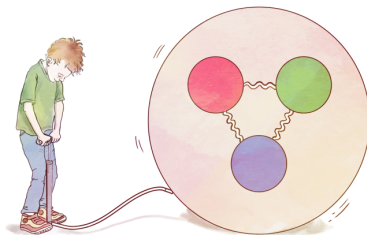


# Revealing proton structure with neural networks

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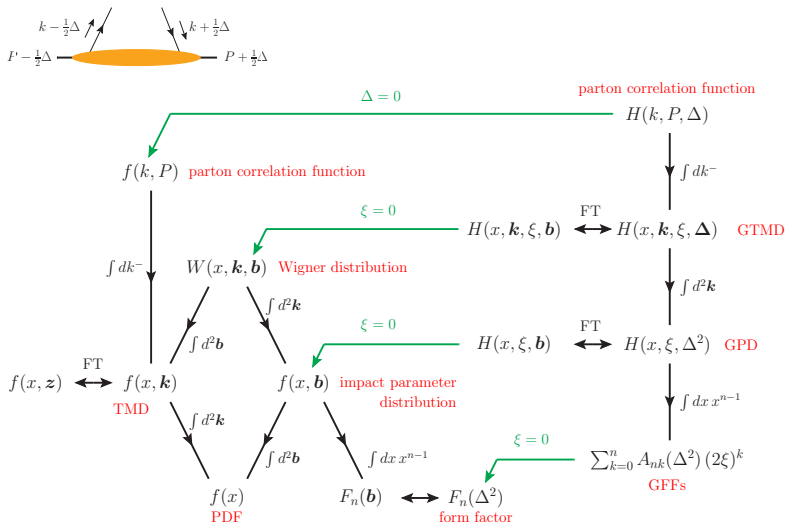
ICHEP 2020 — Prague



# Outline

- ➊ Introduction: proton structure by GPDs
- ➋ Quark pressure (using neural nets)
- ➌ Flavor separation (using neural nets)
- ➍ Summary

# Family tree of hadron structure functions

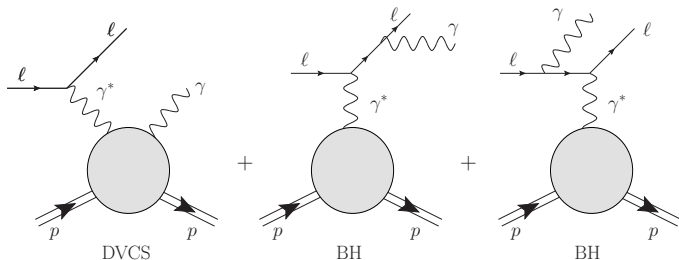


[Fig. by Markus Diehl]

( $\xi \rightarrow \eta$  from now on)

# Access to GPDs via DVCS

- **Deeply virtual Compton scattering (DVCS)** — “gold plated” process of exclusive physics
- DVCS is measured via lepton production of a photon



- **Interference** with Bethe-Heitler process gives unique access to both real and imaginary part of DVCS amplitude.

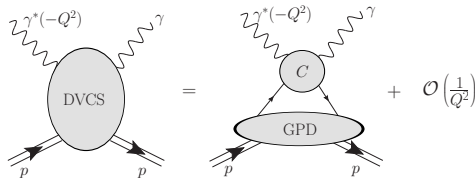
# DVCS $\longrightarrow$ CFFs $\longrightarrow$ GPDs

- At leading order DVCS cross-section depends on four complex

## Compton form factors (CFFs)

$$\mathcal{H}(\xi, t, Q^2), \quad \mathcal{E}(\xi, t, Q^2), \quad \tilde{\mathcal{H}}(\xi, t, Q^2), \quad \tilde{\mathcal{E}}(\xi, t, Q^2)$$

- [Collins et al. '98]



- CFFs are convolution:

$${}^a\mathcal{H}(\xi, t, Q^2) = \int dx C^a(x, \xi, \frac{Q^2}{Q_0^2}) H^a(x, \xi, t, Q_0^2) \quad a=q, G$$

- $H^a(x, \eta, t, Q_0^2)$  — Generalized parton distribution (GPD)

[Müller '92, et al. '94, Ji, Radyushkin '96]

# Three “classical” objectives of GPD studies

- Both meanings are valid:
  - “classical” = well known, venerable
  - “classical” = understandable from non-quantum viewpoint

## 1 Ji's “sum rule”

$$J_z^a = \frac{1}{2} \int_{-1}^1 dx x \left[ H^a(x, \eta, t) + E^a(x, \eta, t) \right]_{t \rightarrow 0} \quad [\text{Ji '96}]$$

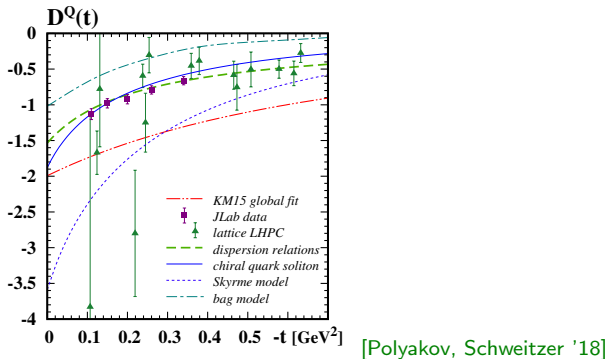
## 2 3D tomography

$$\rho(x, \vec{b}_\perp) = \int \frac{d^2 \vec{\Delta}_\perp}{(2\pi)^2} e^{-i\vec{b}_\perp \cdot \vec{\Delta}_\perp} H(x, 0, -\vec{\Delta}_\perp^2) \quad [\text{Burkardt '00}]$$

- ## 3 Pressure distribution in the nucleon — directly related to subtraction constant $\Delta(t)$ of CFF dispersion relation — directly related to GPD “D-term” [Polyakov '03, Teryaev '05]

$$\Delta(t) = \Re \mathcal{H}(\xi, t) - \frac{1}{\pi} \text{P.V.} \int_0^1 dx \frac{2x}{\xi^2 - x^2} \Im \mathcal{H}(x, t)$$

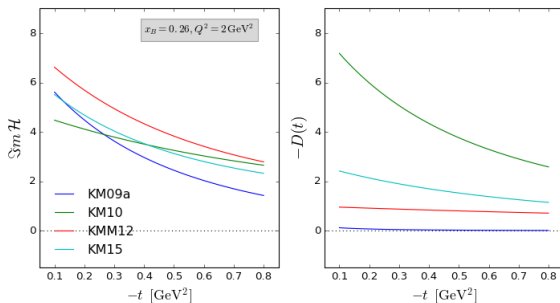
# Extractions of D-term



- Several model and lattice QCD calculations
- But can we **measure** it?
- [Burkert, Elouadrhiri, Girod '18 (Nature)] use CLAS DVCS data to extract  $D$ -term with great precision!

# Extractions of D-term in KM global fits

- In KM fits [K.K., D. Müller] systematic uncertainty due to model selection is unknown and for D-term seems very large:

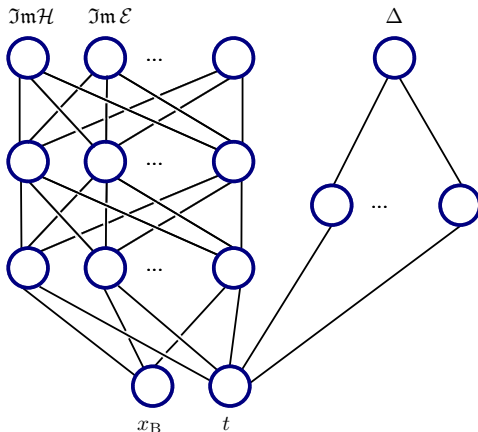


- To fix this, we turn to neural nets method.



# Neural nets fits

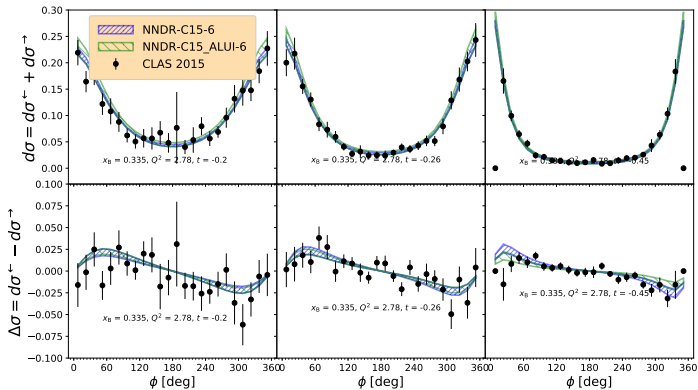
# Fitting with neural networks



- Essentially a least-square fit of a complicated many-parameter function.  $\Rightarrow$  no theory bias

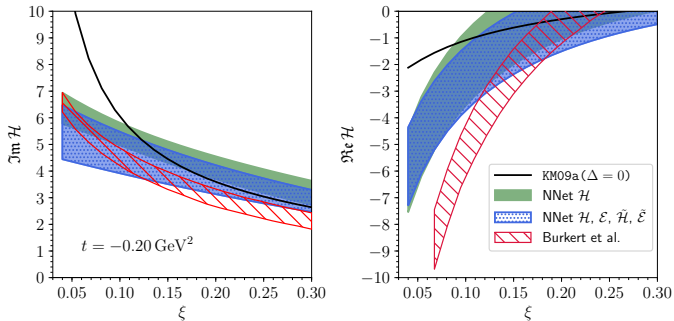
# Study A: Neural net fit to CLAS 2015 data

- Description of CLAS 2015  $d\sigma$  and  $\Delta\sigma$  measurements [Jo et al. '15] is good:



# Resulting CFF $\mathcal{H}$

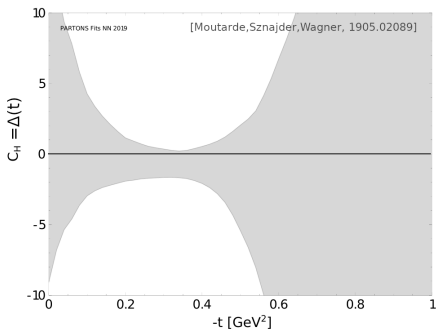
- $\Im m \mathcal{H}$  — good agreement with [Burkert et al., Nature '18]
- $\Re e \mathcal{H}$  — only qualitative agreement



- Resulting  $\Delta(t) = 0.78 \pm 1.5$ , with almost no dependence on  $t$ ! So D-term (and pressure) are consistent with **zero** in this model-independent approach! [K.K., Nature '19]

# Subtraction constant by PARTONS group

- Neural net fit to **global** DVCS data still results in a D-term consistent with zero 😞

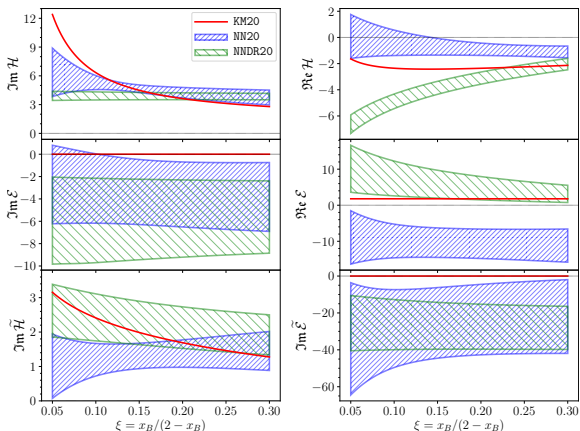


- [Moutarde, Sznajder, Wagner '19]

# Flavor separation by neural nets

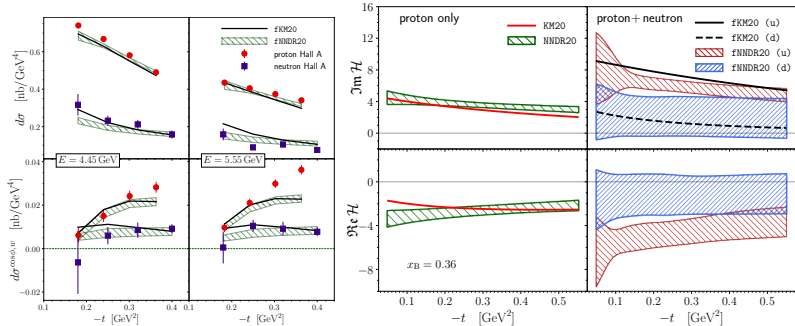
# Study B: Neural net fit to JLab fixed target data

- [Čuić, K.K. and Schäfer '20]
- Extraction of 6 CFFs:



# Flavor separation using neutron DVCS

- Including neutron DVCS data recently measured by Hall A at JLab [Benali et al. '20]





# Summary

- Neural network method has a unique capability of extraction of Compton form factors (and, later, GPDs) with **reliable uncertainties**
- More experimental and phenomenological work is needed to determine pressure distribution in a nucleon in a **reliable and model-independent way**.
- proton and neutron DVCS data enable clear **separation of  $u$  and  $d$  quark** flavor contributions to leading CFF  $\mathcal{H}$ .

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The End