

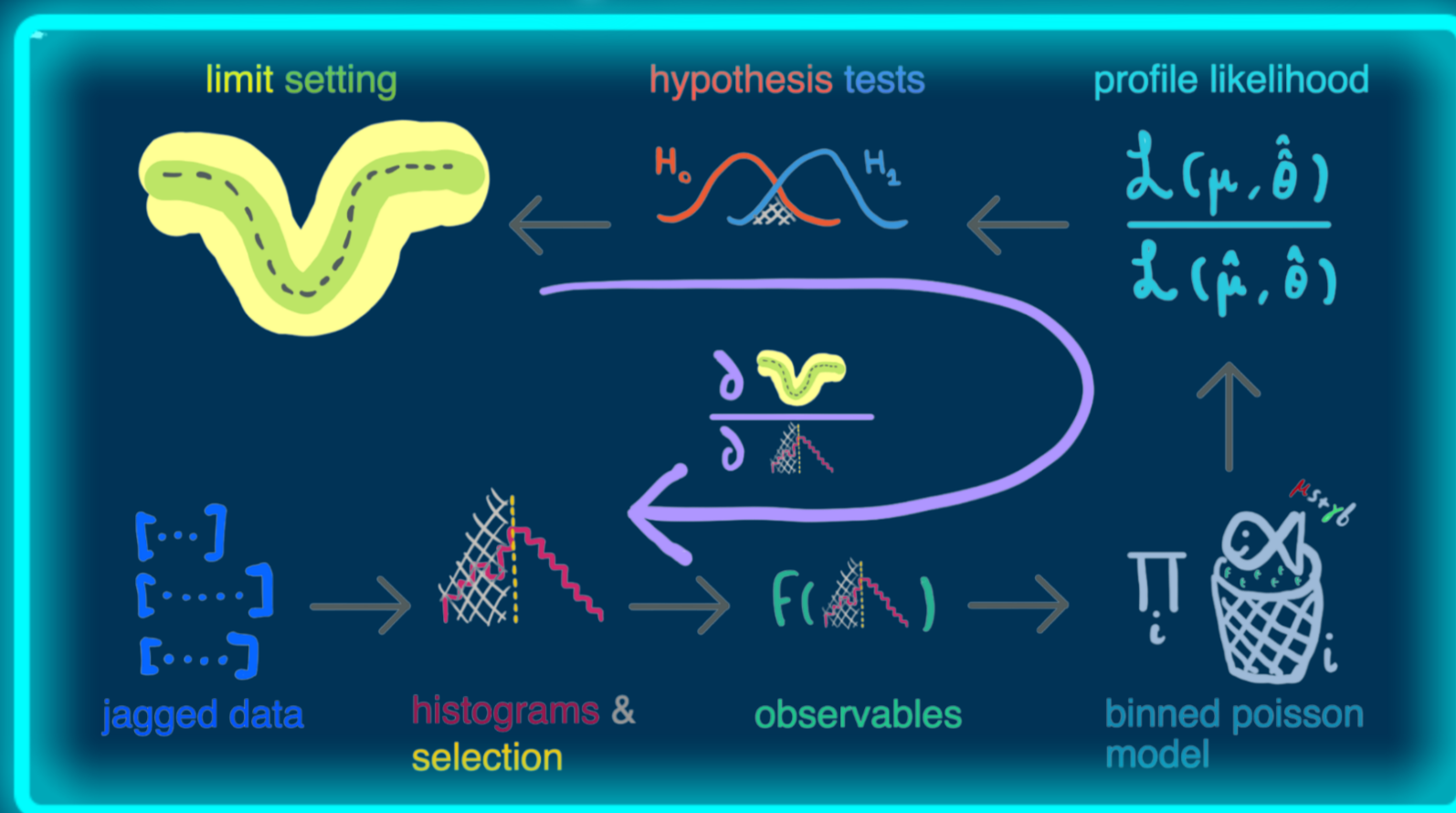
neural end-to-end optimised statistics

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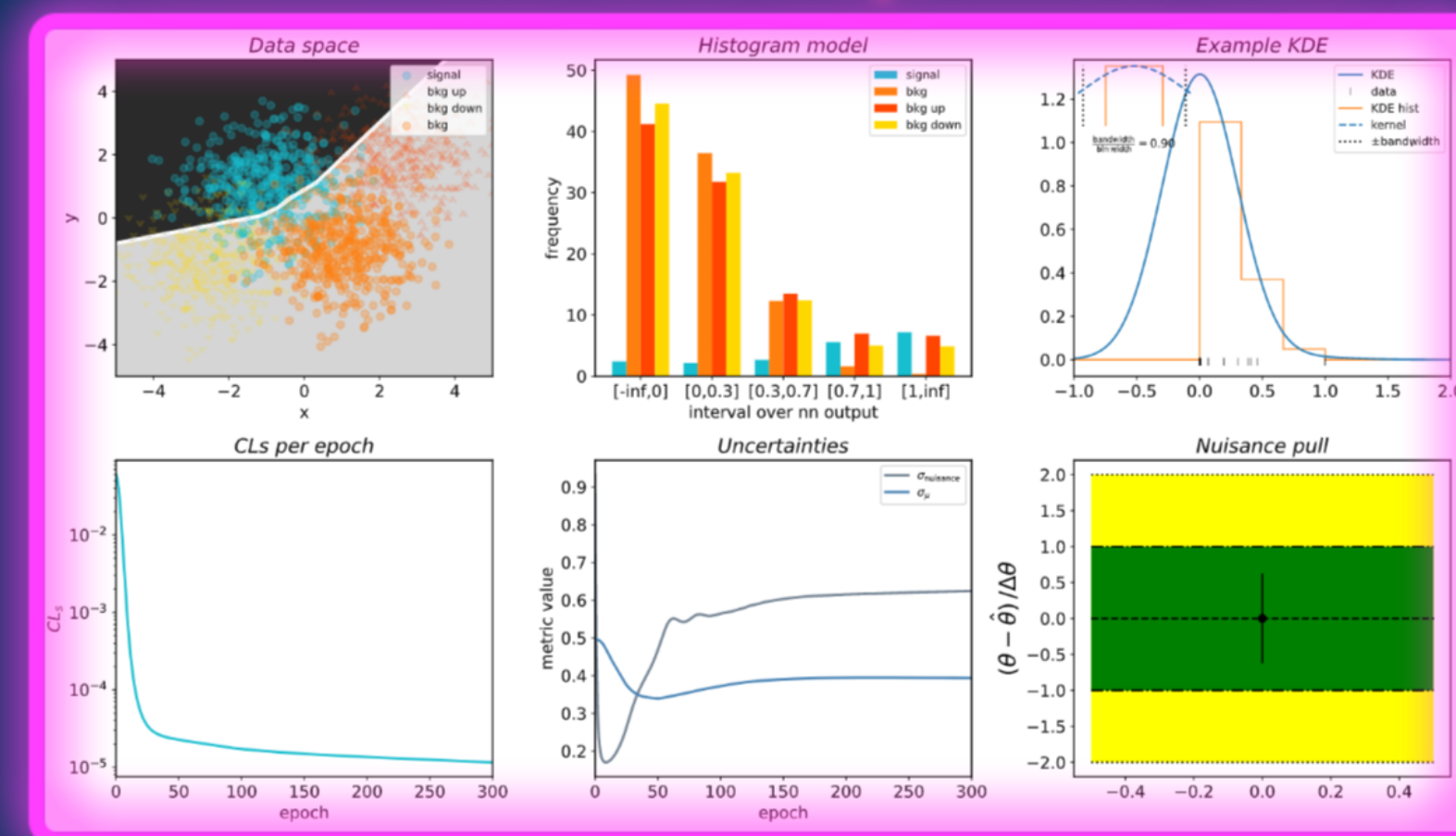
WOW!
Machine learning!



By making an analysis workflow that's fully differentiable...



...we train a NN observable to minimise the expected CL_s !



How? Automatic differentiation:

We train the neural network via gradient descent, i.e.:

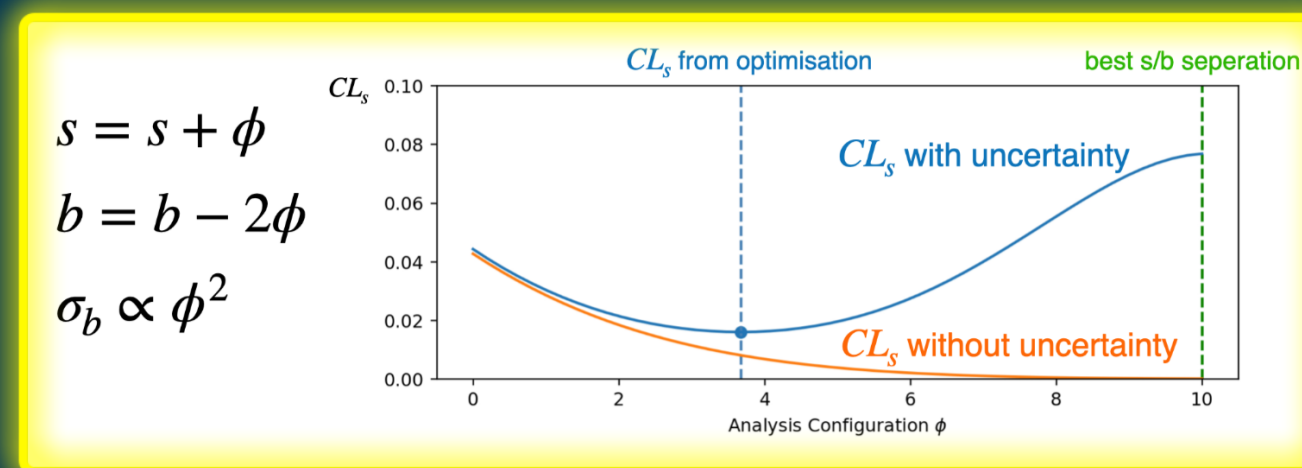
$$\text{weights}_{n+1} \approx \text{weights}_n - \nabla \text{loss}(\text{weights}_n) * \text{lr}$$

Crucially, this requires the calculation of $\nabla \text{loss}(\text{weights}_n)$: the loss (CL_s) must be differentiable with respect to the weights.

We achieved this by coding an analysis using automatic differentiation software (JAX), using a trick to differentiate through a fit, and by approximating a histogram differentially.

Why? sig/bkg separation may not be enough:

An illustrative one bin example with a single parameter ϕ :
 Optimising for s/b separation gives us the best stat-only CL_s , but the worst CL_s when including background uncertainty!



$$s = s + \phi$$

$$b = b - 2\phi$$

$$\sigma_b \propto \phi^2$$

WANT TO KNOW MORE? VISIT [GITHUB.COM/GRADHEP/NEOS](https://github.com/gradHEP/NEOS)

