



Systematic study on nuclei deformation and nonflow effect in $v_n - p_T$ correlations from model simulations

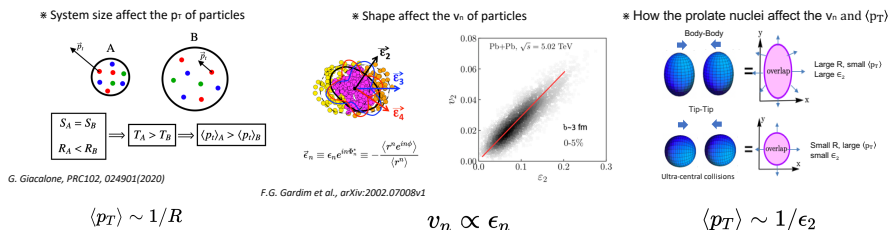


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Motivations

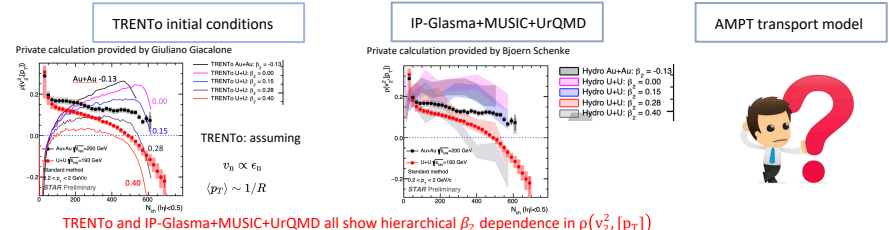
* Shape-flow transmutation in deformed nuclear collisions



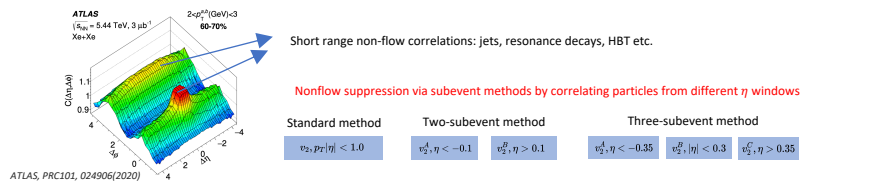
* Can we constrain quadrupole deformation β_2 in heavy-ion collisions?

Deformation is dominated by quadrupole component β_2

For a deformed nucleus, the leading form of nuclear density becomes:
$$\rho(r, \theta) = \frac{\rho_0}{1 + e^{-(r-R_0(1+\beta_2 Y_{20}(\theta))/a)}}$$



* How about the nonflow contamination in long-range correlation?



Observables

* Pearson coefficient:

$$\text{cov}(v_n^2, [p_T]) \equiv \left\langle \frac{\sum_{i \neq j \neq k} w_i w_j w_k e^{in\phi_i} e^{-in\phi_j} (p_{T,k} - \langle p_T \rangle)}{\sum_{i \neq j \neq k} w_i w_j w_k} \right\rangle_{\text{evt}}$$

$$\rho(v_n^2, [p_T]) = \frac{\text{cov}(v_n^2, [p_T])}{\sqrt{\text{Var}(v_n^2)_{\text{dyn}} \langle \delta p_T \delta p_T \rangle}}$$

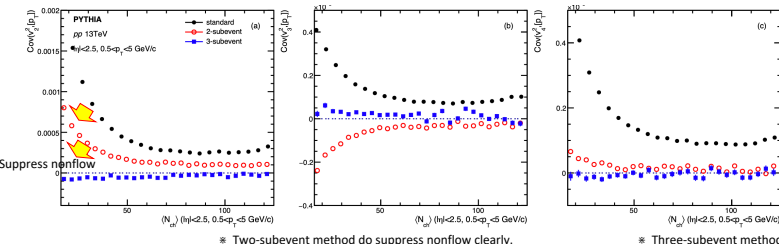
$$\text{Var}(v_n^2)_{\text{dyn}} = v_n \{2\}^4 - v_n \{4\}^4$$

subevent method crucial for non-flow and detector systematics

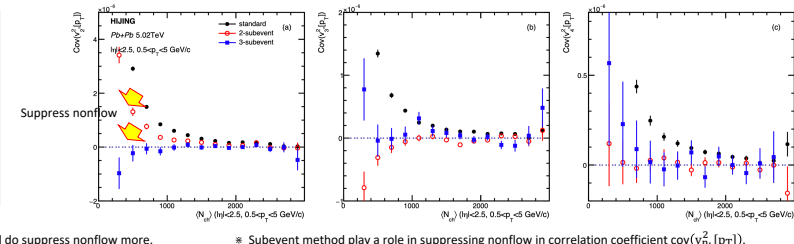
dynamical quantities with self-correlation removed

Nonflow effect on correlation coefficient

* Nonflow effect in pp 13TeV in PYTHIA 8

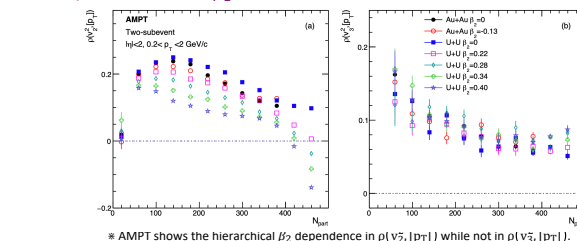


* Nonflow effect in Pb+Pb 5.02 TeV in HIJING

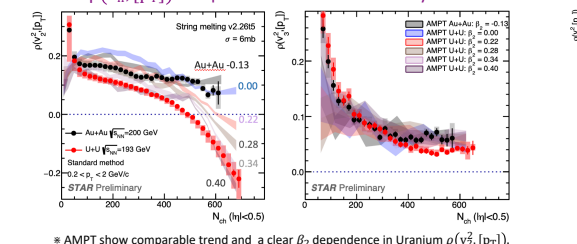


Systematic study on nuclei deformation

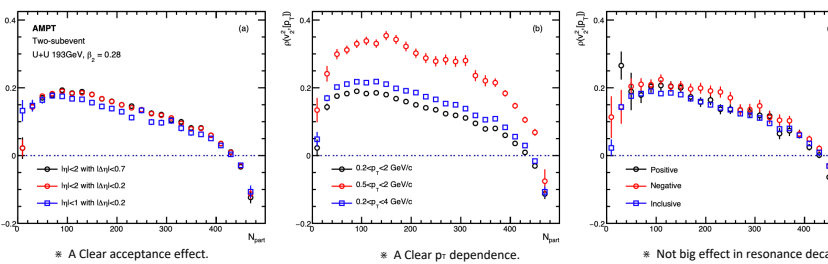
* Quadrupole deformation β_2 effect on the Pearson correlation coefficient



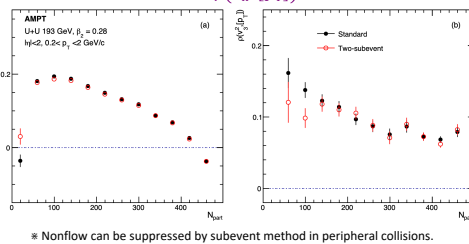
* AMPT $\rho(v_n^2, [p_T])$ compared with STAR Preliminary



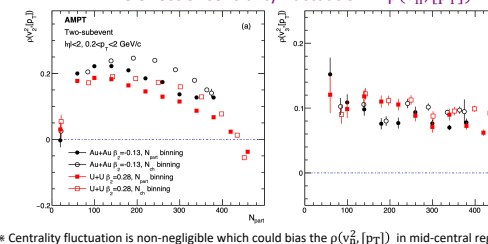
* Sign-change behavior is robust against different systematic checks



* The effect of nonflow in $\rho(v_n^2, [p_T])$



* The effect of centrality fluctuation in $\rho(v_n^2, [p_T])$



Summary

- The nonflow were suppressed in $\rho(v_n^2, [p_T])$ clearly by subevent methods.
- The AMPT with simple Monte-Carlo do show the anticorrelation between v_2 vs $\langle p_T \rangle$ in U+U while not in Au+Au collisions.
- The sign-change behavior in $\rho(v_n^2, [p_T])$ in central U+U collisions could be used to quantify quadrupole component β_2 compared with STAR data.
- Main features are robust against different systematic checks including η acceptance/ $\Delta\eta$ gap, different p_T selections and resonance decay.
- Centrality fluctuation is non-negligible and could bias the $\rho(v_n^2, [p_T])$ in mid-central region.
- The sign-change behavior of $\rho(v_n^2, [p_T])$ in UCC is robust and only be dominated by quadruple deformation β_2 .

References

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- HIJING: M. Gyulassy et al., Comput. Phys. Commun. 83, 307 (1994)
- AMPT: Zi-wei Lin et al., Phys. Rev. C 72, 064901(2005)
- TRENTO: Giuliano Giacalone, Phys. Rev. Lett. 124, 202301(2020)
- IP-Glasma+MUSIC+UrQMD: Bjoern Schenke et al., Phys. Rev. C 102, 044905(2020)