

# Charge Collection and Space Charge Distribution in Epitaxial Silicon Detectors after Neutron-Irradiation

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# Outline

- Introduction
- Transient Current Technique (TCT)
- Simulation of TCT current signal for **unirradiated diodes**
- Simulation of TCT current signal for **irradiated diodes**
  - Electric field and space charge distribution
  - Fit of the Charge Collection Efficiency (CCE) / Parameterisation of  $\tau(E)$
- Results
  - Trapping time  $\tau$
  - Space charge distribution

## Summary

# Introduction

## Trapping

- Most limiting factor for S-LHC
- Charge Collection Efficiency (CCE) decreases

## Aim of this work

- Determination of trapping time  $\tau$
- Taking into account the structure double peak to the electric field
- Investigation of field dependence of  $\tau$

# Introduction

## Why field dependent?

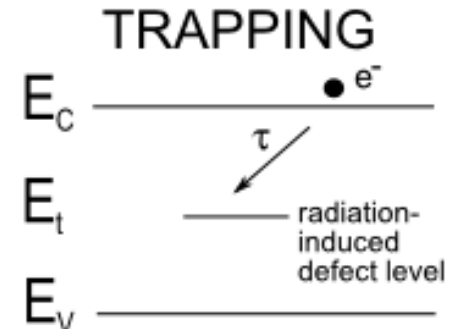
### $\tau$ constant

- common description for  $\phi < 2 \cdot 10^{14} \text{ cm}^{-2}$  (FZ, MCz)
- not suitable for  $\phi > 10^{15} \text{ cm}^{-2}$  (higher CCE observed, especially at high U)

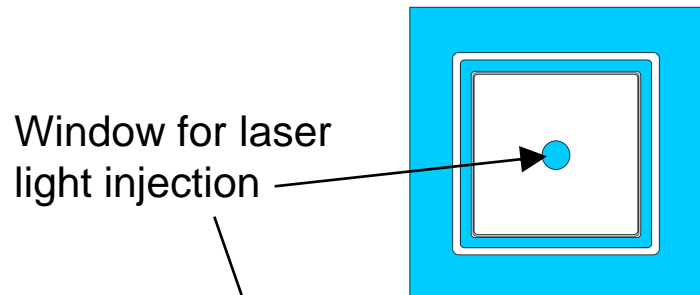
### $\tau$ field or voltage dependent

motivated by:

- field dependent trapping cross section  $\sigma(E)$  ?
- field enhanced detrapping ?
- trap filling ?



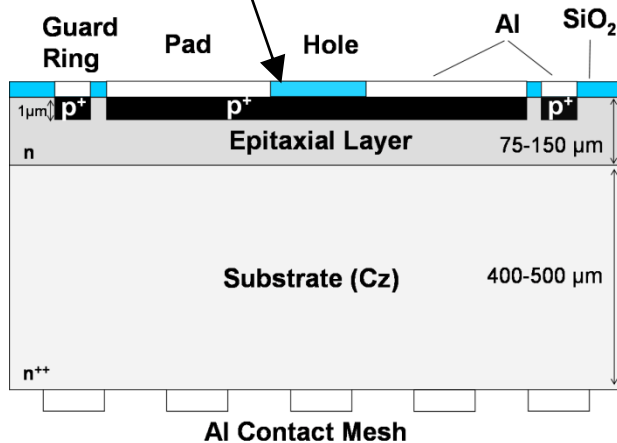
# Investigated samples



## Samples and irradiation

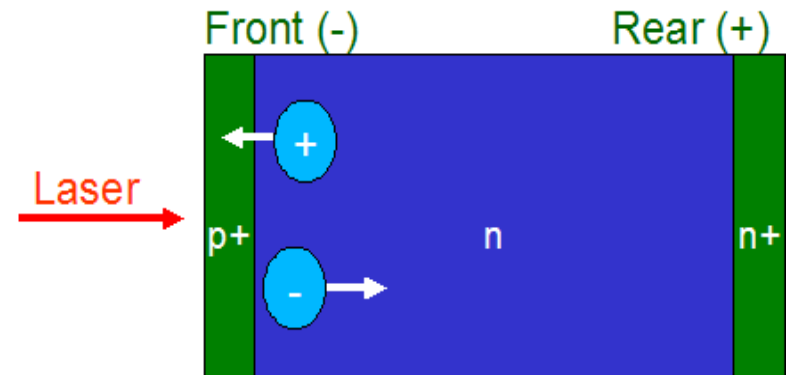
**n-type epitaxial** silicon pad detectors

- thickness  $d$ : **100  $\mu\text{m}$  and 150  $\mu\text{m}$**
- area: 2.5 x 2.5 mm<sup>2</sup> (small)  
or 5 x 5 mm<sup>2</sup> (big)
- neutron fluence  $\phi$ : **1·10<sup>14</sup> to 4·10<sup>15</sup> cm<sup>-2</sup>**  
 **$\Rightarrow$  type inversion for  $\phi > 2 \cdot 10^{14}$**

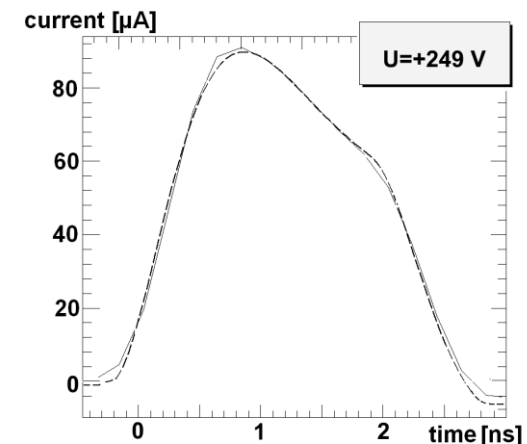


# Transient Current Technique (TCT)

- Front side injection (p+ side)
  - 660 nm / 670 nm laser light (penetration depth 3  $\mu\text{m}$ )
- ⇒ **electron signal**

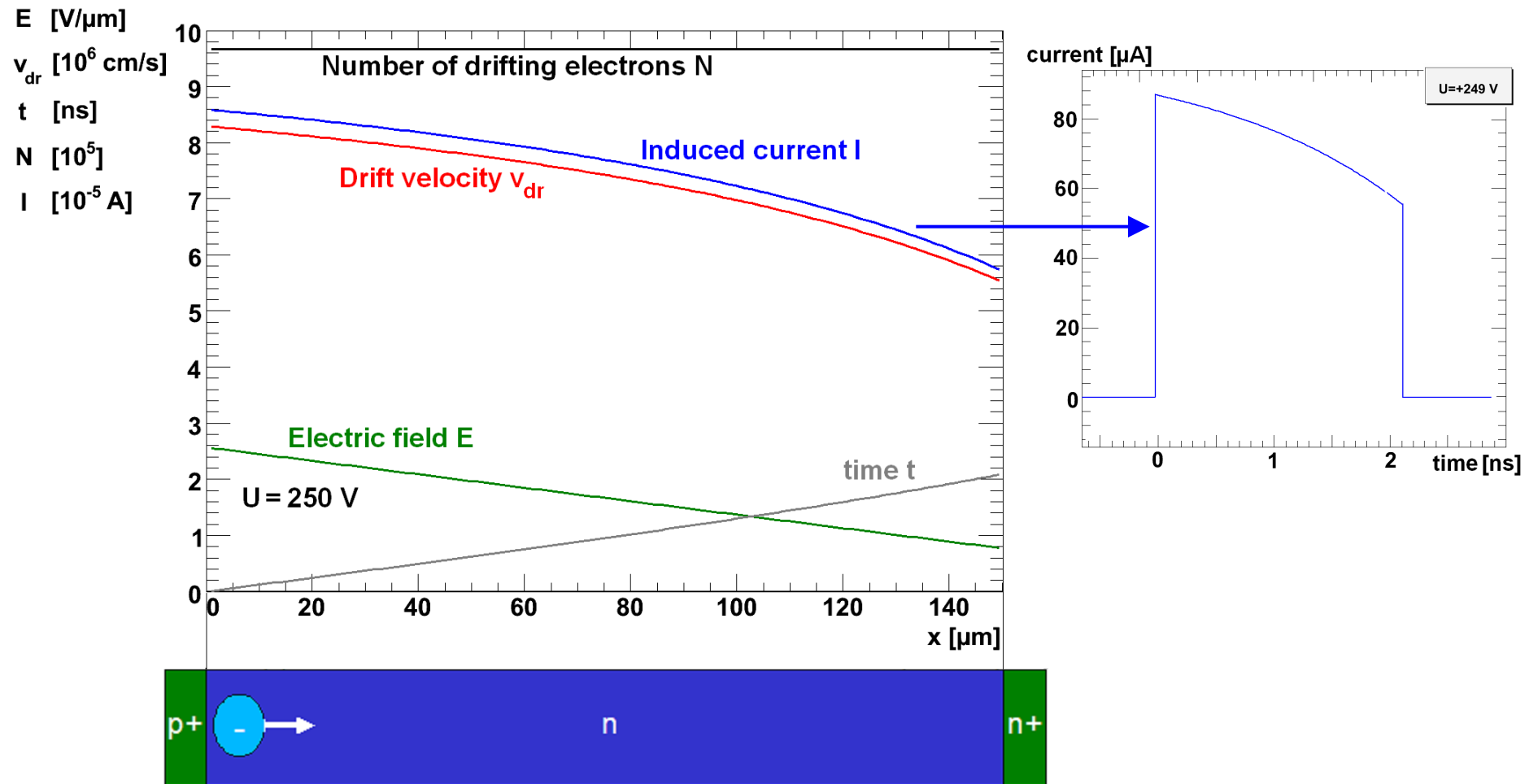


- Short laser pulse: FWHM  $\sim$  40 ps
  - Small pad diodes:  $C = 4.3$  pF for  $d = 150$   $\mu\text{m}$
  - 1 GHz Oscilloscope
- ⇒ measured **rise time = 650 ps**  
(for the small 150  $\mu\text{m}$  thick diodes)



# Simulation of TCT current signal for unirradiated diodes

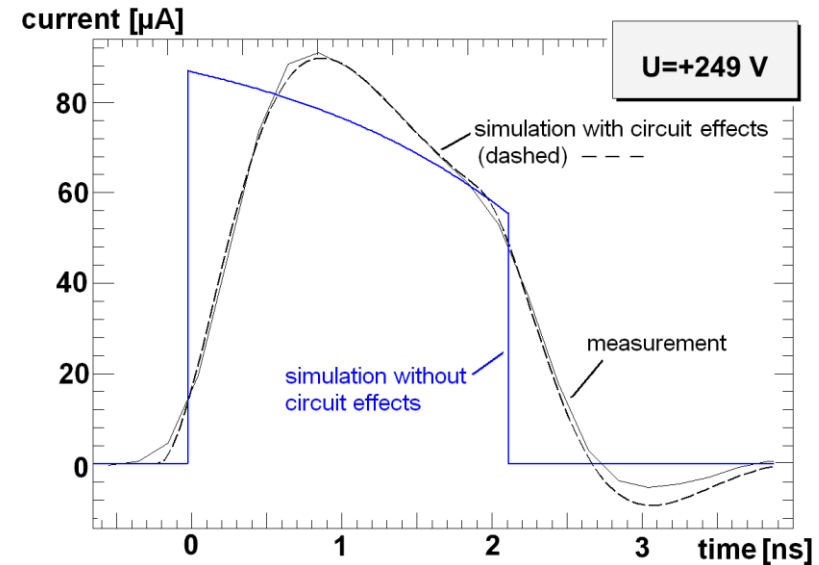
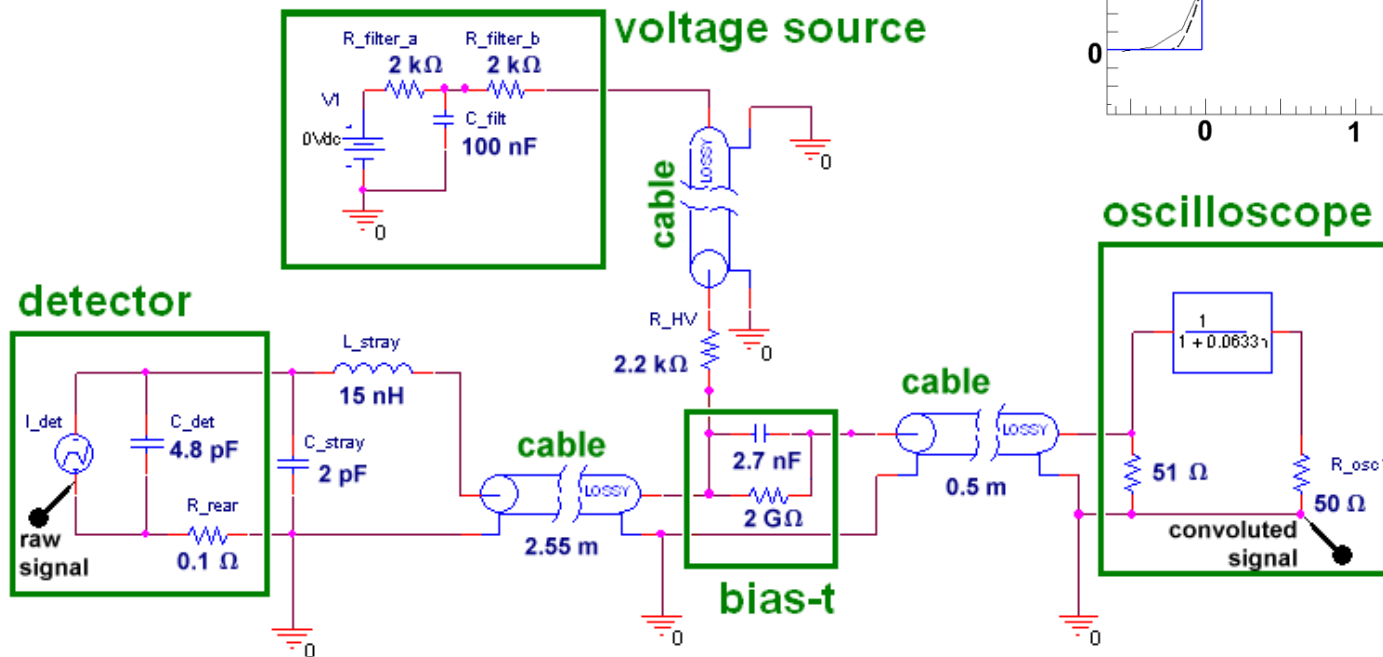
Induced current  $I = v_{dr}(E) \cdot N \cdot q_0 / d$



# Circuit simulation

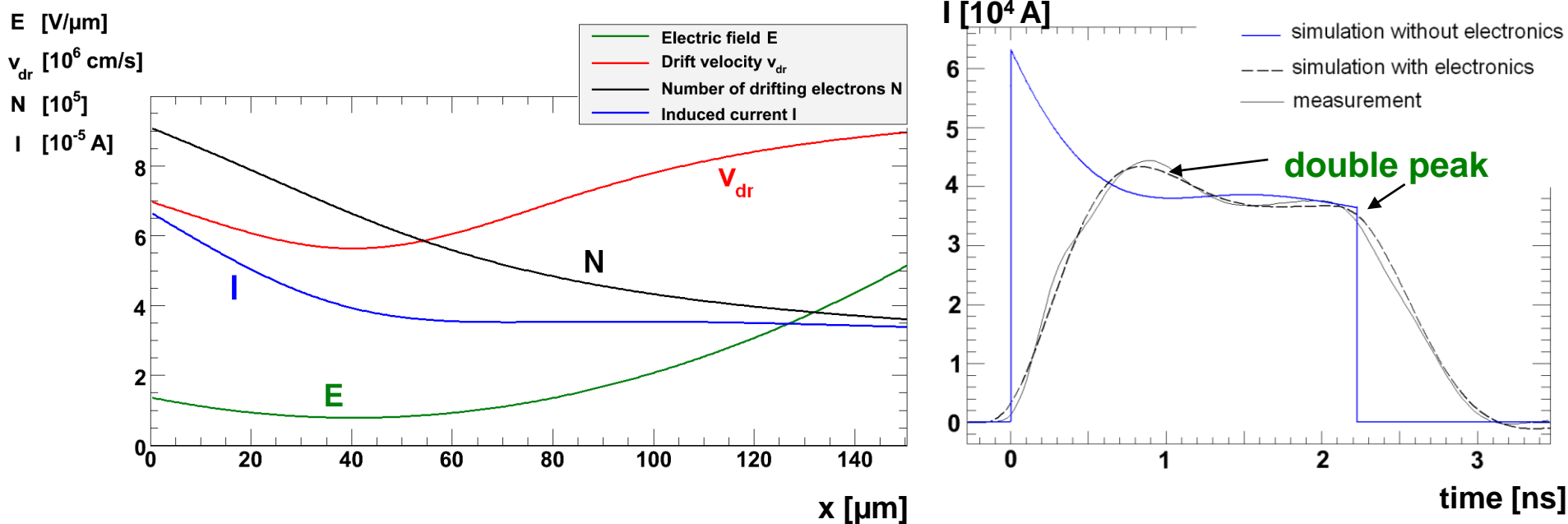
## Circuit simulation

- calculated with SPICE
  - unirradiated diodes used for calibration
- ⇒ data well described





# Simulation of TCT current signal for irradiated diodes

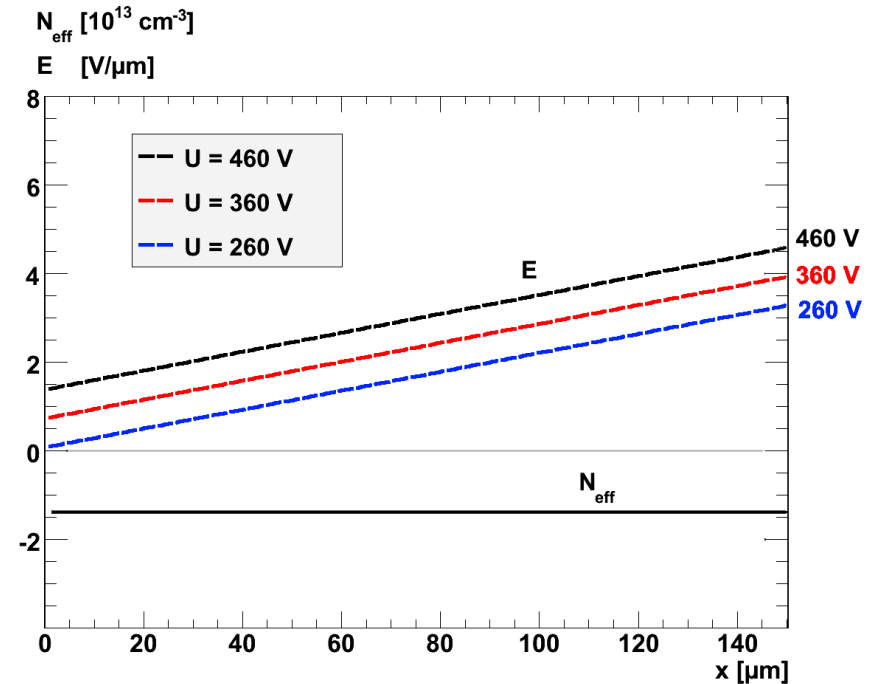
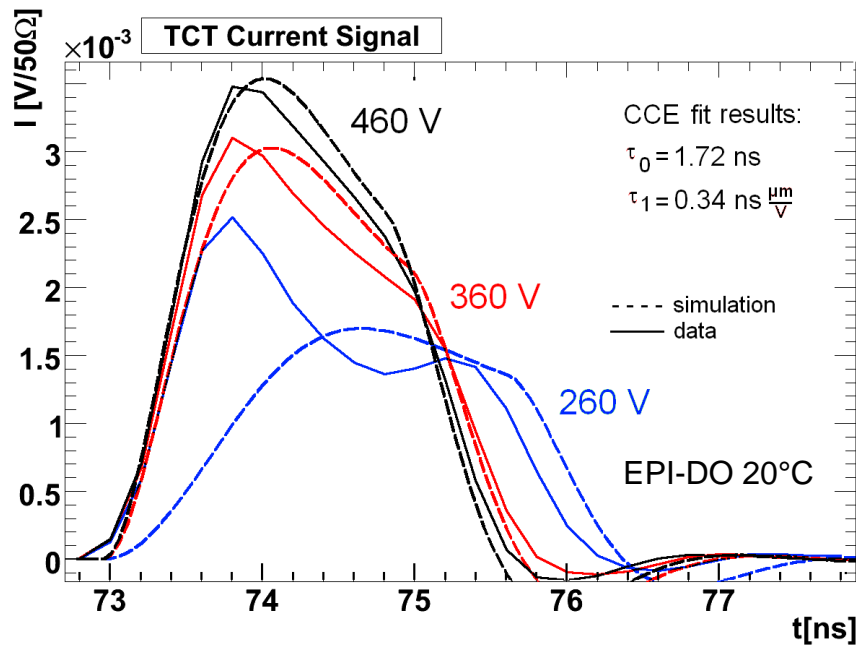


$$U = 300 \text{ V}, \quad \phi = 2 \cdot 10^{15} \text{ cm}^{-2}$$

- Number of drifting electrons  **$N$  reduces while drifting** (trapping time  $\tau$ )
- Trapping time, space charge distribution and E-field not known  
 $\Rightarrow$  **Fit space charge distribution  $N_{\text{eff}}$  and trapping time  $\tau(E)$**

# Simulation for irradiated diodes

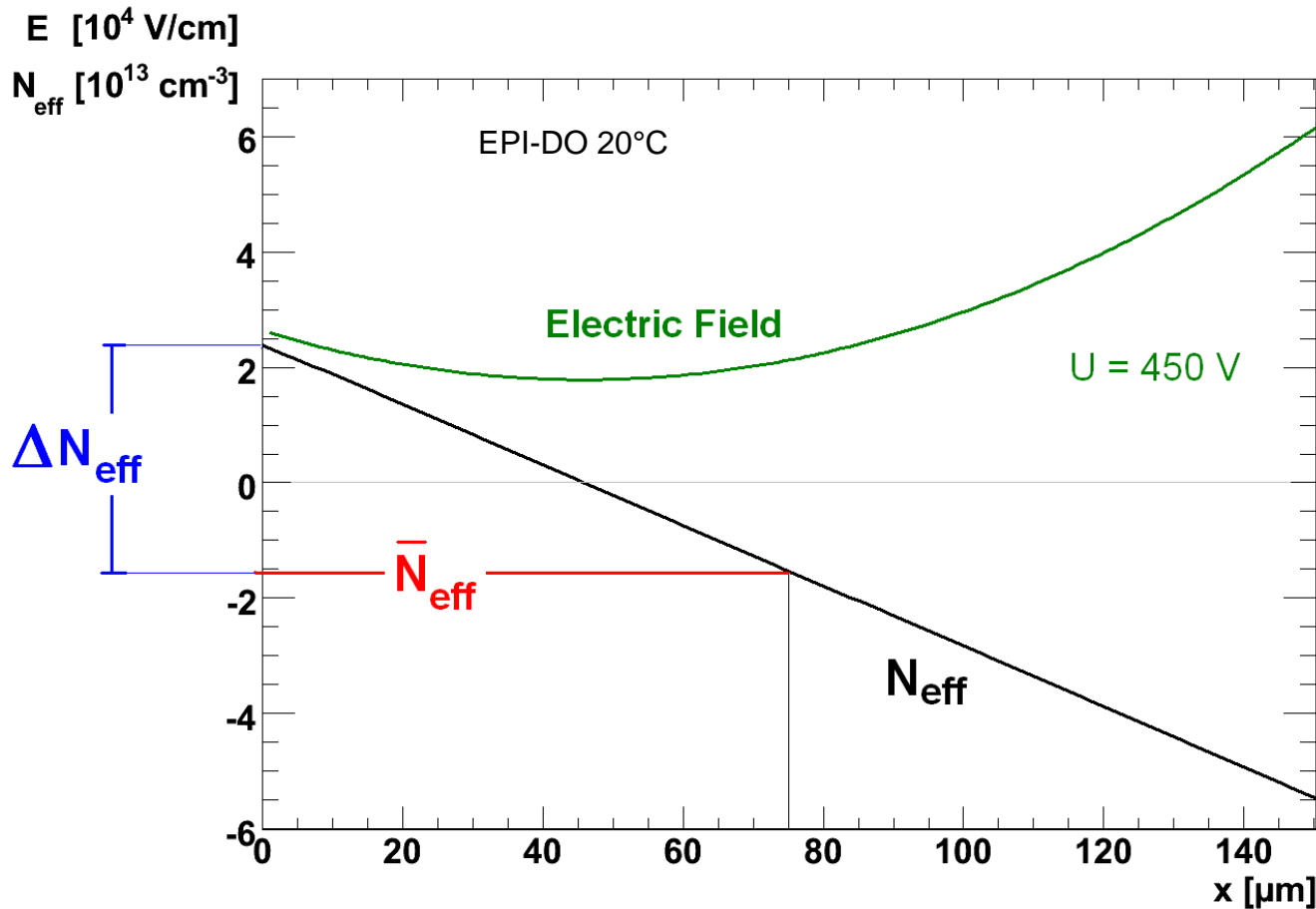
$N_{\text{eff}} = \text{const}$  from  $U_{\text{dep}} = 250 \text{ V}$  (CV measurements)



$\Rightarrow$  data not well described with  $N_{\text{eff}} = \text{const}$

# Parameterisation of space charge distribution

$$N_{eff}(x) = \bar{N}_{eff} + \left(1 - \frac{x}{d/2}\right) \Delta N_{eff}$$

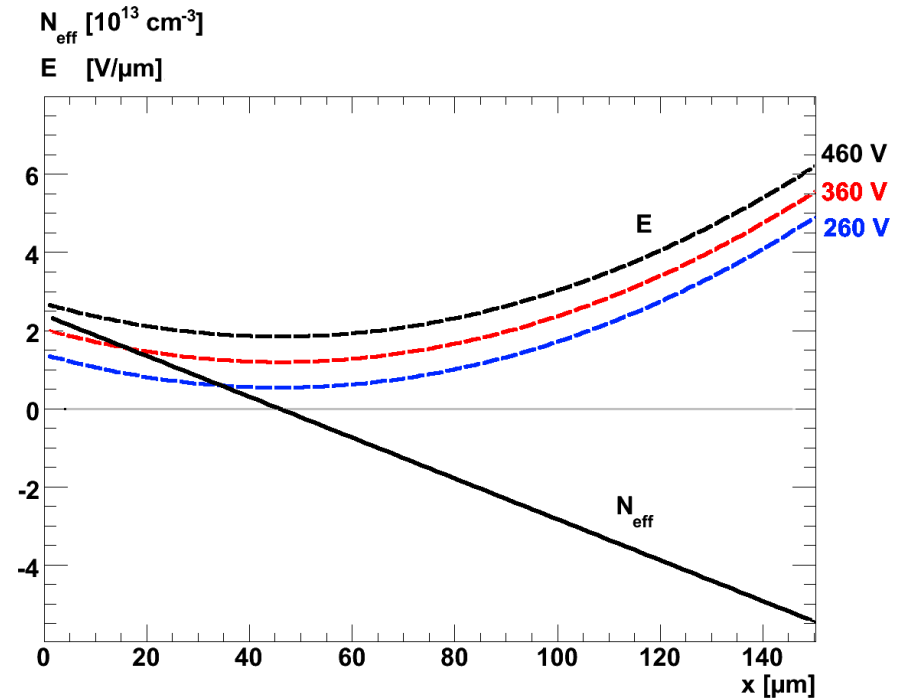
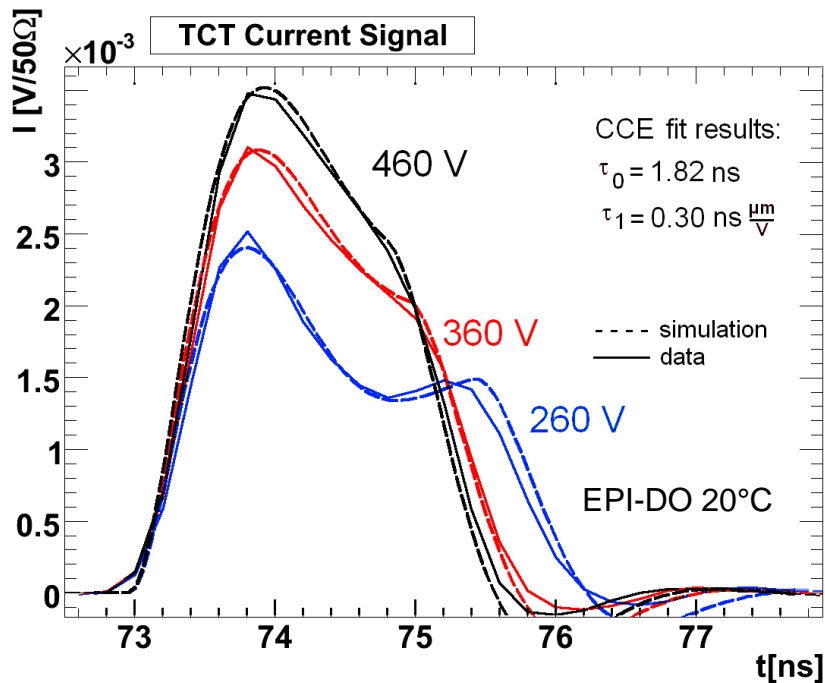


$$\Delta N_{eff} = 4 \cdot 10^{13} \text{ cm}^{-3}$$

$$\bar{N}_{eff} = -1.6 \cdot 10^{13} \text{ cm}^{-3}$$

# Simulation for irradiated diodes

best values for  $\bar{N}_{\text{eff}}$ ,  $\Delta N_{\text{eff}}$  were taken,  $U_{\text{dep}} = 250 \text{ V}$



$\Rightarrow$  data described with  $N_{\text{eff}}$  linear in  $x$

# Fit of the CCE curve

Trapping model:

$$-dN = \frac{1}{\tau(E(x(t)))} N dt$$

Different possible parameterisations of  $\tau$ :

$$\tau = \tau_0$$

$$\tau = \tau_0 + \tau_1 E$$

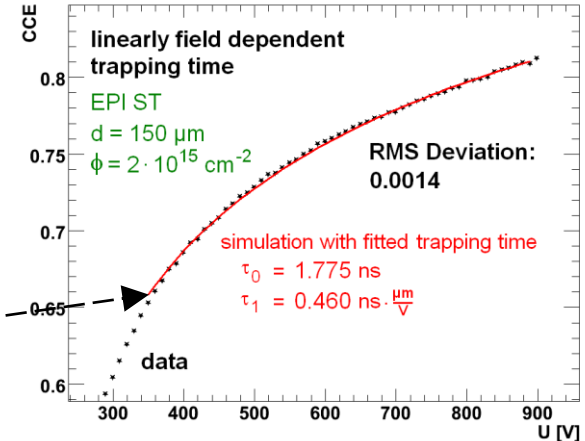
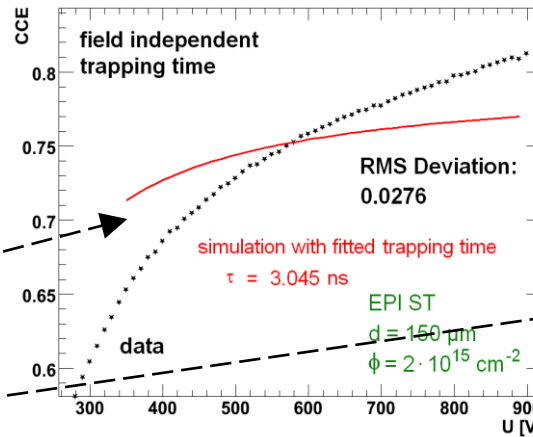
$$1/\tau = 1/\tau_0 + 1/\tau_1 E$$

$$1/\tau = 1/\tau_0 + 1/\tau_1 v_{dr}(E)$$

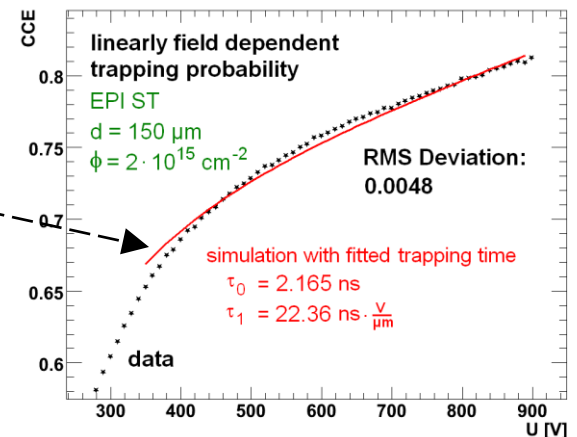
- fit simulated CCE curve to the measured CCE values
- free parameters:  $\tau_0, \tau_1$

⇒ best parameterisation:  
 $\tau = \tau_0 + \tau_1 E$

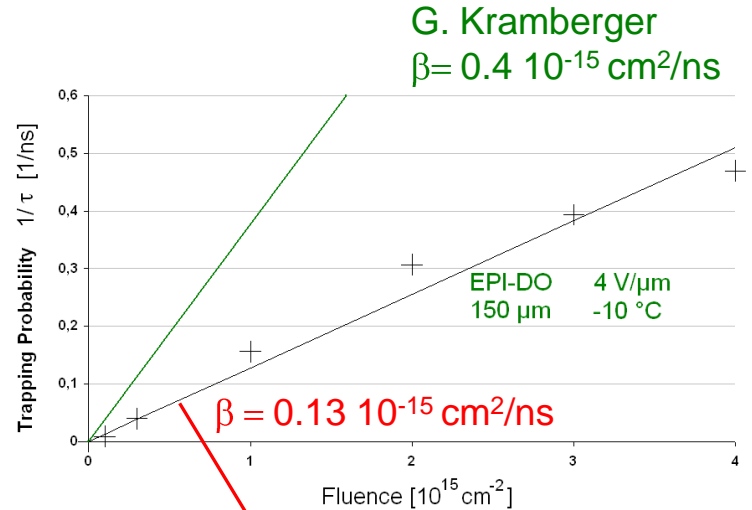
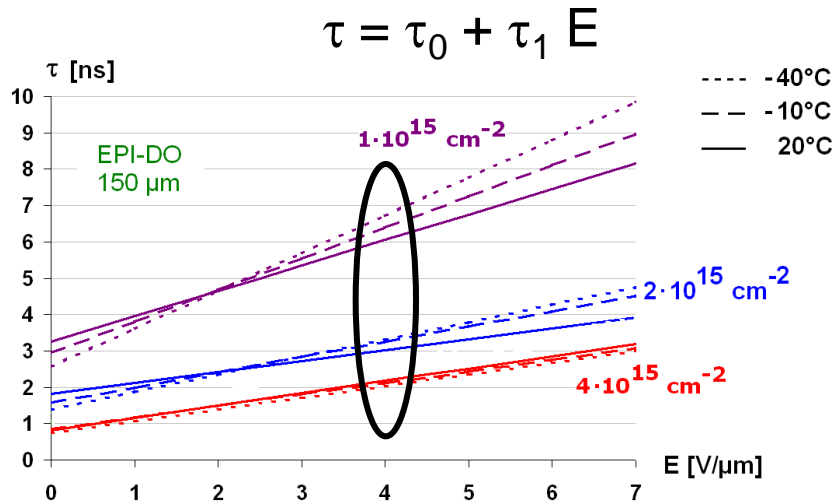
## CCE versus rev. bias voltage



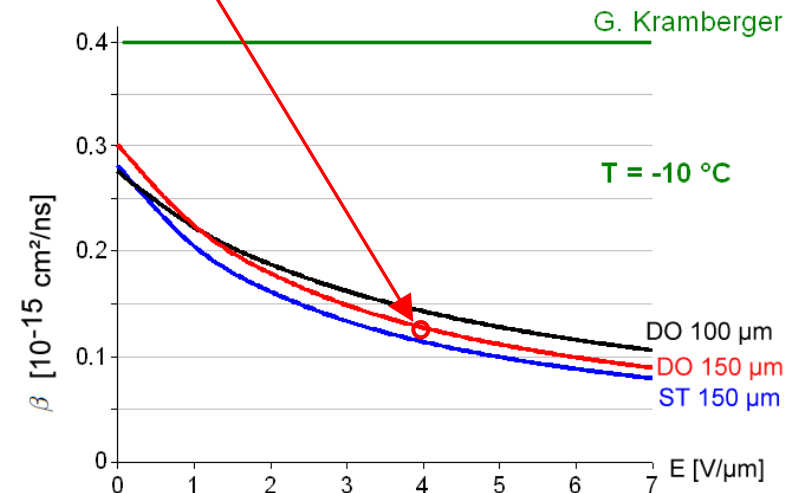
EPI-ST 20°C



# Results: trapping



$1/\tau = \beta \phi$



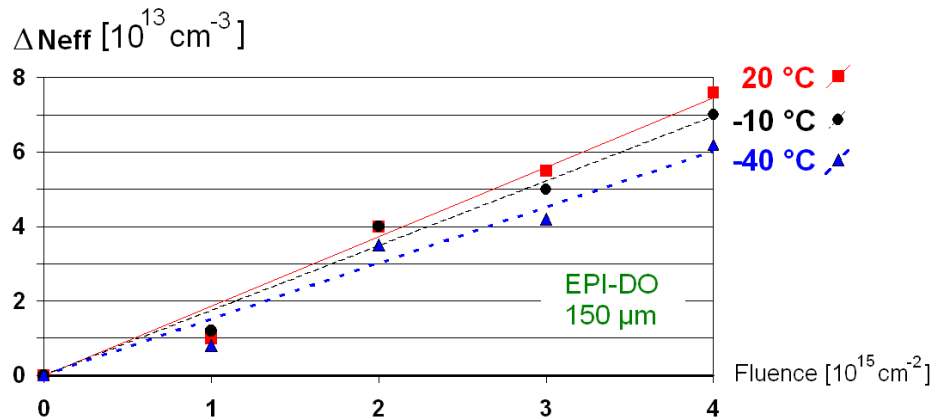
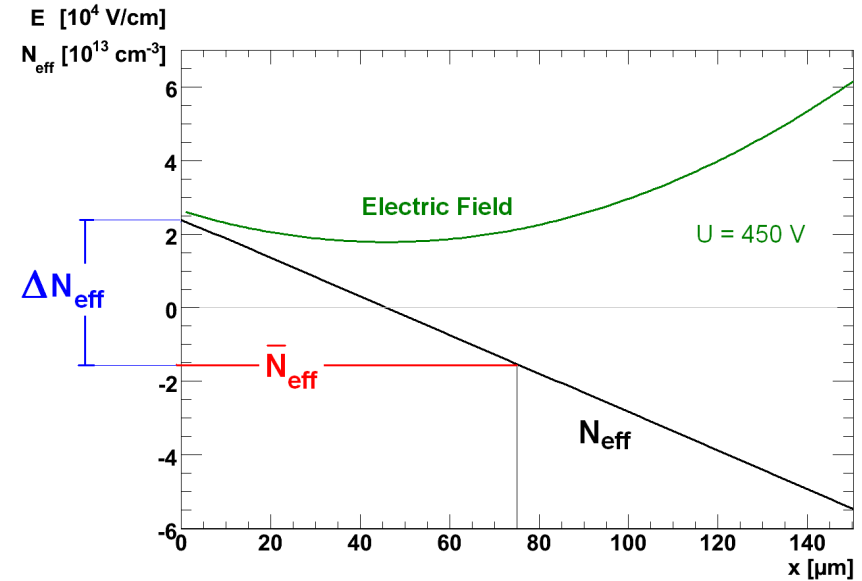
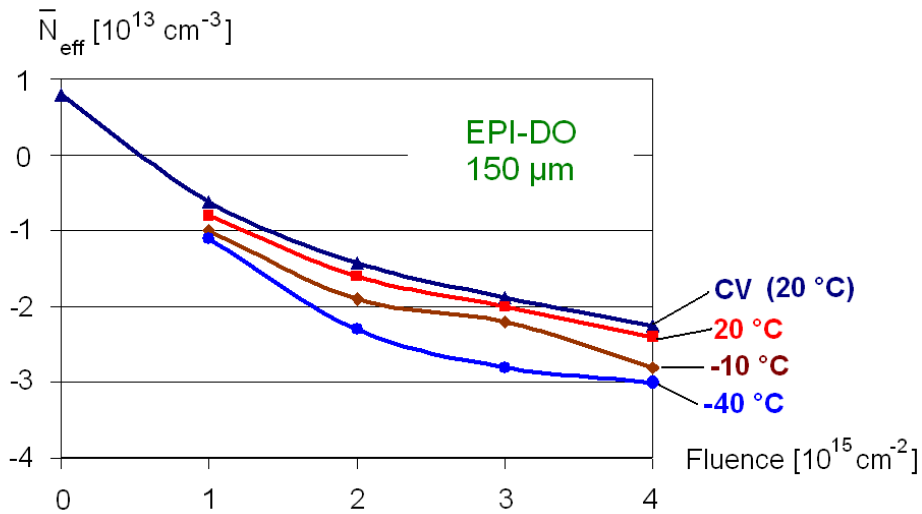
Strong field dependence seen!

Less trapping for high fields.

Previous investigations by G.Kramberger:

$\tau = \text{const}$ , charge correction method,  
fluences up to  $\phi = 2 \cdot 10^{14} \text{ cm}^{-2}$

# Results: space charge

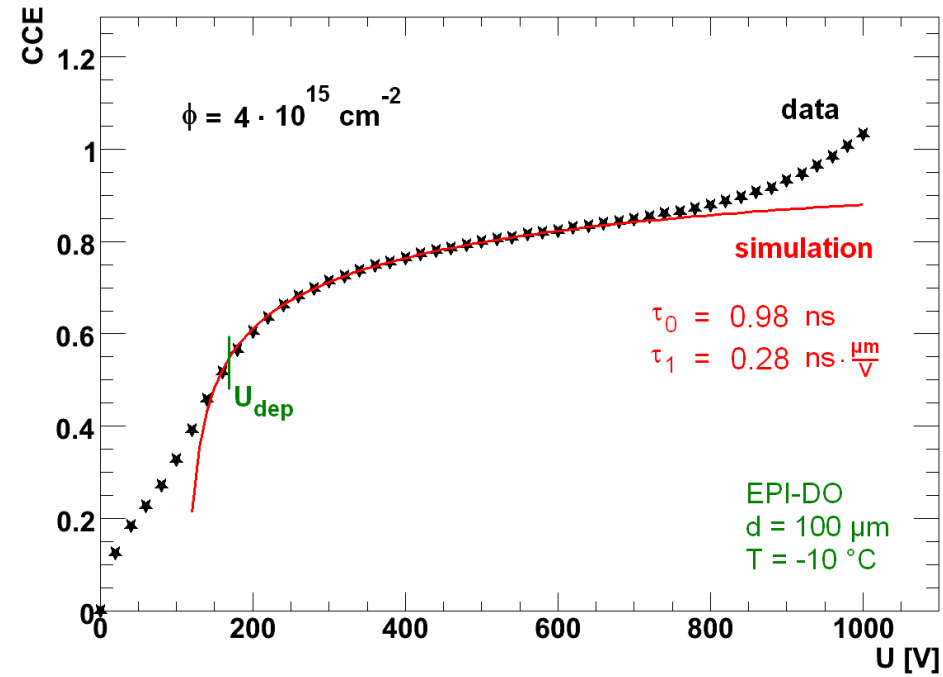
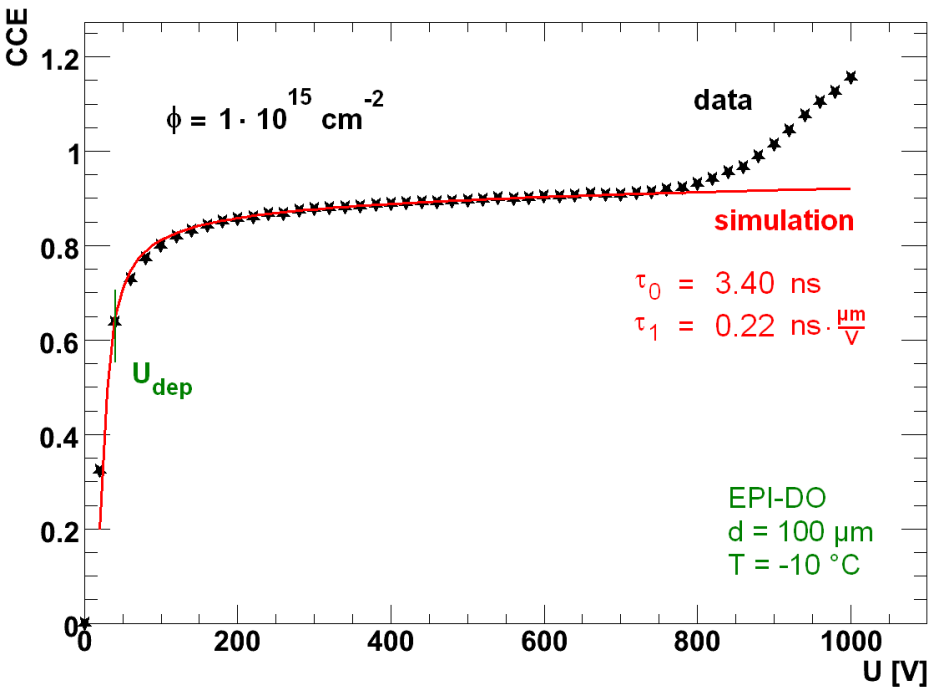


$$N_{\text{eff}}(T, \phi, x)$$

$N_{\text{eff}}$  linear in  $x$

higher  $|N_{\text{eff}}|$  for low  $T$   
 higher  $\Delta N_{\text{eff}}$  for large  $\phi$

# Charge multiplication



Charge multiplication seen for  $100 \mu\text{m}$  thick diodes and  $U > 800 \text{ V}$



# Summary

Charge collection and trapping can be well described taking into account

- distortions to the space charge distribution leading to **parabolic electric fields** (double peak)
- **field-dependence** of trapping time  $\tau^*$  (to fit CCE curves)
- **circuit effects** (to simulate TCT signals)

Trapping probability decreases with increasing E-field

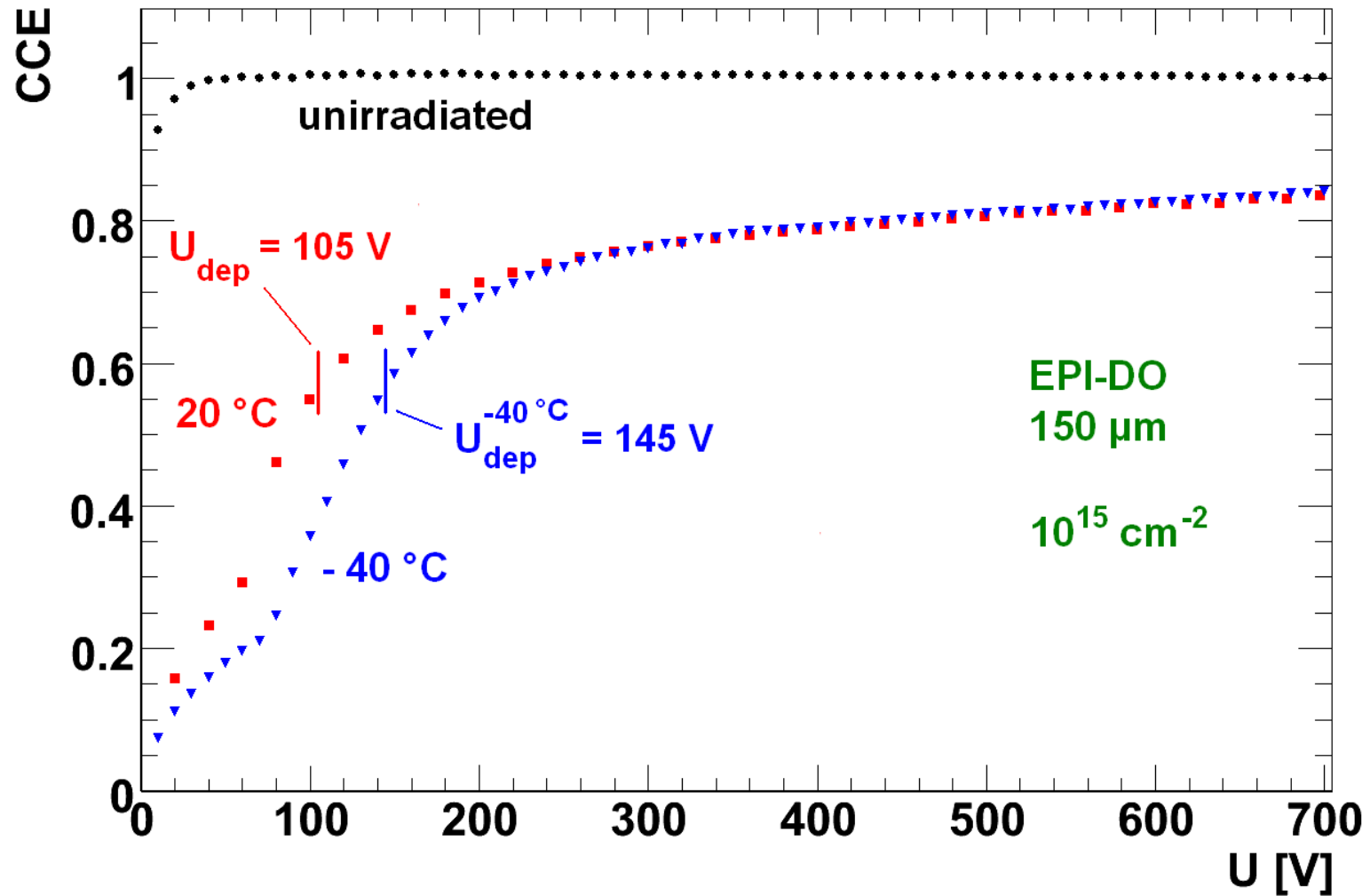
⇒ **high E-fields desirable** to reduce trapping probability  $1/\tau^*$

**|Neff| larger (more negative) for lower temperatures**

\* here  $\tau$  is an effective trapping time including trapping and detrapping

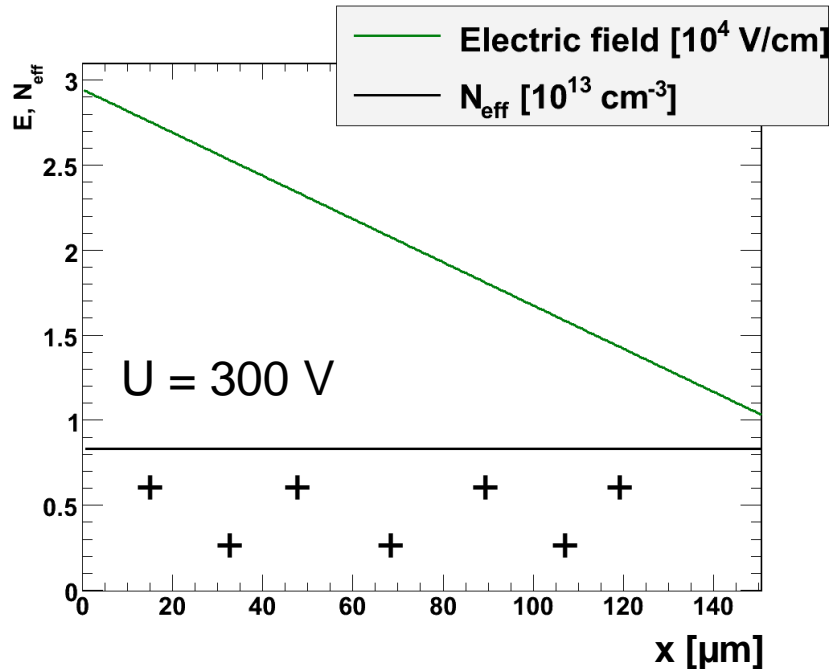
# Backup Slides

# $U_{\text{dep}}$ dependence on temperature

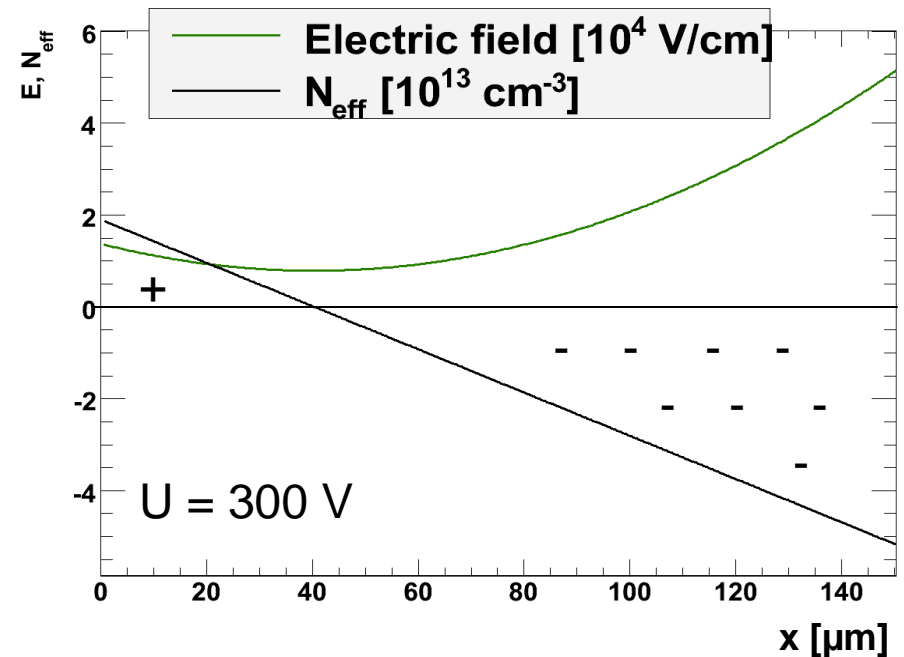


# Electric Field and Space Charge Distribution $N_{\text{eff}}$

## Unirradiated diode $p^+n$



## Irradiated diode: $\phi = 2 \cdot 10^{15}\text{ cm}^{-2}$



homogenous space charge distribution  $\Rightarrow$  linear electric field

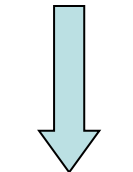
linear space charge distribution  $\Rightarrow$  parabolic electric field

# Determination of $\tau(E)$

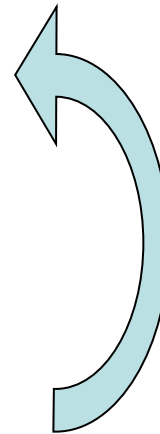
Initial guess of field distribution (i.g. linear, parabolic)

- Assumption of electric field parameters
- Fit of CCE curves by simulation with parameter  $\tau$
- Agreement of measured and simulated TCT signal?

Yes / No



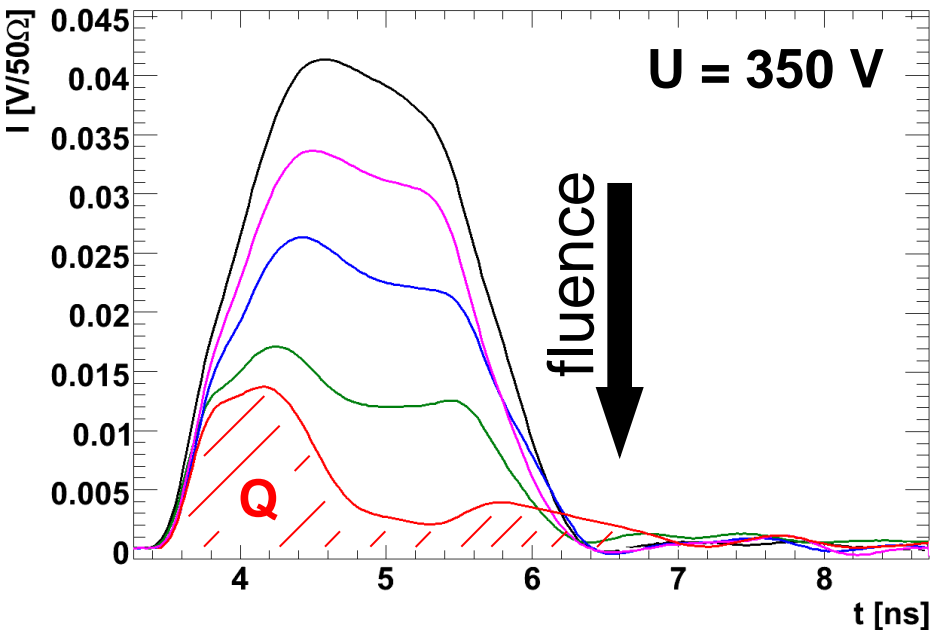
$\tau(E)$



modification  
of  $E(x)$

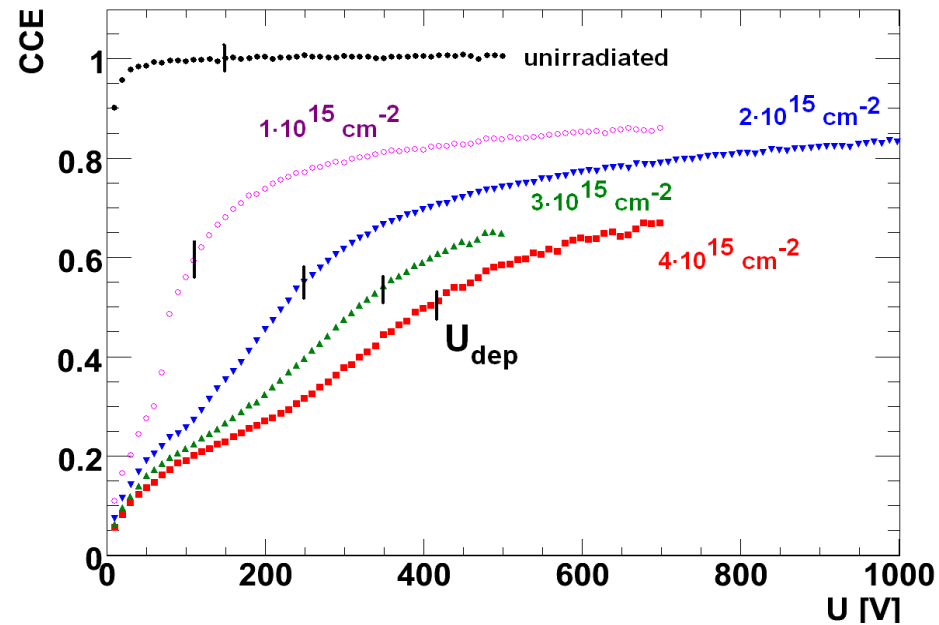
# Determination of Charge Collection Efficiency from TCT Measurements

## TCT signal

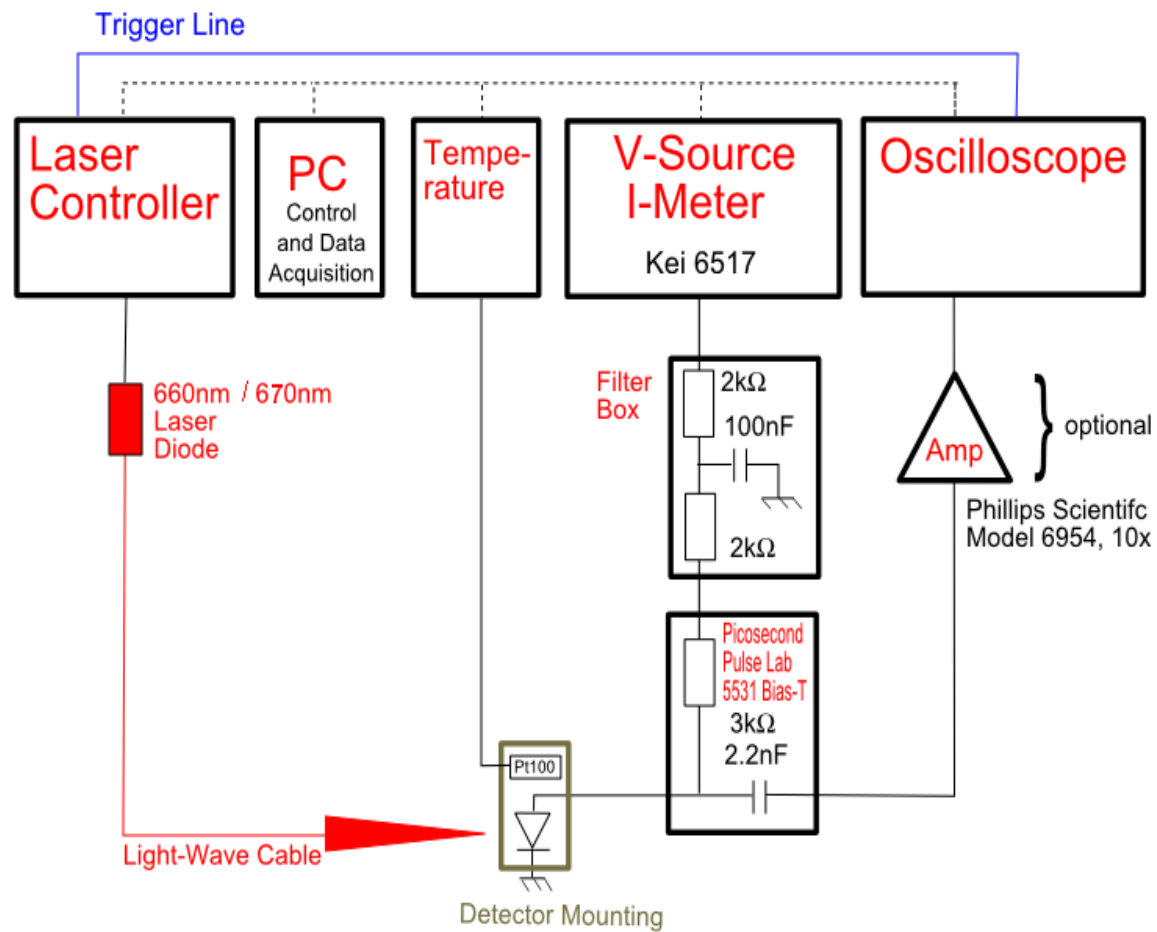


- Collected Charge  $Q = \int I \, dt$
- Deposited Charge  $Q_0 = \int I_{\text{non-irradiated}} \, dt$
- Trapping reduces collected charge  $Q$ .

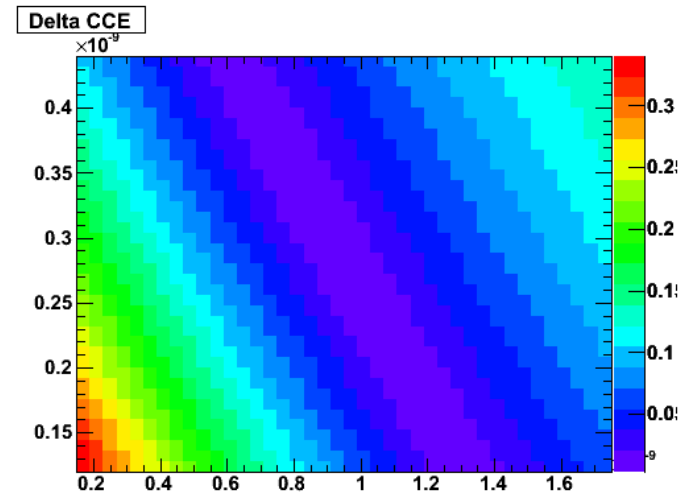
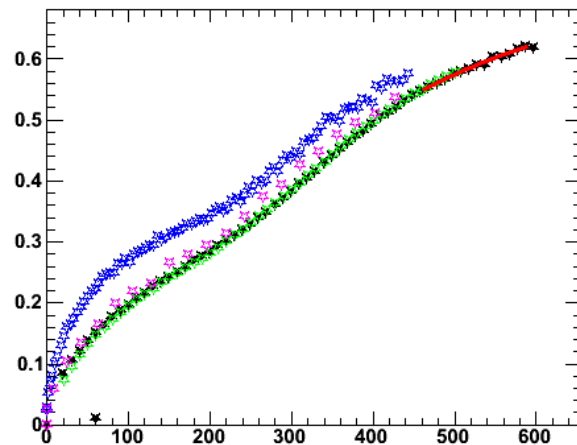
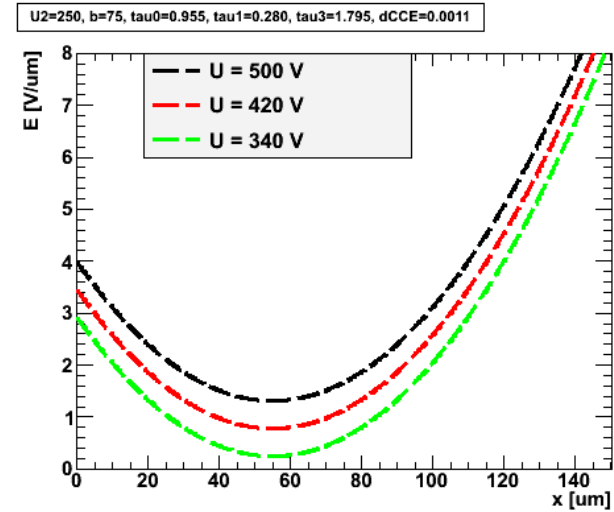
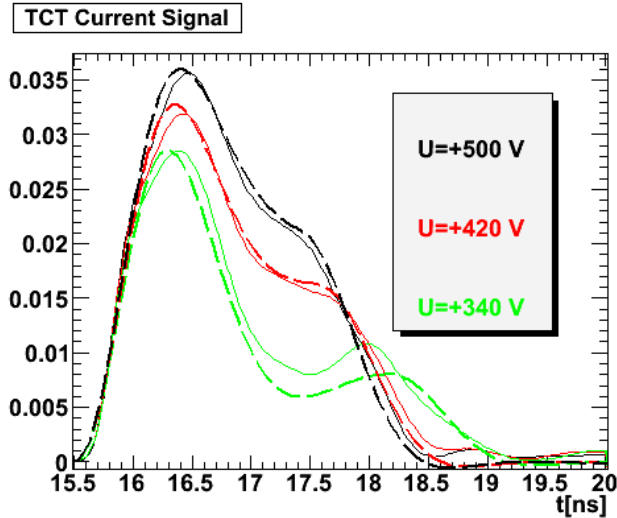
## Charge Collection Efficiency (CCE)



- $\text{CCE} = Q / Q_0$
- Unirradiated diodes:  $\text{CCE} = 1$

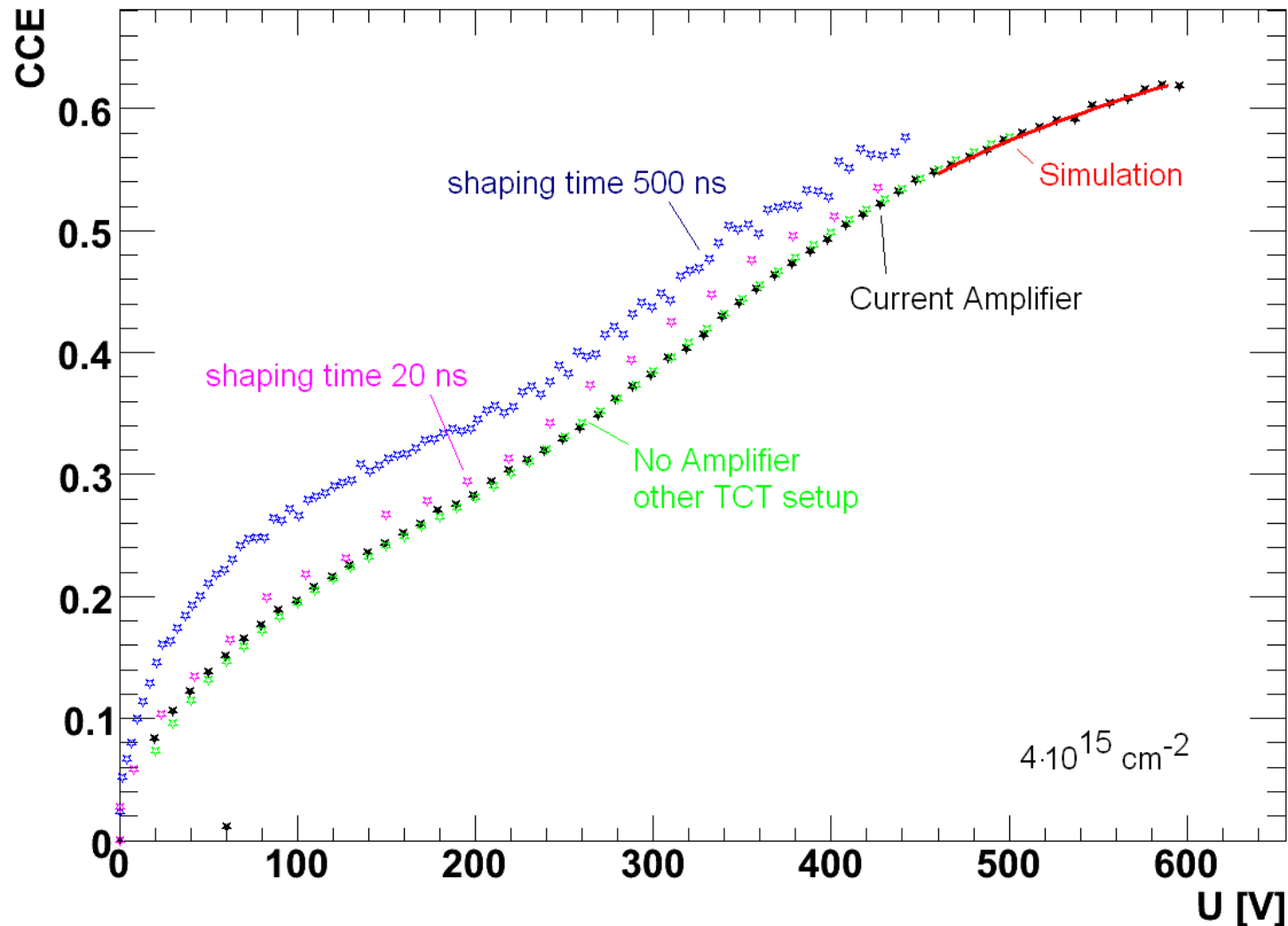


# Overview of $E(x)$ , $I(t)$ and $CCE(U)$ for a $4 \cdot 10^{15}$ DO





# CCE-curves measured with different setups



# Drift Velocity

$$v_{dr} = \frac{\mu_0 E}{\left(1 + \left(\frac{\mu_0 E}{v_{sat}}\right)^\beta\right)^{1/\beta}}$$

$$v_{sat} = 9.814 \cdot 10^4 \text{ m/s}$$

$$\mu_0 = 0.1447 \text{ m}^2/\text{Vs}$$

$$\beta = 1.1073$$

(modified Jacoboni at 294 K)