

New Measurements of the EMC Effect in Very Light Nuclei and at Large x

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Quarks in the Nucleus

- Typical nuclear binding energies \sim MeV while DIS scales \rightarrow GeV
- Naïve expectation:

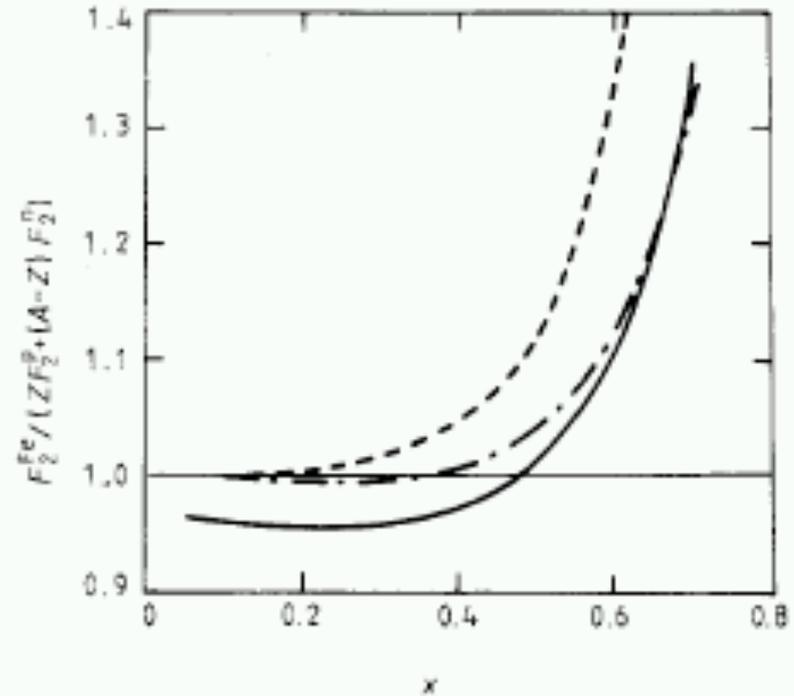
$$F_2^A(x) = ZF_2^p(x) + (A-Z)F_2^n(x)$$

- More sophisticated approach includes effects from Fermi motion

$$F_2^A(x) = \sum_i \int_x^{M_A/m_N} dy f_i(y) F_2^N(x/y)$$

- Quark distributions in nuclei were not expected to be significantly different (below $x=0.6$)

$$F_2^{Fe} / (ZF_2^p + (A-Z)F_2^n)$$



*Bodek and Ritchie
PRD 23, 1070 (1981)*

EMC Effect and Quark Distributions in Nuclei

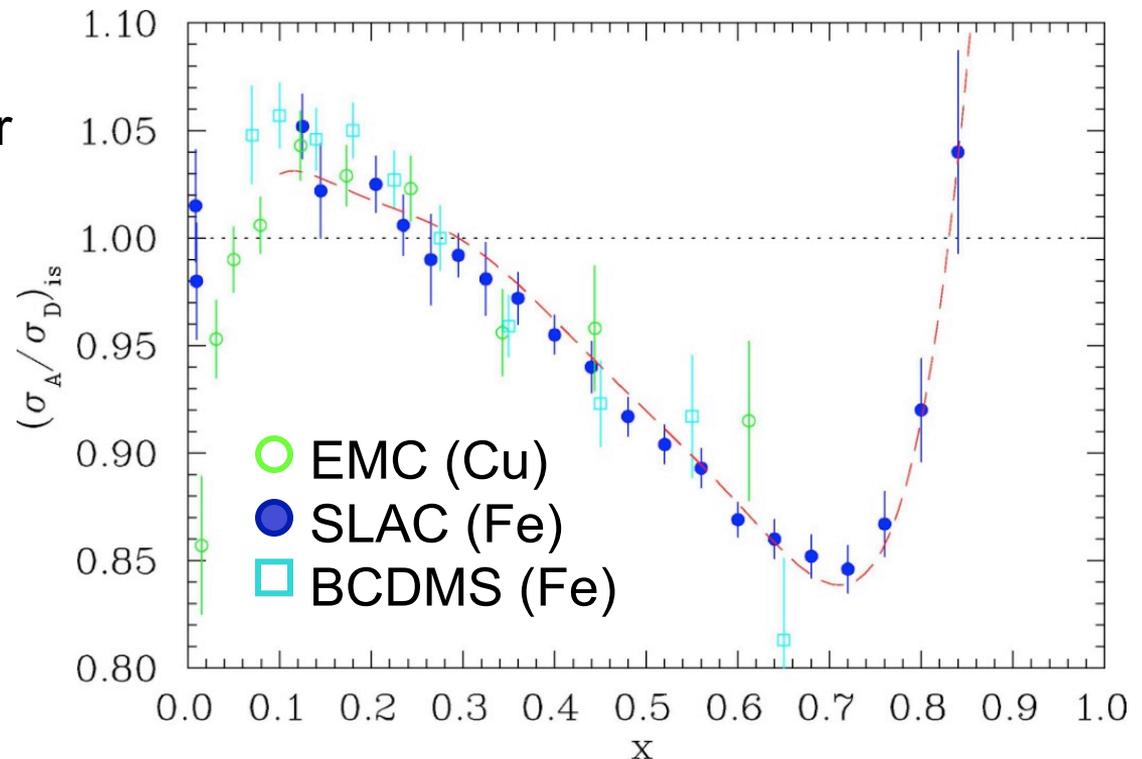
Measurements of F_2^A / F_2^D (EMC, SLAC, BCDMS,...) have shown the naïve expectation is *wrong* - quark distributions are modified in nuclei.

Observed properties:

1. x-dependence same for all A

Shadowing: $x < 0.1$
Anti-shadowing: $0.1 < x < 0.3$
EMC effect: $x > 0.3$

2. Size of EMC effect depends on A (i.e. minimum at $x=0.7$)



EMC Effect Model Issues

1. Conventional nuclear physics based explanations (convolution calculations)
 - Fermi motion alone clearly not sufficient
 - Early attempts to combine Fermi motion effects and binding were fairly simplistic
 - Even more sophisticated approaches (spectral function) fail unless one includes “nuclear pions”

Size of contributions from nuclear pions typically used in DIS calculations inconsistent with nuclear dependence of Drell-Yan

2. “Exotic” effects
 - Medium effects on quark distributions themselves → dynamical rescaling, multiquark clusters, etc.
- Uncertainties in **1** make it difficult to determine what role mechanisms in **2** play in observed EMC effect

JLab Experiment E03-103

Measurement of the EMC Effect in **light nuclei** (^3He and ^4He) and at **large x**

→ ^3He , ^4He amenable to calculations using “exact” nuclear wave functions

→ Large x dominated by binding, conventional nuclear effects

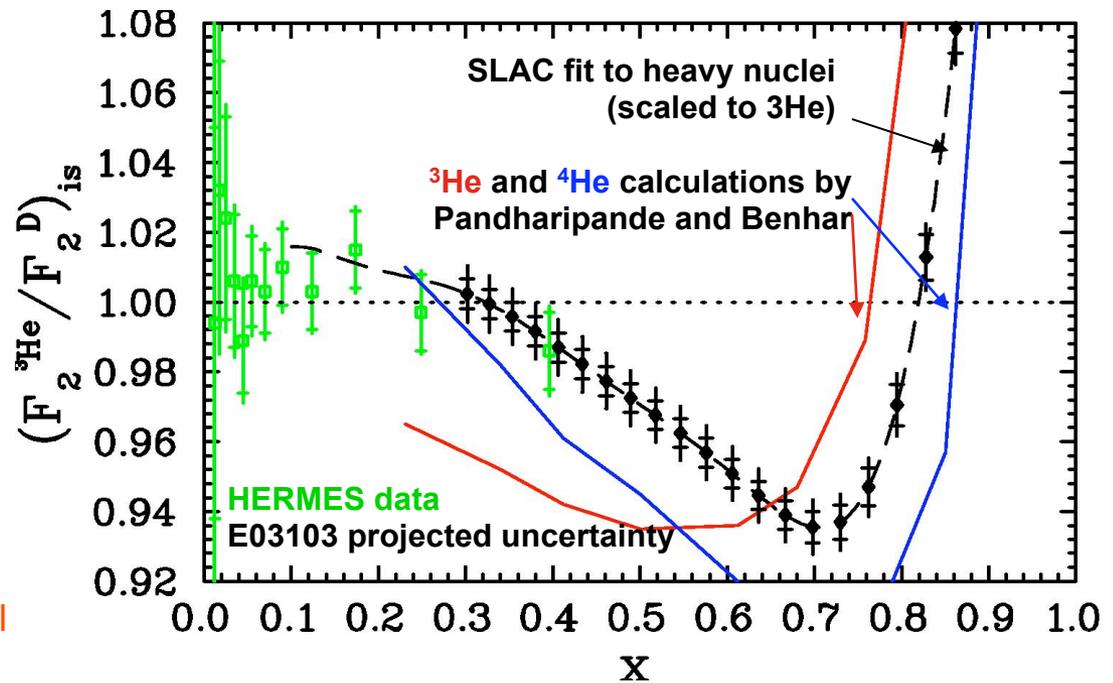
$A(e,e')$ at 5.77 GeV in Hall C

→ Targets: **H**, ^2H , ^3He , ^4He , Be, C, Cu, Au

→ Six angles to measure Q^2 dependence

Spokespersons: **DG** and **J. Arrington**

Graduate students: **J. Seely** and **A. Daniel**

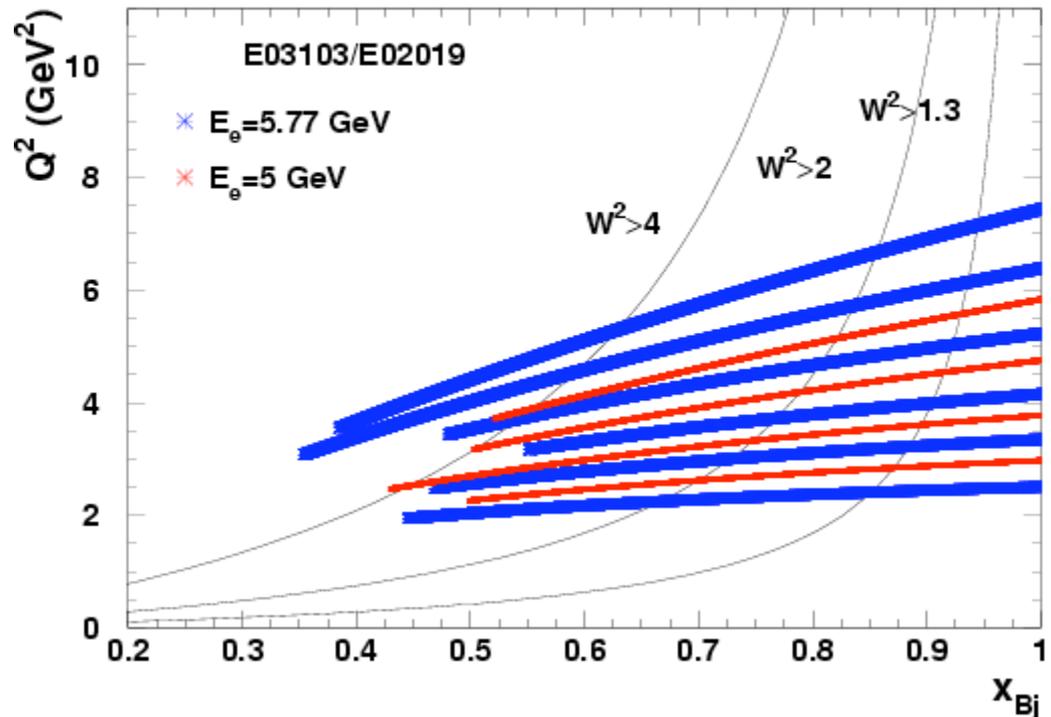


Deep Inelastic Scattering at low W

Canonical DIS
regime:

$$Q^2 > 1 \text{ GeV}^2 \quad \text{AND}$$
$$W^2 > 4 \text{ GeV}^2$$

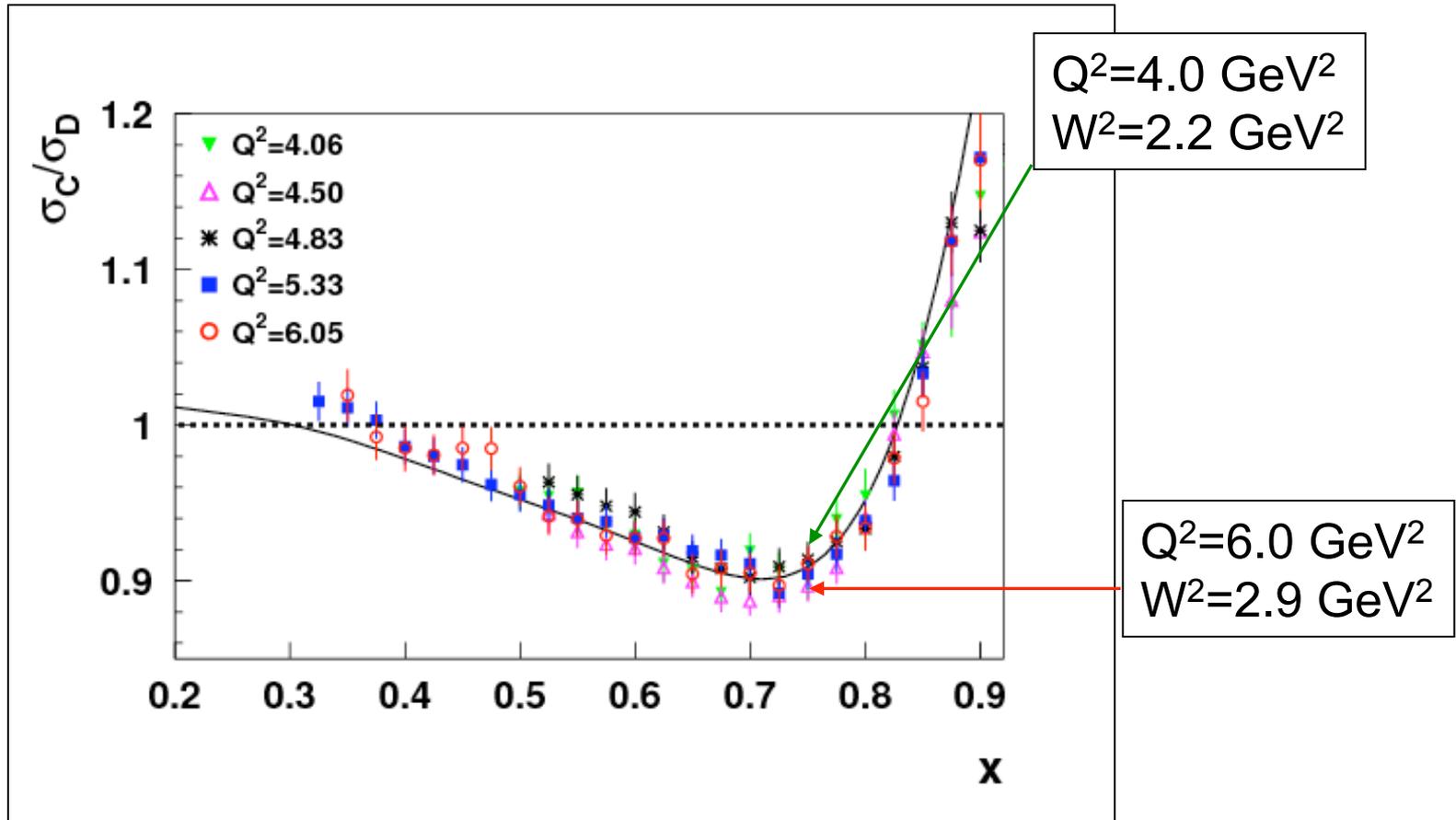
→ Scattering from
“quarks” in the nucleon or
nucleus



- At JLab, we have access to large Q^2 , and $W^2 > 4 \text{ GeV}^2$ up to $x=0.6$
- At $x > 0.6$, we are in the “resonance region” → excited, bound states of the nucleon, but Q^2 is still large
- Are we really sensitive to quarks in this regime?

Carbon/²H Ratio and Q² Dependence

E03-103 Results



At larger angles (Q^2) \rightarrow ratio appears to scale to very large x

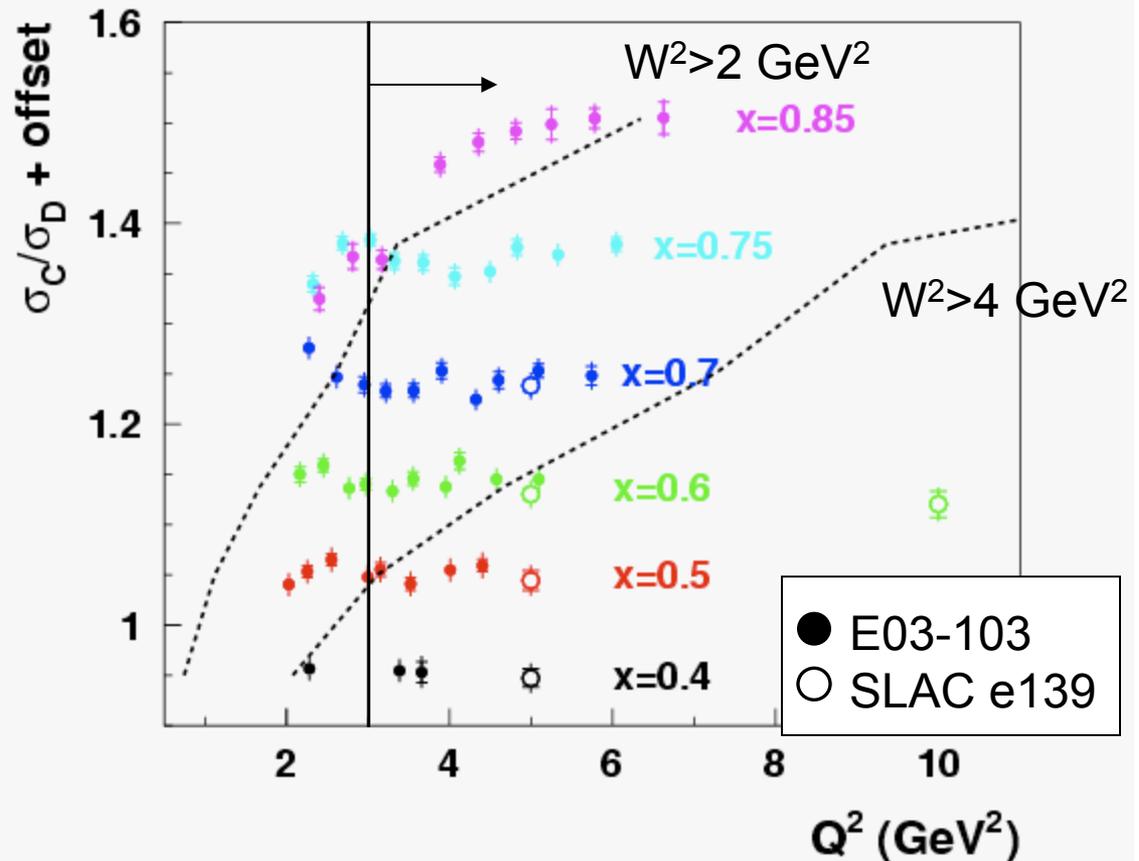
More detailed look at scaling

C/D ratios at fixed x are Q^2 independent for

$W^2 > 2 \text{ GeV}^2$ and
 $Q^2 > 3 \text{ GeV}^2$

Limits E03-103
coverage to $x=0.85$

Ratios at larger x
will be shown, but
should be taken
cautiously



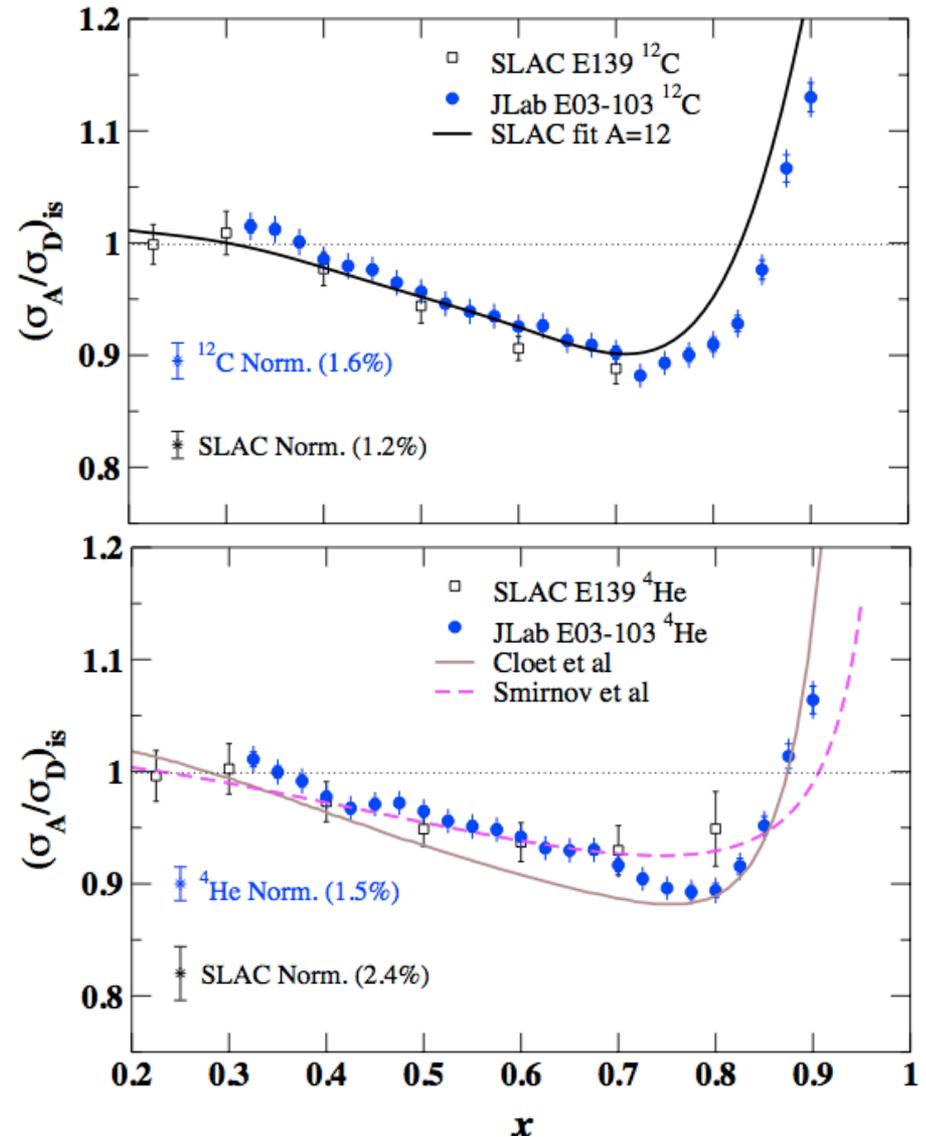
Results for C and ^4He

JLab results consistent with SLAC E139

→ Improved statistics (C and He) and systematic errors (He)

Models shown do a reasonable job describing the data.

But very few real few-body calculations (most neglect structure, scale NM)

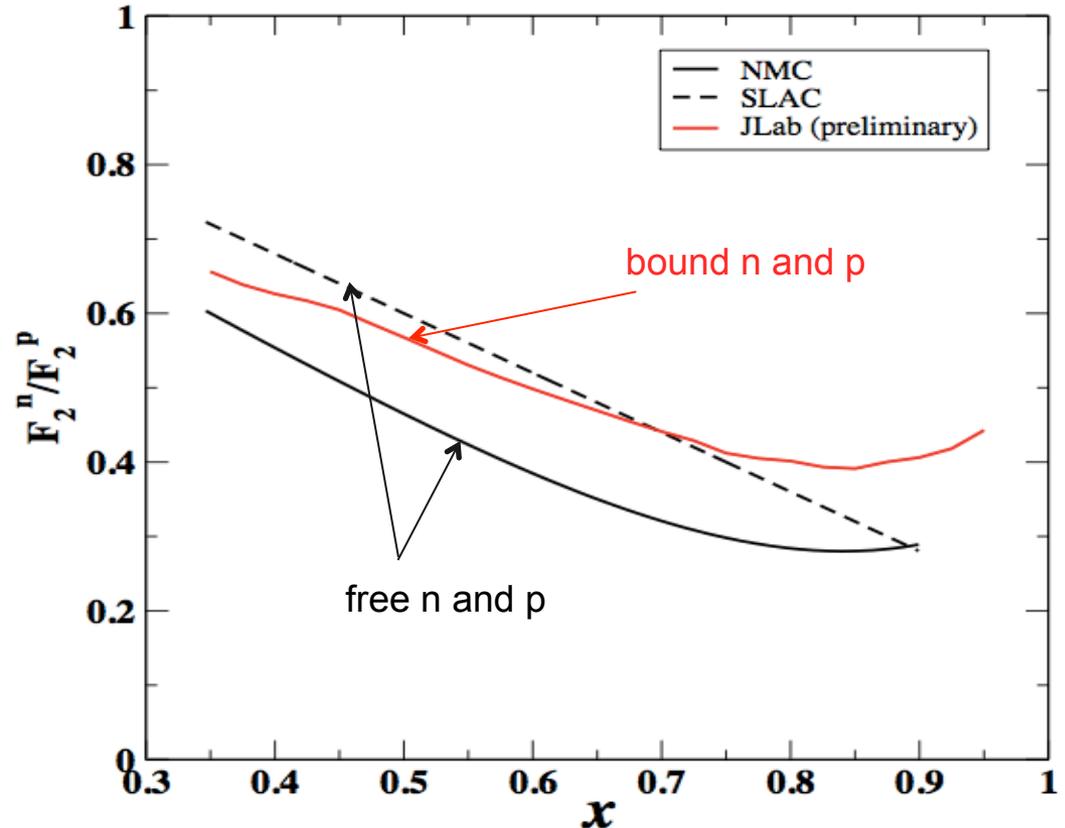


Isoscalar Correction

In the case of nuclei where $N \neq Z$, need to remove the “trivial” change in nuclear cross section due to $\sigma_n \neq \sigma_p$

$$\left(\frac{\sigma_A}{\sigma_D}\right)_{ISO} = \left(\frac{\sigma_A}{\sigma_D}\right)_{MEAS} \frac{\frac{A}{2} \left(1 + \frac{\sigma_n}{\sigma_p}\right)}{Z + (A - Z) \frac{\sigma_n}{\sigma_p}}$$

Historically, experiments have used “free” n/p
 \rightarrow We use “bound” n/p,
 evaluated at our kinematics



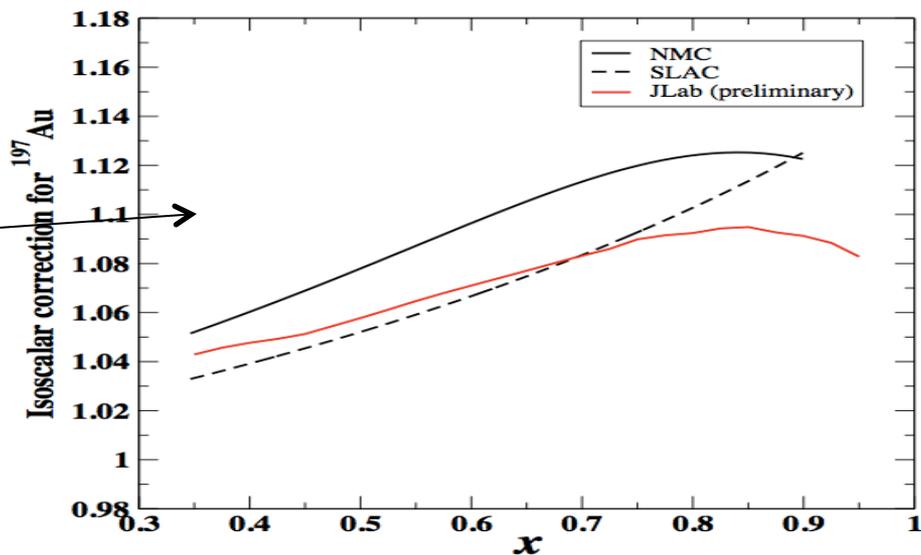
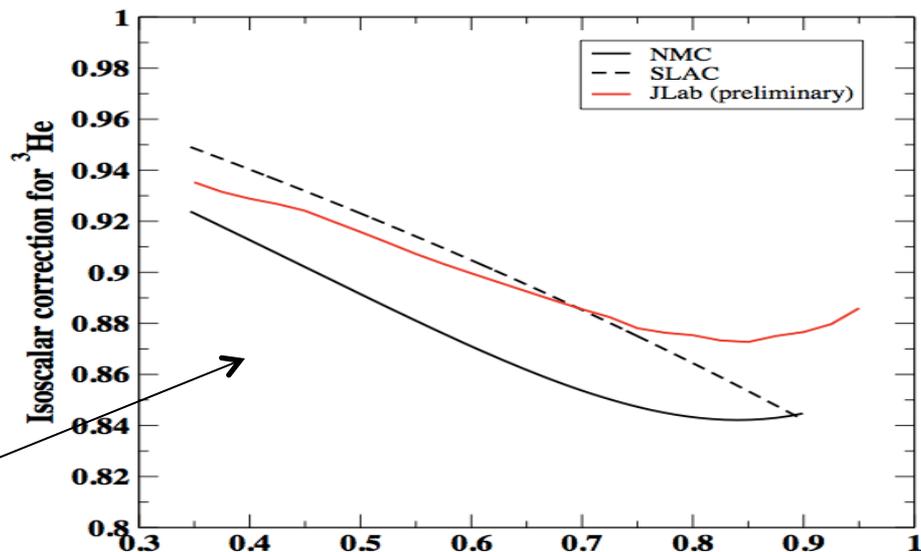
New extraction from [J. Arrington, F. Coester, R.J. Holt, T.-S.H. Lee, J.Phys.G36, 025005 \(2009\)](#)

Isoscalar Correction

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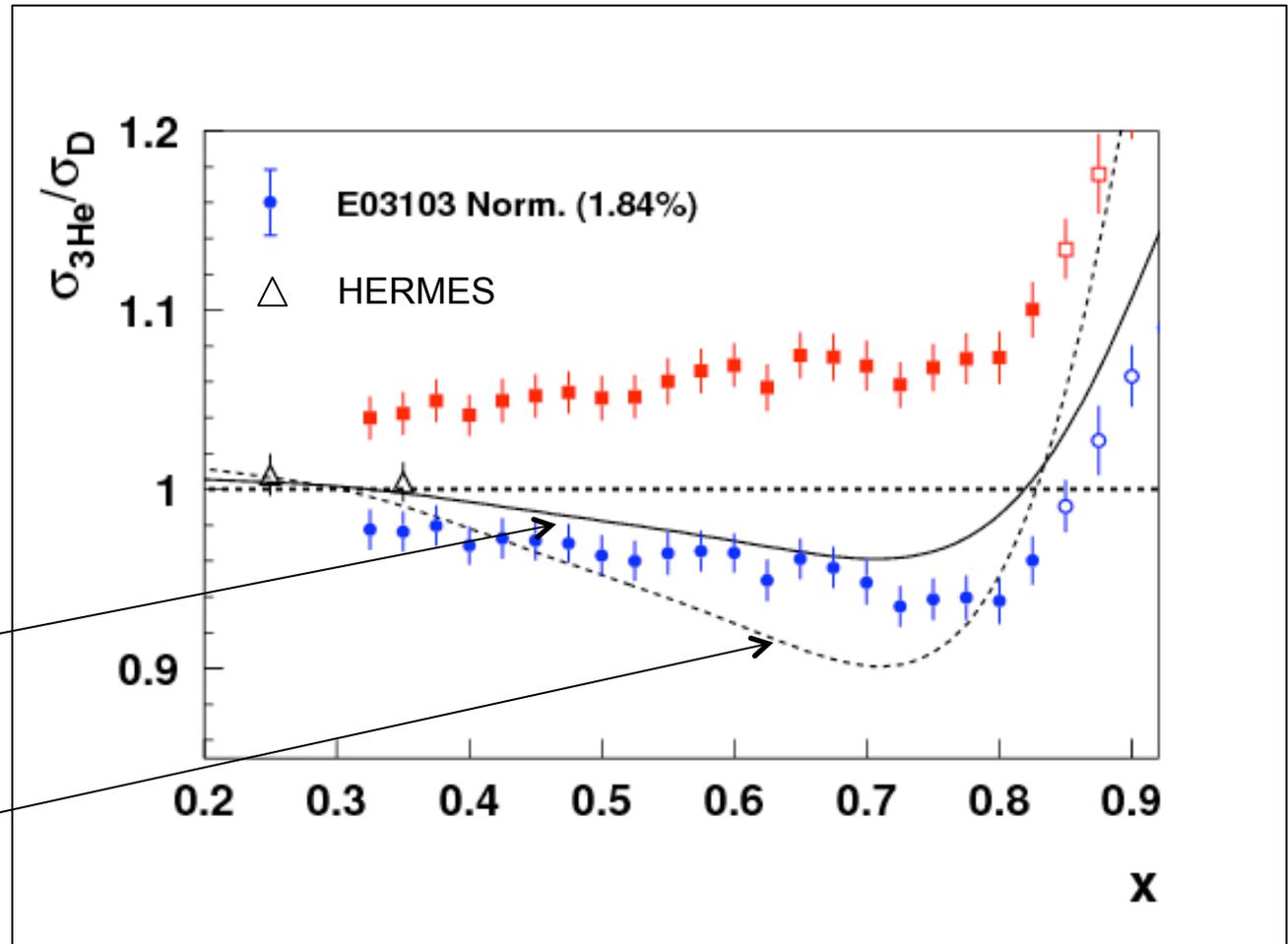
${}^3\text{He}$

Au



EMC Effect in ^3He

Large correction due to
“proton excess”



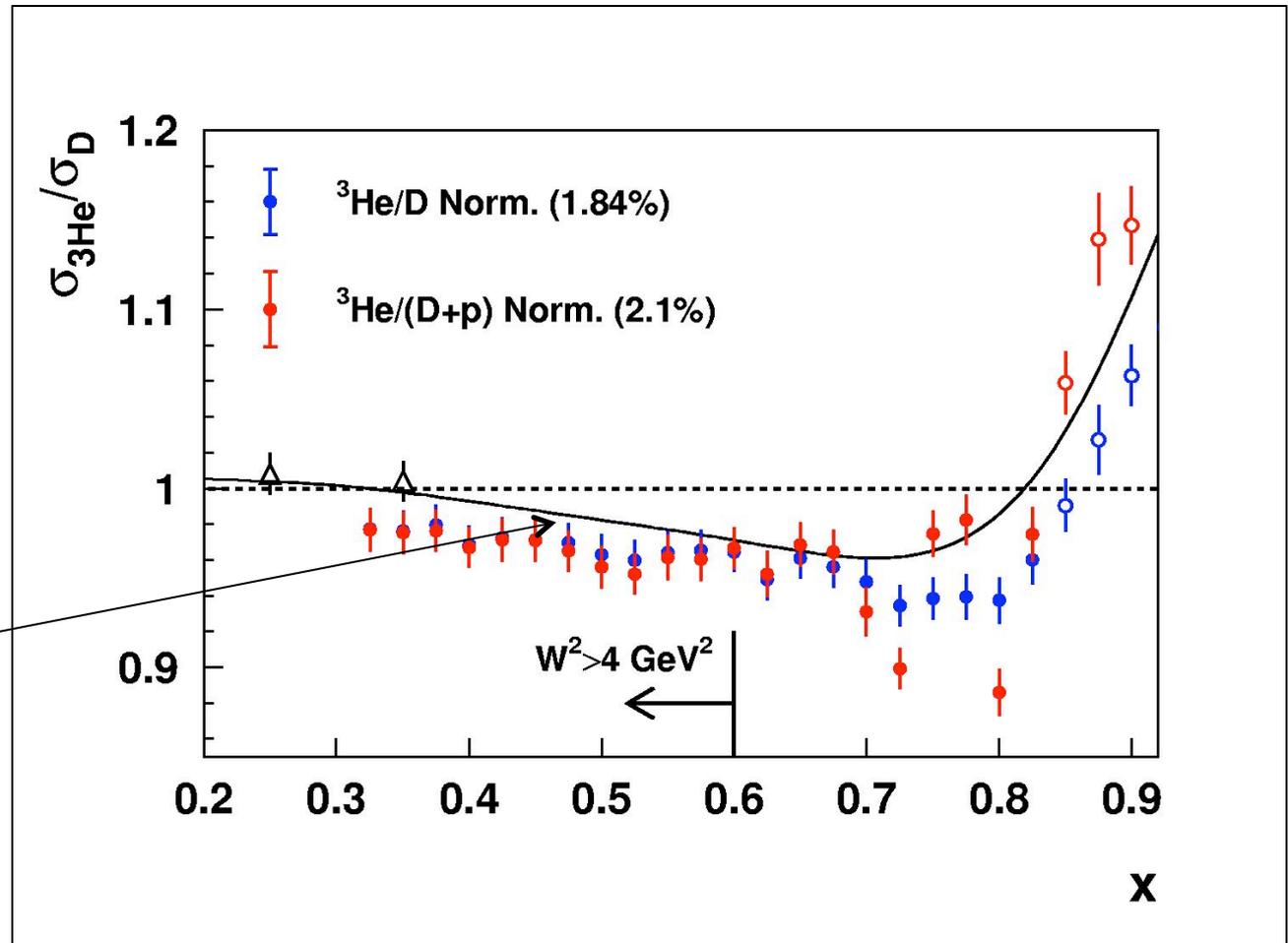
J. Seely et al, PRL 103, 202301 (2009)

EMC Effect in ^3He

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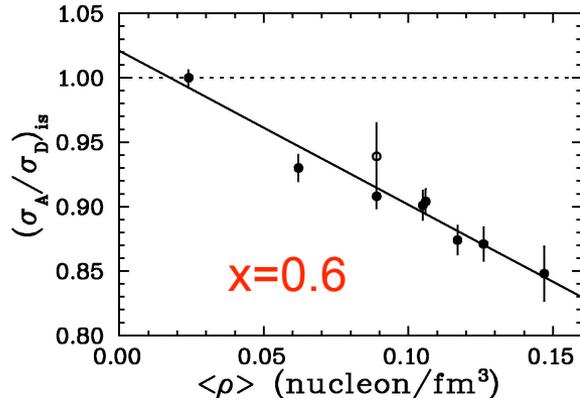
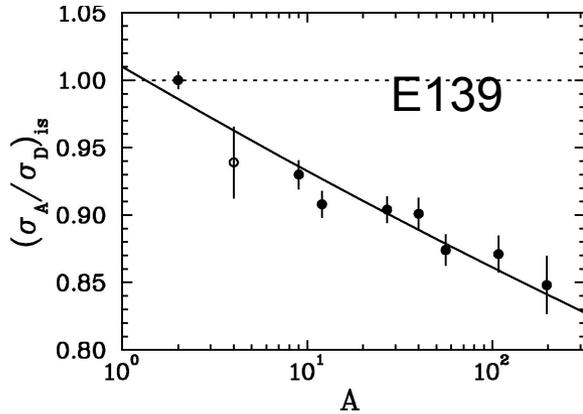
→ Test validity of isoscalar correction using $^3\text{He}/(\text{D}+\text{p})$ for $x < 0.6$

SLAC fit; $A=3$

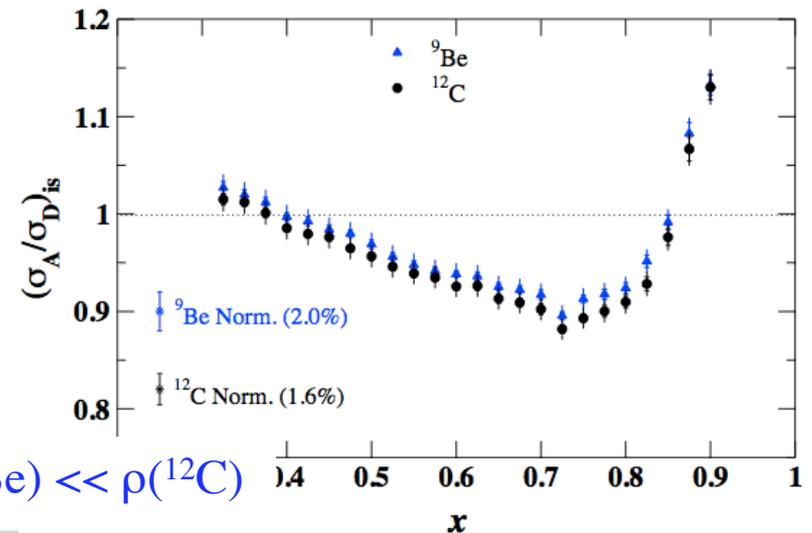
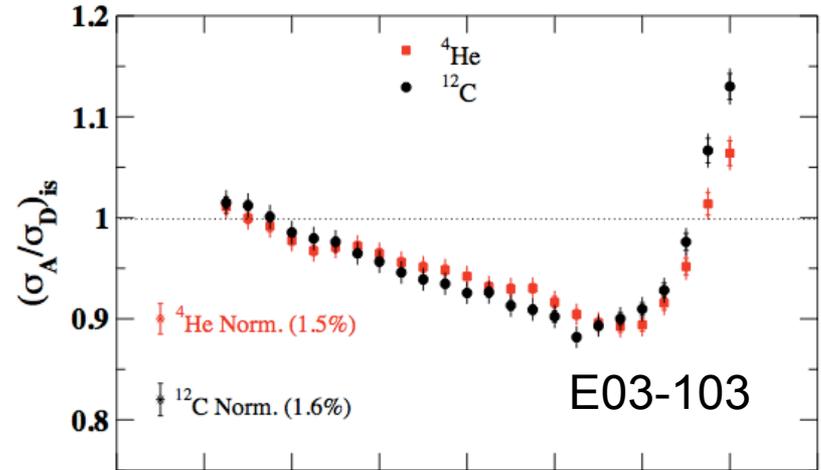


Nuclear Dependence

Does EMC effect scale with A ($A^{-1/3}$) or average nuclear density (ρ)?



Magnitude of the EMC effect for C and ${}^4\text{He}$ very similar, and $\rho({}^4\text{He}) \sim \rho({}^{12}\text{C})$

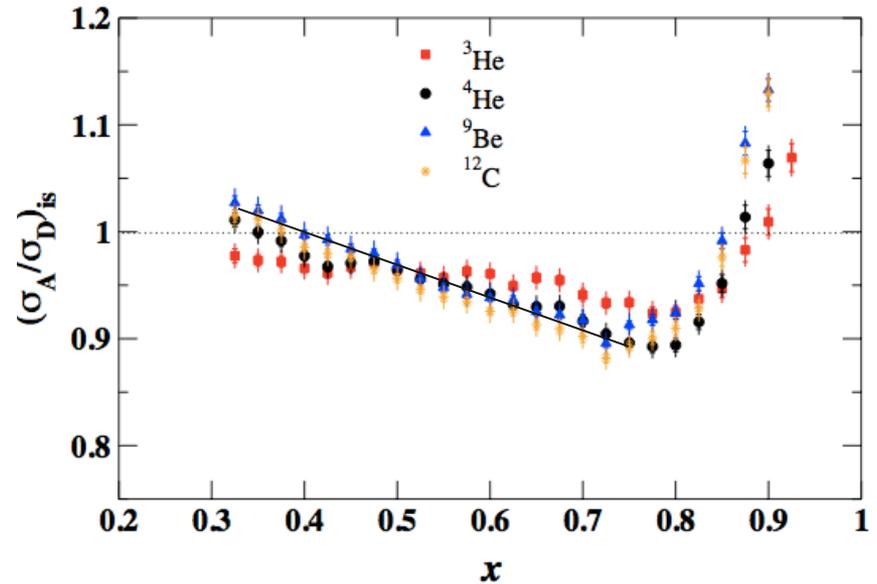
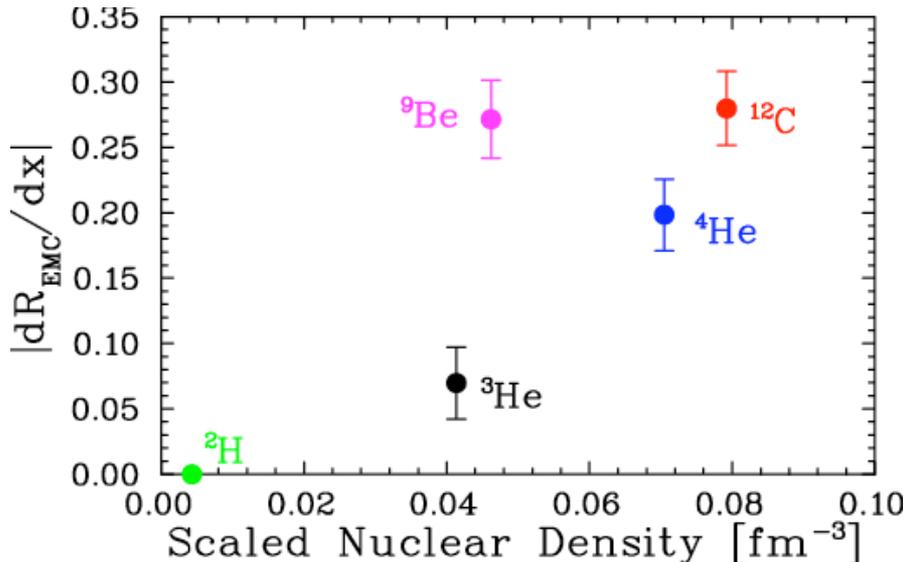


Also similar for Be and C, but $\rho({}^9\text{Be}) \ll \rho({}^{12}\text{C})$

Nuclear Dependence

Scale uncertainties make it difficult to distinguish between A and ρ dependence at particular x

→ Fit slope between $x=0.35-0.7$ as another measure of the magnitude of the EMC effect



Density determined from ab initio few-body calculation

S.C. Pieper and R.B. Wiringa, *Ann. Rev. Nucl. Part. Sci.* 51, 53 (2001)]

Density scaled by $(A-1)/A$ to remove contribution from struck nucleon

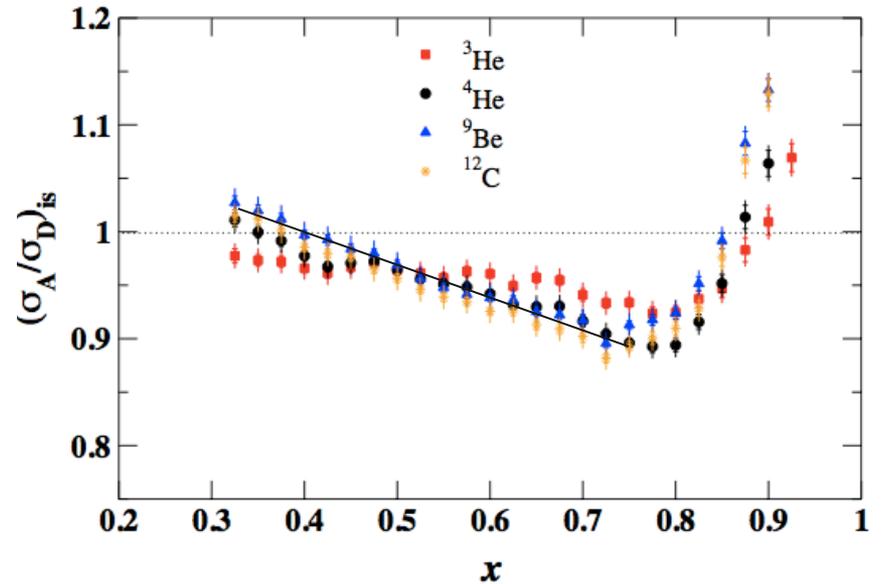
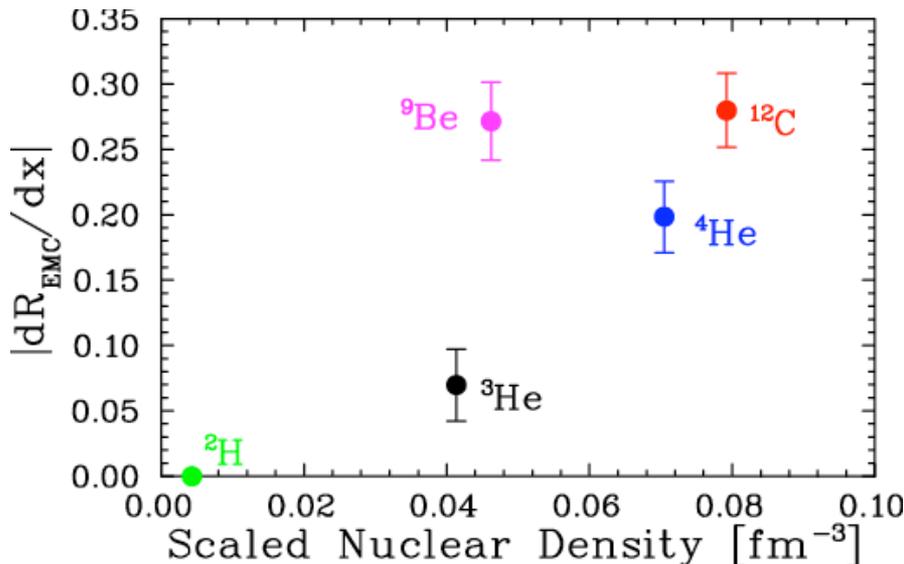
Data show smooth behavior as density increases...

except for ^9Be

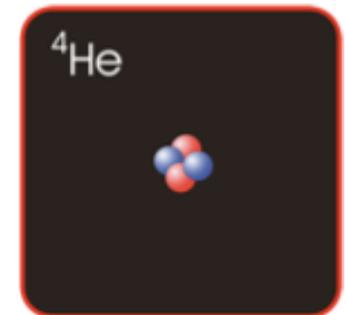
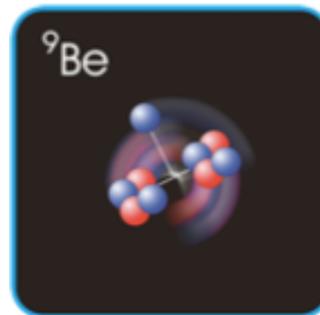
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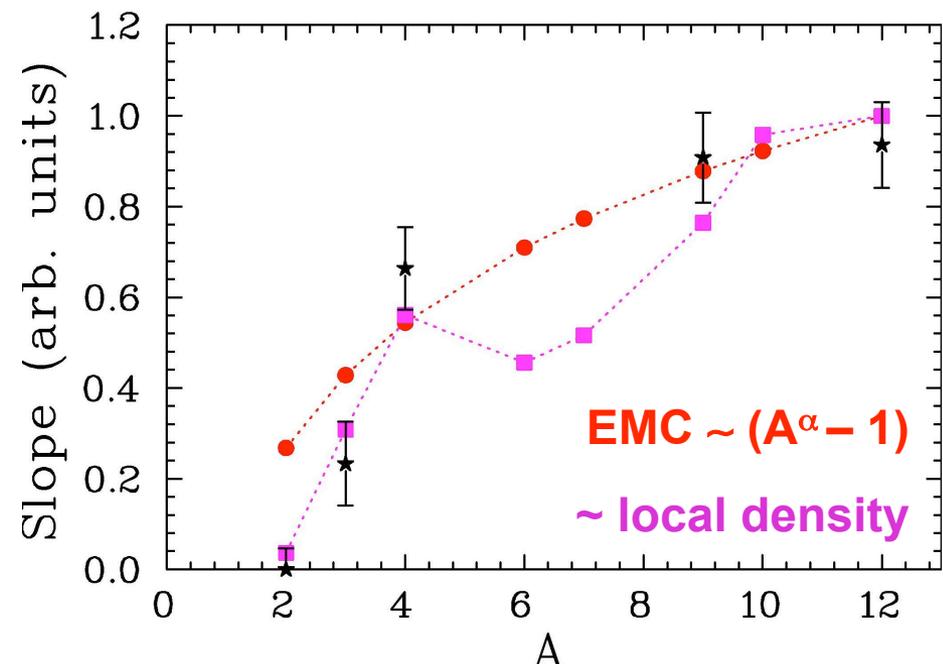
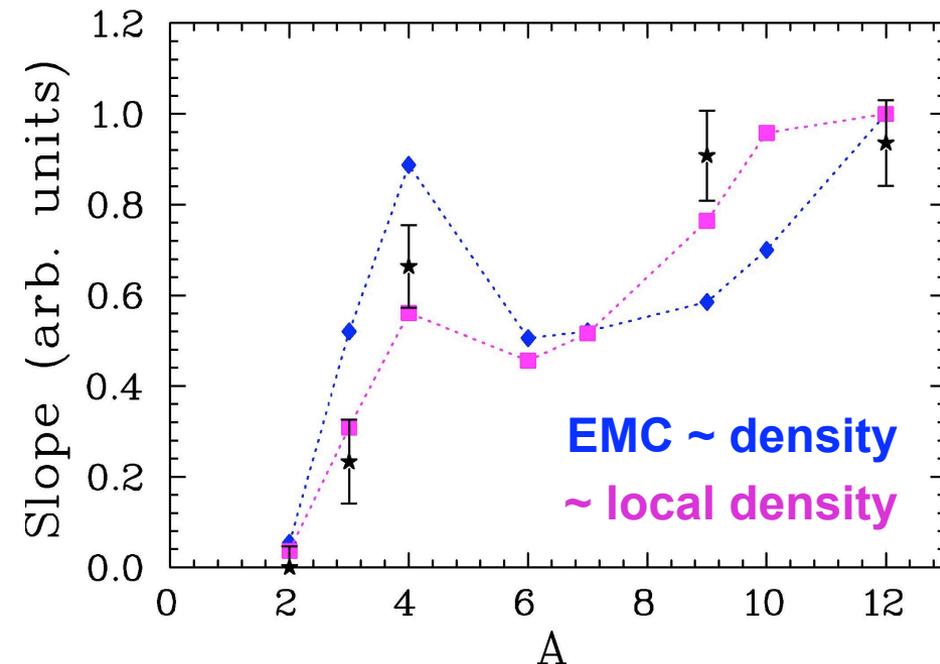


^9Be has low average density, but large component of structure is $2\alpha+n$ most nucleons in tight, α -like configurations

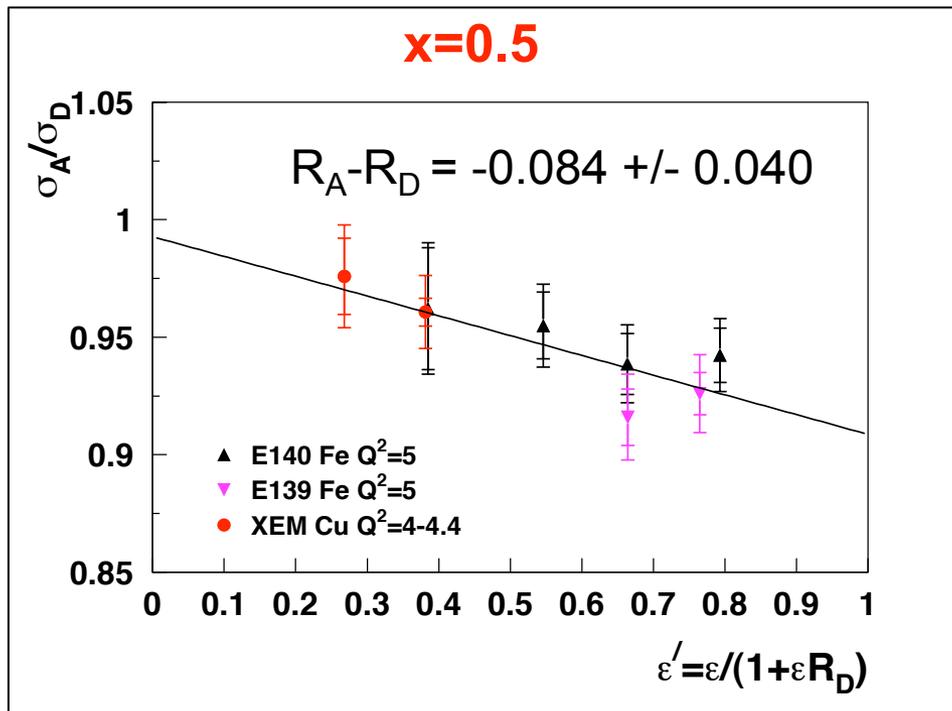


E10-008: Additional light nuclei

- 12 GeV experiment that will map out A-dependence in more detail
 - Very hard to explain large ${}^3\text{He}$ – ${}^9\text{Be}$ difference in ρ -dependent fit
 - Hard to explain large ${}^3\text{He}$ – ${}^4\text{He}$ difference in mass-dependent fit
 - Modified fit does somewhat better, but worse for heavier nuclei
 - “Local density” works well, provides different predictions
 - Use ab initio GFMC calc. of 2-body correlation function to calculate average nucleon ‘overlap’

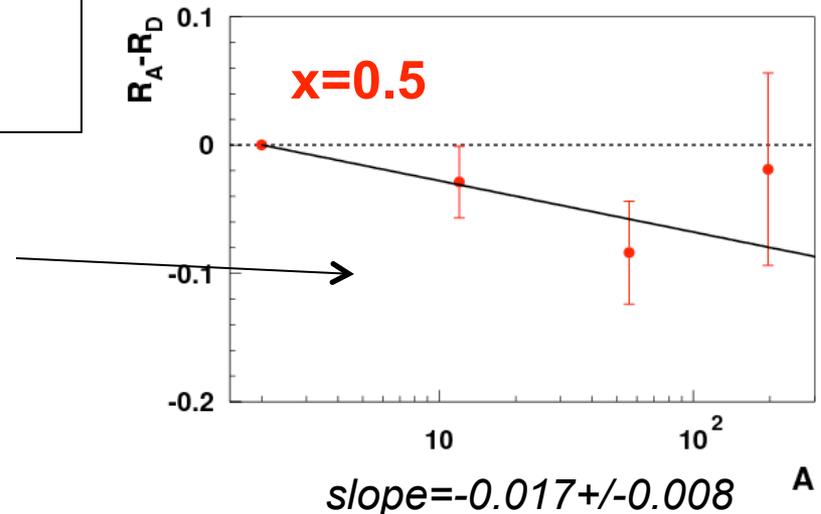


Nuclear Dependence of R?



SLAC E140 results demonstrated no evidence for nuclear dependence of $R = \sigma_L / \sigma_T$ at large $x (> 0.2)$

→ Applying *Coulomb corrections* to SLAC data and combining with Hall C data suggest non-trivial nuclear dependence at large x



SLAC E139/E140, Hall C combined for carbon, Fe/Cu, gold

[P. Solvignon et al, arXiv:0906.2839 (AIP Conf. Proc.)]

→ longer publication in progress

Summary

- New data from E03-103 provide new precise data on EMC effect in light nuclei
 - Results suggest that EMC effect depends on **local** nuclear environment rather than “average” properties
- Few-body nuclei provide an excellent opportunity to attempt calculations incorporating detailed nuclear structure
- Precision at large x (where Fermi motion dominates) tests underlying model of nucleus
- Approved 12 GeV experiment will expand set to more few-body nuclei
- E03-103 heavy target data suggest some interesting effects as well – stay tuned

Acknowledgements

- Aji Daniel and Jason Seely (students)
- John Arrington (spokesperson)
- Patricia Solvignon (former post-doc – now Hall C staff)
- Steve Pieper and Bob Wiringa for help with few-body nuclear density calculations