



## **Update on the operational scenario taking into account of the constraints on coupling and non-linear optics corrections**

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WP2 meeting – 17.09.2019

## Content

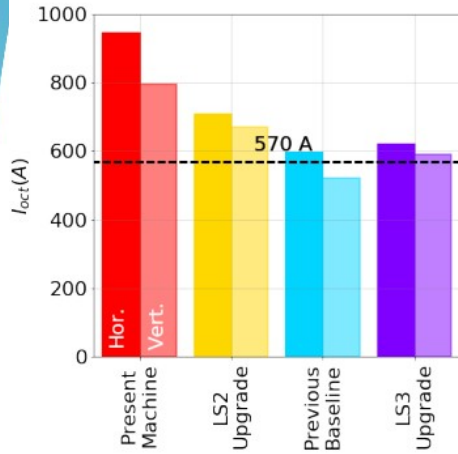
- Coherent stability requirements
- Dynamic aperture requirements
- Intensity limit and possible mitigation

## Assumptions to estimate Landau damping

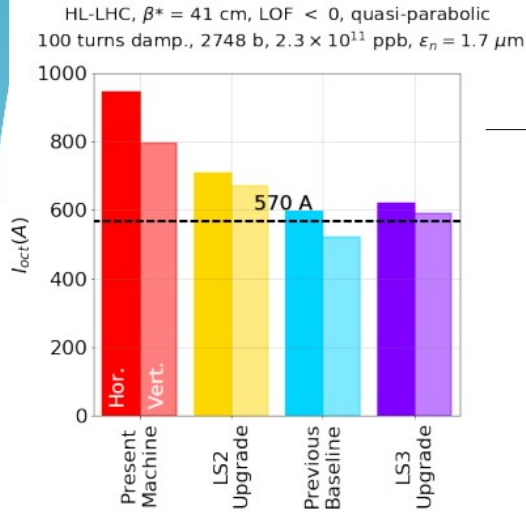
- The stability diagram is dominated by the effect of sextupoles, octupoles and beam-beam interactions obtained with MAD-X *thintrack* without errors
- The *static stability* is ensured if the diagram includes at least 2 times the estimated complex tune shifts driven by the impedance
- The 6D distribution is Gaussian
  - tails are cut at 3 beam  $\sigma$  in the transverse plane
- The *static stability* should be ensured at every step of the cycle (even dynamic ones)
- **Sufficient margin in the arc octupoles strength should be left to compensate for potential uncorrected coupling and lattice errors**

# One-beam vs two-beam stability threshold (E. Métral @ Coll. Review, 11 Feb. 2019)

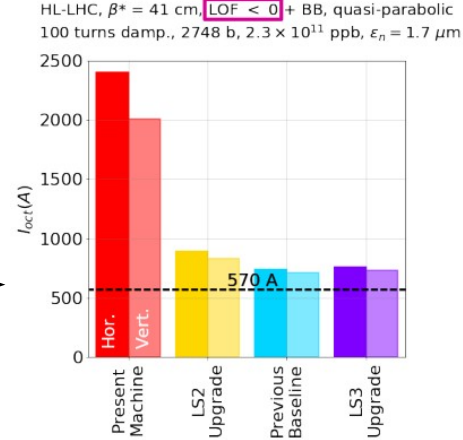
HL-LHC,  $\beta^* = 41$  cm, LOF < 0, quasi-parabolic  
100 turns damp., 2748 b,  $2.3 \times 10^{11}$  ppb,  $\epsilon_n = 1.7 \mu\text{m}$



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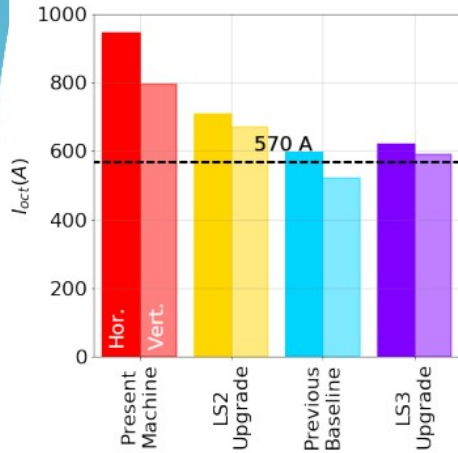
2 beams  
Negative polarity



- Beam-beam effects during the collapse of the separation bumps significantly increase the need for octupole strength
  - A telescopic optics is needed already at the end of the ramp
  - Collapsing the separation in a single IP at first is beneficial

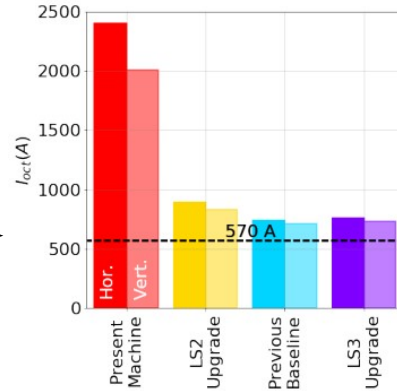
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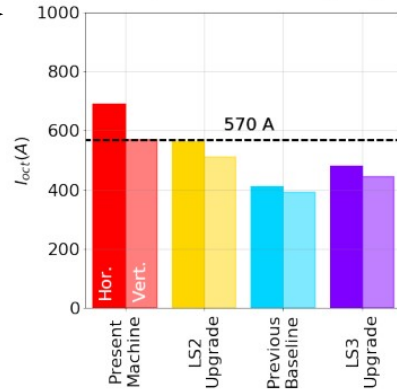
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HL-LHC,  $\beta^* = 41$  cm, LOF < 0 + BB, quasi-parabolic  
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2 beams  
Positive polarity

HL-LHC,  $\beta^* = 41$  cm, LOF > 0 + BB, quasi-parabolic  
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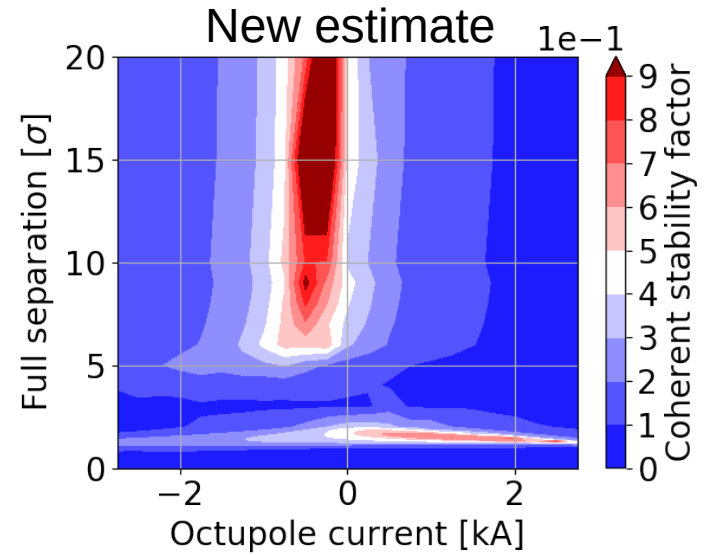
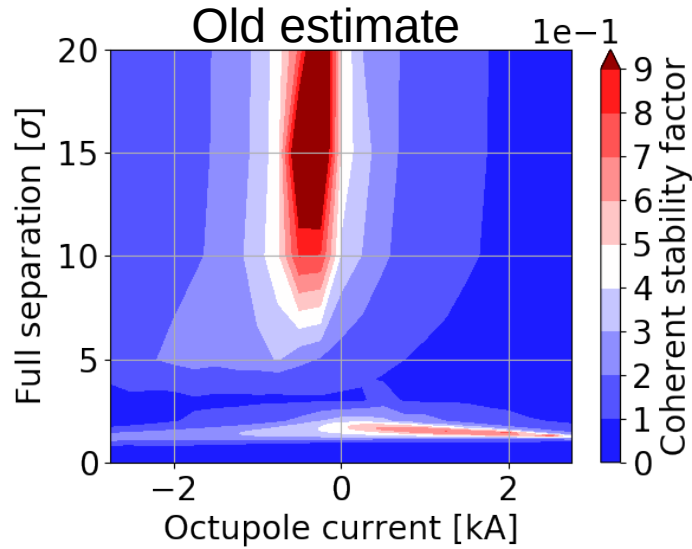
➤ Beam-beam effects during the collapse of the separation bumps significantly increase the need for octupole strength

→ A telescopic optics is needed already at the end of the ramp

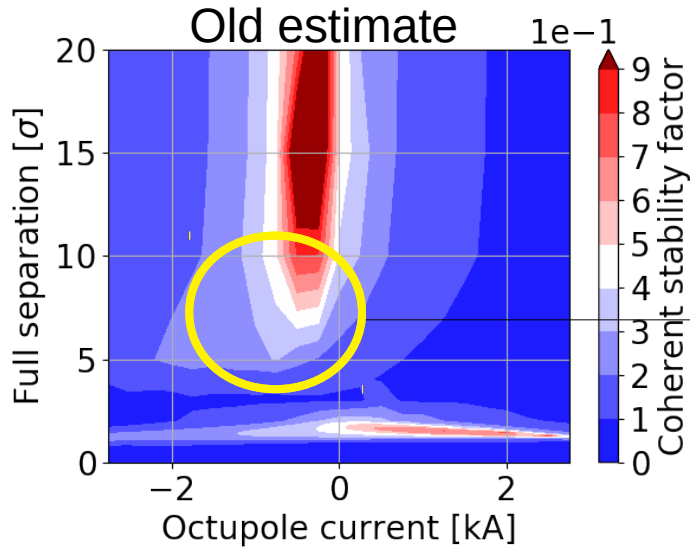
→ Collapsing the separation in a single IP at first is beneficial

➤ Beam-beam effects are overall favourable for beam stability

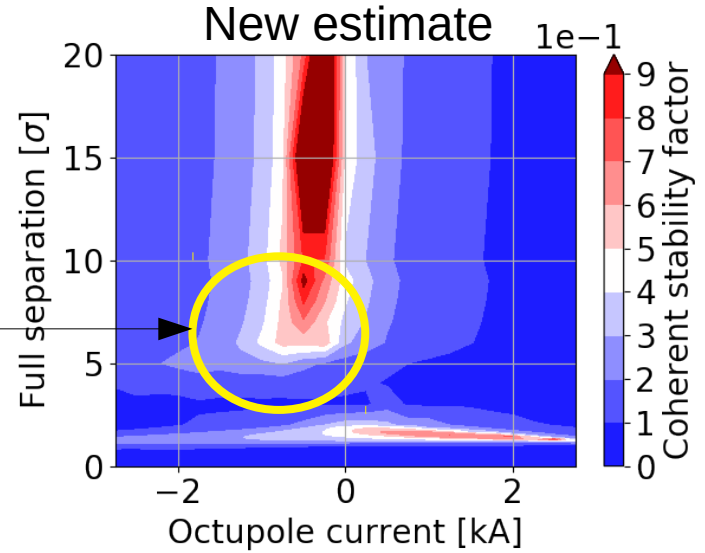
# Static vs transient stability during ADJUST



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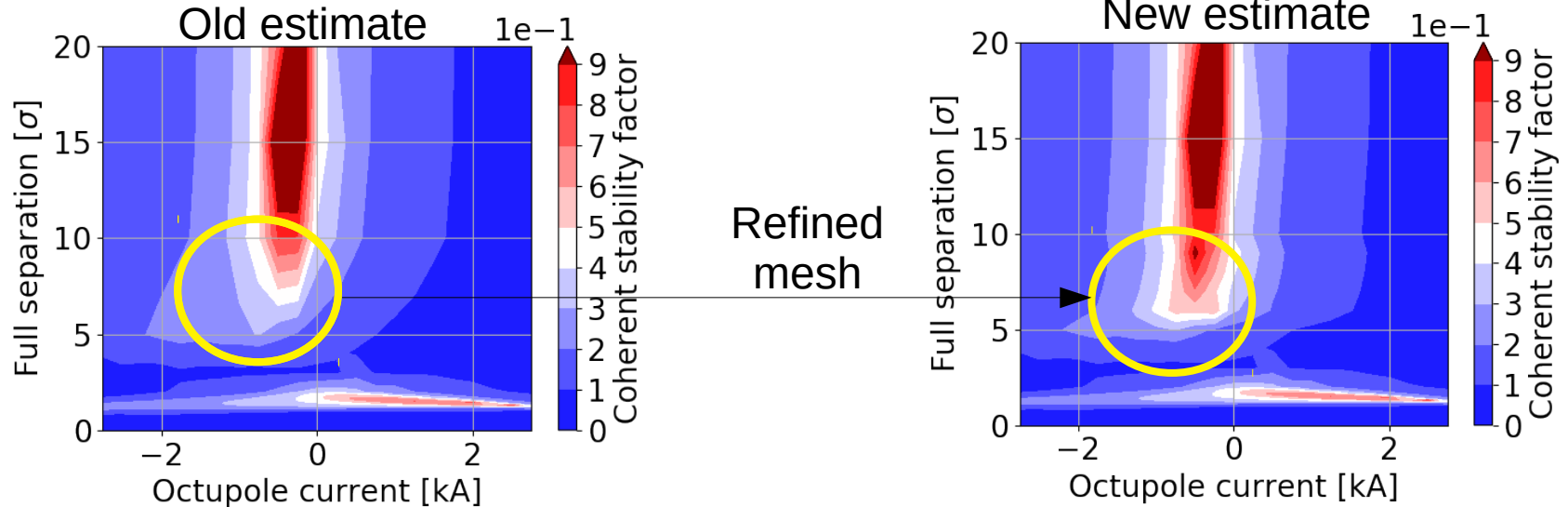


Refined  
mesh



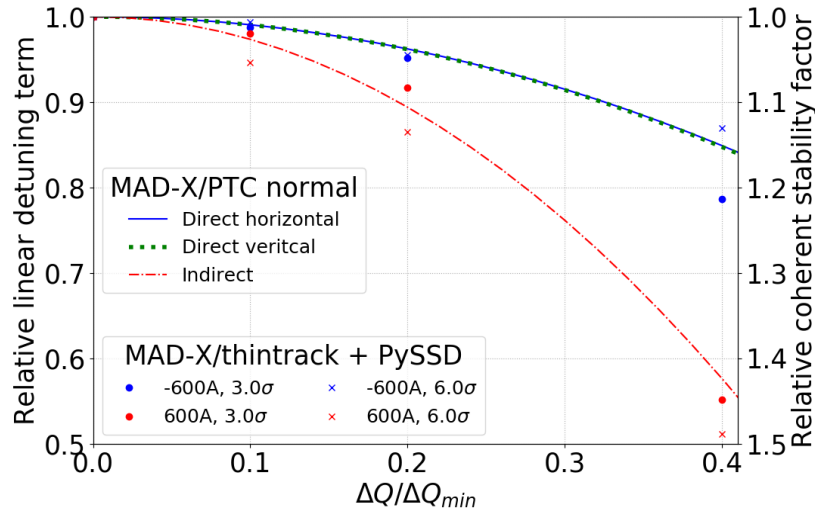


# Static vs transient stability during ADJUST



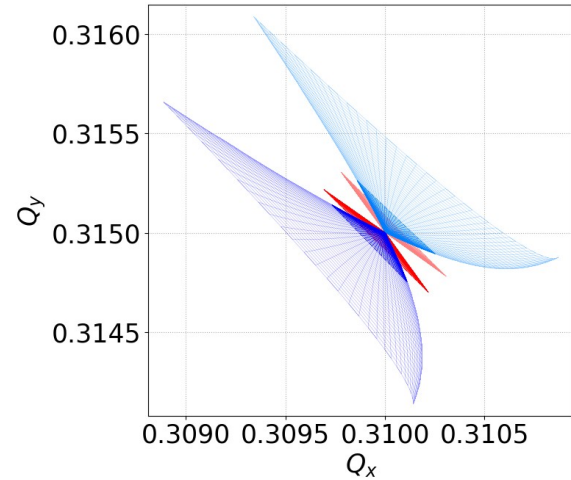
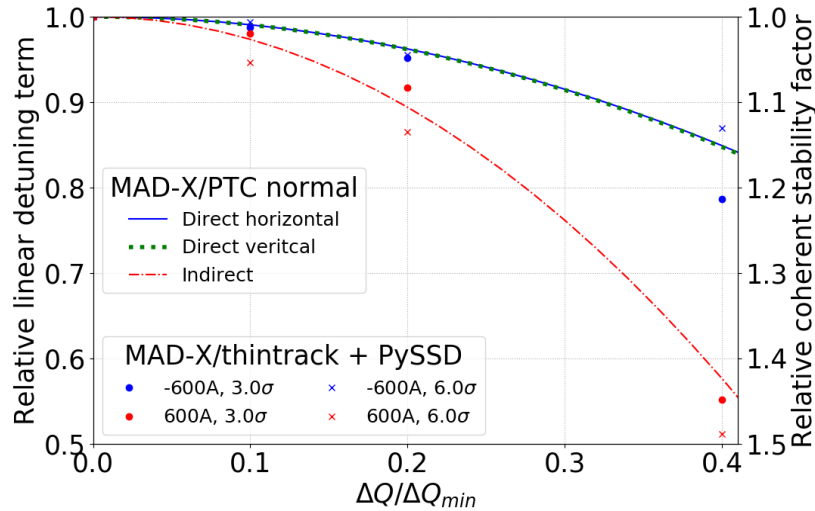
- ▶ The octupole requirement is dominated by short transient phases during the collapse of the separation bumps
  - Challenging numerically → New estimates with finer mesh
  - The collimator upgrade reduces significantly the instability rise growth rate to (3 to 12s), such that transient instabilities may not be critical
  - Decided to maintain this criterion for operational robustness (e.g. orbit drift)

# The impact of linear coupling



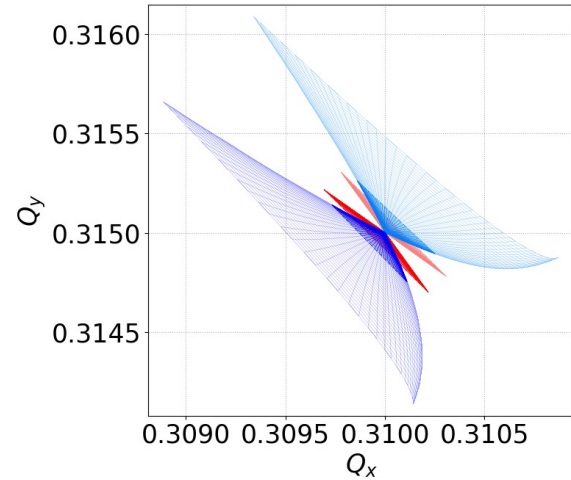
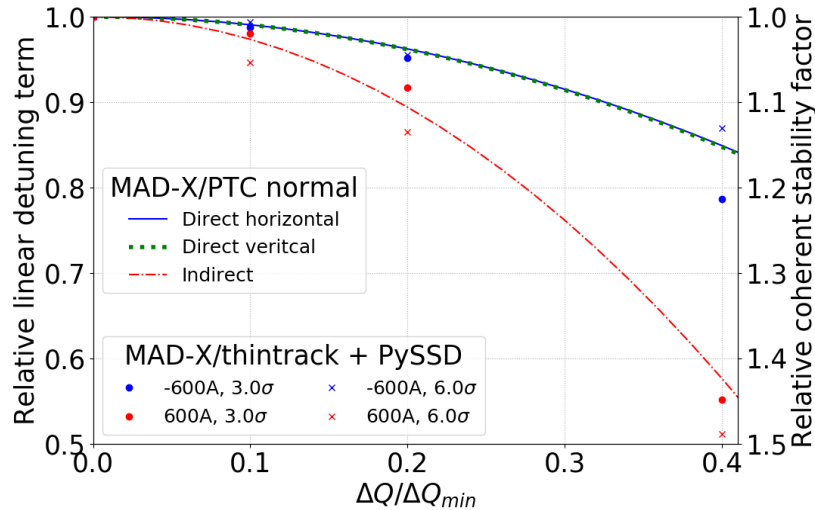
- A residual  $\Delta Q_{min} \sim 10^{-3}$  should be expected after optics correction
- The effect of linear coupling is worse for the positive polarity of the octupoles as it affects mostly the indirect detuning term
  - The impact of ADECTA on Landau damping is negligible in this regime

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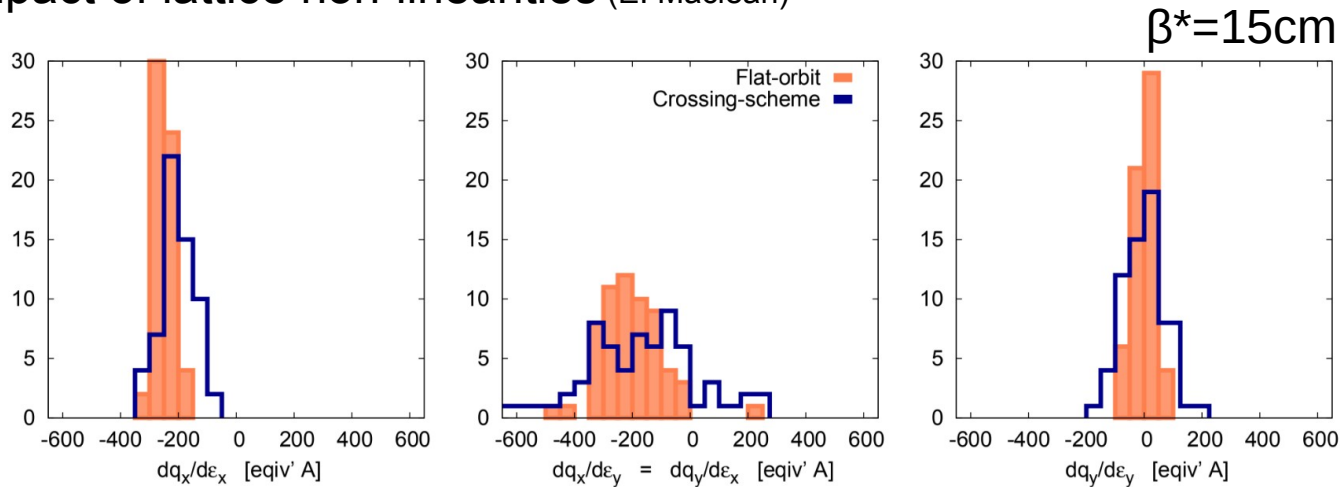
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  - The impact of ADECTA on Landau damping is negligible in this regime
  - **We need an understanding of the maximum tune separation to quantify the effect on the beam stability**
    - Let's assume that we are at constrained  $10^{-2}$  before collision and  $5 \cdot 10^{-3}$  in collision

# The impact of lattice non-linearities (E. Maclean)



- Using the full WISE model and including beam-based local correction of b4 as well as feed-down from a5, b5, a6 and b6 we can obtain the maximum reduction of the detuning coefficients and the required arc octupole current to restore Landau damping :

	Negative polarity	Positive Polarity
64cm	14 A	-24 A
41cm	34 A	-51 A

## Setup proposal

	$I_{oct} > 0$		$I_{oct} < 0$	
	$I_{oct}$ [A]	$r_{ATS}$	$I_{oct}$ [A]	$r_{ATS}$
LS2	518	1.5	-535	2.4
Full	410	1.0	-538	2.0

- The setup proposal feature a larger telescopic index and a reduced octupole current lower than the maximum ( $\pm 570\text{A}$ ), to allow for compensation of the potential detrimental effect of linear coupling and lattice NL
- Pessimistically, we require a sufficient dynamic aperture with the full current in the octupoles and the required telescopic index

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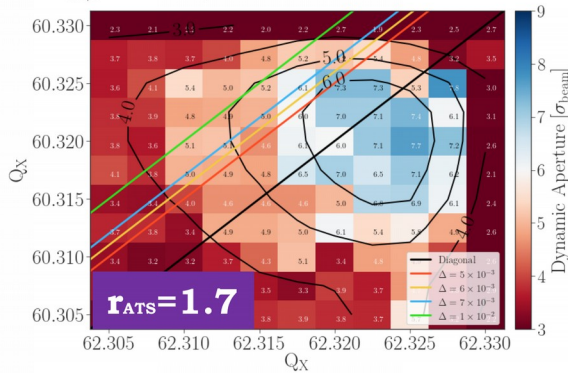
## Assumptions for DA simulations

- The design criterion is a DA above 6 beam  $\sigma$  (2.5  $\mu\text{m}$ ) for particles with  $\Delta P/P_0=10^{-4}$  in collision, excluding lattice errors
  - Note : for stability considerations we consider the smallest emittance, i.e. 1.7  $\mu\text{m}$
- All beam-beam interactions are considered, including crabbing in IPs 1 and 5 and offset levelling in IPs 2 and 8
- Chromaticity is maintained at 15 units in collision

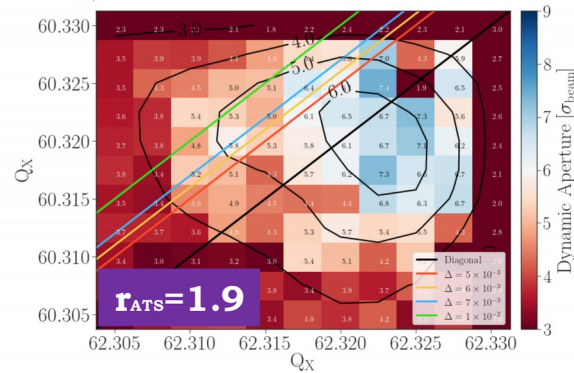


# $\beta^* = 0.4 \text{ m}$ , $I_{MO} = -570 \text{ A}$

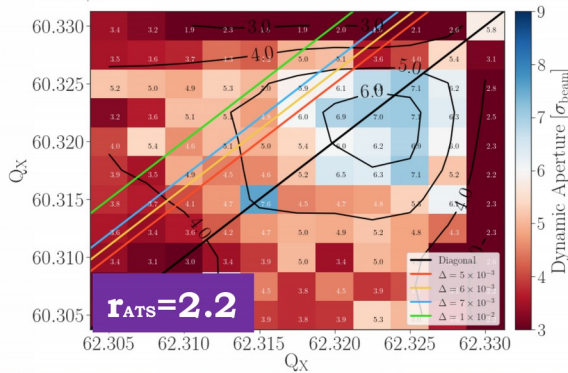
Min DA HL-LHC v1.3, Collisions,  $r_{ATS} = 1.7$ ,  $N_b = 2.2 \times 10^{11}$  ppb  
 $\beta_{IP1/5}^* = 0.4 \text{ m}$ ,  $\phi/2_{IP1/5} = 250 \text{ } \mu\text{rad}$ ,  $\epsilon_n = 2.5 \text{ } \mu\text{m}$ ,  $Q' = 15$ ,  $I_{MO} = -570 \text{ A}$



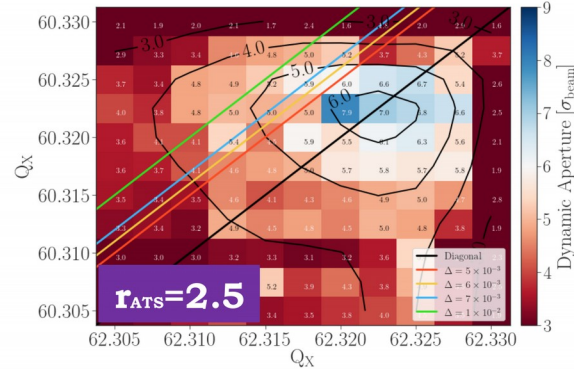
Min DA HL-LHC v1.3, Collisions,  $r_{ATS} = 1.9$ ,  $N_b = 2.2 \times 10^{11}$  ppb  
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Min DA HL-LHC v1.3, Collisions,  $r_{ATS} = 2.2$ ,  $N_b = 2.2 \times 10^{11}$  ppb  
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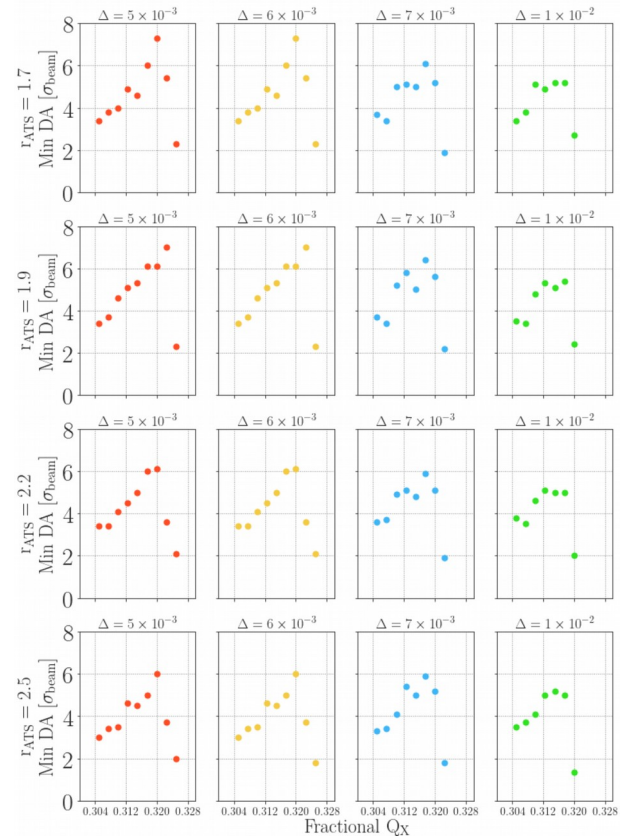
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# Dynamic aperture for a fixed tune separation – negative polarity

- All configurations require a tune control better than  $10^{-3}$

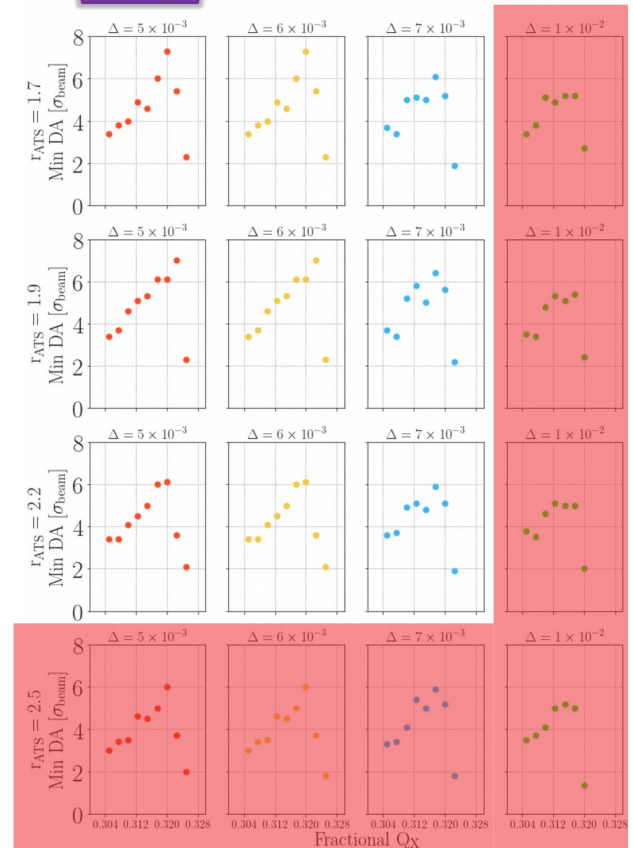
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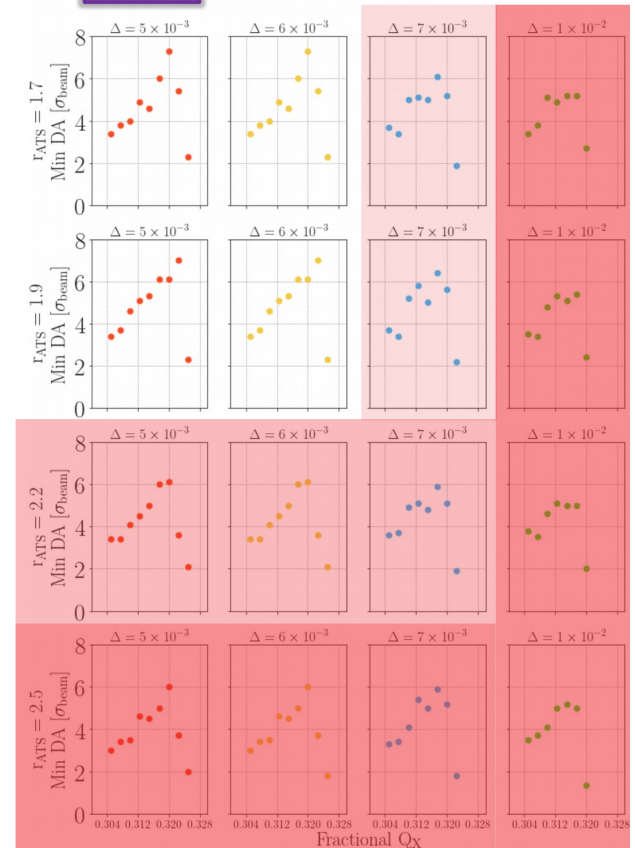
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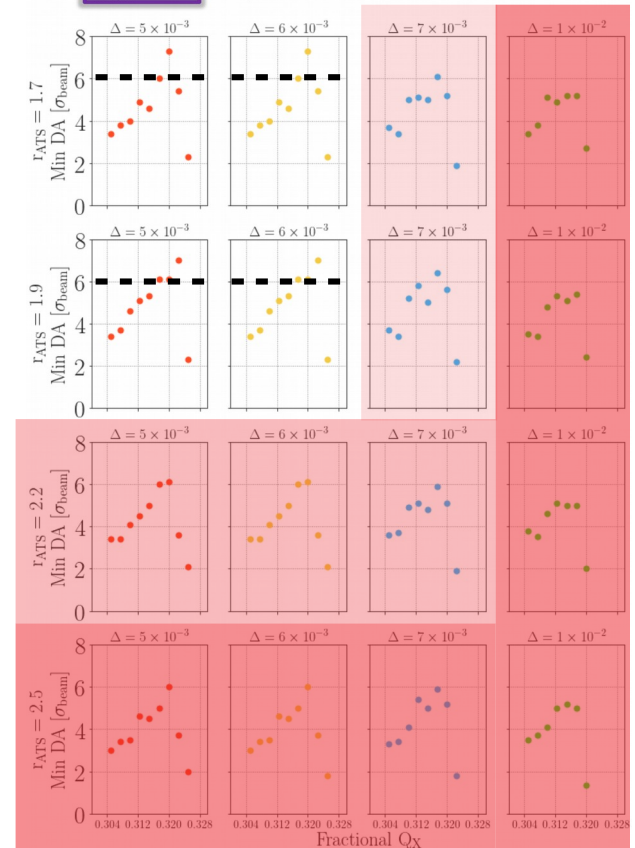
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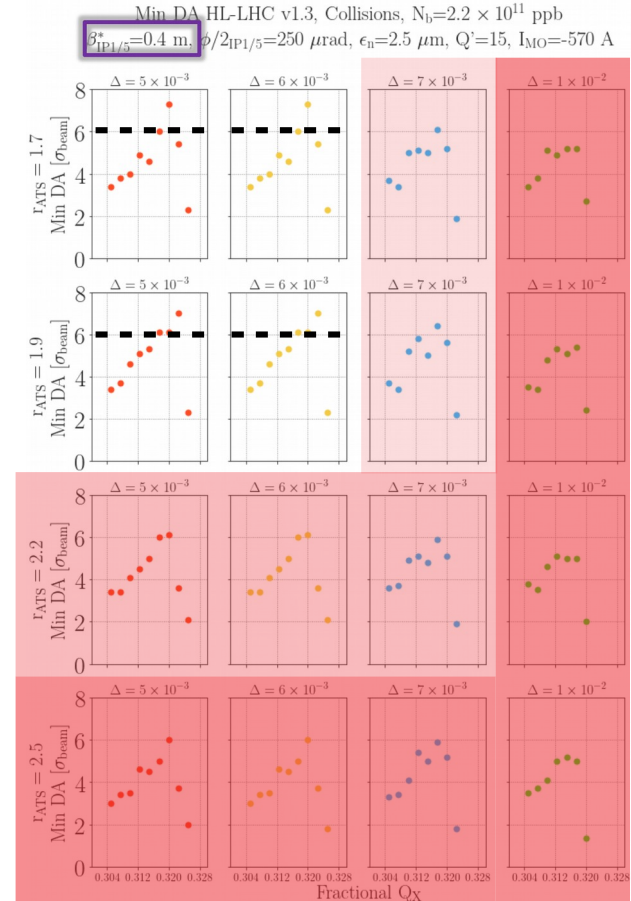


# Dynamic aperture for a fixed tune separation – negative polarity

$$I_{oct} < 0$$

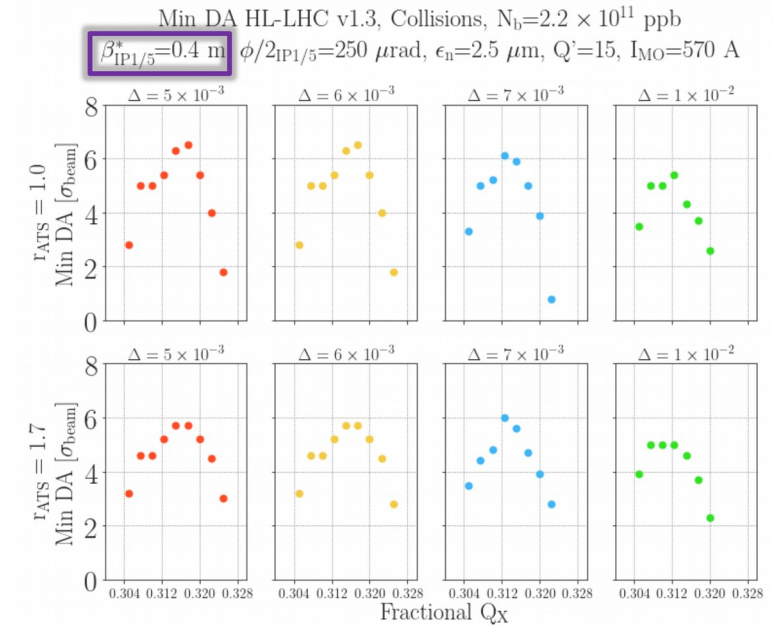
	$I_{oct}$ [A]	$r_{ATS}$
LS2	-535	2.4
Full	-538	2.0

- All configurations require a tune control better than  $10^{-3}$
- The stability requirement with the LS2 upgrade only are out of reach



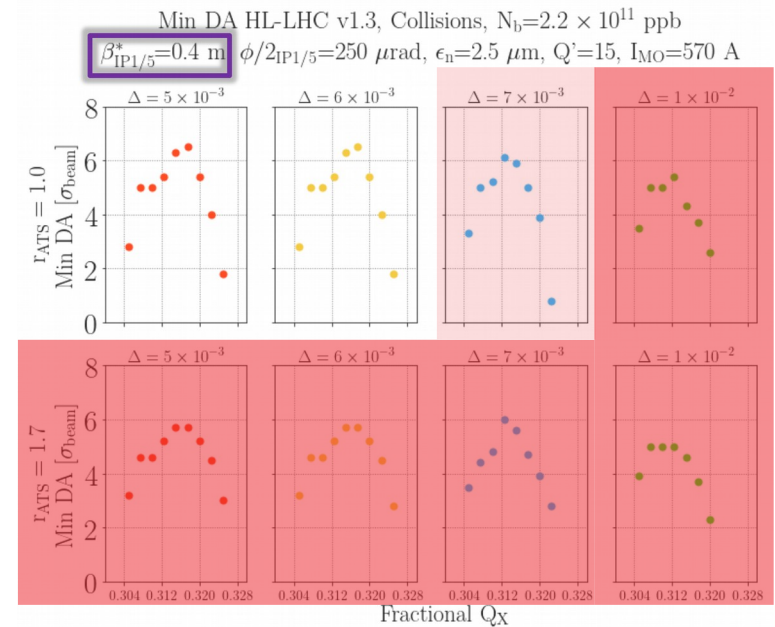
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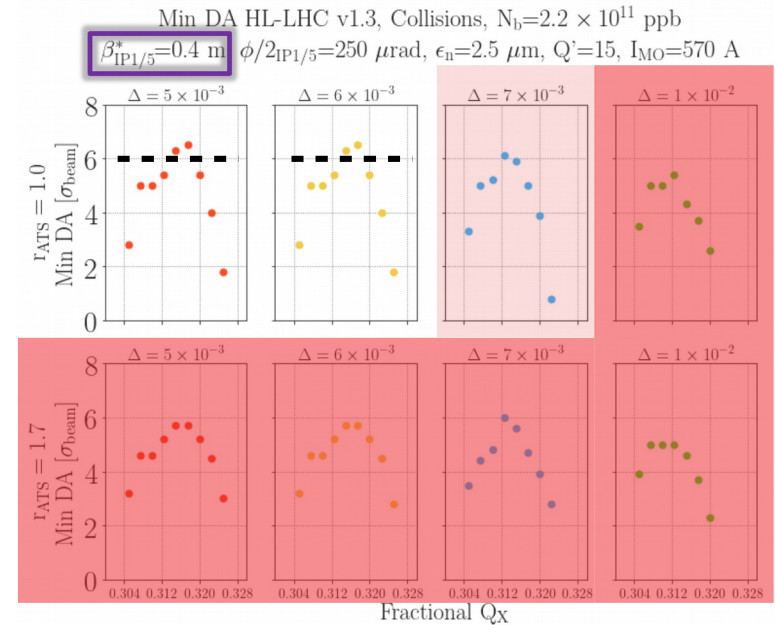


# Dynamic aperture for a fixed tune separation – positive polarity

$$I_{oct} > 0$$

	$I_{oct}$ [A]	$r_{ATS}$
LS2	518	1.5
Full	410	1.0

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## Summary

- With either polarity of the octupoles, we seem cornered by the coherent stability and dynamic aperture requirements during the collapse of the separation bump, **even with the full collimator upgrade**
- Several imperfections may result in unacceptable reduction of DA or Landau damping, thus leading to a bunch intensity limit below the design  $2.3 \cdot 10^{11}$ , such as:
  - Coupling imperfections that are not yet included in DA simulations
  - Offsets at the IP due PACMAN orbit effect with bunch-by-bunch intensity variations (To be studied)
  - Breaking of the passive compensation of PACMAN tune shift due to orbit misalignments in the IR (To be studied)
  - PACMAN linear coupling
- We may consider the following mitigations :
  - Review the PHYSICS beam process
  - Reduce further the impedance (e.g. relaxing collimator settings)
  - Accept transient unstable configurations and the underlying reduction of tolerance to fill-to-fill orbit drifts

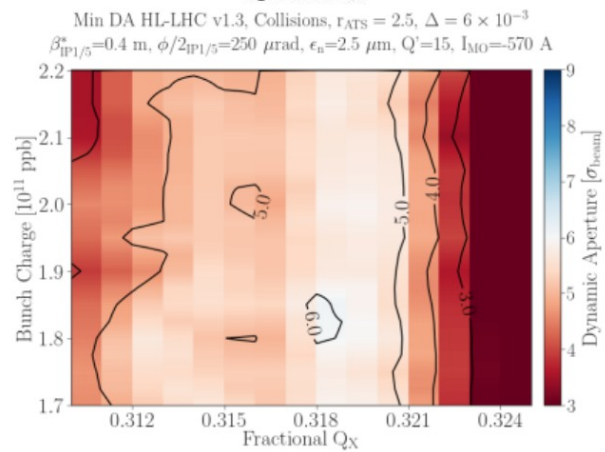
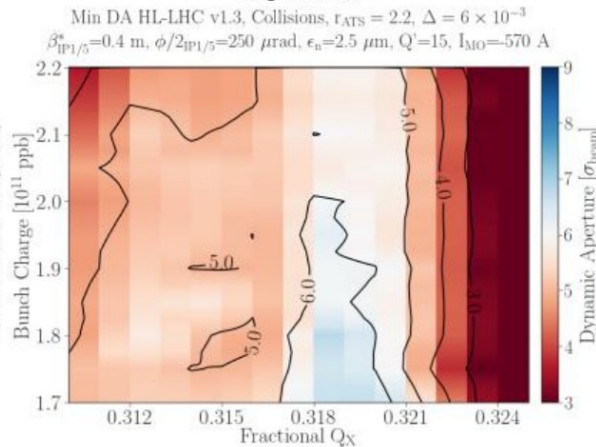
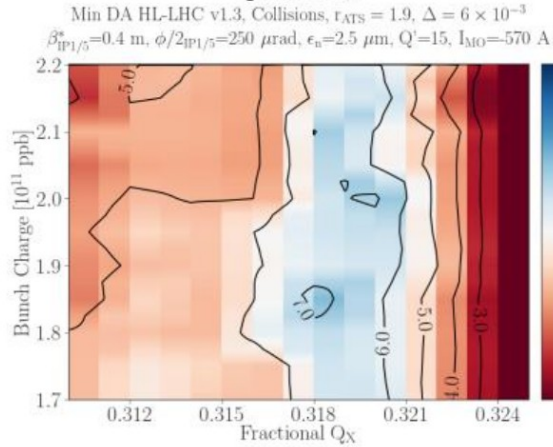
# Tentative estimate of the intensity limit linked to the collimator upgrade

$$r_{\text{ATS}} = 1.9$$

$$r_{\text{ATS}} = 2.2$$

$$r_{\text{ATS}} = 2.5$$

$\Delta = 6e-3$



- The scaling of DA with intensity is rather weak, if we neglect it, **assuming that 2.0 is acceptable** (Full coll. upgrade) and use a rough linear scaling of the stability requirement with intensity, we find a bunch intensity limit at  $\sim 1.8 \cdot 10^{11}$
- This statement should be revised based on the improved beam process

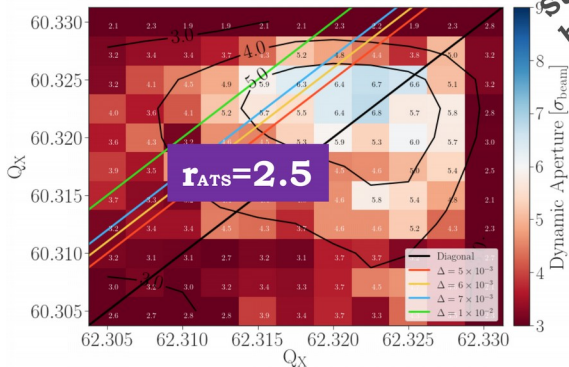
## Example of reviewed beam process

- Collapse separation bump in IP 1 or 5 with the setup proposed (e.g.  $I_{\text{oct}} = -538$  A and  $r_{\text{ATS}} = 2.0$ )
    - Determine optimal crab angle for DA during the collapse (absence of crabbing during the collapse is preferred for Landau damping)
  - Reduce the octupole current and chromaticity to the non-colliding bunch stability limit (e.g.  $I_{\text{oct}} = -382$  A and  $r_{\text{ATS}} = 2.0$  and consider reducing their brightness if needed)
  - Collapse separation bumps in the other IPs and enable crab cavities only once the conditions favourable for DA are established
- Beneficial impact to be confirmed with DA simulations

# Asynchronous Collapse & CC

## Both IPs HO & CC on

Min DA HL-LHC v1.3, Collisions,  $r_{ATS} = 2.5$ ,  $N_b = 2.2 \times 10^{11}$  ppb  
 $\beta_{IP1/5}^* = 0.6$  m,  $\phi/2_{IP1/5} = 250$   $\mu$ rad,  $\epsilon_n = 2.5$   $\mu$ m,  $Q' = 15$ ,  $I_{MO} = 570$  A

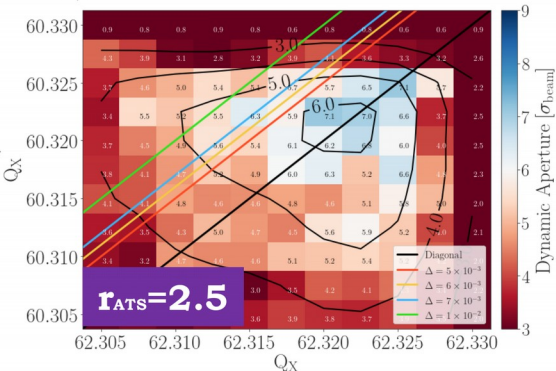


Still a bit tight,  
but almost +1 $\sigma$  in  
the worst case.

The increased xing  
opens up the  
available DA space.

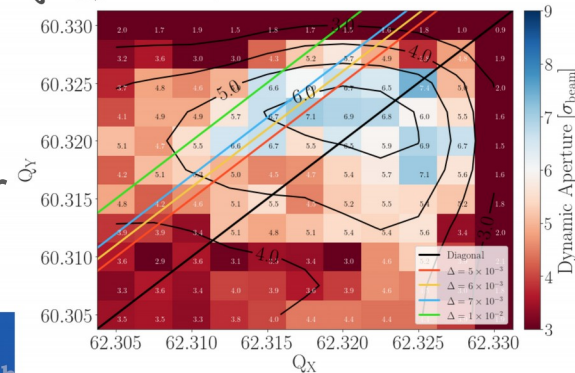
## IP1 HO, IP5 halo = 53 $\sigma$

Min DA HL-LHC v1.3, Collisions,  $r_{ATS} = 2.5$ ,  $d_{IP5} = 53 \sigma$ ,  $N_b = 2.2 \times 10^{11}$  ppb  
 $\beta_{IP1/5}^* = 0.6$  m,  $\phi/2_{IP1/5} = 250$   $\mu$ rad,  $\epsilon_n = 2.5$   $\mu$ m,  $Q' = 15$ ,  $I_{MO} = 570$  A



## Both IPs HO & CC off

Min DA HL-LHC v1.3, Collisions,  $r_{ATS} = 2.5$ , No CC,  $N_b = 2.2 \times 10^{11}$  ppb  
 $\beta_{IP1/5}^* = 0.6$  m,  $\phi/2_{IP1/5} = 250$   $\mu$ rad,  $\epsilon_n = 2.5$   $\mu$ m,  $Q' = 15$ ,  $I_{MO} = 570$  A



First results of DA simulations including an intermediate step with a single IP colliding or crab cavities off show promising results

## Impedance reduction by retraction of collimators (S. Antipov @ today's HSC meeting)

- A significant reduction of the stability requirement is obtained by retracting the entire collimator hierarchy by  $1.5\sigma$ 
  - Feasibility and stability requirement in adjust to be studied

