

IS2021



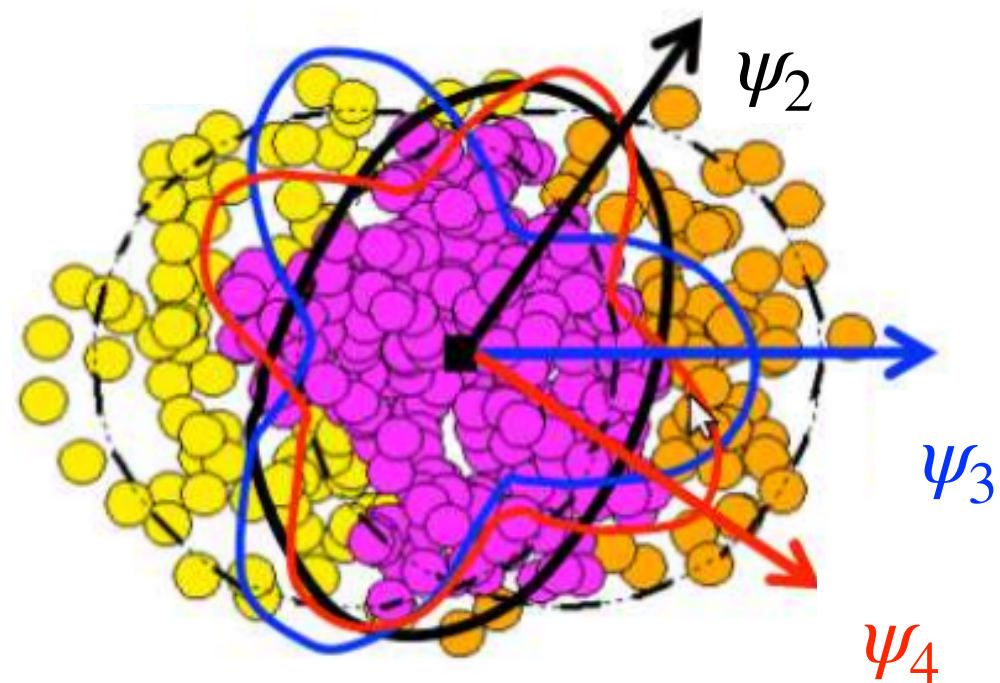
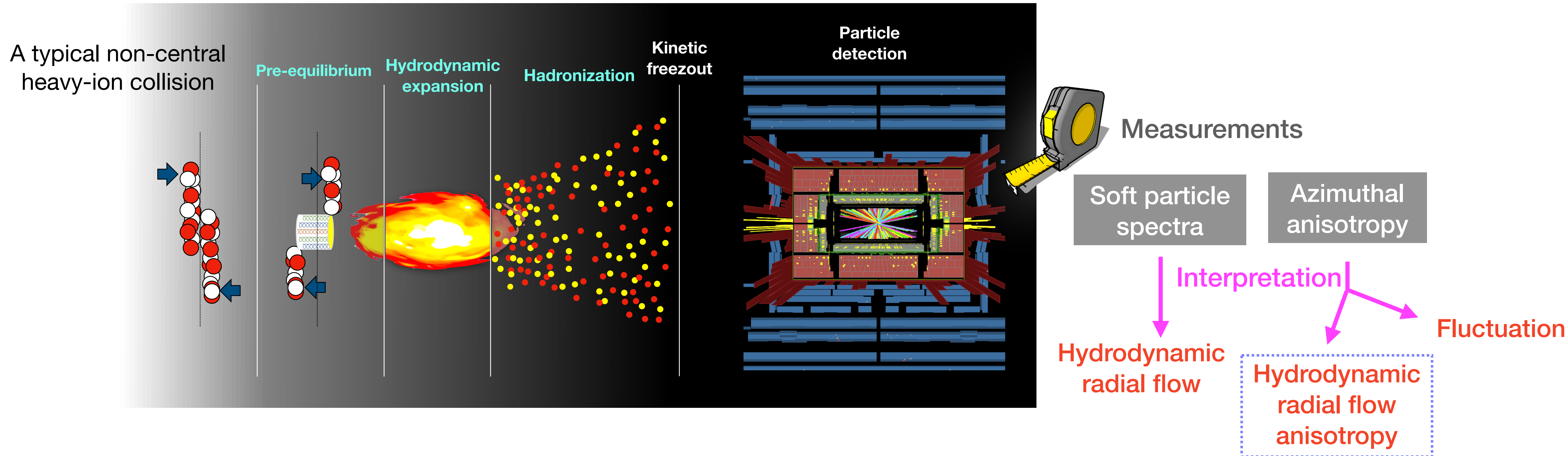
Review of Flow, Non-flow and Decorrelation Observables

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Jan. 12, 2021

Initial Stages 2021, Online

Flow in heavy ion collisions



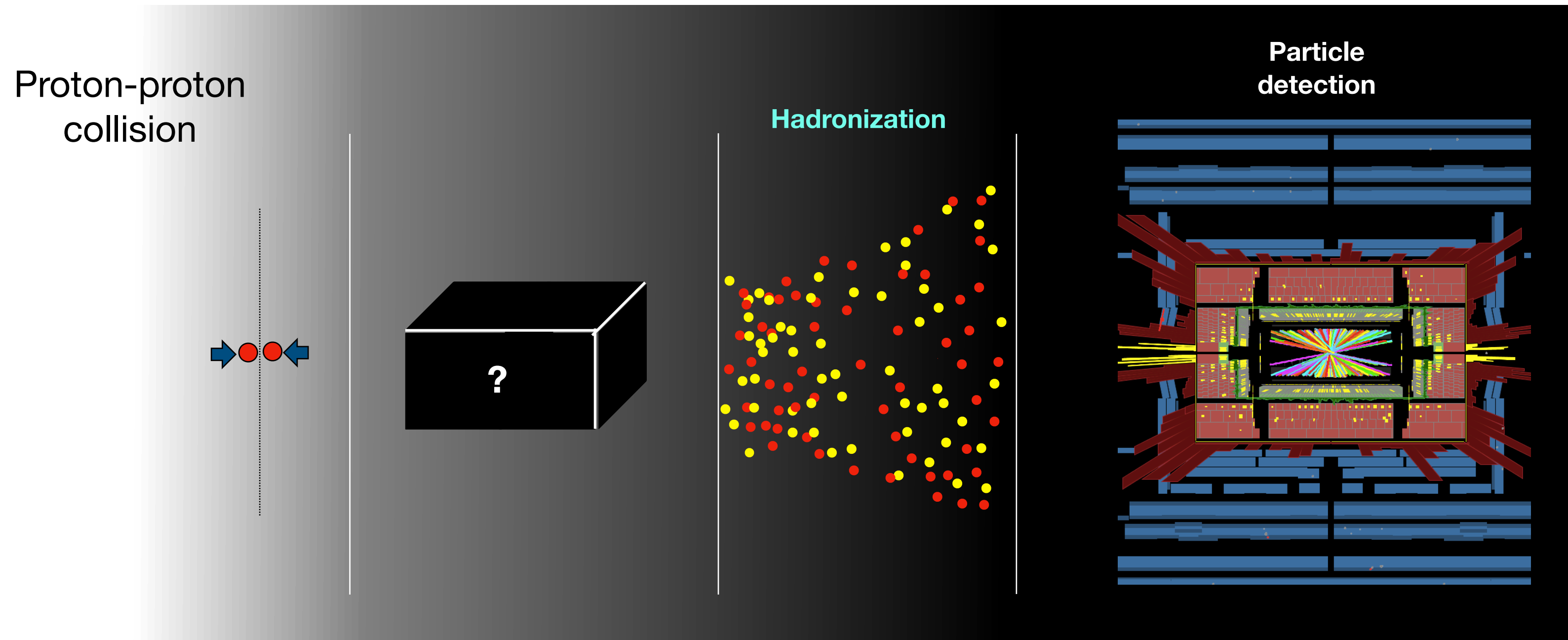
Event geometric orientation

Flow: Final state anisotropy, interpreted as **hydrodynamic flow**, correlated to the entire event orientation

Non-flow: anything else, locally anisotropy caused by multi-particle correlation

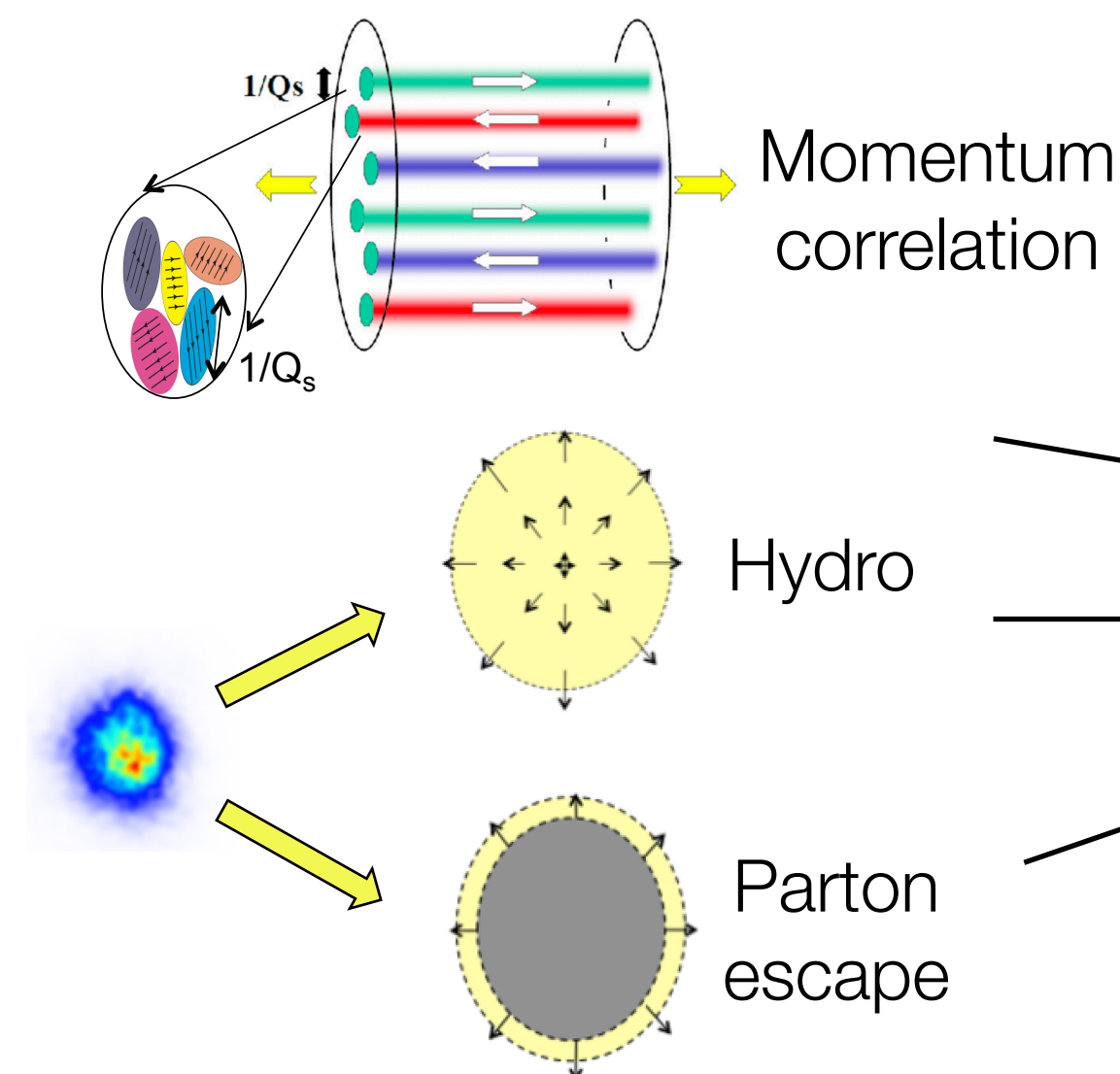
Main focus of this talk:
Hydrodynamic response to **initial state**: spatial and/or momentum anisotropy

Flow in small system



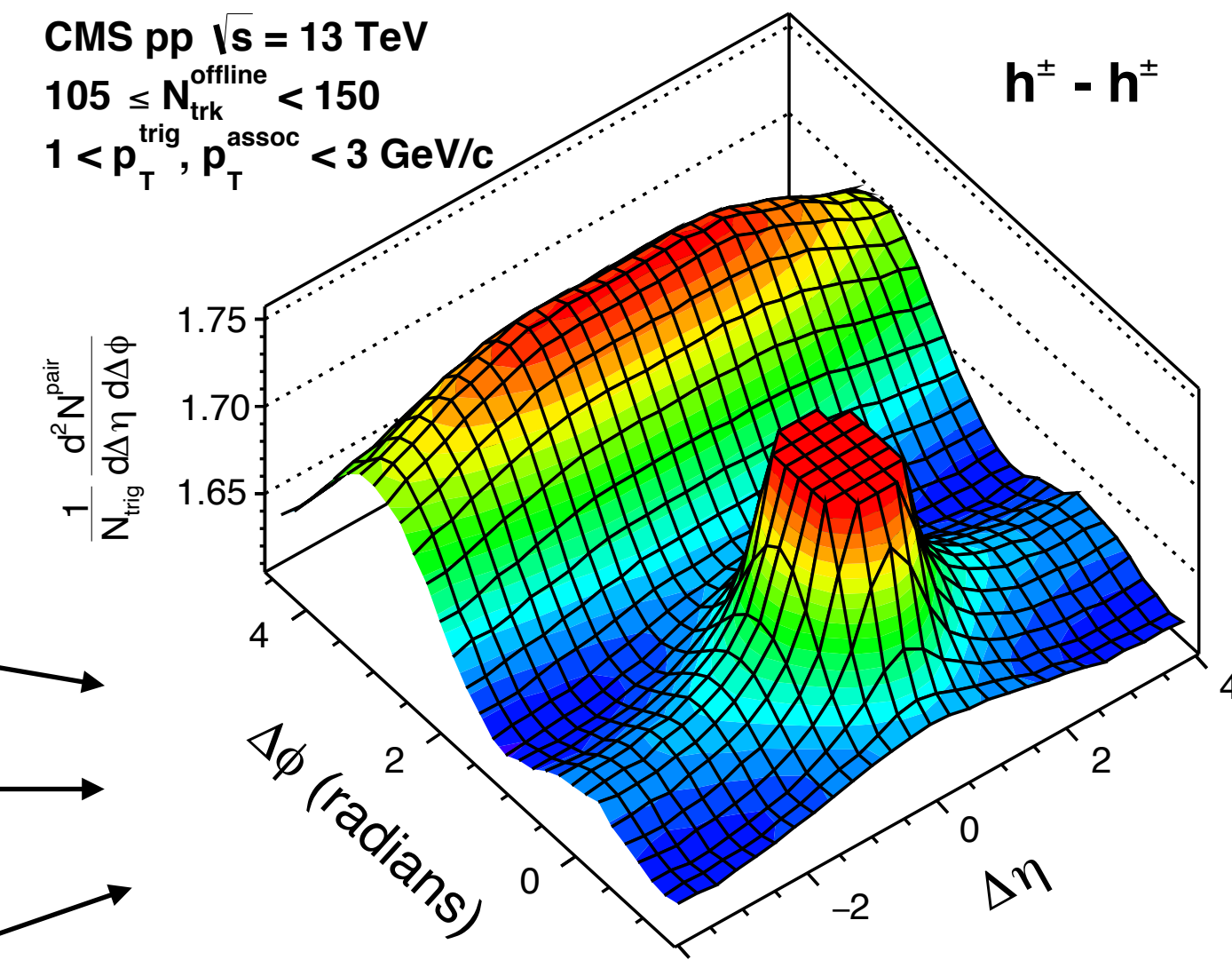
“Flow” = measured anisotropy - **non-flow**

But hydrodynamic flow is not the only Interpretation



Azimuthal anisotropy

CMS pp $\sqrt{s} = 13$ TeV
 $105 \leq N_{\text{trk}}^{\text{offline}} < 150$
 $1 < p_{\text{T}}^{\text{trig}}, p_{\text{T}}^{\text{assoc}} < 3$ GeV/c



Observables — flow magnitude

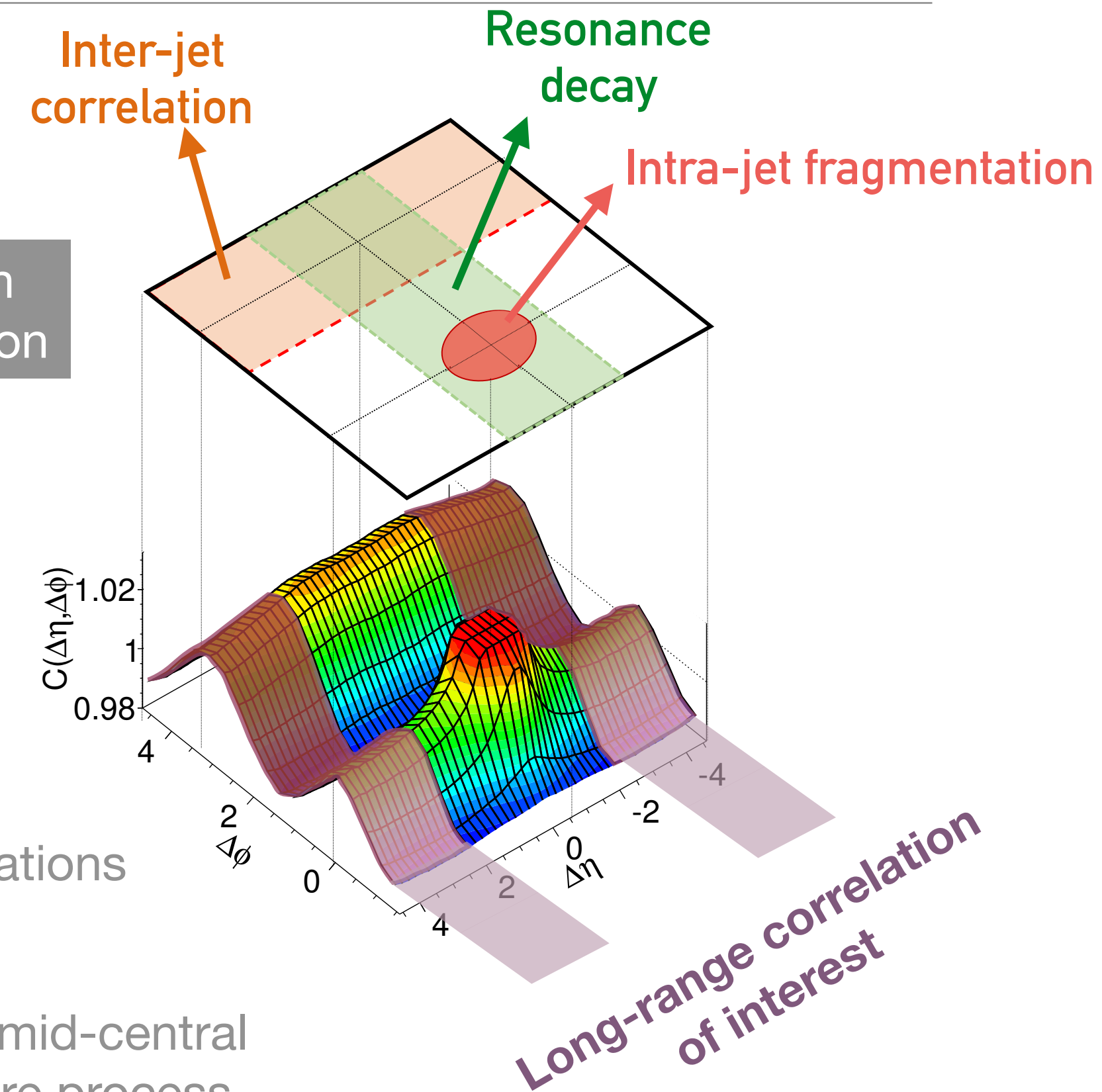
Flow magnitude quantifies Fourier coefficient v_n of azimuthal (φ) anisotropy

$$P(\varphi) \propto 1 + 2 \sum_n v_n \cos(n(\varphi - \Psi_n)) = \sum_{-\infty}^{\infty} V_n e^{-in\varphi}$$

v_n is determined from correlations:

Correlation method	Non-flow Removal	Limitations
Event plane/ Scalar product	η gap (particle, EP) in definition	Jet bias in low multiplicity
Two-particle correlation	η gap + non-flow subtraction	Subtraction sensitive to jet correlation
Multi-particle cumulant	Sub-event method (w/ η gap)	Multi. jet residual; statistics

Non-flow sources in two-particle correlation



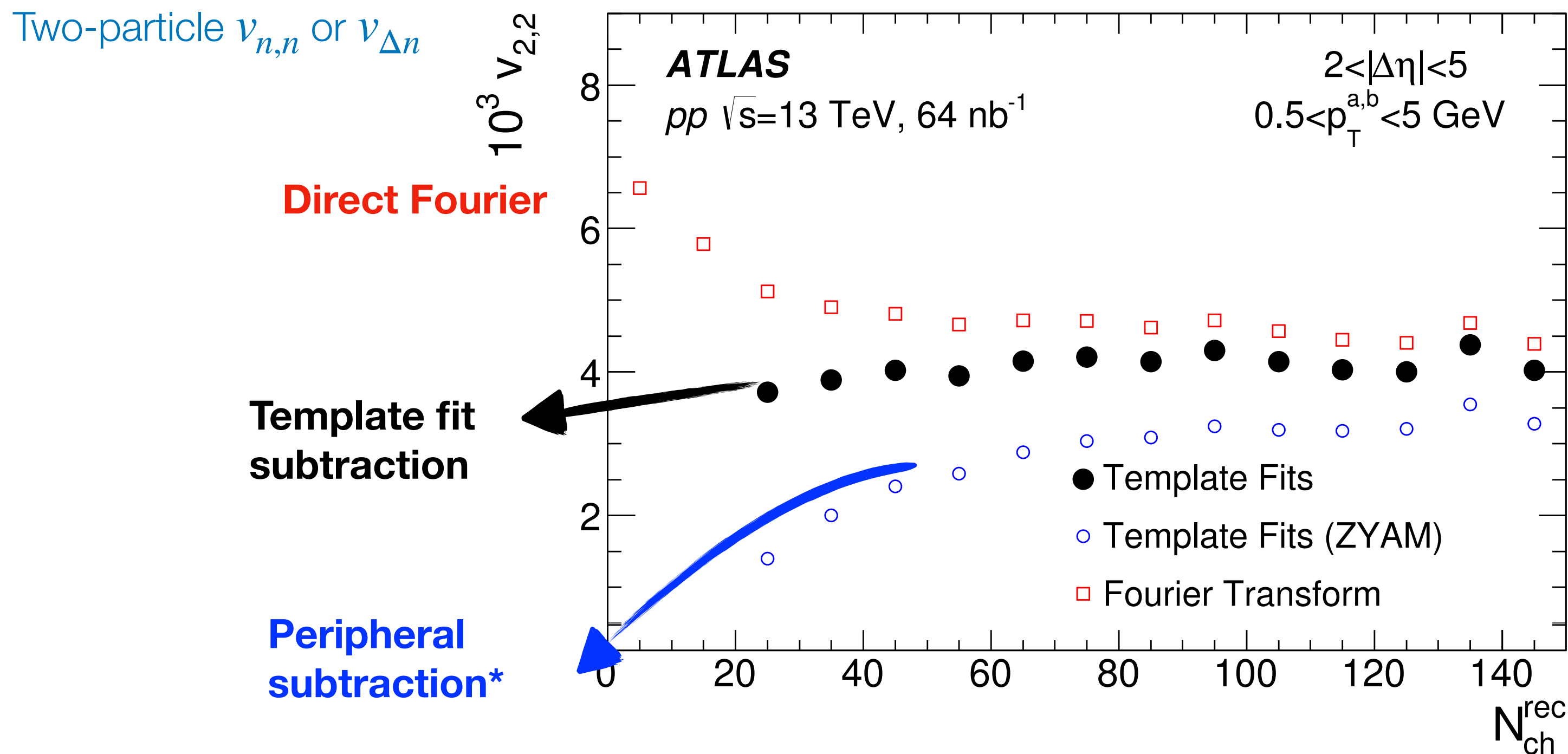
Applications

Central/mid-central A+A, rare process

Small to large with meaningful results

Extreme events (low multiplicity and or high p_T)

Non-flow subtraction in 2PC



Flow-like anisotropy in small system is not necessarily a high multiplicity phenomenon

- Peripheral subtraction: $v_{n,n}(N_{ch} = 0) \sim 0$
- Template fit subtraction: $v_{n,n}(N_{ch} = 0)$ is allowed to be non-zero

Both methods use low multiplicity event to model non-flow at high multiplicity

Non-flow contribution becomes significant at low multiplicity and high p_T

* Template fit with ZYAM yields identical results as peripheral subtraction

Factorization and decorrelation

Correlation of hydrodynamic flow factorizes in an ideal world, for two-particle correlation:

$$v_{n,n}(a, b) = v_n(a) \cdot v_n(b)$$

$$r_n(p_T^a - p_T^b) = \frac{v_{n,n}(p_T^a, p_T^b)}{v_n(p_T^a) \cdot v_n(p_T^b)}$$

Quantify relative decorrelation

$$\text{with } \Delta p_T = p_T^a - p_T^b$$

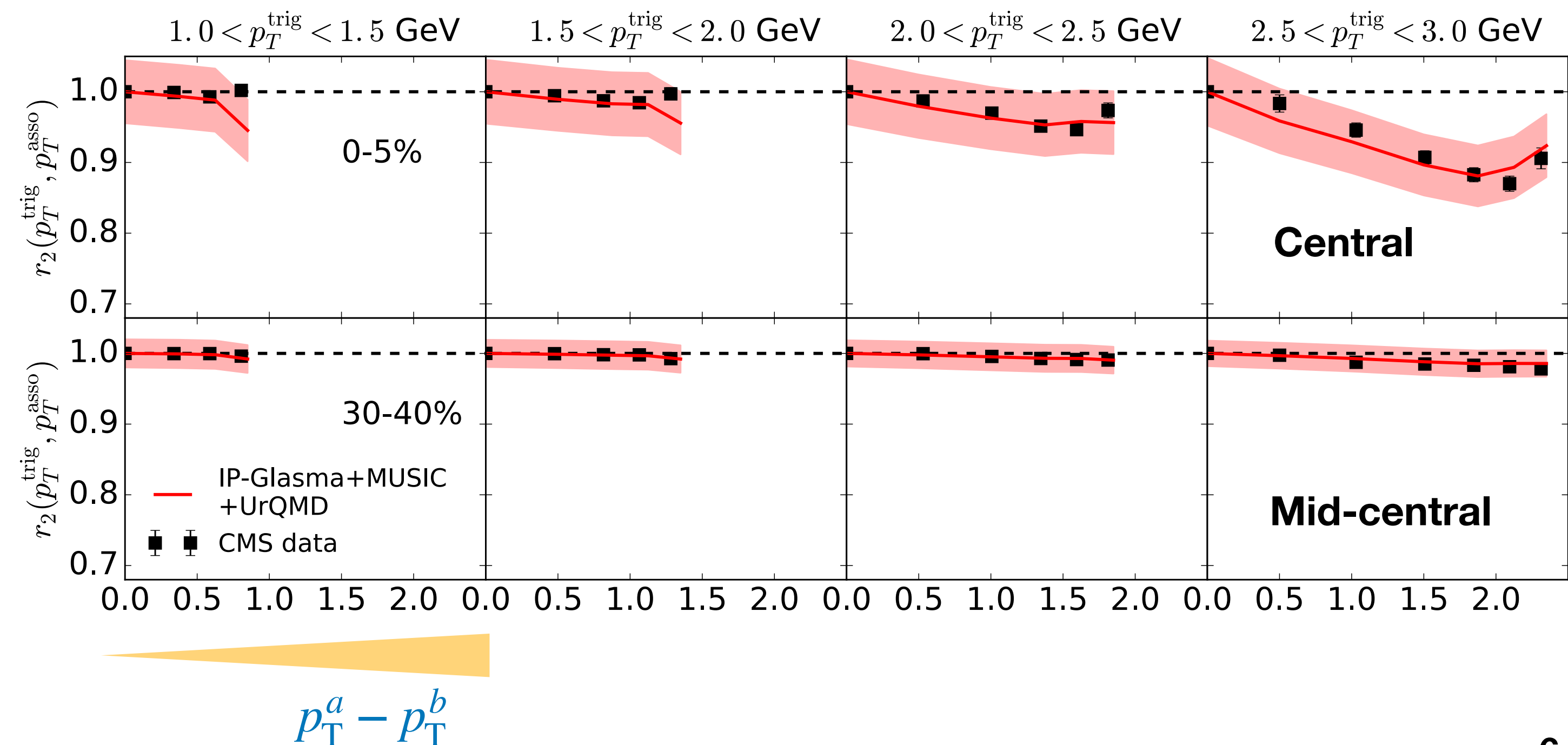
p_T^a

Determination of $v_n(p_T^a, \eta^a)$ is independent of choices of particle b

Breaking of factorization is called **decorrelation**

Decorrelation in p_T :

- Non-flow, pronounced in peripheral/low multiplicity
- Fluctuation of energy density, $\Psi_n(p_T^a) \neq \Psi_n(p_T^b)$, pronounced in central, described by hydro



Longitudinal flow decorrelation

STAR, QM2019

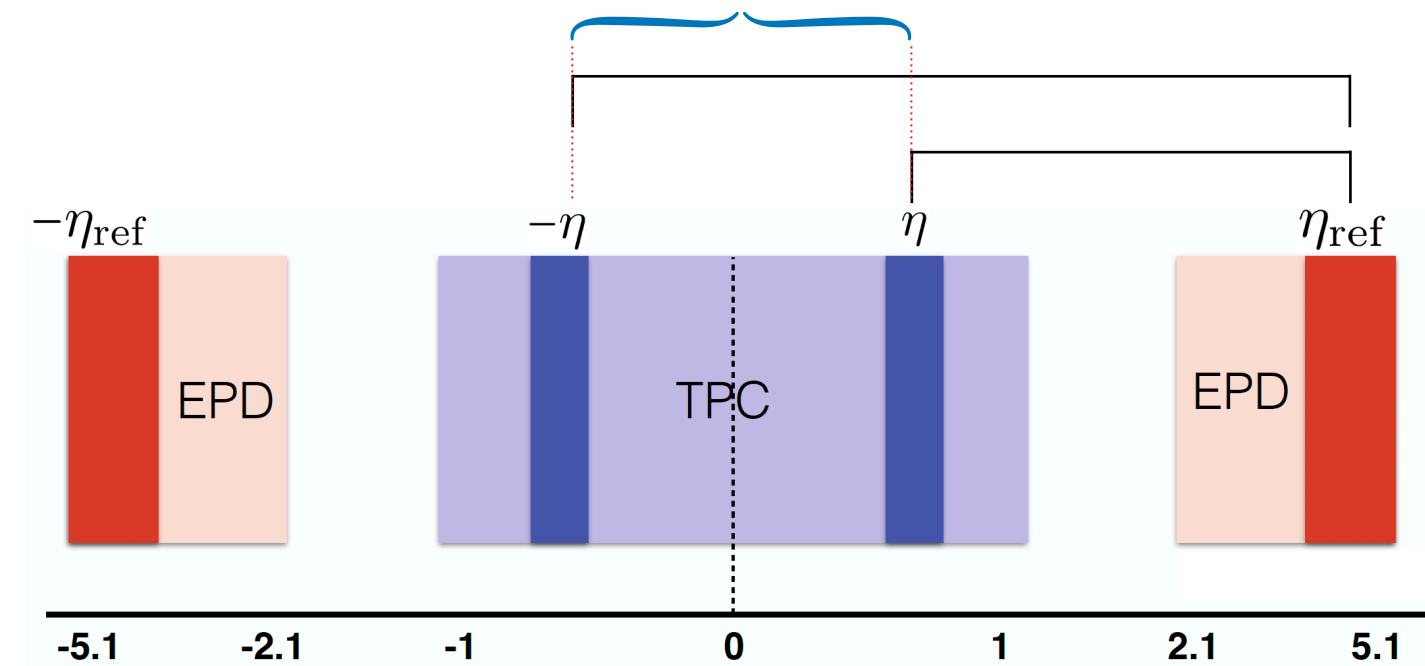
Hydro, L. Pang et al. *Phys. Rev. C* 97 (2018) 064918

Decorrelation in η :

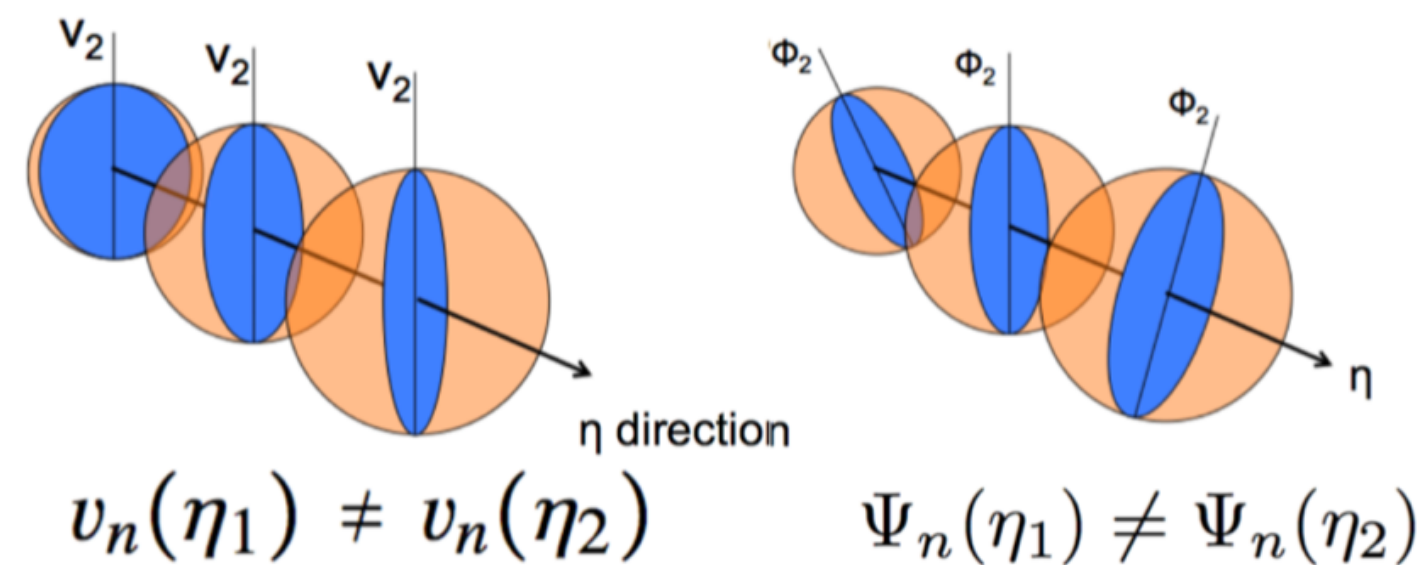
- Non-flow
- Longitudinal initial state fluctuation, longitudinal hydro evolution, described by hydro

$$r_n(\eta) = \frac{v_{n,n}(-\eta, \eta^{\text{ref}})}{v_{n,n}(+\eta, \eta^{\text{ref}})}$$

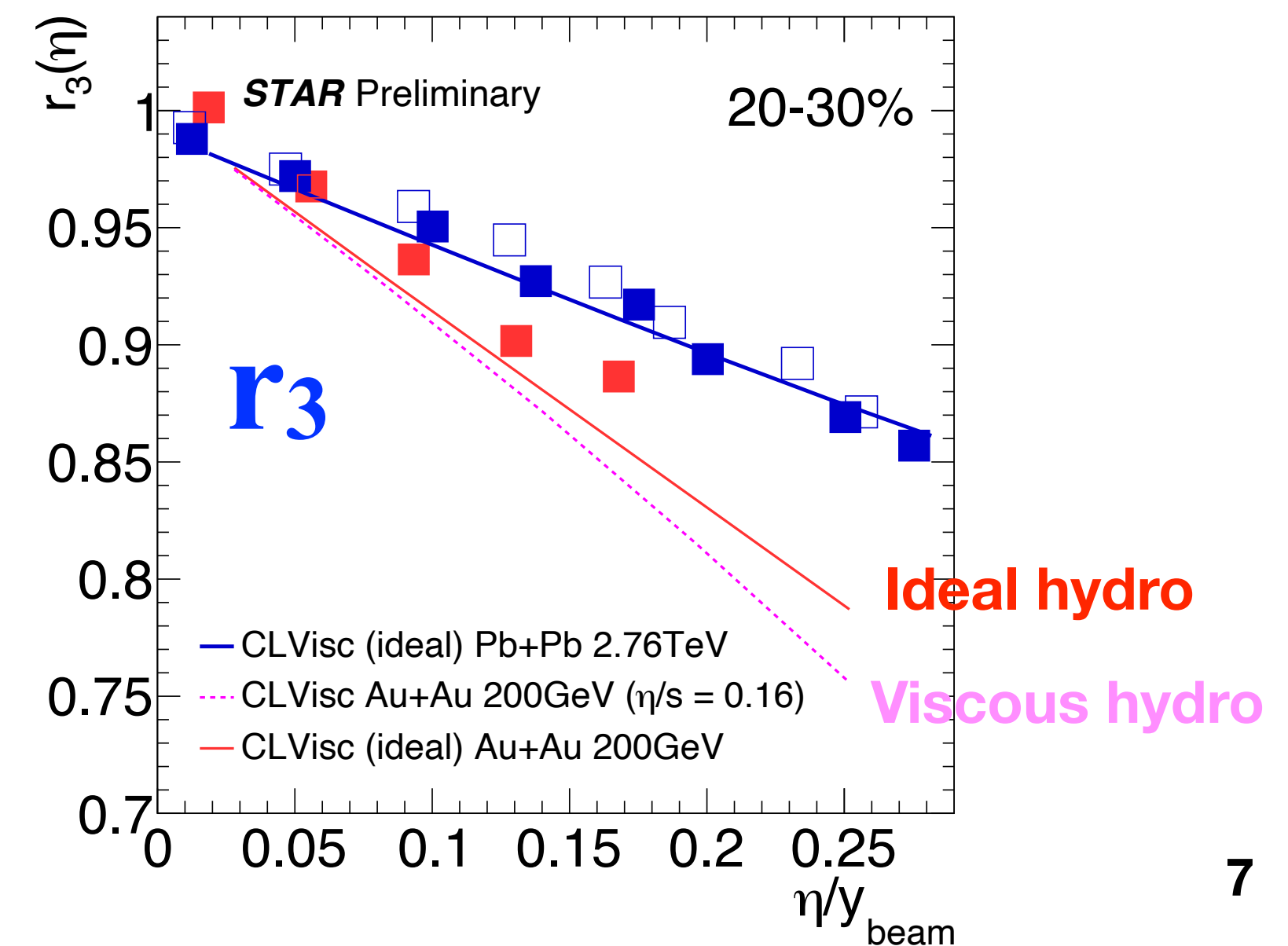
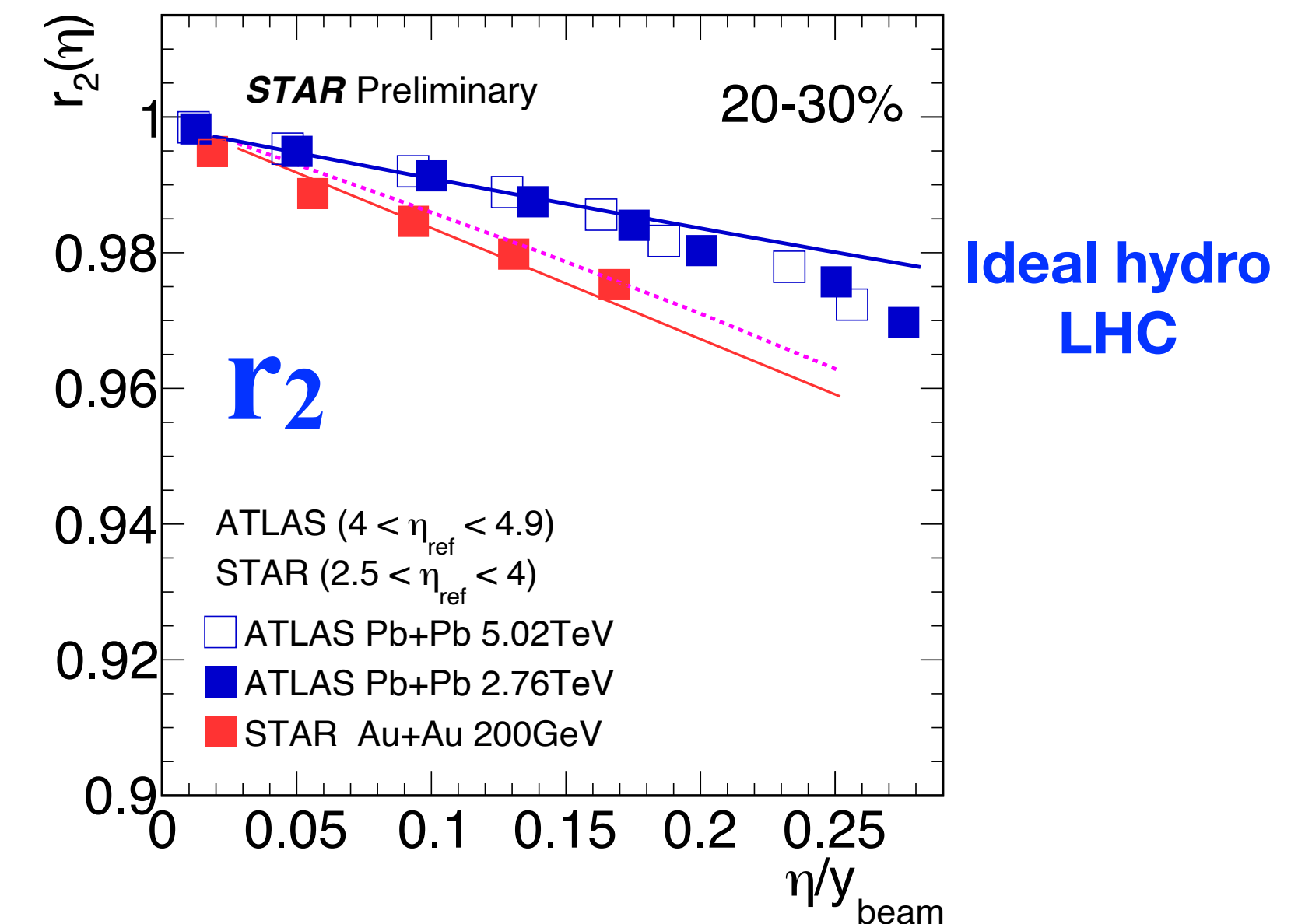
Quantify relative decorrelation with $\Delta\eta = 2\eta$



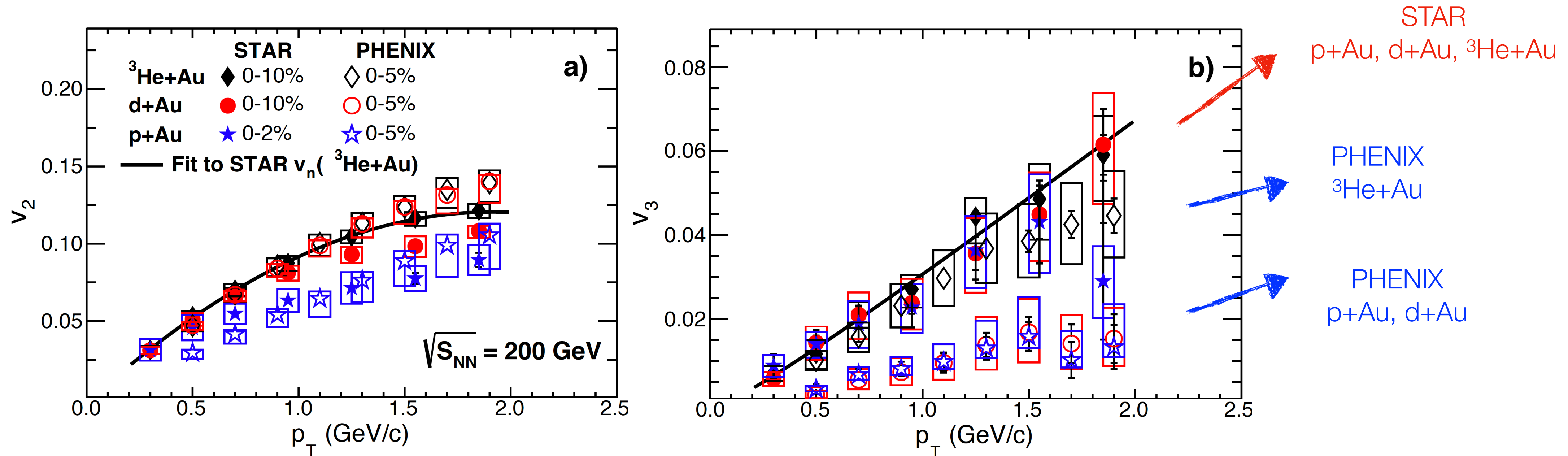
J. Jia et al., [arXiv:1701.02183](https://arxiv.org/abs/1701.02183)



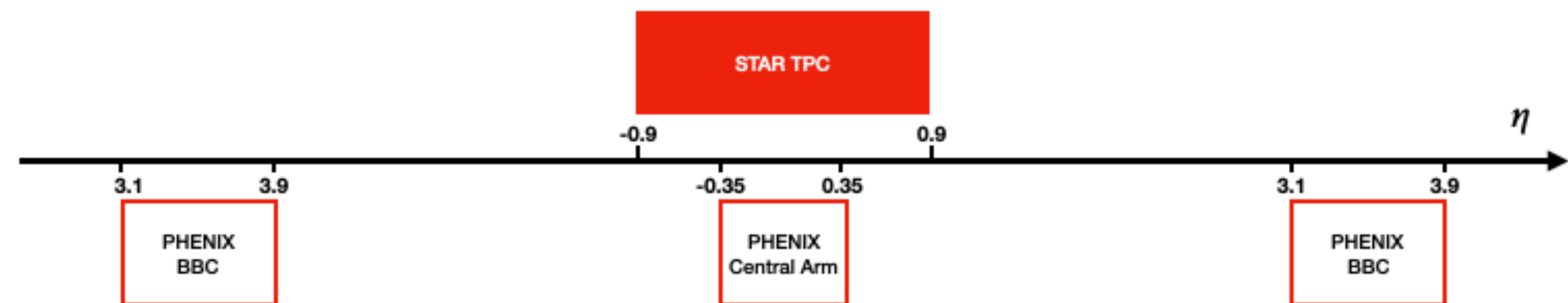
- Longitudinal decorrelation observed at LHC and RHIC, larger decorrelation effect for higher order
- Hydro gives reasonable description of decorrelation in Au+Au and Pb+Pb, insensitive to viscous effect



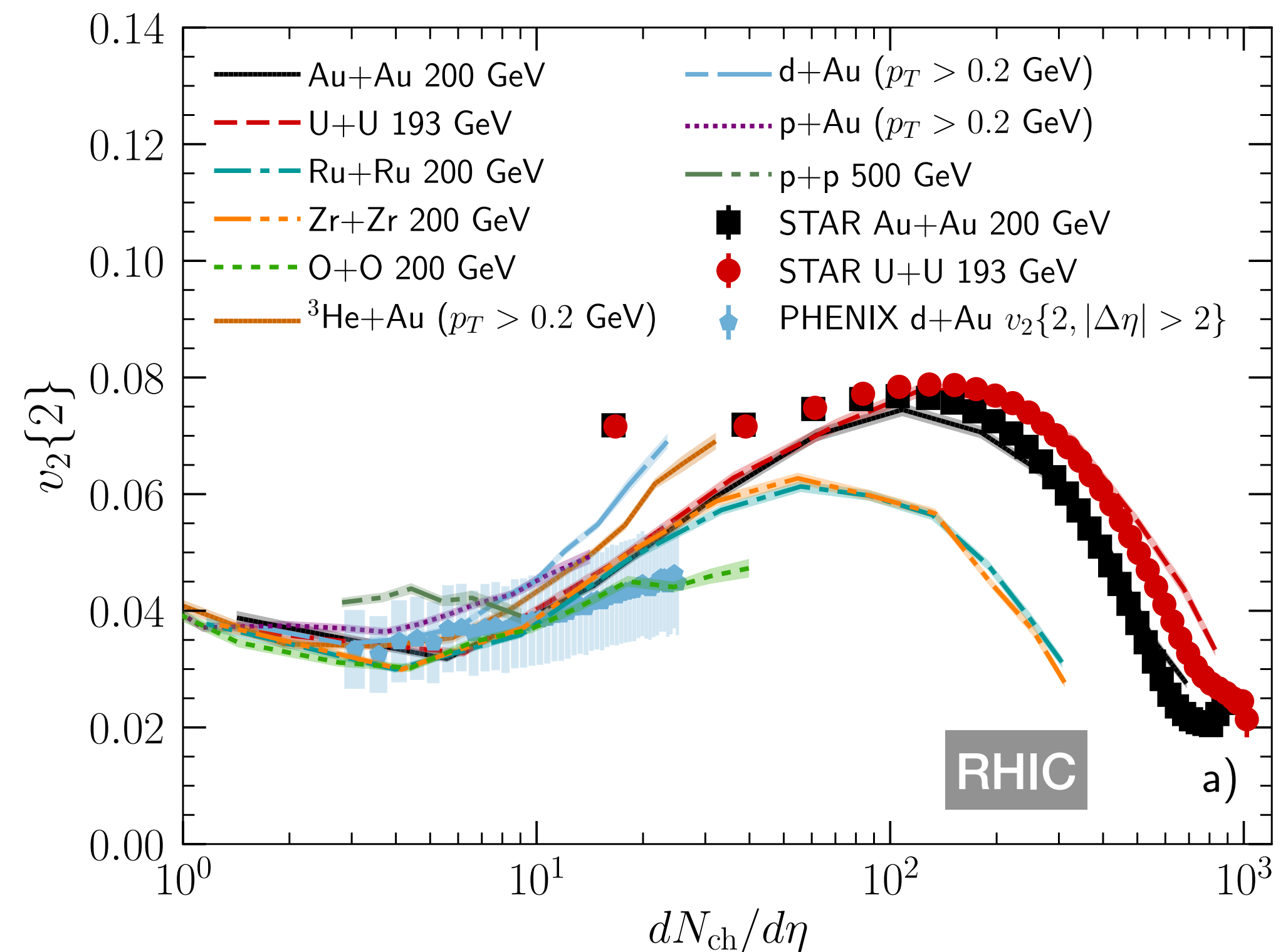
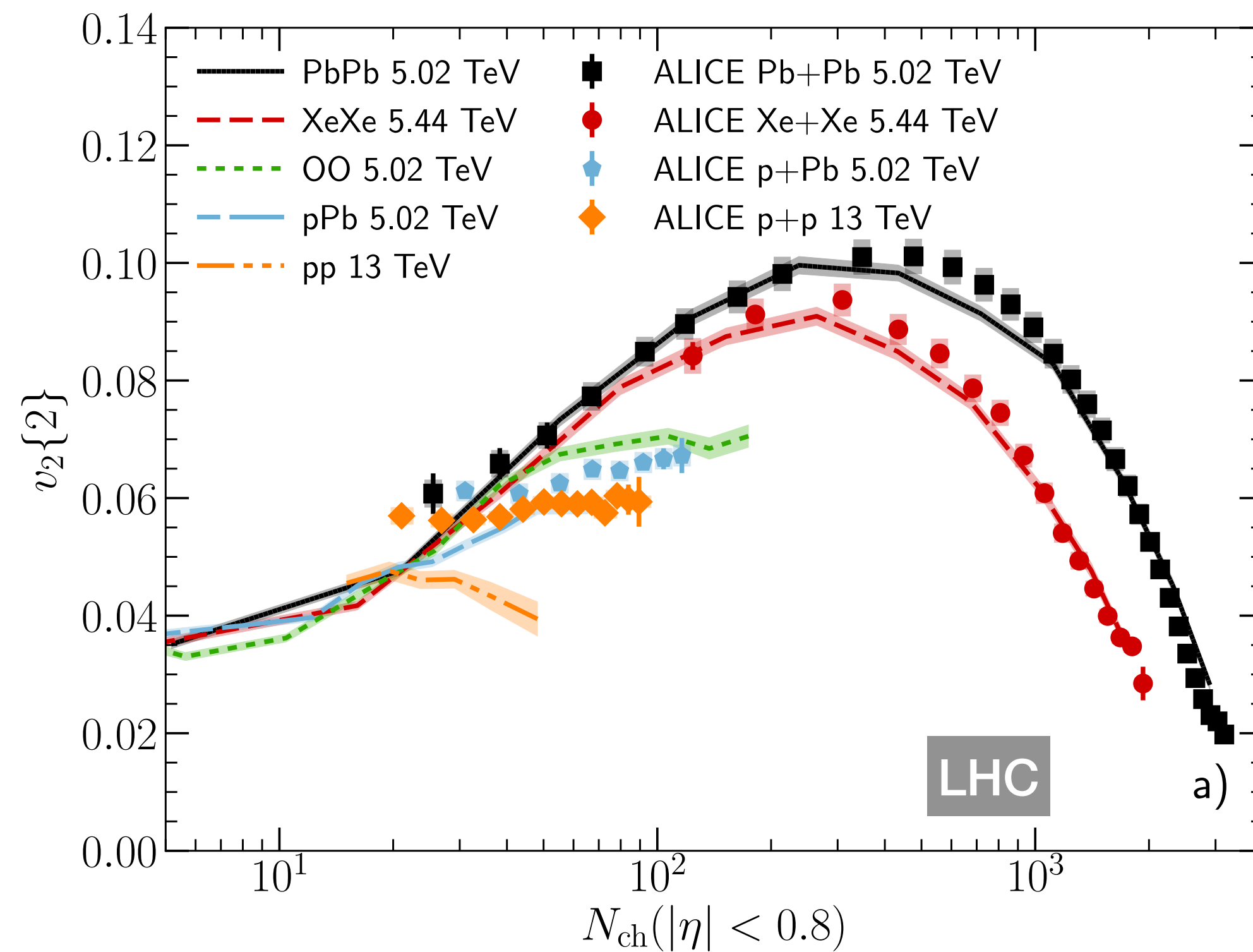
Non-flow and decorrelation



- Good agreement in v_2 ; while discrepancy in v_3
- On-going task force understanding v_3 . Check longitudinal dynamics etc.
- Impacts of non-flow and decorrelation should be evaluated in flow measurements



Test the limit of model



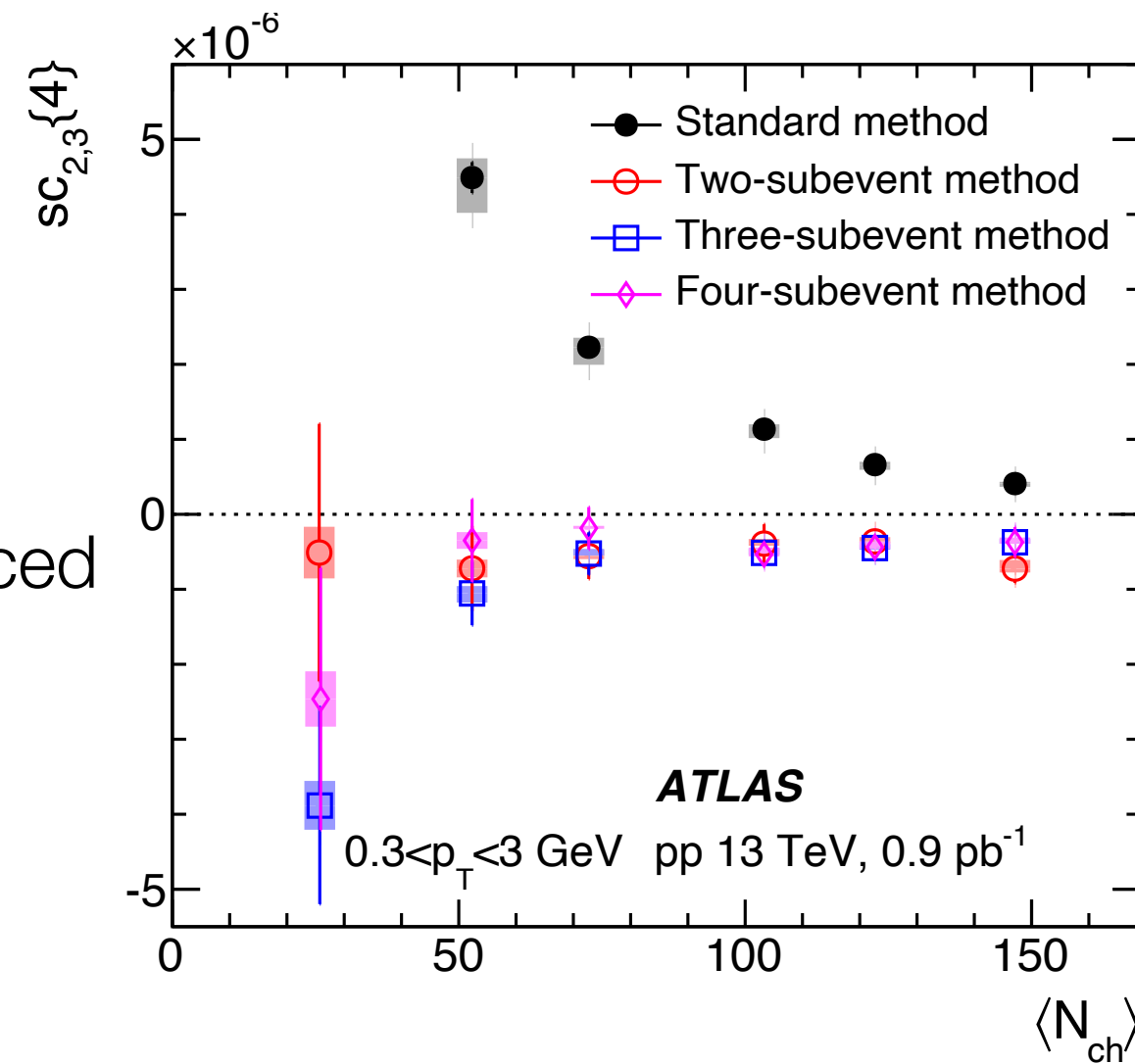
- LHC (ALICE) and RHIC v_2 results vs. hybrid framework IP-Glasma+MUSIC+UrQMD
- Model cannot describe low multiplicity data results where non-flow subtraction is sensitive to its assumption

Mixed harmonic correlation

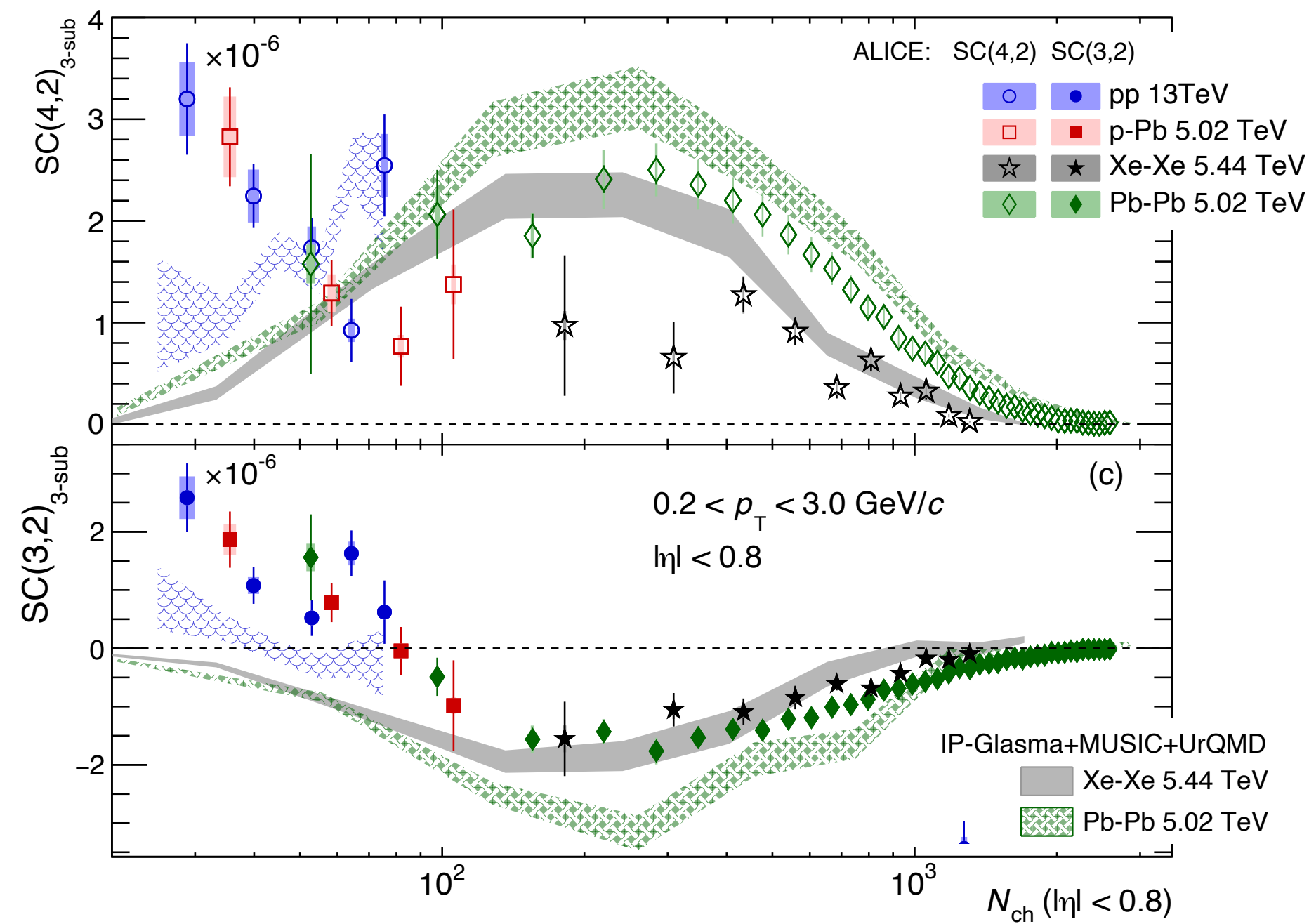
Correlation of flow magnitude

$$SC(n, m) = \langle v_n^2 v_m^2 \rangle - \langle v_n^2 \rangle \langle v_m^2 \rangle$$

pp data



Non-flow reduced by sub-events, residual at low multiplicity



SC(4,2)
Probing initial condition and medium evolution

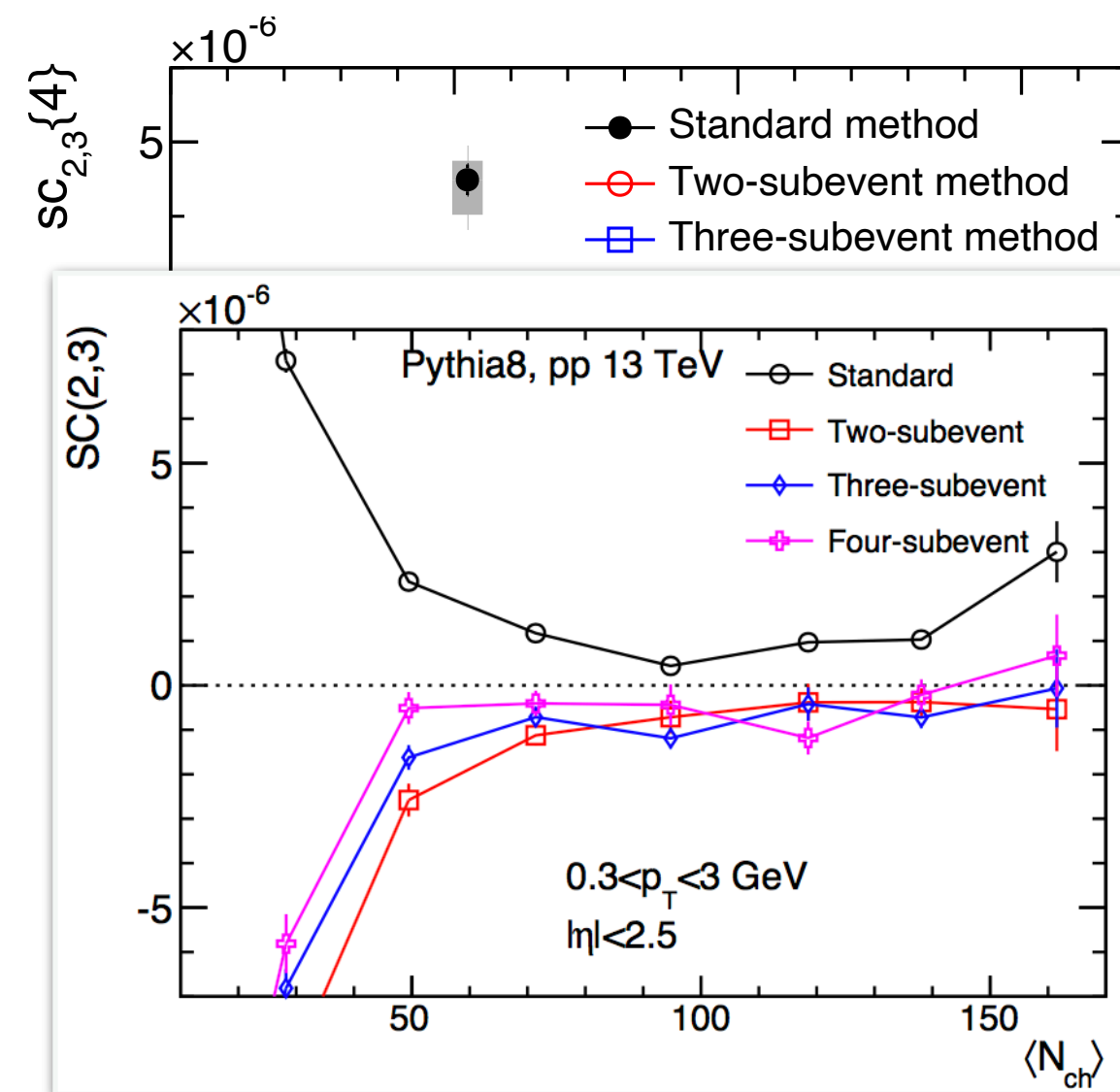
SC(3,2)
Probing initial condition

- SC(4,2) stays positive, due to nonlinear effect, sensitive to initial condition and evolution
- SC(3,2) negative at high multiplicity, anti-correlation between ϵ_2 and ϵ_3
- SC(3,2) positive at low multiplicity pp (ALICE)

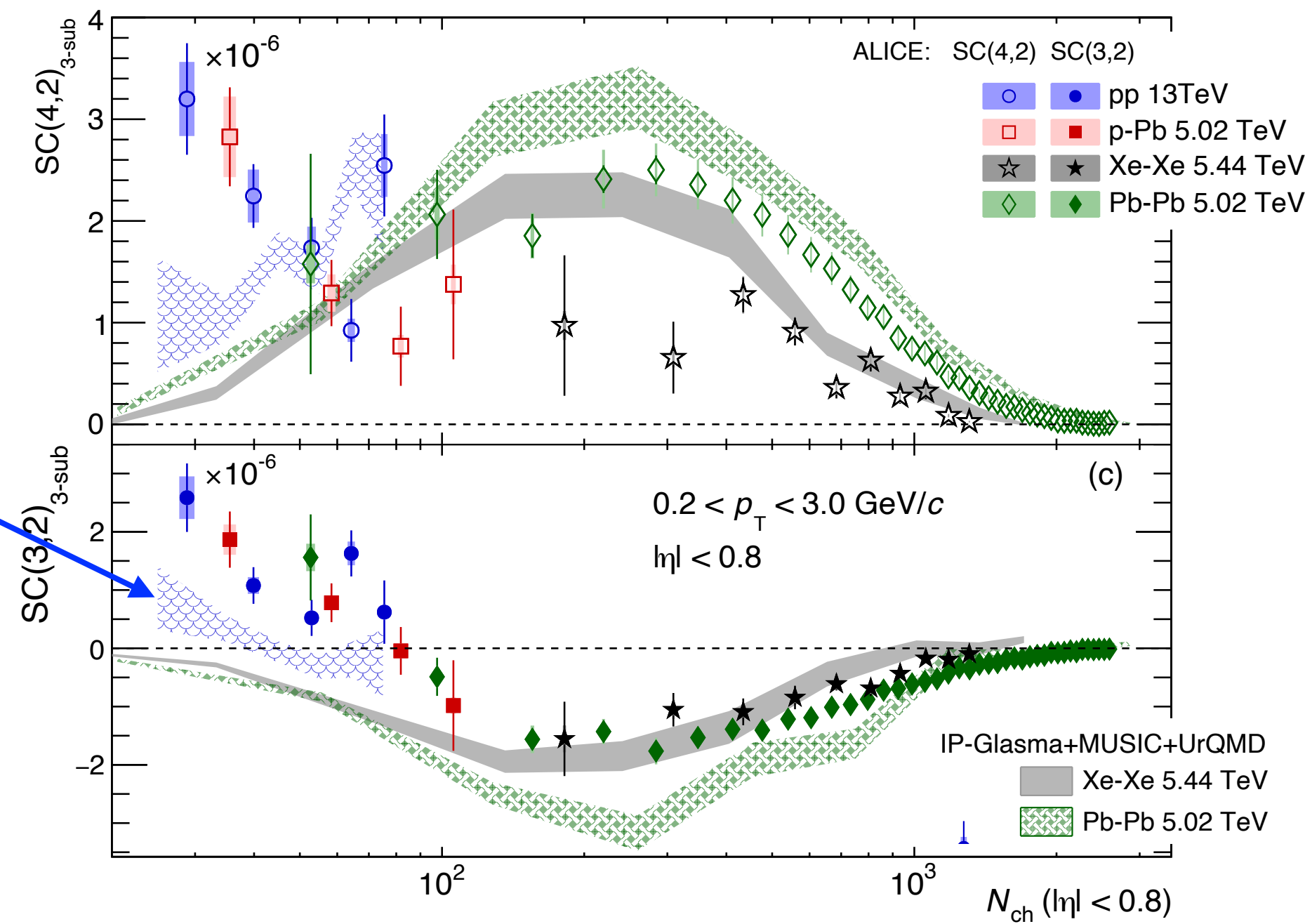
Mixed harmonic correlation

Correlation of flow magnitude

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Pythia



SC(4,2)
Probing initial condition
and medium evolution

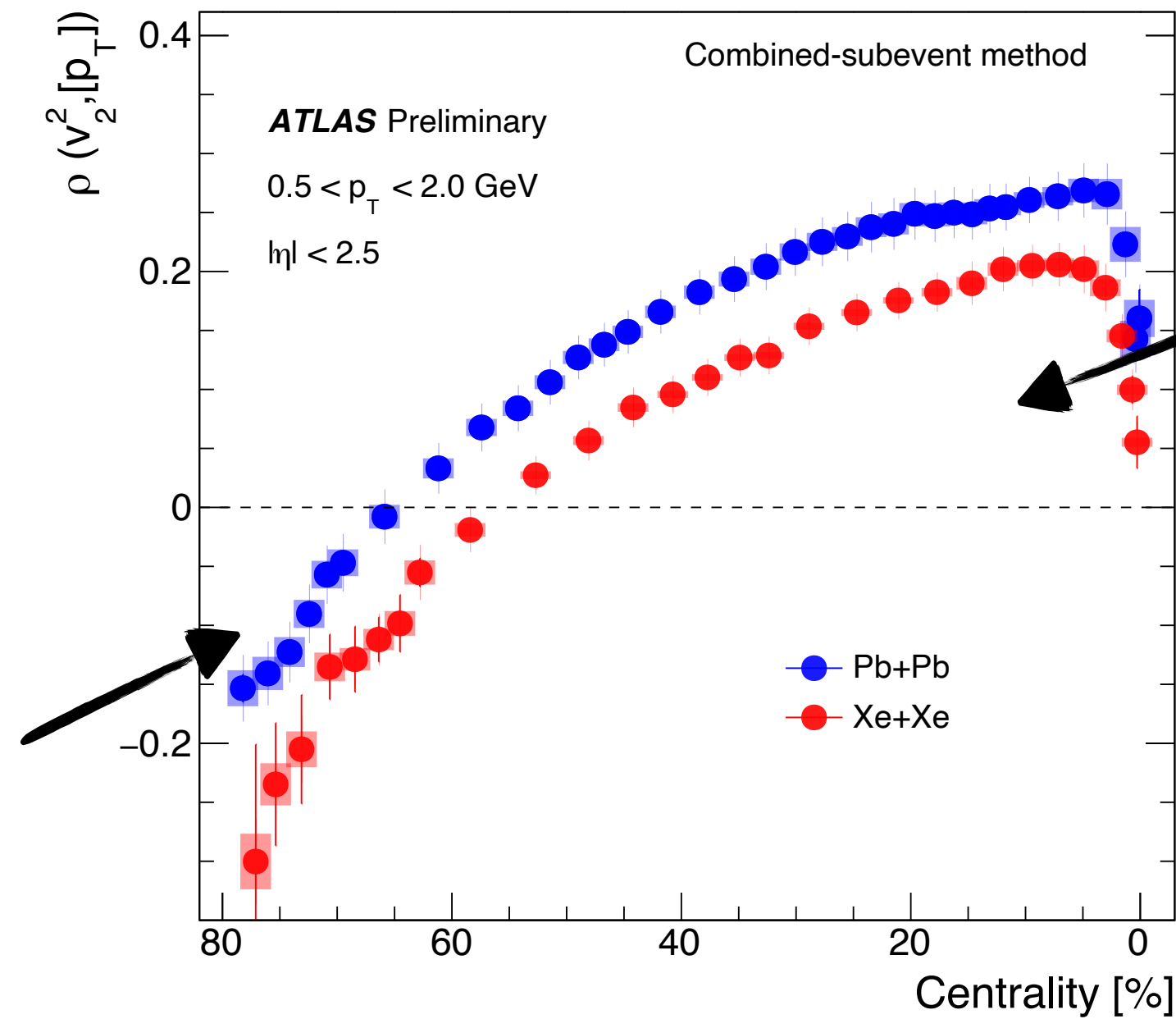
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- SC(3,2) negative at high multiplicity, anti-correlation between ϵ_2 and ϵ_3
- SC(3,2) positive at low multiplicity pp (ALICE), ATLAS-ALICE difference: different event selection and non-flow

v_n - p_T correlation in large system

$$\rho(v_n^2, \langle p_T \rangle) = \frac{\langle v_n^2 \langle p_T \rangle \rangle - \langle v_n^2 \rangle \langle \langle p_T \rangle \rangle}{\sigma(v_n^2) \sigma(\langle p_T \rangle)}$$

Smaller hotter fireball:
 • Larger $\langle p_T \rangle$
 • Smaller ε_2



Smaller hotter fireball:
 • Larger $\langle p_T \rangle$
 • Larger hydro response

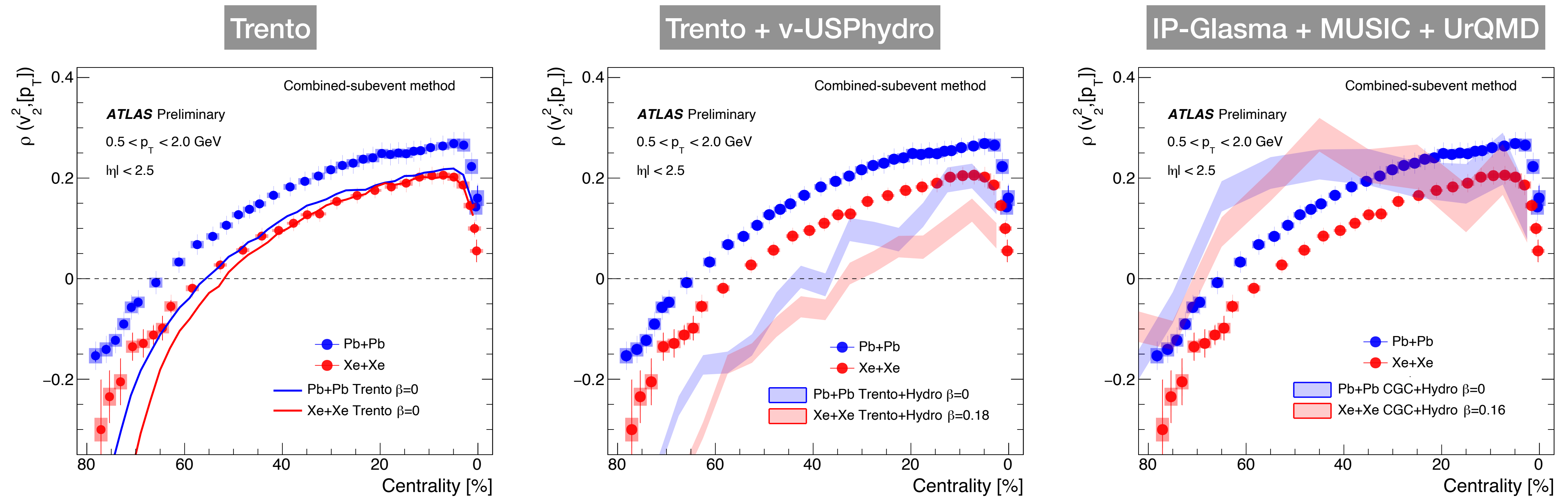
- Central: positive correlation driven by hydro response, sensitive to nuclear deformation
- Peripheral: negative correlation driven by initial geometry eccentricity

v_n-p_T correlation in large system

ATLAS: [ATLAS-CONF-2021-001](#)

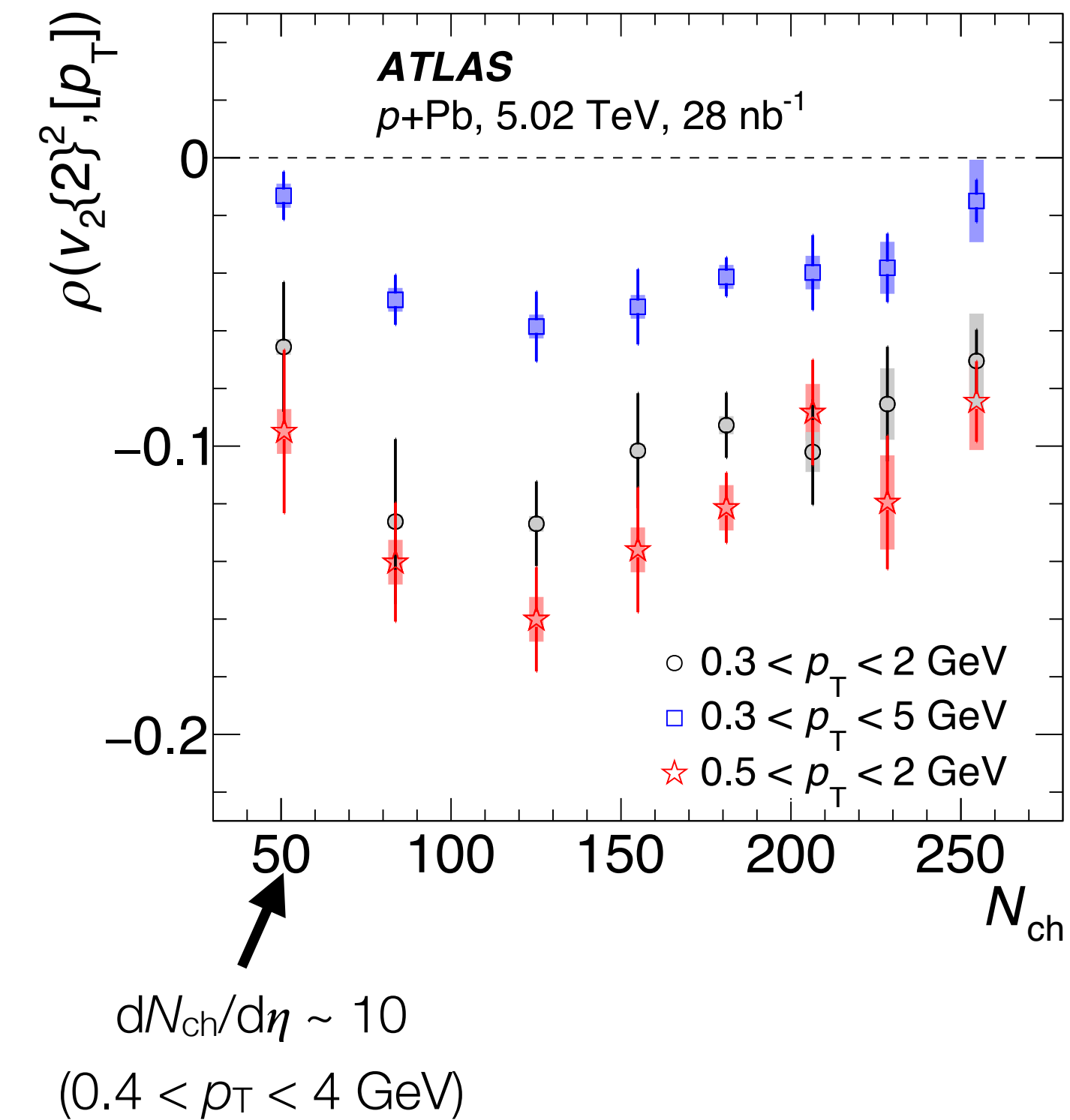
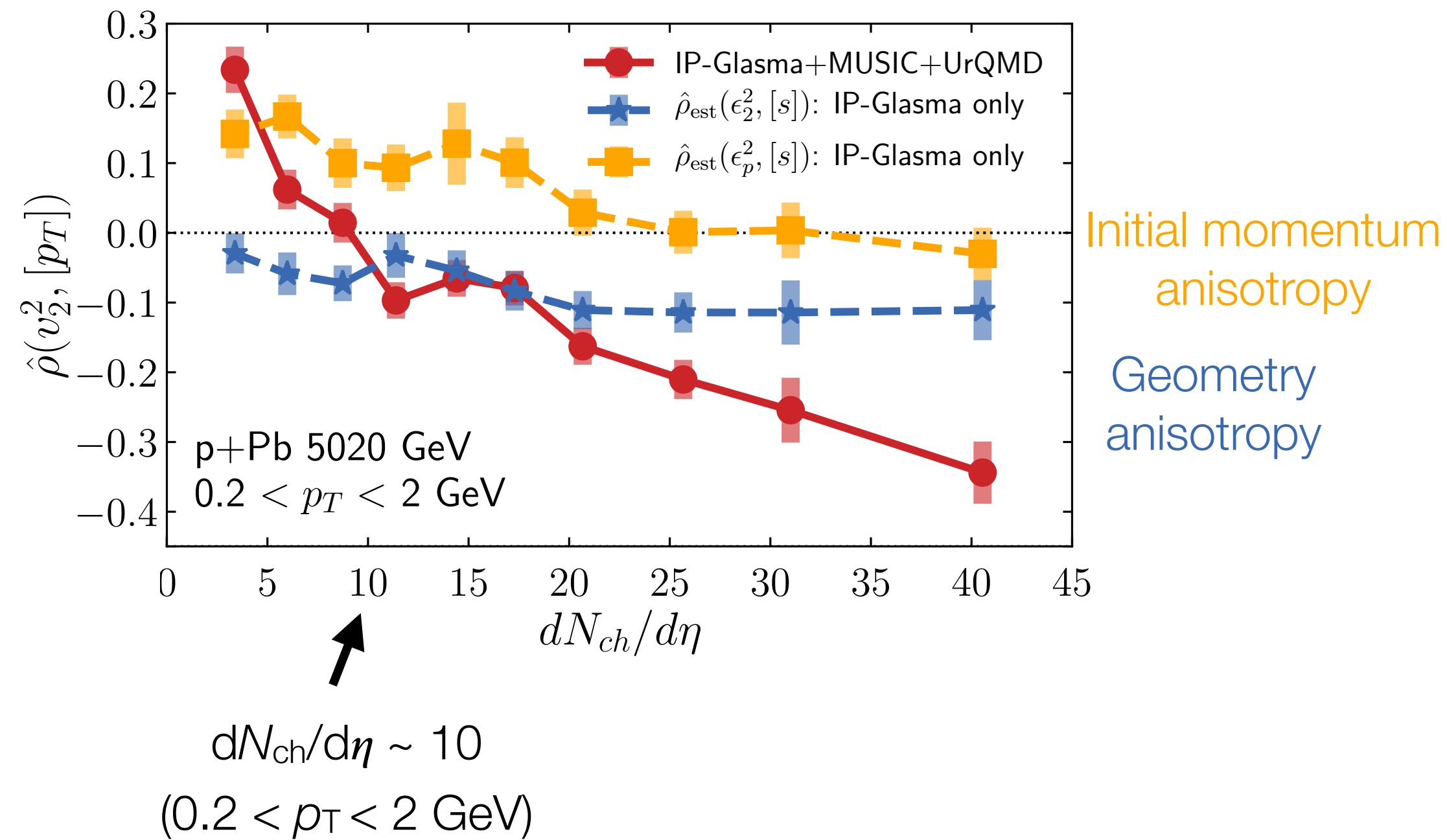
Trento: G. Giacalone et al. [Phys. Rev. C 102 \(2020\) 024901](#)

IP-Glasma+MUSIC+UrQMD: B. Schenke et al. [Phys. Rev. C 102 \(2020\) 034905](#)



- Trento initial-state predictor give right ordering and centrality dependence, not the magnitude
- Trento+v-USPhydro has the right ordering but underestimates the magnitude
- IP-Glasma+MUSIC+UrQMD overestimates magnitude in peripheral, no clearing ordering

v_n - p_T correlation in small system



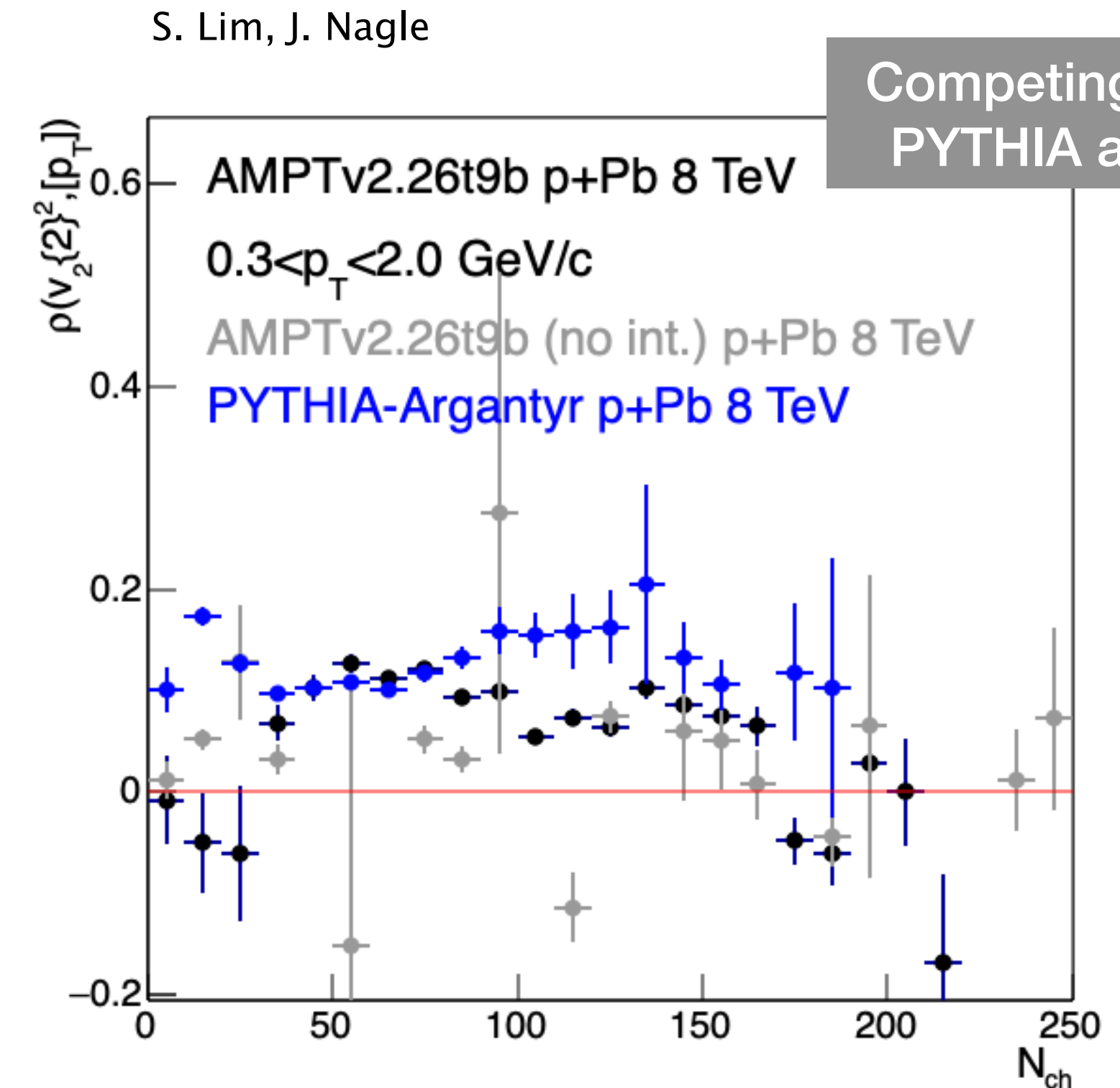
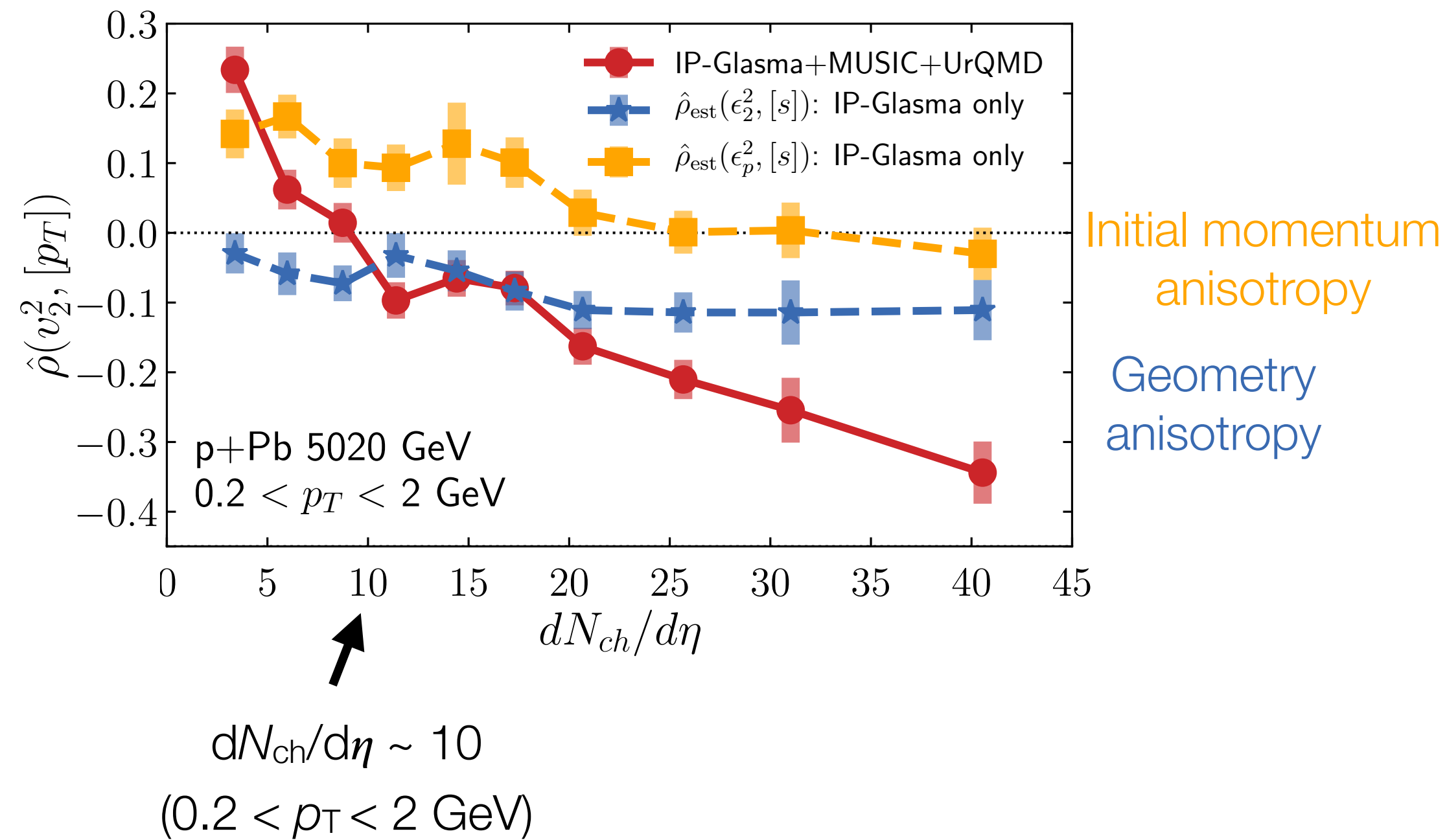
v_n - p_T correlation in $p+A$ with different origins:

- IS geometry anisotropy: negative as in peripheral Pb+Pb
- IS momentum anisotropy: positive, smaller size \rightarrow larger $\langle p_T \rangle \rightarrow$ less color domain

Sign change due to initial momentum anisotropies is predicted for $p+A$ at low multiplicity

Challenge in measurements: statistics for subevent cumulants, non-flow

v_n-p_T correlation in small system



v_n-p_T correlation in $p+A$ with different origins:

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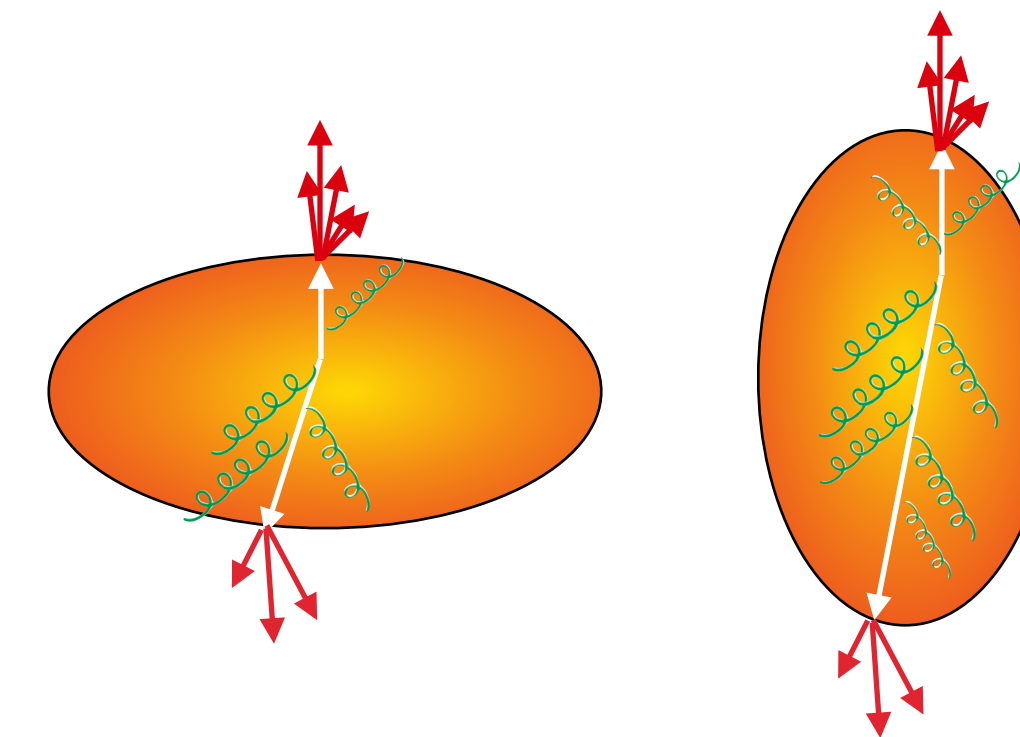
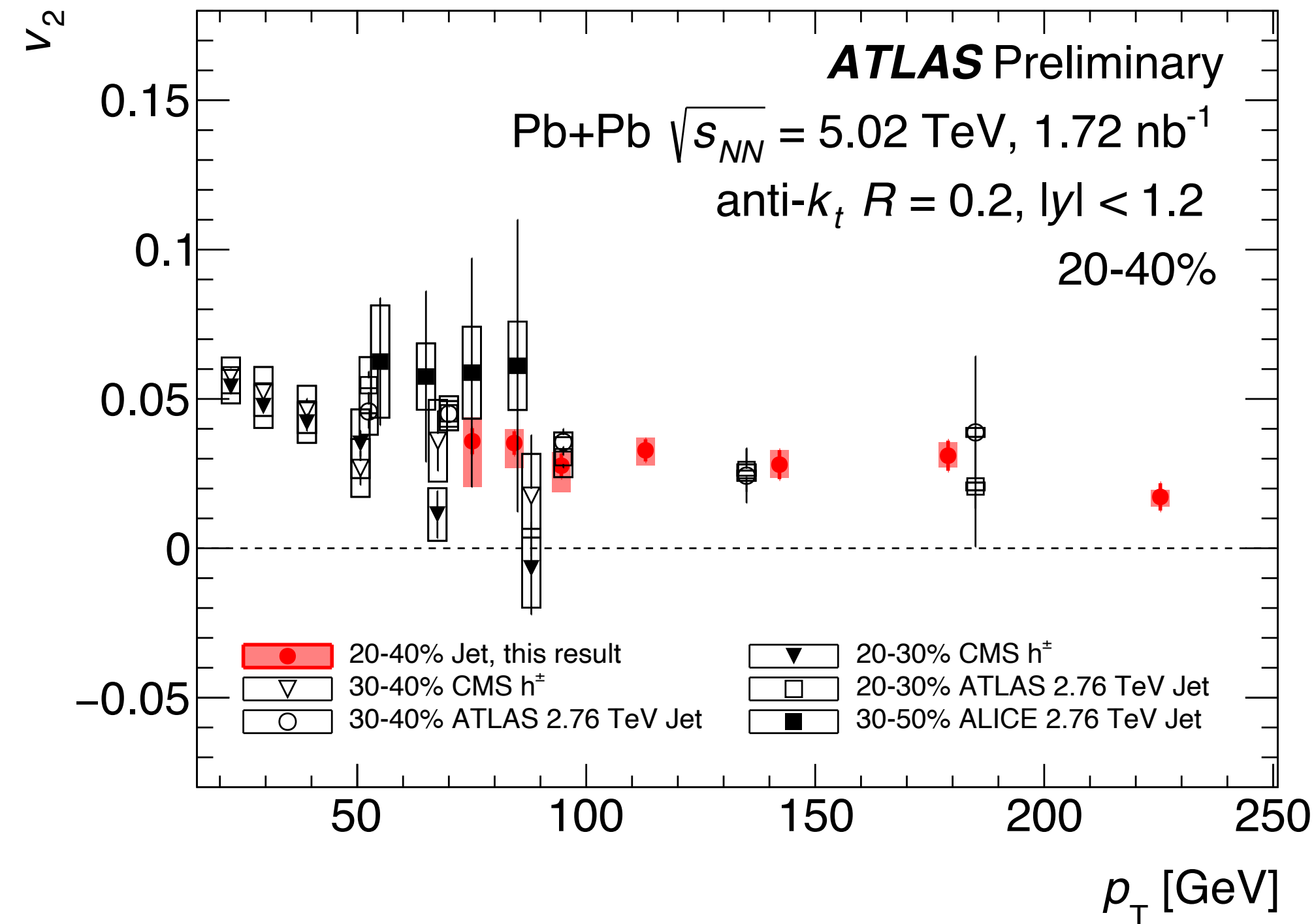
Challenge in measurements: statistics for subevent cumulants, non-flow

Hard-soft correlation

ATLAS: [Phys. Rev. Lett. 111 \(2013\) 152301](#), [ATLAS-CONF-2020-019](#)

CMS: [Phys. Lett. B 776 \(2017\) 195](#)

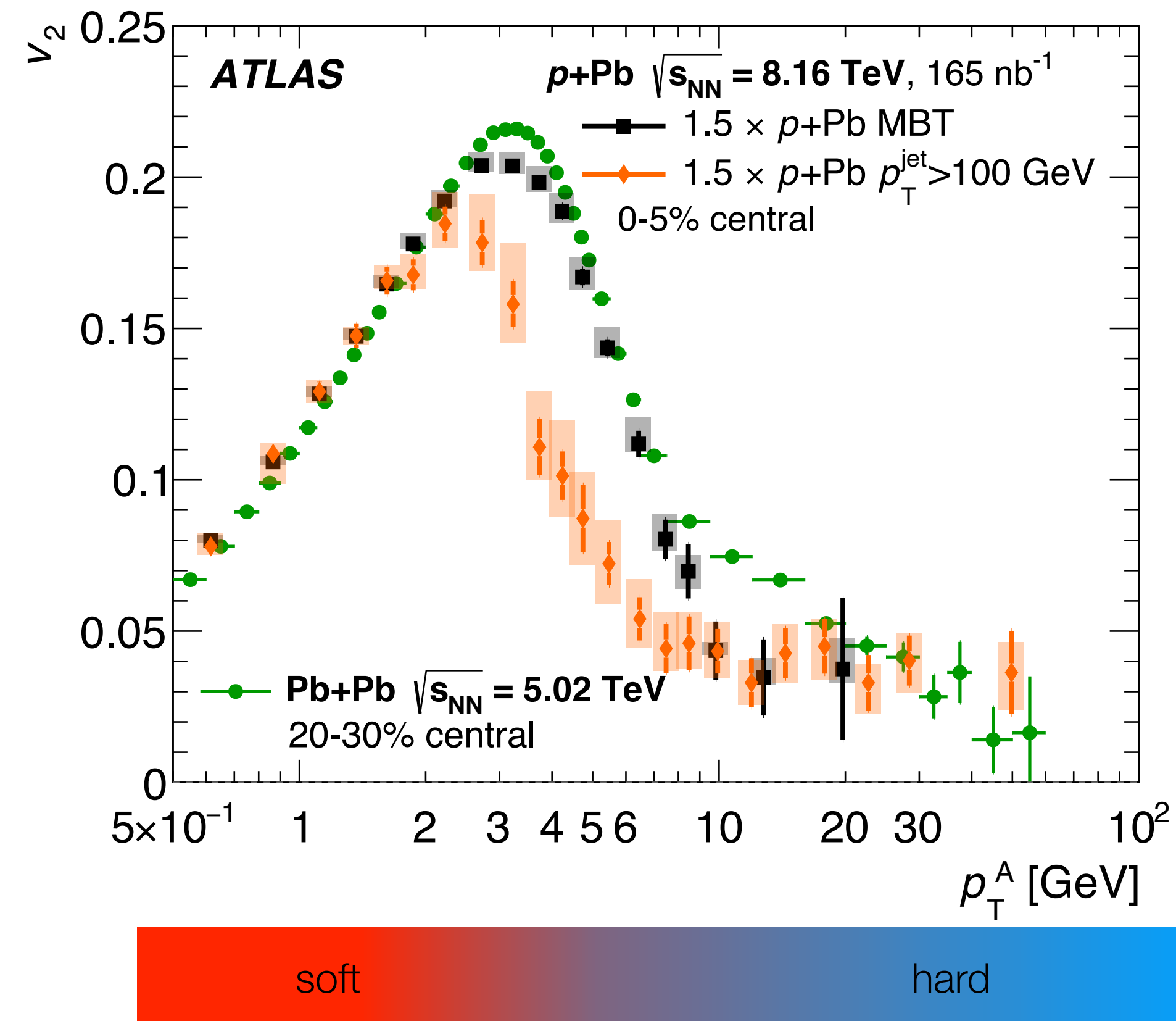
ALICE: [Phys. Lett. B 753 \(2016\) 511](#)



Jet quenching with different path lengths

- Intra hard process is considered as non-flow, but differential hard-QGP(soft) interaction results in anisotropy correlated with event orientation
- Anisotropy extracted from hard-soft correlation is referred as “flow” of the hard process. **Different** from the narrowly hydrodynamic flow for soft sector
- High p_T v_2 measured using jet or charged hadron up to 200 GeV in mid-central Pb+Pb collisions, p_T independent $v_2 \sim 0.03$

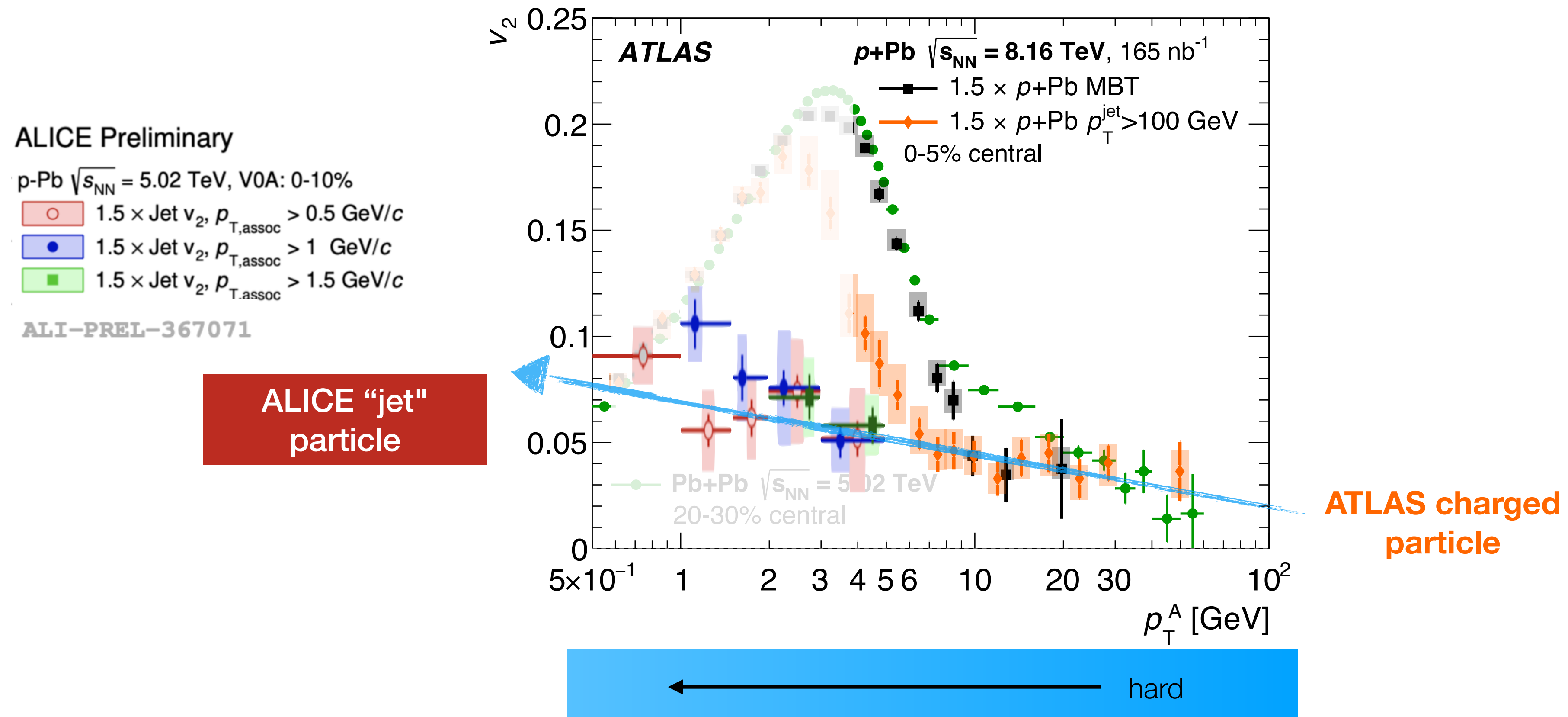
High p_T v_2 in $p+Pb$



$p+Pb$ results scaled by 1.5 to compare shape

- Two particle correlation using template fit non-flow subtraction
- Default subtraction does not work at high p_T . Additional suppression of jet-jet correlation by eliminating particle pairs both from identified jets
- Factorization breaking at high p_T 10~20%

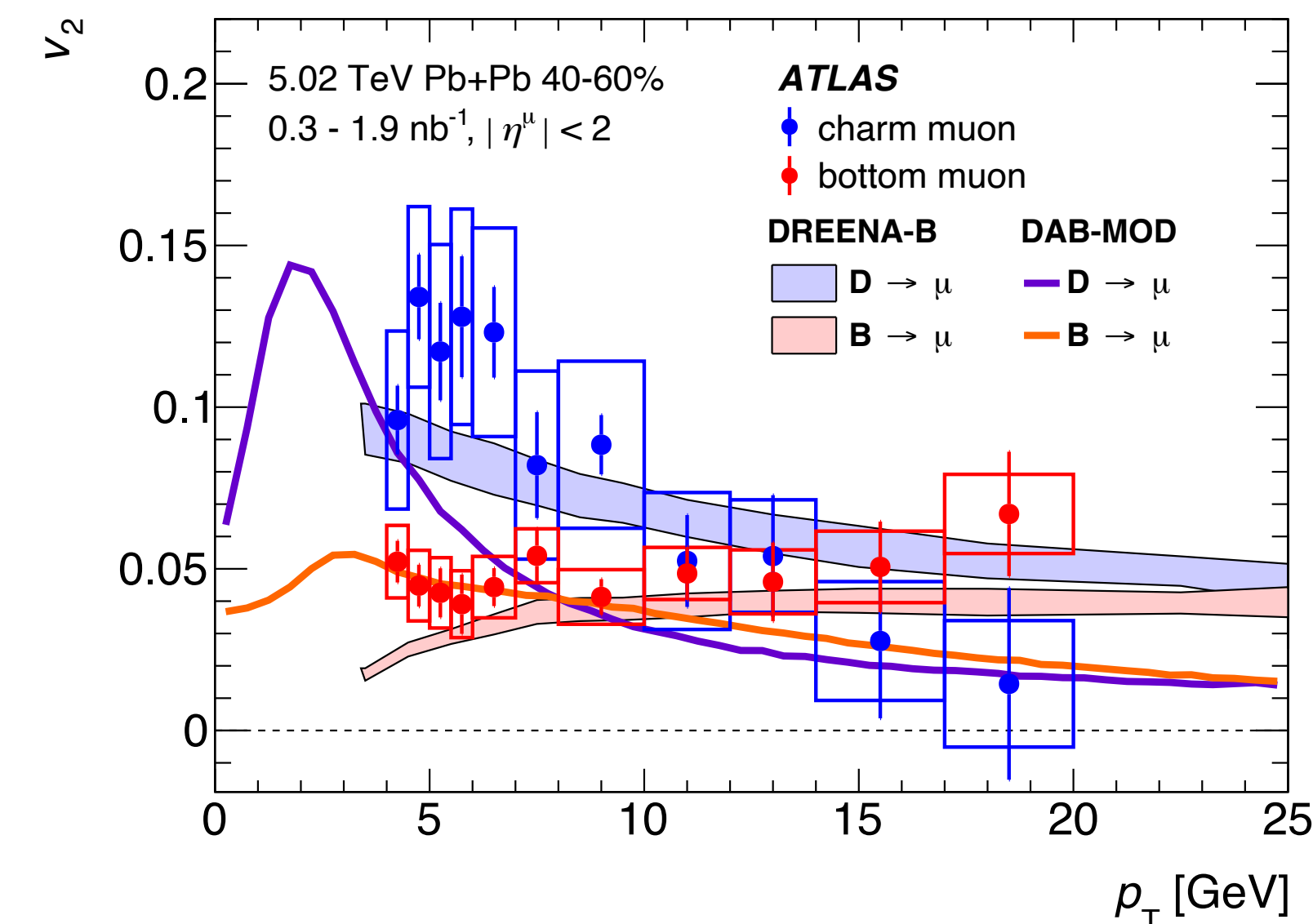
“Hard” particle p_T v_2 in $p+Pb$



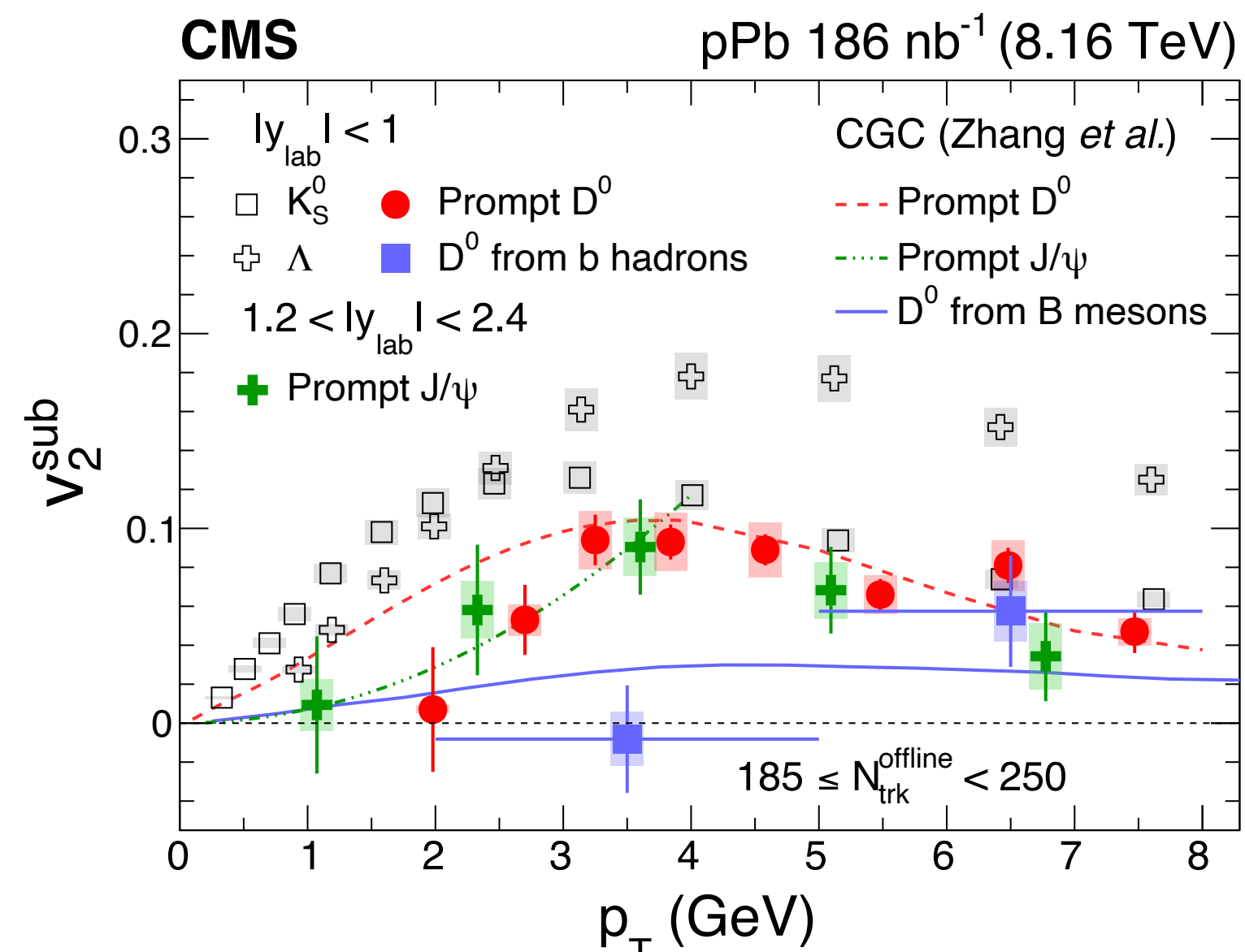
- ALICE measurement of statistically extract jet particle v_2 down to low p_T
- Significant non-zero v_2 in a wide p_T range, while no strong modification of p_T spectra

Open heavy flavor flow

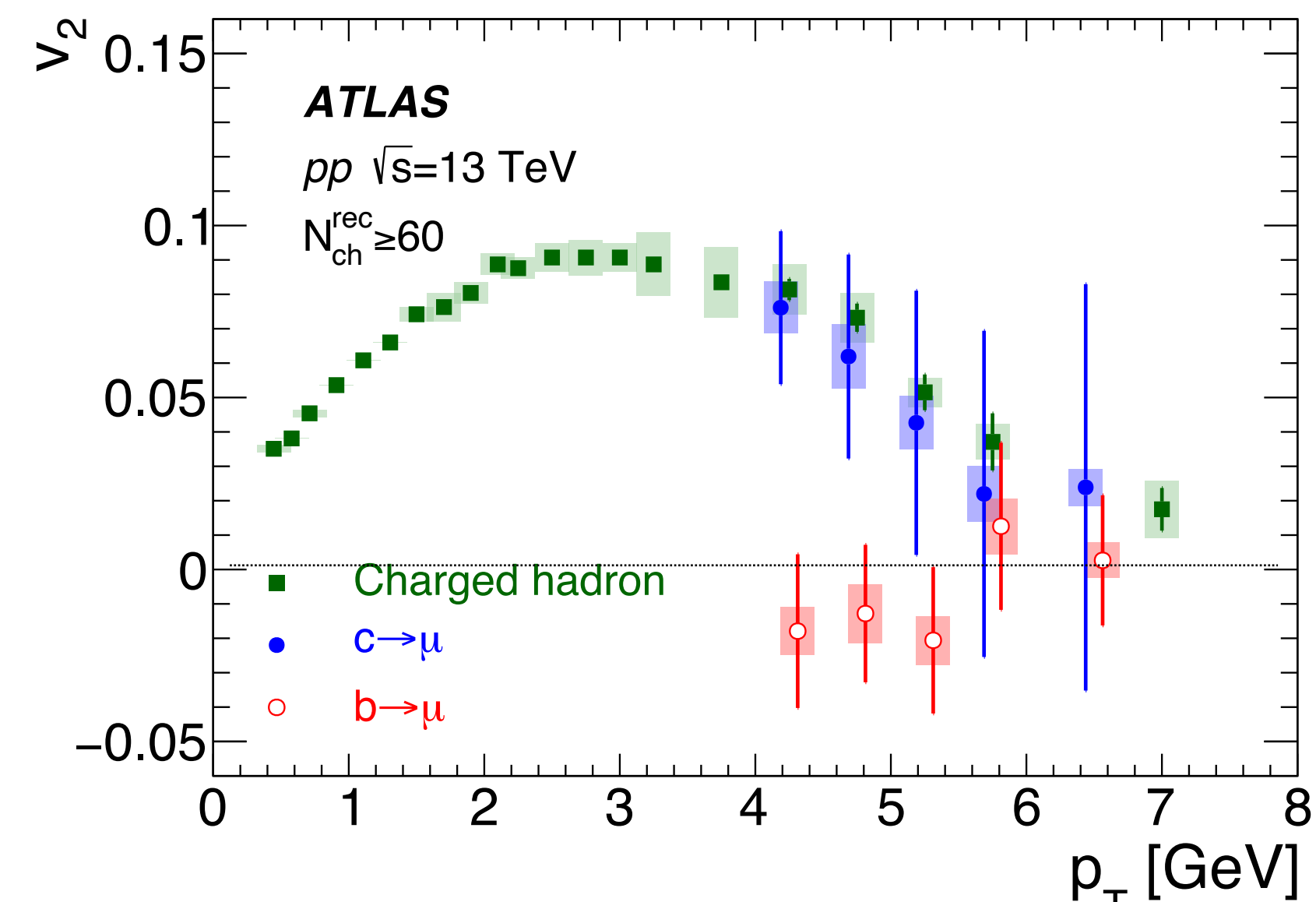
ATLAS Phys. Lett. B 807 (2020) 135595
 DREENA-B, D. Zigic et al., Phys. Lett. B 791 (2019) 236
 CMS prompt D, Phys. Rev. Lett. 121 (2018) 082301
 CMS non-prompt D, arXiv:2009.07065
 CGC J/psi, C. Zhang et al., Phys. Rev. Lett. 122 (2019) 172302
 CGC D, C. Zhang et al., Phys. Rev. D 102 (2020) 034010
 ATLAS, Phys. Rev. Lett. 124 (2020) 082301



Pb+Pb
 ~ energy loss in hydro



p+Pb
 ~ color domain



pp

- v_2 (Light) ~ v_2 (D) > v_2 (B) for all systems at intermediate p_T (4~10 GeV)
- No strong modification to p_T spectra in p +Pb ($R_{pPb} \sim 1$) and pp (~ pQCD)
- Pb+Pb ~ differential energy loss in QGP, while p +Pb ~ CGC color domain

Same hydro not directly applicable for small system, need consistent picture for soft & hard as this is hard-soft correlation

Summary

Sorry if I was not able to cover your results here

- Non-flow and decorrelation could bias flow interpretation, should be evaluated in measurements (non-flow) and included in model (decorrelation). Non-flow subtraction could be biased by its assumptions
- Observables sensitive to initial state effects, flow in small system, SC(2,3), v_n - p_T correlation ect., are also sensitive to non-flow effects
- Hard-soft correlation: need systematic description of light and hard “flow” in small system