



Possibility to suppress the installation of MS in Q10 in IR1 & 5

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Thanks to: S. Fartoukh, M. Giovannozzi,
F. Van der Veken

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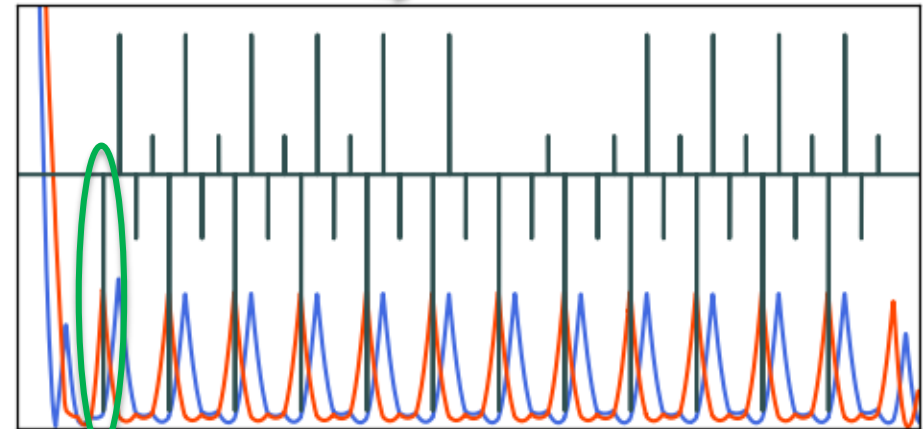
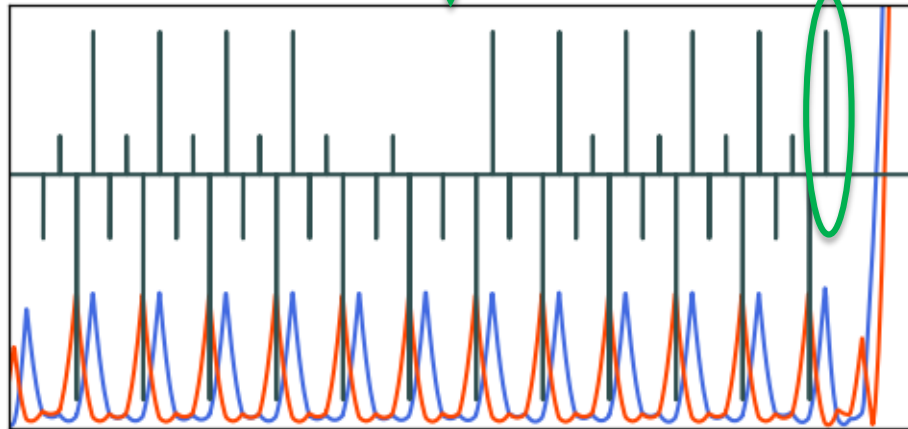
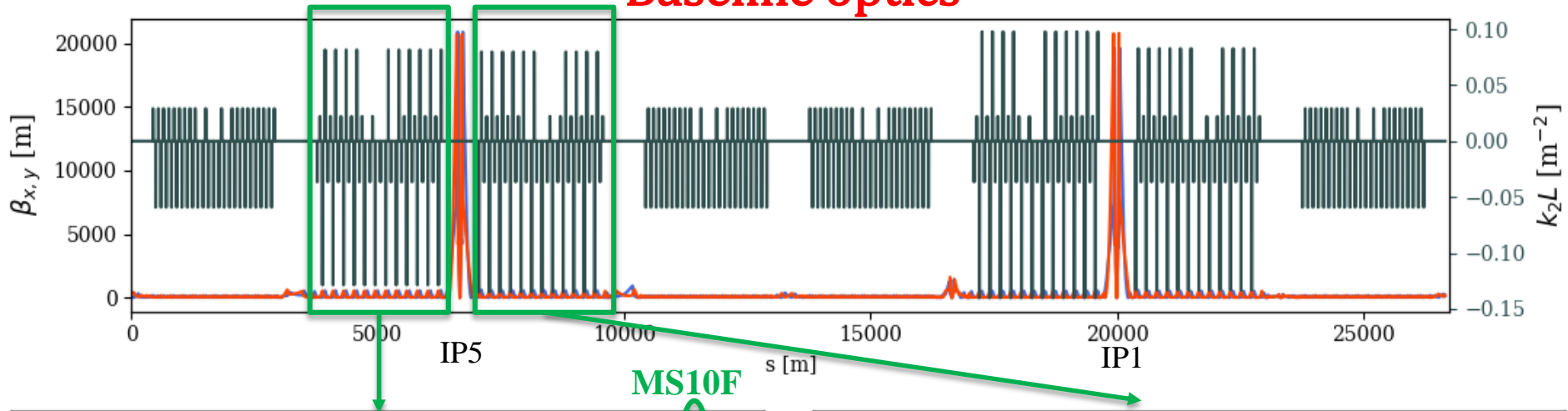
INTRODUCTION

- The **Baseline** HL-LHC lattice foreseen the **installation of 4 additional sextupoles MS in Q10** → 1 additional MS on each side of IP1 & IP5
- The additional MS10 allows to **allow to keep the machine DA to a viable level by providing a better compensation of the geometrical aberrations** generated by the MS in the high β regions, adjacent to IR1 and IR5.
- **Alternative sextupole lattices** have been studied and can restore self-compensation of the non-linear resonances to the same level as the Baseline optics but **without MS10**.

The comparison of the different lattices are based on the **round optics at $\beta_{x,y}^*=15$ cm** and using the latest **HLLHCV1.4** optics

INTRODUCTION

Baseline optics

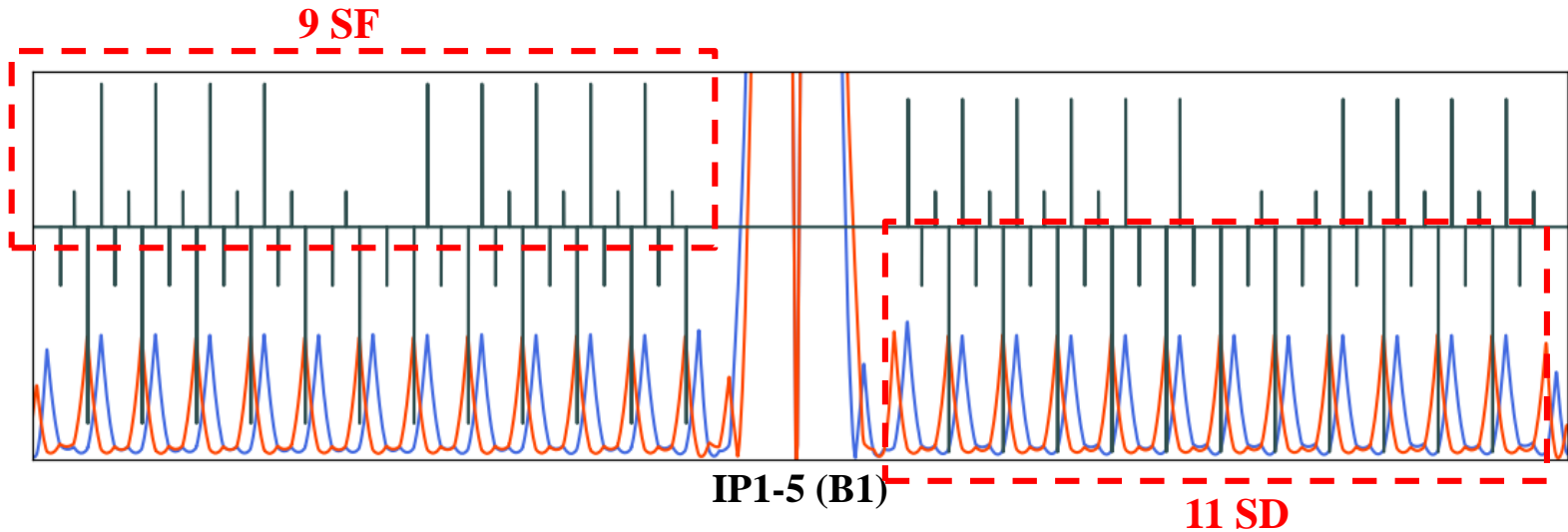


The additional MS10 in each side of IP1&5 restore an even number of sextupoles allowing the cancellation of geometrical aberrations

Arcs	Circuit (strong)
B1: 81, 45	SF1 (10), SD2 (12)
B2: 81, 45	SF1 (10), SD2 (12)
B1: 12, 56	SF1 (10), SD2 (12)
B2: 12, 56	SF1 (10), SD2 (12)

INTRODUCTION

No MS10 (LHC configuration)



Odd number of sextupoles on each side of IP1&5

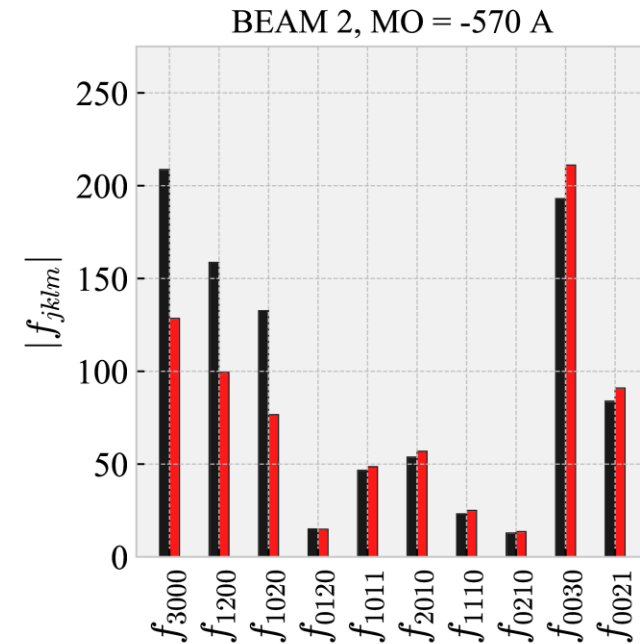
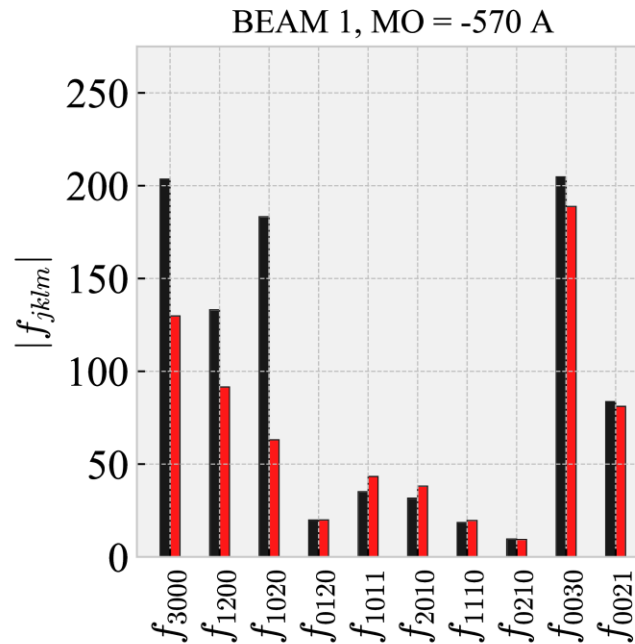
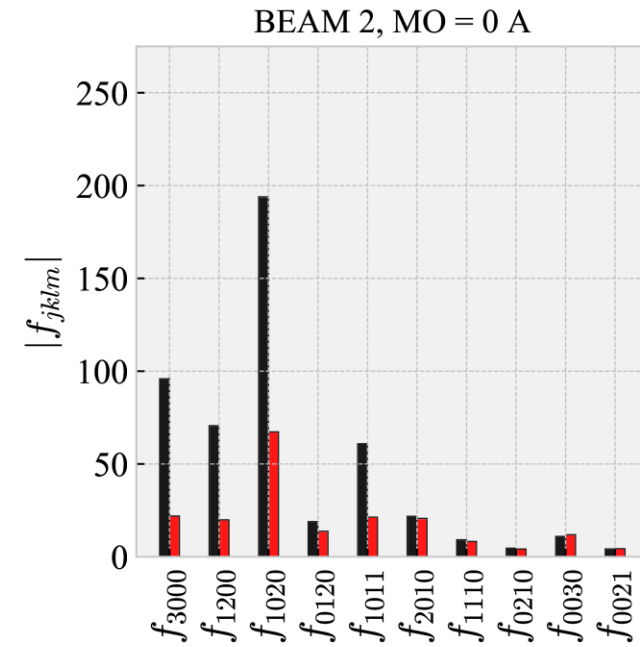
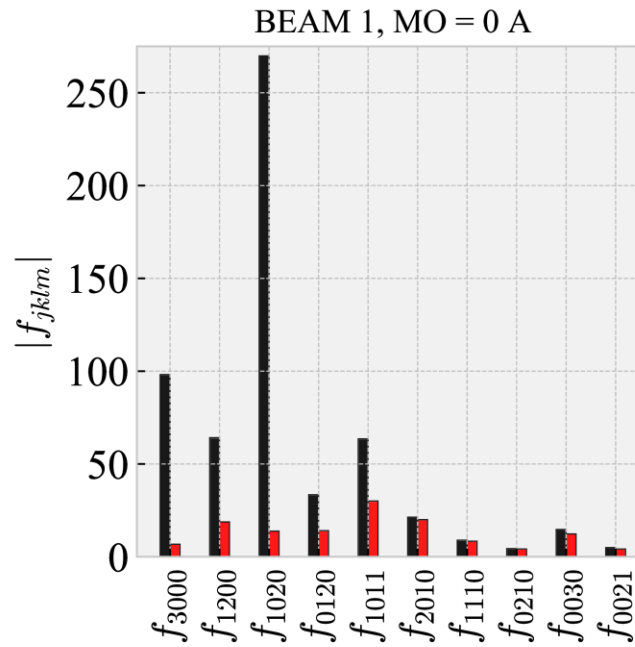
Arcs	Circuit (strong)
B1: 81, 45	SF1 (9), SD2 (12)
B2: 81, 45	SF1 (10), SD2 (11)
B1: 12, 56	SF1 (10), SD2 (11)
B2: 12, 56	SF1 (9), SD2 (12)

INTRODUCTION

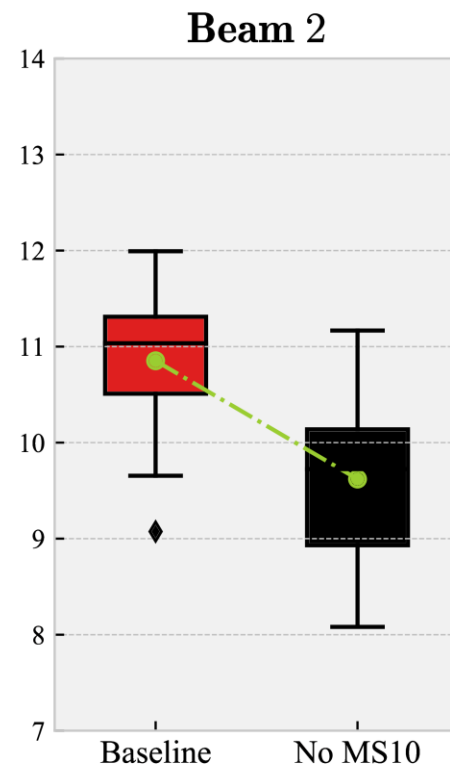
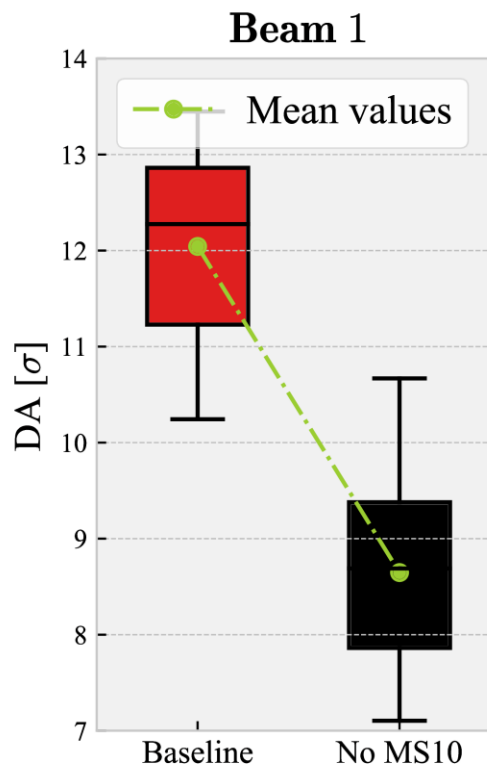
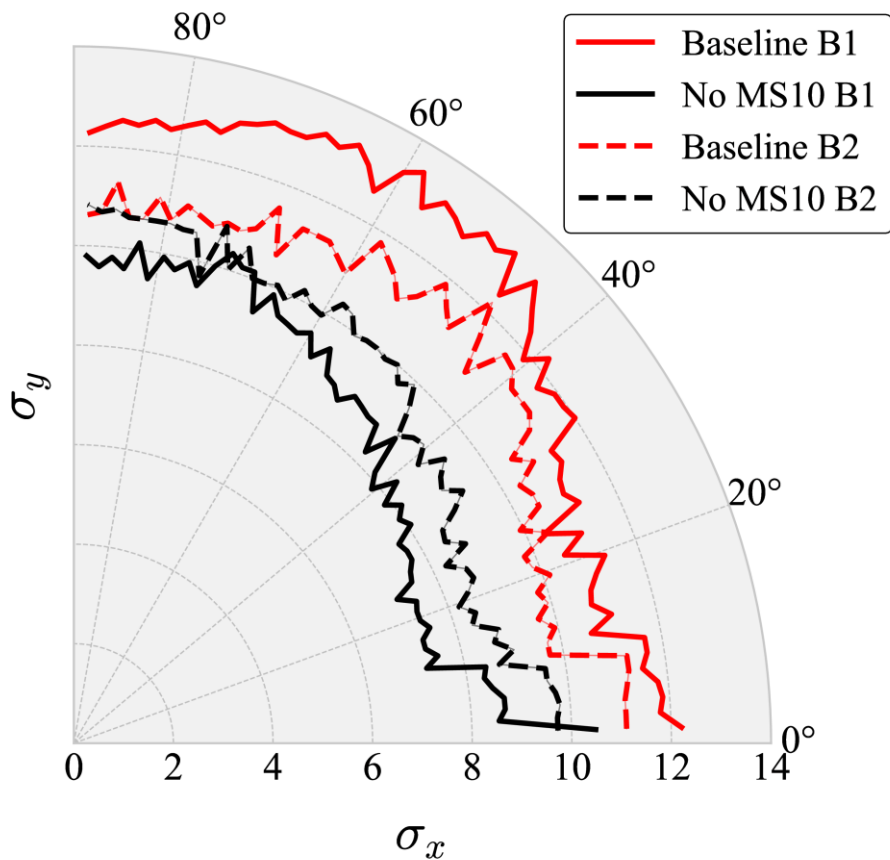
No MS10 vs Baseline

Average sextupole RDTs computed at $\beta_{x,y}^* = 15$ cm with the crossing scheme and disp. correction

Self-compensation of the geometrical aberrations excited during the ATS can be obtained if the strong sextupole families contain an **even number of magnets**



INTRODUCTION



No MS10 vs Baseline

DA computation:

$\text{xing} = 295 \mu\text{rad}$, $Q_x = 62.31 / Q_y = 60.32$,

$\delta_p = 2.7 \times 10^{-4}$, **without imperfections,**

with dispersion correction, $Q' = 15$,

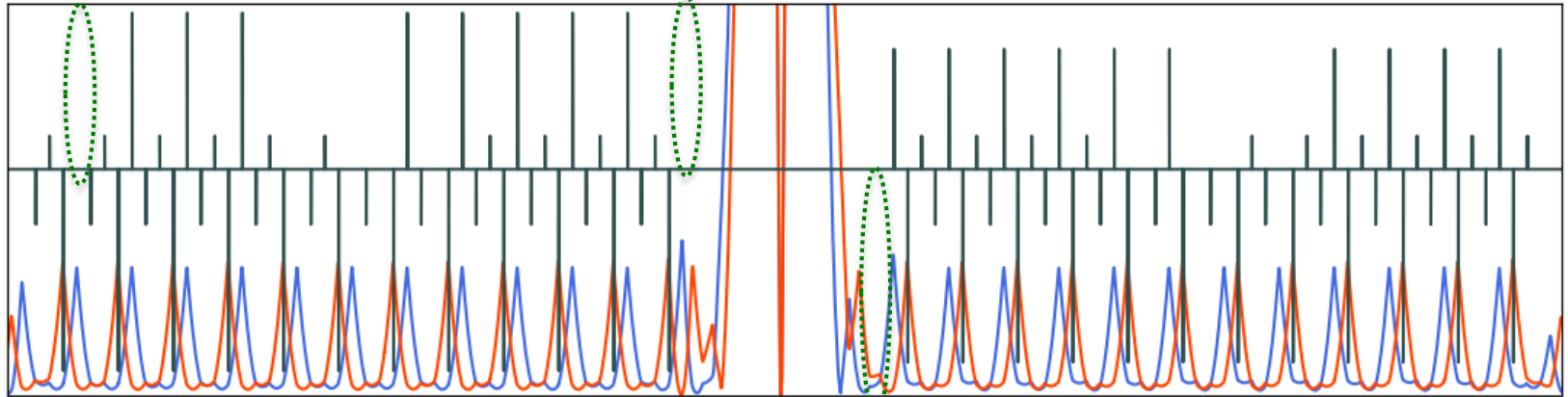
MO = -570 A, 10^6 turns, 60 angles

Optics	Avg. DA (B1/B2)	Min. DA (B1/B2)
No MS10	8.7 / 9.6	7.1 / 8.2
Baseline	12.0 / 10.9	10.5 / 9.6

Alternative Optics without MS10: No MS14F optics

No MS14F

No MS10F



No MS10D

$$\text{New phases in IR1 \& 5 : } \Delta\mu_y^{IR1\&5} = -\frac{\pi}{2}$$

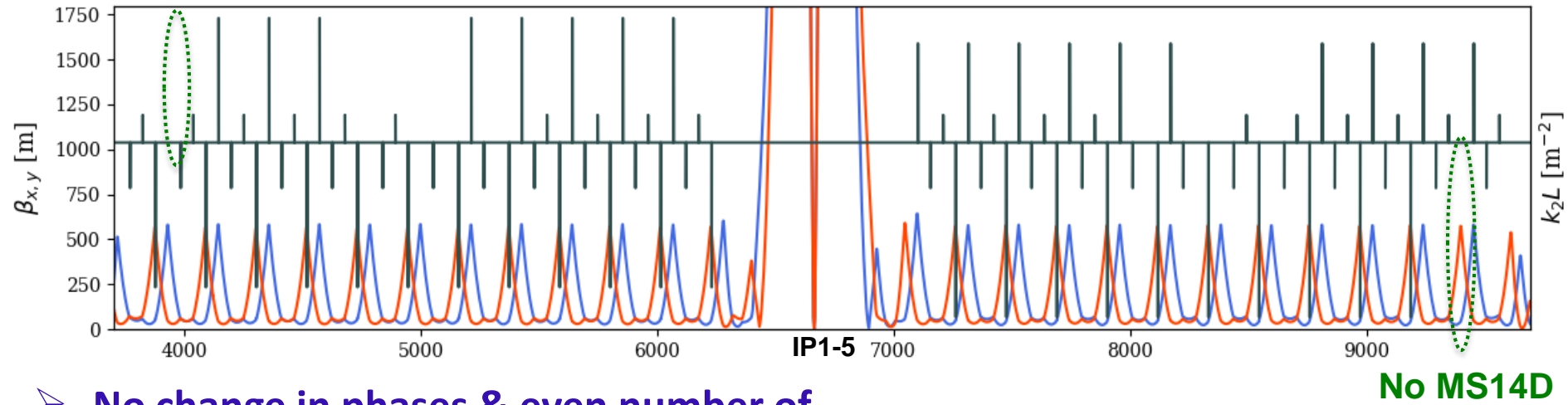
12 strong defocusing & 11 local defocusing sextupoles

- No additional sextupole and MS14F disconnected (in 81 & 45)
- Change of phase and optics rematch (in 12 & 56)
- Even number of strong sextupoles on each side of IP1&5 → **geom. aberr. Cancellation**
- Orbit and dispersion correction knobs have been modified accordingly

Arcs	Circuit (strong)
B1: 81, 45	SF1 (8), SD2 (12)
B2: 81, 45	SF1 (10), SD2 (12)
B1: 12, 56	SF1 (10), SD2 (12)
B2: 12, 56	SF1 (8), SD2 (12)

Alternative Optics without MS10: No MS14F & MS14D optics

No MS14F



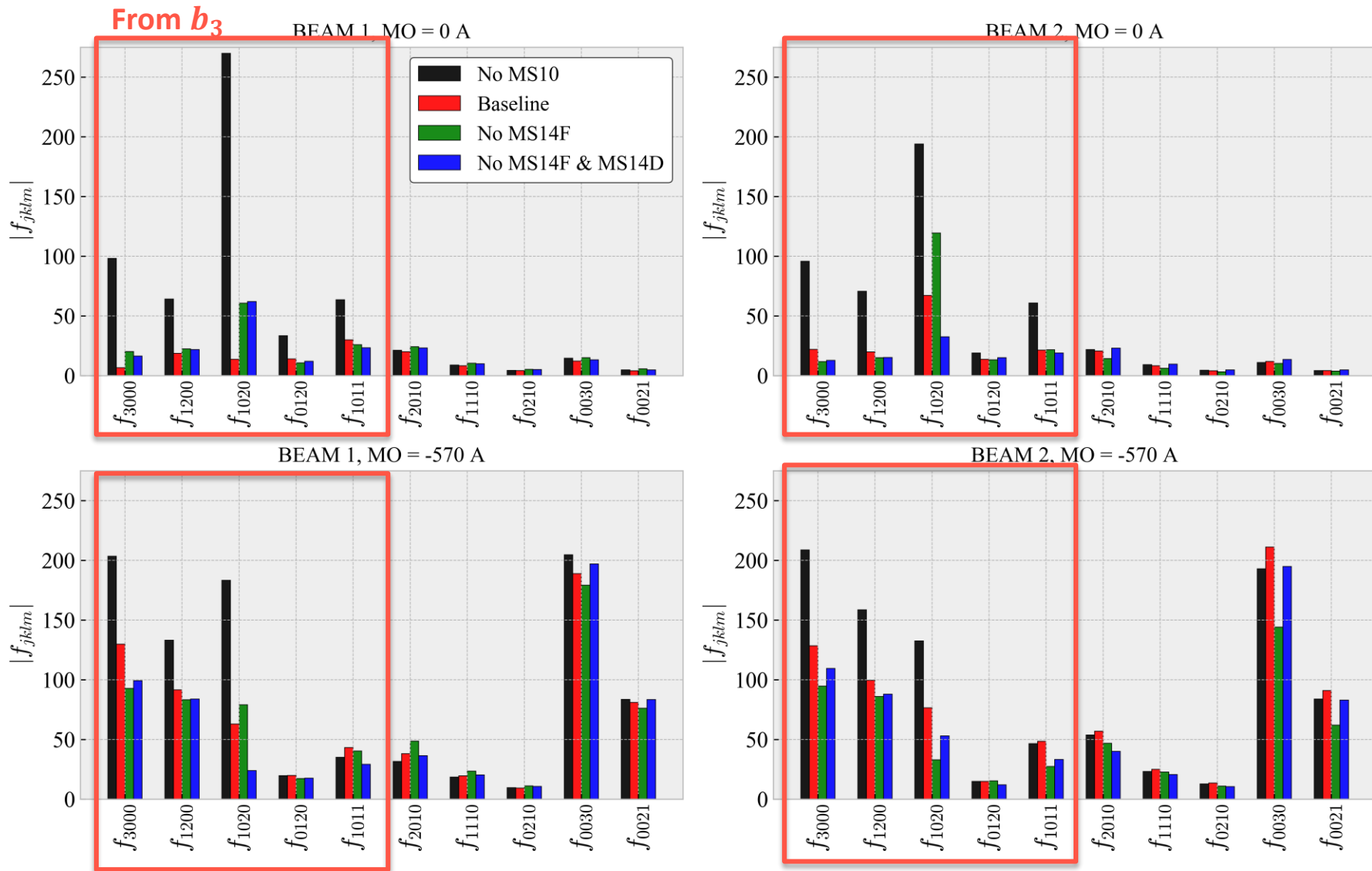
No MS14D

- No change in phases & even number of sextupoles by disconnecting MS14D
- Requires an increase of ~20% of the sextupole strength for chromaticity correction
- Strong family strength in IR15 kept constant and weak sextupoles family strength increased in 23, 34, 67, 78
- Worse chromatic correction in the vertical plane:

$$W_y = 220 \text{ in IP7 } (W_y = 80 \text{ for Baseline}) ; Q_y'' = 10983 \text{ } (Q_y'' = 7630 \text{ for Baseline})$$

Arcs	Circuit (strong)
B1: 81, 45	SF1 (8), SD2 (12)
B2: 81, 45	SF1 (10), SD2 (12)
B1: 12, 56	SF1 (10), SD2 (10)
B2: 12, 56	SF1 (8), SD2 (10)

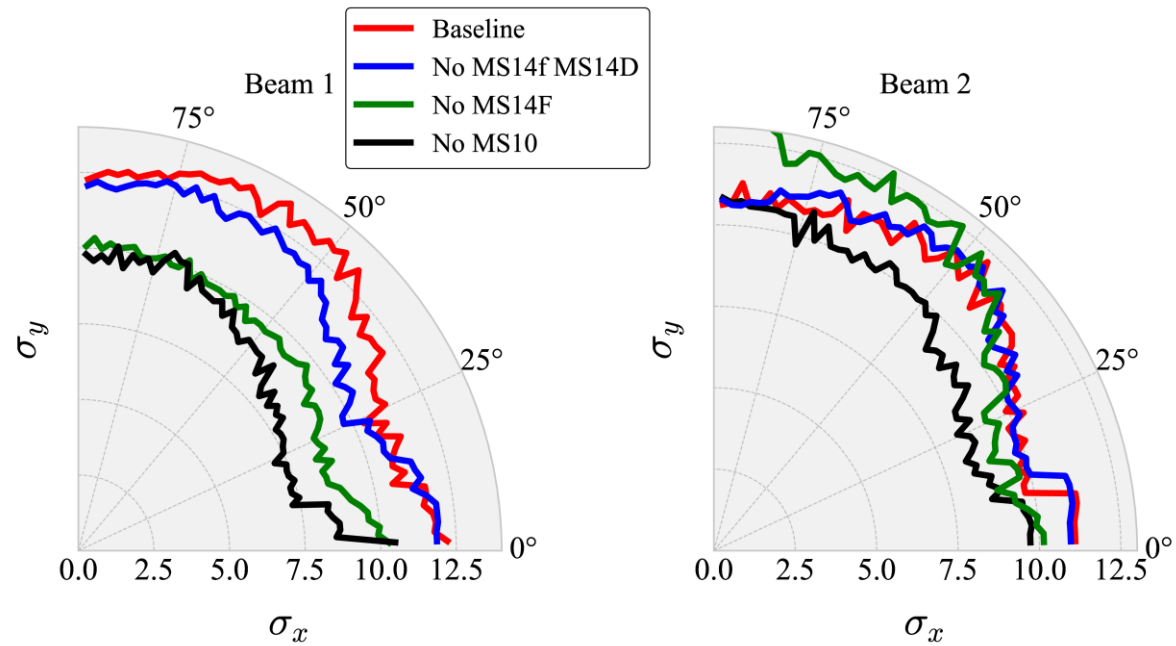
Alternative Optics without MS10: RDT comparison



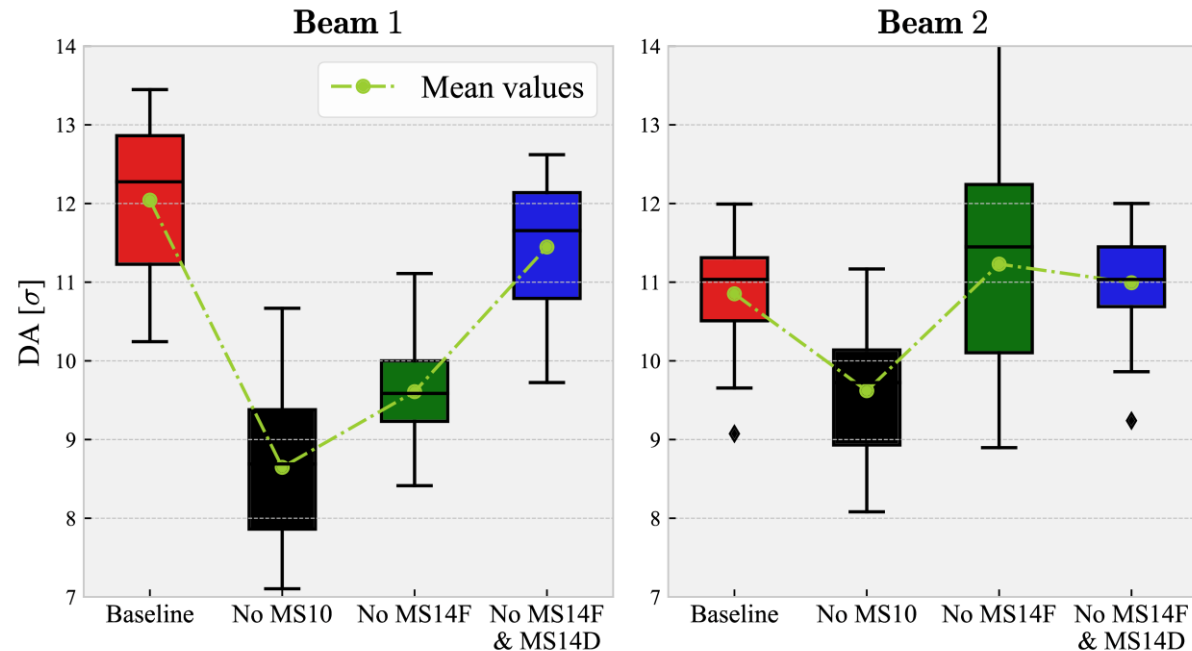
Similar compensation of the geometrical aberrations for the **No MS14F optics** and the **No MS14F & MS14D** optics w.r.t to the **Baseline**

Alternative Optics without MS10: DA comparison

- **Alternative optics shows larger DA than the No MS10 optics for both beams**
- **Large difference between B1 & B2 for the No MS14F optics**
- **DA in B2 very similar between Baseline and alternative optics**

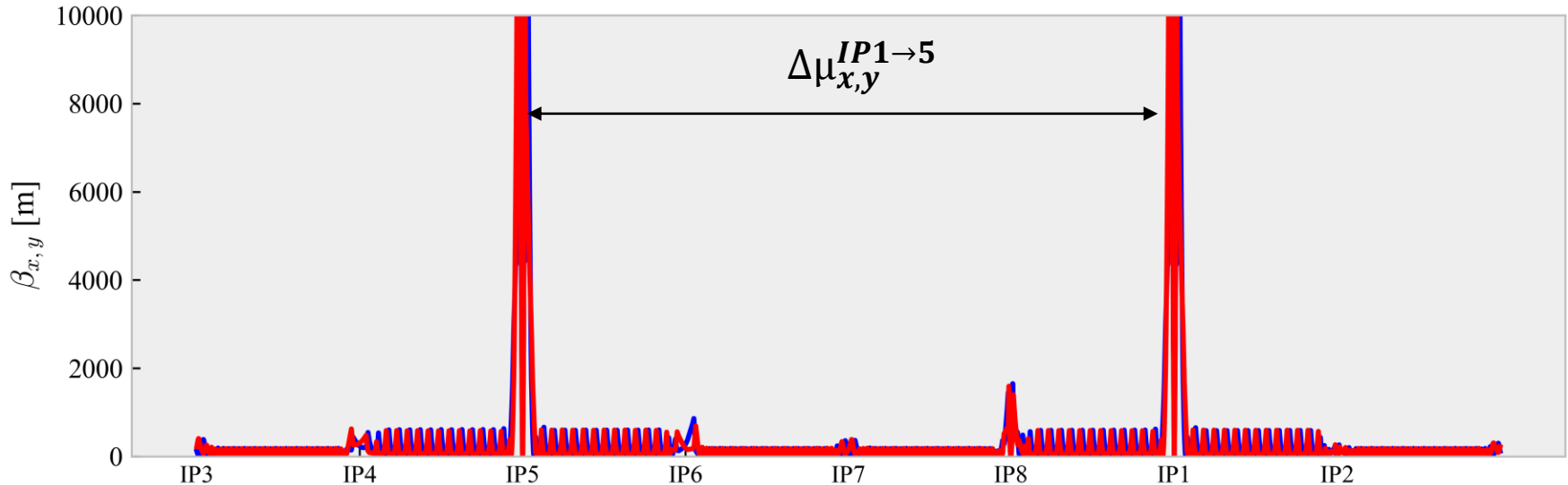


Optics	Avg. DA (B1/B2)	Min. DA (B1/B2)
No MS10	8.7 / 9.6	7.1 / 8.2
Baseline	12.0 / 10.9	10.2 / 9.1
No MS14F	9.5 / 11.2	8.3 / 9.0
No MS14F & MS14D	11.5 / 11.0	9.8 / 9.2



IP1-5 phase advance optimization

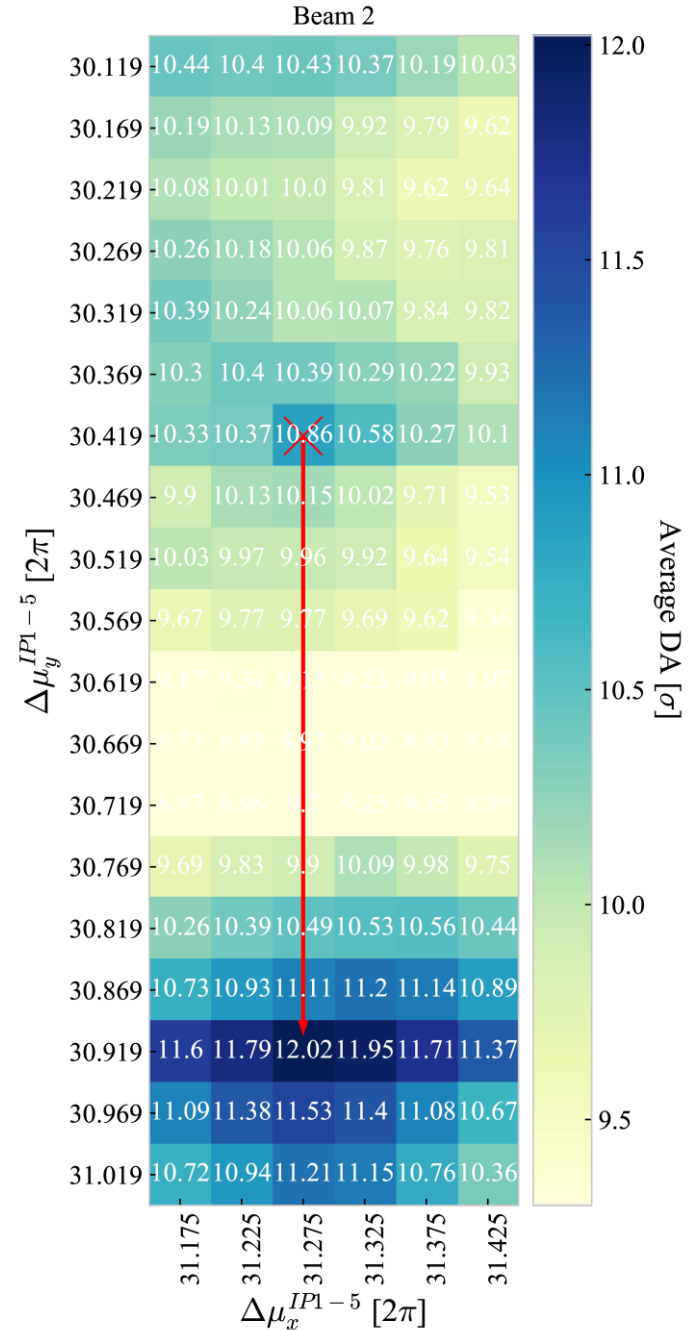
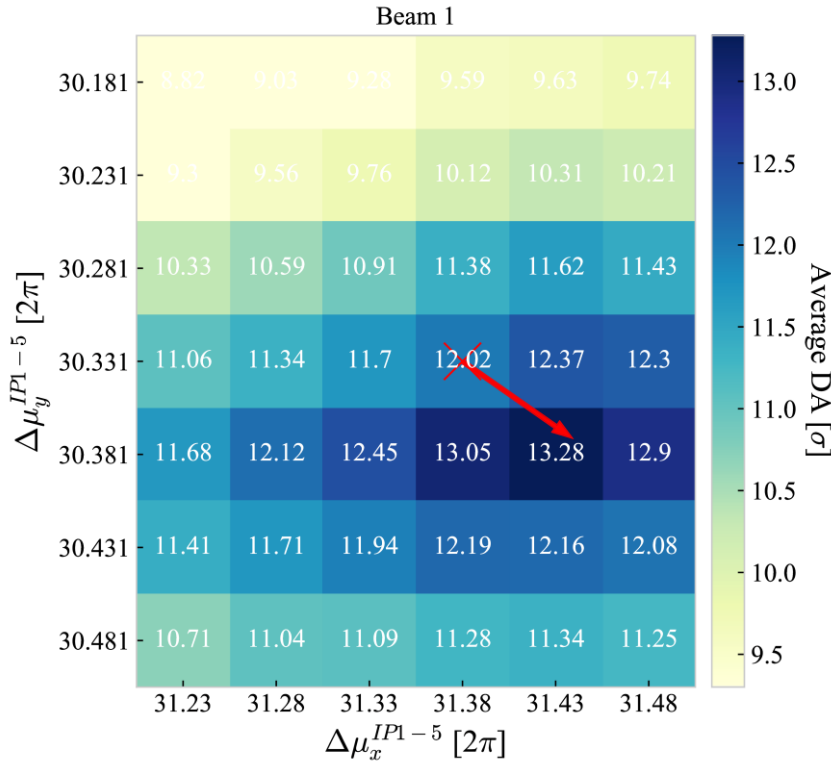
We investigated the possibility to **improve the DA** and **reduce the difference between B1 and B2**, for all optics, by **optimizing $\Delta\mu_{x,y}^{IP1\rightarrow5}$**



- **important impact on the compensation of some fourth and higher order resonant driving terms and on the tune diagram which can improve DA**
- **2D scan of the x,y phase advance between IP1 & 5 while keeping the overall tune constant**
- **The new optimized optics take into account the limitation of the horizontal phase between MKD-TCT in IP1 for machine protection, and all other constraints for the HL-LHC optics**

IP1-5 phase advance optimization: **Baseline**

xing = 295 μ rad, $Q_x = 62.31 / Q_y = 60.32$, $\delta_p = 2.7 \times 10^{-4}$, **without imperfections, with dispersion correction, $Q' = 15$, MO = -570 A, 10^6 turns, 60 angles**



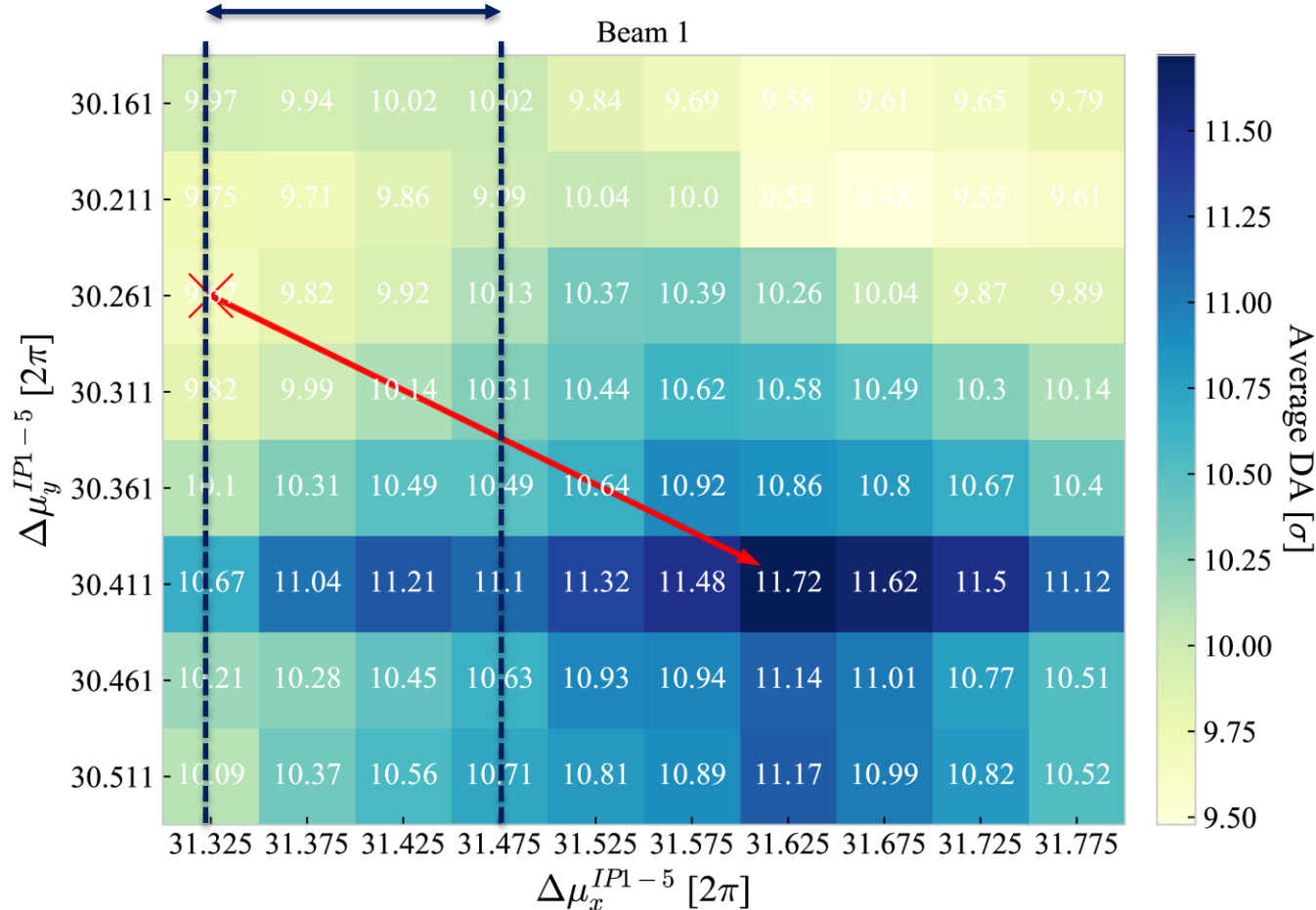
B1: $\Delta\mu_x^{IP1 \rightarrow 5} = +\frac{\pi}{10}$, $\Delta\mu_y^{IP1 \rightarrow 5} = +\frac{\pi}{10}$ $\rightarrow \Delta DA = +1.26\sigma$

B2: $\Delta\mu_x^{IP1 \rightarrow 5} = +0$, $\Delta\mu_y^{IP1 \rightarrow 5} = +\pi$ $\rightarrow \Delta DA = +1.16\sigma$

➤ Compatible with IR6 constraints (MKD-TCT phase in IP1 below 20°)

IP1-5 phase advance optimization: No MS14F

$\Delta\mu_x^{IP1 \rightarrow 5}$ range where $\Delta\mu_x^{MKD-TCT, IP1} < 20^\circ$



- The $IP1 \rightarrow 5$ phase advance for Beam 1 for No MS14F optics was originally set far from an optimal point for RDTs compensation
- The optimum phase point for DA was found at a $\Delta\mu_x^{IP1 \rightarrow 5}$ not compatible with MKD-TCT phase constraints

IP1-5 phase advance optimization: No MS14F

- New DA optimum for B1 compatible with IR6 constraints found for larger $\Delta\mu_y^{IP1 \rightarrow 5}$

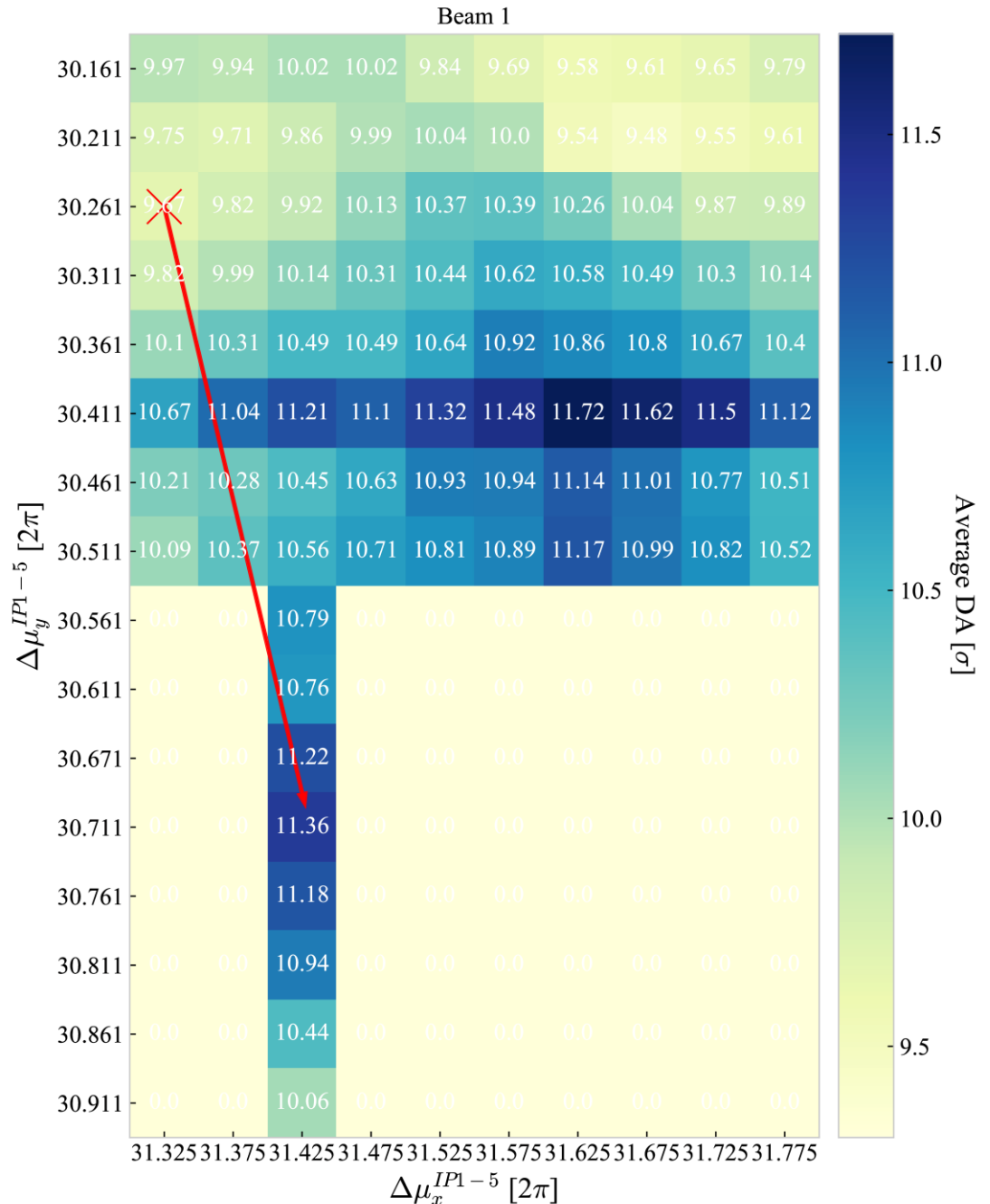
B1: $\Delta\mu_x^{IP1 \rightarrow 5} = +\frac{\pi}{10}'$

$\Delta\mu_y^{IP1 \rightarrow 5} = +\frac{9\pi}{10} \rightarrow \Delta DA = +1.8\sigma$

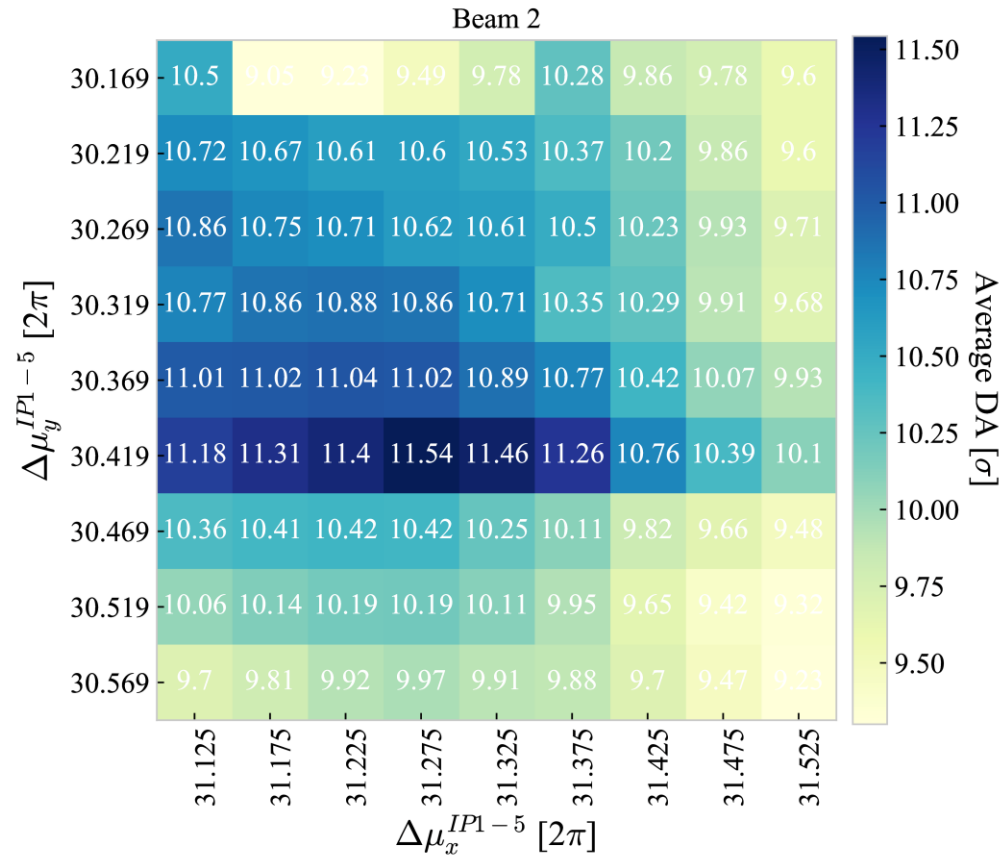
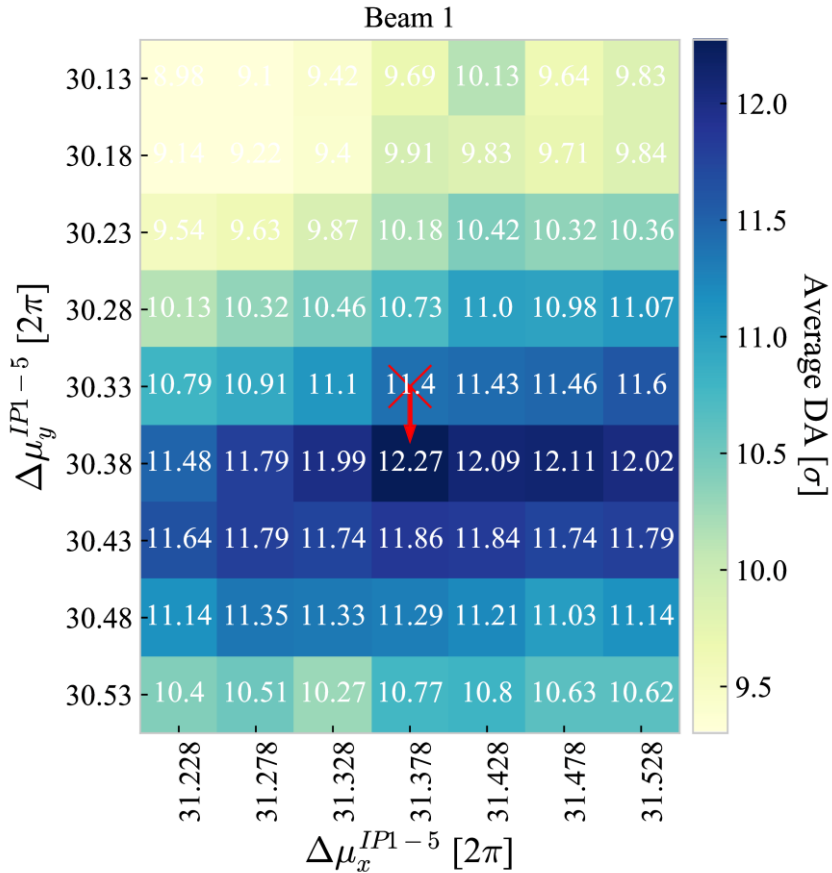
B2: $\Delta\mu_x^{IP1 \rightarrow 5} = -\frac{\pi}{10}'$

$\Delta\mu_y^{IP1 \rightarrow 5} = +\frac{\pi}{10} \rightarrow \Delta DA = +0.3\sigma$

- Beam 2 phase was already close to optimum DA point



IP1-5 phase advance optimization: No MS14F & MS14D



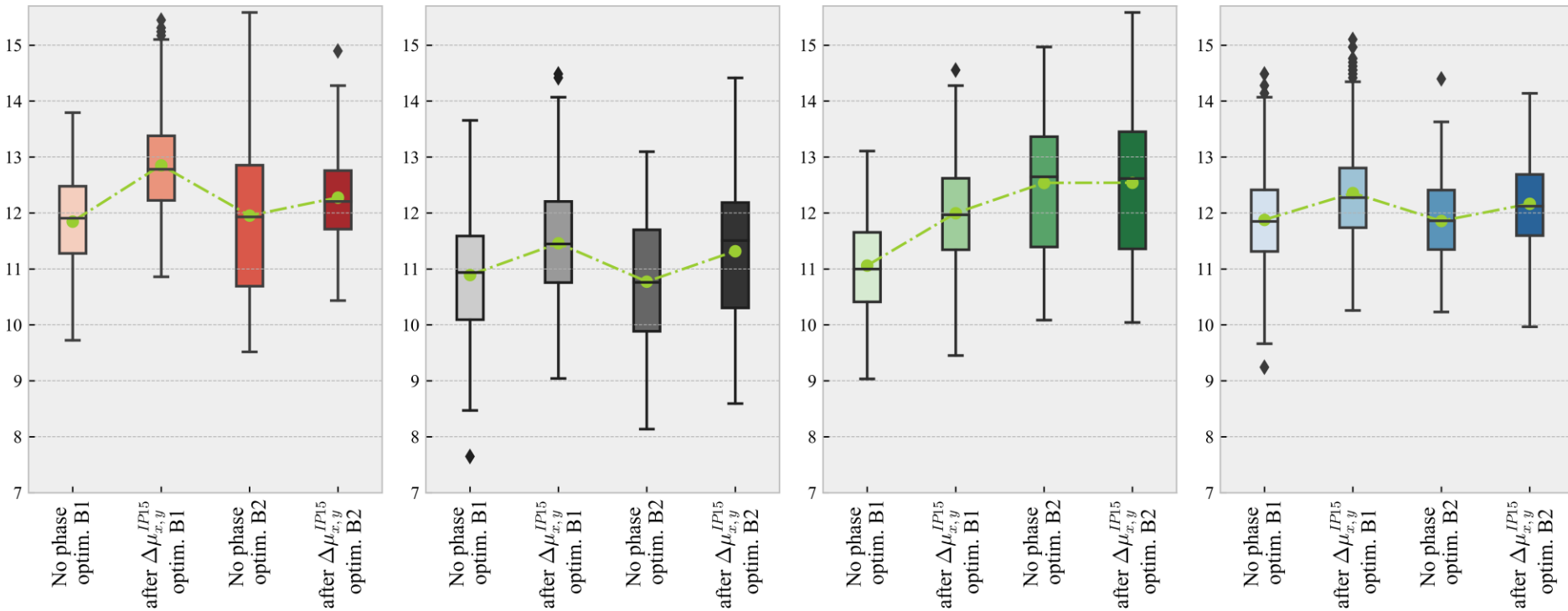
➤ Optimal phases $\Delta\mu_{x,y}^{IP1 \rightarrow 5}$ for the No MS14F & MS14D optics are very similar to the ones of the optimized Baseline

B1: $\Delta\mu_x^{IP1 \rightarrow 5} = 0^\circ$,
 $\Delta\mu_y^{IP1 \rightarrow 5} = +\frac{\pi}{10} \rightarrow \Delta DA = +0.9\sigma$

B2: $\Delta\mu_x^{IP1 \rightarrow 5} = 0^\circ$,
 $\Delta\mu_y^{IP1 \rightarrow 5} = +\pi \rightarrow \Delta DA = +0.7\sigma$

IP1-5 phase advance optimization: DA comparison

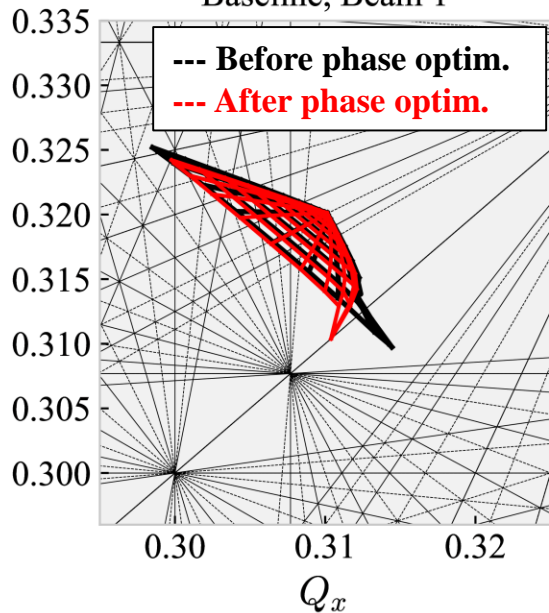
xing = 295 μ rad, $Q_x = 62.31 / Q_y = 60.32$, $\delta_p = 2.7 \times 10^{-4}$, with imperfections, with dispersion correction, $Q' = 15$,
MO = -570 A,
 10^5 turns, 7 angles



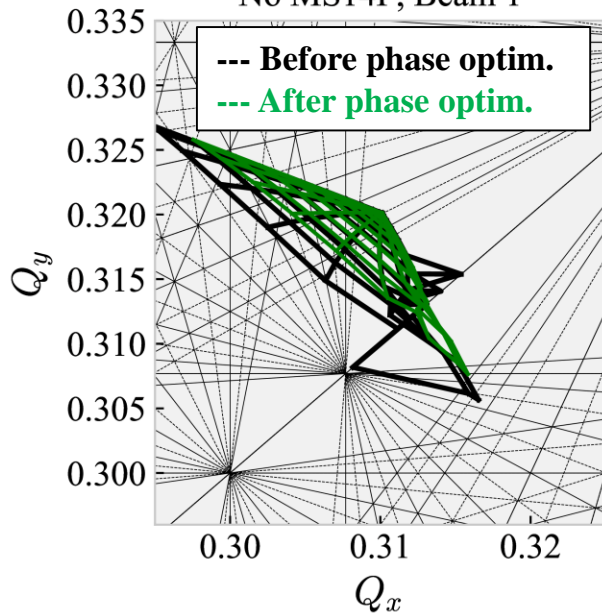
- After optimization of the $IP^{1 \rightarrow 5}$ phase advance the **minimum and average DA are improved for all optics and both beams**, taking into account field imperfections (using the corrected mask from Frederik and without MCBRD and MCBXFA field errors)

IP1-5 phase advance optimization: Footprint comparison (MO=-570 A)

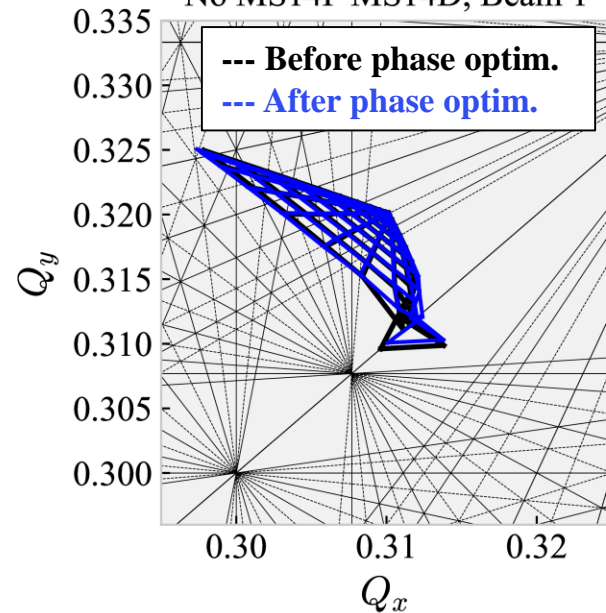
Baseline, Beam 1



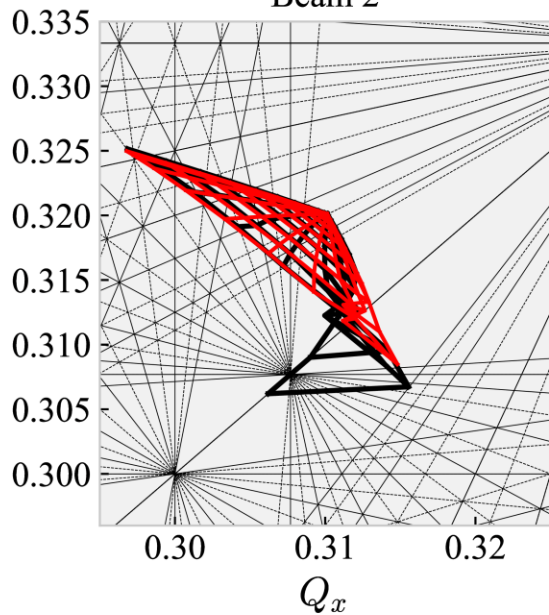
No MS14F, Beam 1



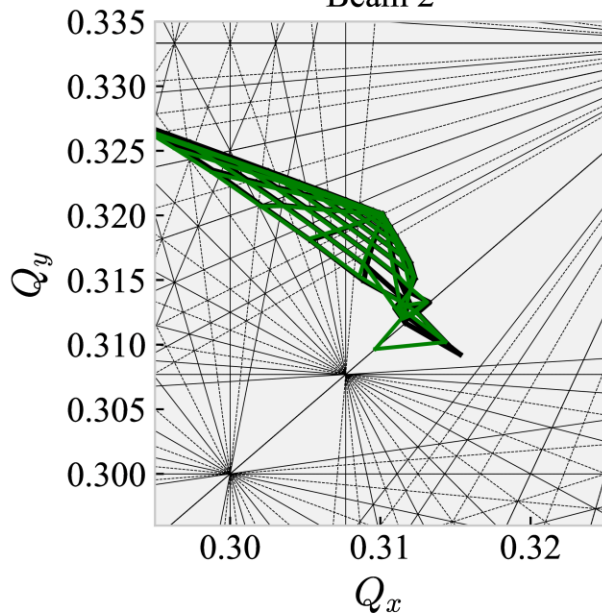
No MS14F MS14D, Beam 1



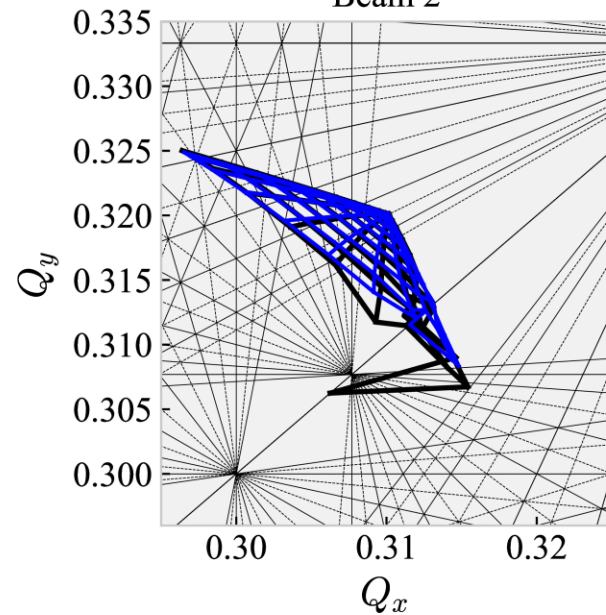
Beam 2



Beam 2

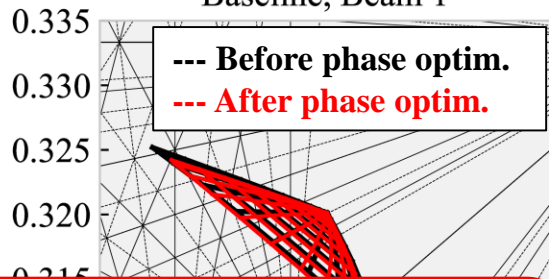


Beam 2



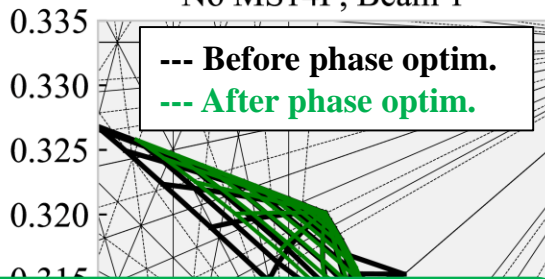
IP1-5 phase advance optimization: Amplitude Detuning (MO=-570 A)

Baseline, Beam 1



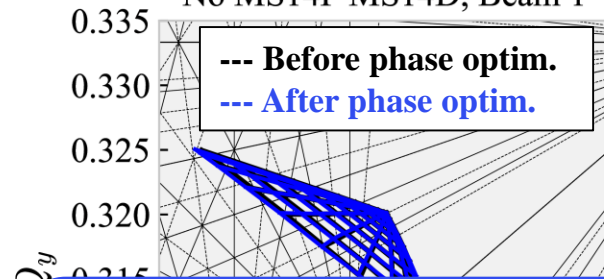
Q_x/ϵ_x	Q_y/ϵ_y	Q_x/ϵ_y
$-3.57 \cdot 10^5$	$-3.32 \cdot 10^5$	$1.70 \cdot 10^5$
$-3.69 \cdot 10^5$	$-3.33 \cdot 10^5$	$1.59 \cdot 10^5$

No MS14F, Beam 1



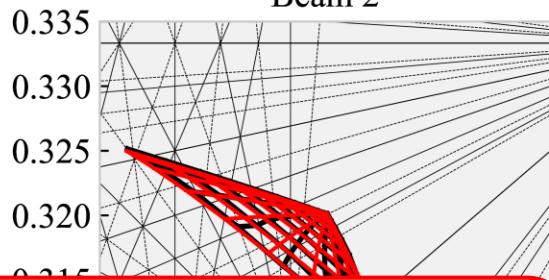
Q_x/ϵ_x	Q_y/ϵ_y	Q_x/ϵ_y
$-4.17 \cdot 10^5$	$-3.41 \cdot 10^5$	$1.90 \cdot 10^5$
$-3.95 \cdot 10^5$	$-3.41 \cdot 10^5$	$1.85 \cdot 10^5$

No MS14F MS14D, Beam 1



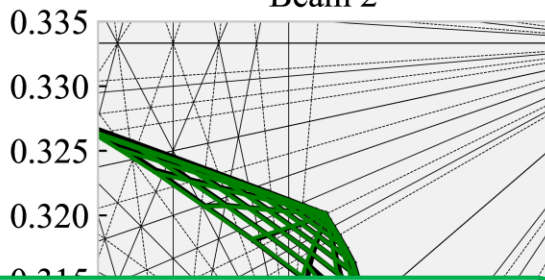
Q_x/ϵ_x	Q_y/ϵ_y	Q_x/ϵ_y
$-3.92 \cdot 10^5$	$-3.40 \cdot 10^5$	$1.62 \cdot 10^5$
$-3.91 \cdot 10^5$	$-3.35 \cdot 10^5$	$1.59 \cdot 10^5$

Beam 2



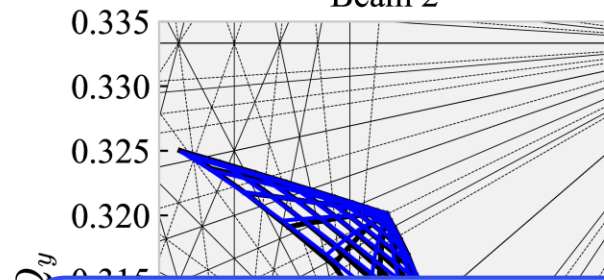
Q_x/ϵ_x	Q_y/ϵ_y	Q_x/ϵ_y
$-4.11 \cdot 10^5$	$-3.16 \cdot 10^5$	$1.70 \cdot 10^5$
$-4.10 \cdot 10^5$	$-3.35 \cdot 10^5$	$1.64 \cdot 10^5$

Beam 2



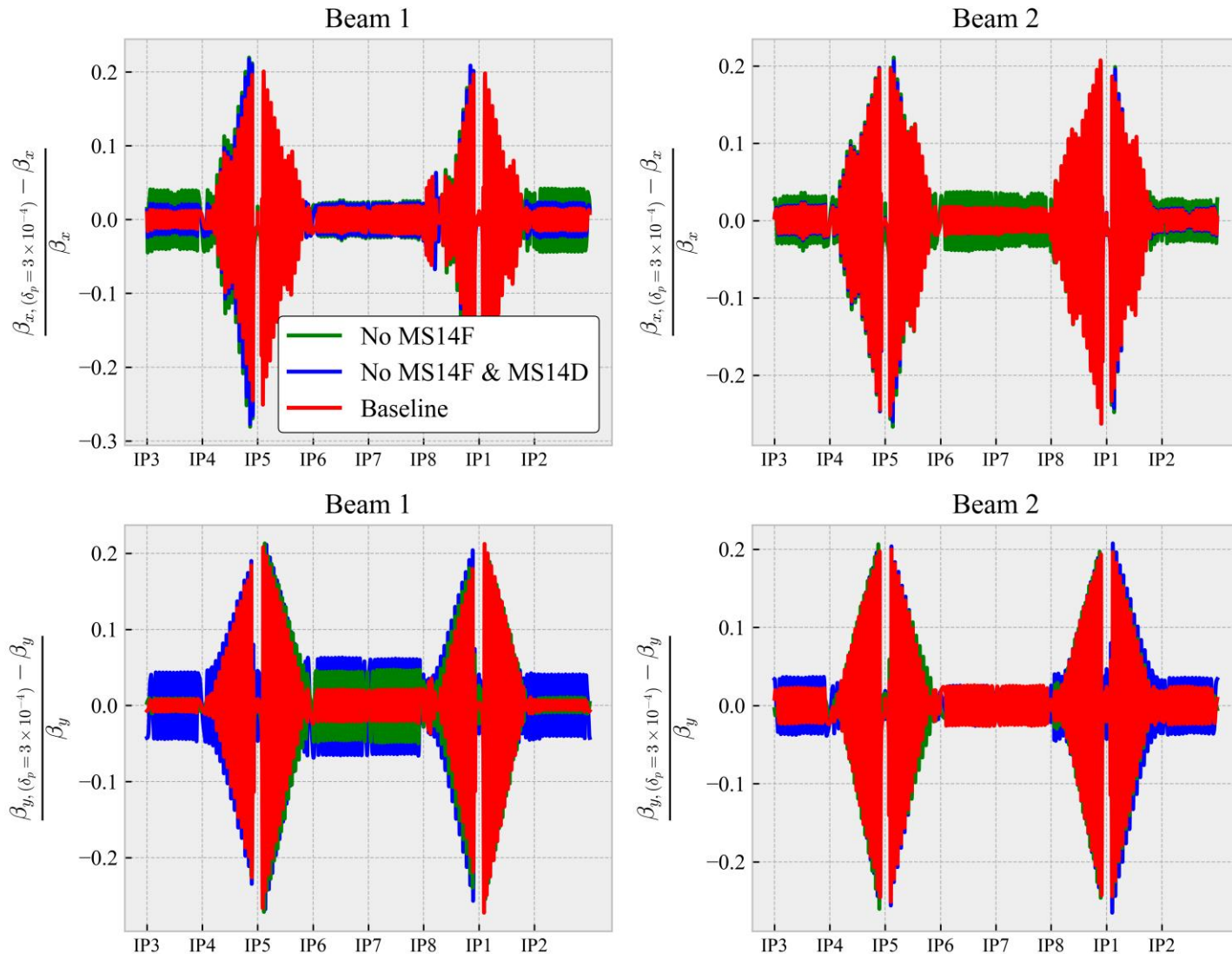
Q_x/ϵ_x	Q_y/ϵ_y	Q_x/ϵ_y
$-4.13 \cdot 10^5$	$-3.39 \cdot 10^5$	$1.89 \cdot 10^5$
$-4.21 \cdot 10^5$	$-3.37 \cdot 10^5$	$1.85 \cdot 10^5$

Beam 2



Q_x/ϵ_x	Q_y/ϵ_y	Q_x/ϵ_y
$-4.24 \cdot 10^5$	$-3.18 \cdot 10^5$	$1.63 \cdot 10^5$
$-4.24 \cdot 10^5$	$-3.39 \cdot 10^5$	$1.61 \cdot 10^5$

Alternative Optics without MS10: Chromatic Properties

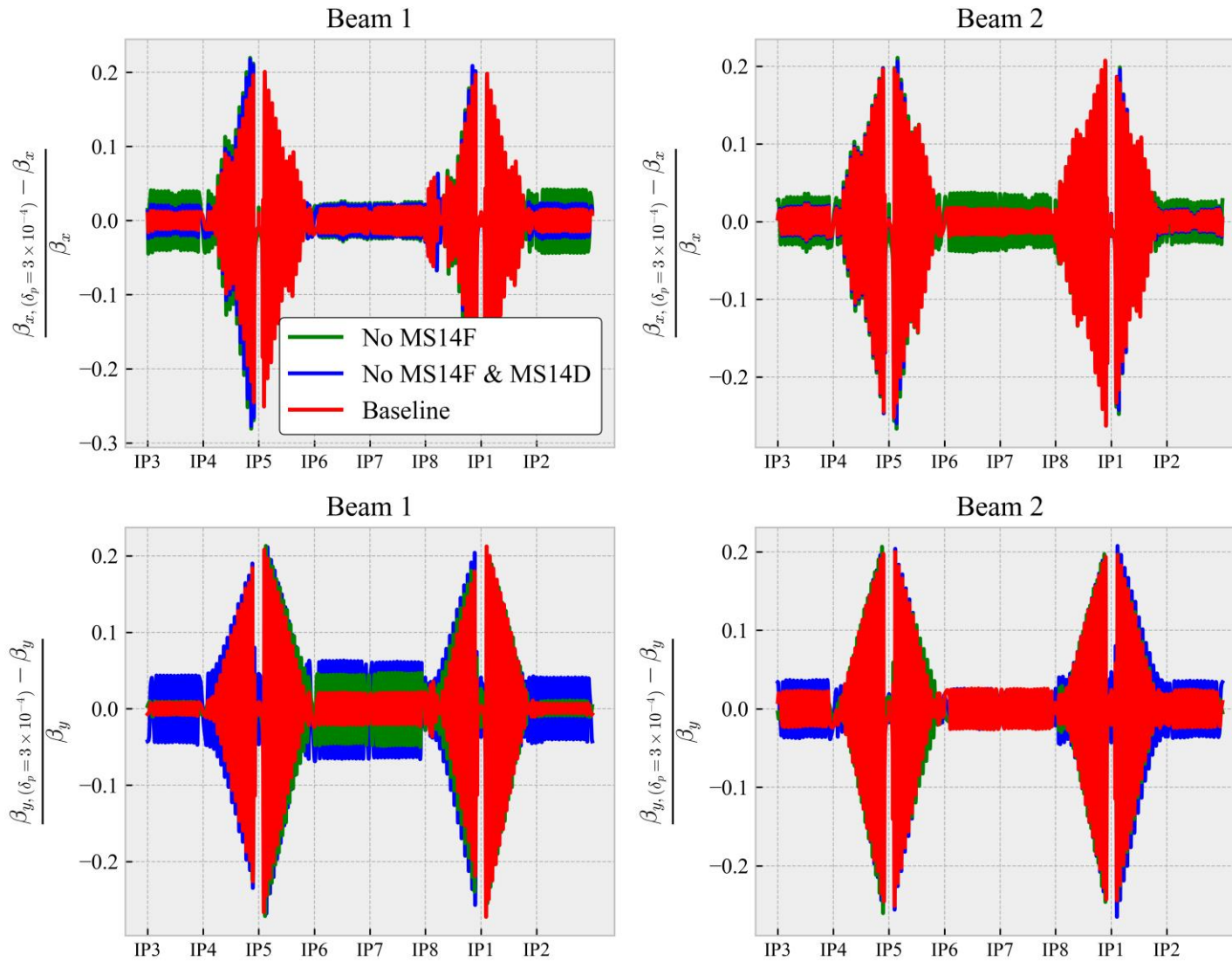


Largest chromatic β -beating in IP7 for Beam 1 in y:

~2% for Baseline , **~4.5% for No MS14F** , **~6.4% for No MS14F & MS14D**

At $\delta_p = 3 \times 10^{-4}$

Alternative Optics without MS10: Chromatic Properties



The residual chromatic β -beating could be further optimized by adjusting the phase advance between MS and the IP1-5

Alternative Optics without MS10: IR6 constraints

- **Optics in IR6 within the constraints after optimization of the $IP^{1 \rightarrow 5}$ phase advance**
- Phase advance $\Delta\mu_{x,\text{MKD-TCT},IP1}$ below 20° to keep the protected aperture at 11.2σ

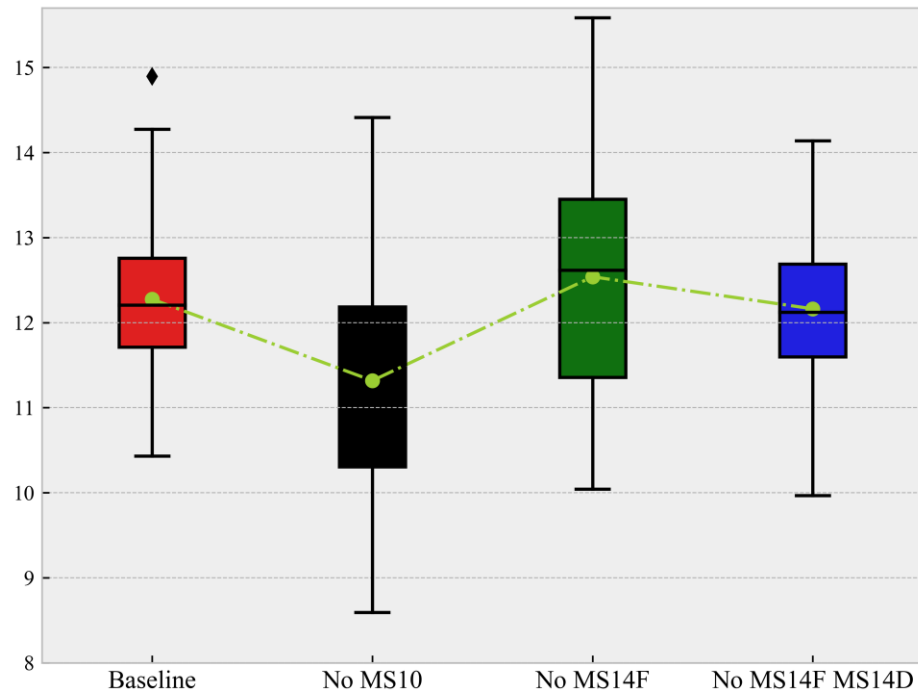
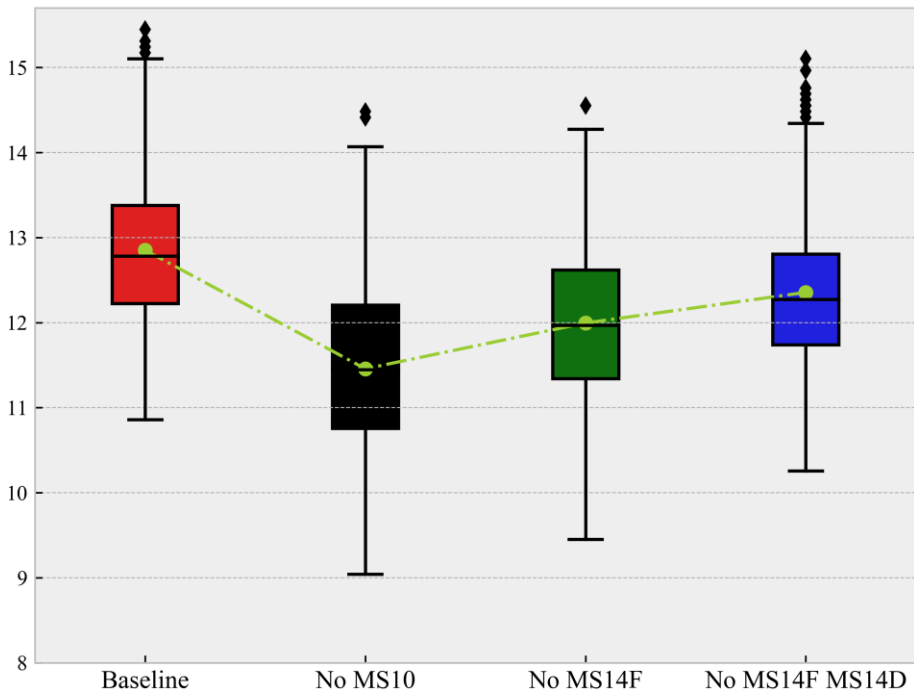
Param. B1 / B2	Target values	Baseline	No MS14F	No MS14F&MS14D
$\Delta\mu_{x,\text{MKD-TCDQ}} [^\circ]$	$90^\circ \pm 4^\circ$	86.3 / 93.6	91.5 / 93.6	86.3 / 93.6
$\beta_y^{\text{TCDQ}} [\text{m}]$	≥ 200	238.3 / 260.6	283.2 / 200.0	238.3 / 271.0
$\beta_x^{\text{TCDQ}} [\text{m}]$	-	736.4 / 473.3	513.9 / 460.0	736.4 / 474.6
$\beta_y^{\text{TCDQ}} [\text{m}]$	≥ 145	180.5 / 145.0	145.0 / 176.2	180.5 / 145.0
$ D_{x,\text{TCDQ}} [\text{m}]$	-	0.6 / 0.4	0.02 / 0.38	0.5 / 0.42
$\text{Gap}_{\text{TCDQ},\text{min}} [\text{mm}]$	≥ 3	4.0 / 3.05	3.3 / 2.99	4.0 / 3.05
$\beta_x^{\text{TDE}} [\text{km}]$	≥ 4	6.37 / 4.92	5.06 / 4.83	6.37 / 4.93
$\beta_y^{\text{TDE}} [\text{km}]$	≥ 3.2	3.36 / 7.23	8.2 / 6.33	3.36 / 7.72
$(\beta_x\beta_y)_{\text{TDE}}^{\frac{1}{2}} [\text{km}]$	≥ 4.5	4.62 / 5.98	6.44 / 5.53	4.62 / 6.17
$ \Delta\mu_{x,\text{MKD-TCT},IP1} [^\circ]$	≤ 20	19.8 / 18.8	9.8 / 18.6	5.0 / 19.6
$ \Delta\mu_{x,\text{MKD-TCT},IP5} [^\circ]$	≤ 30	29.5 / 31.4	36 / 30.1	29.5 / 31.9
Q5.L6 [T/m]	160	163 / -164	160 / -162	163 / -165
Q5.R6 [T/m]	160	-159 / 151	-161 / 151	-159 / 152

IP1-5 phase advance optimization: DA comparison

$x_{ing} = 295 \mu\text{rad}$, $Q_x = 62.31 / Q_y = 60.32$, $\delta_p = 2.7 \times 10^{-4}$, with imperfections, with dispersion correction, $Q' = 15$,
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Beam 1

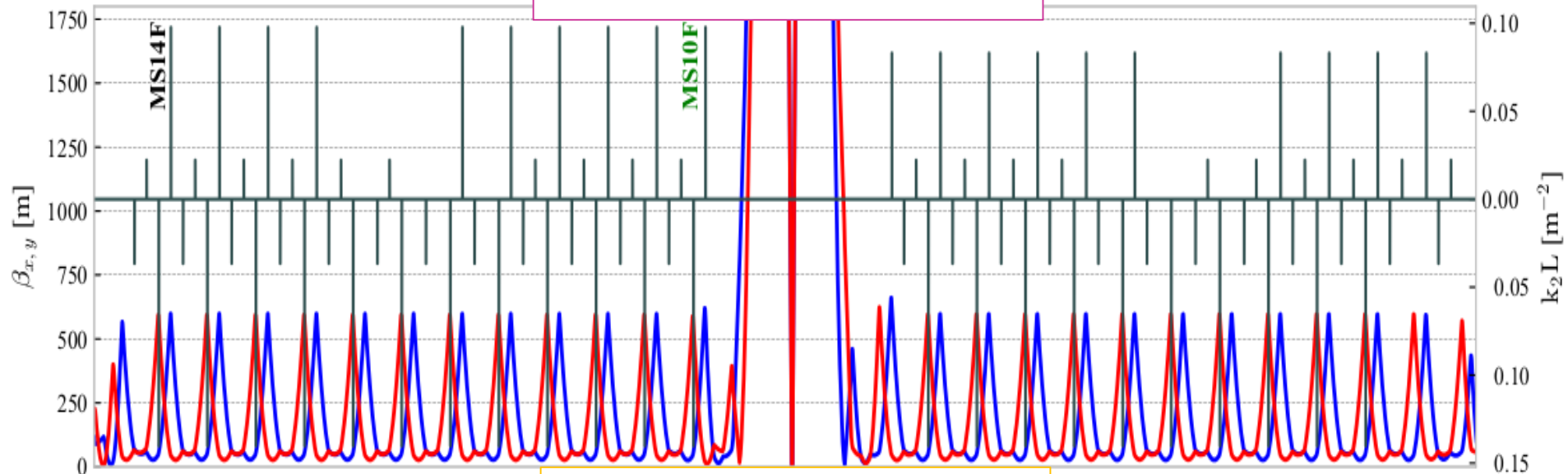
Beam 2



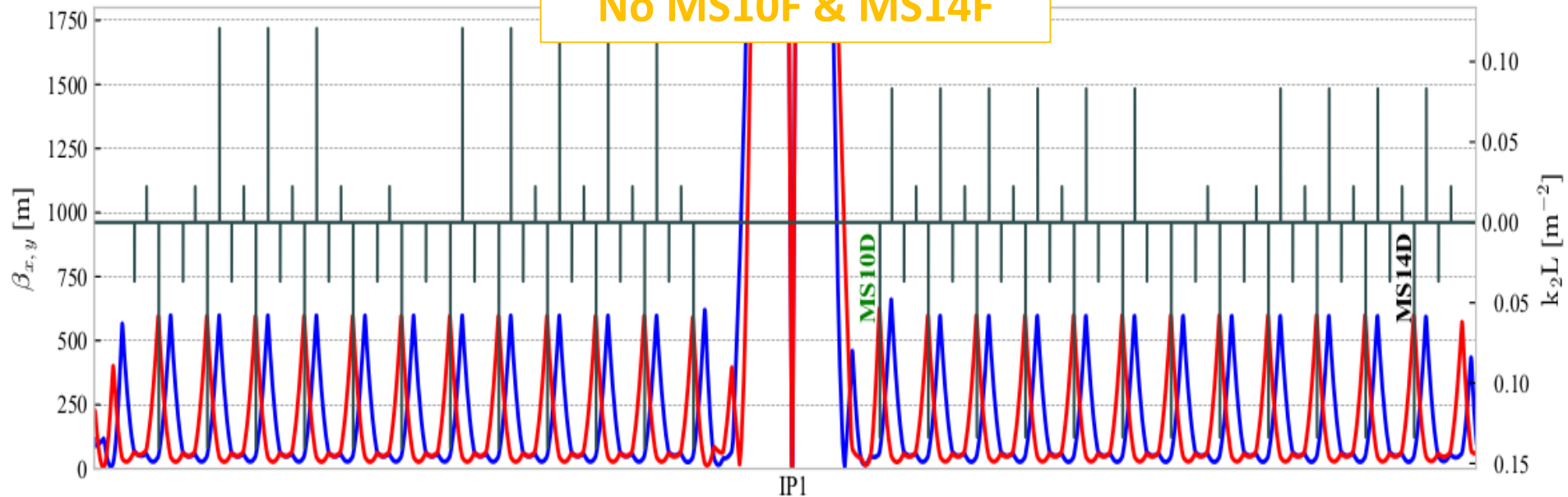
Optics	Avg. DA (B1/B2)	Min. DA (B1/B2)
No MS10	11.5 / 11.2	9.0 / 8.6
Baseline	12.9 / 12.2	10.9 / 10.4
No MS14F	12.0 / 12.5	9.5 / 10.0
No MS14F & MS14D	12.4 / 12.1	10.1 / 10.0

Alternative optics with only 1 MS10 in IR1&5

No MS10D & MS14D

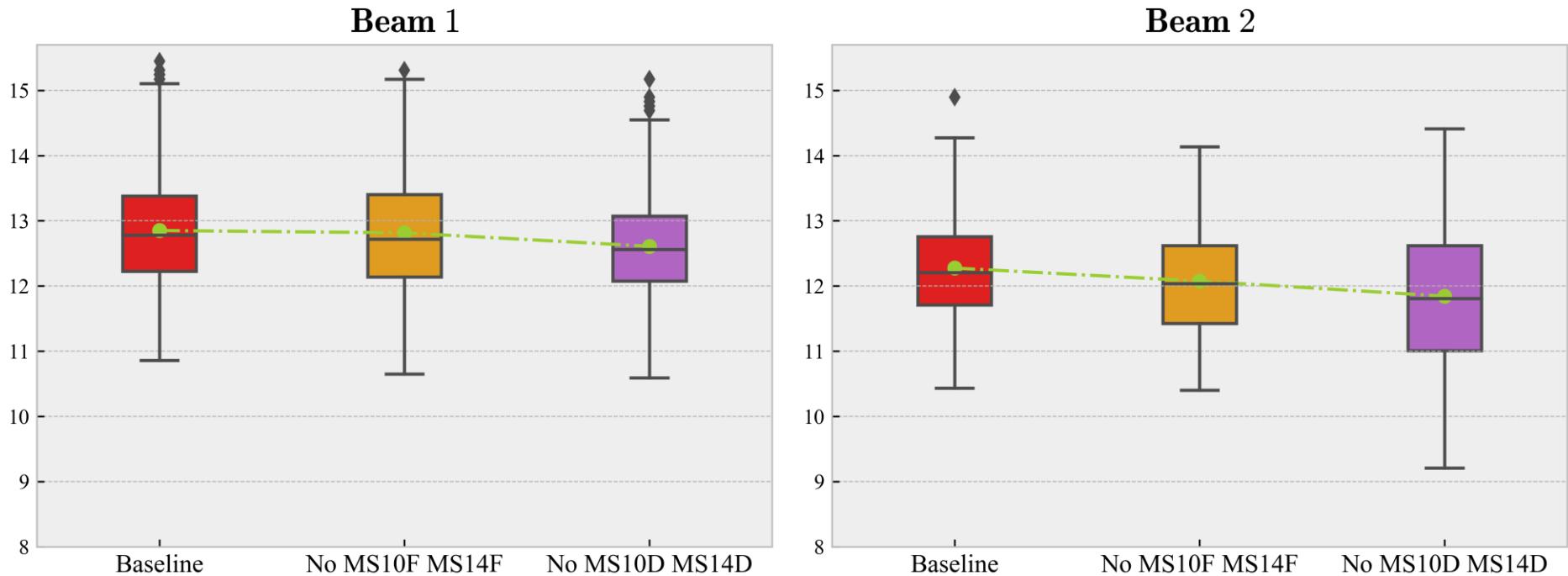


No MS10F & MS14F



Alternative optics with only 1 MS10 in IR1&5

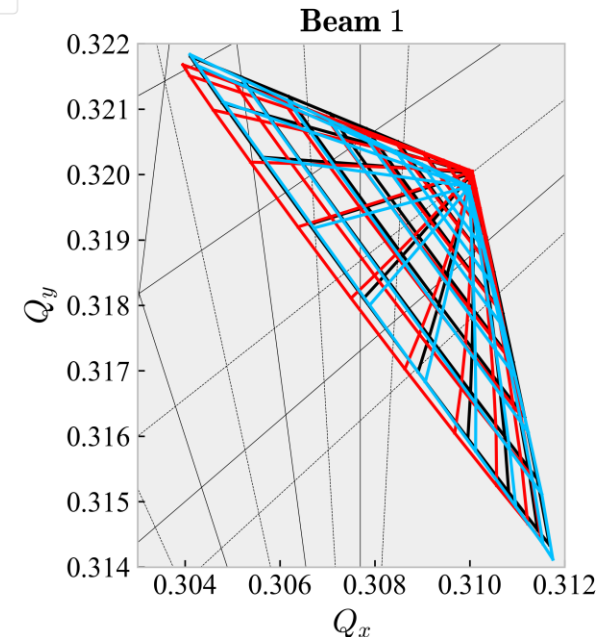
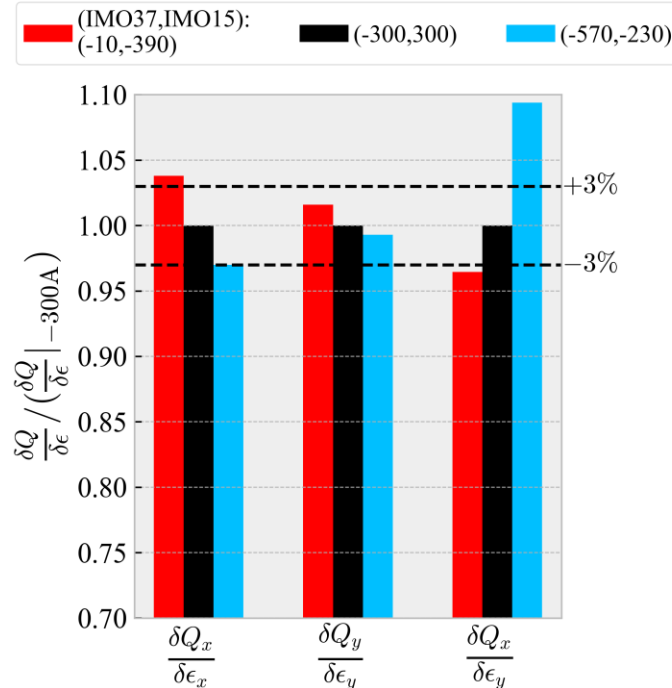
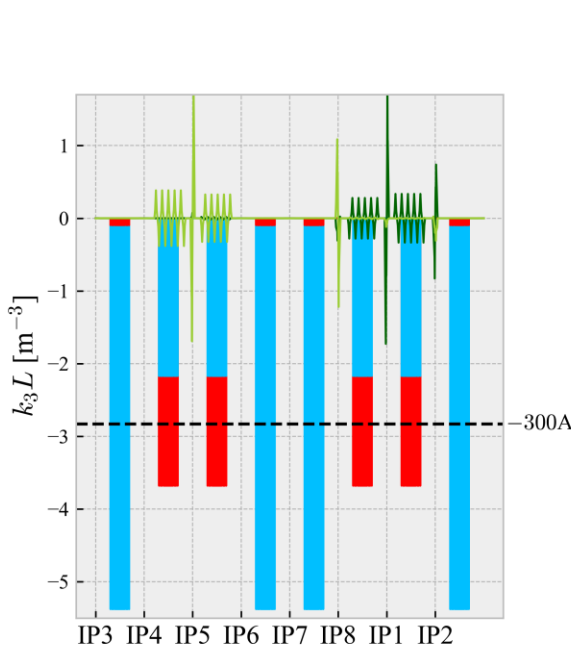
$\text{xing} = 295 \mu\text{rad}$, $Q_x = 62.31 / Q_y = 60.32$, $\delta_p = 2.7 \times 10^{-4}$, with imperfections, with dispersion correction, $Q' = 15$, $\text{MO} = -570 \text{ A}$, 10^5 turns, 7 angles



Optics	Avg. DA (B1/B2)	Min. DA (B1/B2)
Baseline	12.9 / 12.2	10.9 / 10.4
No MS10F & MS14F	12.9 / 12.0	10.7 / 10.3
No MS10D & MS14D	12.6 / 11.9	10.6 / 9.2

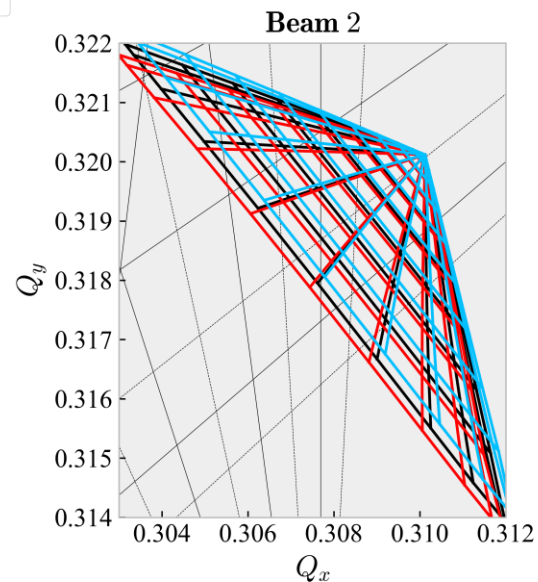
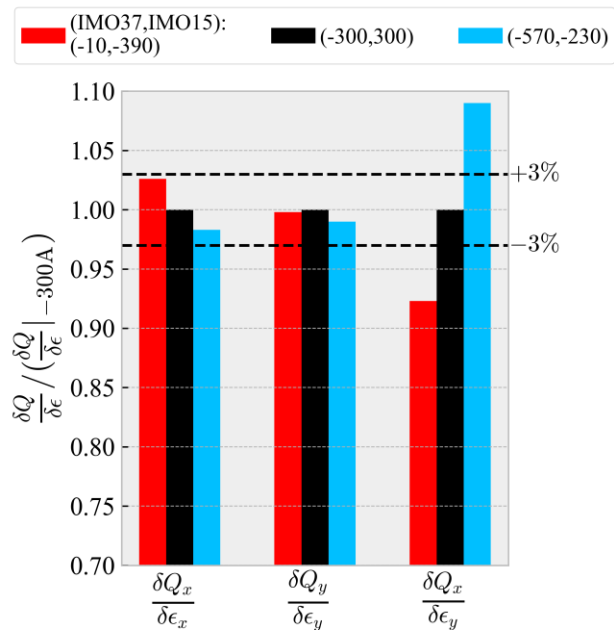
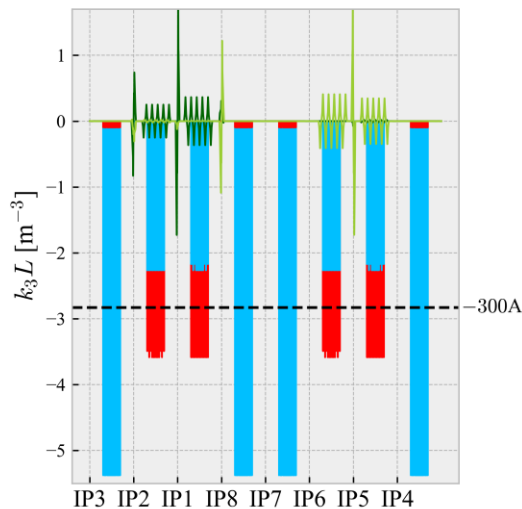
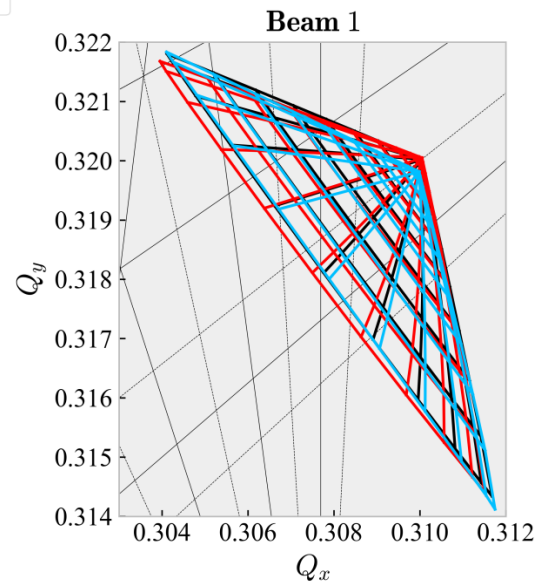
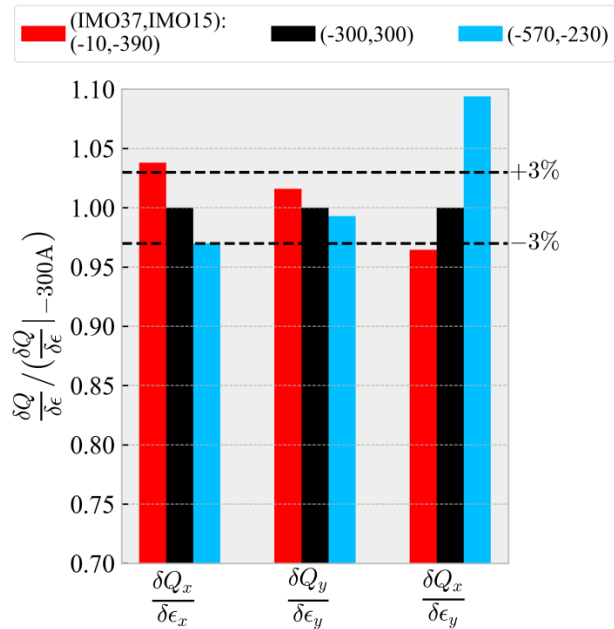
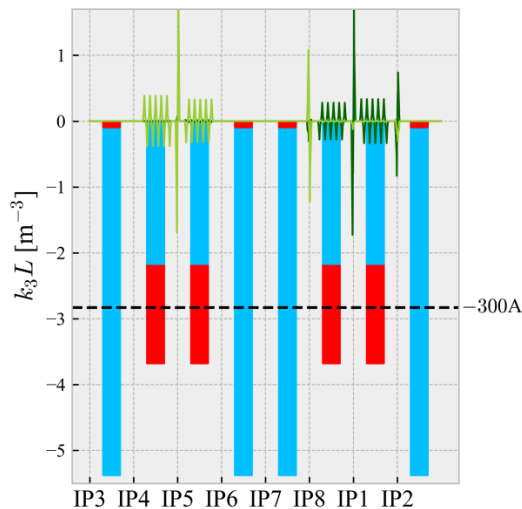
DA optimization by changing Octupole Powering

- Optimize the Landau Octupole circuit currents to improve DA
- Reducing the RDTs generated at the octupoles by lowering their strength at the orbit bumps for dispersion correction where $\beta_{x,y}$ are larger
- **DA simulations without Beam-Beam included → Octupole power varied for direct detuning terms almost constant**
- Assume amplitude detuning with nominal octupole setting for HL-LHC → **-300 A**
- **IMO37** refers to the octupole currents in sectors 23,34,67,78
- **IMO15** refers to the octupole currents in sectors **81,12,45,56**



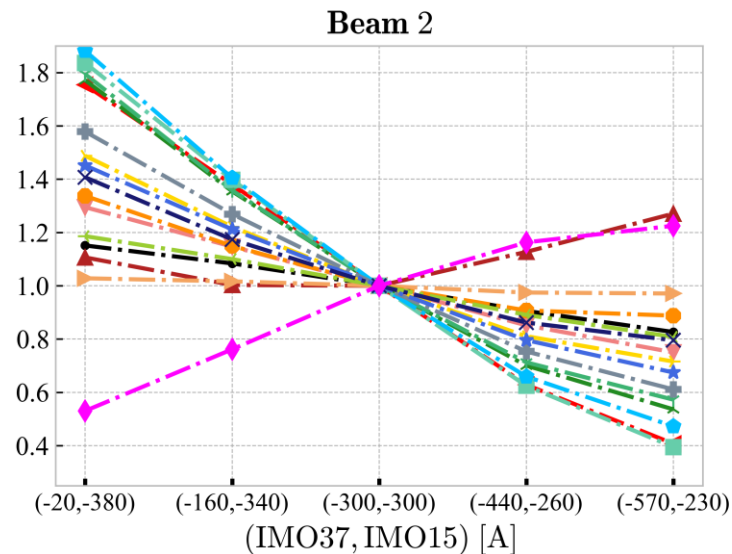
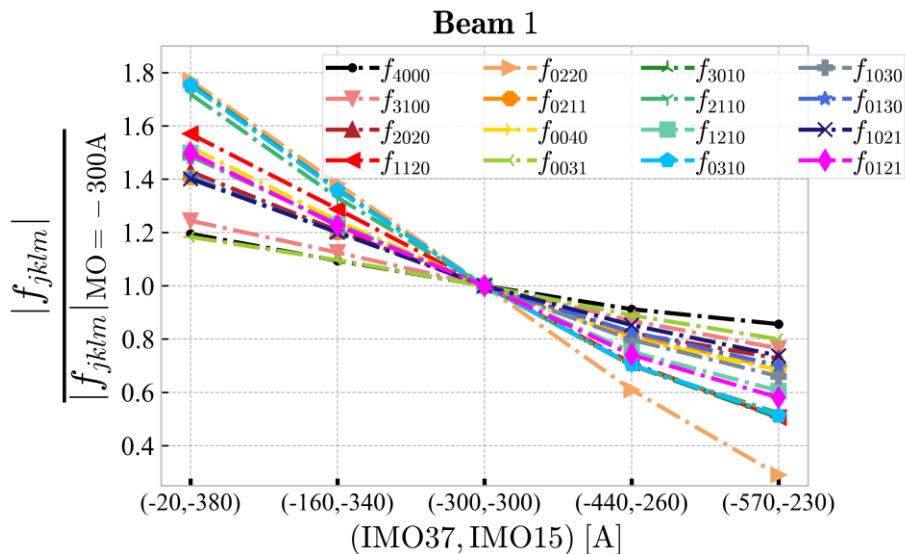
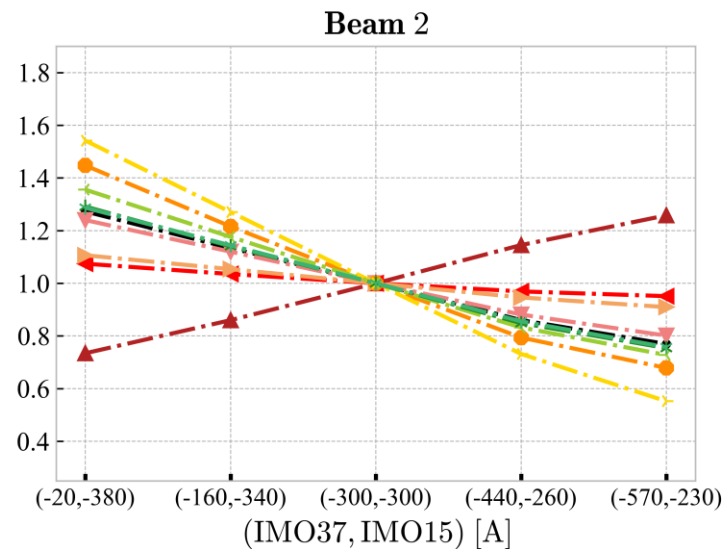
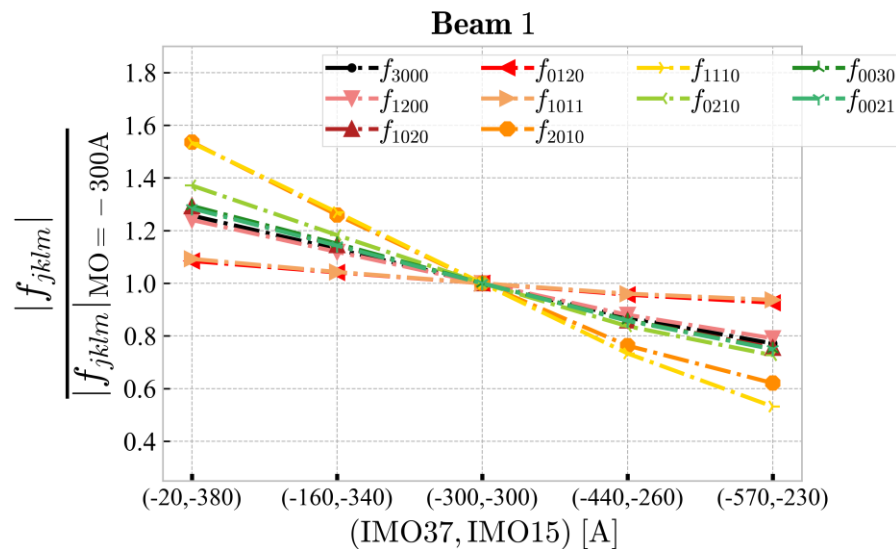
DA optimization by changing Octupole Powering

Baseline optics

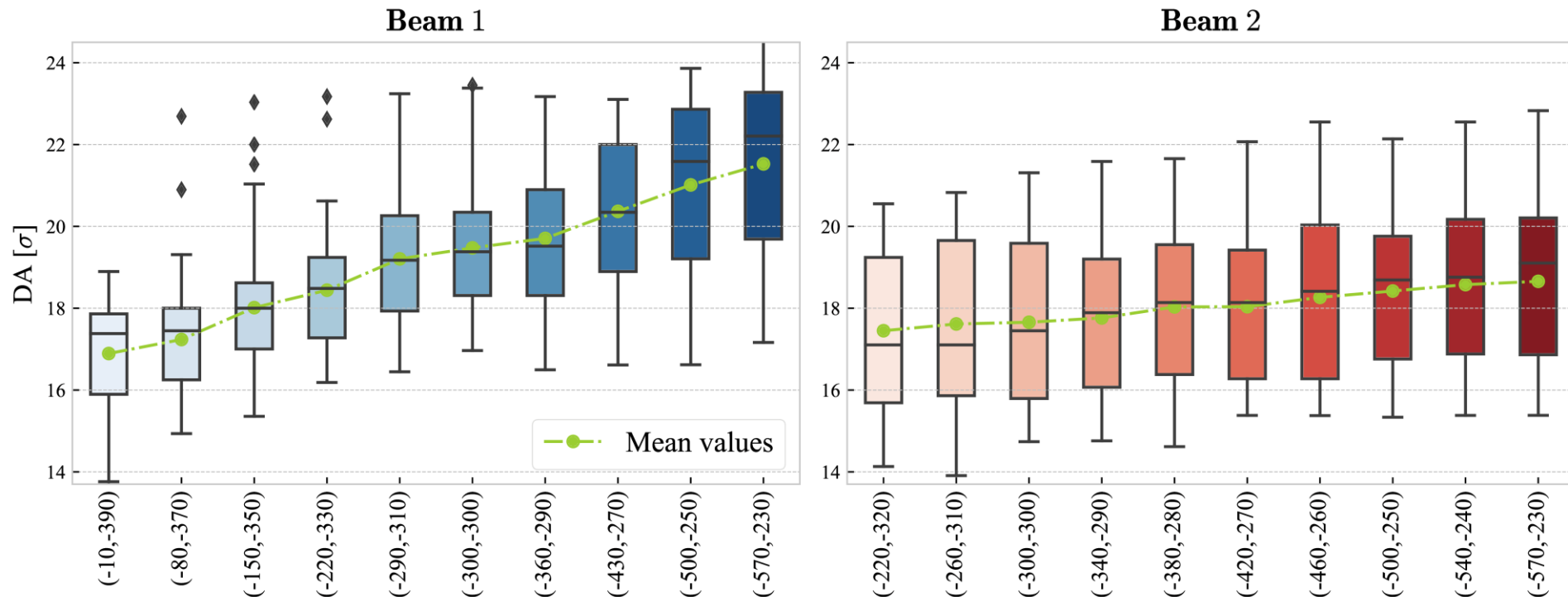


DA optimization by changing Octupole Powering

- RDTs from a_4, b_4 and a_3, b_3 reduce with reduced octupole strength in Sec. 81,12,45,56



DA optimization by changing Octupole Powering



- DA increases with reduced octupole strength in Sec. 81,12,45 ,56 thanks to the lower a_4 , b_4 and feed-down to sextupole fields a_3 , b_3
- For (IMO37,IMO15) = (-570,-230) → **+2σ for B1** ; **+1.3σ for B2 in avg**

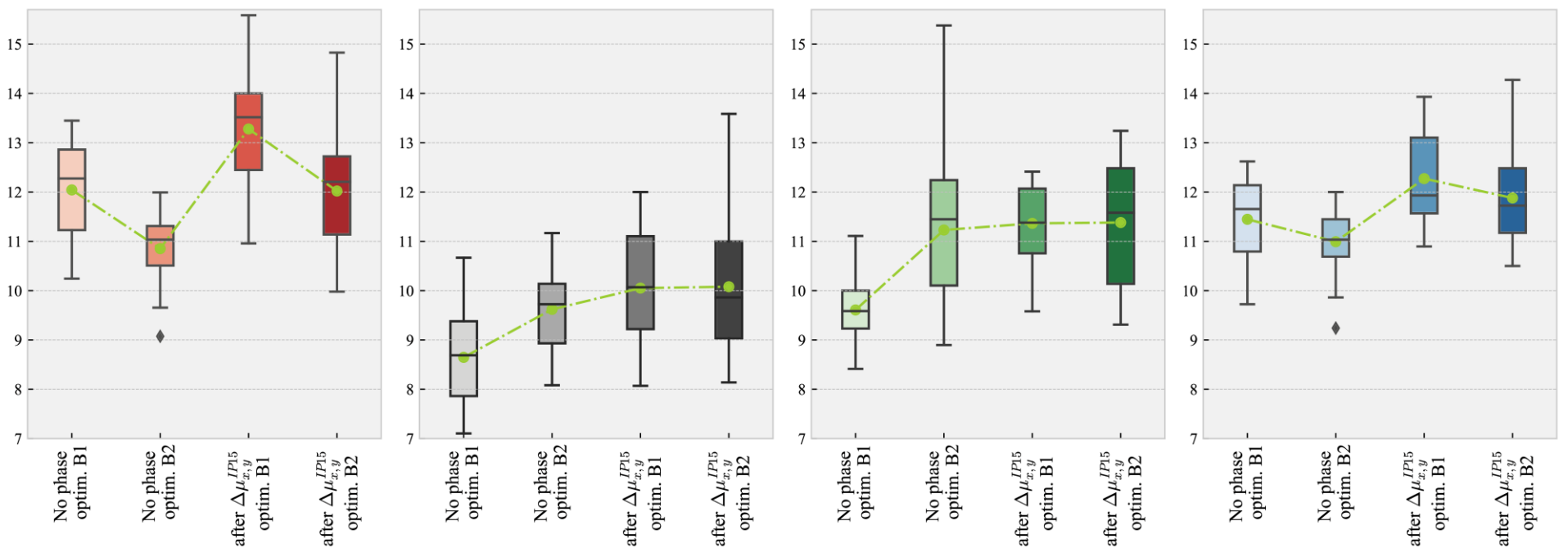
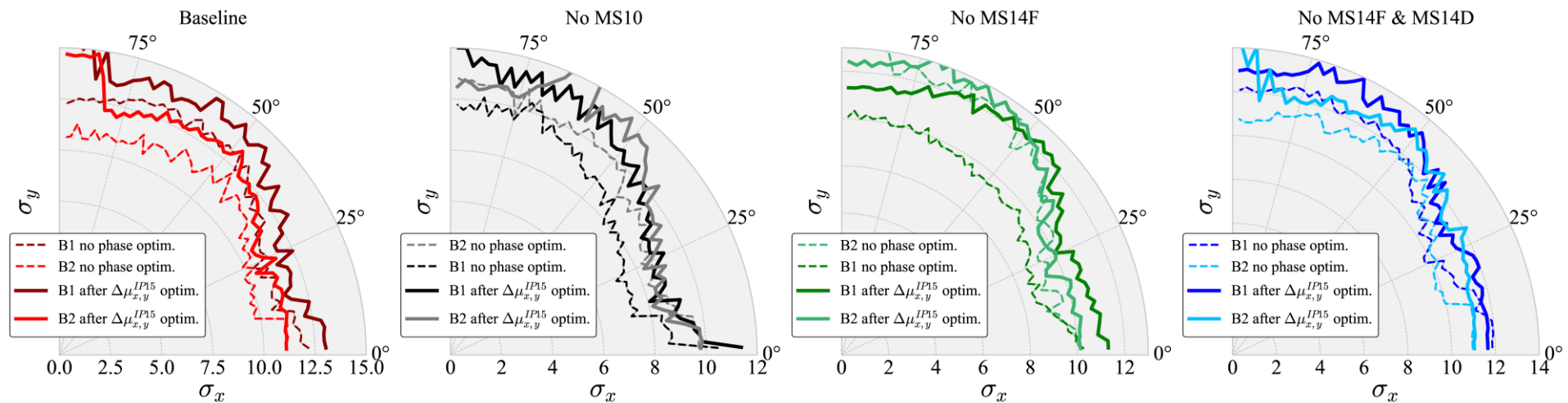
CONCLUSIONS

- DA comparison for B1 & B2 on all alternative optics without MS10 at collision with round $\beta^* = 15$ cm using the latest HLLHCV1.4 mask without beam-beam
- The DA has beam improve for all optics by optimizing the phase advance between IP1 and IP5 taking into account optics constraints in IR6
- DA difference w.r.t to **Baseline** optics **with imperfections** (B1 / B2) :
 - No MS10** : $DA_{avg} = -1.4 / -1.0 \sigma$; $DA_{min} = -1.9 / -1.8 \sigma$
 - No MS14F** : $DA_{avg} = -0.9 / +0.3 \sigma$; $DA_{min} = -1.4 / -0.4 \sigma$
 - No MS14F&MS14D** : $DA_{avg} = -0.5 / -0.1 \sigma$; $DA_{min} = -0.8 / -0.4 \sigma$
- Alternative optics **should be validated with Beam-Beam** included
- Alternative configuration studied with only half additional MS10 w.r.t Baseline:
 - No MS10F & MS14F** : $DA_{avg} = 0.0 / -0.2 \sigma$; $DA_{min} = -0.2 / -0.1 \sigma$
 - No MS10D & MS14D** : $DA_{avg} = -0.3 / -0.3 \sigma$; $DA_{min} = -0.3 / -1.2 \sigma$
- DA can be further improved by reducing the RDTs contribution from octupoles in sector 81,12,45,56 where β^* is large and where orbit bumps are used for dispersion correction: **Reduced power in IMO15 while increasing power in IMO37 with constant amplitude detuning** → increase of DA

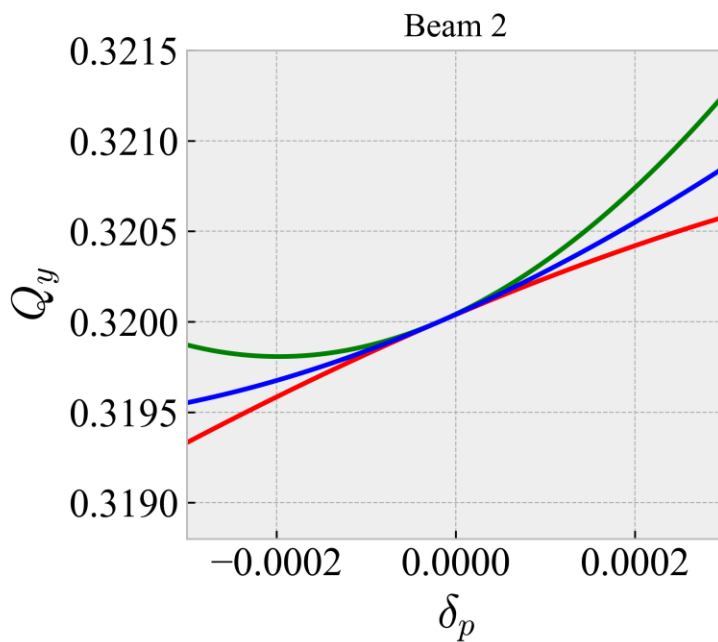
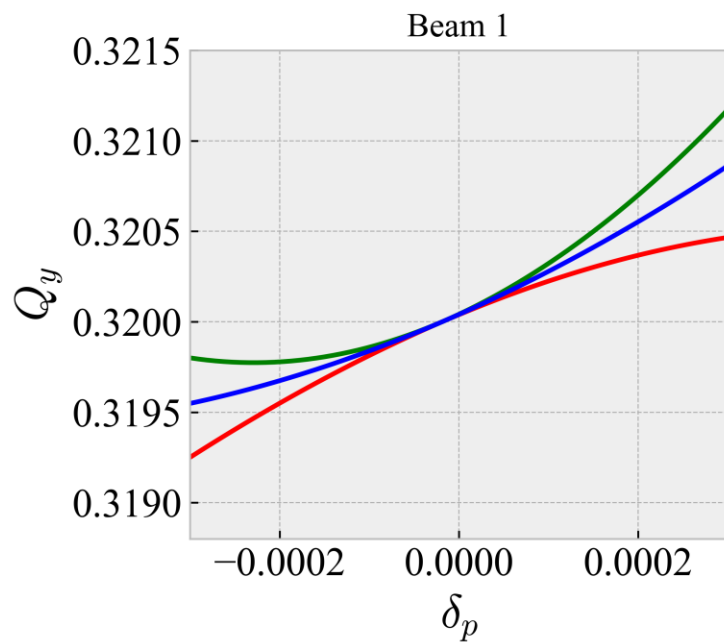
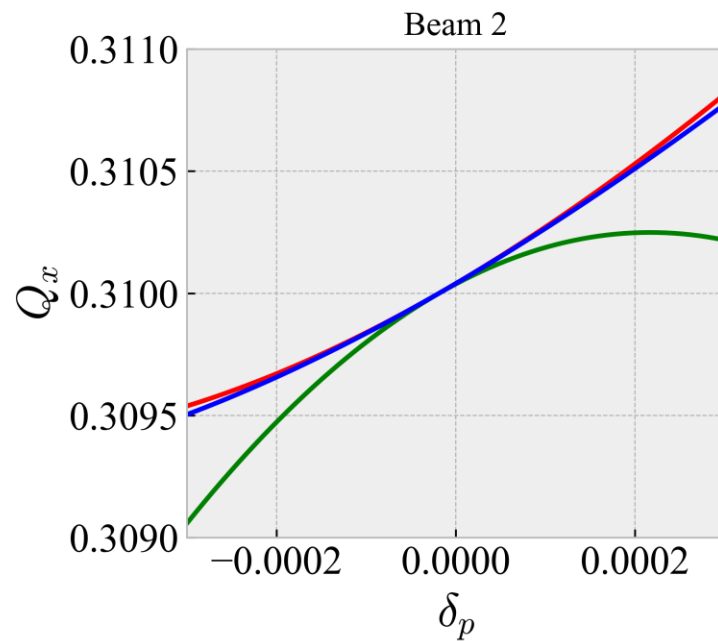
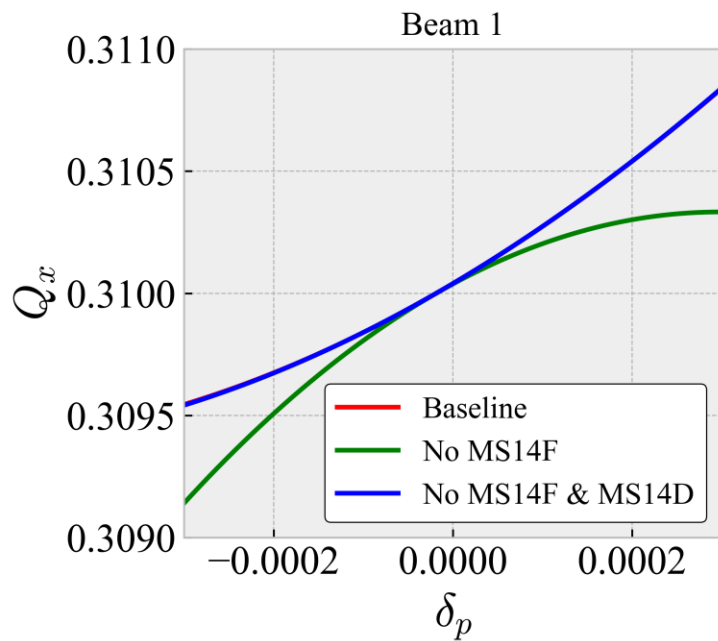
BACKUP SLIDES

IP1-5 phase advance optimization: DA comparison

ring = 295 μrad , $Q_x = 62.31 / Q_y = 60.32$, $\delta_p = 2.7 \times 10^{-4}$, without imperfections, with dispersion correction, $Q' = 15$, MO = -570 A, 10^6 turns, 60 angles

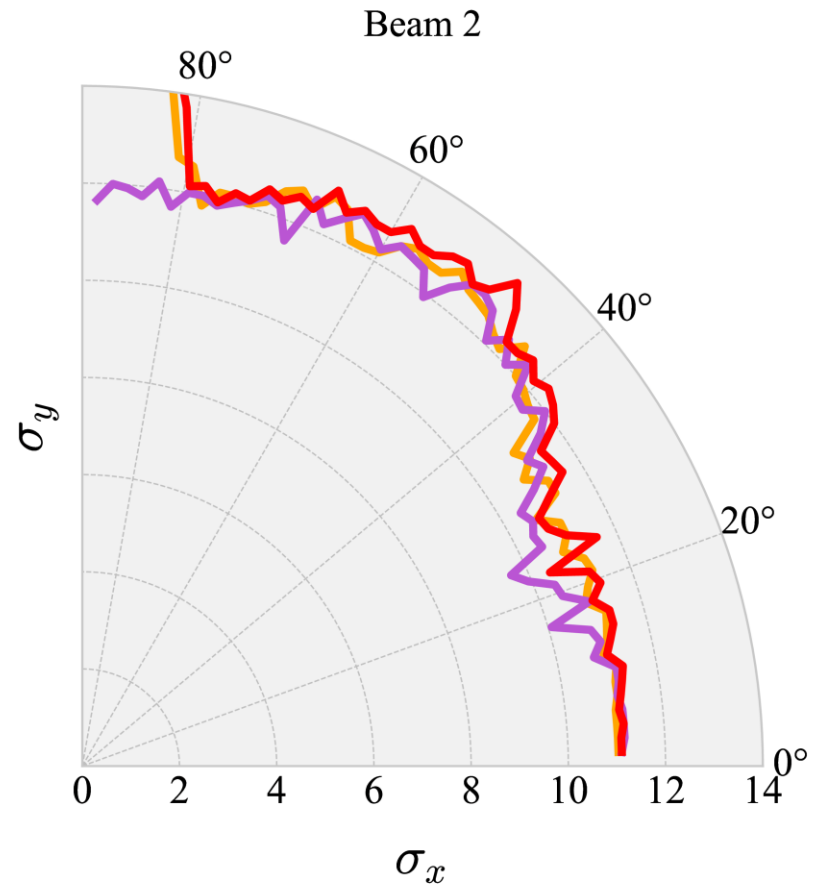
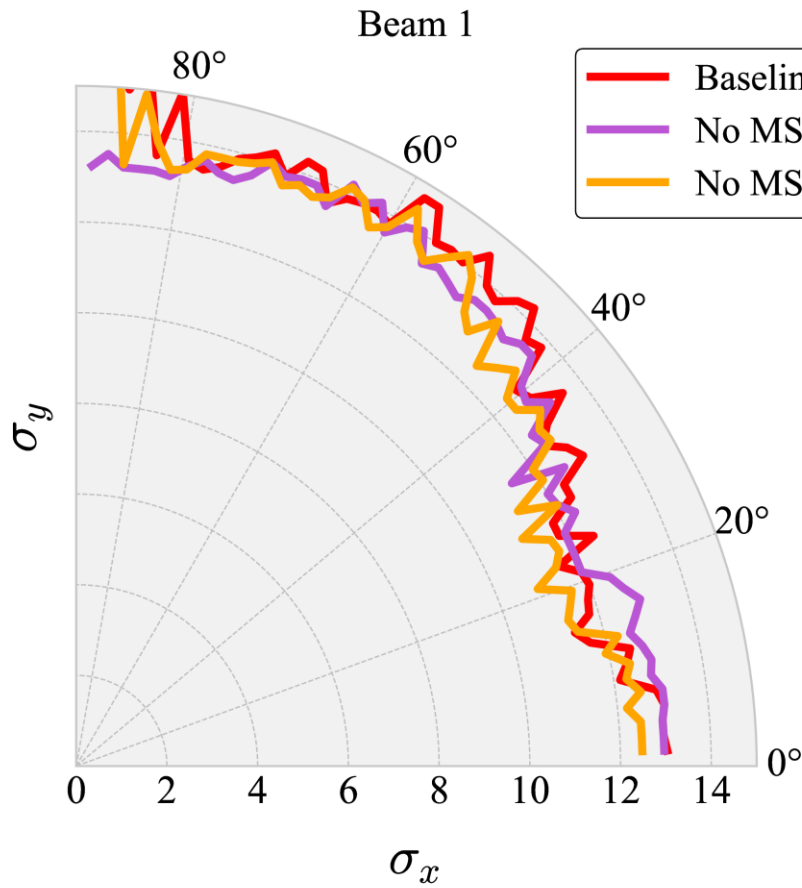


Alternative Optics without MS10: Chromatic Properties

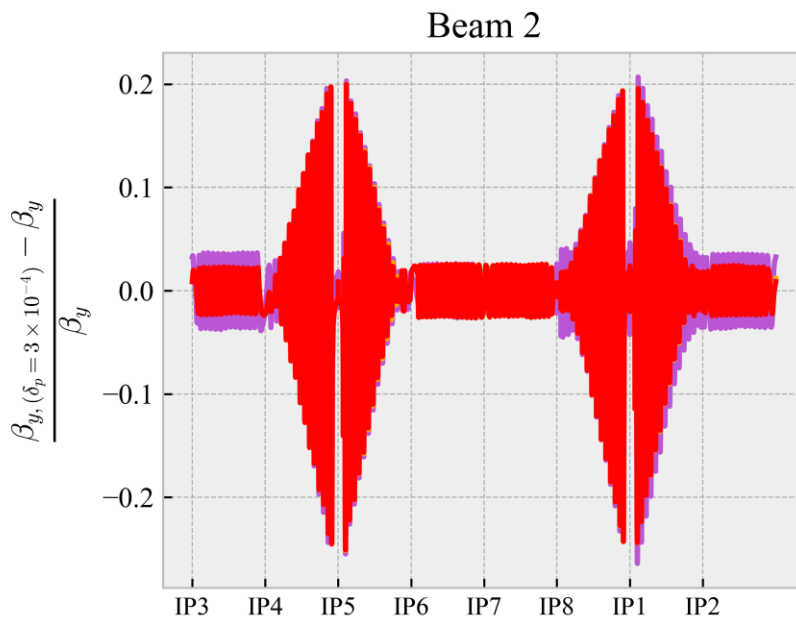
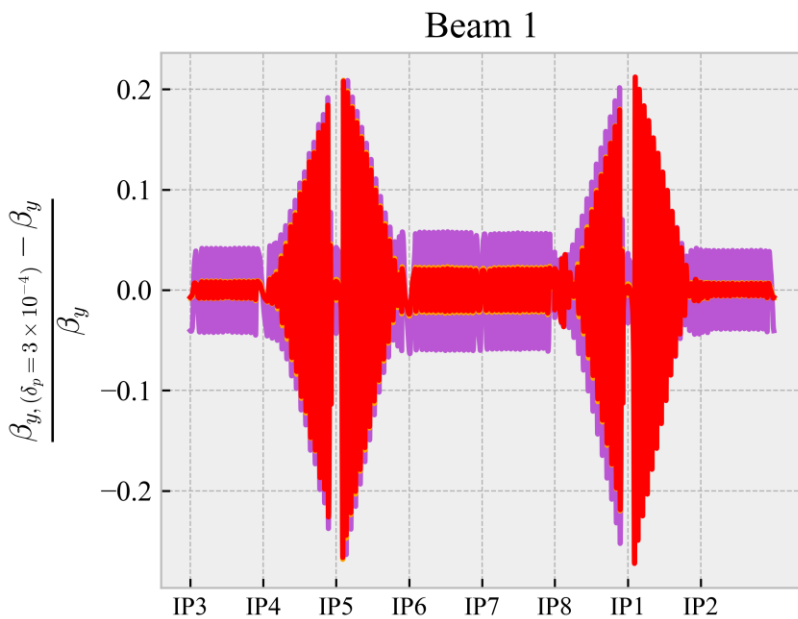
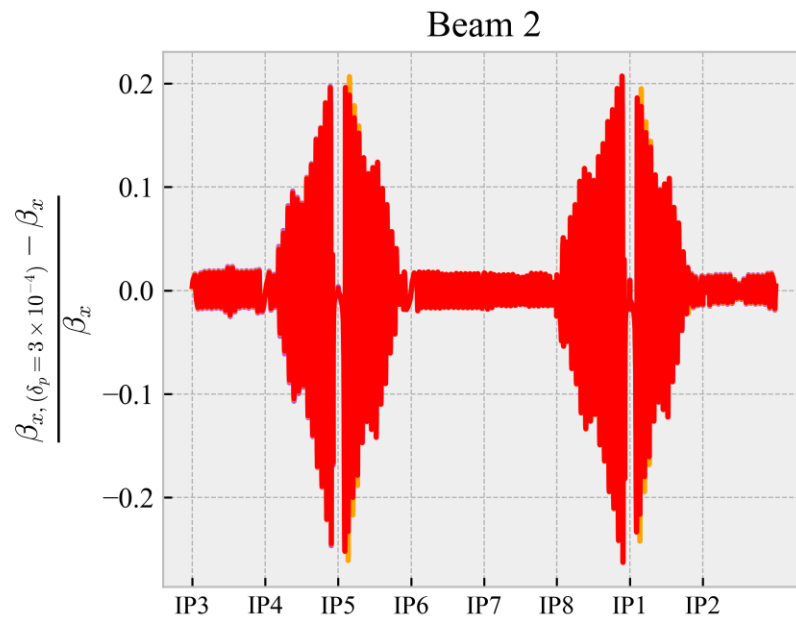
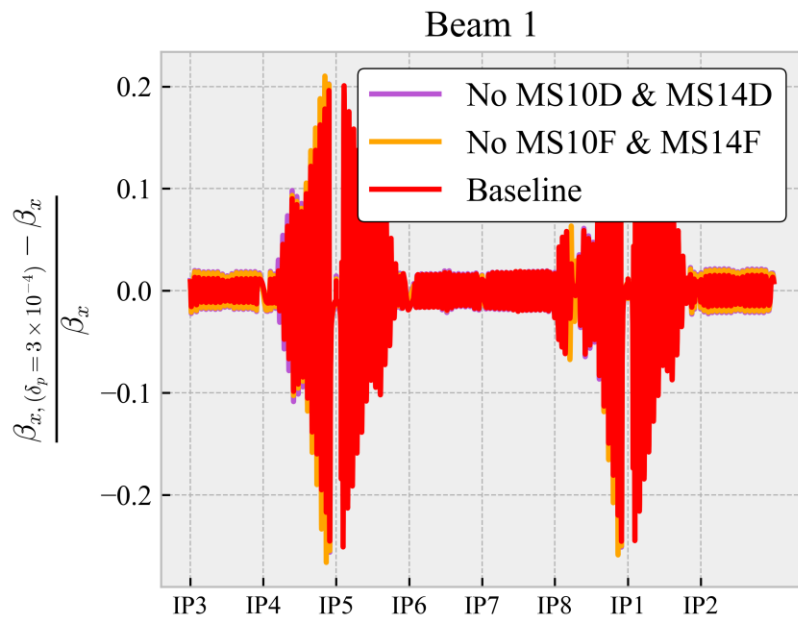


Alternative optics with only 1 MS10 in IR1&5

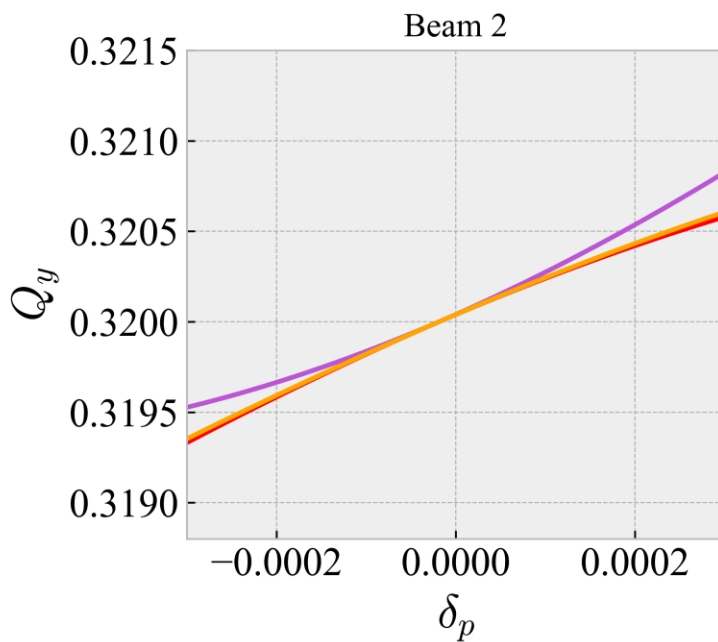
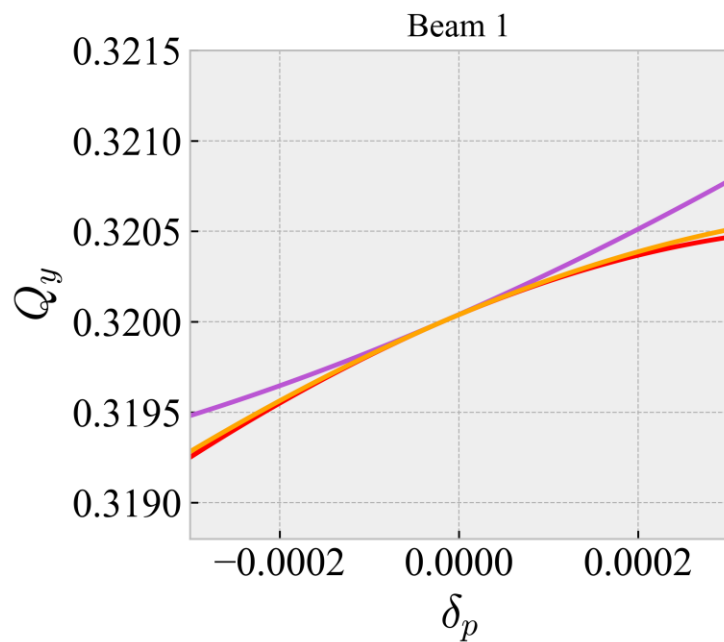
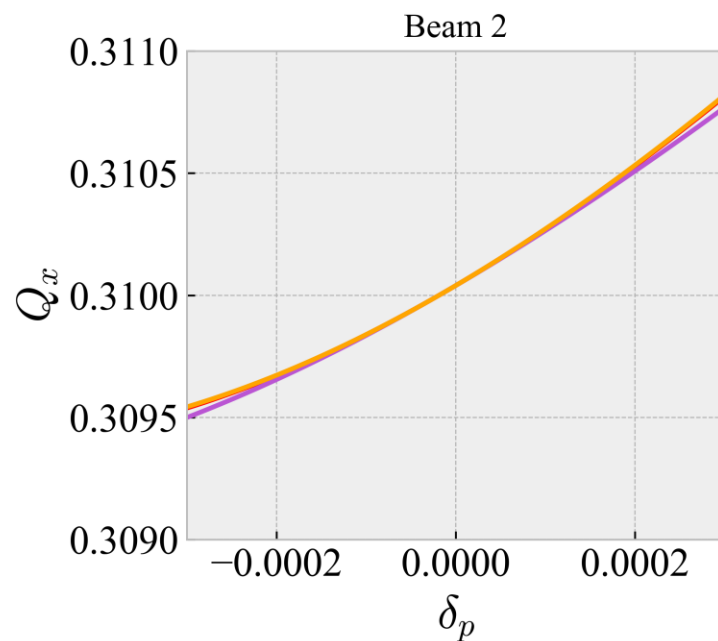
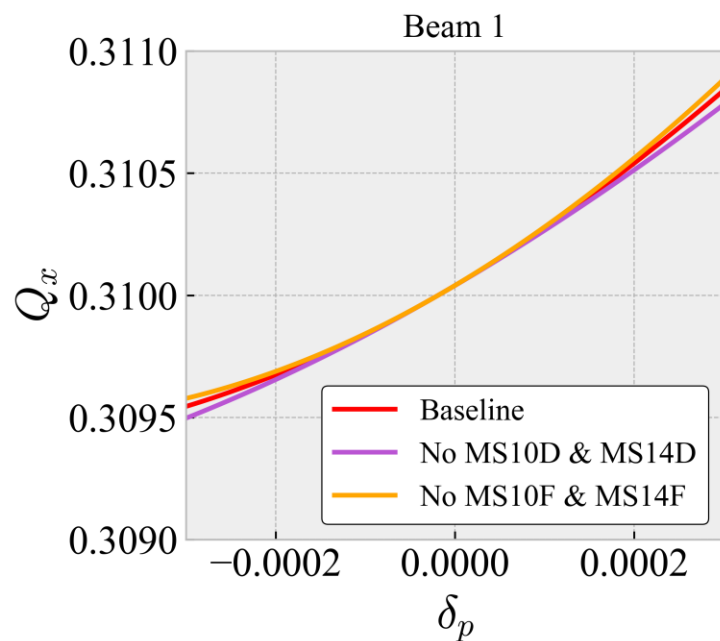
ring = 295 μrad , $Q_x = 62.31 / Q_y = 60.32$, $\delta_p = 2.7 \times 10^{-4}$, without imperfections, with dispersion correction, $Q' = 15$, MO = -570 A, 10^6 turns, 60 angles



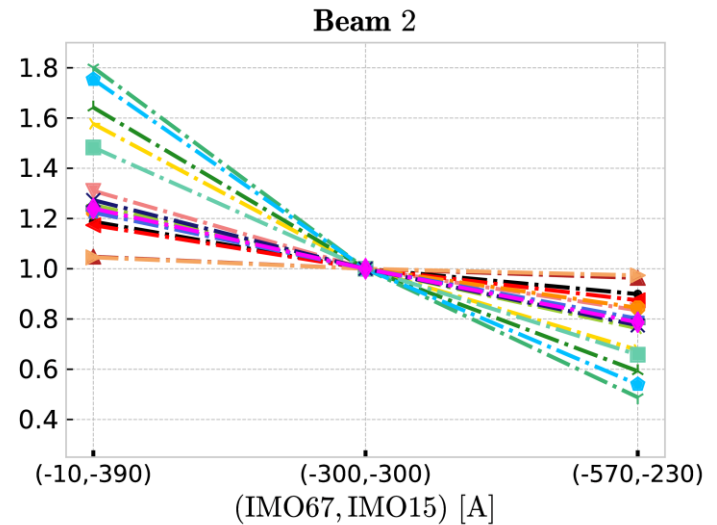
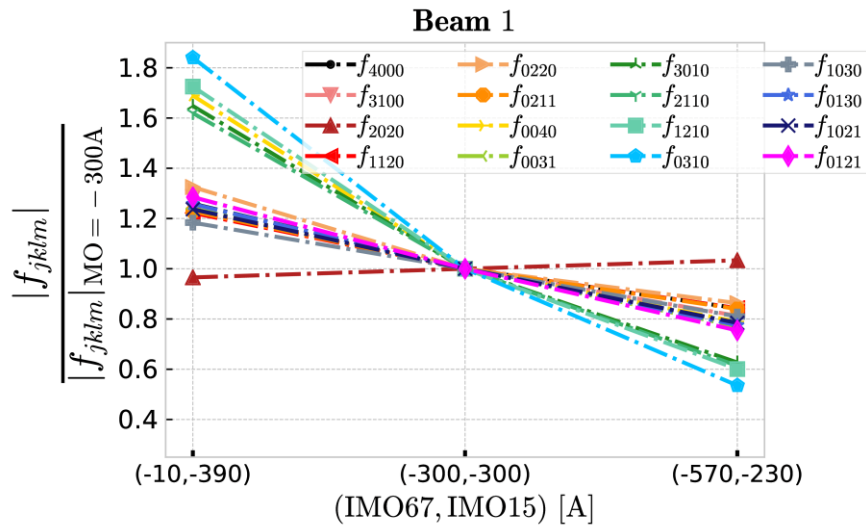
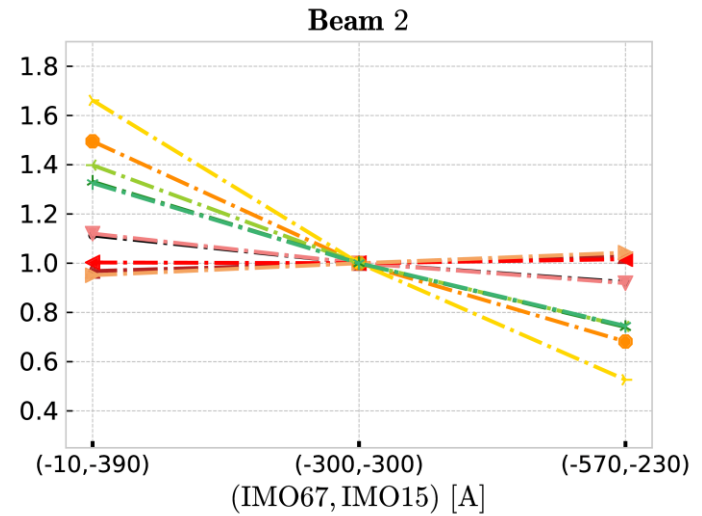
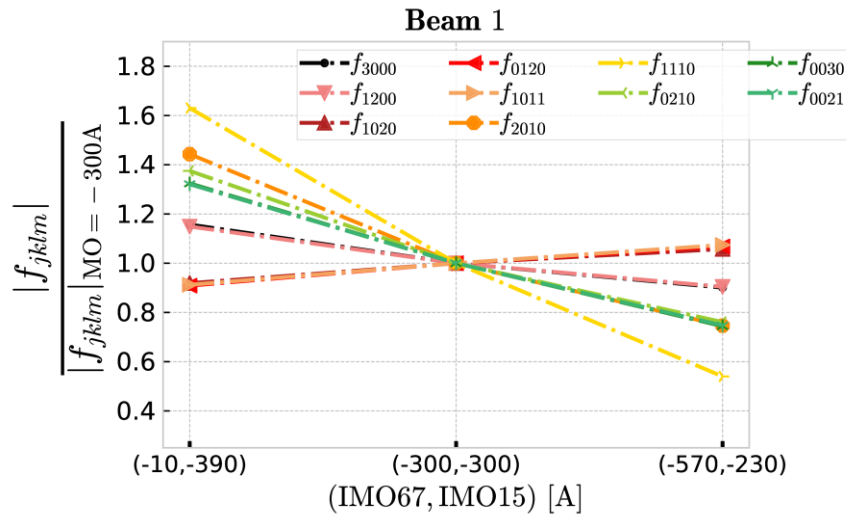
Alternative Optics with only 1 add. MS10: Chromatic Properties



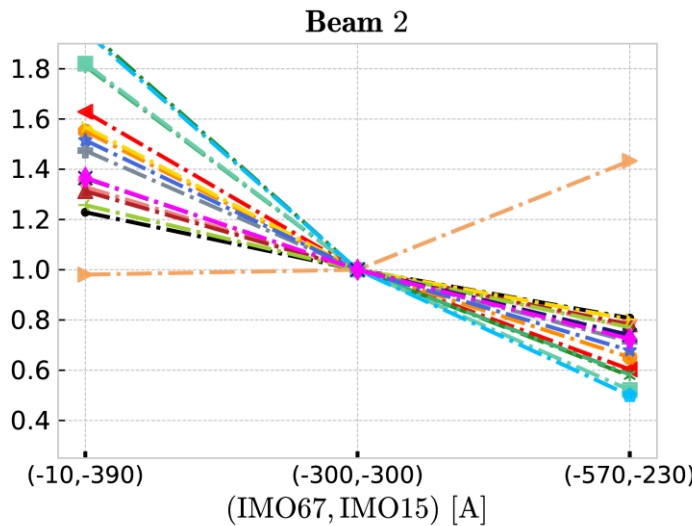
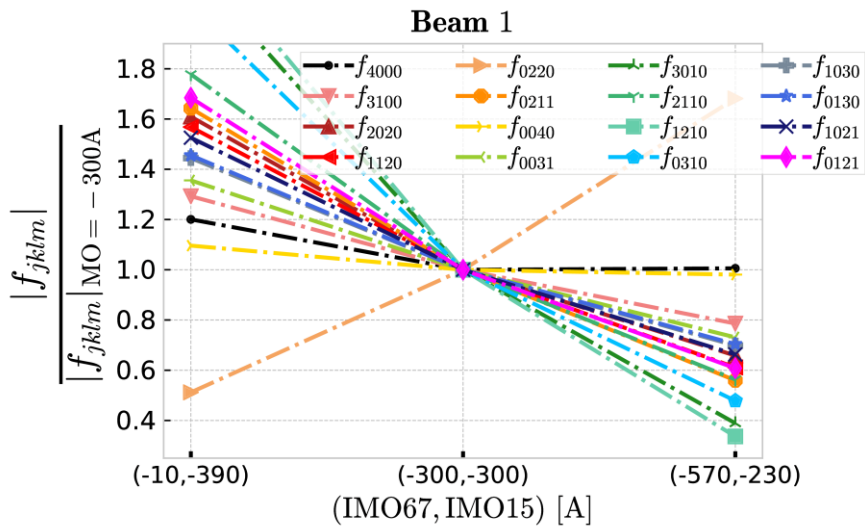
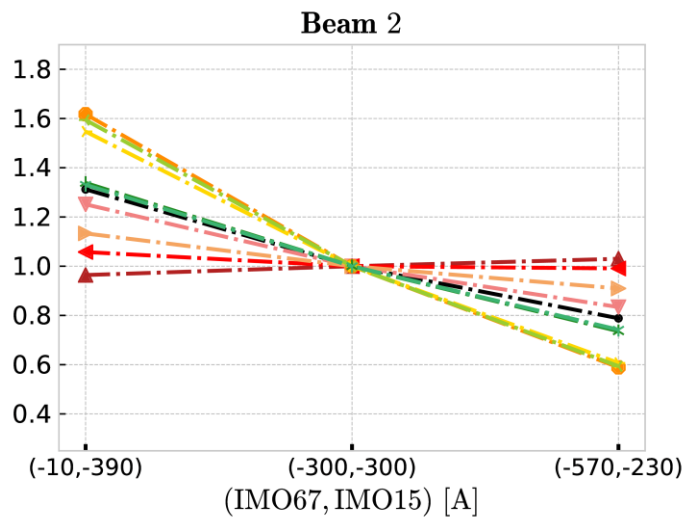
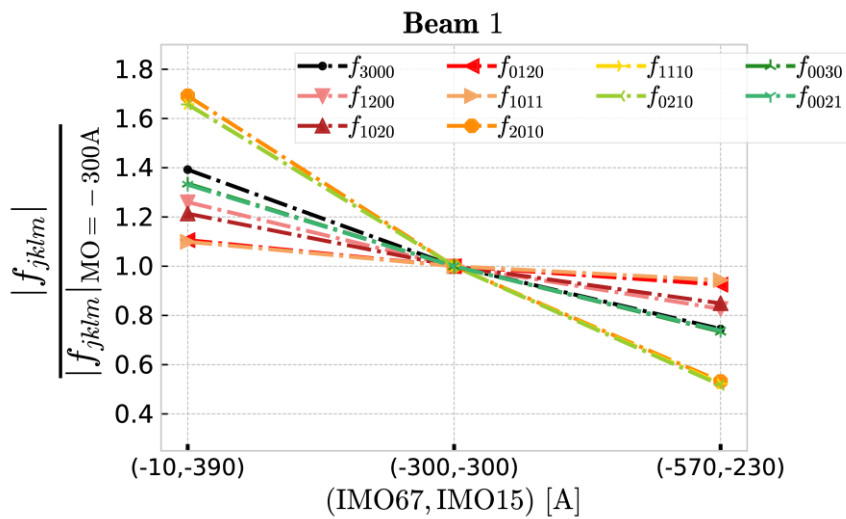
Alternative Optics with only 1 add. MS10: Chromatic Properties



Changing Octupole Powering: Impact on RDTs (No MS14F)



Changing Octupole Powering: Impact on RDTs (No MS14F & MS14D)



Changing Octupole Powering: Impact on RDTs (No MS10)

