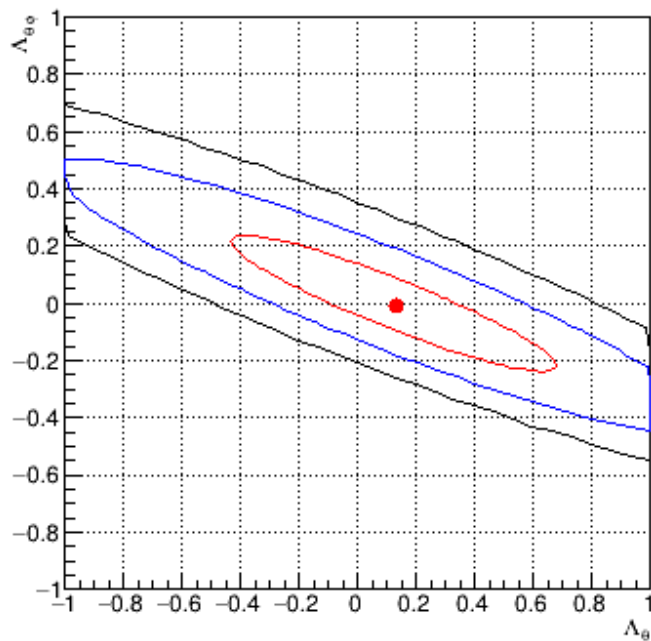
More analysis details

acceptance corrected distribution

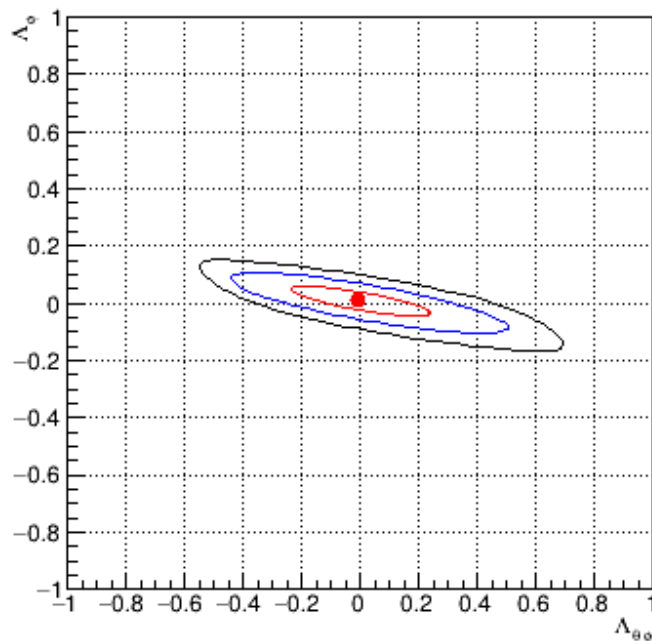


$$\frac{dN}{d \cos \vartheta d\varphi} \propto 1 + \lambda_{\vartheta} \cos^2 \vartheta + \lambda_{\vartheta\varphi} \sin 2\vartheta \cos \varphi + \lambda_{\varphi} \sin^2 \vartheta \cos 2\varphi$$

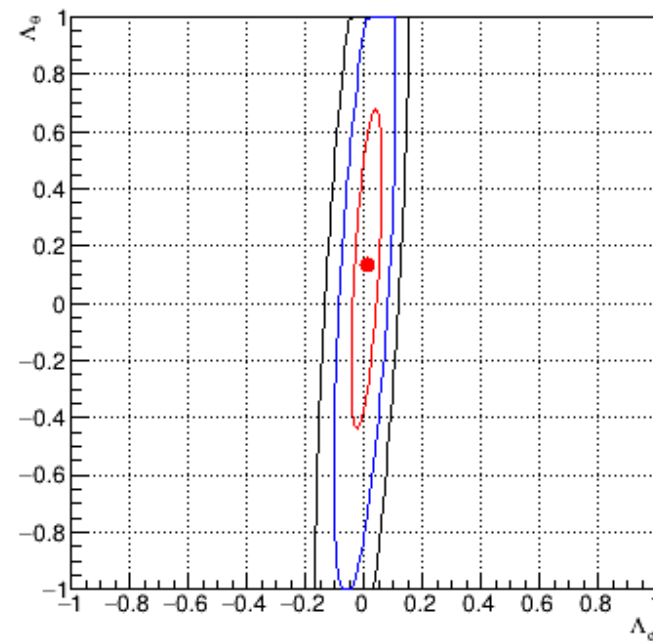
Fit contours for $\Lambda_{\theta\phi}$ vs Λ_{θ}



Fit contours for Λ_{ϕ} vs $\Lambda_{\theta\phi}$

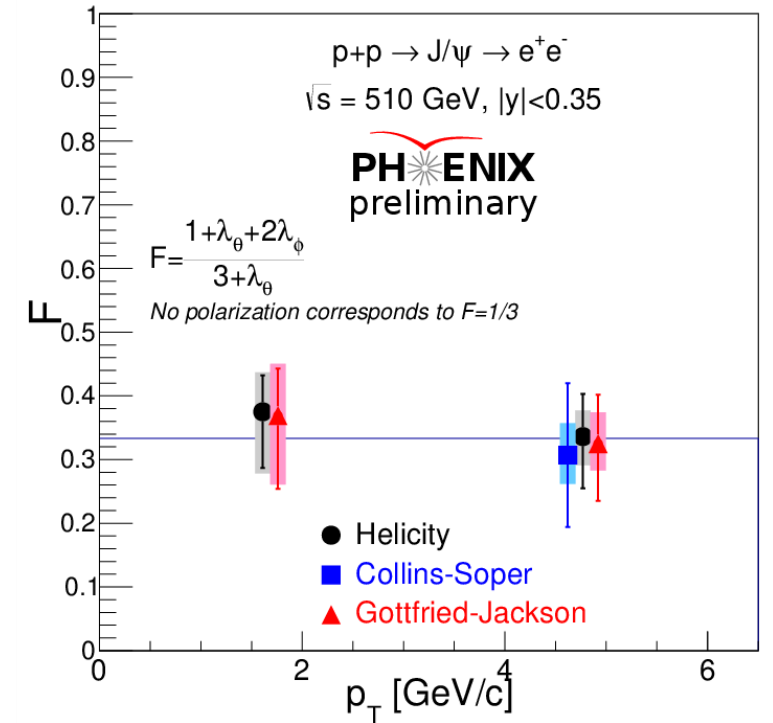
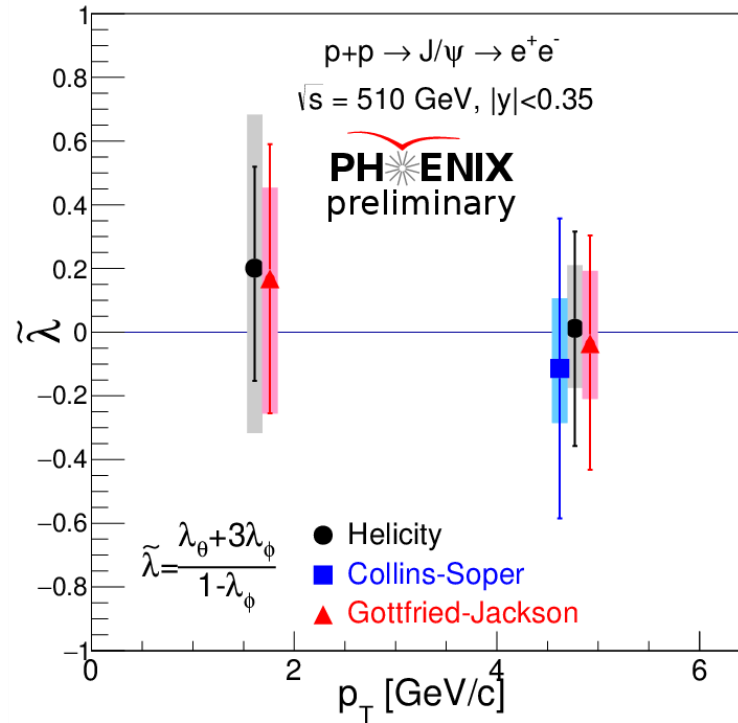
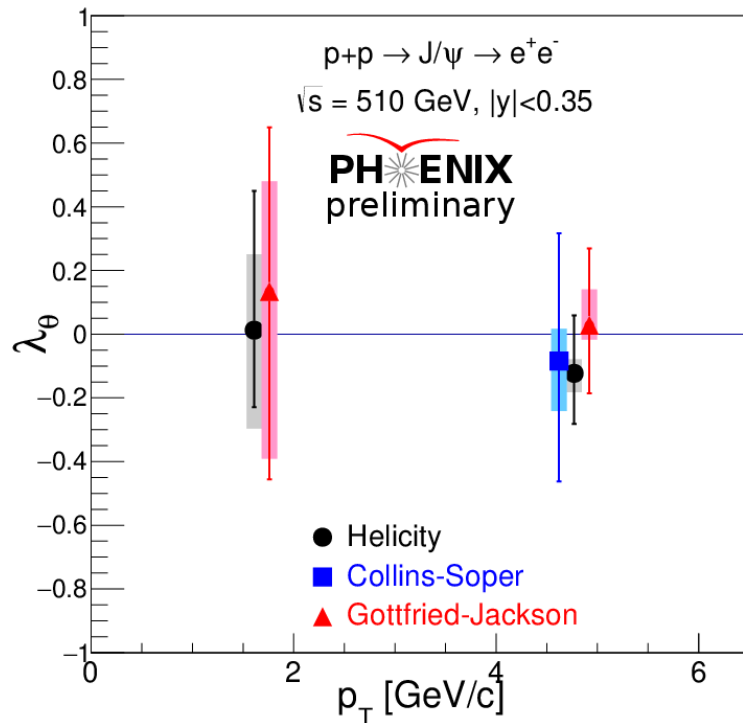


Fit contours for Λ_{θ} vs Λ_{ϕ}



Polarization vs. p_T at mid-rapidity.

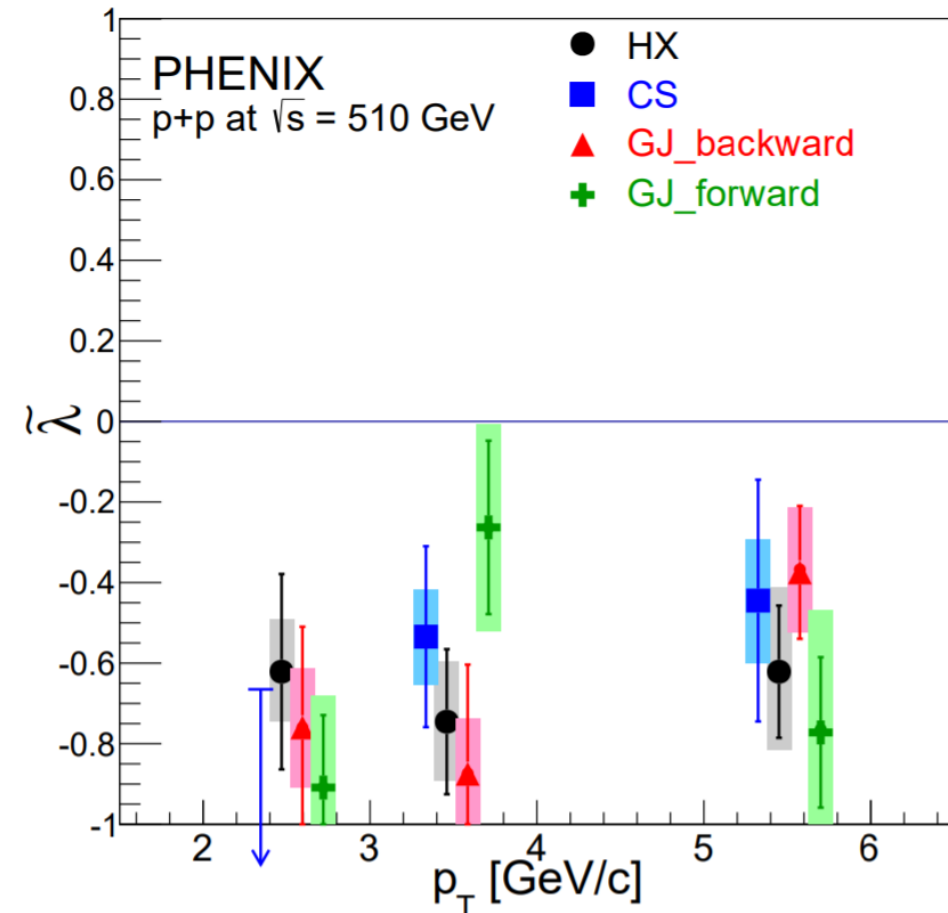
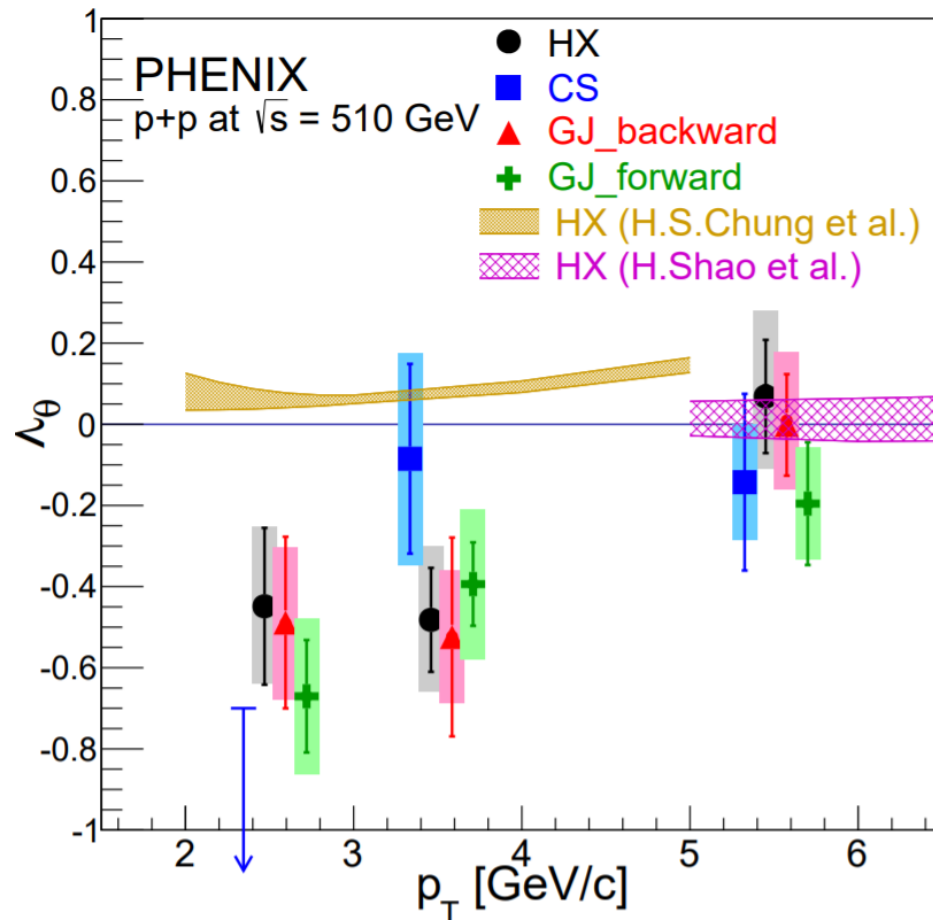
Consistent with no J/ψ polarization



Polarization vs. p_T at forward rapidity.

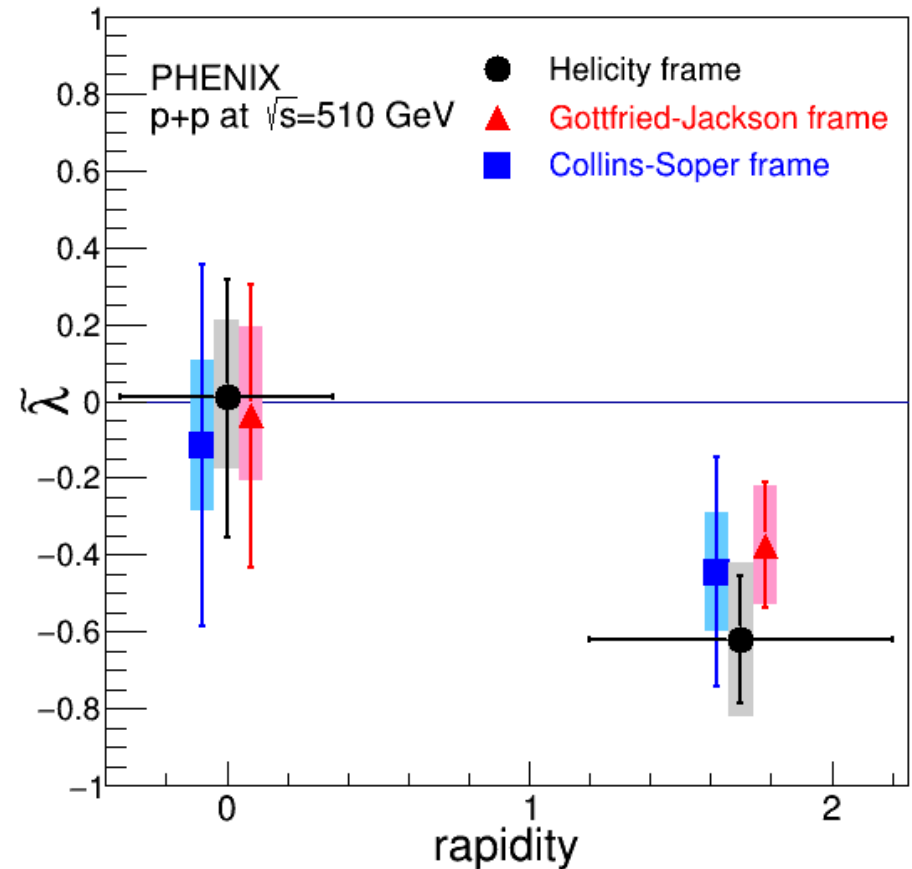
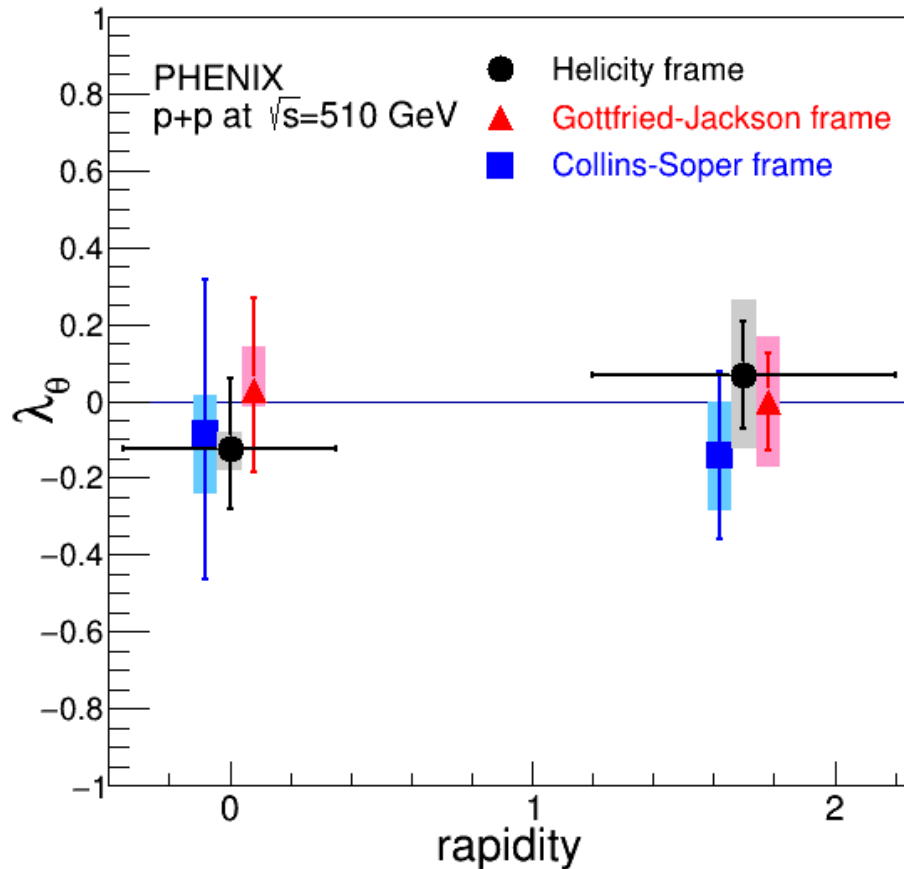
Data: A. Adare et al. (PHENIX Collaboration),
Phys. Rev. D95, 092003 (2017)

NRQCD predictions in Helicity frame based on
[H.S.Chung et al., Phys. Rev. D 401 83, 037501 \(2011\)](#)
[H.-S.Shao et al., J. High Energy Phys. 05 \(2015\) 103](#)

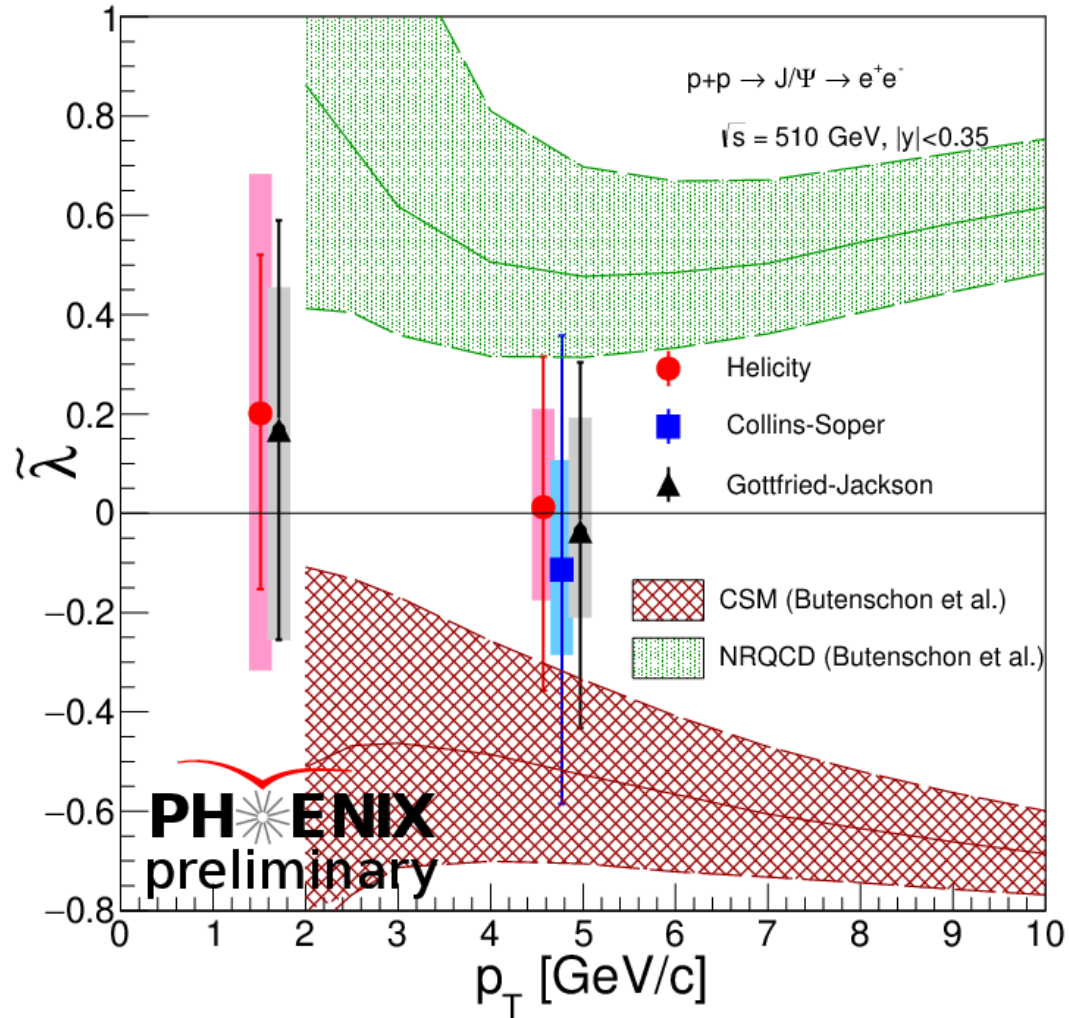


Polarization vs. rapidity

p_T range 3-10 GeV at midrapidity, 4-10 GeV at forward rapidity



Some theory comparisons

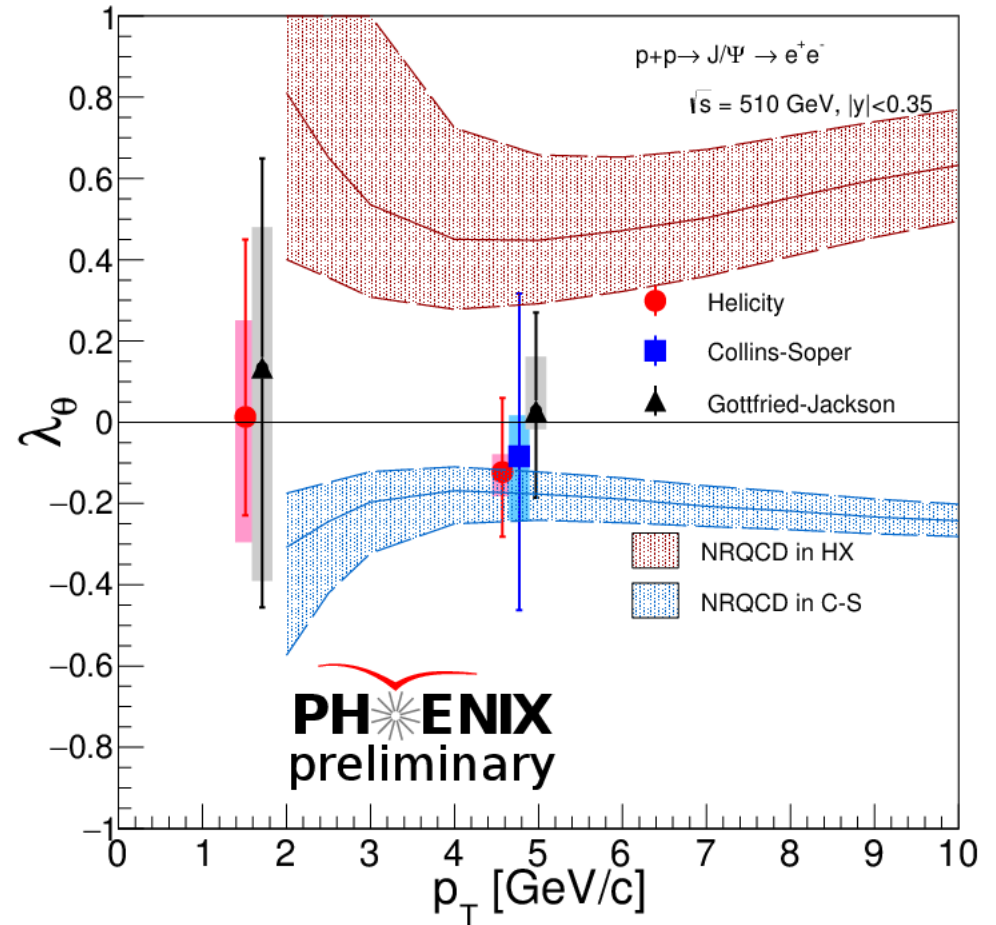
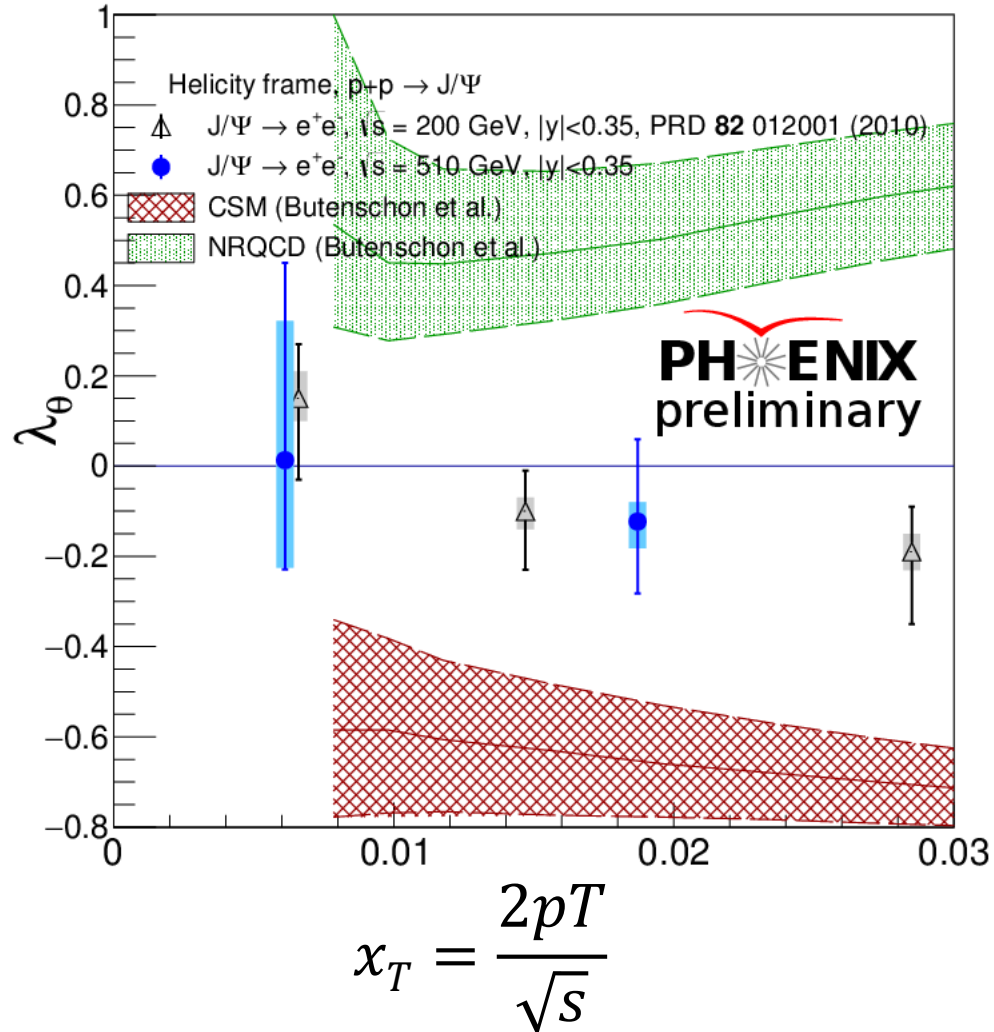


Predictions in Helicity frame based on M. Butenschoen and B. A. Kniehl, Mod. Phys. Lett. A **28**, 1350027 (2013) and Phys. Rev. Lett. **108**, 172002 (2012)

NRQCD with CS+CO and CSM give qualitatively different predictions for strong polarization.

More theory comparisons

Same model (NRQCD with CO+CS)
but different frames



Theory is consistent with data in CS frame, but disagree in HX

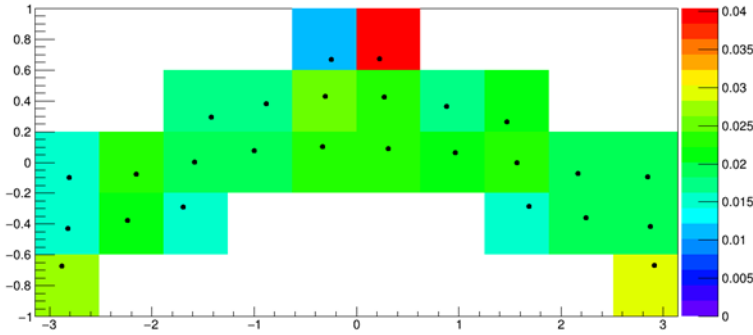
Conclusions

- The PHENIX experiment has measured J/ψ polarization in p+p collisions at 200 and 510 GeV both at mid- and forward rapidity.
 - Results are consistent with no polarization at mid-rapidity
 - Indication of negative polarization at forward rapidity with some p_T dependence.
 - Various NRQCD-based predictions can not describe the full set of data.
- PHENIX has measured J/ψ p_T distributions and production cross-section in p+p collisions.
 - Significant difference in shape between $\sqrt{s} = 200$ and 510 GeV
 - Cross-section's \sqrt{s} dependence follows simple logarithmic law.

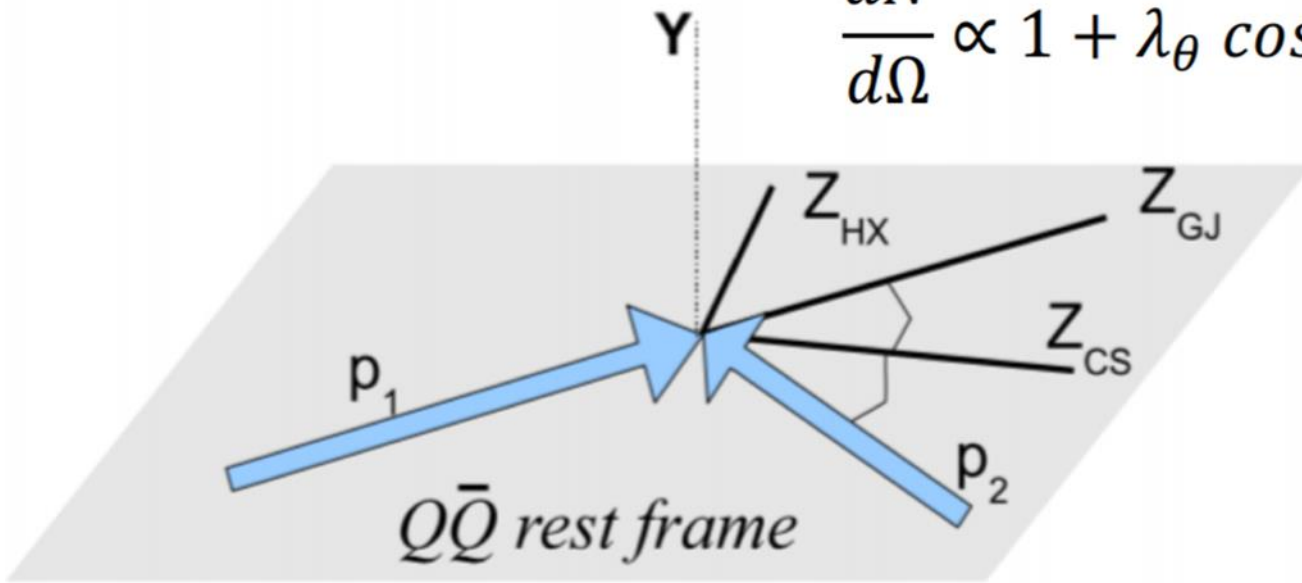
PHENIX



Backup Slides



$$\frac{dN}{d\Omega} \propto 1 + \lambda_{\theta} \cos^2 \theta + \lambda_{\theta\phi} \sin^2 \theta \cos 2\phi + \lambda_{\phi} \sin 2\theta \cos \phi$$



$$\tilde{\lambda} = \frac{\lambda_{\theta} + 3\lambda_{\phi}}{1 - \lambda_{\phi}}$$

$$F = \frac{1 + \lambda_{\theta} + 2\lambda_{\phi}}{3 - \lambda_{\theta}}$$

$$\frac{d\sigma}{d(\cos \vartheta) d\varphi} \propto 1 + \lambda_{\vartheta} \cos^2 \vartheta + \lambda_{\vartheta\varphi} \sin(2\vartheta) \cos \varphi + \lambda_{\phi} \sin^2 \vartheta \cos 2\varphi$$