

EXOTIC COMPACT OBJECTS IN A DISSIPATIVE DARK SECTOR

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Collaboration with D. Egana-Ugrinovic, R. Essig and C. Kouvaris

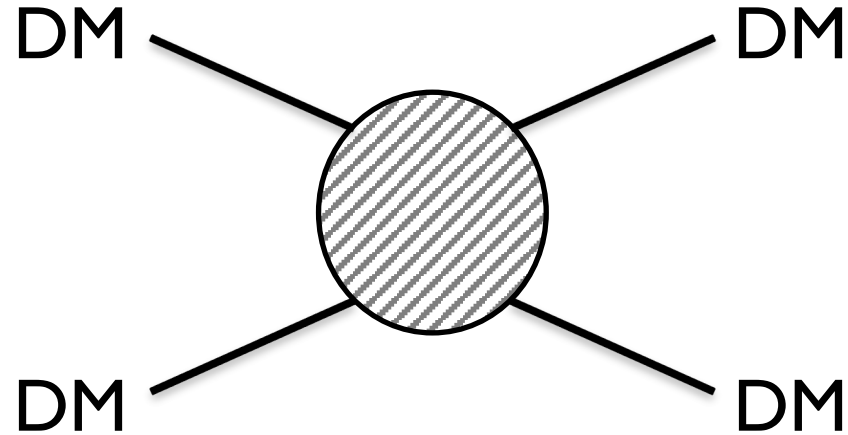
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Q: Can we probe the particle nature of DM if it interacts with us **only gravitationally?**

A: Yes !



- By probing dark sector interactions from astronomical small-scale structures
- Dark sector interactions may lead to formation of dark galaxies and dark stars
- Dark stars are called “Exotic Compact Objects”
- Properties of such objects (e.g. size and mass) give information of particle nature

Goal of this Talk

- Introduce a simple dark sector model
- Study the complete history of structure formation including
 - Evolution of cosmological perturbations
 - Formation of exotic compact objects
- Provide a map between astrophysical properties and particle physics parameters

Conditions for the Model

- Self-interaction
 - Otherwise behaves like CDM
 - Sub-dominant (We assume 1% of total DM)
- DM does not annihilate
 - Want final compact objects to be stable
 - e.g. Asymmetry, Bound states, ...
- Cooling
 - Necessary for “fragmentation”

Mimic Baryons?

- Of course, baryons satisfy all the conditions
- Can we think about a model like baryons?
- Yes, but baryons are too complicated!
- As a starting point, we consider the simplest DS model

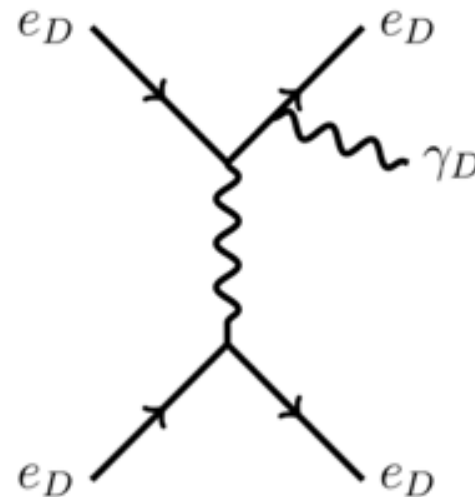
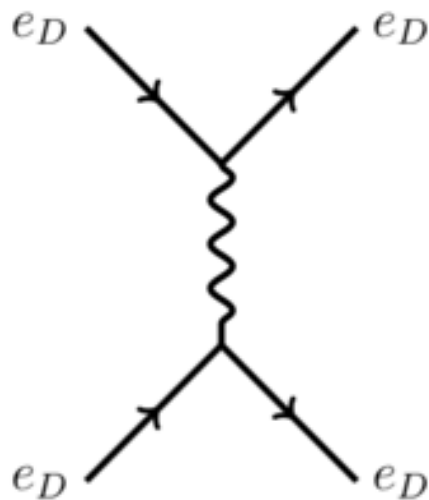
The Simplified Model in this Work

$$i \bar{\Psi}_{e_D} \gamma^\mu D_\mu \Psi_{e_D} - m_{e_D} \bar{\Psi}_{e_D} \Psi_{e_D} - \frac{1}{4} F_{\mu\nu} F^{\mu\nu} + m_{\gamma_D}^2 A_\mu A^\mu$$

- Contains only two particles
 - Dark electron e_D^- : composes matter
 - Dark photon γ_D : mediates interactions
- Only 3 model parameters: $m_{e_D}, m_{\gamma_D}, \alpha_D$

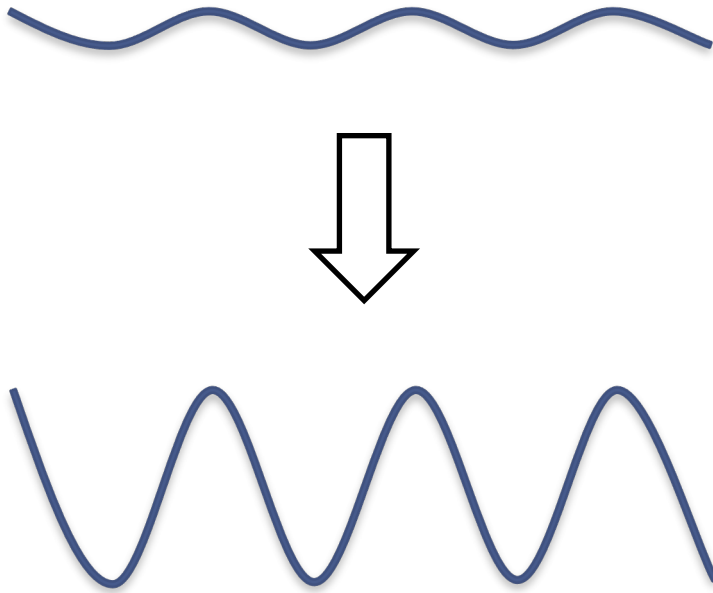
Satisfies all the conditions!

- Self-interaction
- Cooling via bremsstrahlung



- Assume charge asymmetry Petraki et al, 1403.1077
 - Negligible dark positron abundance
 - Final objects are stable

Linear Perturbation Growth

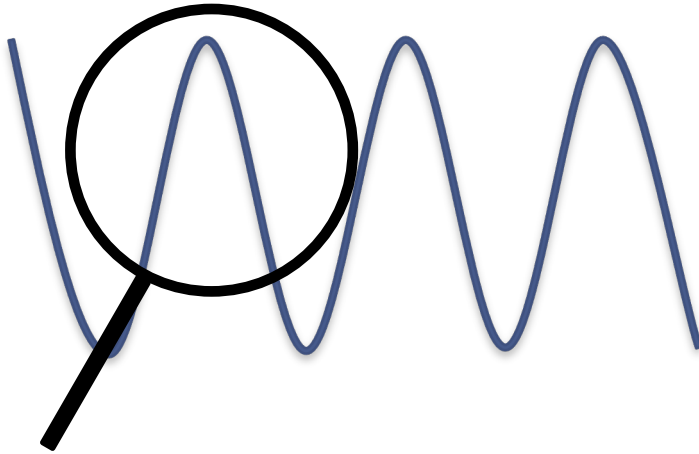


- Perturbations grow with time
- Can be analyzed with linear perturbation theory for

$$\delta \equiv \frac{\delta\rho}{\rho} \ll 1$$

$$\partial_t^2 \delta_{\mathbf{k}}(t) + 2H\partial_t \delta_{\mathbf{k}}(t) + [c_s^2 k^2 / a^2 - 4\pi G\rho_0] \delta_{\mathbf{k}} = 0$$

Non-linear Regime



$$\delta_{\text{ta}} \approx 1.686$$

Calculated in the linear theory. See Mo, van den Bosch, and White 2010

- Gravitational pull overcomes Hubble expansion: perturbations “turn-around”
- Can analyze individual mass clumps with **Jeans Mass**

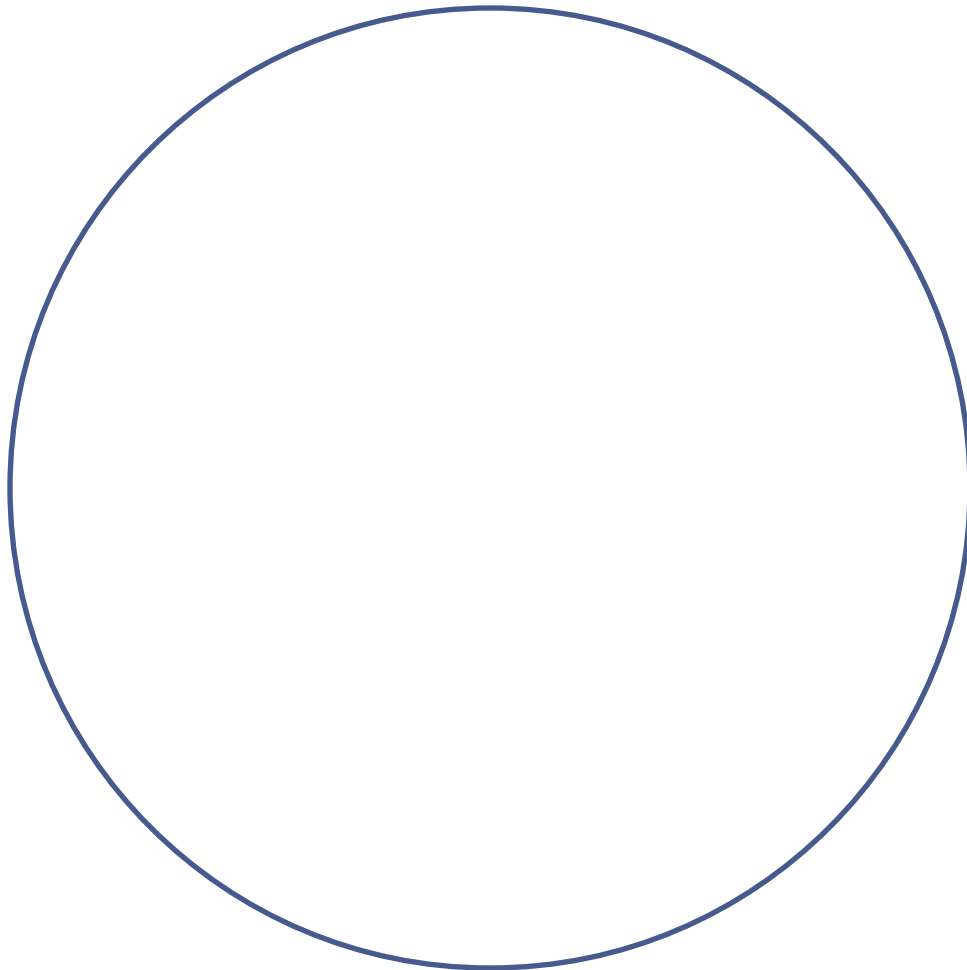
Jeans Mass M_J

- Maximum mass of gas that pressure can support
- If $M > M_J$, a mass clump collapses

- $$M_J = \frac{\pi}{6} c_s^3 \left(\frac{\pi}{G}\right)^{3/2} \left(\frac{1}{\rho}\right)^{1/2}$$

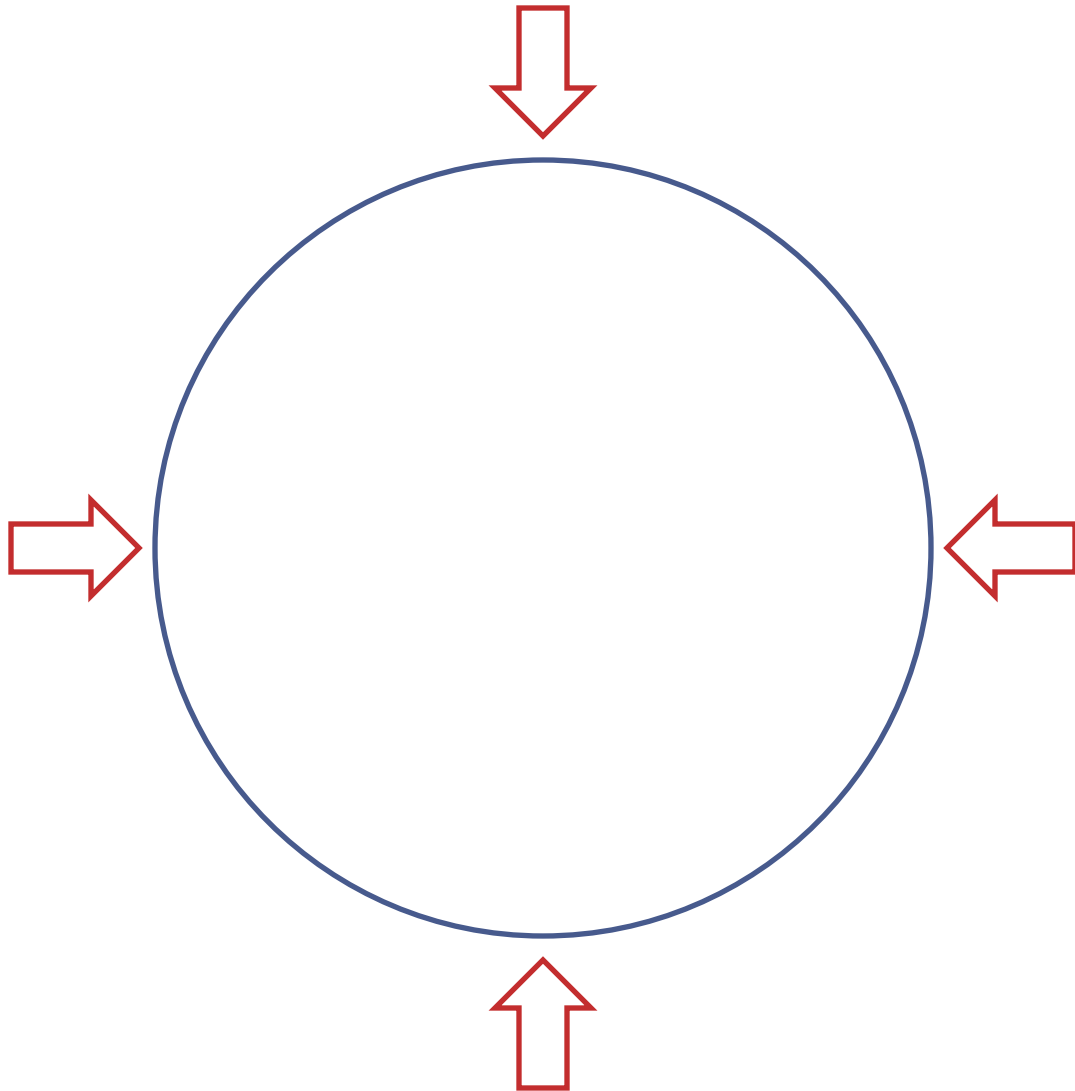
- $$c_s = \sqrt{\frac{T_e}{m_e} + \frac{4\pi\alpha n_e}{m_e^2 m_\gamma^2}}$$

Schematic of Non-linear Regime



- A big mass perturbation after turnaround
- Suppose $M > M_J$
- Then it collapses

① Adiabatic Collapse

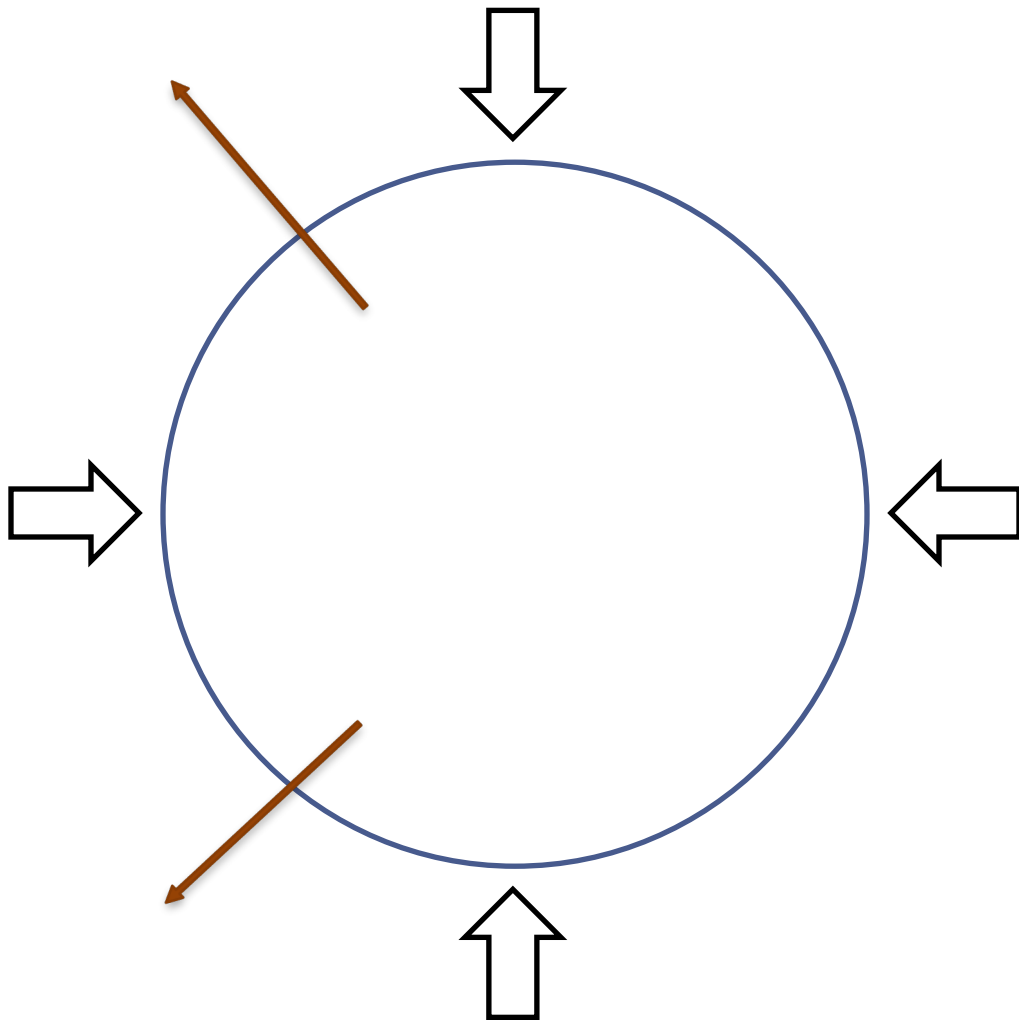


- Temperature increases

- $M_J \propto \sqrt{\frac{T^3}{\rho}}$
increases

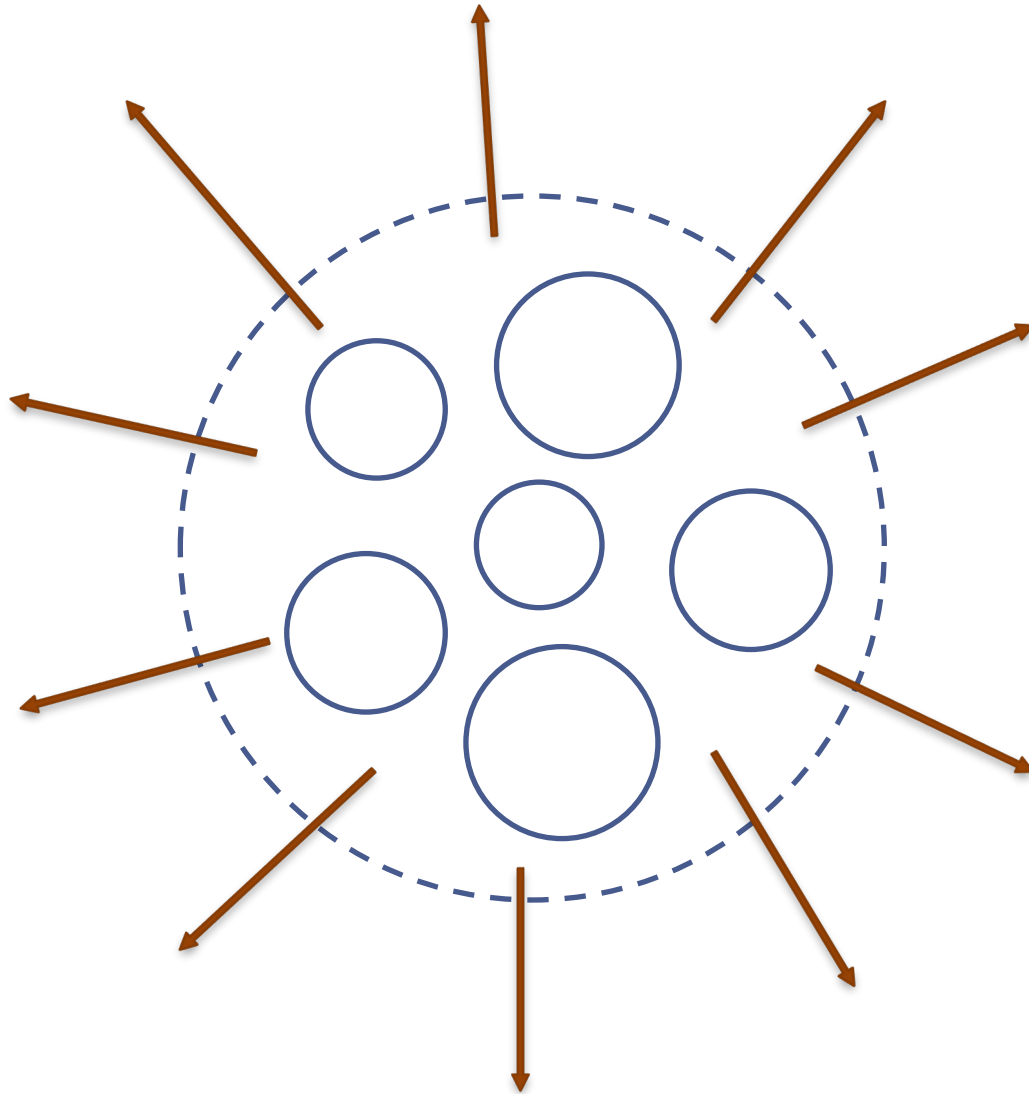
- Adiabatic collapse stops at $M_J = M$

② Virialized Collapse



- If there's cooling, it keeps collapsing
- $M_J = M$ during the collapse
- Temperature increases (slower than adiabatic)

③ Fragmentation



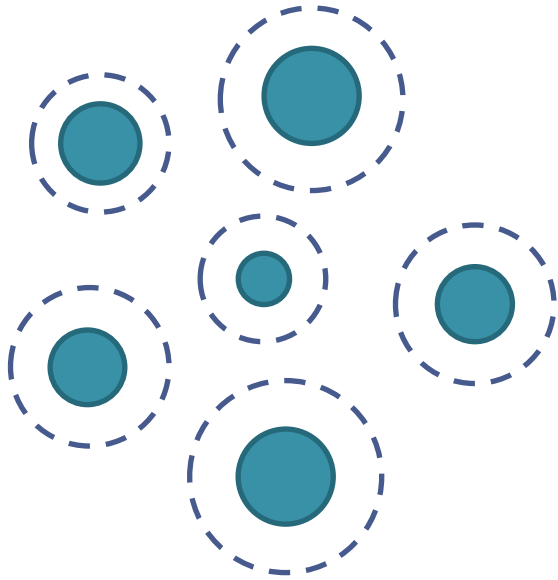
- Cooling becomes efficient as number density increases

- Temperature decreases, so

$$M_J \propto \sqrt{\frac{T^3}{\rho}}$$

decreases

④ Compact Objects Formation



- Cooling stops as optical depth becomes large
- Fragmentation stops

Master Equation

$$dE = -PdV - \Lambda dt$$

Λ is cooling rate

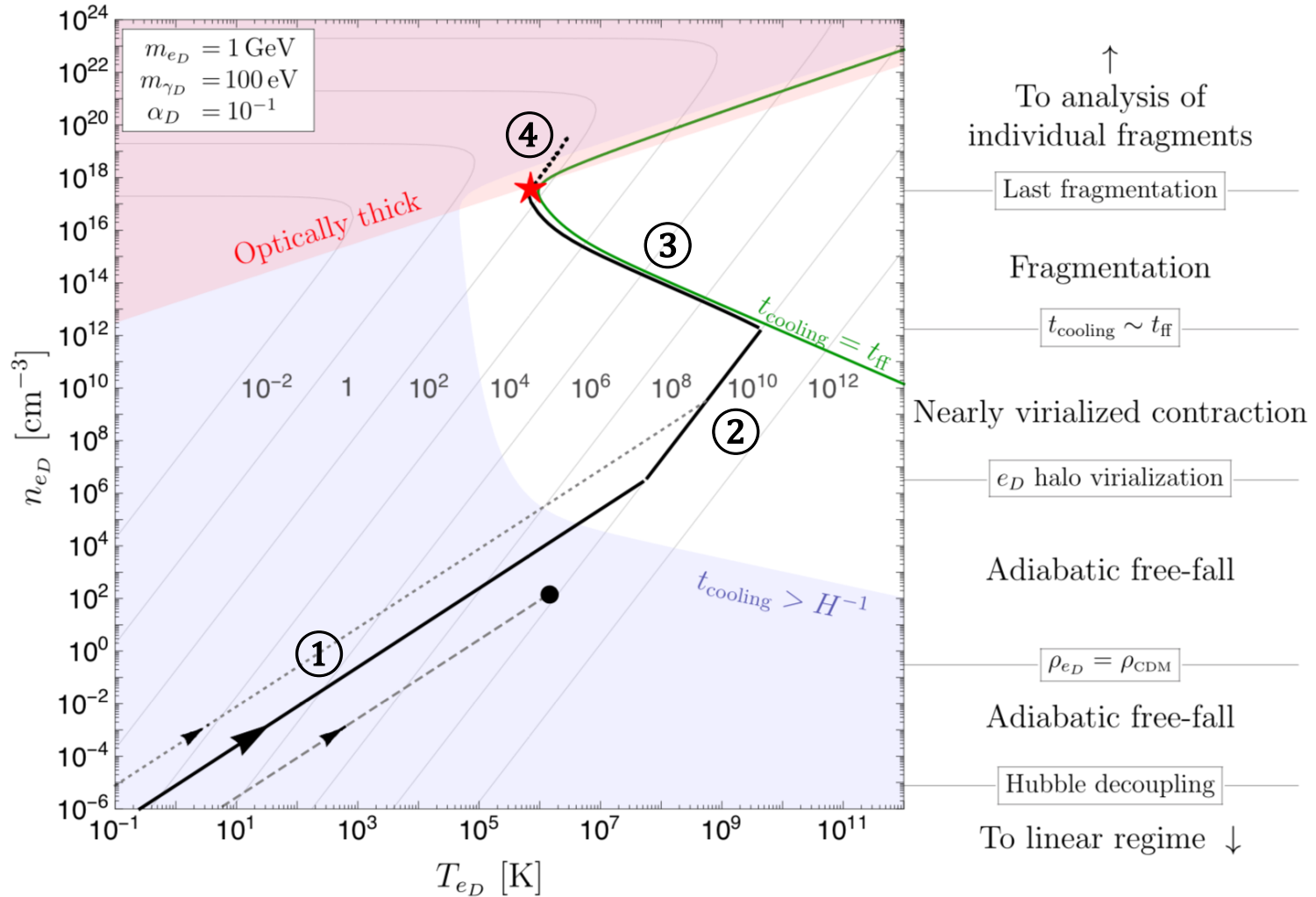


$$\frac{d \log T}{d \log \rho} = \frac{2 m P}{3 \rho T} - \frac{2 t_{\text{ff}}}{t_{\text{cooling}}}$$

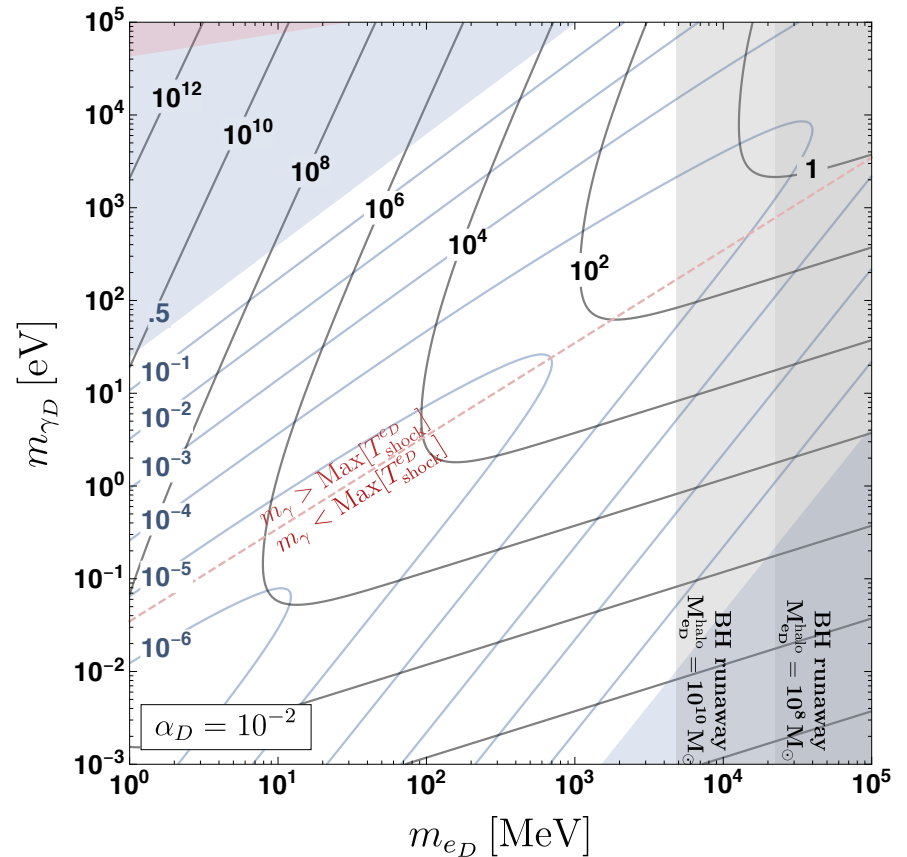
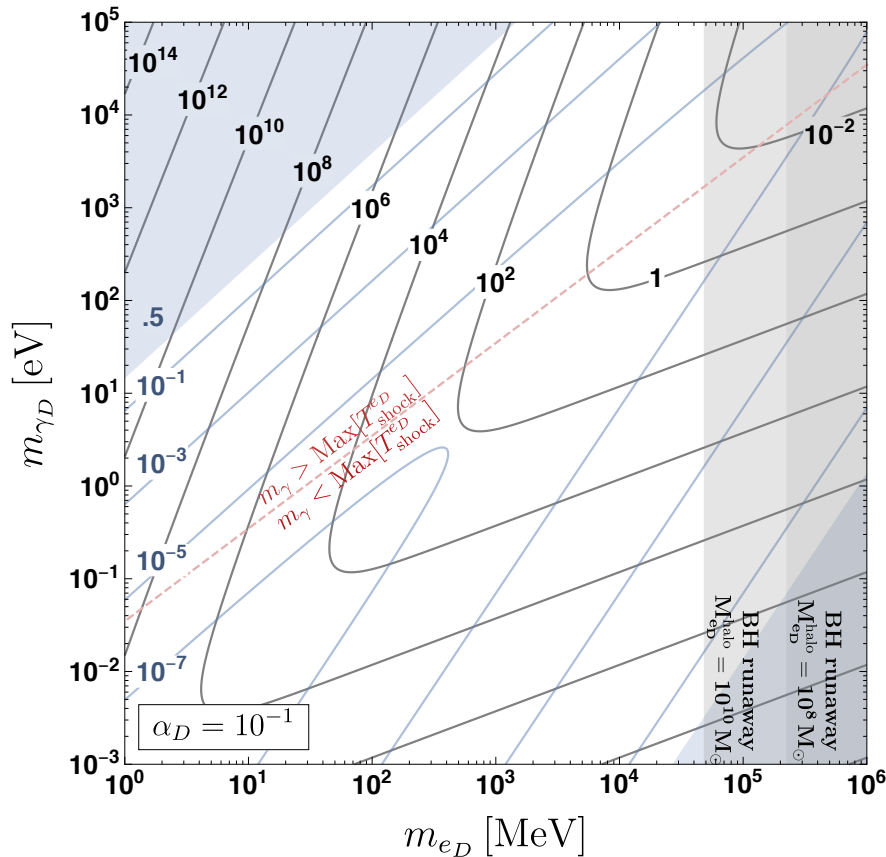
Low, Linden-Bell 1976

- Mass perturbation is parameterized with ρ and T

Evolution Trajectory ($M = 10^{10} M_{\odot}$)



Results According to Model Parameters



- Black lines : Minimum M_J in M_\odot after fragmentation
- Blue lines : Corresponding compactness ($C = GM/R$)

Fragmentation Analysis

- Our analysis can be used for any dark sector model
- Even for baryons, it roughly estimates the typical mass of stars in a galaxy
- Studying only stability of compact objects (as done by many people in the literature) leads to unrealistic conclusions

Conclusions

- We described the complete history of structure formation of a simple dissipative dark sector model.
- We provided a map between astronomical properties and particle physics parameters.