

How EIC Physics

can impact LHC

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Papers on EIC Science:

https://wiki.bnl.gov/eic/index.php/Presentations#Publications

Electron Ion Collider





### Facts about the EIC

#### What is the EIC:

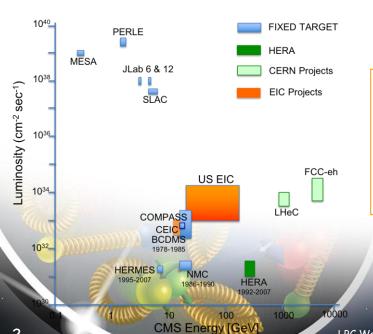
A high luminosity ( $10^{33} - 10^{34}$  cm<sup>-2</sup>s<sup>-1</sup>) polarized electron proton / ion collider with  $\int s_{ep} = 20 - 140 \, GeV$ 

#### What is new/different:

Hera: factor 100 to 1000 higher luminosity both electrons and protons / light nuclei polarized nuclear beams: d to U

Two Proposals:

BNL: add an electron Beam to RHIC JLab: add a hadron facility to Cebaf



#### US-EIC:

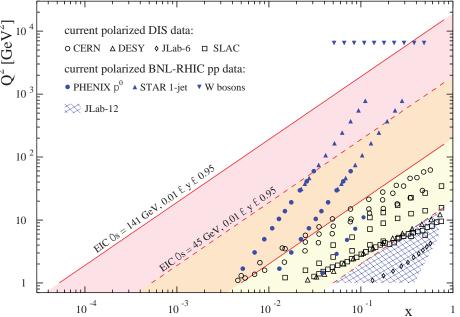
polarization, ion species together with its luminosity and  $\int s$  coverage makes it a completely unique machine worldwide.

#### Documents on EIC:

Physics: arXiv: 1212.1701 and arXiv:1708.01527 Summary on JLEIC & eRHIC accelerator designs: http://icfa-bd.kek.jp/Newsletter74.pdf

### ep:

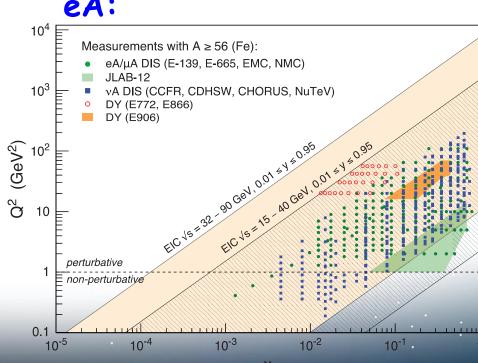




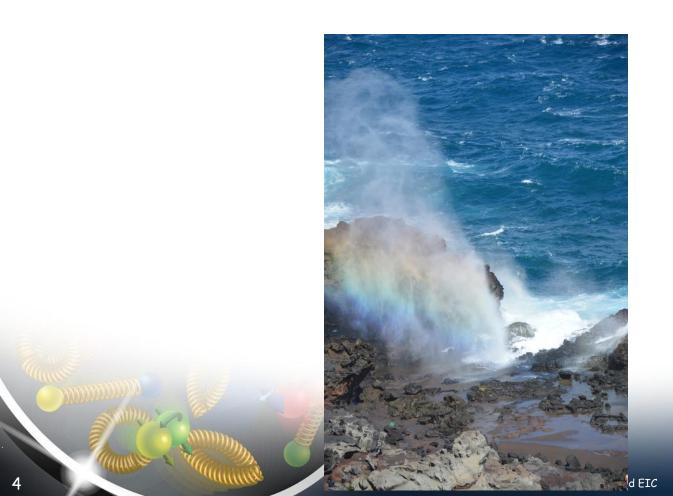
EIC extends kinematic coverage for data with polarised beams and nuclei by 2 decades in x at a fixed  $Q^2$ and by  $\frac{2}{2}$  decades in  $Q^2$  at a fixed x

### EIC:

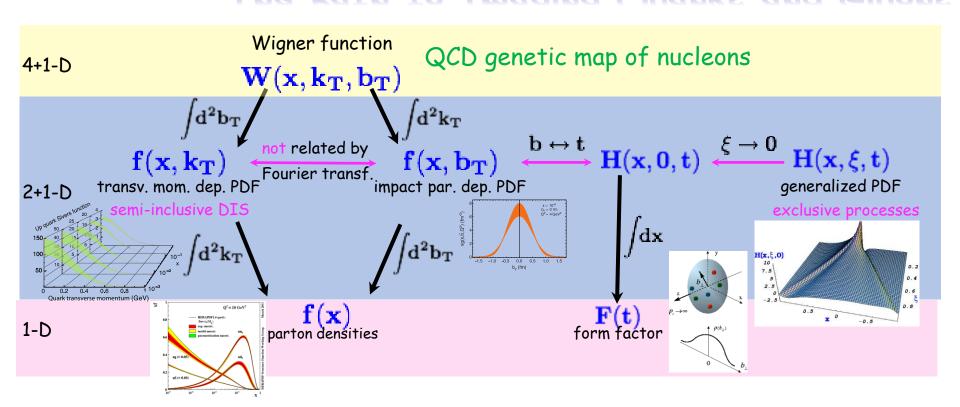
A high luminosity ( $10^{33} - 10^{34} \text{ cm}^{-2}\text{s}^{-1}$ ) polarized electron proton / ion collider with  $\int s_{ep} = 20 - 140 \, GeV$ 



# The inner life of hadrons Parton distribution functions



### The Path to Imaging Quarks and Gluons



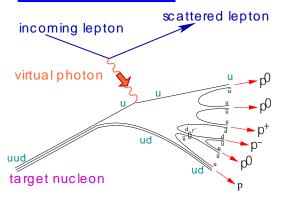
There are many reasons why one wants to have a 3d picture of nucleons and nuclei collective effects is one of them.



Obtaining a full information is an other one

# HOW TO ACCESS PARTONS IN DIS

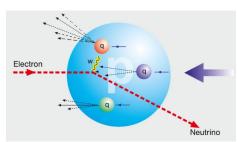
#### DIS / SIDIS:



Detect scattered lepton → limited flavor separation

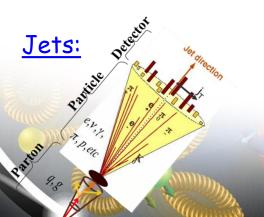
- $\rightarrow$  Detector: excellent e/h separation,  $p_T$  and  $\Theta$  resolution Detect identified hadrons in coincidence to scattered lepton
- → needs fragmentation functions to correlate hadron type with parton flavor
- $\rightarrow$  Detector: PID over a wide range of  $\eta$

#### <u>Charge Current:</u>



W-exchange: direct access to the quark flavor no FF - complementary to SIDIS

 $\rightarrow$  Detector: large rapidity coverage and large  $\sqrt{s}$ 



tag sea-quarks through the sub-processes and jet substructure

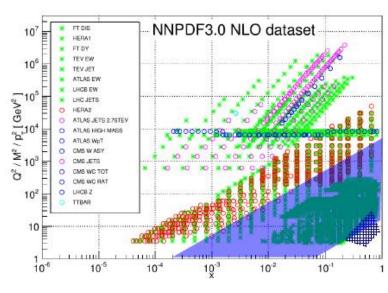
→ Detector: large rapidity coverage and PID

#### A. Accardi et al.

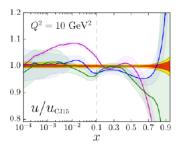
0.2

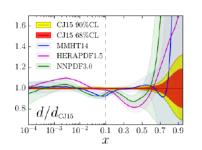
0.0

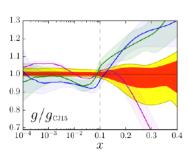
# Proton PDFs at high x

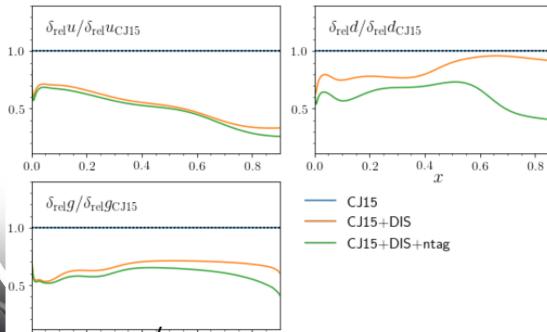


#### Baseline: CJ-15









0.8

0.6

#### Relative error improvement:

- pseudo-data for 0.01 < x < 0.9</p>
- □ NC Cross sections on proton target
- □ F<sub>2</sub><sup>n</sup> from deuterium with tagged proton spectator
- □ 10×100 GeV<sup>2</sup> at 100 fb<sup>-1</sup>,
- energy scan √s=57, 49, 28 GeV at 10 fb<sup>-1</sup>
- $\rightarrow$  more studies in progress

### Observables: Charge Current in ep and eA

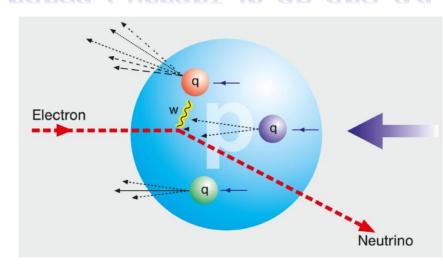
W-exchange: direct access to the quark flavor

Ws are maximally parity violating

→ Ws couple only to one parton helicity

$$W^- + p \rightarrow u\bar{d}$$

$$W^- + n \rightarrow d\overline{u}$$



#### Complementary to SIDIS:

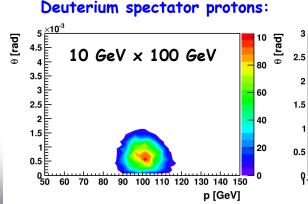
- □ high Q²-scale: > 100 GeV²
- $lue{}$  best way to measure at very high  $lue{}$
- extremely clean theoretically
- No Fragmentation function
- → stringent test on theory approach for SIDIS

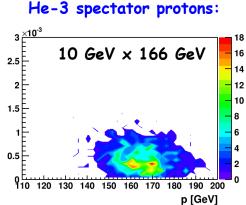
  UNIVERSALITY of PDFs

### EIC:

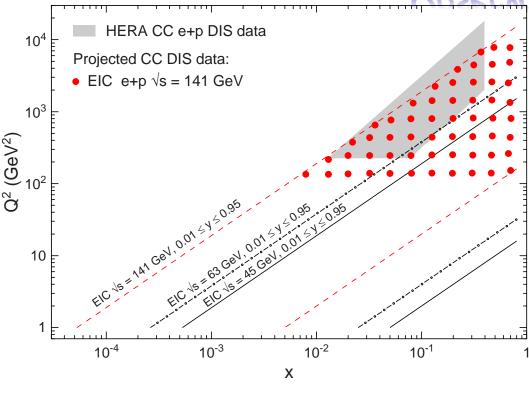
first time charge current physics in polarized ep and eA collisions

effective neutron target:
(un)polarized Deuterium or /and He-3
through tagging the spectator proton(s)

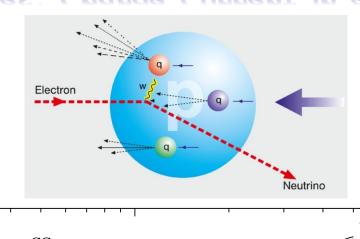


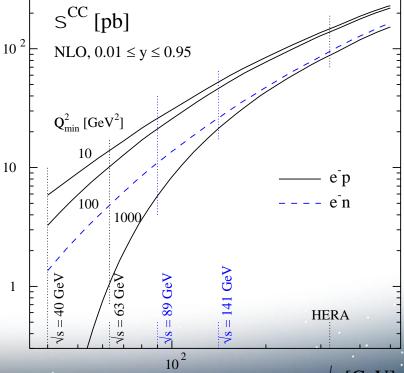


### Observables: Charge Current in ep



EIC has a large kinematic coverage for charge current events ( )

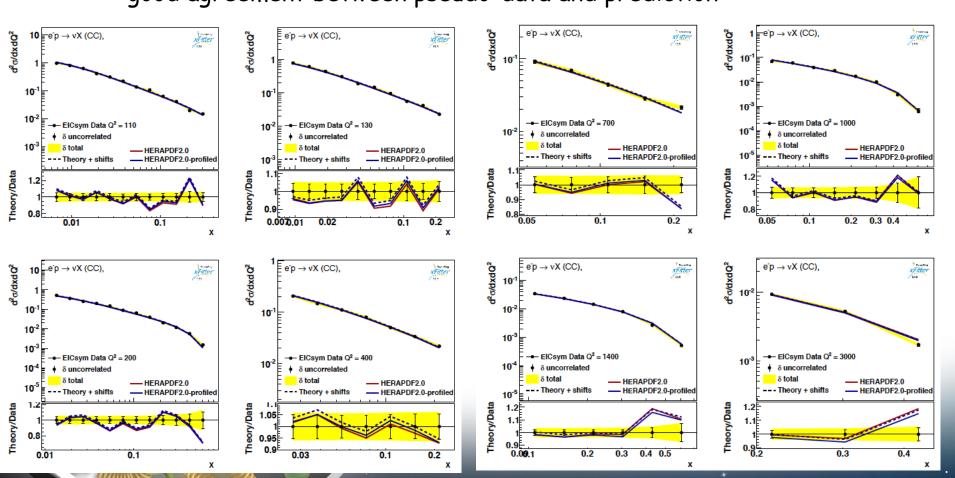




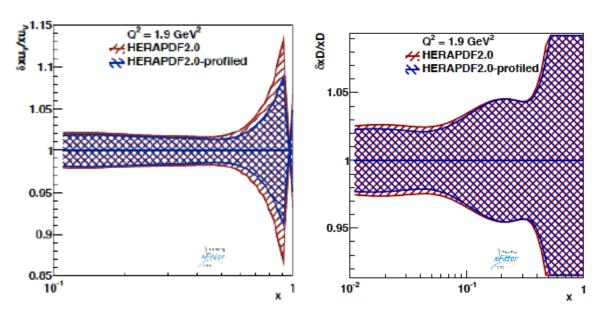


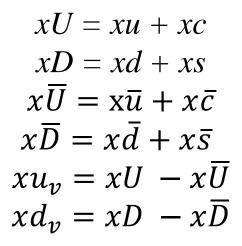
Generated 10 fb-1 worth of ep CC events with DJANGOH for 20 GeV x 250 GeV

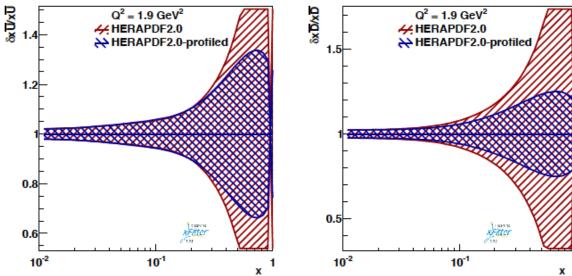
xFitter is used to get the impact on PDFs
good agreement between pseudo-data and prediction



# Impact of CC@EIC to PDFs



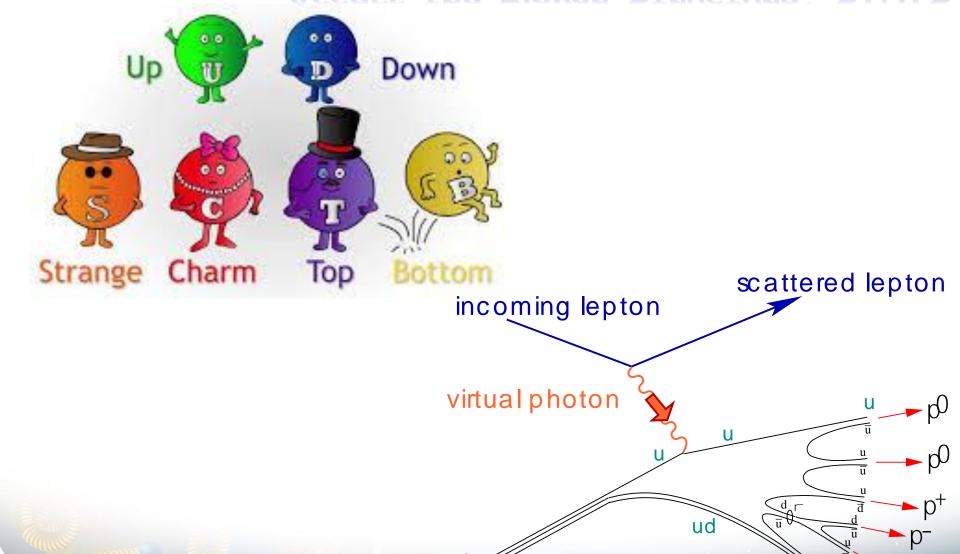




Very strong impact on  $x\overline{D}$  significant impact on  $xu_v$  Need to still understand in detail why there is impact on  $x\overline{U}$ 

→ very promising first results

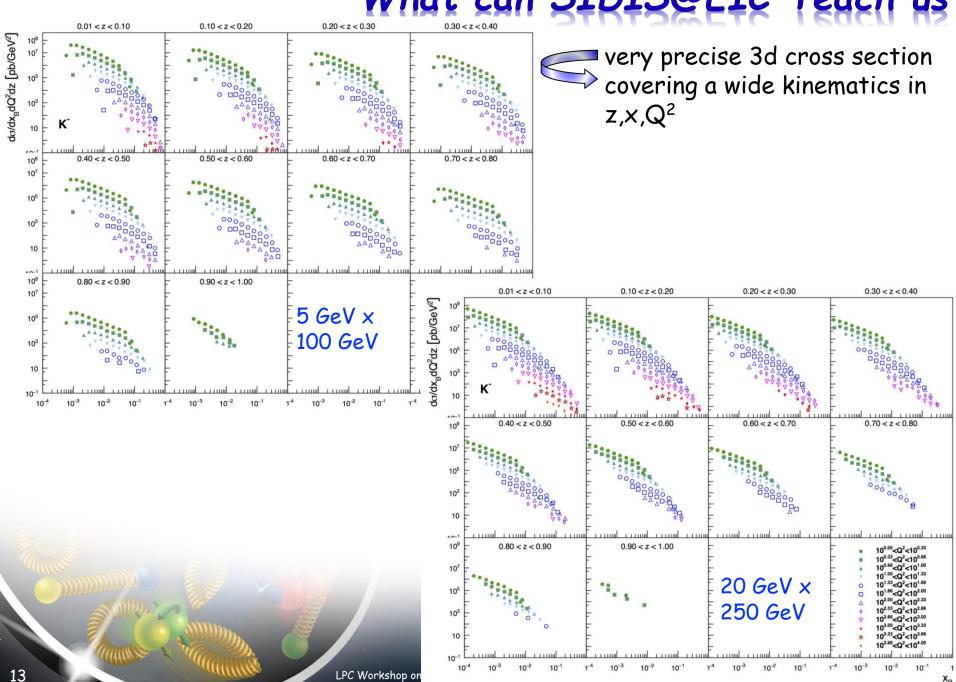
# Access the Flavor Structure: SIDIS



12

target nucleon

## What can SIDIS@EIC Teach us



## PDFs: flavor separation from SIDIS@EIC

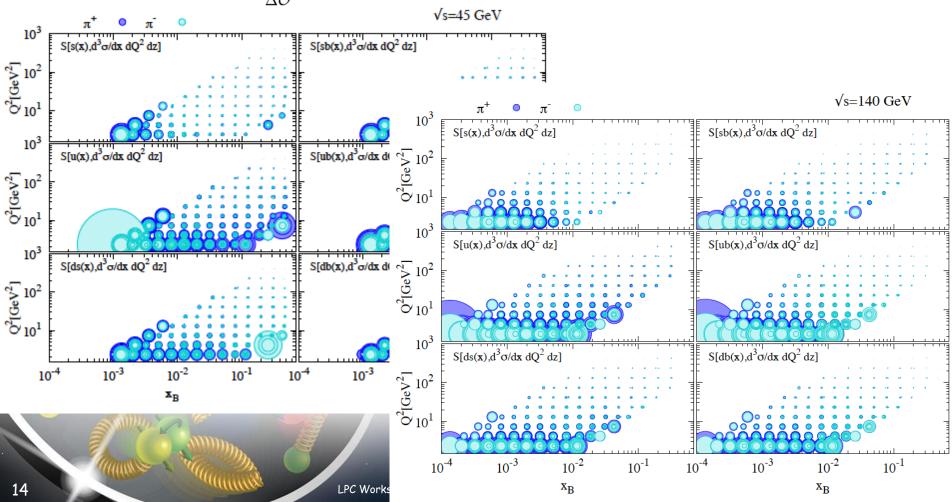
Use reweighting method to define EIC SIDIS data impact on collinear unpolarized PDFs and Fragmentation functions

Correlation factor of observable o to a flavor i

$$\rho\left[f_{i},\mathcal{O}\right] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\Delta\mathcal{O}\Delta f_{i}}\,, \quad \begin{array}{c} \text{account for} \\ \text{uncertainties} \\ \xi \equiv \frac{\delta\mathcal{O}}{\Delta\mathcal{O}} \end{array}, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad S[f_{i},\mathcal{O}] = \frac{$$

δ0 : exp. uncertainty
Observable

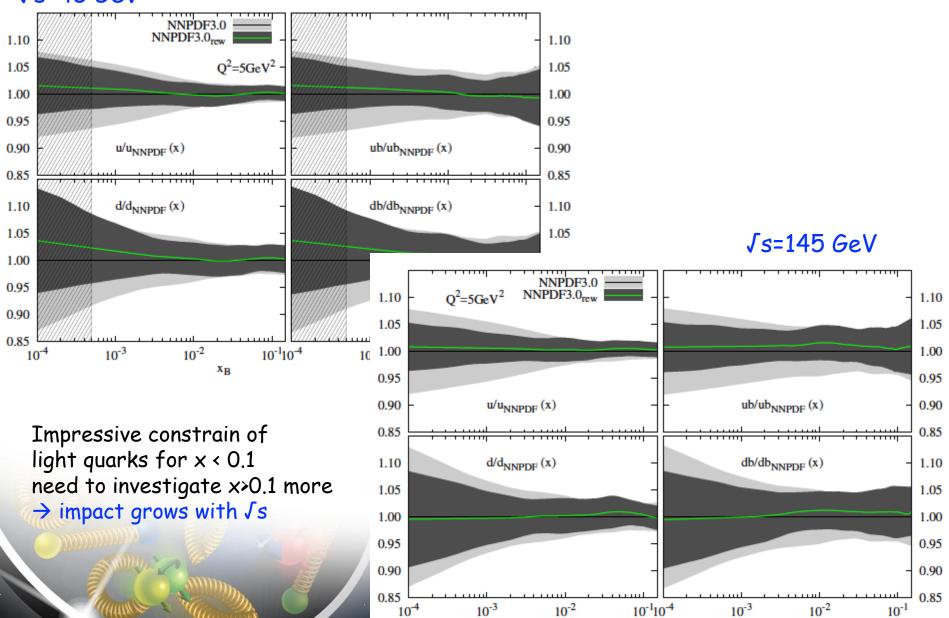
A PDF in Observable



# PDF Constrain from SIDIS@EIC



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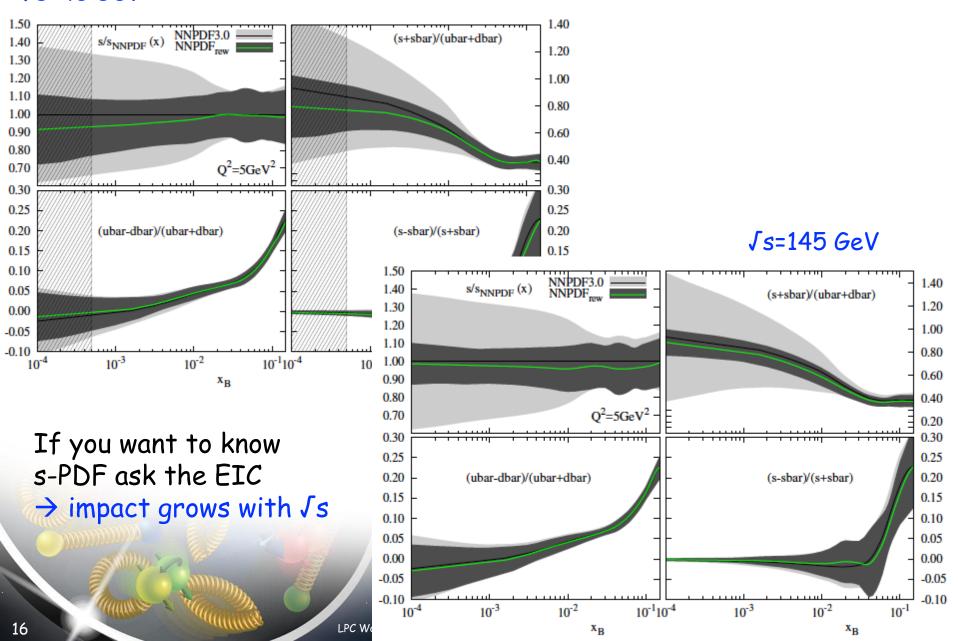
LPC W

 $x_B$ 

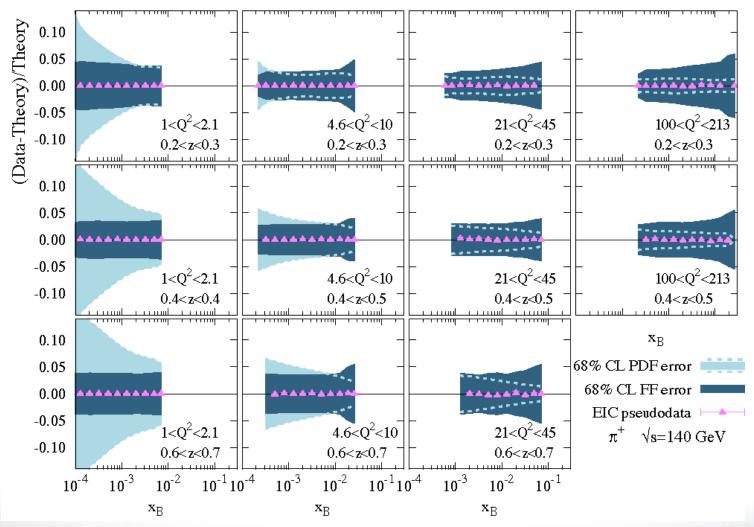
 $x_B$ 

# PDF Constrain from SIDIS@EIC

#### Js=45 GeV



## Lesson learnt

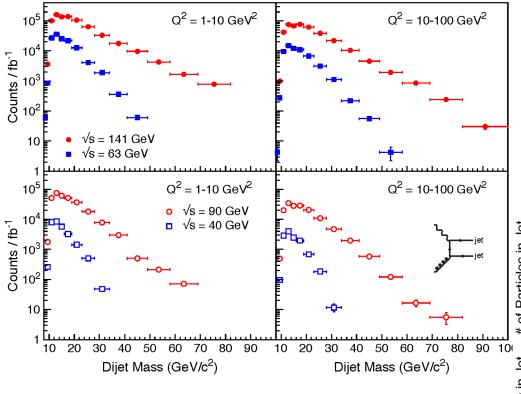


If one wants to obtain the best PDF and FF constrain it will be critical to perform a combined fit

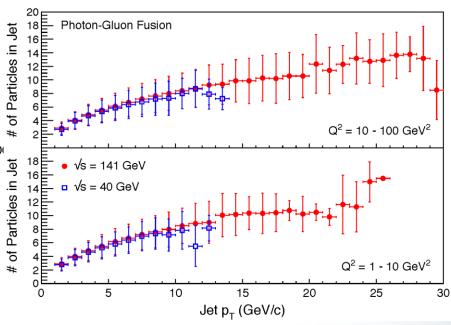
# Jets at EIC



### Observables: Di-Jets

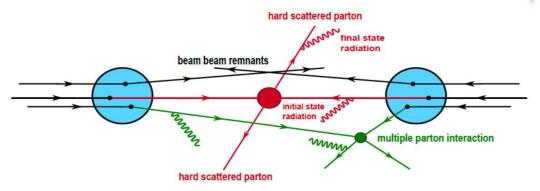


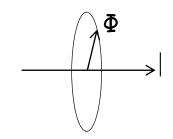
Experimental Aspects of Jet Physics at a Future EIC arXiv:1911.00657



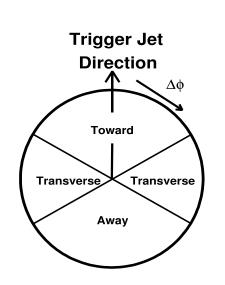
Only with highest EIC center-of-mass energies one can reach high di-jet masses cannot be compensated with higher luminosity at lower 1s

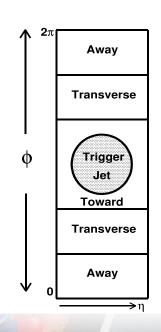
# Underlying Event





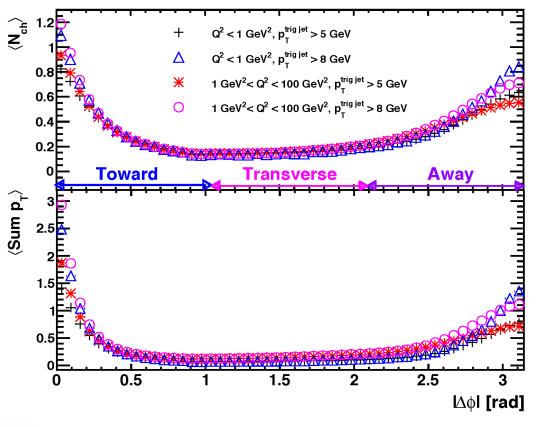
Underlying event: everything except the particles fragmented from the hard scatted partons





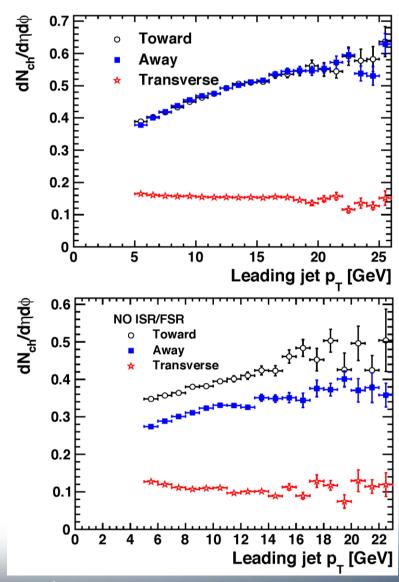
- □ Toward:  $|\Delta \Phi|$  < 60 degree,
  - Transverse: 60<|ΔΦ| < 120,</p>
- Away: |∆Φ| >120
- Trigger Jet is Jet with highest  $p_T$ ,  $\Delta \Phi$ =  $\Phi_{part}$   $\Phi_{Jet1}$
- Measurements
- charged multiplicity density,
   sum p<sub>t</sub> density
- Density difference in 3 regions

# Underlying Event

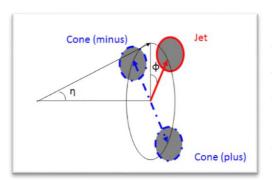




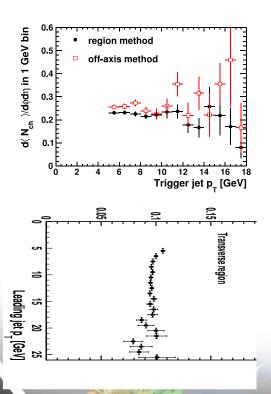
No big effect from ISR and FSR on underlying event

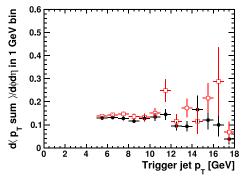


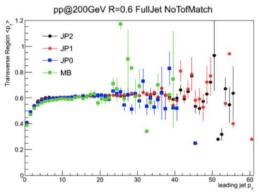
# Underlying Event: Comparison to pp



- In each event, we analyze jets with high momentum, jet by jet.
- For each jet, we define two cones (r = 0.4).
- Each cone is centered at the same as the jet but  $\pm \pi/2$  away in Φ from the jet Φ.
- $\checkmark$  Take the particles from the two cones as underlying event.

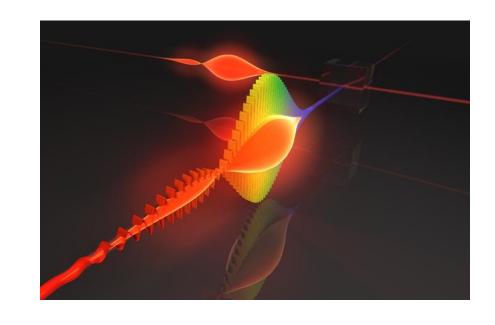






Results from the two different methods are consistent.

 $1~GeV^2 < Q^2 < 10~GeV^2$ , transverse region,  $p_T$  corrections at EIC, much smaller than STAR EIC rapidity cut (-4,4) instead of using (-1,1) as for STAR

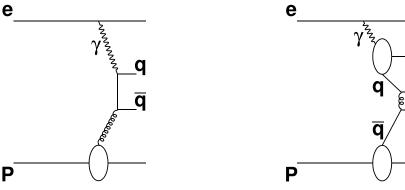


# Example for Jet Physics at an EIC: Unpolarized and polarized parton structure of photons

Details: X. Chu, ECA arXiv:1705.08831

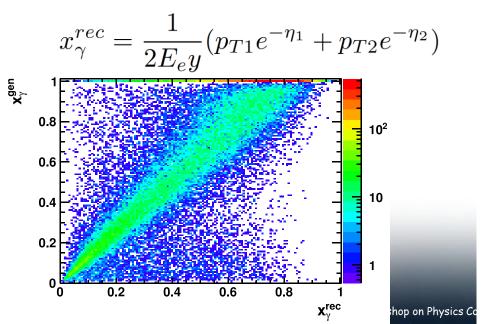
## Photon Parton Structure

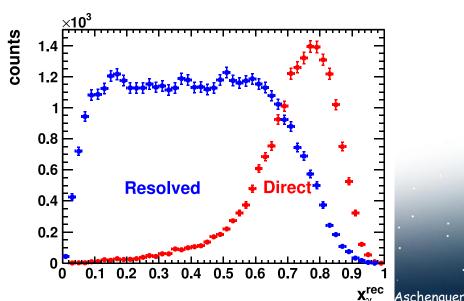
In high energy ep collision, two types of processes lead to the production of di-jets:



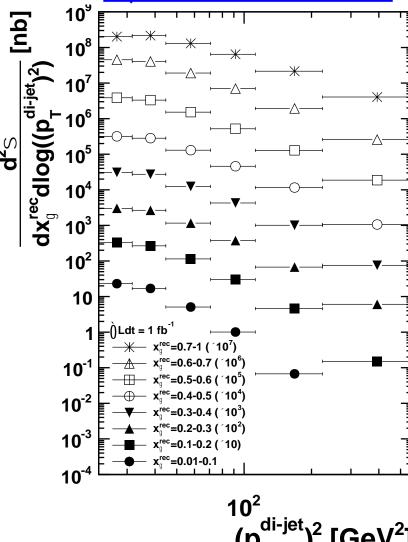
direct: point-like photon resolved: hadronic photon

- Di-jets@EIC ideal probe to constrain (un)polarised Photon-PDFs
  - Direct/resolved contributions can be separated reconstructing x,





#### unpolarized cross section:

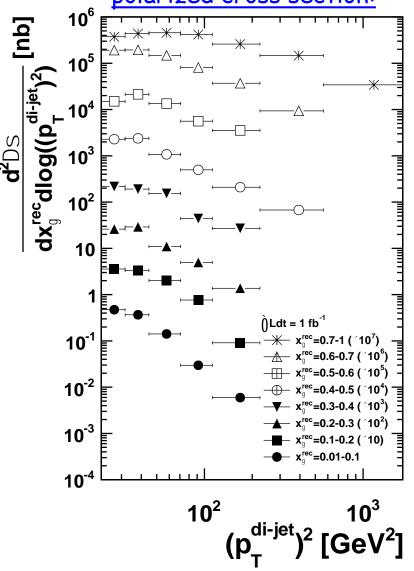


 $(p_{\tau}^{\text{di-jet}})^2 [\text{GeV}^2]$ 

Input: proton-CTEQ-5 & g: SAS

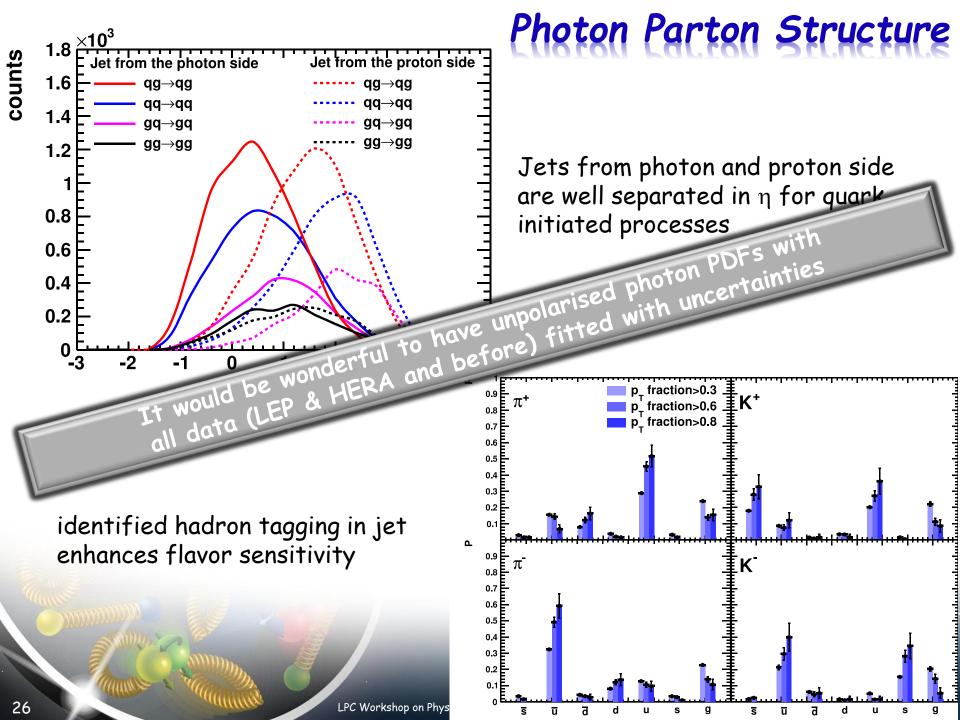
### Photon Parton Structure

<u>polarized cross section:</u>



Input: proton-DSSV &

γ: PLB 337 373 (1994)

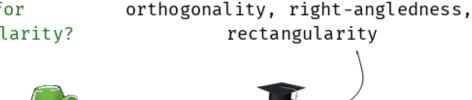


# Jet Angularity

$$\tau_a \equiv \frac{1}{p_T} \sum_{i \in I} p_T^i \left( \Delta R_{iJ} \right)^{2-a}$$

arXiv:1910.11460

what's another
 words for
right-angularity?

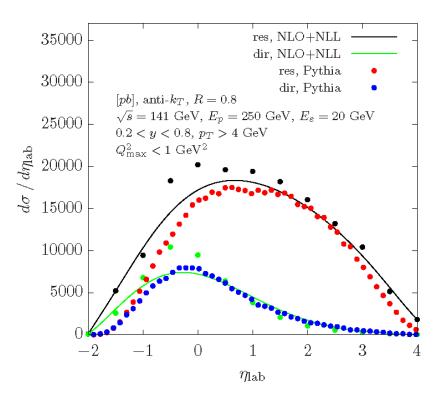






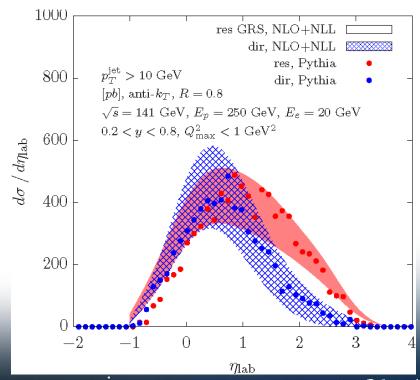
Thesaurus.plus

# Photoproduction Cross Section

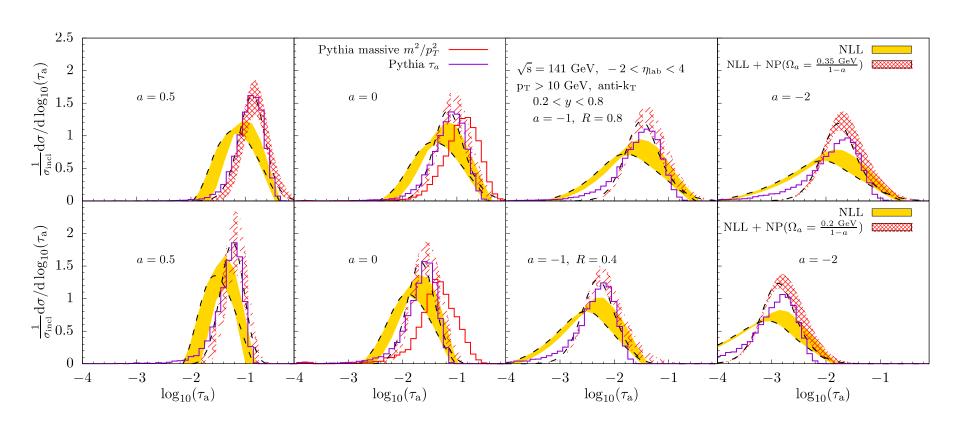


- ☐ Jet Radius = 0.8
- □ 0.2 < inelasticity < 0.8</p>
- ☐ Lab Frame
- Cross sections shown for jet  $p_T > 4$  and jet  $p_T > 10$  GeV

- □ Carry out angularity studies in photoproduction region  $(10^{-5} < Q^2 < 1)$
- Resolved and direct cross sections from PYTHIA in good agreement with theoretical expectations (F. Ringer, K. Lee)

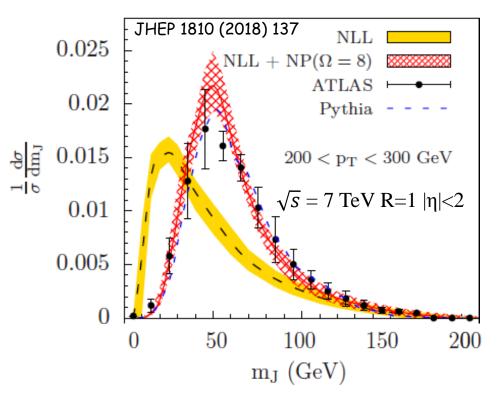


# Angularity: Theory Vs PYTHIA



Good agreement with PYTHIA if non-perturbative effects, if the purely perturbative result obtained within QCD factorization are convolved with a shape function

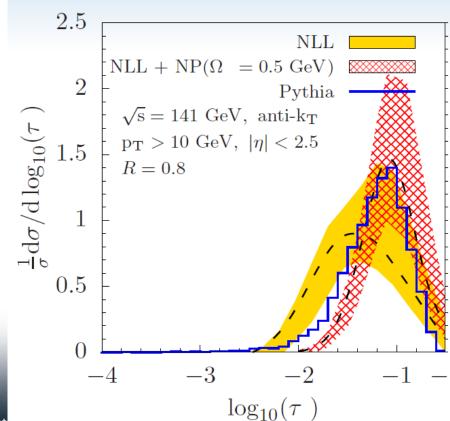
# Non-Perturbative Effects



- Non-perturbative effects (MPI and pileup) are large at the LHC but the correction shifts the perturbative results to match the data
- At the EIC, the perturbative results already agree quite well and only a small correction factor is needed to make the agreement better

■ Non-perturbative effects are modeled using a single parameter shape function which is convoluted with the perturbative cross section

$$F_{\kappa}(k) = \frac{4k}{\Omega_{\kappa}^{2}} exp\left(-\frac{2k}{\Omega_{\kappa}}\right)$$

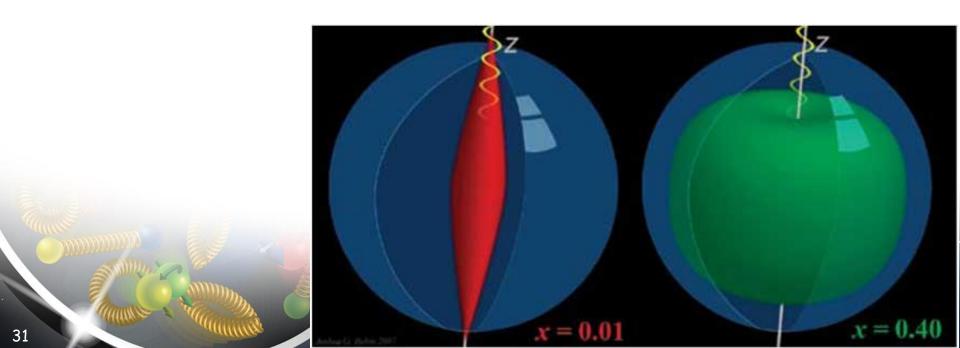


# Generalized Parton Distributions (GPDs)





or



### 2+1d-Imaging in coordinate space

High precision imaging at EIC at low and high x Golden channel: DVCS

0.3

0.2

0.1

0.6

 $b_{T}$  (fm)

0.8

0.4

 $e + p \rightarrow e + p + \gamma$ 

 $10 < Q^2 < 17.8 \text{ GeV}^2$ 

 $\int Ldt = 10 \text{ fb}^{-1}$ 

8.0

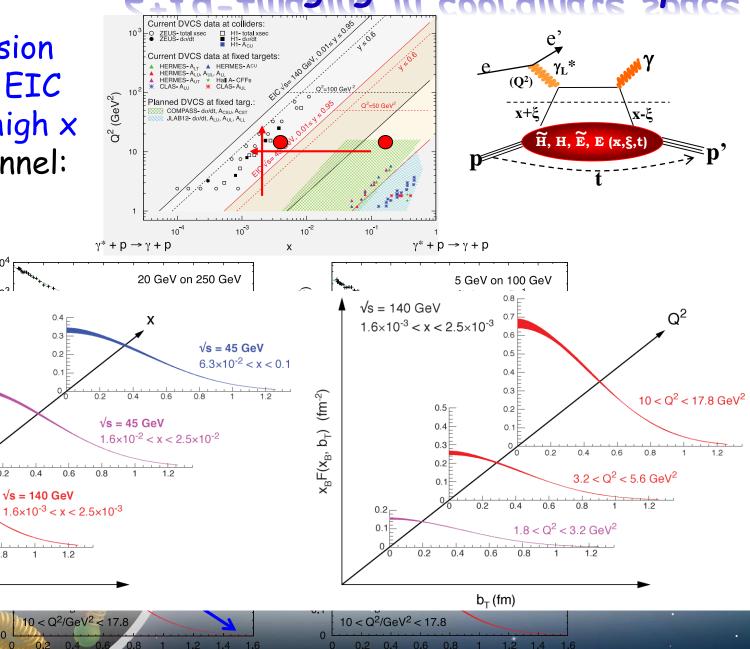
0.7

0.5

0.3

0.2

0.1

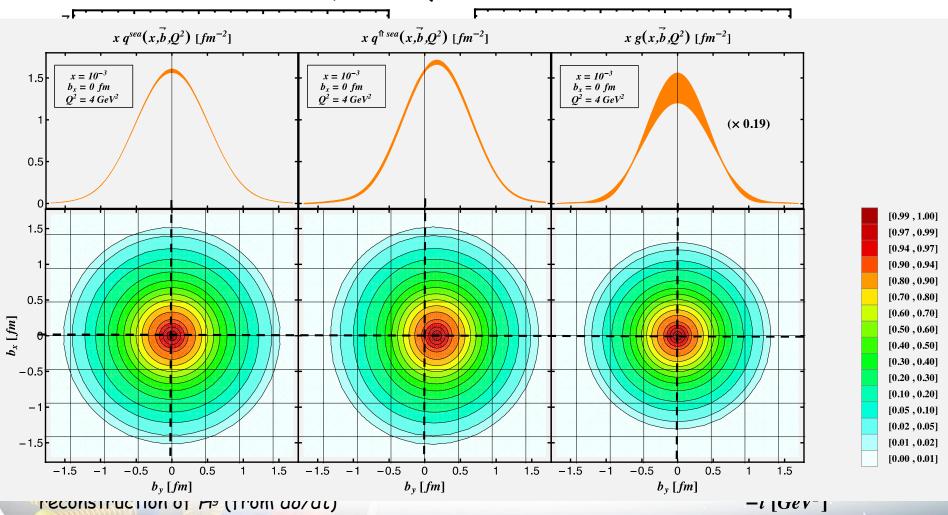


 $x_BF(x_B, 1)$ 

### What will we learn about 2d+1 structure of the proton

GPD IHI cand EE a 1 de la ction of t, x and Q2

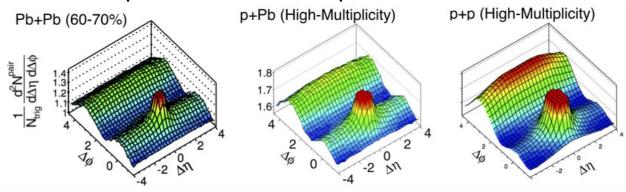
arXiv:1304.0077



GPD H and E 2d+1 structure for sea-quarks and gluons

### Proton structure important for QGP in small systems

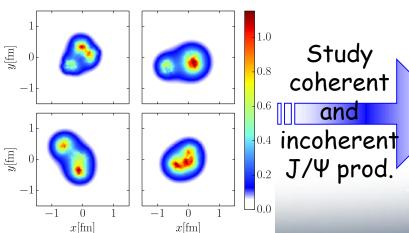
#### Collective phenomena seen in pA collisions, i.e. ATLAS & CMS



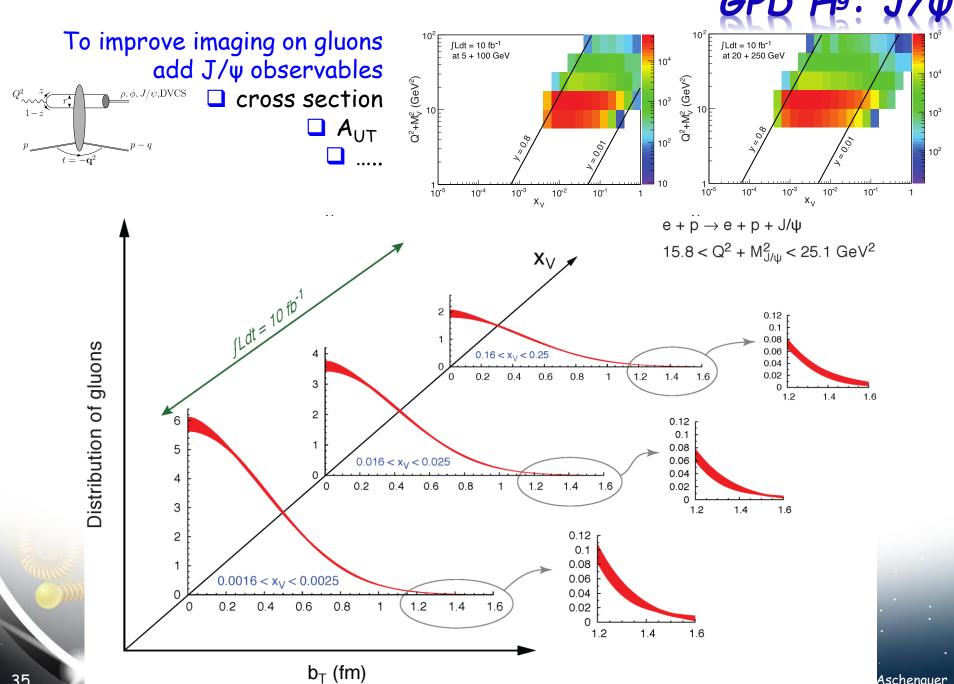
H. Mäntysaari & B. Schenke arXiv:1607.01711

In a hydro-picture (used in AA) fluctuations in the proton are crucial to understand the seen pA@LHC behaviors

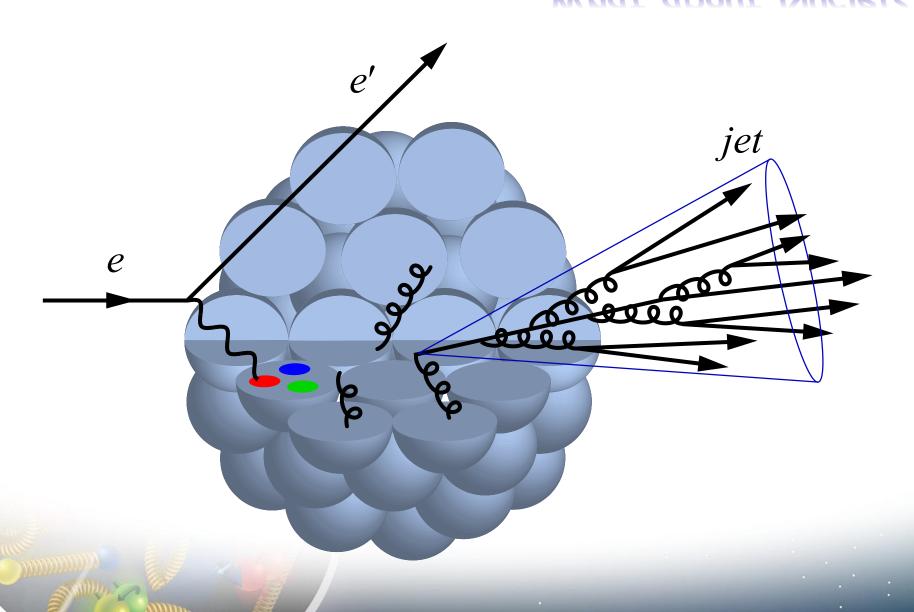
Examples of proton density profiles at  $x \sim 10^{-3}$ 



EIC can map out
the spatial quark
and gluon
structure of the
proton in x and
Q<sup>2</sup>

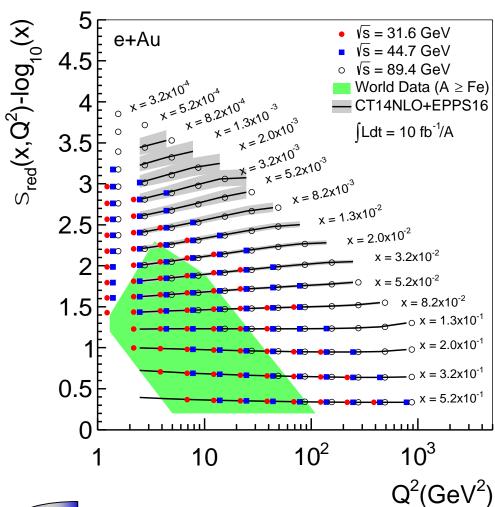


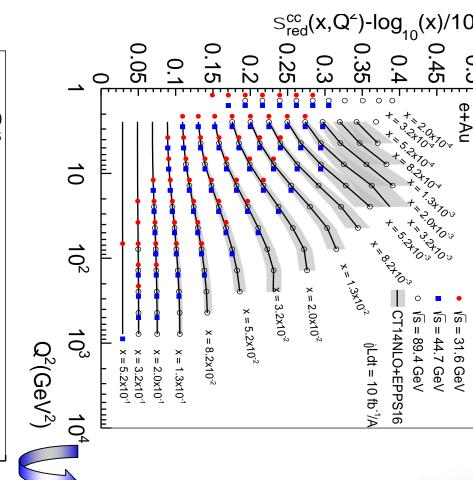
# What about Nuclei?



# Inclusive Cross-Sections in eA





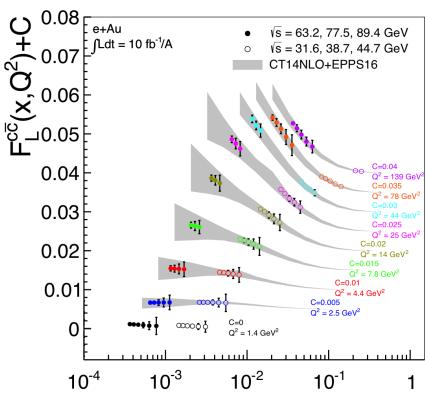


Direct Access to gluons at medium to high x by tagging photon-gluon fusion through charm events

Gluon distribution  $\sim d\sigma(x,Q^2)/dlnQ^2$ 

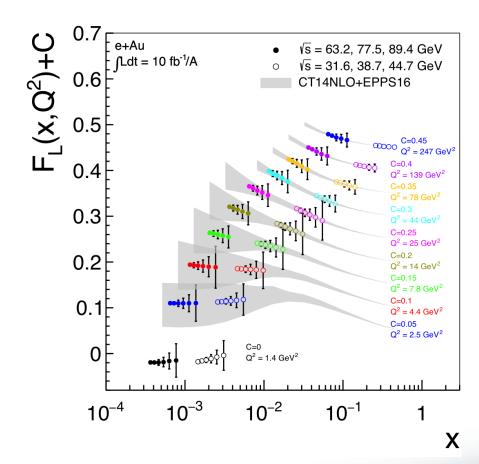
# Direct Access to Gluons in eA

For Details: arXiv:1708.05654

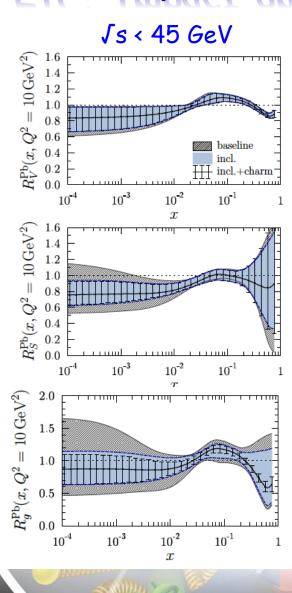


Direct Access to gluons at medium to high x by tagging photon-gluon fusion through charm events

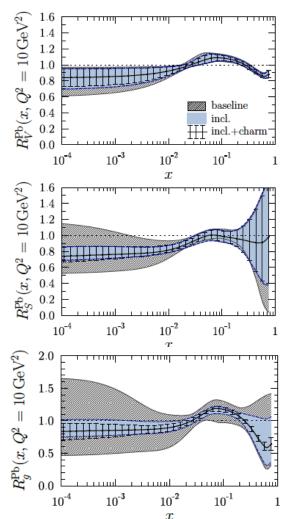
high precision  $F_L^{charm}$  will offer an opportunity to benchmark different GM-VFNS schemes with an unprecedented precision.



# EIC: Impact on the Knowledge of 1D Nuclear PDFs



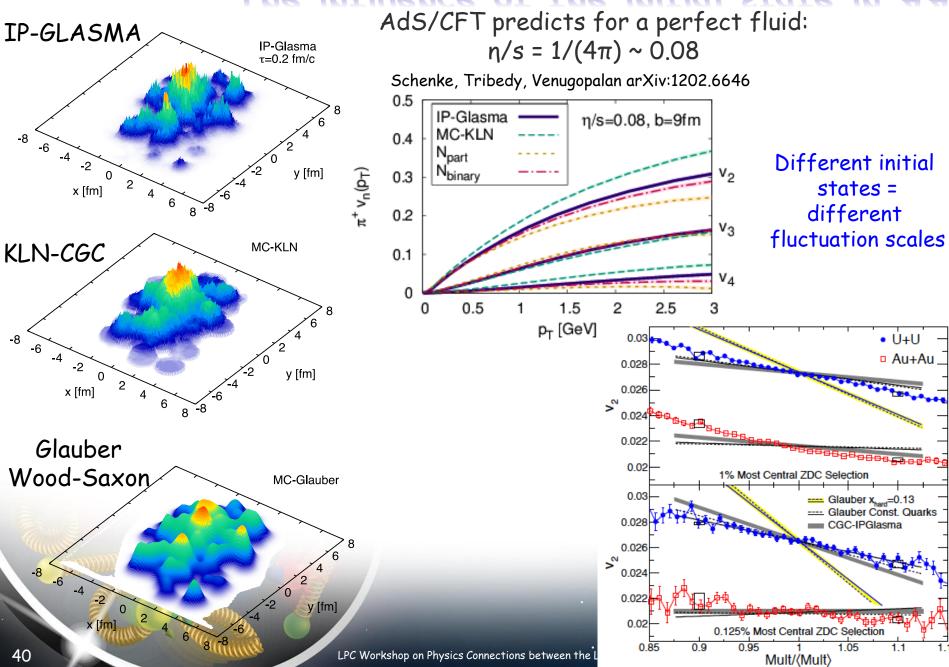
#### √s < 90 GeV



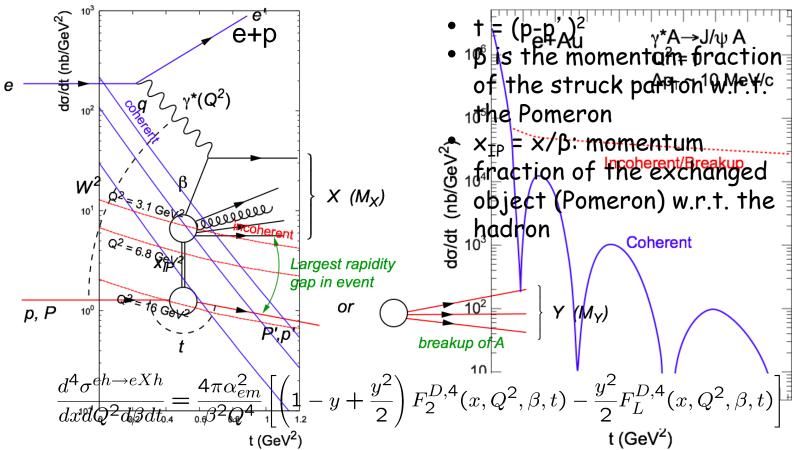
#### Ratio of PDF of Pb over Proton

- Without EIC, large uncertainties
  - → With EIC significantly reduced uncertainties
- Complementary to RHIC and LHC pA data. Provides information on initial state for heavy ion collisions.
- Does the nucleus behave like a proton at low-x?
  - → relevant to very high-energy cosmic ray studies
  - → critical input to AA
- □ submitted to PRD arXiv:1708.05654

# The influence of the initial state in AA



# Diffraction in DIS at Small x



#### Diffraction in e+p:

- $\triangleright$  coherent  $\Leftrightarrow$  p intact
- incoherent ⇔ breakup of p
- HERA: 15% of all events are hard diffractive

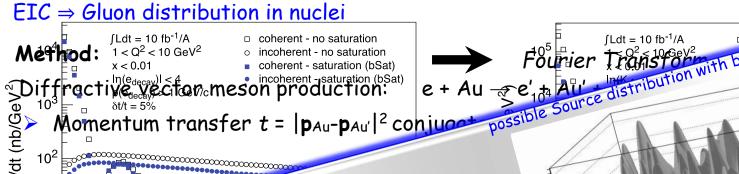
#### Diffraction in e+A:

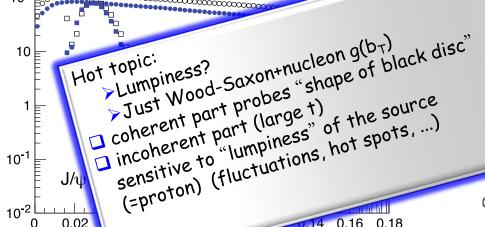
- > coherent diffraction (nuclei intact)
- breakup into nucleons (nucleons intact)
- incoherent diffraction
- Predictions: σ<sub>diff</sub>/σ<sub>tot</sub> in e+A ~25-40%

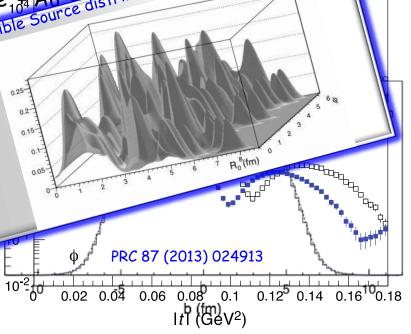
## eRHIC: Spatial Gluon Distribution from d //dt

Diffracti Meascuramant of patrodyset (parotons) edicatoribus'i on Ain' neut laji, o, o

Ongoing: Measurement of neutron distribution in nuclei







- Converges to input F(b) rapidly: |t| < 0.1 almost enough
- Recover tacdiffortely verpanted introduction was deing to be used to generate pseudodato (seeset Wood-Souxon) ion effects, smaller J/w shows no effect

0.18

0.16

Systempartnethyweited to exit rest source distribution

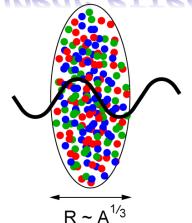
# Studying non-linear effects

#### Scattering of electrons off nuclei:

- Probes interact over distances  $L \sim (2m_N x)^{-1}$
- □ For  $L > 2 R_A \sim A^{1/3}$  probe cannot distinguish between nucleons in front or back of nucleon
- Probe interacts coherently with all nucleons

$$Q_s^2 \sim \frac{\alpha_s x G(x, Q_s^2)}{\pi R_A^2}$$

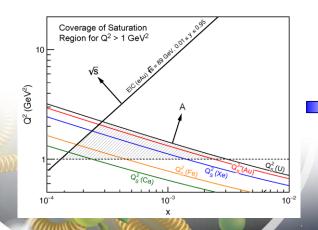
 $Q_s^2 \sim \frac{\alpha_s x G(x, Q_s^2)}{\pi R_s^2}$  HERA:  $xG \sim \frac{1}{x^{0.3}}$  A dependence:  $xG_A \sim A$ 



Nuclear "Oomph" Factor Pocket Formula:  $(Q_s^A)^2 \approx cQ_0^2 \left(\frac{A}{x}\right)^2$ 

$$(Q_s^A)^2 \approx cQ_0^2 \left(\frac{A}{x}\right)^{1/3}$$

Enhancement of  $Q_S$  with  $A \Rightarrow$  non-linear QCD regime can be reached at significantly lower energy in A than in proton

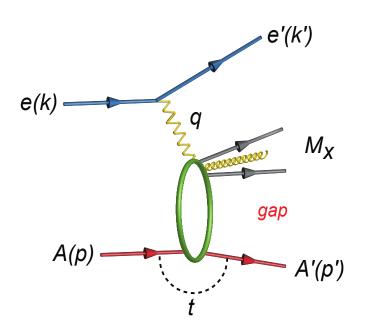


Tagging centrality in eA collision will be important

- → stringent cut on centrality ~ 1%
  - → effective energy boost by ~3
  - → effective increase of A
- $\rightarrow$  utilized in p/dA and AA all the time

# Key Observables for Saturation

## Diffraction:

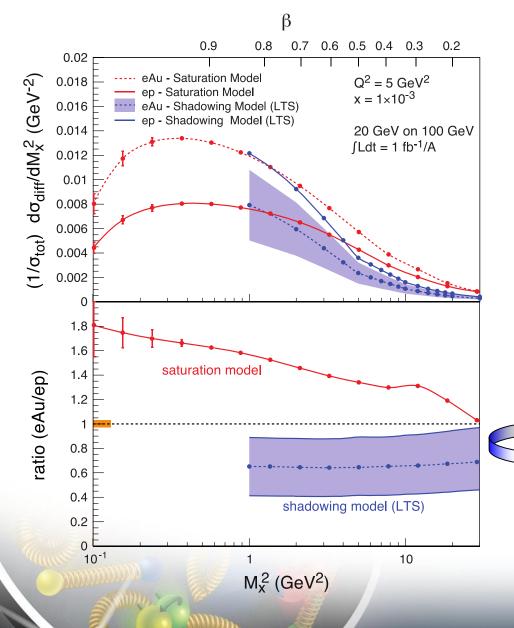


Diffractive events are indicative of a color neutral exchange between the virtual photon and the proton or nucleus over several units in rapidity.

 $M_{\rm X}^2$ : Squared mass is the diffractive final state

 $x_{\text{IP}}$ : Momentum fraction of the "Pomeron" with respect to the hadron. The rapidity gap between produced particles and the proton or nucleus is  $Y \sim \ln(1/x_{\text{IP}})$ 

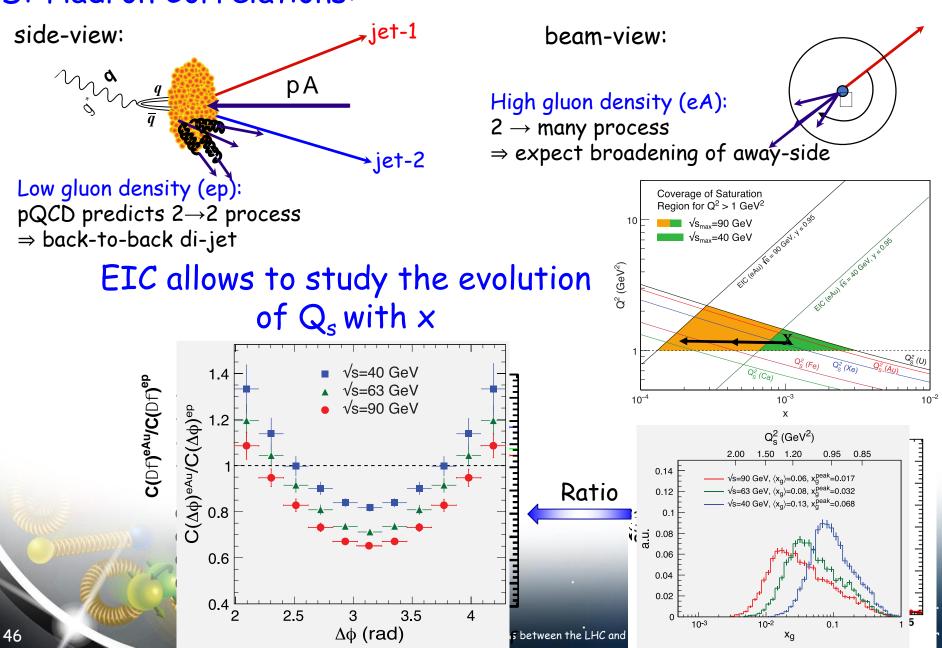
# Inclusive Diffraction

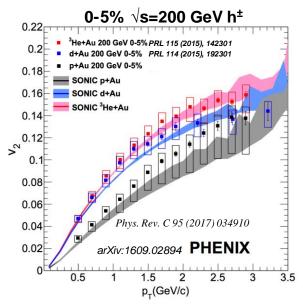


- ☐ HERA observed: ~14% of all events are diffractive
- Saturation models (CGC) predict up to odiff/otot ~25% in eA
- Ratio enhanced for small MX and suppressed for large MX
- Standard QCD predicts no MX dependence and a moderate suppression due to shadowing.
  - It would be nice to have equally rigorous extraction of diffractive PDF as the "std. PDFs"
  - both for proton and nuclei

# Key Observables for Saturation

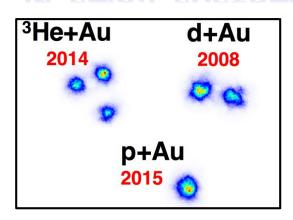
### Di-Hadron Correlations:



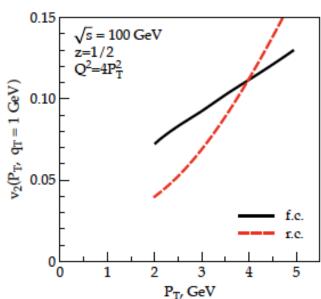


# TMDs and "QGP" in small

Collective flow signatures seen even in the smallest systems and at RHIC energies



TMD formalism in DIS predicts a distribution for linearly polarized gluons in an unpolarized target. This is reflected in  $cos(2\phi)$  asymmetries in dijet production



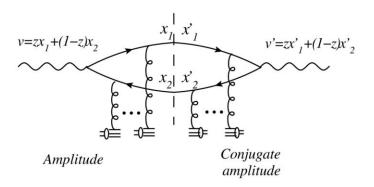
Study azimuthal anisotropy as a function of the rapidity dis-balance of the jets

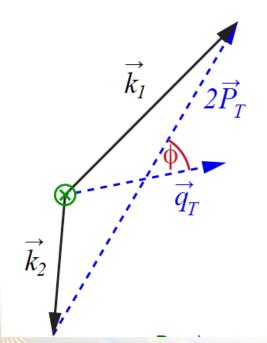
→ Process sensitive to unpolarized and linearly polarized gluon distribution

$$xG_{ww}^{ij} = \frac{1}{2}\delta^{ij}xG^{(1)} - \frac{1}{2}\left(\delta^{ij} - \frac{2k^{i}k^{j}}{k^{2}}\right)xh_{\perp}^{(1)}$$

- A. Metz and J. Zhou, Phys. Rev. D84, 051503 (2011), arXiv:1105.1991
- D. Boer, P. J. Mulders, and C. Pisano, Phys. Rev. D80, 094017 (2009), arXiv:0909.4652
- D. Boer, S. J. Brodsky, P. J. Mulders, and C. Pisano, Phys. Rev. Lett. 106, 132001 (2011), arXiv:1011.4225.
- F. Dominguez, J.-W. Qiu, B.-W. Xiao, and F. Yuan, Phys. Rev. D85, 045003 (2012), arXiv:1109.6293.
- A. Dumitru, L. McLerran, and V. Skokov, Phys. Lett. B743, 134 (2015), arXiv:1410.4844.
- A. Dumitru and V. Skokov, Phys. Rev. D91, 074006 (2015), arXiv:1411.6630.
- A. Dumitru, T. Lappi, and V. Skokov, Phys. Rev. Lett. 115, 252301 (2015), arXiv:1508.04438. LPC Workshop on Physics Cornections between the UriC and EI605.02739

# Kinematics: Di-jets in x\*A





Key observables:  $P_T$  and  $q_T$ 

□ the difference in momenta (imbalance)

$$\overrightarrow{q_T} = \overrightarrow{k_1} + \overrightarrow{k_2}$$

the average transverse momentum of the jets

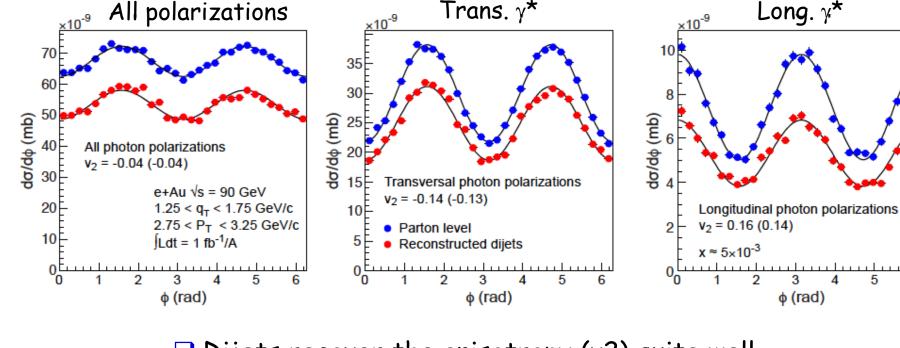
$$\overrightarrow{P_T} = (1-z)\overrightarrow{k_1} - z\overrightarrow{k_2}$$

- $\square$   $\Phi$  is angle between  $P_T$  and  $q_T$
- $\square$  work in "correlation limit"  $P_T >> q_T$
- azimuthal asymmetry arising from the linearly polarized gluon distribution:

$$v_2 = \langle \cos 2\Phi \rangle$$

## Elliptic Anisotropy in Di-Jet Production

Dipartons from McDijet event generator (V. Skokov)  $\rightarrow$  showers via Pythia  $\rightarrow$  experimental cuts  $\rightarrow$  jet-finding with ee-kt (FastJet)



- □ Dijets recover the anisotropy (v2) quite well
- □ NOTE: phase shift between long. and trans. y\*

Ansatz for Gluon TMDs:

$$v_2^L = \frac{1}{2} \frac{h_{\perp}^{(1)}(x, q_{\perp})}{G^{(1)}(x, q_{\perp})} \quad , \quad v_2^T = -\frac{\epsilon_f^2 P_{\perp}^2}{\epsilon_f^4 + P_{\perp}^4} \frac{h_{\perp}^{(1)}(x, q_{\perp})}{G^{(1)}(x, q_{\perp})}$$



# Let's get to work and built EIC





#### Proposal to DFG:

"Next Generation Perturbative QCD for Hadron Structure: Preparing for the Electron-Ion Collider"

Fully approved, started October 2019

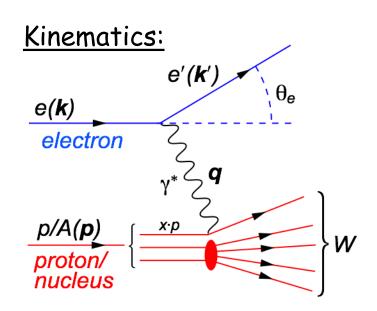
#### Work packages:

- QCD evolution at one percent precision
- > Parton distributions and fragmentation functions
- Multiparton interactions and higher-twist effects
- Theoretical and experimental interplay to optimize the EIC design
- > Semi-inclusive reactions from low to high pT





# Deep Inelastic Scattering



#### Deep Inelastic Scattering (DIS):

- As a probe, electron beams provide unmatched precision of the electromagnetic interaction
- Direct, model independent determination of parton kinematics of physics processes through scattered lepton

# $Q^2 = 2E_e E_2' (1 - \cos \theta_{e'}) = -q^2$

$$y=1-\frac{E'_e}{E_e}\cos^2\left(\frac{\theta'_e}{2}\right)$$
  $x=\frac{Q^2}{2pq}$ 

Measure of inelasticity

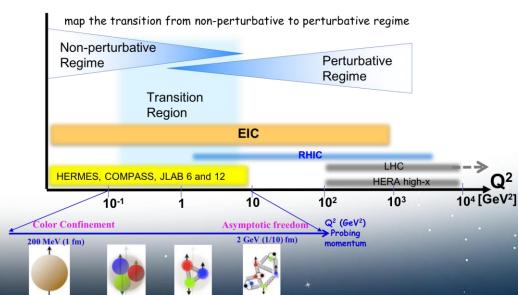
Measure of momentum fraction of struck quark

Measure of resolution power

$$\sqrt{s} = 2\sqrt{E_e E_p}$$

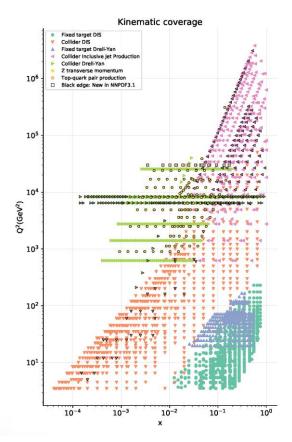
center-of-mass energy of electron-hadron system



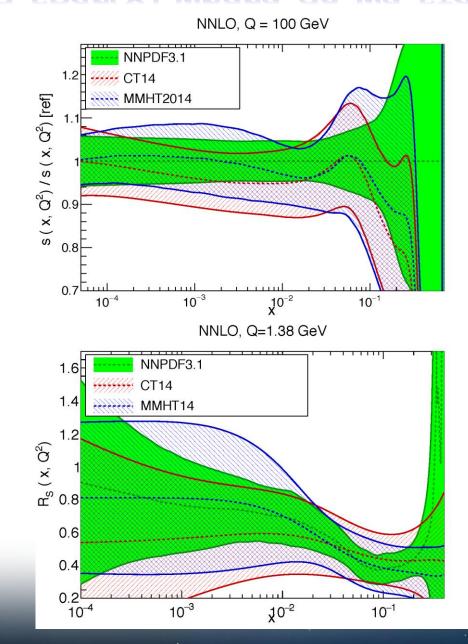


# s(x) and sbar(x) where do we stand?

#### NNPDF 3.1 arXiv:1706.00428



$$r_s(x,Q^2) = \frac{s(x,Q^2) + \bar{s}(x,Q^2)}{\bar{d}(x,Q^2) + \bar{u}(x,Q^2)}.$$



# Observables: Charge Current in ep and eA

#### Just some of the physics opportunities:

#### polarized ep/en:

- test models based on helicity retention  $\Delta d/d \rightarrow 1$  (Phys.Rev.Lett. 99 (2007) 082001)
- precision test models assuming charge symmetry violation
- precision test handiness of Ws
- $\Box$  tag charm in coincidence with CC event  $\rightarrow \Delta s$

#### unpolarized ep/en:

- $\square$  impact on PDFs  $\rightarrow$  high  $\times$  quark PDFs
  - $\rightarrow$  tag charm in coincidence of CC event  $\rightarrow$  s
- $lue{}$  precision constrain on light quark weak neutral current couplings  $a_u$ ,  $v_u$ ,  $a_d$   $v_d$

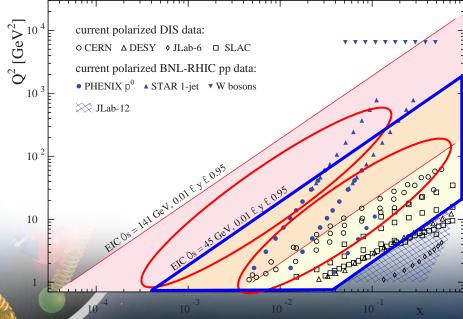
#### unpolarized eA:

- ☐ Test Models for the EMC-effect
  - charge symmetry violation
  - Isovector EMC effect (Cloet, Bentz, Thomas et. al., PRL 102 252301)

# How to access Gluons in DIS

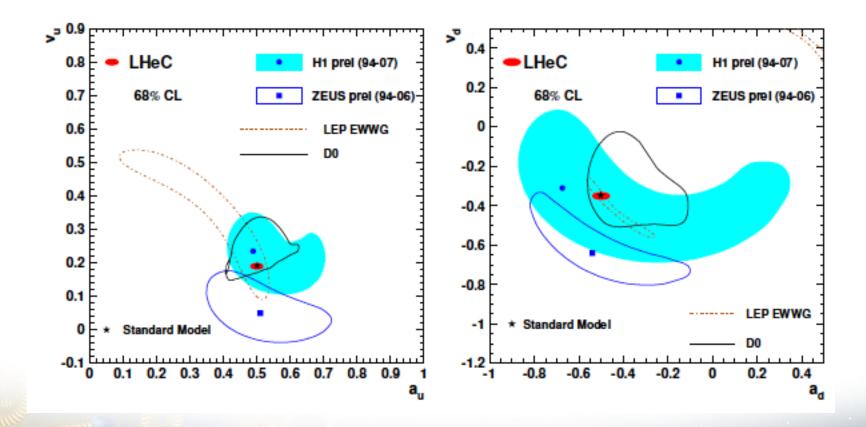
#### Several different complementary channels to access gluons

		Photon Gluon Fusion	
Scaling Violation	FL	Di-jets	Charm
all x-Q <sup>2</sup> × <sub>g</sub> = × <sub>Bj</sub>	only accessible if y is large $x_g = x_{Bj}$	wide coverage in $x_{Bj}$ - $Q^2$ $x_g$ = $x_{Bj}$ (1+ $M^2$ / $Q^2$ ) > $x_{Bj}$	same coverage in × <sub>Bj</sub> -Q² as incl. F <sub>2</sub> × <sub>g</sub> ≳× <sub>Bj</sub>
only limited by detector acceptance detector acceptance	need several beam energies	need a wide acceptance detector	needs excellent m- vertex detector and particle ID



# What can an EIC Do?

Should study what NC and CC cross sections at EIC can tell us on the vector and axial-vector weak neutral current couplings



# PDFs: flavor separation from SIDIS@EIC

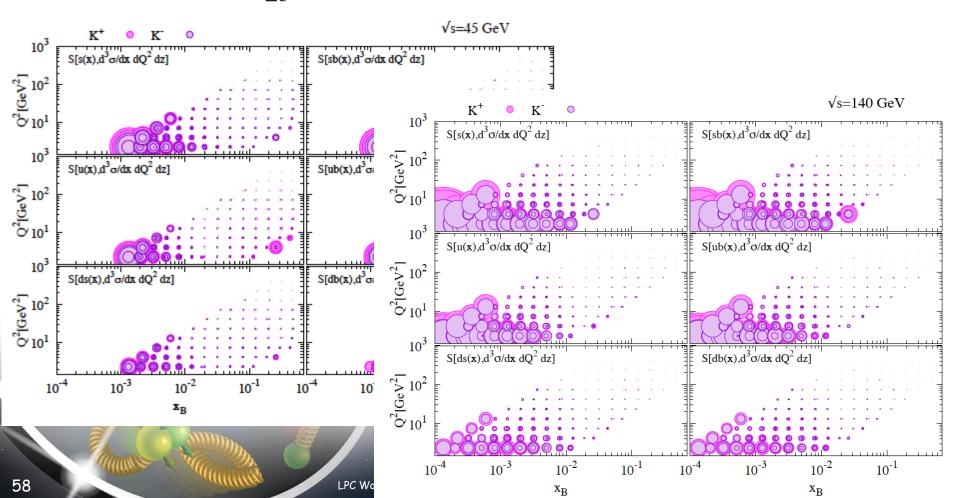
# Use reweighting method to define EIC SIDIS data impact on collinear unpolarized PDFs and Fragmentation functions

Correlation factor of observable o to a flavor i

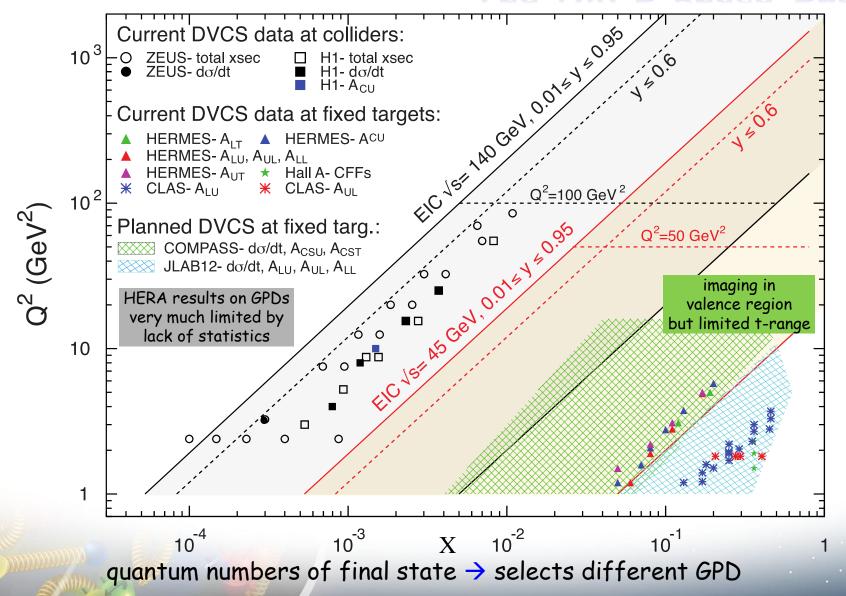
$$\rho\left[f_{i},\mathcal{O}\right] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\Delta\mathcal{O}\Delta f_{i}}\,, \quad \frac{\text{uncertainties}}{\sup} \quad S[f_{i},\mathcal{O}] = \frac{\langle\mathcal{O}\cdot f_{i}\rangle - \langle\mathcal{O}\rangle\langle f_{i}\rangle}{\xi\,\Delta\mathcal{O}\Delta f_{i}}\,, \quad \frac{\delta\mathcal{O}}{\delta\mathcal{O}}$$

δ0 : exp. uncertainty
Observable

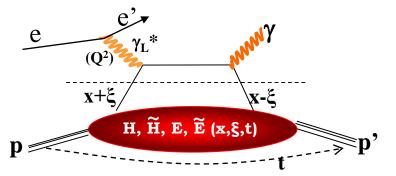
A PDF in Observable



# The DVCS Phase Space



 $(CS: wide range of observables (<math>\sigma$ ,  $A_{UT}$ ,  $A_{LU}$ ,  $A_{UL}$ ,  $A_{C}$ ) to disentangle GPDs



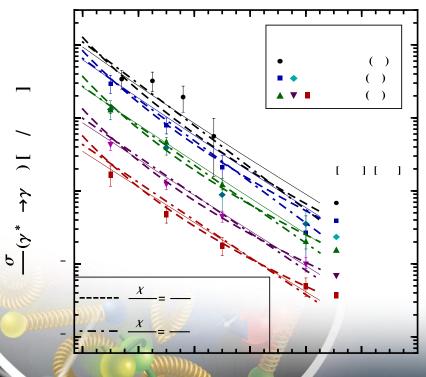
# DVCS at eRHIC

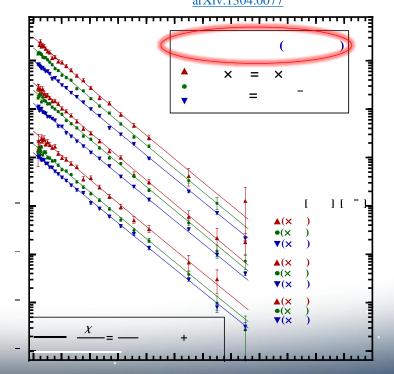
DVCS: Golden channel theoretically clean wide range of observables  $(\sigma, A_{UT}, A_{LU}, A_{UL}, A_{C})$  to disentangle different GPDs



# DVCS data at end of HERA

D. Mueller, K. Kumericki S. Fazio, and ECA arXiv:1304.0077





# DVCS Asymmetries

$$\int d\sigma \sim \left(\tau_{BH}^* \tau_{DVCS} + \tau_{DVCS}^* \tau_{BH}^*\right) + |\tau_{BH}^*|^2 + |\tau_{DVCS}^*|^2$$

→ different charges: e<sup>+</sup> e<sup>-</sup>:

$$\Delta \sigma_{c} \sim \cos \phi \cdot \text{Re}\{H + \xi H + ...\}$$

→ polarization observables:

$$\Delta \sigma_{LU} \sim \sin \phi \cdot \text{Im}\{H + \xi H + kE\}$$

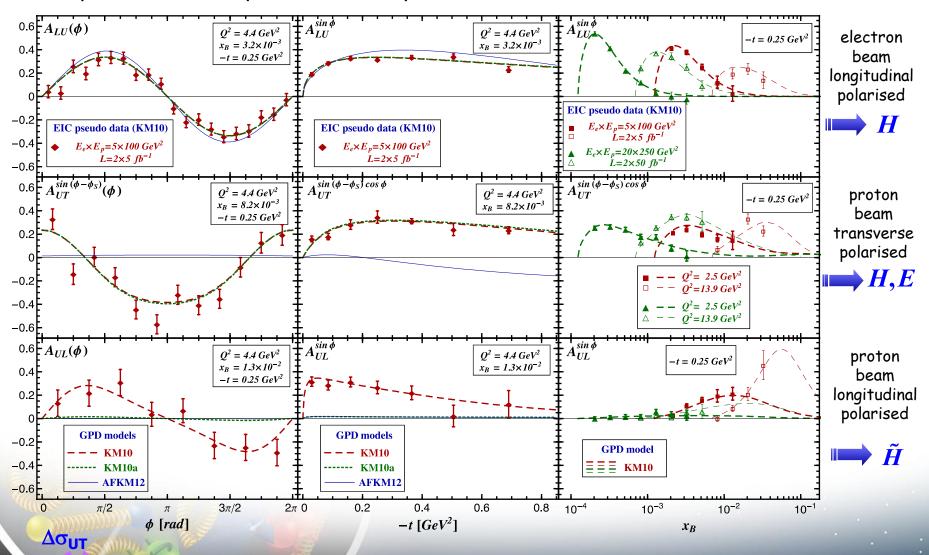
$$\Delta \sigma_{UL} \sim \sin \phi \cdot \text{Im}\{H + \xi H + ...\}$$

$$\Delta \sigma_{UT} \sim \sin \phi \cdot \text{Im} \{ k(H - E) + ... \} \qquad \qquad H, E$$

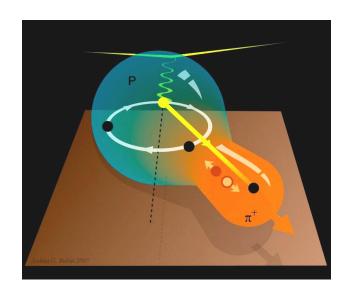
kinematically suppressed

# Disentangle different GPDs

#### Vary electron and proton beam spin directions:

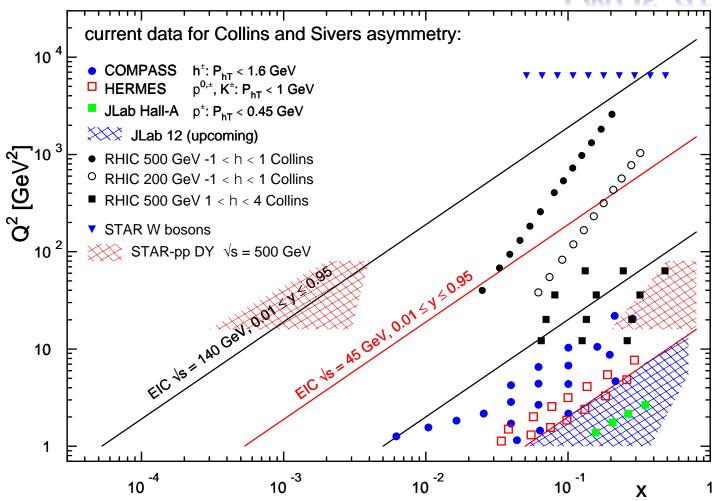


target



## Transverse momentum dependent distributions (TMD)

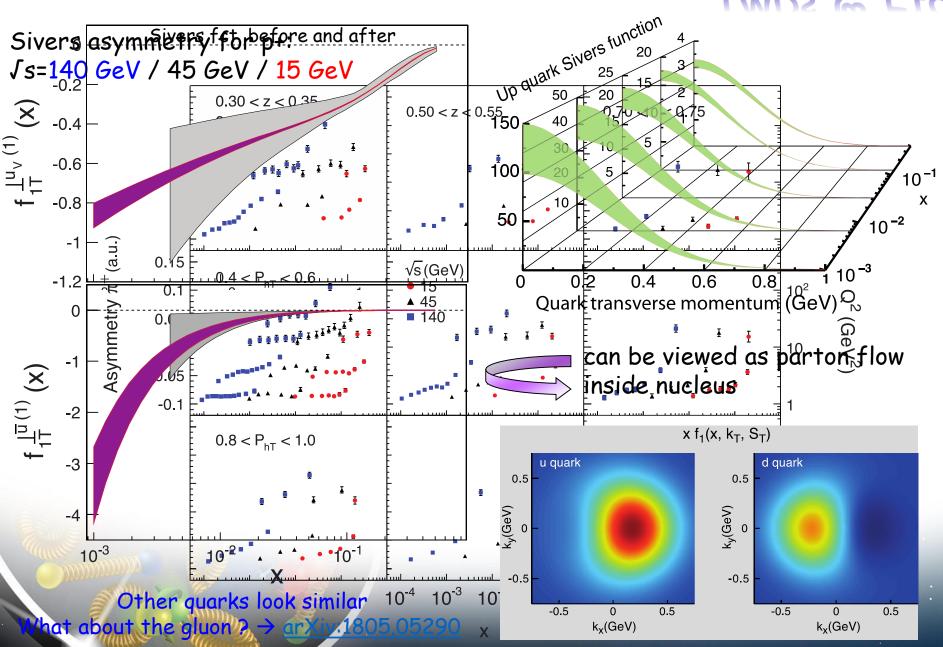
## TMDs at STAR



Before STAR TMDs came only from fixed target data  $\rightarrow$  high x @ low Q<sup>2</sup> needed to establish concept at high Q<sup>2</sup> and wide range in x polarised pp at RHIC

STAR unique kinematics: from high to low x at high Q2

# TMDs @ EIC



# 3d-Imaging of Nuclei

1950-60: Measurement of charge (proton) distribution in nuclei

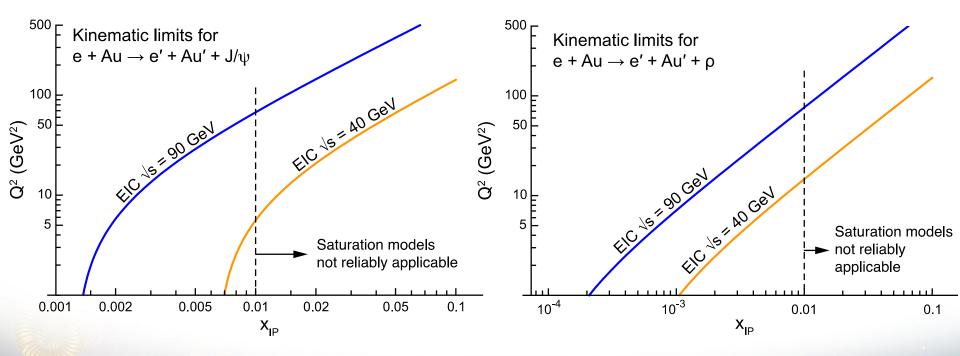
Ongoing: Measurement of neutron distribution in nuclei

 $EIC \Rightarrow$  spatial gluon distribution in nuclei  $\rightarrow$  Saturated or non-saturated?

#### Method:

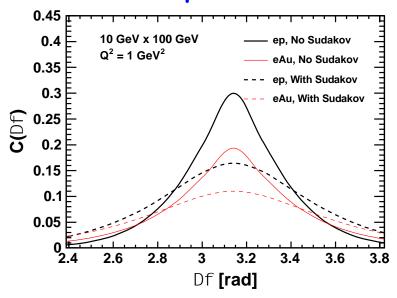
Diffractive vector meson production:  $e + Au \rightarrow e' + Au' + J/\psi$ ,  $\phi$ ,  $\rho$ 

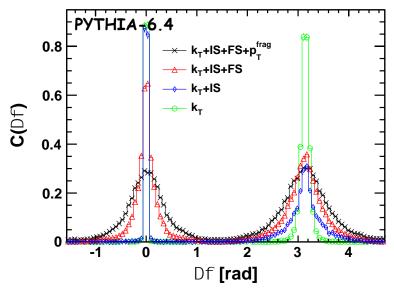
Momentum transfer  $t = |\mathbf{p}_{Au} - \mathbf{p}_{Au'}|^2$  conjugate to  $b_T$ 



# Are other effects important?

#### What is the impact of sudakov factors $\leftarrow \rightarrow$ parton showers?







Sudakov / parton showers have a critical impact

- → how well do we know them in nuclei?
- → can use forward correlation peak to calibrate them

For details on the study: arXiv:1403.2413

