

CEvNS in multi-ton DM experiments: Vector versus scalar new physics signals

Diego Aristizabal

UTFSM, Chile

Work in collaboration with: Bhaskar Dutta, Shu Liao & Louis Strigari

arXiv:1910.12437

Motivation

- Physics opportunities
- Vector interactions: Light versus heavy
- Identification of a “not expected” signal
- CEvNS environments



Strategy

Vector versus scalar



Final remarks

Motivation

Standard Physics

-  Determination of the root-mean-square radius of neutron distributions
⇒ Neutron skin ⇒ Neutron Stars EoS **Giunti et. al. 1710.02730**
-  Improve understanding of EW parameters ⇒ Precise determination of the weak mixing angle at $\mu \simeq 1 \text{ MeV}$ **Miranda et. al. 1806.01310**
Talk by Matteo Cadeddu

Non-standard physics

-  New dof ⇒ Light fermions (sterile ν 's) **Aristizabal et. al. 1902.07398**
-  New forces (for some reason) escaping observation at high intensity and/or high energy experiments **Talk by Pilar Coloma**
Marfatia & Liao/Dutta, Liao & Strigari
Kosmas, Papoulais/Aristizabal, De Romeri & Rojas

Motivation

● Physics opportunities

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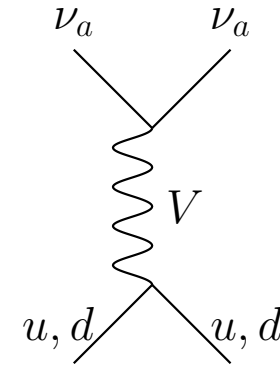
Strategy

Vector versus scalar

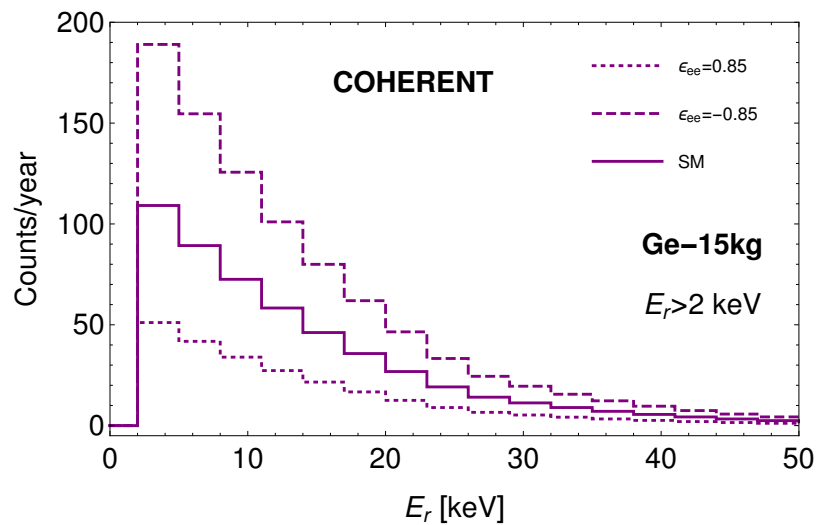
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Vector interactions: Light versus heavy

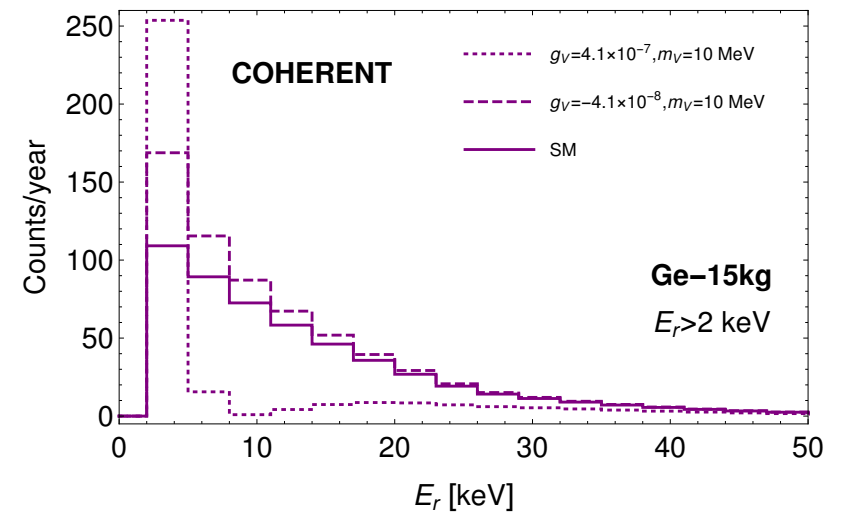
Each scenario comes along with
distinctive features
 signal degeneracies are expected!



Effective limit
 Global enhancements



Light limit
 Spectral distortions



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Identification of a “not expected” signal

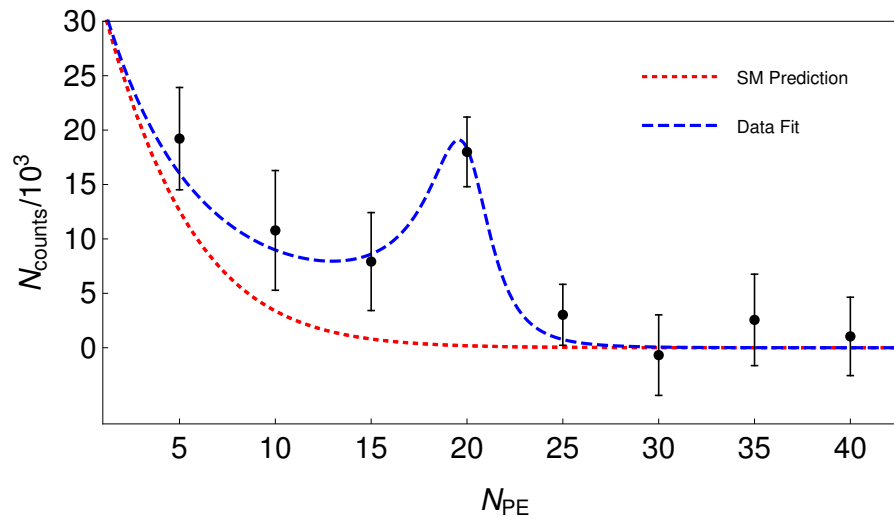
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After the discovery...

What is the nature of the interaction?

What is the BSM physics behind?

Light Physics

Heavy Physics

What CEvNS environment?

CEvNS environments

Motivation

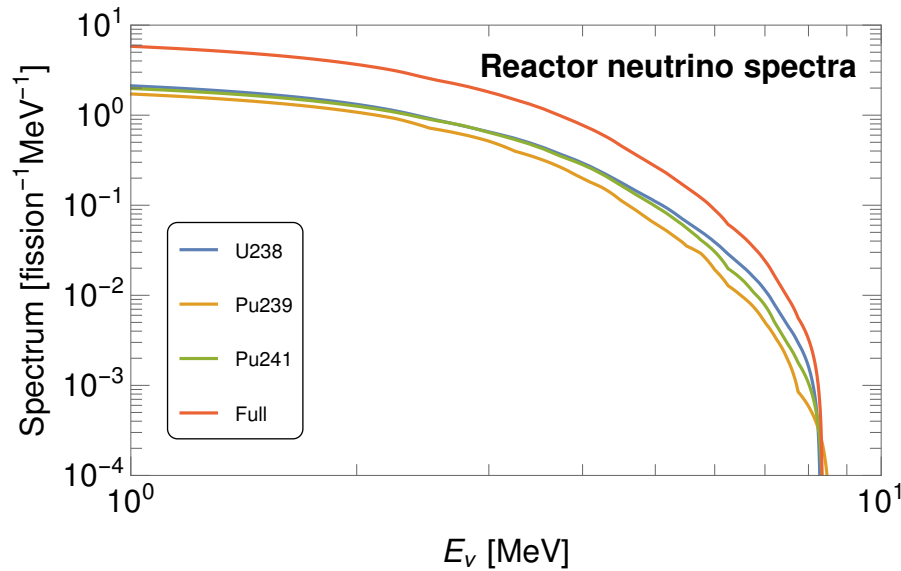
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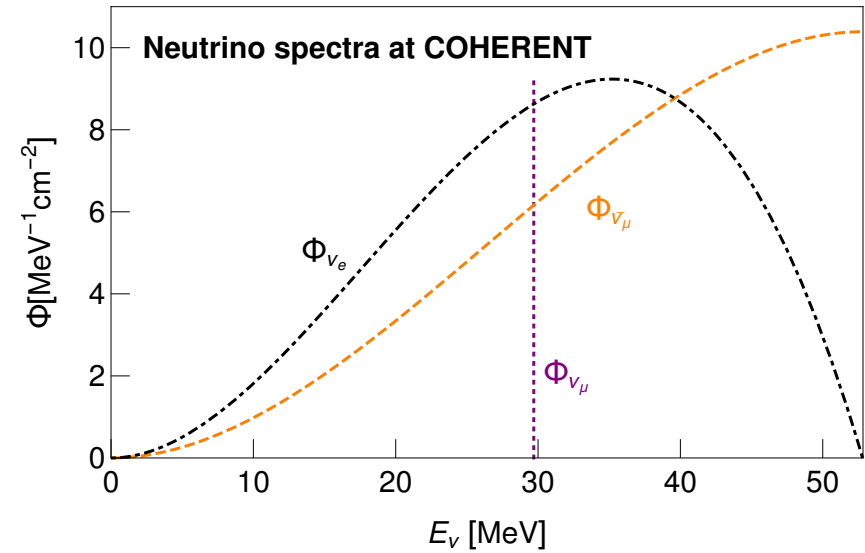
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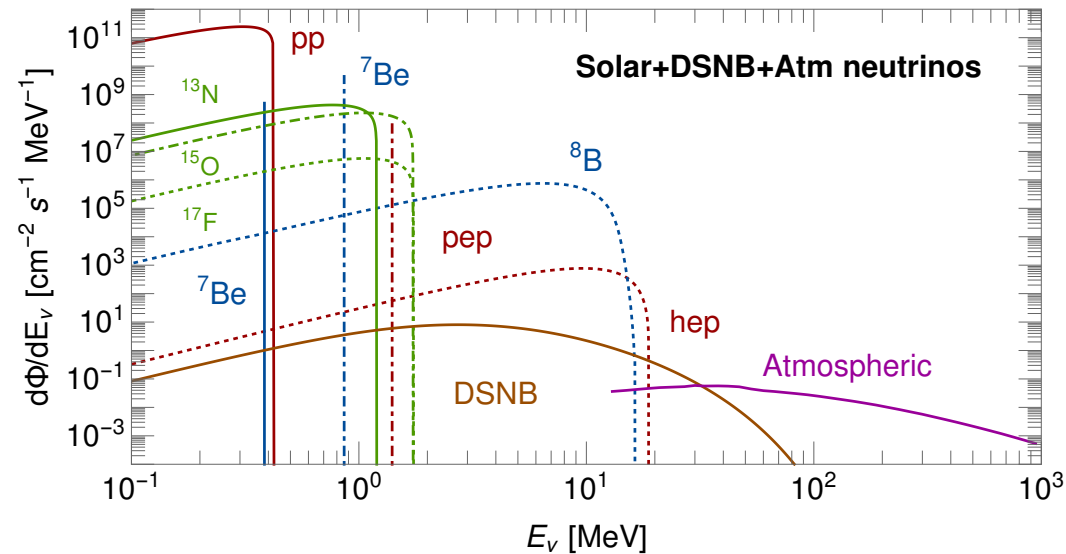
Reactor neutrinos (CONUS, CONNIE...)



Fixed target neutrinos (COHERENT)



Solar+DSNB+Atm (DM detectors)



Motivation

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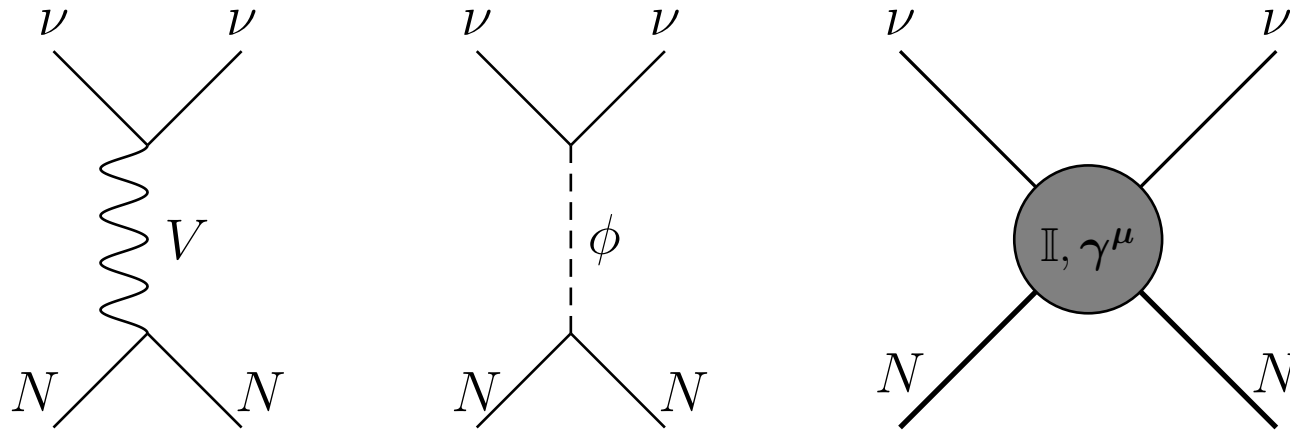
● Program

Vector versus scalar

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Strategy

Select interactions: V+S (light+Eff)



Environment

Xenon ton-size dark matter detectors with low energy thresholds $E_r \lesssim 3.5$ keV: XENONnT, LZ, DARWIN

Motivation

Strategy

● Program

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Motivation

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Vector versus scalar

- Constraints
- Bounds from neutrino masses
- Event rate spectra (LMs)
- Signal degeneracy
- Morphology of the new interaction (Effective case)
- Expectations at XENON1T (XENONnT, LZ)

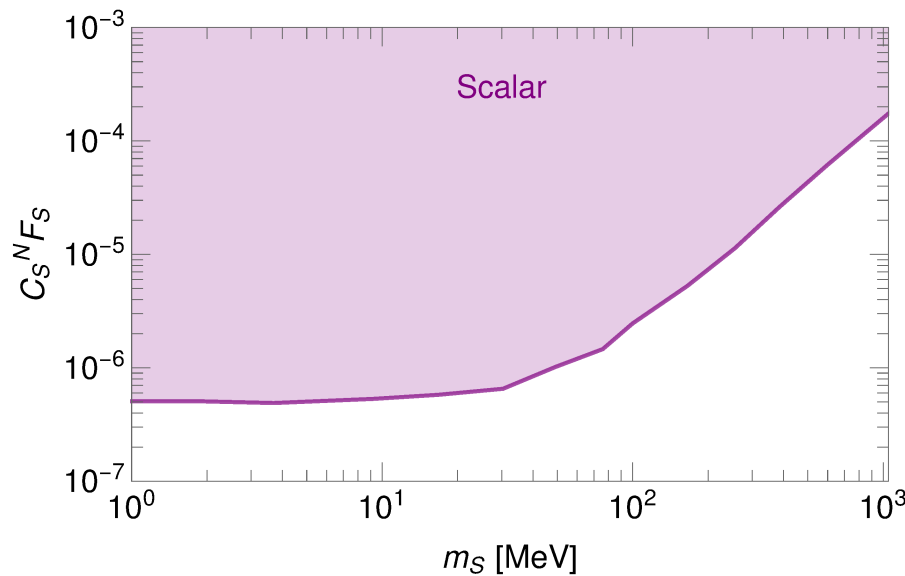
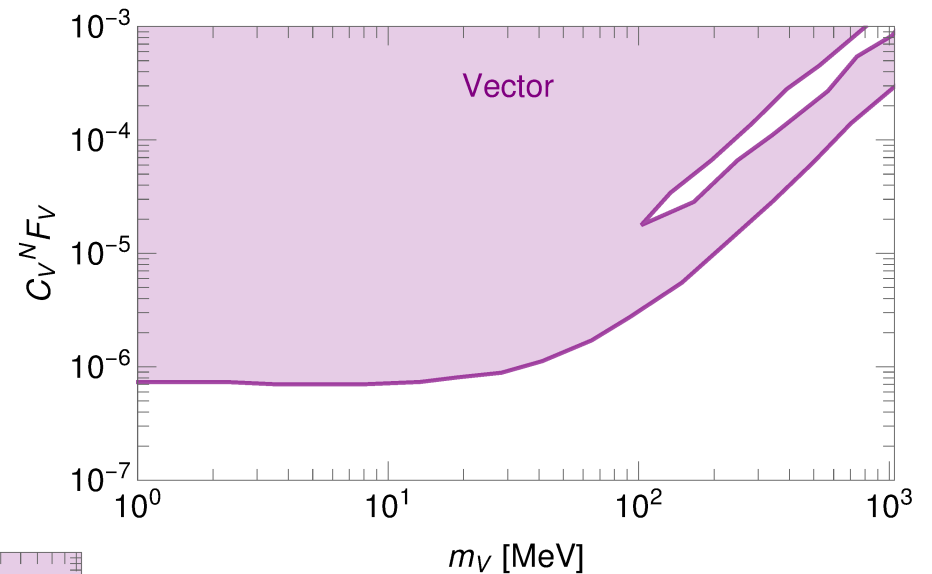
Final remarks

Vector versus scalar

Constraints

For light mediators COHERENT provides the most stringent bounds
Astrophysical limits can either be evaded or provide order of magnitude estimates

Most stringent limits follow from a likelihood analysis using energy and timing spectral information



Scalar interactions are bounded from neutrino masses as well

$$m_\nu \propto \langle q\bar{q} \rangle$$

Motivation

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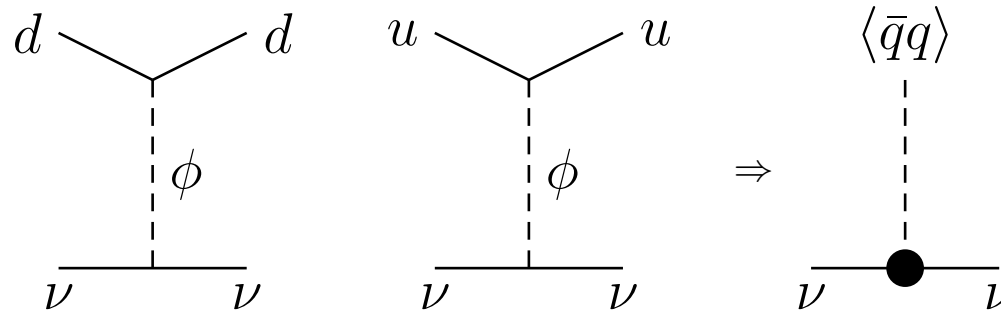
Vector versus scalar

● Constraints

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Bounds from neutrino masses



$$m_\nu = \frac{8\pi}{\sqrt{3}} G_F f_\pi F_S \sum_{q=u,d} h_S^q \simeq 122.5 \text{ eV } F_S \sum_{q=u,d} h_S^q$$

Limits on cross section

$$\frac{d\sigma_S}{dE_r} \propto |\xi_S|^2$$

$$\text{Xe: } \xi_S \lesssim \left(\frac{302}{m_S/\text{GeV}} \right)^2 \quad \text{Ge: } \xi_S \lesssim \left(\frac{225}{m_S/\text{GeV}} \right)^2$$

$$\text{Ar: } \xi_S \lesssim \left(\frac{167}{m_S/\text{GeV}} \right)^2 \quad \text{Si: } \xi_S \lesssim \left(\frac{140}{m_S/\text{GeV}} \right)^2$$

Neutrino mass limits are relevant only for $m_S \gtrsim 100 \text{ GeV}$

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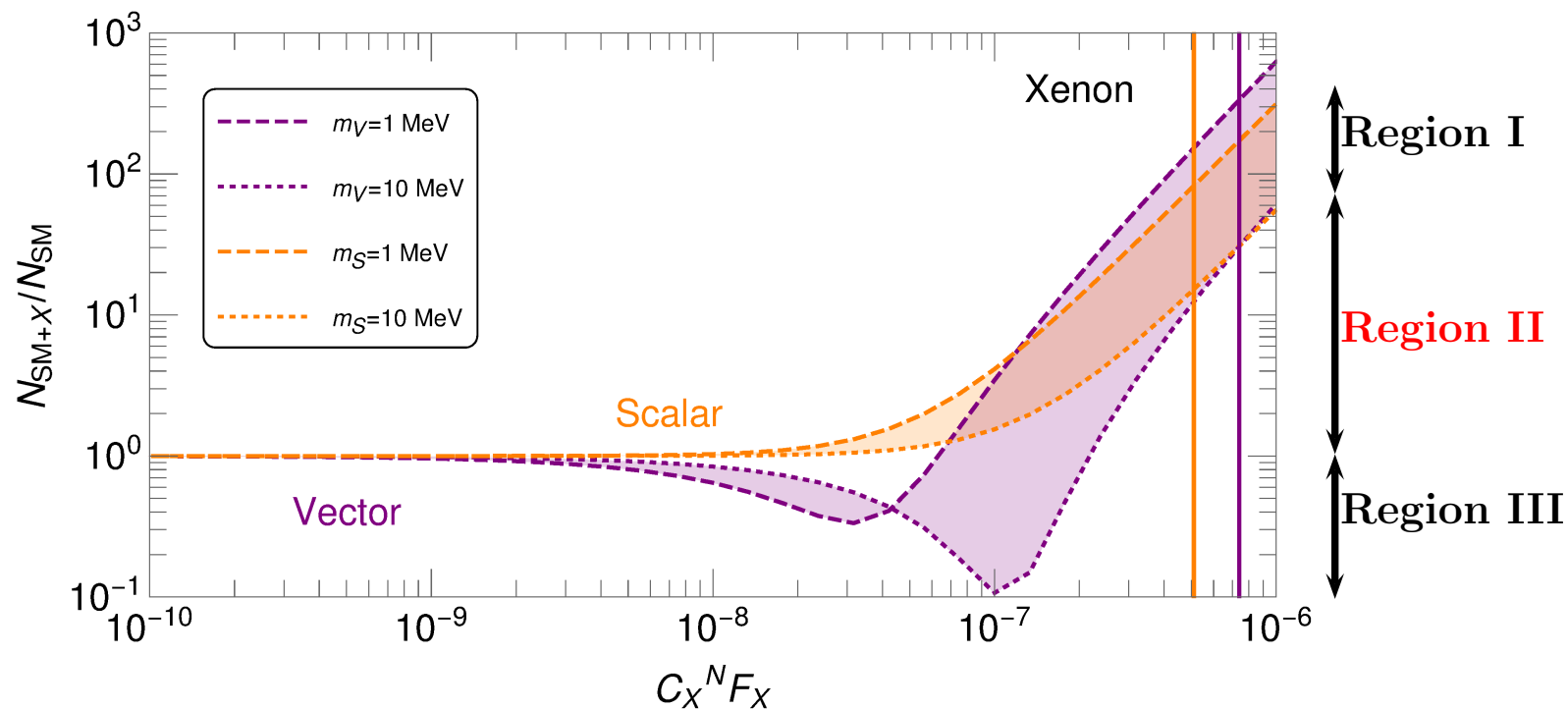
- Constraints
- **Bounds from neutrino masses**
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Event rate spectra (LMs)

Use COHERENT bounds to systematically explore the parameter space of vector and scalar interactions

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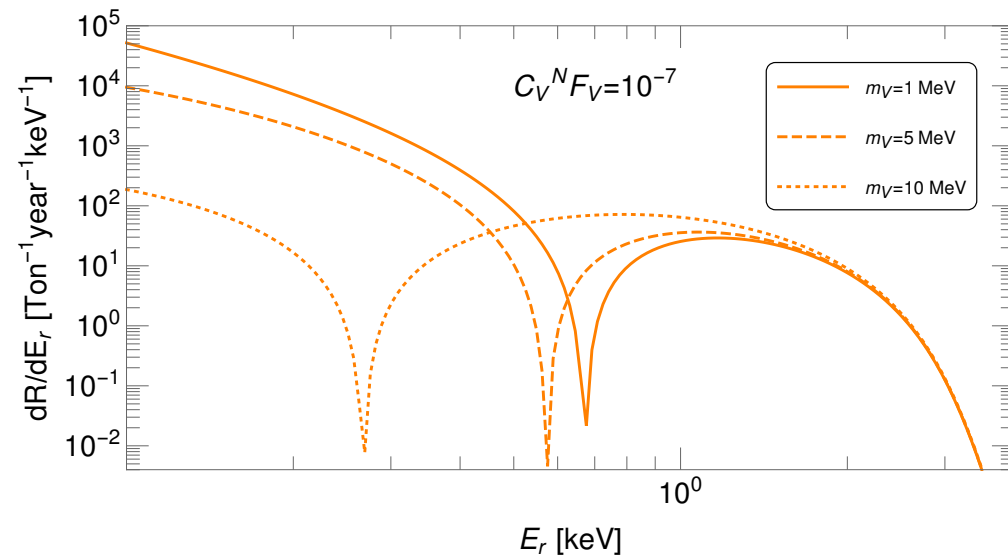
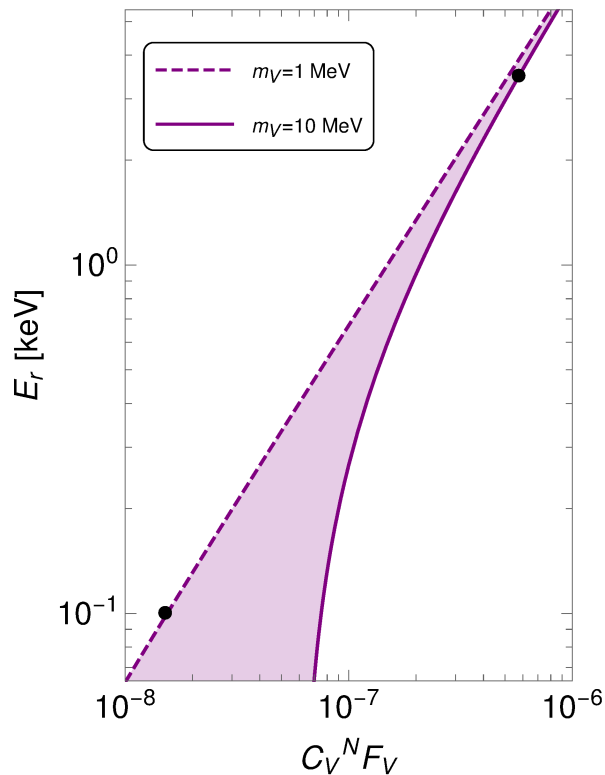
R-I \oplus R-III: $R \gtrsim 84 \oplus R \lesssim 1 \Rightarrow$ Vector
R-II: V & S signals are degenerate

Identification of V & S can be done using measurements of recoil spectra

Signal degeneracy

Key observation: Recoil spectra generated by vector interactions involve dips

$$E_r = \frac{C_V^N F_V - \sqrt{2} G_F |g_V^{\text{SM}}| m_V^2}{2\sqrt{2} G_F |g_V^{\text{SM}}| m_N}$$



V+S signal degeneracy in **R-III** can be broken via measurements of the recoil spectrum

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Morphology of the new interaction (Effective case)

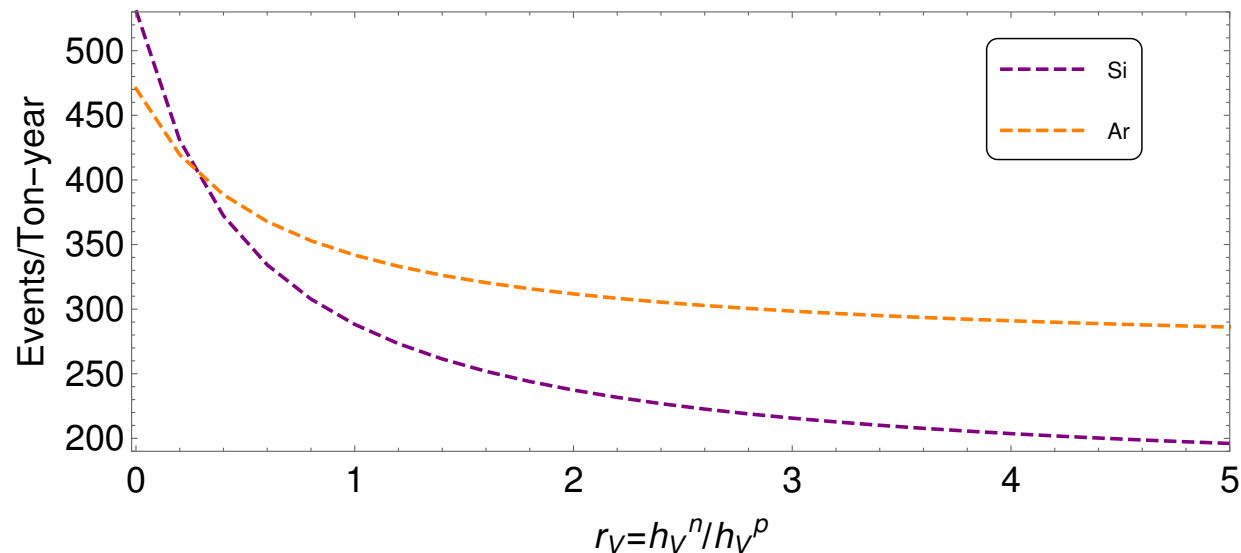
Morphology: Once the nature of the new interaction is experimentally fixed
 Can one learn how does it “speaks” with protons and neutrons?

$$\frac{d\sigma_V}{dE_r} \propto g_V^{\text{SM}} + \xi_V$$

✓ Measurement 1 $\Rightarrow N_{\text{Ev}} : \xi_V = \underbrace{F_V C_V^N}_{\text{Det-1}} [Z + r_V(A - Z)] \quad [r_V \equiv h_V^n/h_V^p]$

✓ Measurement 2 $\Rightarrow N_{\text{Ev}}^{\text{Det-2}}$: Calculate $N_{\text{theo}}^{\text{Det-2}}$ in terms of r_V

$$N_{\text{theo}}^{\text{Det-2}} = N_{\text{Ev}}^{\text{Det-2}} \Rightarrow \text{Pin down } r_V$$



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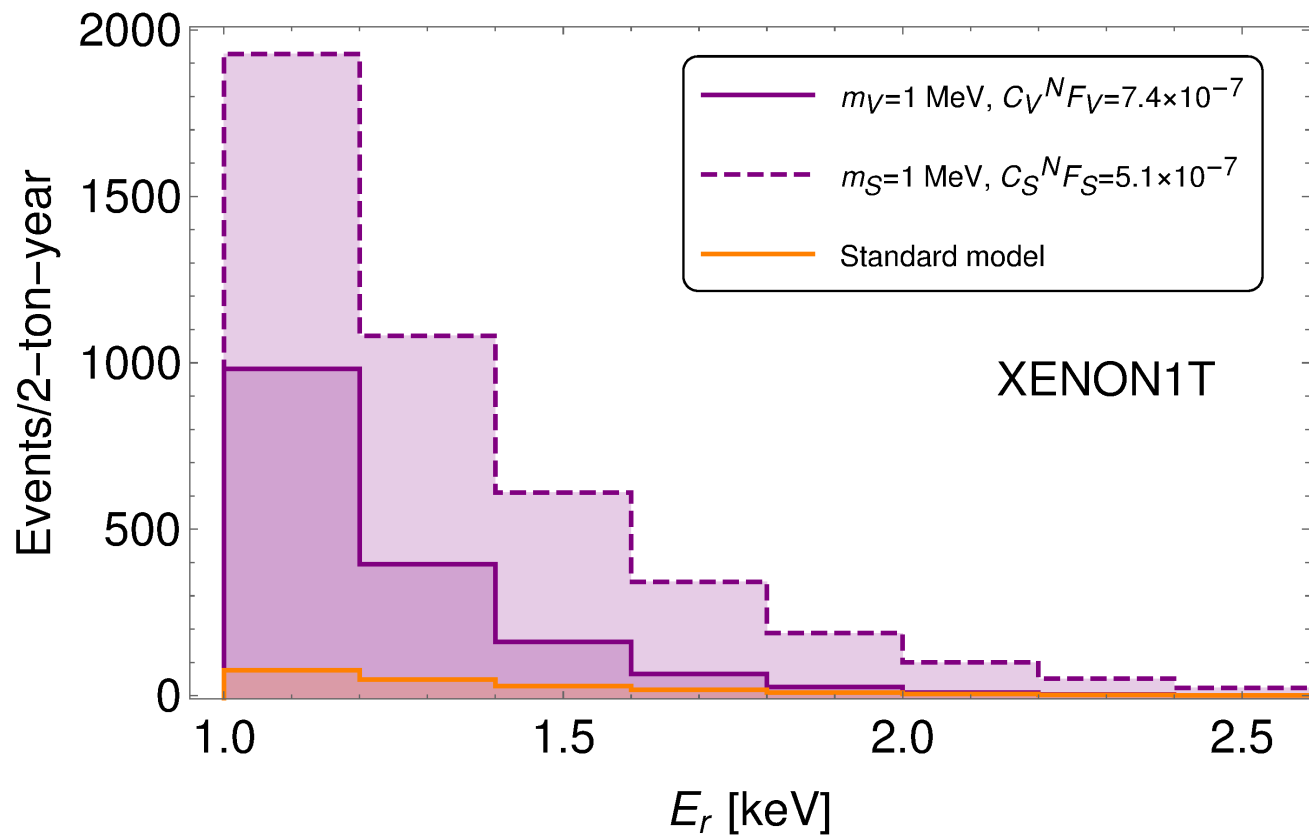
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Expectations at XENON1T (XENONnT, LZ)

What are the chances of these interactions being observed at XENON1T, XENONnT and LZ?



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● Résumé

Final remarks

⇒ If a deviation of the SM CEvNS prediction is observed
its nature can be identified!

⇒ It can be done in any CEvNS environment!

⇒ In multi-ton DM detectors recoil+event spectra
are sufficient to pin down its nature

... But you can do more

⇒ Determine its morphology (isospin nature) by combining
multiple data sets

⇒ Remove detector degeneracies

To do so we encourage XENONnT and LZ
to lower thresholds to 1 keV!