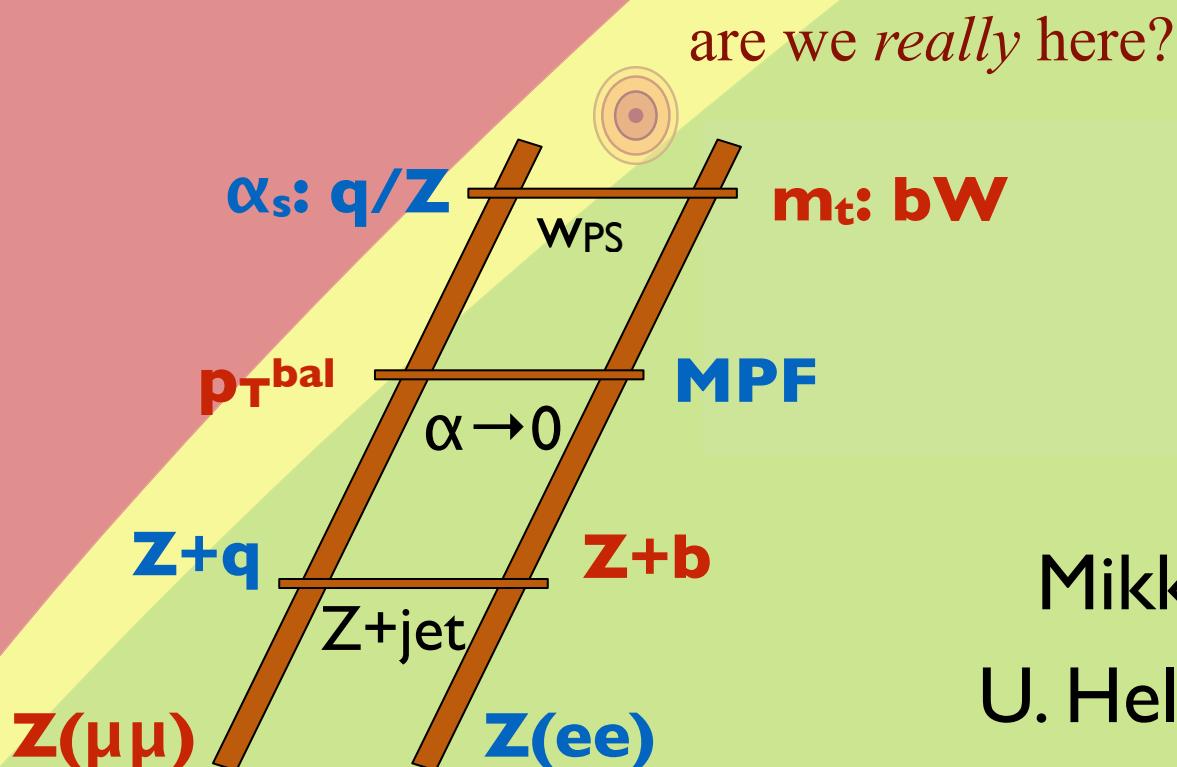


Climbing the ladder: from $Z(\text{II})$ to m_t and α_s

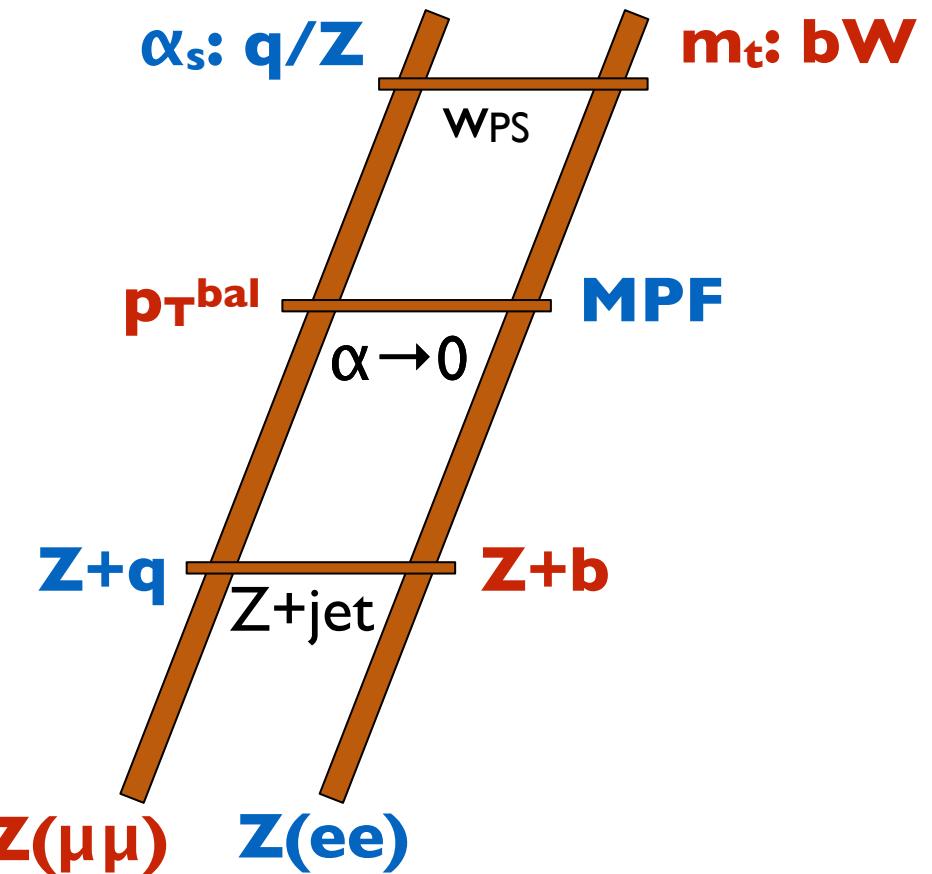


Feb 11, 2010

Mikko Voutilainen
U. Helsinki and HIP

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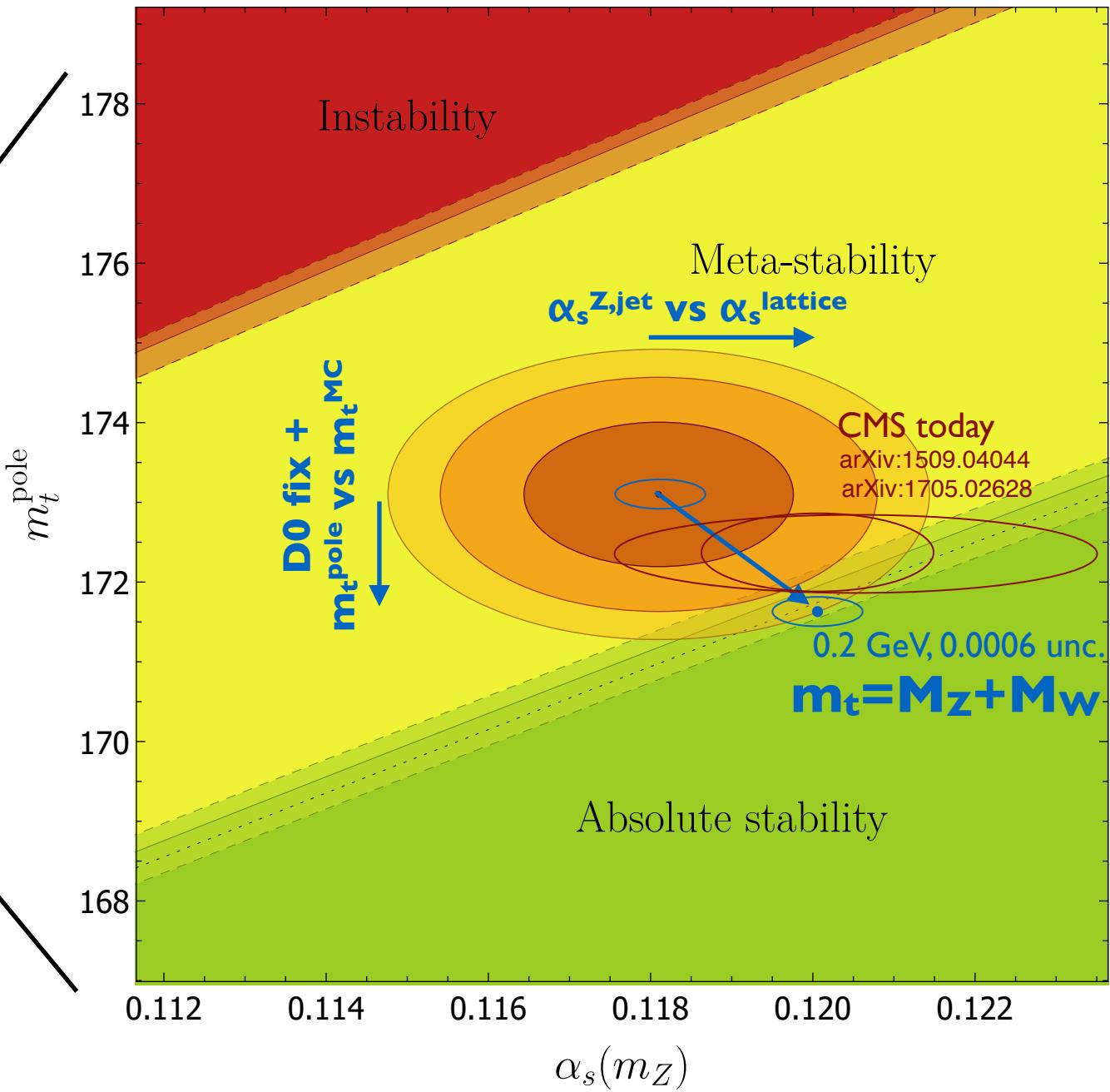
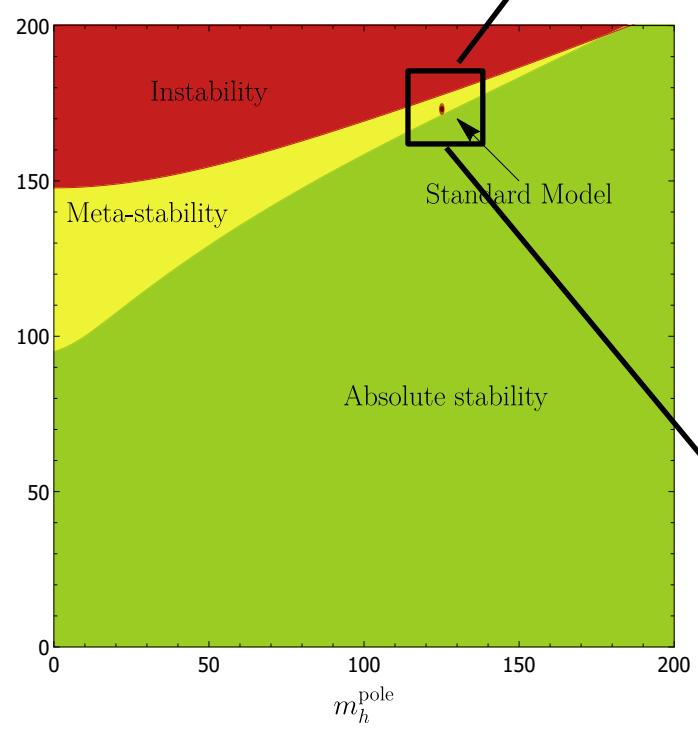
- Motivation
- Experimental pre-requisites
 - ▷ lepton reconstruction
 - ▷ b-tagging and gluon-jet discrimination
 - ▷ missing- E_T projection fraction (MPF)
- Controlling leading biases
 - ▷ Underlying event: genRho
 - ▷ Jet flavor response: toyPF
 - ▷ Final/initial state radiation: α and w_{PS}
- Application of “re-bJES” on D0 m_t
 - ▷ Shift in bJES
 - ▷ Shift in m_t
- Ideas for future and call for feedback from theory community
 - ▷ α_s at NNLO from p_T^{bal} ?



Caveat: I'm a CMS experimentalist, and as such not allowed to show unpublished results on data. To facilitate concrete discussion I will show results on representative stand-alone MC only.

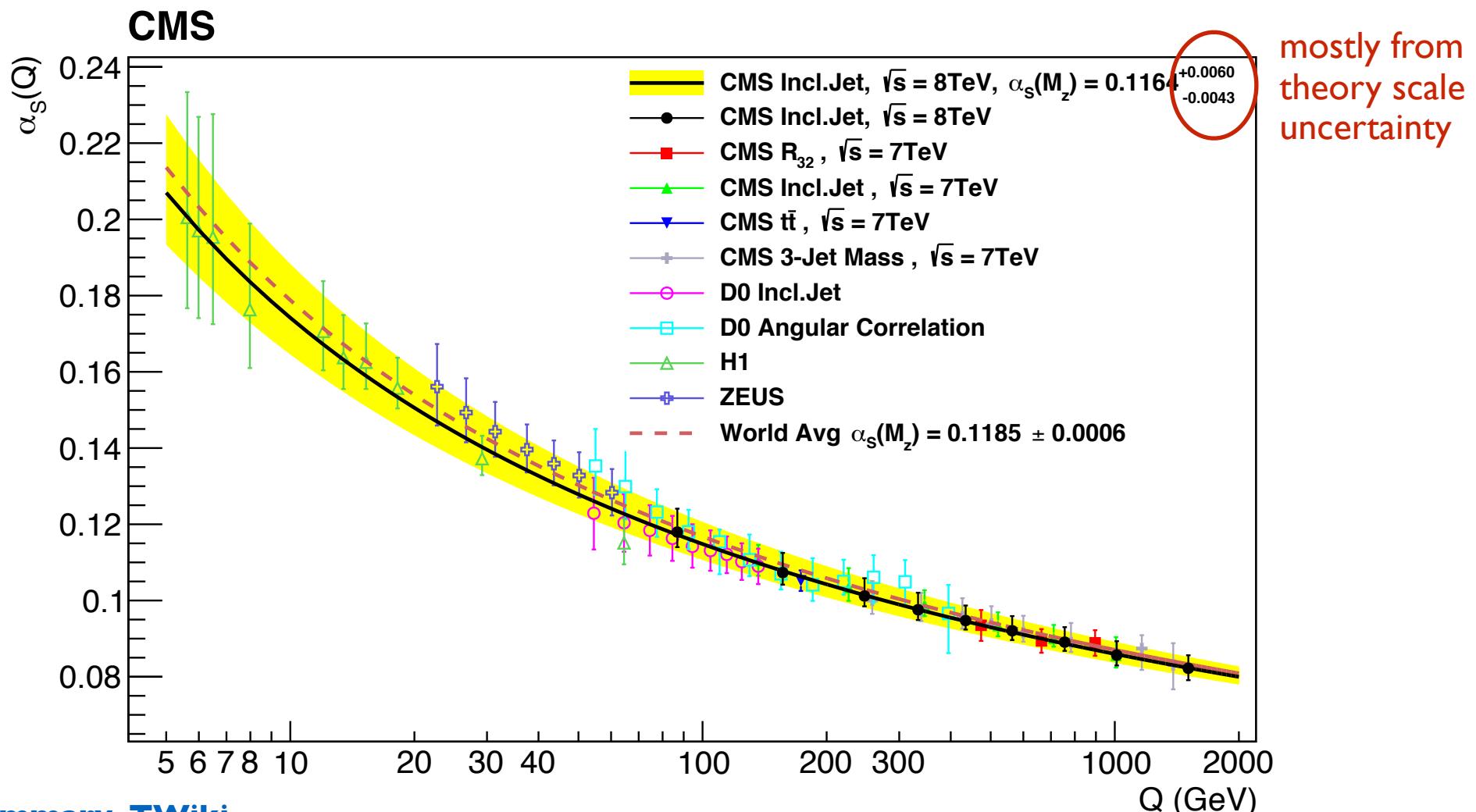
LHC precision frontier

- Vacuum is metastable?
- To know for sure, need more precise m_t and α_s (from jets)
- Experimental limitation in both cases is uncertainty in Jet Energy Corrections (JEC)



Measurement of α_s

- At the LHC α_s best measured using jets (from quarks, gluons)
- Allows to probe running of α_s to high energy
- NNLO jet calculations now available, although **theory scale uncertainty** still an issue

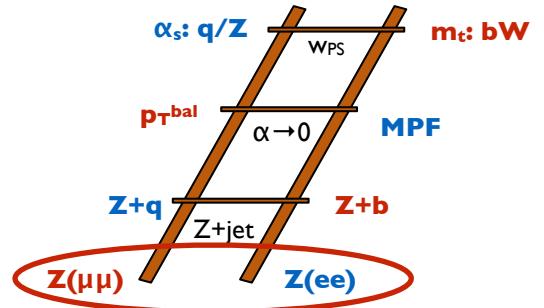


Experimental pre-requisites

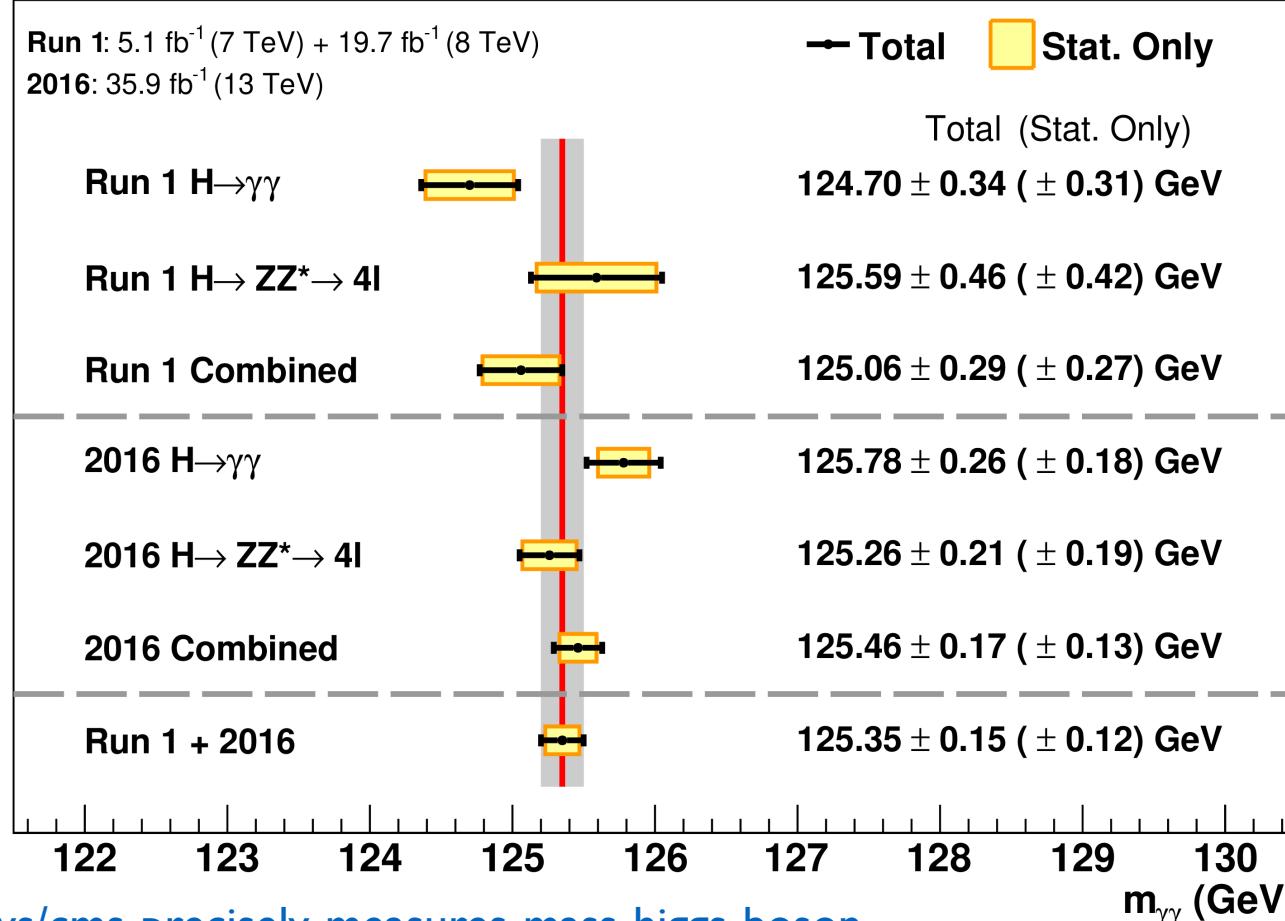
- ▶ lepton reconstruction
- ▶ b-tagging and gluon-jet discrimination
- ▶ missing- E_T projection fraction (MPF)

Lepton reconstruction

- Start calibration ladder from $Z(\text{II})$
- Leptons (e, μ) calibrated with m_Z wrt LEP
- Precision far **better than 0.10%**
 - case in point: $\Delta m_H = 0.12\%$, still mostly statistics (syst. 0.07%)



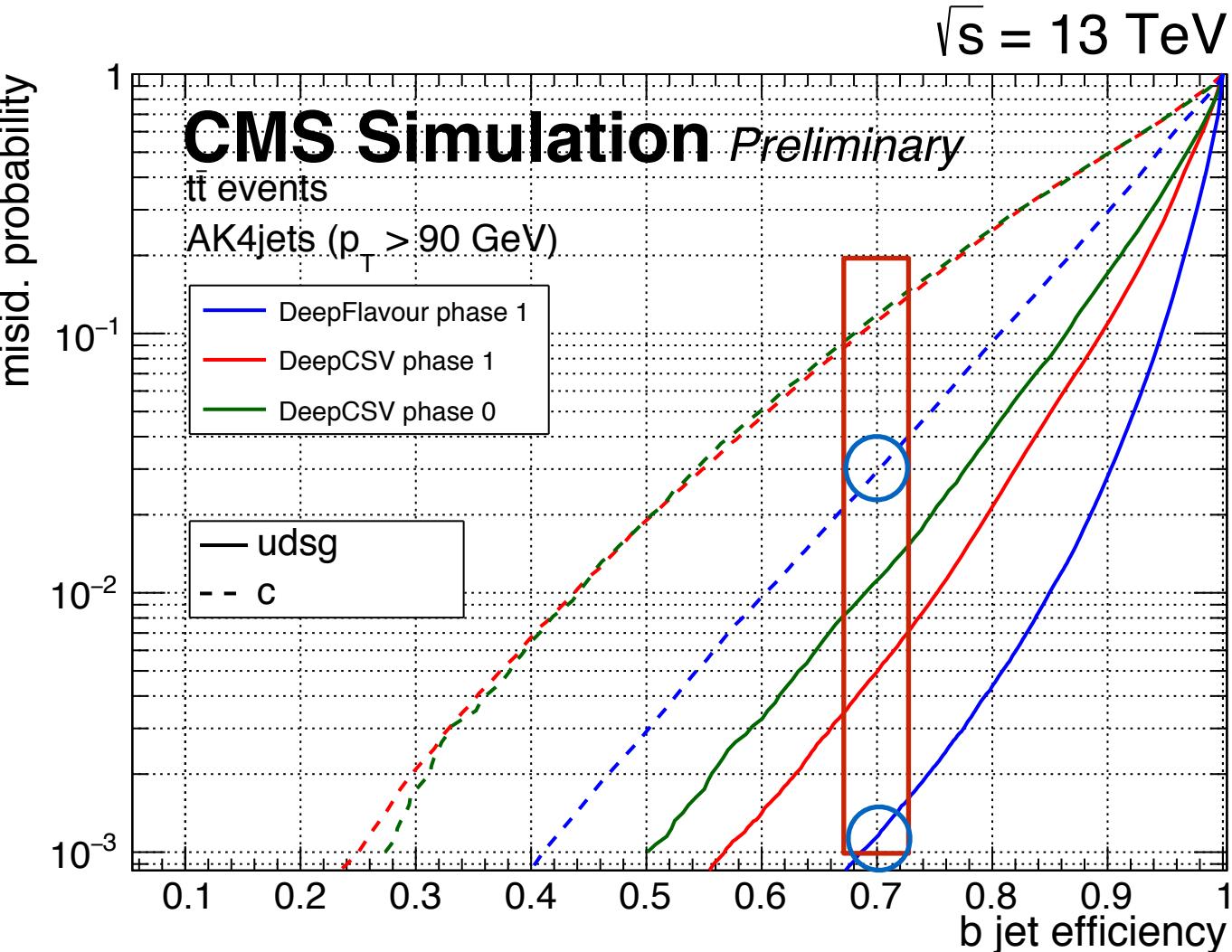
CMS Preliminary



<https://cms.cern/news/cms-precisely-measures-mass-higgs-boson>

b-tagging

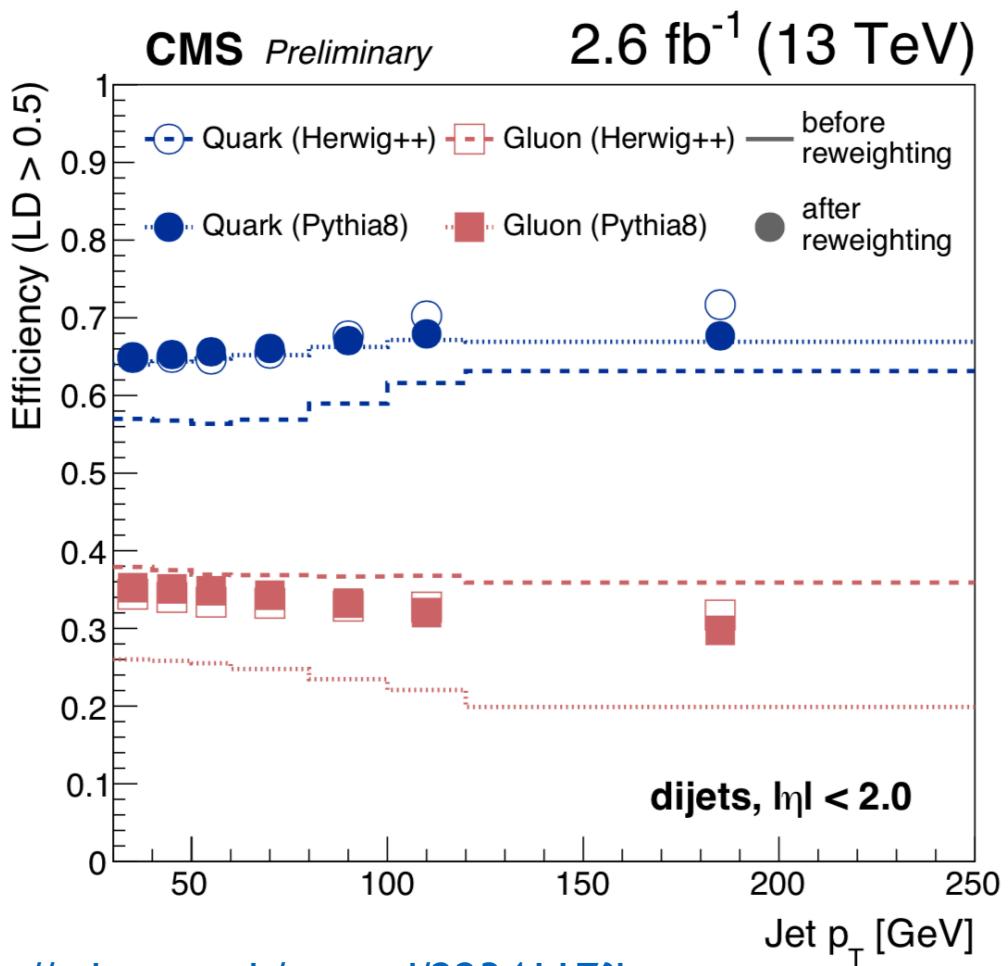
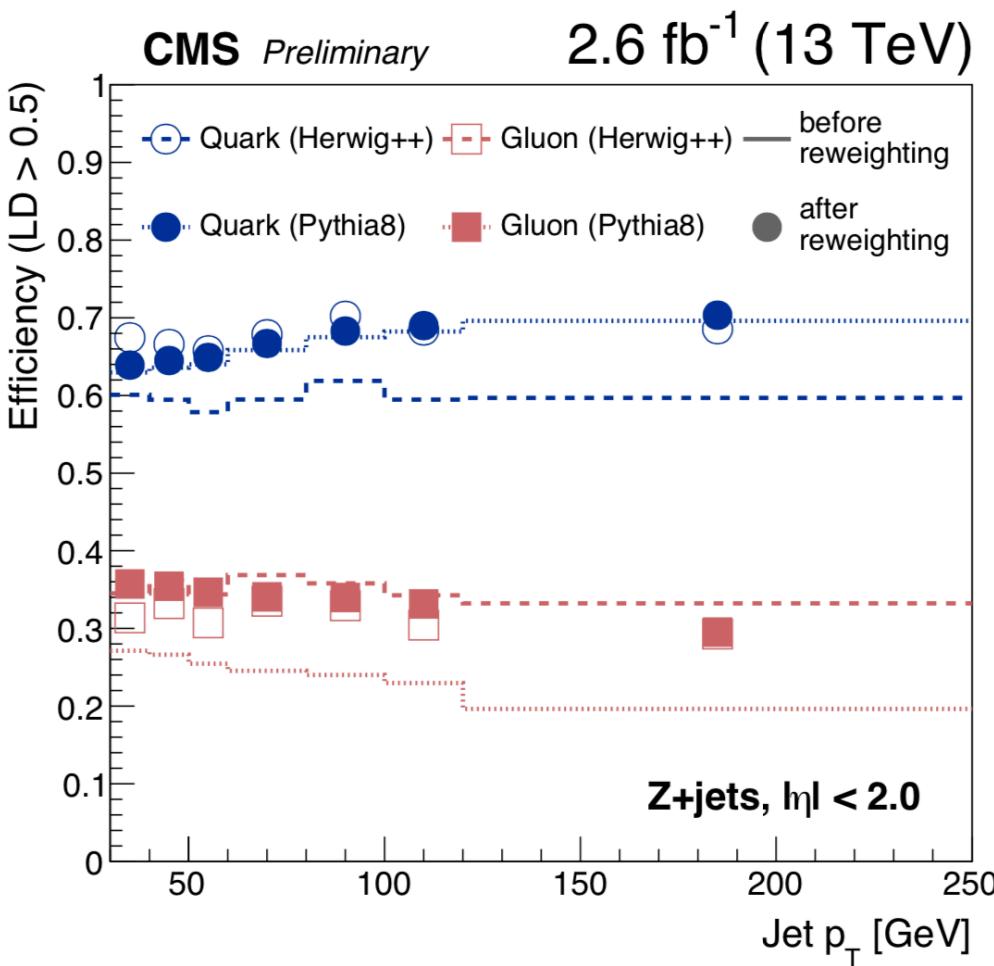
- b-tagging in particular has benefited from Deep Learning explosion in HEP in Run 2
 - ▷ installation of fourth inner pixel layer (Phase 1) for 2017—2018 also helped
- Typical tight working point:
 - ▷ b ($+g>bb$) eff.: **70%**
 - ▷ c ($+g>cc$) eff.: **3%**
 - ▷ q+g (no $g>HF$) eff.: **0.1%**
- Typical Z+jet, Z+b fractions:
 - ▷ b fraction: 5% => **90%**
 - ▷ c fraction: 10% => **8%**
 - ▷ uds fraction: 65% => **1.5%**
 - ▷ g fraction: 20% => **0.5%**
- By-product: deep methods can now also reasonably tag charm quarks vs b and udsg



<https://twiki.cern.ch/twiki/bin/view/CMSPublic/BTV13TeV2017FIRST2018>

Quark-gluon likelihood

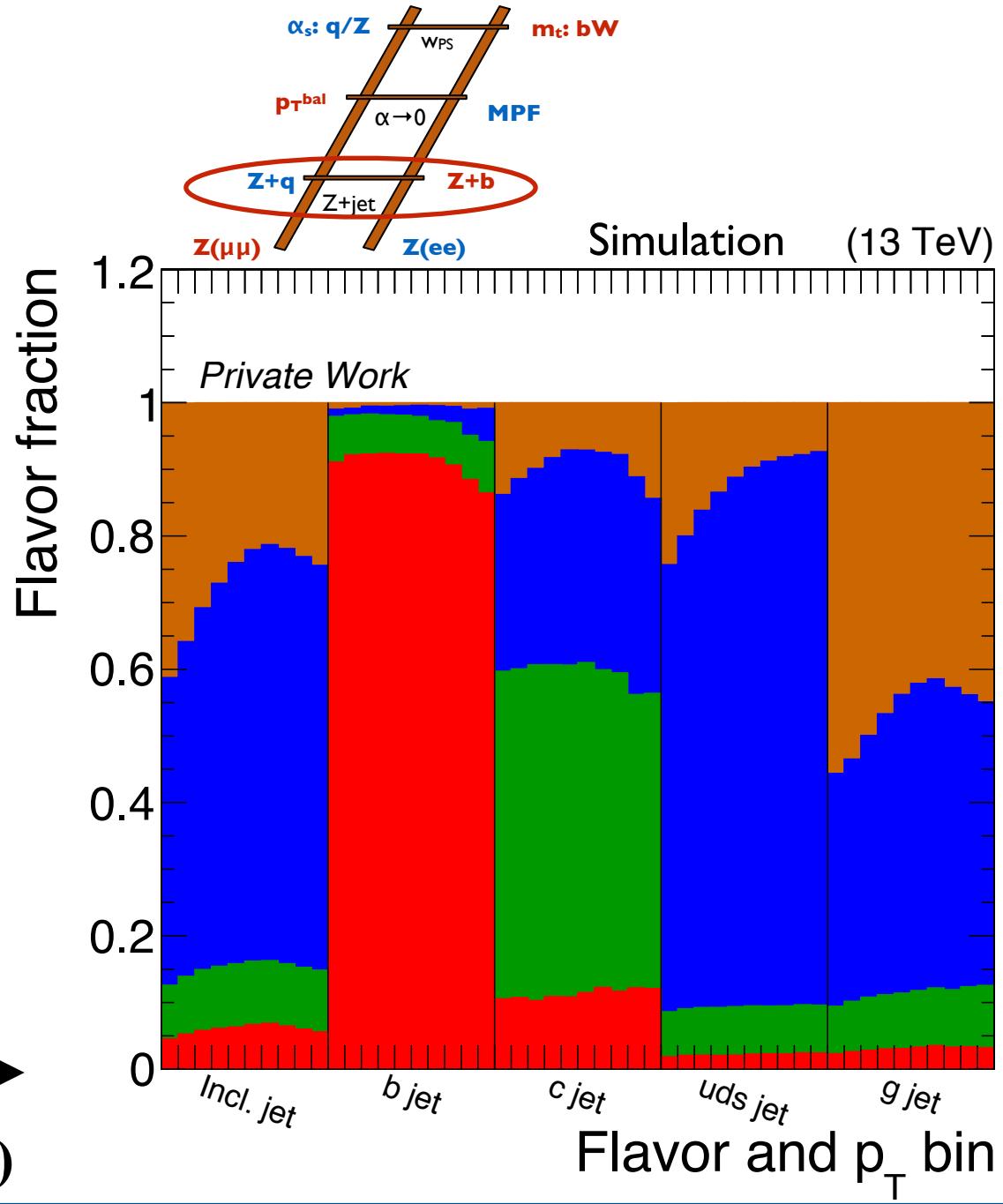
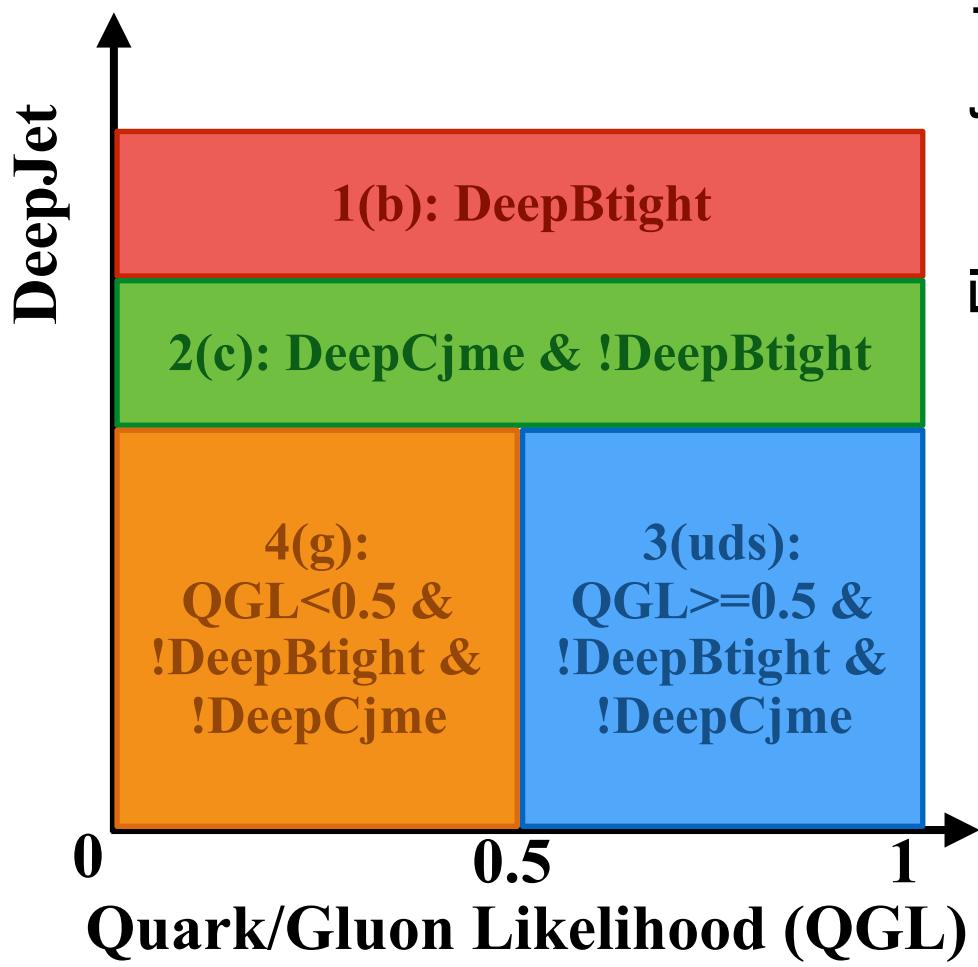
- Quark-gluon likelihood (QGL) discriminator based on: (i) number of particles (multiplicity), (ii) fragmentation from charged particles ($p_T D$), (iii) jet width on minor axis (σ_2)
- Quark/gluon efficiencies in data extracted by comparing $Z + \text{jet}$ and dijet QGL shapes
- Pythia8 and Herwig++ bit agree after reweighting: **quark eff. ~ 0.7 , gluon eff. ~ 0.3**



<https://cds.cern.ch/record/2234117?ln=en>

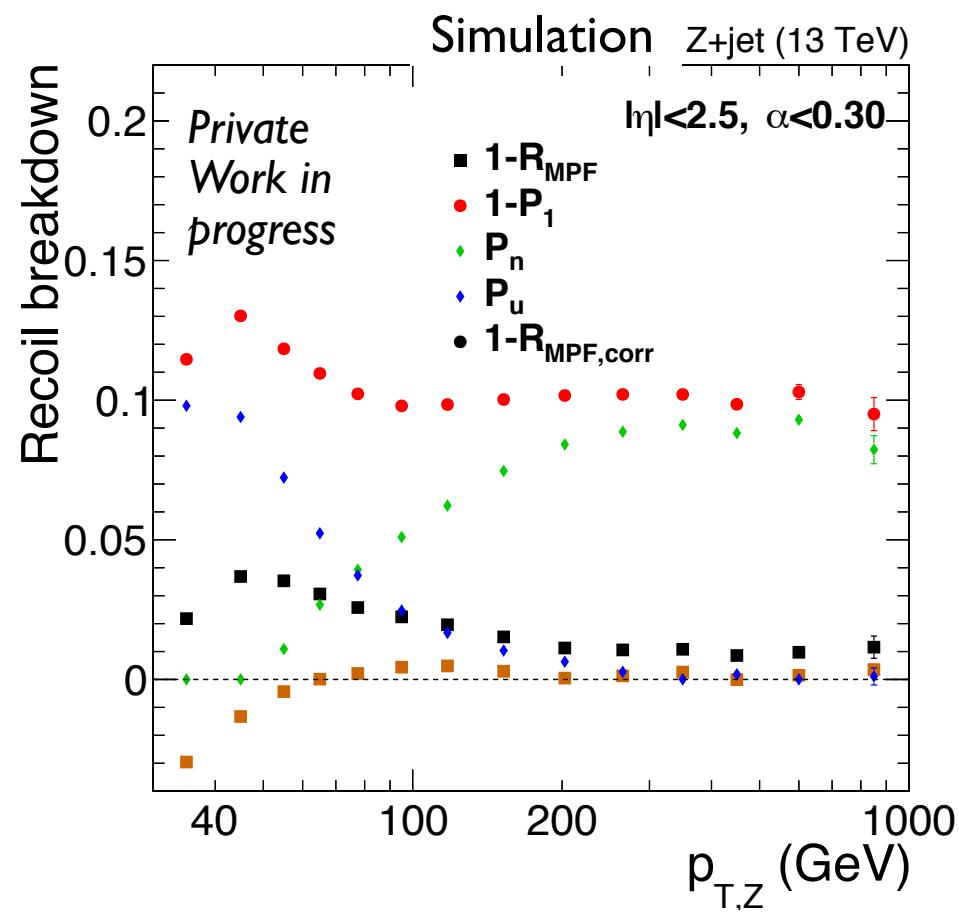
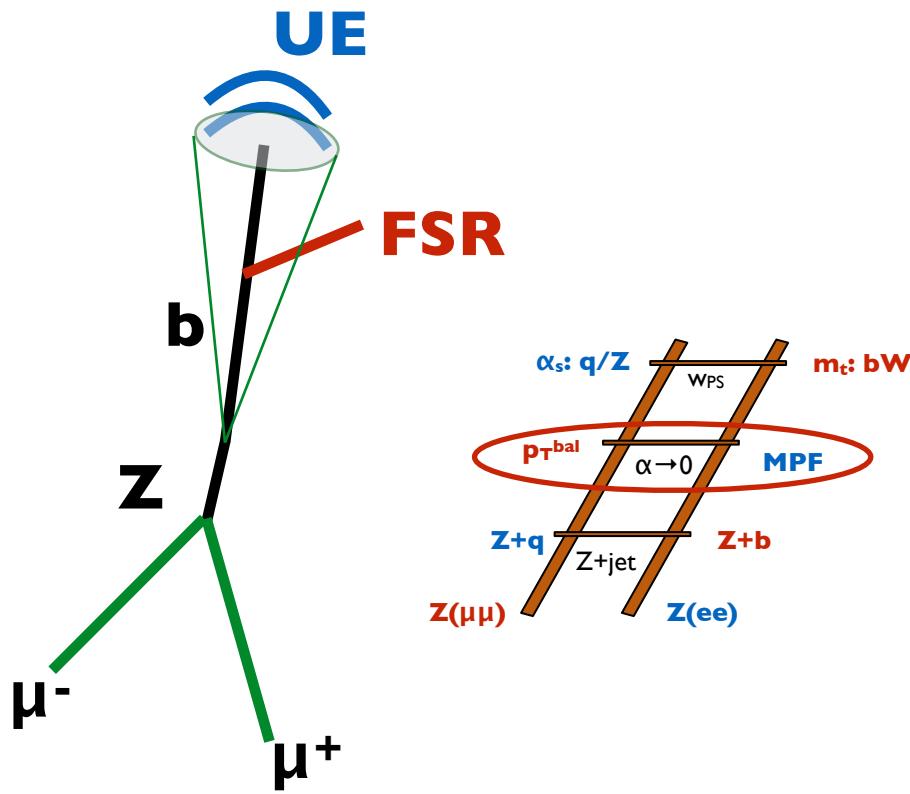
Flavor-tagging in Z+jet

- Estimate tagged sample purity by taking into account known fractions and efficiencies in MC
- Pure **Z+b** and **Z+uds** obtainable, gluon sample less easy on data



Missing- E_T projection fraction

- Z and jet(b) balanced in transverse plane at leading order, **Z+recoil** at all orders
- Net recoil vector $f_X = p_T(x)Z/p_{T,Z}$ split into three categories with different responses R_X :
 - ▷ $\mathbf{P}_1 = \mathbf{R}_1 \mathbf{f}_1$: leading jet (b) — R_1 calibrated up to data/MC difference (aka p_T^{bal} method)
 - ▷ $\mathbf{P}_n = \mathbf{R}_n \mathbf{f}_n$: subleading jets (2..n) of $\mathbf{p}_T > 15 \text{ GeV}$ — R_n calibrated up to residual (gluon) flavor
 - ▷ $\mathbf{P}_u = \mathbf{R}_u \mathbf{f}_u$: unclustered particles — R_u not calibrated
- Two identities:
 - ▷ $\mathbf{R}_{\text{MPF}} = \mathbf{P}_1 + \mathbf{P}_n + \mathbf{P}_u$ (aka MPF method)
 - ▷ $I = f_1 + f_n + f_u$ (momentum conservation)

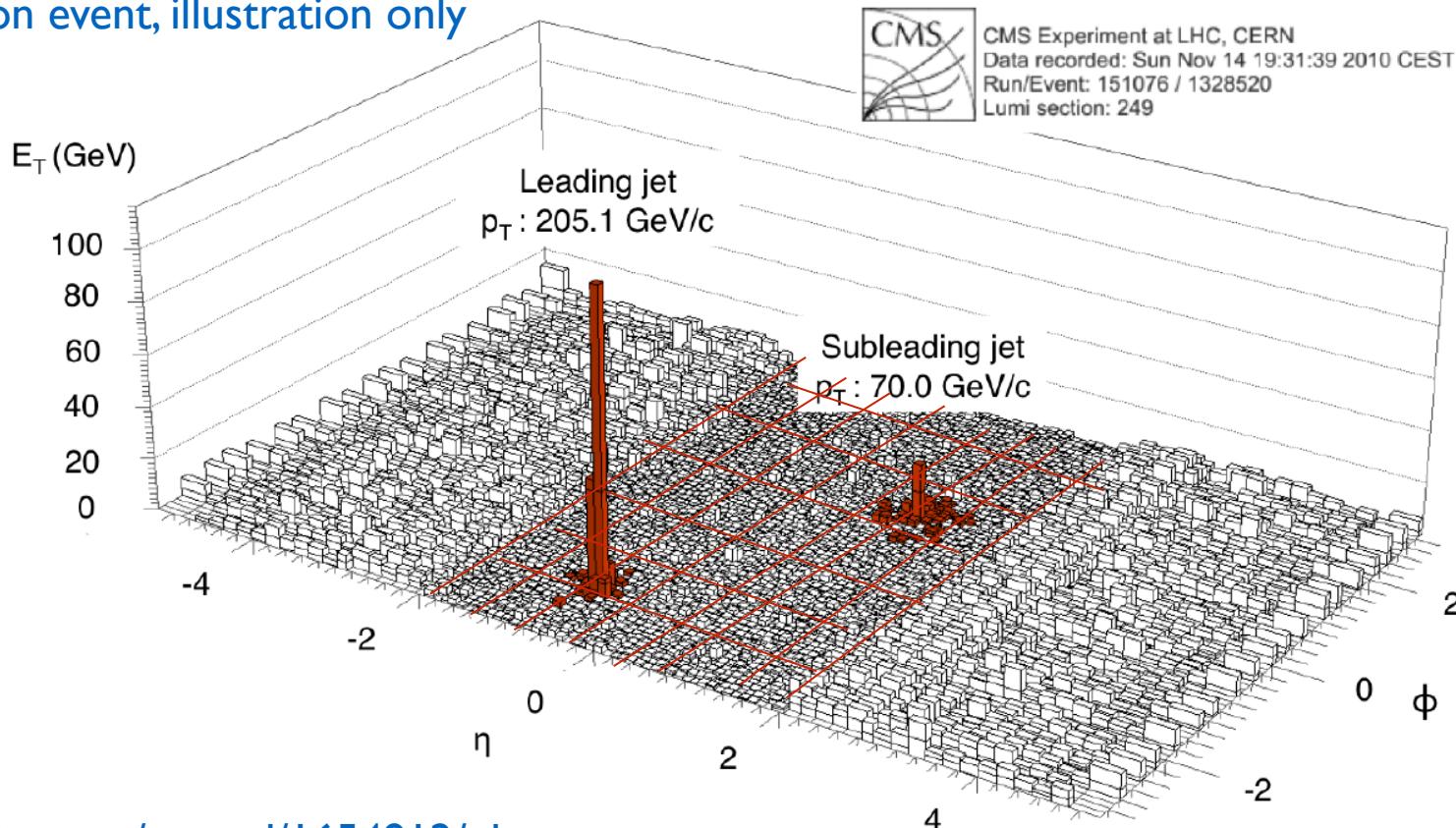


Controlling leading biases

- ▶ Underlying event: genRho
- ▶ Jet flavor response: toyPF
- ▶ Final/initial state radiation: α and wPS

- Estimate underlying event offset density (genRho) by running FastJet GridMedianEstimator on **stand-alone particle-level MC** mixed with data-like pileup offset
- Method repeated with and without signal MC to extract underlying event offset
 - ▷ without data-like mixing median often zero for pure UE offset
 - ▷ UE offset non-Gaussian so result depends on N_{PU} , although only weakly at $N_{PU} > 10$

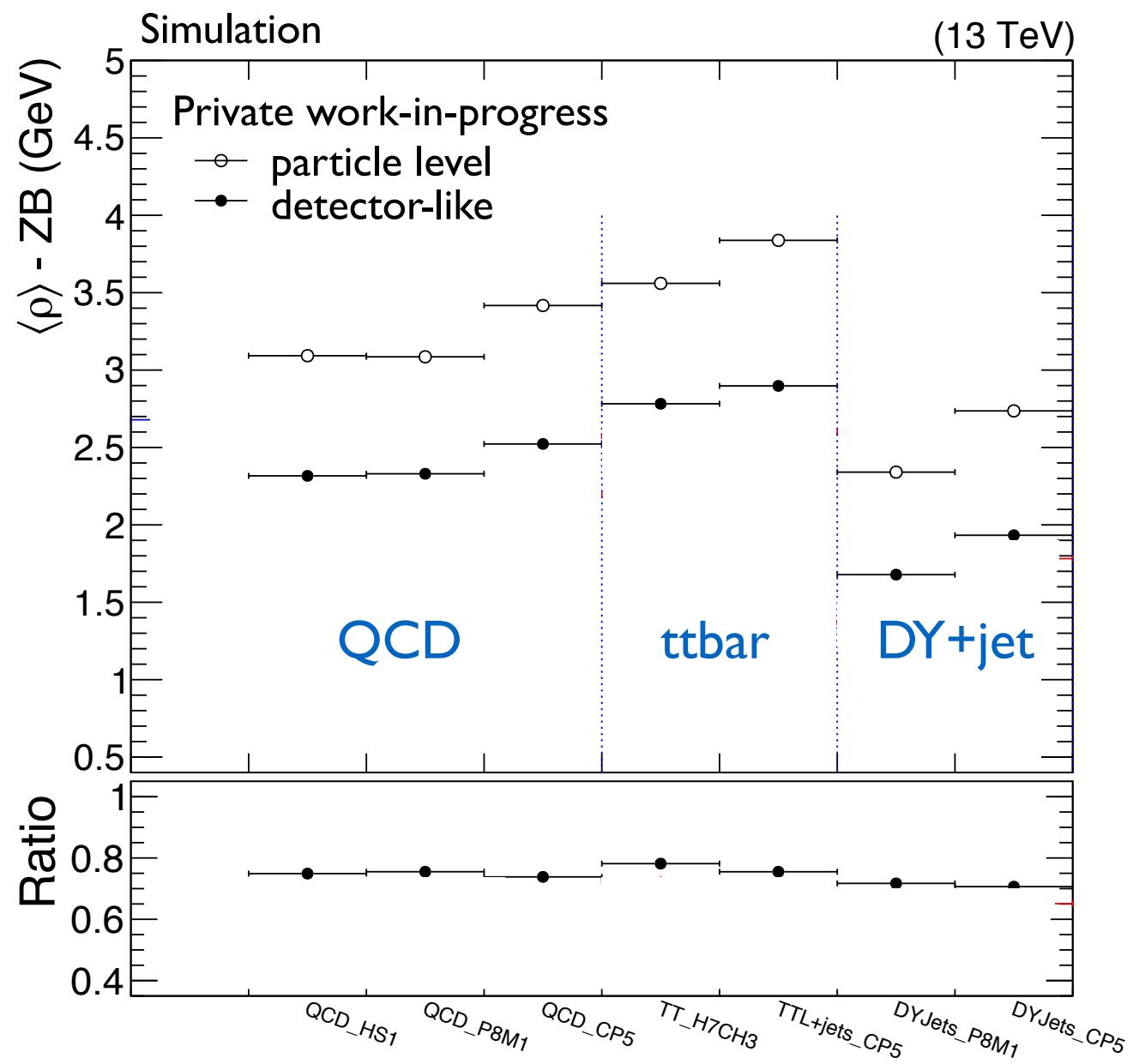
Heavy ion event, illustration only



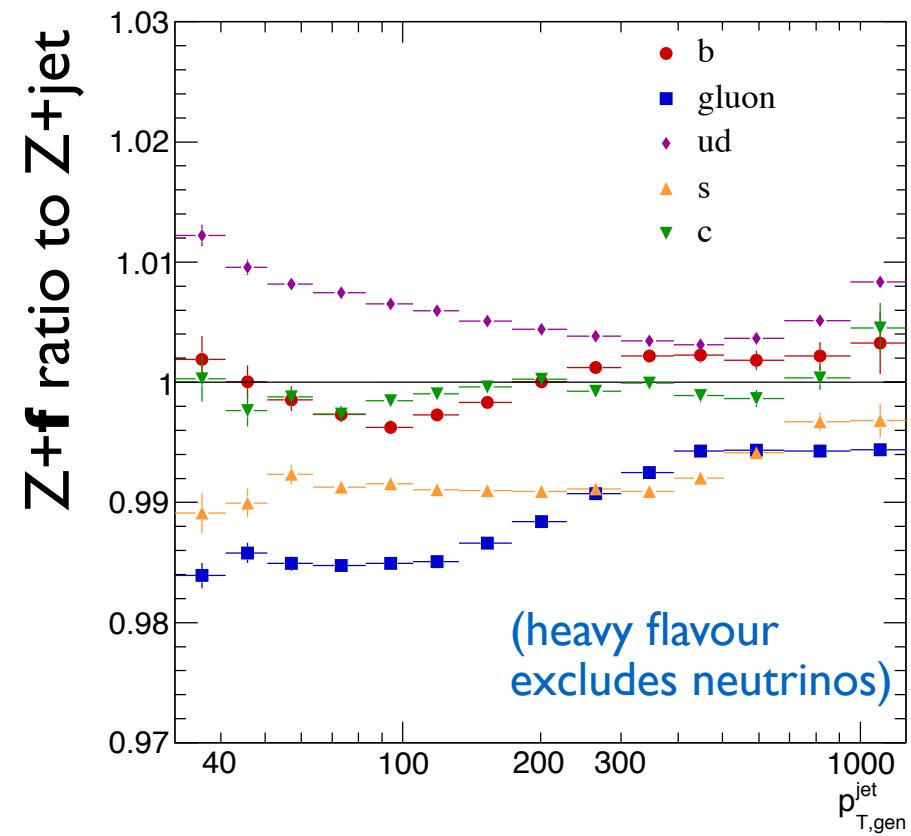
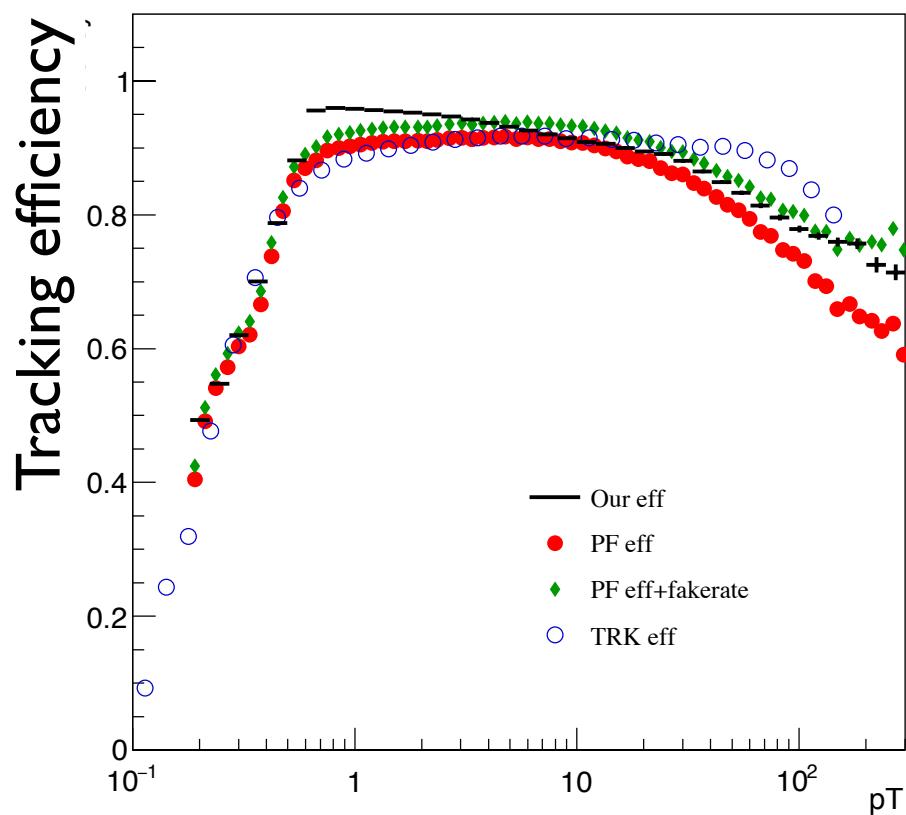
<http://inspirehep.net/record/1654912/plots>

Underlying event

- Scanning a number of generators, tunes and final states for UE
- Detector-like level applies cuts of $p_T > 0.3$ GeV on charged particles and photons, $p_T > 3$ GeV on neutral hadrons
 - ▷ ratio to particle level is effective response of UE
- CMS and ATLAS pileup offset corrections are based on ρ so easy to add FullSim and data
- Difference of P8MI (2016) and CP5 (2017—2018) tunes is ~ 0.3 GeV => small, but relevant effect

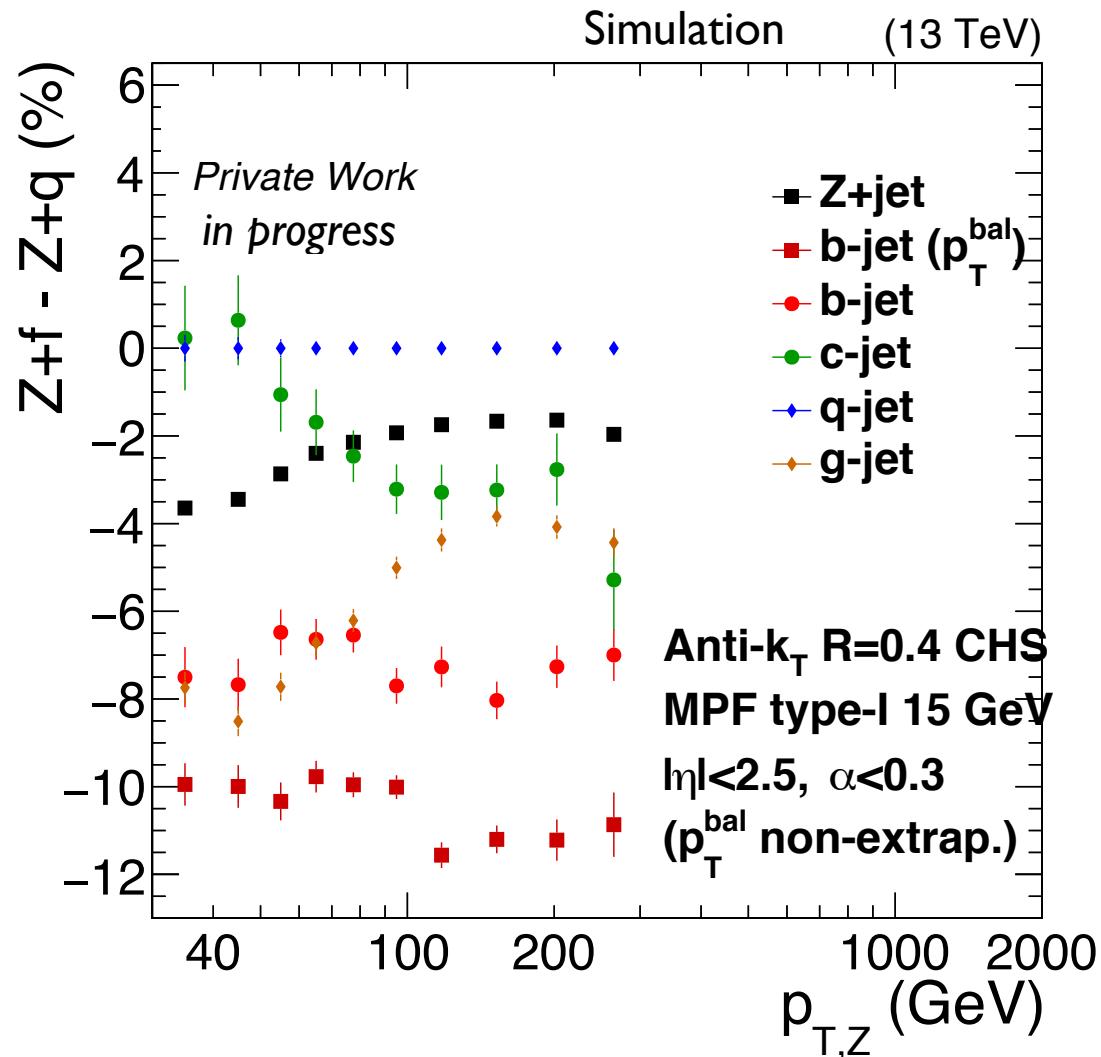
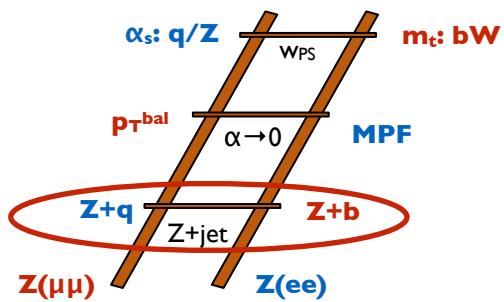


- Understand jet response from first principles by approximating particle flow (PF)
 - ▷ $p_{T,\text{raw}} = \sum_i R_i(p_{T,i}) p_{T,i}$
 - $R_i(p_{T,i})=1$, if $p_{T,i}>0.3$, else zero (for photon)
 - $R_i(p_{T,i})=1$, if $p_{T,i}>0.3$, else zero (for charged with tracking)
 - $R_i(p_{T,i})=c^*(1-a^*p_{T}^{m-1})$ (for hadron without tracking)
 - ▷ parameterise tracking efficiency + fakes from CMS papers
 - ▷ apply PF hadron calibration and reconstruction thresholds on overlapping neutrals



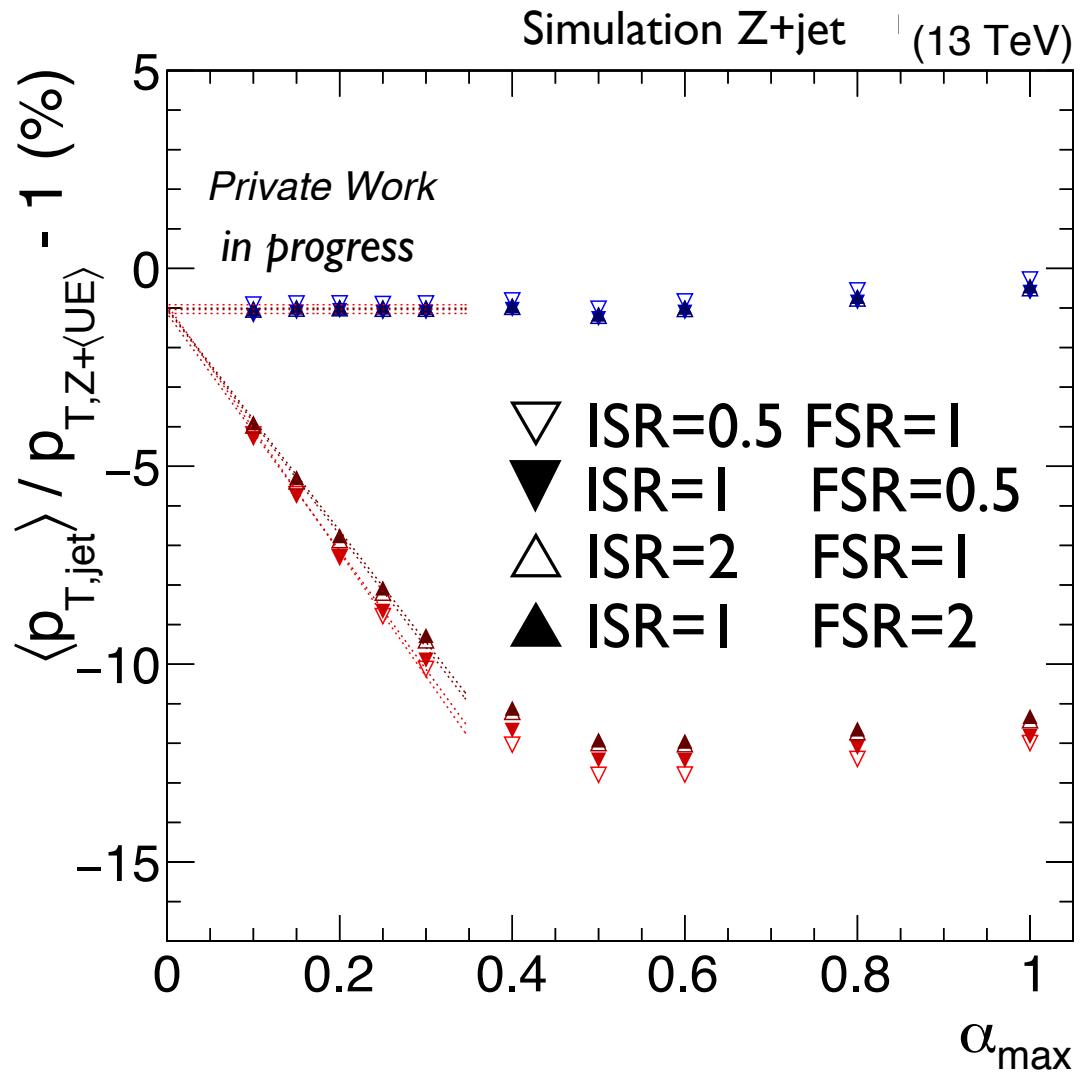
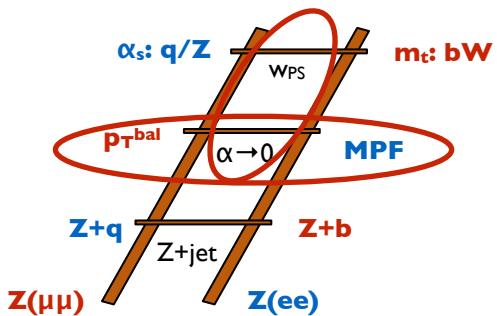
Flavor responses

- Goal is to use toyPF to understand data/MC differences in flavour response in $Z+f$ vs $Z+q$ at 0.1% level
 - ▷ high statistical precision with few events, more precise than FullSim
 - ▷ stand-alone mode allows to scan more MC generator tunes quickly
 - ▷ fewer knobs so maybe more transparent



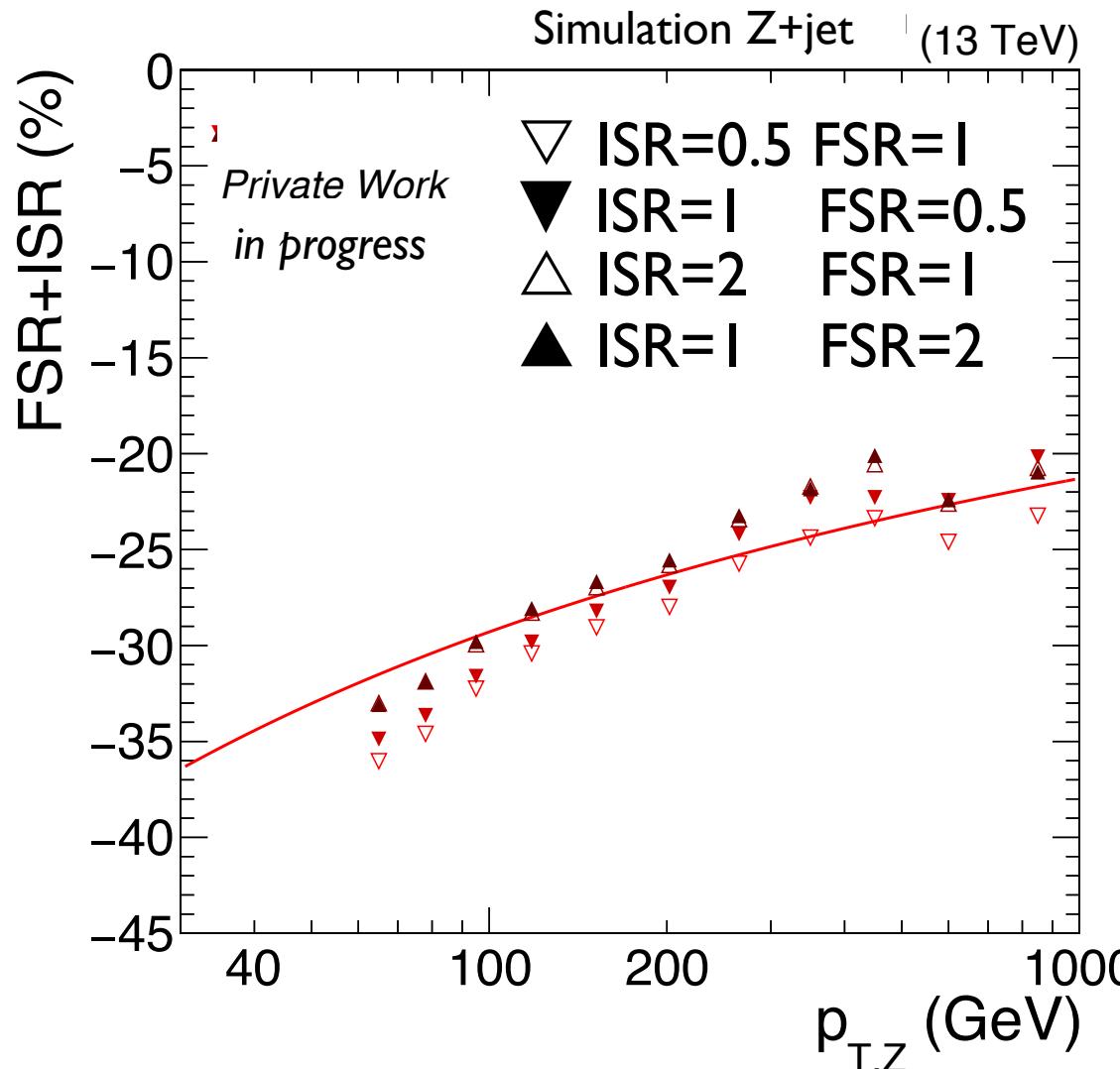
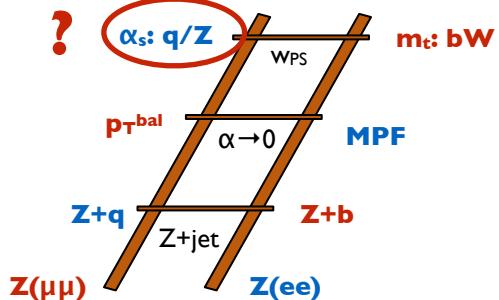
α extrapolation, WPS

- Pythia provides a set of event weights wps to vary $\alpha_{s,\text{ISR}}$ and $\alpha_{s,\text{FSR}}$ in parton shower
 - ▷ latest processing messed up the weights relative to nominal, but relative spread ok
 - ▷ future iterations split weights by process (gg>gg, gg>qq, qg, qq)
- Sensitivity controlled by cutting on additional jets: $\alpha = p_{T,\text{jet}2} / p_{T,Z}$
 - ▷ Limit $\alpha \rightarrow 0$ used for jet energy corrections
 - ▷ MPF is stable at all α cuts
 - ▷ p_T^{bal} slope at $\alpha < 0.3$ should be linearly proportional to $C_F^* \alpha_s$ and $C_A^* \alpha_s$
- $p_T^{\text{bal}} / \text{MPF}$ ratio at finite α cut should be **proportional to α_s**



FSR+ISR vs $p_{T,Z}$

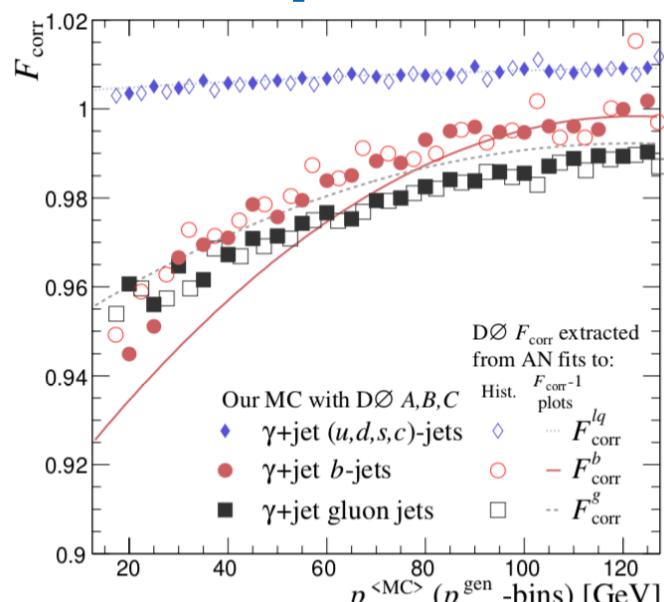
- Combined fit of MPF and p_T^{bal} vs $p_{T,Z}$ enables to extract α_s sensitive observable
- However, still needed to consider gluon fraction correction ($C_A=3$ vs $C_F=4/3$)
- **Question to theorists:**
could q/Z ratio at NNLO compete with lattice QCD?
 - ▷ loops cancel?
 - ▷ q/Z lower at each order?
 - ▷ assuming very small expt. syst.



- **Application of “re-bJES” on D0 m_t**
 - ▶ Shift in bJES
 - ▶ Shift in m_t

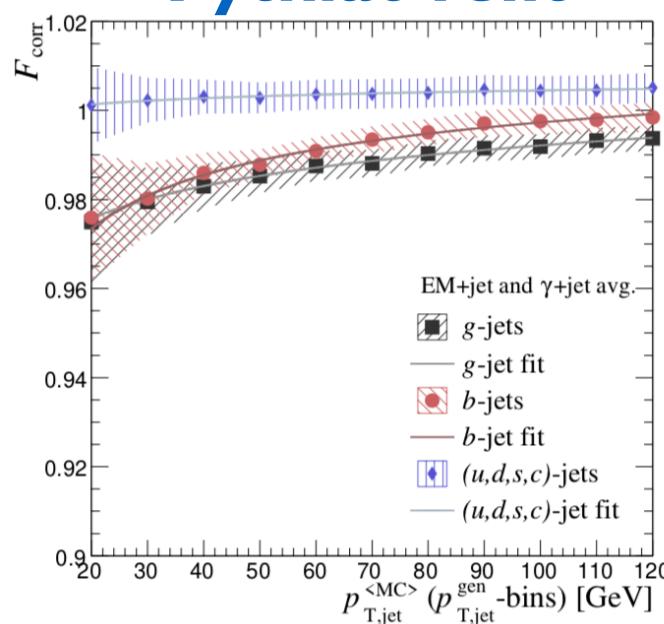
- Possible shift in D0 bJES thoroughly documented in MSc thesis of Toni Mäkelä
 - ▷ <https://aaltodoc.aalto.fi/handle/123456789/39024>
 - ▷ 1) could reproduce D0 results with their parameters
 - ▷ 2) our Pythia6 fit suggested different global minimum with smaller flavor correction
 - ▷ 3) our Herwig7 fit suggested yet different global minimum with even smaller flavor correction
- D0 used p_T^{bal} as input, sensitive to FSR+ISR differences in P6 and H7 => CMS will use MPF
- D0 did not directly measure b-enriched sample => CMS will use Z+b vs Z+q

D0 reproduction



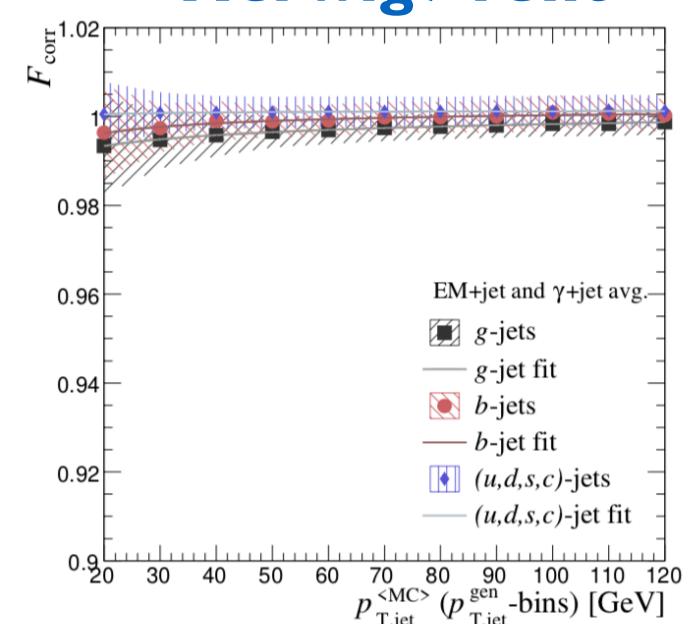
(d) $F_{\text{corr}} = F / \langle F \rangle_{\gamma+\text{jet}}$ (IIb1)

Pythia6 refit



(b) Run IIb1

Herwig7 refit

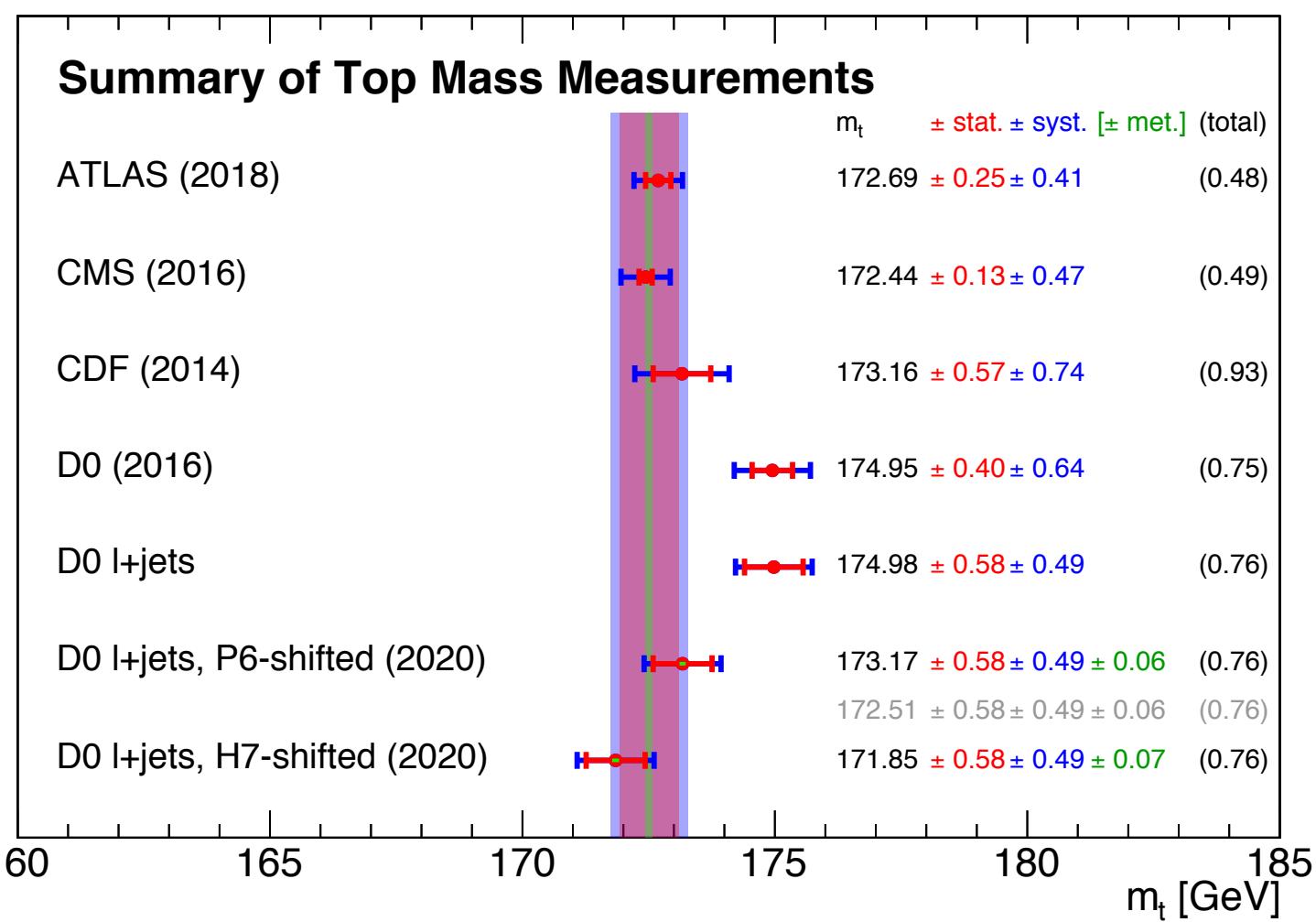
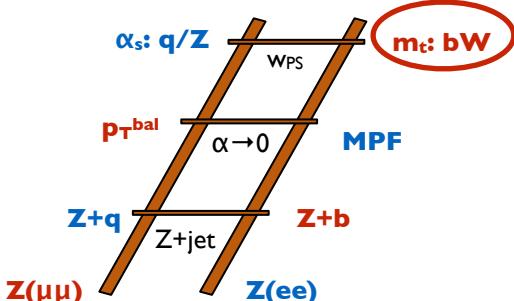


(b) Run IIb1

Shift in m_t

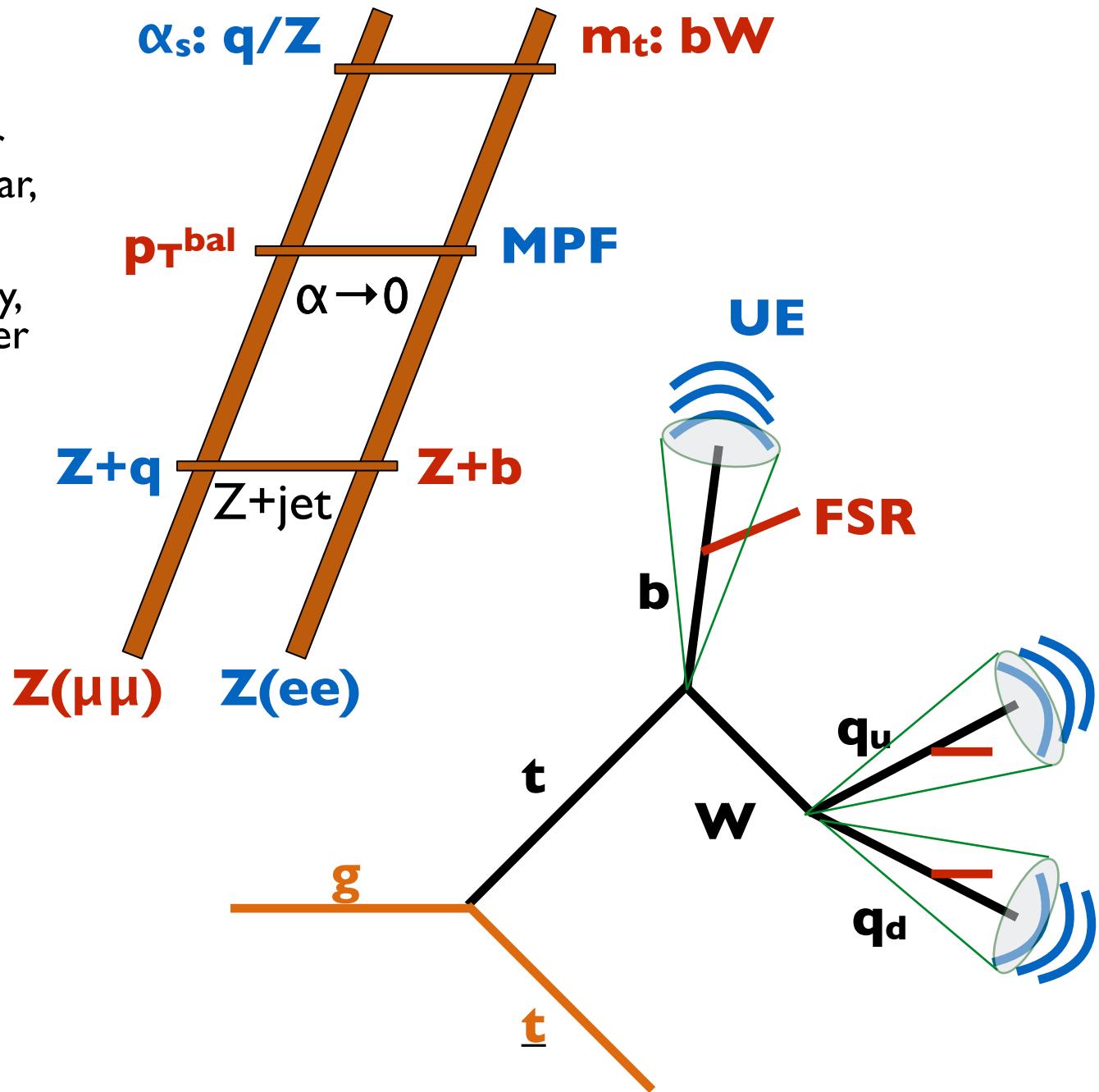
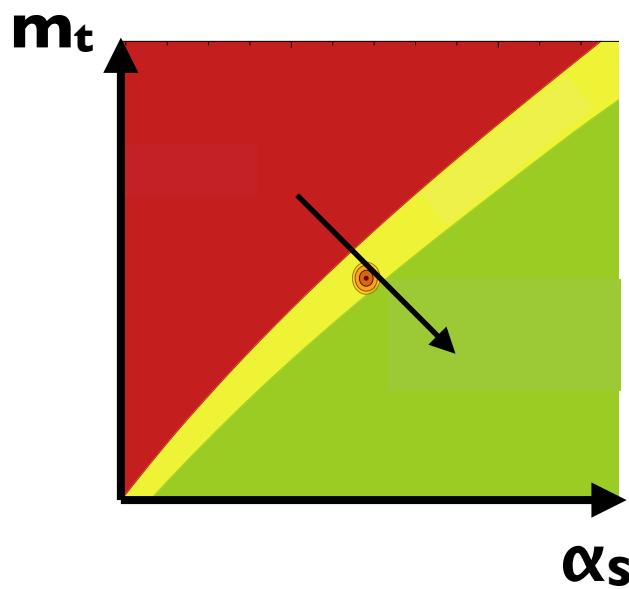
- Hannu Siikonen carefully reverse engineered D0 l+jet m_t and back-propagated bJES change
- Document detailing process to be submitted to arXiv any day
- (Still) plan to follow up with a short paper summarizing shifts in bJES and m_t

- Then do better on CMS



Summary

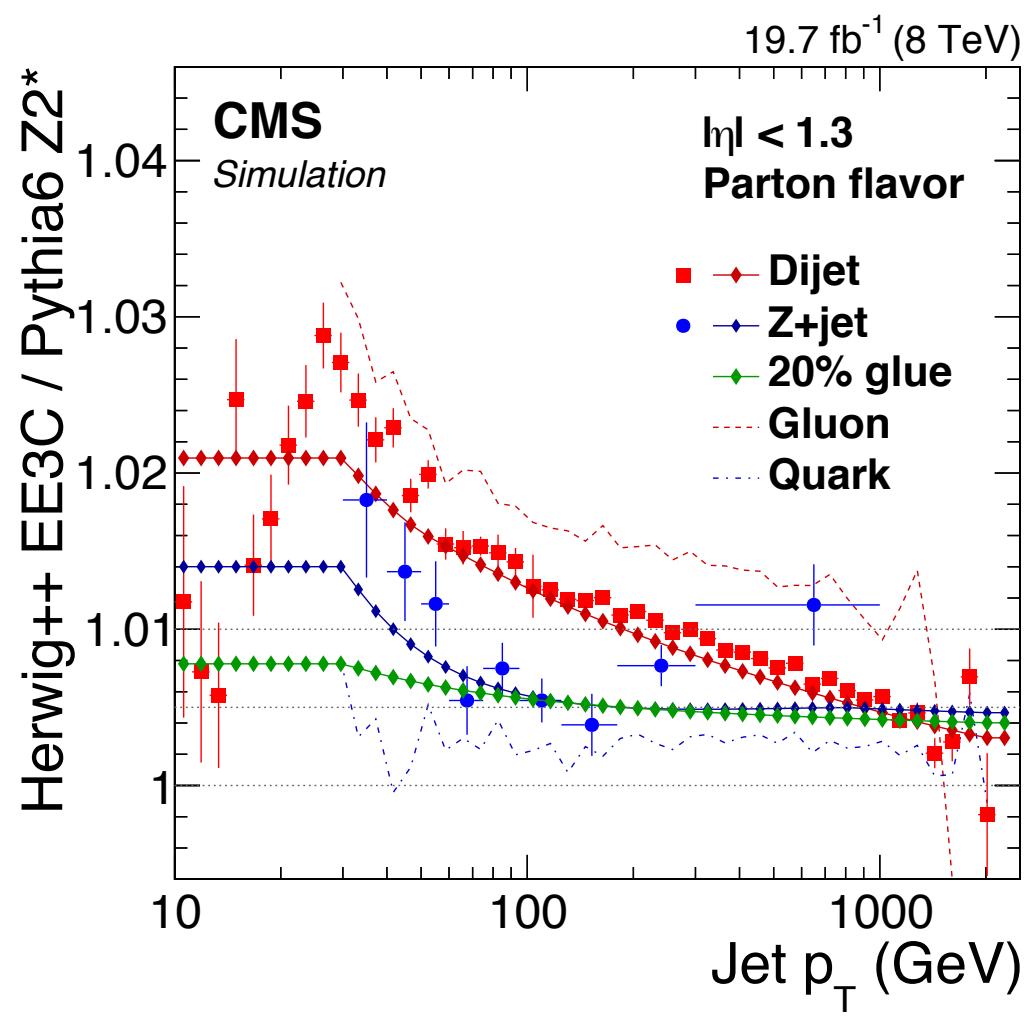
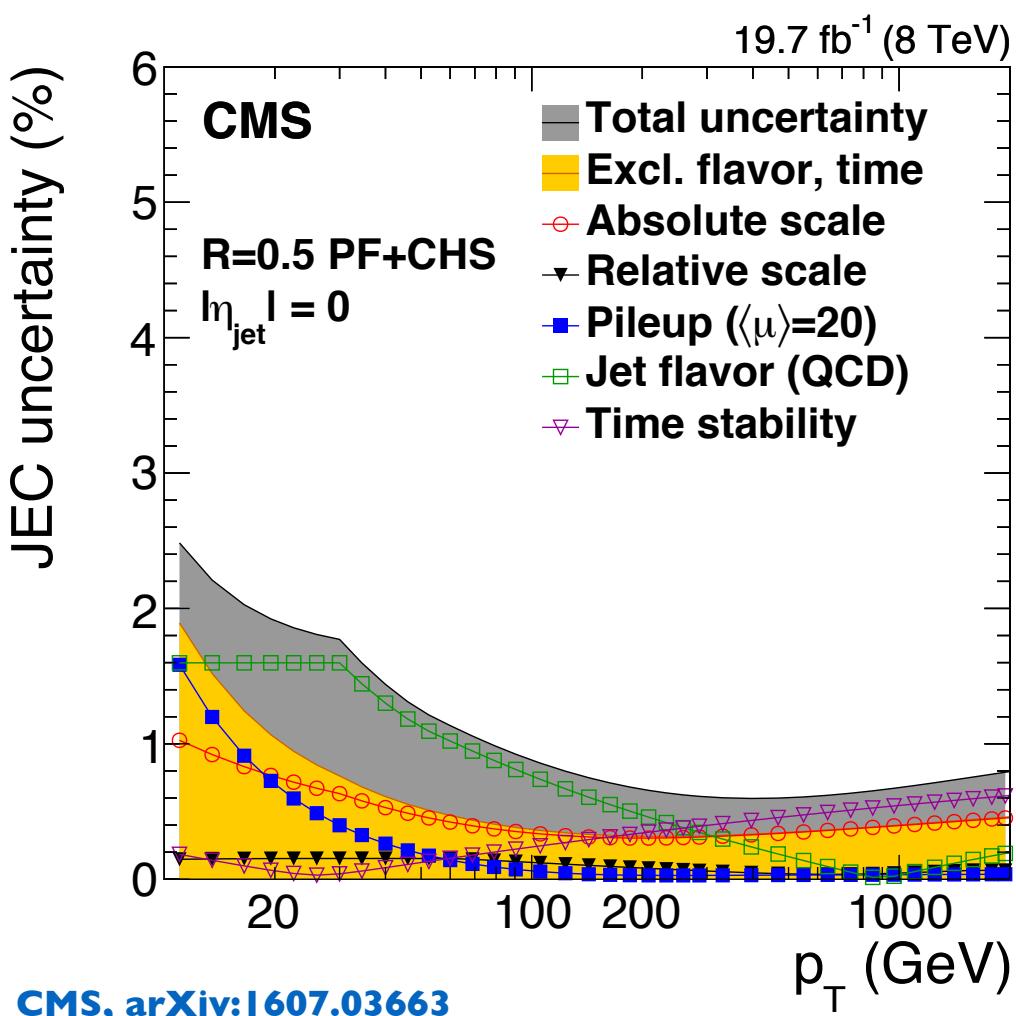
- m_t and α_s largest uncertainties for SM vacuum stability
- Need robust calibration ladder starting from $Z(\mu\mu) + \text{jet}$ to $t\bar{t}\text{bar}$, *preferably backed by solid theory*
- Evaluating each step individually, and in connection to each other



Backup slides

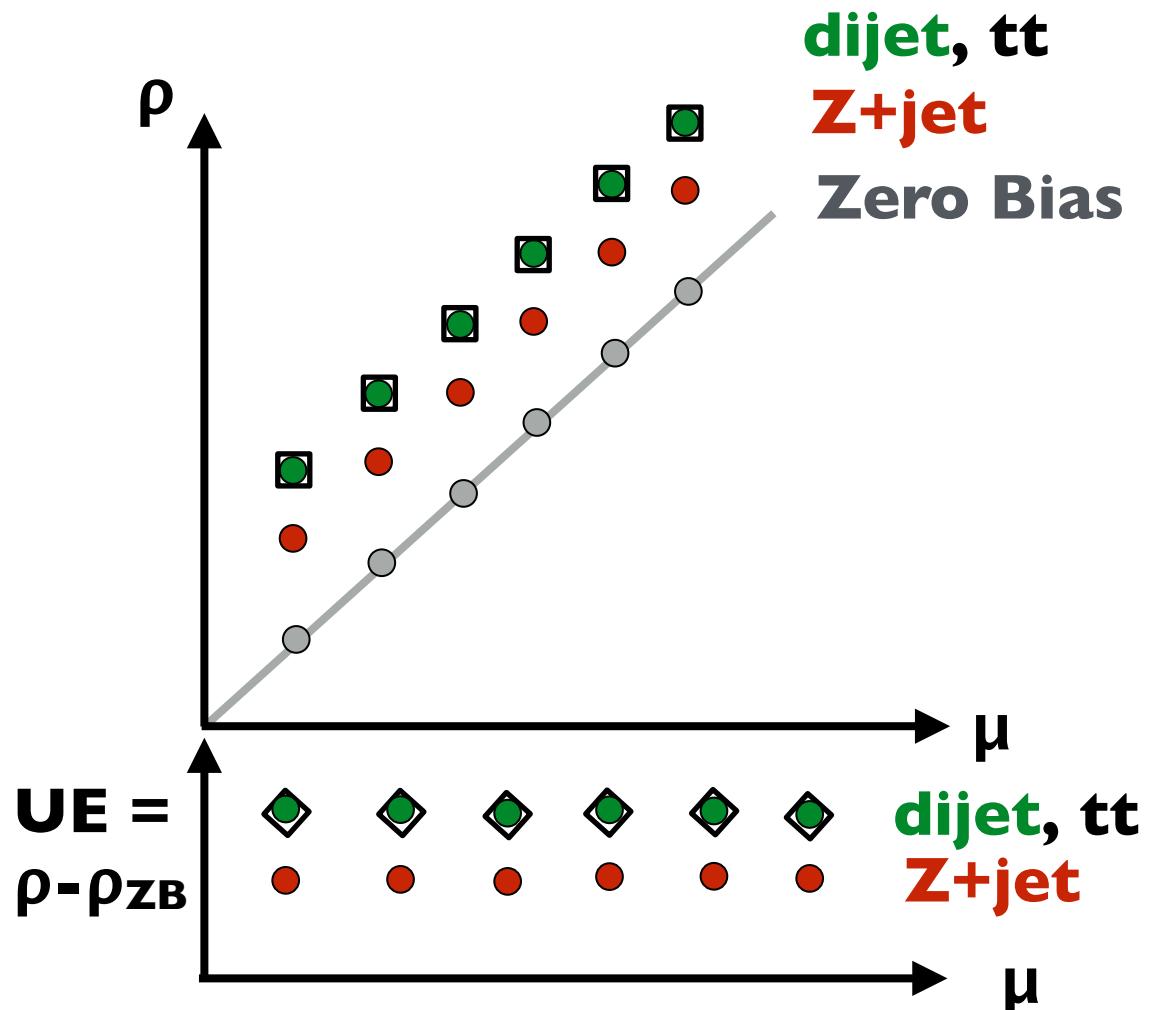
Gluon jet response

- Current experimental limitation is gluon jet response (=parton shower + fragmentation)
- Dijets mostly gluons at $p_T \sim 100$ GeV ($gg \rightarrow gg$), $Z+jet$ mostly quarks ($qg \rightarrow qZ$)
- Pythia and Herwig agree on quarks ($Z+jet$), but not on gluons (dijet)



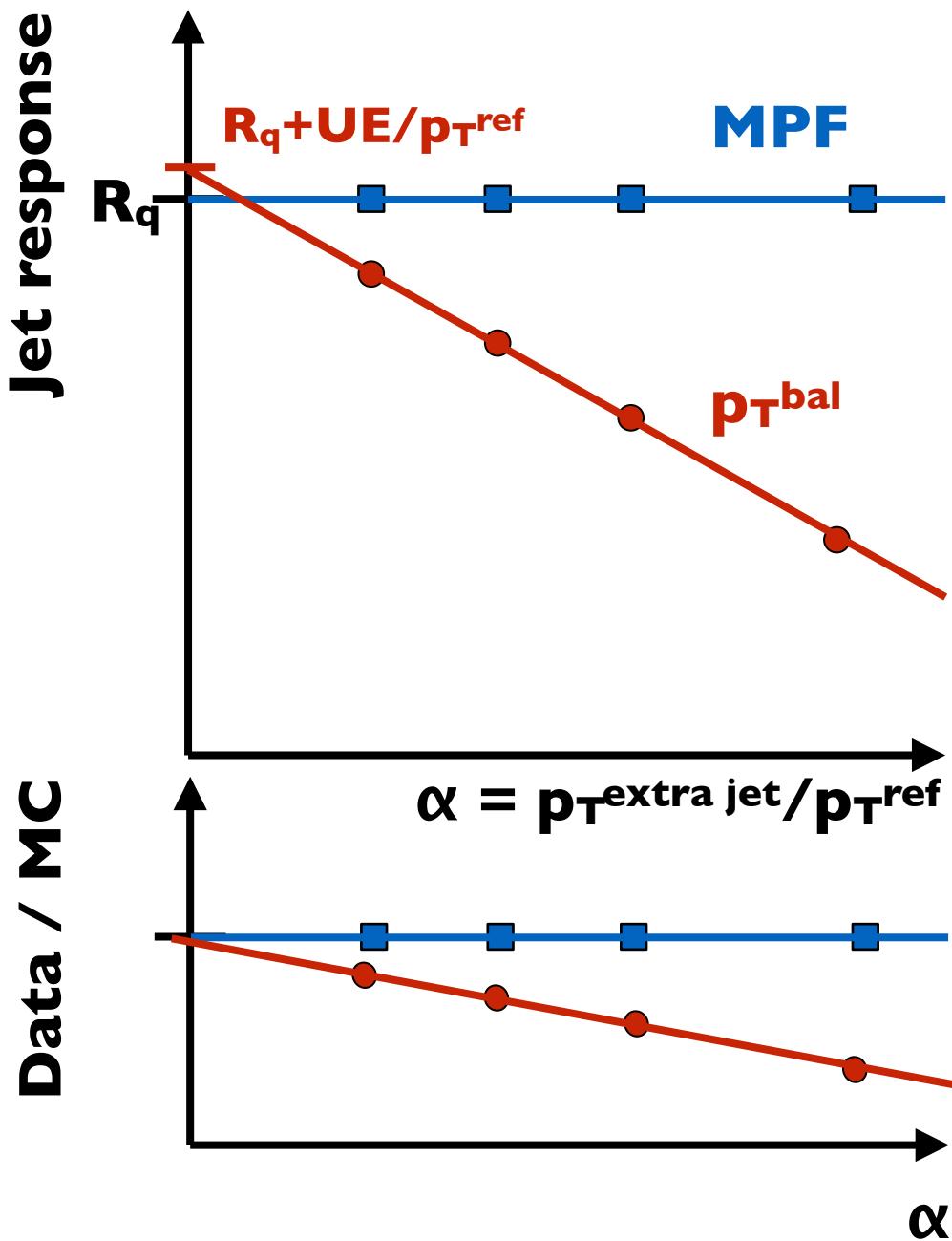
Constraints on UE

- FastJet (GridMedianEstimator) energy density ρ is a proxy of UE
 - ▷ Pileup factorized out by comparing to Zero Bias data as a function of average number of pileup (μ)
- Very minimal dependence on event scale (e.g. jet p_T , Z p_T) above $p_T > 10-20$ GeV
- Slight dependence on μ possible from non-linear calorimeter scale
- Present work: defining ρ for particle level MC, as it is designed to work better with pileup



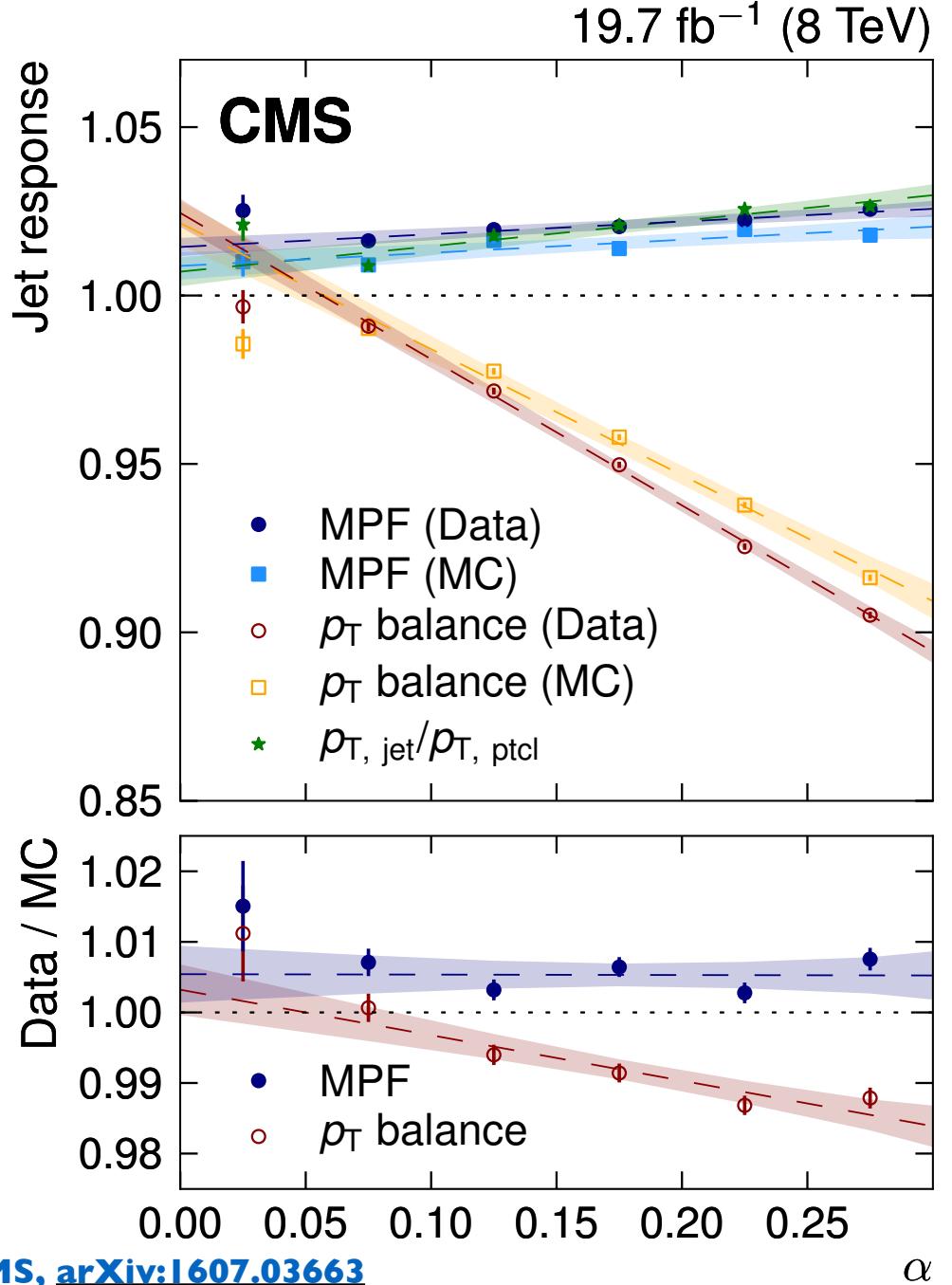
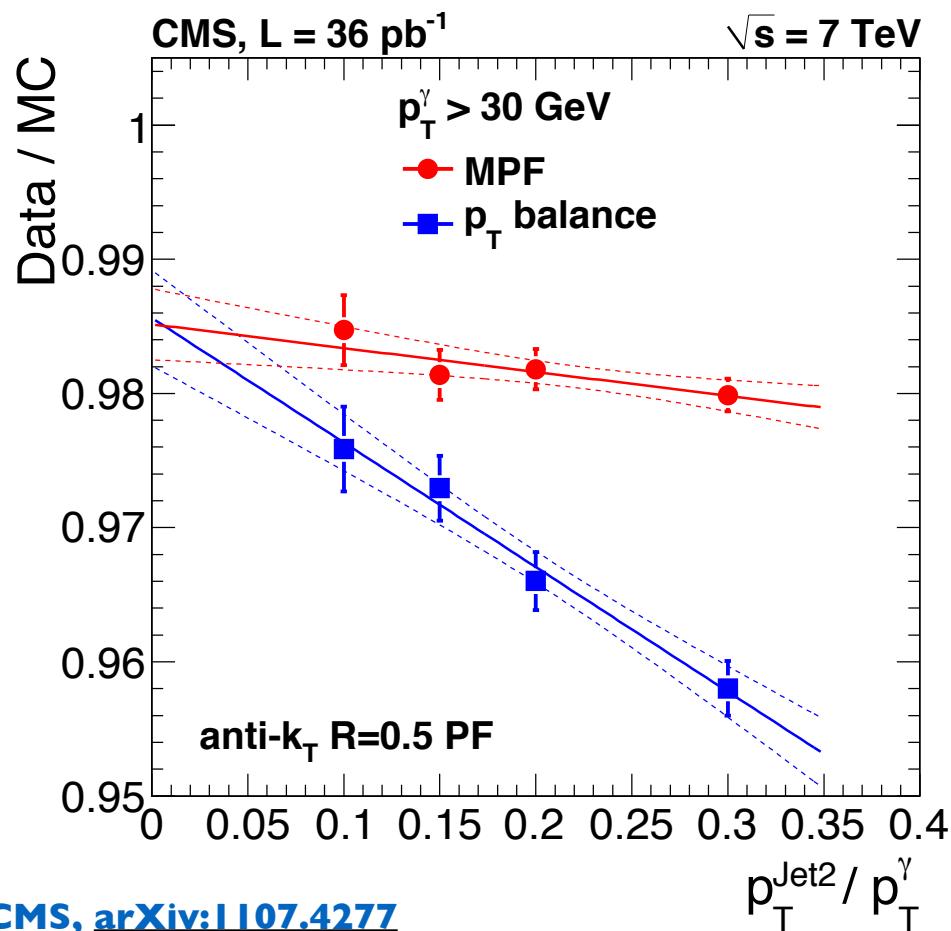
Constraints on FSR

- Jet corrections done with two methods
 - ▷ MPF, missing- E_T projection fraction: response of **hadronic recoil** (mostly 1st jet)
 - ▷ p_T^{bal} , ratio of **1^{st jet}** p_T to Z p_T
- Latter is sensitive to additional jets in recoil, former much less so
 - ▷ MPF: $R_{\text{add'l}} \sim R_{\text{jet}1} \Rightarrow R_{\text{MPF}} \sim R_{\text{jet}1}$
 - ▷ p_T^{bal} : $R_{\text{add'l}} = 0 \Rightarrow R_{pT\text{bal}} \ll R_{\text{jet}1}$



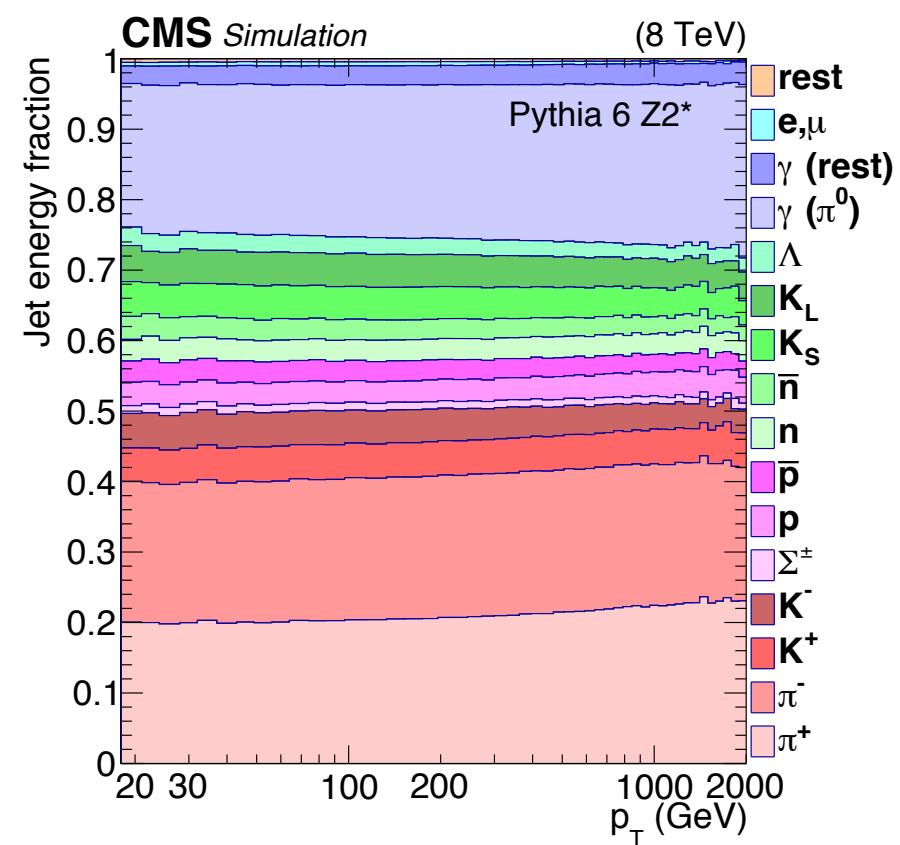
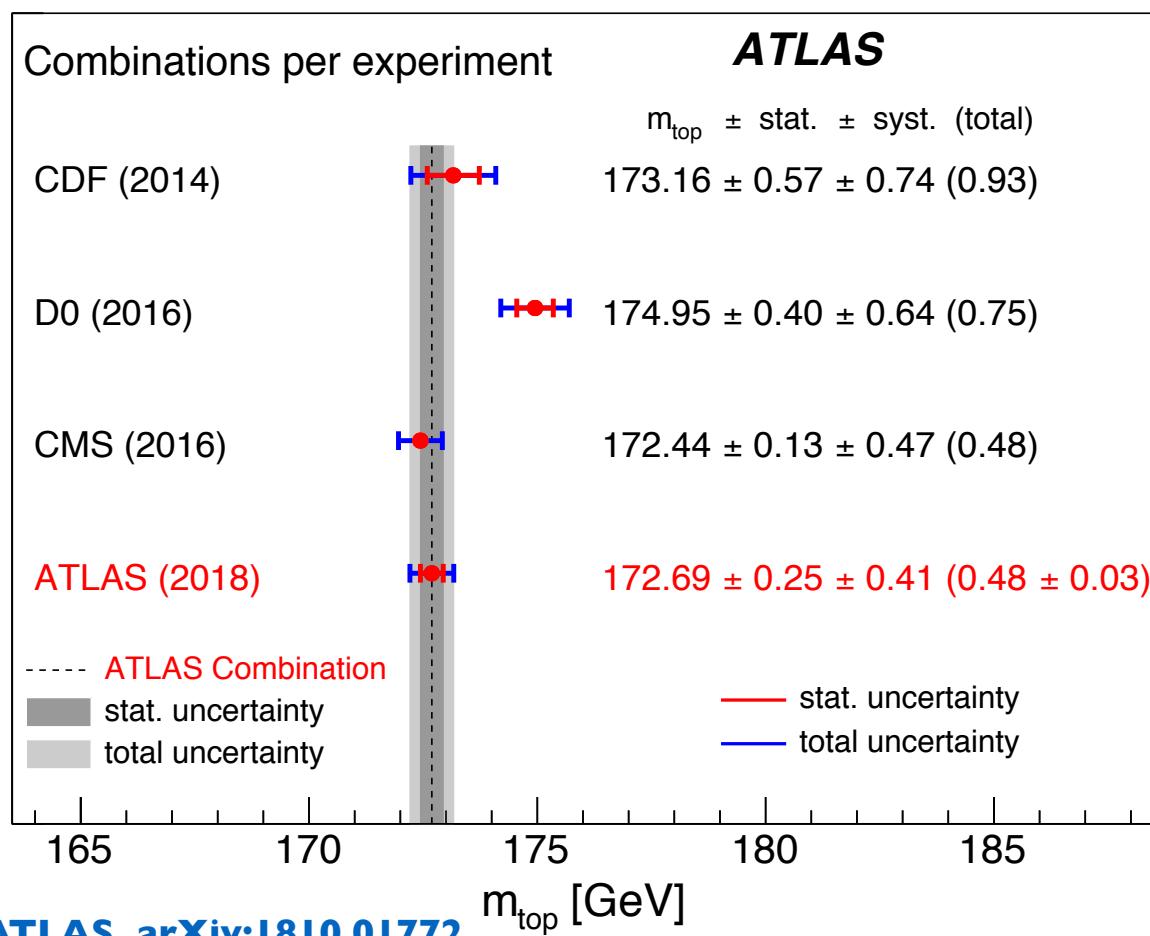
Constraints on FSR

- Actual data from 8 TeV vs MadGraph (right) and 7 TeV vs Pythia6 (bottom)
- Modelling of FSR has improved over time, but still requires close attention



Constraints on bJES

- Besides $Z+b$, can use jet fragmentation and single particle response to predict R_b
 - ▷ Main idea: $R_{jet} = \sum_i f_i * R_i(E_i)$, where f_i energy fraction, R_i single particle response to be fitted
- Method pioneered by D0, but two known caveats:
 - ▷ Input data uses p_T^{bal} method to estimate R_{jet} , known to be biased for Pythia6 LO MC (ref. FSR)
 - ▷ Input data uses gluon-rich EM+jet, and gluon f_i known to be biased for Pythia6 LO MC (ref. QGL)



CMS, arXiv:1607.03663