

# Flow and production of heavy-flavors with ATLAS



Songkyo Lee  
(Iowa State University)  
for the ATLAS collaboration

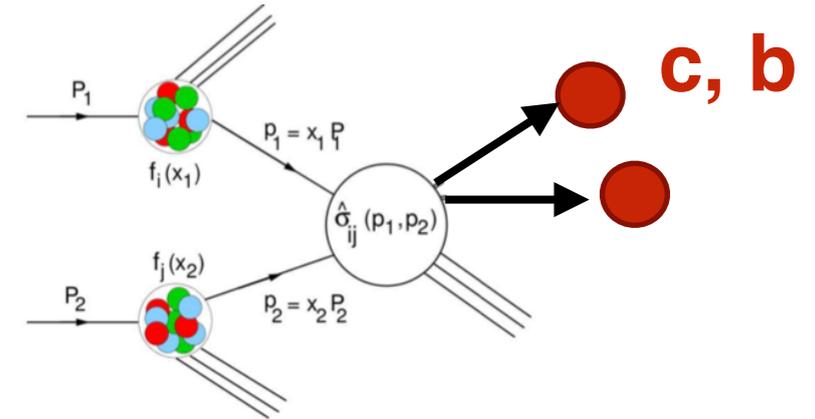


Heavy-Flavour Hadronization 2020  
CERN, Switzerland  
March 2nd 2020

# Heavy quarks in heavy-ion collisions

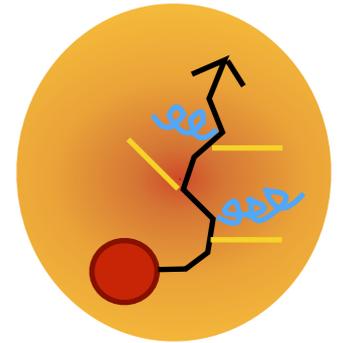
- **Production**

- by hard scattering at the early stage of collisions
- $\tau_{b\bar{b}} \sim 0.02 < \tau_{c\bar{c}} \sim 0.07 < \tau_{\text{QGP}} \sim 0.1-1 \text{ fm}/c$
- $m_Q \gg \Lambda_{\text{QCD}}$ : calculable with pQCD



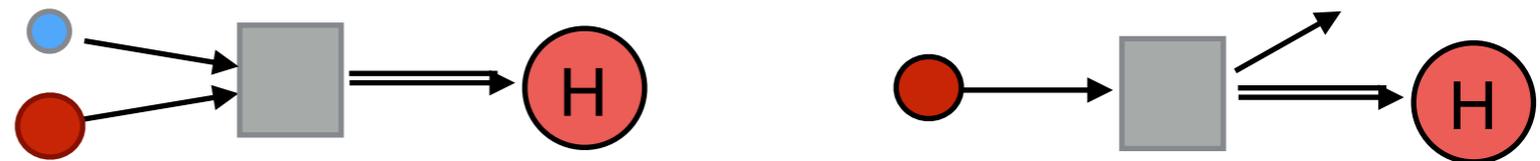
- **Traversing In QGP**

- Collisional & radiative energy loss
- Drag and diffusion described by Langevin Dynamics



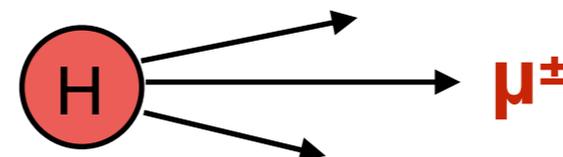
- **Hadronization**

- Coalescence
- Fragmentation



- **Decay** into final-state particles

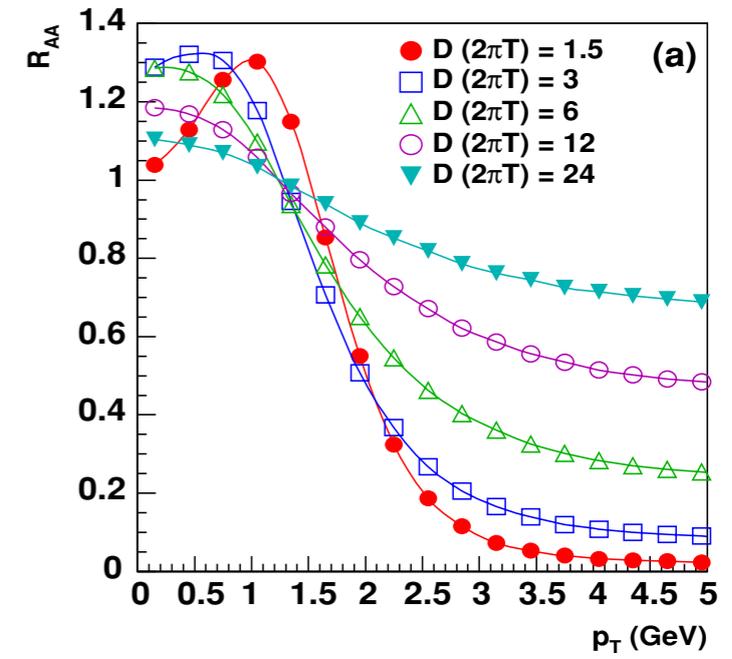
- hadronic, semileptonic, etc.



- Nuclear modification factor  $R_{AA}$**

$$R_{AA} = \frac{N_{AA}}{\langle T_{AA} \rangle \times \sigma^{pp}}$$

←..... Per-event yields in AA  
←..... cross-section in pp  
↑..... Nuclear overlap function



PRC 71 (2005) 064904

- **Nuclear modification factor  $R_{AA}$**

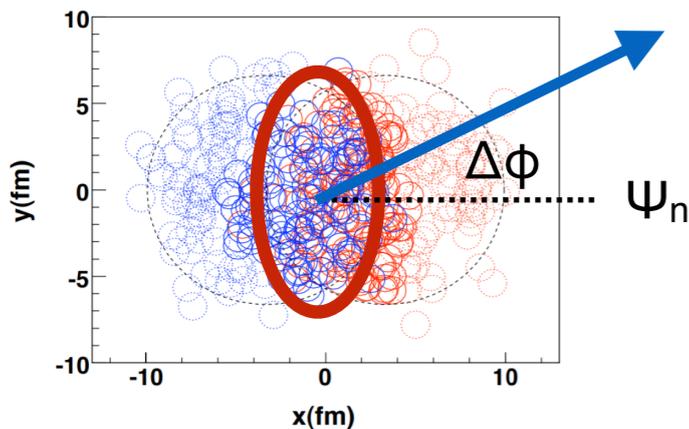
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←..... Per-event yields in AA
←..... cross-section in pp

↑..... Nuclear overlap function

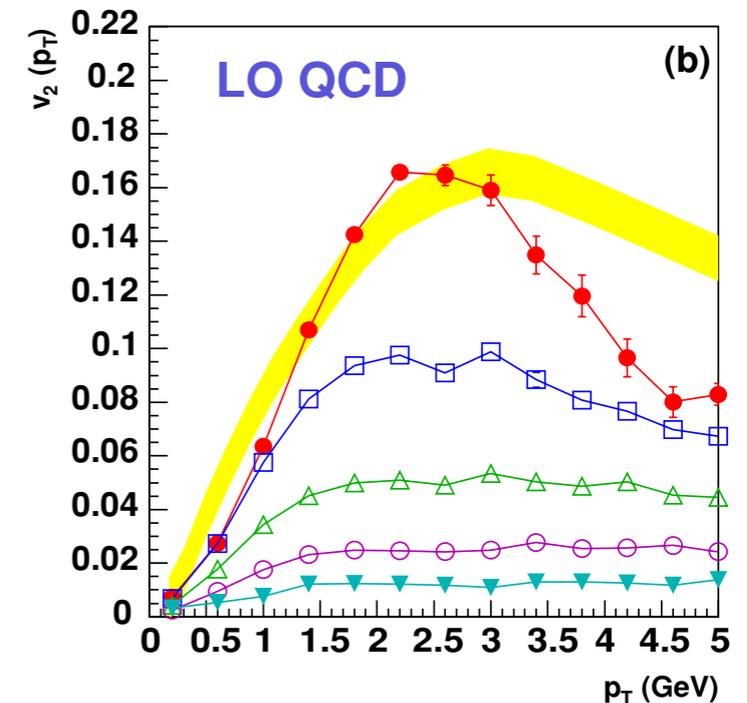
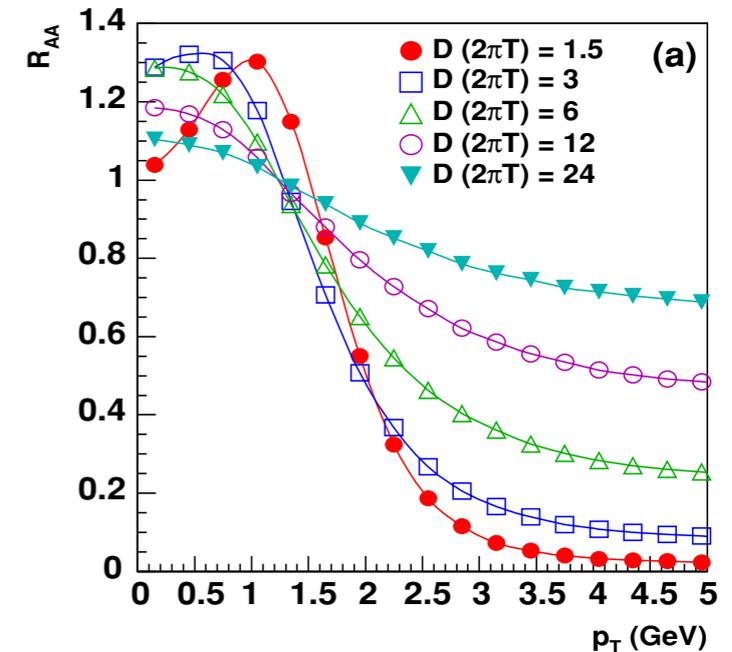
- **Azimuthal anisotropy (flow coefficients  $v_n$ )**

$$\frac{dN}{d\phi} \propto 1 + \sum_{n=1}^{\infty} 2v_n \cos[n(\phi - \Psi_n)]$$



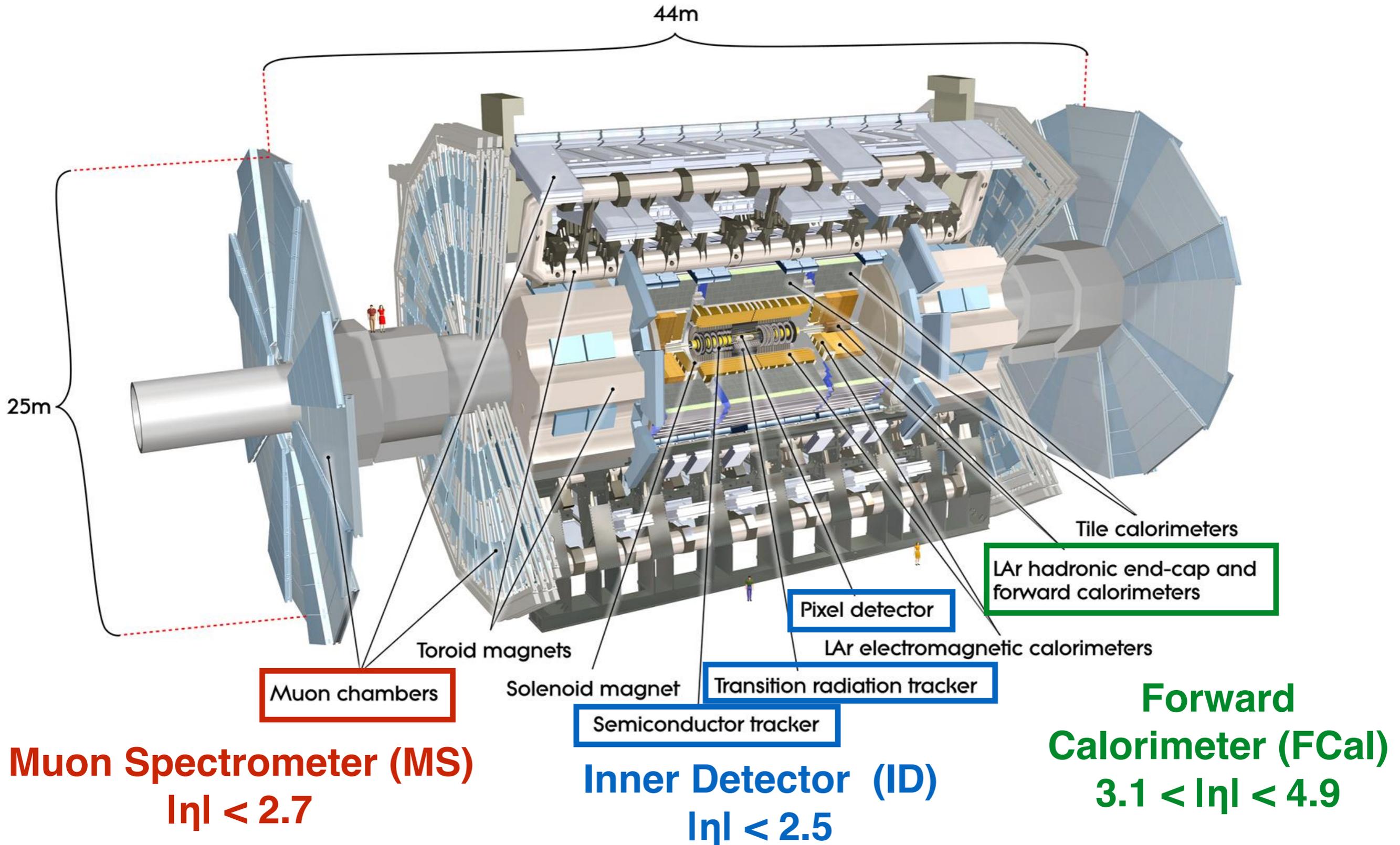
$$v_n = \langle \cos[n(\phi - \Psi_n)] \rangle$$

- Anisotropic particle density
- Initial geometry
  - Hydrodynamic property

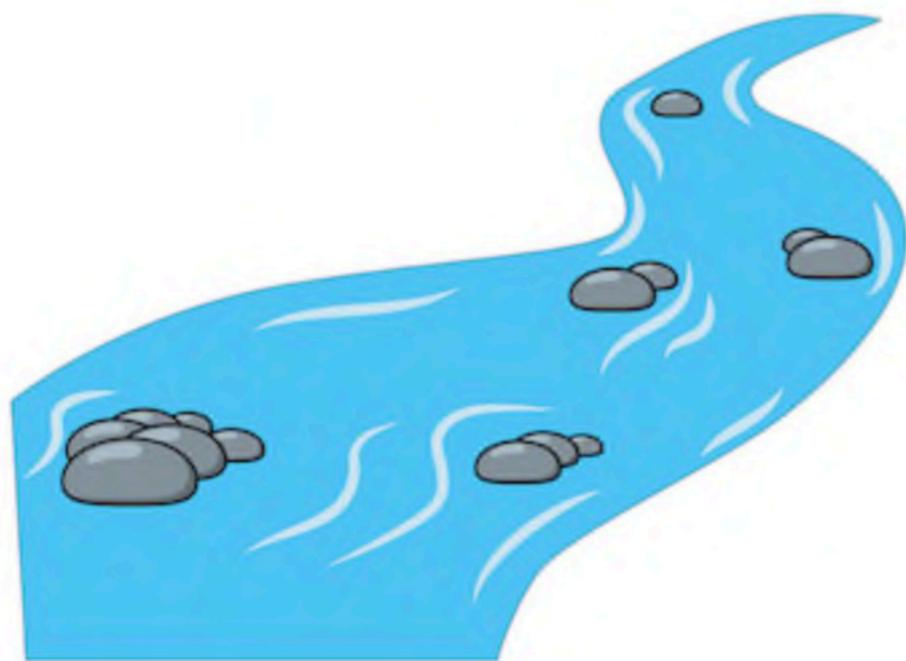


- $R_{AA} = 1$  and  $v_2 = 0$  without any medium effects
- $R_{AA}$  gets **smaller** and  $v_2$  gets **larger** as there are more interactions with medium

# ATLAS detector



# HF muons flow in Pb+Pb at 5.02 TeV

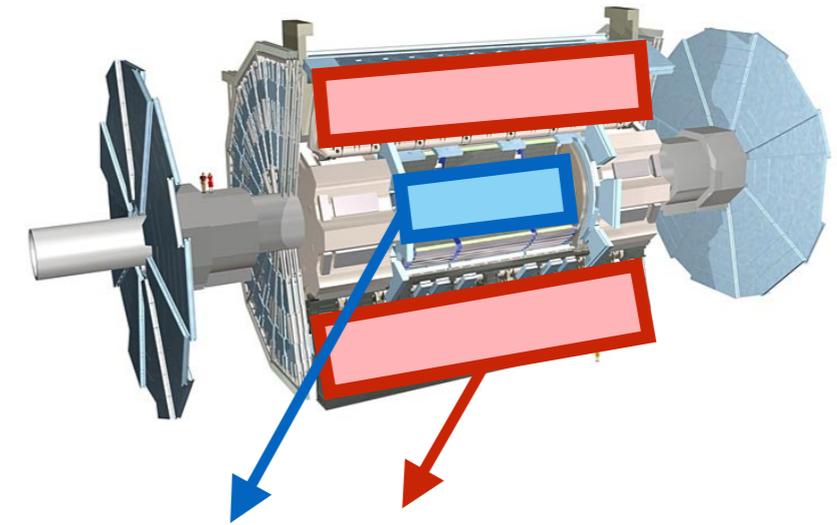
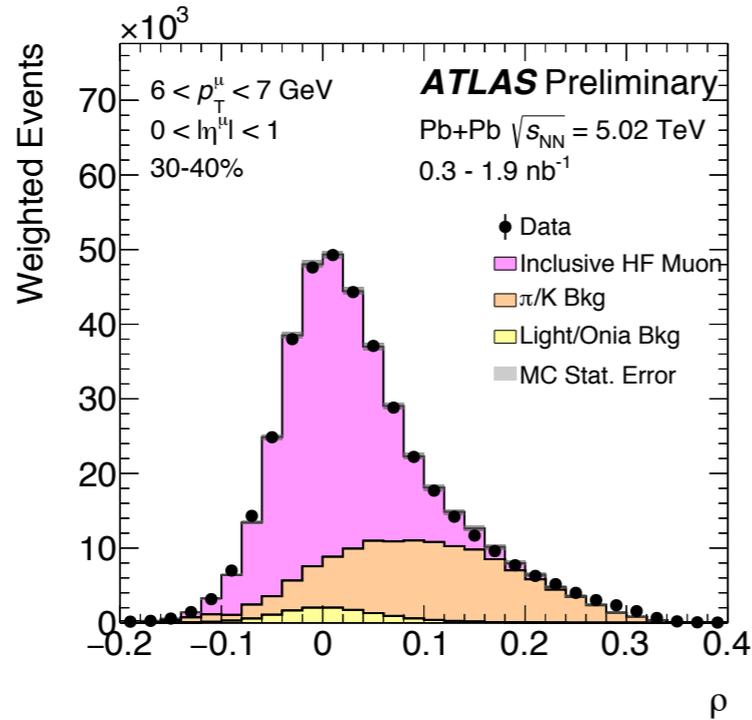


Are heavy quarks too “heavy”  
to flow with medium?

# Template fit to extract signals

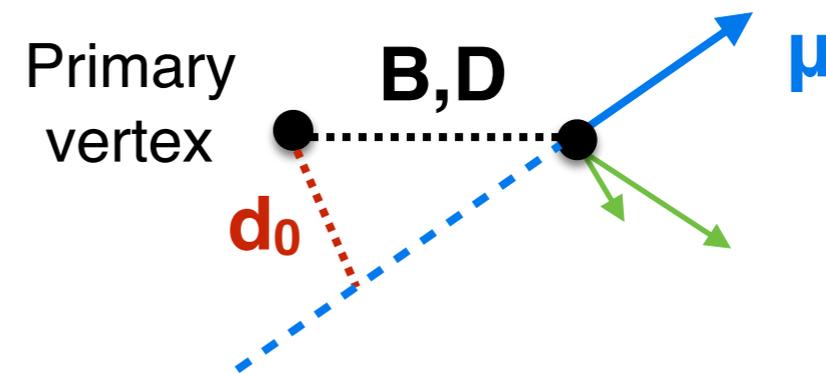
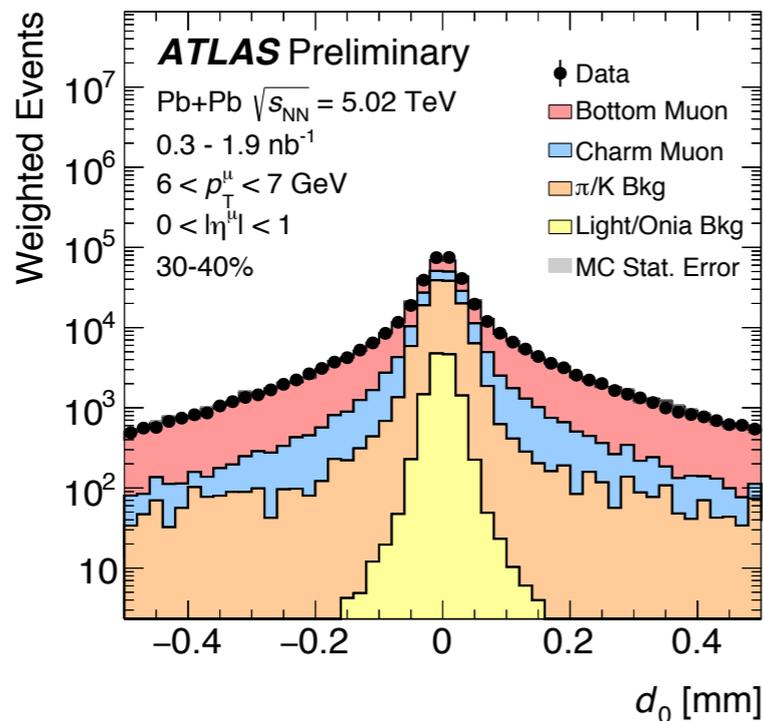
ATLAS-CONF-2019-053

- Momentum imbalance: **Signal** vs. **background**



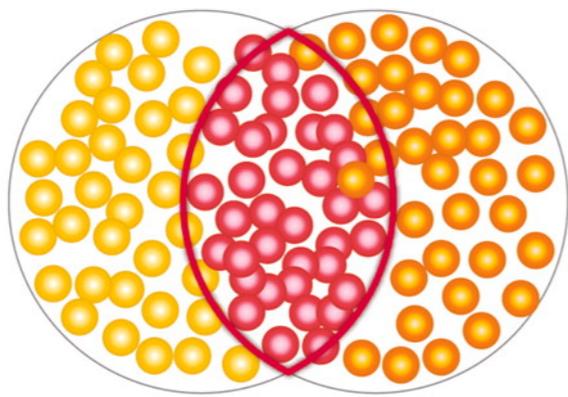
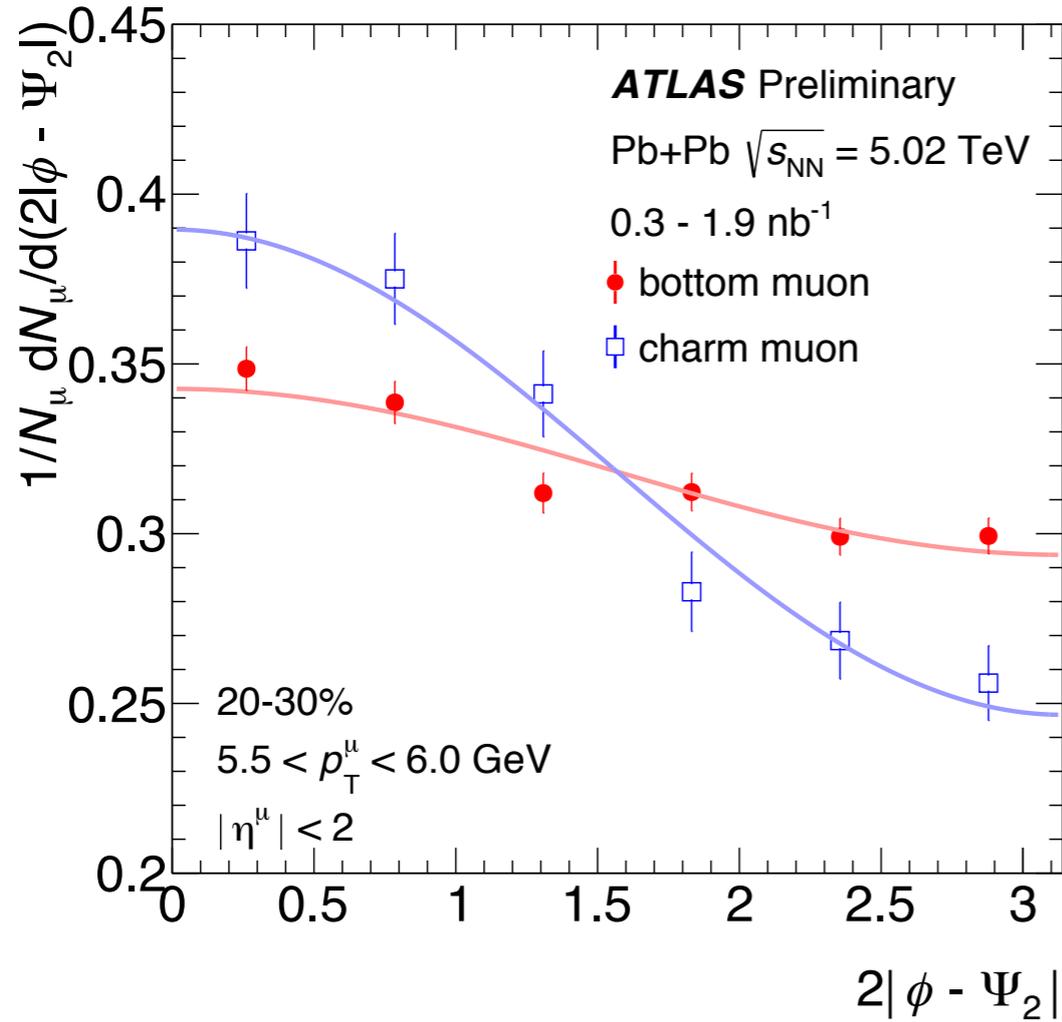
$$\rho = [p_{ID} - (p_{MS} + \Delta p_{CALO})] / p_{ID}$$

- Transverse impact parameter: **charm** vs. **bottom**



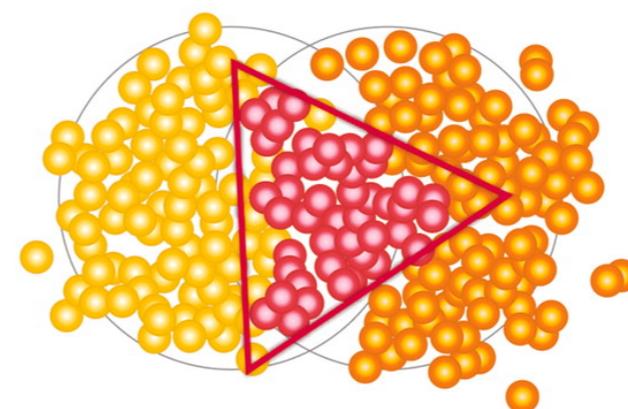
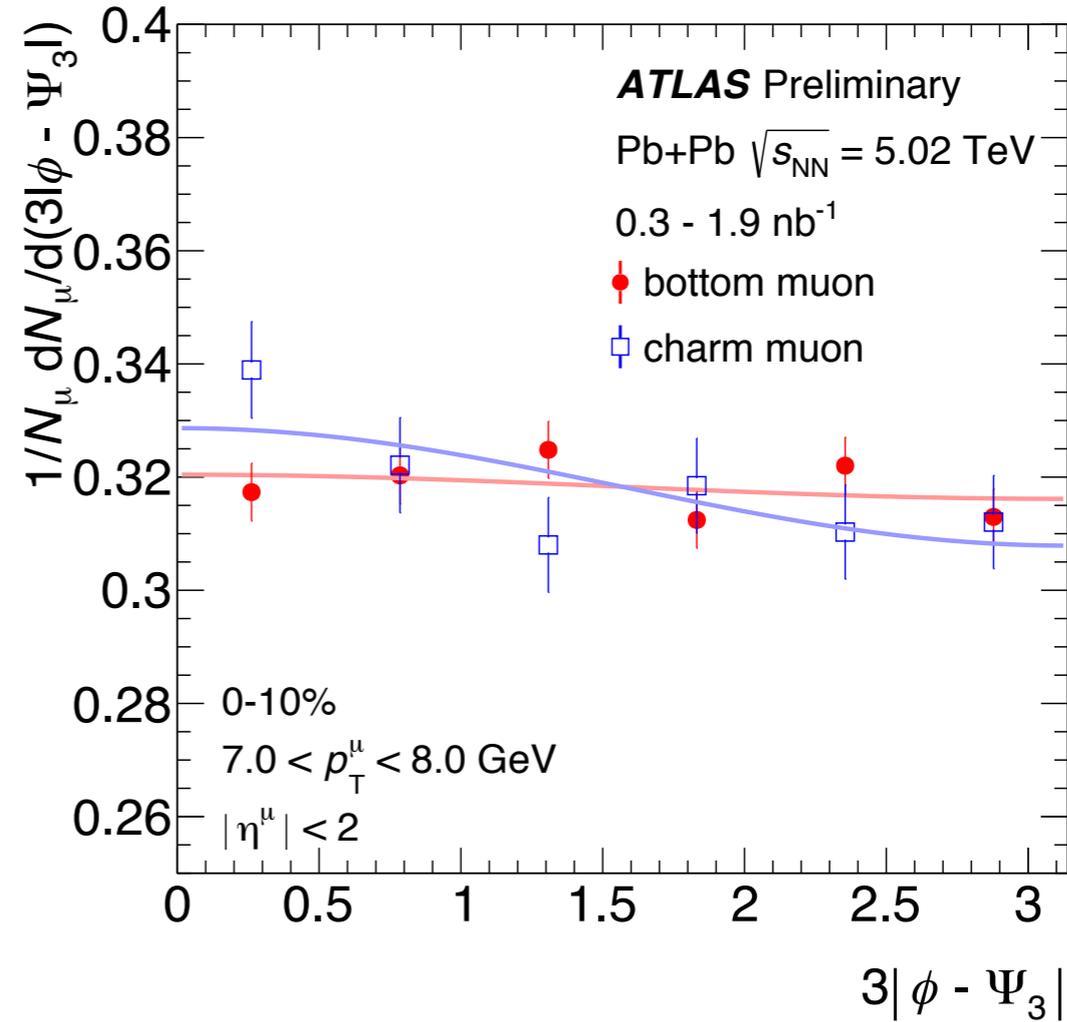
# Fourier decomposition

## V<sub>2</sub>



Elliptic flow

## V<sub>3</sub>

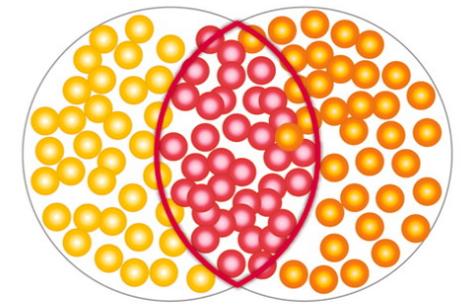
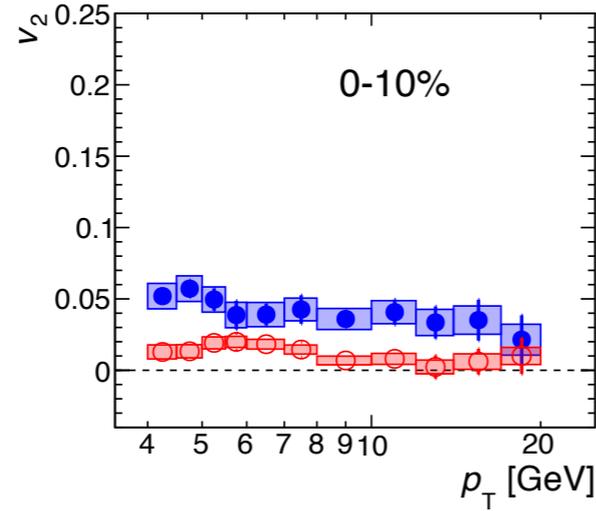


Triangular flow

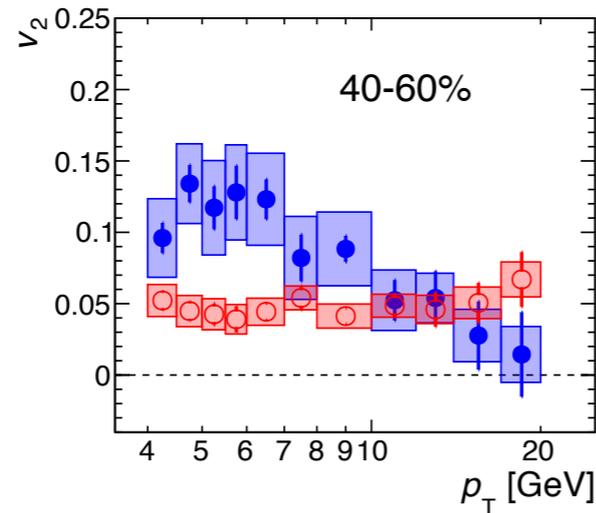
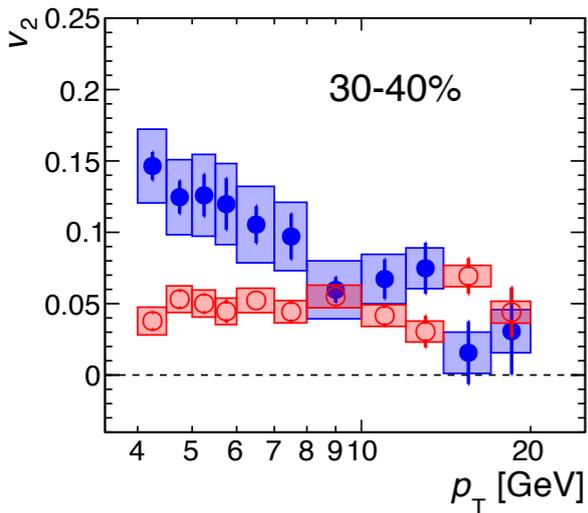
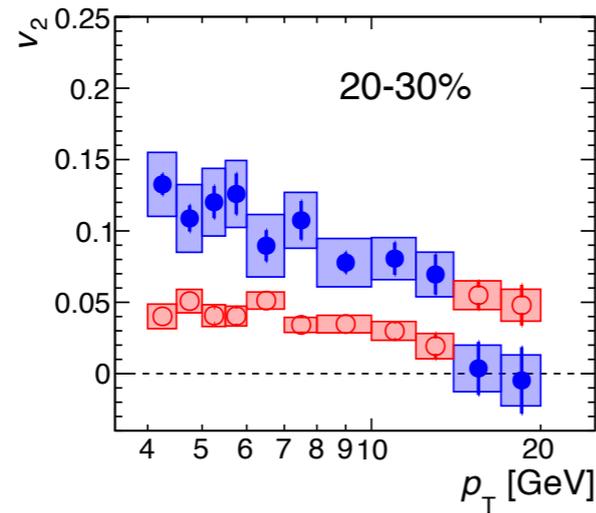
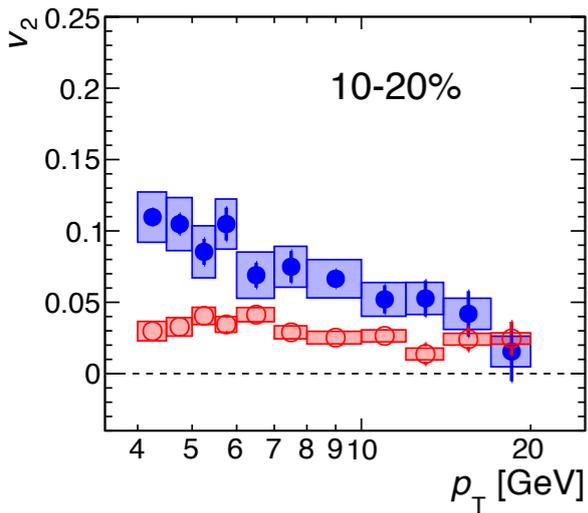
# Charm and bottom $v_2$

ATLAS-CONF-2019-053

**ATLAS Preliminary**  
 Pb+Pb  $\sqrt{s_{NN}} = 5.02$  TeV  
 0.3 - 1.9 nb $^{-1}$   
 $|\eta^{\mu}| < 2$   
 • charm muon  
 ◊ bottom muon



Elliptic flow

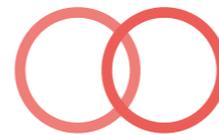
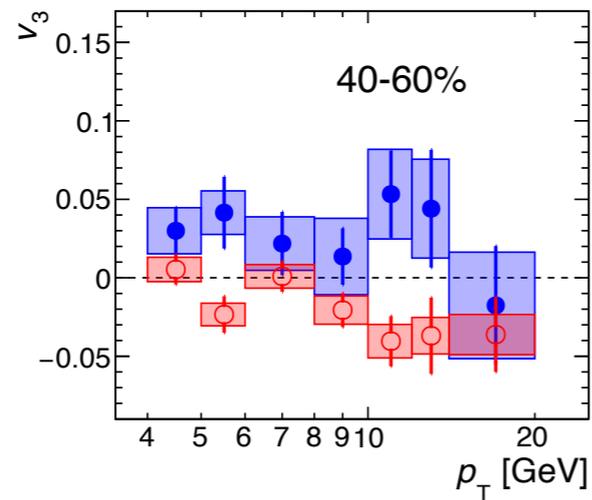
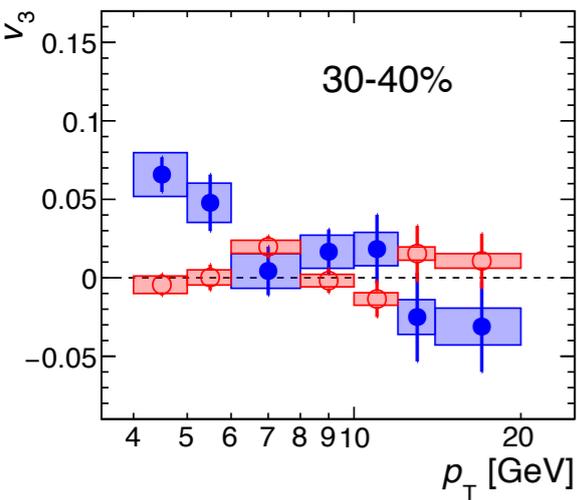
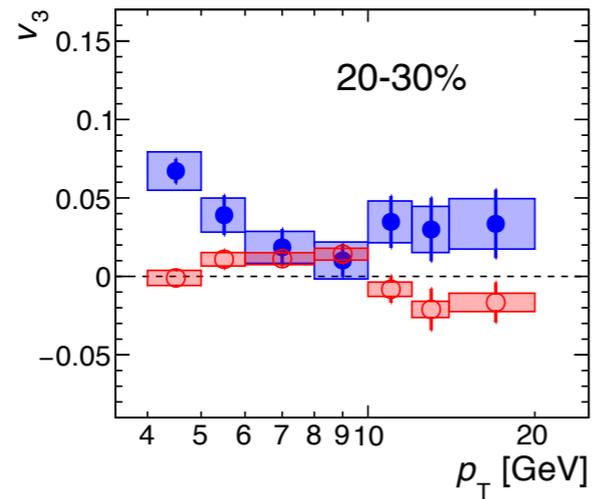
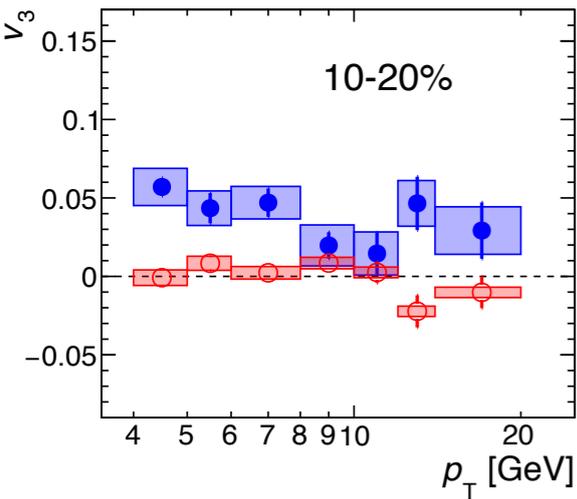
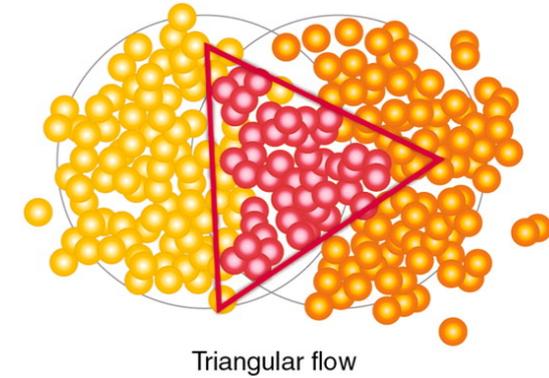
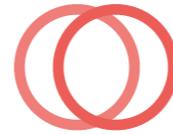
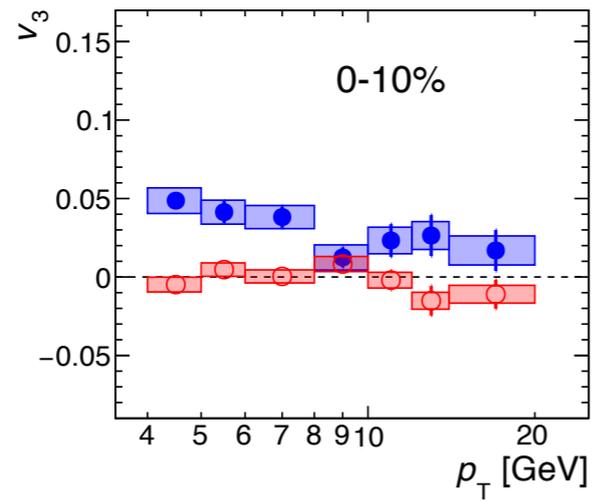


- Non-zero  $v_2$  for both charm and bottom muons
- **charm  $v_2 >$  bottom  $v_2$**

# Charm and bottom $v_3$

ATLAS-CONF-2019-053

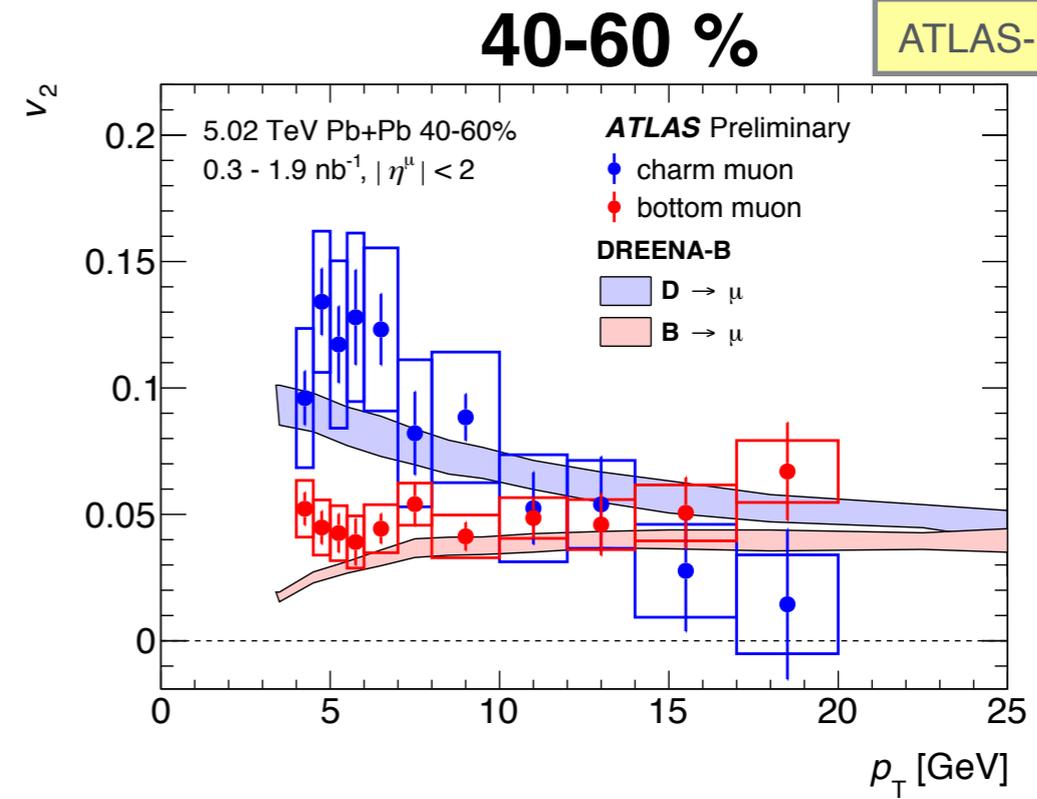
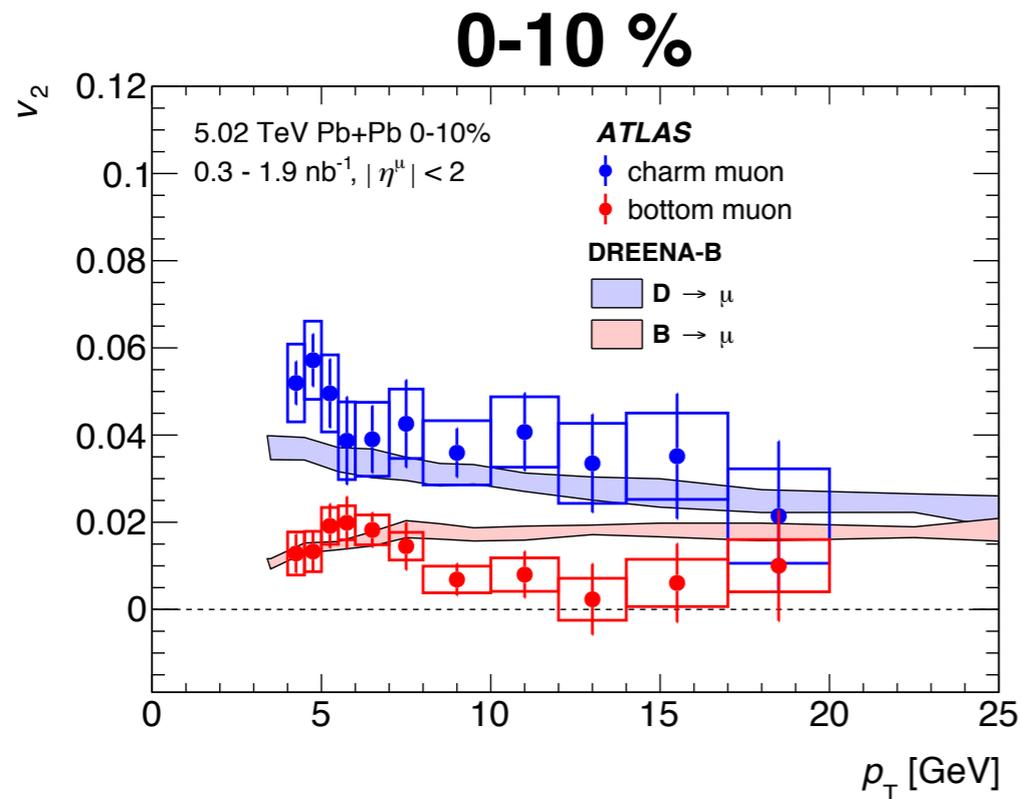
**ATLAS Preliminary**  
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 0.3 - 1.9 nb<sup>-1</sup>  
 $|\eta^{\mu}| < 2$   
 • charm muon  
 ◊ bottom muon



- Non-zero **charm  $v_3$**
- **bottom  $v_3 \sim 0$**
- No clear centrality dependence

# Comparison to models

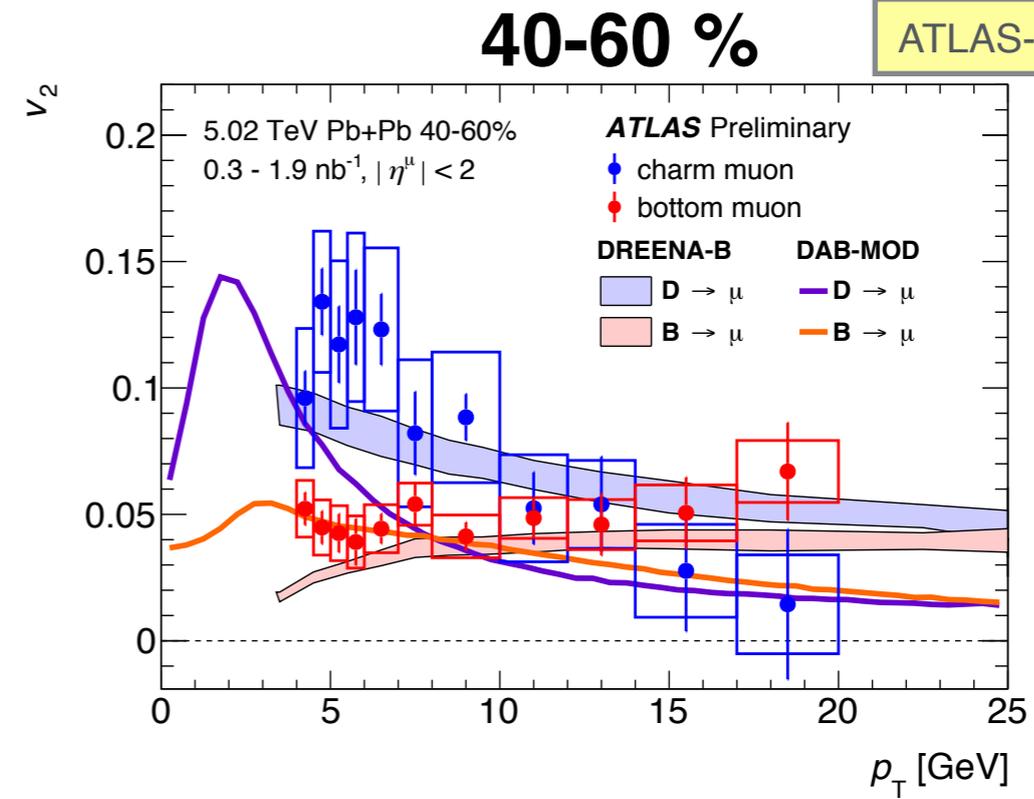
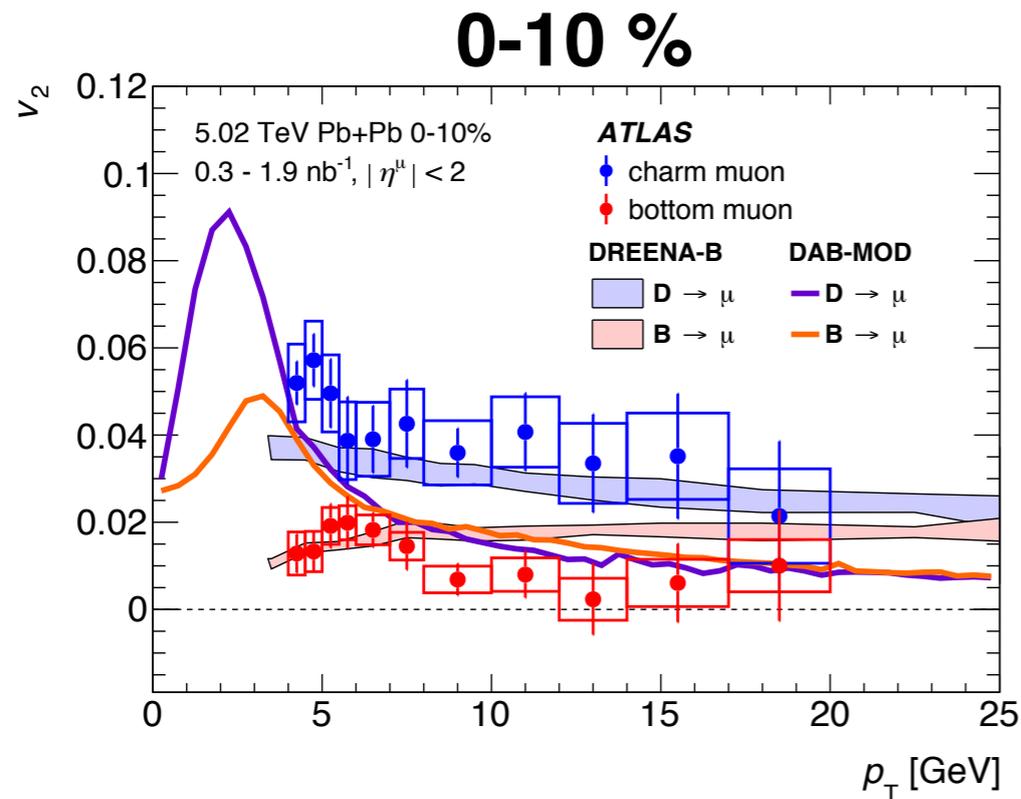
ATLAS-CONF-2019-053



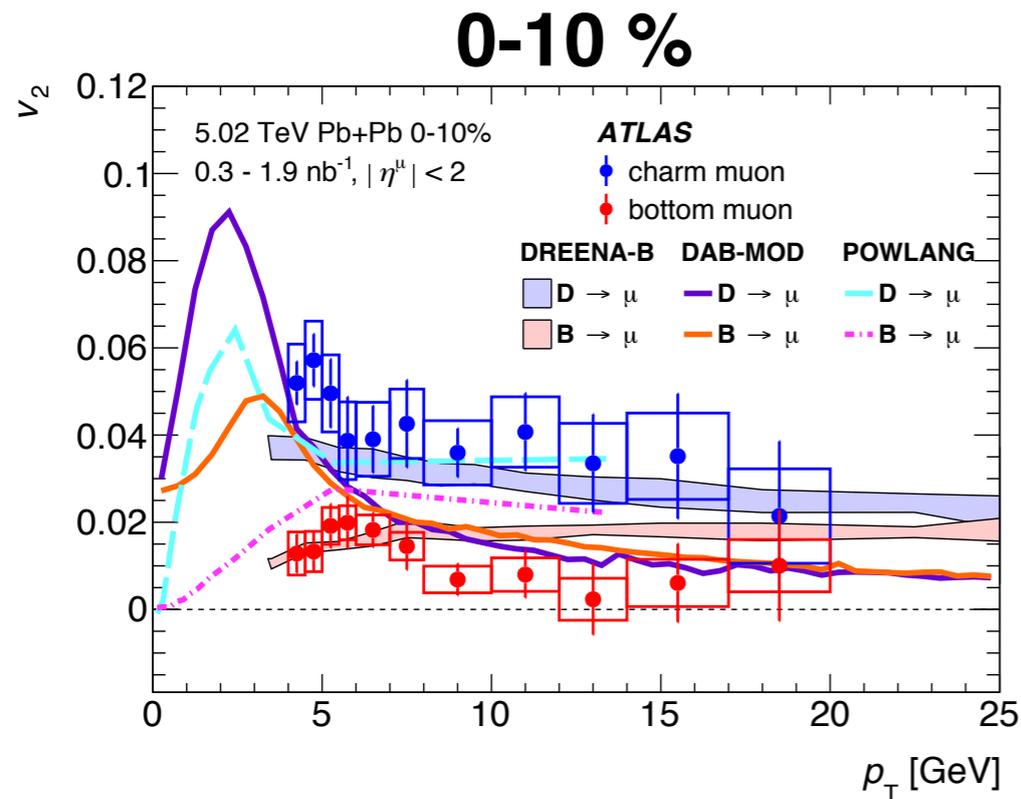
- **DREENA-B** PLB 791 (2019) 236
  - Radiative + collisional energy loss, 1+1D expansion
  - Describes charm and bottom  $v_2$

# Comparison to models

ATLAS-CONF-2019-053



- **DREENA-B** [PLB 791 \(2019\) 236](#)
  - Radiative + collisional energy loss, 1+1D expansion
  - Describes charm and bottom  $v_2$
- **DAB-MOD** [arXiv:1906.10768](#)
  - Langevin dynamics with  $D_s(2\pi T) = 2.23$  and  $2.79$ , no energy loss, 2+1D expansion
  - Underestimates charm  $v_2$



- **DREENA-B** PLB 791 (2019) 236
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  - Underestimates charm  $v_2$
- **PWOLANG** JHEP 02 (2018) 043
  - Langevin dynamics with  $D_s(2\pi T) = 3$ , collisional energy loss, 2+1D expansion
  - Overpredicts bottom  $v_2$

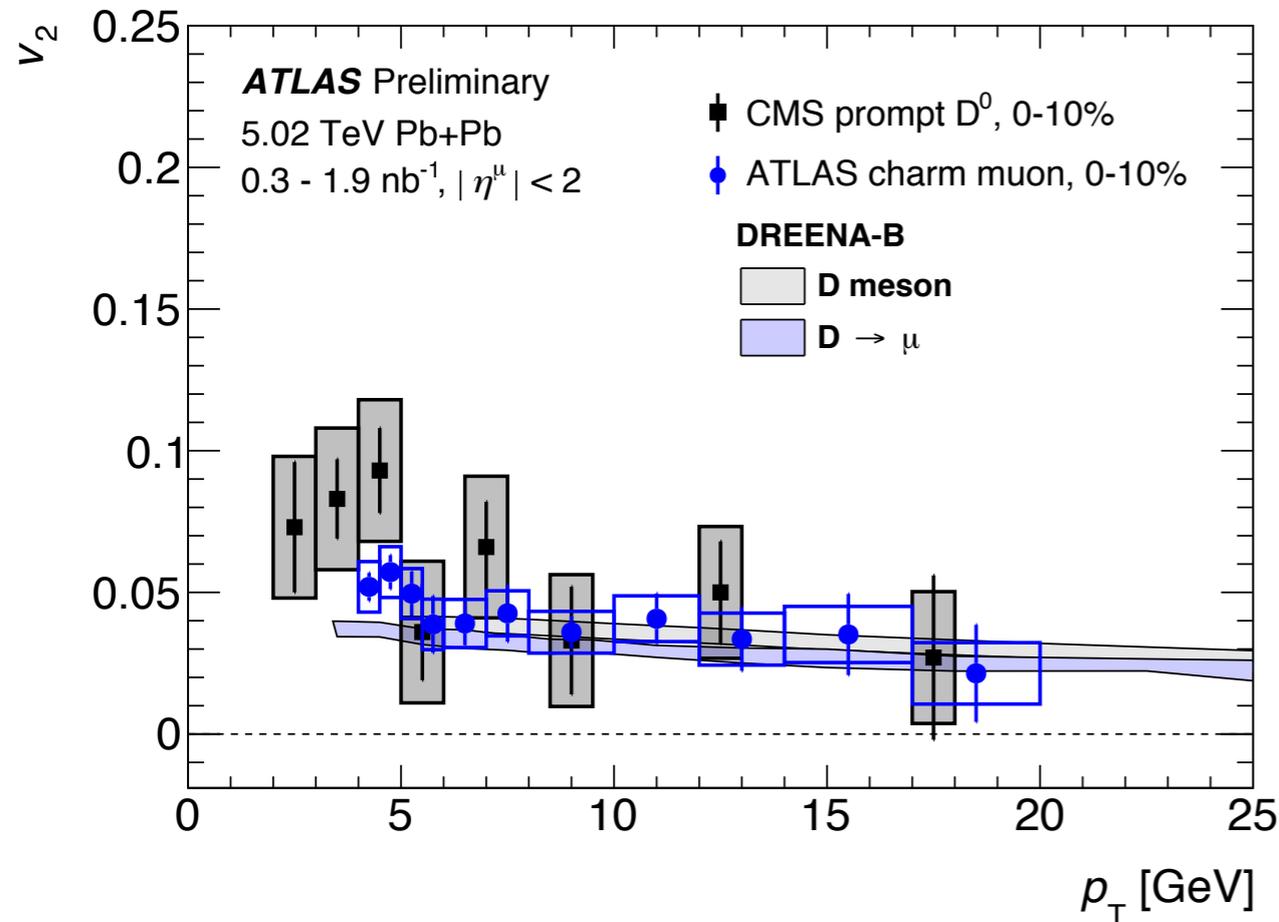
**Radiative energy loss is playing an important role?**

# Comparison with CMS $D^0$

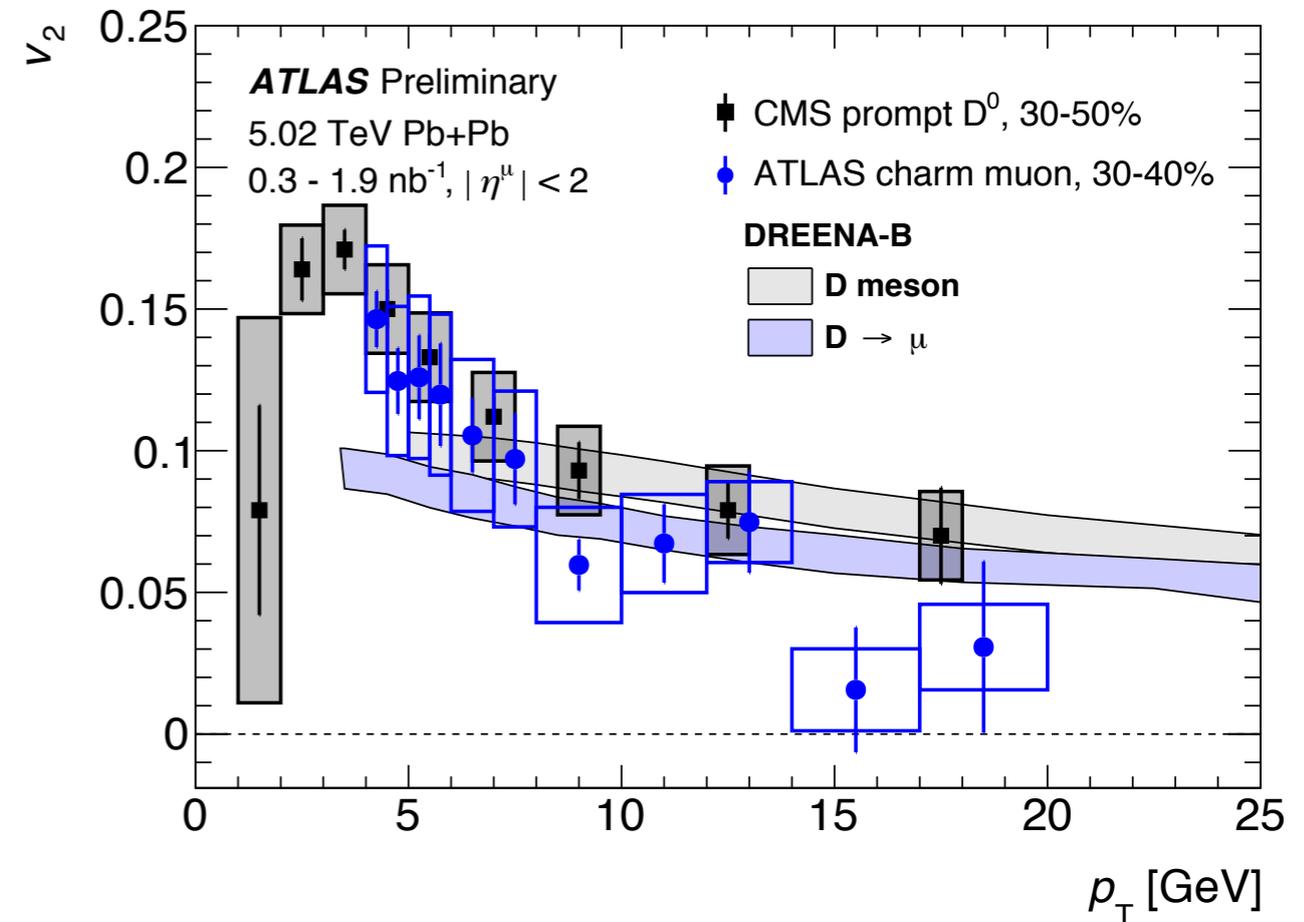
ATLAS-CONF-2019-053

CMS: PRL 120 (2018) 202301

## 0-10 %



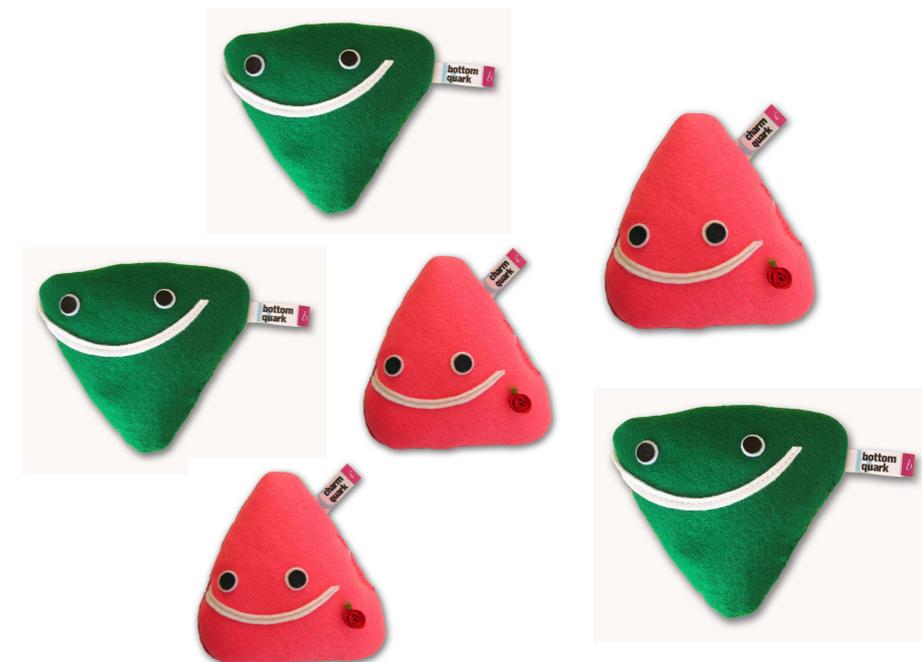
## 30-40 %



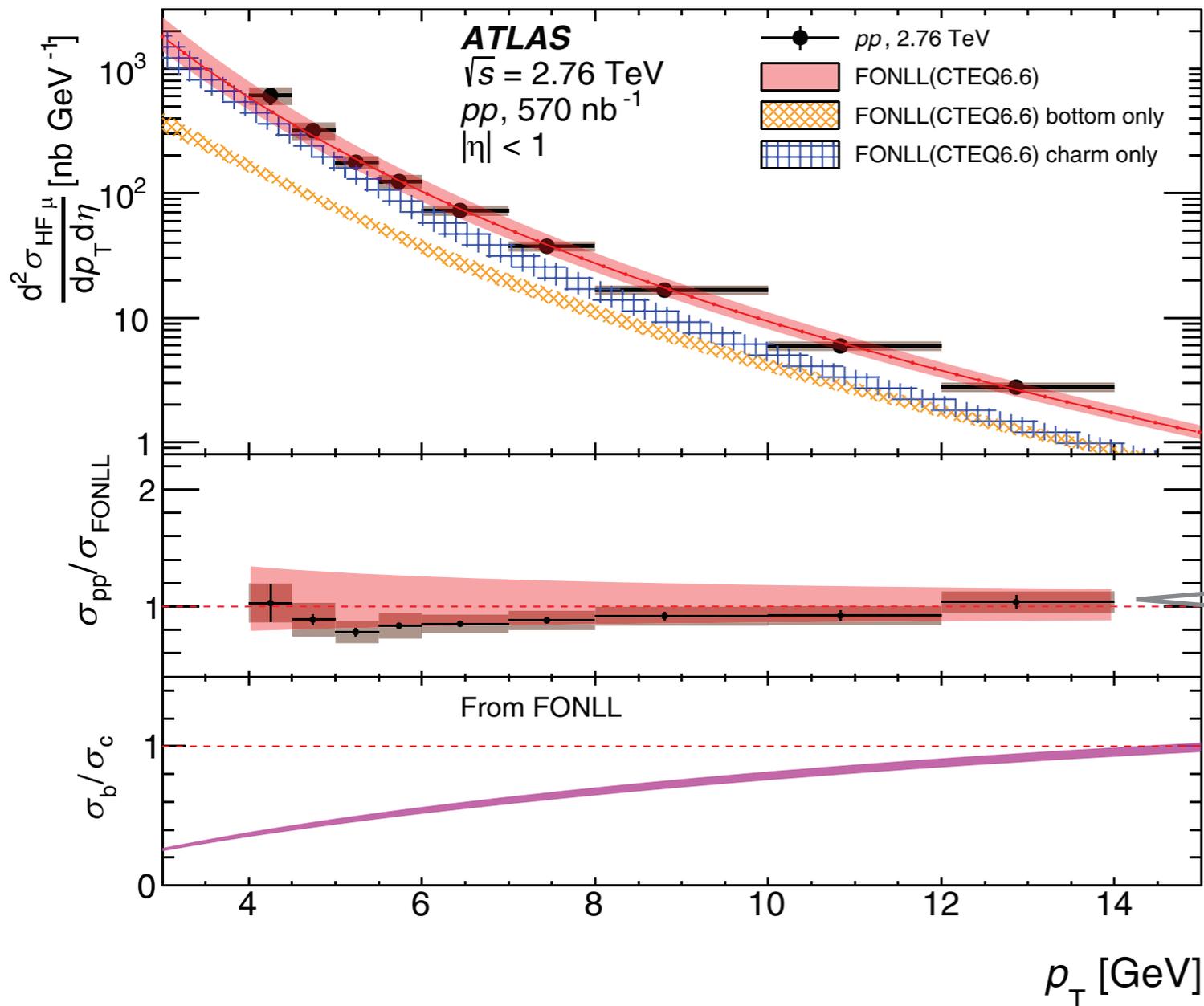
- Results agree with each other (N.B. a shift downward in  $p_T$  for HF muons)
- Charm muons give a better precision compared to D mesons

# HF muons $R_{AA}$ in Pb+Pb at 2.76 TeV

Ok, heavy quarks interact with medium.  
What about their yields?



# pp cross-sections as a baseline



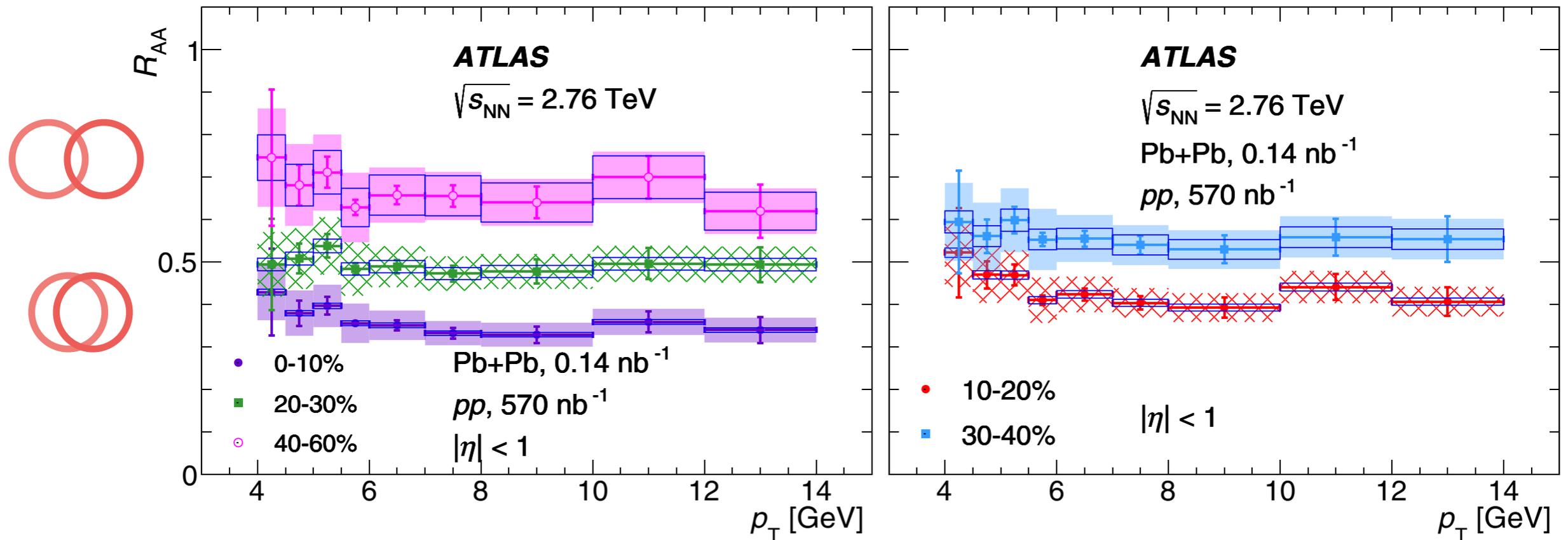
## FONLL uncertainties

- Renormalisation and factorization scale ( $\sim 35\%$  at low  $p_T$ )
- Heavy quark mass ( $\sim 9\%$  at low  $p_T$ )
- PDF-related ( $< 8\%$ )
- Value of  $\alpha_s$  ( $\sim 1\%$ )
- Fragmentation function ( $< 5\%$ )

- Inclusive cross section without separating charm and bottom muons
- pp cross-section agrees with the FONLL calculations using CTEQ6.6 PDFs
- Relative contributions of b quark increases monotonically with muon  $p_T$

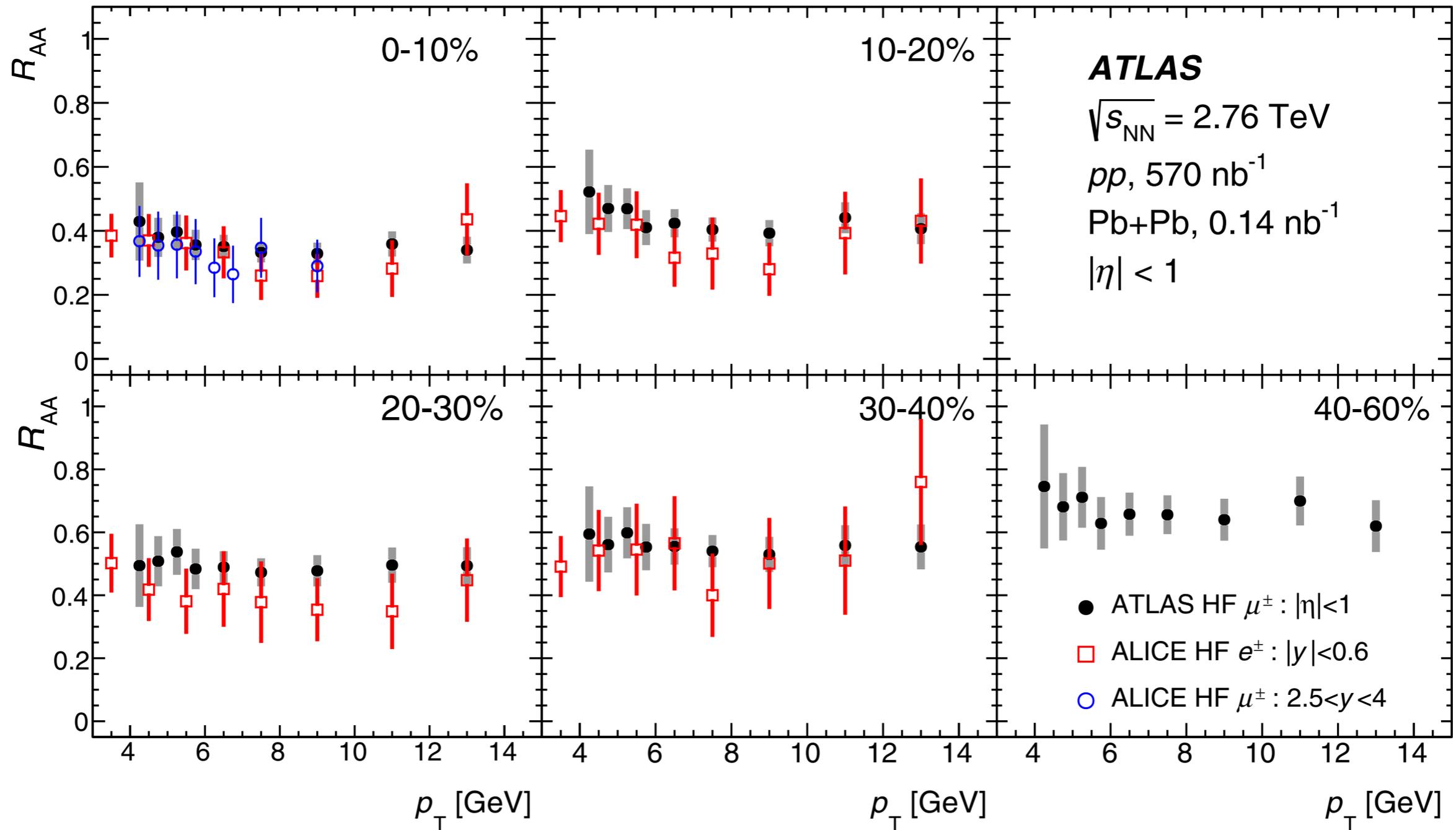
# HF muons $R_{AA}$ vs. $p_T$

PRC 98 (2018) 044905



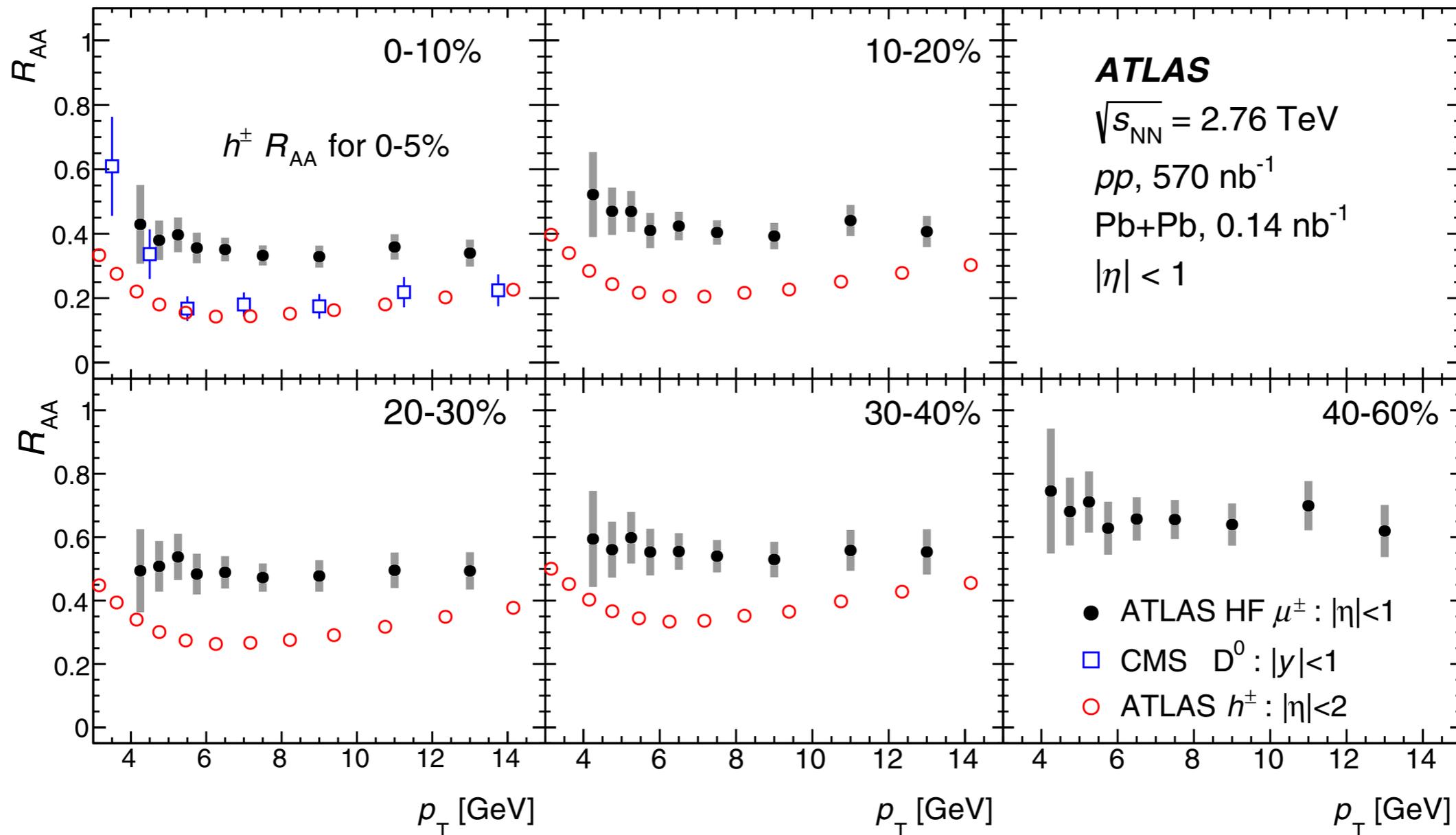
- Clear centrality dependence ( $R_{AA} \sim 0.35$  at most central 0-10%)
- No  $p_T$  dependence within uncertainties
  - Suppression of charm and bottom is expected to be different
  - Contribution of charm and bottom to cross-sections changes with  $p_T$  in pp

# Comparison with ALICE



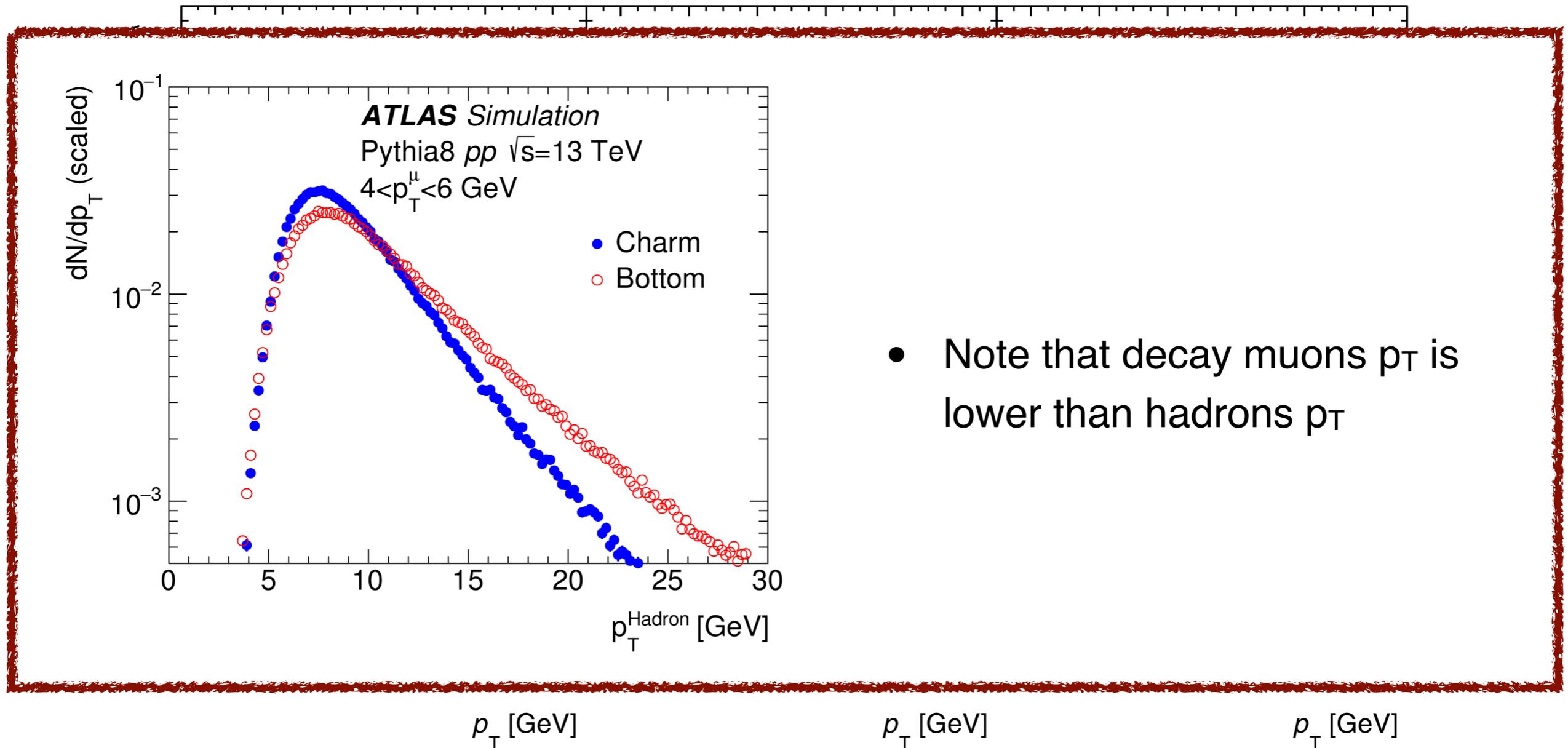
- Results are consistent with each other

# HF muons vs. $D^0$ vs. hadrons



- $D^0 R_{AA}$  (**c quarks**) is similar to hadrons  $R_{AA}$  (**light quarks**) at  $p_T > 5$  GeV
- Heavy-flavor muons (**c + b quarks**)  $R_{AA}$  is larger than hadrons  $R_{AA}$ 
  - Implies less suppression for muons from bottomons

# HF muons vs. $D^0$ vs. hadrons

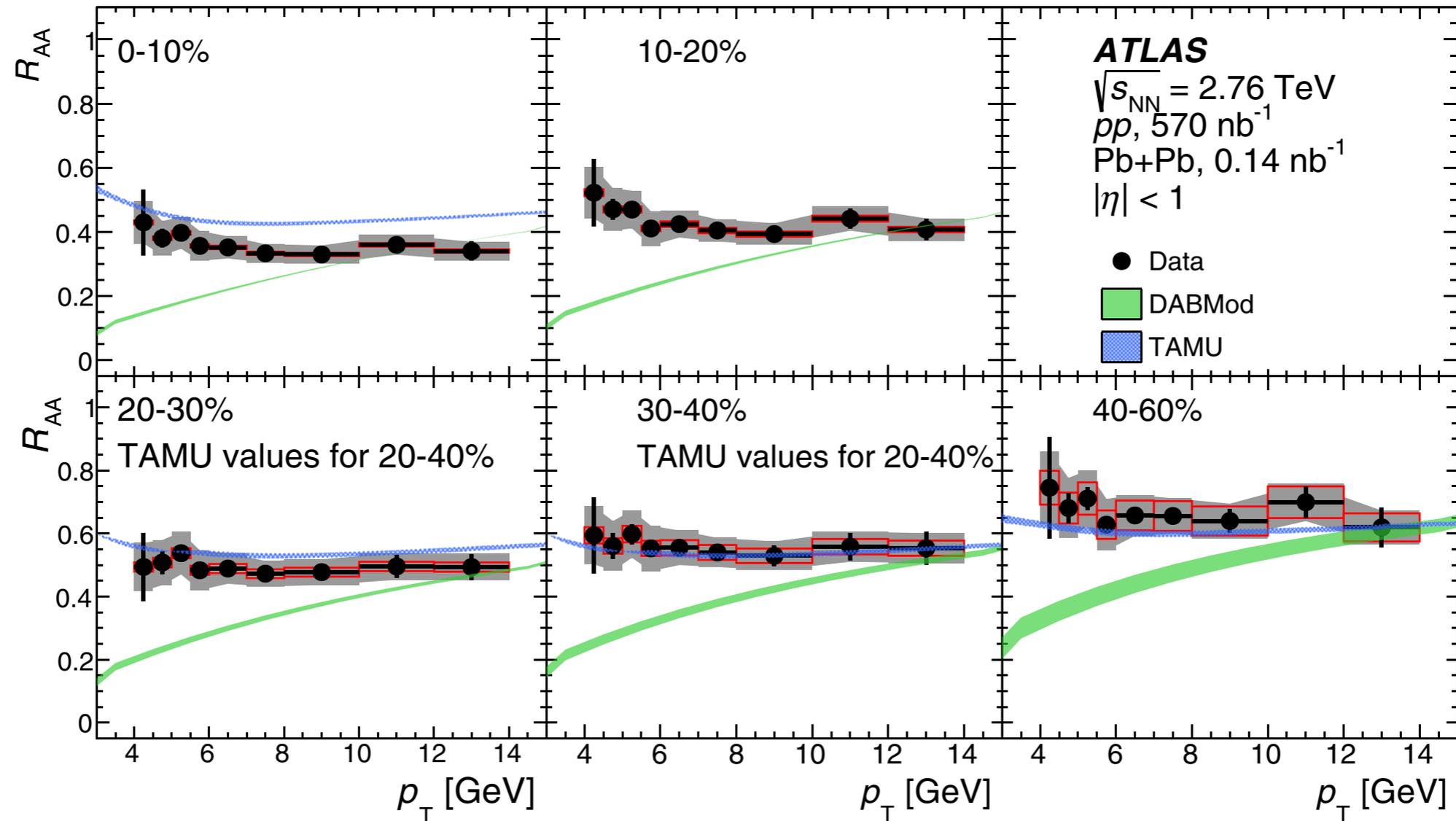


- Note that decay muons  $p_T$  is lower than hadrons  $p_T$

- $D^0$   $R_{AA}$  (**c quarks**) is similar to hadrons  $R_{AA}$  (**light quarks**) at  $p_T > 5$  GeV
- Heavy-flavor muons (**c + b quarks**)  $R_{AA}$  is larger than hadrons  $R_{AA}$ 
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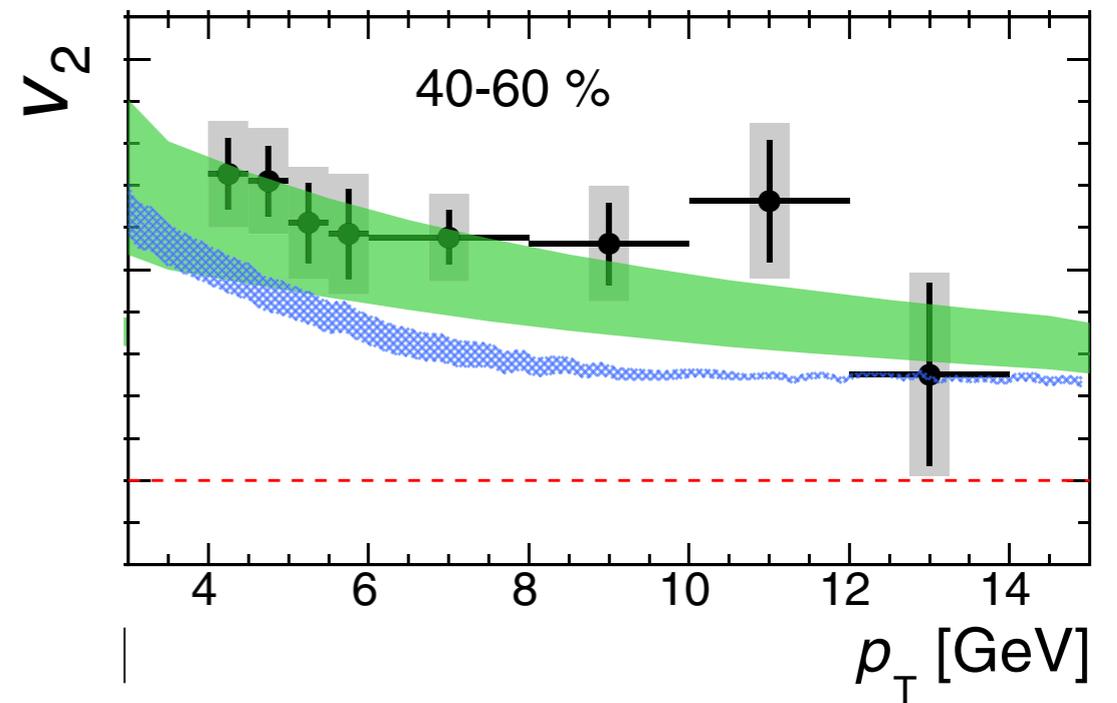
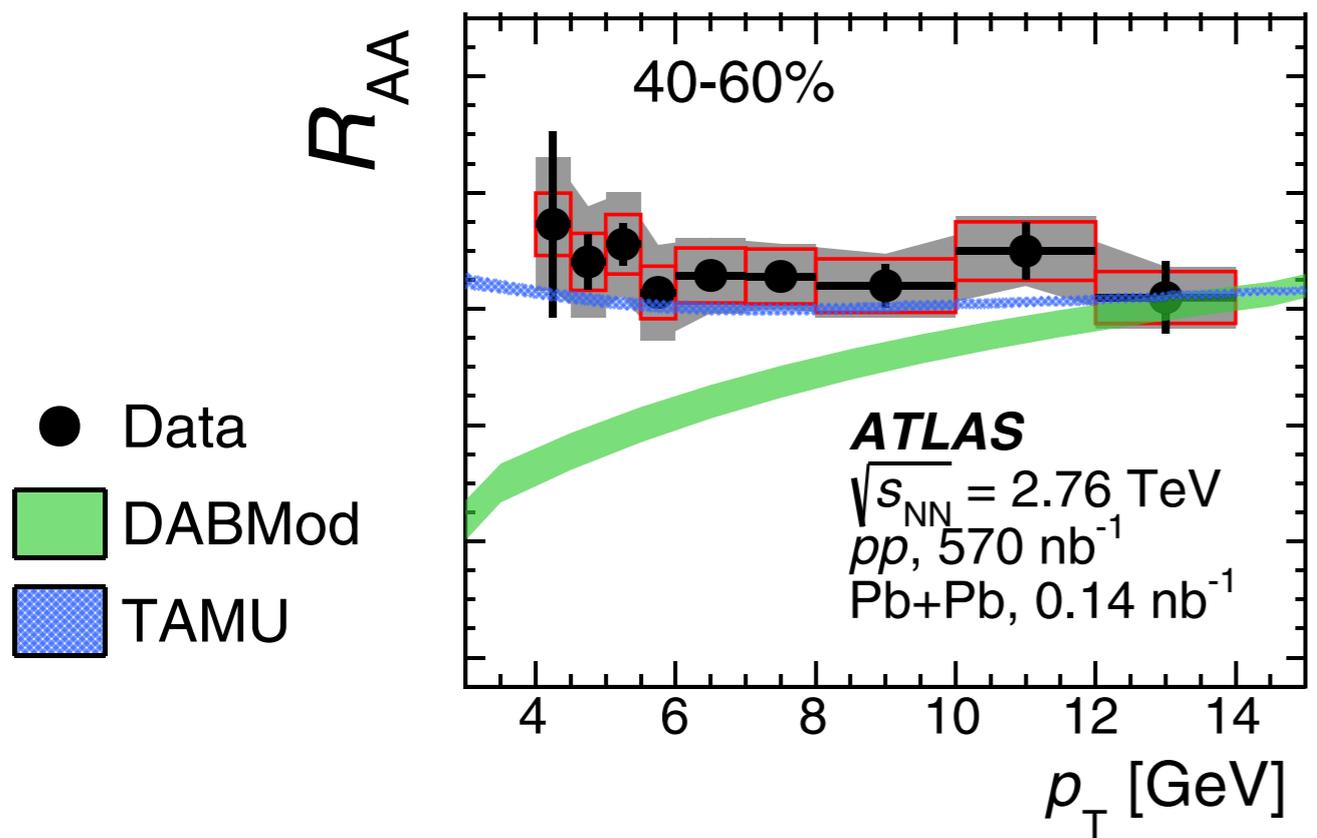
# Comparison to models

PRC 98 (2018) 044905



- **TAMU** PLB 735 (2014) 445
  - Describes many features of the data well
- **DABMod** PRC 96 (2017) 064903
  - Only reproduces  $p_T > 12$  GeV

PRC 98 (2018) 044905



- **TAMU** PLB 735 (2014) 445
  - describes the suppression well but underestimate flow
- **DABMod** PRC 96 (2017) 064903
  - matches flow results well but overestimate the suppression at low  $p_T$
  - Event-by-event fluctuations are expected to increase  $v_2$

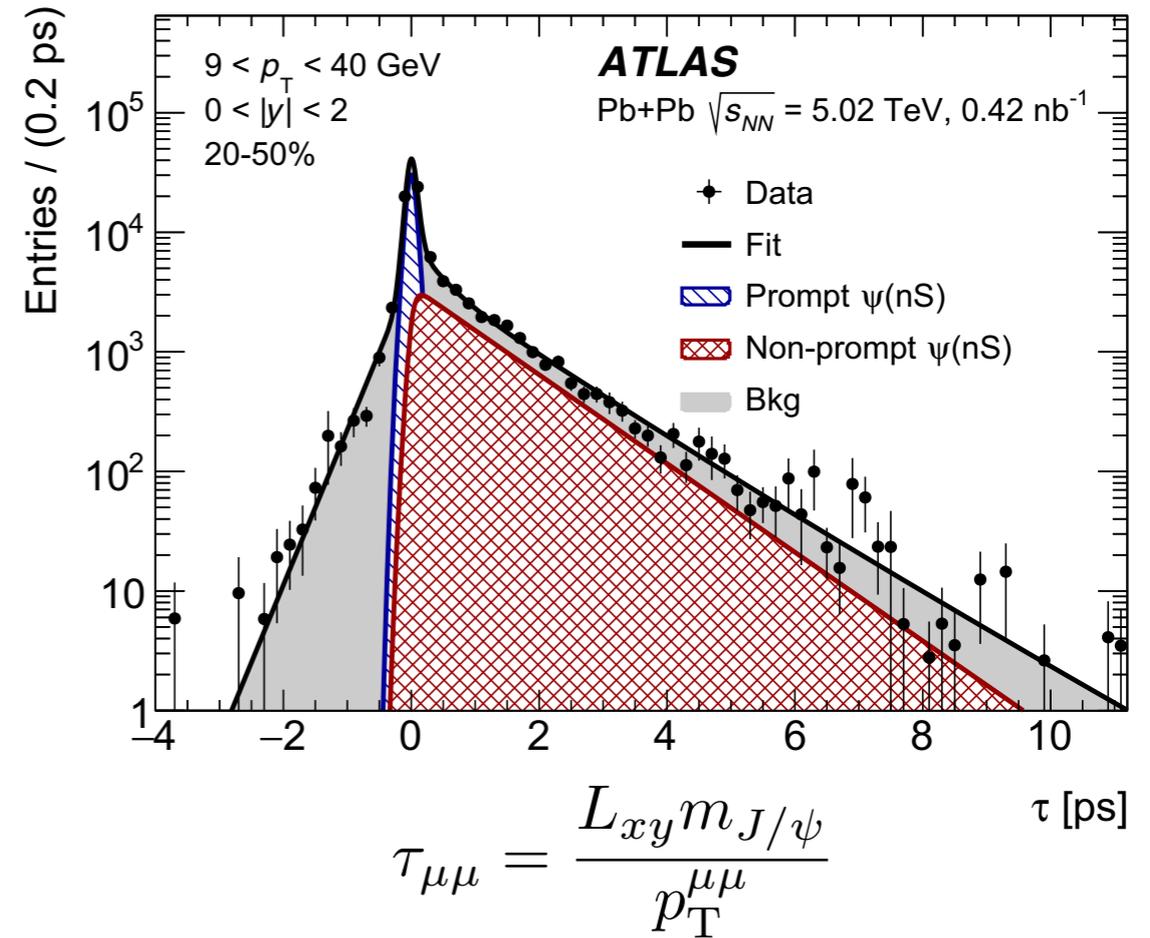
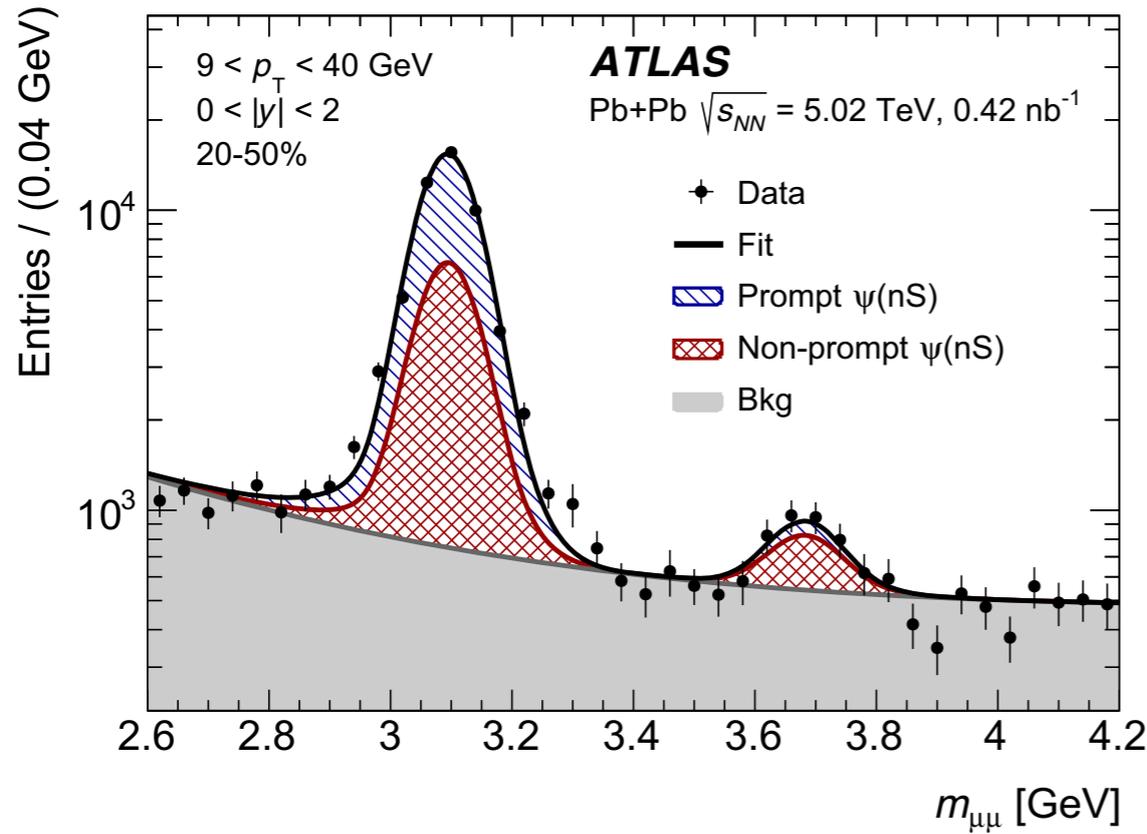
**A simultaneous description of  $R_{AA}$  and  $v_2$  is challenging!**

# Nonprompt $J/\psi$ $R_{AA}$ and flow in Pb+Pb at 5.02 TeV

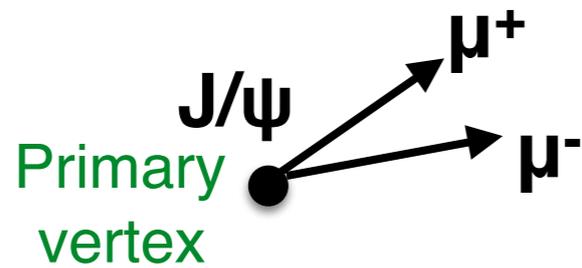
An indirect way of investigating  
bottom quarks!



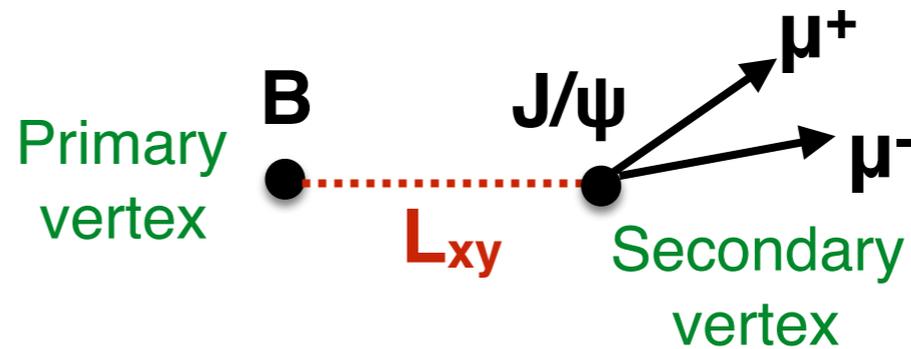
# Prompt vs. nonprompt J/ψ



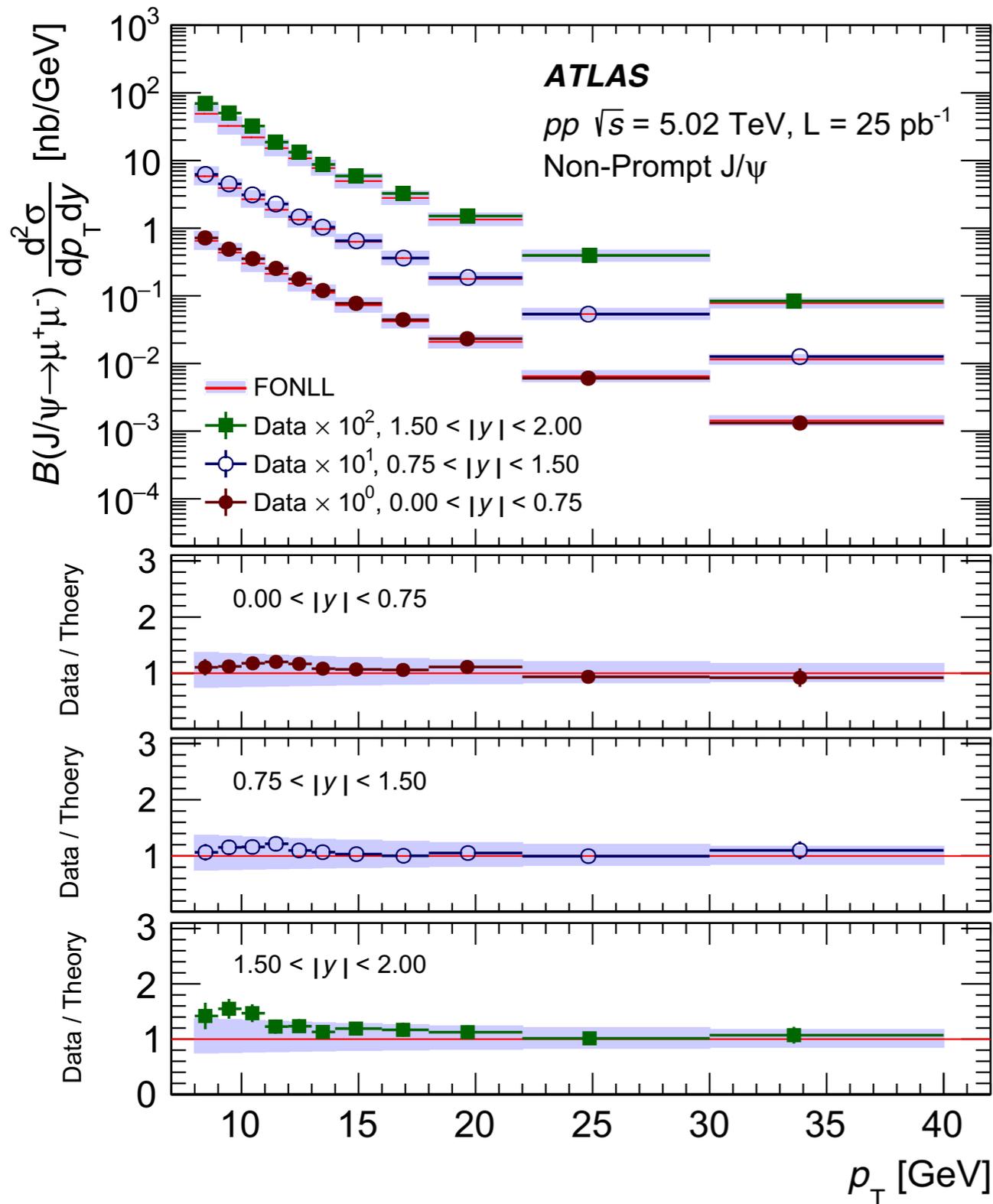
- Separation of **prompt** and **nonprompt** using pseudo-proper decay time  $\tau$



[prompt]

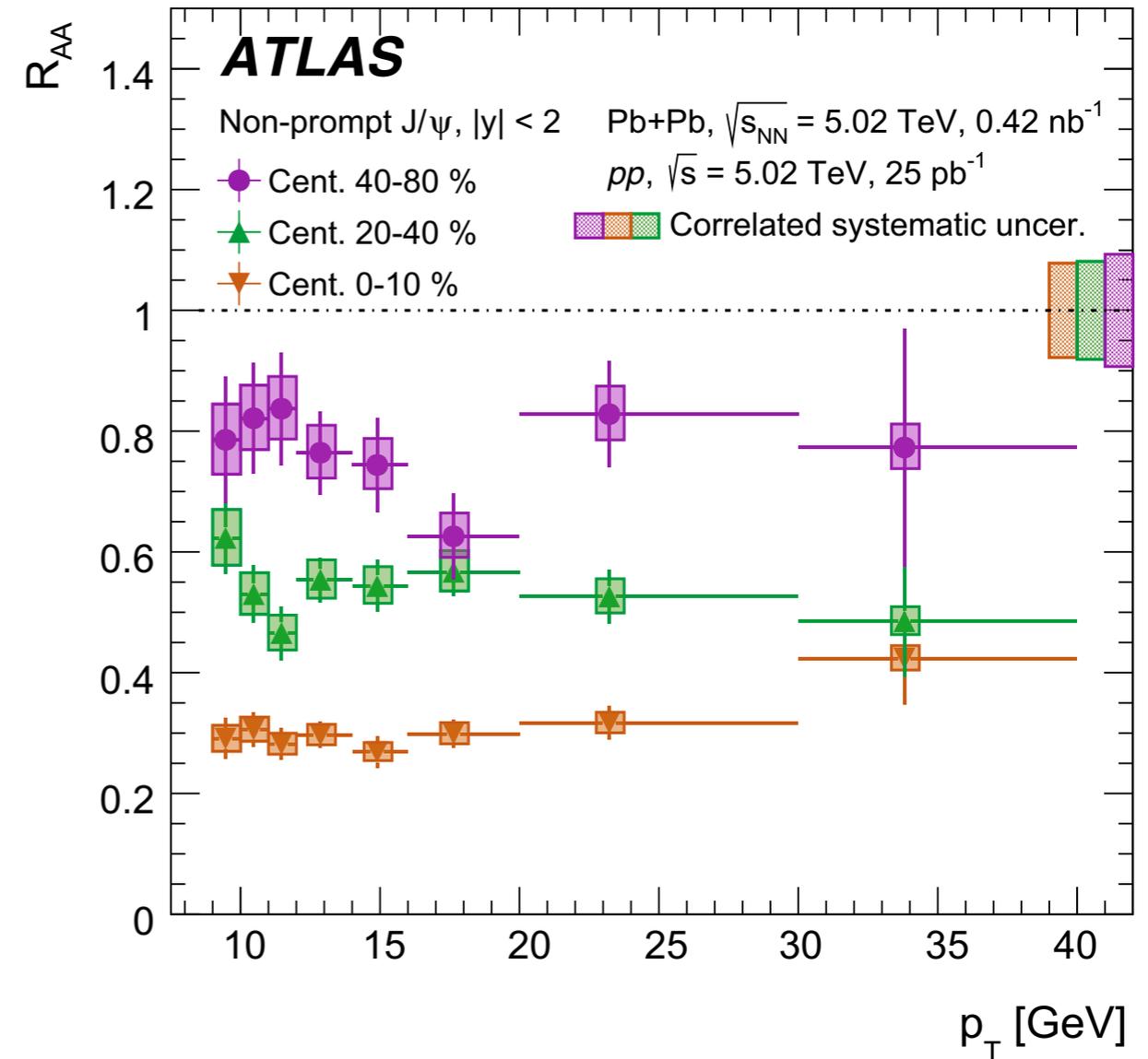
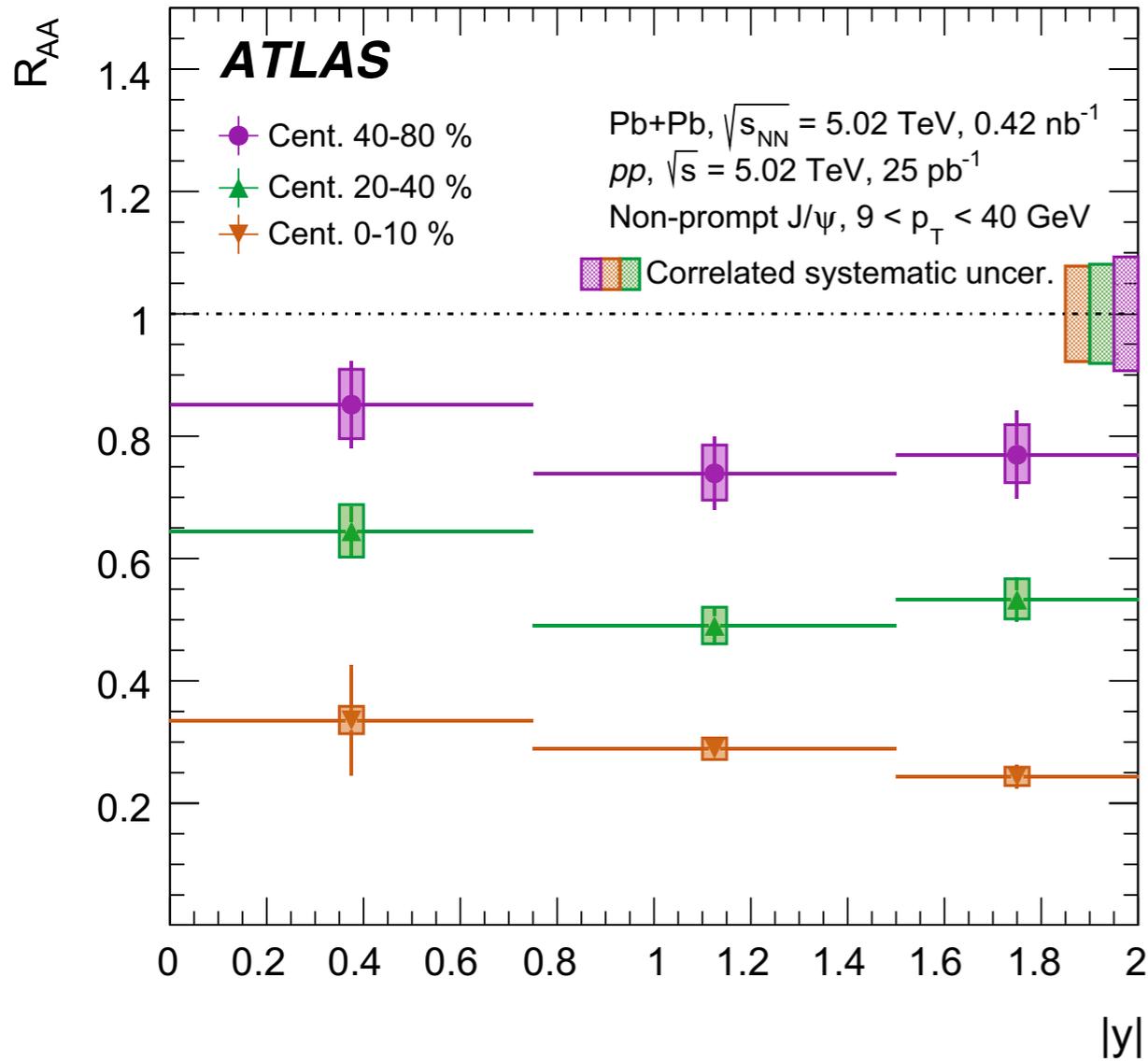


[Nonprompt]



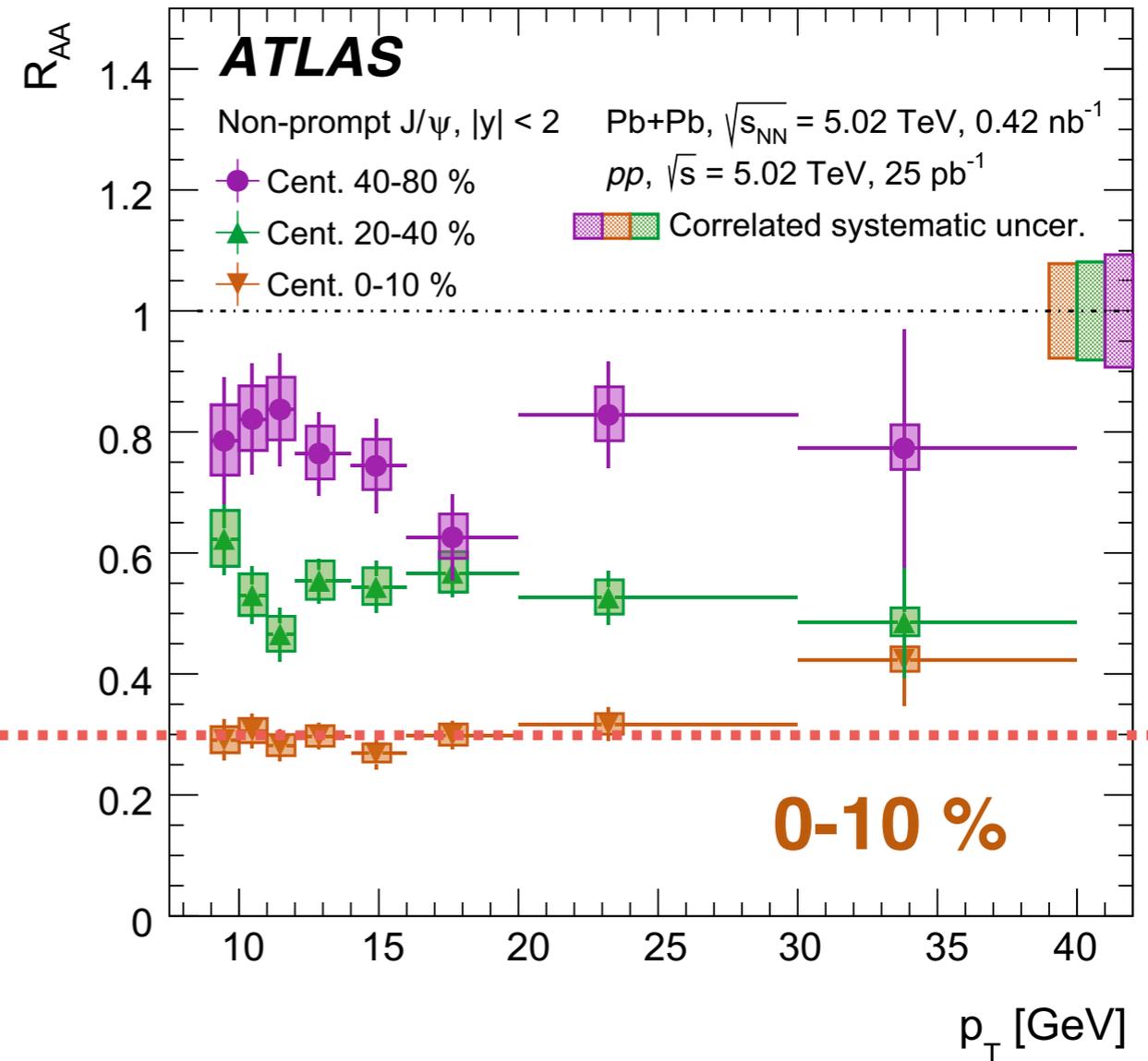
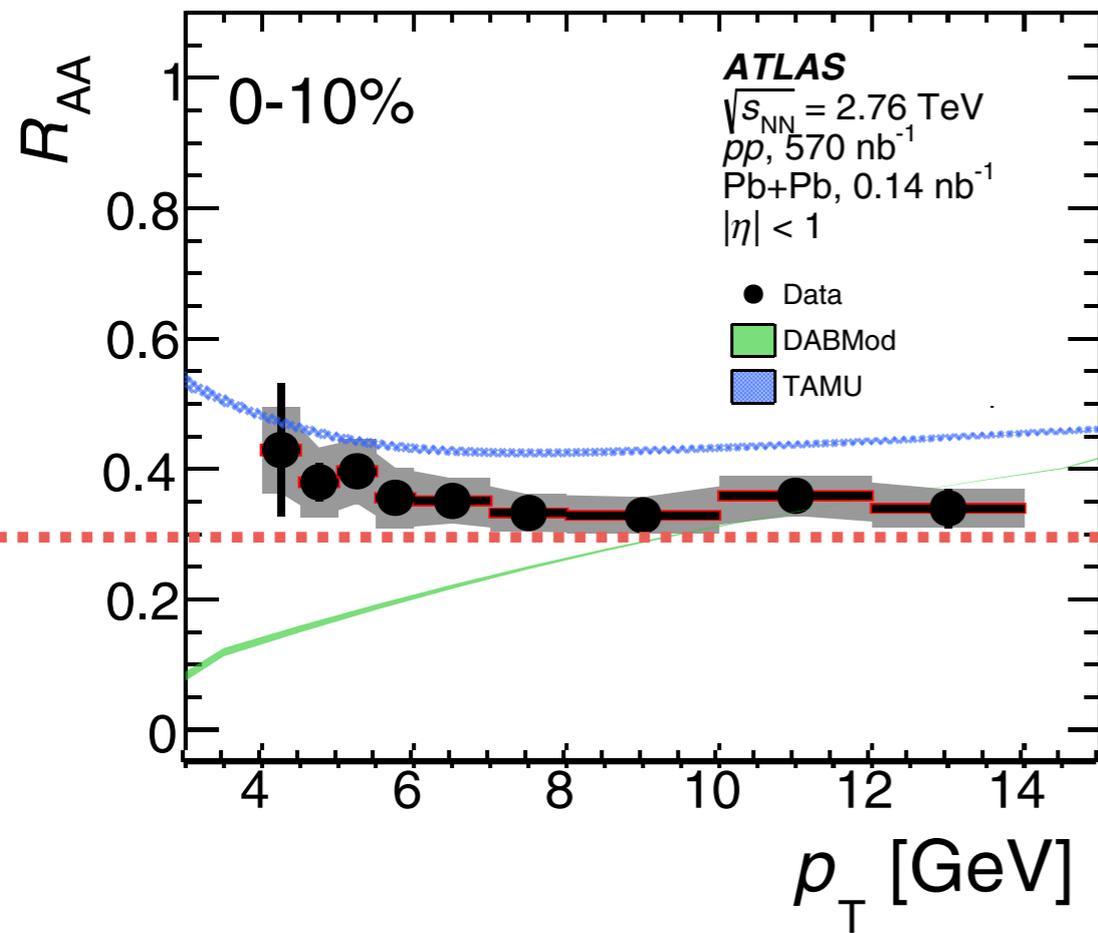
- Good agreements with FONLL predictions over the  $p_T$  range

# Nonprompt J/ψ R<sub>AA</sub>

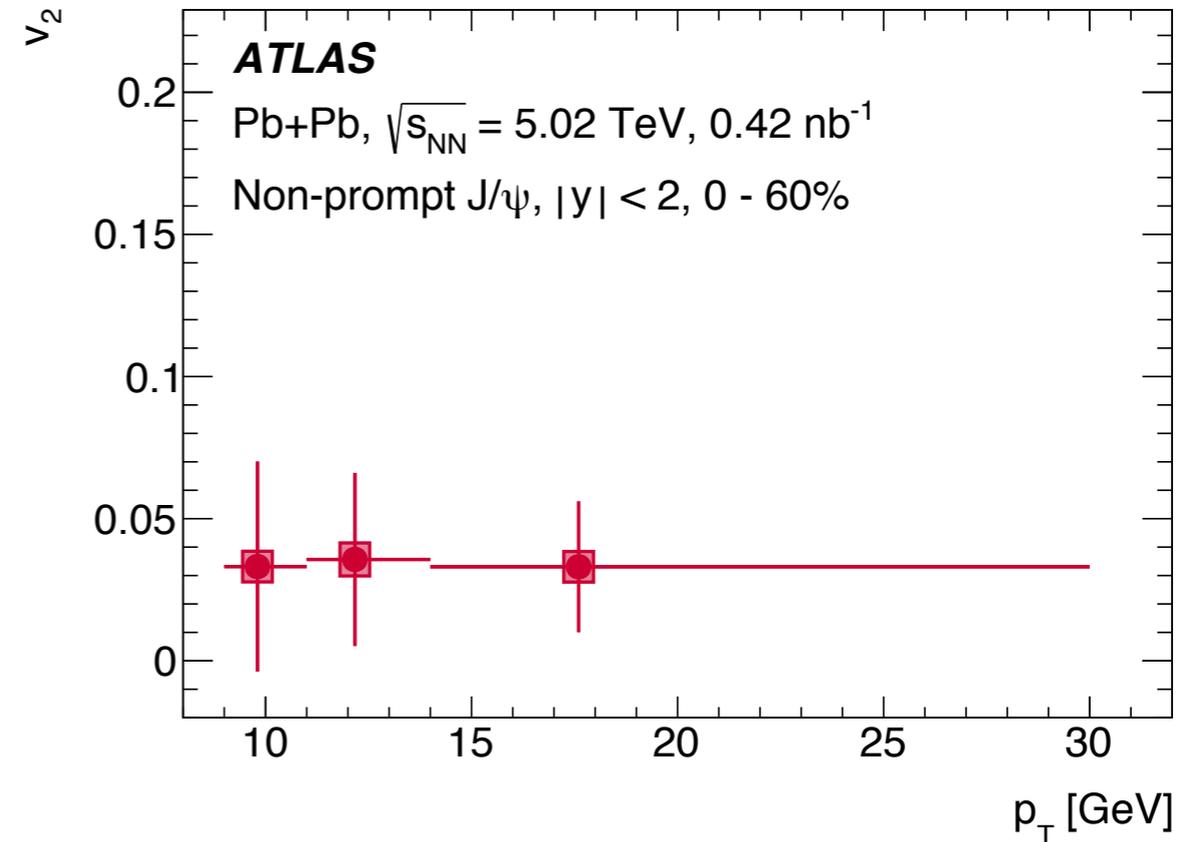
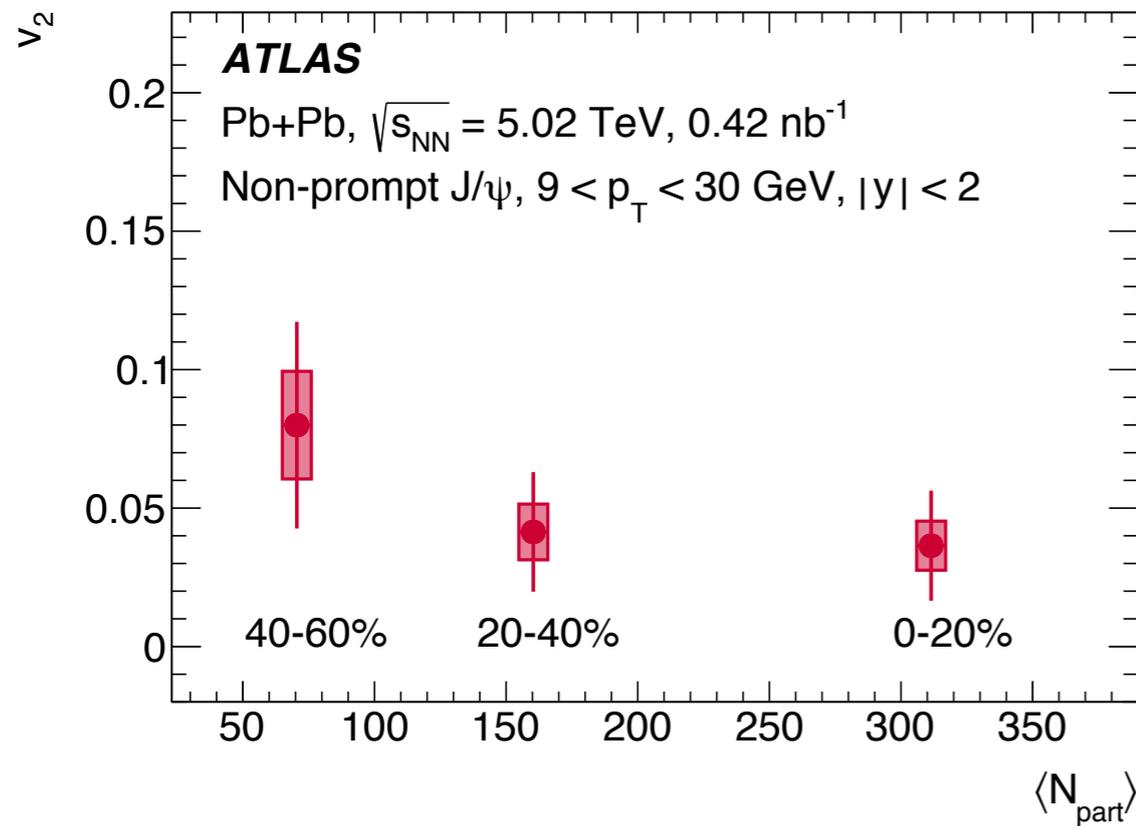


- Stronger suppression for more central collisions
- No clear  $p_T$  or rapidity dependence

# Nonprompt J/ψ vs. HF muons

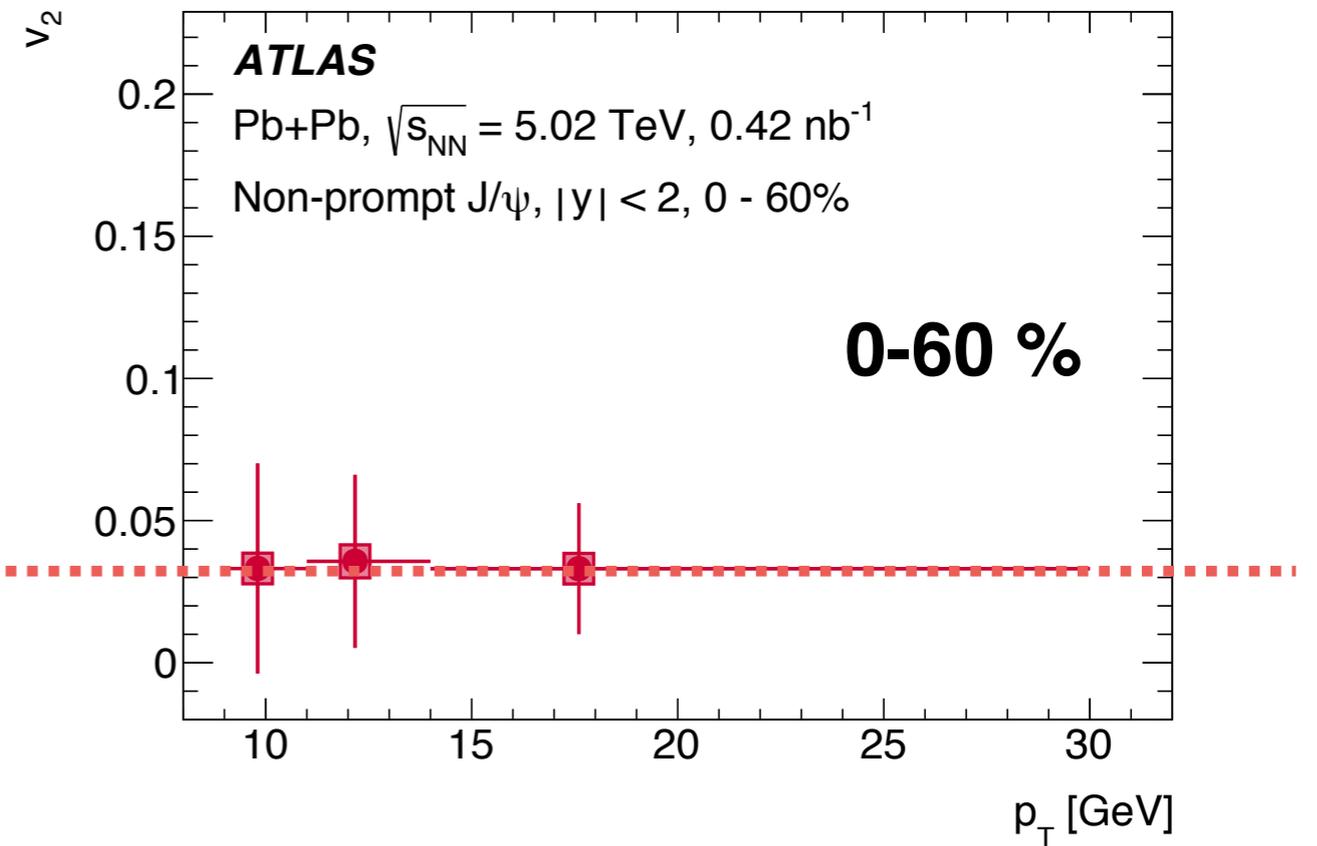
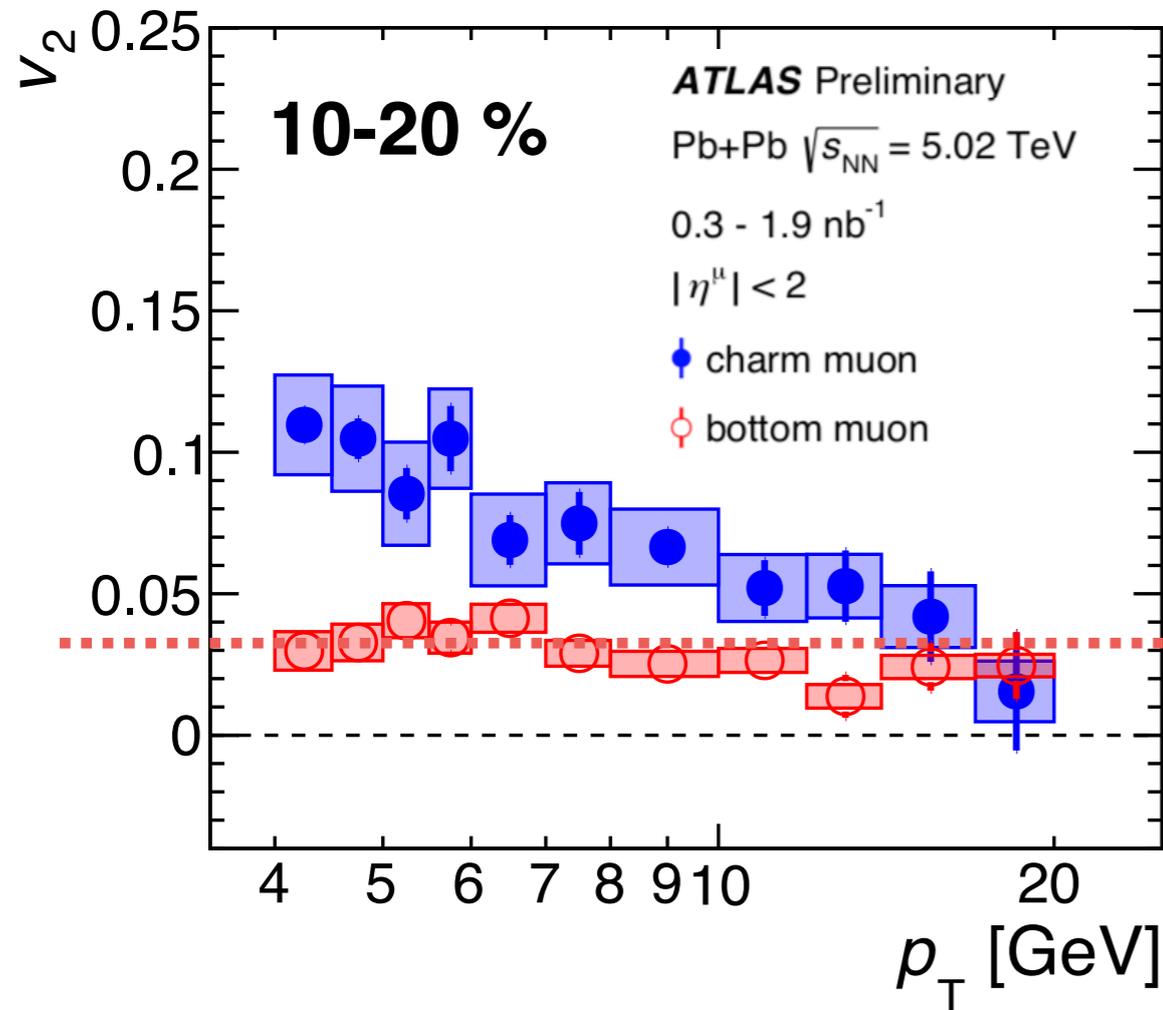


- Similar suppression of inclusive HF and nonprompt J/ψ at  $p_T > 9$  GeV



- $v_2$  extracted using event plane method
- Non-zero  $v_2$  observed in the kinematic range investigated
- No significant centrality or  $p_T$  dependence

# Nonprompt J/ $\psi$ vs. bottom muons



- Nonprompt J/ $\psi$   $v_2$  are in good agreement with bottom muons  $v_2$  in overlapping  $p_T$  regions ( $9 < p_T < 20$  GeV)

# HF muons flow in pp at 13 TeV

**My 9-month-old small system**



**Small  
But  
Strong!**

What is happening  
in small system?

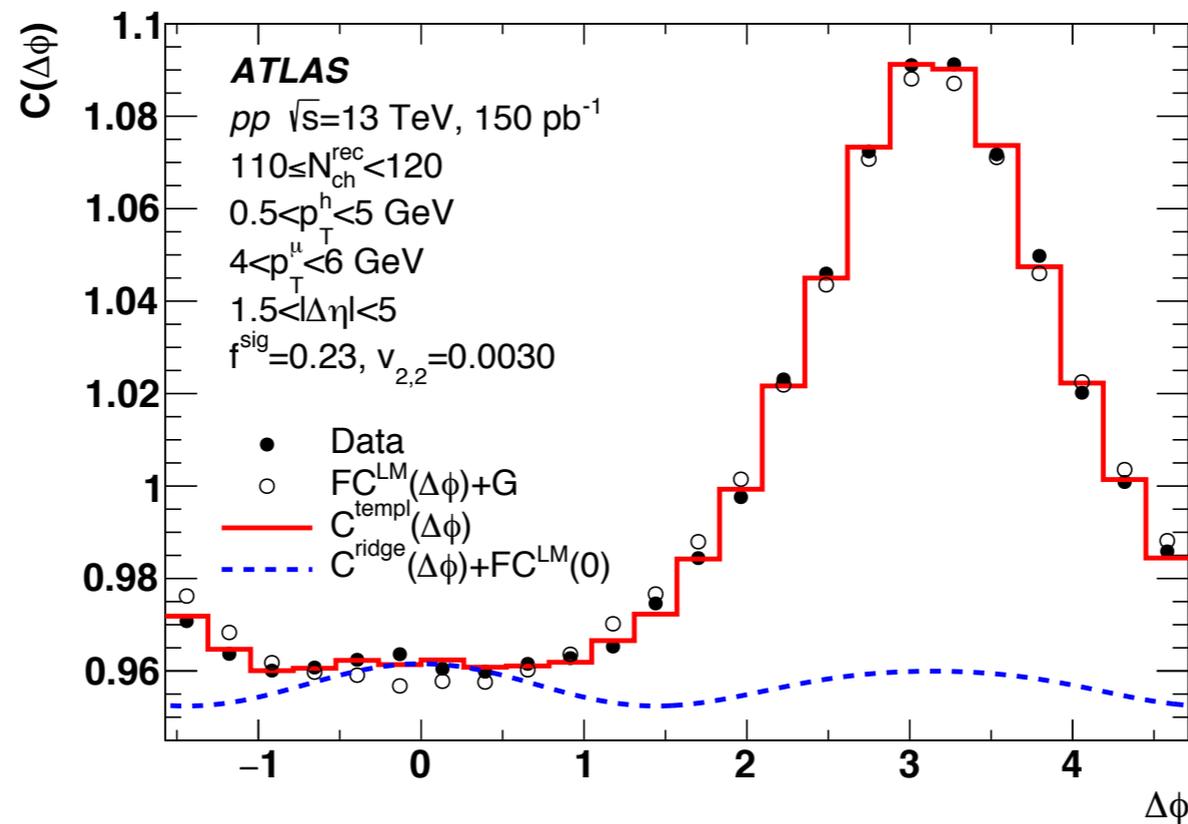
# Muon-hadron correlations

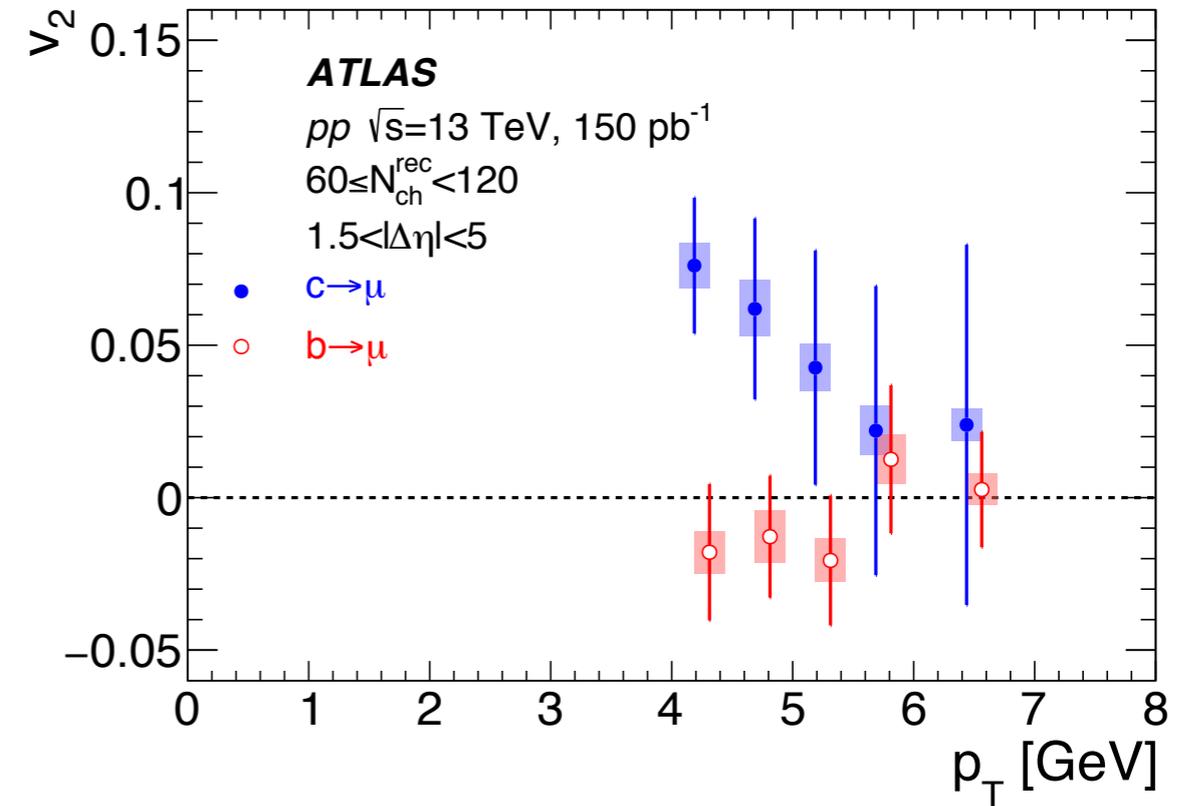
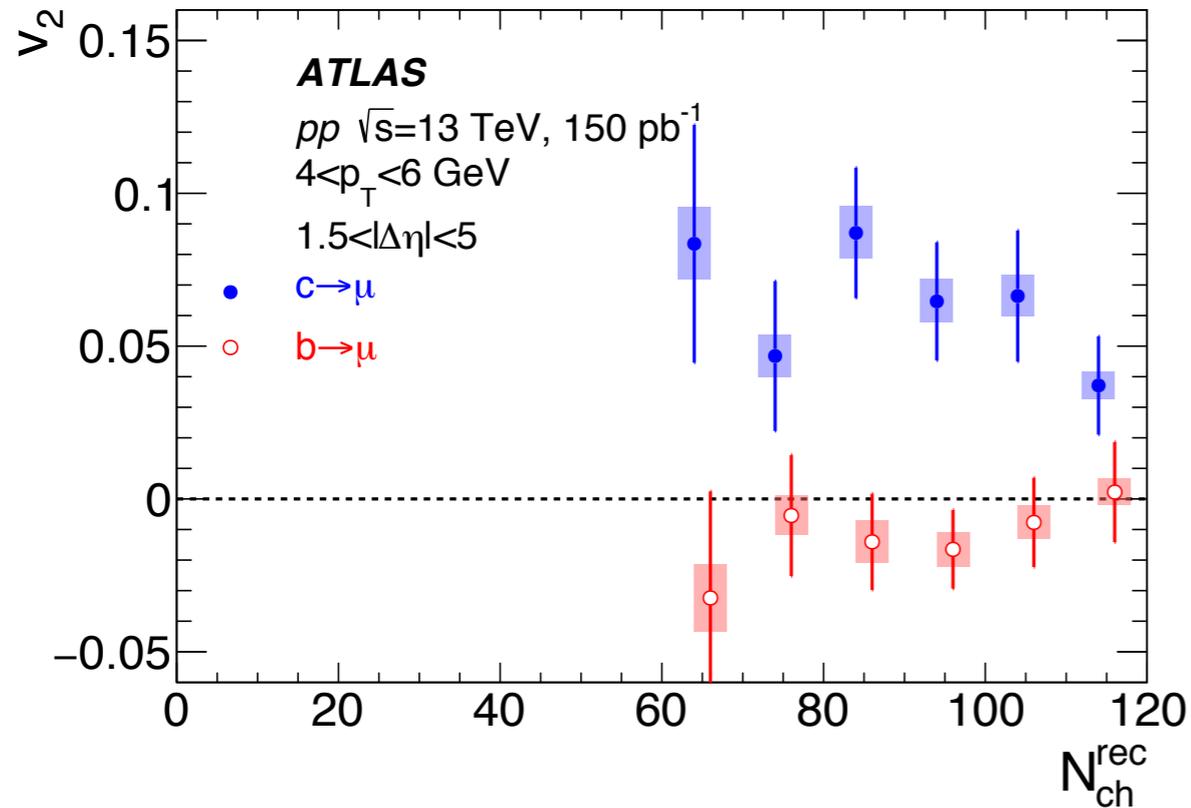
- $v_2$  extracted using two-particle correlation method
- Template fit method to subtract non-flow components
- Charm vs. bottom muon separated same as PbPb using  $d_0$

$$C^{\text{templ}}(\Delta\phi) = F \cdot C^{\text{LM}}(\Delta\phi) + C^{\text{ridge}}(\Delta\phi)$$

Low multiplicity events  
(dominated by non-flow)

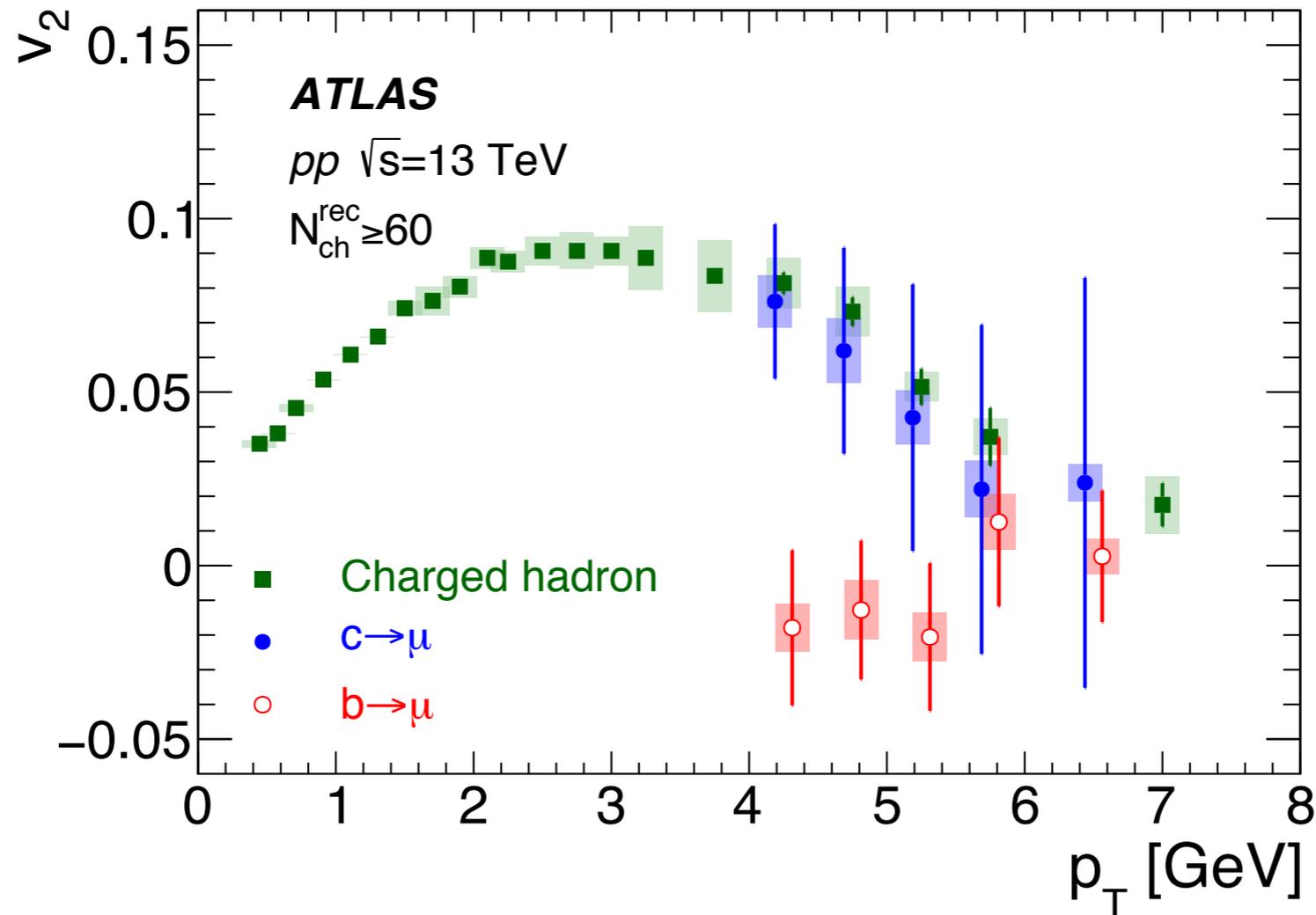
$$C^{\text{ridge}}(\Delta\phi) = G \left[ 1 + \sum_{n=2}^4 2v_{n,n} \cos(n\Delta\phi) \right]$$





- Significant nonzero  $v_2$  for **charm muons**
  - almost independent of multiplicity
  - Decreases with  $p_T$
- **bottom muons**  $v_2$  is consistent with zero!

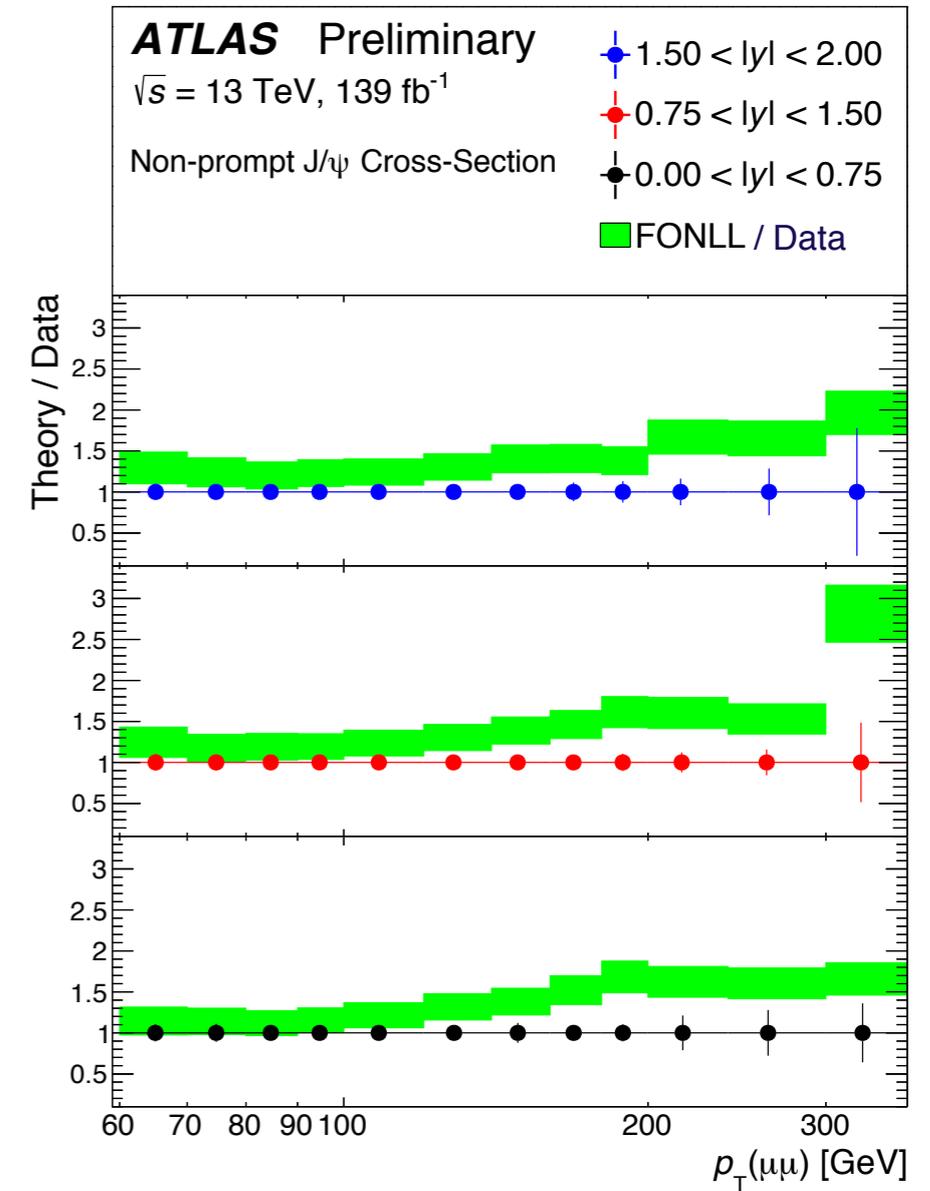
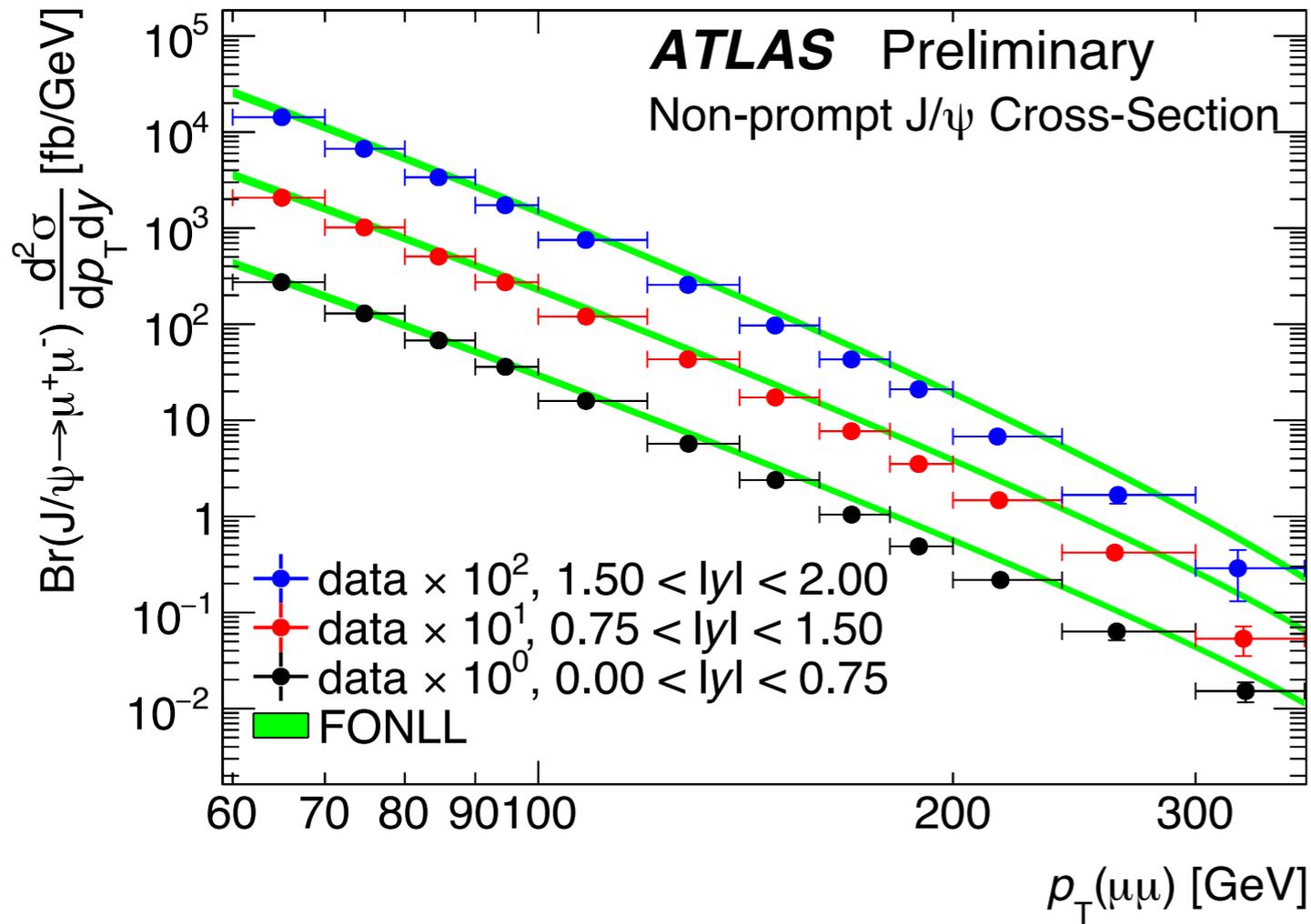
# Charm vs. bottom vs. light quarks



- **Charm  $v_2$**  is comparable to **light quarks  $v_2$**  while **bottom  $v_2$**  is zero
- Small QGP droplet in pp?
- Why charm and bottom quarks behave differently?
- No model/theory comparison available

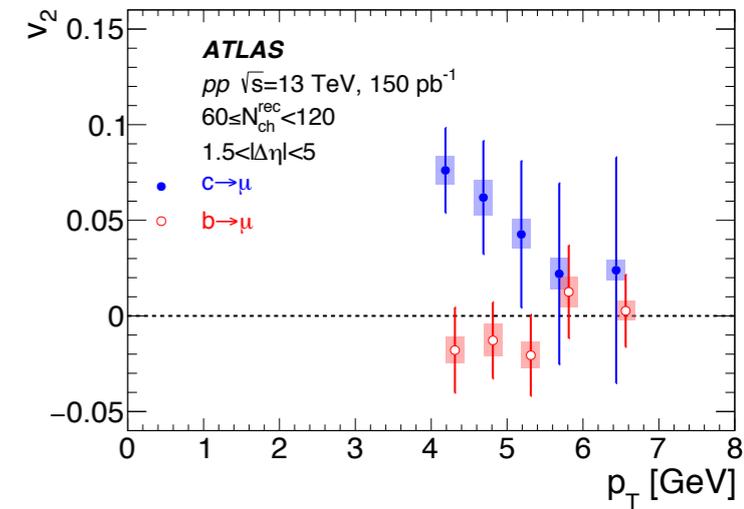
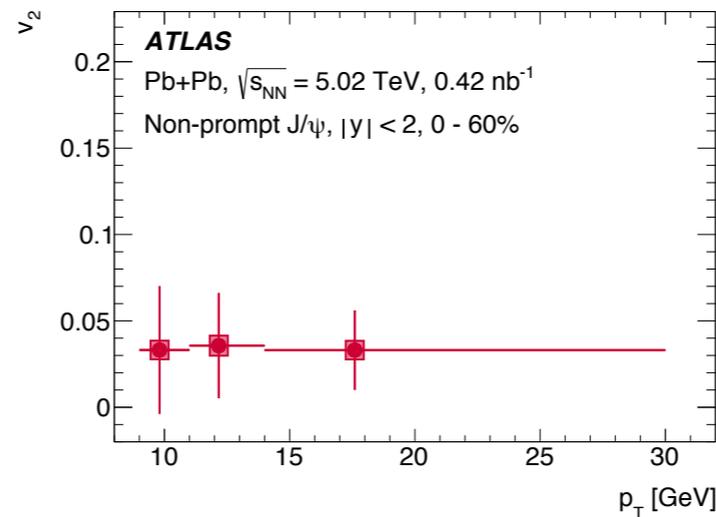
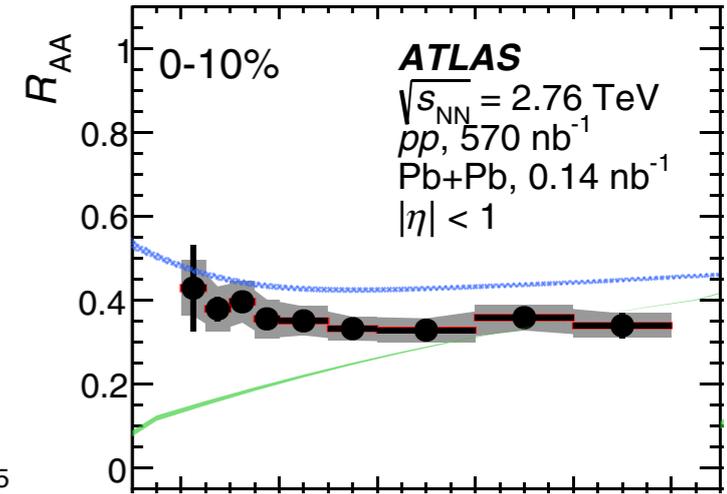
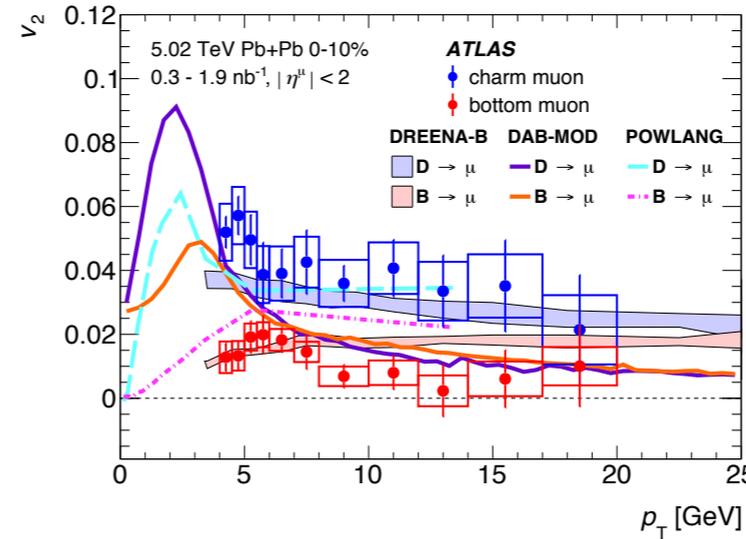
# Nonprompt J/ψ cross-sections in pp

ATLAS-CONF-2019-047



- Full Run2 pp collision data allows to reach  $p_T$  up to 360 GeV
- FONLL calculations exceed experimental data at high  $p_T$

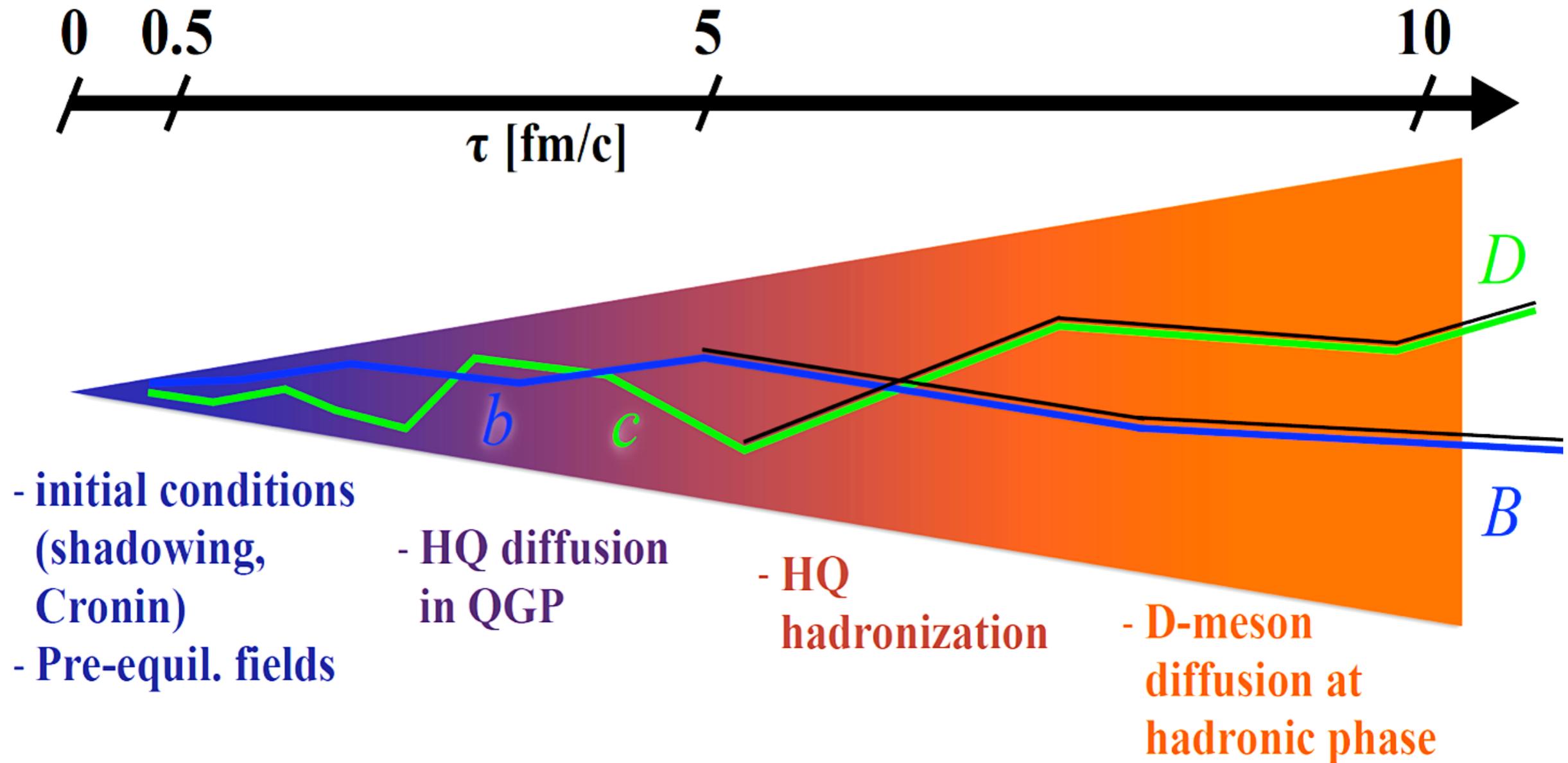
- Both charm and bottom quarks flow in Pb+Pb
- HF muons yields are suppressed in Pb+Pb compared to pp
- Results of Nonprompt J/ψ coming from b hadrons are consistent with those of HF muons
- Charm flows similar to light quarks but bottom does not in pp



**A simultaneous understanding of both yields and flow from PbPb to pp is still puzzling!**

# Backups

# Heavy quark evolution in QGP



# Pb+Pb at 2.76 TeV vs. 5.02 TeV

PRC 98 (2018) 044905

## V<sub>2</sub>

## V<sub>3</sub>

**ATLAS** Preliminary

0.3 - 1.9 nb<sup>-1</sup>

Inclusive heavy-flavor muon

$|\eta^\mu| < 2$

◆ 2015+2018 Pb+Pb 5.02 TeV

◇ 2011 Pb+Pb 2.76 TeV

**ATLAS** Preliminary

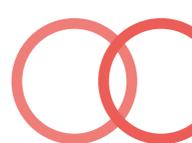
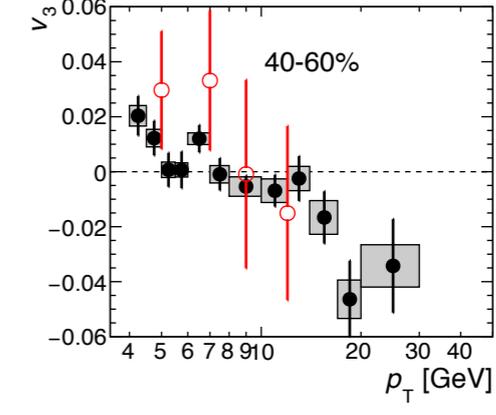
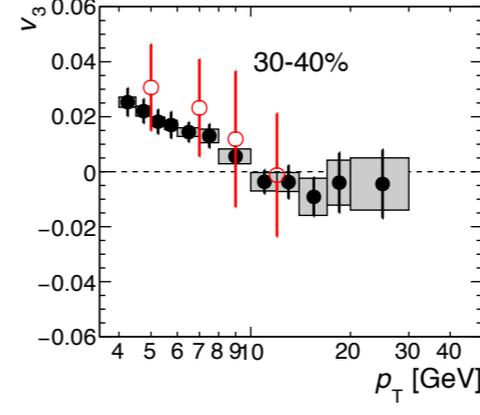
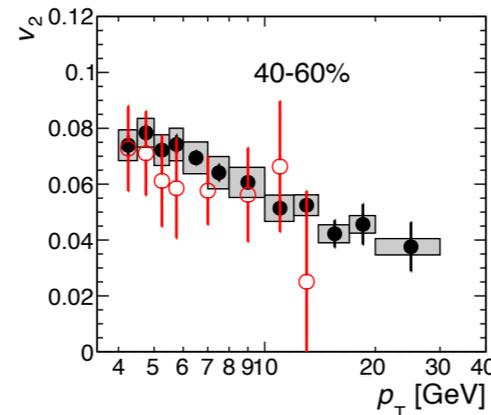
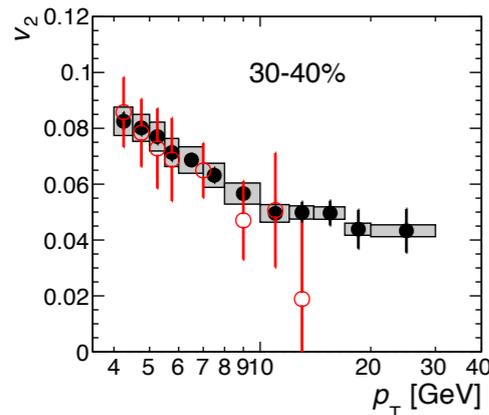
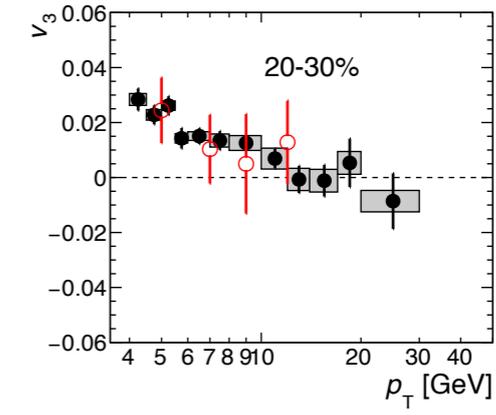
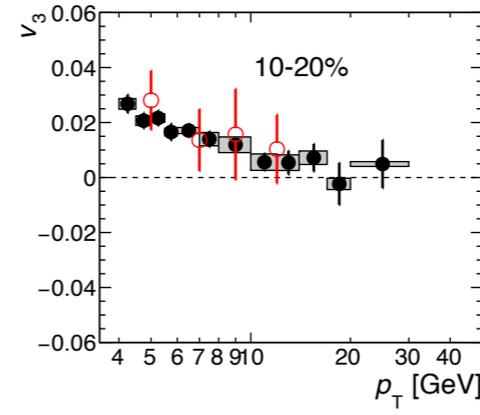
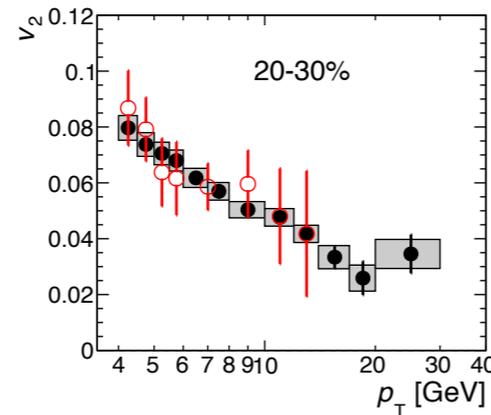
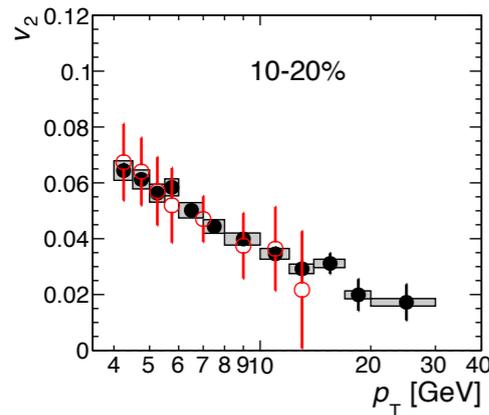
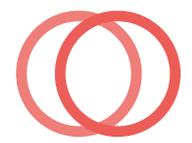
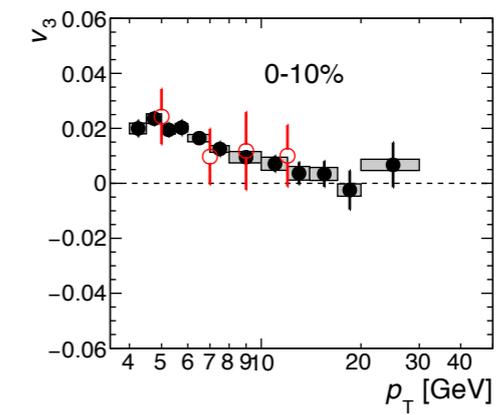
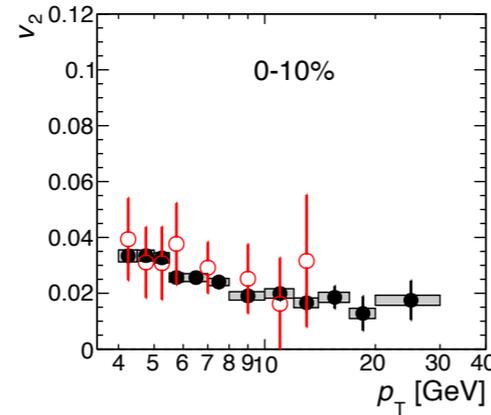
0.3 - 1.9 nb<sup>-1</sup>

Inclusive heavy-flavor muon

$|\eta^\mu| < 2$

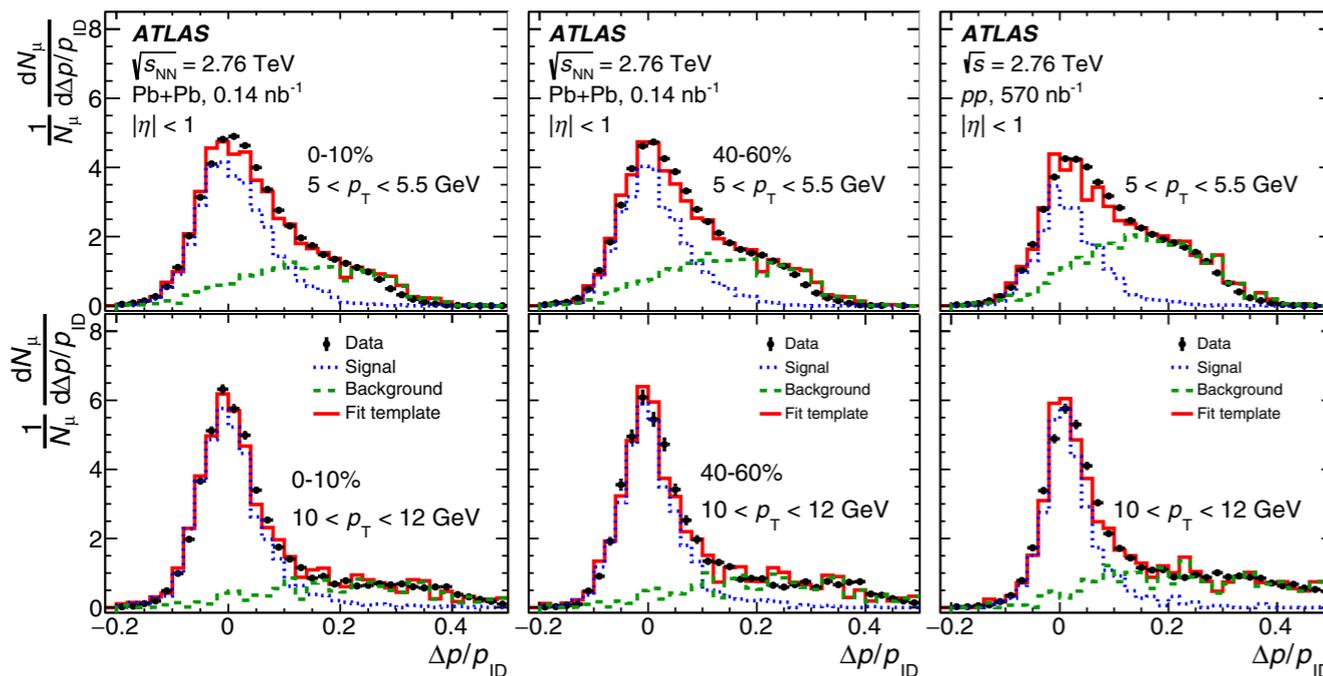
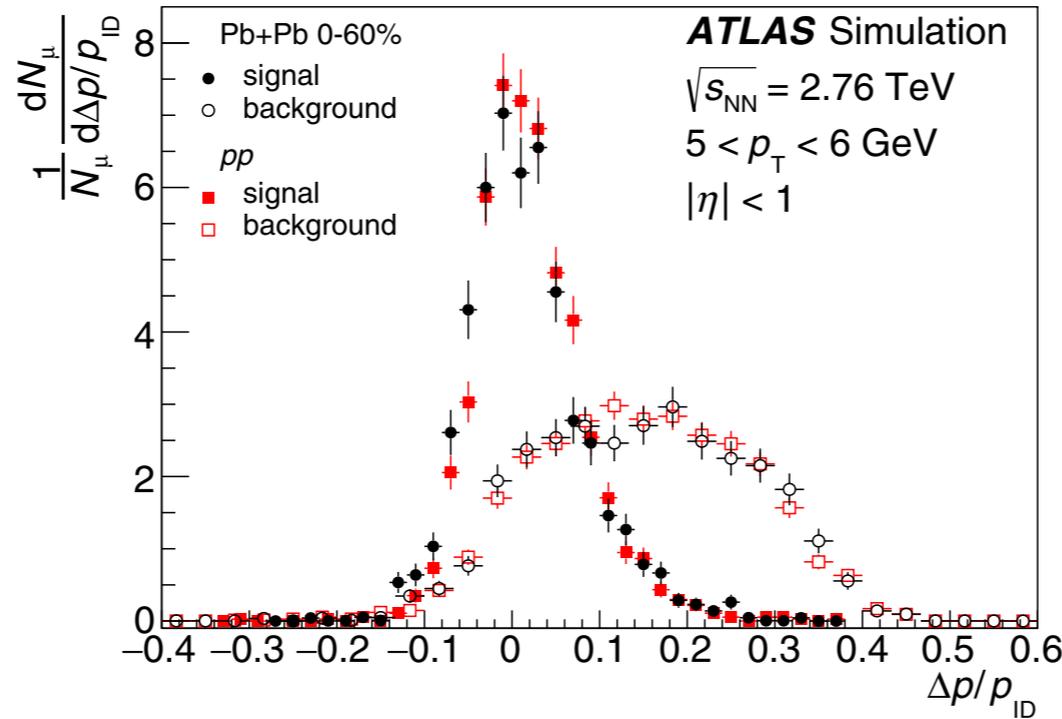
◆ 2015+2018 Pb+Pb 5.02 TeV

◇ 2011 Pb+Pb 2.76 TeV



- Inclusive HF  $v_2$ : steadily decrease with  $p_T$
- Results at 2.76 TeV and 5.02 TeV agree with each other

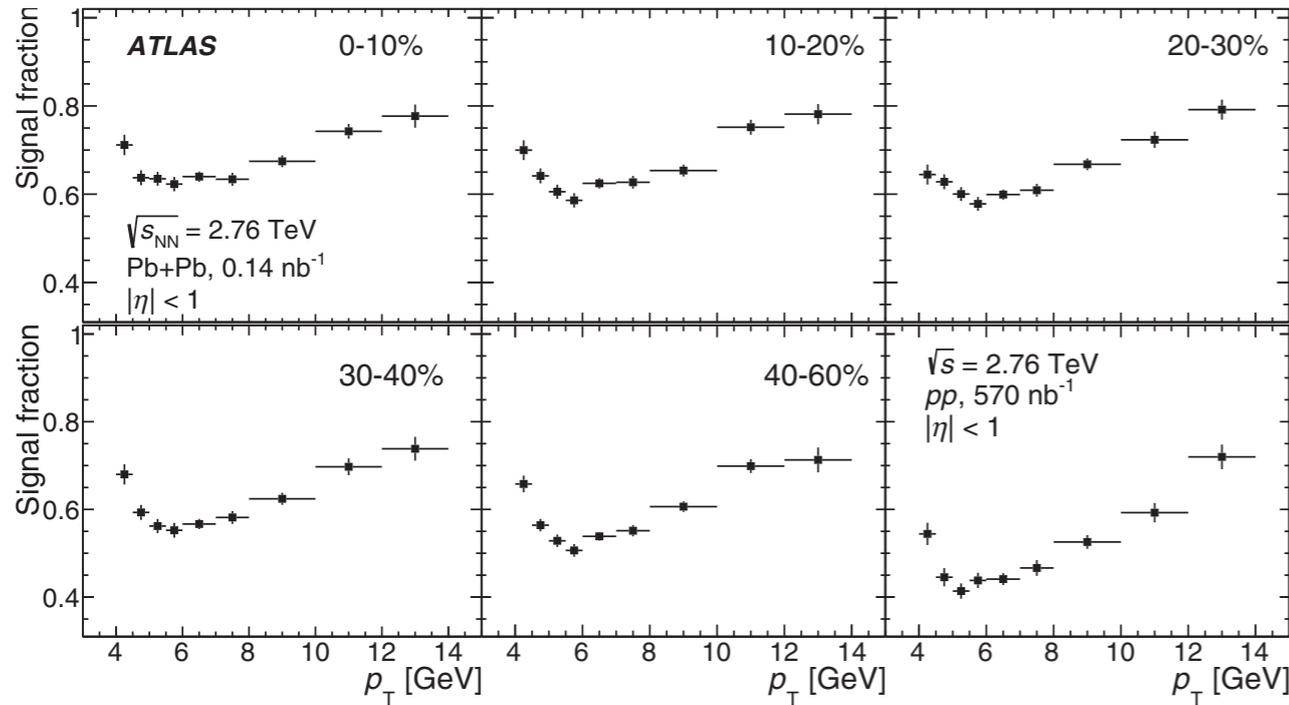
## $\Delta p/p_{ID}$ distributions from MC



- Template fit to separate **Signal** from **Background**

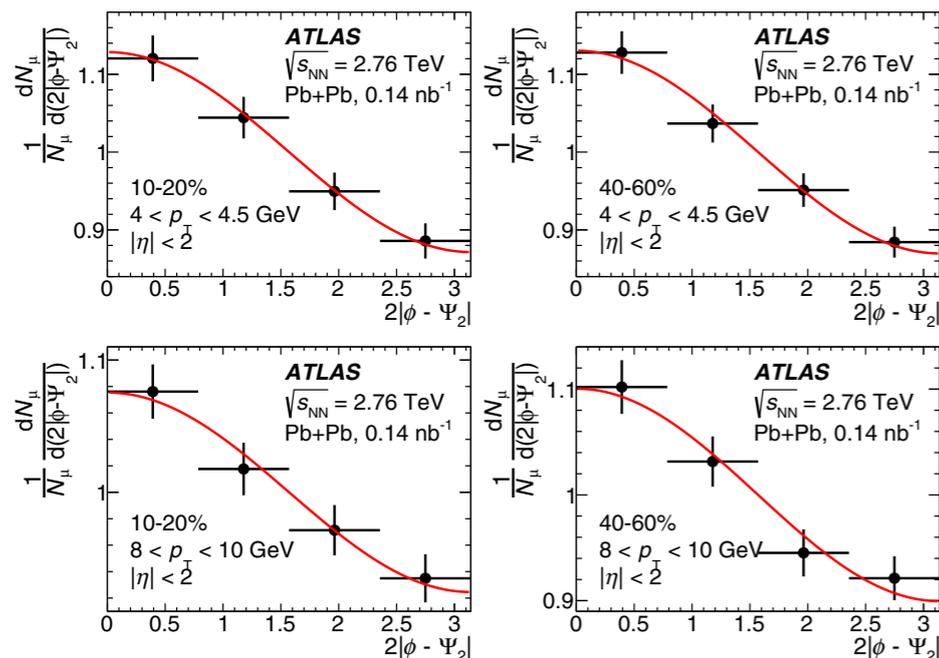
$$\frac{\Delta p}{p_{ID}} = \frac{p_{ID} - p_{MS} - \Delta p_{calo}(p, \eta, \phi)}{p_{ID}}$$

## Signal fraction obtained from template fit



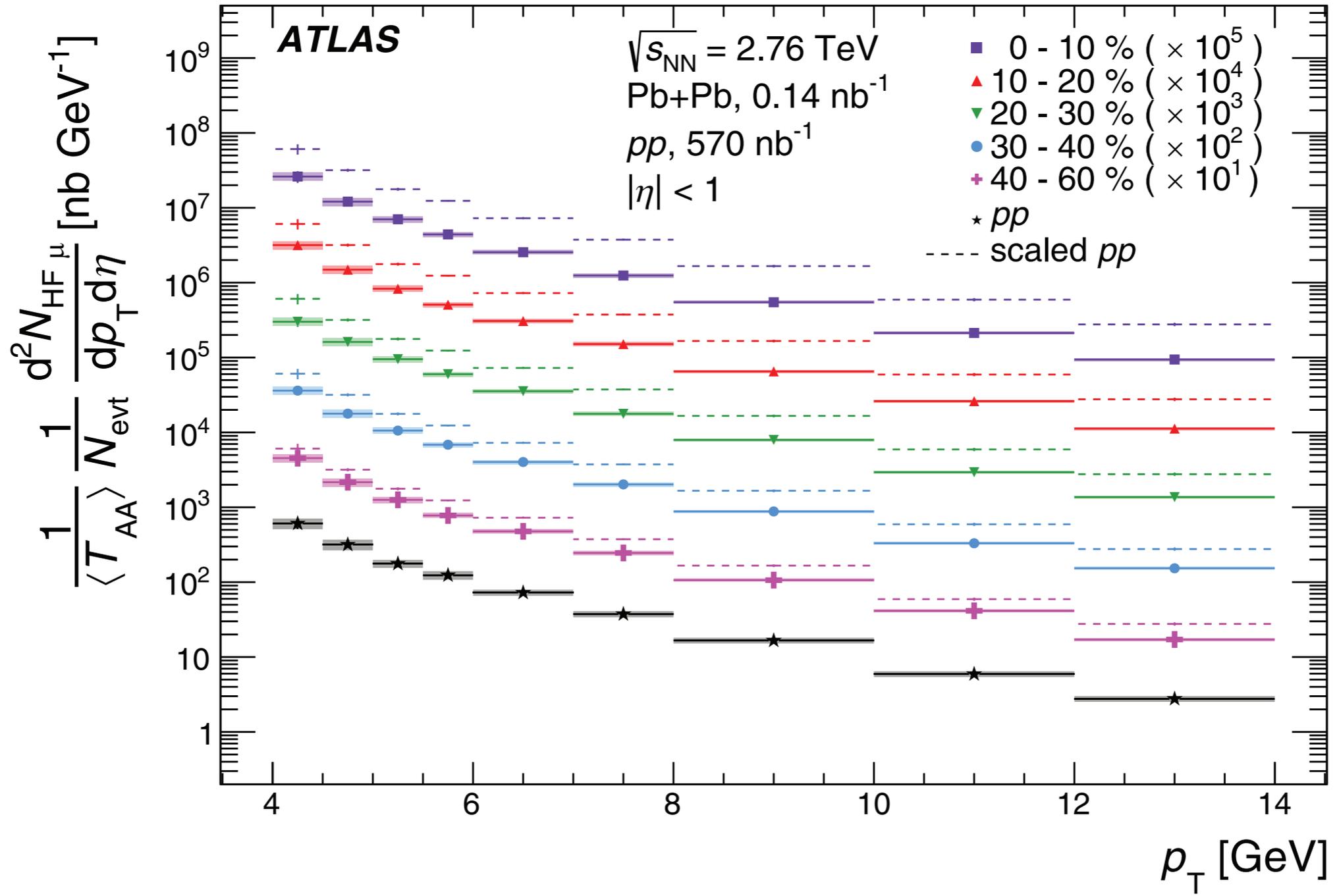
- Larger fraction of HF muons at high  $p_T$
- Trigger effects at low  $p_T$  (less efficient for backgrounds with low  $p_T^{\text{MS}}$ )

## HF muons yields vs. $2|\phi - \Psi_2|$



- Yields are fitted with 2nd-order Fourier function

$$\frac{dN}{d\phi} = N_0 \left[ 1 + 2 \sum_{n \geq 1} v_n^{\text{obs}} \cos[n(\phi - \Psi_n)] \right]$$



- **TAMU**

PLB 735 (2014) 445

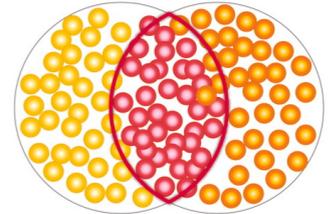
- Initial  $p_T$  spectra from FONLL + shadowing effects
- QGP evolution by ideal relativistic hydrodynamics: tuned to reproduce charged-hadron spectra and inclusive elliptic flow in Pb+Pb at the LHC
- The initial condition for hydrodynamic modeling from Glauber model and no initial state fluctuations or initial flow included
- Hadronization via recombination and fragmentation
- Diffusion of HF hadrons continued until kinetic freeze-out

- **DABMod**

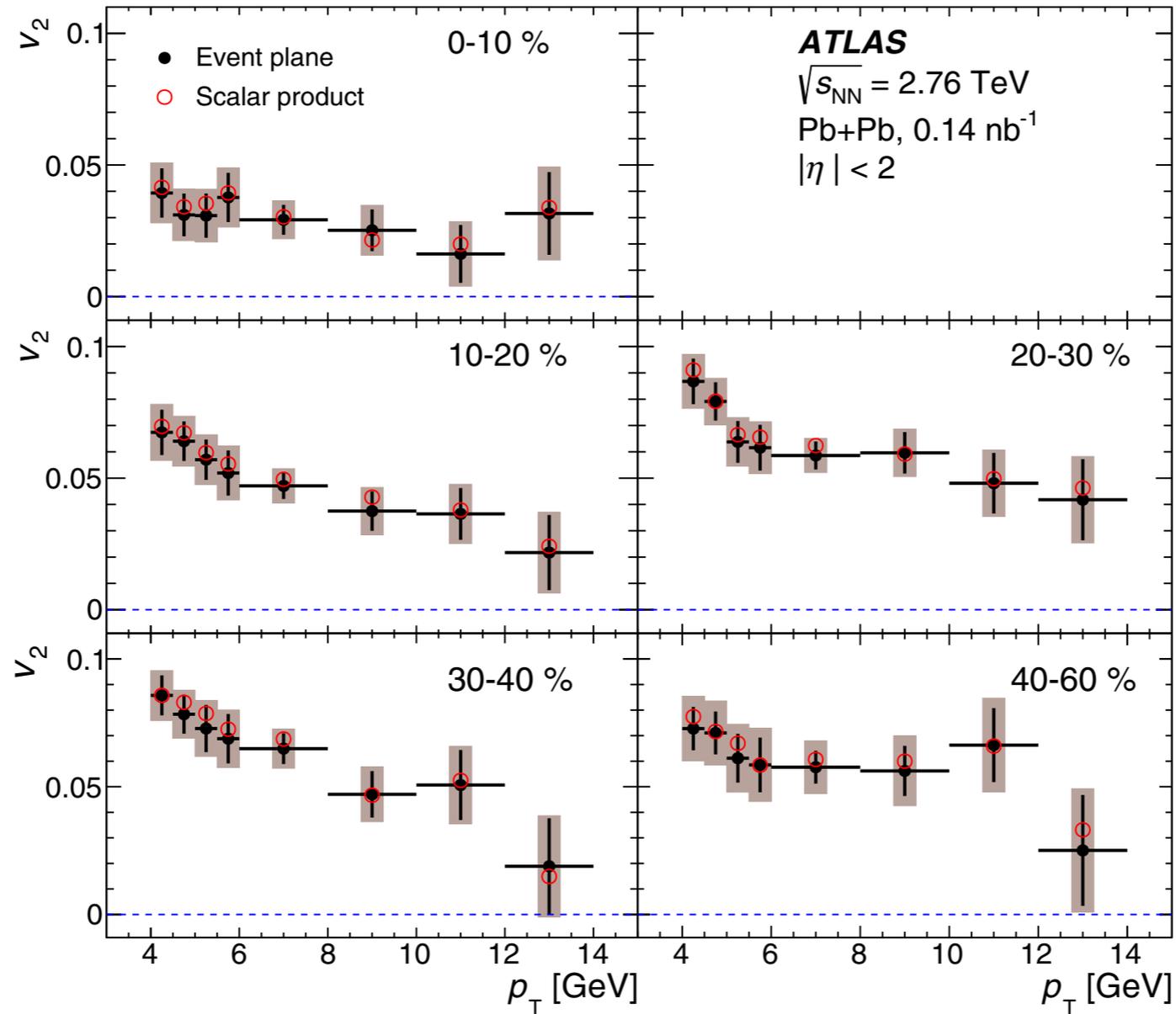
PRC 96 (2017) 064903

- Energy loss is a parameterized analytic function of the heavy quark velocity and local Temperature
- Initial  $p_T$  spectra from FONLL
- QGP evolution by (2+1)D relativistic viscous hydrodynamics: tuned to describe experimental flow at low  $p_T$
- Event-by-event fluctuations in initial condition and expansion included
- Heavy quarks evolution until they reach a decoupling temperature
- Hadronization via fragmentation (hadronic rescattering neglected)

PRC 98 (2018) 044905

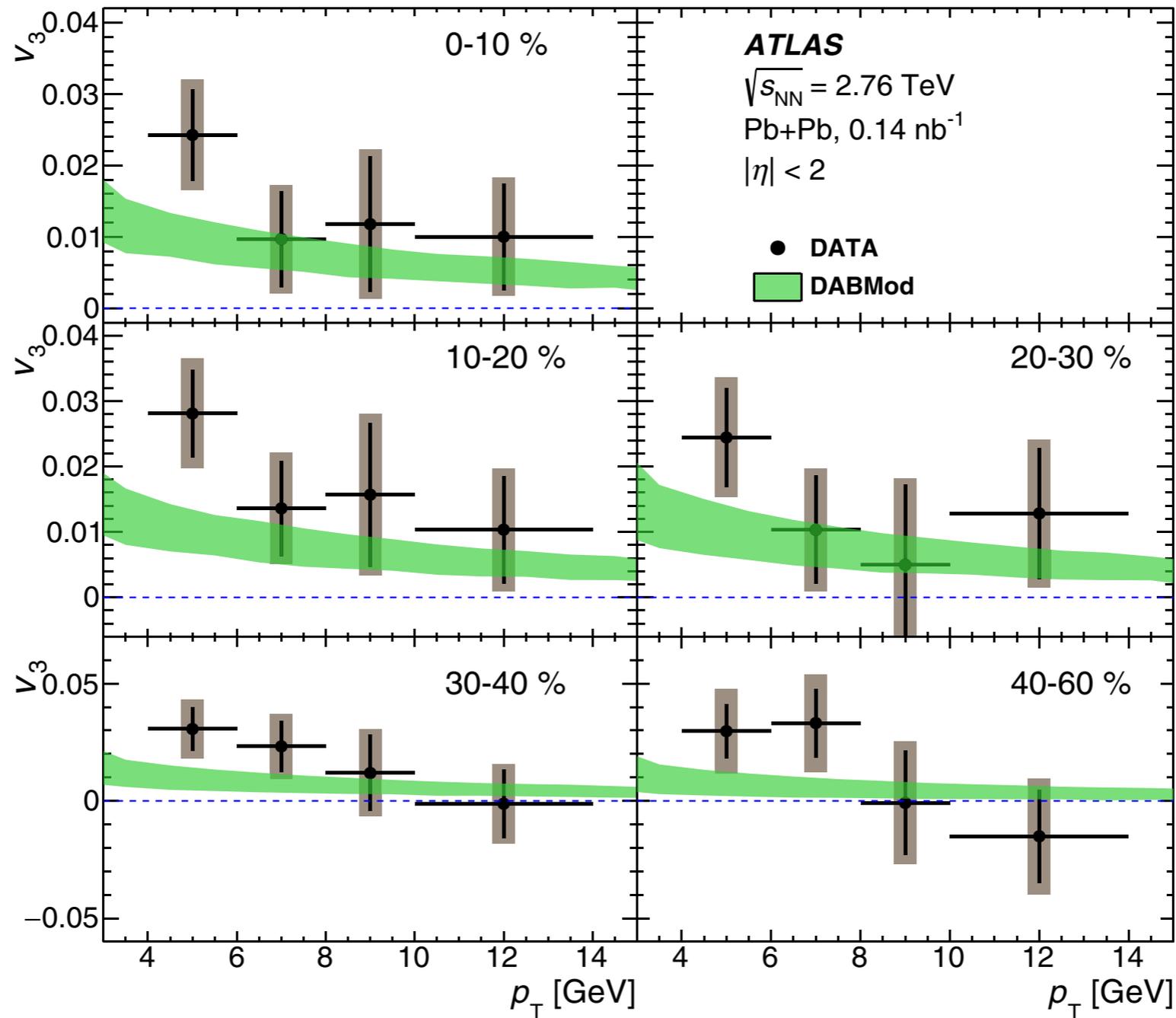


Elliptic flow

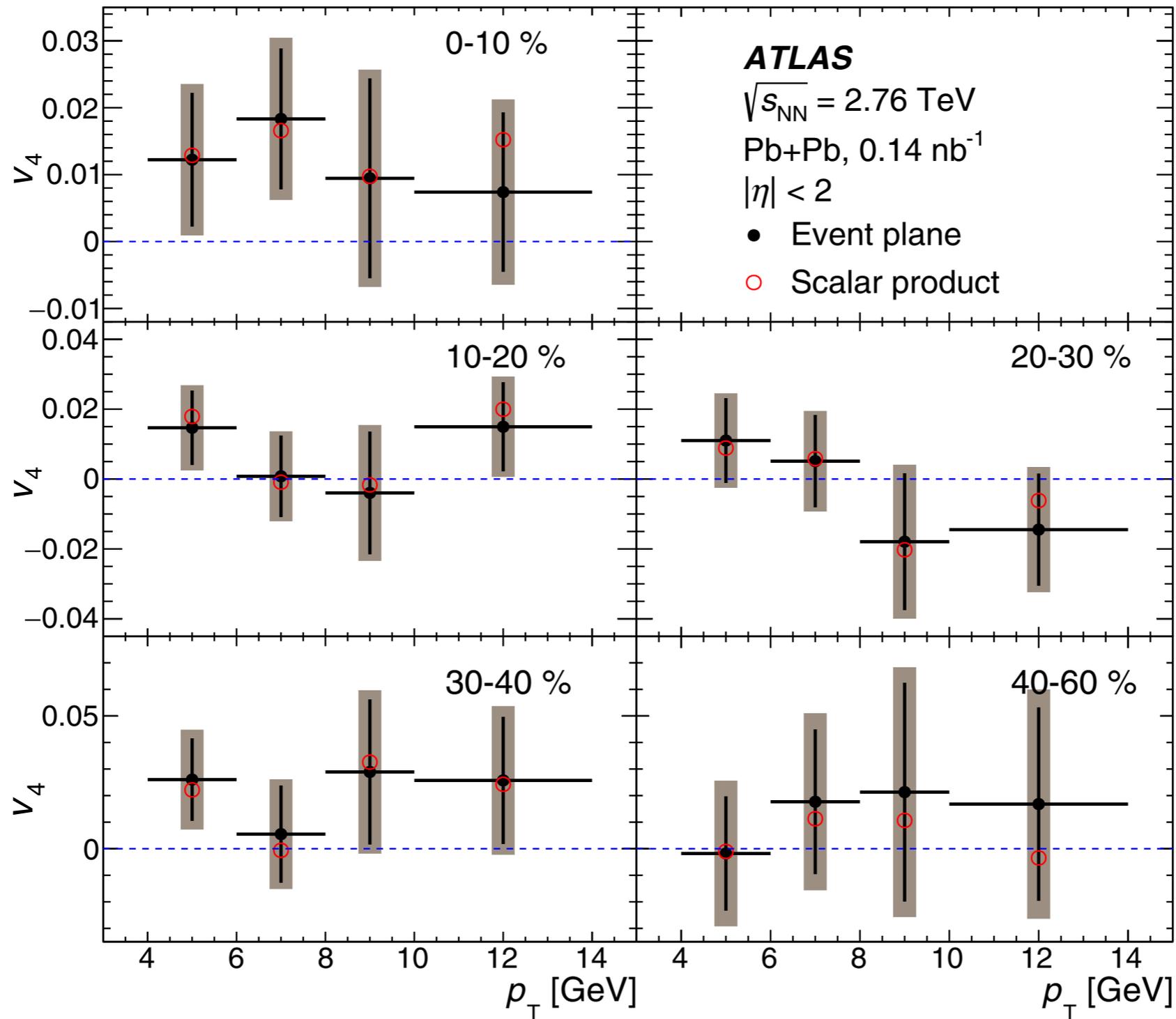


- Significant non-zero  $v_2$  up to high  $p_T$  in all centrality bins
- 10-40% centrality:  $v_2$  decreases with  $p_T$
- Most central (0-10%) and peripheral (40-60%): no clear  $p_T$  dependence
- Event plane method and scale product method are consistent

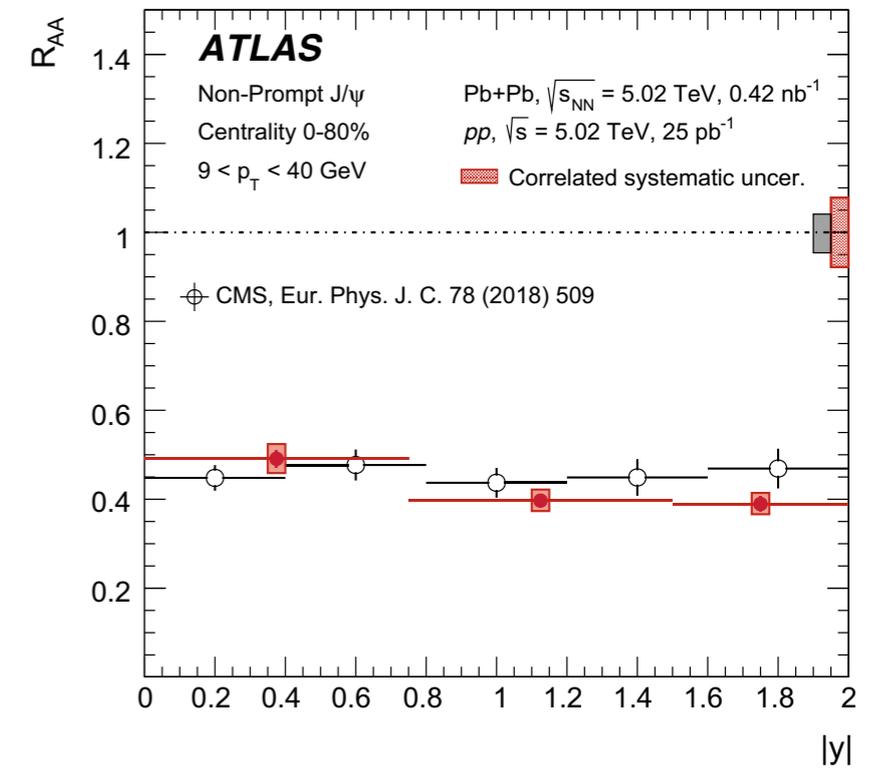
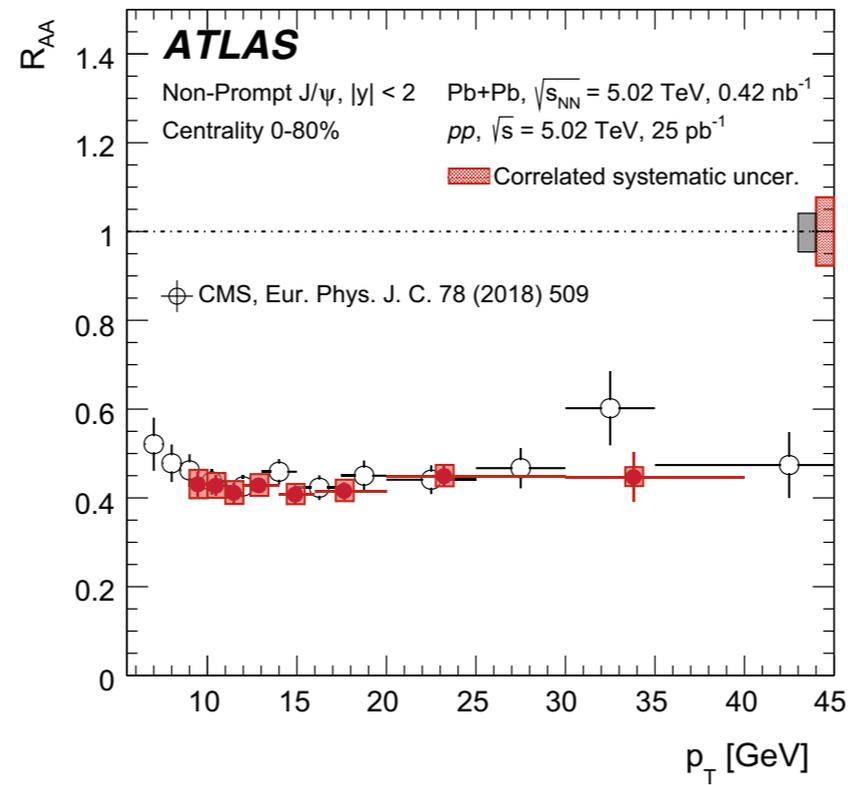
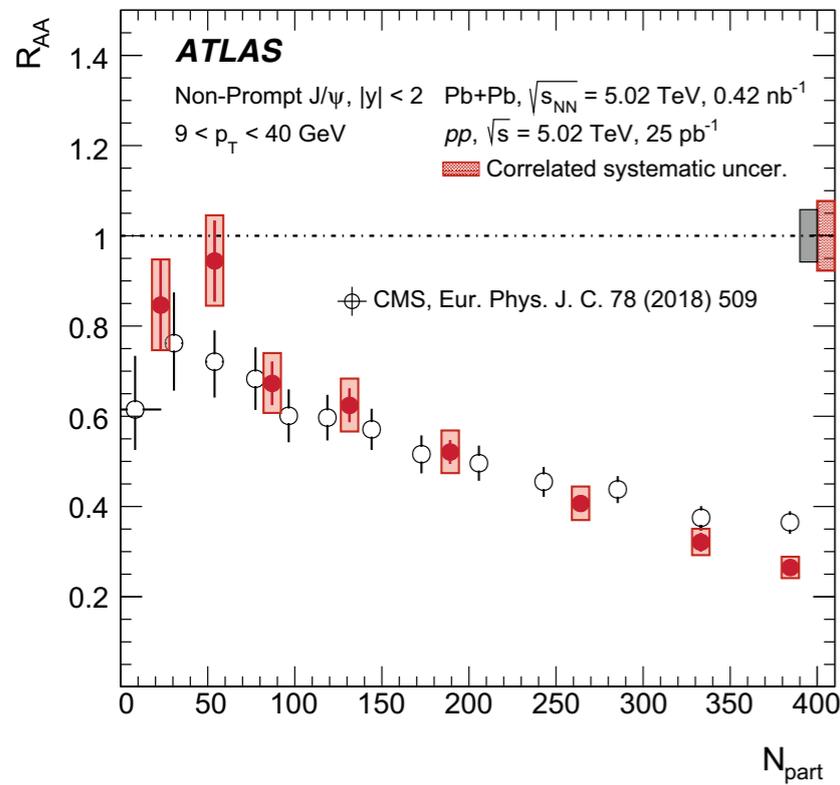
PRC 98 (2018) 044905



- Theoretical calculation is smaller at  $4 < p_T < 6 \text{ GeV}$  and similar to data at high  $p_T$



# Nonprompt J/ψ compared to CMS

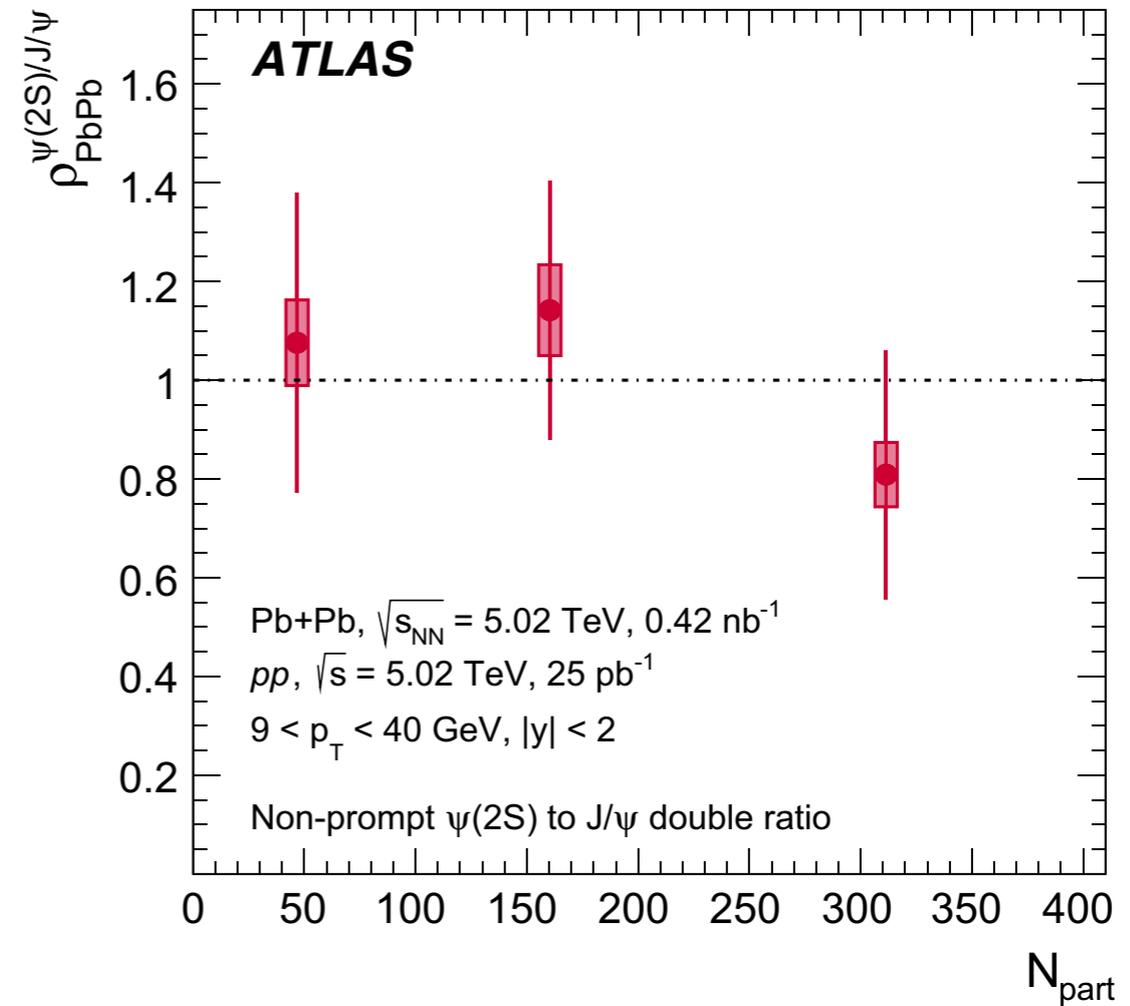
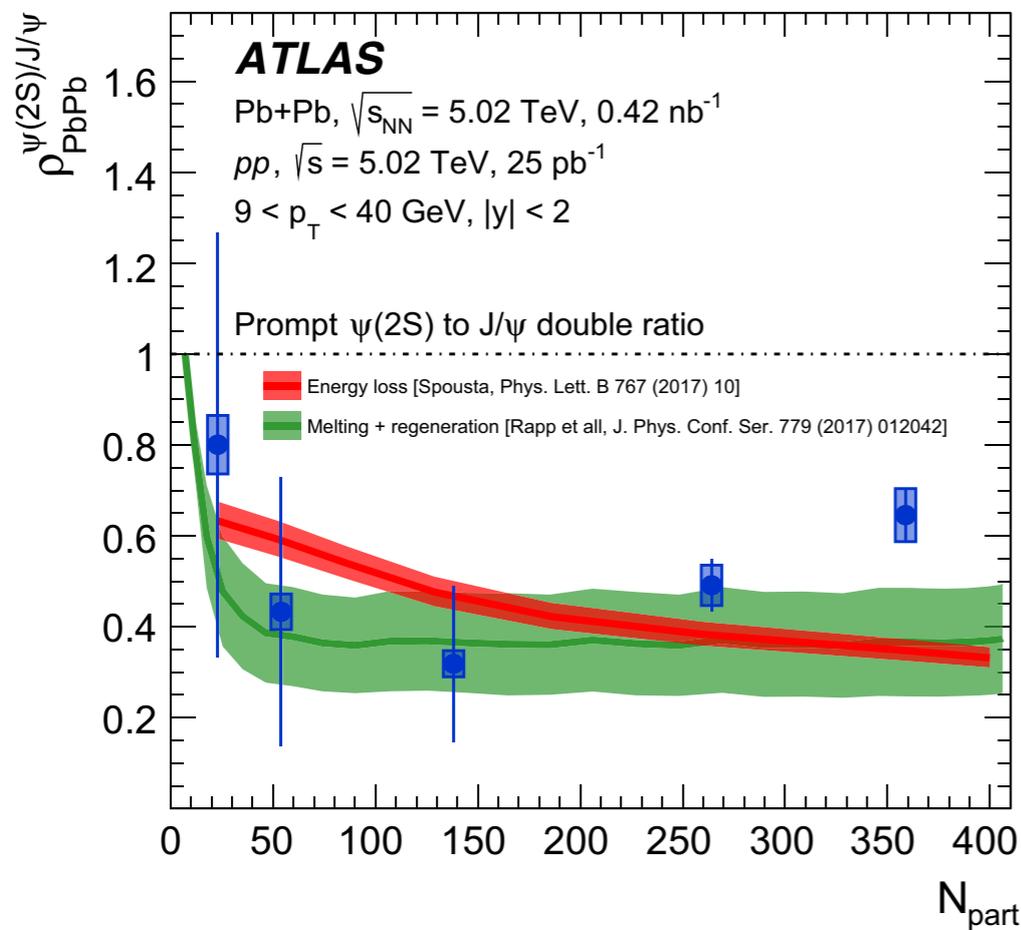


- Two experiments agree well with each other

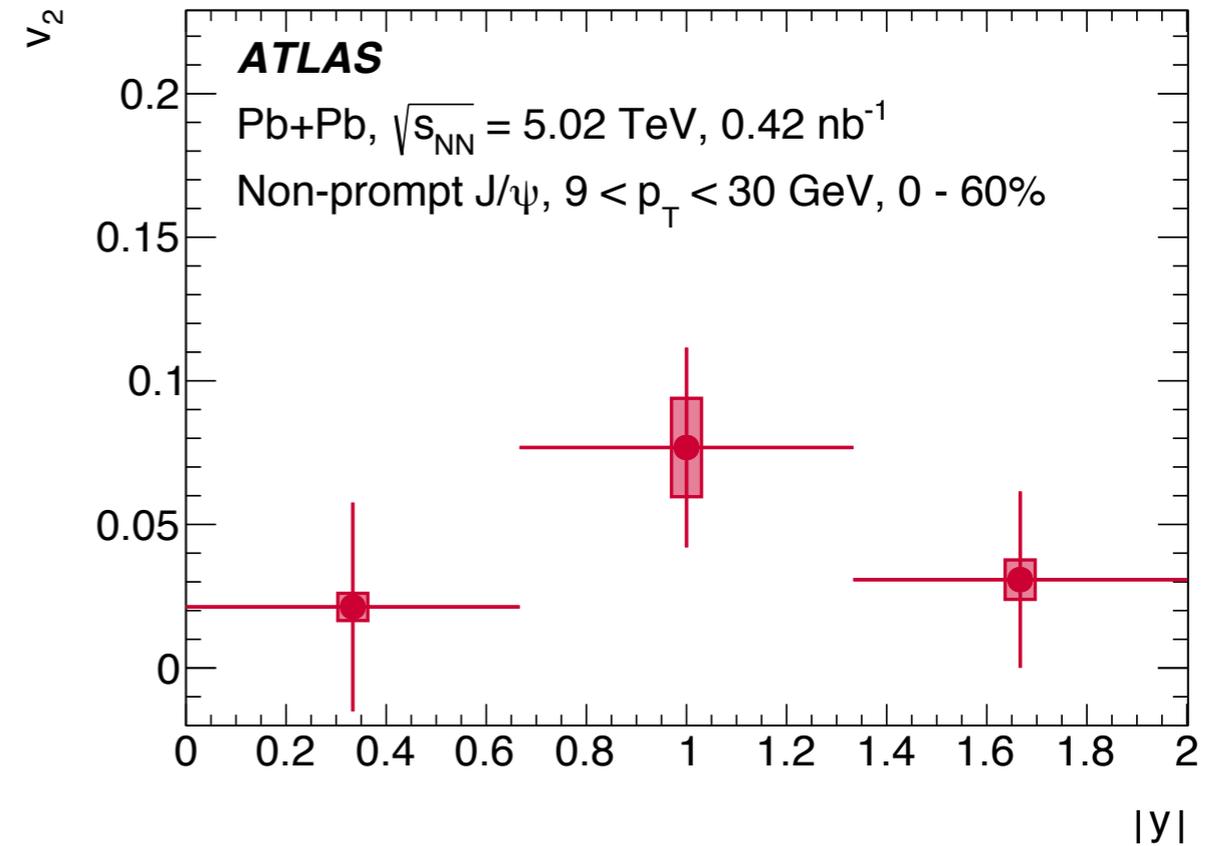
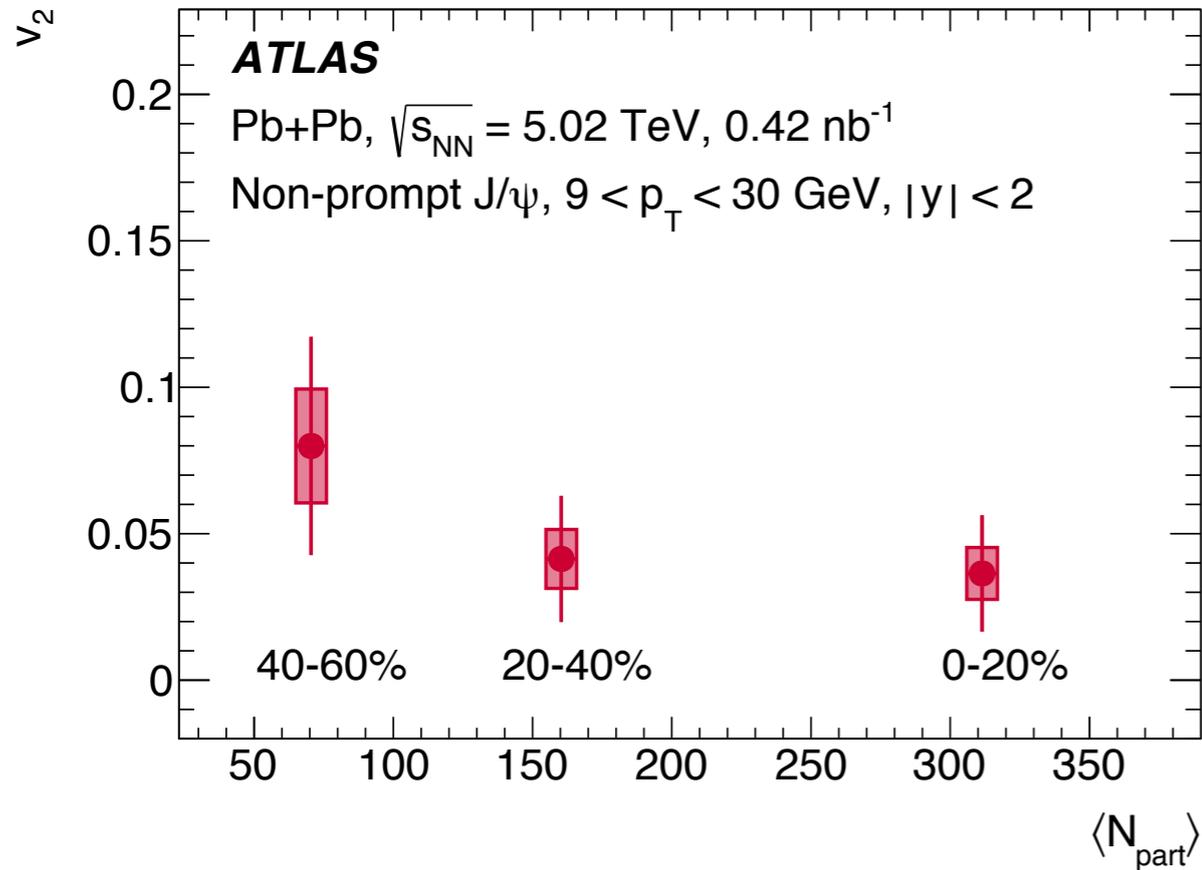
# J/ψ Double ratios 2S/1S

[prompt]

[Nonprompt]



- Nonprompt Jpsi double ratios  $\sim 1$
- Suppression of both 1S and 2S from the decay of B hadrons outside the medium



- No clear centrality or rapidity dependence within uncertainties

# pp at 13 TeV (two particle correlation)

PRL 124 (2020) 082301

- For each muon
  - $S(\Delta\phi, \Delta\eta)$  with hadrons from the same events
  - $B(\Delta\phi, \Delta\eta)$  with hadrons from the different events of similar  $N_{ch}$  and  $z^{vtx}$
  - Each muon-hadron pair is corrected for efficiencies (acceptance largely cancels in S/B)
- 1D correlation function ( $\eta$  gap reduces the contributions from jet fragmentation)

$$\Delta\phi \equiv \phi^\mu - \phi^h$$

$$\Delta\eta \equiv \eta^\mu - \eta^h$$

$$C(\Delta\phi) = \frac{\int_{1.5}^5 d|\Delta\eta| S(|\Delta\eta|, \Delta\phi)}{\int_{1.5}^5 d|\Delta\eta| B(|\Delta\eta|, \Delta\phi)} \equiv \frac{S(\Delta\phi)}{B(\Delta\phi)}$$

- Template fit to remove non-flow (back-to-back dijet, resonance decays, etc)

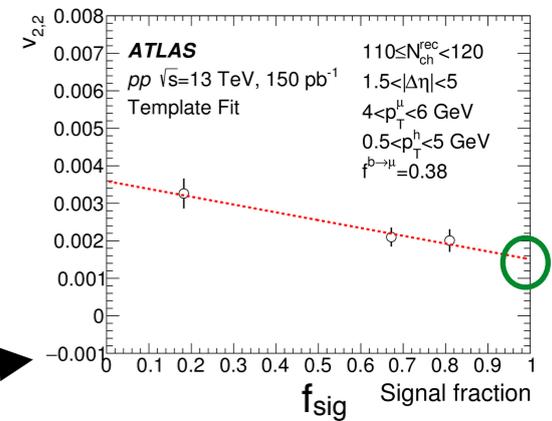
$$C^{\text{templ}}(\Delta\phi) = F \cdot C^{\text{LM}}(\Delta\phi) + C^{\text{ridge}}(\Delta\phi)$$

Low multiplicity events  
(dominated by non-flow)

$$C^{\text{ridge}}(\Delta\phi) = G \left[ 1 + \sum_{n=2}^4 2v_{n,n} \cos(n\Delta\phi) \right]$$

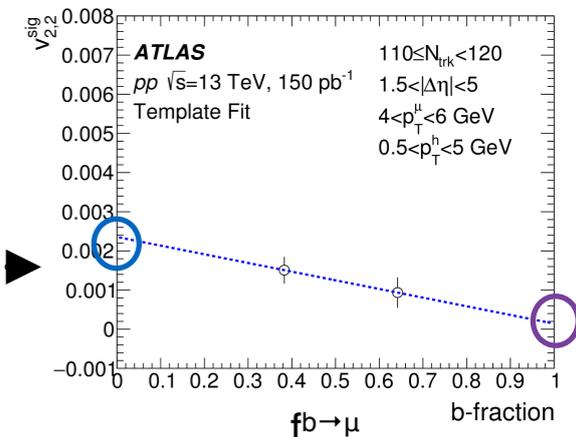
- $v_{2,2}$  determined in three different  $\Delta p/p_{ID}$  region
  - signal fraction  $f_{\text{sig}}$  is extracted from a linear fit to the points to get  $v_{2,2}^{\text{sig}}$

$$v_{2,2}(p_T^\mu, p_T^h) = f^{\text{sig}} v_{2,2}^{\text{sig}}(p_T^\mu, p_T^h) + (1 - f^{\text{sig}}) v_{2,2}^{\text{bkg}}(p_T^\mu, p_T^h)$$

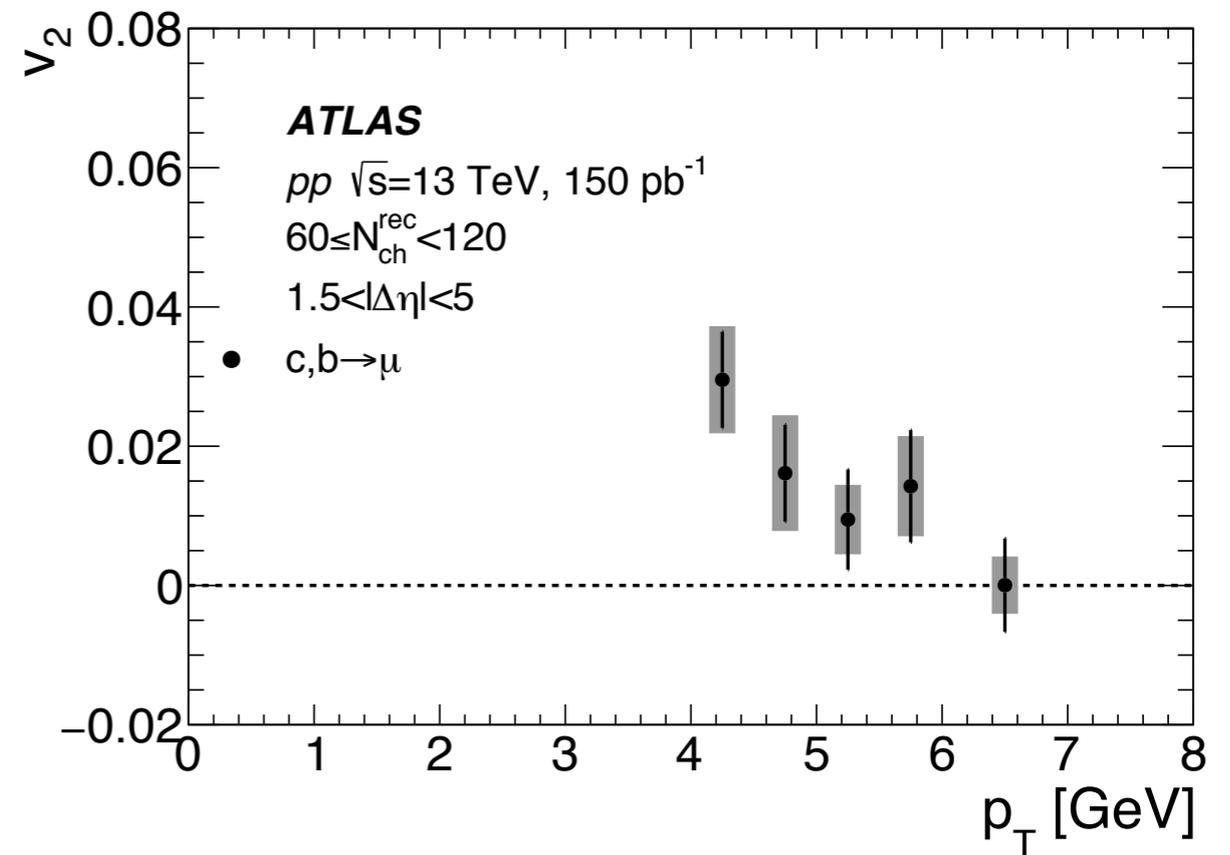
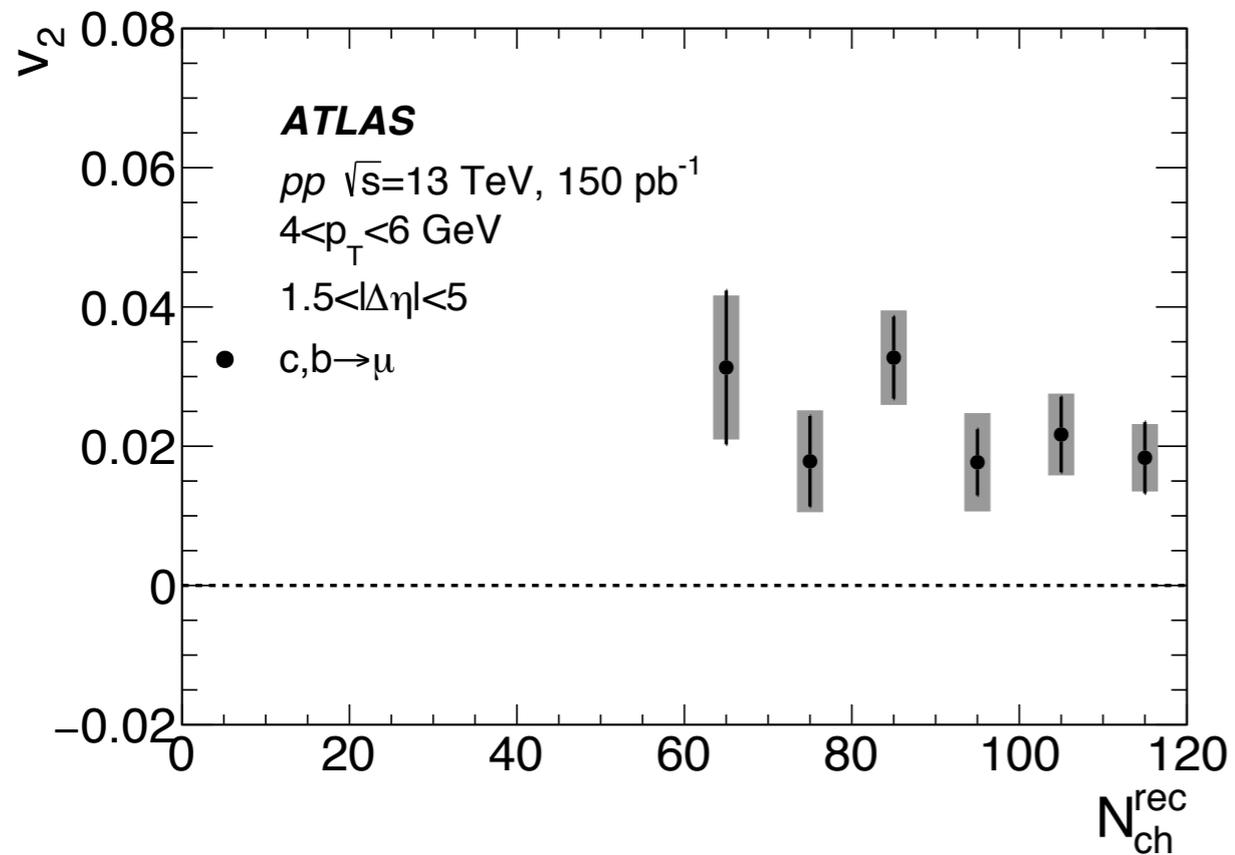


- $v_{2,2}^{\text{sig}}$  determined in two different  $d_0$  region
  - $v_{2,2}^{b \rightarrow \mu}$  and  $v_{2,2}^{c \rightarrow \mu}$  are determined from a linear fit

$$v_{2,2}^{\text{sig}}(\mu, h) = f^{b \rightarrow \mu} v_{2,2}^{b \rightarrow \mu}(\mu, h) + (1 - f^{b \rightarrow \mu}) v_{2,2}^{c \rightarrow \mu}(\mu, h)$$



- Flow factorization assumption  $v_n^\mu(p_T^\mu) = v_{n,n}(p_T^\mu, p_T^h) / v_n^h(p_T^h)$



- Non-zero  $v_2$ : almost independent of multiplicity
- Decreases with  $p_T$