

# Search for the axion dark matter in the mass range of $6.62\text{--}6.82 \mu\text{eV}$

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CAPP

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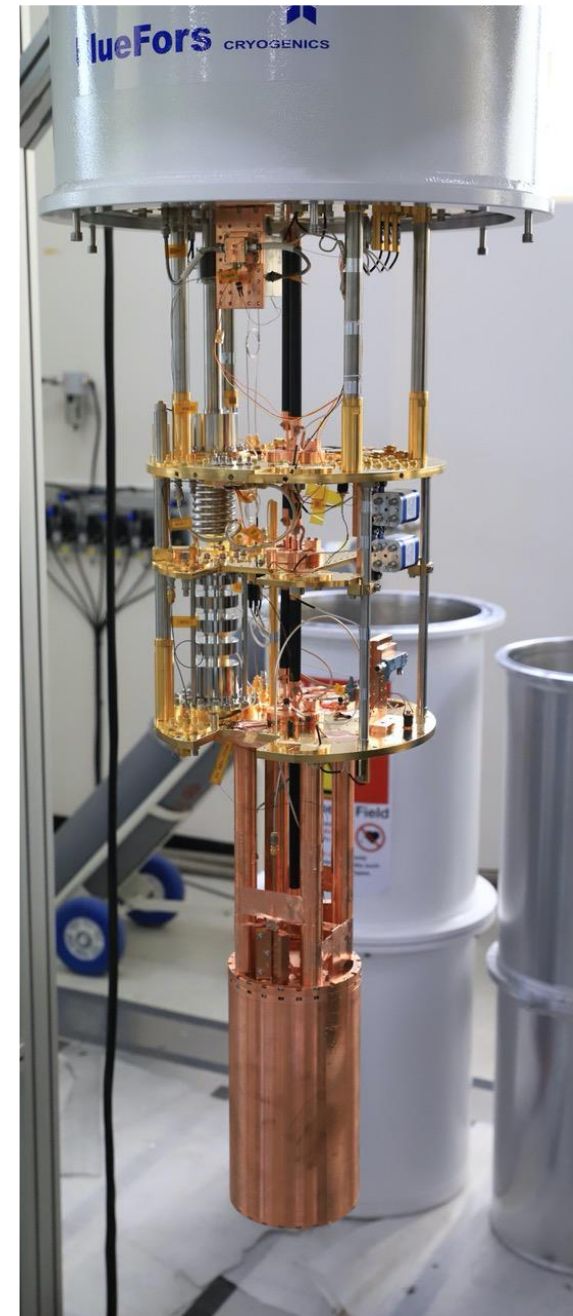
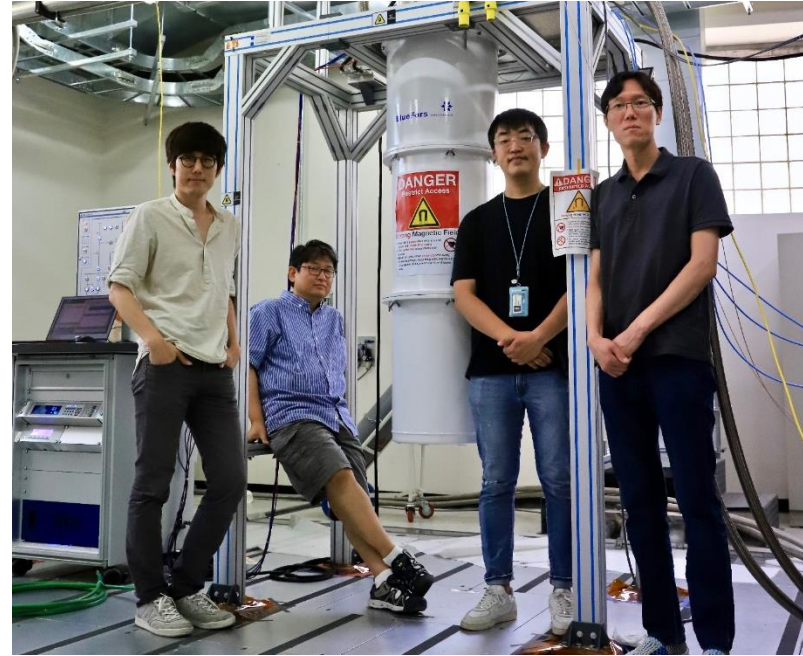
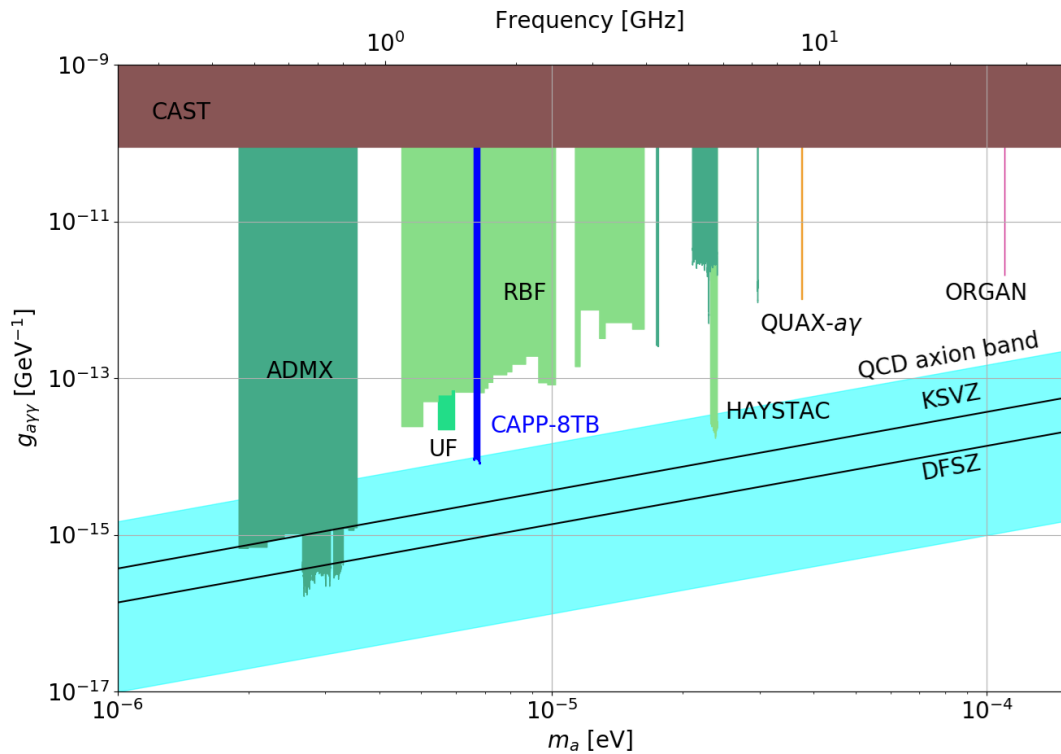
# Axion dark matter search in IBS/CAPP



CAPP : **C**enter for **A**xion and **P**recision **P**hysics at **I**nstitute for **B**asic **S**cience (IBS) in Daejeon, South Korea



# CAPP-8TB axion haloscope



## CAPP-8TB : Axion dark matter search in IBS/CAPP

- Phys. Rev. Lett. 124, 101802 (2020) :  $6.62 < m_a < 6.82 \mu\text{eV}$  (1.6 – 1.65 GHz)

8TB stands for **8 T** magnetic field, relatively **B**ig magnet bore size

# Axion

## Strong CP problem

- CP violation in QCD by introducing  $\theta$  – vacuum
- Neutron EDM in QCD and  $\theta$ 
  - $|d_n| < 1.8 \times 10^{-26}$  e.cm <sup>[1]</sup> from the recent measurement
  - Corresponding to  $\theta < O(10^{-9})$  why should it be so small?
- Resolution of the strong CP problem
  - A global chiral  $U(1)$  symmetry, or  $U(1)_{PQ}$  symmetry <sup>[2]</sup>

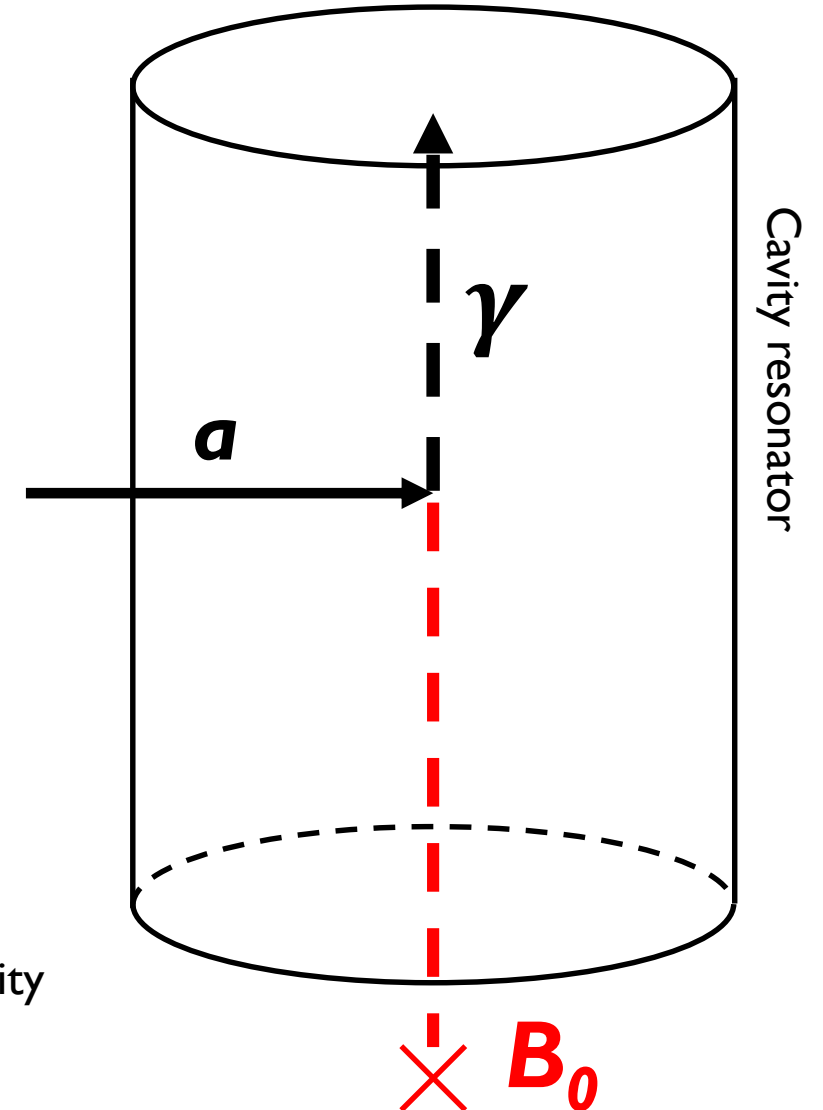
## Axion

- Result of spontaneous breaking of  $U(1)_{PQ}$  symmetry
- Invisible axion
  - KSVZ and DFSZ model
  - Long life-time, very light and long-lived
  - **A promising candidate for cold dark matter** ( $1 \mu\text{eV}$  to  $3 \text{meV}$ )
- Sikivie effect <sup>[3]</sup>
  - Resonant conversion of axion ( $a$ ) to photon ( $\gamma$ ) in a microwave cavity in a static magnetic field ( $B_0$ )

[1] Phys. Rev. Lett, 124, 081803 (2020)

[2] R. D. Peccei and H. R. Quinn, Phys. Rev. Lett. 38, 1440 (1977)

[3] P. Sikivie, Phys. Rev. Lett. 51, 1415 (1983); Phys. Rev. D 32, 2988 (1985).



# Axion haloscope

**Axion to photon conversion power  $P_a$  picked up by the receiver**

$$P_a^{a\gamma\gamma} = g_{a\gamma\gamma}^2 \frac{\rho_a \hbar^2}{m_a^2 c} \omega (2U_M) C Q_L \frac{\beta}{\beta + 1}$$

$g_{a\gamma\gamma}$  : Axion-photon coupling strength

$\rho_a$  : Local dark matter density

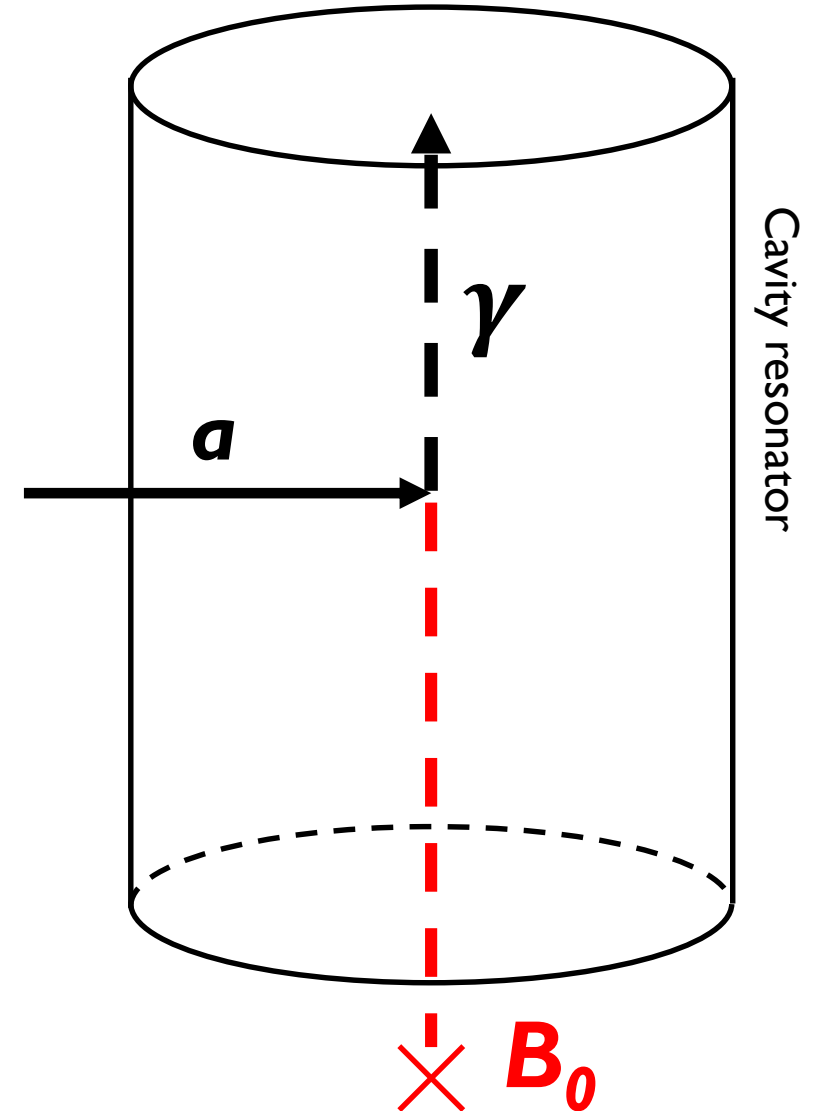
$U_M = \frac{1}{2\mu_0} \int dV |\vec{B}|^2 = B_{avg}^2 V$  : Magnetic field energy in the resonator

( $\vec{B}$  : Static magnetic field,  $V$  : resonator volume)

$C$  : Form factor

$Q_L$  : Loaded Quality factor of the resonator

$\beta$  : Resonator mode coupling to the load (antenna)



# Axion haloscope

## System noise

$$T_n = T_A + T_{cavity}$$

$T_n$  : System noise temperature

$T_A$  : Equivalent noise temperature of the amplifier

$T_{cavity}$  : Thermal noise from the resonator

## Signal-to-noise ratio (SNR)

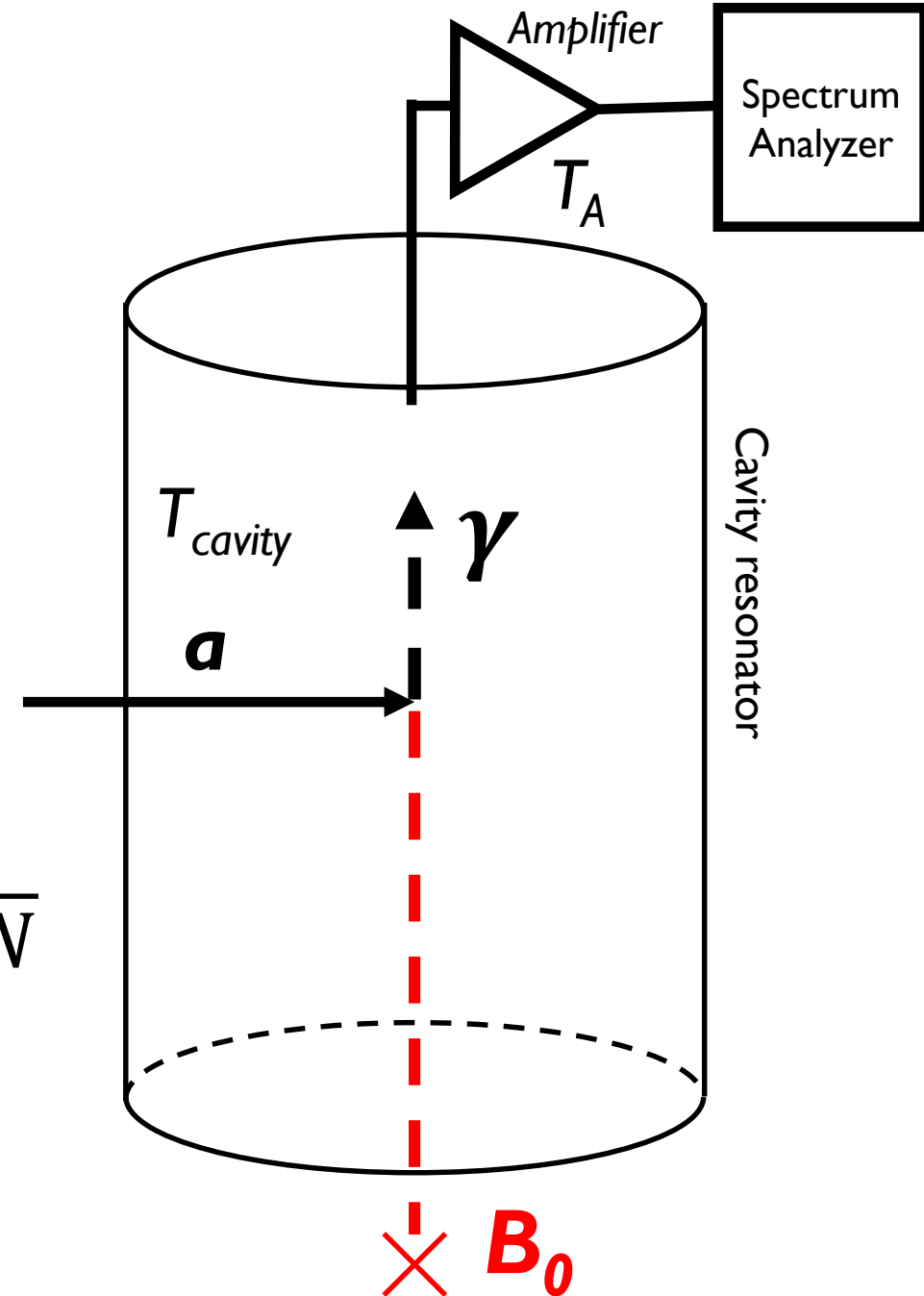
$$SNR \equiv \frac{P_a^{a\gamma\gamma}}{\sigma_{P_n}} = \frac{P_a^{a\gamma\gamma}}{P_n} \sqrt{N} = \frac{P_a^{a\gamma\gamma}}{k_B \Delta\nu_a T_n} \sqrt{N}$$

$P_n, \sigma_{P_n}$  : noise power, fluctuations of noise power

$k_B$  : Boltzmann's constant

$\Delta\nu_a$  : Axion signal window

$N$  : number of spectra averaged

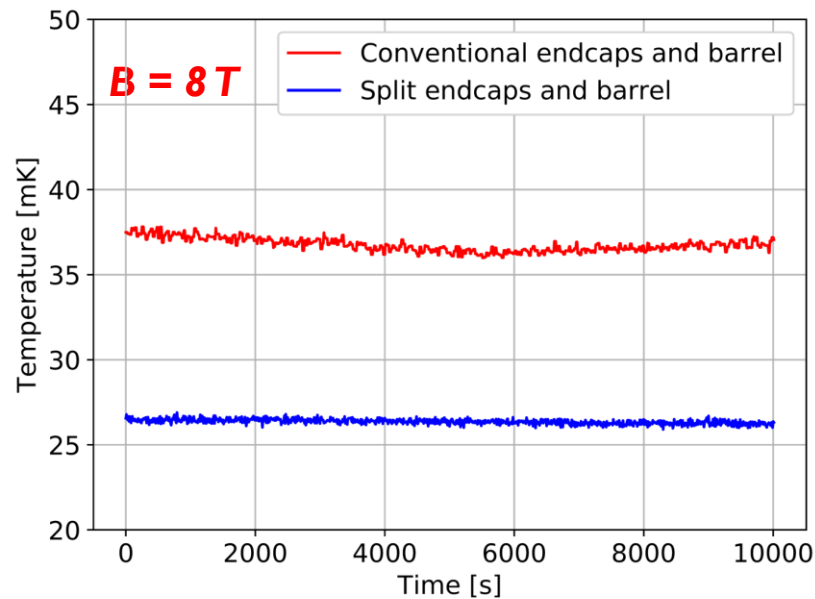
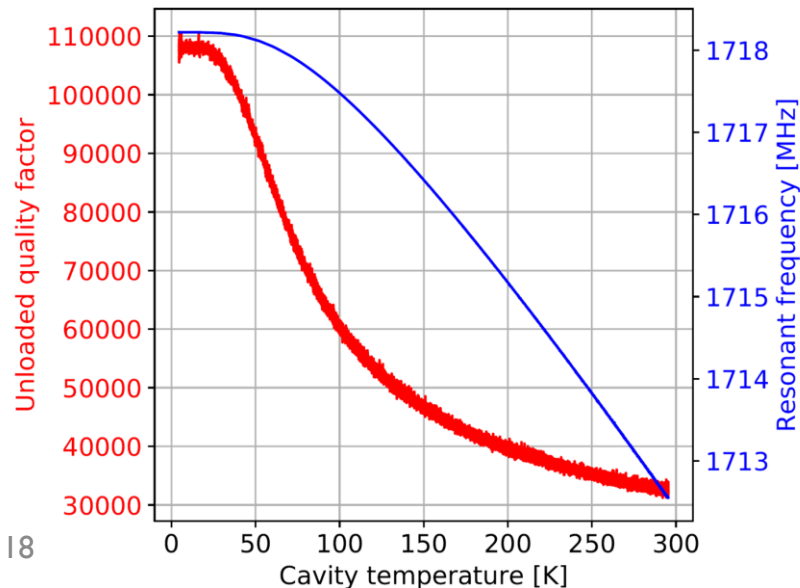
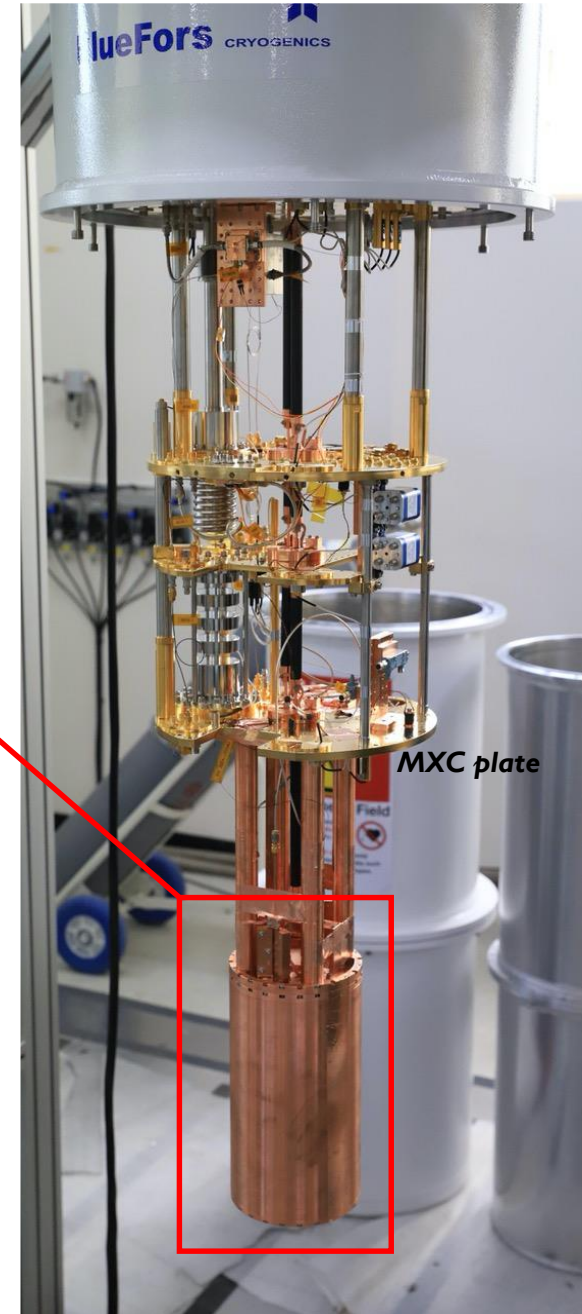
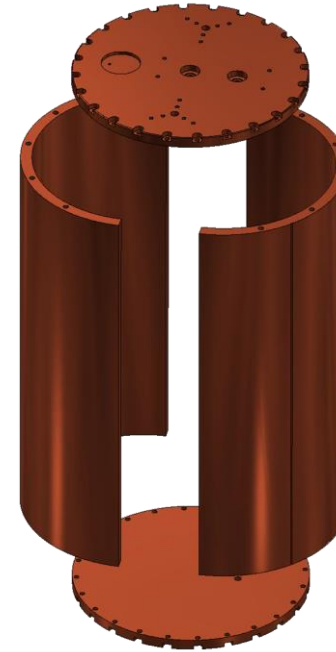


# Microwave cavity resonator

- Cavity : OFHC copper, 134 mm diameter, 246 mm height
  - $V = 3.47$  Liters
- $TM_{010}$  mode: maximum C factor among the cavity modes

$$f_{010} = \frac{c}{2\pi\sqrt{\mu_r\epsilon_r}} \frac{X_{01}}{R} \sim \frac{0.1147}{R} \text{ [GHz]} = 1.712 \text{ [GHz]}$$

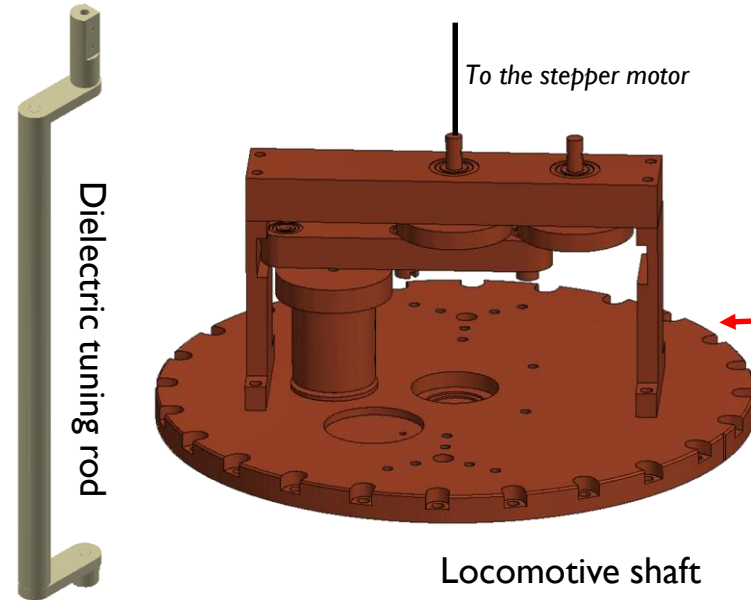
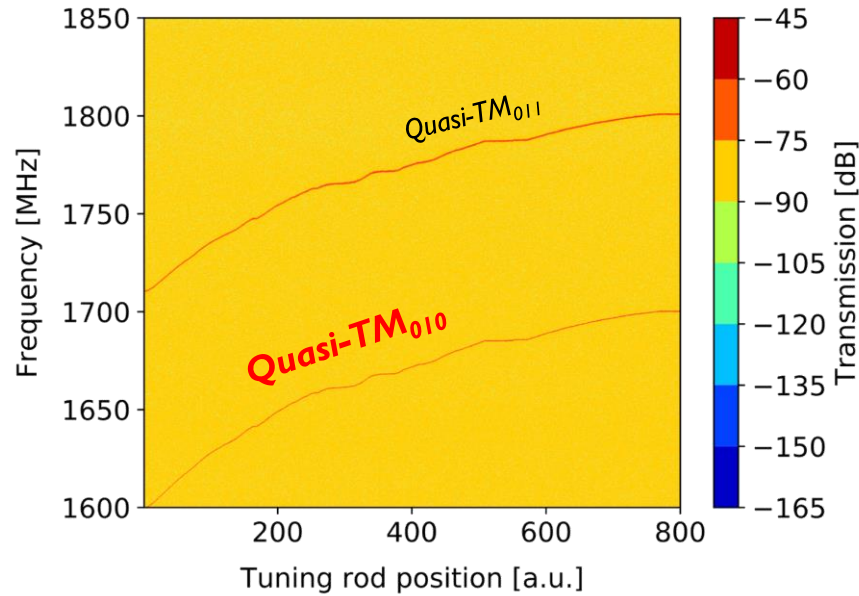
- Q factor at low temperature  $\sim 110,000$
- Split design : minimizing the heat from the eddy current





# Frequency tuning

- Dielectric tuning rod ( $\text{Al}_2\text{O}_3$ )
- Frequency range of Quasi- $\text{TM}_{010}$  mode = 1.43 – 1.7 GHz
- **No mode crossing** throughout the range
- Stepper motor at room temperature
- **CFRP (carbon fiber) tube**
  - All the way from the motor to the cavity
- Frequency tuning tolerance =  $\pm 500$  Hz





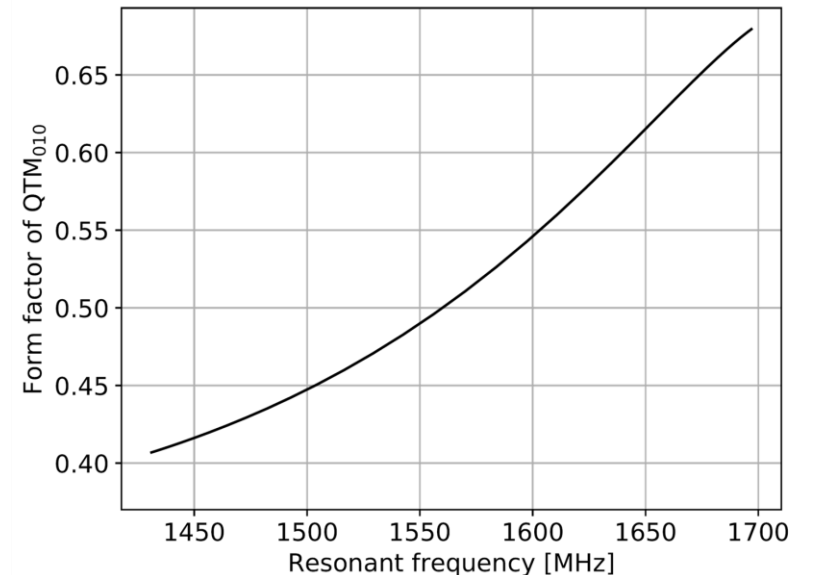
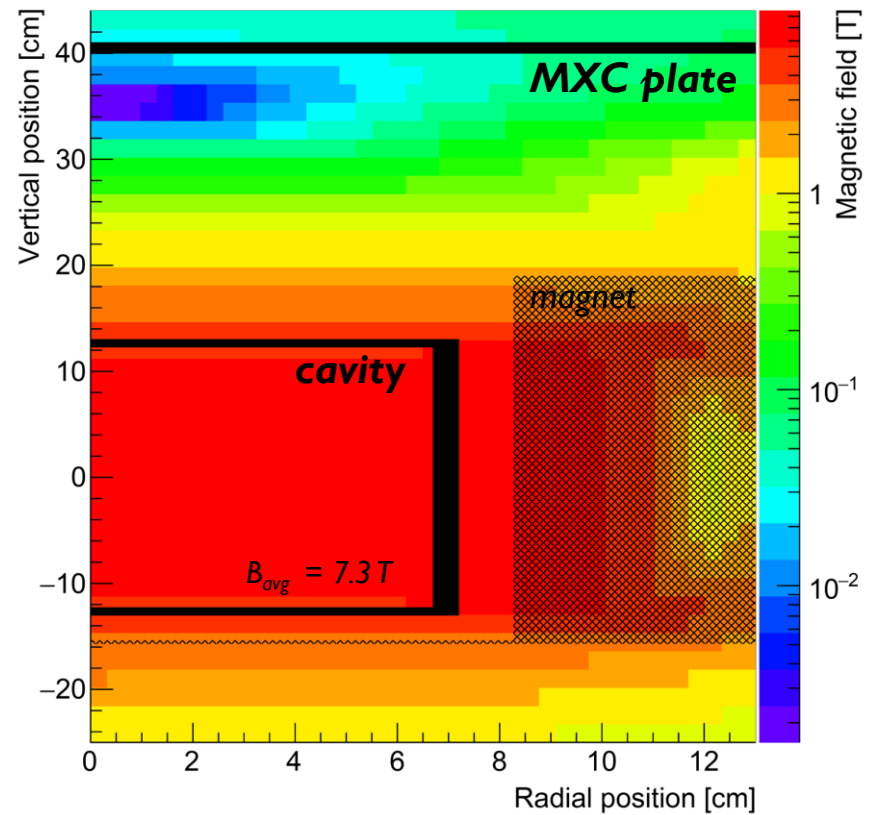
# Magnetic field & form factor

- Solenoid magnet : superconducting (NbTi) wire
  - With compensation coil : few hundred Gauss near MXC plate
- Maximum B field = 8 T
- Volume average in cavity = 7.3 T

$$C_{lmn} = \frac{\left| \int_V dV \vec{E}_{lmn} \cdot \vec{B}_{ext} \right|^2}{B_{avg}^2 V \int_V dV \epsilon \left| \vec{E}_{lmn} \right|^2}$$

$\vec{E}$  : Electric field of the cavity mode  
 $\vec{B}_{ext}$  : External static magnetic field  
 $l, m, n$  : cavity mode number  
 $B_{avg}$  : Volume average of external B field  
 $V$  : cavity volume  
 $\epsilon$  : relative dielectric constant

- Form factor : alignment between mode E field and external B field
  - Calculated with E field profile from EM wave simulation (COMSOL)
- TM<sub>010</sub> mode, uniform B field with perfect alignment = 0.69
- C factor of QTM<sub>010</sub> modes : frequency dependent < 0.69
  - Asymmetry in electric field due to dielectric tuning rod
  - Uniformity of B field



# Q factor & antenna coupling

$$Q = \frac{\nu_c}{\Delta\nu_c}, \quad \beta \equiv \frac{Q_0}{Q_{ext}}, \quad Q_L = \frac{Q_0}{\beta + 1}$$

$\nu_c$  : resonance frequency  
 $\Delta\nu_c$  : FWHM of cavity transmission signal  
 $\beta$  : antenna coupling  
 $Q_0, Q_L$  : Unloaded and loaded Q factor  
 $Q_{ext}$  : antenna Q factor

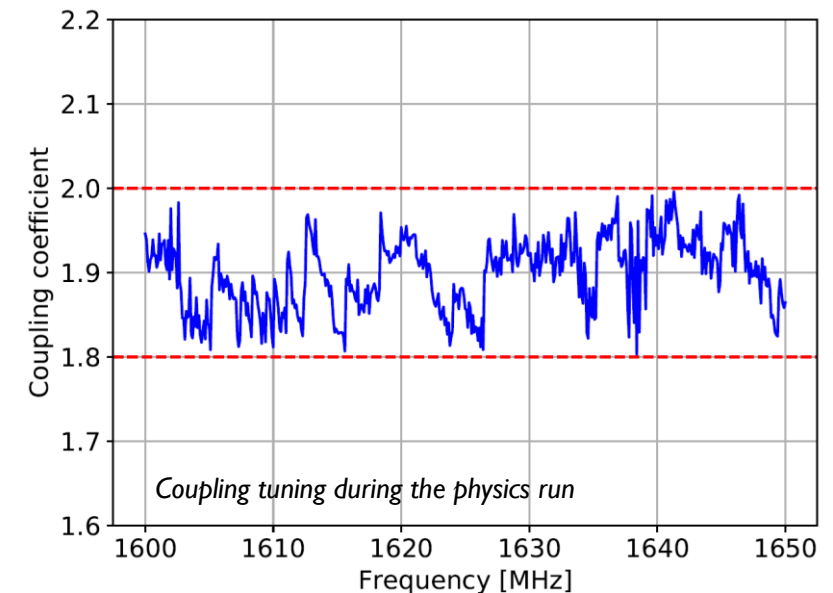
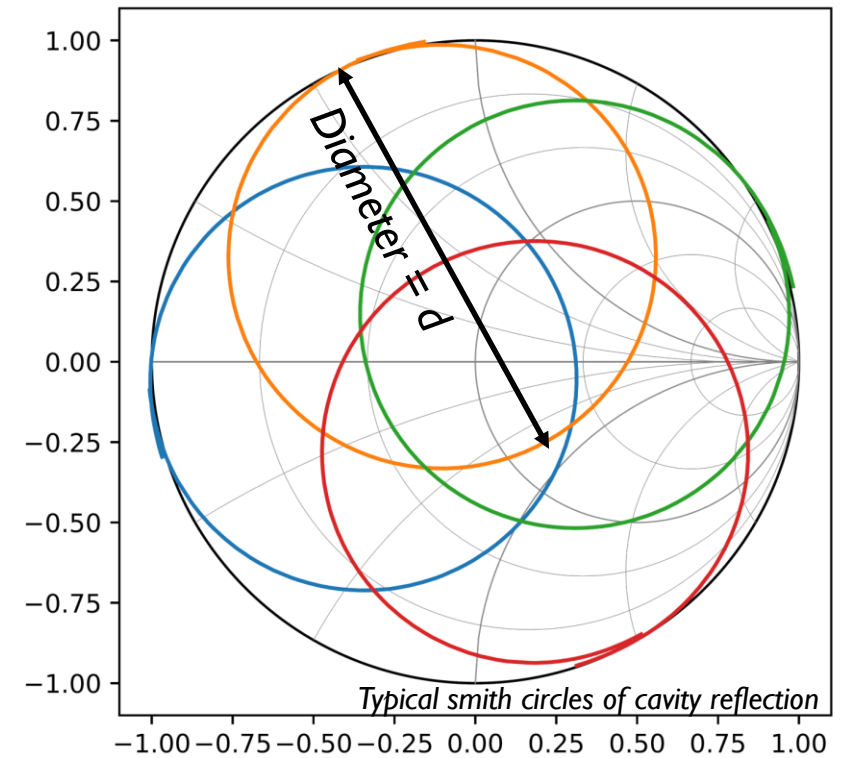
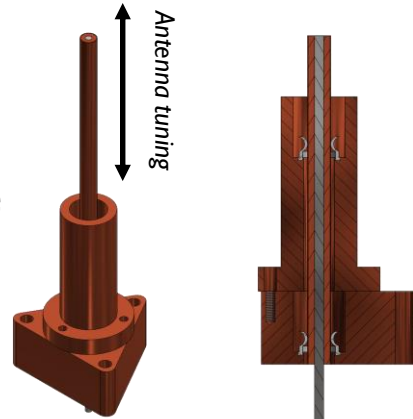
- Antenna coupling measurement from smith chart\*

$$\beta = \frac{d}{2 - d} \quad (d = \text{diameter of smith circle})$$

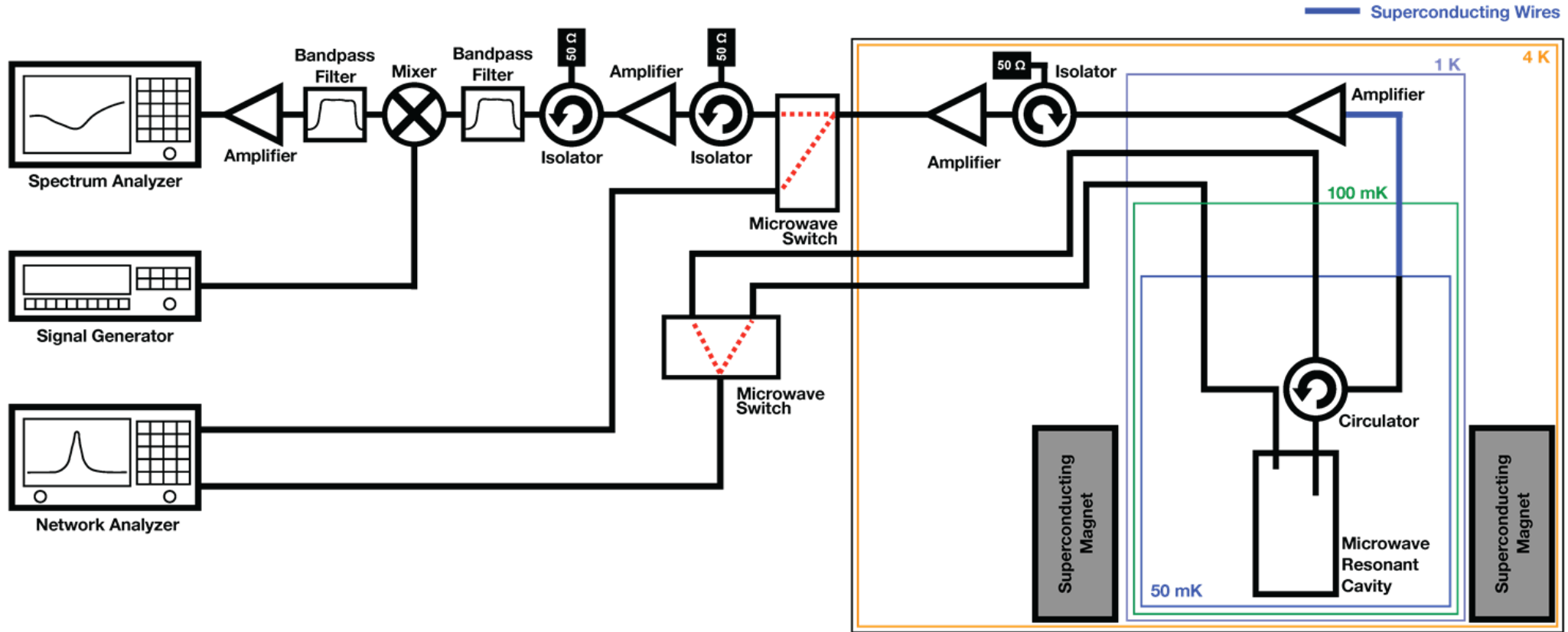
- Scan rate =  $\Delta\nu_c / \tau$ 
  - $\Delta\nu_c$  = loaded cavity bandwidth,  $\tau$  = integration time
  - $\beta = 2$  is optimum for the scan rate

- Tuning the antenna coupling
  - Linear stepper motor
  - Increase/decrease the depth of antenna in cavity

- Tuning tolerance :  $\beta = [1.8, 2.0]$



# Receiver chain



- First and second amplifier : HEMT at 1 K, 4 K stage
- Typical effective noise temperature of the first amplifier < 1 K
- Total system gain ~ 132 dB



# Noise power spectrum

- Noise analysis from the equivalent circuit\*

$$P(\Delta) = k_B \Delta \nu_b G \frac{a_1 + 8a_3 \left(\frac{\Delta - a_5}{a_2}\right)^2 + 4a_4 \left(\frac{\Delta - a_5}{a_2}\right)}{1 + 4 \left(\frac{\Delta - a_5}{a_2}\right)^2}$$

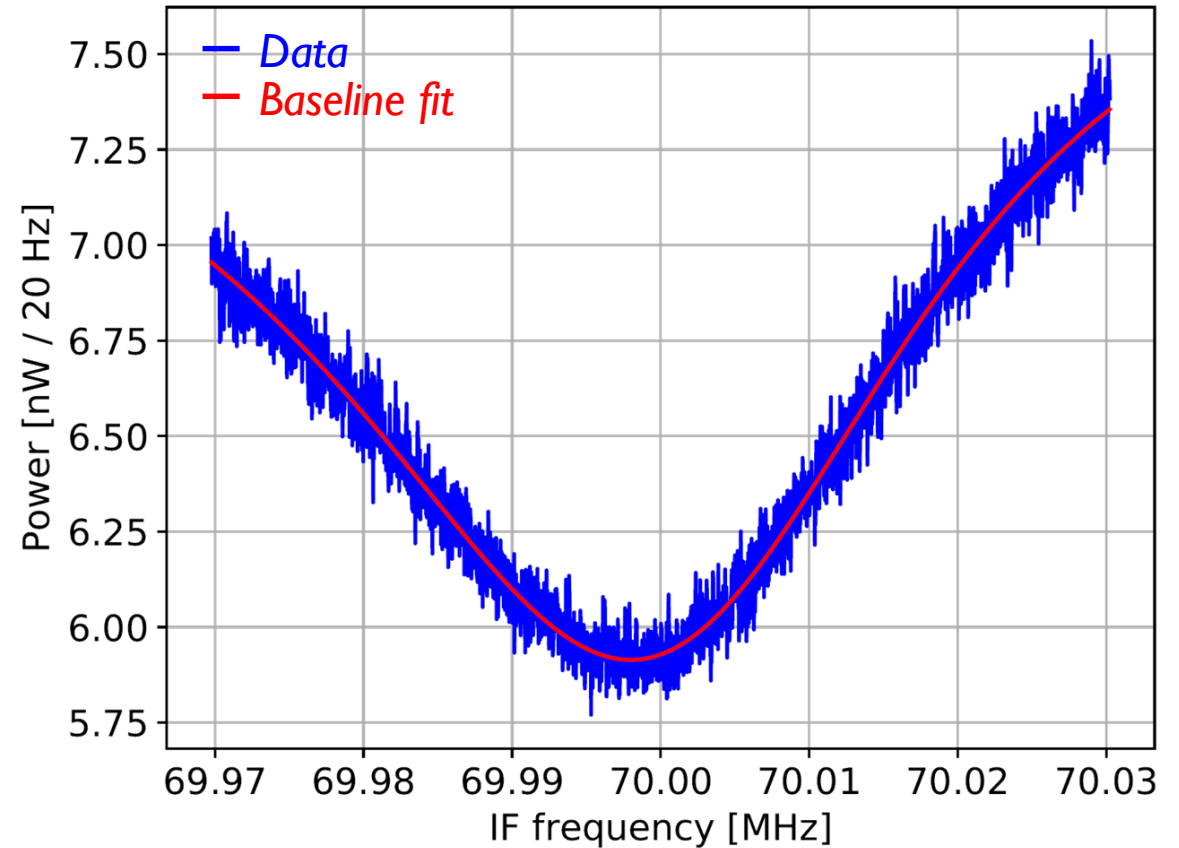
$k_B$  : Boltzmann's constant

$\Delta \nu_b$  : Resolution bandwidth

$G$  : Total system gain

$\Delta$  : Frequency offset from the spectrum center

$a_1 \sim a_5$  : Fit parameters



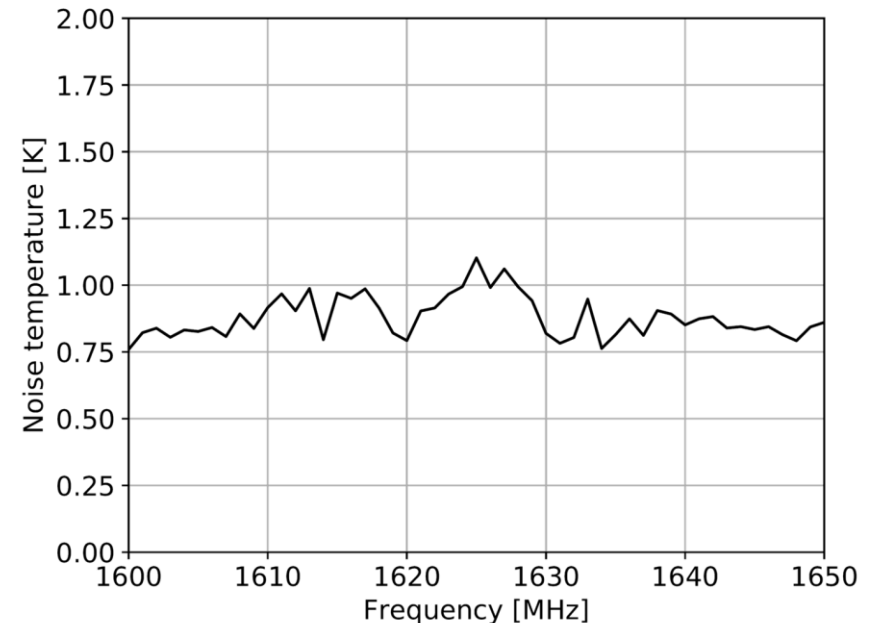
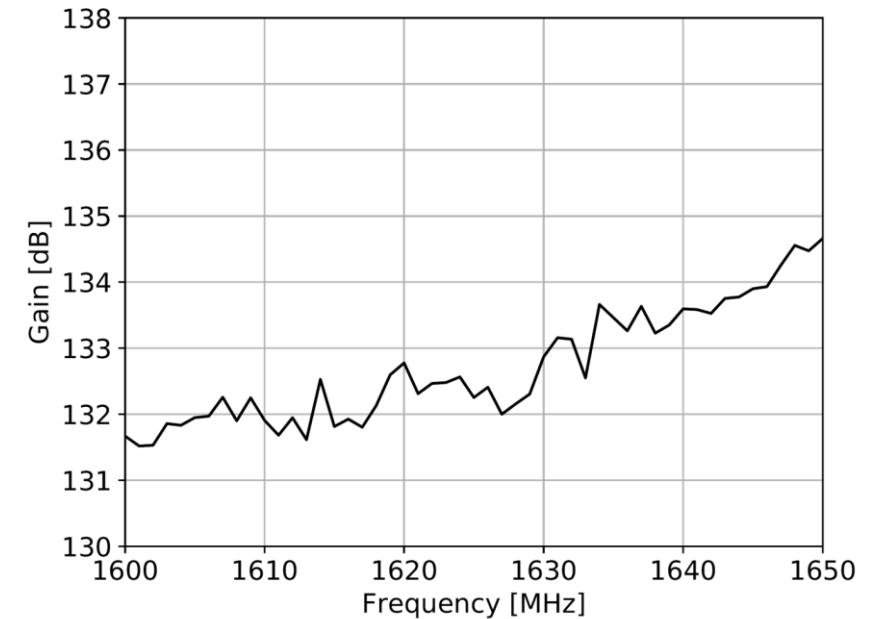
# Noise & gain measurements

- Cavity as a noise source
- Noise power measurements at different cavity temperatures (50 mK, 200 mK)

$$G = \frac{P_h - P_c}{k_B \Delta \nu_b (T_h - T_c)}$$

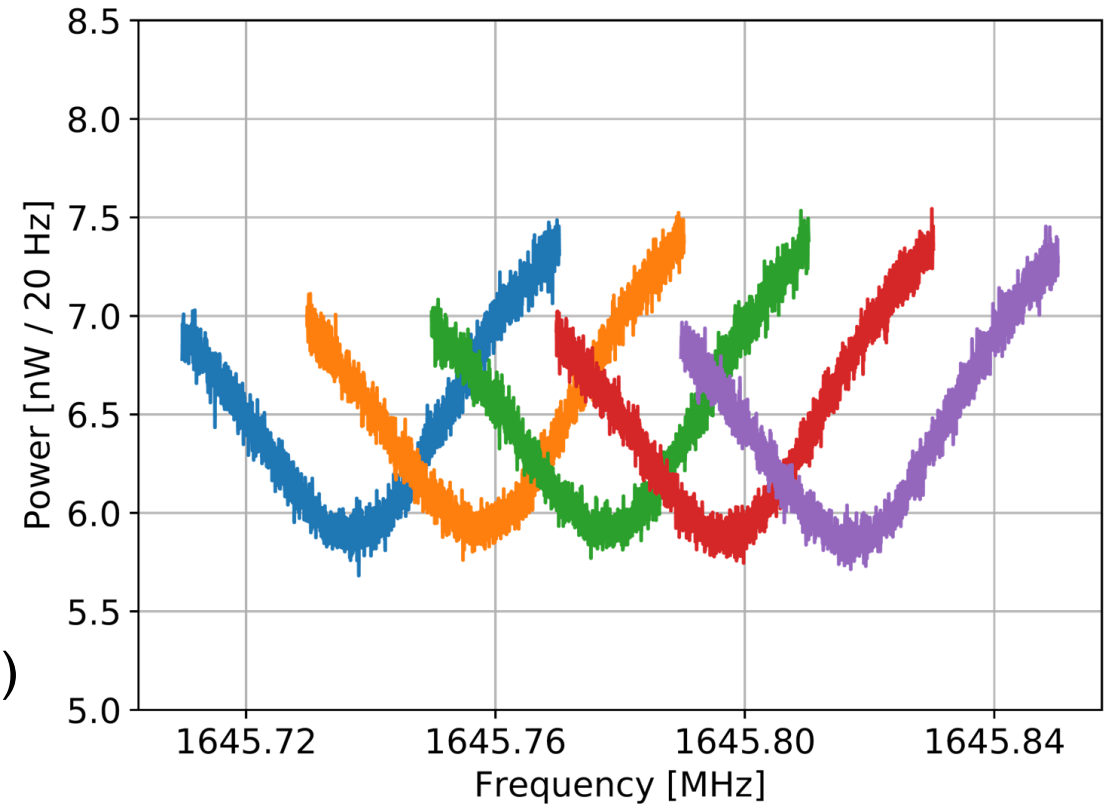
$P_c, P_h$  : on-resonance power measured at cold/hot temperatures  
 $T_c, T_h$  : hot/cold cavity temperature

- Total system gain = 132 ~ 135 dB
- Noise from obtained system gain = 0.75 ~ 1.2 K



# Scan parameter

- Target sensitivity =  $4 \times g_{a\gamma\gamma}^{KSVZ}$  ( $\sim$  QCD upper band)
  - Target SNR = 5
- RBW = 20 Hz
  - Optimized for DAQ efficiency ( $\sim$  46 %)
- Span = 60.48 kHz, 3025 points per spectrum
  - Bin merged to RBW = 500 Hz in analysis
  - Resultantly 60 kHz span, 121 points
- Frequency tuning step = 20 kHz
  - Number of spectra to overlap = 3 (optimized for SNR )
- Number of spectra for a step = 12,000
  - 400 average  $\times$  30





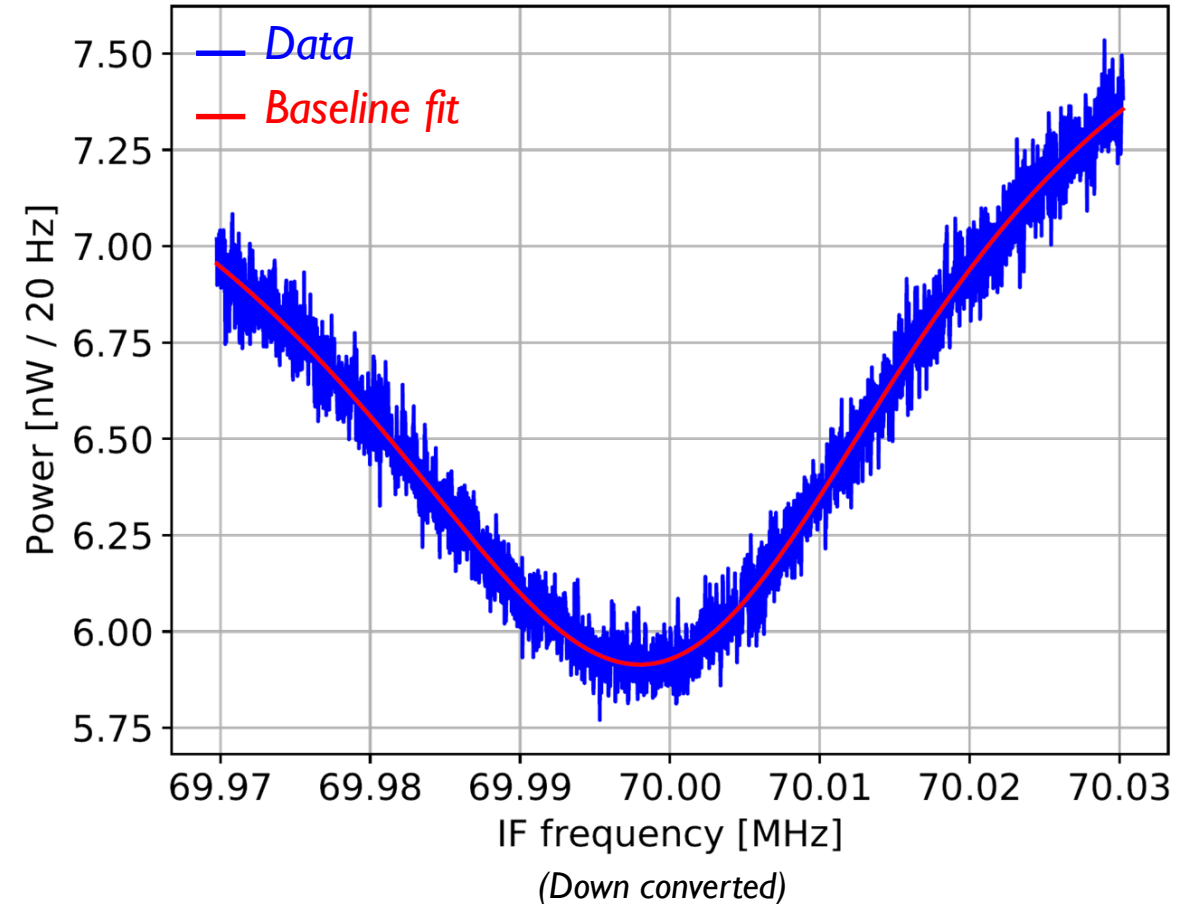
# Analysis

## Removing baseline

- Merging 5 bins, RBW = 20 Hz → 100 Hz
- 5-parameters fit
- Filtering spurious peaks ( $> 4.5 \sigma$ )
  
- Merging 5 bins again, RBW = 100 Hz → 500 Hz
  
- Pull distribution

$$Pull = \frac{DATA - MODEL}{UNCERTAINTY}$$

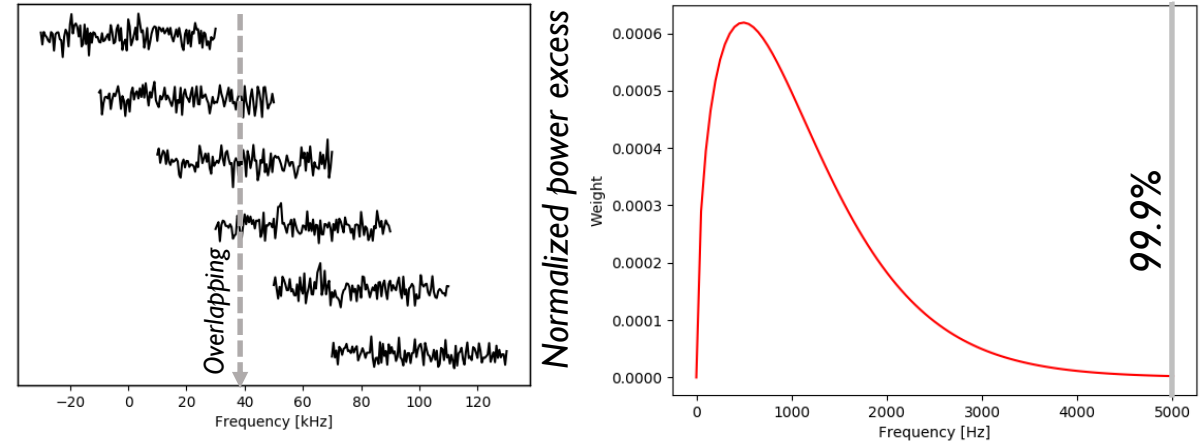
- Heavily averaged (12,000) spectra : Gaussian statistics
- In each frequency bins,
  - Mean =  $k_B \Delta \nu_b T$ , Standard deviation =  $k_B \Delta \nu_b T / \sqrt{N}$   
( $T$  : effective noise temperature,  $N$  = number of averaged spectra)
- Pull becomes the standard normal distribution ( mean = 0, width = unity)



# Analysis

## Vertical average (overlapping)

- 3 overlapped bins (span = 60 kHz, step = 20 kHz)
- Average with inverse variance weighting (maximum likelihood estimate)

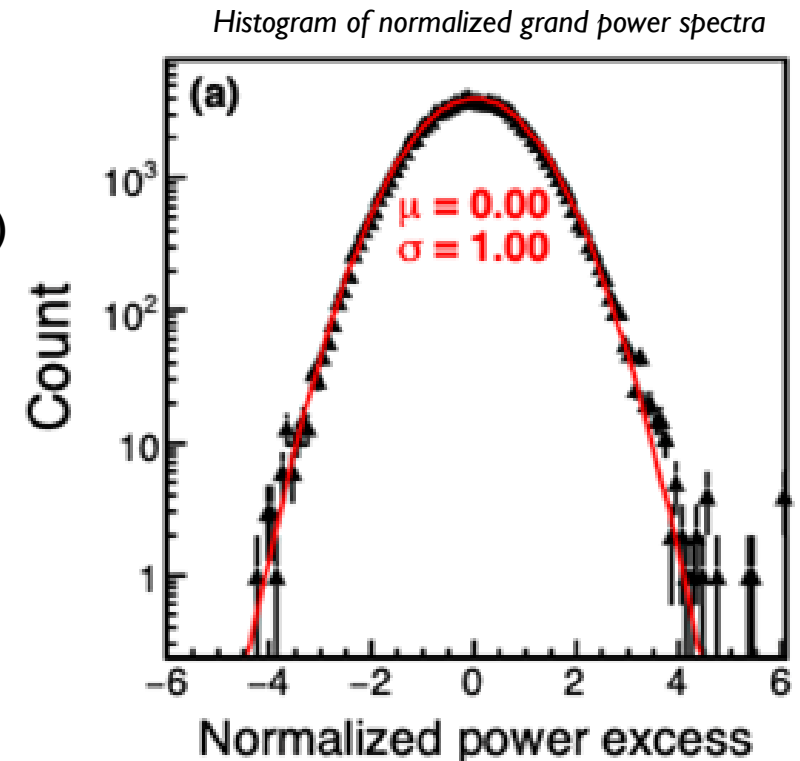


## Horizontal co-adding\*

- Weighted sum of neighboring bins, weighting factor = axion signal shape
- 10 neighboring bins ( 500 Hz X 10 = 5000 Hz)
  - Containing 99.9 % axion signal power (1.6 – 1.65 GHz mass of axion)
- Grand spectrum : Gaussian statistics
  - Correlation correction (due to baseline fit)

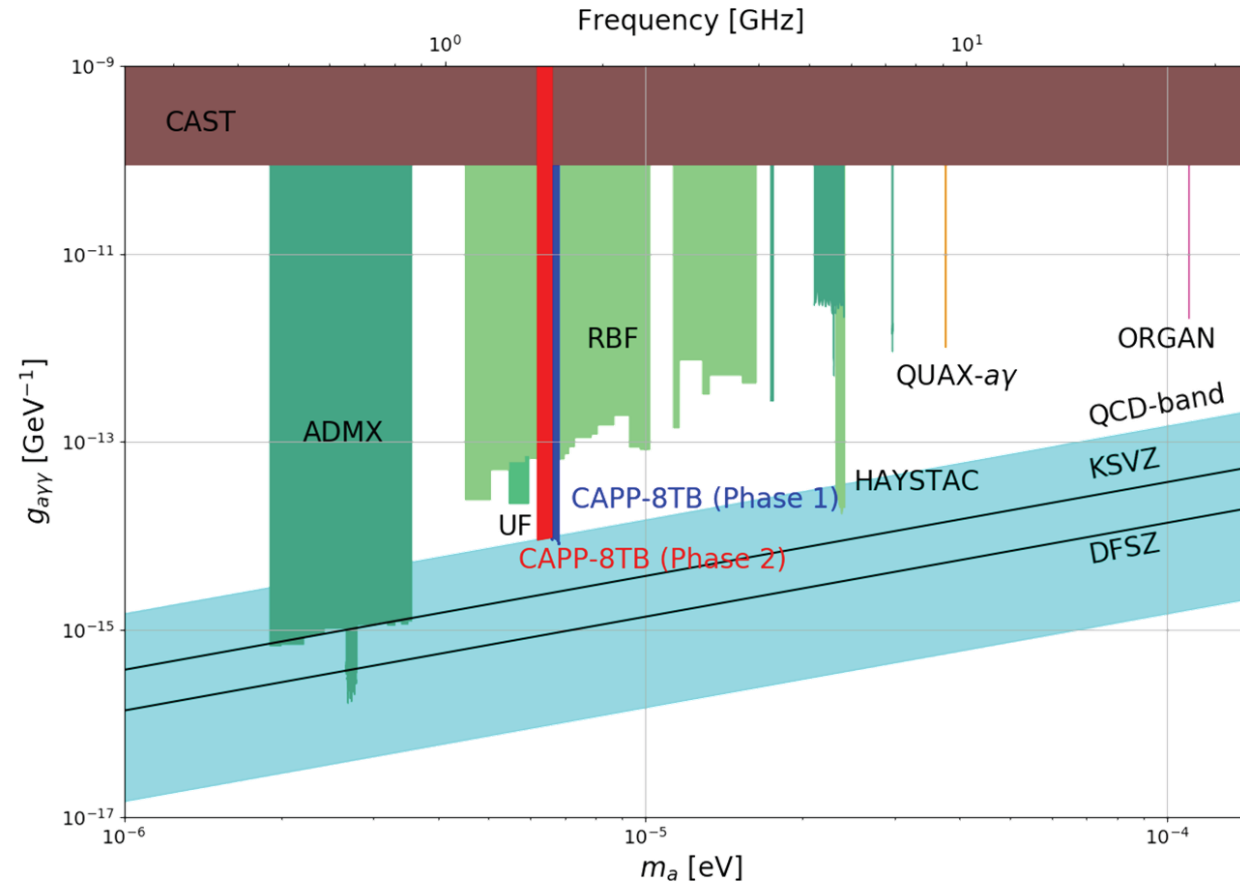
## Rescan

- $3.718 \sigma$  threshold corresponding to 90 % upper exclusion limit of axion to photon conversion sensitivity
- 36 candidates
  - rescan with larger number of average



\* B. M. Brubaker, L. Zhong, S. K. Lamoreaux, K.W. Lehnert, and K.A. van Bibber, Phys. Rev. D 96, 123008 (2017).

# Result & future plan



- Setting upper limit on  $g_{a\gamma\gamma}$  at 90 % C.L.
- Reached sensitivity down to QCD axion band in  $6.62 < m_a < 6.82 \mu\text{eV}$ 
  - Most sensitive at this particular mass range to date
- Scan  $6.20 - 6.62 \mu\text{eV}$  (1.5 – 1.6 GHz) for CAPP-8TB phase 2 is under preparation



# Future in CAPP

## CAPP-MC

High mass axion search  
with multiple-cell (Pizza)  
cavity

## CAPP-12TB

KSVZ / DFSZ sensitivity with  
large cavity & 12T magnetic field

## CAPP-8TB

Extended search  
ongoing

## CAPP-PACE

Quantum-limited noise with JPA  
Superconducting cavity

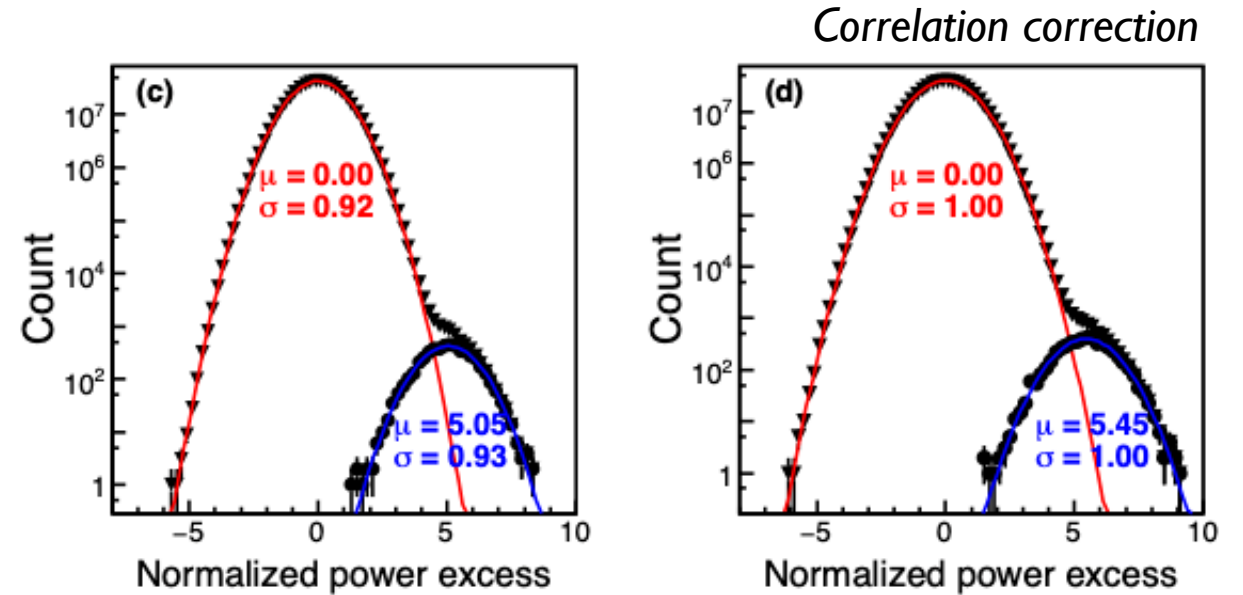
Low Vibration Pad In CAPP

# STAY TUNED!



# Correlation correction

- Standard deviation of Grand spectrum
  - $\sigma = 0.93 < 1$
  - Fitting induced negative correlations between co-adding bins
  - Signal power degradation  $\sim 84\%$
- 5,000 (X 2501 steps) simulated experiment using the baseline fit result
- Incorporating the correlation
  - Width = unity
  - Signal power efficiency  $84\% \rightarrow 90\%$



## Simulation

