

A novel density estimator and its use for LHC signal detection

Alessandro Morandini (SISSA, INFN)



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Based on *2006.xxxxx*
with *A. De Simone*

Motivation

What are people doing now?

Big data → Machine Learning analysis

Bigger data → More complicated architecture

PROS

it works very well
popular and hot
many implementations

CONS

time consuming
black box
hard to interpret

Markov Chain Density Estimator (MCDE)

We are looking for **understandable** + **easy to optimize**

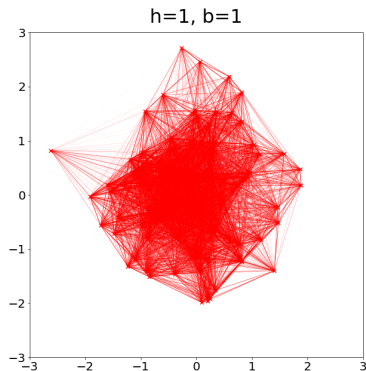
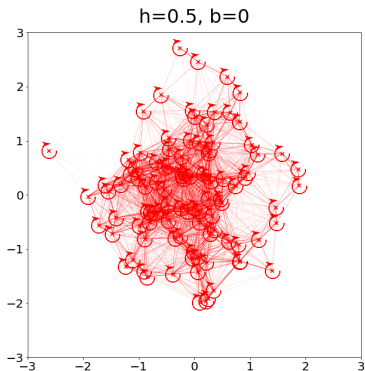
Idea: process can be described by $p(x)$

$\{x_i\} \rightarrow \hat{p}(x) \sim p(x)$: make estimate with Markov Chain

1. Calculate the distance matrix d_{ij}
2. Build the weight matrix $W_{ij} = g_h(d_{ij})(1 - b\delta_{ij})$
3. Consider Markov Chain on $\{x_i\}$ with $P_{ij} \sim W_{ij}$
4. Find eigenvector of the matrix P_{ij} : $\pi_i \propto p(x_i)$

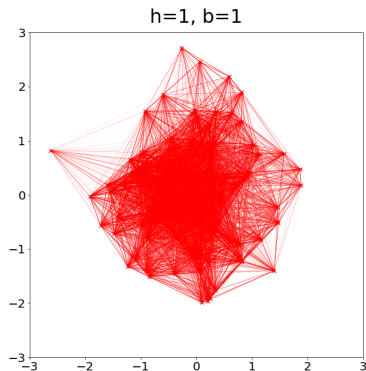
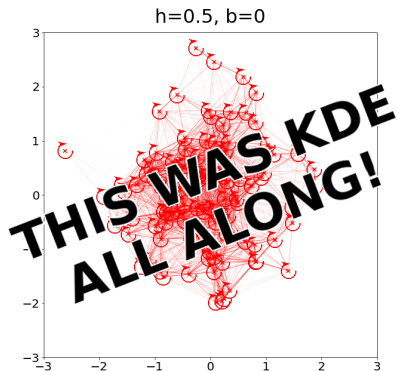
Role of h and b

$$W_{ij} = g_h(d_{ij})(1 - b\delta_{ij}), \text{ with } g_h(d_{ij}) = \exp\left(-\frac{d_{ij}^2}{2h^2}\right)$$

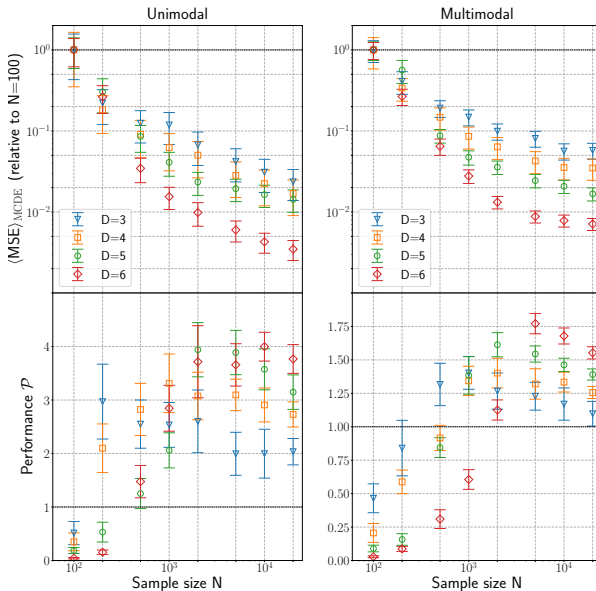


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Consistency and performance



Anomaly detection at LHC

Anomaly detection \rightarrow DarkMachines \rightarrow Z' (1TeV)

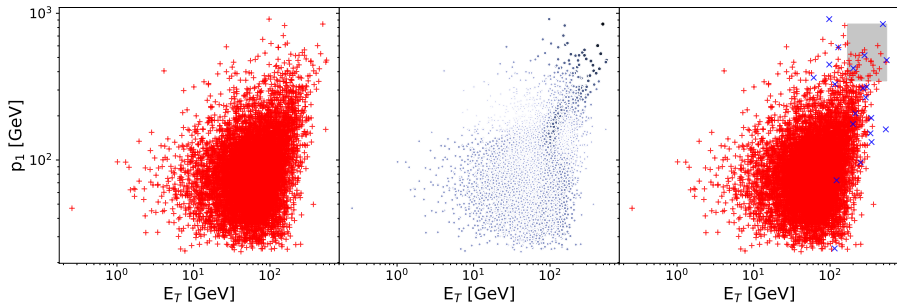
$$X_b \rightarrow \hat{p}_b(x)$$

$$X_s \rightarrow \hat{p}_s(x)$$

$$S(x) = \frac{\langle \hat{p}_s \rangle_k}{\langle \hat{p}_b \rangle_k}$$

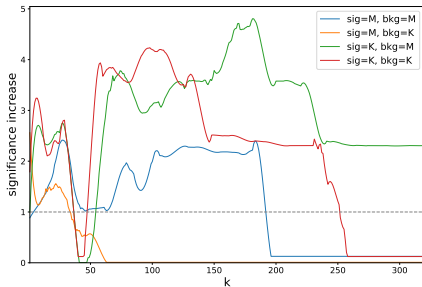
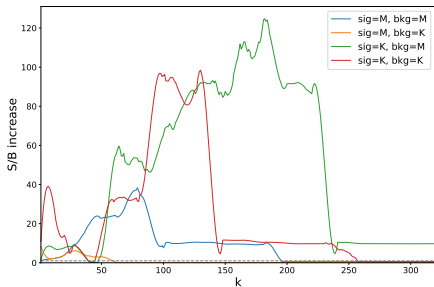
4 ways to do this!

Cut on $S(x)$



Z' benchmark

- particle cut: bottom, lepton required
- $\mathcal{L} = 0.1\text{fb}^{-1} \rightarrow N_{\text{SM}} \sim 8k, N_{\text{BSM}} = 21$
- cut on 0.2 percentile of $S(x)$



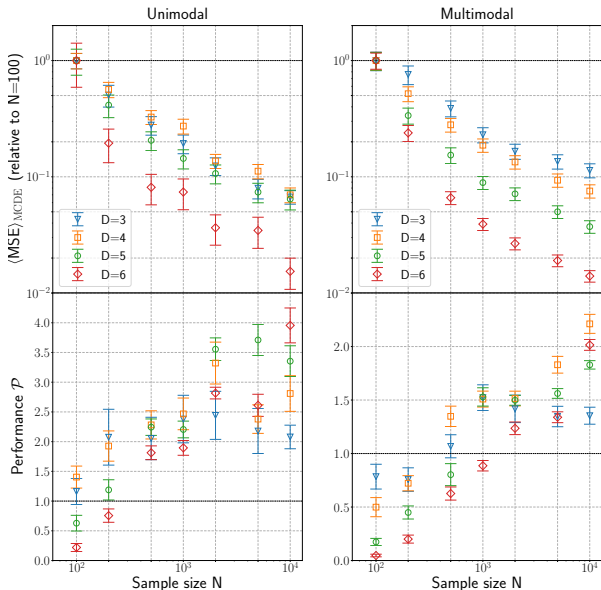
Conclusions and outlook

- MCDE: new idea and works well
- Different weight to tails → interesting for outlier
- Outlier detection with MCDE can be used at LHC (but more work is needed to make it robust!)

Thank you!

BACKUP

Different optimization on h for KDE and MCDE



Why small k bad?

$S(x)$ very unbalanced among points!

This is $k = 1$ with the same cut as the other plots:

