

# Charged-Particle Multiplicity at LHC Energies

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for the ALICE collaboration

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# Charged-Particle Multiplicity

- Previous measurements at hadron colliders, theoretical models and predictions for LHC
- Pseudorapidity density and multiplicity distribution measurement procedure with ALICE
  - Detector status and data taking
  - Analysis procedure
  - Systematic uncertainties
- Data sample and MC validation
- Results

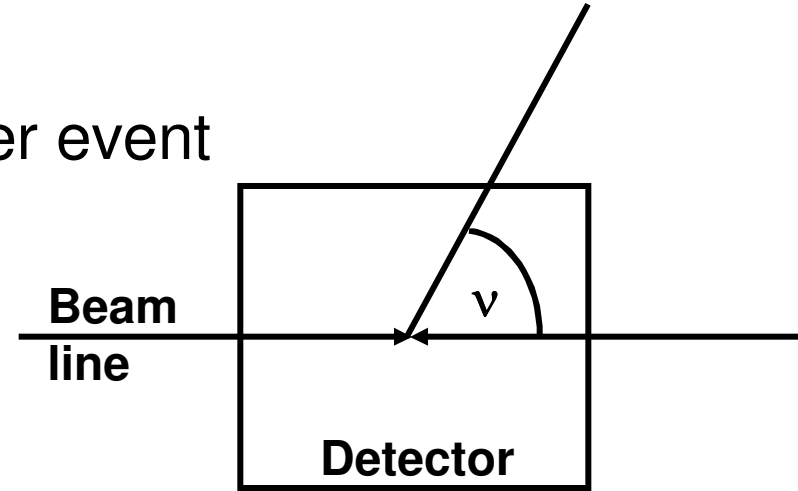
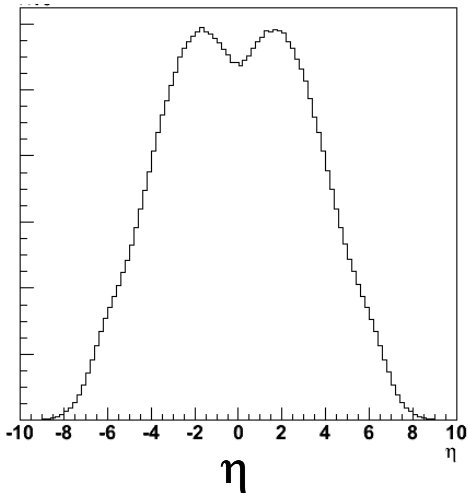
# Definitions

- Primary charged particles  $N_{ch}$  per event
- Number of events  $N_{ev}$
- Pseudorapidity

$$\eta = \frac{1}{2} \ln \frac{p + p_L}{p - p_L} = -\ln \tan \frac{\nu}{2}$$

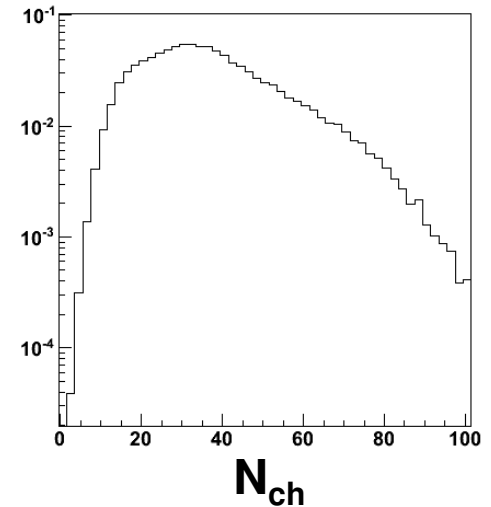
- Pseudorapidity density

$$\frac{dN_{ch}}{d\eta}$$



- Multiplicity distribution

$$P(N_{ch}) = \frac{1}{N_{ev}} \frac{dN_{ev}}{dN_{ch}}$$





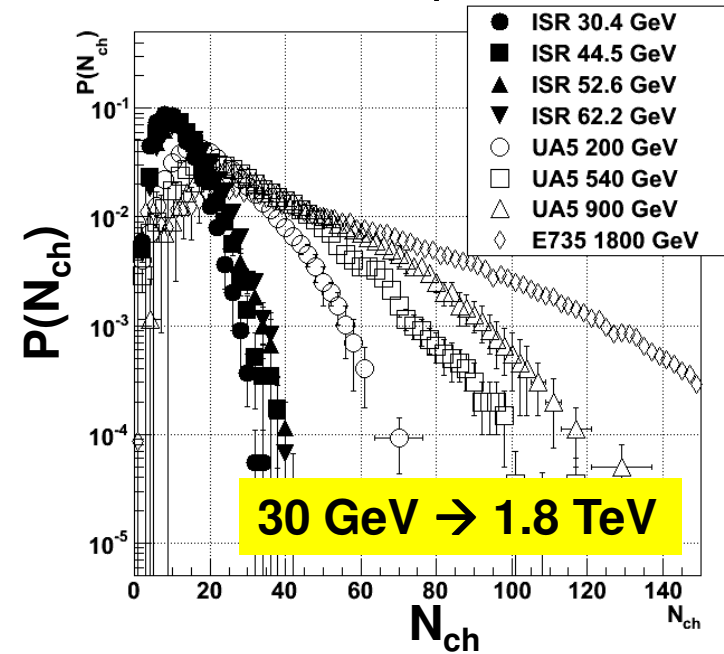
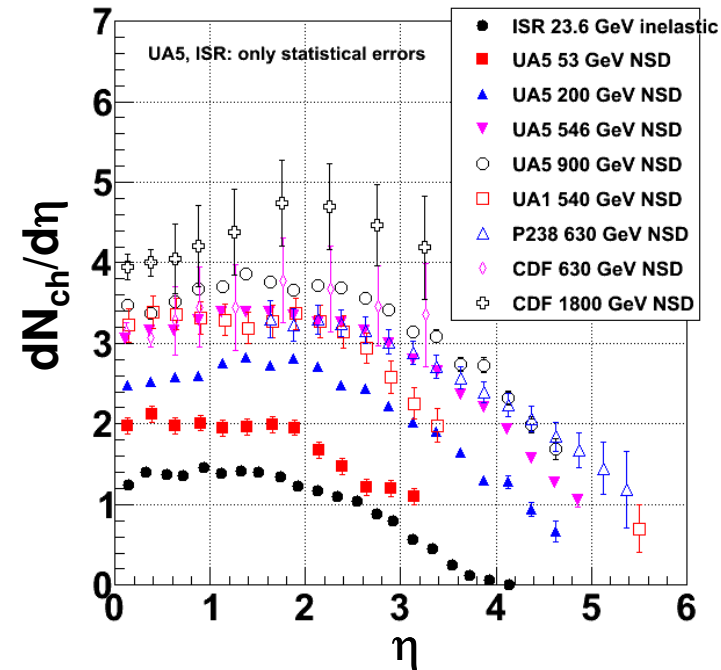
# Part 1

Previous measurements at hadron colliders, theoretical models and predictions for LHC

# Charged-Particle Multiplicity

- Simple observable in collisions of hadrons
- Important ingredient for the understanding of multi-particle production
  - LHC is in an energy realm where multiple parton interactions are in the bulk of the events
- Constrain, reject and improve models

**Review article (K. Reygers, JFGO)  
Charged-Particle Multiplicity in  
Proton–Proton Collisions  
arXiv:0912.0023  
submitted to Journal of Physics G**



# Feynman Scaling

- Phenomenological arguments about the exchange of quantum numbers
- Feynman-x:  $x = 2p_z/\sqrt{s}$
- Feynman scaling function  $f(p_T, x)$  independent of cms energy (for large energies)
- Average  $N_{ch}$  increases with  $\ln s$
- $dN_{ch}/d\eta$  approx. constant

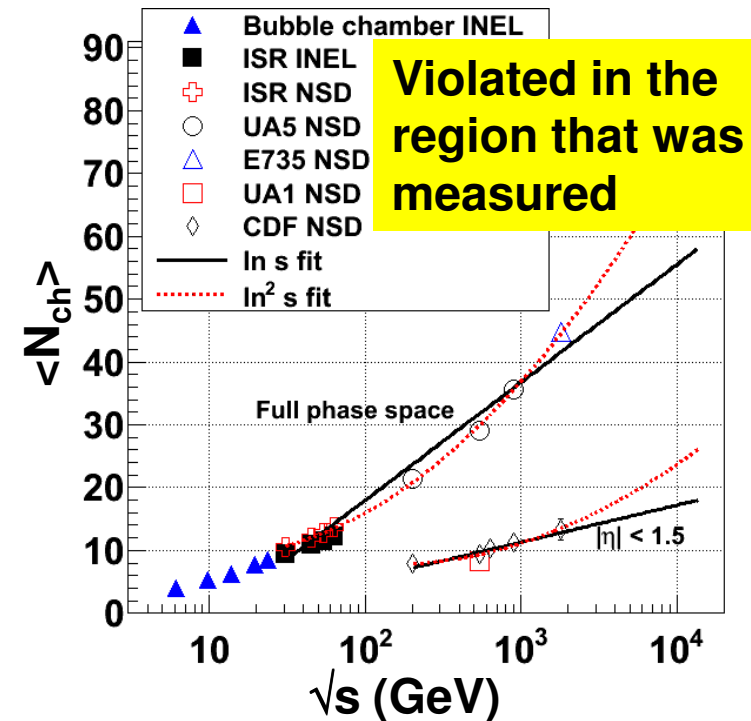
**VERY HIGH-ENERGY COLLISIONS OF HADRONS**

Richard P. Feynman

California Institute of Technology, Pasadena, California

(Received 20 October 1969)

**PRL 23 1415 (1969)**

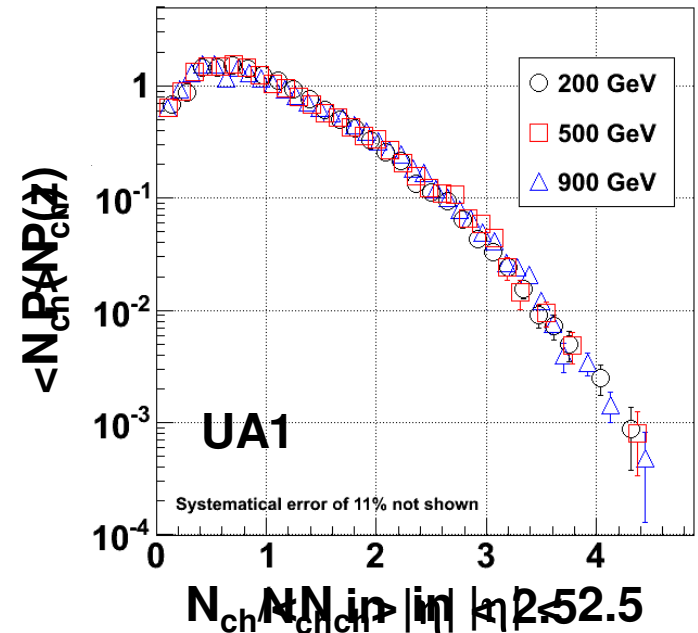


# KNO Scaling

- Koba, Nielsen, Olesen (1972)
- Based on Feynman scaling
- Scaling variable  

$$z = N_{ch} / \langle N_{ch} \rangle$$
- Express  $P(N_{ch})$  as  

$$P(z) * \langle N_{ch} \rangle$$
- Multiplicity distributions measured at different energies fall onto universal curve



**Successful for NSD events**

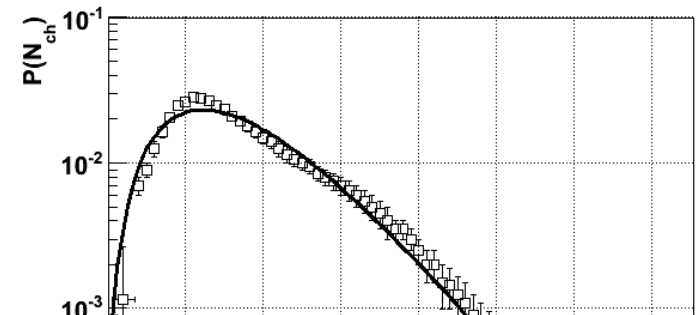
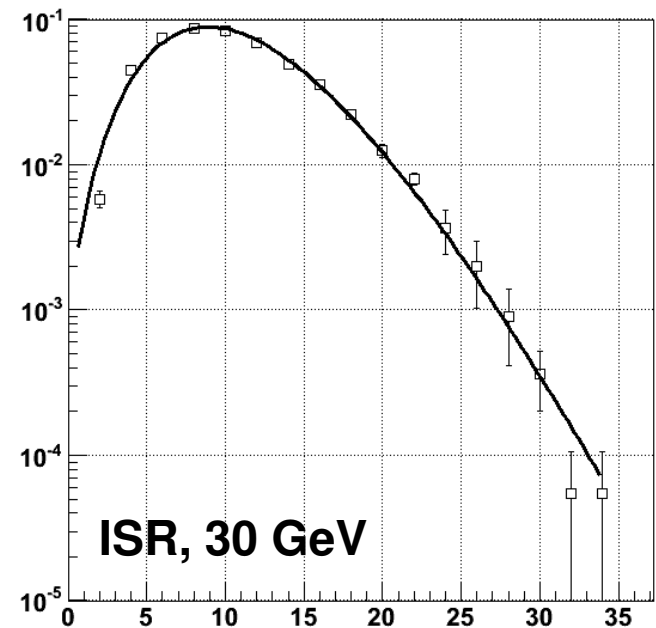
- up to 60 GeV for full phase space (ISR)
- up to 900 GeV in central region (UA1, UA5)
- remains only valid in  $|\eta| < 1$  for soft events at 1.8 TeV (CDF)

Nucl. Phys. B40 317 (1972)



# Negative Binomial Distributions

- Bernoulli experiment
  - Probability for  $n$  failures and  $k$  success in any order, but the last trial is a success
- Physical interpretation
  - Cascade production (clan model, Giovannini, Z. Phys. C30 391 (1986))
    - Ancestor particle are produced independently (Poisson)
    - Existing particle can produce additional one with some probability  $p$



**Successful for NSD events**  
• up to 540 GeV in full phase space (ISR, UA5)  
• central intervals up to 1.8 TeV (UA5, CDF)

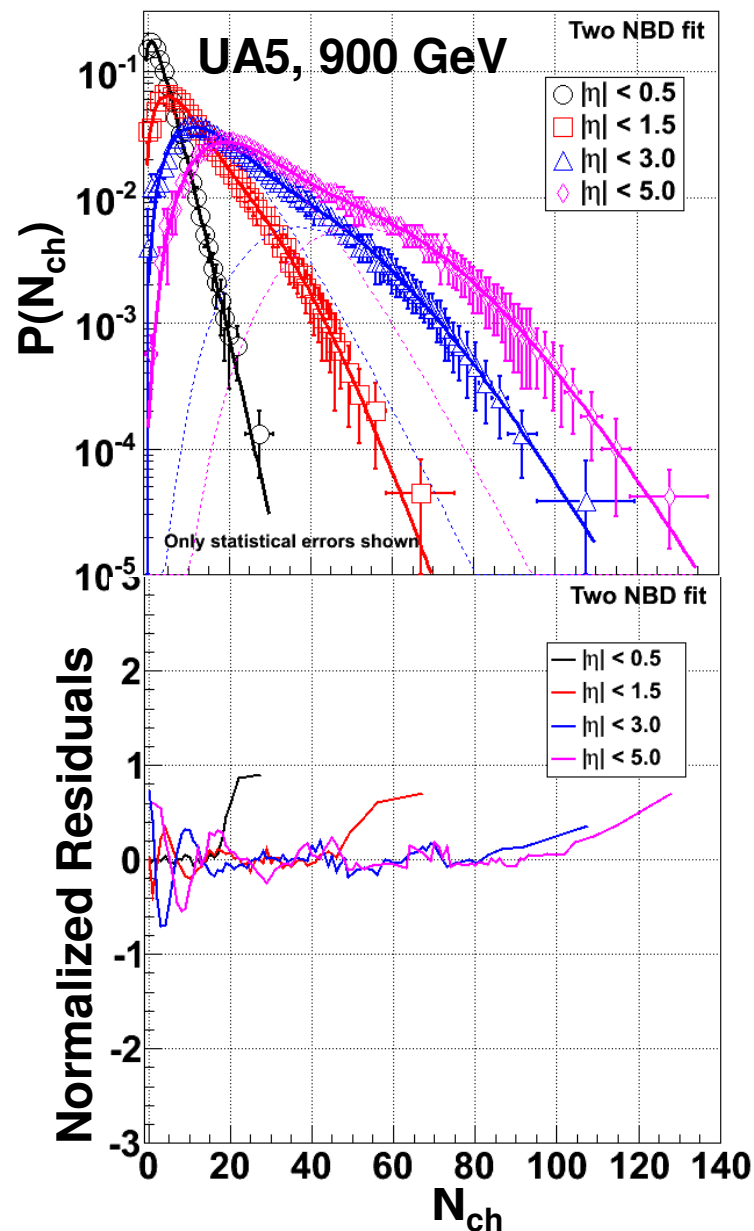


# Two Component Approaches

- Combination of 2 NBDs representing soft and semihard part of the collision (with and without minijets) (Giovannini, PRD59 094020 (1999))
  - Two classes of events, not two production mechanisms in the *same* event
- Other data-driven approach identifies several KNO components (Alexopoulos, Phys. Lett. B435 453 (1998))

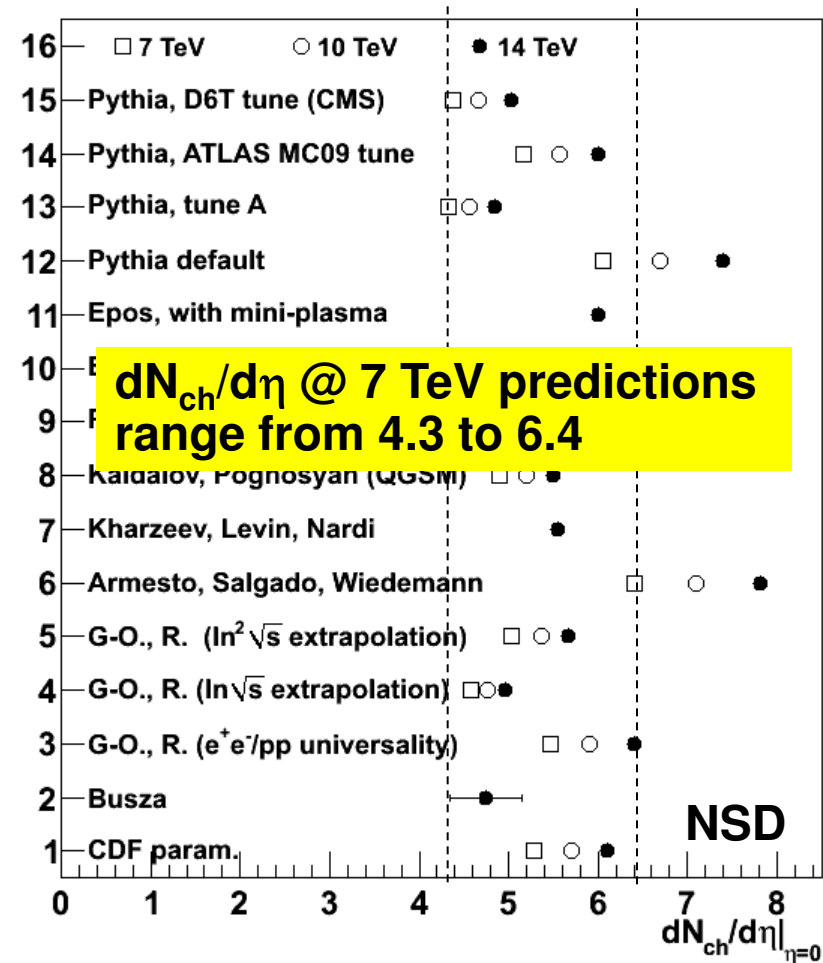
**Successful for all regions up to 1.8 TeV**

**Physical interpretation unclear**



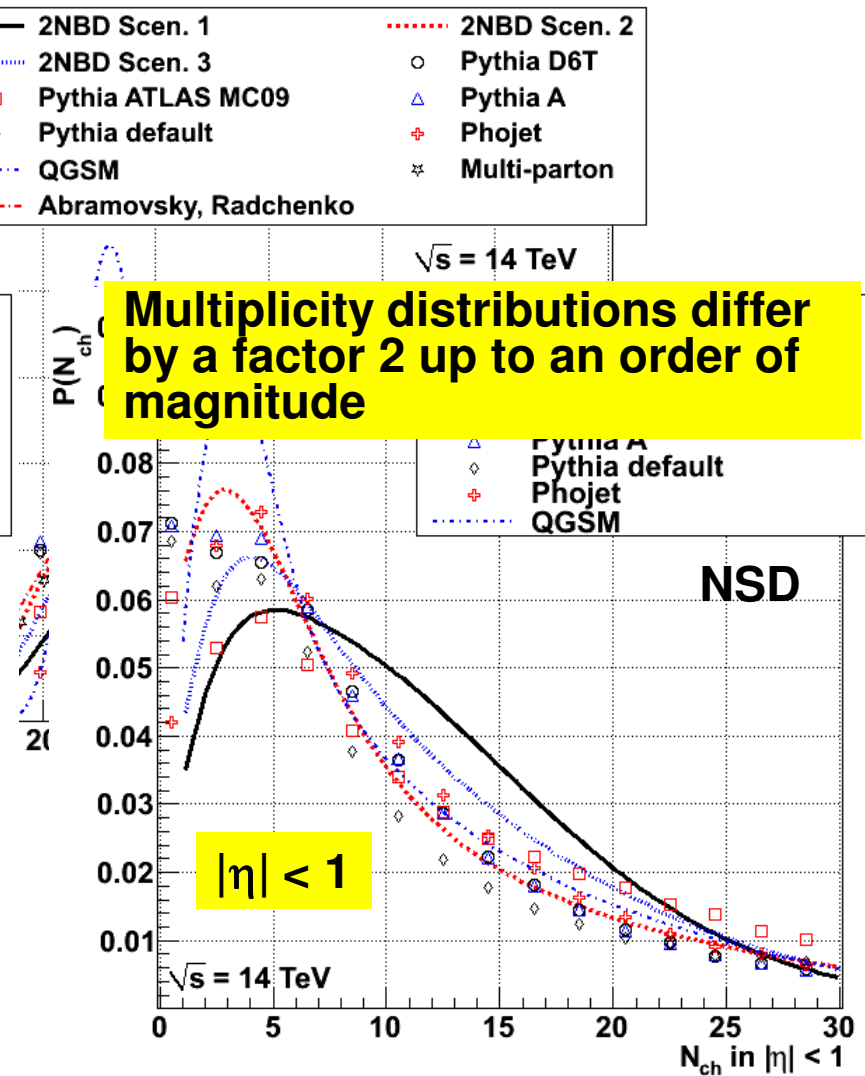
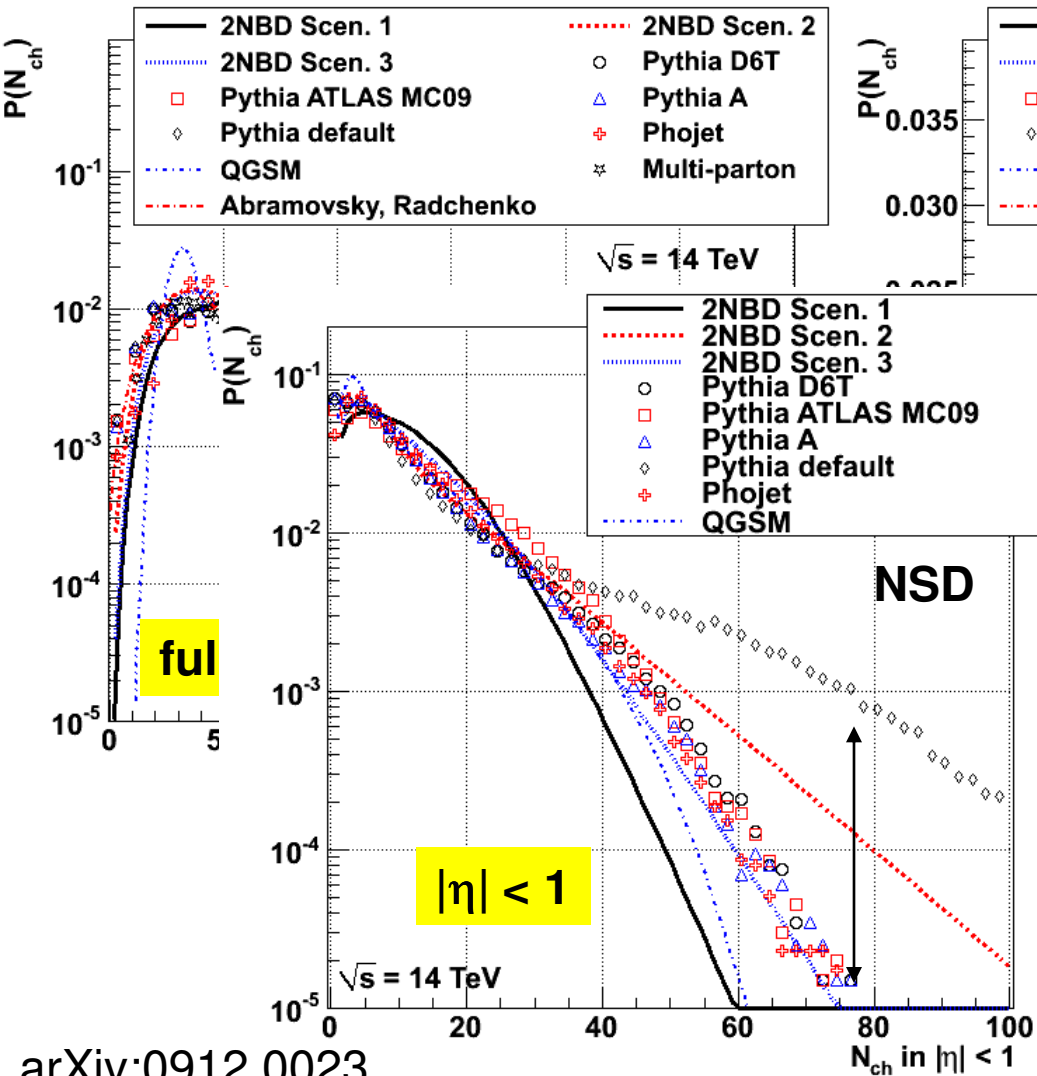
# Predictions for LHC Energies

- Extrapolations of trends at lower  $\sqrt{s}$ 
  - Just for average multiplicities
  - For the multiplicity distribution
- Gluon saturation models (Armesto et al, Kharzeev et al)
- **D**ual **P**arton **M**odel / **Q**uark-**G**luon **S**tring **M**odel
- Monte Carlo generators
  - Pythia (pQCD + soft phenomenology) with all its tunes
  - Phojet (based on DPM/QGSM)
  - Epos (allows mini-plasma in p+p)



arXiv:0912.0023

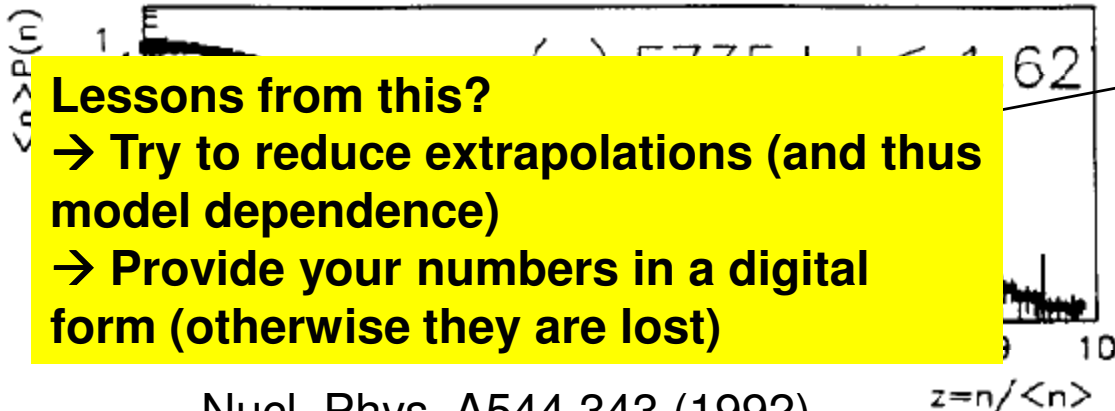
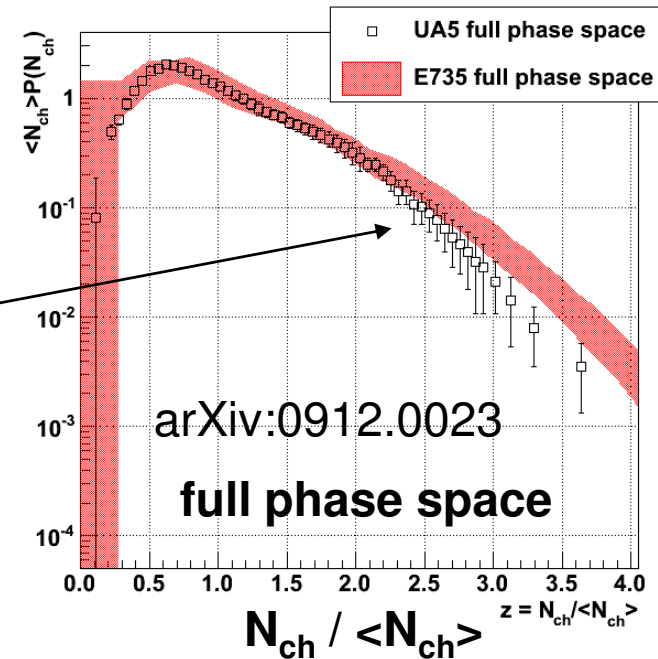
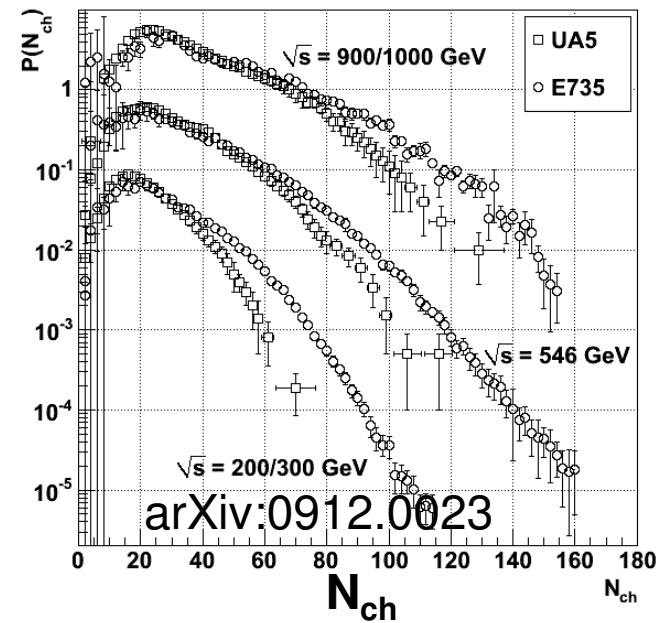
# Predictions for $\sqrt{s} = 14$ TeV



arXiv:0912.0023

# Open Experimental Issues

- Discrepancy of multiplicity distributions of UA5 and E735 in full phase space
  - Extrapolated from  $|\eta| < 5$  (UA5) and  $|\eta| < 3.25$  (E735)
- Restricted phase space?
  - Data points not in electronic format
  - Go to the publication: plot quality?



**Lessons from this?**  
 → Try to reduce extrapolations (and thus model dependence)  
 → Provide your numbers in a digital form (otherwise they are lost)

Nucl. Phys. A544 343 (1992)



## Part 2

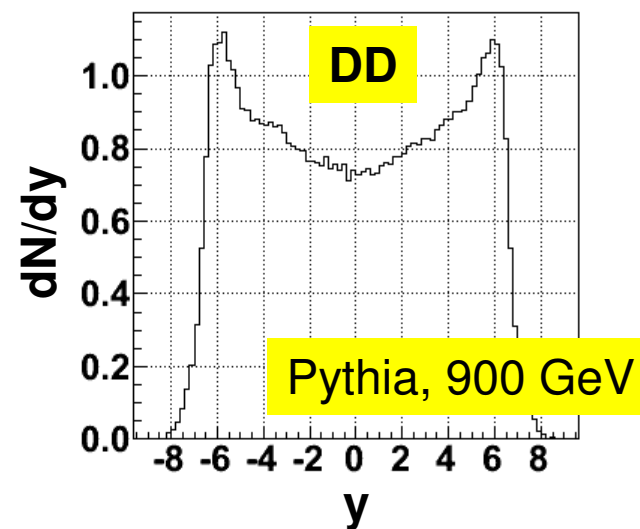
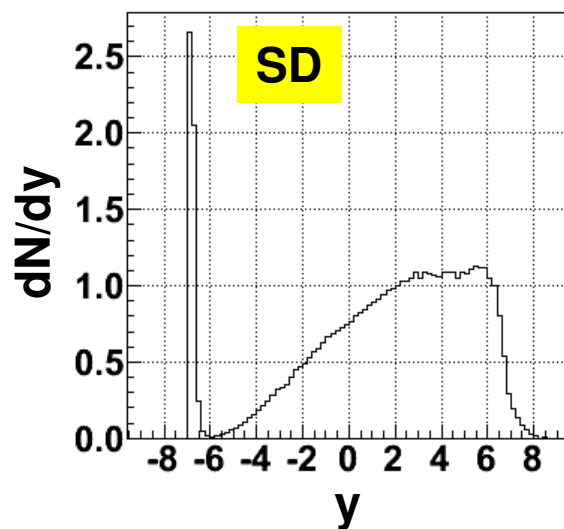
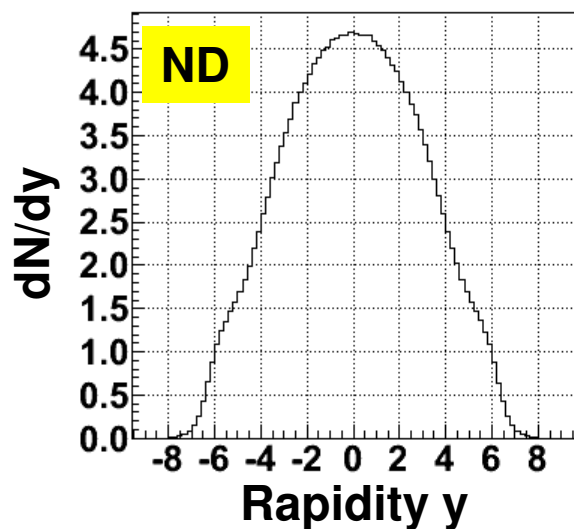
# Pseudorapidity density and multiplicity distribution measurement procedure with ALICE

# Proton-Proton Cross-section

$$\sigma_{\text{total}} = \sigma_{\text{elastic}} + \underbrace{\sigma_{\text{non-diffractive}} + \sigma_{\text{single-diffractive}} + \sigma_{\text{double-diffractive}}}_{\text{inelastic, ALICE trigger}}$$

$\uparrow$  insensitive

- Many experiments triggered on and published non single-diffractive events (NSD=ND+DD)
- ALICE measures inelastic (INEL) and NSD



# Treatment of Diffractive Interactions

## Single Diffraction

- Use MC generator for corrections per process type (ND, DD, SD)
- Combine using measured weights
- Replay measurement conditions
  - $M^2/s < 0.05$  for UA5 measurement
  - Weight SD such that replayed fraction matches measurement
  - Experiments have corrected for non-SD contribution in their measurements

SD, 900 GeV	Pythia	Phojet
MC fraction	22.3%	19.1%
Replay	18.9%	15.2%
Measurement*	(15.3 ± 2.3)%	

\*UA5: Z. Phys. C33, 175, (1986)  
derived from ratio of SD/NSD

**Measurement for 1.8 TeV**  
**E710, Phys. Lett. B301, 313 (1993)**  
**Other cut on SD:  $2 < M^2 < 0.05s$**

**Can be used for 2.36 TeV (ratios SD/INEL, DD/INEL fairly constant as function of cms)**

# Treatment of Diffractive Interactions

## Double Diffraction

- **UA5** (Z. Phys. C33, 175, (1986))
  - Centered gap  $|\eta| < 1 \dots 3$
  - Somehow corrected for efficiency to find certain gap sizes
  - Hadron-level definition for DD not evident from the paper
- **CDF** (PRL87, 141802 (2001))
  - Measures with a gap of 3  $\eta$ -units (including  $\eta = 0$ )

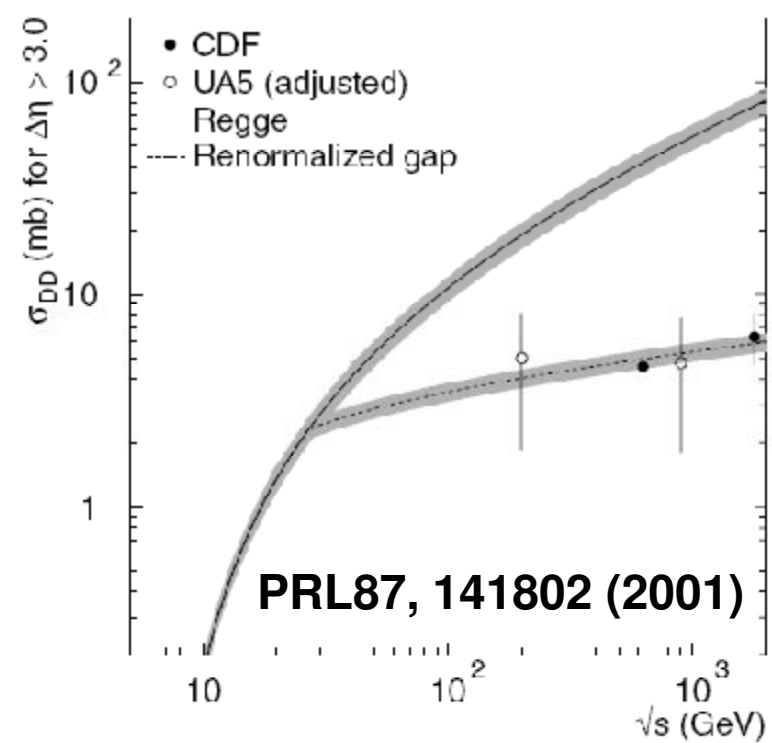
DD, 900 GeV	Pythia	Phojet
MC	12.3%	6.4%
Measurement	$(8 \pm 5)\%$	

DD, 1.8 TeV	Pythia	Phojet
MC	12.6%	5.8%
Replay $\Delta\eta^0 > 3$	6.6%	2.2%
Measurement	$(7.5 \pm 2.2)\%$	



# Treatment of Diffractive Interactions - DD (2)

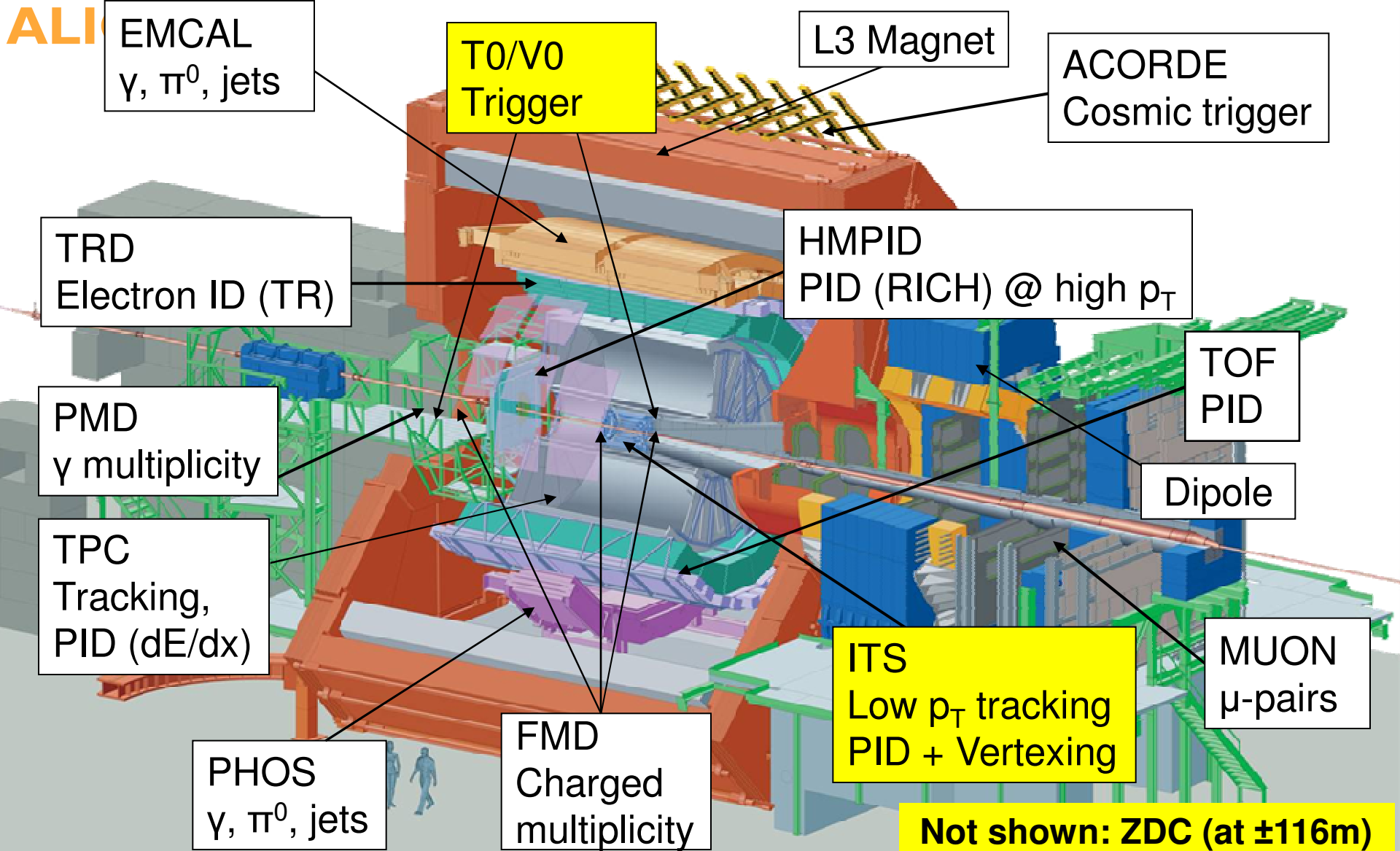
- CDF scales their and UA5 result to floating gap of 3  $\eta$ -units (“ $\Delta\eta > 3$ ”)
- Consistent measurements
- Replay works for Pythia, but not for Phojet
- Treatment of DD remains ambiguous

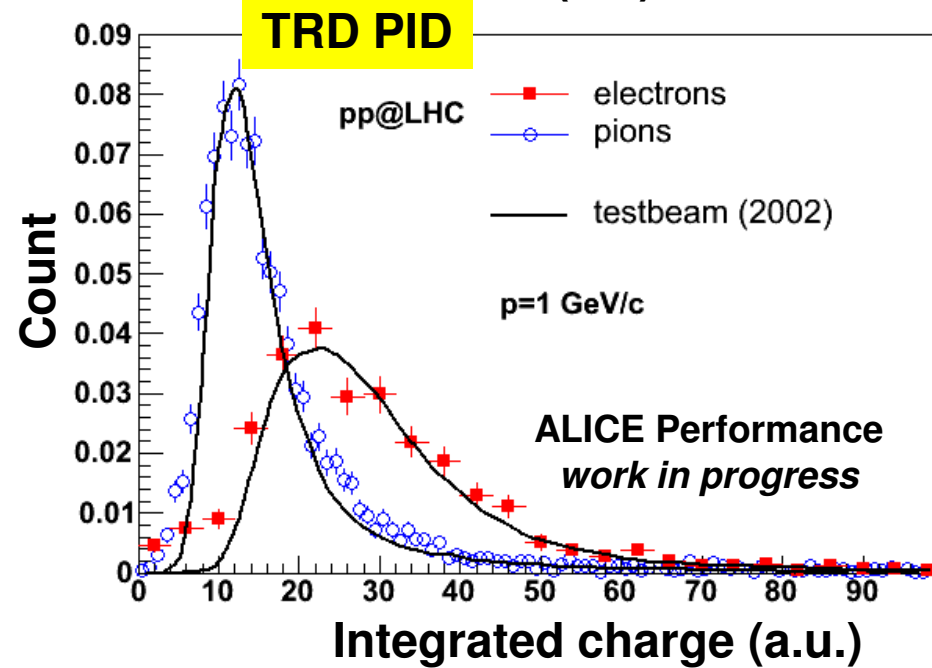
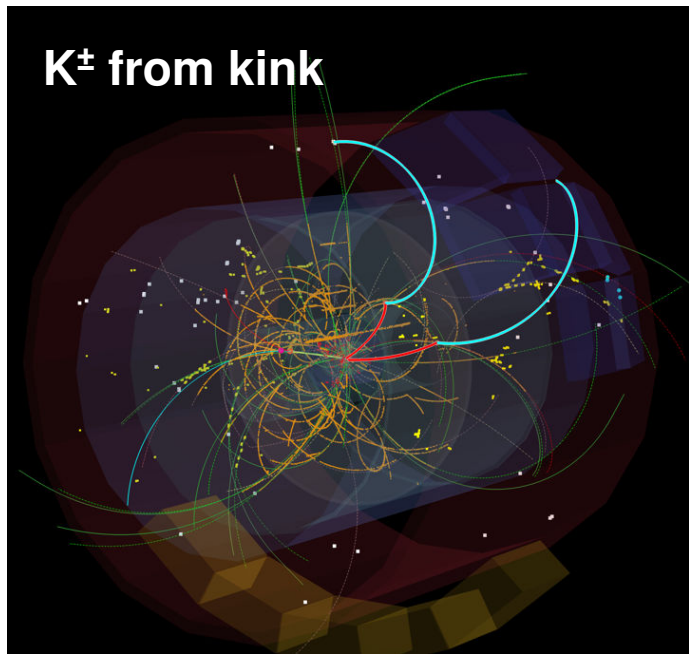
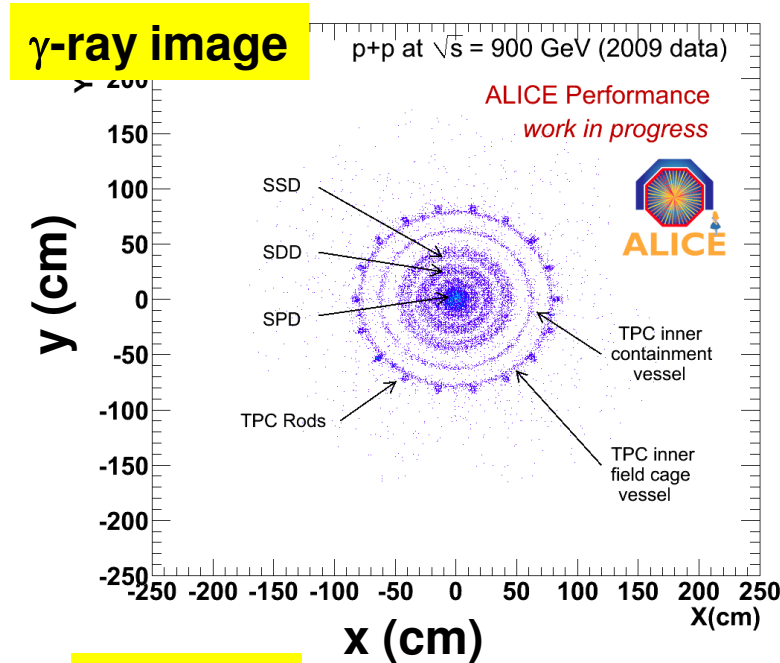
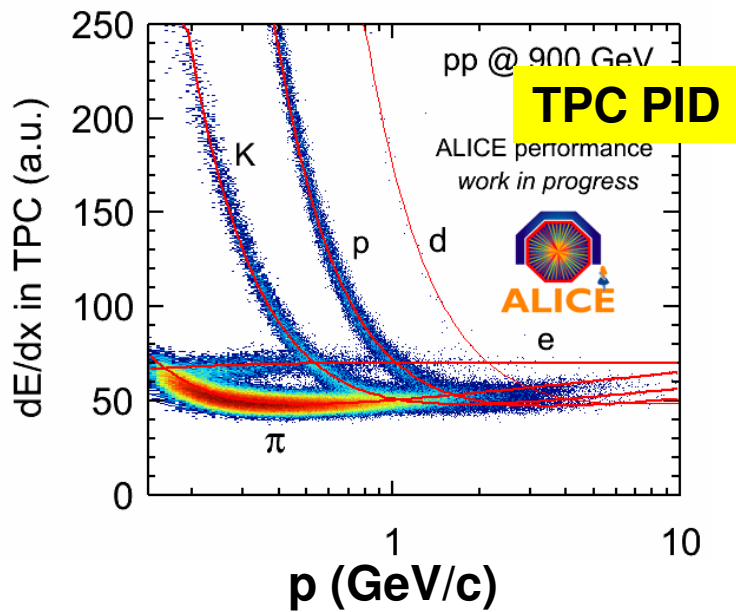


		Pythia	Phojet
900 GeV	MC	12.3%	6.4%
	Replay $\Delta\eta > 3$	10.6%	3.6%
	UA5 scaled	(9.5 ± 6)%	
1.8 TeV	MC	12.6%	5.8%
	Replay $\Delta\eta > 3$	10.3%	3.5%
	CDF scaled	(10.7 ± 3.1)%	



# A Large Ion Collider Experiment

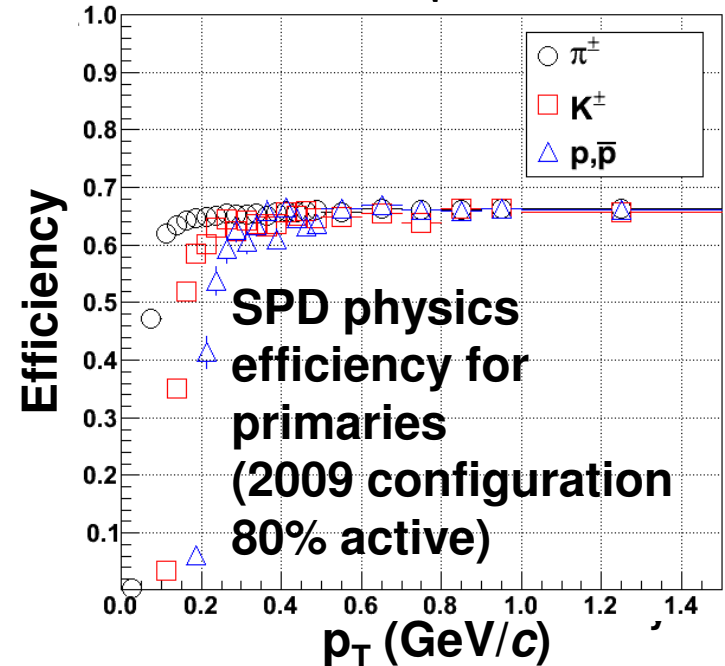
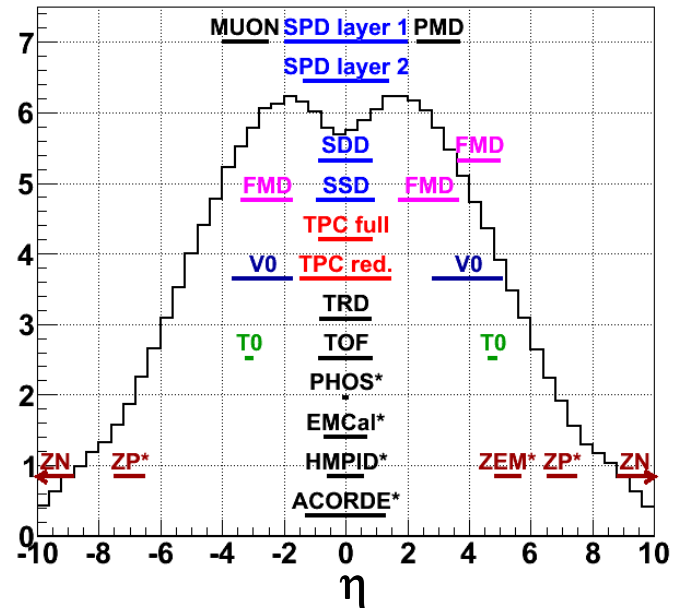




# Detectors

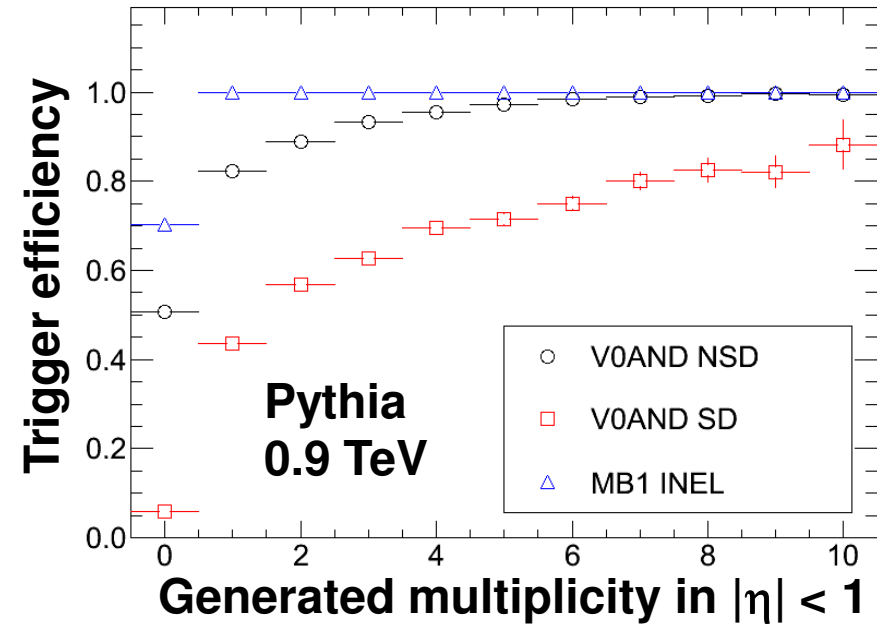
- V0 scintillator array
  - Trigger
  - $2.8 < \eta < 5.1$  and  $-1.7 < \eta < -3.7$
- Silicon Pixel Detector (SPD)
  - Two innermost layers of the Inner Tracking System (ITS)
  - Radii of 3.9/7.6 cm ( $|\eta| < 2.0/1.4$ )
  - Trigger & Tracking
  - $|\eta| < 1.4$
  - $p_T > 50$  MeV/c
  - 9.8 M channels
  - Tracklet: 2 points + vertex

## Detector Acceptance



# Trigger for MB Physics

- ALICE measures MB properties for INEL and NSD events
- Inclusive trigger ("MB1") for INEL: central pixel hit (SPD) or forward scintillator (V0)
  - One particle in 8  $\eta$  units
  - (Trigger-)sensitive to 95-97% of the inelastic x-section
- Two-arm trigger ("V0AND") for NSD
  - Both forward scintillators
  - One particle in  $2.8 < \eta < 5.1$  and one in  $-1.7 < \eta < -3.7$



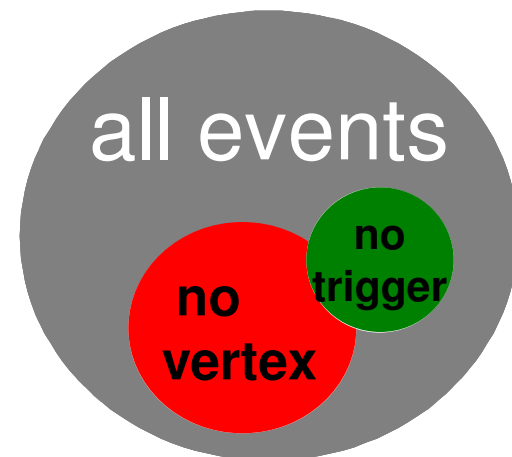
Efficiency in %		ND	DD	SD
Pythia	MB1	100	92	77
	V0AND	98	49	29
Phojet	MB1	100	98	86
	V0AND	98	66	34

900 GeV

# $dN_{ch}/d\eta$ Measurement

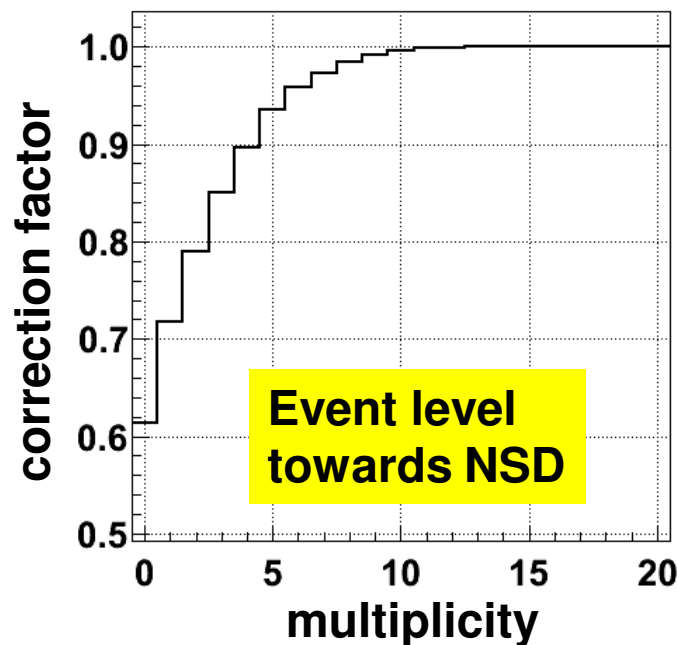
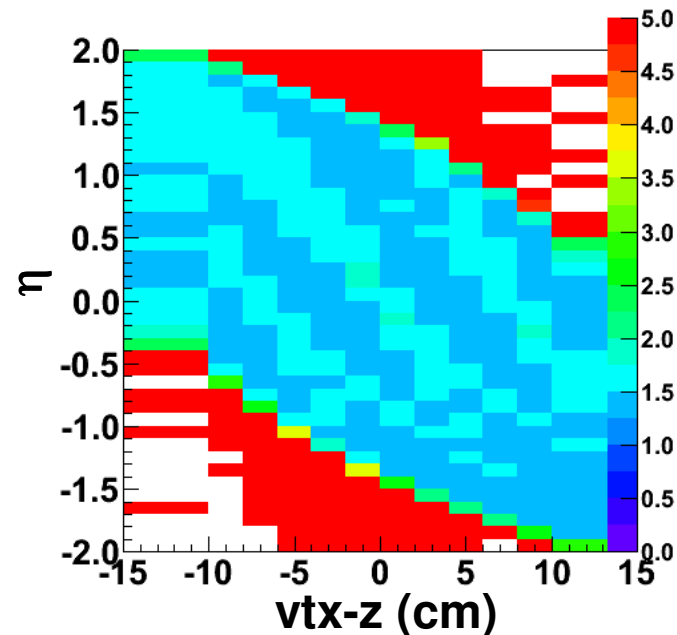
- Basically  $\frac{dN_{ch}}{d\eta} = \frac{\text{Tracks}}{\text{Events}}$  if the detector was perfect
- But... there is
  - Detector acceptance, tracking efficiency
  - Decay, conversions, stopping, etc.
  - Vertex reconstruction efficiency/bias, trigger efficiency/bias
  - Low momentum cut-off
- Three corrections needed
  - Track-to-particle correction
  - **Vertex reconstruction correction**
  - **Trigger bias correction**

**Primary particles = charged particles produced in the collision and their decay products excluding weak decays from strange particles**



# Corrections

- Track-to-particle correction
  - Acceptance of the SPD clearly visible
  - Function of  $\eta$ , z-position of event vertex (vtx-z)
- Trigger-bias correction
  - Corrects towards
    - Inelastic events
    - NSD events
  - Event and track level
  - Function of multiplicity, vtx-z



## Average correction factors

Tracking: 1.53

Events (INEL): 1.05

Events (NSD): 1.02 [+8.3% (NSD) – 6.8% (SD)]

Subtraction of SD tracks for NSD: 3%

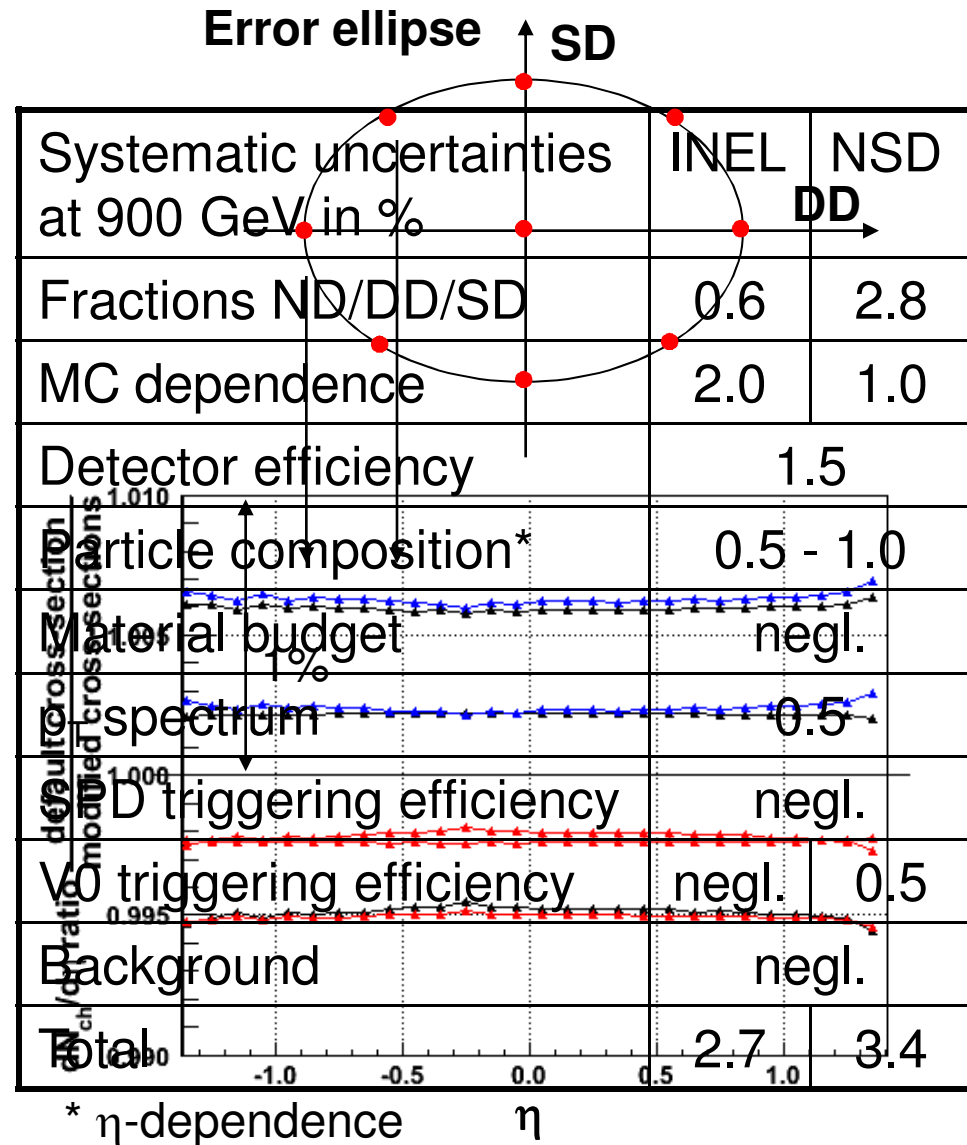
# Normalization

- Triggered events without vertex  $N_{trig, novtx}$  used in the normalization  $N(z) = N_{vtx}(z) + N_{trig, novtx}(z)$
- Triggered events without vertex are – well – *without* vertex position
- Have to be put "in the right place" (at the right vertex)
  - $N_{trig, novtx}$  are distributed like the vertex distribution from data:  $\alpha(z)$
  - The vertex distribution is biased ( $\sim 1\%$ ) due to the vertex requirement, this effect is corrected for:  $F(z)$
$$N_{trig, novtx}(z) = N_{trig, novtx} \times \alpha(z) \times F(z) \times \tilde{C}_{trig}(z)$$
- $N_{trig, novtx}$  contains beam-induced background and noise
  - Assessed from control triggers (discussed later)
  - At 2.36 TeV no control triggers
    - Use 0 bin from MC  $\rightarrow$  larger systematic uncertainty



# Systematic Uncertainties

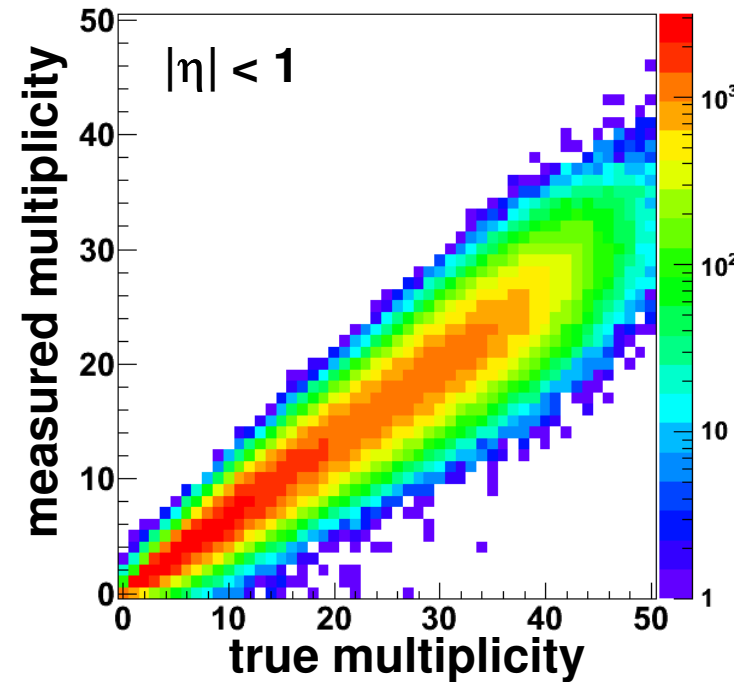
- Influence of systematic effects on result evaluated
- E.g. fractions ND/DD/SD
  - Change SD/DD by measurement error
  - E.g. SD ( $15.3 \pm 2.3$ )% (scaled as discussed before)
- Larger uncertainty for NSD than for INEL



# Multiplicity Distribution

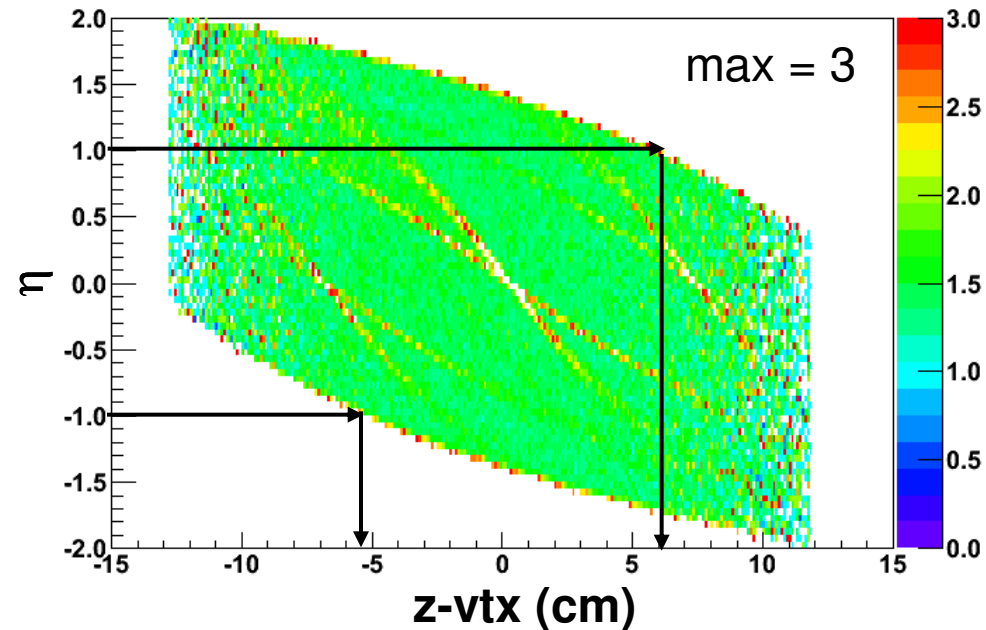
$$P(N_{\text{ch}}) = \frac{\text{Events with multiplicity } N_{\text{ch}}}{\text{All events}}$$

- Efficiency, acceptance
  - Resolution vs. bin size  $\rightarrow$  bin flow
  - Correction by unfolding
- Detector response  $M = RT$ 
  - Probability that a collision with the true multiplicity  $t$  is measured as an event with the multiplicity  $m$
- Vertex reconstruction, trigger bias correction
  - Like for  $dN_{\text{ch}}/d\eta$ , but in unfolded variables (true multiplicity) because it is applied after unfolding



# Multiplicity Distribution (2)

- For the multiplicity distribution all considered events have to have full acceptance in  $\eta$
- For each  $\eta$ -region a different acceptance
  - Reduces statistics
  - Not centered around 0 due to small shift of the ITS vs. the nominal interaction point
- Use number of triggered events without vertex to estimate vertex efficiency in “0 bin” from data



$ \eta  <$	$z$ (cm)	Fraction 0.9 TeV
<b>0.5</b>	<b>-10 ... 10</b>	<b>99%</b>
<b>1.0</b>	<b>-5.6 ... 6.1</b>	<b>84%</b>
<b>1.3</b>	<b>-1.9 ... 2.4</b>	<b>53%</b>
<b>1.4</b>	<b>-0.3 ... 0.8</b>	<b>11%</b>

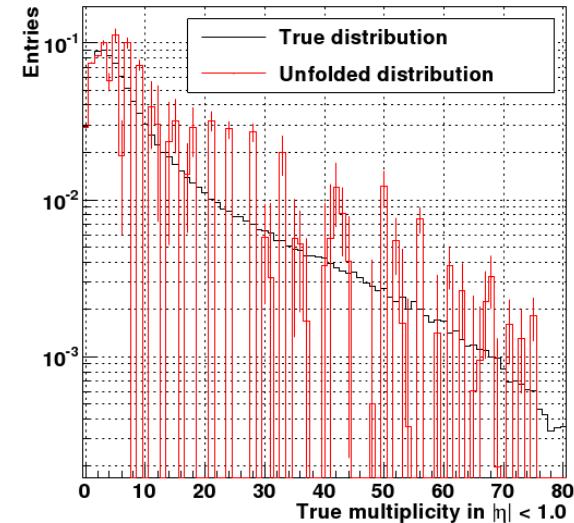
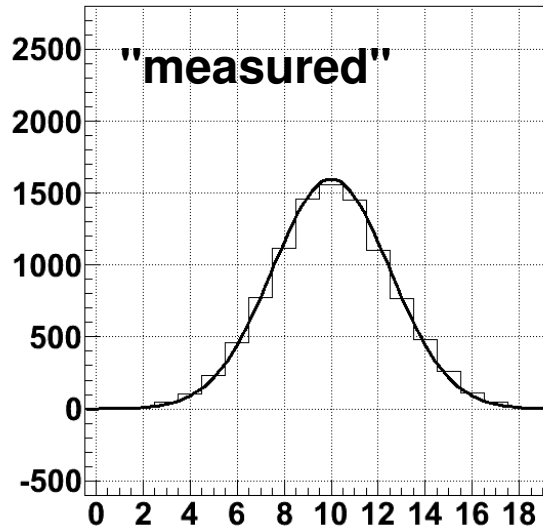
# Challenges with Unfolding

- Example with a simple quadratic response matrix  $R$
- True distribution (Gaussian is assumed) converted to measured distribution using  $R$
- 10,000 measurements generated
- $R$  is inverted and used to infer the 'true' distribution  
→ large statistical fluctuations

$$\begin{pmatrix} 0.75 & 0.25 & 0 & \dots \\ 0.25 & 0.50 & 0.25 & \dots \\ 0 & 0.25 & 0.50 & \dots \\ \vdots & & & \ddots \end{pmatrix}$$

$$T = R^{-1}M$$

V. Blobel, Yellow report, 1984



# Unfolding using $\chi^2$ -Minimization

$$\chi^2(\mathbf{U}) = \sum_m \left( \frac{M_m - \sum_t R_{mt} U_t}{e_m} \right)^2 + \beta R(\mathbf{U})$$

- One free parameters per bin for unfolded spectrum  $U_t$
- Regularization
  - Prefer constant locally
  - Prefer linear function locally
- Weight parameter  $\beta$  needs to be tuned
  - $\chi^2/\text{ndf}$  not larger than 1
  - Keep bias low

## Regularizations

$$R(\mathbf{U}) = \sum_t (a_t)^2$$

$$a_t = \frac{U'_t}{\sqrt{U_t}} = \frac{U_t - U_{t-1}}{\sqrt{U_t}}$$

$$a_t = \frac{U''_t}{\sqrt{U_t}} = \frac{U_{t-1} + 2U_t - U_{t+1}}{\sqrt{U_t}}$$

V. Blobel, Yellow report, 1984

# Unfolding using Bayesian Method

Bayesian method (based on Bayes' theorem)

(e.g. Nucl.Instrum.Meth.A362:487-498,1995)

$$\tilde{R}_{tm} = \frac{R_{mt} P_t}{\sum_{t'} R_{mt'} P_{t'}}$$

$$U_t = \sum_m \tilde{R}_{tm} M_m$$

$$\hat{U}_t = (1 - \alpha) U_t + \frac{\alpha}{3} (U_{t-1} + U_t + U_{t+1}) \quad (\text{optional})$$

$R_{mt}$  **Response matrix**

$\tilde{R}_{tm}$  **Smearing matrix**

$P_t$  **Prior distribution (guess)**

$M_m$  **Measured distribution**

$U_t$  **Unfolded distribution**

$\alpha$  **Weight parameter**

**Iterative method:**

1. Choose prior distribution  $P_t$
2. Calculate  $\tilde{R}_{tm}, U_t, \hat{U}_t$
3. Replace  $P_t$  by  $\hat{U}_t$ ; go to 2.

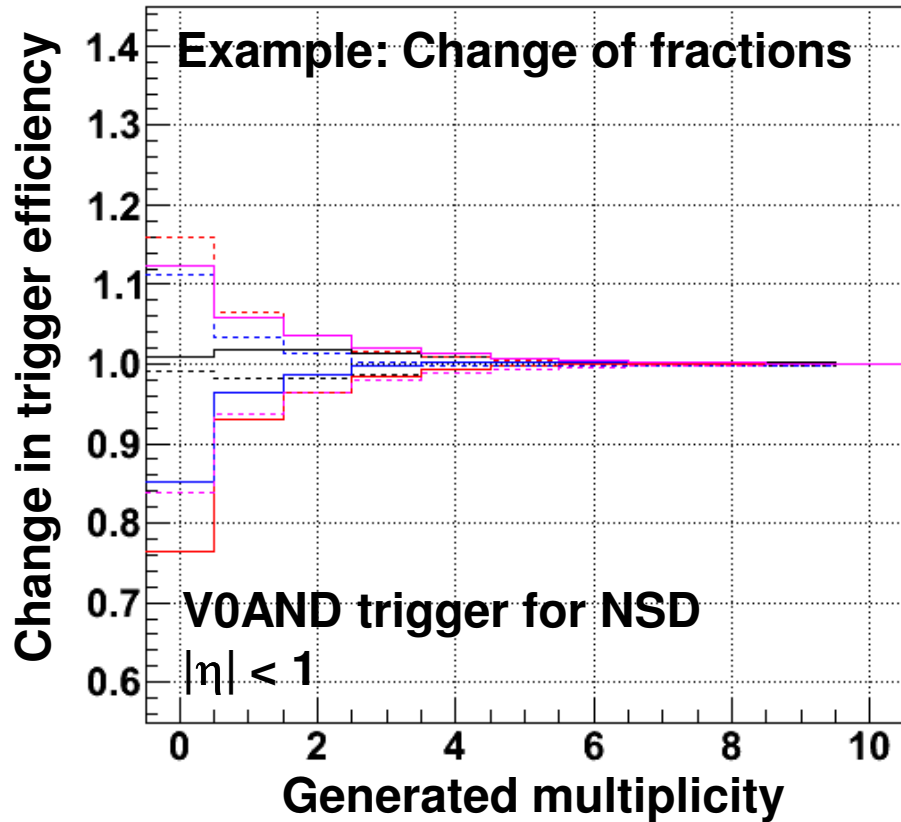
**Limited number of iterations provides implicit regularization (V. Blobel, hep-ex/0208022)**



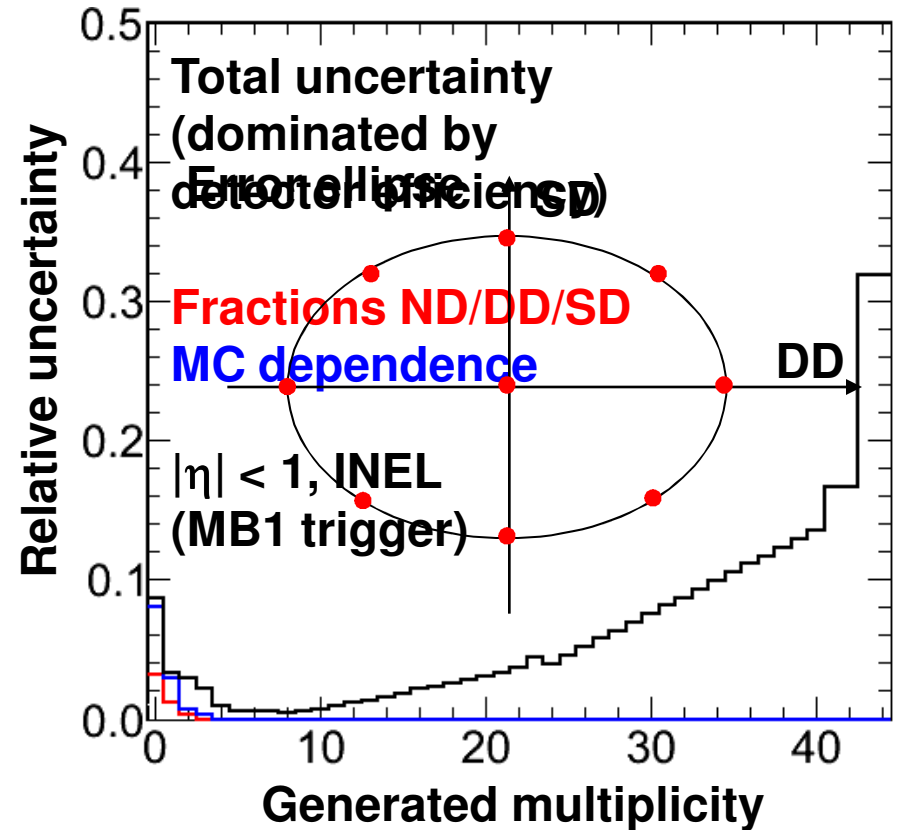
# Systematic Uncertainties

- The influence of the systematic effect on the unfolded result is studied
- Uncertainty as function of multiplicity
- Fractions ND/DD/SD and MC dependence effects only trigger efficiency and vertex reconstruction correction
- Detector efficiency evaluated by changing the response matrix (higher / lower efficiency)
  - Uncertainty on the  $p_T$  spectrum and particle composition is effectively an uncertainty on the total efficiency
  - Overlaid by usual fluctuations from the unfolding
    - Fit with a smooth function
- Different V0 selections to assess effect of trigger

# Systematic Uncertainties



Only effect in low-multiplicity region  
Large effect in 0 bin



Detector efficiency dominates at large multiplicities



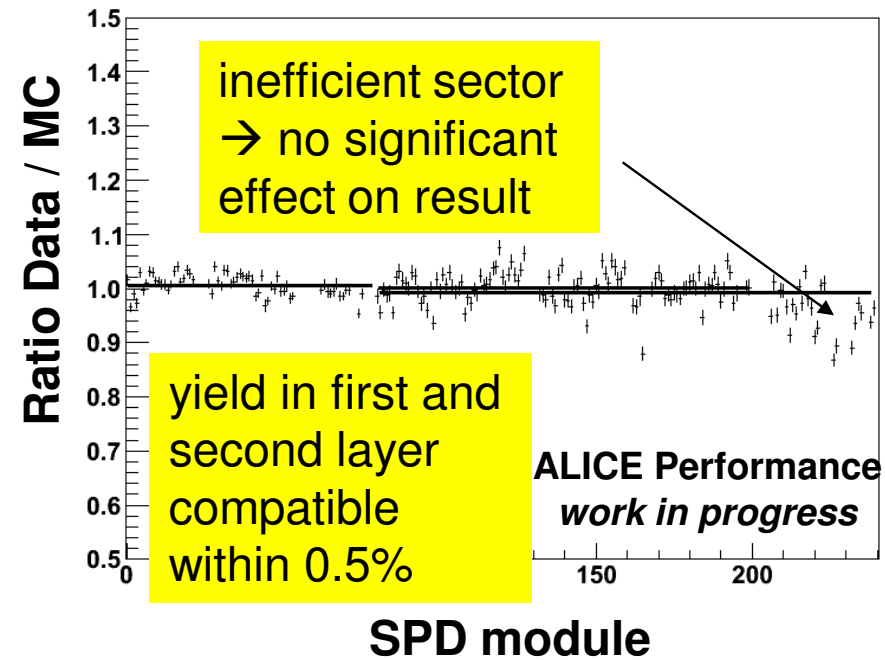
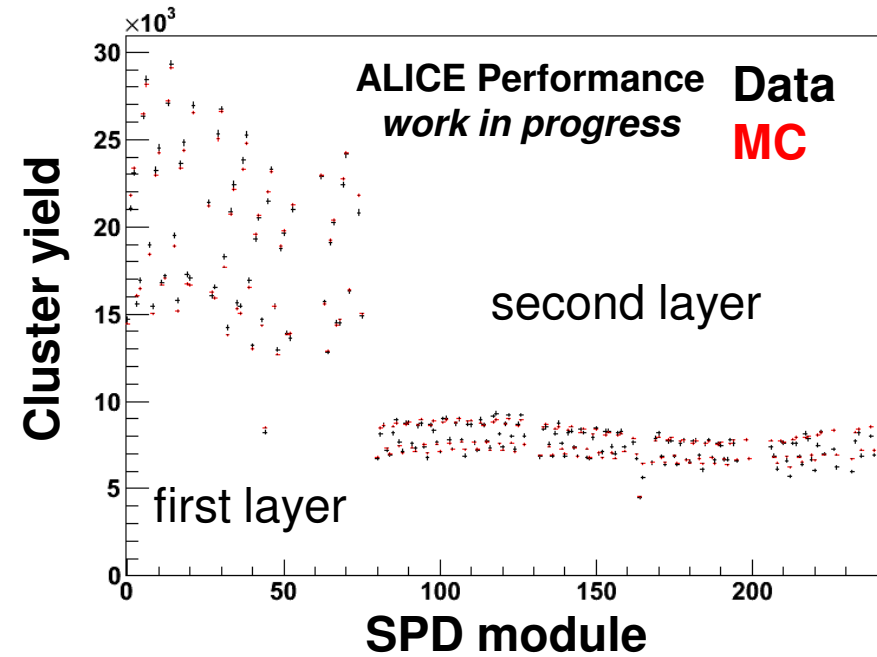
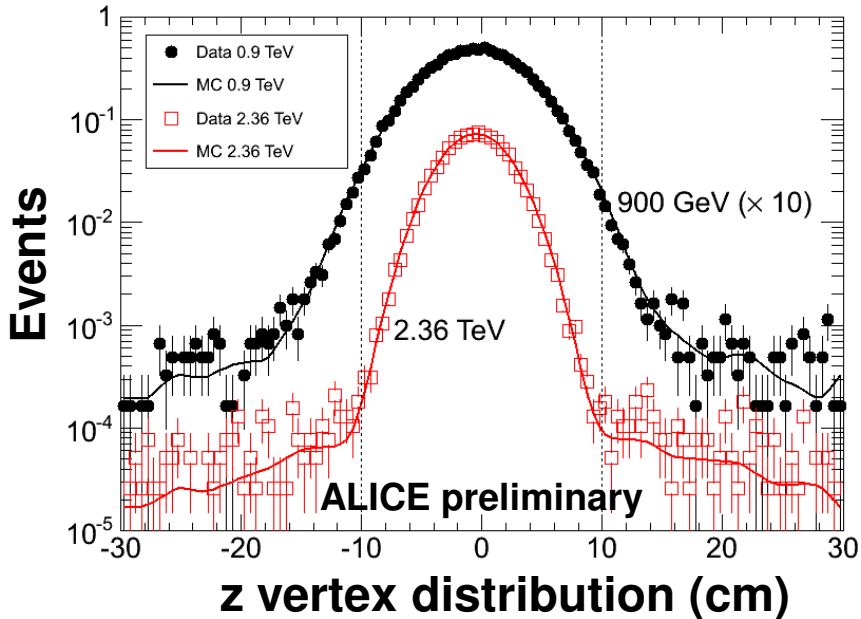


## Part 3

# Data sample and MC validation

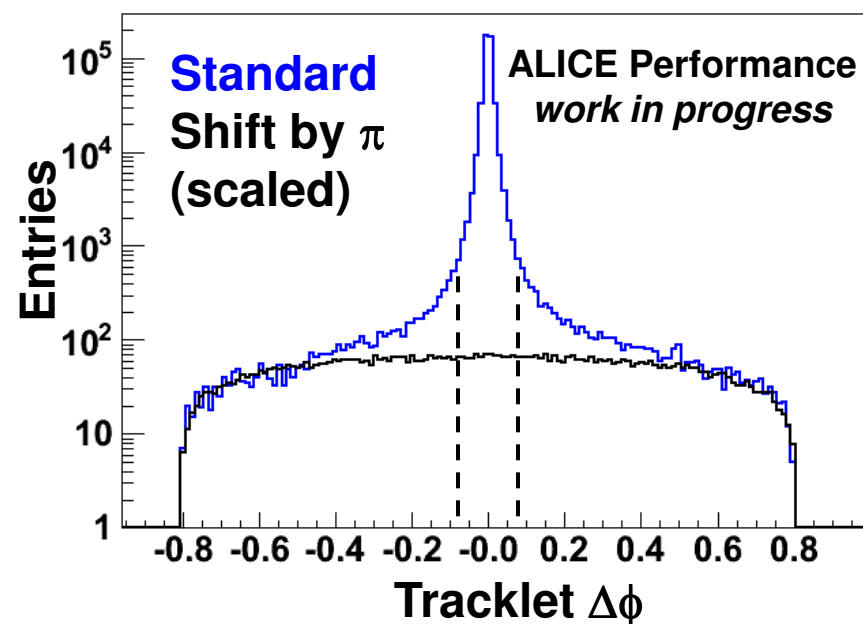
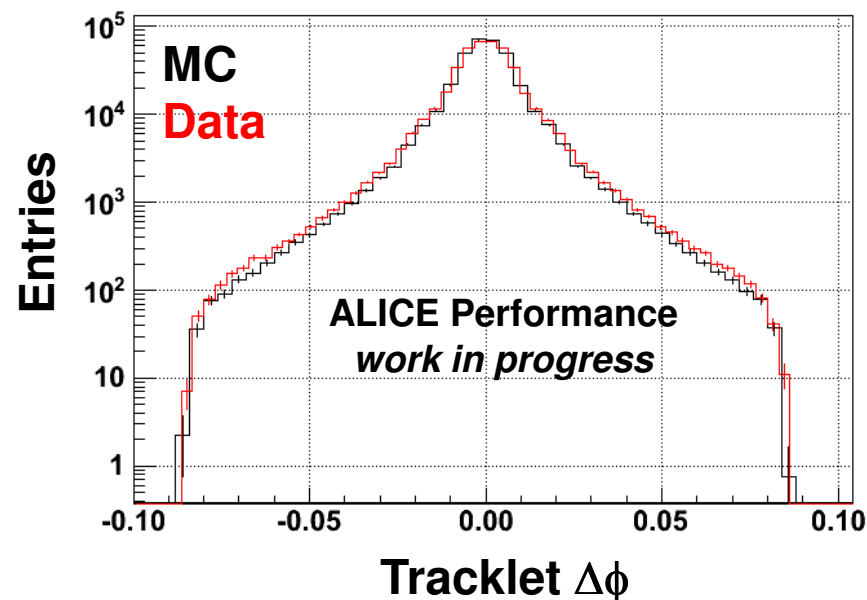
# Data Sample

- Analysis based on
  - 900 GeV: 186k collision events out of ~430k total
  - 2.36 TeV: 41k collision events
- MC adapted to mean vertex position and spread



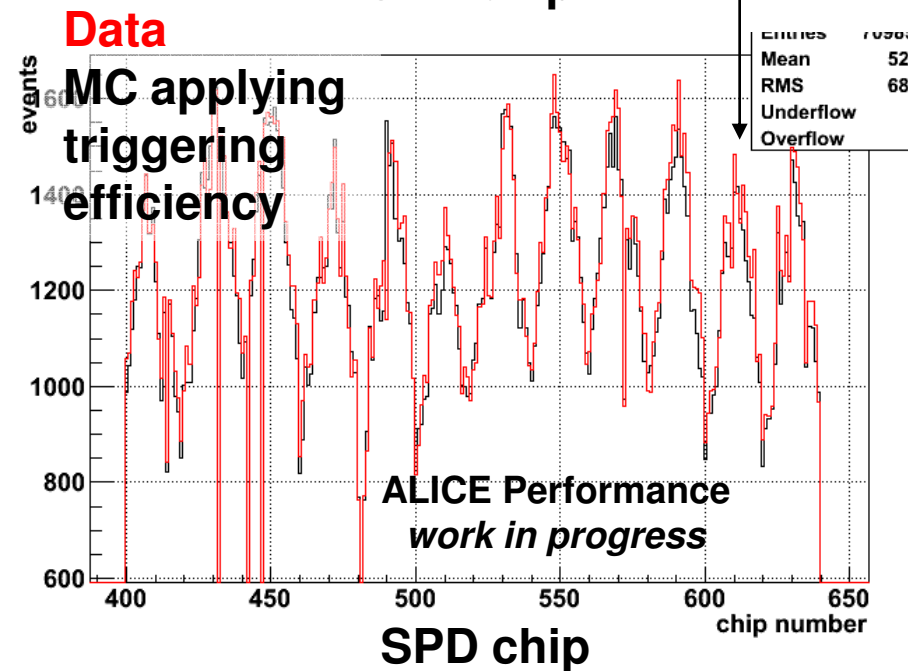
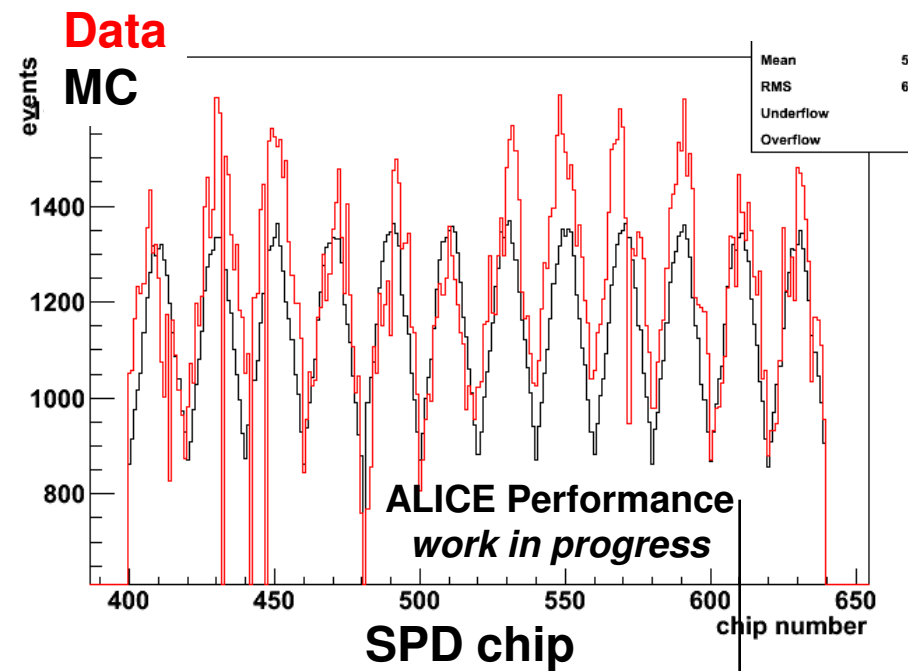
# Data Sample (2)

- Tracklet finding quality parameter match between MC and data
- Combinatorial background assessed
  - Side-band technique
  - Shift of clusters in outer layer by  $\pi$ 
    - Needs scaling factor
  - Combinatorial background amounts to 0.2 – 0.4%



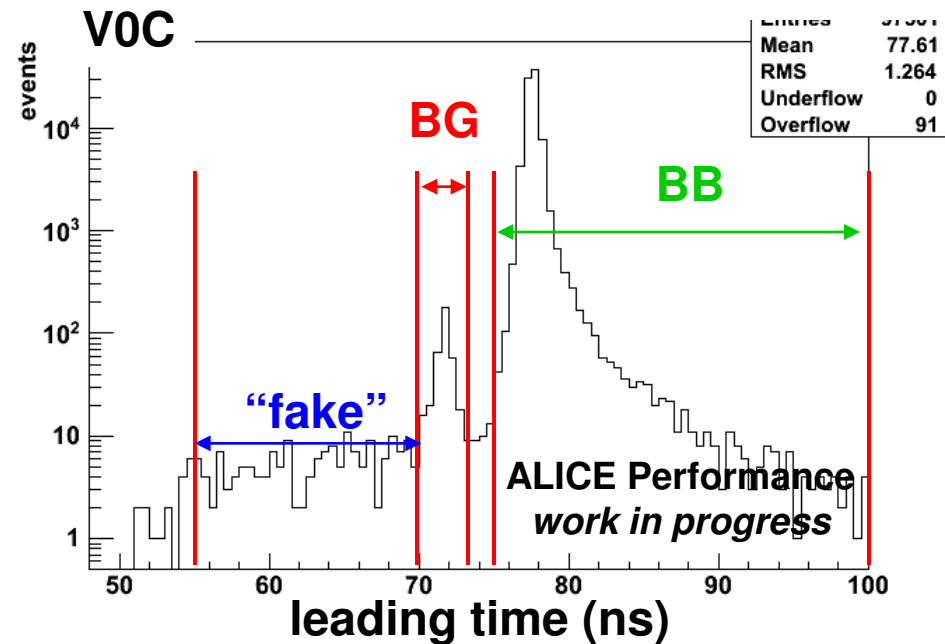
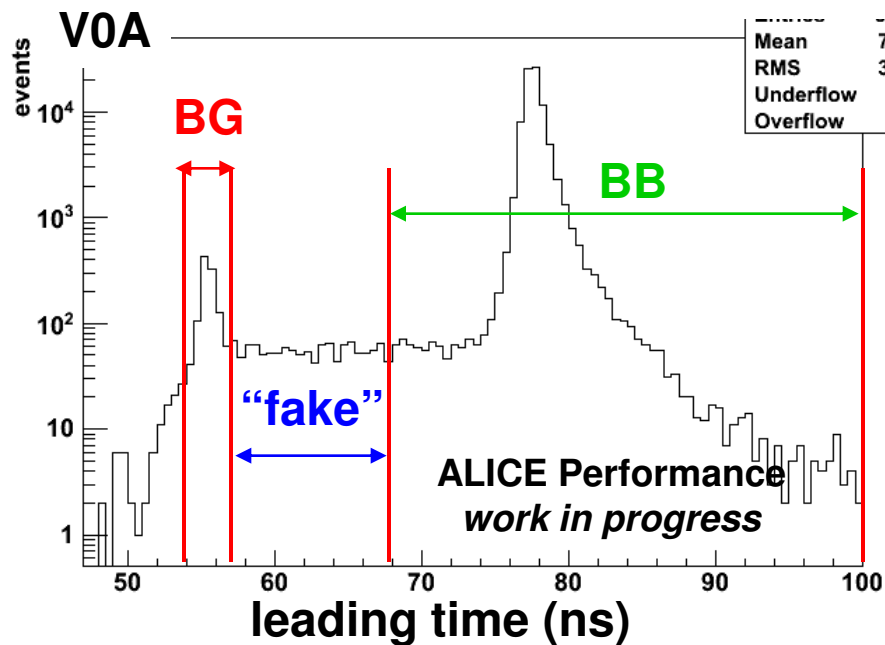
# SPD Triggering Efficiency

- SPD triggering efficiency evaluated with data
  - Fired triggered chips over chips that have clusters
  - Using V0 triggered data sample (unbiased)
- Applied in MC
  - Essentially no influence on the trigger efficiency (MB1)



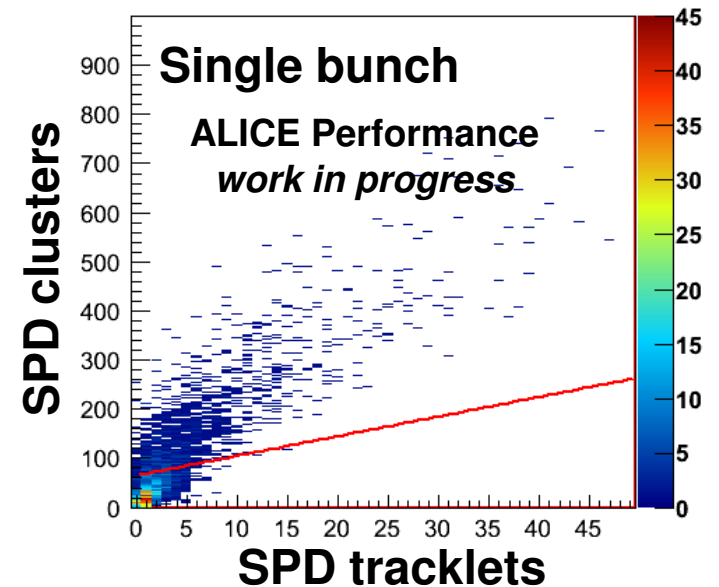
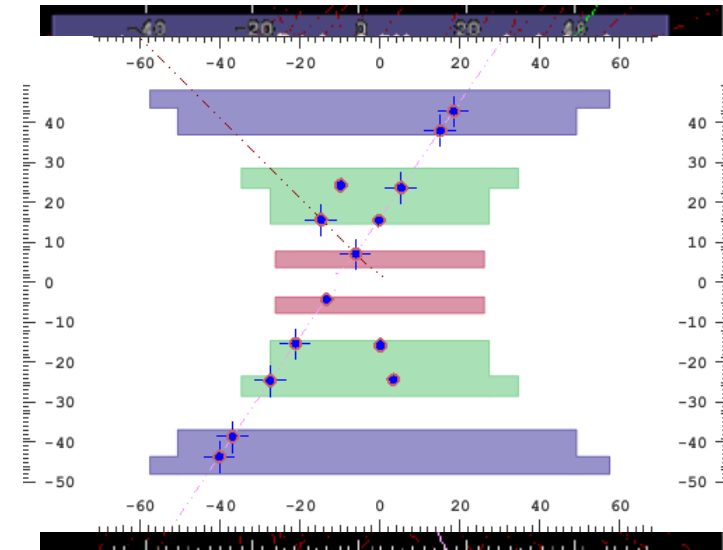
# V0 Trigger

- MC has been adapted to reproduce the spectra found with data
- Same time windows for beam-beam (BB) and beam-gas (BG) applied to data and MC
- Estimation of fake rate from data



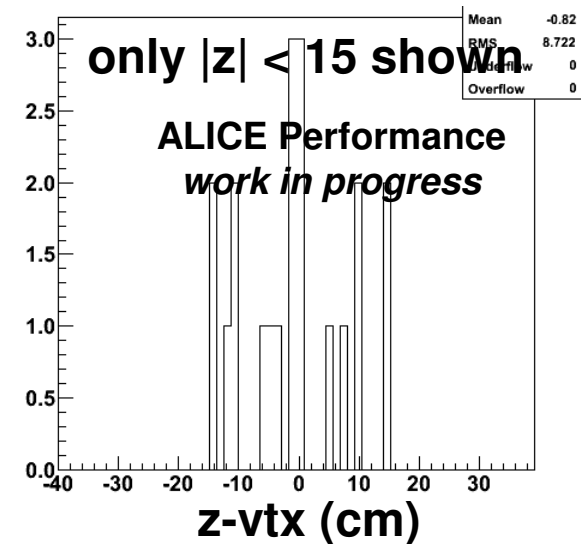
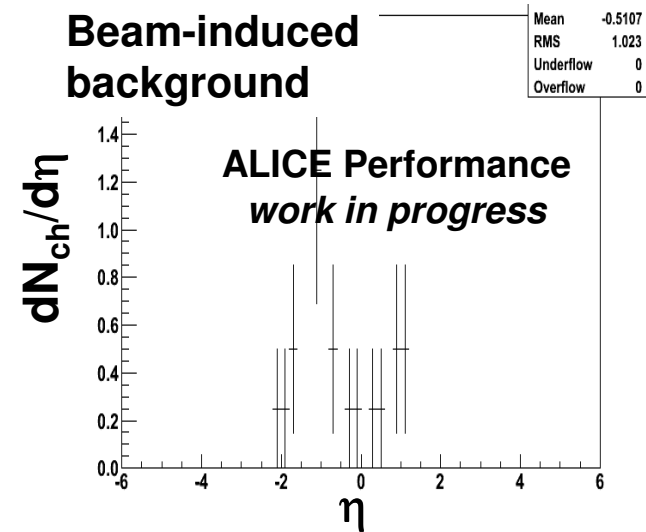
# Background Identification

- Beam “splashes”
  - Lots of clusters caused by particles traversing the detector in direction of the beam line
  - Identified by
    - Correlation of number of tracklets with number of clusters
    - V0 information
- Cosmics
  - Rate that causes valid vertex  $10^{-2}$  Hz
  - In coincidence with passing beam  $\sim 10^{-6}$  Hz



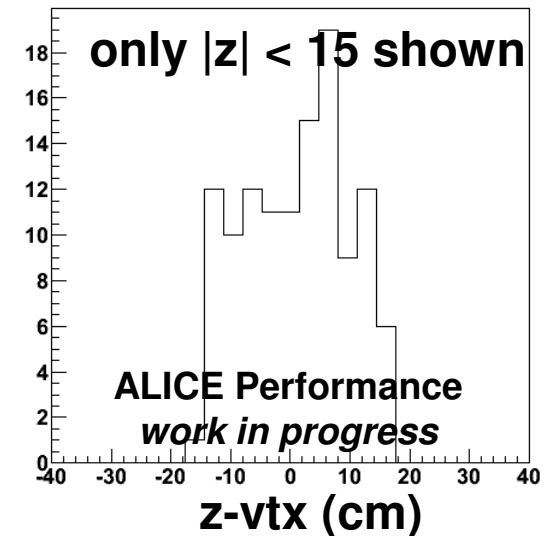
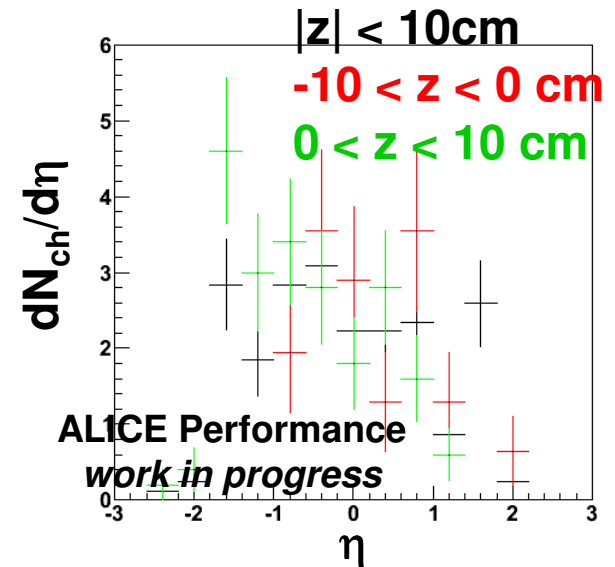
# Background @ 900 GeV

- Relative to accepted events in bunch crossing trigger
  - About 2.1% each in single bunch triggers
  - About 1.2% in “empty” trigger (= noise)
  - 0.02% have a vertex and tracks
  - The remaining go into the 0 bin, which can be subtracted with the control triggers
  - Bunch intensities taken into account
- Background with activity is negligible



# Background @ 2.36 TeV

- No control triggers for this data sample
- Assess background by replaying the 2.36 TeV trigger conditions on the 900 GeV sample
- Look at those events which are flagged as background by the V0
  - 0.9% events w.r.t to all triggered
  - 23% of those are found by the background identification
  - Of the remainder, 10% have tracklets, the rest goes into the 0 bin (which is not used at 2.36 TeV)



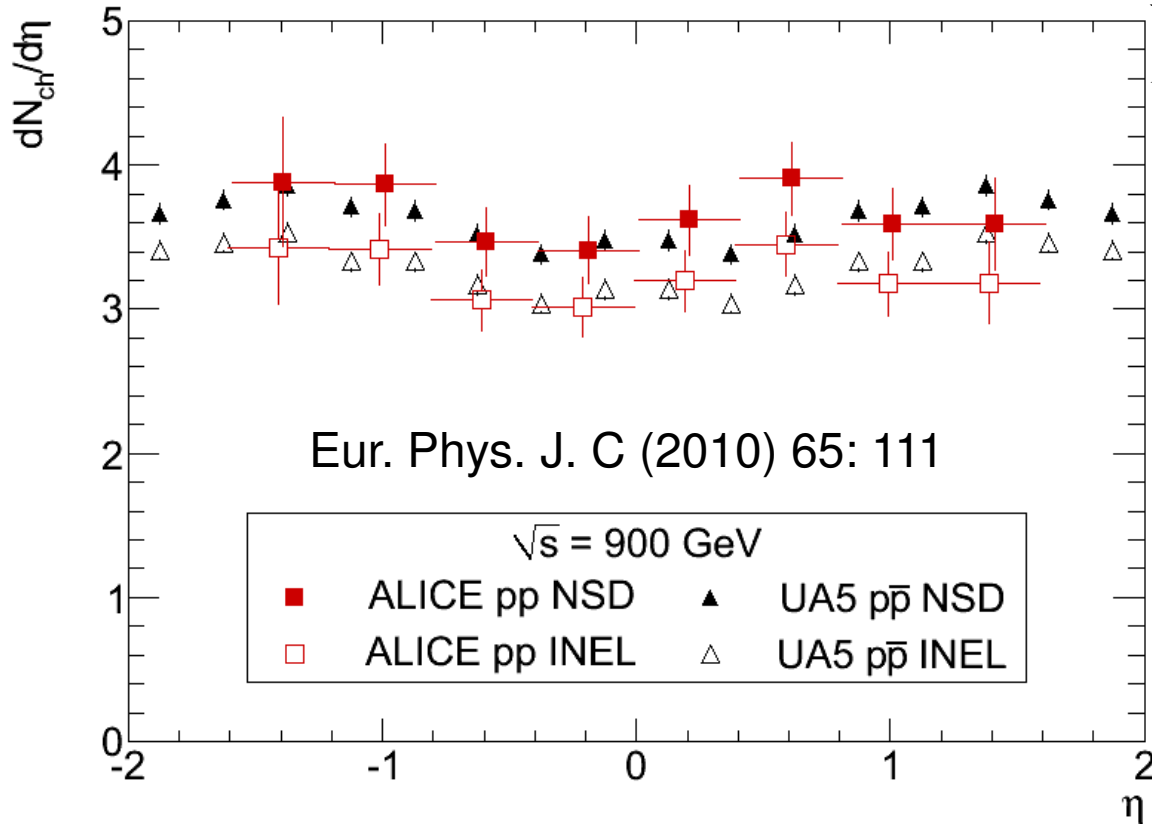




# Part 4

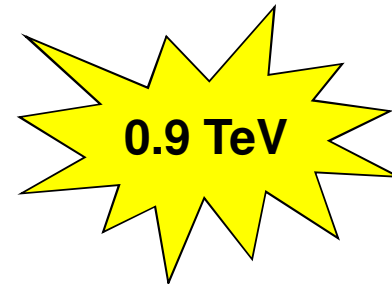
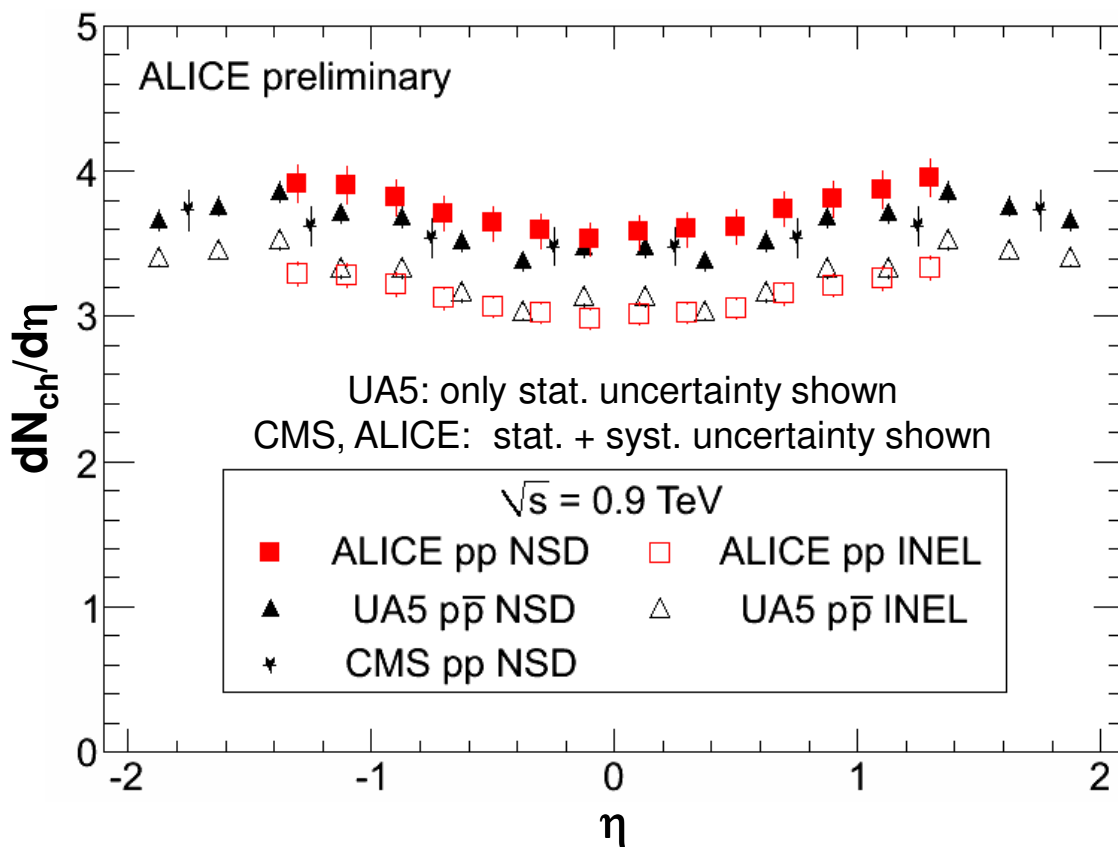
## Results

**0.9 TeV**



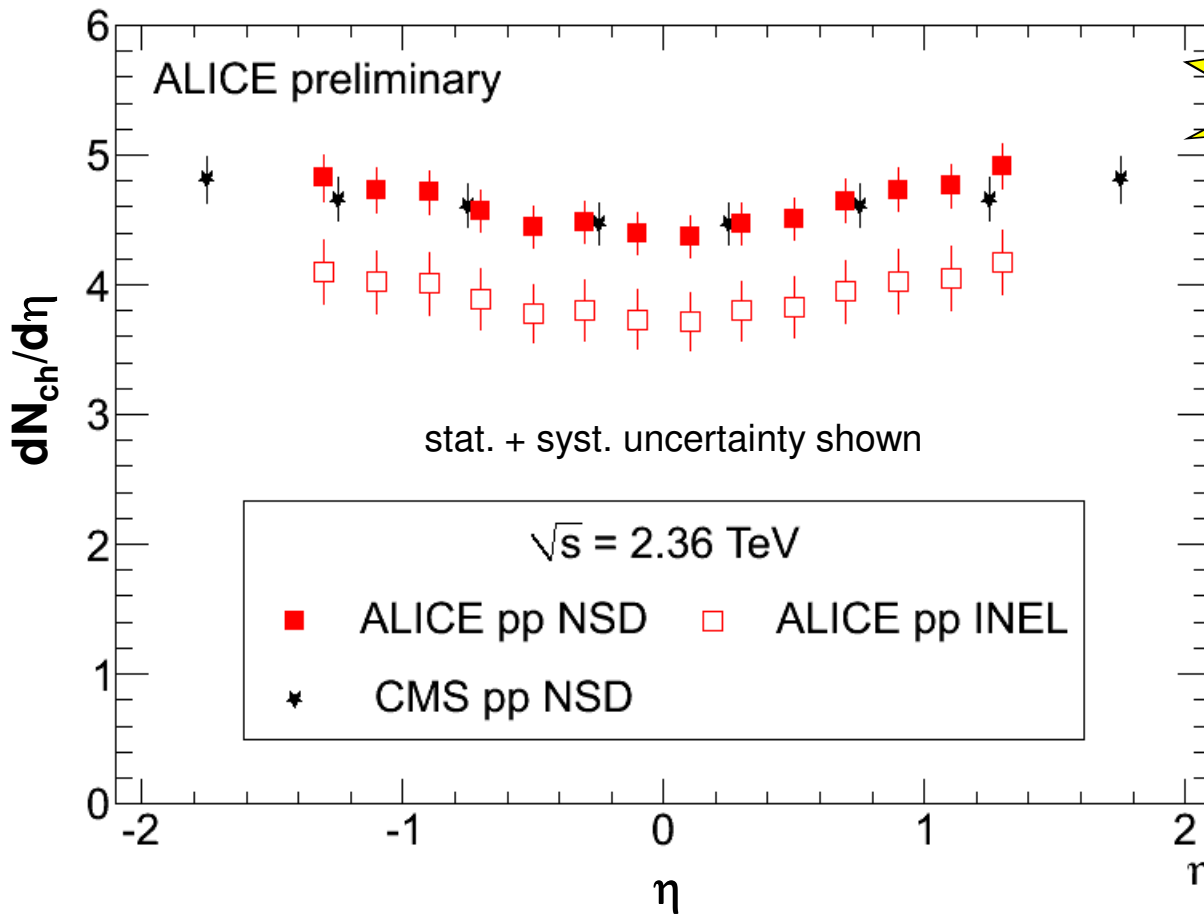
**I will not comment much about this distribution today, except...**

**that it is based on 284 events  
and has 1056 authors**



**CMS does not include charged leptons**  
**→ ~1.5 % difference**

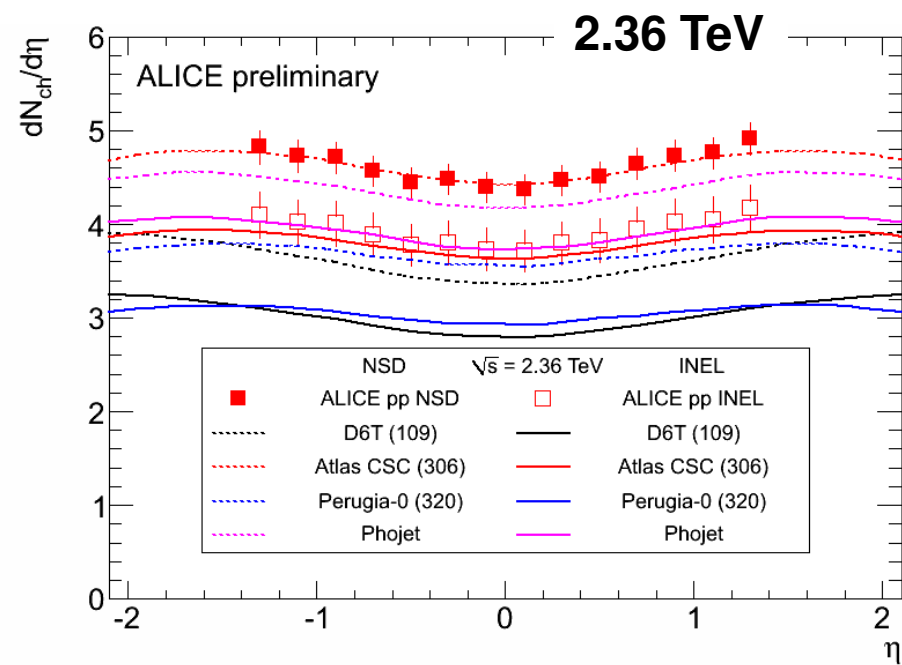
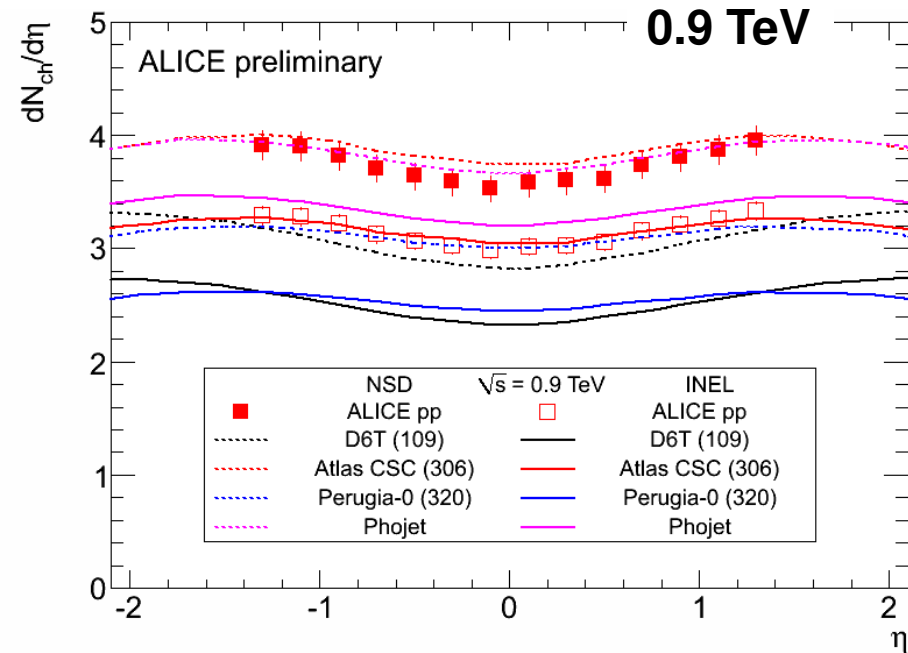
$dN_{ch}/d\eta$ in $ \eta  < 0.5$	INEL	NSD
<b>ALICE preliminary</b>	<b><math>3.02 \pm 0.01 \pm 0.07</math></b>	<b><math>3.58 \pm 0.01 \pm 0.11</math></b>
ALICE EPJ C (2010) 65: 111	$3.10 \pm 0.13 \pm 0.22$	$3.51 \pm 0.15 \pm 0.25$
UA5 Z. Phys. C33 1 (1986)	$3.09 \pm 0.05 \pm ?$	$3.43 \pm 0.05 \pm ?$
UA5 Z. Phys. C43 357 (1989)		$3.61 \pm 0.04 \pm 0.12$
CMS JHEP 02 (2010) 041		$3.48 \pm 0.02 \pm 0.13$



**CMS does not include charged leptons  
 → ~1.5 % difference**

$dN_{\text{ch}}/d\eta$ in $ \eta  < 0.5$	INEL	NSD
<b>ALICE preliminary</b>	<b><math>3.77 \pm 0.01 \pm 0.23</math></b>	<b><math>4.44 \pm 0.01 \pm 0.16</math></b>
<b>CMS JHEP 02 (2010) 041</b>		<b><math>4.47 \pm 0.04 \pm 0.16</math></b>

# Comparison to Monte Carlo

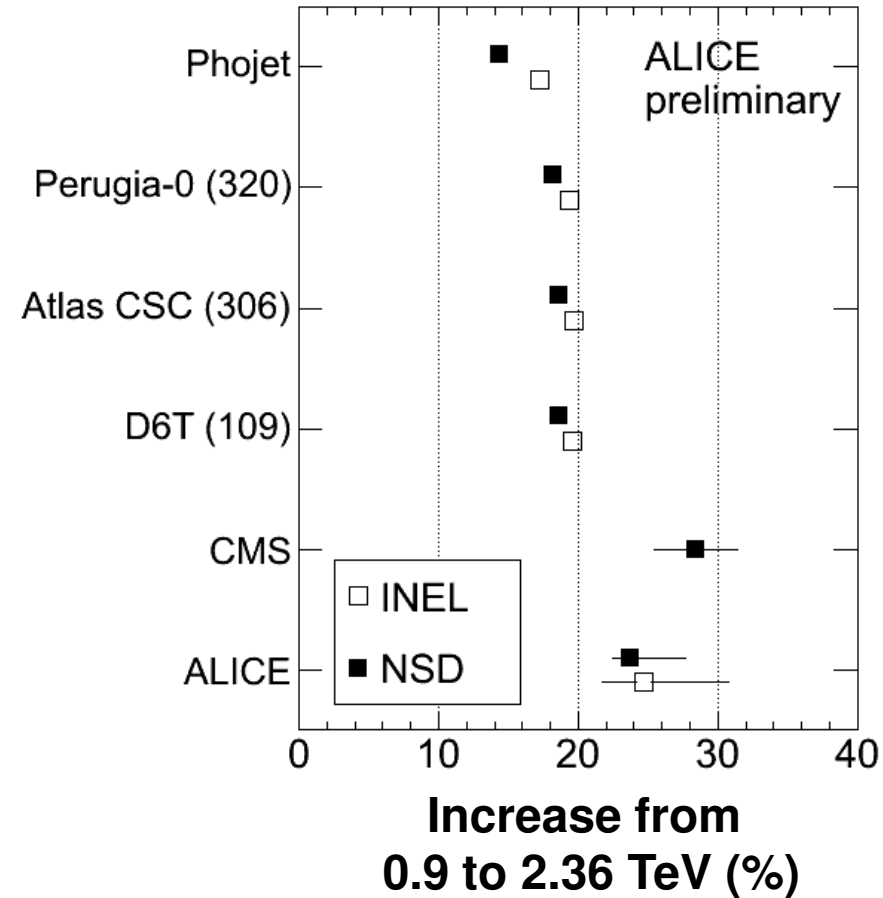
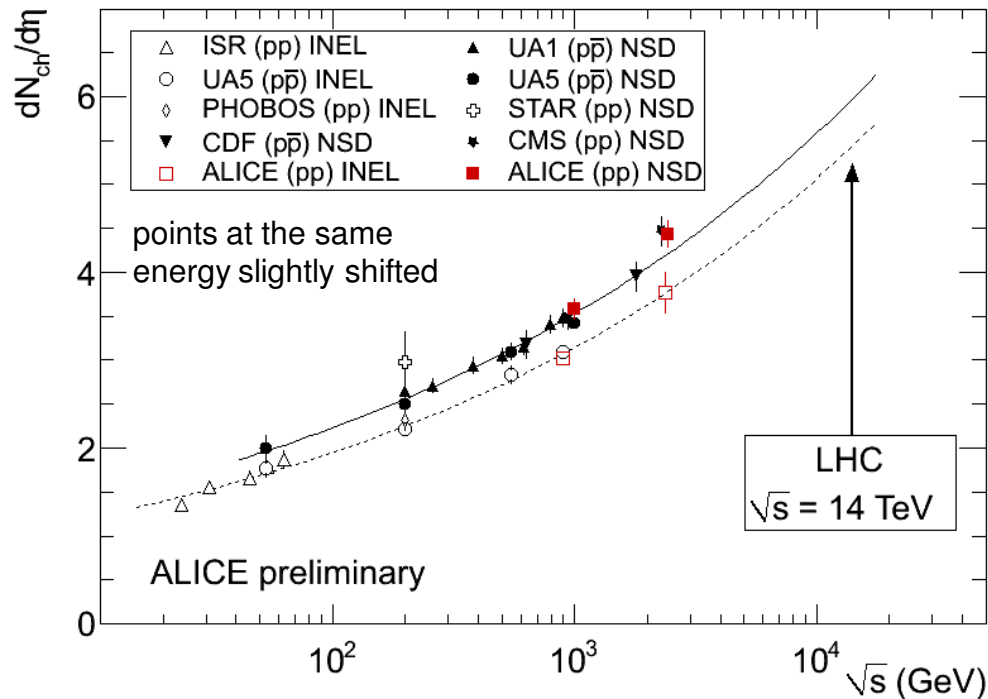


- Pythia D6T and Perugia-0 match neither INEL nor NSD at both energies
- Pythia Atlas CSC and Phojet reasonably close with some deviations

D6T/Atlas: Pythia 6.4.14 - Perugia-0: Pythia 6.4.21 - Phojet 1.12 with Pythia 6.2.14

# $dN_{ch}/d\eta$ vs. $\sqrt{s}$

- Larger increase from 0.9 to 2.36 TeV at mid-rapidity as in MC generators

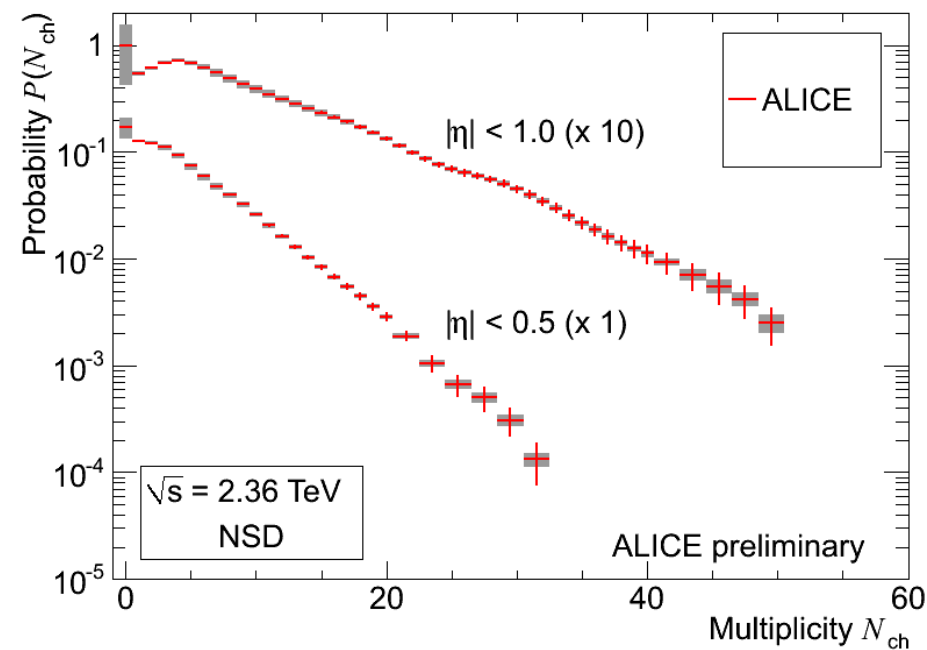
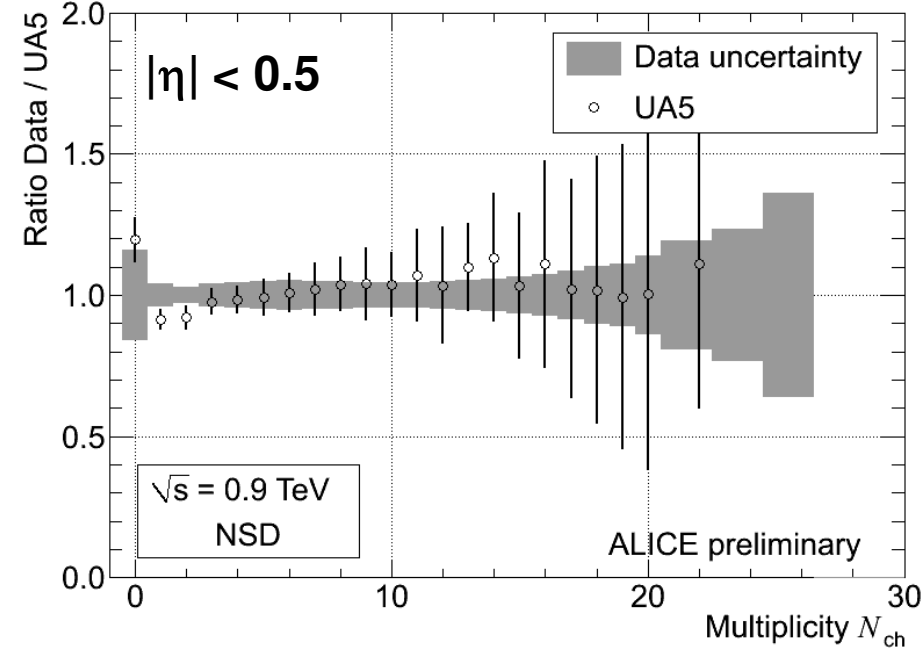




# Multiplicity Distributions

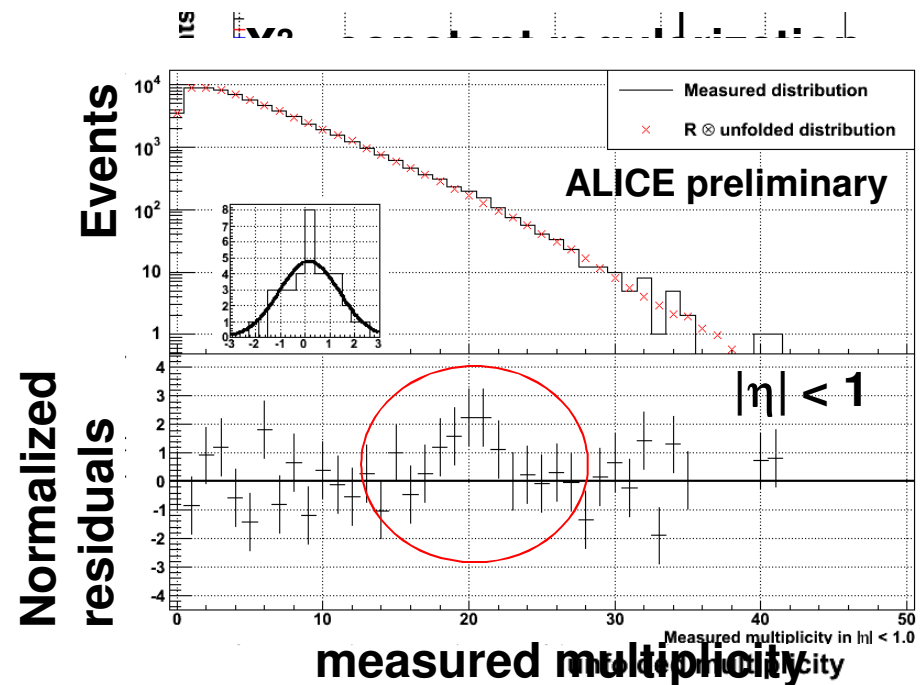
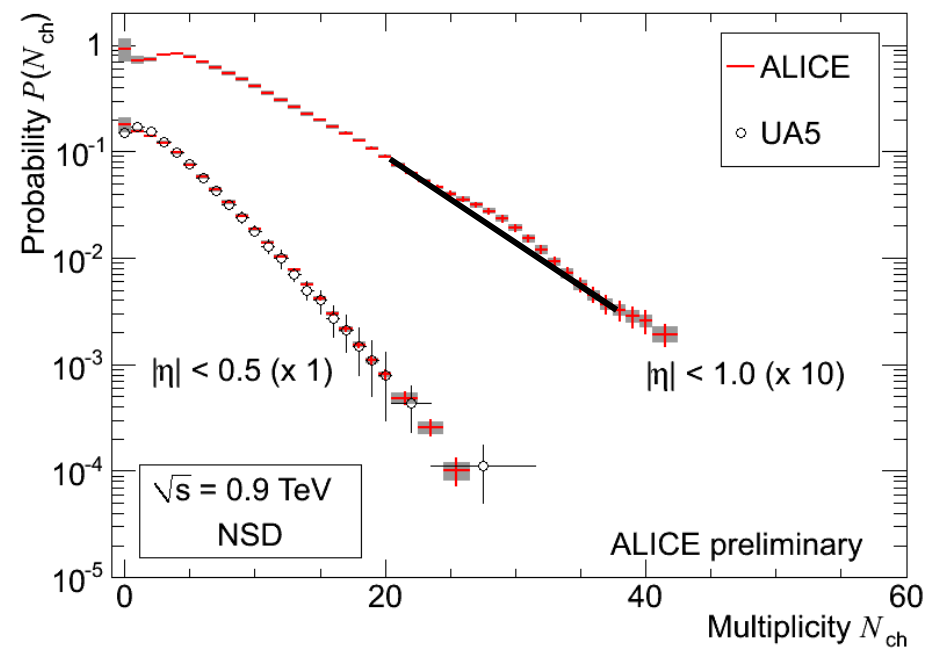
- Distributions in limited  $\eta$ -regions
- The average multiplicity of the distribution reproduces the  $dN_{ch}/d\eta$  measurement within 1%
- Consistent with UA5

UA5: ZP C43,357



# A structure?

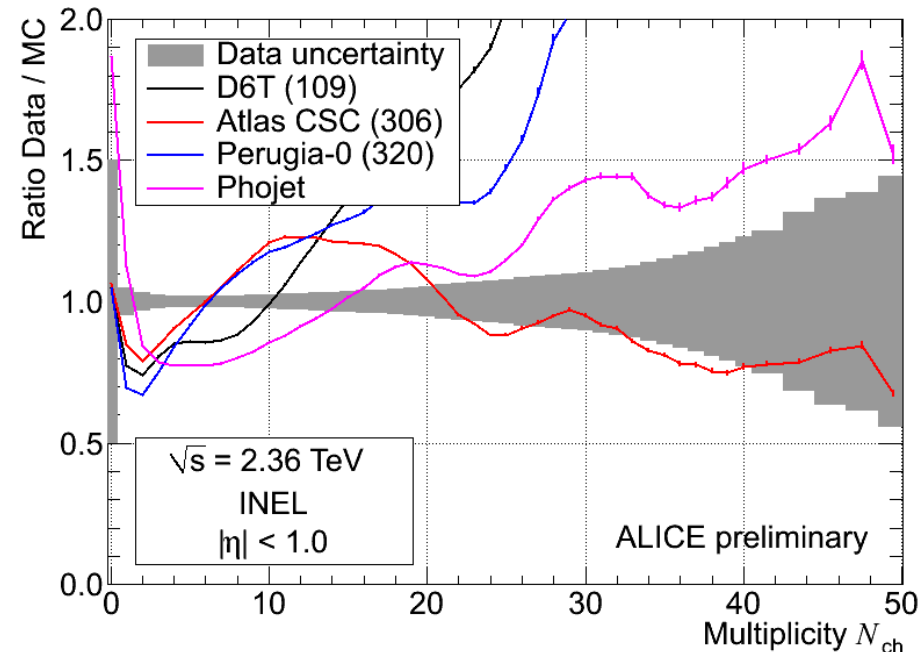
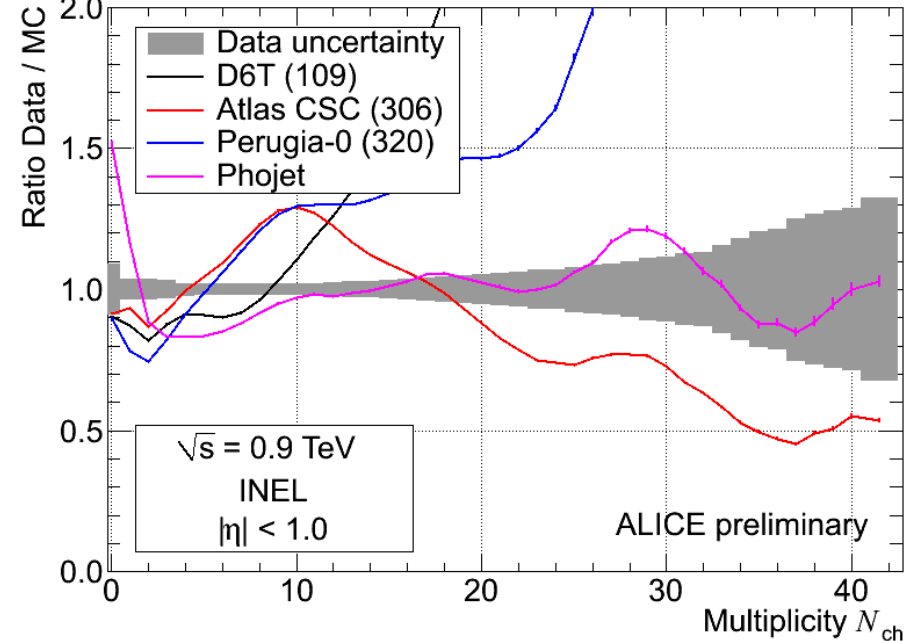
- Independent of
  - Regularization scheme
  - Unfolding method
  - Data sample
- Unfolded distribution changed to exponential
  - Residuals show structure
  - Slope change already in raw data
- But... errors in unfolded spectrum correlated
  - Moving all points by  $2\sigma$  → structure disappears
  - Might just be a fluctuation





# Comparison to Monte Carlo

- Phojet provides a good description at 900 GeV, but fails at 2.36 TeV
- Distribution at 2.36 TeV closer to Pythia with Atlas CSC tune
  - Qualitatively same conclusions for NSD
- MC generators do not describe the energy dependence of the tail of the distribution correctly



# KNO Scaling

- KNO scaling violation in restricted phase space

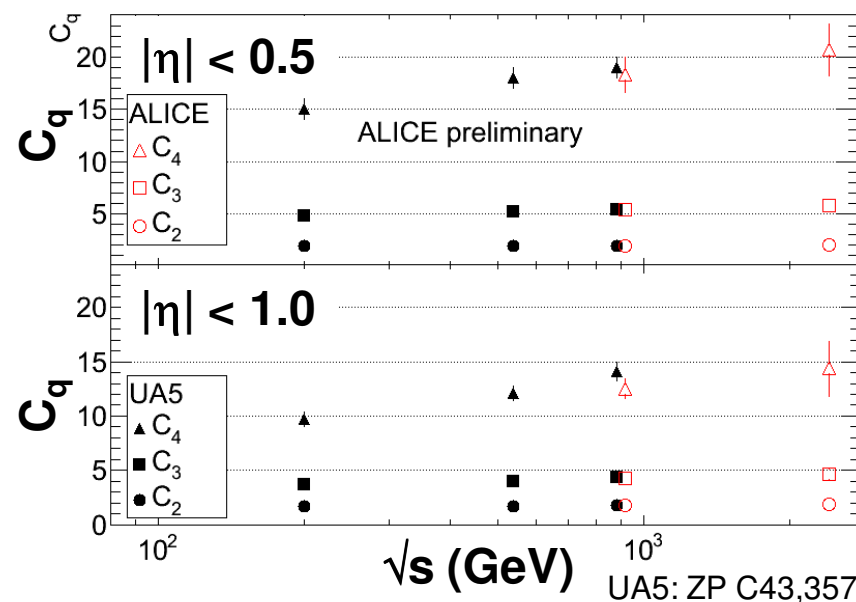
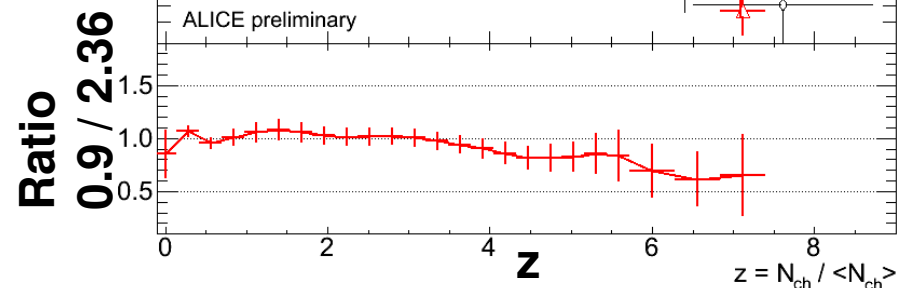
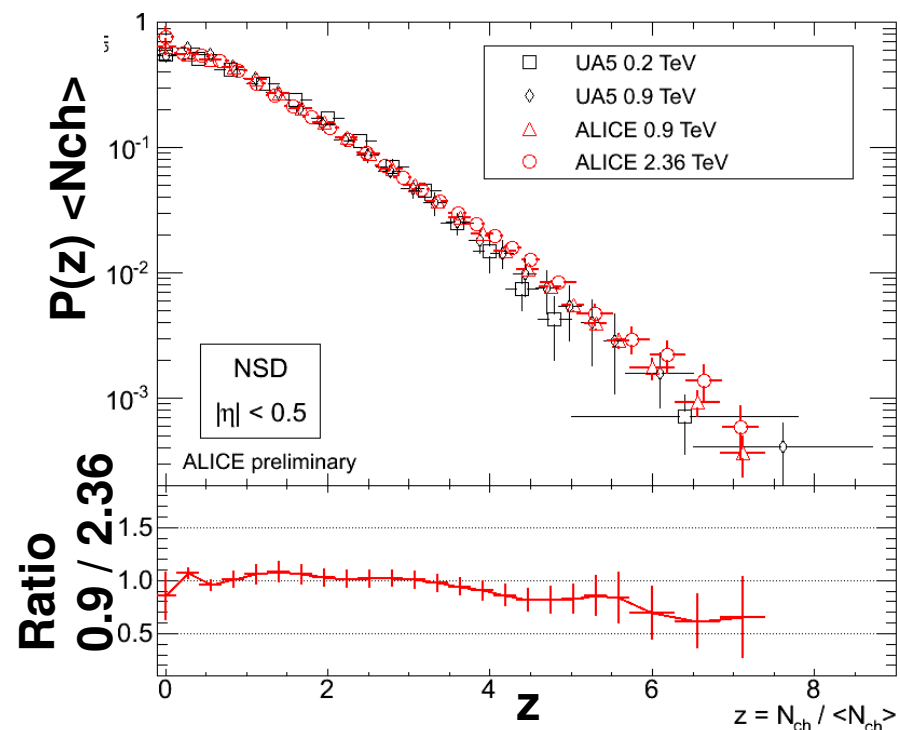
- Scaling variable  $z = N_{ch} / \langle N_{ch} \rangle$
- Very sensitive to average multiplicity
  - $dN_{ch}/d\eta$  in  $|\eta| < 0.5$  used
  - Consistent with  $\langle N_{ch} \rangle$  from distribution

- KNO scaling fulfilled until  $z \sim 4$
- For  $z > 4$  trend visible, not significant

- Reduced moments

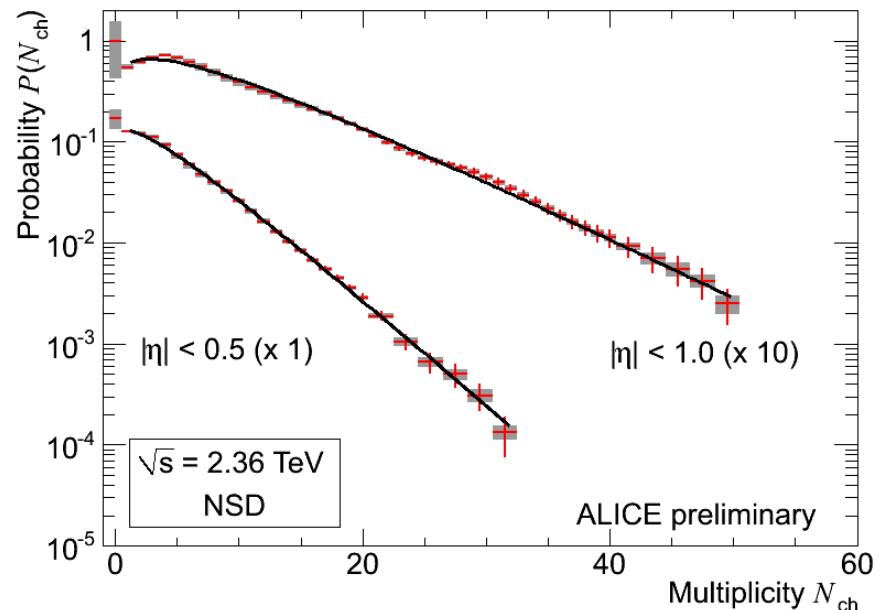
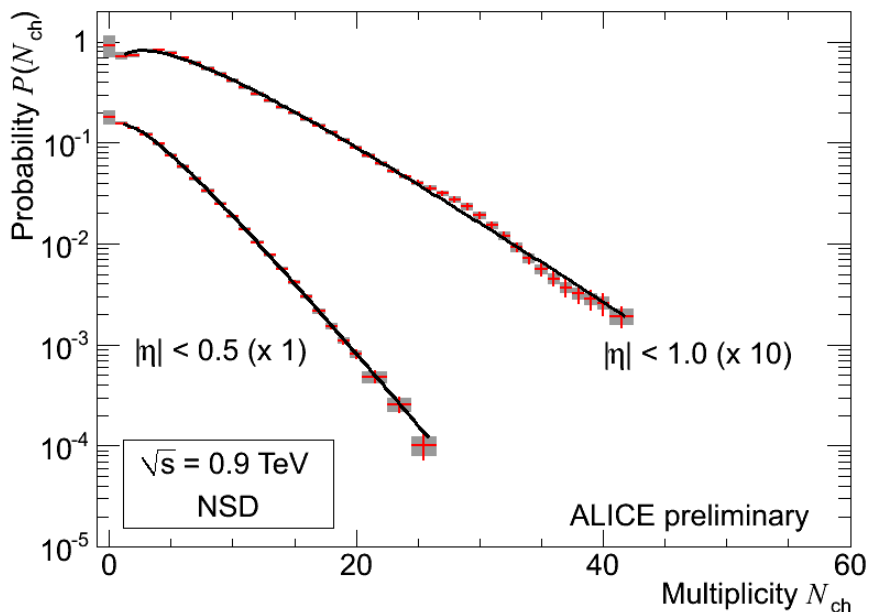
$$C_q = \langle n^q \rangle / \langle n \rangle^q$$

- KNO scaling requires constant moments as function of  $\sqrt{s}$
- Slight increase, not significant



# Negative Binomial Distributions

- Fits with one NBD work well at both energies in limited  $\eta$ -regions
  - $X^2/\text{ndf}$  between 0.2 and 0.9 (not taking into account correlations between the errors, yet)
- Fit with two NBDs have slightly lower  $X^2/\text{ndf}$



# References

- The ALICE collaboration, First proton-proton collisions at the LHC as observed with the ALICE detector: measurement of the charged particle pseudorapidity density at  $\sqrt{s} = 900$  GeV
  - The European Physical Journal C: Volume 65, Issue 1 (2010), Page 111
  - <http://dx.doi.org/10.1140/epjc/s10052-009-1227-4>
- JFGO, K. Reygers, Invited review on charged-Particle Multiplicity in Proton-Proton Collisions
  - submitted to Journal of Physics G
  - <http://arxiv.org/abs/0912.0023v2>
- JFGO, Measurement of the Charged-Particle Multiplicity in Proton-Proton Collisions with the ALICE Detector
  - CERN-THESIS-2009-033
  - <http://cdsweb.cern.ch/record/1175646>



# Summary

- The pseudorapidity density and multiplicity distributions at 0.9 and 2.36 TeV have been presented
  - Consistent with UA5 and CMS
- MC generators do not describe the energy-dependence of the average multiplicity as well as the tail of the distributions correctly
  - Significantly larger increase of the multiplicity measured
- KNO scaling in  $|\eta| < 0.5$  and 1.0 remains valid
- Negative binomial distributions reproduce the shape at 0.9 and 2.36 TeV

**Thanks for help with preparing this talk to Michele Floris, Andreas Morsch, Sparsh Navin, Maria Nicassio, Martin Poghosyan**

**Thank you for your attention!**