

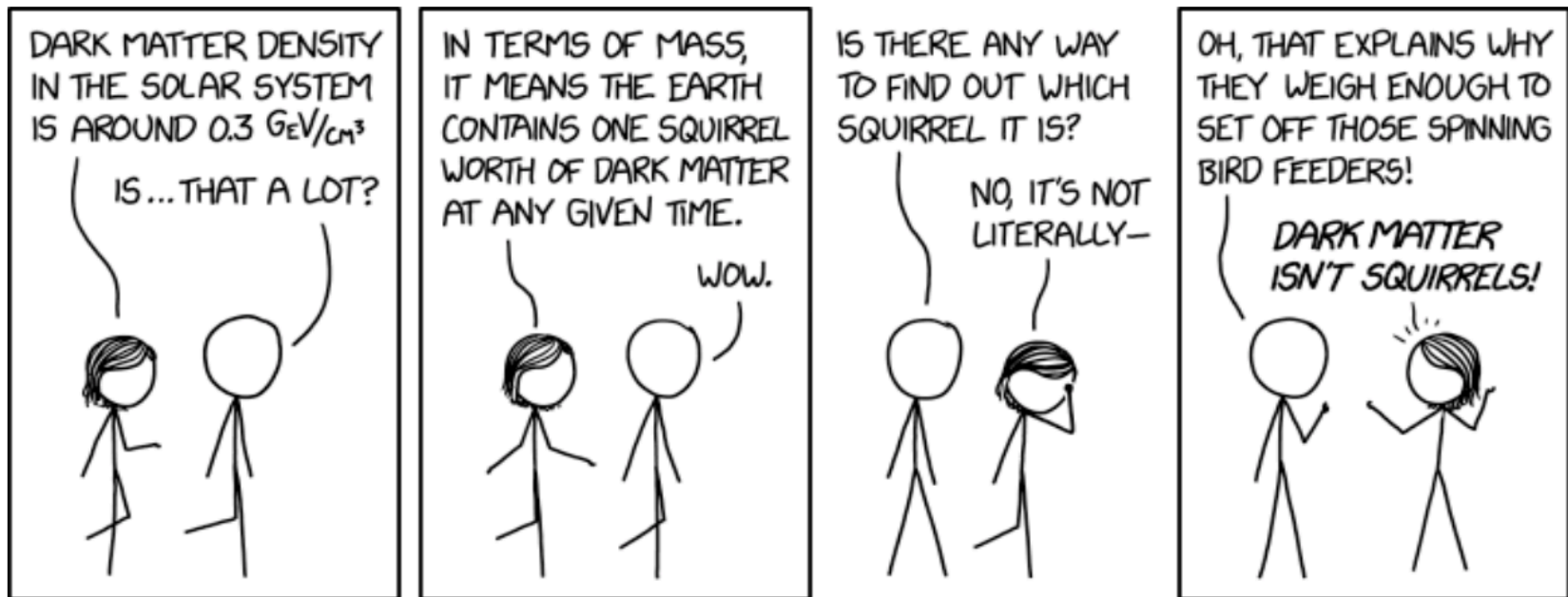
Stefano Profumo

Santa Cruz Institute for Particle Physics
University of California, Santa Cruz



UC SANTA CRUZ

What is the Dark Matter?

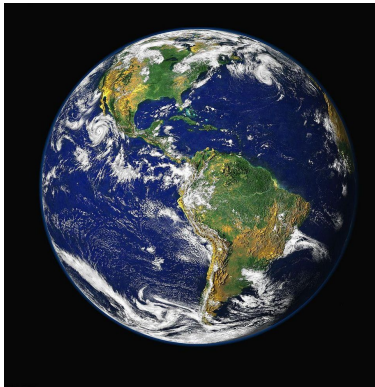


Pheno 2020

Wednesday May 6, 2020

* Credit: xqcd

5/6



**a new
elementary particle**

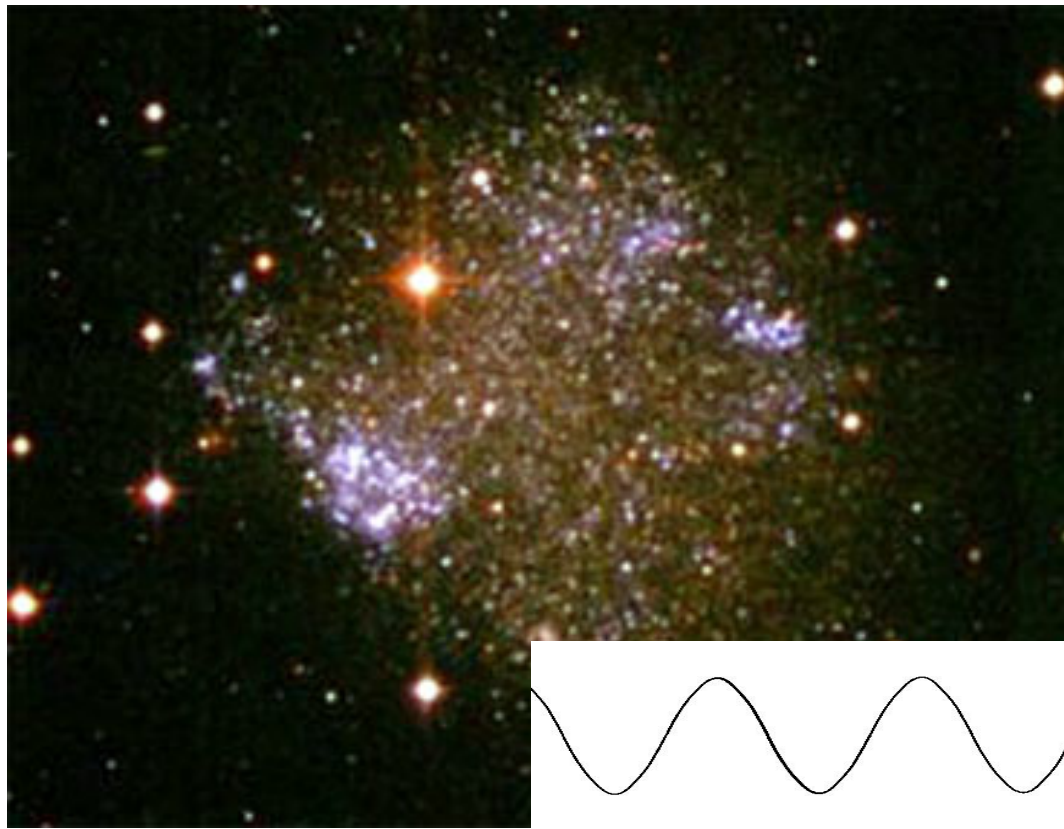
**what is an
elementary particle?**

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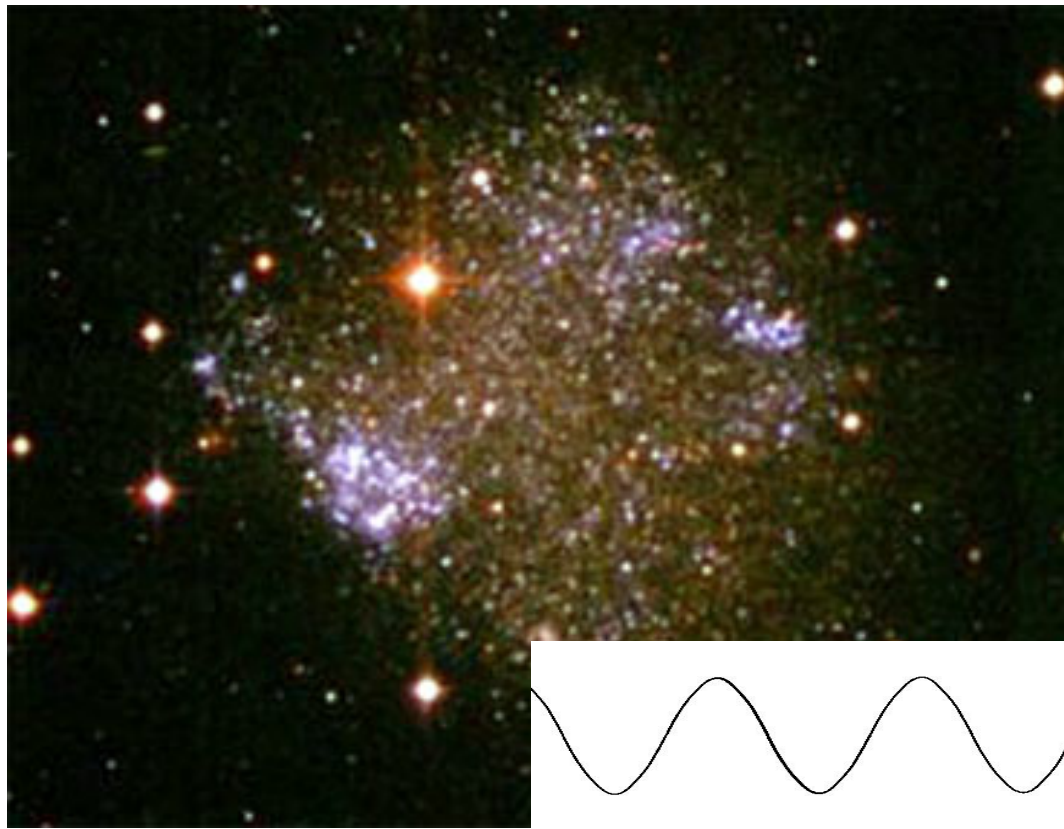
**an irreducible, unitary
representation of the
Poincaré Group**

(m, J)

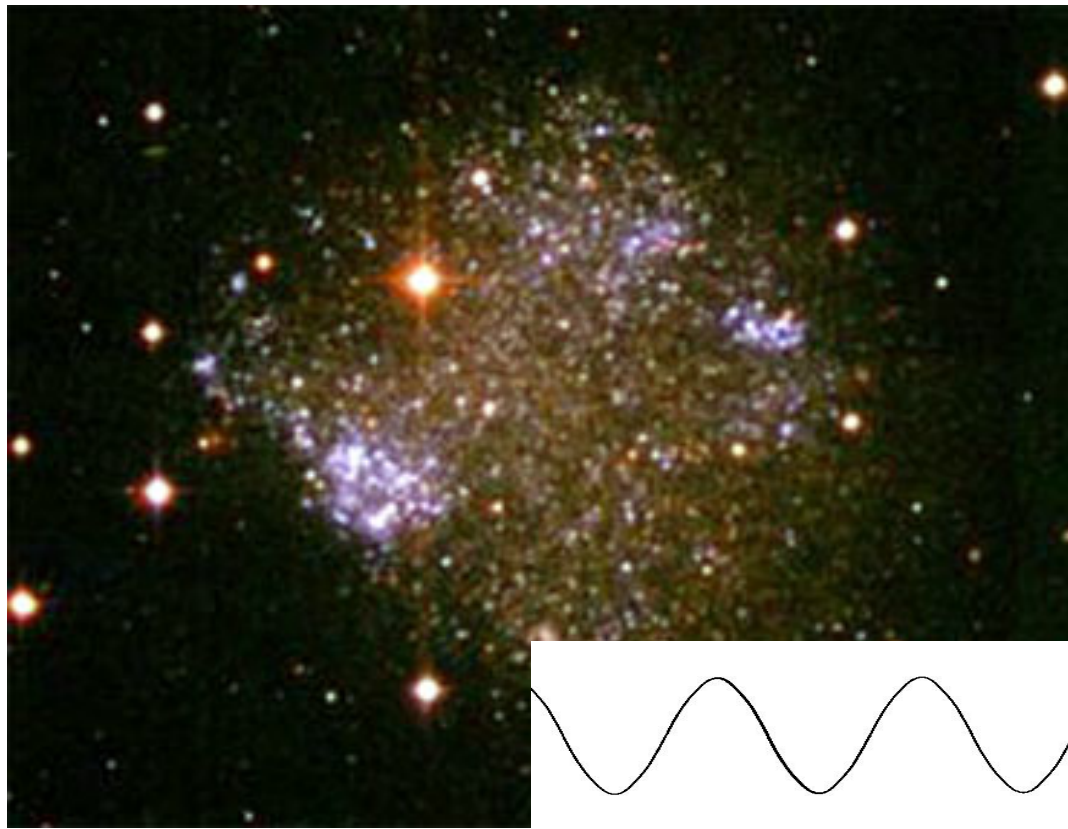
**what do we know
about **m** and **J**?**



what do we know
about **m** and **J**?

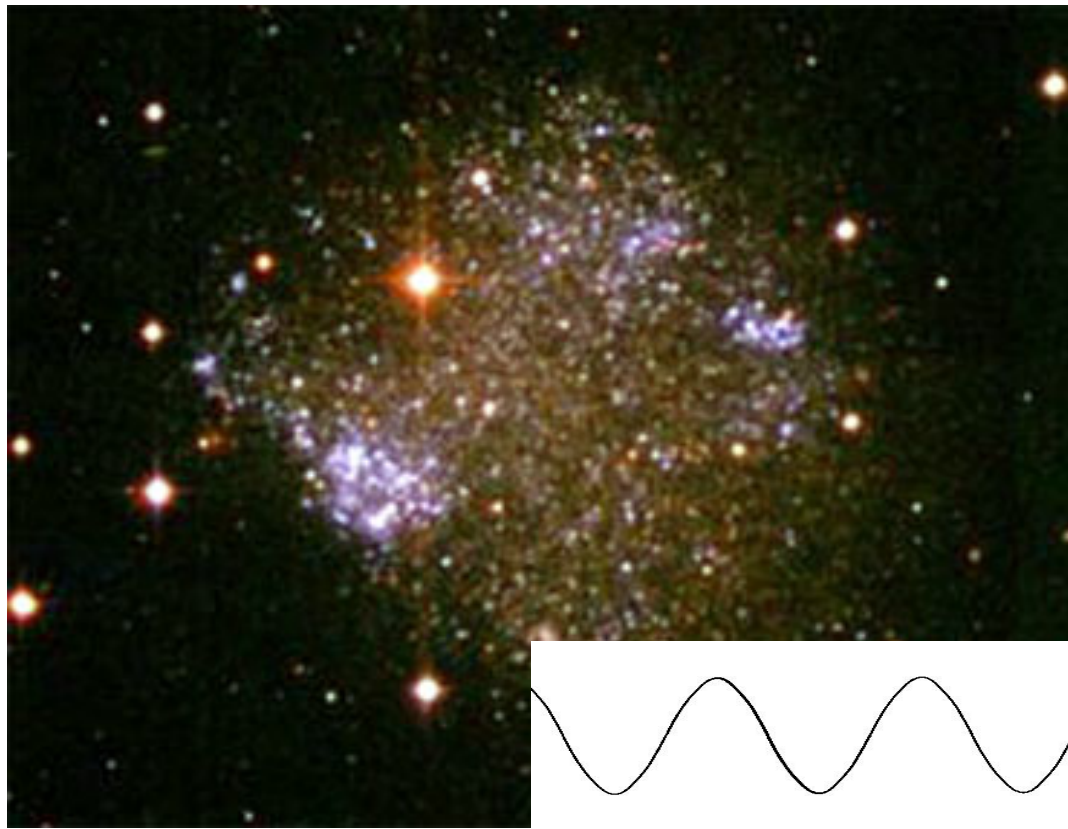


quantum effects must be
smaller than halos!



$$\lambda_{\text{DB}} = h/(mv) < \mathbf{1 \text{ kpc}}$$

$$\lambda_{\text{DB}} = \mathbf{0.3 \text{ cm}} \ (1 \text{ eV/m}) < \mathbf{3 \times 10^{21} \text{ cm}}$$



$$m > 10^{-22} \text{ eV}$$

$$\lambda_{\text{DB}} = 0.3 \text{ cm} (1 \text{ eV}/m) < 3 \times 10^{21} \text{ cm}$$

what if $J=(2n+1)/2$, i.e. **fermion**?

the **phase space** density is bounded (**Pauli** blocking): $f = gh^{-3}$

upper limit: highest observed phase space density: **dSph!**

$$\frac{g}{h^3} \geq n \cdot f_p \geq \frac{\rho_{\text{DM}}}{m} \frac{1 \text{ (MB with exp=1)}}{\left(m \cdot \sqrt{2\pi\sigma^2}\right)^3}$$

$$m^4 \geq \frac{\rho_{\text{DM}} h^3}{[g(2\pi\sigma^2)^{3/2}]} \sim (25 \text{ eV})^4$$

Tremaine-Gunn limit (1979)



m > 25 eV

what if $J = (2n+1)/2$, i.e. **fermion?**

$m > 10^{-22}$ eV

bosons

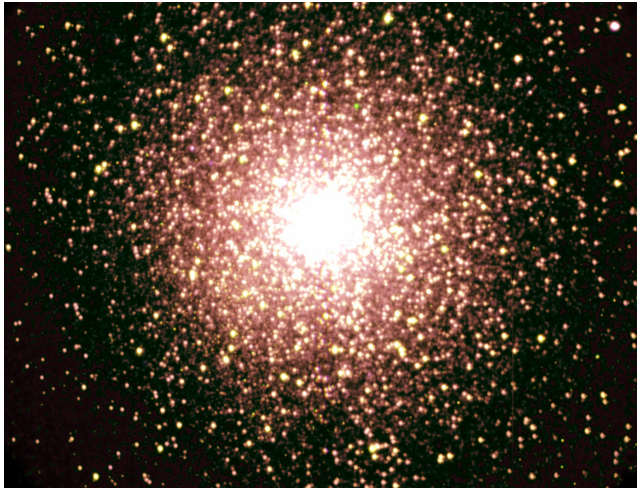
$m > 25$ eV

fermions

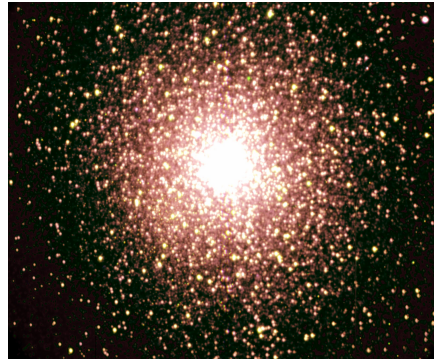
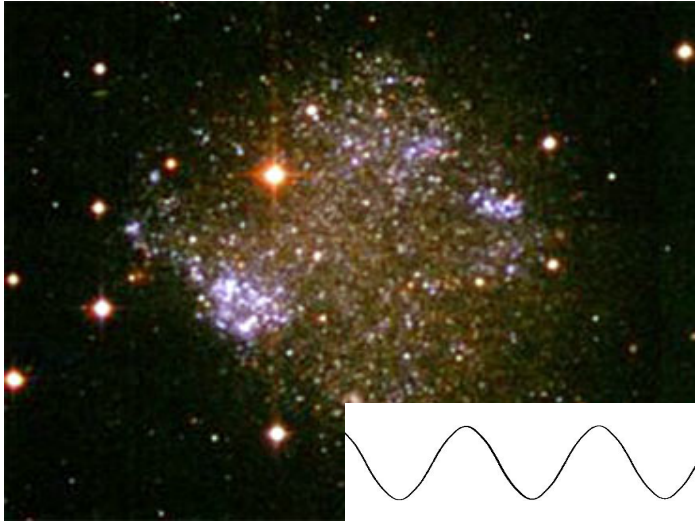
what is the **upper** limit
to the dark matter mass?

ultramassive DM: beyond M_P ...
composite, primordial **black holes!**

Macroscopic Dark Matter would **tidally disrupt** structure



$m < 10^3$ solar masses $\sim 10^{70}$ eV



**Macroscopic
Quantum
Effects**

What **else do
we know about
the DM?**

**Macroscopic
Tidal
Effects**

The **Standard Model** contains some of the
Dark Matter! **Neutrinos**

What **else** do
we know about
the DM?

The **Standard Model** contains some of the Dark Matter! **Neutrinos**

$$\Omega_\nu h^2 = \frac{\rho_\nu}{\rho_{\text{crit}}} h^2 \simeq \frac{m_\nu}{91.5 \text{ eV}}$$

...we know at least two neutrinos are **massive**

$$\Delta m_{\text{sol}}^2 = (7.53 \pm 0.18) \times 10^{-5} \text{ eV}^2 \quad \Delta m_{\text{atm}}^2 = (2.44 \pm 0.06) \times 10^{-3} \text{ eV}^2$$

...thus, at a minimum,

$$\Omega_\nu h^2 > \frac{\Delta m_{\text{sol}} + \Delta m_{\text{atm}}}{91.5 \text{ eV}} \simeq \frac{0.058 \text{ eV}}{91.5 \text{ eV}} \simeq 0.00063$$

$$\frac{\Omega_\nu}{\Omega_{\text{DM}}} > 0.53\%$$

However, **CMB** constrains $\sum_j m_j \lesssim (0.3 - 1.3) \text{ eV}$.

...adding **LSS** data $\sum_j m_j < 0.170 \text{ eV}$, 95% CL.

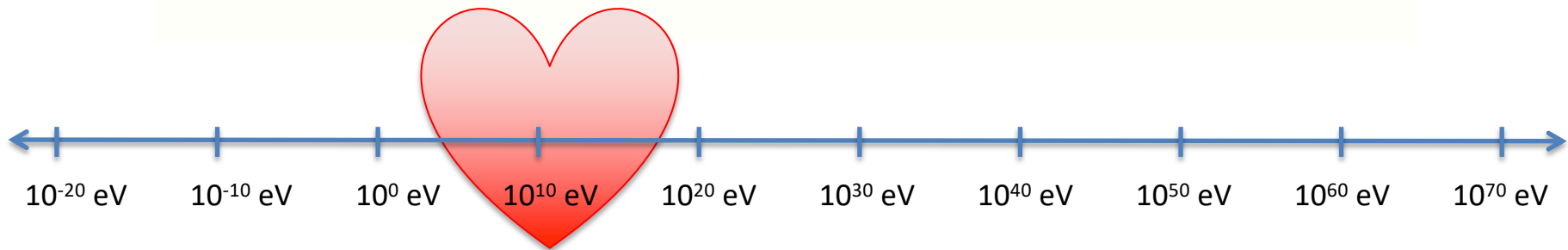
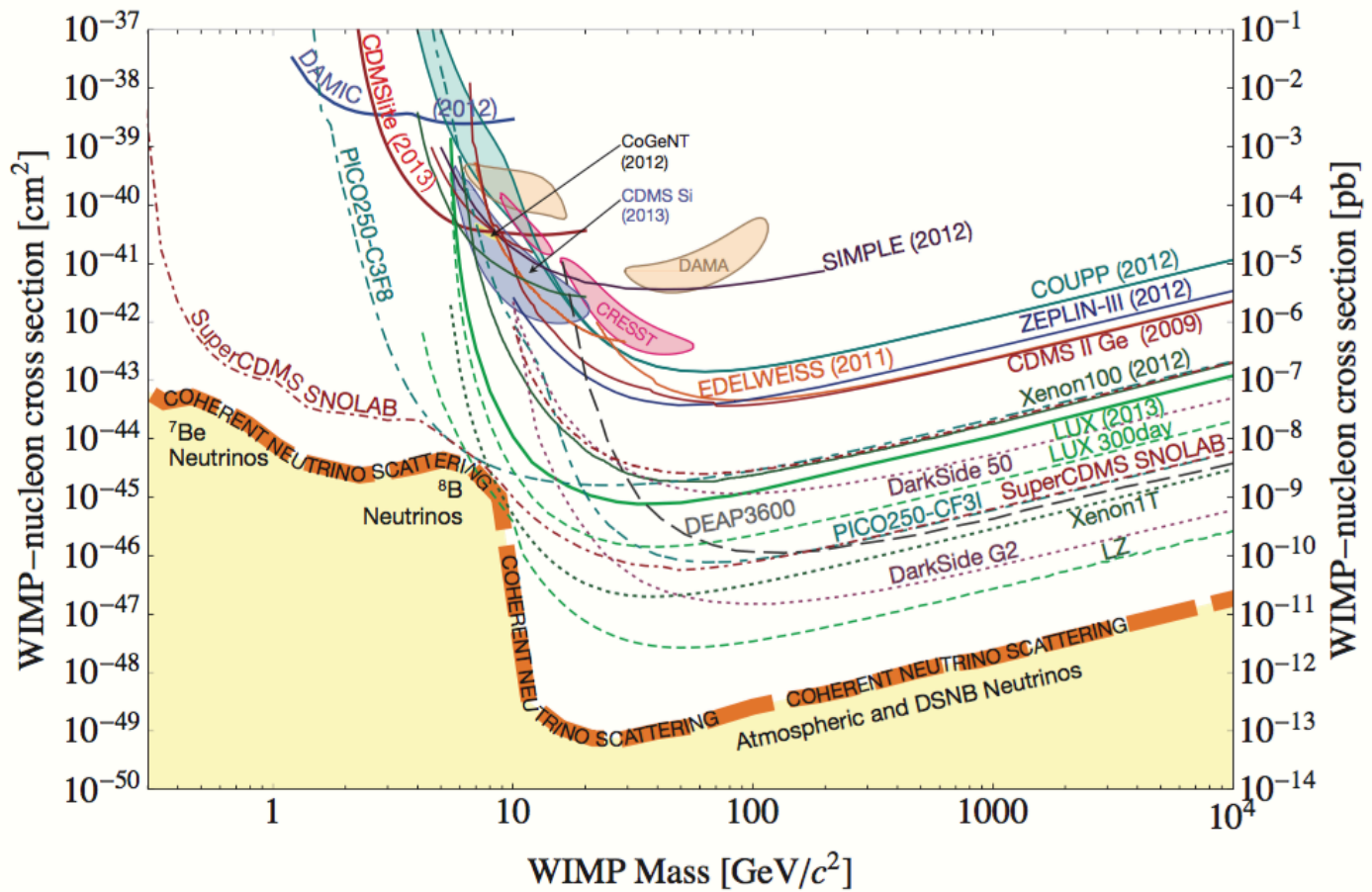
...putting the SM component of **neutrinos** as **DM** at

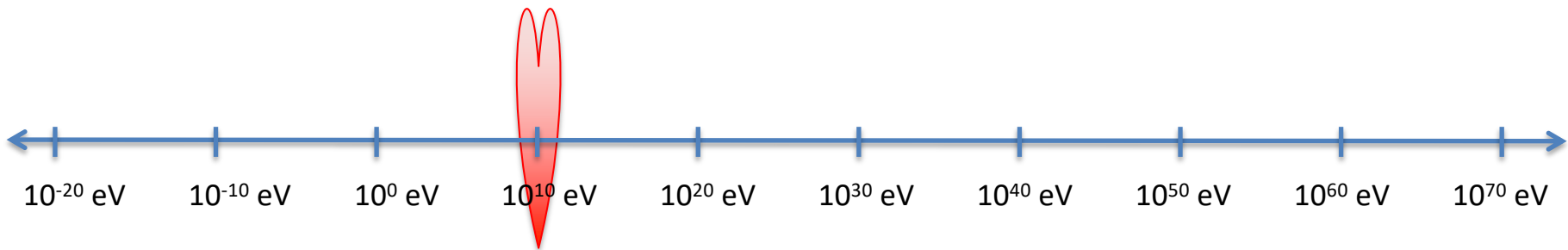
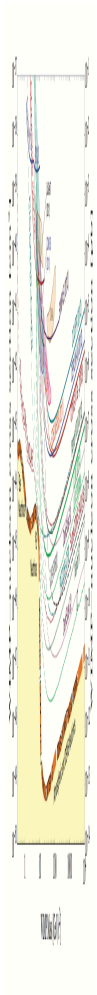
$$\Omega_\nu h^2 < \frac{0.170 \text{ eV}}{91.5 \text{ eV}} \simeq 0.0019$$

$$0.5\% < \frac{\Omega_\nu}{\Omega_{\text{DM}}} < 1.6\%$$



What about the **99%**?





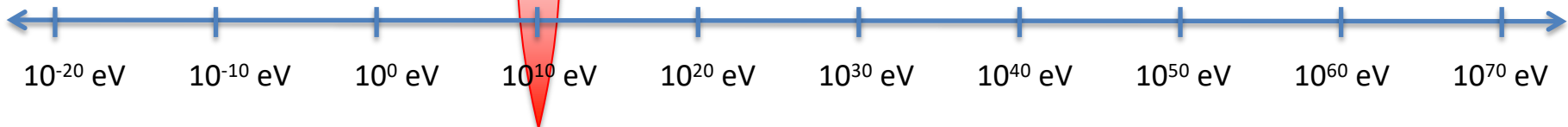
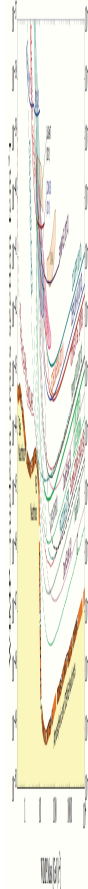
$$\left(\frac{\Omega_\chi}{0.2}\right) \simeq \frac{x_{\text{f.o.}}}{20} \left(\frac{10^{-8} \text{ GeV}^{-2}}{\sigma}\right)$$

“right” (model-dependent)

combinations

of **masses** and **couplings** populate a much larger “rich **hidden sector**” parameter space

$$\sigma \sim g^4 m_{DM}^2 / m_{med}^4$$



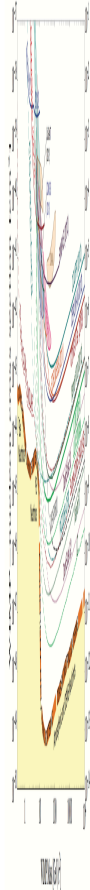
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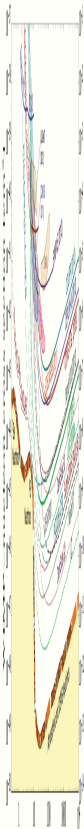
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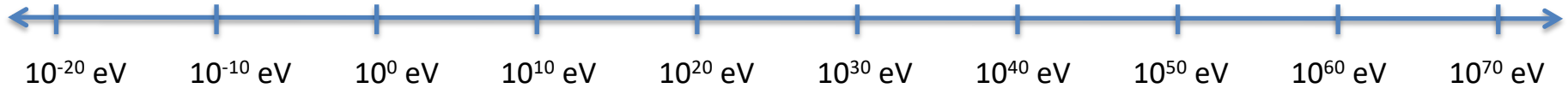
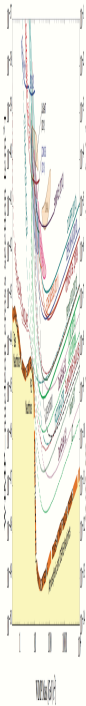
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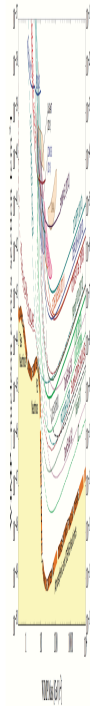
$$\sigma \sim g^4 m_{DM}^2 / m_{med}^4$$

...price: must **invent** new **interactions** besides $SU(2)_L$

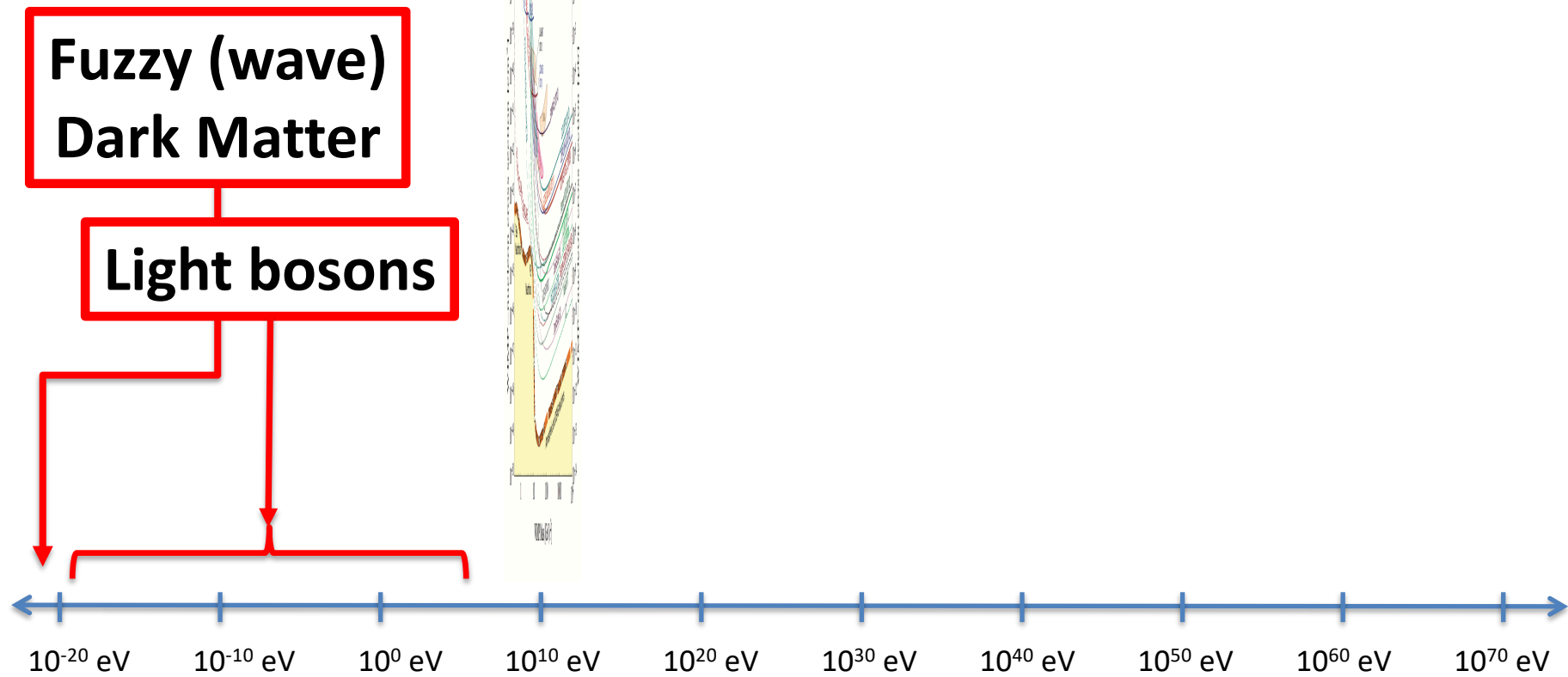




Fuzzy (wave) Dark Matter



- Soliton-like **core**, of size $\sim 1/v_{\text{DM}}$
- Opportunities for new **stellar surveys!**
- Strong constraints from **21 cm line**
(no solution to small-scale issues)*

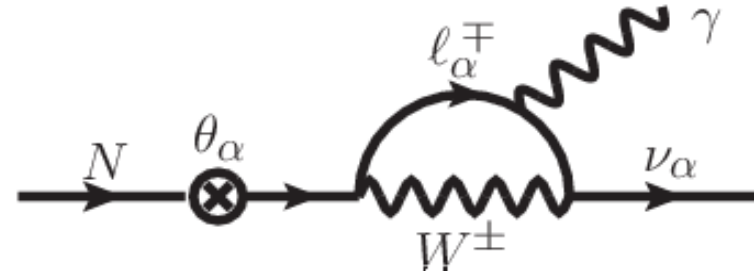
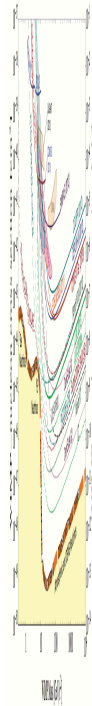


➤ Many exciting **new ideas!***

* ABRACADABRA, LC resonators, HAYSTAC, MW cavities...

**Fuzzy (wave)
Dark Matter**

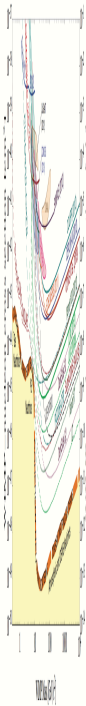
Light bosons



Sterile Neutrinos

- **We (might) need them (ν masses, leptogenesis)**
- **Detectable with X-rays**
- **Detected? (3.5 keV line) No: Draco, XMM Blank Fields!***

* Jeltema + Profumo '16 MNRAS; Dessert+ '19 Science



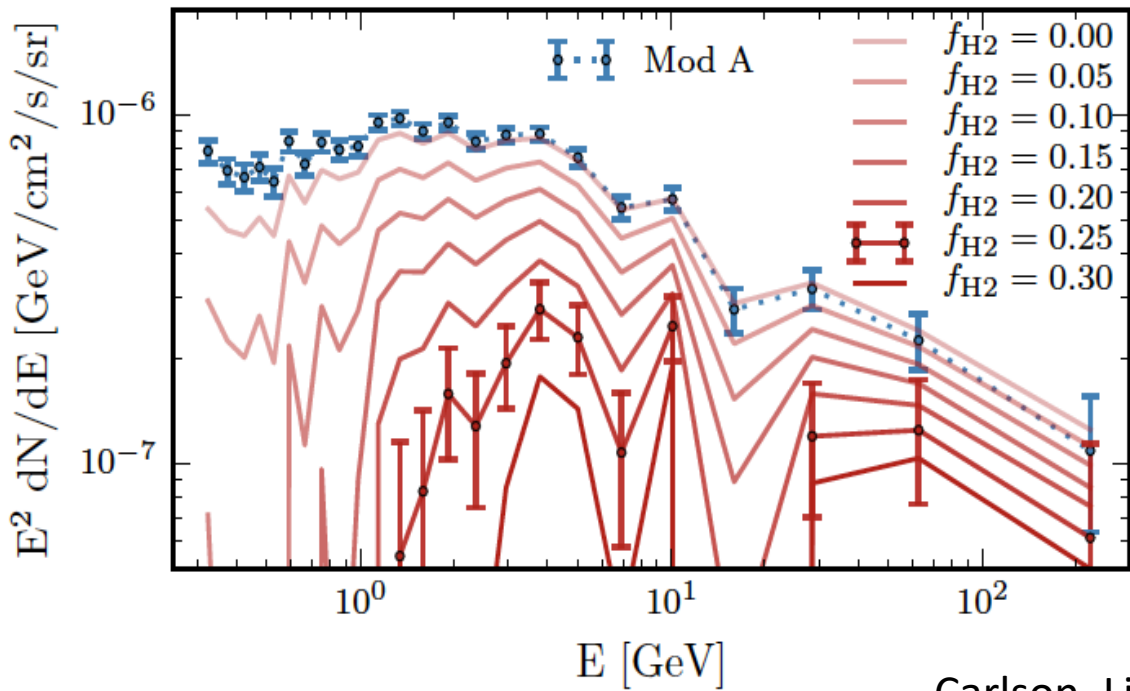
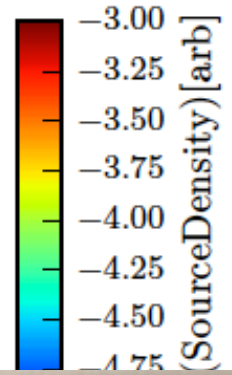
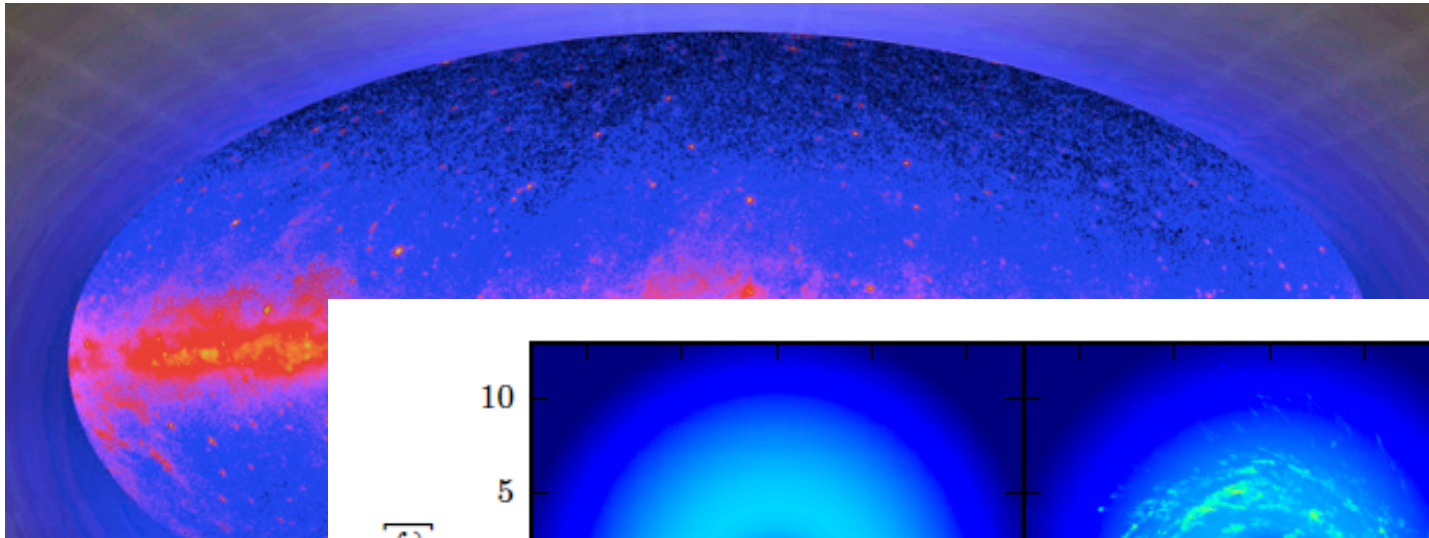
- Common in **BSM** weak-scale
- Very **advanced** direct detection program, **null** results
- Controversial **indirect** signals



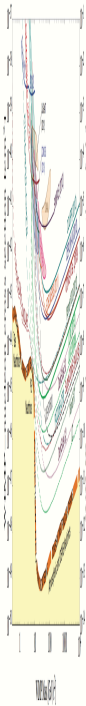
WIMPs

✓ **Galactic Center excess**

- Cosmic Ray **sources**
- Simplistic **Diffusion** Models
- Unresolved **GR** sources



Carlson, Linden, Profumo PRD, PRL (2016-18)

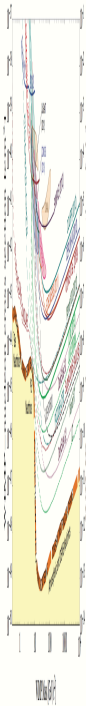


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WIMPs

- ✓ **Galactic Center** excess
- ✓ other gamma-ray **excesses** (M31, M31 outer halo, Omega-Cen,...)

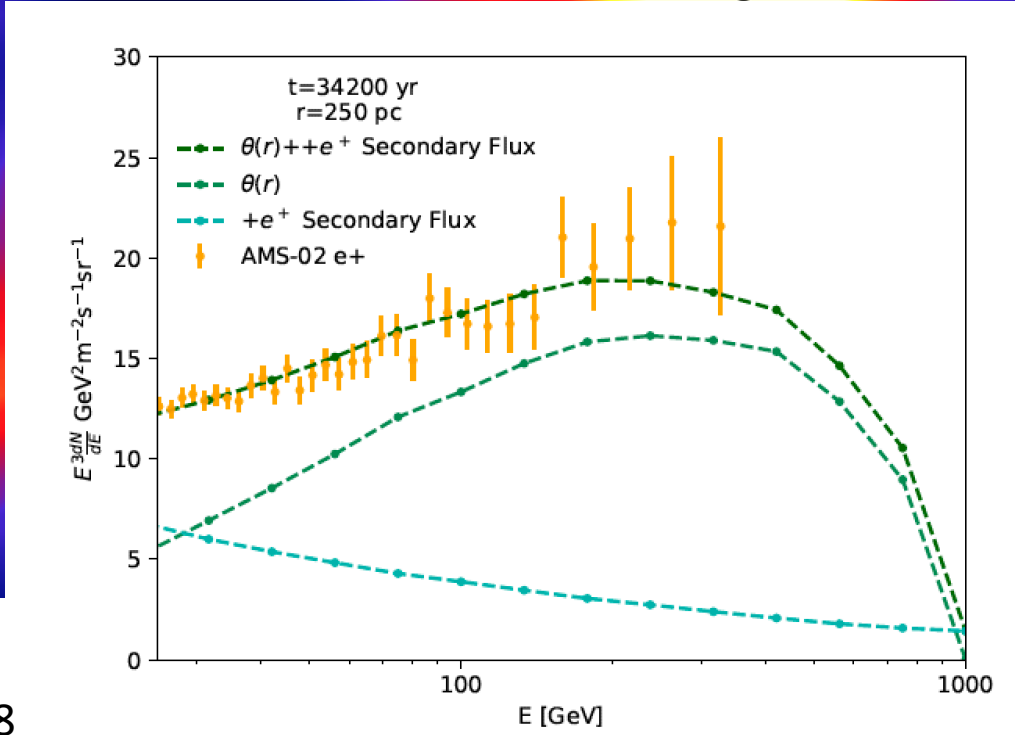
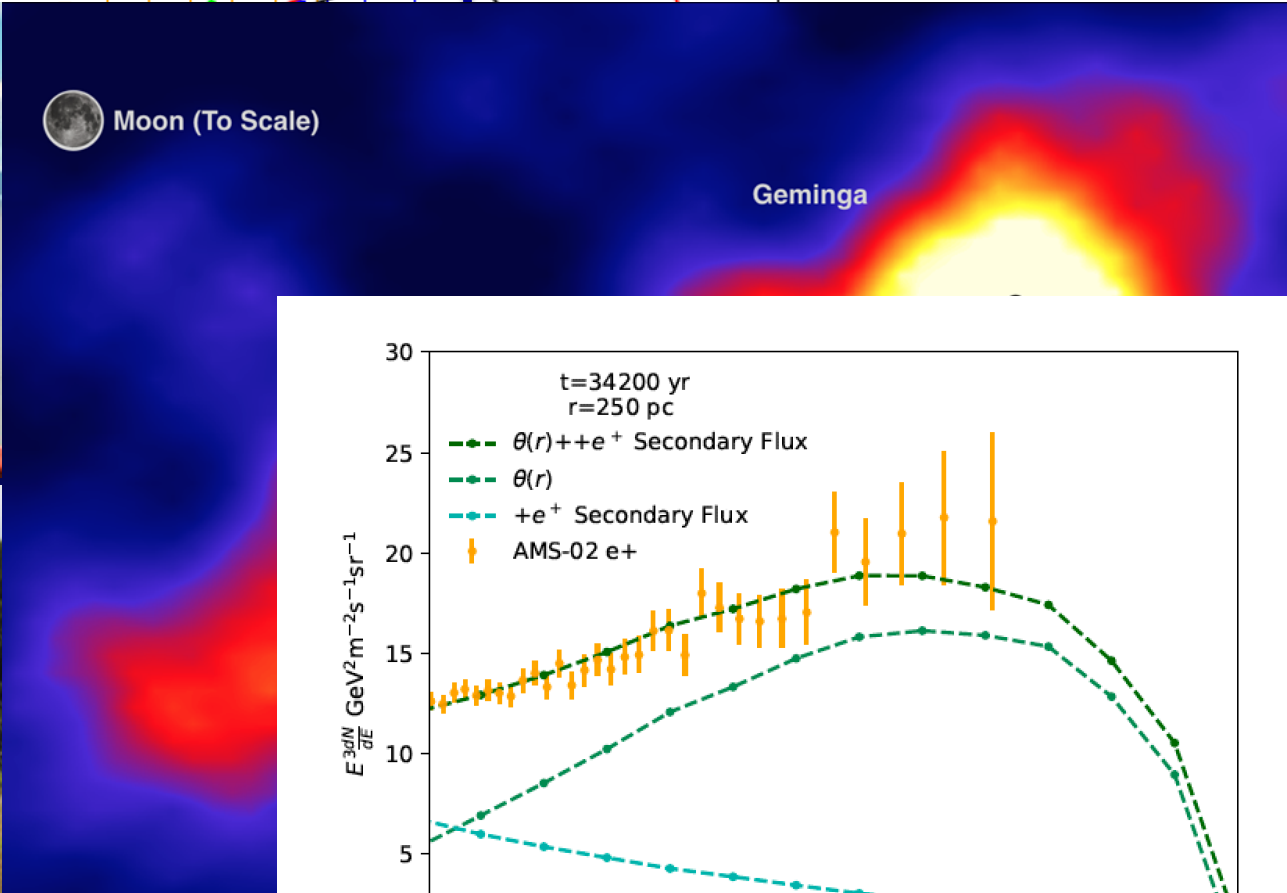
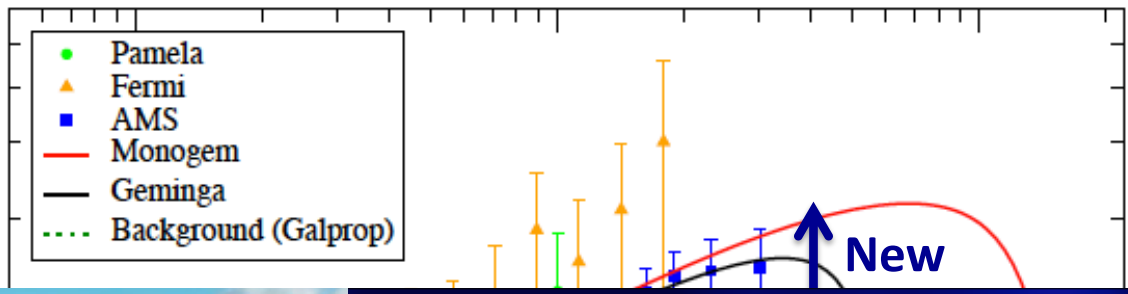


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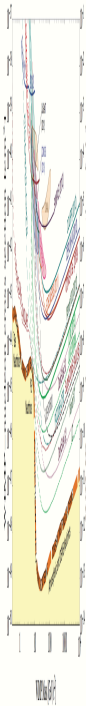


WIMPs

- ✓ **Galactic Center** excess
- ✓ other gamma-ray **excesses**
- ✓ **Positron** excess



Linden + Profumo 2013; Profumo et al 2018

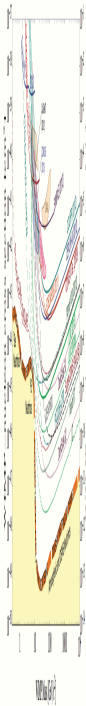


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WIMPs

- ✓ **Galactic Center** excess
- ✓ other gamma-ray **excesses**
- ✓ **Positron** excess
- ✓ **Antiproton** excess

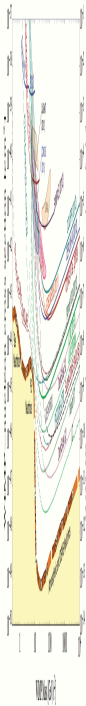


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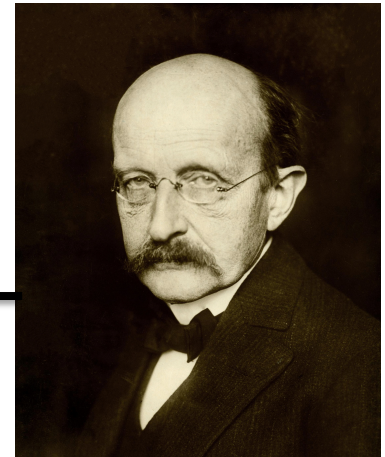
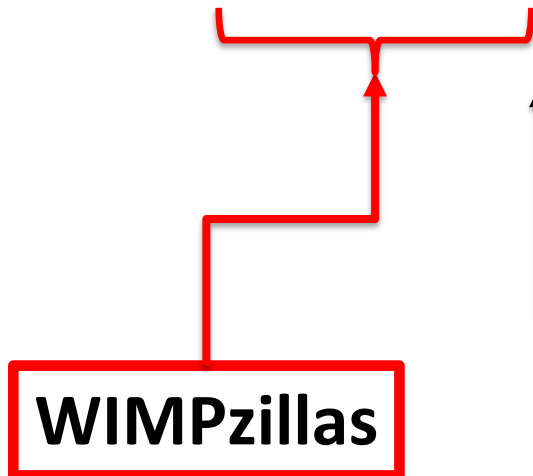


WIMPs

- ✓ **Galactic Center** excess
- ✓ other gamma-ray **excesses**
- ✓ **Positron** excess
- ✓ **Antiproton** excess
- ✓ **³He** events



- Non-thermally produced
- Could be **charged** $U(1)_{EM}$, $SU(3)$...
- If so, could be **detectable**



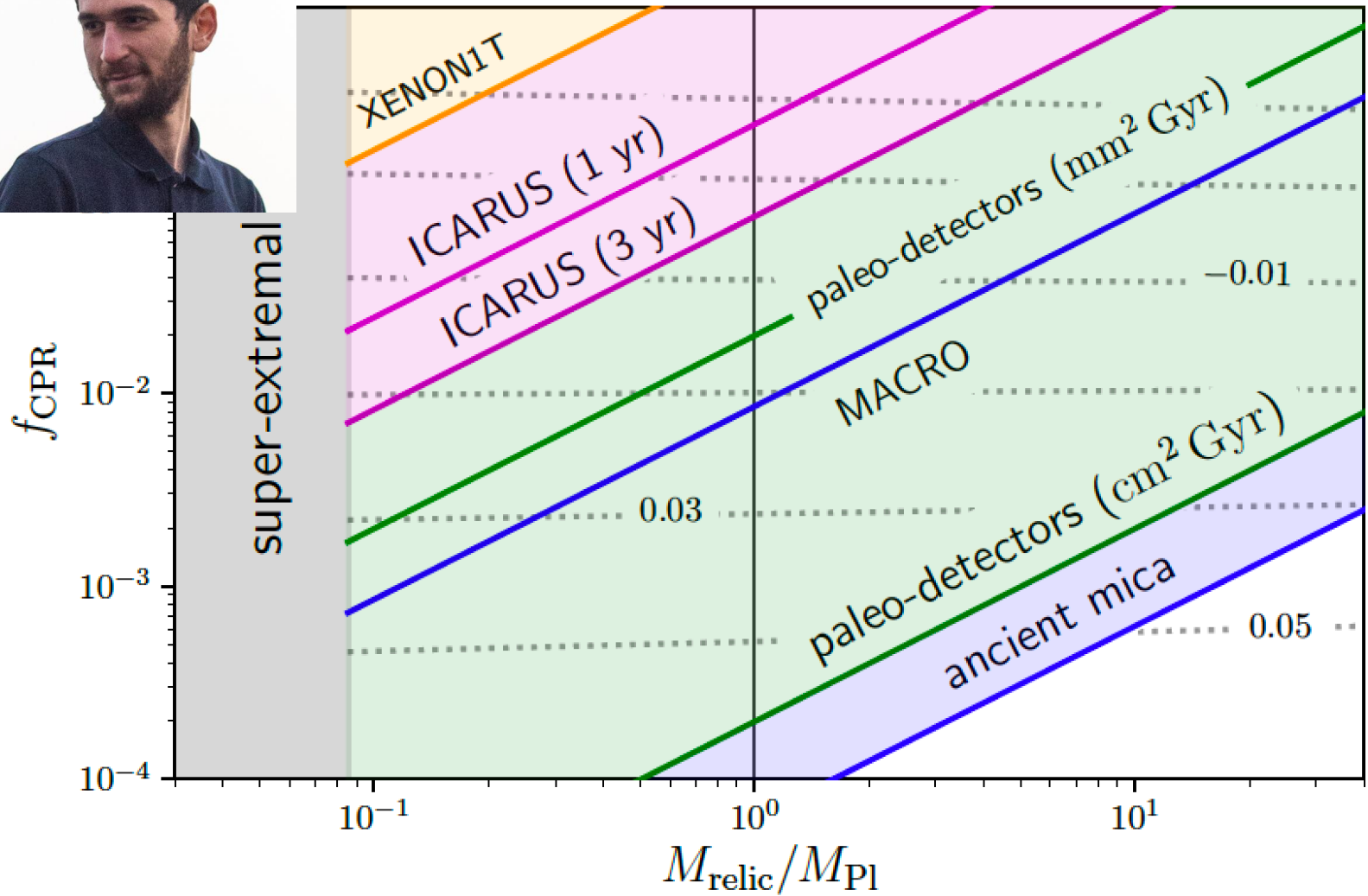
As BH approach the **Planck scale**, they can acquire a significant **relic electric charge**

(under simple **assumptions**) $P(Q) \sim \exp(-4\pi\alpha(Q/e)^2)$
the relic charge is
approximately **Gaussian*** $(8\pi\alpha)^{-1/2} \approx 2.34$

If evaporation **stops** around the Planck scale
(because of **extremality**, or because of **quantum gravity**)
we are left with a population of **charged, Planck-scale relics!**

* Page, 1977

** Lehmann, Johnson, Profumo and Schwemberger, 1906.06348 (JCAP)



...even if PBH are **NOT** the dark matter, they can **PRODUCE** the dark matter via **Hawking evaporation!**

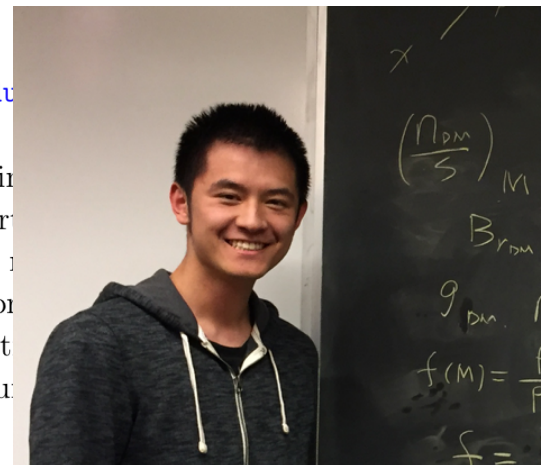
Melanopogenesis: Dark Matter of (almost) any Mass and Baryonic Matter from the Evaporation of Primordial Black Holes weighing a Ton (or less)

Logan Morrison, Stefano Profumo, and Yan Yu

*Department of Physics and Santa Cruz Institute for Particle Physics,
University of California, Santa Cruz, CA 95064, USA*

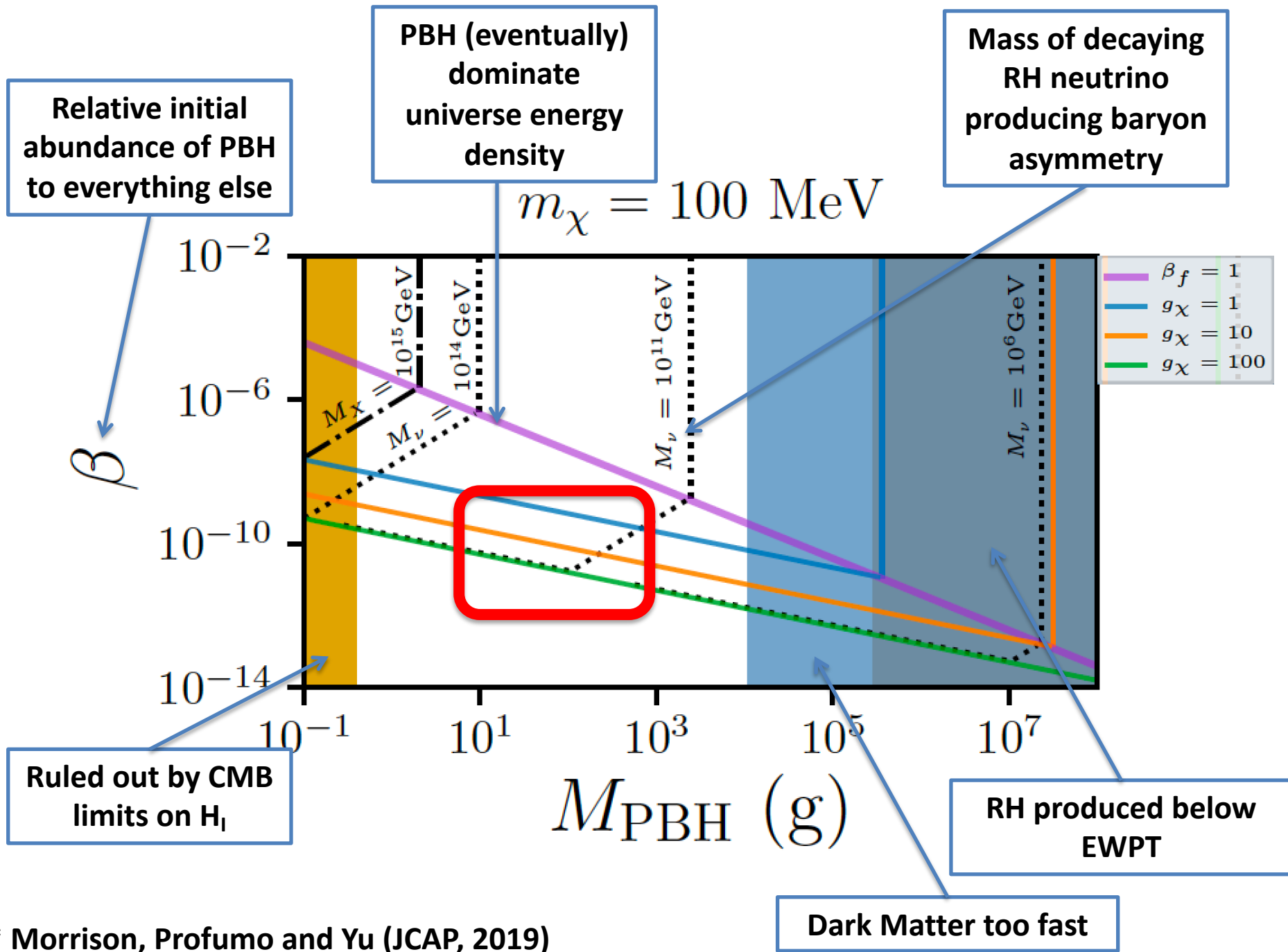
E-mail: loanmorr@ucsc.edu, profumo@ucsc.edu, yanyu@ucsc.edu

ABSTRACT: The evaporation of primordial black holes with a mass in the $M_{\text{PBH}} \lesssim 1000$ kg range can lead to the production of dark matter particles of any mass in the range $0.1 \text{ MeV} \lesssim m_{\text{DM}} \lesssim 10^{18} \text{ GeV}$ with the right abundance at very early times, $\tau \lesssim 10^{-10}$ s. We calculate, as a function of the primordial black holes mass and initial abundance, the combination of dark matter particle mass and number of effective dark degrees of freedom leading to the right abundance.



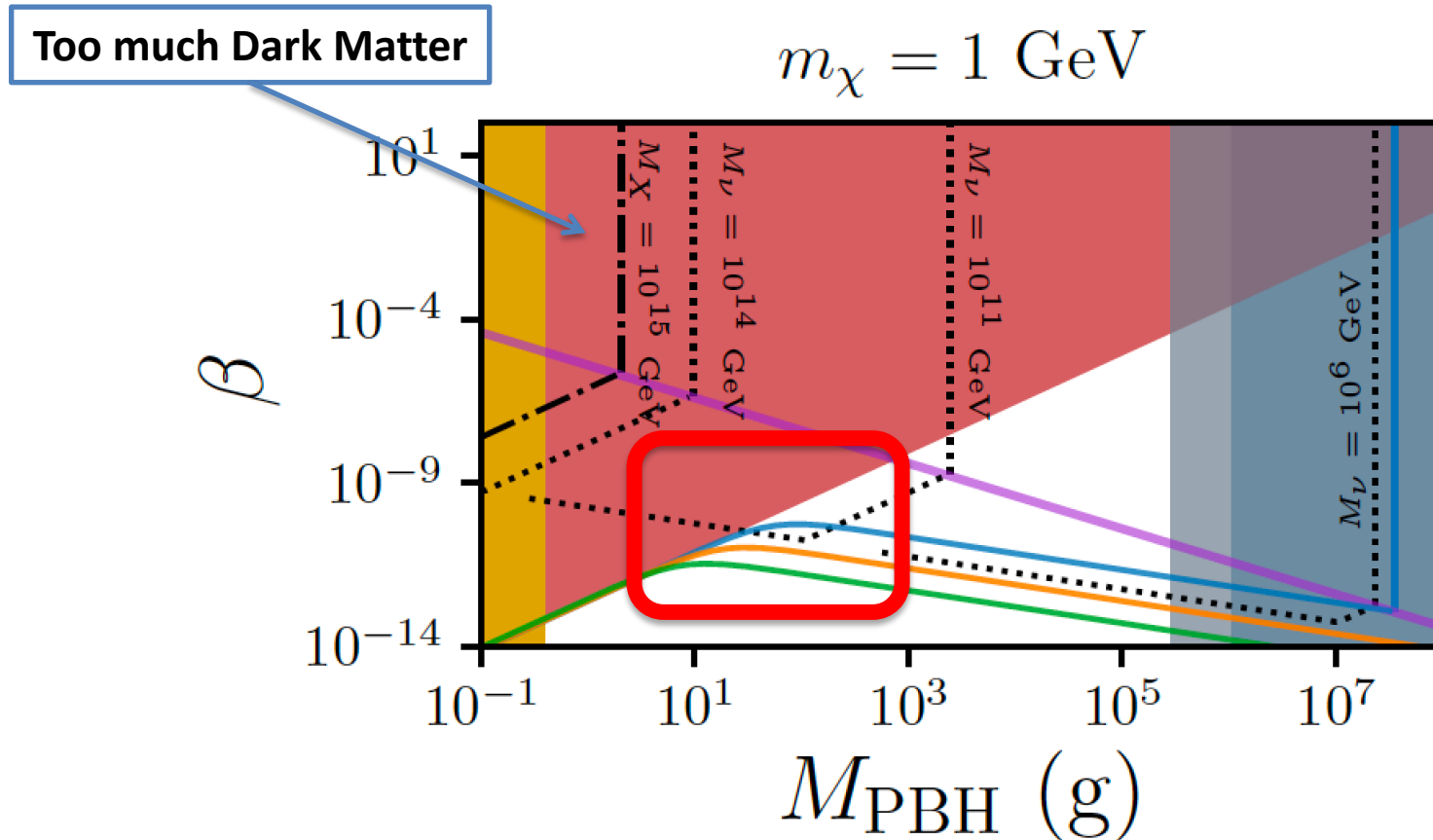
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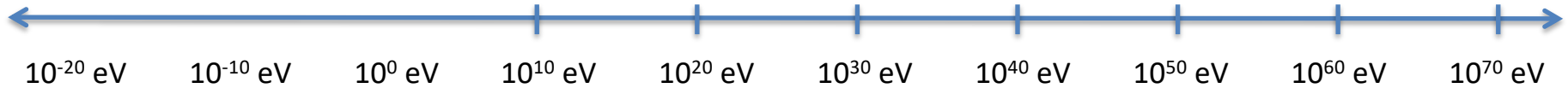
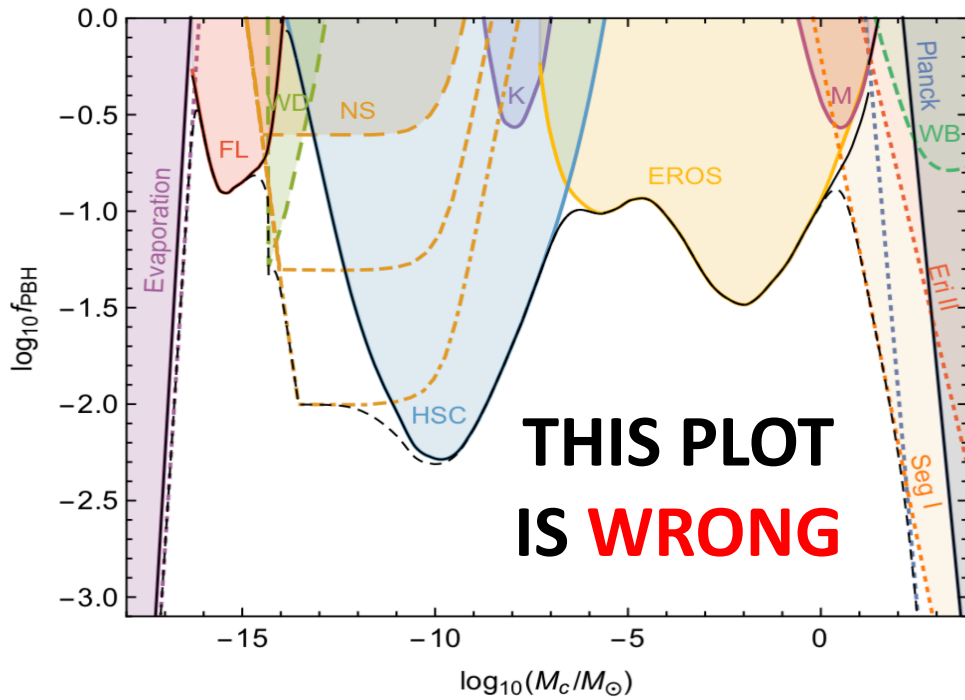
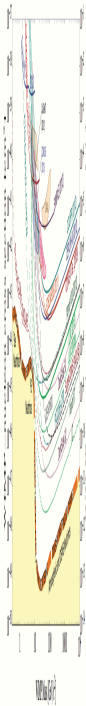
Mass (g)	T_H (GeV)	τ (s)	$T_{\text{evap}} = T(\tau)$ (GeV)
$5M_P \simeq 10^{-4}$	1.7×10^{17}	10^{-41}	2×10^{17}
1	1.7×10^{13}	4×10^{-29}	2×10^{11}
10^3	1.7×10^{10}	4×10^{-20}	6×10^6
10^6	1.7×10^7	4×10^{-11}	200
10^9	1.7×10^4	0.04	0.006
10^{12}	17	$4 \times 10^7 \sim 1 \text{ yr}$	$\sim 1 \text{ keV}$

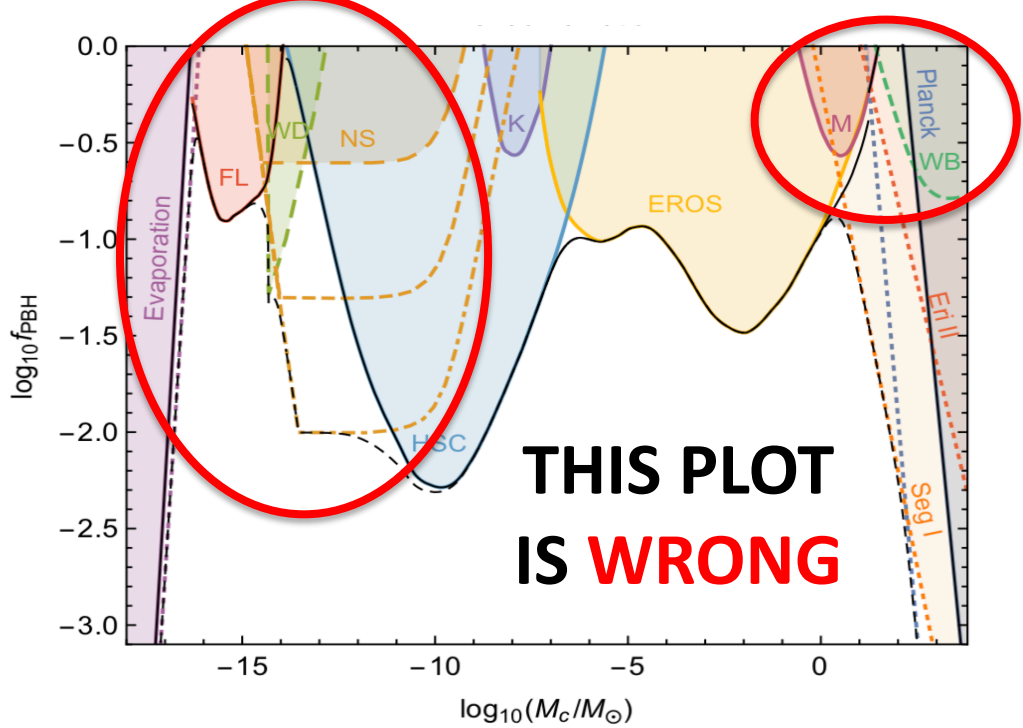
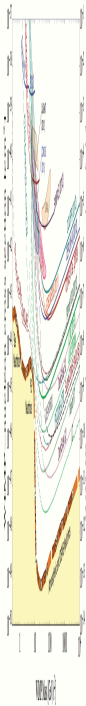


* Morrison, Profumo and Yu (JCAP, 2019)

Dark Matter can be a **mix of Planck-scale relics** from PBH evaporation, and stuff the PBH **evaporated into!**



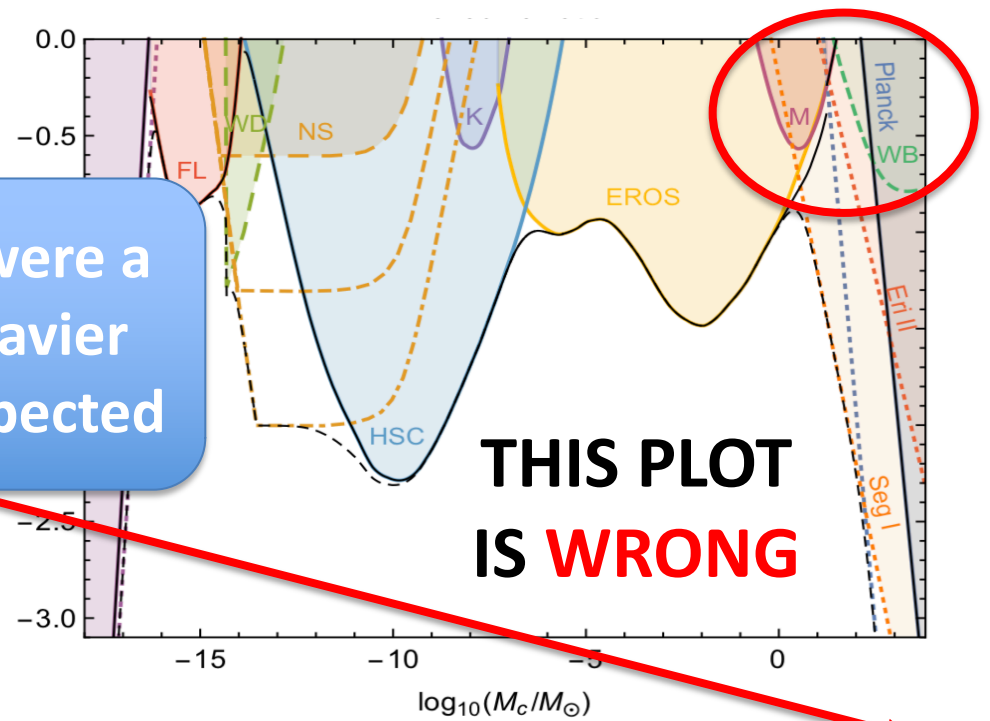




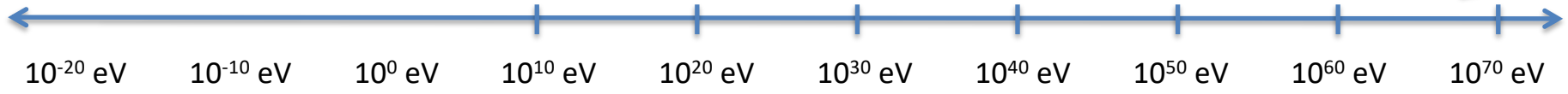
**“Stellar-Mass”
(10^{35} g)
Black Holes**



The BH were a little heavier than I expected



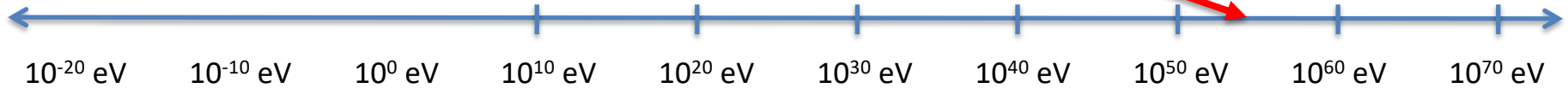
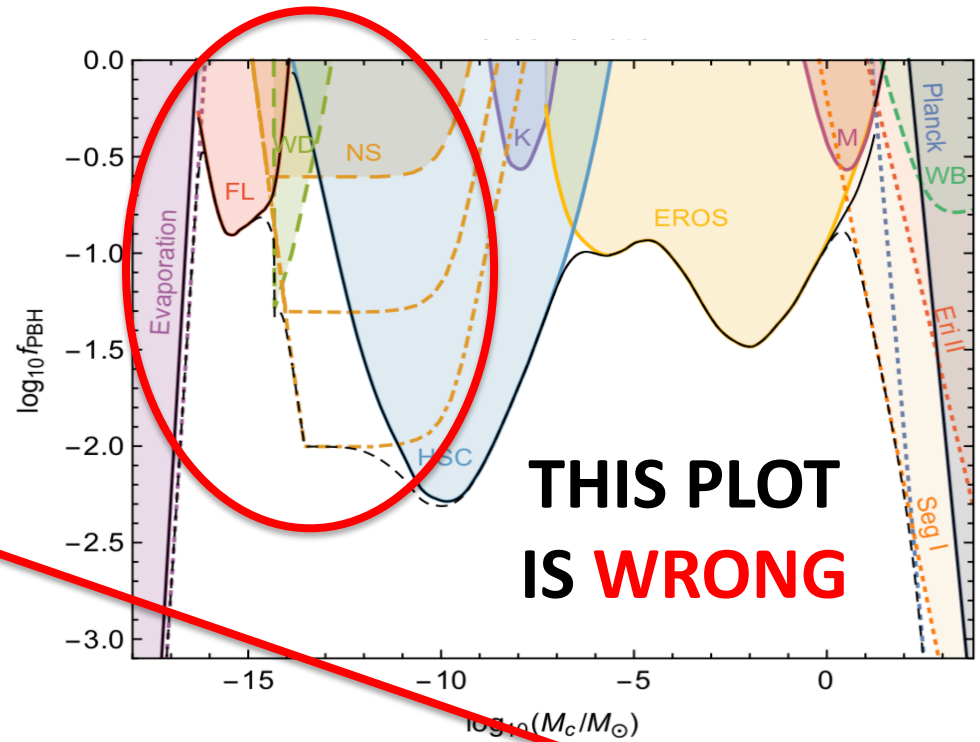
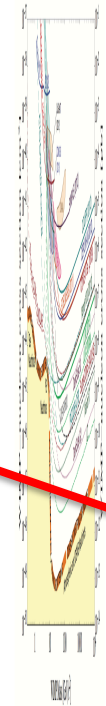
**THIS PLOT
IS WRONG**



- ✓ How does **accretion** work? (1)
- ✓ **Spins** look a lot like PBH! (2)
- ✓ ...or maybe they are low because of **super-radiance**? (3)
- ✓ Catch a **sub-Chandrasekhar** mass BH! (4)

(1) SP+Lehmann (2) SP+Fernandez (3) SP+Fernandez+Ghalsasy (4) SP+Lehmann

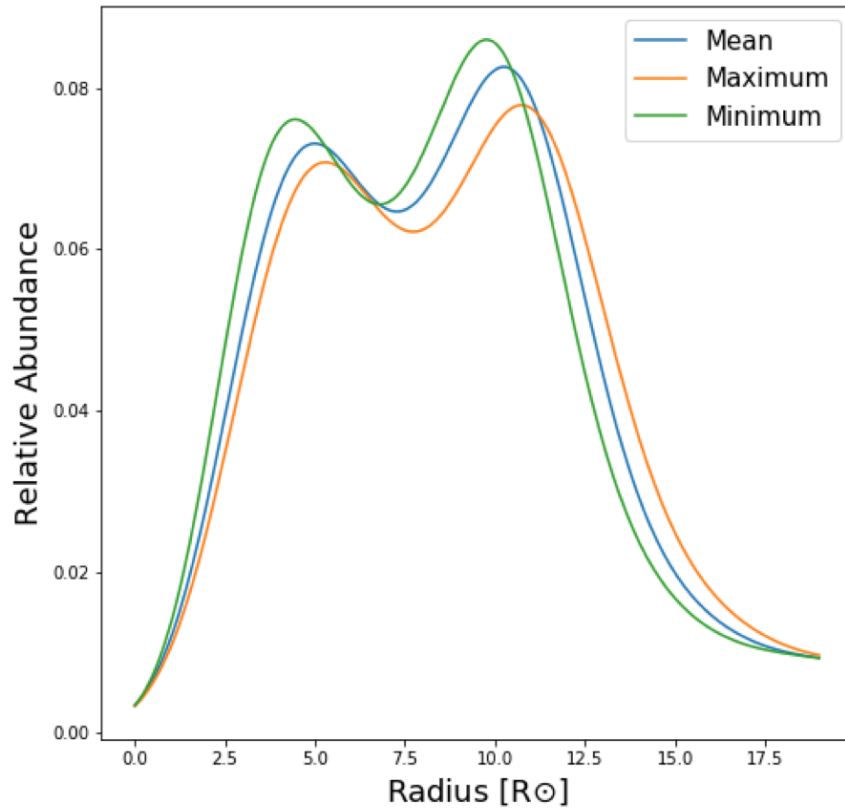
**“Asteroid-Mass”
(10^{22} g)
Black Holes**



**~ 7h observations of
O(10^6) stars in **M31**
with Subaru HSC**

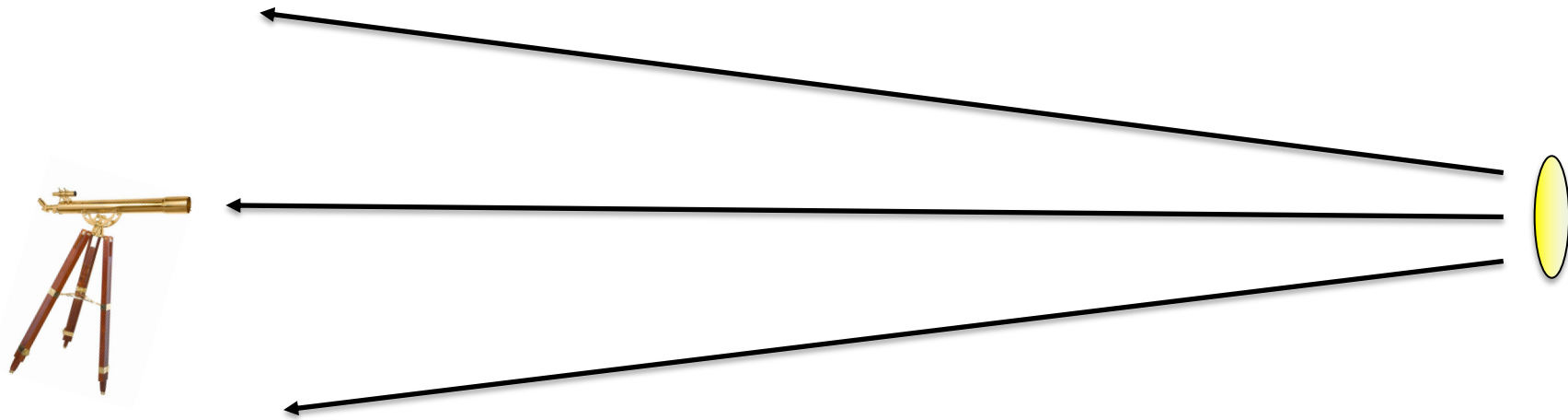


Sun-like stars are however **too dim** for HSC!

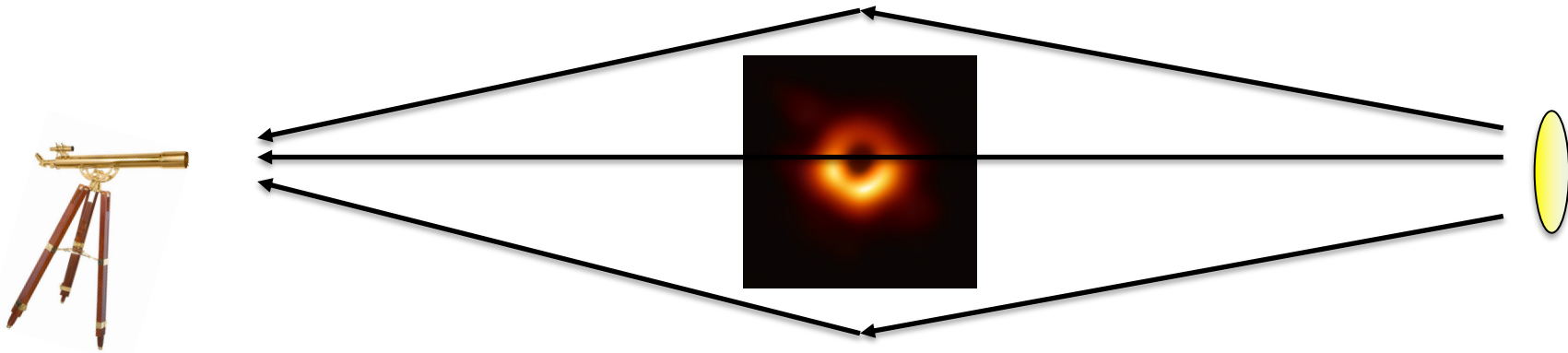


Stars that contribute to the microlensing constraints are **~ 100x larger in the sky** than the Sun!

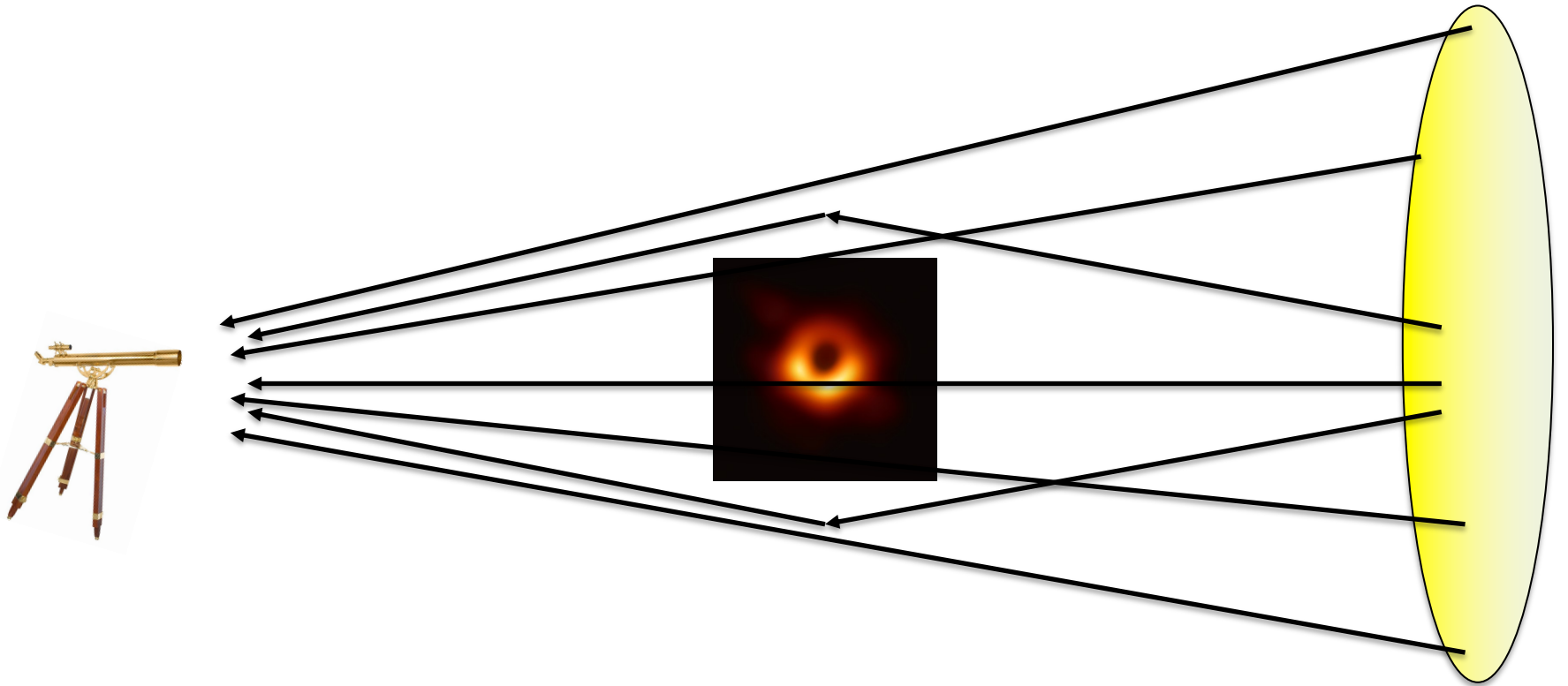
The bigger the star, the more important
finite-**source-size** effects!



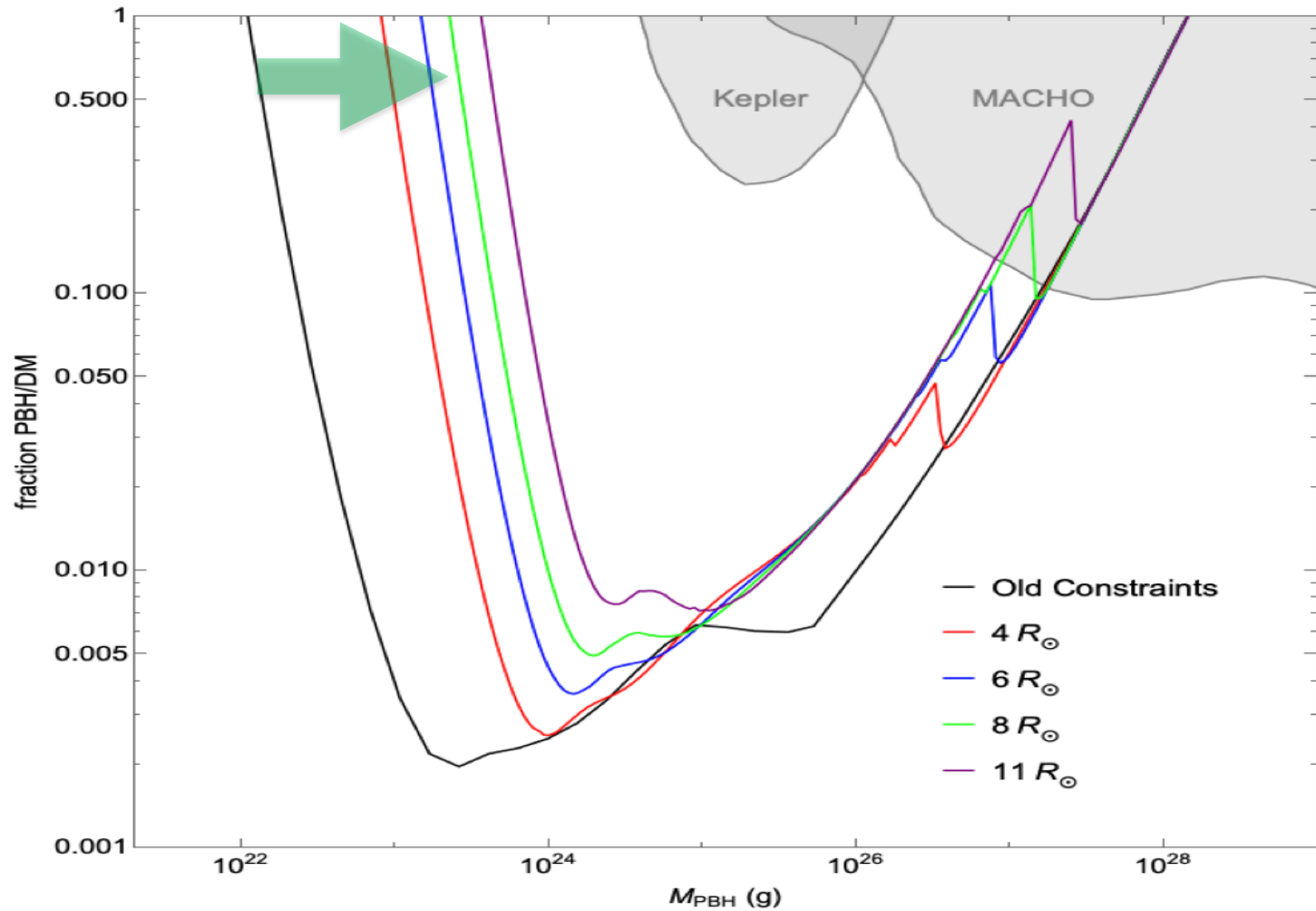
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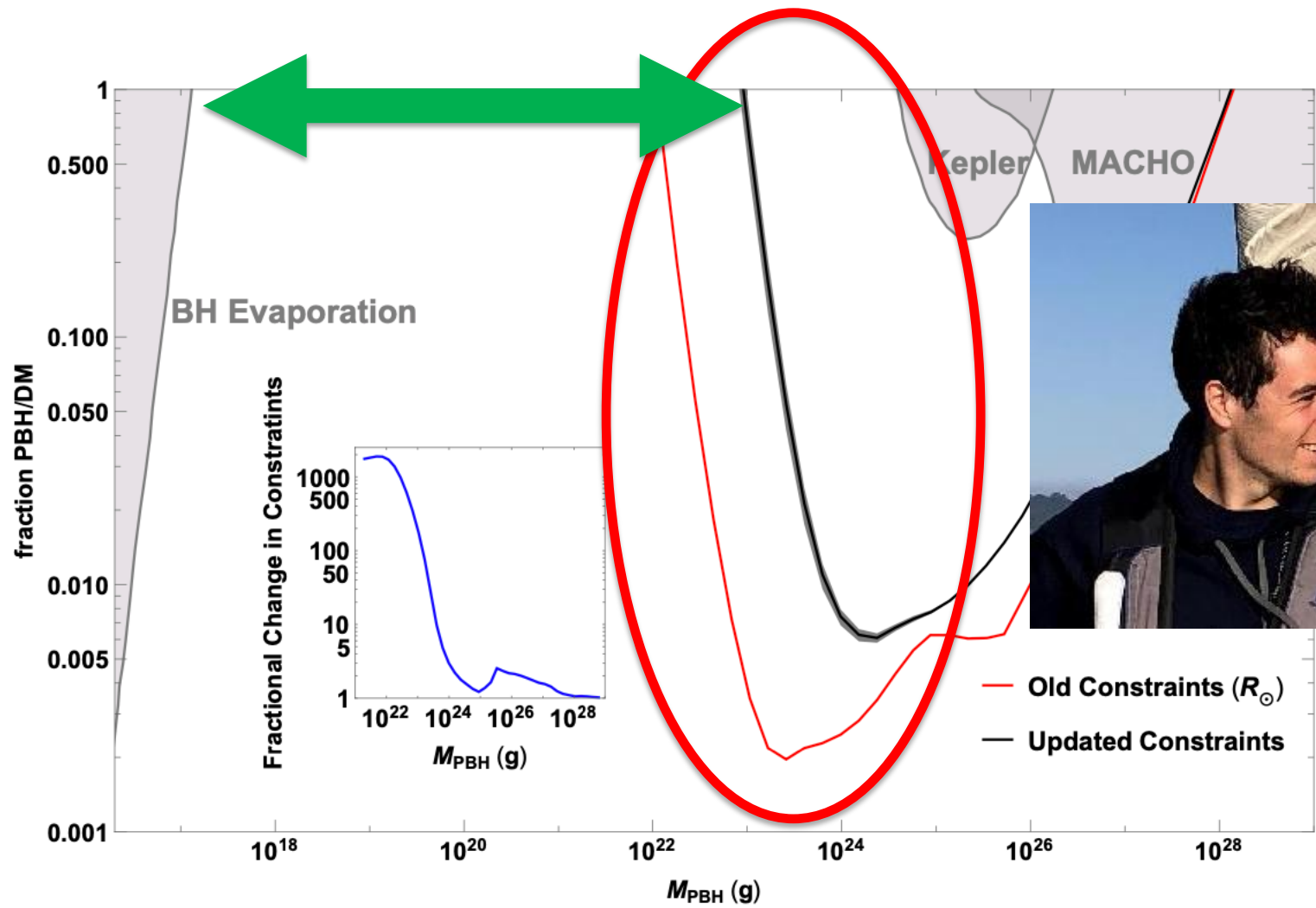


The bigger the star, the more important
finite-**source-size** effects!



The bigger the star, the more important finite-source-size effects!





How do we **go after** them? Capture and perturbation around **PSR**?

- ✓ We **know** what **0.5%** to **1.5%** of the Dark Matter is:
Standard Model Neutrinos!
- ✓ ...also, Dark Matter is neither **squirrels** nor **mosquitos**



**Fuzzy (wave)
Dark Matter**

Light bosons

**“Asteroid-Mass”
(10^{22} g)
Black Holes**

**“Stellar-Mass”
(10^{35} g)
Black Holes**



WIMPs

Sterile Neutrinos

