

GTS

Garfield-based Triple-GEM Simulator

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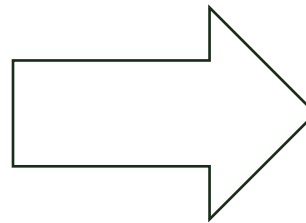
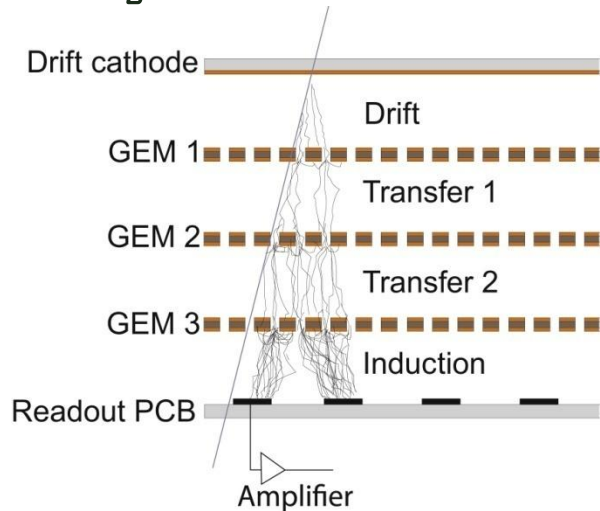
University of Torino
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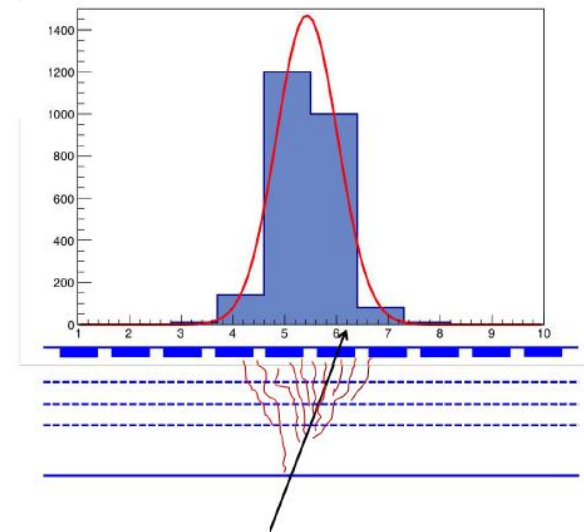
Digitization of a triple - GEM

simulate the triple-GEM response to the passage of the ionizing particle

from the generation of the electrons...



...to the signal formation



Available tool: GARFIELD++

STRAIGHTFORWARD CHOICE!

Reading from the webpage <https://garfieldpp.web.cern.ch>

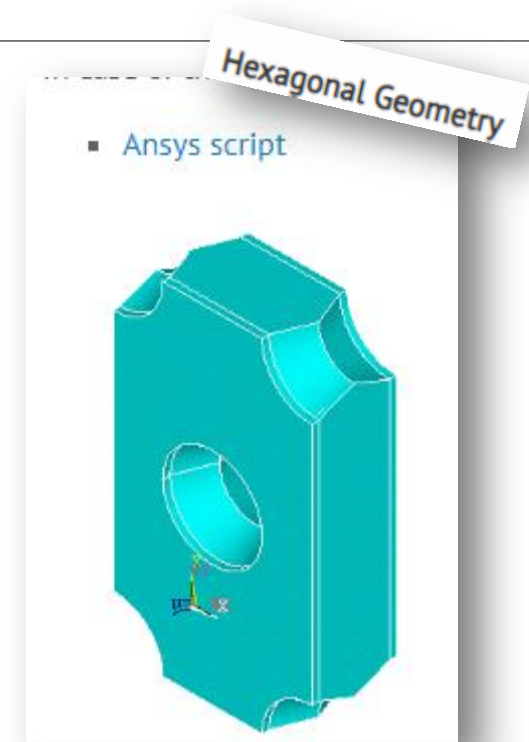
is a toolkit for the **detailed simulation of detectors which use gases** or semi-conductors as sensitive medium.

the main area of application is currently in **micropattern gaseous detectors**.

Ionisation → **Heed** generates ionisation patterns of fast charged particles

Electric fields → interfaces with the finite element programs (Ansys, Elmer, Comsol and CST) which can compute approximate fields in nearly arbitrary 3D configurations with dielectrics and conductors

Transport of electrons → **Magboltz** is used for computing electron transport and avalanches in nearly arbitrary gas mixtures



Available tool: GARFIELD++

BUT (CPU) TIME IS PRECIOUS!

GOAL: use this digitization inside the full detector simulation → needs to be fast

We tried to run the **complete simulation** of a triple-GEM:

- ionization
- three stages of amplification
- drift of the electrons

on the distributed computing environment based on  **DIRAC**
for BESIII experiment, **but it took more than one day!**



GARFIELD++ capabilities

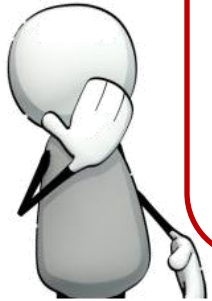


More speed

Parametrization!



Looking for inspiration



IEEE TRANSACTIONS ON NUCLEAR SCIENCE, VOL. 49, NO. 4, AUGUST 2002

A Complete Simulation of a Triple-GEM Detector

W. Bonivento, A. Cardini, G. Bencivenni, F. Murtas, and D. Pinci

Primary Ionization

clusters
electrons/cluster

GEM properties

Gain
Transparency

Drift properties

Lorentz angle &
Diffusion
[in the four gaps]

Signal formation

Induction
Readout

Our final solution



GARFIELD++
studies of various
parameters



comparison
between the
standalone code
and GARFIELD

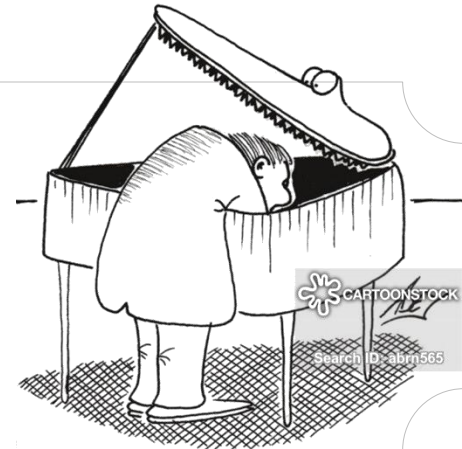


**GARFIELD–based
Triple–GEM
Simulator**

implementation of
a standalone code



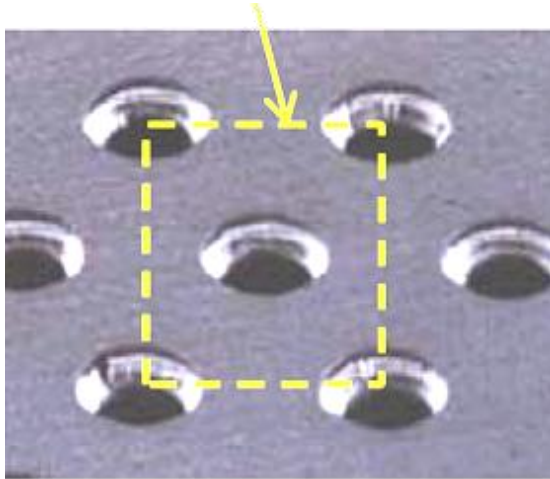
tuning to
testbeam data



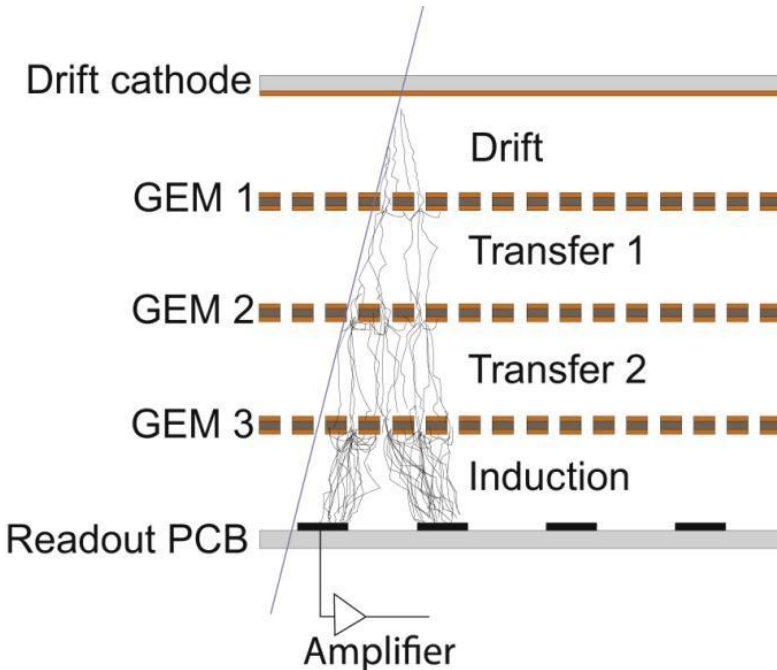


GARFIELD++ simulations

GARFIELD++ simulations



- geometry, field, HV described in **ANSYS**
- development of the avalanche from **GARFIELD++**
- planar GEM chambers considered



*The triple-GEM was simulated in steps
more details will follow*

- used different HV settings
- used different field settings
- with and without magnetic field on

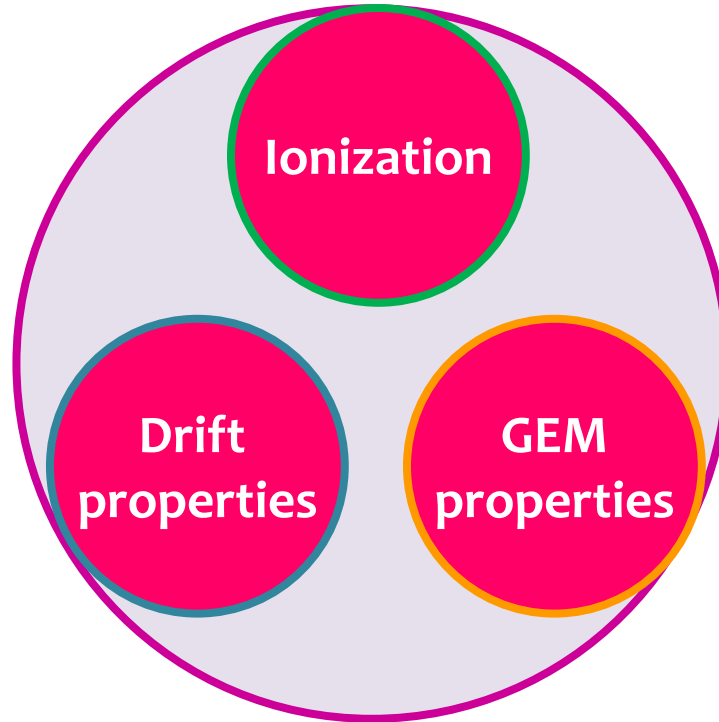


**GTS implementation
&
comparison to GARFIELD++**



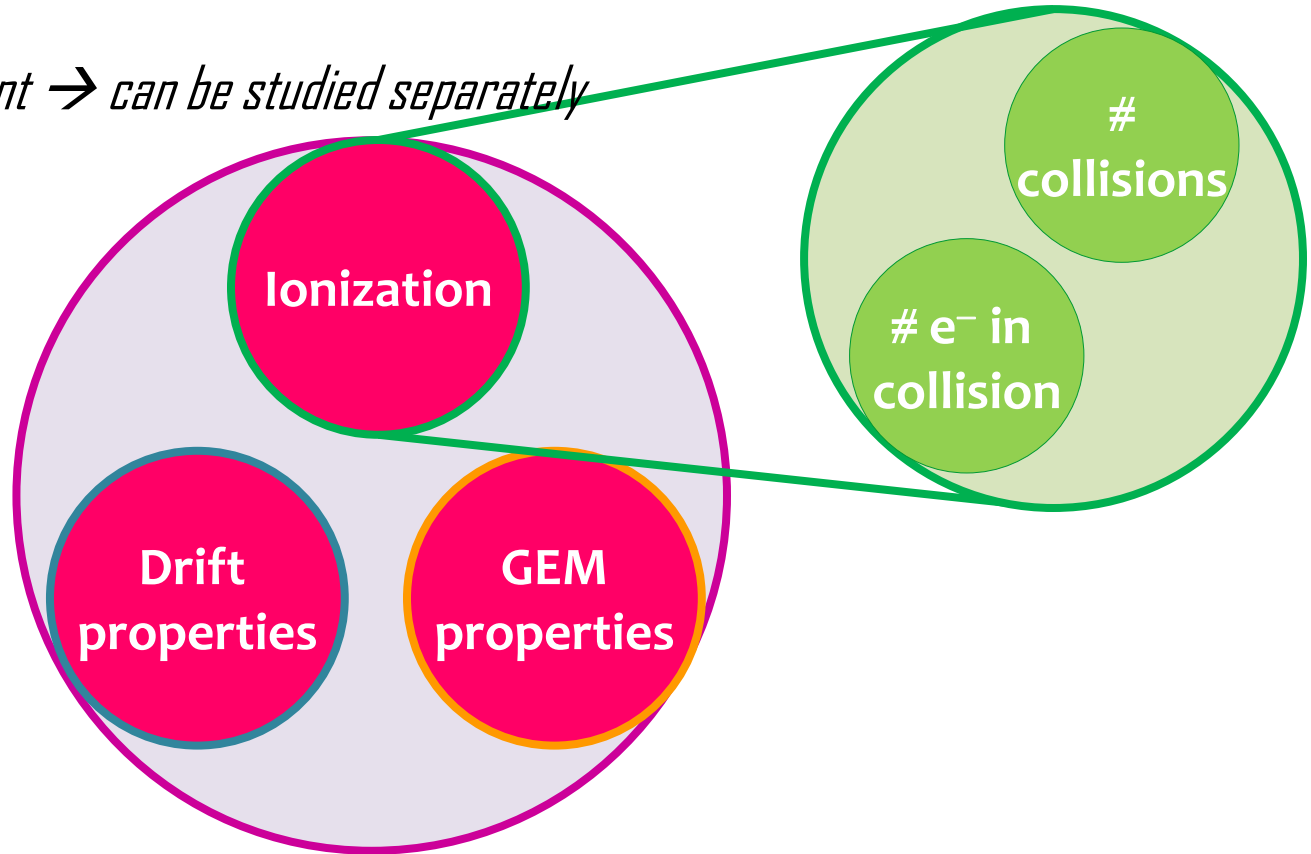
GTS scheme

various steps are independent → can be studied separately



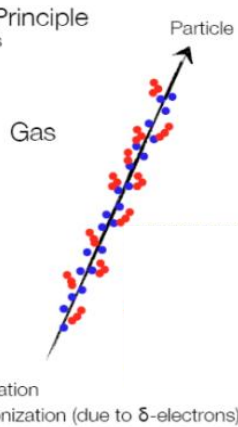
Ionization

various steps are independent → can be studied separately



Ionization

Schematic Principle
of gas detectors



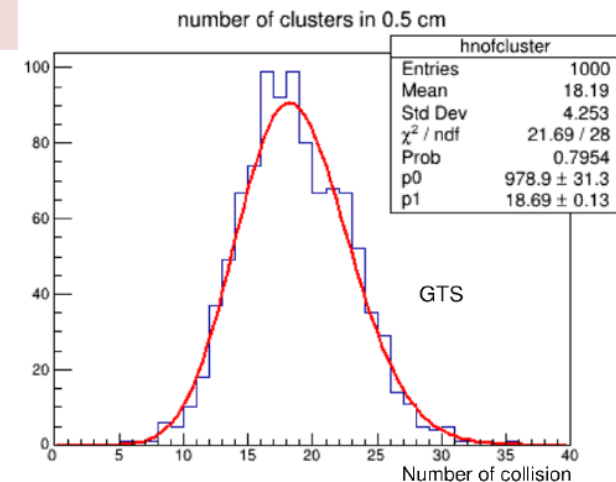
- **primary ionization** – Poissonian process
 - *relative position* from exponential distribution
 - the number of the ionizations follows
- **secondary ionization** – from tables [F.Sauli (1977) *Principles of Operation of Multiwire Proportional and Drift Chambers*; A. Sharma *Properties of some gas mixture used in tracking detectors*]
 - consistent with GARFIELD++ simulations

Simulations

Electron clusters were extracted for M.I.P. (150 GeV/c muons) → will be extended to other particles and energies

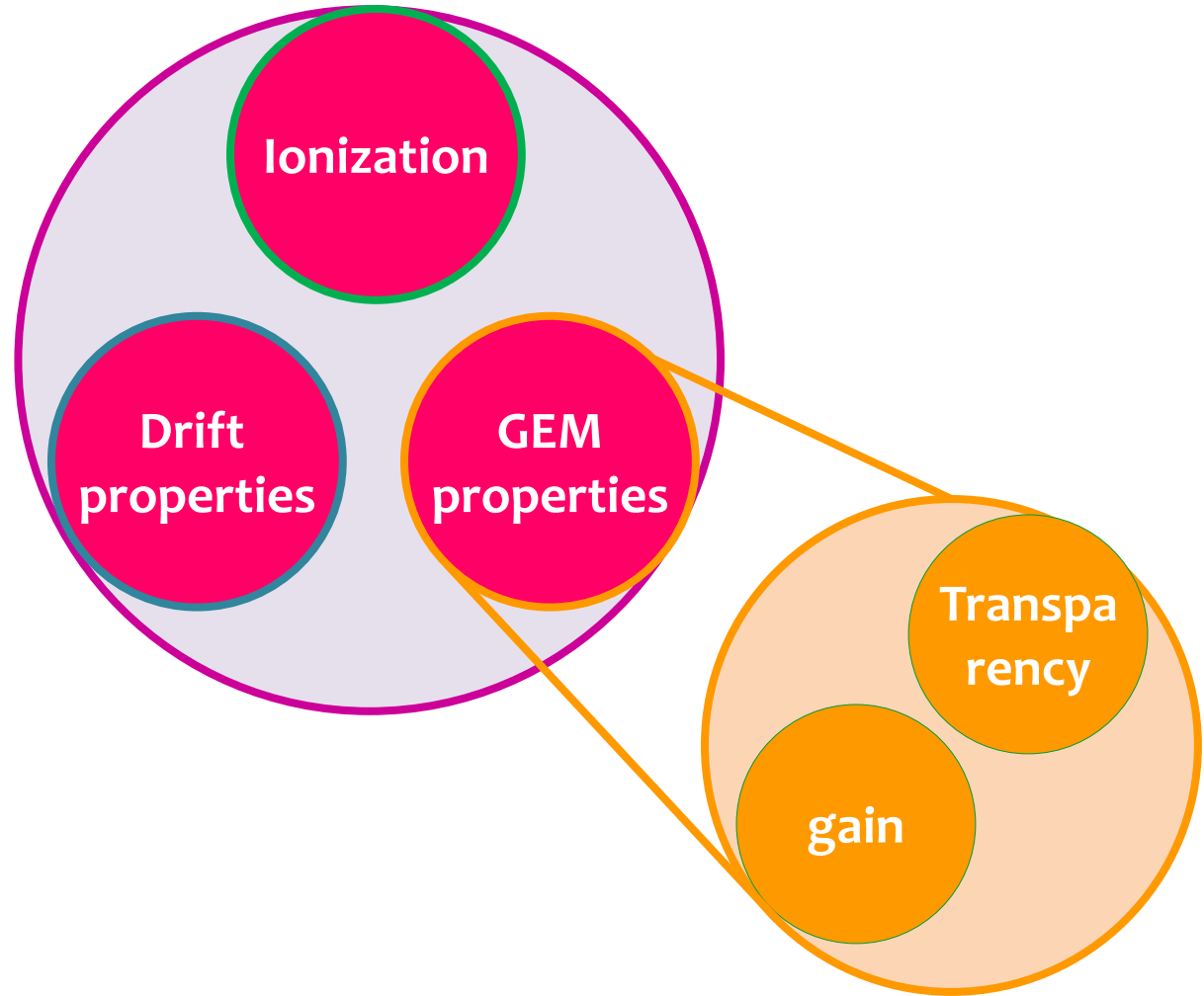
Two approximations

- ionization electrons generated **only in the drift gap**
- secondary electrons with the **same origin** of the primaries

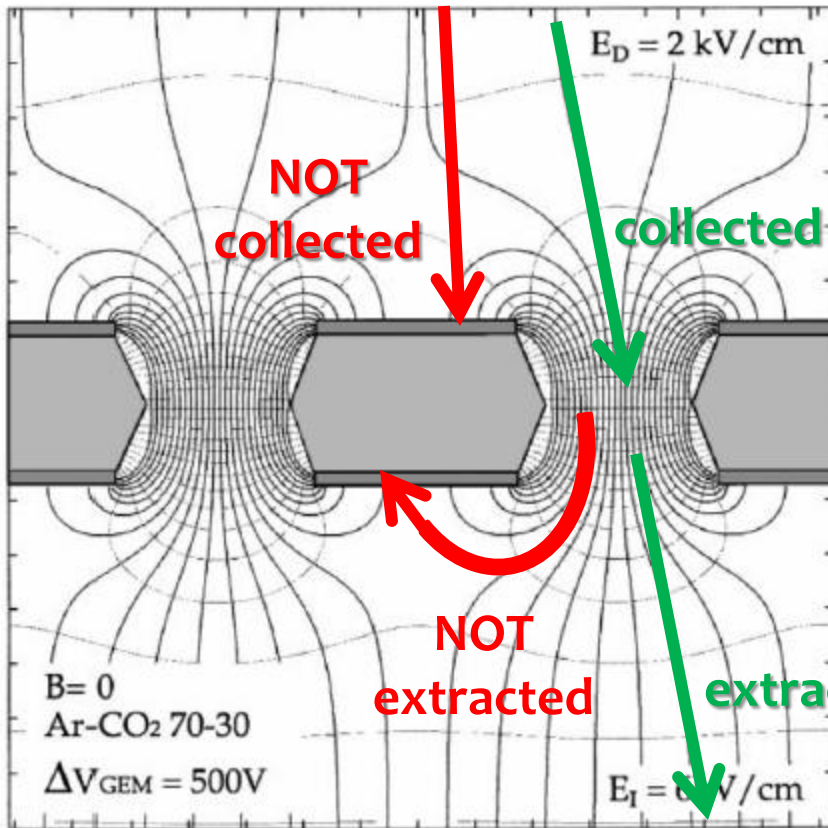


GEM properties

various steps are independent → can be studied separately



Transparency



Collection efficiency

electrons into the hole

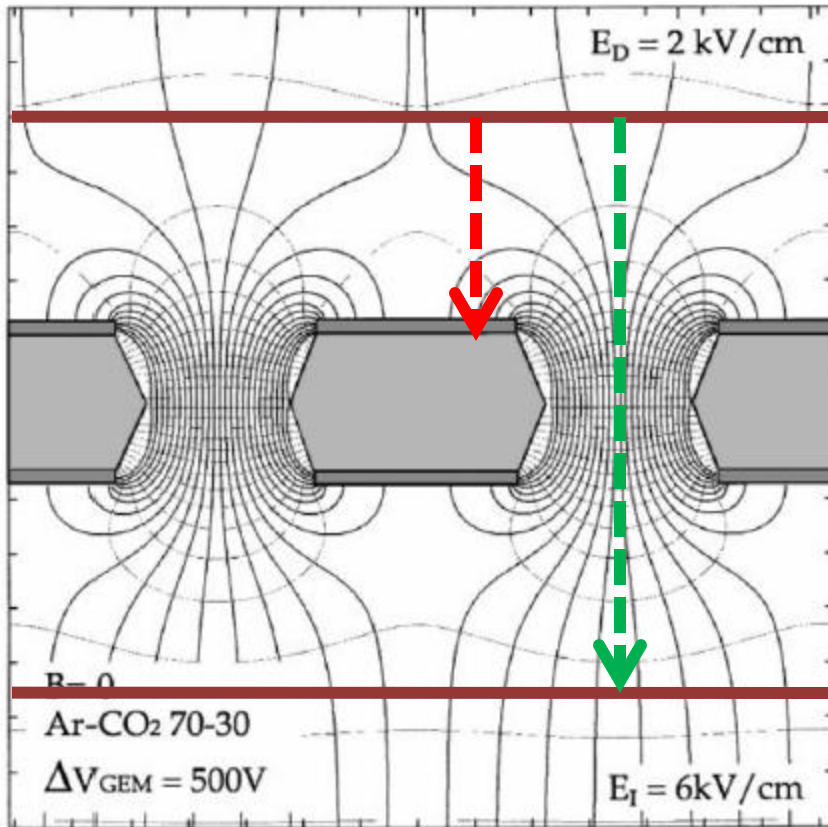
generated electrons

Extraction efficiency

electrons from the hole

electrons in the avalanche

Transparency



Collection efficiency

electrons into the hole

generated electrons

Extraction efficiency

electrons from the hole

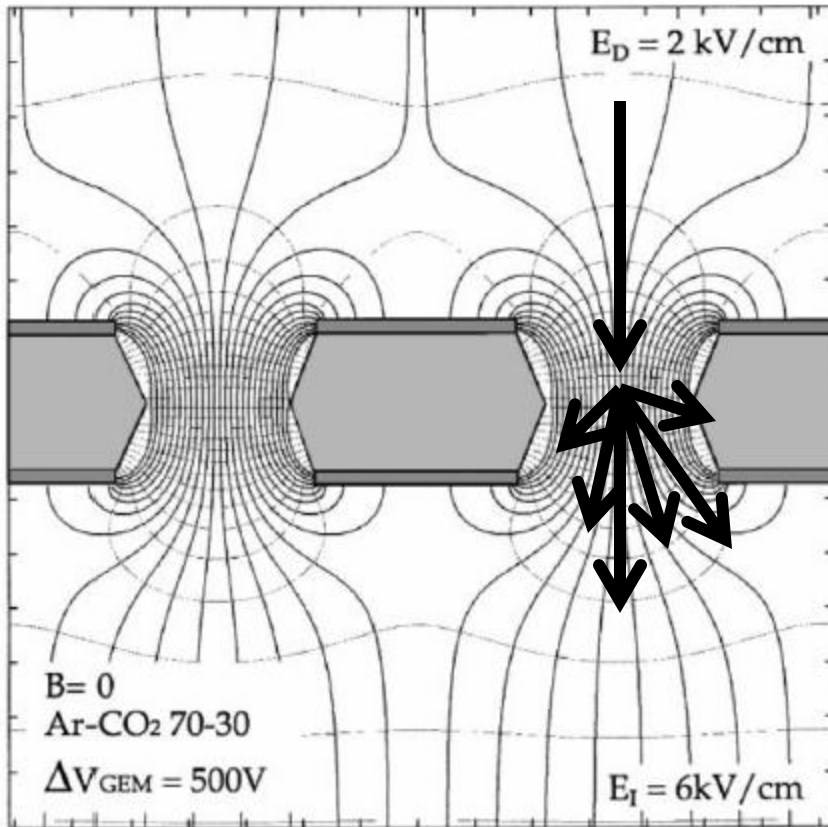
electrons in the avalanche

Simulation

- shoot 10k e^- , $150 \mu\text{m}$ above the GEM
- count e^- , $150 \mu\text{m}$ below the GEM
- avalanche OFF

$$T = \varepsilon_{\text{coll}} \varepsilon_{\text{extr}}$$

Gain



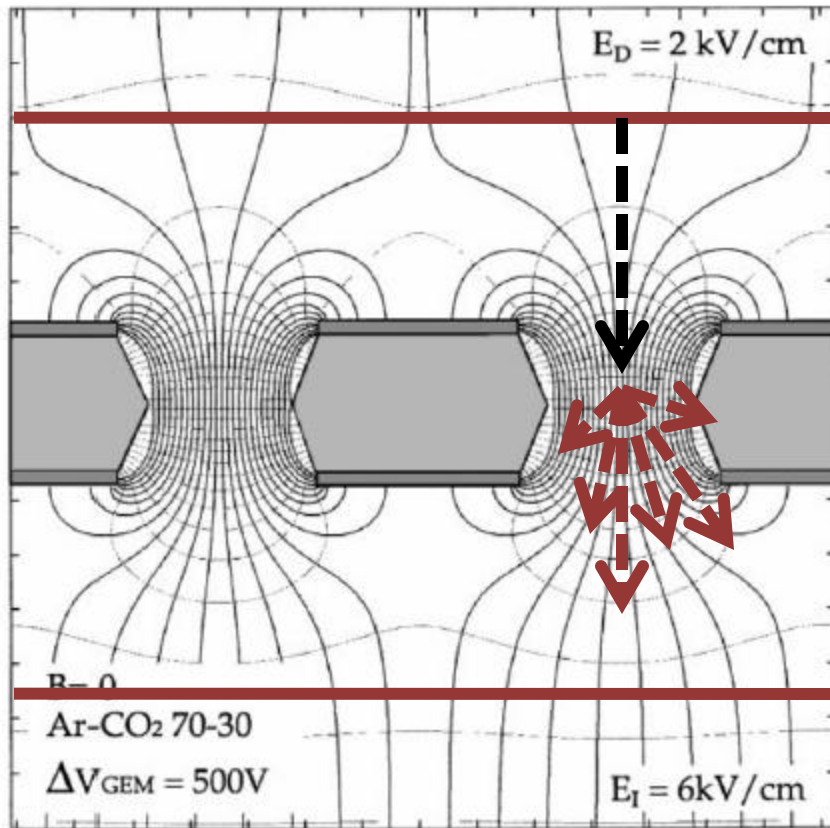
Gain fluctuations → Polya distribution

[G. Iakovidis PhD Thesis, Research and Development in Micromegas Detector for the ATLAS Upgrade]

$$P(G) = C_0 \frac{(1 + \theta)^{1+\theta}}{\Gamma(1 + \theta)} \left(\frac{G}{\bar{G}} \right)^\theta \exp \left[- (1 + \theta) \frac{G}{\bar{G}} \right]$$

\bar{G} = intrinsic gain mean value
 $\theta \rightarrow$ connected to variance

Gain



Gain fluctuations \rightarrow Polya distribution

[G. Iakovidis PhD Thesis, Research and Development in Micromegas Detector for the ATLAS Upgrade]

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\bar{G} = intrinsic gain mean value
 $\theta \rightarrow$ connected to variance

Simulation

- shoot 10k e^- , $150 \mu\text{m}$ above the GEM
- count e^- in the avalanche
- \rightarrow intrinsic gain
- avalanche ON

$$G_{\text{eff}} = T G_{\text{intr}}$$

For each of the three GEMs

Triple – GEM full gain

Studies have shown that the actual triple-GEM full gain is not simply the product of GEM1, GEM2 and GEM3 gains!

Procedure

1. evaluate transparency + intrinsic gain by GARFIELD++
2. apply them to GEM1, GEM2, GEM3
3. fill the **effective gain** histogram with 1M events with full simulation chain,

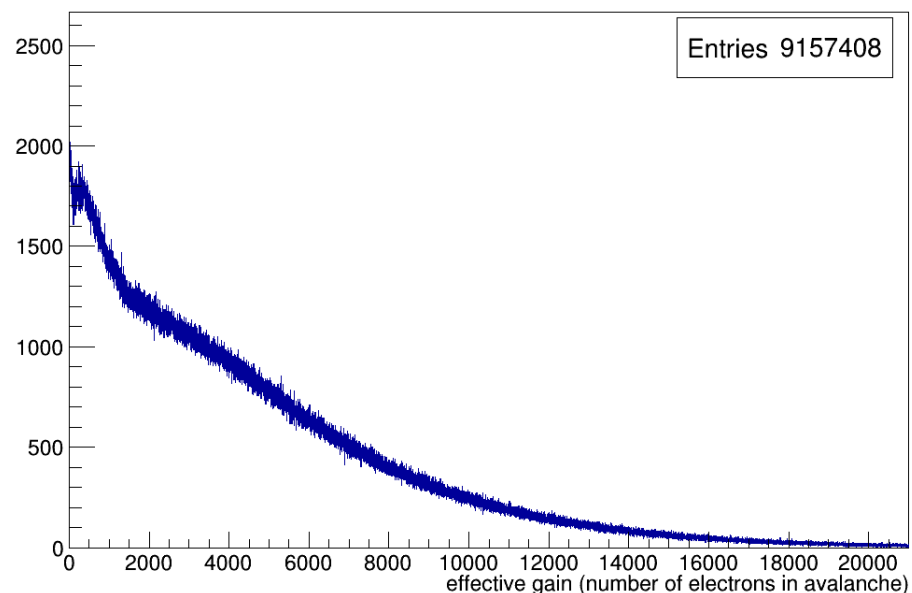
i.e. sampling:

$$\varepsilon_{\text{coll, GEM1}} \rightarrow \text{gain}_{\text{GEM1}} \rightarrow \varepsilon_{\text{extr, GEM1}} \rightarrow$$

$$\varepsilon_{\text{coll, GEM2}} \rightarrow \text{gain}_{\text{GEM2}} \rightarrow \varepsilon_{\text{extr, GEM2}} \rightarrow$$

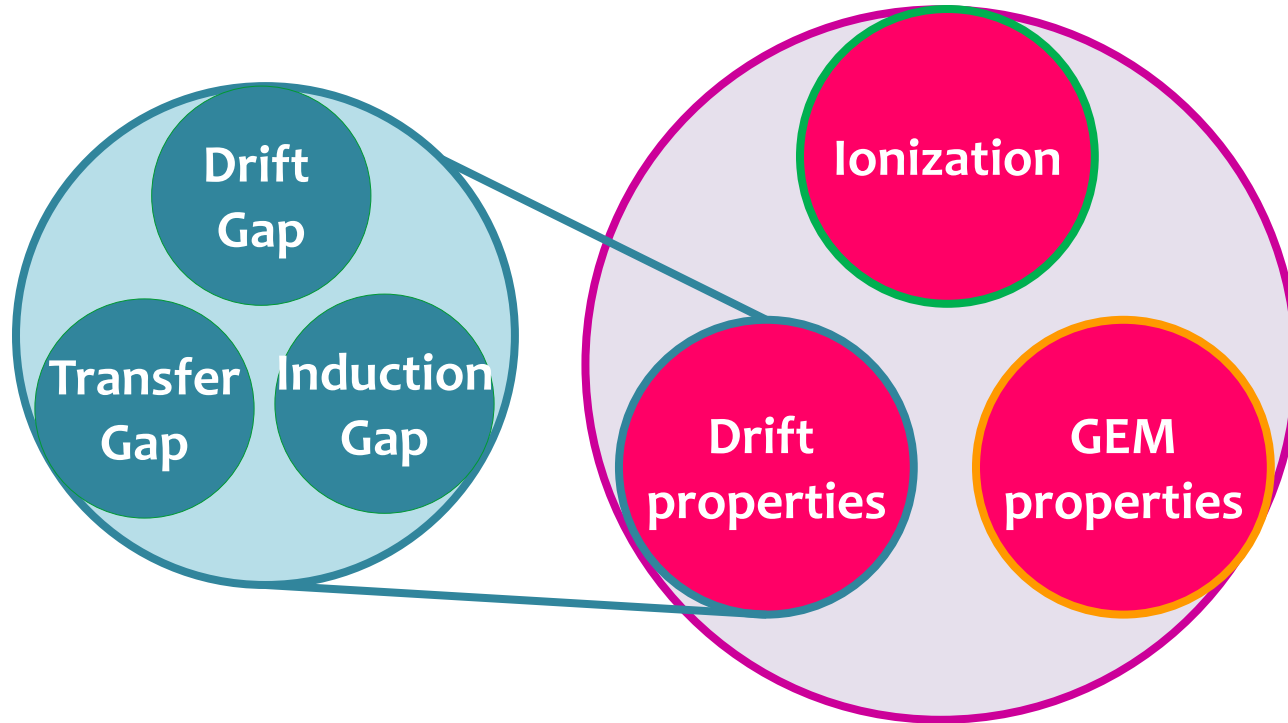
$$\varepsilon_{\text{coll, GEM3}} \rightarrow \text{gain}_{\text{GEM3}} \rightarrow \varepsilon_{\text{extr, GEM3}}$$

4. sample from it!

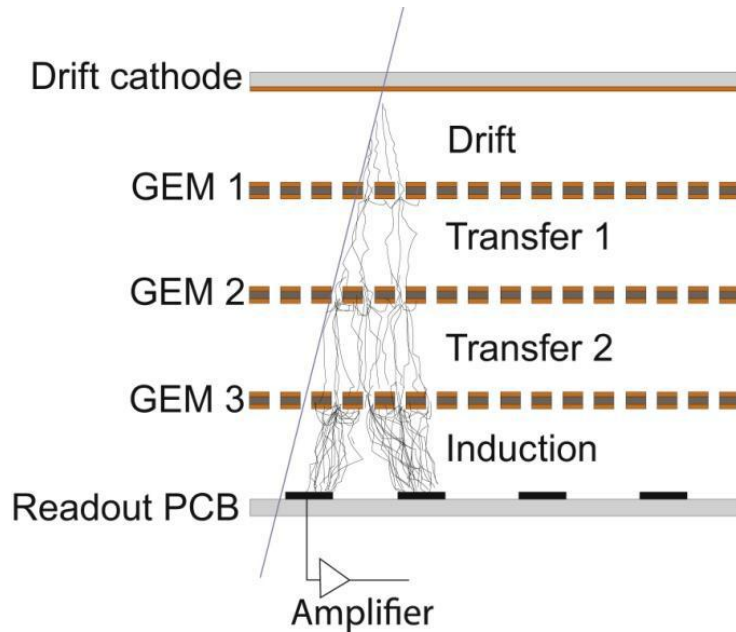


Drift properties

various steps are independent → can be studied separately



Drift properties



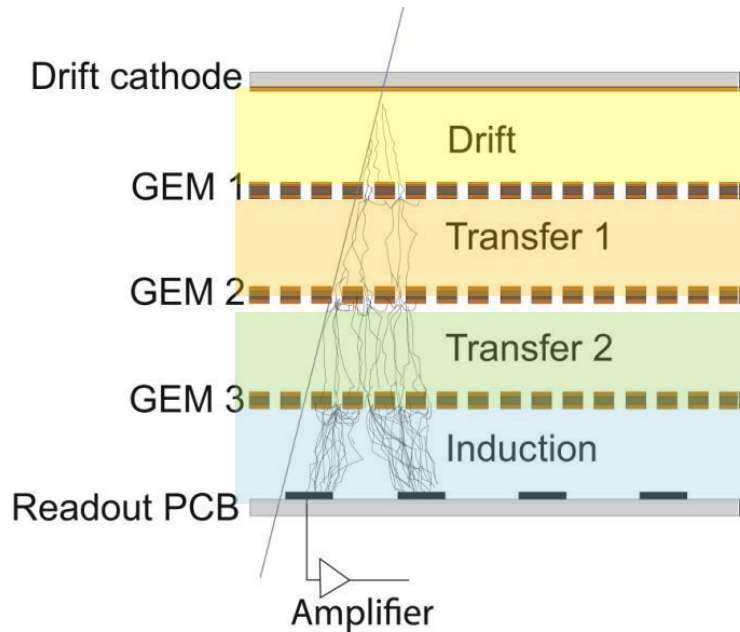
Presence of gas → Diffusion

- spread in position
- spread in time

Presence of mag. Field → Lorentz force

- shift in position
- longer times

Drift properties



Presence of gas → Diffusion

- spread in position
- spread in time

Presence of mag. Field → Lorentz force

- shift in position
- longer times

Study the different gaps separately

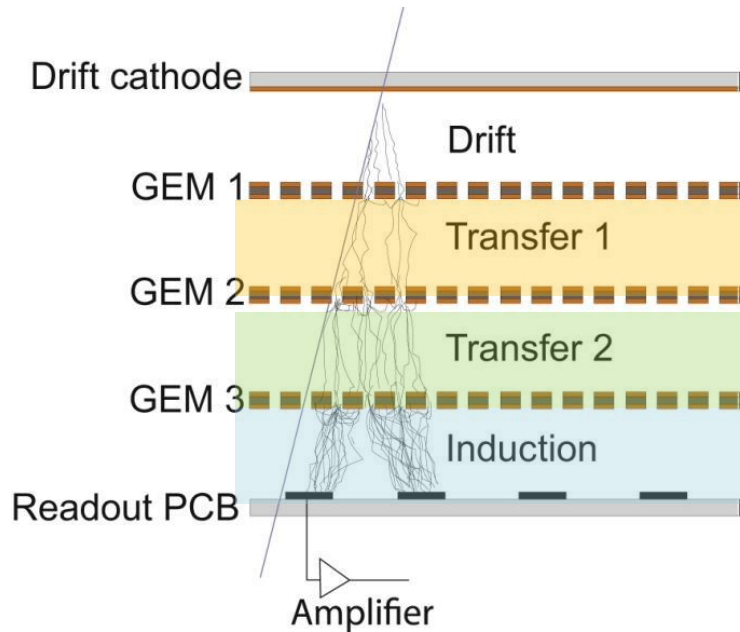
for each gap:

- extract Δx and Δt distributions
- fit the σ_x , σ_t , μ_x , μ_t distributions to parametrize them

Simulation

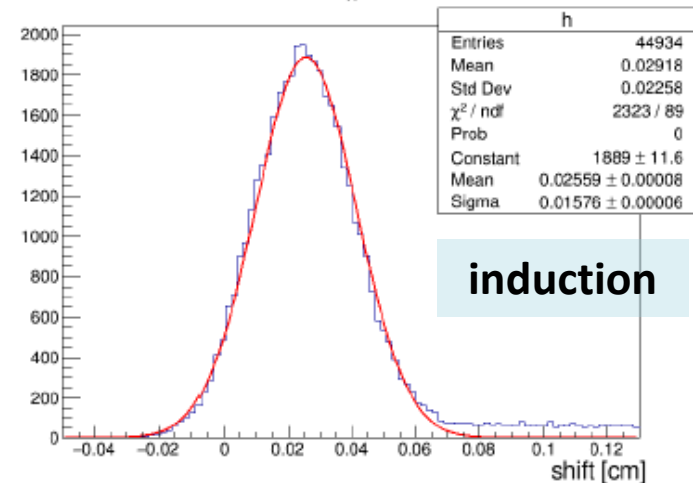
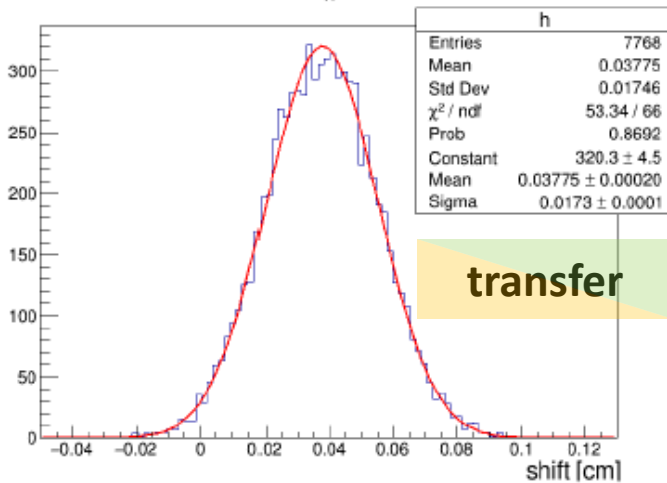
- shoot 10k e^- in each gap
- magnetic field $B = 1T$
- avalanche *OFF*
- only drift *ON*

Position/time: shift & spread

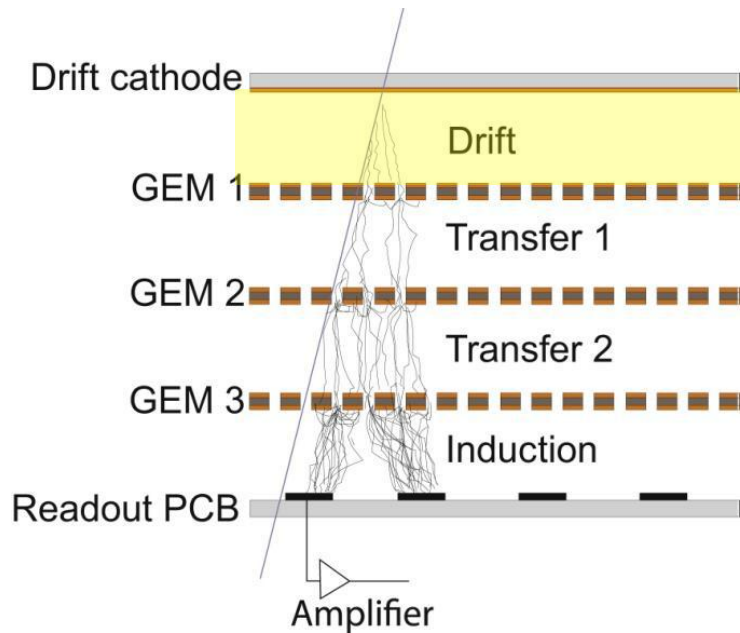


Transfer/Induction gaps

- the electrons all enter each gap from the same level \rightarrow **NO z dependence** of spread and sigma of position distribution
- Analogous behavior for time distribution

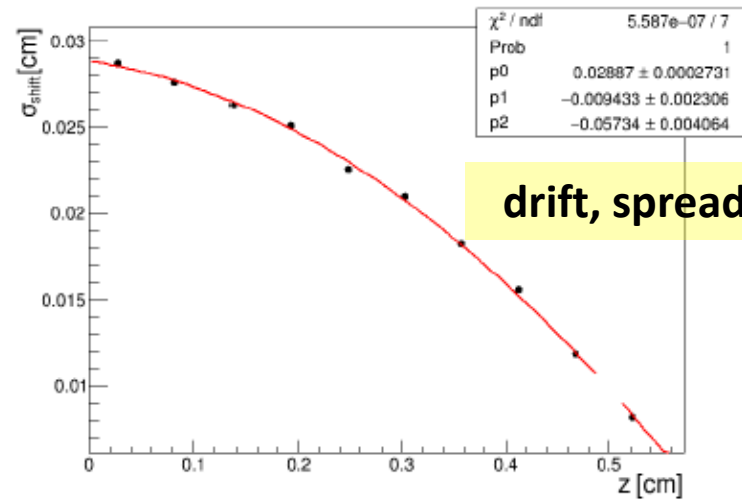
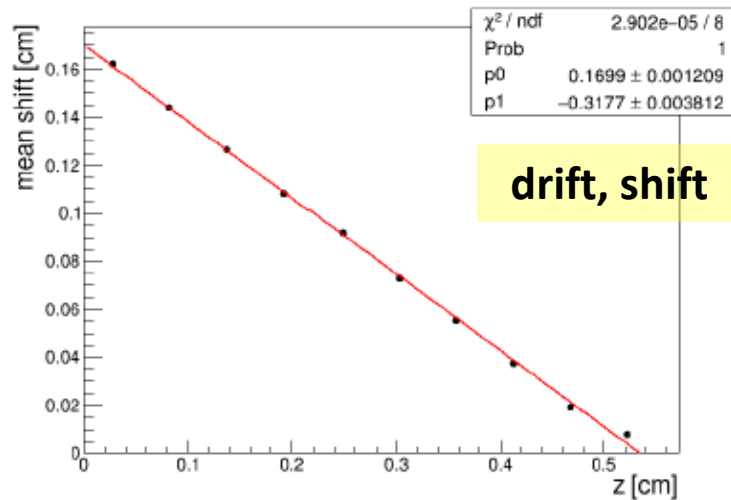


Position/time: shift & spread



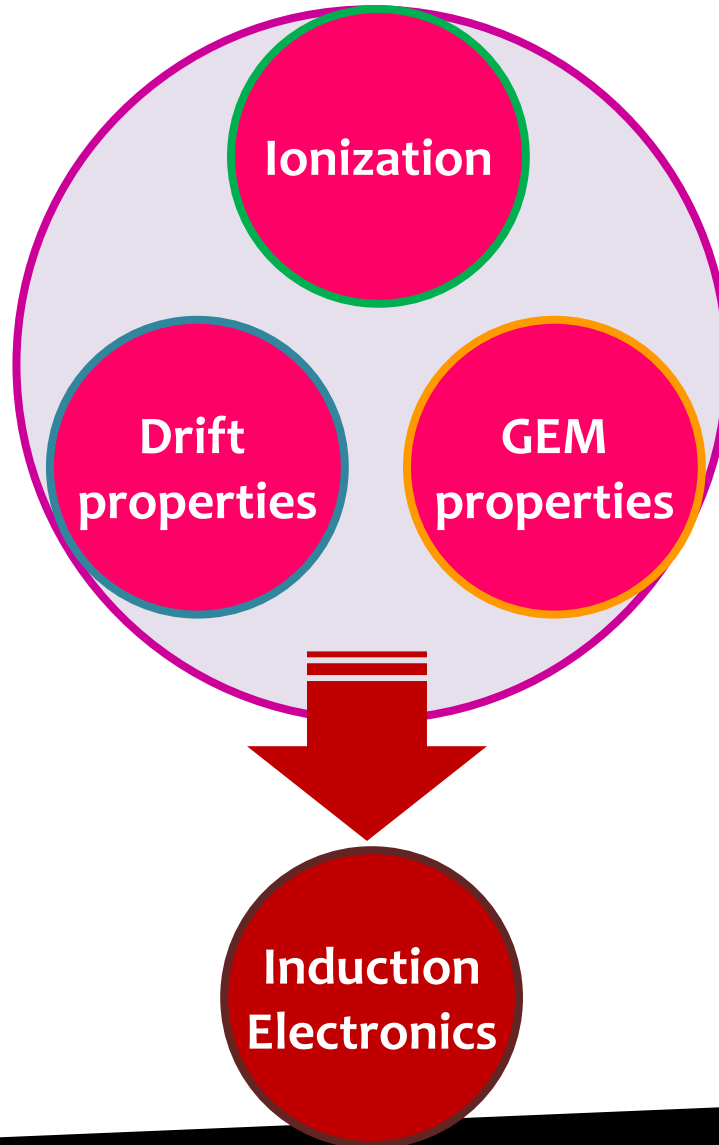
Drift gap

- The ionization position is different from electron to electron \rightarrow **z dependence** of spread and sigma of position distribution
- Analogous behavior for time distribution



Signal formation

various steps are independent → can be studied separately



Induction of the signal: basics

[W. Riegler, CERN seminar]

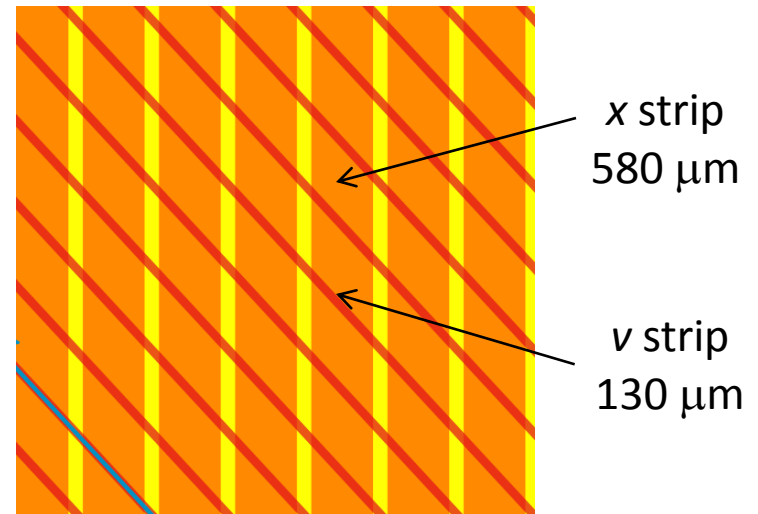
- The current induced on a strip on the anode:
- depends on the position
 - ends when the electron arrives on the strip

To be also considered
(in our case)

- we have a **double view** anode
- we still need to be **fast!**

Two options

- Full induction description
- Fast \rightarrow approximation



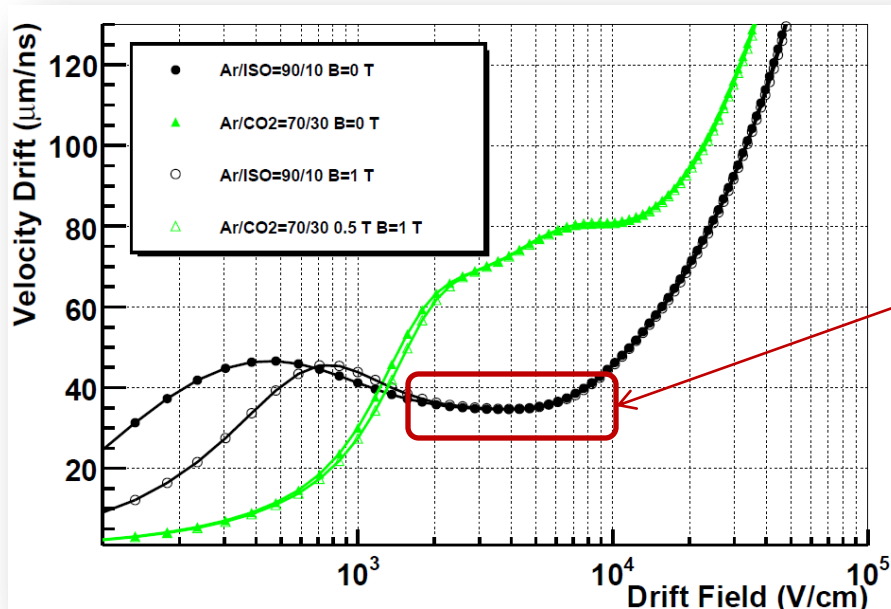
Full induction: Shokley-Ramo

[S. Ramo, in Proc. IRE 27, 584 (1939)]

The **instantaneous** current induced by a charge in motion on an electrode is

$$\dot{i}(t) = q_{e^-} \times v_{drift} \times W_{loc}$$

- q_{e^-} – electron charge
- V_{drift} – **drift velocity**
- W_{Loc} – **weighting field**, *i.e.* the electric field generated by the electrode @ 1V, when *all the other* electrodes are set @ 0V



Approximation 1

- constant $V_{drift} = 35 \mu\text{m/ns}$
- ok for Ar:*i*-C₄H₁₀ (90:10) @ field values = 1.5/3/3/5 kV/cm
BUT
close to the strip the field is much higher!

Full induction: Shokley-Ramo

[S. Ramo, in Proc. IRE 27, 584 (1939)]

The **instantaneous** current induced by a charge in motion on an electrode is

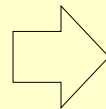
$$\dot{i}(t) = q_{e^-} \times v_{drift} \times W_{loc}$$

- q_e – electron charge
- V_{drift} – **drift velocity**
- W_{Loc} – **weighting field**, i.e. the electric field generated by the electrode @ 1V, when *all the other* electrodes are set @ 0V

Approximation 2

- get electron position on the anode by Lorentz angle & diffusion parametrizations
- compute induced dq instead of $i(t)$
- compute induced dq for steps of 1 ns (v_{drift} constant)

$$\frac{dq}{dt} = q_e \times \frac{dx}{dt} \times \frac{dV_w}{dx}$$

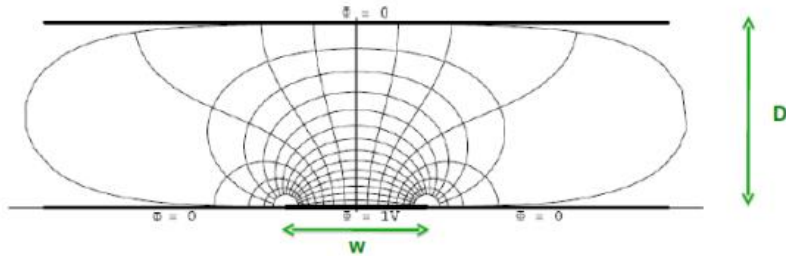


$$dq = q_e \times dV_w$$

Full induction: weighting field

[W. Riegler, CERN seminar]

Weighting Field for a Strip in a Parallel Plate Geometry

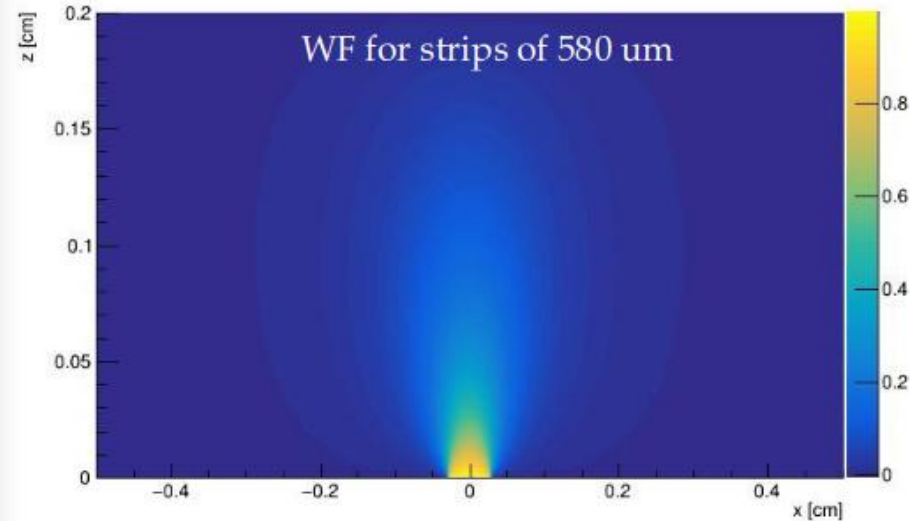


$$\Phi_1(x, z) = \frac{V_1}{\pi} \left[\arctan \left(\cot \left(\frac{z\pi}{2D} \right) \tanh \left(\pi \frac{x+w/2}{2D} \right) \right) - \arctan \left(\cot \left(\frac{z\pi}{2D} \right) \tanh \left(\pi \frac{x-w/2}{2D} \right) \right) \right]$$

$$E_{1x} = V_1 \frac{1}{2D} \left[\frac{\sin \left(\frac{z\pi}{D} \right)}{\cosh \left(\pi \frac{x-w/2}{D} \right) - \cos \left(\frac{z\pi}{D} \right)} - \frac{\sin \left(\frac{z\pi}{D} \right)}{\cosh \left(\pi \frac{x+w/2}{D} \right) - \cos \left(\frac{z\pi}{D} \right)} \right]$$

Weighting Field:

$$E_{1x} = -V_1 \frac{1}{2D} \left[\frac{\sinh \left(\pi \frac{x-w/2}{D} \right)}{\cosh \left(\pi \frac{x-w/2}{D} \right) - \cos \left(\frac{z\pi}{D} \right)} - \frac{\sinh \left(\pi \frac{x+w/2}{D} \right)}{\cosh \left(\pi \frac{x+w/2}{D} \right) - \cos \left(\frac{z\pi}{D} \right)} \right]$$



Approximation 3

computed *analytically* with only one view \rightarrow **charge sharing** introduced by a *tuning factor* to account for electric field focussing effect

Fast induction of the signal

Once **all the electrons** have arrived on the anode:

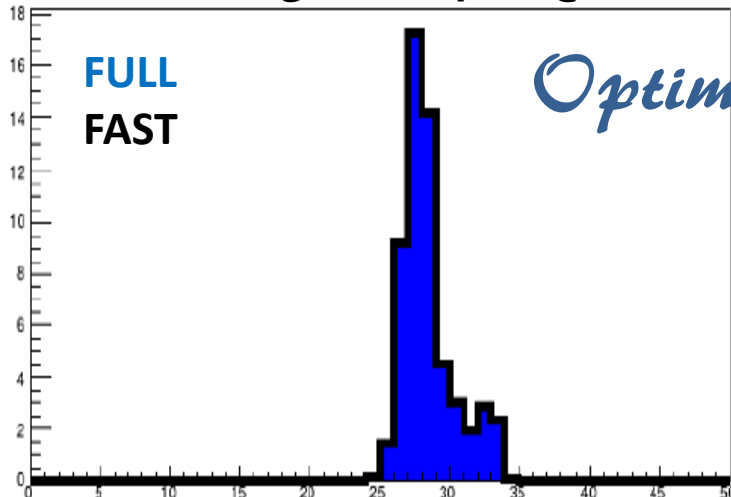
- the signal is **finished**
- the charge on the i -th strip = the number of electrons collected by the strip

FAST INDUCTION
simulates

Charge = # electrons collected by i -th strip

Time = time of arrival of the e^- on the i -th strip

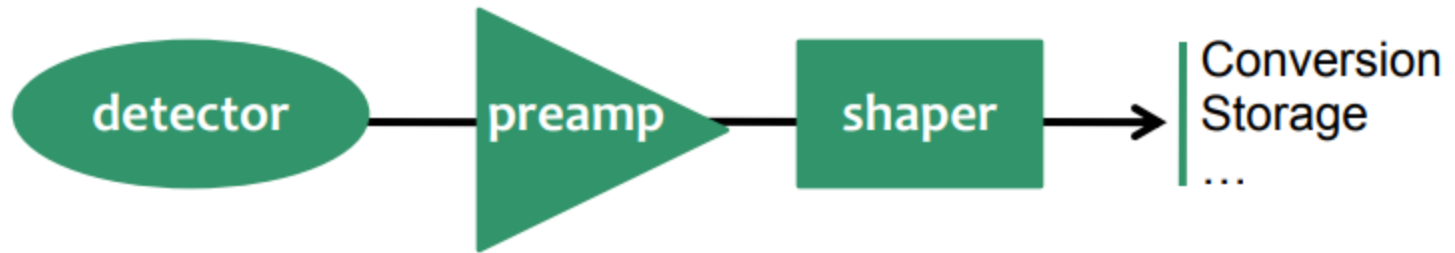
Charge vs strip ID @ 45°



Optimum matching

fast induction is **x 30 faster** than the full!

APV-25 ASIC simulation



1. **Detector induction** → simulate the induced dq in 1 ns time steps
2. **Pre-amplifier** → \forall time step, add dq to the integrated charge
3. **Shaper** → create 27 functions (one for each APV-25 time bin, 25 ns each)

CR-RC with $\tau = 50$ ns

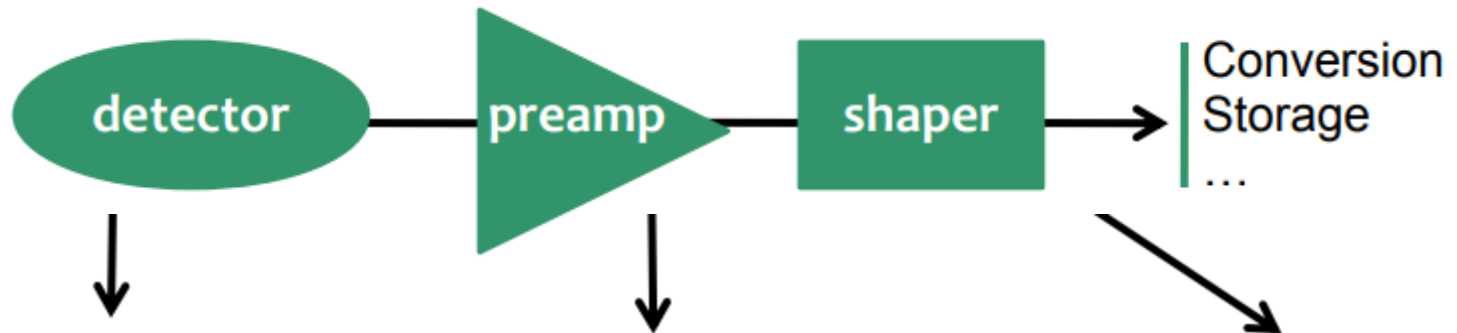
$$h(t) = S_p \times \frac{t-t_0}{\tau} \exp\left(-\frac{t-t_0}{\tau}\right),$$

→ get the induced charge in each 25 ns and apply the transfer function
 \forall time bin, evaluate all the previous function @ t_i and sum them up!

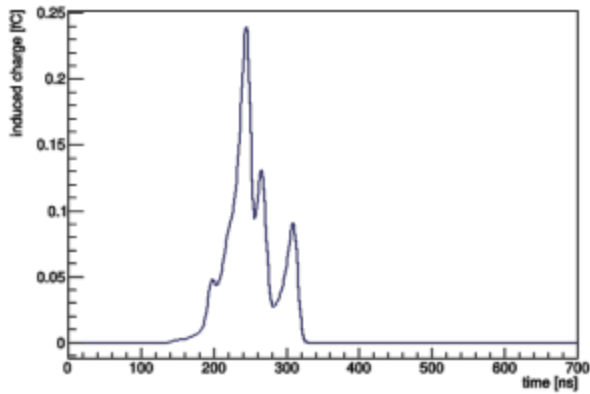


Compute noise → \forall time bin, sample from Gaussian (μ, σ) → add to the charge

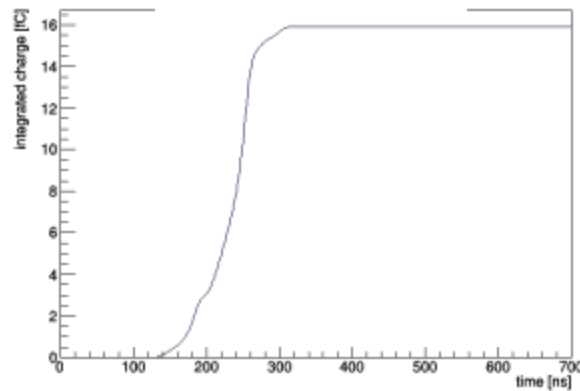
APV-25 ASIC simulation



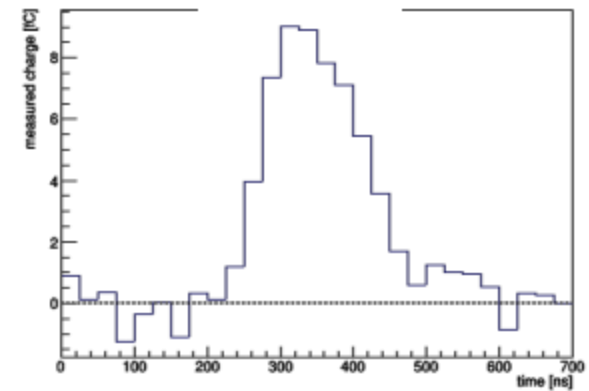
induced signal



pre-amplifier



shaping



The **charge** is the peak value of the signal

The **time** comes from a Fermi-Dirac fit of the rising edge

as in real signal reconstruction



Tuning to real data

Tune what to what? ...and why?

comparison to the **test beam data** collected on **April 2018**

- RD51 testbeam
- GOLIATH dipole magnetic field
- H4 beam line, SPS-NA (CERN)
- 150 GeV/c muons

triple-GEM specifics

- planar triple-GEM, 10 x 10 cm²
- double view readout, APV-25
- gas: Ar:i-C₄H₁₀ (90:10)
- HV: 275/275/275 V
- fields: 1.5/2.75/2.75/5 kV/cm
- magnetic field *off* or *on* (B = 1T)
- incident angle: 0°, 5°, 10°, 15°, 20°, 30°, 45°

Settings we kept in the GTS simulation

- conversion factor : 30 ADC = 1 fC (*)
- threshold : 45 ADC = 1.5 fC
- noise sigma: 15 ADC = 0.5 fC

Tuning to real data

need to check the consistency between simulation and real data, due to:

- various approximations applied
- measured charge \gg simulated one \rightarrow **tuning factor** on gain!



Scan

particle incident angle $[0^\circ, 40^\circ]$, $B = 0$

Tuning factor on

Gain, diffusion

Sentinel variables

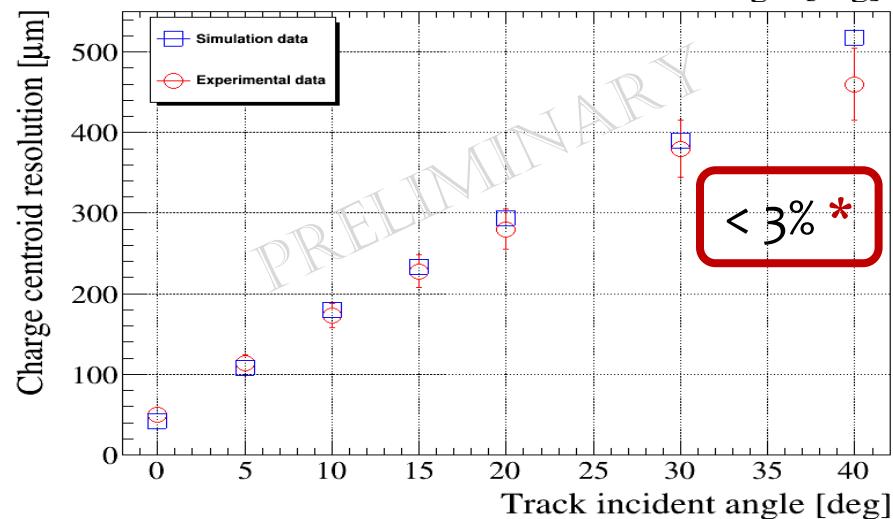
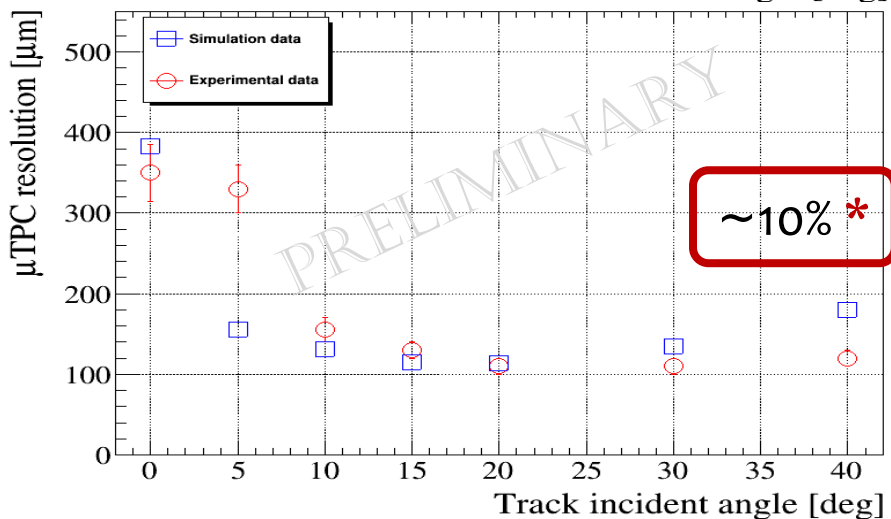
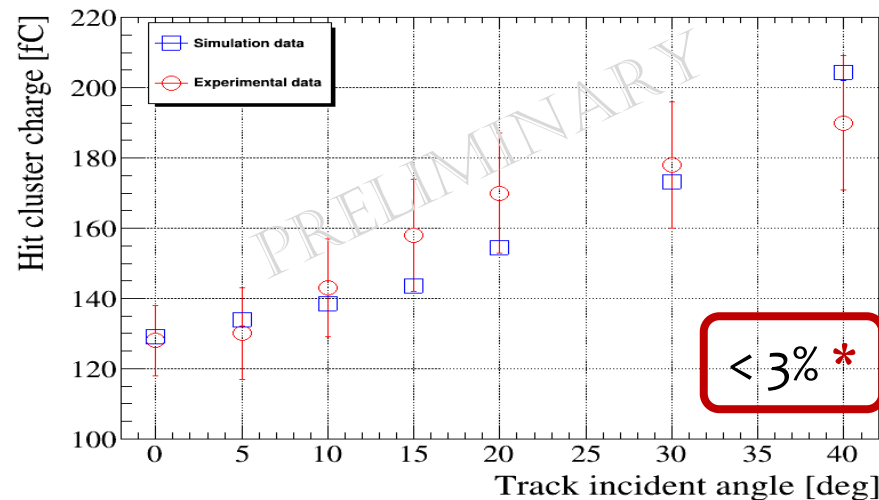
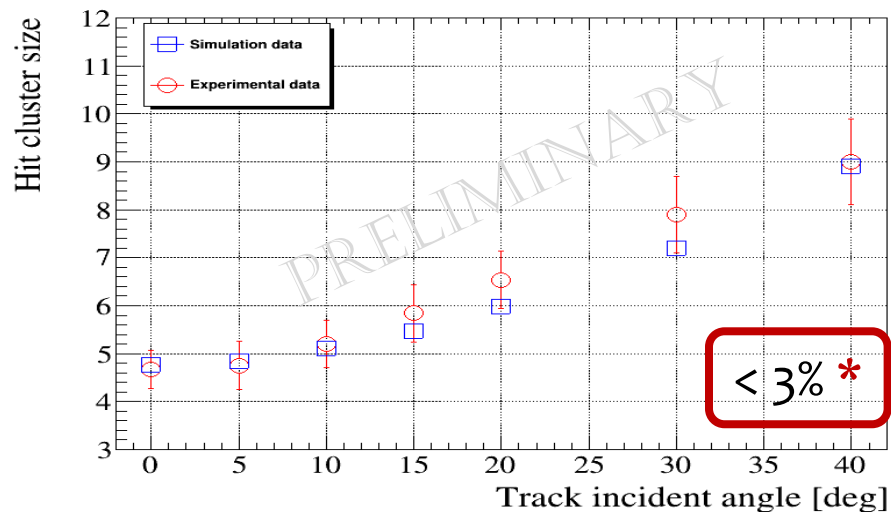
- measured charge
- cluster size
- position resolution (charge centroid)
- position resolution (μ -TPC)

Procedure

- for each gain and diffusion values, simulate 7 angles: 0, 5, 10, 15, 20, 30, 40
- for each angle, run 20k muons \rightarrow statistical error around 1%
- compute $\chi^2 = \chi_{\text{charge}}^2 + \chi_{\text{cl.size}}^2 + \chi_{\text{CCresol.}}^2 + \chi_{\mu\text{-TPCresol.}}^2$
- evaluate χ^2/NDF

Tuning to real data

Best result $\chi^2/\text{NDF} \sim 3 \leftarrow \text{gain tuning} = 6.8 \leftarrow \text{diffusion tuning} = 1.5$



* (experimental - simulated)/experimental

Conclusions

We would like to hear your opinions to understand if we are on the right path!



Our two main source of doubts:

- **gain evaluation**

- We obtained a **gain tuning factor = 6.8**

- GARFIELD GEM gain has a factor ~ 2 missing \rightarrow roughly 8 on a triple-GEM

- \rightarrow *we still have to account for the charge sharing: another x2 factor?*

- \rightarrow *other explanations to this tuning factor? Any ideas?*

- **weighting field & induction**

- Used analytic WF for one view + matching between full and fast inductions

- \rightarrow For our double view, the idea is to just count the electrons falling on the strips (x/v) with a probability (evaluated from data) to account for:

- charge sharing between the views

- electric field focusing effect on the strip

- other? shall we consider the change of drift velocity close to the strips?

- other suggestions about points we did not consider?

Thank you for your attention!

contacts

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