EW corrections and combination with QCD for diboson production

Stefano Pozzorini

Zurich University

based on

M. Grazzini, S. Kallweit, J. Lindert, S. P., M. Wiesemann JHEP 02 (2020) 087 [arXiv:1912.00068]

LHPC 2020 Online, May 27, 2020



Fonds national suisse Schweizerischer Nationalfonds Fondo nazionale svizzero Swiss National Science Foundation



NNLO QCD corrections to $pp \rightarrow VV$ [Cascioli, Gehrmann, Grazzini,

Kallweit, Maierhöfer, von Manteufel, S.P., Rathlev, Tancredi, Weihs, Wiesemann, Yook '14–'20]



Sample $pp \rightarrow WZ$ diagrams at order α_s^2

Main ingredients

- $pp \rightarrow VVj$ at NLO with MUNICH [Kallweit] + OPENLOOPS [Buccioni et al]
- 2-loop amplitudes [Gehrmann, von Manteuffel, Tancredi '15]
- q_T-subtraction method [Catani, Grazzini '07]

Matrix [Grazzini, Kallweit, Wiesemann '17-'20]

- all $pp \rightarrow 4$ leptons/neutrinos diboson processes (and more)
- parton-level predictions at NNLO QCD plus $gg \rightarrow VV$ at NLO

Relevance of NNLO precision



[Grazzini, Kallweit, Wiesemann, Yook '20]

Few-percent QCD uncertainties

- \Rightarrow improved SM tests, EFT fits and searches with VV backgrounds
- \Rightarrow EW corrections increasingly relevant at high p_T

$pp \rightarrow VV$ and decays to leptons & ν at NLO EW $_{\rm [Biedermann,}$

Denner, Dittmanier, Jäger, Kallweit, Lindert, Maieröfer, Pellen, S.P., Schönherr '16-20]

Typically of $\mathcal{O}\left(1\%
ight)$ but possible large enhancements, especially in high-energy tails

Sudakov logarithms from virtual EW bosons

- negative corrections $\propto lpha_{
 m w} \ln^2(Q^2/M_W^2) \sim 25\%$ at $Q \sim 1 \,{
 m TeV}$
- prop. to external SU(2) charges \Rightarrow large in VV production



• $\mathcal{O}(10\%)$ in TeV tails through *t*-channel *W*-exchange



$\alpha \ln(Q/m_\ell)$ effects from lepton fragmentation

• largest in $m_{\ell\ell}$ and $m_{4\ell}$ (attenuated by lepton dressing)







Tools for $pp \rightarrow VV$ at NNLO QCD+NLO EW

OpenLoops 2 [Buccioni, Lang, Lindert, Maierhöfer, S. P., Zhang, Zoller '19]

- automated NLO QCD+EW matrix elements for any SM process
- new methods for stable real-virtual NNLO matrix elements

Munich [S.Kallweit] + OpenLoops

• full NLO QCD+EW automation [Kallweit, Lindert, Maierhöfer, S.P., Schönherr '16]

Matrix+OpenLoops [Grazzini, Kallweit, Lindert, S.P., Wiesemann '20]

• NNLO QCD+NLO EW for all processes	channels	# lept	final state
pp ightarrow 4 leptons/neutrinos	ZZ	4	$\ell^+\ell^-\ell^+\ell^-$
	ZZ	4	$\ell^+\ell^-\ell'^+\ell'^-$
• public code coming soon	WZ	3	$\ell^+\ell^-\ell u_\ell$
	WZ	3	$\ell^+\ell^-\ell' u_{\ell'}$
	ZZ	2	$\ell^+\ell^- u_{\ell'} ar{ u}_{\ell'}$
	ZZ, WW	2	$\ell^+\ell^- u_\ell ar u_\ell$
	WW	2	$\ell^+ {\ell'}^- u_\ell ar u_{\ell'}$

NNLO QCD+NLO EW predictions for diboson production and decay [M. Grazzini, S. Kallweit, J. Lindert, S. P., M. Wiesemann '20]

Building blocks (note $q\bar{q}, \gamma\gamma$ and gg channels)

$$d\sigma^{\text{LO}} = d\sigma^{\text{LO}}_{q\bar{q}} + d\sigma^{\text{LO}}_{\gamma\gamma}$$
$$d\sigma^{\text{NNLO QCD}} = d\sigma^{\text{LO}} \left(1 + \delta_{\text{QCD}}\right) + d\sigma^{\text{LO}}_{gg}$$
$$d\sigma^{\text{NLO EW}} = d\sigma^{\text{LO}} \left(1 + \delta_{\text{EW}}\right)$$

Idea of the paper

- comparative study of ZZ, WW, WZ production with (off-shell) leptonic decays
- study behaviour of (reconstructed) vector bosons
- focus on high p_T , where QCD and EW corrections can be very large and their interplay nontrivial

Combination of QCD and EW corrections

$$d\sigma^{\rm QCD+EW} = d\sigma^{\rm LO} \left(1 + \delta_{\rm QCD} + \delta_{\rm EW}\right) + d\sigma^{\rm LO}_{gg} \tag{1}$$

$$d\sigma^{\rm QCD \times EW} = d\sigma^{\rm NNLO \, QCD + EW} + d\sigma^{\rm LO} \, \delta_{\rm QCD} \, \delta_{\rm EW} \tag{2}$$

Difference between additive (1) and multiplicative (2,3) prescriptions

- factorisation generates extra $\delta_{\text{QCD}} \delta_{\text{EW}}$ correction of $\mathcal{O}(\alpha \alpha_S)$
- can be quite large at high p_T
- should be interpreted as $\mathcal{O}(\alpha \alpha_S)$ uncertainty unless there are theoretical arguments that support QCD × EW factorisation

More consistent factorisation (excluding NLO EW $\gamma\gamma$ and γq channels)

$$d\sigma^{\text{QCD}\times\text{EW}_{q\bar{q}}} = d\sigma^{\text{NNLO}\,\text{QCD}+\text{EW}} + d\sigma^{\text{LO}} \delta_{\text{QCD}} \delta_{\text{EW}}^{q\bar{q}}$$
(3)

QCD radiation patterns at high p_T

two very different configurations depending on recoiling object



Hard-VJ configurations (see later)

- $p_{T,V_1} \sim p_{T,\text{jet}} \gg M_W$
- $p_{T,V_2} \lesssim M_W$



Hard-VV configurations

- $p_{T,V_1} \sim p_{T,V_2} \gg M_W$
- $p_{T, \text{jet}} \lesssim M_W$
- $\Rightarrow \ \ Sudakov \ \ logs \ \ dominate \ \ EW \ \ corrections \ \ and \ factorise \ \ wrt \ \ QCD \ \ corrections \ \ [Manohar \ et \ al]$
- $\Rightarrow \quad \text{QCD} \times \text{EW}_{q\bar{q}} \text{ combination correctly accouns for} \\ \text{dominant } \mathcal{O}(\alpha \alpha_S) \text{ effects}$

Hard-VV dominated observable: p_{T,V_2}



QCD corrections (middle panel)

- moderate shape and normalisation corrections
- few-percent NNLO scale uncertainties

EW corrections (middle panel)

- dominated by large negative Sudakov logs
- far beyond NNLO uncertainties at $p_T \gg M_W$

Best combination = $\mathrm{QCD} \times \mathrm{EW}_{q\bar{q}}$ (lower panel, pink)

- captures dominant $\mathcal{O}(\alpha \alpha_S)$ effects
- percent-level scale uncertainty
- uncertainty dominated by missing $O(\alpha^2)$ Sudakov logs $\sim \frac{1}{2} \delta_{\rm EW}^2$ [Denner, Manohar, Kühn, S.P., ...]

p_{T,V_2} distribution in $pp \rightarrow WW, WZ, ZZ$



- similar behaviour in all channels
- largest QCD corrections in WZ and largest EW corrections in ZZ (see more details in the paper)

Hard-Vj configurations at high p_T

(recoil absorbed by jet)





NLO EW



Giant NLO QCD correction from $pp \rightarrow Vj$ with soft V_2 radiation [Baglio, Ninh, Weber '13]

$$d\sigma^{V(V)j} \propto d\sigma_{\rm LO}^{Vj} \times \frac{\alpha_{\rm w}}{2\pi} \log^2 \left(\frac{Q^2}{M_W^2}\right) \propto d\sigma_{VV}^{\rm LO} \times \underbrace{\alpha_S \log^2 \left(\frac{Q^2}{M_W^2}\right)}_{\sim 3 \text{ at } 1 \text{ TeV}}$$

no such log enhancement beyond NLO (sind

(since due to soft V radiation)

Giant NLO EW correctionfrom soft W radiation in γq channel \Rightarrow no QCD× EW factorisation(dominant QCD and EW corrections from different hard subprocesses)



QCD corrections (middle panel)

- huge NLO corrections and uncertainty
- moderate NNLO correction and uncertainty

EW corrections (middle panel)

- large negative Sudakov logs overcompensated by huge $\gamma q \rightarrow VWq$ correction
- QCD–EW combination at $p_{\mathrm{T}} \gg M_W$ (lower panel)
 - large differences between various prescriptions

 \Rightarrow large $\mathcal{O}(\alpha \alpha_S)$ uncertainty spoils TH precision

Possible solutions

(A) Include $\mathcal{O}(\alpha\alpha_S)$ EW corrections to hard-Vj configurations

- possible with MEPS merging at NLO QCD + EW_{virt} [Kallweit, Lindert, Maierhöfer, S.P., Schönherr '16] available in Sherpa
- very recently applied to WW production [Bräuer et al, 2005.12128]

(only NLO QCD+EW accuracy)

(B) Veto against hard-Vj configurations [Grazzini et al. '20]

• NNLO QCD+EW with mild jet veto

$$H_T^{\rm jets} < 0.2 H_T^{\rm lep}$$

- ⇒ suppression of hard-Vj with soft V_2 radiation $(r_{21} \ll 1)$
- ⇒ inclusion of hard-VV with soft QCD radiation $(r_{12} \rightarrow 1)$



p_{T,V_1} distributions with H_T^{jets} veto



- similarly good behaviour and NNLO QCD+EW accuracy as for hard-VV dominated distributions
- NLO QCD enhancement in the tail can be further reduced with optimised veto

Conclusions

NNLO QCD+NLO EW for all processes $pp \rightarrow 4$ leptons/neutrinos

- implemented in MATRIX+OPENLOOPS (code coming soon)
- at $p_T \gg M_W$ very large QCD and EW corrections and nontrivial interplay

Hard-VV dominated observables

- typical NNLO QCD uncertainties of few percent
- large Sudakov EW logs factorise wrt QCD \Rightarrow high precision up to few 100 GeV

(2-loop EW logs needed at TeV scale)

Hard-Vj dominated observables

- very large NLO QCD and EW corrections, but NNLO QCD quite stable
- large $\mathcal{O}(\alpha \alpha_S)$ uncertainties can be avoided with mild veto (or multi-jet merging)

Important implications for sensitivity of BSM and EFT studies at high $\ensuremath{p_{T}}$

Q&A on Zoom after the end of this session

Meeting ID : 266 192 3471

Password : same as this session

Backup slides

QED logarithmic corrections from lepton fragmentation



- $\alpha \ln(Q/m_\ell)$ corrections with bare leptons
- attenuated by lepton dressing
- largest effects in m_{ll} and m_{ll}



[Biedermann et.al. '16]

Photon-induced processes



- $\mathcal{O}(\alpha^2)$ like $q\bar{q} \rightarrow VV$ but usually not included in QCD predictions
- $\mathcal{O}(10\%)$ effects in TeV tails through *t*-channel *W*-exchange
- large γ-PDF uncertainties in NNPDF3.0 now strongly reduced with LUXQED PDFs [Manohar, Nason, Salam, Zanderighi '16]

Inclusive p_{T,V_1} distribution in $pp \to WW, WZ, ZZ$

