



ALICE

# **Direct (and indirect) observation of the dead cone with heavy flavour jet substructure**

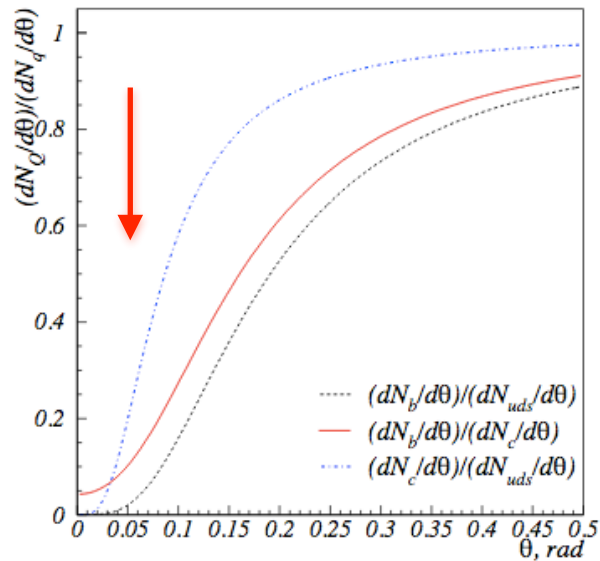
Leticia Cunqueiro (ORNL) for the ALICE Collaboration

# The dead cone effect in QCD

Gluon radiation by a particle of mass  $m$  and energy  $E$  is suppressed within a cone of angular size  $m/E$  around the emitter

$$\frac{\frac{dN_Q}{d\theta}}{\frac{dN_q}{d\theta}} \propto \frac{\theta^4}{(\theta^2 + \theta_0^2)^2} \quad \theta_0 = \frac{m_Q}{E_Q}$$

Parametric dependence of the dead cone effect

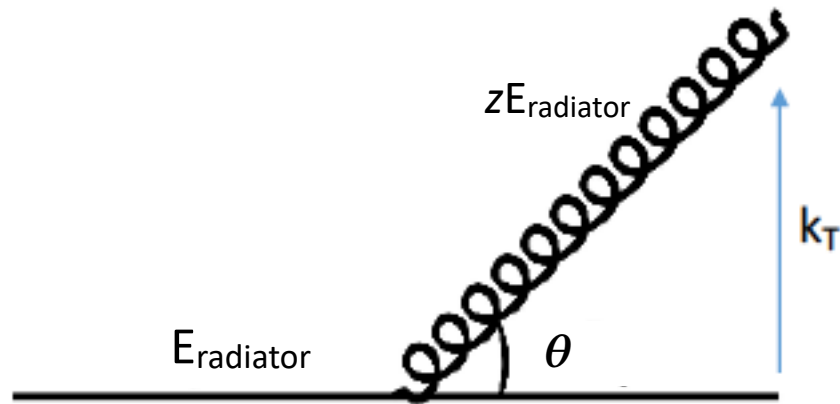


Battaglia et al, DELPHI-2004-037 CONF 712

# The dead cone effect

## Direct consequences of the dead cone:

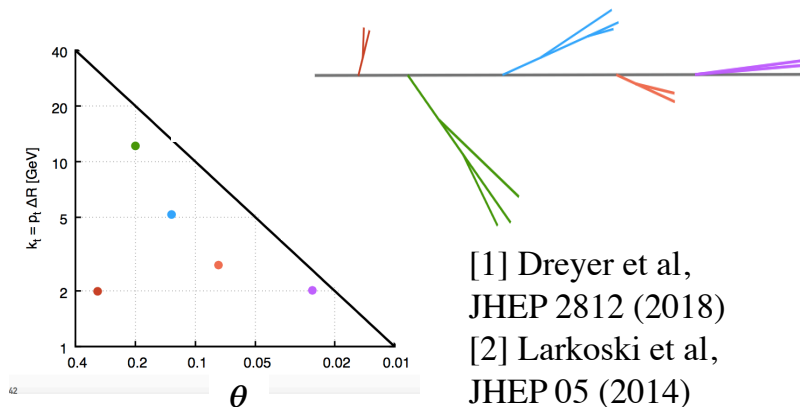
- Restriction of hard gluons with small  $k_T$   
—> reduction of emissions, FF peaked at larger  $z$
- Lower intrajet multiplicities



## Experimental challenges for a direct measurement

- The decays of the heavy flavour particles happen at similar angular scales and fill the dead cone
- Accurate determination of the dynamically evolving direction of the heavy-flavour particle relative to which radiation is suppressed

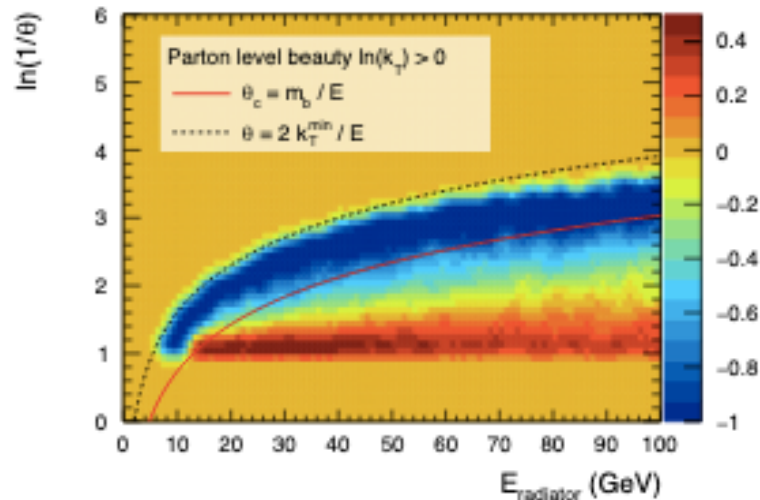
# Iterative declustering to expose the dead cone effect



- Unwind the Cambridge-Aachen clustering history
- At each step register  $(k_T, \theta)$  onto the Lund plane[1]
- Follow the branch containing the fully reconstructed heavy flavour hadron at each step

Complementary set of observables: projection of Lund plane onto  $\theta$  axis, number of splittings satisfying the SD[2] cut, groomed momentum balance  $z_g$

Relative difference of b and q splitting maps



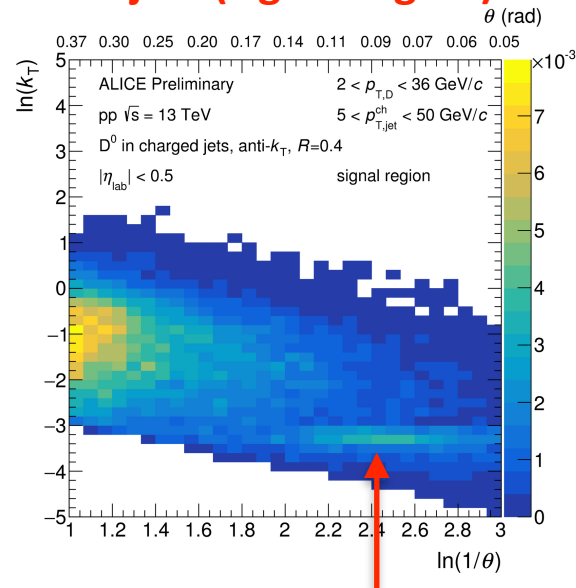
- Penetrate the jet tree deep enough to reach the small-angle splittings that are sensitive to mass effects  $\theta < m_Q/E_{\text{radiator}}$

Cunqueiro, Ploskon, *Phys. Rev. D* 99 (2019)

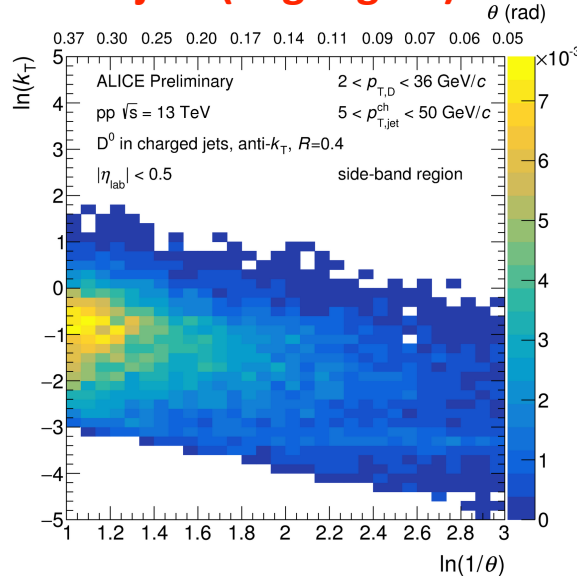


# Splitting Lund Map: $D^0$ signal extraction

## D jets (signal region)



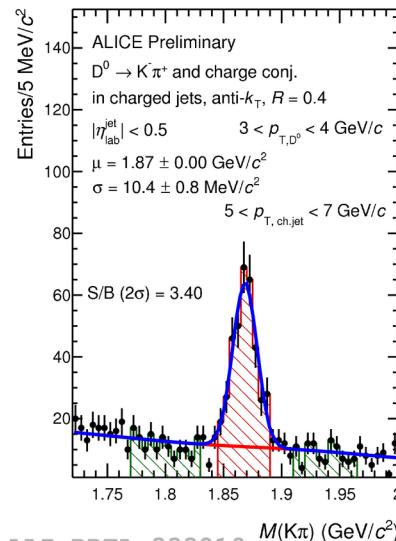
## D jets (bkg region)



## $D^0$ from $D^*$ decays

$$\rho^{D^0_{jet}} = \sum_i \frac{1}{\epsilon_i} (\rho(\theta, E)_S^{D^0_{jet} candidate} - \frac{A_S}{A_B} \rho(\theta, E)_B^{D^0_{jet} candidate})$$

## $D^0 \rightarrow K^\pm \pi^\mp$ (BR=3.8%)

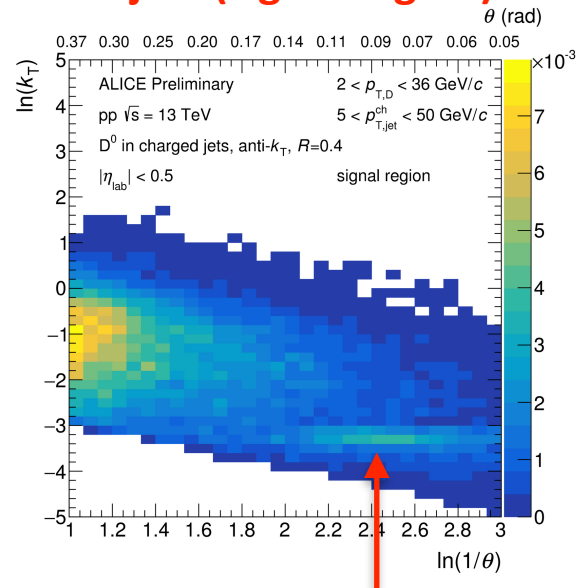


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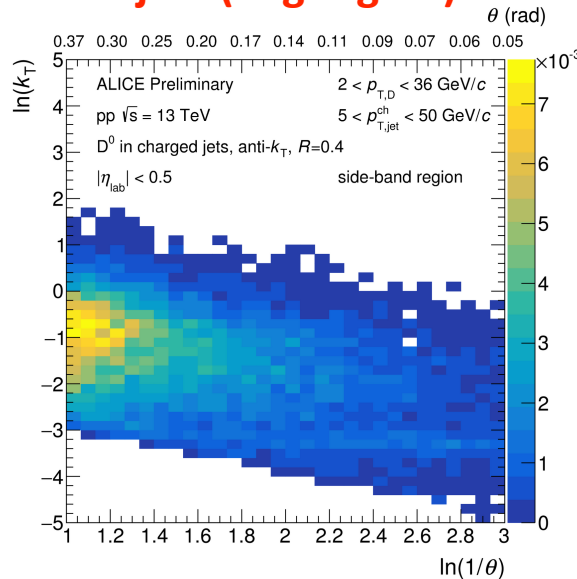
- Invariant mass distribution of the  $K^\pm, \pi^\mp$  in bins of  $p_{T,D}$
- Side-band subtraction procedure in 2D on Lund Maps
- Correction by  $D^0$  reconstruction efficiency

# Splitting Lund Map: $D^0$ signal extraction

## D jets (signal region)

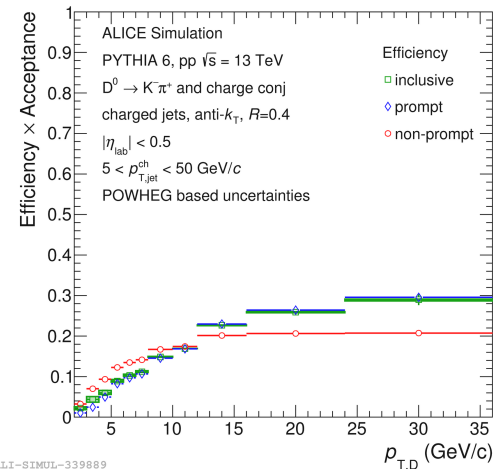


## D jets (bkg region)



**$D^0$  from  $D^*$  decays**

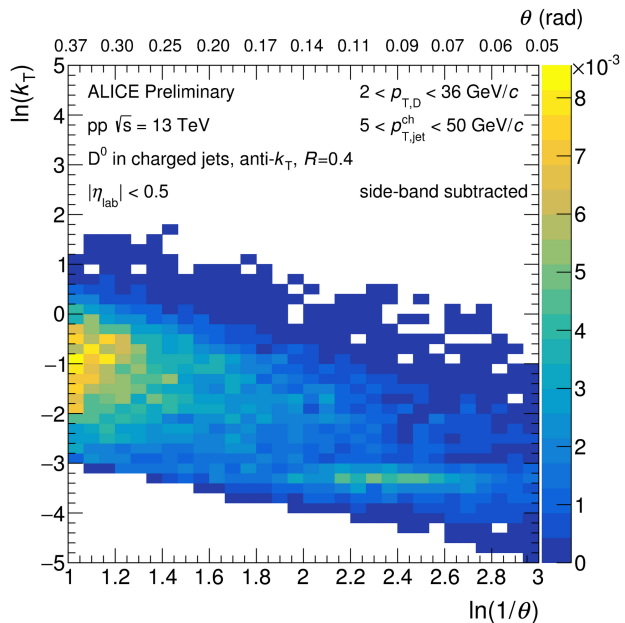
$$\rho^{D^0 jet} = \sum_i \frac{1}{\epsilon_i} (\rho(\theta, E)_S^{D^0 jet candidate} - \frac{A_S}{A_B} \rho(\theta, E)_B^{D^0 jet candidate})$$



- The topological and PID cuts used for the  $D$  candidat selection have finite efficiency
- The prompt and non-prompt fractions at detector level are estimated by weighting POWHEG cross sections with the corresponding experimental efficiencies

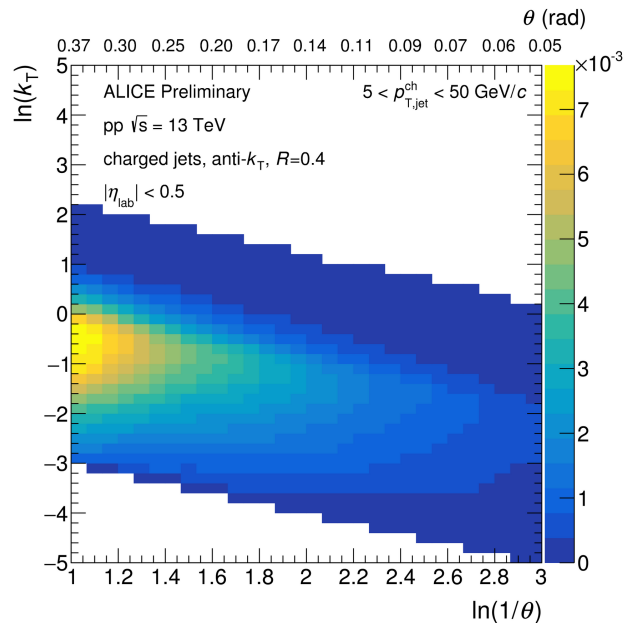
# Splittings Lund Maps

## D jets (side-band subtracted)



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## Inclusive jets

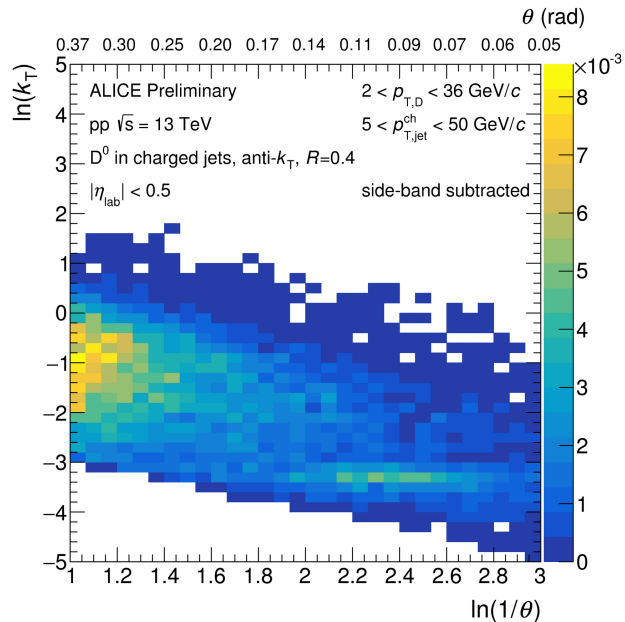


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Our main observable is the ratio of projections onto the  $\theta$  axis for D and inclusive jets

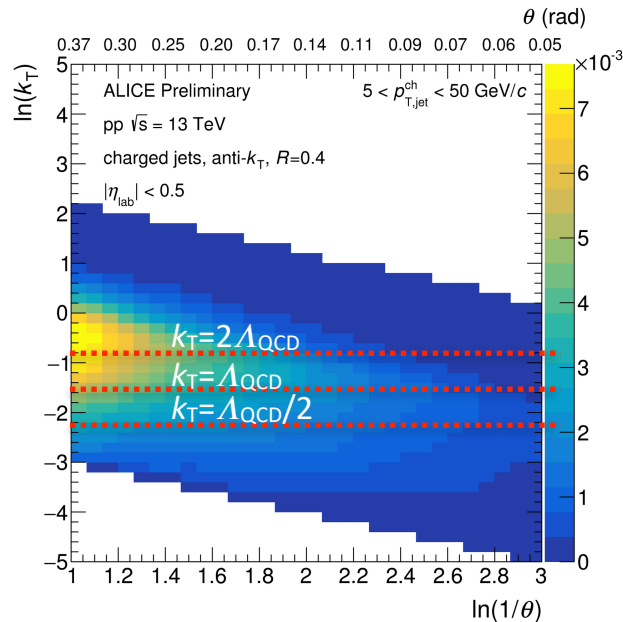
# Splittings Lund Maps

## D jets (side-band subtracted)



ALI-PREL-339746

## Inclusive jets

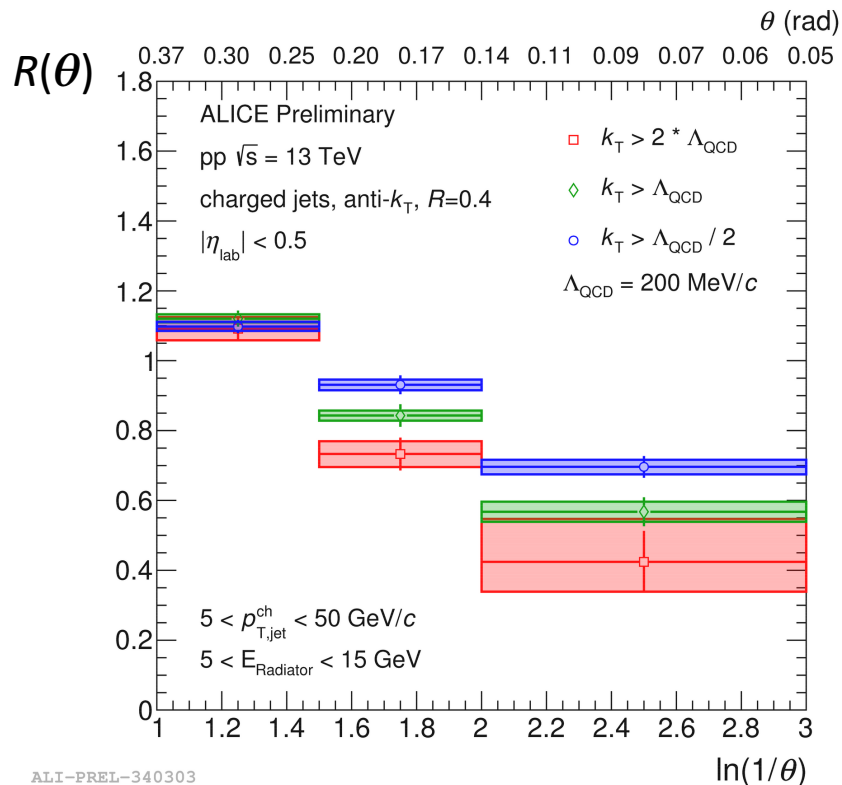


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$k_T$  cuts are applied  
 to suppress hadronisation  
 effects

Detector effects cancel out in the ratio

# Direct observation of the dead cone effect

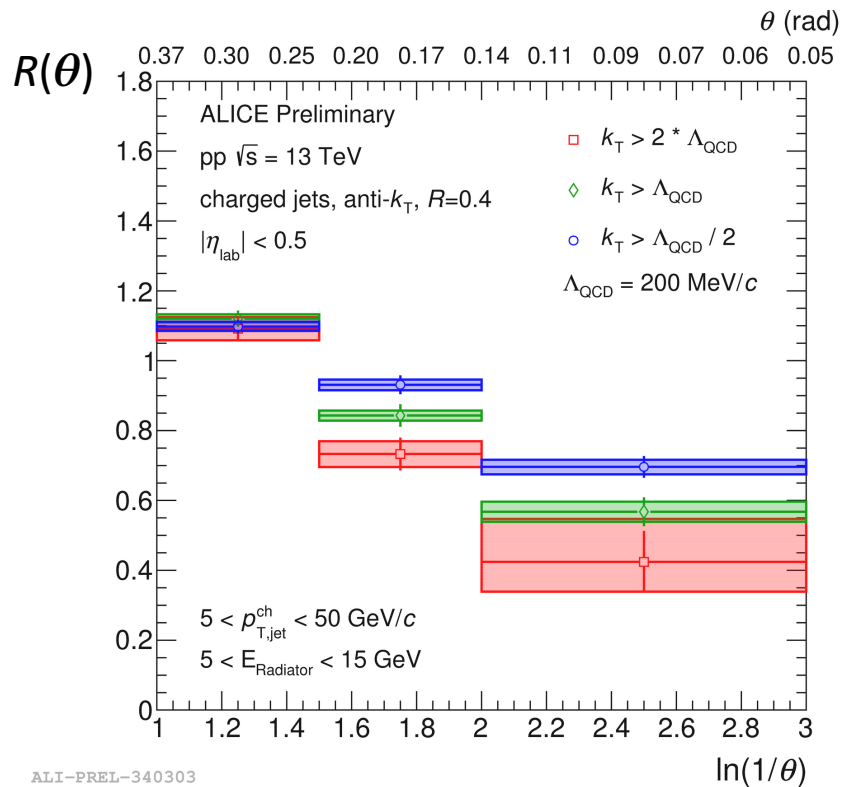


$$R(\theta) = \frac{1}{n^{\text{D}^0\text{jets}}} \frac{dn^{\text{D}^0\text{jets}}}{d\ln(1/\theta)} / \frac{1}{n^{\text{inclusive,jets}}} \frac{dn^{\text{inclusive,jets}}}{d\ln(1/\theta)} \Bigg|_{k_T > x\Lambda_{\text{QCD}}}$$

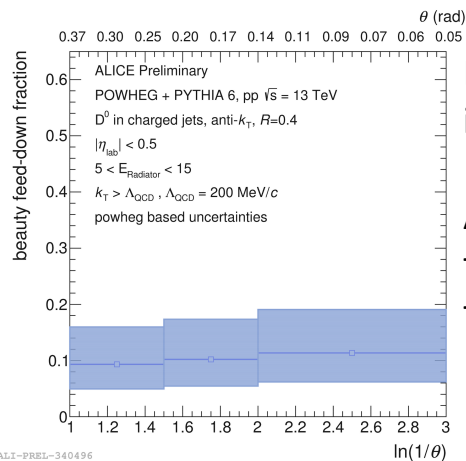
Suppression of splittings at small angles in heavy flavour jets due to the dead cone effect

Effect increases with stricter  $k_T$  cuts, which suppress hadronisation effects

# Direct observation of the dead cone effect



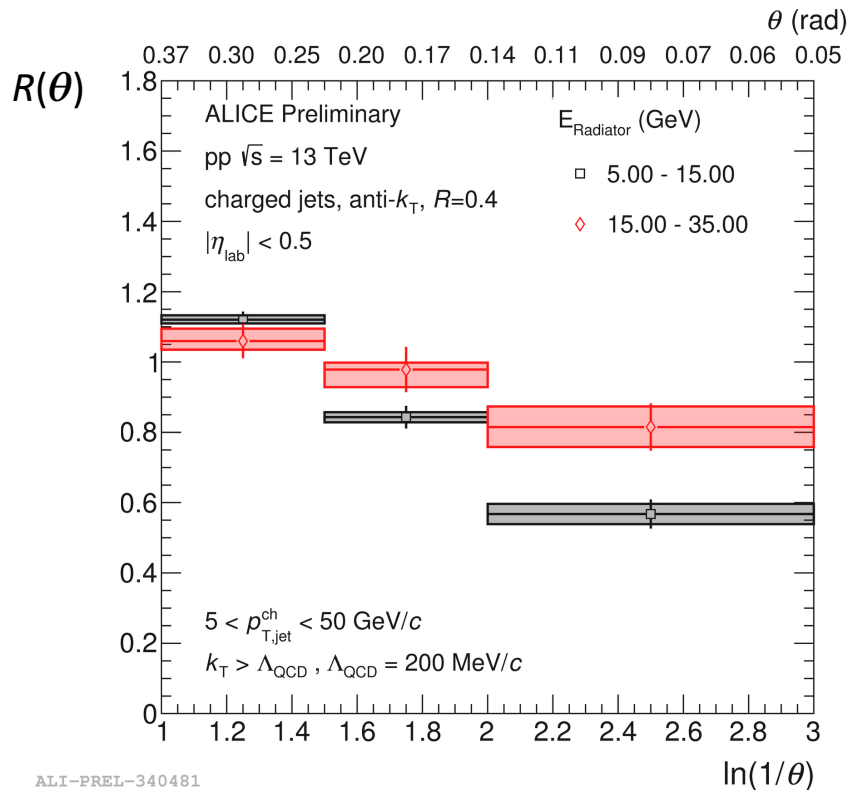
$$R(\theta) = \frac{1}{n^{D^0 jets}} \frac{dn^{D^0 jets}}{d \ln(1/\theta)} / \frac{1}{n^{inclusive jets}} \frac{dn^{inclusive jets}}{d \ln(1/\theta)} \bigg|_{k_T > x \Lambda_{QCD}}$$



Non-prompt fraction  
is  $\sim 10\%$  for  $5 < E_{Radiator} < 15$  GeV

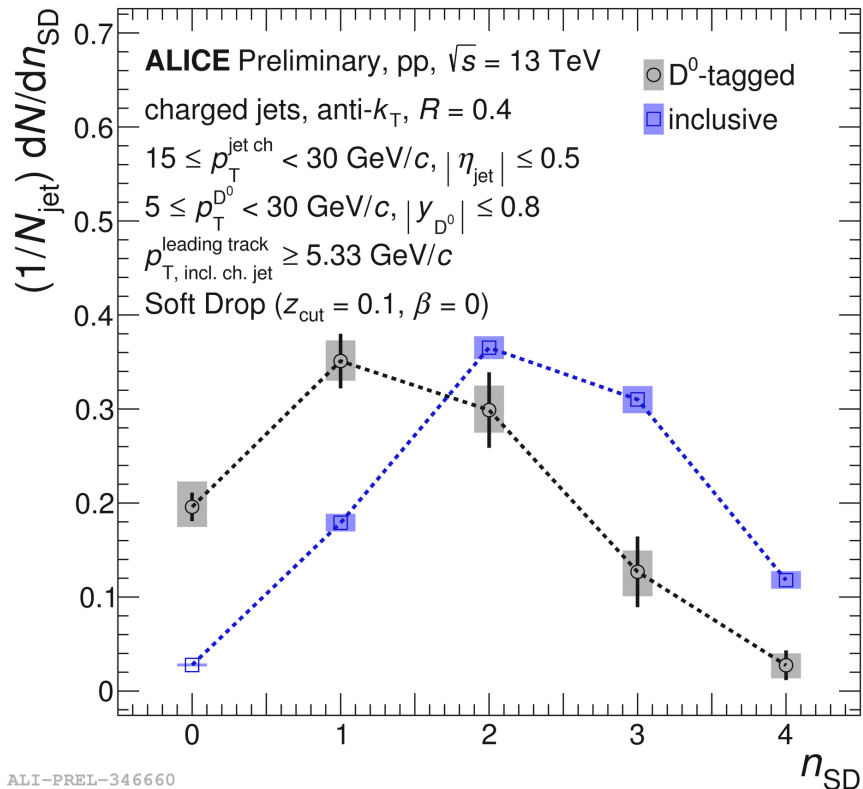
Additional decay products of  
the beauty hadron can cloud  
the dead cone effect

# Dead cone effect: energy of the radiating prong



The suppression is stronger for lower energy splittings, inline with the dependence of the dead cone angle on the radiator energy

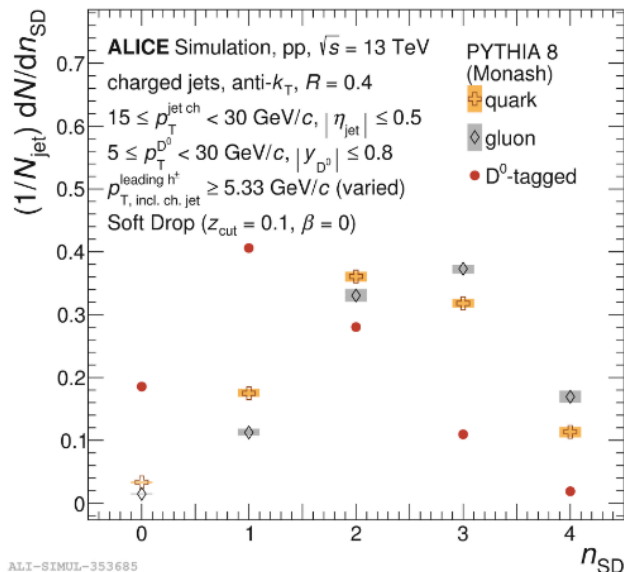
# The dead cone leads to a reduced intrajet multiplicity



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ALICE-PUBLIC-2020-002

Fewer prongs passing the Soft Drop cut for D-jets than for inclusive jets

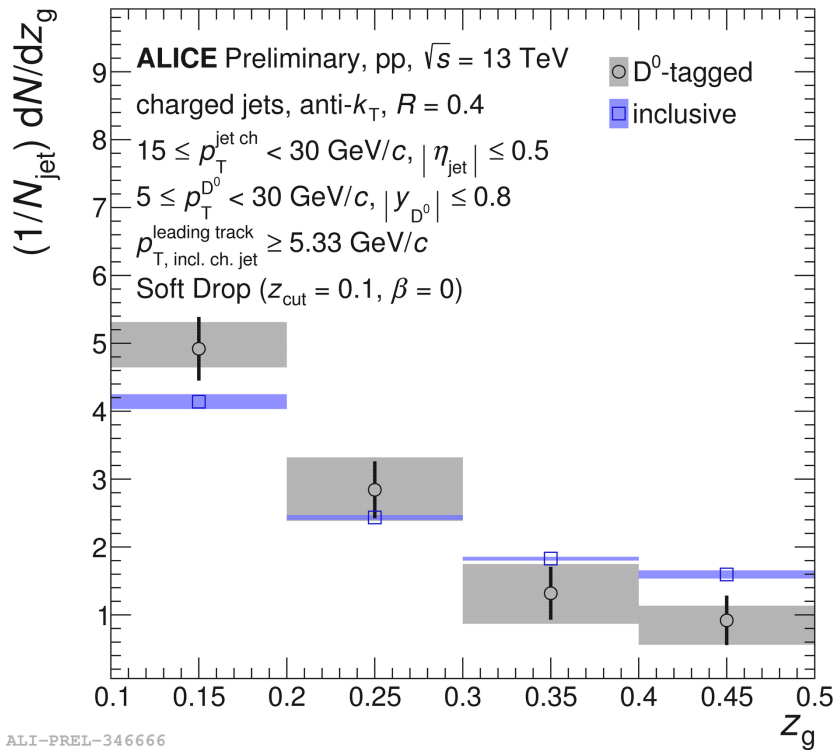


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Both color factors and mass effects contribute to the difference in Pythia

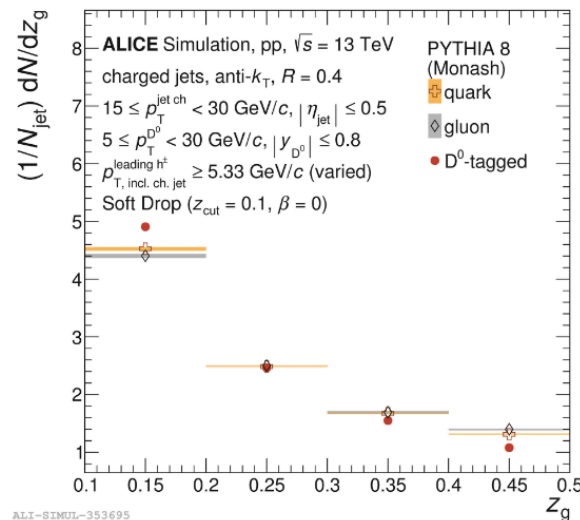


# The dead cone leads to a harder fragmentation



Hint for a more asymmetric groomed momentum balance for D-jets than for inclusive jets

Consistent with a harder fragmentation for heavy quarks

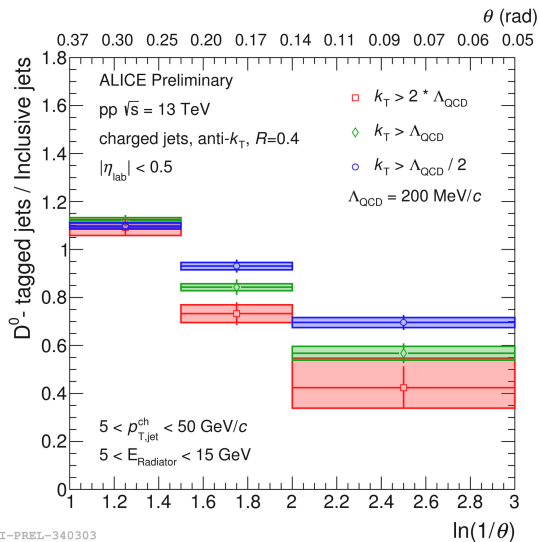


Mass effects are potentially isolated with this observable, since to a good approximation  $z_g$  is the same for quark and gluons [1]

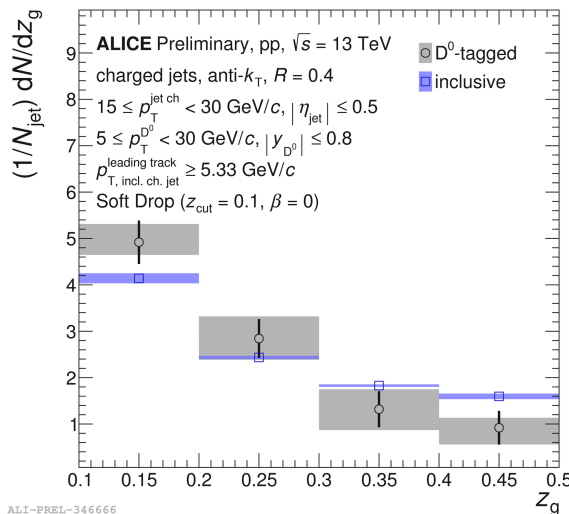
[1] Larkoski et al, *Phys.Rev.Lett.* 119 (2017) 13, 132003

# Conclusions

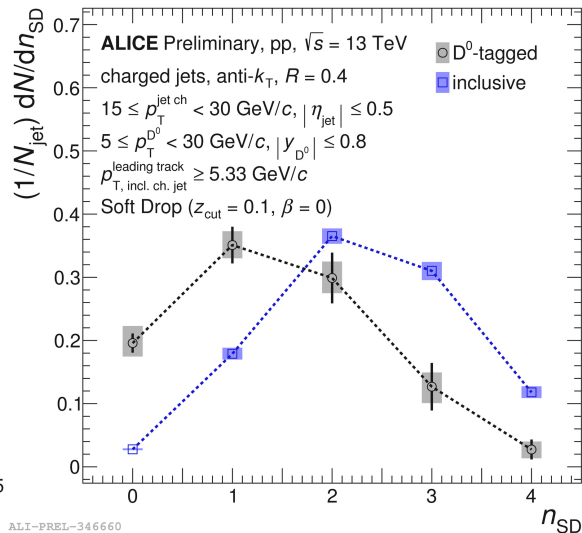
- First direct measurement of the dead cone effect using iterative declustering of fully reconstructed D-jets
- Groomed jet substructure like the momentum balance  $z_g$  or the  $n_{SD}$  probe consequences of the dead cone effect, ie harder fragmentation and lower intrajet multiplicities for HF jets



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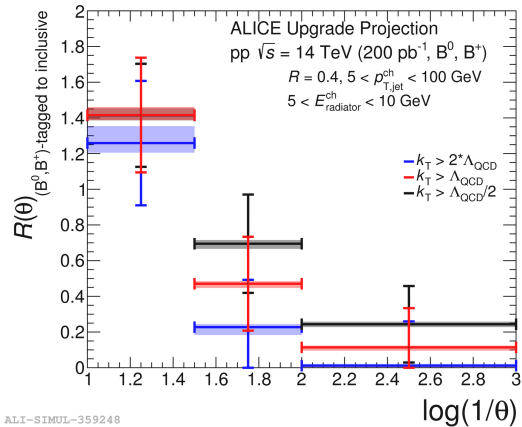


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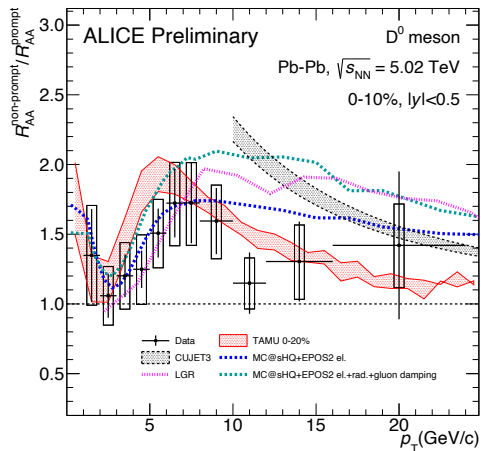
# Prospects: mass scan and dead cone effect in heavy ion collisions



ALI-SIMUL-359248

Improved HF selection after ALICE upgrade in LS2 will allow to measure the dead cone using iterative declustering of jets containing a fully reconstructed B hadron as constituent

Run 3 projections: possibility to measure the dead cone differentially as function of the mass of the heavy hadron and radiator energy



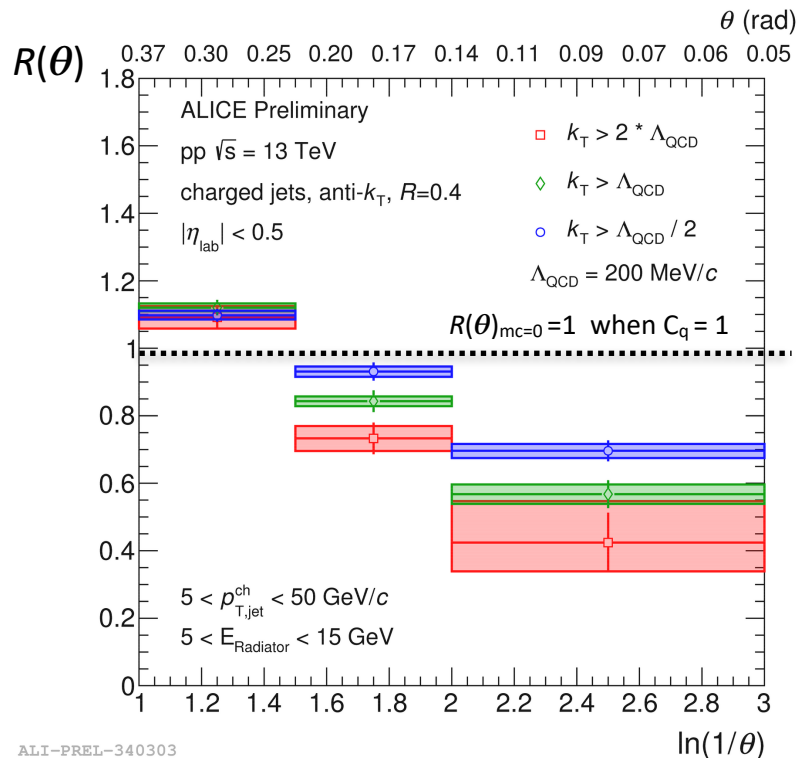
ALI-PREL-332624

In heavy ion collisions, medium-induced radiation is expected to fill the dead cone [1]

Opportunity to explore a region of phase space where vacuum radiation is suppressed and medium-induced signal is expected to dominate?

EXTRAS

# Dead cone: the impact of the inclusive reference



The inclusive jet reference in our measurement is a **mixture of quark and gluon jets**

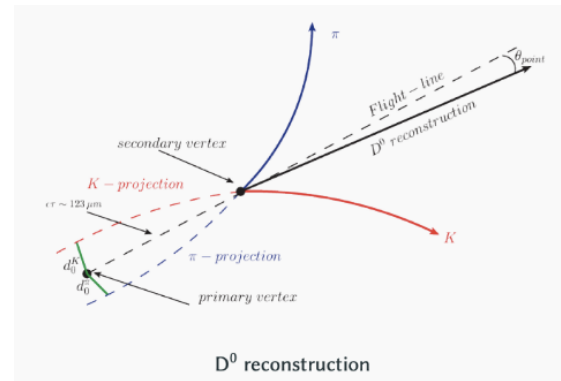
Consequently, the baseline for no dead cone effect ( $m_c=0$ ) is not at unity but rather depends on the difference of the angular distributions of light quarks and gluons

If  $C_q = 1$ ,  $R(\theta)_{mc=0} = 1$

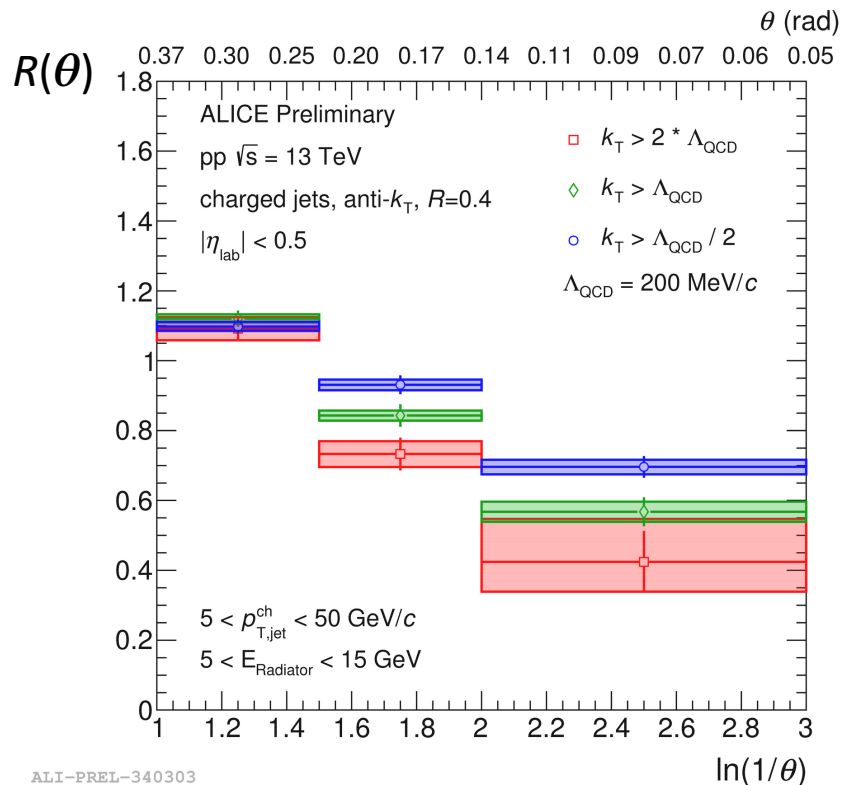
If  $C_q < 1$ ,  $R(\theta)_{mc=0} > 1$  because light quark jets are more collimated than gluon jets

# Direct observation of the dead cone, analysis strategy

- Decay channel:  $D^0 \rightarrow K^\pm \pi^\mp$  (BR=3.8%)
- $D^0$  candidates are reconstructed using PID of K and  $\pi$  and topological cuts on the secondary vertex
- $K^\pm \pi^\mp$  pairs are replaced by the  $D^0$  candidate prior to jet finding
- Jets are clustered with the anti- $k_T$  algorithm with  $R=0.4$
- Jets are reclustered using the Cambridge-Aachen algorithm
- A Lund plane is built using the info from the secondary prongs at each step of the declustering process, the leading prong always contains the  $D^0$  candidate
- A 2D side-band procedure is applied in order to obtain the Lund Plane associated to the  $D^0$  signal only
- A final observable is built as the ratio of the projections of the Lund planes onto  $\theta$  axis for D and inclusive jets
- Detector effects cancel out in the ratio, which can be directly compared to particle-level calculations after appropriate weighting of the prompt and non-prompt fractions



# Direct observation of the dead cone effect



$$R(\theta) = \frac{1}{n^{\text{D}^0\text{jets}}} \frac{dn^{\text{D}^0\text{jets}}}{d\ln(1/\theta)} / \frac{1}{n^{\text{inclusive,jets}}} \frac{dn^{\text{inclusive,jets}}}{d\ln(1/\theta)} \Bigg|_{k_T > x\Lambda_{\text{QCD}}}$$

Dominant sources of the experimental uncertainty are:

- Fitting ranges and fitting functions of the invariant mass distribution
- Signal and bkg ranges in the SD subtraction procedure
- Variations of the topological and PID cuts for the D selection

Other sources are:

- Uncertainties of the POWHEG calculation used to derive the prompt/non-prompt fractions
- Tracking efficiency uncertainty of  $\sim 4\%$
- Leading track requirement in the inclusive case