

micrOMEGAs : a tool for dark matter studies

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LAPTH

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hep-ph/0112278, hep-ph/0405253,
hep-ph/0607059, arXiv:08032360[hep-ph]
arXiv:1004.1092[hep-ph]

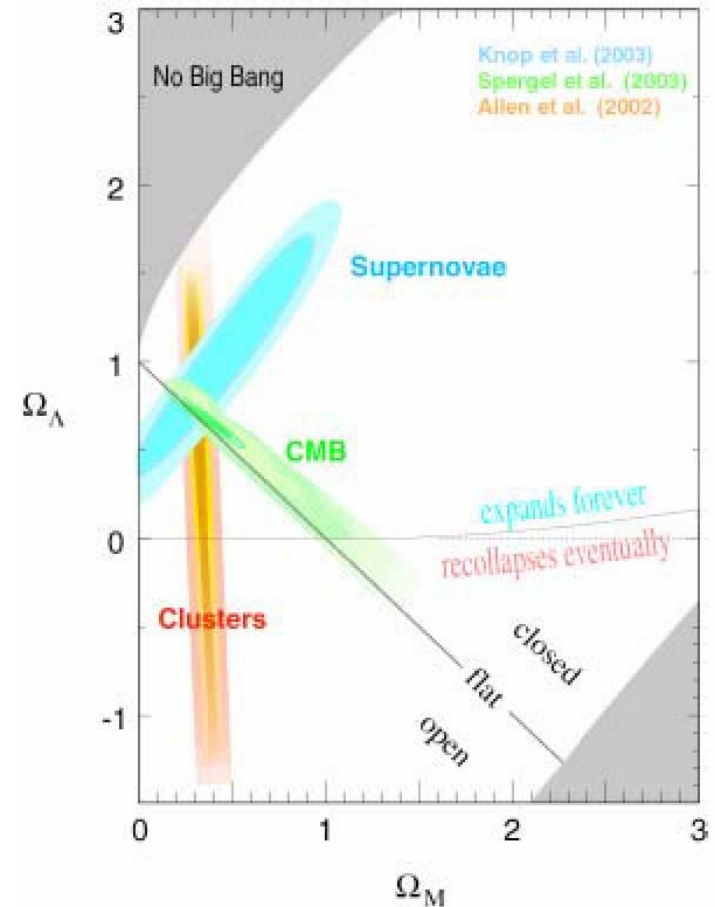
Outline

- General description
- **Interactive session**
 - Running the code
 - New models

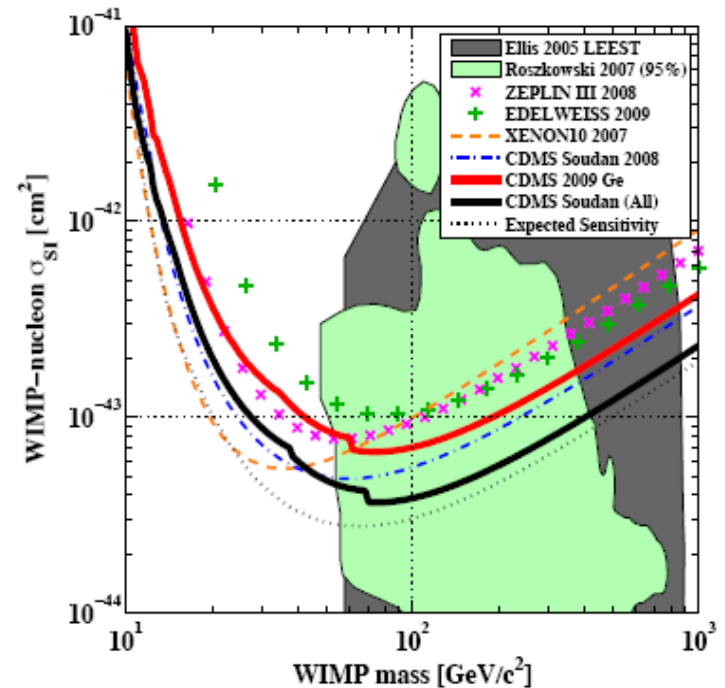
- Download
 - <http://wwwlapp.in2p3.fr/lapth/micromegas>
- Installation
 - `tar -zxvf micromegas_2.4.O.tgz`

Motivation

- Strong evidence for dark matter
- CMB (WMAP+SDSS) gives precise information on the amount of dark matter
- Most attractive explanation for dark matter: new weakly interacting particle
- Many models for new physics whose main motivation is to solve the hierarchy problem also have a dark matter candidate – symmetry that ensures that lightest particle is stable
 - MSSM and extensions, UED, warped extra-dim, little Higgs, technicolour +....
- R-parity like symmetry introduced to avoid rapid proton decay or guarantee agreement with electroweak precision



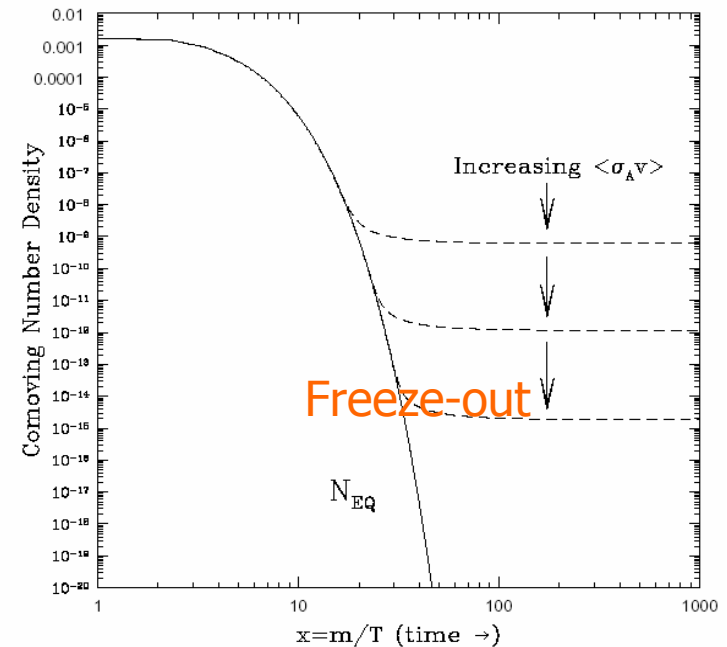
- Cosmological measurements are strongly constraining dark matter models
- Direct and indirect searches are also probing models of dark matter
 - Xenon, CDMS, Cogent, Picasso, Coupp, DAMA, Fermi, PAMELA
...
- Public codes for dark matter studies in the MSSM:
 - **micrOMEGAs**, DarkSUSY, Isatools, superIso



• *Complete **tool** for dark matter studies : precise calculation of relic density, direct detection, indirect detection, cross section at colliders and decays in a wide variety of models: micrOMEGAs2.4*

Relic density of wimps

- In early universe WIMPs are present in large number and they are in thermal equilibrium
- As the universe expanded and cooled their density is reduced through pair annihilation
- Eventually density is too low for annihilation process to keep up with expansion rate
 - Freeze-out temperature
- LSP decouples from standard model particles, density depends only on expansion rate of the universe



$$\frac{dn}{dt} = -3Hn - \langle \sigma v \rangle [n^2 - n_{eq}^2]$$

$$\frac{dY}{dT} = \sqrt{\frac{\pi g_*(T)}{45}} M_p \langle \sigma v \rangle (Y(T)^2 - Y_{eq}(T)^2)$$

Solving numerically, get present day abundance $Y(T_0)$ and

$$\Omega_{LOP} h^2 = \frac{8\pi}{3} \frac{s(T_0)}{M_p^2 (100 \text{ km/s/Mpc})^2} M_{LOP} Y(T_0) = 2.742 \times 10^8 \frac{M_{LOP}}{\text{GeV}} Y(T_0)$$

Weakly interacting particle gives roughly the right annihilation cross section to have $\Omega h^2 \sim 0.1$ ‘**WIMP miracle**’


$$\Omega_X h^2 \approx \frac{3 \times 10^{-27} \text{ cm}^3 \text{ s}^{-1}}{\langle \sigma v \rangle} .$$

Typical annihilation cross-section at FO $\langle \sigma v \rangle = 3 \times 10^{-26} \text{ cm}^3 / \text{sec}$

Coannihilation

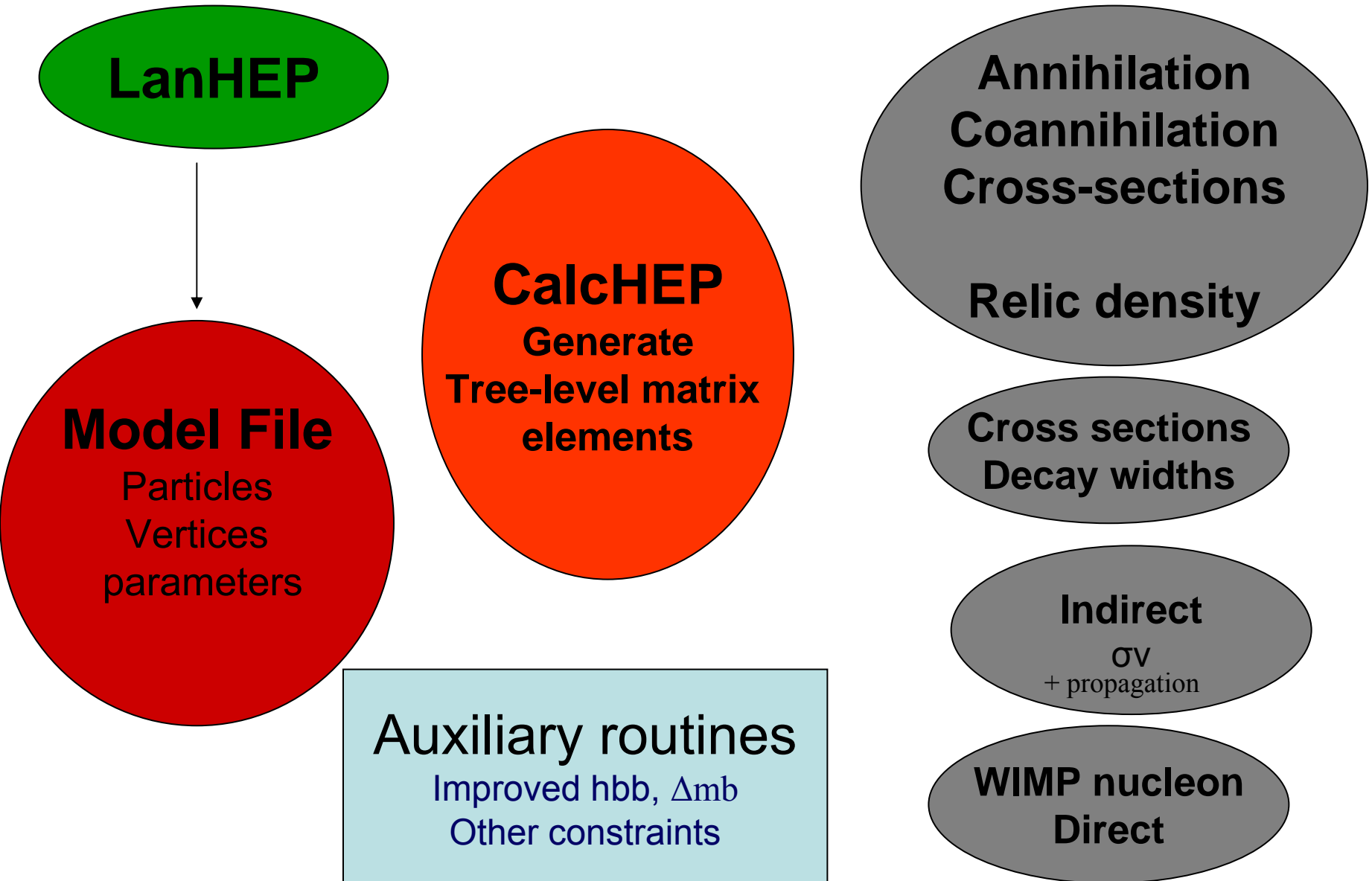
- If $M(\text{NLSP}) \sim M(\text{LSP})$ then $\chi + X \rightarrow \chi' + Y$ maintains thermal equilibrium between NLSP-LSP even after non standard particles decouple from standard ones
- Relic density depends on rate for all processes involving LSP/NLSP \rightarrow SM
- All particles eventually decay into LSP, calculation of relic density requires summing over all possible processes

$$\langle \sigma v \rangle = \frac{\sum_{i,j} g_i g_j \int_{(m_i+m_j)^2} ds \sqrt{s} K_1(\sqrt{s}/T) p_{ij}^2 \sigma_{ij}(s)}{2T \left(\sum_i g_i m_i^2 K_2(m_i/T) \right)^2}$$

Exp(- ΔM)/T 

- **Important processes are those involving particles close in mass to LSP, for example up to 3000 processes can contribute in MSSM**
- *Need for automation*

micrOMEGAs



micrOMEGAs_2.4

- A generic program to calculate DM properties in any model
- Assume some “ R-parity “, particles odd/even under R (odd particles: \sim)
- Need to specify model file in CalcHEP notation : particles, variables, vertices, functions (do by hand or with LanHEP)
- After the model is implemented and checked with CalcHEP
 - Code then automatically looks for “LSP”
 - Computes all annihilation and coannihilation cross-sections
 - Complete tree-level matrix elements for all subprocesses
 - Automatically check for presence of resonances and improves the accuracy near pole
 - Numerical solution of evolution equation and calculation of relic density with non-relativistic thermal averaging and proper treatment of poles and thresholds
 - Gondolo, Gelmini, NPB 360 (1991)145
 - coannihilation : Edsjo, Gondolo PRD56(1997) 1879

- Includes and compiles relevant channels only if needed (Beps)

$$B = \frac{K_1((m_i + m_j)/T)}{K_1(2m_{LOP}/T)} \approx e^{-X \frac{(m_i + m_j - 2M_{LOP})}{M_{LOP}}} > B_\epsilon$$

- Calculates the relic density for any LSP (even charged)
- Computes σv , $v \rightarrow 0$ for LSP,LSP annihilation and signatures for γ and positron/antiproton including propagation
- Automatically compute elastic scattering rate on nucleon/nucleus
- CalcHEP is included: computes all 2->2 processes and 1-> 2,3 decays at tree-level
- Some facilities provided for pp collisions
- **Interactive link to CalcHEP**
- *For new models : constraints and auxiliary routines must be provided by the user in fortran or C routine*
- C code

Dark matter models

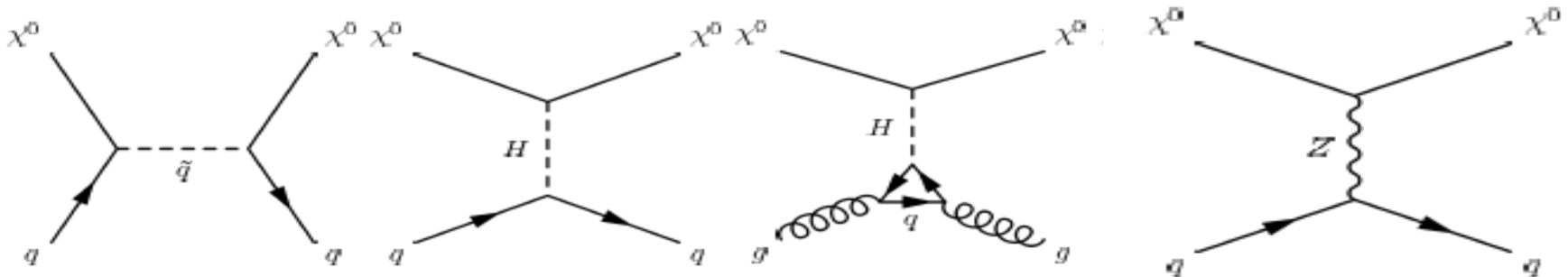
- Models distributed
 - MSSM
 - NMSSM (with C. Hugonie, hep-ph/0505142)
 - CPV-MSSM (with S. Kraml, hep-ph/0604150)
 - Right-handed neutrino (with G. Servant, arXiv:0706.0526)
 - Little Higgs (A. Belyaev)
- Other models available
 - Scalar DM (Lopez-Honorez et al., S. Su)
- Models to be distributed
 - SUSY N=2 (with K. Benakli et al arXiv:0905.1043)
 - UED (with M. Kakizaki)
 - MSSM+RHneutrino (with M. Kakizaki, S. Kraml, E.K. Park)

Direct detection

- Elastic scattering of WIMPs off nuclei in a large detector
- Measure nuclear recoil energy, E_R
- Would give best evidence that WIMPs form DM
- Two types of scattering
 - Coherent scattering on A nucleons in nucleus, for spin independent interactions
 - Dominant for heavy nuclei
 - Spin dependent interactions – only on one unpaired nucleon
 - Dominant for light nuclei

Direct detection

- Typical diagrams
- Higgs exchange often dominates



For Dirac fermions Z exchange contributes to SI and SD

WIMP- Nucleon amplitude

- For any WIMP, need effective Lagrangian for WIMP-nucleon amplitude *at small momentum $\sim 100\text{MeV}$,*
- Generic form for a fermion

$$\mathcal{L}_F = \lambda_N \bar{\psi}_\chi \psi_\chi \bar{\psi}_N \psi_N + i\kappa_1 \bar{\psi}_\chi \psi_\chi \bar{\psi}_N \gamma_5 \psi_N + i\kappa_2 \bar{\psi}_\chi \gamma_5 \psi_\chi \bar{\psi}_N \psi_N + \kappa_3 \bar{\psi}_\chi \gamma_5 \psi_\chi \bar{\psi}_N \gamma_5 \psi_N$$

$$+ \kappa_4 \bar{\psi}_\chi \gamma_\mu \gamma_5 \psi_\chi \bar{\psi}_N \gamma^\mu \psi_N + \xi_N \bar{\psi}_\chi \gamma_\mu \gamma_5 \psi_\chi \bar{\psi}_N \gamma^\mu \gamma_5 \psi_N$$

- For Majorana fermion only 2 operators survive at small q^2
- First need to compute the WIMP quark amplitudes
 - normally computed symbolically from Feynman diagrams+ Fierz
 - **Automatic approach (works for all models)**
- Effective Lagrangian for WIMP-quark scattering has same generic form as WIMP nucleon

WIMP quark effective Lagrangian

	WIMP Spin	Even operators	Odd operators
SI	0 1/2 1	$2M_\chi \phi_\chi \phi_\chi^* \bar{\psi}_q \psi_q$ $\psi_\chi \psi_\chi \bar{\psi}_q \psi_q$ $2M_\chi A_{\chi,\mu} A_{\chi,\mu}^* \bar{\psi}_q \psi_q$	$i(\partial_\mu \phi_\chi \phi_\chi^* - \phi_\chi \partial_\mu \phi_\chi^*) \bar{\psi}_q \gamma^\mu \psi_q$ $\psi_\chi \gamma_\mu \psi_\chi \bar{\psi}_q \gamma^\mu \psi_q$ $+i\lambda_{q,o}(A_{\chi}^{*\alpha} \partial_\mu A_{\chi,\alpha} - A_{\chi}^\alpha \partial_\mu A_{\chi\alpha}^*) \bar{\psi}_q \gamma_\mu \psi_q$
SD	1/2 1	$\bar{\psi}_\chi \gamma_\mu \gamma_5 \psi_\chi \bar{\psi}_q \gamma_\mu \gamma_5 \psi_q$ $\sqrt{6}(\partial_\alpha A_{\chi,\beta}^* A_{\chi\nu} - A_{\chi\beta}^* \partial_\alpha A_{\chi\nu})$ $\epsilon^{\alpha\beta\nu\mu} \bar{\psi}_q \gamma_5 \gamma_\mu \psi_q$	$-\frac{1}{2} \bar{\psi}_\chi \sigma_{\mu\nu} \psi_\chi \bar{\psi}_q \sigma^{\mu\nu} \psi_q$ $i\frac{\sqrt{3}}{2} (A_{\chi\mu} A_{\chi\nu}^* - A_{\chi\mu}^* A_{\chi\nu}) \bar{\psi}_q \sigma^{\mu\nu} \psi_q$

- Operators for WIMP quark Lagrangian, extract automatically the coefficients for SI and SD –

$$\hat{\mathcal{L}}_{eff}(x) = \sum_{q,s} \lambda_{q,s} \hat{\mathcal{O}}_{q,s}(x) + \xi_{q,s} \hat{\mathcal{O}}'_{q,s}(x)$$

- In micrOMEGAs: evaluate coefficients numerically using projection operators
- Add all projection operators as new vertices in the model
- Compute χq - χq scattering element at zero momentum transfer
- Interference between one projection operator and effective vertex- single out SI or SD contribution

$$\lambda_{q,e} + \lambda_{q,o} = \frac{-i \langle q(p_1), \chi(p_2) | \hat{S} \hat{O}_{q,e} | q(p_1), \chi(p_2) \rangle}{\langle q(p_1), \chi(p_2) | \hat{O}_{q,e} \hat{O}_{q,e} | q(p_1), \chi(p_2) \rangle}$$

- Use quark and anti-quark scattering elements to split even/odd contributions
- The projection operators are added to the model file by micrOMEGAs
- Warning: in the model file must include couplings proportional to light quark masses (eg. Hqq coupling)

WIMP-quark to WIMP-nucleon

- Coefficients relate WIMP-quark operators to WIMP nucleon operators
 - Extracted from experiments
 - **Source of theoretical uncertainties**
- Example , scalar coefficients, contribution of q to nucleon mass

$$\langle N | m_q \bar{\psi}_q \psi_q | N \rangle = f_q^N M_N \quad \lambda_{N,p} = \sum_{q=1,6} f_q^N \lambda_{q,p}$$

$$f_Q^N = \frac{2}{27} \left(1 - \sum_{q \leq 3} f_q^N \right)$$

- Can be defined by user
- Different coefficients can lead to one order magnitude correction in cross section

- Scalar coefficients extracted from ratios of light quark masses, pion-nucleon sigma term and σ_0 (size of SU(3) breaking effect)
- Large uncertainty in s-quark contribution

Nucleon	f_{T_u}	f_{T_d}	f_{T_s} [24]	f_{T_s} [25]	f_{T_s} [20, 26]
n	0.023	0.034	0.08	0.14	0.46
p	0.019	0.041	0.08	0.14	0.46

- Lattice calculations have provide new estimates of those coefficients – soon should help reduce uncertainties
- For example varying coefficients within this range can in the MSSM lead to almost one order of magnitude change in cross section
 - Bottino et al hep-ph/0010203, Ellis et al hep-ph/0502001

WIMP-nucleon to WIMP-nucleus

- Rates (SI and SD) depends on nuclear form factors and velocity distribution of WIMPs + local density

$$\frac{dN^{SI}}{dE} = \frac{2M_{det}t}{\pi} \frac{\rho_0}{M_\chi} F_A^2(q) (\lambda_p Z + \lambda_n (A - Z))^2 I(E)$$

Nuclear form factors

Particle physics + quark content in nucleon

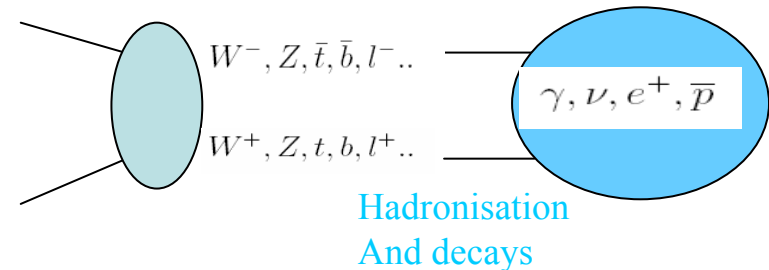
DM velocity distribution

$$I(E) = \int_{v_{min}(E)}^{\infty} \frac{f(v)}{v} dv$$
$$v_{min}(E) = \left(\frac{EM_A}{2\mu_\chi^2} \right)^{1/2}$$

- Modularity and flexibility: can change velocity distribution, nuclear form factors, quark coefficients in nucleon

Indirect detection

- Annihilation of pairs of DM particles into SM : decay products observed
- Searches for DM in 4 channels
 - Antiprotons (Pamela)
 - Positrons/electrons from galactic halo/center (Pamela, ATIC, Fermi..)
 - Photons from galactic halo/center (Egret, Fermi, Hess..)
 - Neutrinos from Sun (IceCube)
- Rate for production of e^+, p, γ
 - Dependence on the DM distribution (ρ) – not well known in center of galaxy



$v=0.001c$

↗

$$Q(x, \mathbf{E}) = \frac{\langle \sigma v \rangle}{2} \left(\frac{\rho(\mathbf{x})}{m_\chi} \right)^2 \frac{dN}{dE}$$

Photons

- Flux calculation

$$\Phi_{\gamma,\nu} = \frac{1}{8\pi} \frac{\langle \sigma_{ann} v \rangle}{m_\chi^2} \sum_{f.s.} \left(\frac{dN_{\gamma,\nu}}{dE} \right)_{f.s.} \int_{l.o.s.} \rho_s^2$$

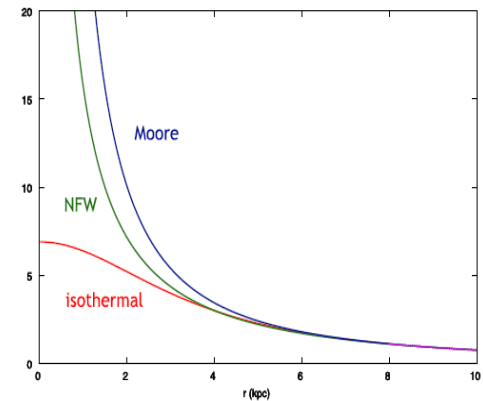
- Photon production
 - In decay of SM particles + R-even new particles
 - dN/dE : basic channels ff, VV, VH, HH and polarization of gauge bosons
 - For particles of unknown mass (H,Z'..) compute 1->2 decay recursively until only basic channels
 - Monochromatic gamma rays ($\gamma\gamma, \gamma Z$) – for MSSM
 - Internal bremsstrahlung ($\chi \chi \rightarrow e^+ e^- \gamma$)
- Integral over line of sight depends strongly on the galactic DM distribution

Dark matter profile

- Dark matter profile parametrisation

$$\rho_s(r) = \rho_{\odot} \left[\frac{r_{\odot}}{r} \right]^{\gamma} \left[\frac{1 + (r_{\odot}/a)^{\alpha}}{1 + (r/a)^{\alpha}} \right]^{\frac{\beta-\gamma}{\alpha}}$$

$$\begin{aligned} r_{\odot} &= 8 \text{ kpc} \\ \rho_{\odot} &= 0.3 \text{ GeV.cm}^{-3} \end{aligned}$$



- Different halo profile rather similar except in center of galaxy

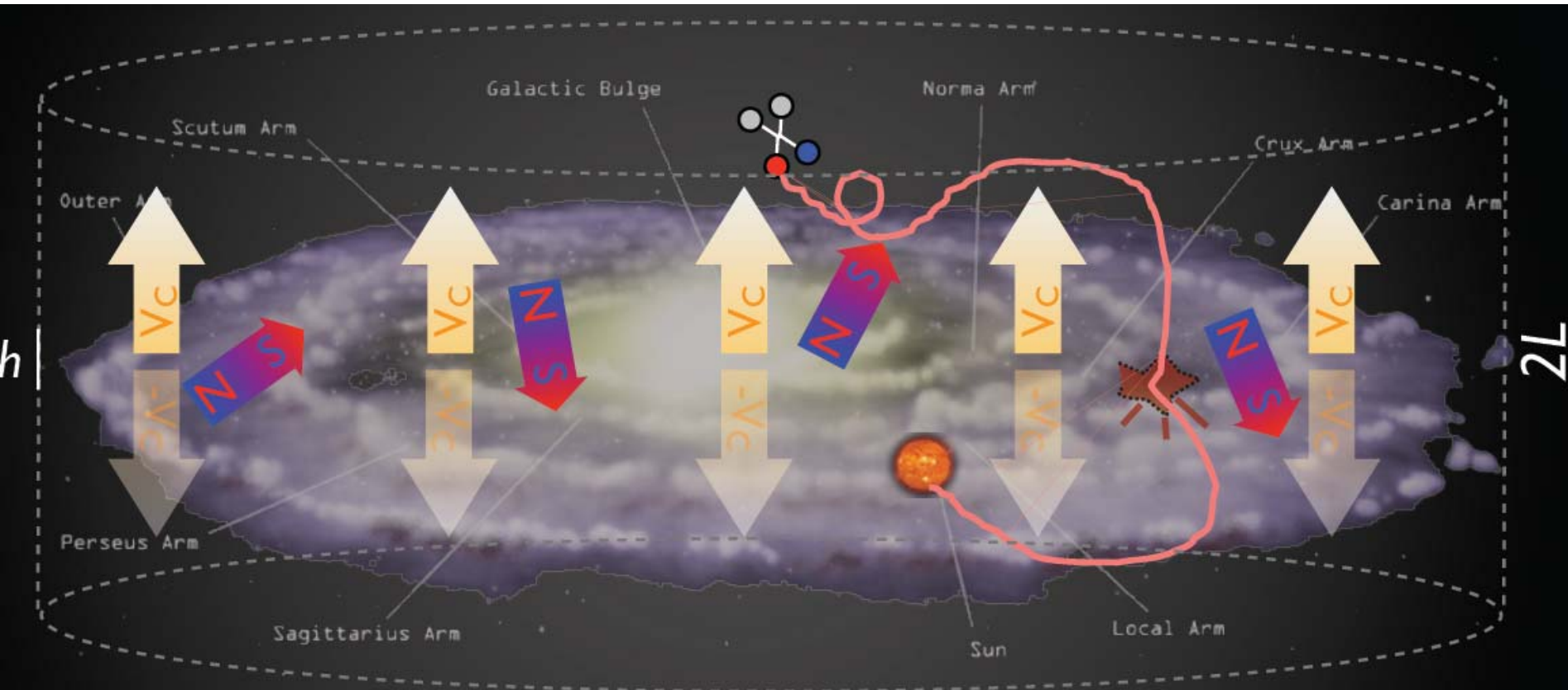
Halo model	α	β	γ	a (kpc)
Isothermal with core	2	2	0	4
NFW	1	3	1	20
Moore	1.5	3	1.5	28

- Also Einasto profile

$$F_{halo}(r) = \exp \left[\frac{-2}{\alpha} \left(\left(\frac{r}{r_{\odot}} \right)^{\alpha} - 1 \right) \right]$$

Antiprotons and positrons from DM annihilation in halo

M. Cirelli, Pascos2009



$$\frac{\partial N}{\partial t} - \nabla \cdot [K(\mathbf{x}, E) \nabla N] - \frac{\partial}{\partial E} [b(E) N] = q(\mathbf{x}, E)$$

diffusion
Energy losses
Source

Propagation of cosmic rays

- *For Charged particle spectrum detected different than spectrum at the source*

$$\frac{\partial N}{\partial t} - \nabla \cdot [K(\mathbf{x}, E) \nabla N] - \frac{\partial}{\partial E} [b(E) N] = q(\mathbf{x}, E)$$

- **Charged cosmic rays deflected by irregularities in galactic magnetic field**
 - For strong magnetic turbulence effect similar to space diffusion
- **Energy losses due to interactions with interstellar medium**
- Convection driven by galactic wind and reacceleration due to interstellar shock wave
- **For positron, antiproton : solution propagation equations** based on
 - Lavallo, Pochon, Salati, Taillet, astro-ph/0603796

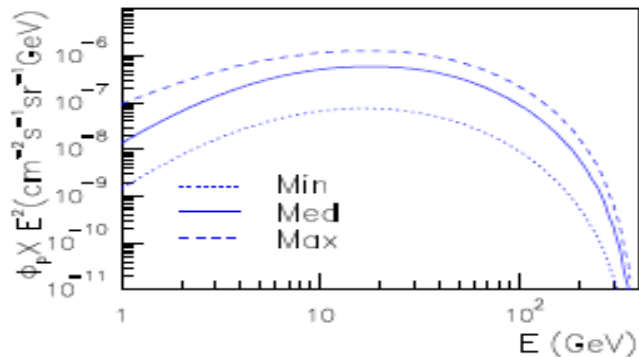
Propagation

- Choice of diffusion parameters

Model	δ	K_0 (kpc ² /Myr)	L (kpc)	V_C (km/s)
MIN	0.85	0.0016	1	13.5
MED	0.7	0.0112	4	12
MAX	0.46	0.0765	15	5

Donato et al

- Strong impact on the predictions

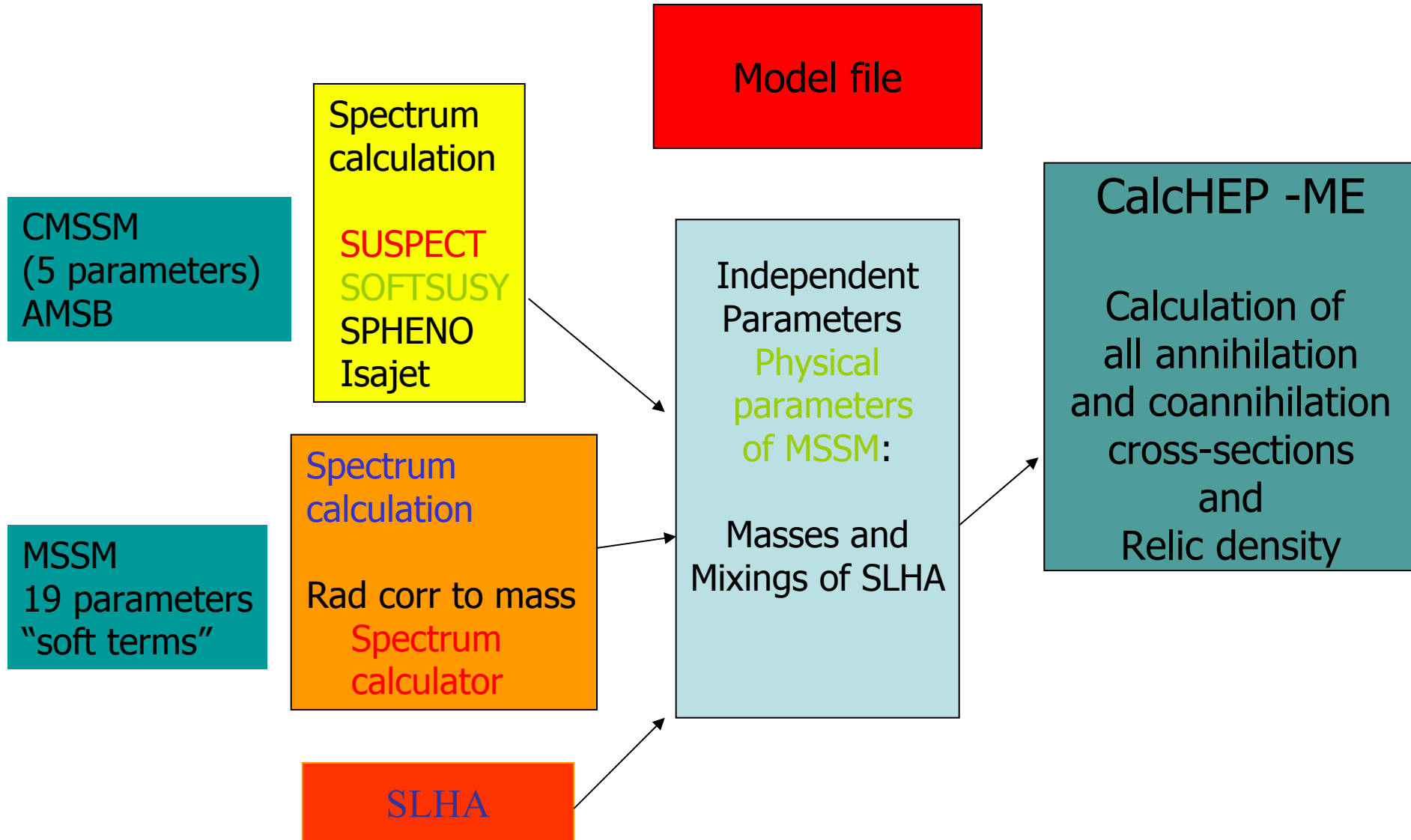


Model 1
$\mu = -440, M_A = 1000$
$M_2 = 800, M_0 = 2500$
$A_t = A_b = 1000$
$\tan \beta = 10$

- At low energies solar modulation effect

MSSM

Parameters of MSSM model file



MSSM-Specific features

- Independent parameters of model are physical parameters of SHLA, flexibility: any model for which the MSSM spectrum can be calculated with an external code can be incorporated easily
- Input parameters to micromegas can be specified at the weak scale or at the GUT scale using some SpectrumCalc program, includes CMSSM, non-univ. SUGRA, AMSB
- *Uses SUSY Les Houches Accord*
- Radiative corrections to masses can be important – SUSY masses and Higgs masses (via spectrum calculator)
- Package includes other constraints (developed for MSSM) – not automatic
 $b \rightarrow s \gamma$ (NLO), $(g-2)_\mu$, $B_s \rightarrow \mu\mu$, $B \rightarrow \tau\nu$, $\Delta\rho$

Extensions of MSSM

- Spectrum calculation, constraints on models: make use of existing programs develop independently, when possible interface with SLHA2
 - NMSSM
 - relies on NMSSMTools (NMSPEC and NMHDECAY) for spectrum calculation, indirect constraints (B physics, g-2, Higgs collider constraints)
 - Ellwanger, Gunion, Hugonie
 - CPVMSSM :
 - interface to CPSuperH (J.S. Lee et al) for spectrum calculation, effective Higgs potential and constraints: edm, Bphysics
 - Interface to Higgs bounds for LEP/Tevatron Higgs constraints (next release)

Interactive session

Download

- New version micromegas_2.4
 - <http://wwwlapp.in2p3.fr/lapth/micromegas>
 - For help, bug report : micro.omegas@lapp.in2p3.fr

- Installation

```
tar -zxvf micromegas_2.4.O.tgz
```

- `cd micromegas_2.4.O`

```
calc          clean      LHM          MSSM         README
CalcHEP_src  CPVMSSM  Makefile     newProject   RHNM
cgwRun        etc       manual240.tex  NMSSM        sources
```

- `make`
- Go to the directory of model you want to work with
- `cd MSSM`
 - sample main file `main.c` – fix switches

Main program - description

```
/*===== Spectrum calculator =====
    Choose RGE from the list below. SuSpect is included
    in micrOMEGAs, to use another code define the path
    to the corresponding package in lib/Makefile
=====*/
#define RGE suspect
    /* choose 'suspect', 'isajet', 'softSusy', 'speno' */

/*===== SUSY scenario =====
    One can define SUGRA, AMSB, EWSB (for low scale input).
    By default program reads SLHA data file
=====*/
#define SUGRA
/* #define AMSB */
/* #define EWSB */

/*===== Modules =====
    Keys to switch on
    various modules of micrOMEGAs
=====*/

#define MASSES_INFO
    /* Display information about SUSY and Higgs masses
    */
#define CONSTRAINTS
    /* Display deltarho, B->sgamma, Bs->mumu, gmuon and
    check LEP mass limits
    */
#define OMEGA
    /* Calculate relic density and display contribution of
    individual channels
    */
```



```

#define INDIRECT_DETECTION
    /* Compute spectra of gamma/positron/neutrinos
       for DM annihilation; calculate <sigma*v> and
       integrate gamma signal over DM galactic squared
       density for given line of sight.
    */

/*##define RESET_FORMFACTORS*/
    /* Modify default nucleus form factors,
       DM velocity distribution,

#define CDM_NUCLEON
    /* Calculate amplitudes and cross-sections for
       CDM-nucleon collisions
    */
/* #define TEST_Direct_Detection */
    /*
       Compare analytical formula for DD against micrOMEGAS calculation.
       As well as compare tree level and box improved approaches.
    */
#define CDM_NUCLEUS
    /* Calculate number of events for 1kg*day
       and recoil energy distribution for various nuclei
    */
#define DECAYS
    /* Calculate decay widths and branchings */
/* #define CROSS_SECTIONS */
    /* Calculate cross sections of reactions specified by the user */

/*===== end of Modules =====*/

```

Choosing options

```

#ifdef INDIRECT_DETECTION
{
  int err,i;
  double Emin=1,SMmev=320;/*Energy cut in GeV and solar potential in MV*/
  double  sigmaV;
  double vcs_gz,vcs_gg;
  char txt[100];
  double SpA[NZ],SpE[NZ],SpP[NZ];
  double SpNe[NZ],SpNm[NZ],SpNl[NZ];
  double Etest=Mcdm/2;

  K_dif=0.036;
  L_dif=4;

  sigmaV=calcSpectrum( 1+2+4,SpA,SpE,SpP,SpNe,SpNm,SpNl ,&err);
  /* Returns sigma*v in cm^3/sec.    SpX - calculated spectra of annihilation.
     Use SpectdNdE(E, SpX) to calculate energy distribution in 1/GeV units.

     First parameter 1-includes W/Z polarization
                     2-includes gammas for 2->2+gamma
                     4-print cross sections

  */

```

Global parameters

Name	Default value	Units	Comments
Mcdm		GeV	Mass of Dark Matter particle, M_χ
Rsun	8.	kpc	Distance from the Sun to the Galactic center, r_\odot
rhoDM	0.3	GeV/cm ³	Dark Matter density at R _{sun} , ρ_\odot
Rdisk	20	kpc	Radius of the galactic diffusion disk, R
K_dif	0.0112	kpc ² /Myr	Diffusion coefficient K_0
L_dif	4	kpc	Half height of the galactic diffusion zone L

make main=main.c

./main 120 500 -300 10 1 173.1

```
===== mSUGRA scenario =====
Spectrum calculator is suspect
Warnings from spectrum calculator:
.....none

Dark matter candidate is '~o1' with spin=1/2 mass=2.06E+02

~o1 = 0.997*bino -0.015*wino +0.074*higgsino1 -0.029*higgsino2

=== MASSES OF HIGGS AND SUSY PARTICLES: ===
Higgs masses and widths
  h   115.99 2.52E-03
  H   766.59 1.78E+00
 H3   766.34 1.82E+00
 H+   770.85 1.73E+00

Masses of odd sector Particles:
~o1 : MNE1 = 205.9 || ~l1 : MSl1 = 212.3 || ~eR : MSeR = 223.7
~mR : MSmR = 223.7 || ~nl : MSnl = 344.8 || ~ne : MSne = 346.8
~nm : MSnm = 346.8 || ~eL : MSeL = 355.4 || ~mL : MSmL = 355.4
~l2 : MSl2 = 356.5 || ~1+ : MC1 = 389.6 || ~o2 : MNE2 = 389.7
~o3 : MNE3 = 692.7 || ~2+ : MC2 = 704.2 || ~o4 : MNE4 = 704.3

~t1 : MSt1 = 767.9 || ~b1 : MSb1 = 959.3 || ~b2 : MSb2 = 1005.7
~t2 : MSt2 = 1006.1 || ~dR : MSdR = 1009.9 || ~sR : MSsR = 1009.9
~uR : MSuR = 1013.4 || ~cR : MScR = 1013.4 || ~uL : MSuL = 1050.2
~cL : MScL = 1050.2 || ~dL : MSdL = 1053.1 || ~sL : MSsL = 1053.1
~g : MSG = 1146.4 ||
```

Relic density

==== Physical Constraints: =====

deltarho=1.51E-05

gmuon=9.47E-10

bsgnlo=3.58E-04

bsmumu=3.09E-09

btaunu=9.91E-01

MassLimits OK

==== Calculation of relic density =====

Xf=2.65e+01 Omega=1.10e-01

Channels which contribute to 1/(omega) more than 1%.

Relative contributions in % are displayed

29% $\tilde{\nu}_1 \tilde{l}_1 \rightarrow A l$

21% $\tilde{l}_1 \tilde{l}_1 \rightarrow l l$

8% $\tilde{\nu}_1 \tilde{l}_1 \rightarrow Z l$

6% $\tilde{l}_1 \tilde{L}_1 \rightarrow A A$

4% $\tilde{\nu}_1 \tilde{\nu}_1 \rightarrow l L$

3% $\tilde{\nu}_1 \tilde{\nu}_1 \rightarrow m M$

3% $\tilde{\nu}_1 \tilde{\nu}_1 \rightarrow e E$

3% $\tilde{\nu}_1 \tilde{e}_R \rightarrow A e$

3% $\tilde{\nu}_1 \tilde{m}_R \rightarrow A m$

3% $\tilde{l}_1 \tilde{L}_1 \rightarrow A Z$

3% $\tilde{e}_R \tilde{l}_1 \rightarrow e l$

3% $\tilde{m}_R \tilde{l}_1 \rightarrow m l$

The rest 7.79 %

Indirect and direct detection

==== Indirect detection =====

Channel	vcs[cs ³ /s]
$\tilde{0}1, \tilde{0}1 \rightarrow b B$	2.25E-29
$\tilde{0}1, \tilde{0}1 \rightarrow t T$	2.55E-29
$\tilde{0}1, \tilde{0}1 \rightarrow l L$	5.37E-29
$\tilde{0}1, \tilde{0}1 \rightarrow W^+ W^-$	2.95E-31
$\tilde{0}1, \tilde{0}1 \rightarrow e, E, A$	
$\tilde{0}1, \tilde{0}1 \rightarrow m, M, A$	
$\tilde{0}1, \tilde{0}1 \rightarrow l, L, A$	

sigmav=1.02E-28[cm³/s]

Photon flux for angle of sight $f=0.00$ [rad]

and spherical region described by cone with angle 0.0349 [rad]

Photon flux = $7.51E-16$ [cm² s GeV]⁻¹ for $E=103.0$ [GeV]

Executable

```
/home/genevieve/tools/micromegas_2.4.0/MSSM/work/./nngg/lGamma.exe  
is not found. Launch 'make -C nngg'
```

Positron flux = $3.50E-14$ [cm² sr s GeV]⁻¹ for $E=103.0$ [GeV]

Antiproton flux = $2.06E-15$ [cm² sr s GeV]⁻¹ for $E=103.0$ [GeV]

==== Calculation of CDM-nucleons amplitudes =====

CDM-nucleon micrOMEGAs amplitudes:

proton: SI $-1.316E-09$ SD $-1.575E-08$

neutron: SI $-1.332E-09$ SD $1.984E-08$

CDM-nucleon cross sections[pb]:

proton SI $7.497E-10$ SD $3.223E-07$

neutron SI $7.691E-10$ SD $5.113E-07$

=====
===== Direct Detection =====

73Ge: Total number of events= $1.74E-04$ /day/kg

Number of events in 10 - 50 KeV region= $9.40E-05$ /day/kg

131Xe: Total number of events= $2.87E-04$ /day/kg

Number of events in 10 - 50 KeV region= $1.43E-04$ /day/kg

Decays and cross sections

$\tilde{\nu}_2 \rightarrow 2^*x$: total width=3.837725E-01

and Branchings:

2.128198E-03 $\tilde{\nu}_2 \rightarrow Z, \tilde{\nu}_1$
2.914427E-02 $\tilde{\nu}_2 \rightarrow h, \tilde{\nu}_1$
6.004674E-02 $\tilde{\nu}_2 \rightarrow E, \tilde{e}_L$
6.004674E-02 $\tilde{\nu}_2 \rightarrow e, \tilde{E}_L$
1.052718E-03 $\tilde{\nu}_2 \rightarrow E, \tilde{e}_R$
1.052718E-03 $\tilde{\nu}_2 \rightarrow e, \tilde{E}_R$
6.004674E-02 $\tilde{\nu}_2 \rightarrow M, \tilde{m}_L$
6.004674E-02 $\tilde{\nu}_2 \rightarrow m, \tilde{M}_L$
1.052718E-03 $\tilde{\nu}_2 \rightarrow M, \tilde{m}_R$
1.052718E-03 $\tilde{\nu}_2 \rightarrow m, \tilde{M}_R$
4.205439E-02 $\tilde{\nu}_2 \rightarrow L, \tilde{l}_1$
4.205439E-02 $\tilde{\nu}_2 \rightarrow l, \tilde{L}_1$
5.482904E-02 $\tilde{\nu}_2 \rightarrow L, \tilde{l}_2$
5.482904E-02 $\tilde{\nu}_2 \rightarrow l, \tilde{L}_2$
8.582378E-02 $\tilde{\nu}_2 \rightarrow Ne, \tilde{ne}$
8.582378E-02 $\tilde{\nu}_2 \rightarrow ne, \tilde{Ne}$
8.582378E-02 $\tilde{\nu}_2 \rightarrow Nm, \tilde{nm}$
8.582378E-02 $\tilde{\nu}_2 \rightarrow nm, \tilde{Nm}$
9.363385E-02 $\tilde{\nu}_2 \rightarrow Nl, \tilde{nl}$
9.363385E-02 $\tilde{\nu}_2 \rightarrow nl, \tilde{Nl}$

Implementing and working with a new model

micromegas_2.x

- A generic program to calculate the relic density of DM in any model
- Assume some “ R-parity “ particles either odd/even under this parity (odd particles: \sim)
- A simple example : RH neutrino
- Create new model
 - ./newProject name
- New directory created with all routines to compute annihilation cross sections find the “LSP”, look for possible resonances, ‘main program’
- User needs to specify model file in CalcHEP notation : particles, variables, vertices, functions in work/models (do by hand or with LanHEP)

Particles : prtcls1.mdl

RH neutrino

Particles

Full name	A	A+	number	2*spin	mass	width	color	aux	>LaTeX(A)	< >LaTeX(A+)	<
photon	A	A	22	2	0	0	1	G	\gamma	\gamma	
gluon	G	G	21	2	0	0	8	G	g	g	
electron	e	E	11	1	0	0	1		e	\bar{e}	
e-neutrino	ne	Ne	12	1	0	0	1	L	\nu_e	\bar{\nu}_e	
muon	m	M	13	1	Mm	0	1		\mu	\bar{\mu}	
m-neutrino	nm	Nm	14	1	0	0	1	L	\nu_\mu	\bar{\nu}_\mu	
tau-lepton	l	L	15	1	ML	0	1		\tau	\bar{\tau}	
t-neutrino	nl	Nl	16	1	0	0	1	L	\nu_\tau	\bar{\nu}_\tau	
u-quark	u	U	2	1	Mu	0	3		u	\bar{u}	
d-quark	d	D	1	1	Md	0	3		d	\bar{d}	
c-quark	c	C	4	1	Mc	0	3		c	\bar{c}	
s-quark	s	S	3	1	Ms	0	3		s	\bar{s}	
t-quark	t	T	6	1	Mtp	wtp	3		t	\bar{t}	
b-quark	b	B	5	1	Mb	0	3		b	\bar{b}	
Higgs	H	H	25	0	MH	\!wH	1		H	H	
W-boson	W+	W-	24	2	MW	wW	1		W^+	W^-	
Z-boson	Z	Z	23	2	MZ	wZ	1		Z	Z	
LZP	\~n4	\~N4	100000	1	MLZP	wn4	1				



=====

Vertices (Igrng1.mdl)

RH neutrino (RS-inspired)

Vertices

A1	A2	A3	A4	>	Factor	< >	Lorentz part
G	G	G		SC			$ m1.m2*(p1-p2).m3+m2.m3*(p2-p3).m1+m3.m1$
W+	W-	A		-EE			$ m1.m2*(p1-p2).m3+m2.m3*(p2-p3).m1+m3.m1$
W+	W-	A	A	-EE^ 2			$ 2*m1.m2*m3.m4-m1.m3*m2.m4-m1.m4*m2.m3$
H	W+	W-		EE*MW/SW			$ m2.m3$
H	H	H		-(3/2)*EE*MH^ 2/(MW*SW)			$ 1$
H	H	H	H	(-3/4)*(EE*MH/(MW*SW))^ 2			$ 1$
U	u	H		-EE*Mu/(2*MW*SW)			$ 1$
T	t	H		-EE*Mtp/(2*MW*SW)			$ 1$
Ne	e	W+		EE/(2*sqrt2*SW)			$ G(m3)*(1-G5)$
E	ne	W-		EE/(2*sqrt2*SW)			$ G(m3)*(1-G5)$
E	e	Z		-EE/(4*SW*CW)			$ G(m3)*(1-G5)-4*(SW^ 2)*G(m3)$
T	t	A		(2/3)*EE			$ G(m3)$
U	d	W+		EE*Vud/(2*sqrt2*SW)			$ G(m3)*(1-G5)$
~N4	~n4	H		gH			$ 1$
~N4	~n4	Z		gZ/2			$ G(m3)*(1+G5)$



=====

Parameters (vars1.mdl)

RH neutrino

Parameters

Name	Value	> Comment
EE	0.31223	Elementary charge (alpha=1/128.9, on-shell, MZ point, PDG96)
alfSMZ	0.1172	MS-bar Strong coupling at MZ
Q	100	QCD SCALE
SW	0.4730	sine of the electroweak mixing angle (PDG96)
s12	0.221	Parameter of C-K-M matrix (PDG96)
Ml	1.777	tau-lepton mass (PDG96)
Mu	0.005	
Md	0.007	
McMc	1.25	Mc(Mc) MS-bar PDG-07
MbMb	4.20	Mb(Mb) MS-bar value PDG-07
Mtpole	171.4	t-quark mass (pole mass)
MZ	91.1884	Z-boson mass (PDG96)
MH	300	higgs mass
wtp	1.59	t-quark width (tree level 1->2x)
wZ	2.49444	Z-boson width (tree level 1->2x)
wW	2.08895	W-boson width (tree level 1->2x)
gH	0.3	H-lZP coupling
gZ	0.3	Z-lZP coupling
MLZP	100.	n4 mass
wn4	0	n4 width

<|



=====

Constraints (func1.mdl)

RH neutrino

Constraints

Name	>	Expression		<
QCDok		initQCD(alfSMZ,1.4,MbMb,Mtpole)		
Mb		MbEff(Q)*one(QCDok)		
Mtp		MtEff(Q)*one(QCDok)		
CW		sqrt(1-SW^2)	%	cos of the Weinberg angle
MW		MZ*CW	%	W-boson mass
c12		sqrt(1-s12^2)	%	parameter of C-K-M matrix
Vud		c12*c13	%	C-K-M matrix element
Vus		s12*c13	%	C-K-M matrix element
Vub		s13	%	C-K-M matrix element

=====

micromegas_2.x

- After the model is implemented and check with CalcHEP
 - In directory micromegas_2.2.CPC/name/work
 - Launch ./calchep
 - Edit model
 - Check model
 - Correct mistakes until model is OK
- Code then automatically
 - looks for “LSP” and for resonances
 - Computes all annihilation and coannihilation cross-sections
 - Solves the evolution equation and obtains the relic density
 - Gets any 2->2 cross section and 1->2,3 decay
 - Computes σv (for indirect detection) and direct detection rate

- Note: for direct detection needs coupling of Higgs to light quarks
- *Other constraints must be provided by the user in fortran or C routine*
- Run the code
 - main.c is the default main program – fix switches
 - define input parameters
 - make main=main.c
 - ./main test1.par

Input parameters (test1.par)

```
# This file is intended for changing of model parameters.
# While it is empty, default parameters defined in work/models/vars1.mdl file
# are used. Format of the input data is
# variable_name    new_value.
EE      3.122300E-01
SW      4.730000E-01
MbMb    4.20
Mtpole  171.4
MZ      9.118840E+01
MH      200.
wtp     1.590000E+00
wZ      2.494440E+00
wW      2.088950E+00
gH      0.025
gZ      0.002
MLZP    46.
```

Results

=== MASSES OF ODD SECTOR: ===

Masses of odd sector Particles: \tilde{n}_4 : MLZP = 46.0 ||

==== Physical Constraints: =====

==== Calculation of relic density =====

Dark Matter candidate is \tilde{n}_4 $X_f=2.38e+01$ $\Omega=1.00e-01$

Channels which contribute to $1/(\omega)$ more than 1%.

Relative contributions in % are displayed

15% $\tilde{n}_4 \tilde{N}_4 \rightarrow d D$

15% $\tilde{n}_4 \tilde{N}_4 \rightarrow s S$

15% $\tilde{n}_4 \tilde{N}_4 \rightarrow b B$

12% $\tilde{n}_4 \tilde{N}_4 \rightarrow u U$

12% $\tilde{n}_4 \tilde{N}_4 \rightarrow c C$

7% $\tilde{n}_4 \tilde{N}_4 \rightarrow \nu_l N_l$

7% $\tilde{n}_4 \tilde{N}_4 \rightarrow \nu_m N_m$

7% $\tilde{n}_4 \tilde{N}_4 \rightarrow \nu_e N_e$

3% $\tilde{n}_4 \tilde{N}_4 \rightarrow e E$

3% $\tilde{n}_4 \tilde{N}_4 \rightarrow m M$

3% $\tilde{n}_4 \tilde{N}_4 \rightarrow l L$

==== Indirect detection =====

$\sigma*v=5.49E-26$ [cm³/sec] $1.41E+01$ gamma with $E > 1.00E-01$ are generated at one collision
gamma flux for $\theta=0.00E+00$ [rad] is $1.04E-06$ [ph/cm²/s/sr]

WIMP annihilation at $V_{rel}=1.0E-03$ ($P_{cm}=2.30E-02$)

\tilde{n}_4, \tilde{N}_4	->	b	B	$\sigma*v=1.66E-26$	[cm ³ /sec]	σ [pb]= $5.55E+02$
\tilde{n}_4, \tilde{N}_4	->	s	S	$\sigma*v=1.67E-26$	[cm ³ /sec]	σ [pb]= $5.58E+02$
\tilde{n}_4, \tilde{N}_4	->	c	C	$\sigma*v=1.30E-26$	[cm ³ /sec]	σ [pb]= $4.34E+02$
\tilde{n}_4, \tilde{N}_4	->	d	D	$\sigma*v=1.67E-26$	[cm ³ /sec]	σ [pb]= $5.58E+02$
\tilde{n}_4, \tilde{N}_4	->	u	U	$\sigma*v=1.30E-26$	[cm ³ /sec]	σ [pb]= $4.35E+02$
\tilde{n}_4, \tilde{N}_4	->	nl	Nl	$\sigma*v=7.47E-27$	[cm ³ /sec]	σ [pb]= $2.49E+02$
\tilde{n}_4, \tilde{N}_4	->	l	L	$\sigma*v=3.77E-27$	[cm ³ /sec]	σ [pb]= $1.26E+02$
\tilde{n}_4, \tilde{N}_4	->	ne	Ne	$\sigma*v=7.47E-27$	[cm ³ /sec]	σ [pb]= $2.49E+02$
\tilde{n}_4, \tilde{N}_4	->	e	E	$\sigma*v=3.78E-27$	[cm ³ /sec]	σ [pb]= $1.26E+02$

Outlook

- *Incorporating one-loop for dominant processes in MSSM – beyond improved Higgs vertices*
 - *Sloops (Baro, Boudjema, Chalons, Semenov)*
- *Neutrino signals from capture in Sun, Earth*
- *Pursue implementation of new models*

Conclusion

- *To understand the nature of dark matter clearly need information and cross checks from cosmology, direct and indirect detection as well as from collider physics*
- *micrOMEGAs_2.4 is tool to perform these analyses in a generic model*