



# Isospin amplitudes in b-baryon spectroscopy at LHCb

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collaboration**



# Introduction

- Isospin is a strong interaction symmetry between u & d quarks. Weak interactions do not conserve isospin
- In  $K \rightarrow \pi\pi$  decays the final state with  $I=0 \gg I=2$ .  
 $|A_0|/|A_2| = 22.45 \pm 0.06$ , can be explained as a strong interaction effect by recent lattice calc RBC/UKQCD,  
 $19.9 \pm 2.3 \pm 4.4$  [arXiv:2004.09440], but Buras et al  
[arXiv:1401.1385] claim their analytical calc  $16.0 \pm 0.15$   
doesn't agree & there could be New Physics
- We start by studying  $\Lambda_b \rightarrow J/\psi \Lambda$  versus  $\Lambda_b \rightarrow J/\psi \Sigma^0$

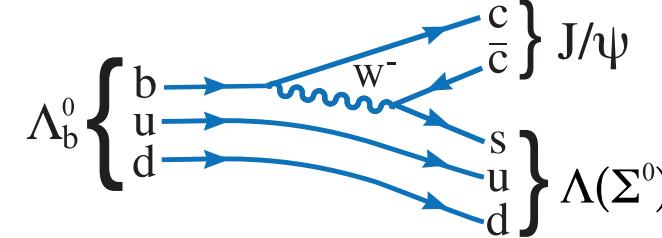
Isospin: 0      0    0                          0      0    1

We take  $I(\Lambda_b)=0$  from quark model, never measured



# What we could learn

- Feynman diagram at leading order:
- $b \rightarrow c\bar{c}s$  operator does not change isospin, so we expect  $\Lambda$  mode to be  $\gg \Sigma$  mode [ $I(b)=I(c)=I(s)=0$ ]
- If  $J/\psi \Lambda$  mode is  $\gg J/\psi \Sigma$ , then  $\Lambda_b$  is  $I=0$
- Some analyses have assumed that only the smallest isospin changing amplitude is present. Ex: In the pentaquark analysis of  $\Lambda_b \rightarrow J/\psi pK^-$ , it was assumed that the  $pK^-$  formed a  $\Lambda^*$ , rather than a  $\Sigma^*$  [arXiv:1507.03414]  
Can we justify this? Apply this to other analyses?
- Can we detect an  $I=1$  New Physics amplitude?





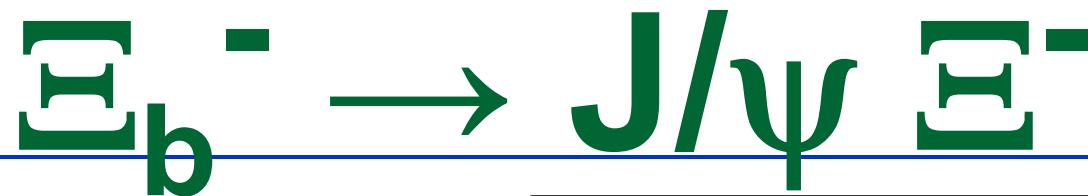
# Other possible findings

- In general I-spin breaking is at the level of 1% in rate, but if the ud in the  $\Lambda_b$  are in a tightly bound I=0 diquark, this breaking will vanish. So we test the diquark model
- $\Lambda-\Sigma$  wavefunction mixing is at the level of  $\sim 0.01$  in amplitude, several predictions, including lattice [arXiv:1911.02186], we could measure this with enough sensitivity

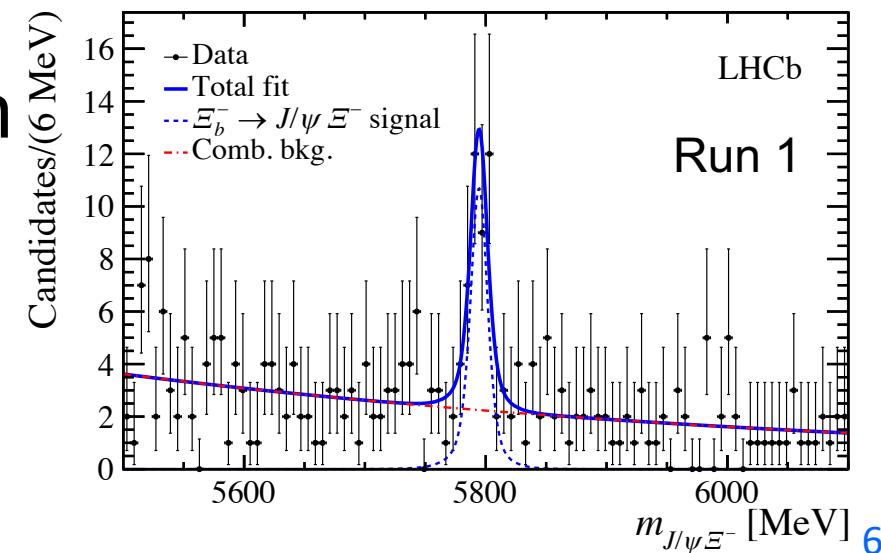
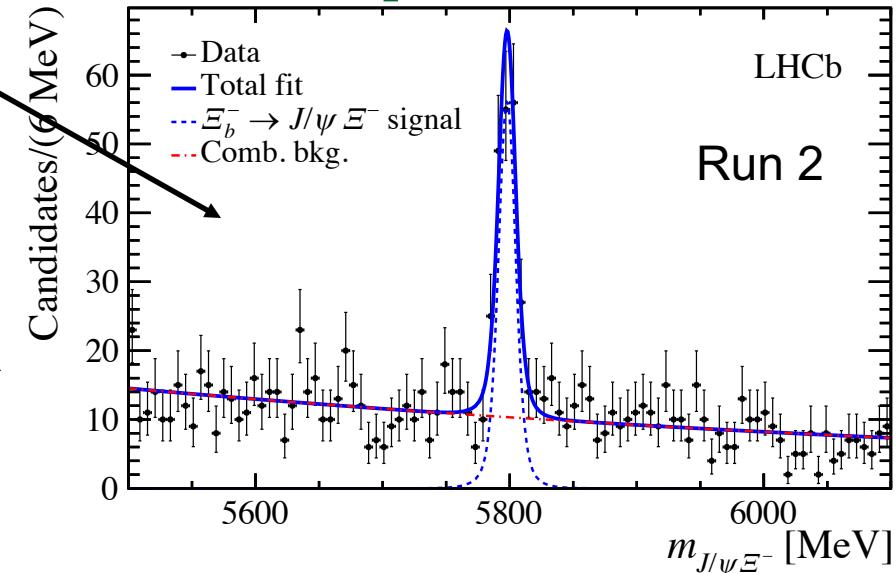


# Data analysis

- Reconstruct the  $J/\psi \Lambda$  mass distribution for  $J/\psi$  &  $\Lambda$  that form a vertex detached from the pp collision point. A BDT is used to reduce bkgrd
- $\Lambda_b \rightarrow J/\psi \Sigma^0$ ,  $\Sigma^0 \rightarrow \gamma \Lambda$  is looked for without reconstructing the  $\gamma$ , because of its low energy & related low detection efficiency;  $M(J/\psi \Lambda)$  a satellite bump just below the  $\Lambda_b$  mass
- Other significant backgrounds are  $\Lambda_b \rightarrow J/\psi \Lambda^*$ ,  $\Lambda^* \rightarrow \pi^0 \Sigma^0$ , &  $\Xi_b \rightarrow J/\psi \Xi, \Xi \rightarrow \pi \Lambda$ . We fully reconstruct the latter in the charged  $\Xi_b^-$  mode
- Runs 1 (3.0/fb) & 2 (5.5/fb) analyzed separately



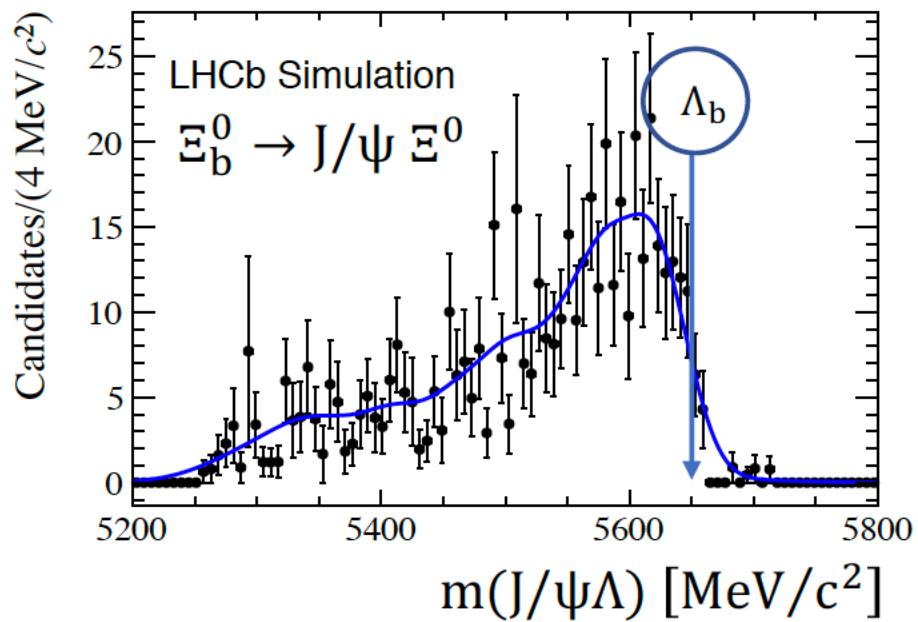
- This we fully reconstruct
- Determining the yields, from the fits, we simulate the size & shape of the  $J/\psi \Lambda$  mass spectrum
- The  $J/\psi \Lambda^*$  shapes are simulated, no normalization is possible
- For details see  
[\[arXiv:1912.02110\]](https://arxiv.org/abs/1912.02110)





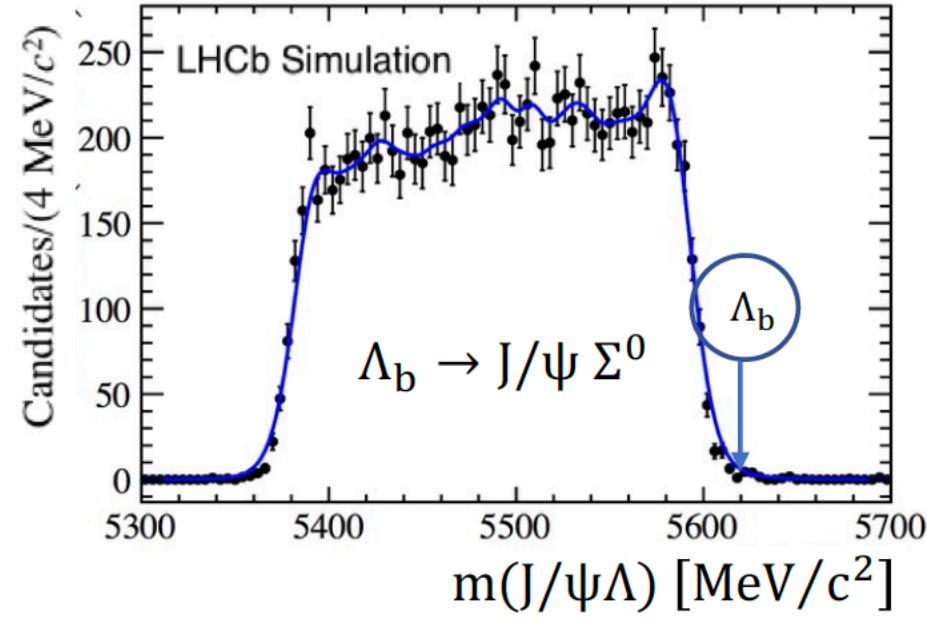
# Shapes

- Shape simulated  
Normalization measured



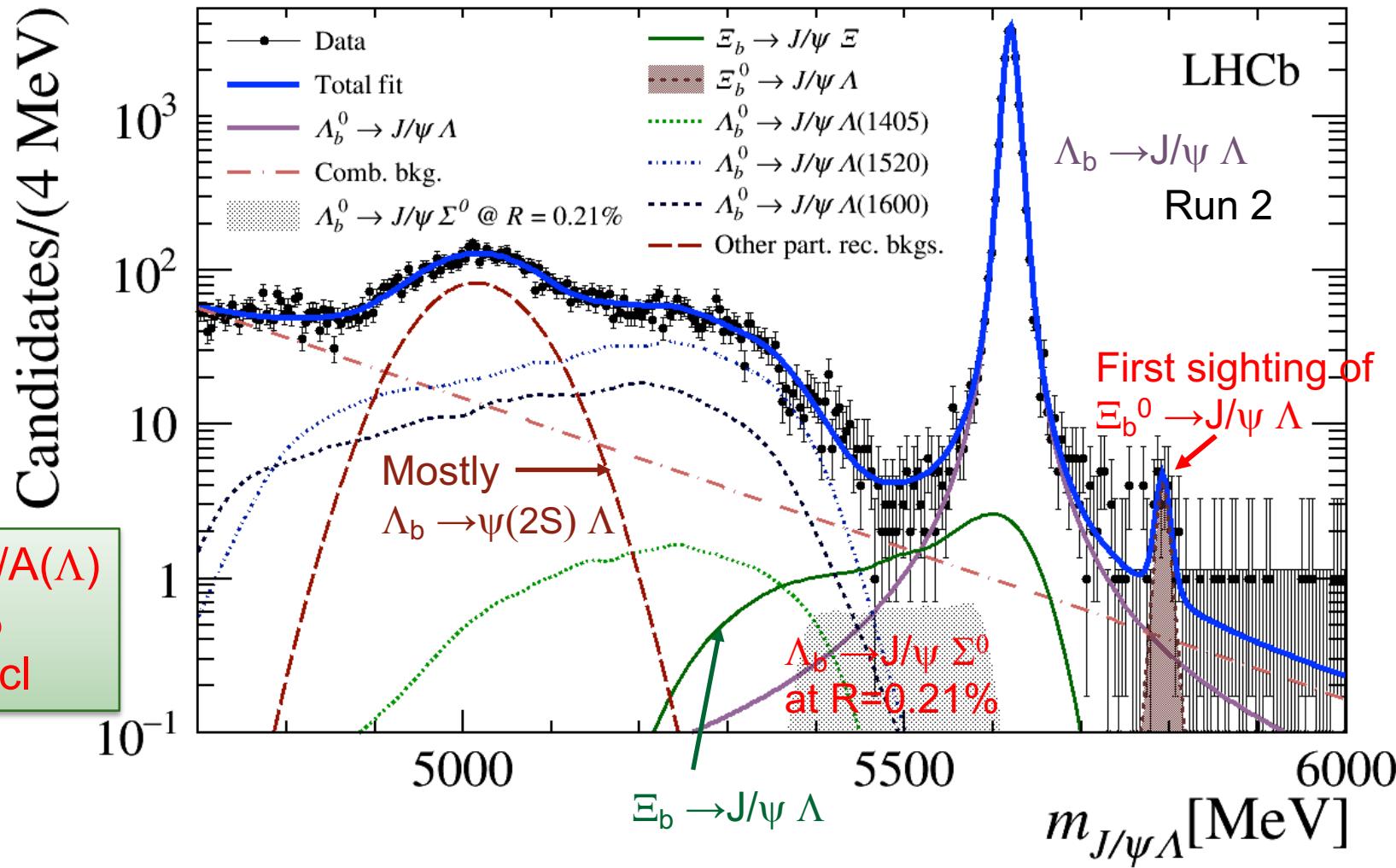
Title in red

- Shape simulated  
What we want to find





# $\Lambda_b$ results





# R in detail

- $R \equiv \frac{|A_1|^2}{|A_0|^2} = \frac{B(\Lambda_b^0 \rightarrow J/\psi \Sigma^0)}{B(\Lambda_b^0 \rightarrow J/\psi \Lambda)} \Phi$ , where  $\Phi$  is a phase space factor = 1.058
- $R \equiv \frac{|A_1|^2}{|A_0|^2} = \frac{\#(\Lambda_b^0 \rightarrow J/\psi \Sigma^0) \cdot \epsilon_{J/\psi \Sigma^0}}{\#(\Lambda_b^0 \rightarrow J/\psi \Lambda) \cdot \epsilon_{J/\psi \Lambda}} \Phi$
- $R$  is determined by a joint fit to the Run 1 & Run 2  $J/\psi \Lambda$  mass distribution including the systematic uncertainties using Gaussian constraints; they are mainly relative final state efficiencies  $\sim 2\%$  &  $\Xi_b \rightarrow J/\psi \Xi$  background normalizations  $\sim 10\%$

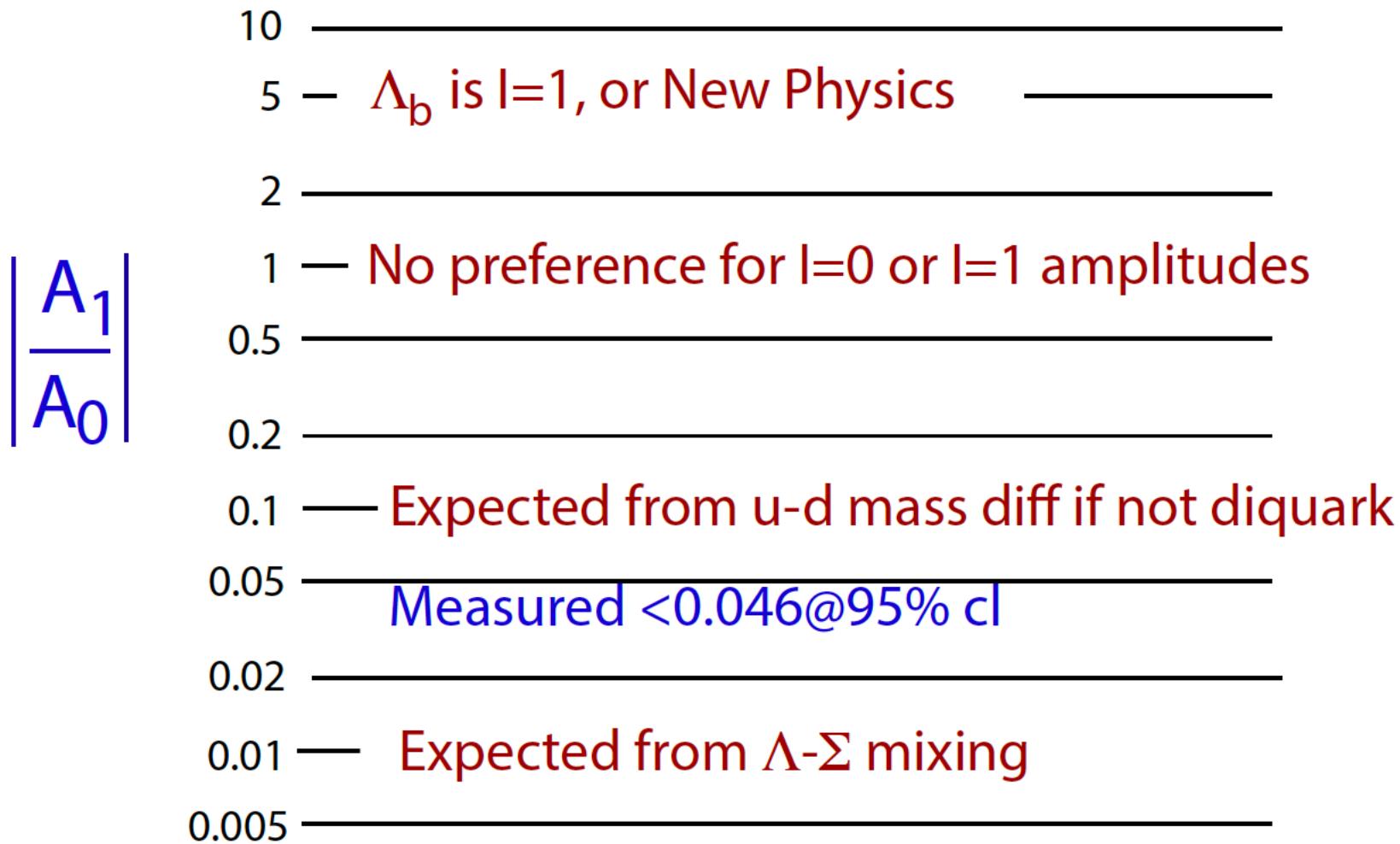


# Fit yields

Parameter	Shared value	Run 1 value	Run 2 value
$\mathcal{R}$	<0.21% @ 95% cl	—	—
$N_{\Lambda_b^0 \rightarrow J/\psi \Lambda}$	—	$4417 \pm 66$	$16970 \pm 130$
$N_{\Xi_b \rightarrow J/\psi \Xi}$	—	$23.3 \pm 5.7$	$139.7 \pm 21.9$
$N_{\Xi_b^0 \rightarrow J/\psi \Lambda}$	—	$6.2 \pm 3.0$	$17.8 \pm 5.1$



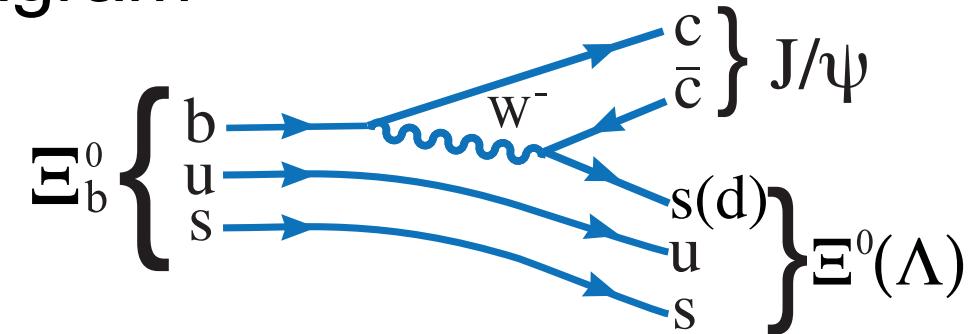
# Synopsis of $\Lambda_b$ result





$$\Xi_b^0 \rightarrow J/\psi \Lambda(\Xi^0)$$

- Lowest order diagram



- By assuming  $\Gamma(\Xi_b^0 \rightarrow J/\psi \Xi^0) = \Gamma(\Xi_b^- \rightarrow J/\psi \Xi^-)$ , we also measure

$$R_{\Xi_b} \equiv \frac{B(\Xi_b^0 \rightarrow J/\psi \Lambda)}{B(\Xi_b^0 \rightarrow J/\psi \Xi^0)} = (8.2 \pm 2.1 \pm 0.9) \times 10^{-3}$$

- Next, amplitude analysis



$$\frac{|A_0|}{|A_{1/2}|}$$

- $\Xi_b^0 \rightarrow J/\psi \Lambda$  versus  $\Xi_b^0 \rightarrow J/\psi \Xi^0$

Isospin:  $\frac{1}{2} \quad 0 \quad 0 \quad (A_0) \quad \frac{1}{2} \quad 0 \quad \frac{1}{2} \quad (A_{1/2})$

- So  $\frac{|A_0|}{|A_{1/2}|} = \frac{|V_{cd}|}{|V_{cs}|} \sqrt{\frac{B(\Xi_b^0 \rightarrow J/\psi \Lambda)}{B(\Xi_b^0 \rightarrow J/\psi \Xi^0) \Phi_{\Xi_b}}} = 0.37 \pm 0.06 \pm 0.02$
- Theoretical expectation based on  $SU(3)_F$ :  
 $\Lambda_b$ ,  $\Xi_b^0$ , &  $\Xi_b^-$  form an  $\bar{3}$ , while the  $\Lambda$  &  $\Xi$  form an 8.  
Dery et al. [arXiv:2001.05397] predict  $\frac{|A_0|}{|A_{1/2}|} = \frac{1}{\sqrt{6}} = 0.41$ ,  
with a 20% uncertainty due to  $SU(3)_F$  breaking; the  $1/\sqrt{6}$  is an  $SU(3)$  Clebsch Gordon coefficient



# Conclusions

- $\Lambda_b$  isospin is 0, as the quark model says
- The u & d in  $\Lambda_b$  almost certainly form a diquark
- In the pentaquark analysis of  $\Lambda_b \rightarrow J/\psi pK^-$ , it was assumed that the  $pK^-$  formed a  $\Lambda^*$ , rather than a  $\Sigma^*$ . This now is justified
- There is no preference for the  $|l|=1/2$  amplitude in  $\Xi_b^0 \rightarrow J/\psi \Xi^0$  over the  $|l|=0$  amp in  $\Xi_b^0 \rightarrow J/\psi \Lambda$   
Similar to results on  $B \rightarrow \pi\pi$ :  $|A_0/A_2| \approx 1.0$   
[arXiv:1203.3131], unlike  $D \rightarrow \pi\pi$ :  $|A_0/A_2| \approx 2.5$   
[arXiv:1402.1164], and  $K \rightarrow \pi\pi$ :  $|A_0/A_2|=22.5$



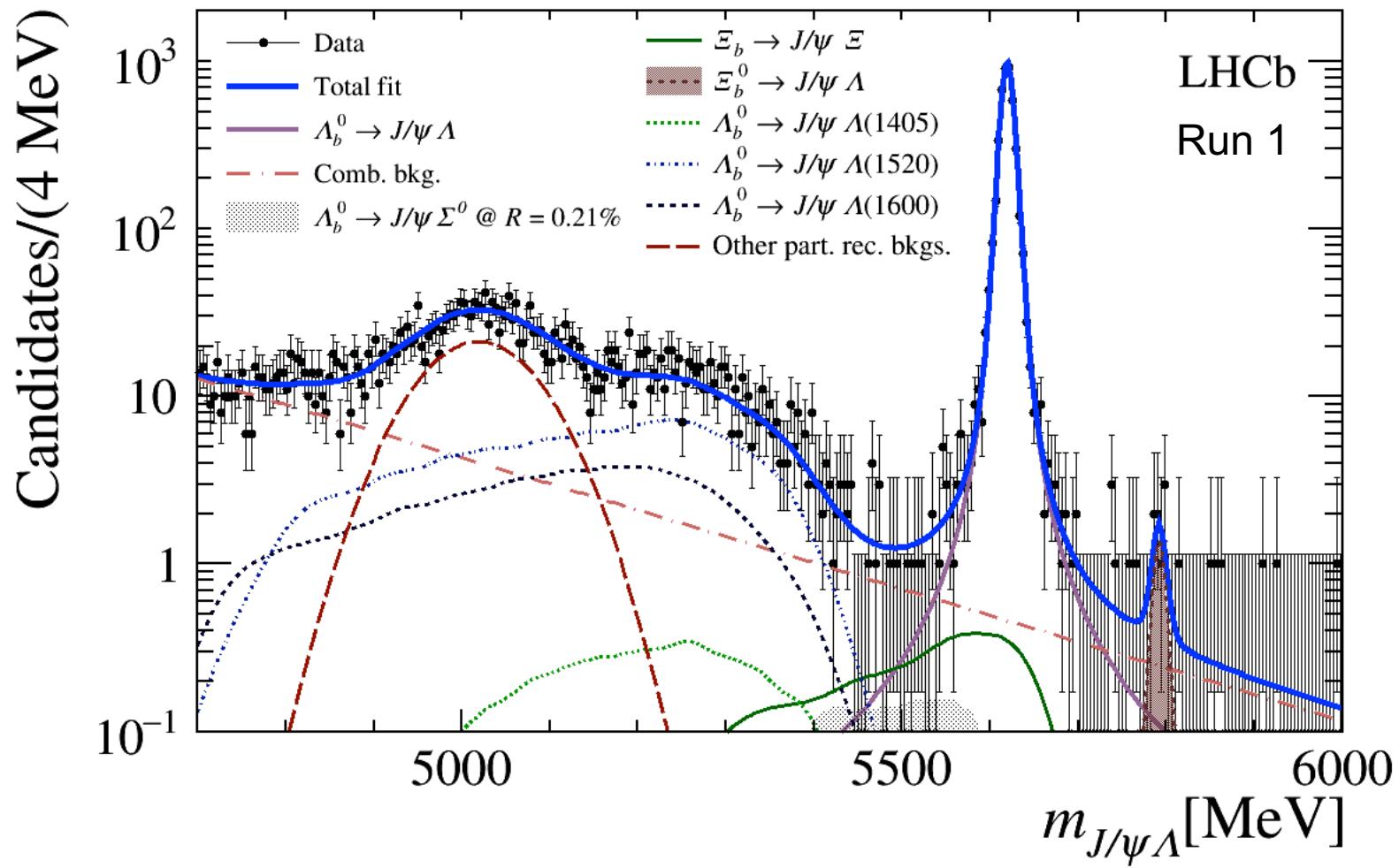
# The End

Paper published: Aaij et al.,  
LHCb collaboration, *Phys. Rev. Lett.* 124 (2020) 11, 111802  
[arXiv:1912.02110]

# Backups

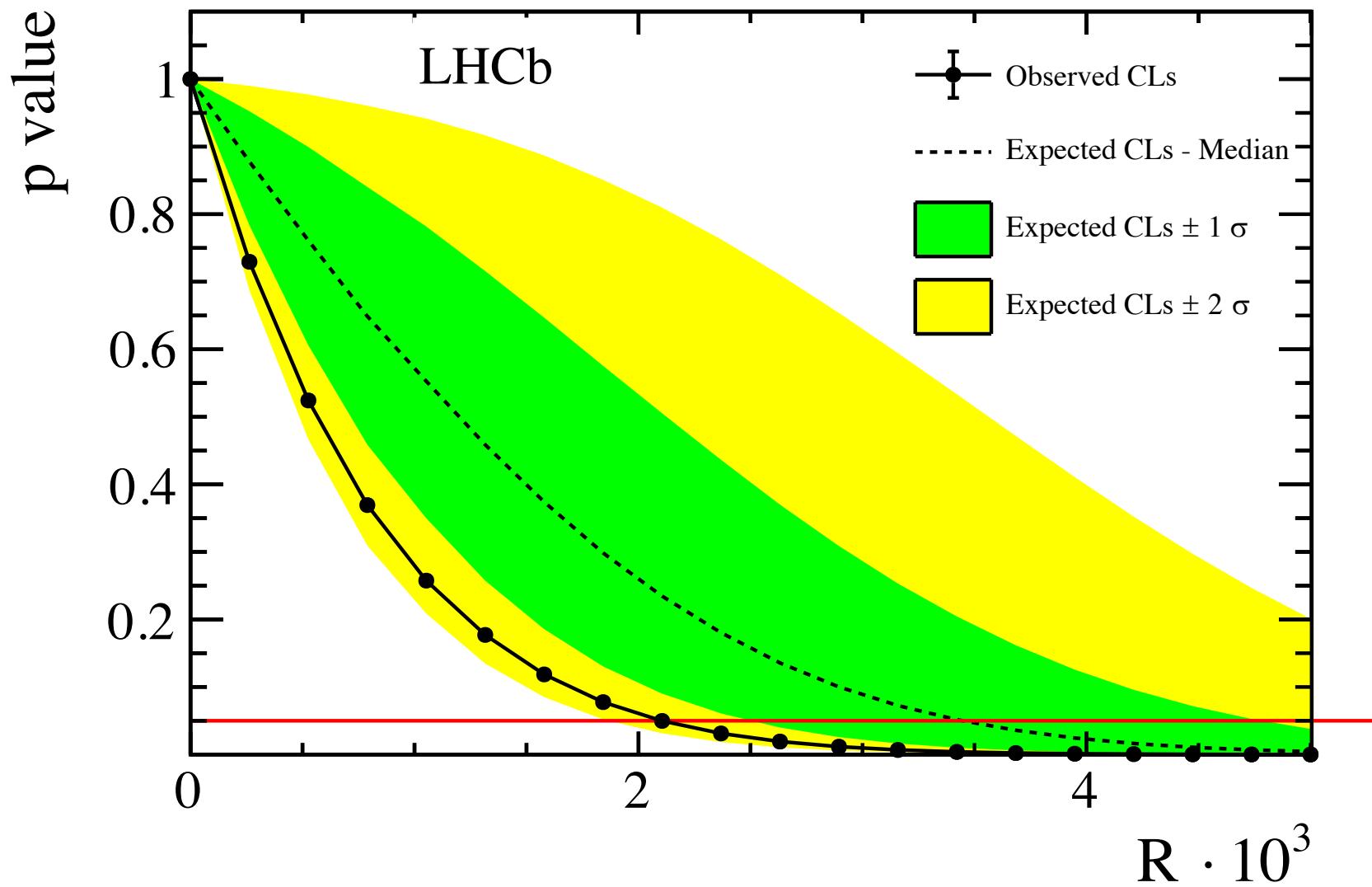


# M( $J/\psi \Lambda$ ) Run 1





# CL<sub>S</sub>





# Isospin breaking

- PDG new: 84.2 Flavor symmetry (Dave Robinson and Charles Wohl)
- Just as for the light mesons and baryons, approximate flavor SU(3) symmetry of the light quarks – the u, d, and s – is expected to relate matrix elements of charmed baryons belonging to the same multiplet, up to corrections of order  $(m_s - m_q)/\Lambda_{QCD} \sim 20\%$ . (Similarly, isospin relations should hold to the percent level.) This includes Gell-Mann-Okubo mass relations, as well as relations between matrix elements for charmed baryon multibody decays. These relations may be constructed order-by-order in the appropriate symmetry breaking parameters.
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- Isospin-breaking in  $\epsilon'/\epsilon$ : Impact of  $\eta_0$  at the Dawn of the 2020s, Andrzej J. Buras, Jean-Marc Gerard
- (May 18, 2020) e-Print: [2005.08976](https://arxiv.org/abs/2005.08976)
- Abstract
- For direct CP-violation in  $K \rightarrow \pi \pi$  decays, the usual isospin-breaking effects at the percent level are amplified by the dynamics behind the Delta  $I = 1/2$  rule...
- 
- Dery, Ghosh, Grossman and Schacht arXiv:2001.05397 SU(3)F Analysis for Beauty Baryon Decays
- “and we generically expect the size of isospin and SU(3)F breaking to be  $\sim 1\%$  and  $\sim 20\%$ , respectively (first line after equation 39)



$$\sigma(\Xi_b^0)/\sigma(\Xi_b^-)$$

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- Nominally these would be equal due to isospin conservation in their production
- However the  $\Xi'_b(5935)^0$  is not massive enough to decay into  $\Xi_b^- \pi^+$ , so it always decays in a  $\Xi_b^0$
- After accounting for all the measured excited states, this results in

$$\sigma(\Xi_b^0)/\sigma(\Xi_b^-) = 1.37 \pm 0.09, \text{ uncertainty due to measurement errors}$$

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