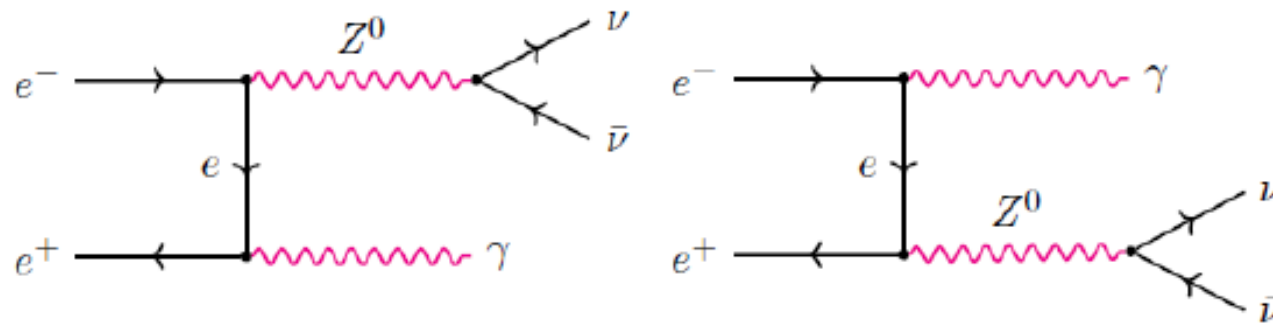


Precision measurement of the Z boson to electron neutrino coupling at the future circular colliders*

« ...making the neutrino flavor visible in Z decays »

R.A. and S. Jadach

<https://arxiv.org/abs/1908.06338>



Neutrino counting measured at LEP with/without radiative γ : $N_\nu = 2.984 \pm 0.008$

$\sigma(e^+e^- \rightarrow Z \rightarrow \text{invisible}) =$

$$(g_Z^{\nu_e} \mathcal{A}_Z^{\nu_e})^2 + (g_Z^{\nu_\mu} \mathcal{A}_Z^{\nu_\mu})^2 + (g_Z^{\nu_\tau} \mathcal{A}_Z^{\nu_\tau})^2 + (g_Z^X \mathcal{A}_Z^X)^2,$$

No distinction between neutrino flavor

Motivation : Complementing tests of lepton universality

$$\Delta_W^{\tau/\ell} = BR(W \rightarrow \tau\nu) - BR(W \rightarrow \ell\nu) = 0.00711 \pm 0.00237 \quad (PDG: \approx 3\sigma) \quad (\ell = e, \mu)$$

$$R_{D^*}^{\tau/\ell} = \frac{BR(B \rightarrow D^* \tau \nu)_{exp} / BR(B \rightarrow D^* \tau \nu)_{SM}}{BR(B \rightarrow D^* \ell \nu)_{exp} / BR(B \rightarrow D^* \ell \nu)_{SM}} = 1.28 \pm 0.08 \quad (3.8 \sigma)$$

$$R_D^{\tau/\ell} = \frac{BR(B \rightarrow D \tau \nu)_{exp} / BR(B \rightarrow D \tau \nu)_{SM}}{BR(B \rightarrow D \ell \nu)_{exp} / BR(B \rightarrow D \ell \nu)_{SM}} = 1.37 \pm 0.18 \quad (2.0 \sigma)$$

$$R_K^{\mu/e} = \frac{BR(B \rightarrow K \mu^+ \mu^-)_{exp}}{BR(B \rightarrow K e^+ e^-)_{exp}} = \cancel{0.745 \pm 0.080 \pm 0.036} \quad (2.6 \sigma)$$

$$= 0.846^{+0.060}_{-0.054} \quad ^{+0.016}_{-0.014}(syst) \quad (2.5\sigma)$$

$g_Z^{\nu_e}$ poorly measured

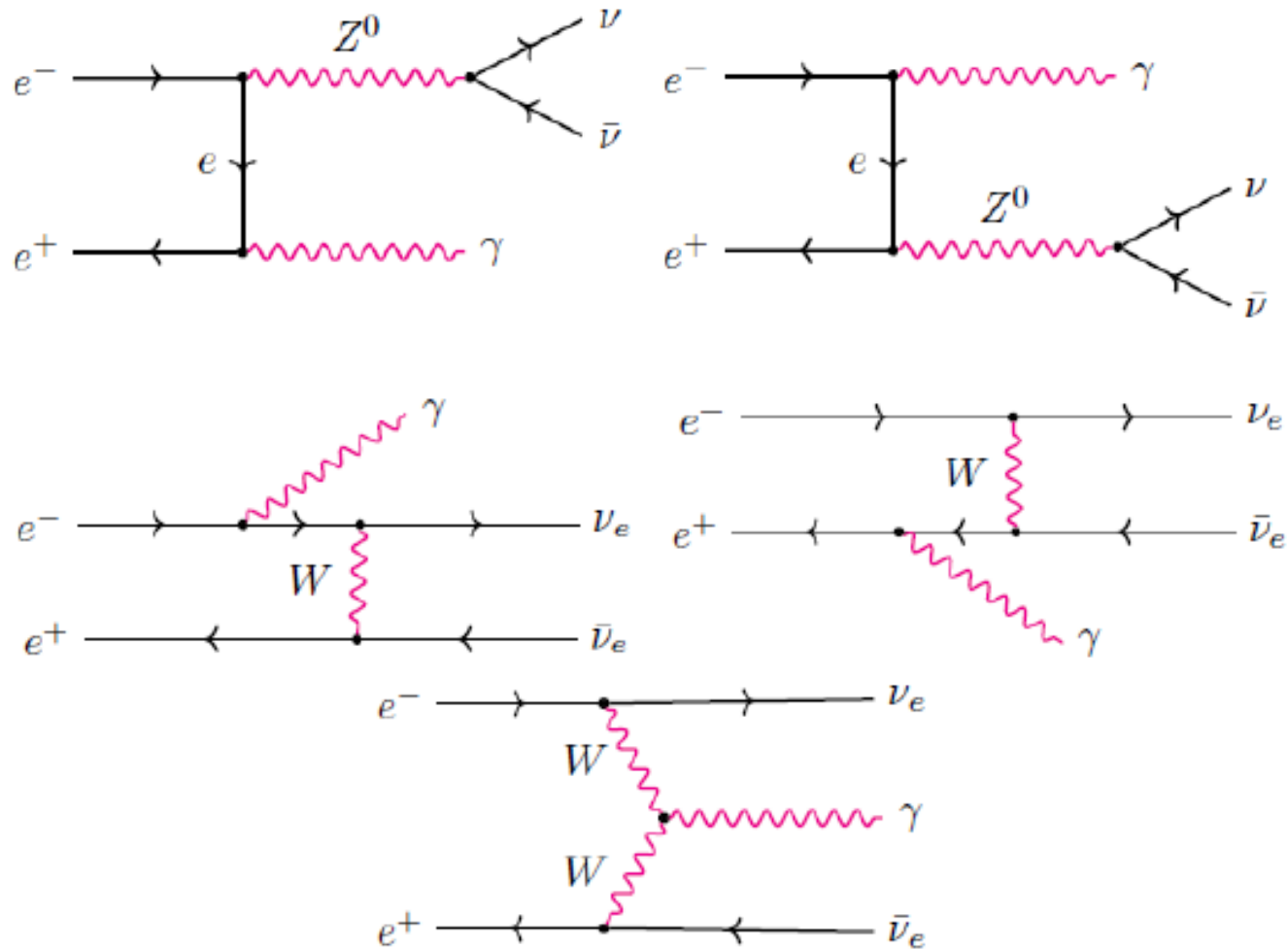
PDG $\left\{ \begin{array}{l} g_Z^{\nu_e} = 1.06 \pm 0.18 \\ g_Z^{\nu_\mu} = 1.004 \pm 0.034 \\ g_Z^{\nu_\tau} = ? \end{array} \right.$

From $\nu_\mu e$ and $\nu_e e$ scattering

How to do better at FCC-ee?

In the following we assume $N_{inv} \equiv 3 \nu$ since will be measured at FCC with negligible error

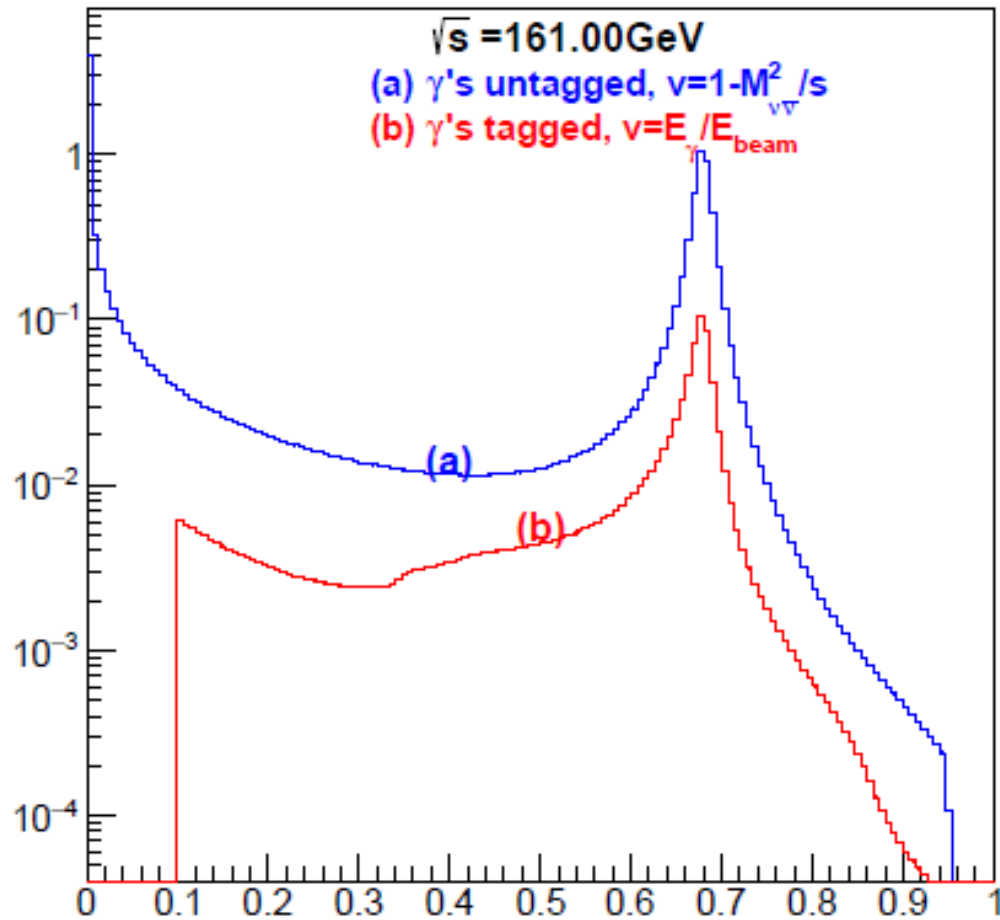
Search for interference with diagrams with well known couplings



Only ν_e interfere \Leftrightarrow interference effect measures $g_Z^{\nu_e}$

We concentrate on $\sqrt{s} = 161 \text{ GeV}$ with $L=10\text{ab}^{-1}$ (i.e. with 2 detectors)
 MC used KKMC (see Staszek Jadach et al.)

$d\sigma/dv$; KKMC $e^+e^- \rightarrow \nu\bar{\nu}+n\gamma$, $\nu=v_e+v_\mu+v_\tau$

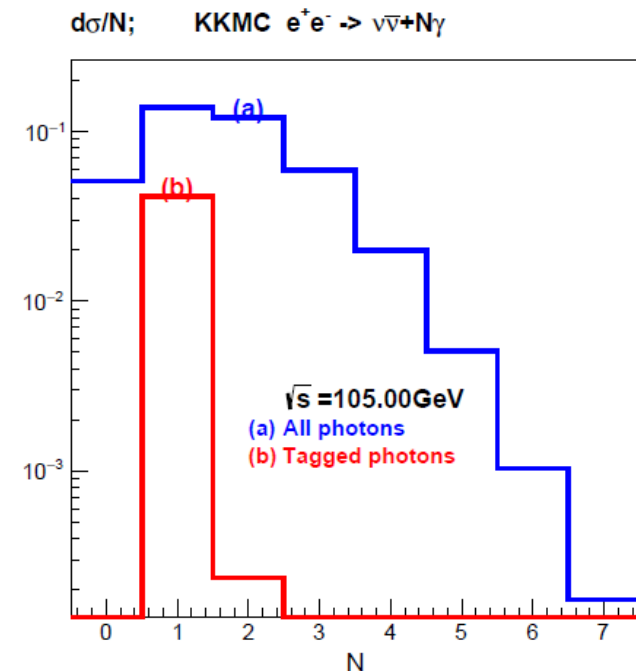


$$v = \frac{E_\gamma}{E_{beam}} \approx 1 - \frac{M_{\nu\bar{\nu}}^2}{s}$$

Cuts for
(b) curve

$$\left\{ \begin{array}{l} \sum E_\gamma > 0.1 E_{beam} \\ \theta_\gamma > 15^\circ \\ E_{T\gamma} > 0.02 E_{beam} \end{array} \right.$$

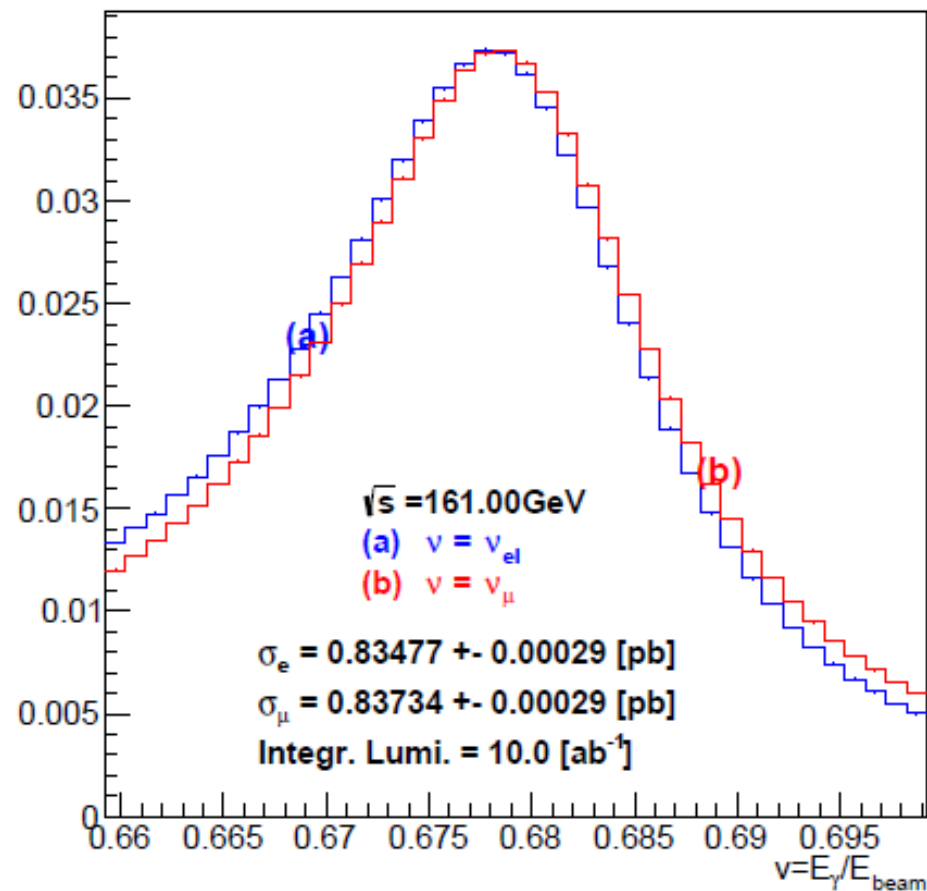
Essentially 1 γ after cuts



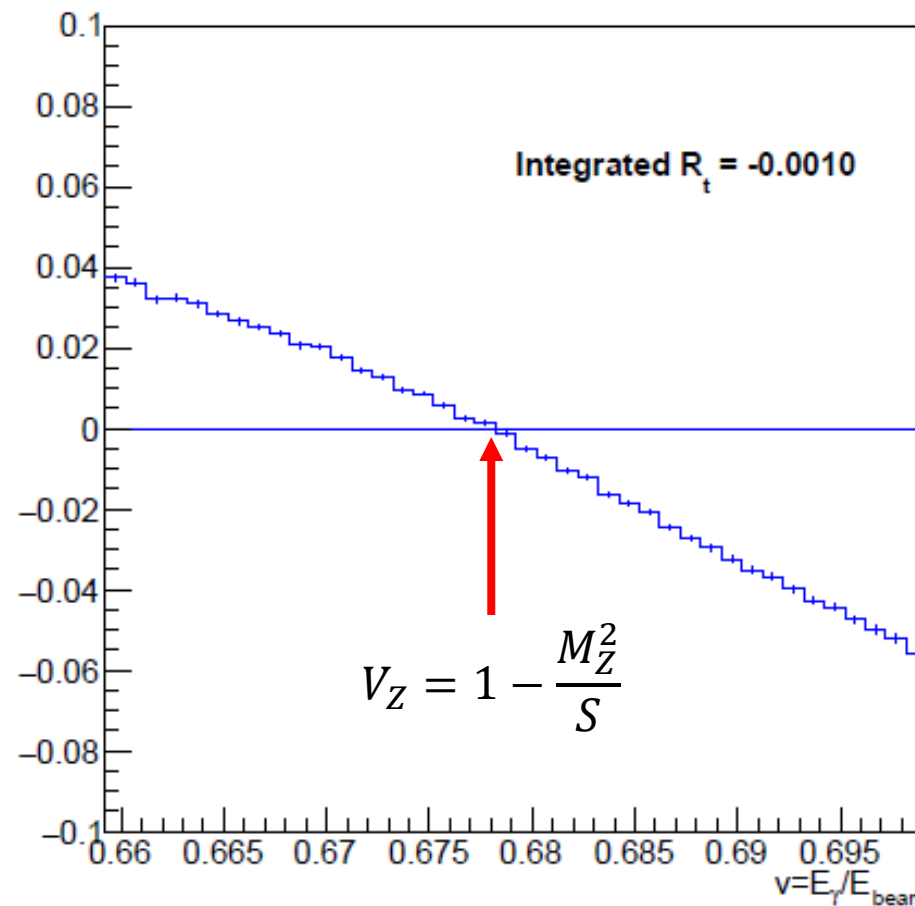
Zoom on Z Radiative Return (ZRR)

Difference between $\nu_{\mu(\tau)}$ and ν_e

$d\sigma/dv$ [nb], $e^+e^- \rightarrow \nu\bar{\nu}+N\gamma$, γ 's tagged

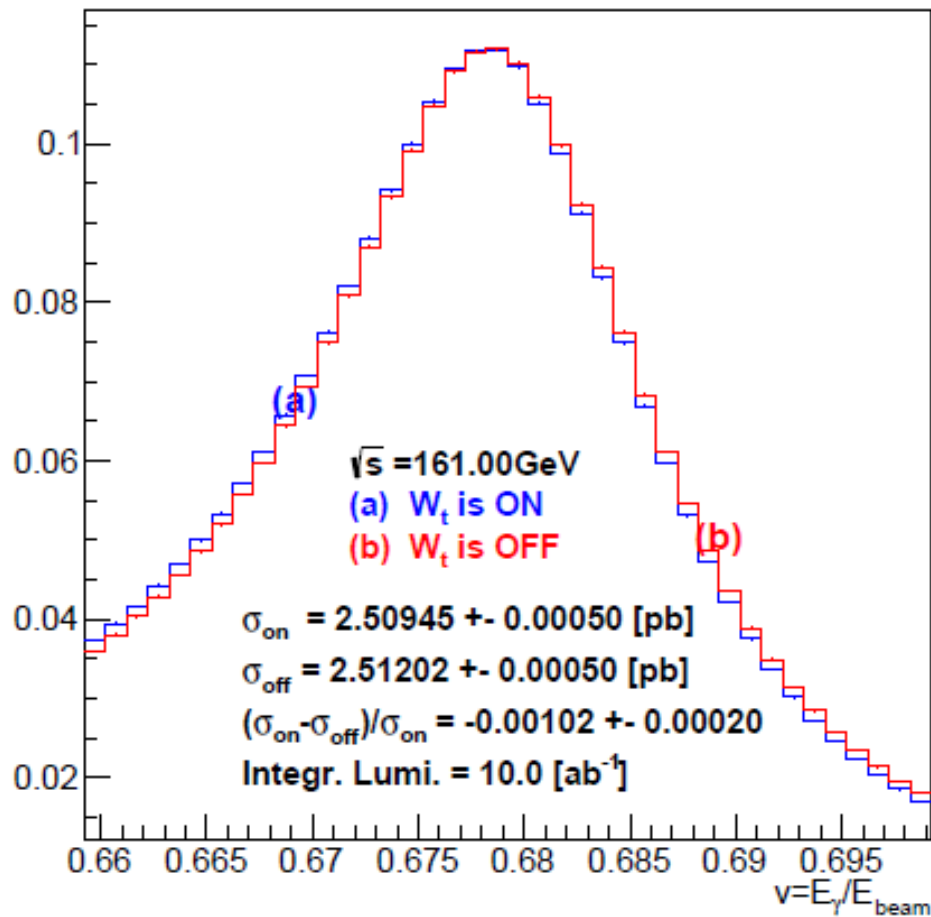


t-channel W contrib. $R_t(v) = (\nu_e - \nu_{\mu}) / (3 \nu_{\mu})$

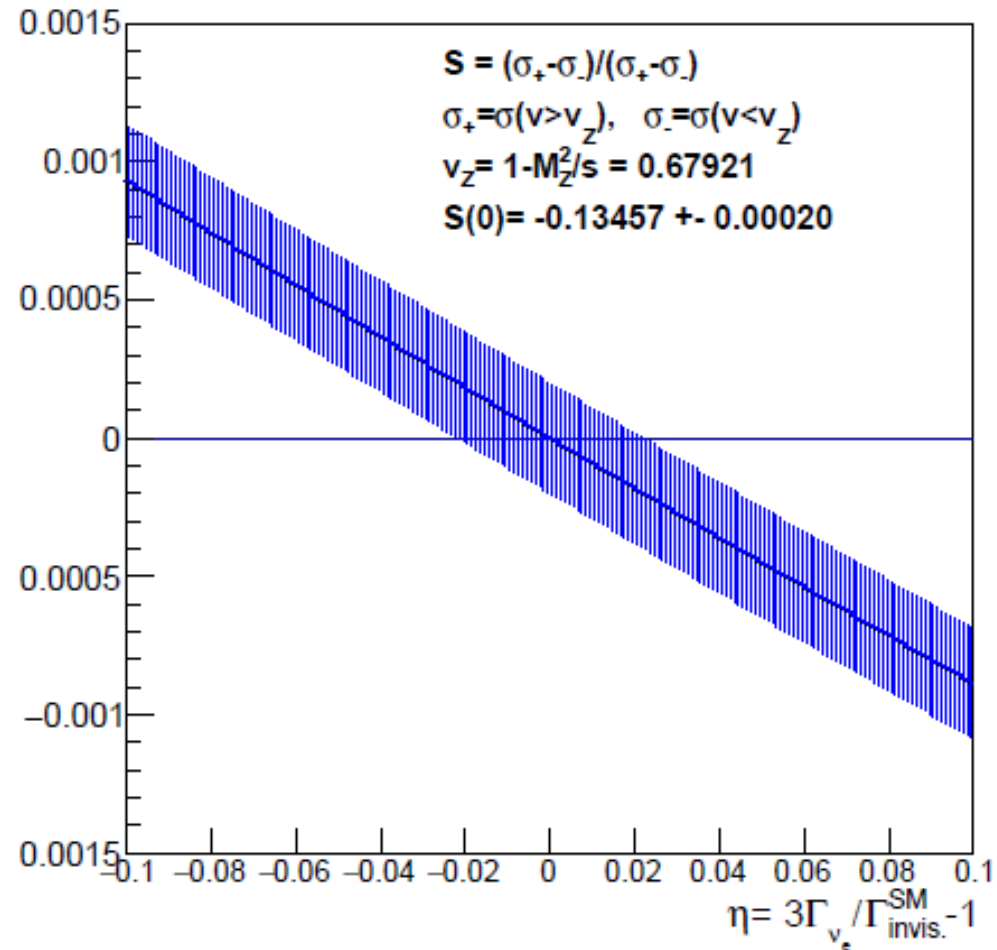


Interference effects may look small but
Huge statistics is available $\sim 25 \times 10^6$ events

$d\sigma/dv$ [nb], $e^+e^- \rightarrow 3\nu\bar{\nu}+N\gamma$, γ 's tagged



$\Delta S = S(\eta) - S(0)$



Parametrization assuming $N_{\text{inv}} \equiv 3\nu \Rightarrow g_Z^{\nu_e} = \sqrt{1 + \eta}$, $g_Z^{\nu_\mu} = 1$, $g_Z^{\nu_\tau} = \sqrt{1 - \eta}$

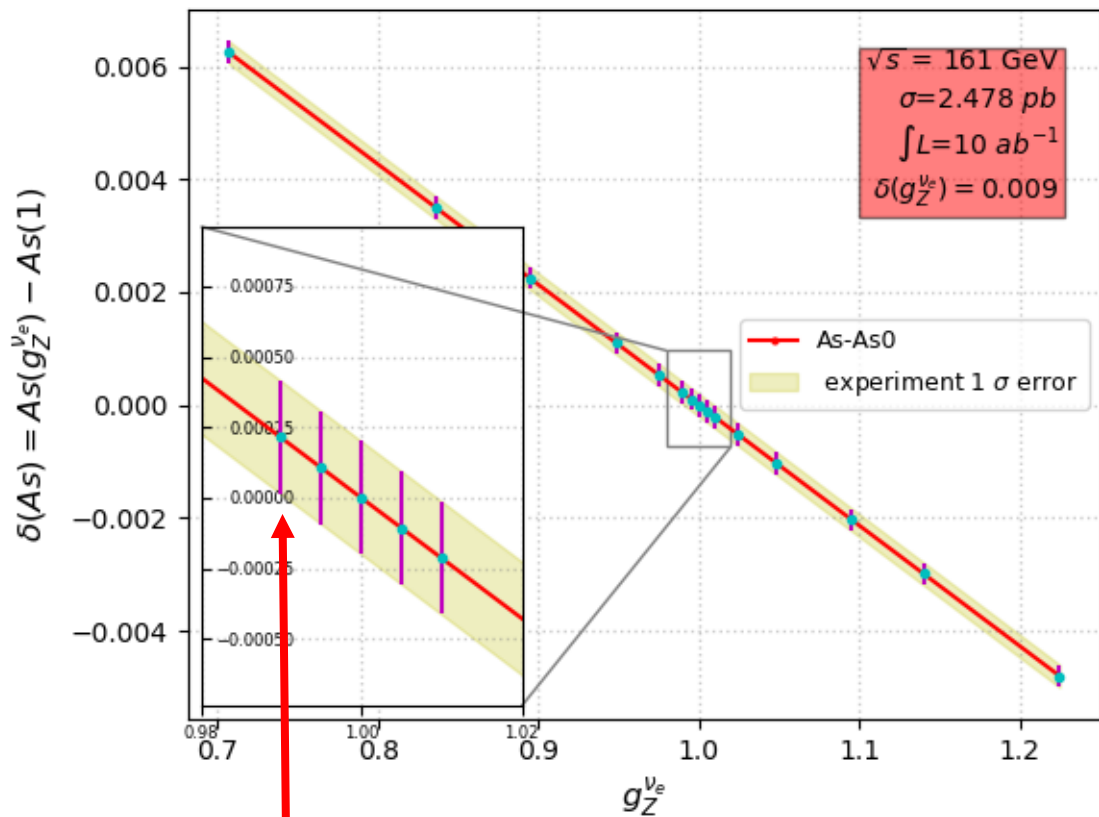
Error on g_Z^{ve}

With detector resolution dilution effects

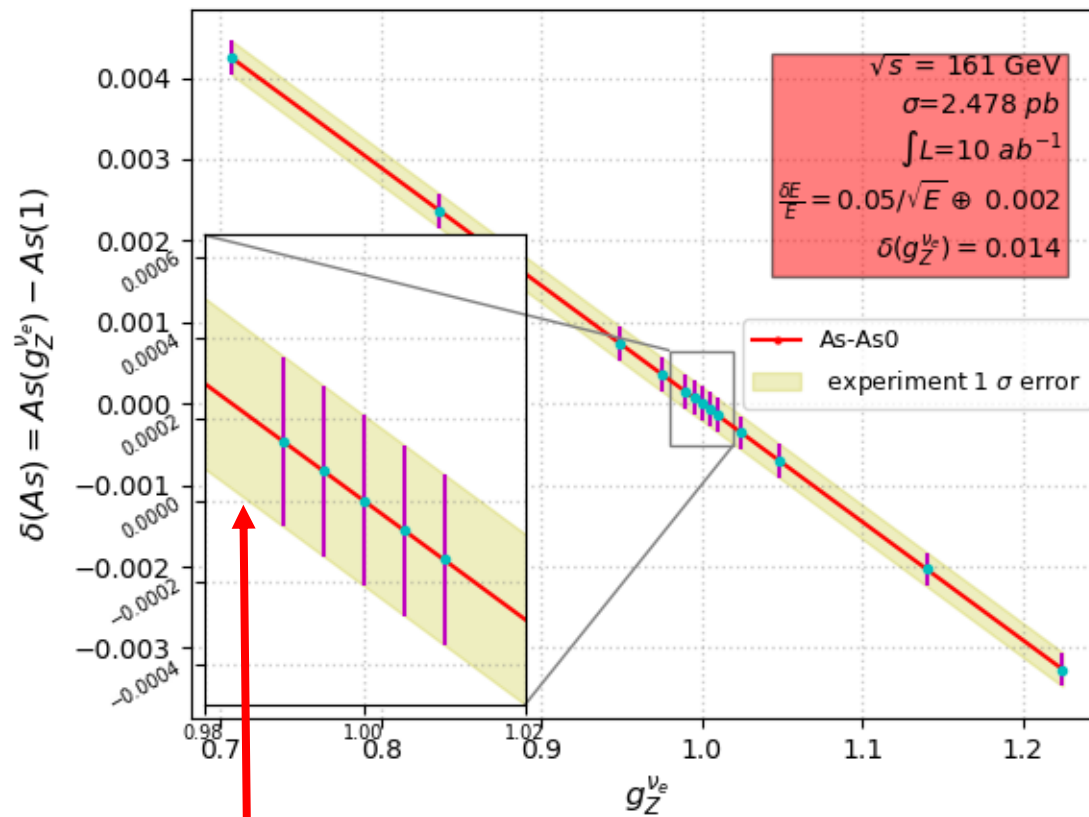
$$\frac{\delta E_\gamma}{E_\gamma} = \frac{0.05}{\sqrt{E_\gamma}} \oplus 0.002$$

Can be calibrated with $\mu\mu\gamma$ events

Without detector resolution dilution effects



$\delta(g_Z^{ve}) = \pm 1.0\%$



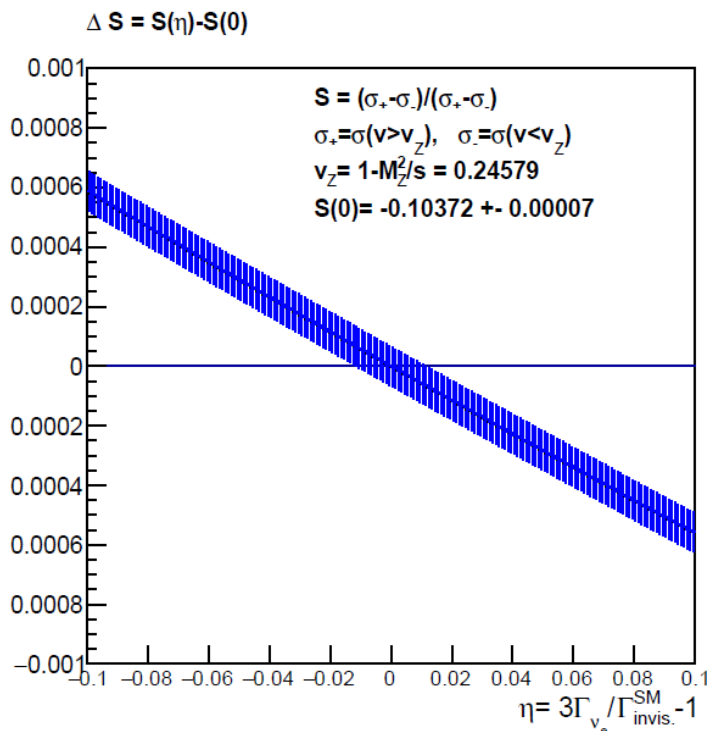
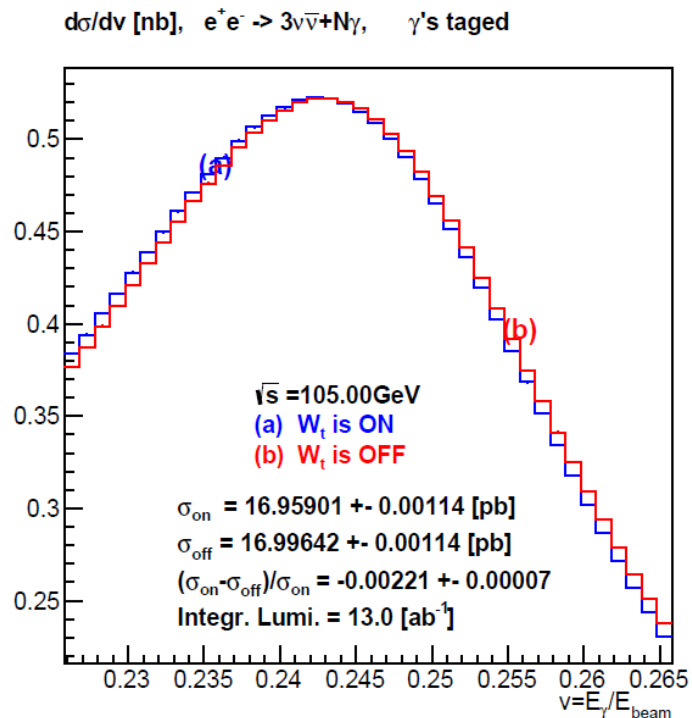
$\delta(g_Z^{ve}) = \pm 1.4\%$

If stochastic term x2 \Rightarrow

$\delta(g_Z^{ve}) = \pm 2.4\%$

Summary

- The method proposed would lead to a considerable improvement on the precision on $g_Z^{\nu e}$
 - $\Rightarrow \delta(g_Z^{\nu e}) = \pm 1.4\%$
- Assuming 3 ν and no new physics coupled to Z, one would derive
 - $\Rightarrow \delta(g_Z^{\nu \tau}) = \pm 4.8\%$
- $\sqrt{S} = 161 \text{ GeV}$ not optimal (but we will run there anyway), e.g. 6 months at $\sqrt{S} = 105 \text{ GeV}$ would allow for twice smaller errors



Final remarks :

This is a preliminary study and several complementary studies needed

- virtual corrections for W contribution in KKMC matrix element has to be checked
- the size and shape of the QED deformation of the Z peak in ZRR obtained from KKMC should be cross-checked using independent calculation
- EW corrections were included in the presented KKMC calculation - their size and role should be examined quantitatively
- dominant $O(\alpha^3)$ QED non-soft corrections (in our convention) should be estimated/calculated.

There are also several other improvements in the analysis front, which needs to be studied:

- carrying a full fit of the ν spectrum instead of measuring its asymmetry
- optimizing the ν range.
- study of the interference effect at low and high ν range might be useful to improve the sensitivity on $g_Z^{\nu e}$
- Carrying an analysis with full detector simulation will be ultimately needed