

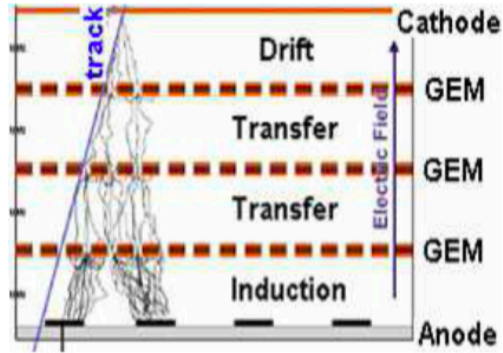
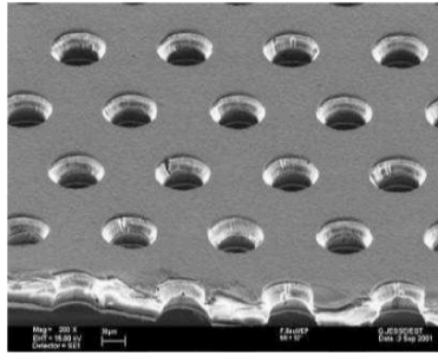
# A better understanding of the gas gain in GEM detectors

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# GEM DETECTOS:

For Gas Electron Multiplier (GEM) detectors a quantitative understanding of the gas gain is still lacking.



[1]

**Gas gain** = the multiplication factor between initial and final amount of electrons.

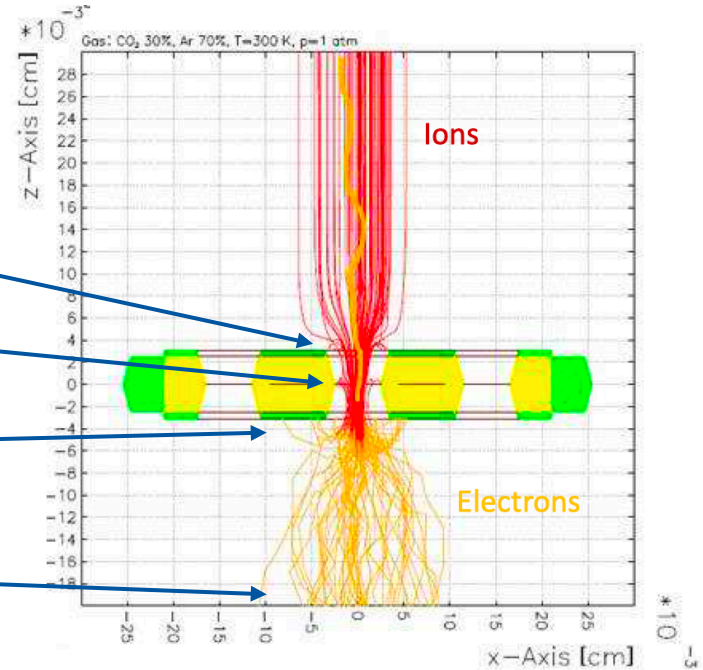
# GEM DETECTOS:

Ions on surface of the GEM

Charges on the polyimide

Electrons on the bottom of the GEM

Electrons on the anode



[2]

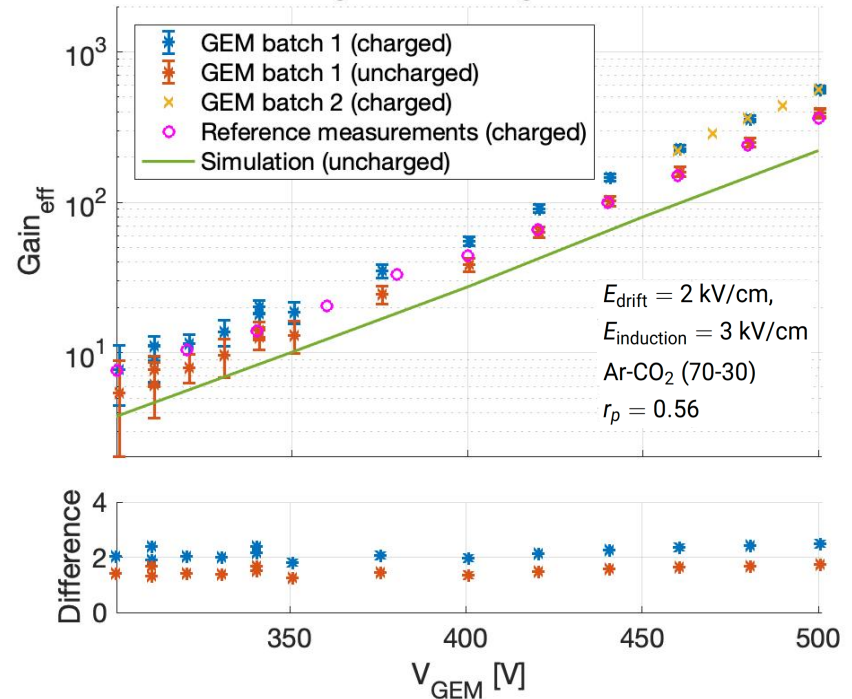
**Effective** gas gain = the multiplication factor between initial and final amount of electrons **which reach the anode.**

# AVENUES OF EXPLORATION:

We have explored this discrepancy between experiment and theory in the following ways:

- Surface potential calculations
- Electron transport algorithm
- Secondary electron emission
- Asymmetries in GEM hole geometry

Effective gain for a single GEM detector



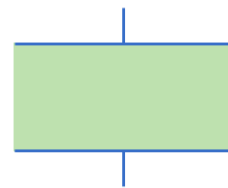
# SURFACE POTENTIAL CALCULATIONS:

Besides the accumulation of avalanche charge on the GEM we **calculate the surface potential** using the surface resistivity of polyimide.

Units:  $\Omega/\square$



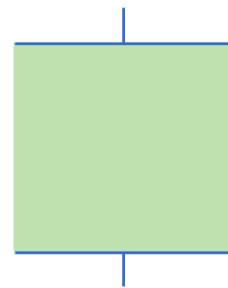
$$R = R_S$$



$$R = \frac{R_S}{2}$$



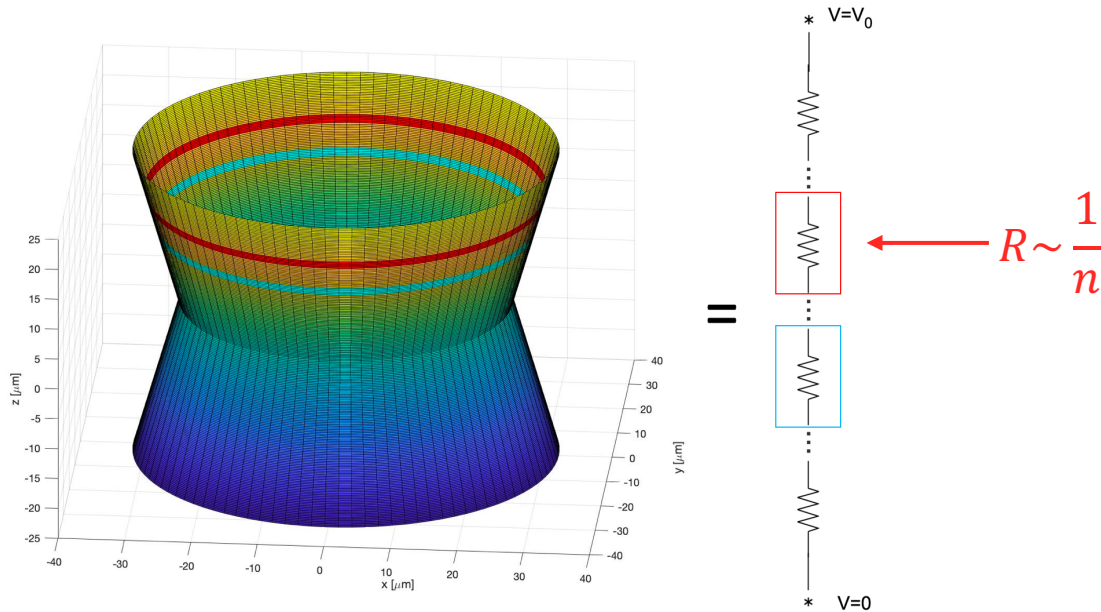
$$R = 2R_S$$



$$R = 2\frac{R_S}{2} = R_S$$

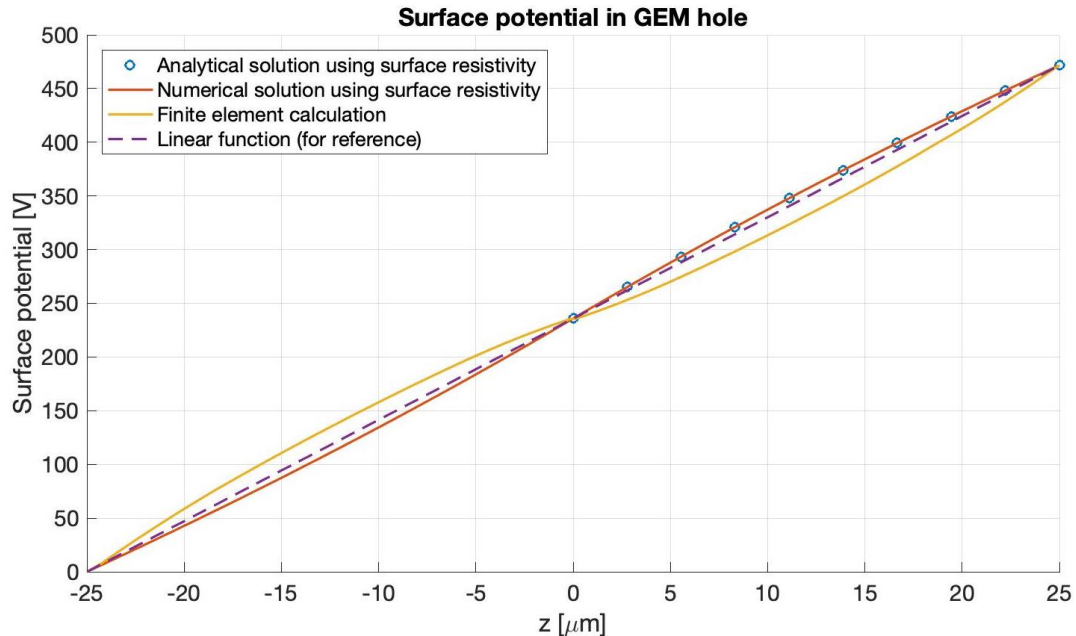
# SURFACE POTENTIAL CALCULATIONS:

Modeling the hole as a double cone and dividing it into strips:



# SURFACE POTENTIAL CALCULATIONS:

Taking the width of the strips  $\rightarrow 0$  we get an **analytic solution**:



## ELECTRON TRANSPORT ALGORITHM:

For each free time electrons are traced on a vacuum trajectory, according to **the local  $\vec{E}$ -field of the initial position of the particle:**

$$\vec{E}(\vec{r}, t) = \vec{E}(\vec{r}_0) = \text{Constant}$$

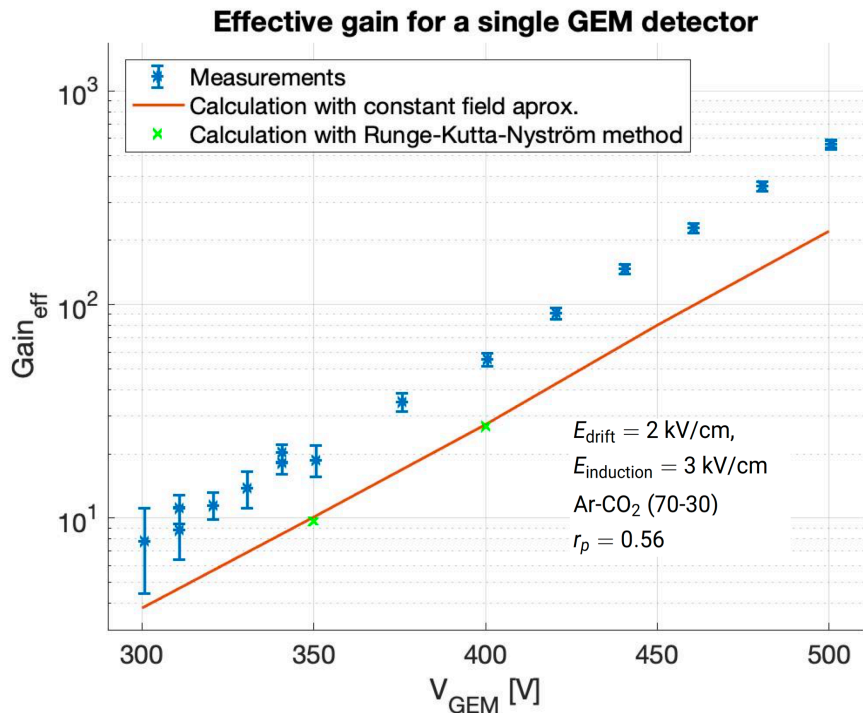
This local field approximation in addition to the null-collision technique determines collision rate.



# ELECTRON TRANSPORT ALGORITHM:

The **Runge-Kutta-Nyström method** was used to improve the accuracy of the transport algorithm.

This will allow to accurately simulate **low pressure gas gain detectors** ( $P \ll 1$  atm).



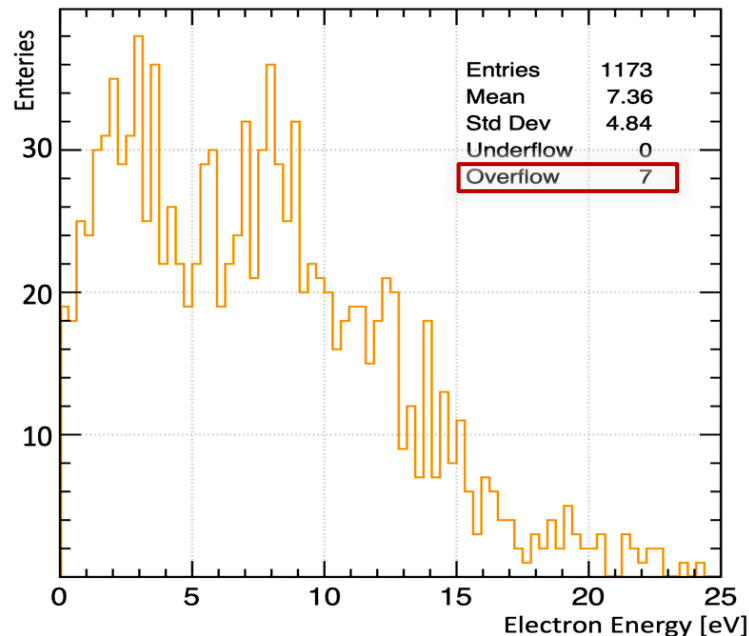
## SECONDARY ELECTRON EMISSION:

In the simulations the effect of secondary electron emissions from the polyimide surface has been ignored.

The minimum energy required to release charges from impact is  $\sim 29$  eV.

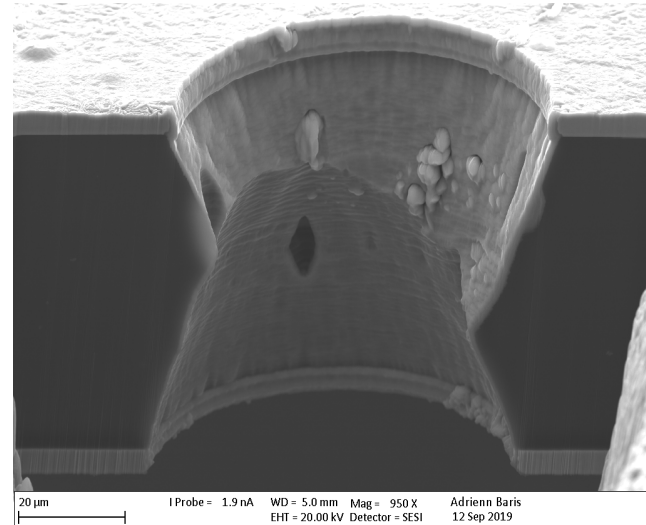
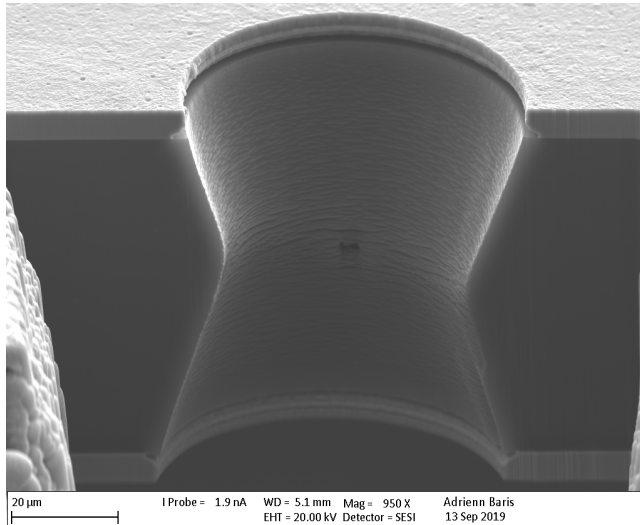
→ Neglectable effect!

Energy distribution of impact electrons



# EFFECTS OF HOLE GEOMETRY:

Asymmetries in the geometry of a GEM can occur due to **the etching processes**.

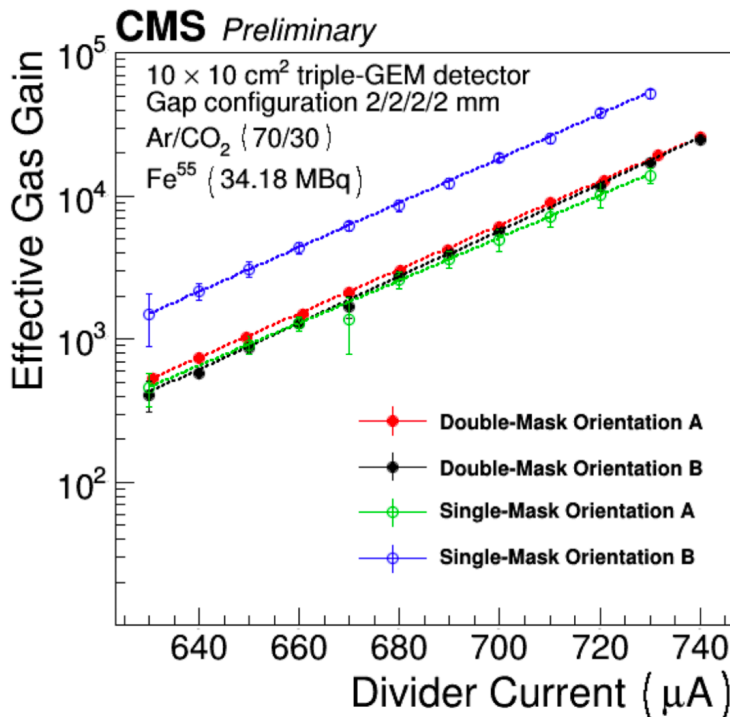


# EFFECTS OF HOLE GEOMETRY:

Two main production techniques are used.

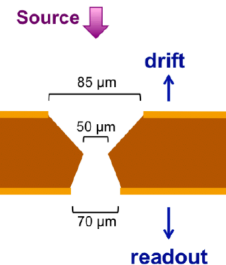
- Double mask
- Single mask

The gas gain is dependent on the orientation of the GEM.

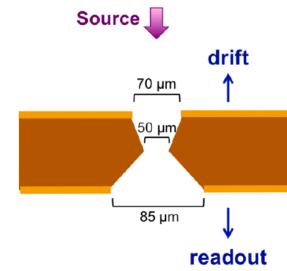


## Single-mask configurations

### Orientation A



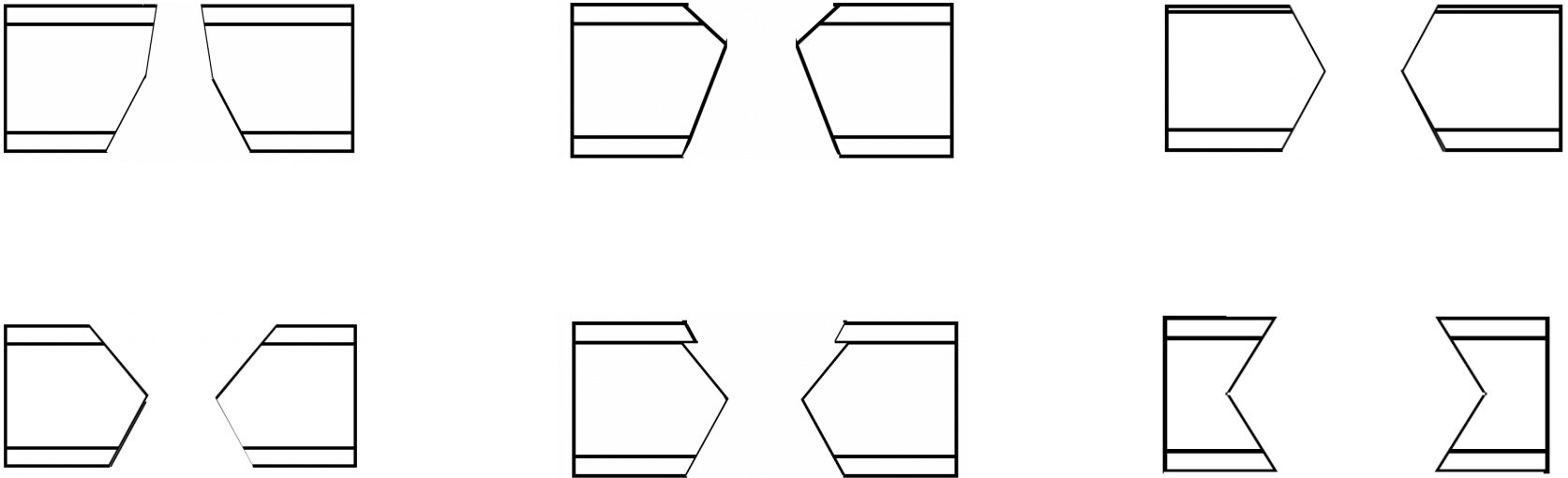
### Orientation B



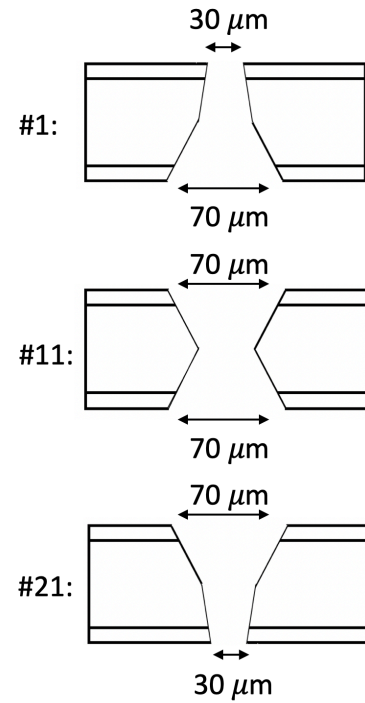
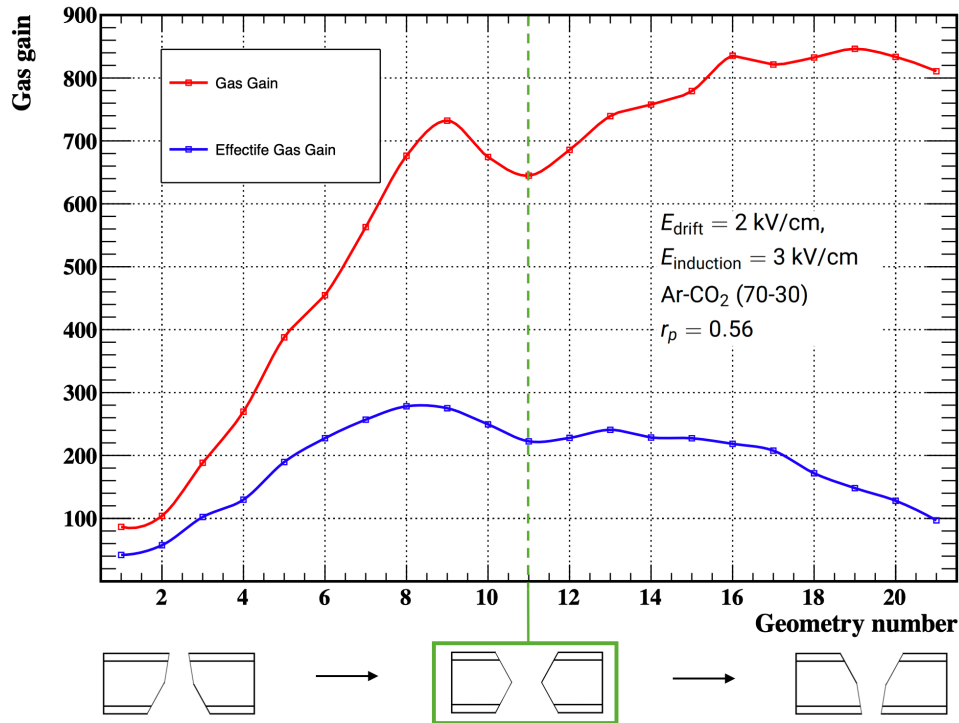
[3]

# EFFECTS OF HOLE GEOMETRY:

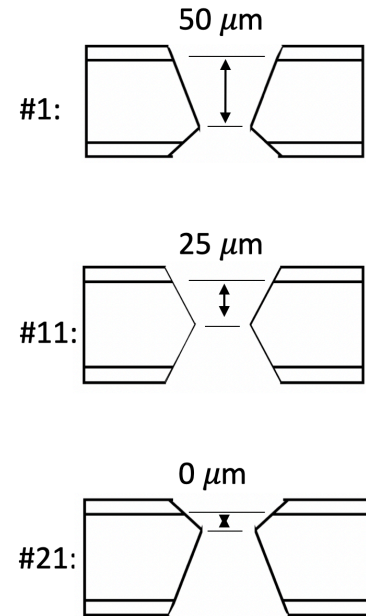
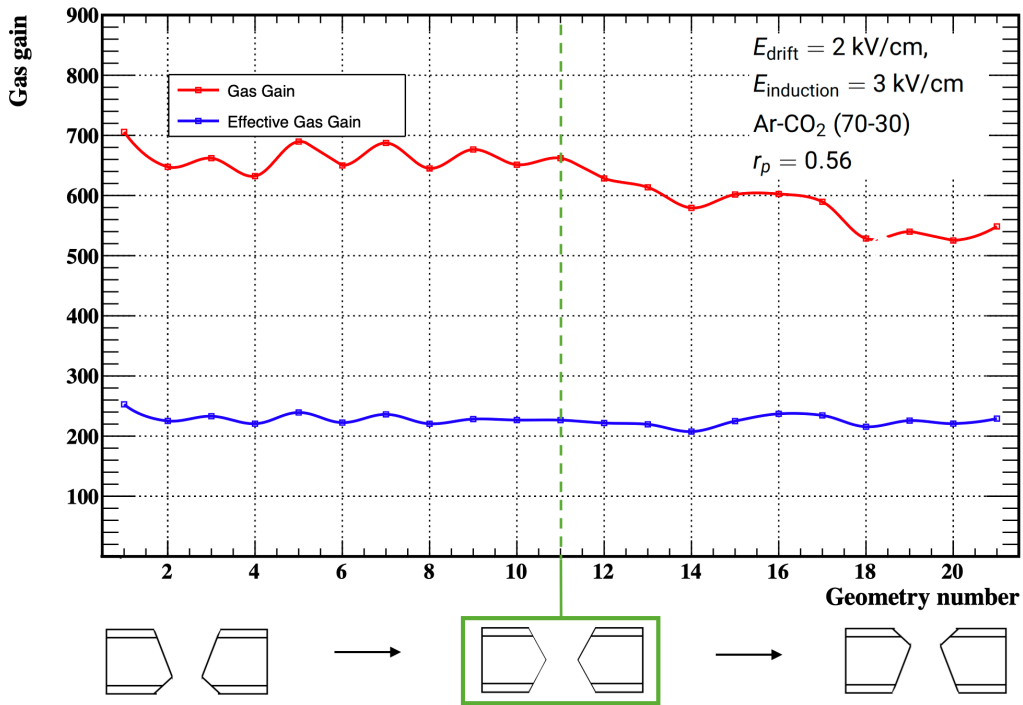
Different types of hole geometries have been studied:



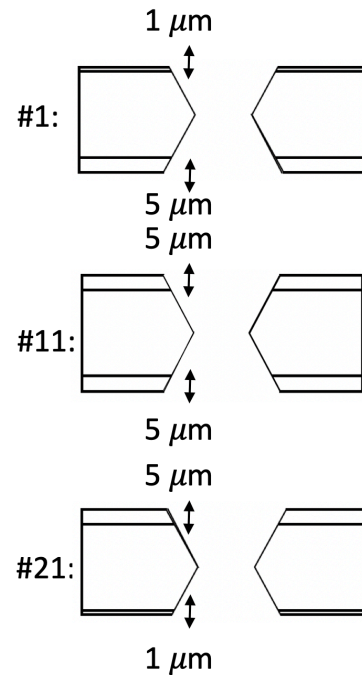
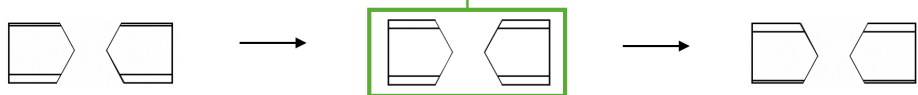
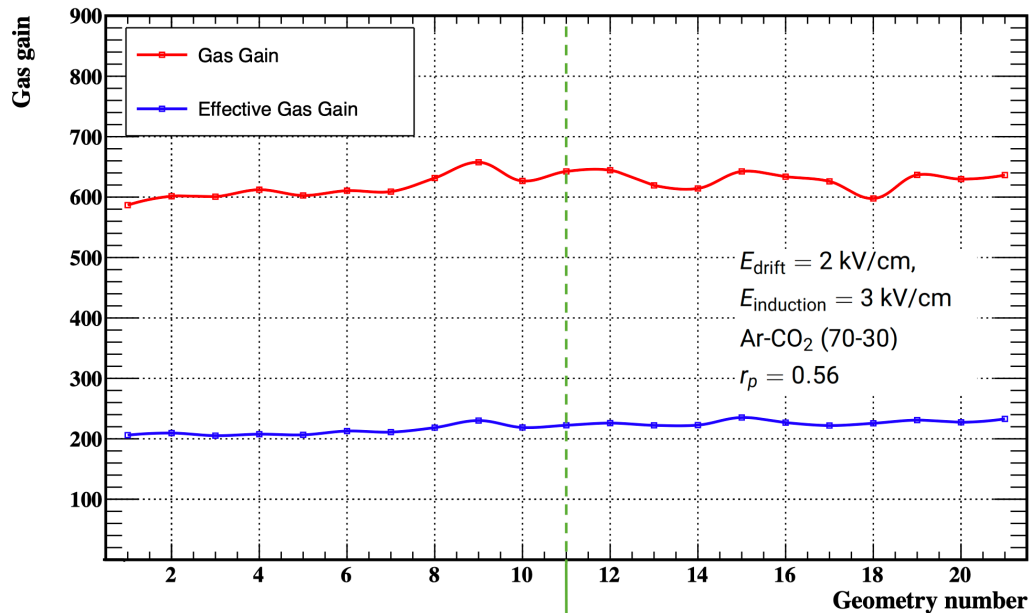
# EFFECTS OF HOLE GEOMETRY:



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# EFFECTS OF HOLE GEOMETRY:





## CONCLUSION:

During the project the following possibilities have been explored:

- Surface potential calculations
- Electron transport algorithm
- Secondary electron emission
- Asymmetries in GEM hole geometry

→ No solution to the discrepancy has been found!

## REFERENCES:

**Feel free to ask questions!**

- [1] M. Alfonsi et al., CERN-LHCC-2008-011.
- [2] G. Croci, Doctoral Thesis, University of Siena (2010)
- [3] J. Merlin, Doctoral Thesis, University of Strasbourg (2016).

