

# Track-based Measurements of the Underlying Event at 900 GeV & 7 TeV

Gabriel Hare,  
on behalf of the ATLSA Underlying Event analysis group.



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# Thanks to...

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- The many other people who have contribute directly or indirectly. Especially, all those who have ensured the excellent performance of the ATLAS Inner Detector.



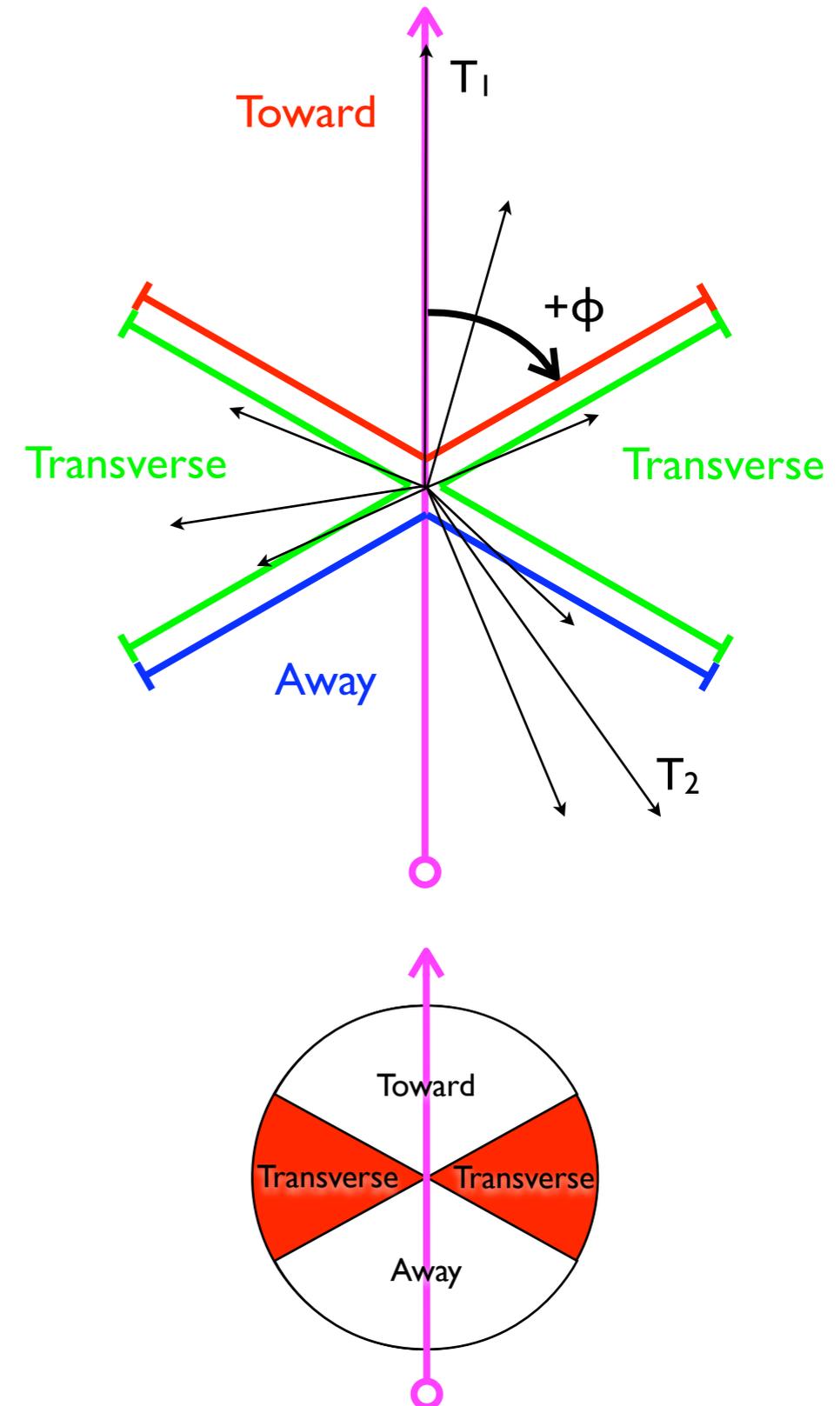
# Outline

- Underlying Event: Intro.
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  - $p_T$  Densities
  - Standard Deviations
  - Number Density  $\phi$  Profiles
- Analysis Methods:
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  - Event Corrections
  - Correction Factors
- Conclusions



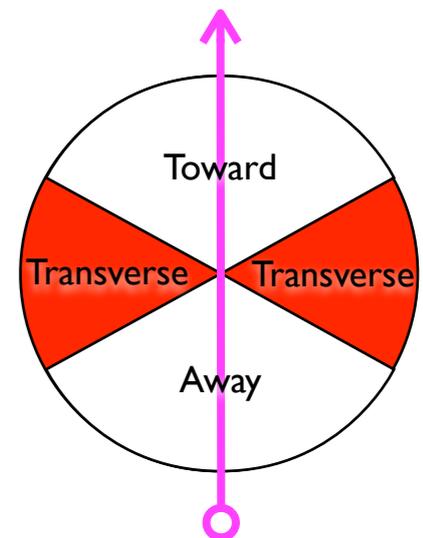
# Underlying Event: Intro.

- Goal: Isolate the low-energy QCD contribution to events (in a Minimum Bias sample) that is independent of the principal scattering energy. This contribution will be referred to as the “Underlying Event”.
- Method: Assume a Di-Jet structure for events. The  $\phi$  region that is nearly transverse to the Di-Jets is assumed to be principally filled by the Underlying Event.
- Method: At low energies it is sufficient to use the highest  $p_T$  (leading) track  $T_1$ , rather than the highest  $E_T$  (leading) jet. (The leading track is usually found in the leading jet.)
- Definition: The intervals with  $\pi/3 < |\phi| < 2\pi/3$  will be the “Transverse” region that is used to characterize the Underlying Event.
- Definition: The interval within  $\pi/3$  of the leading track and the region within  $\pi/3$  opposite the leading track are the “Toward” and “Away” regions, respectively.

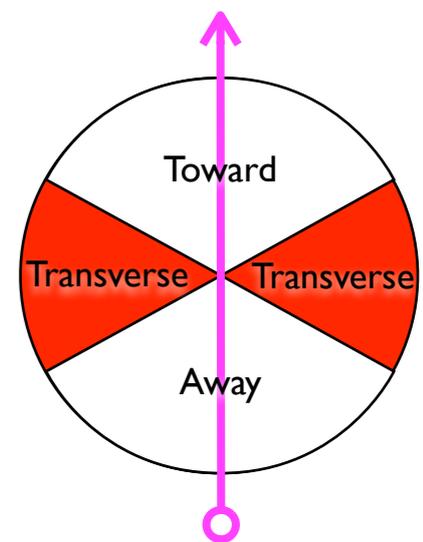
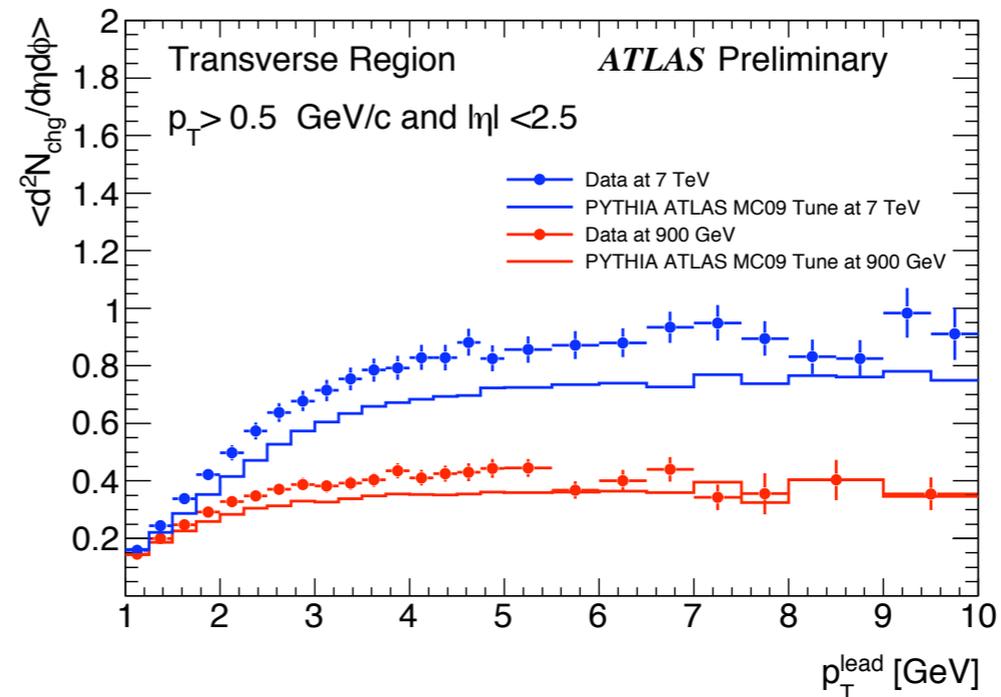
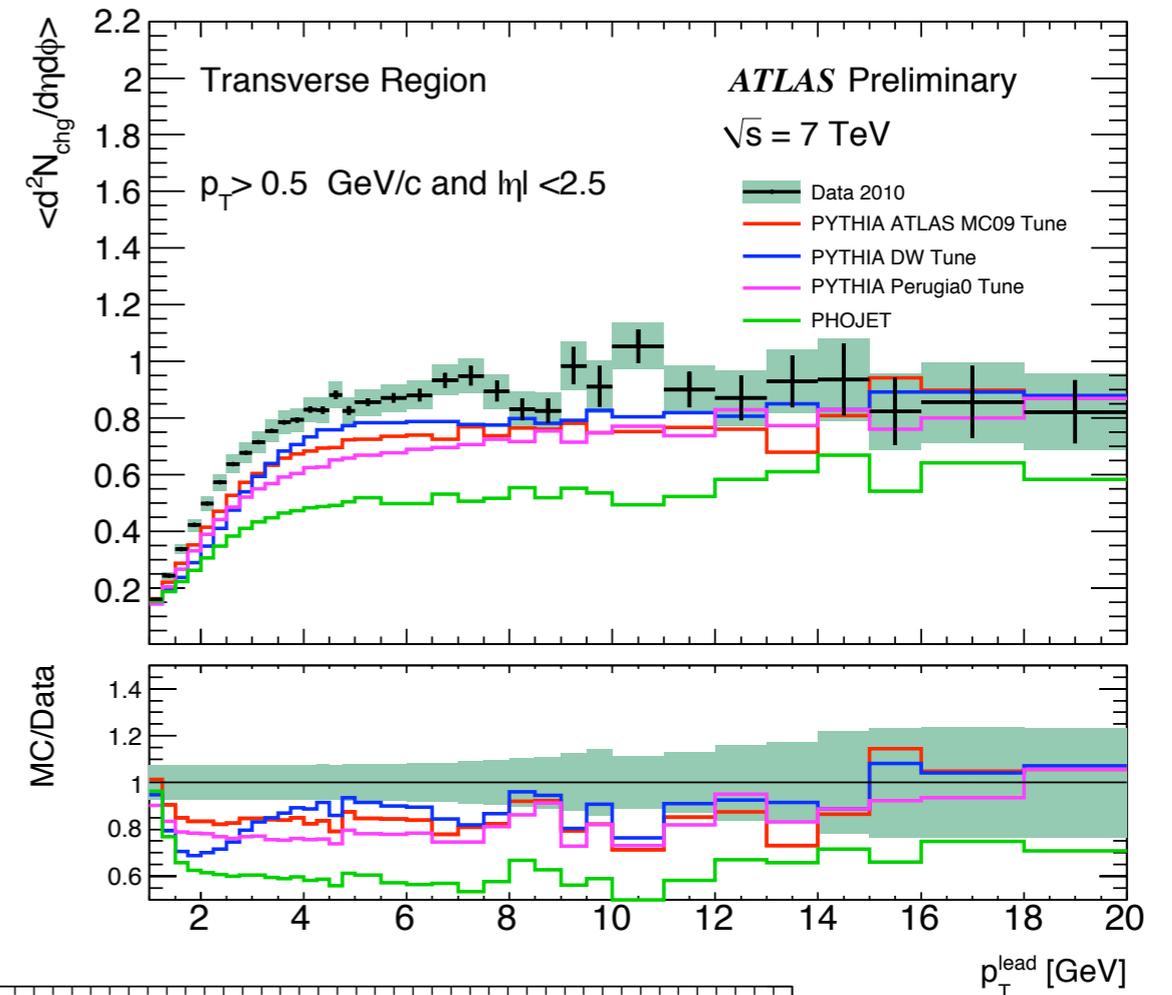
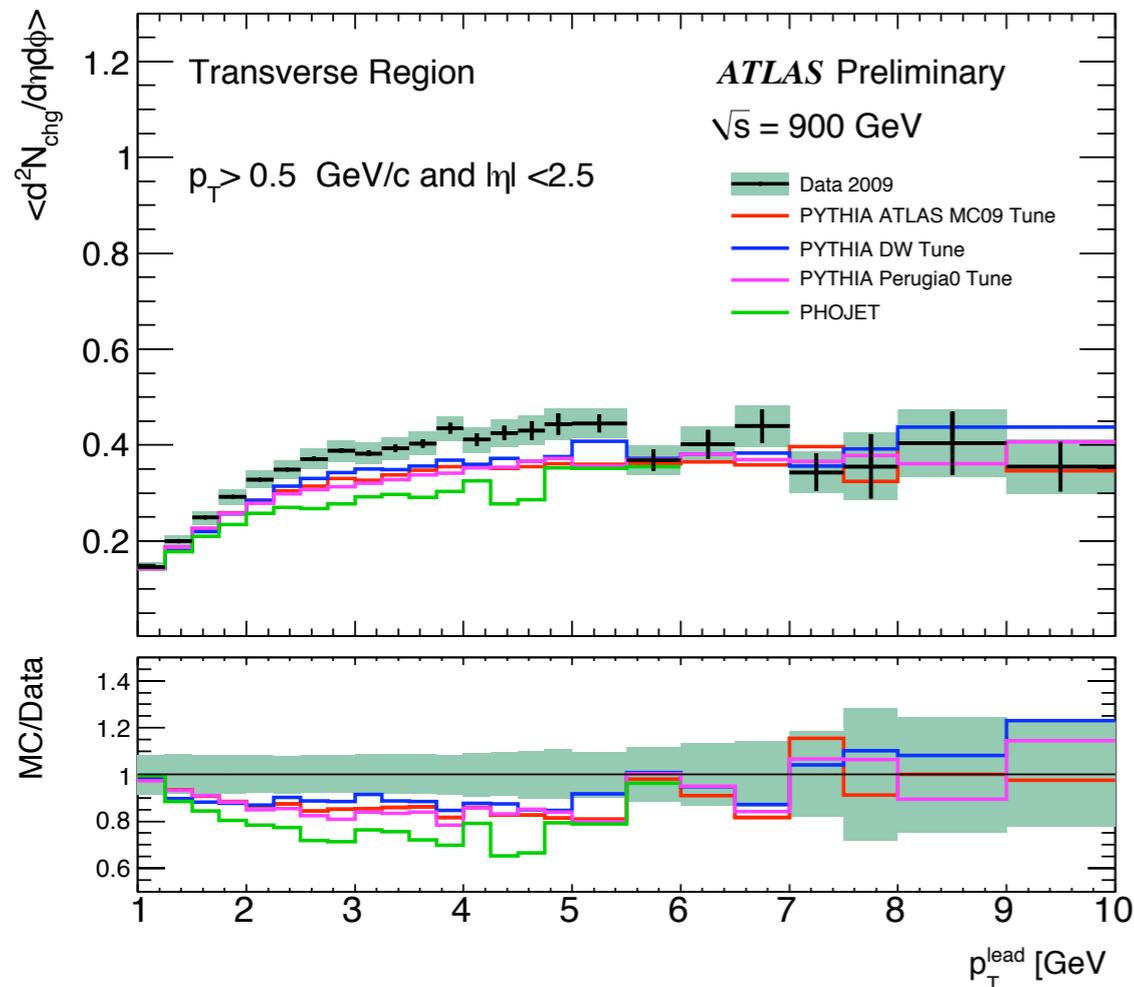


# Results

Profile	Abscissa	Ordinate
Transverse Number Density	Lead Track $p_T$	Transverse Track Number / Transverse Area
Away Number Density	Lead Track $p_T$	Away Track Number / Away Area
Toward Number Density	Lead Track $p_T$	Toward Track Number / Toward Area
Transverse $p_T$ Density	Lead Track $p_T$	Transverse Track $p_T$ / Transverse Area
Away $p_T$ Density	Lead Track $p_T$	Away Track $p_T$ / Away Area
Toward $p_T$ Density	Lead Track $p_T$	Toward Track $p_T$ / Toward Area
Standard Deviations	Lead Track $p_T$	S.D. (Transverse Track Number / Transverse Area)
	Lead Track $p_T$	S.D. (Transverse Track $p_T$ / Transverse Area)
Transverse Mean Track $p_T$	Transverse Track Number	Event-Mean of Transverse Track $p_T$
Away Mean Track $p_T$	Away Track Number	Event-Mean of Away Track $p_T$
Toward Mean Track $p_T$	Toward Track Number	Event-Mean of Toward Track $p_T$
Angular Distributions	$ \phi $ from Lead Track	Number Density of Tracks in $ \phi $ Bin Interval



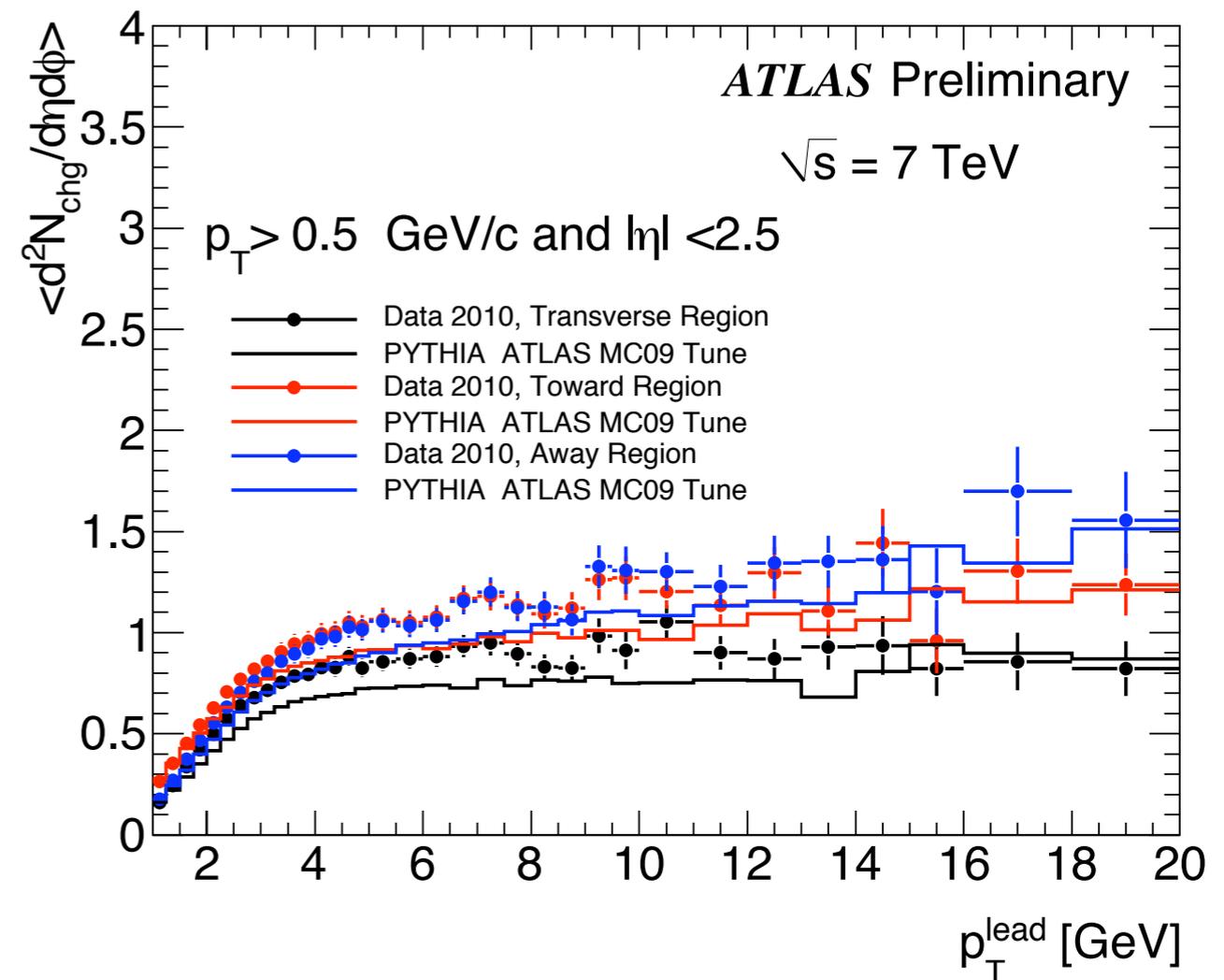
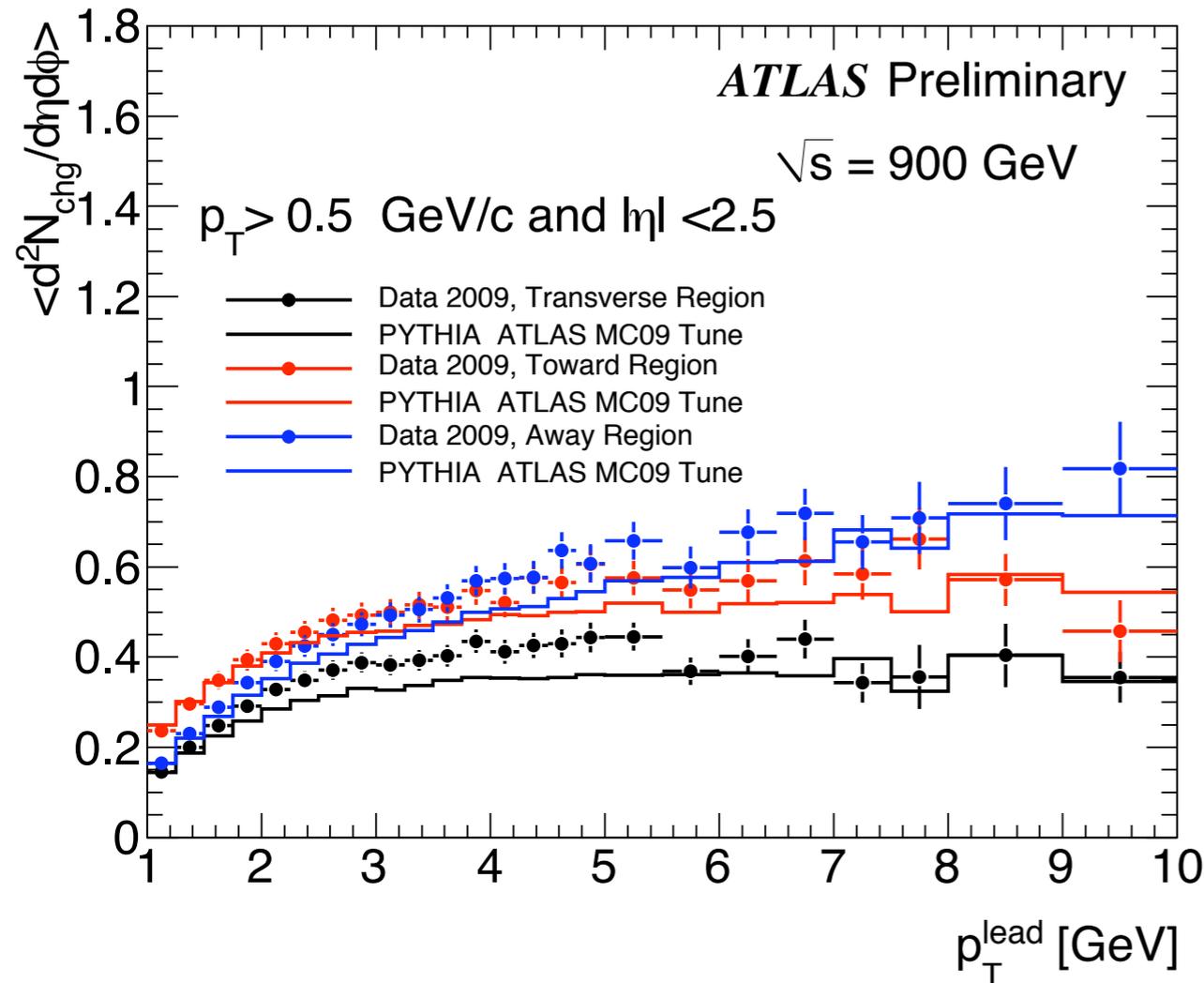
# Transverse Number Density



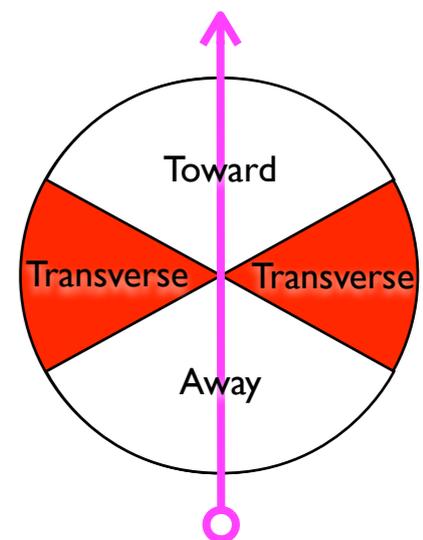
- The number density is higher than predicted by any of the MC tunes.
- The difference is clearer in events with lower lead  $p_T$ .
- The difference is more significant at 7 TeV.



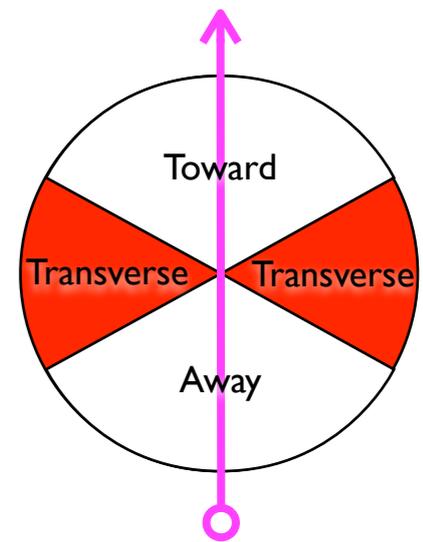
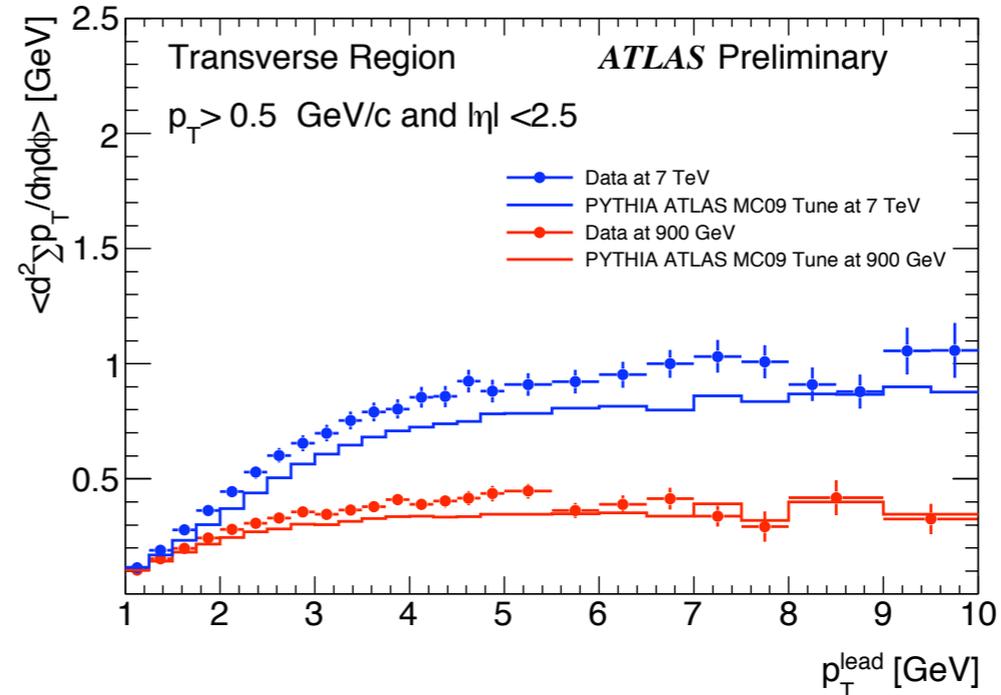
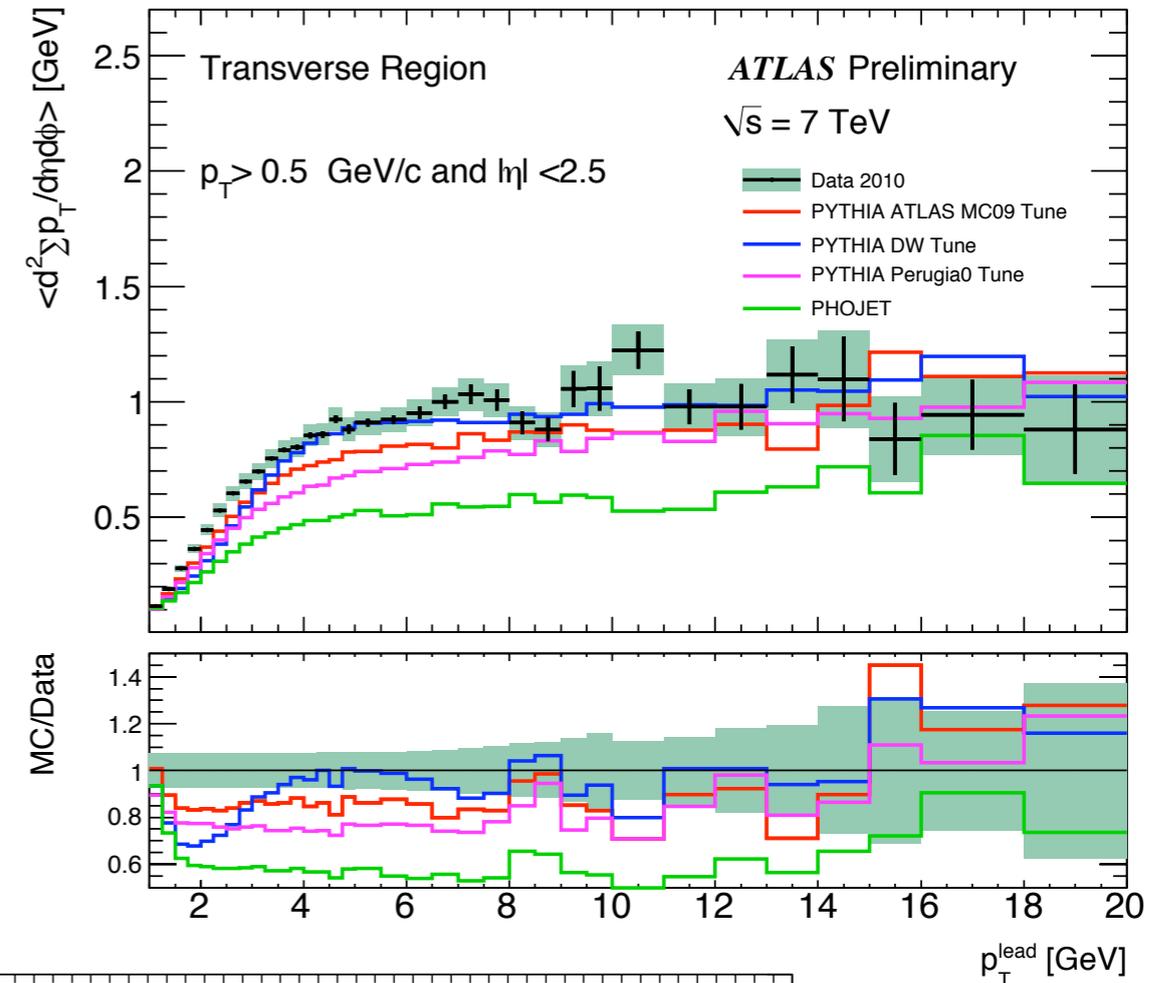
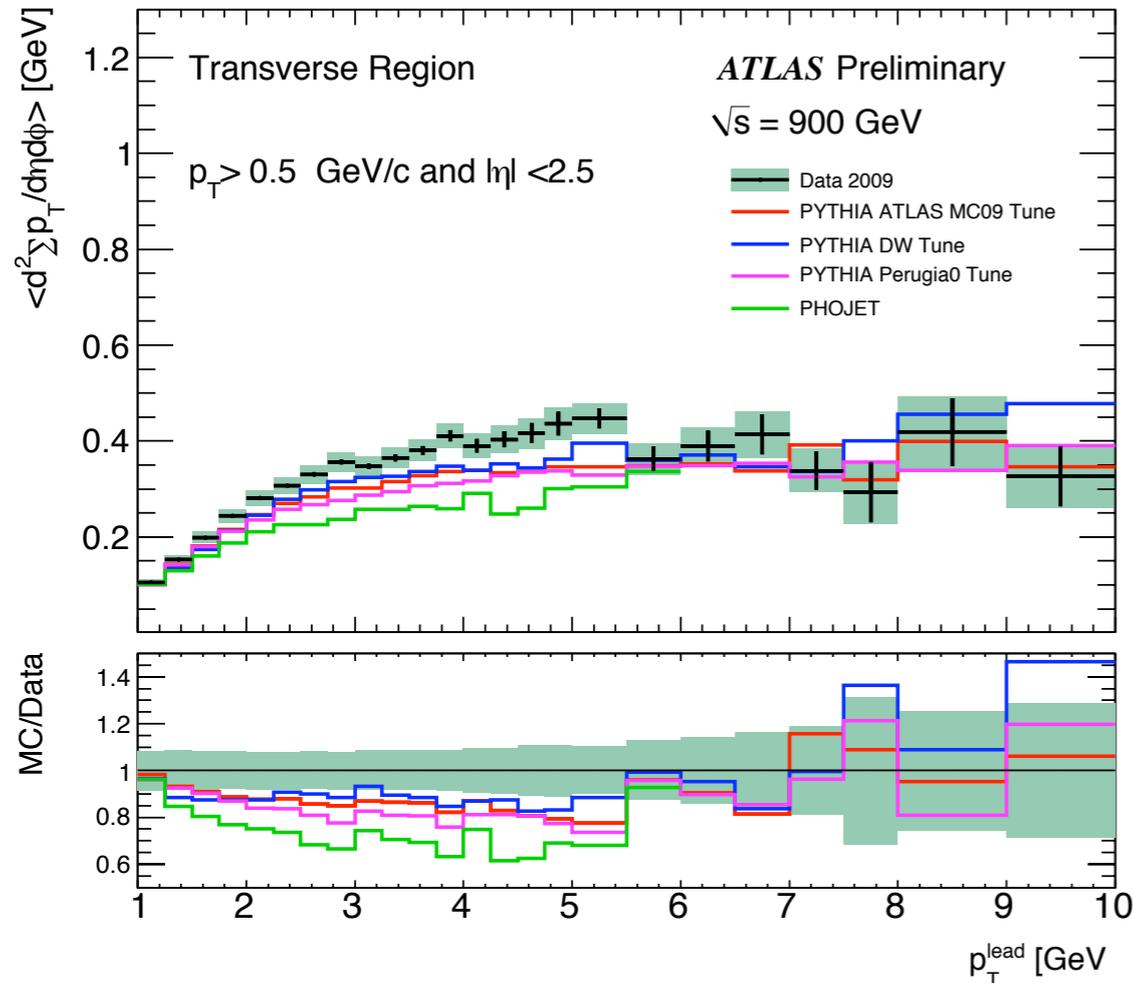
# All Number Densities



- The **Toward** & **Away** regions are dominated by jet-like activity, yielding rising number densities.
- In contrast, the number density in the **Transverse** region appears to be independent of the energy scale defined by the  $p_T$  of the leading track.
- Leading track selection bias yields a cross-over of the **Toward** & **Away** profiles in both Data and Monte Carlo.



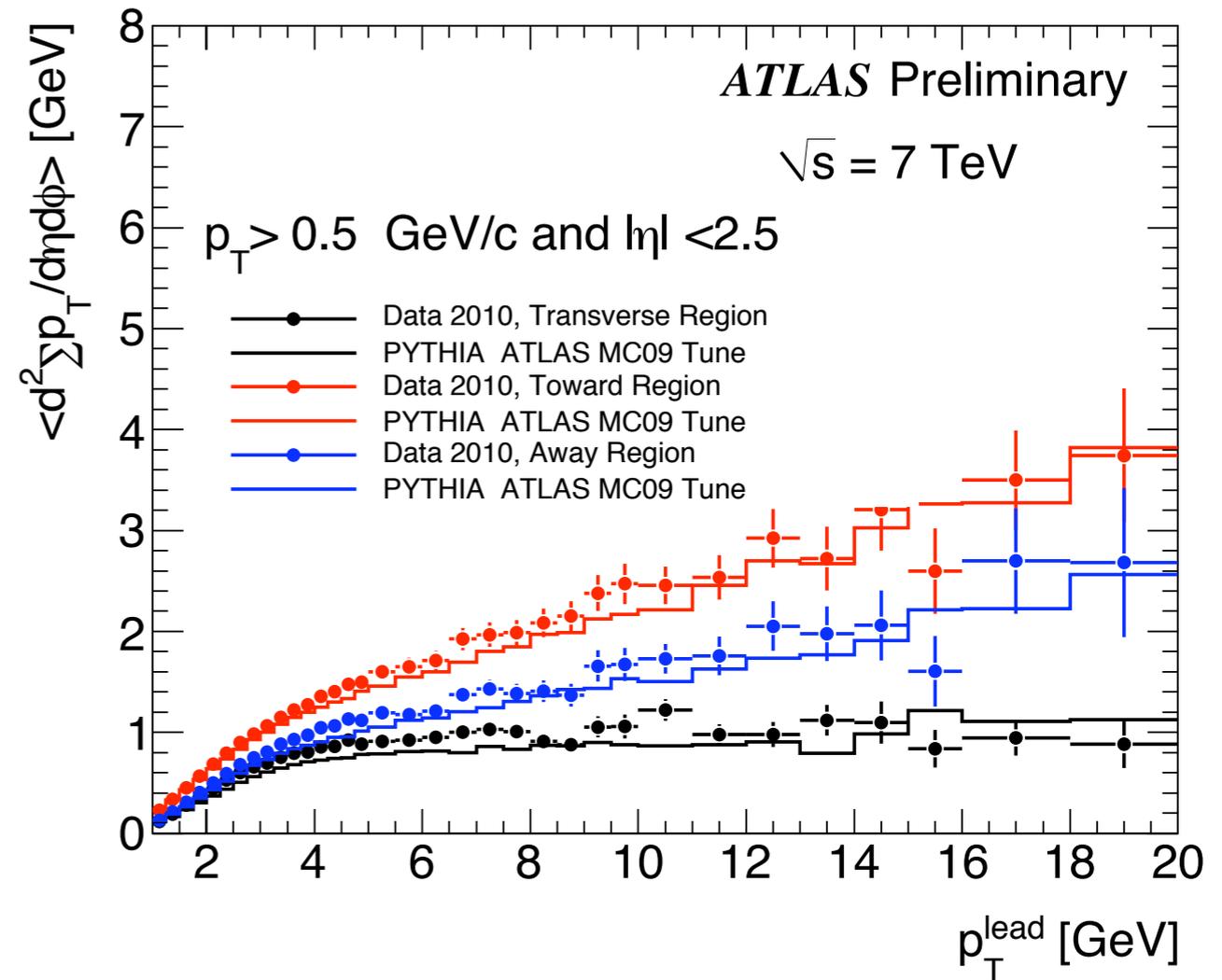
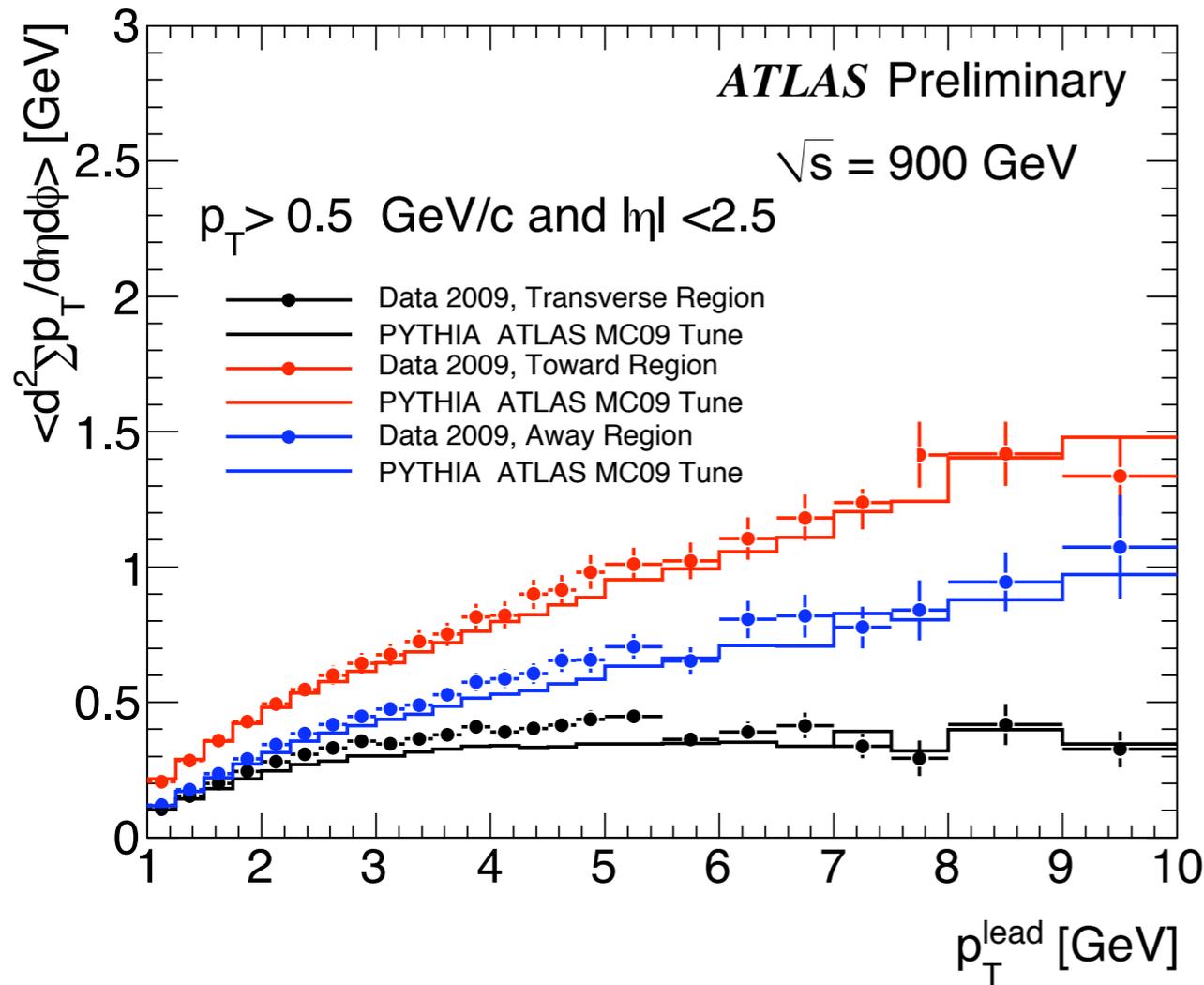
# Transverse $p_T$ Density



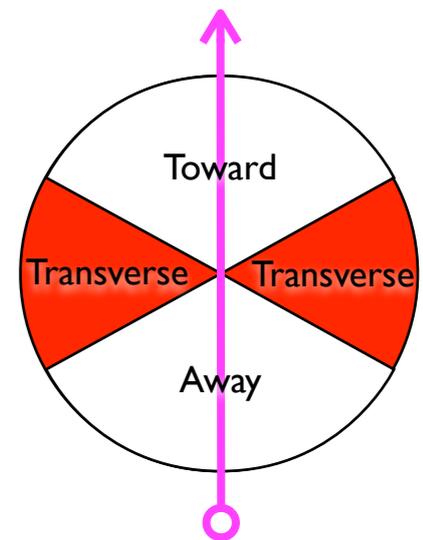
- The higher number density implies a higher  $p_T$  density as well.
- These profiles characterize the contribution of the Underlying Event to jets from the hard scatter.



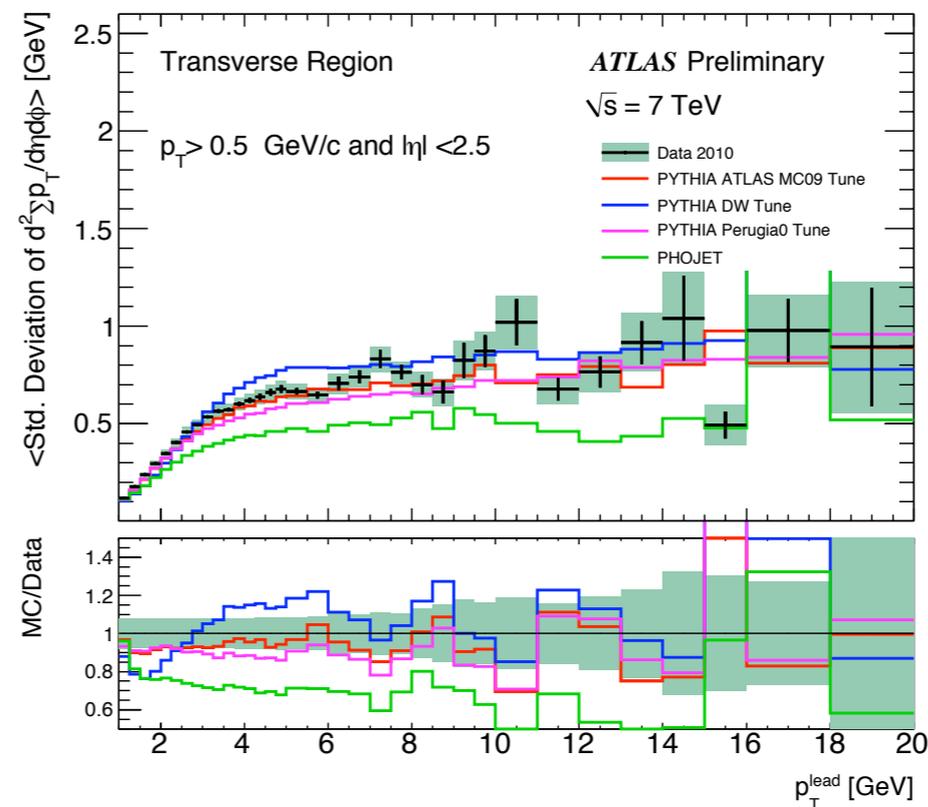
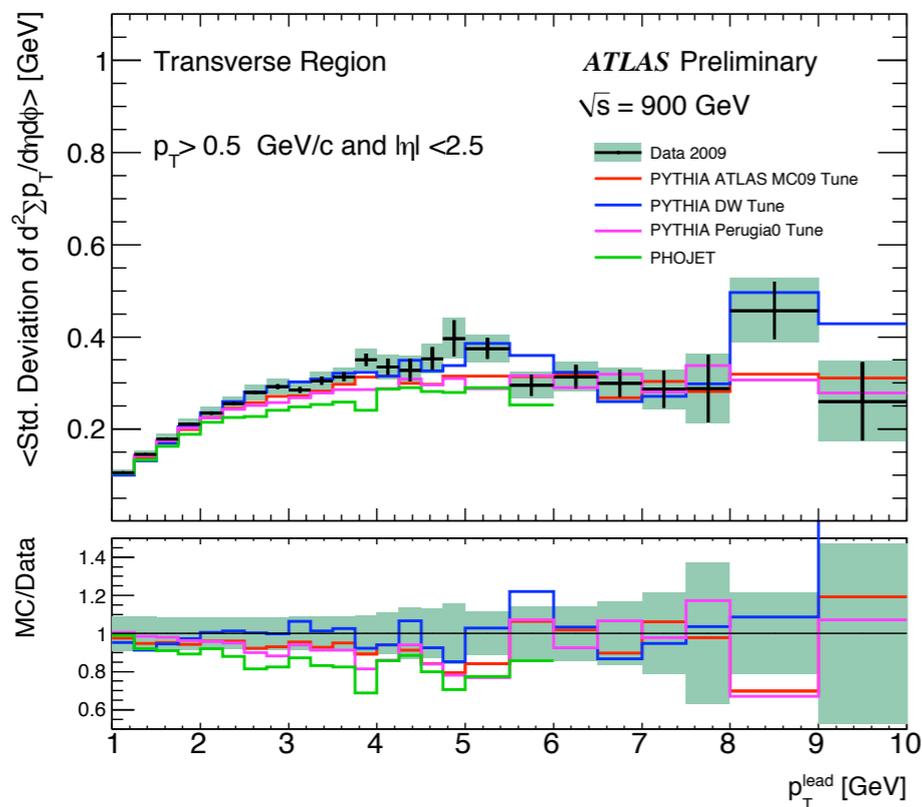
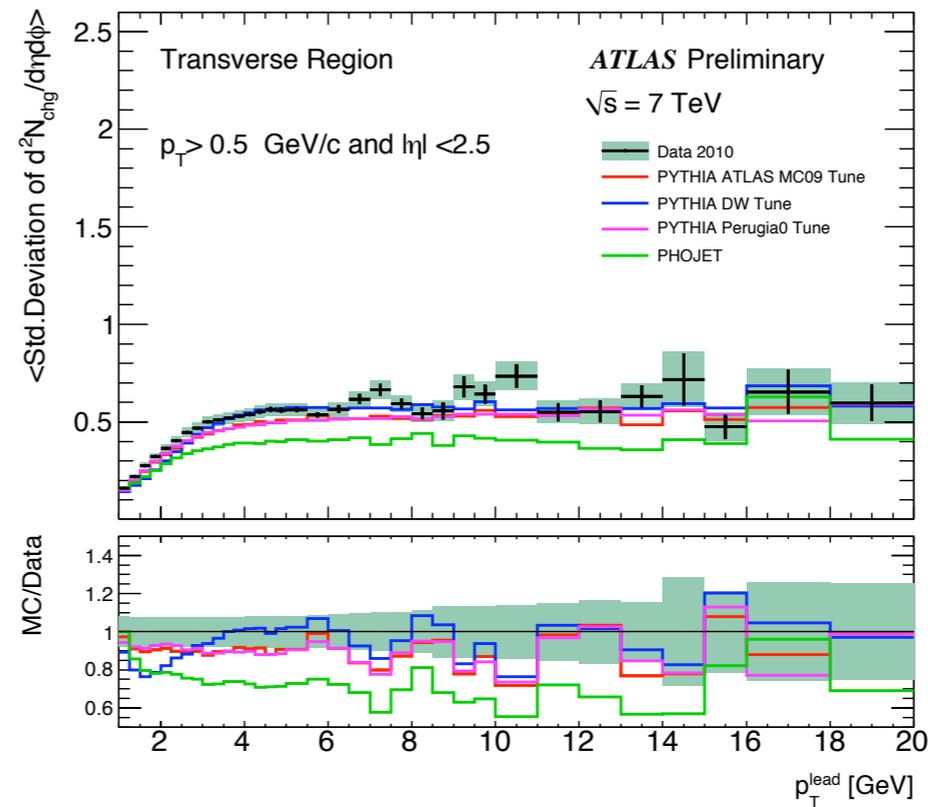
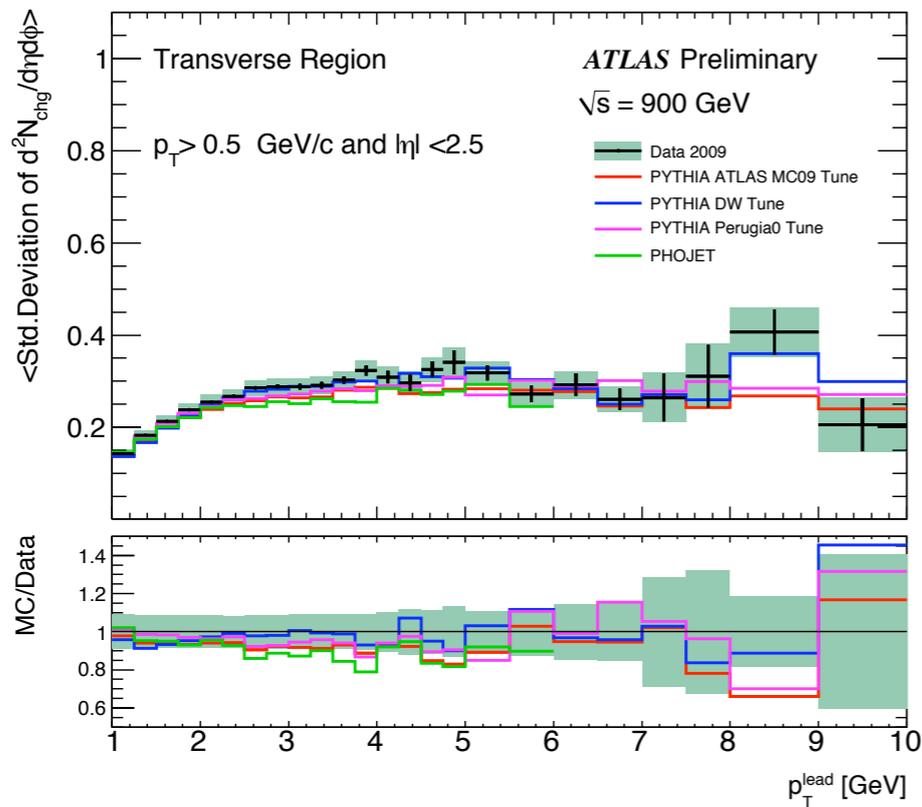
# All $p_T$ Densities



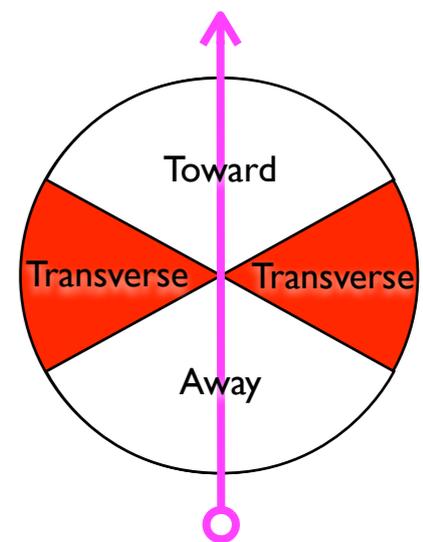
- The **Toward** & **Away** regions have  $p_T$  densities that are nearly linear functions of the event energy scale defined by the  $p_T$  of the leading track.
- The proportionality of the  $p_T$  densities in the **Toward** & **Away** regions indicates the extent of the variation in the charged fraction of the total energy in each region.
- At low leading  $p_T$  **Away**  $\sim 2/3$  **Toward** and contains  $\sim 1$  track.



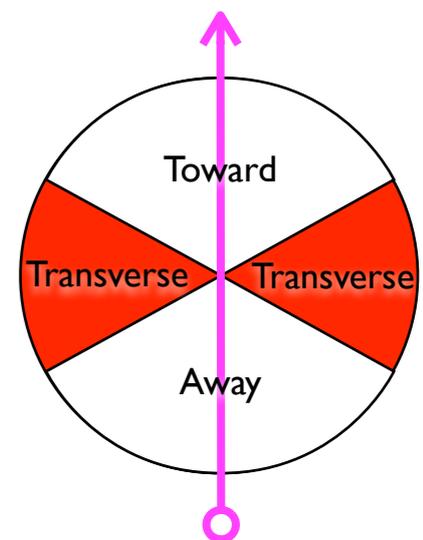
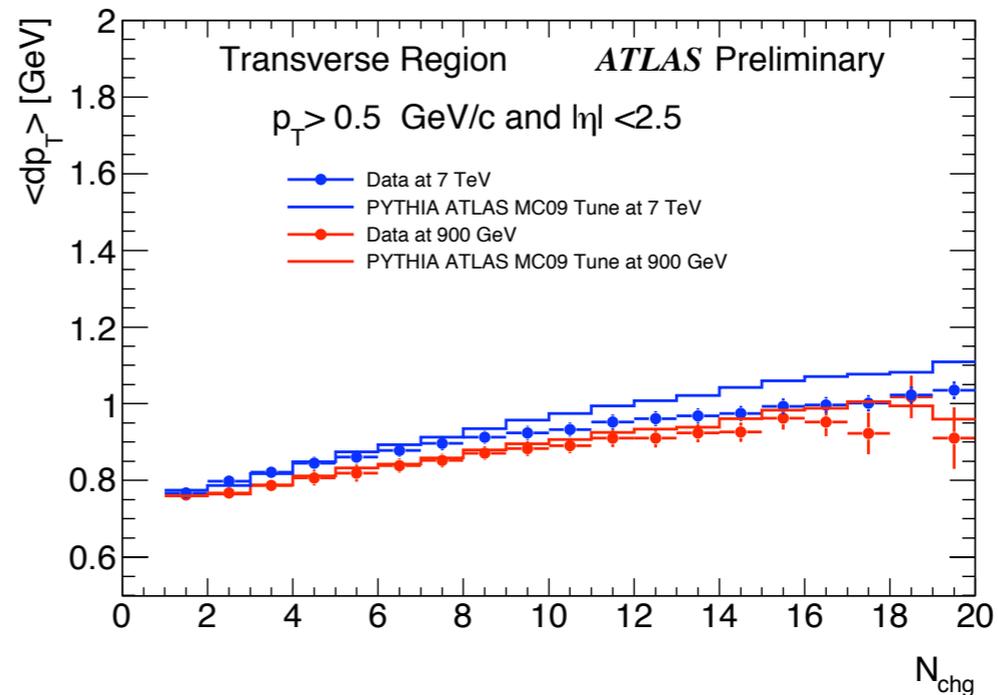
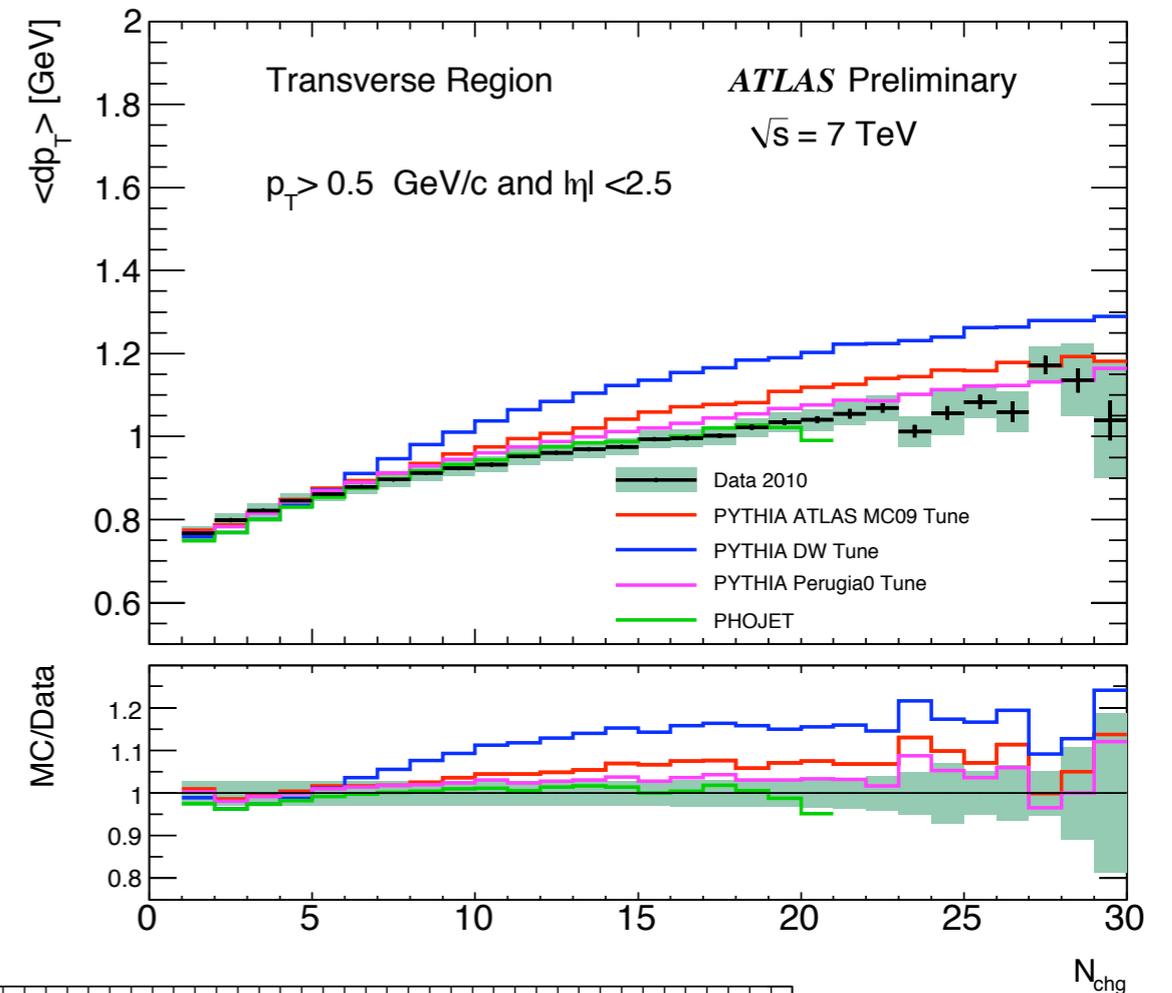
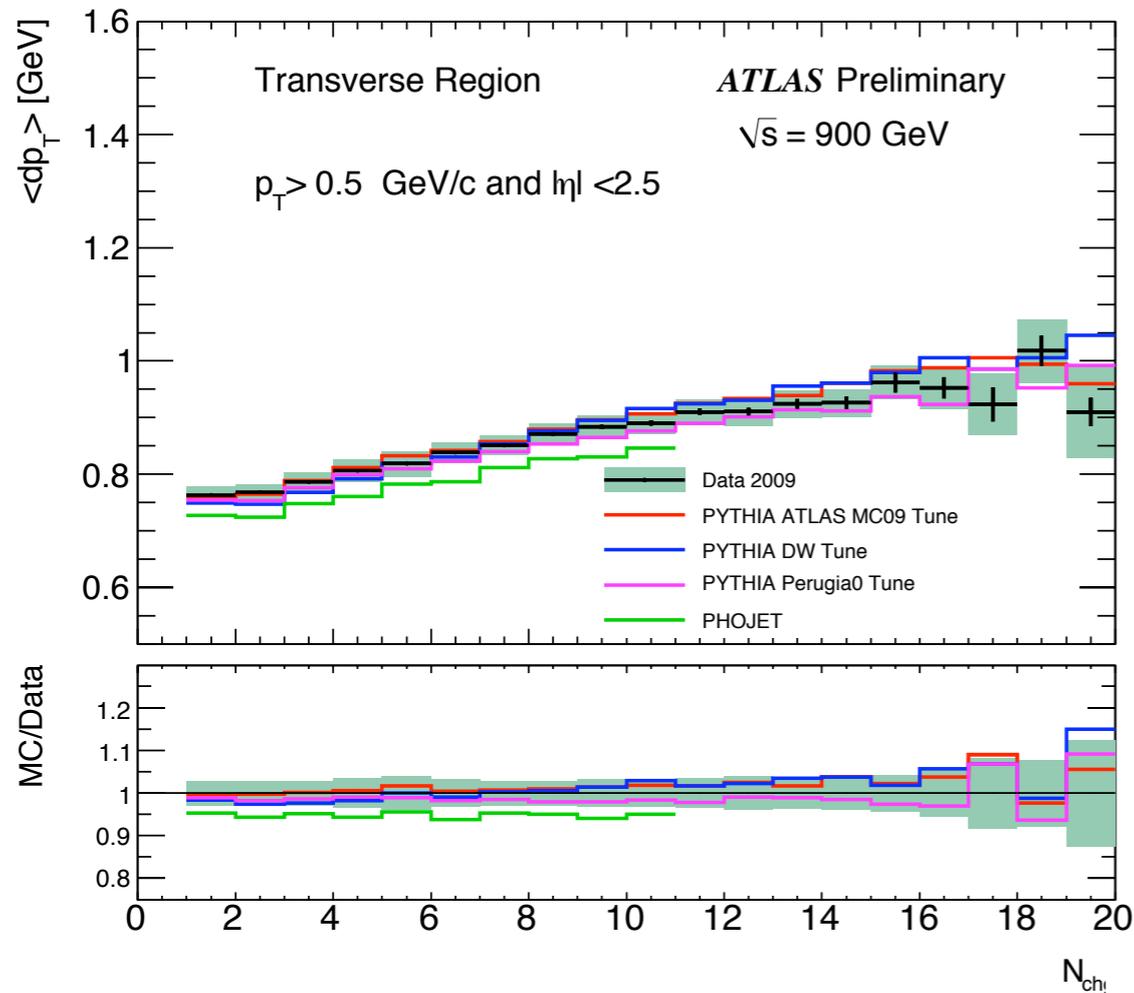
# Standard Deviations



- Event to event  $p_T$  fluctuations are on the scale of average values.
- S.D. provides an additional constraint for M.C. tuning.



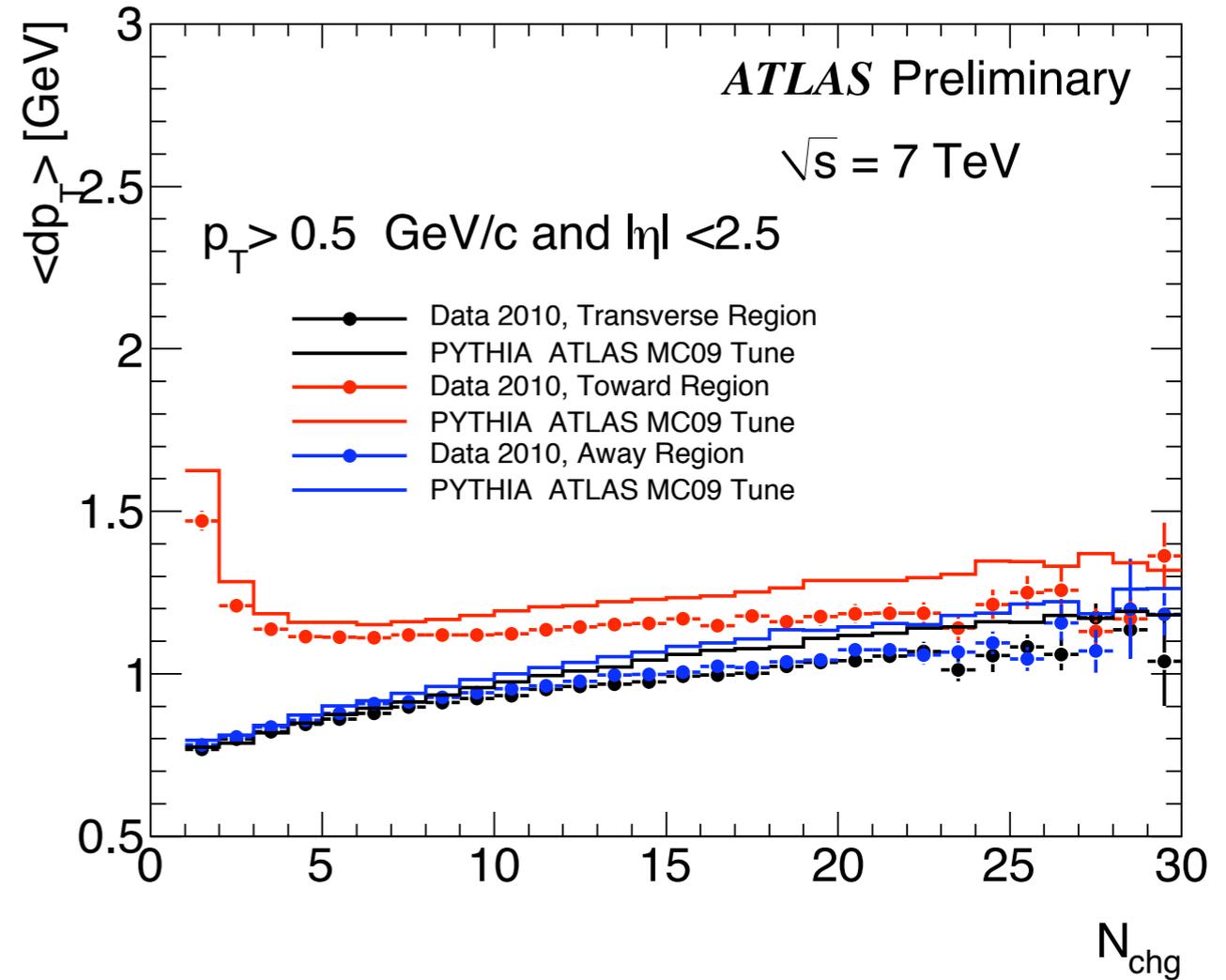
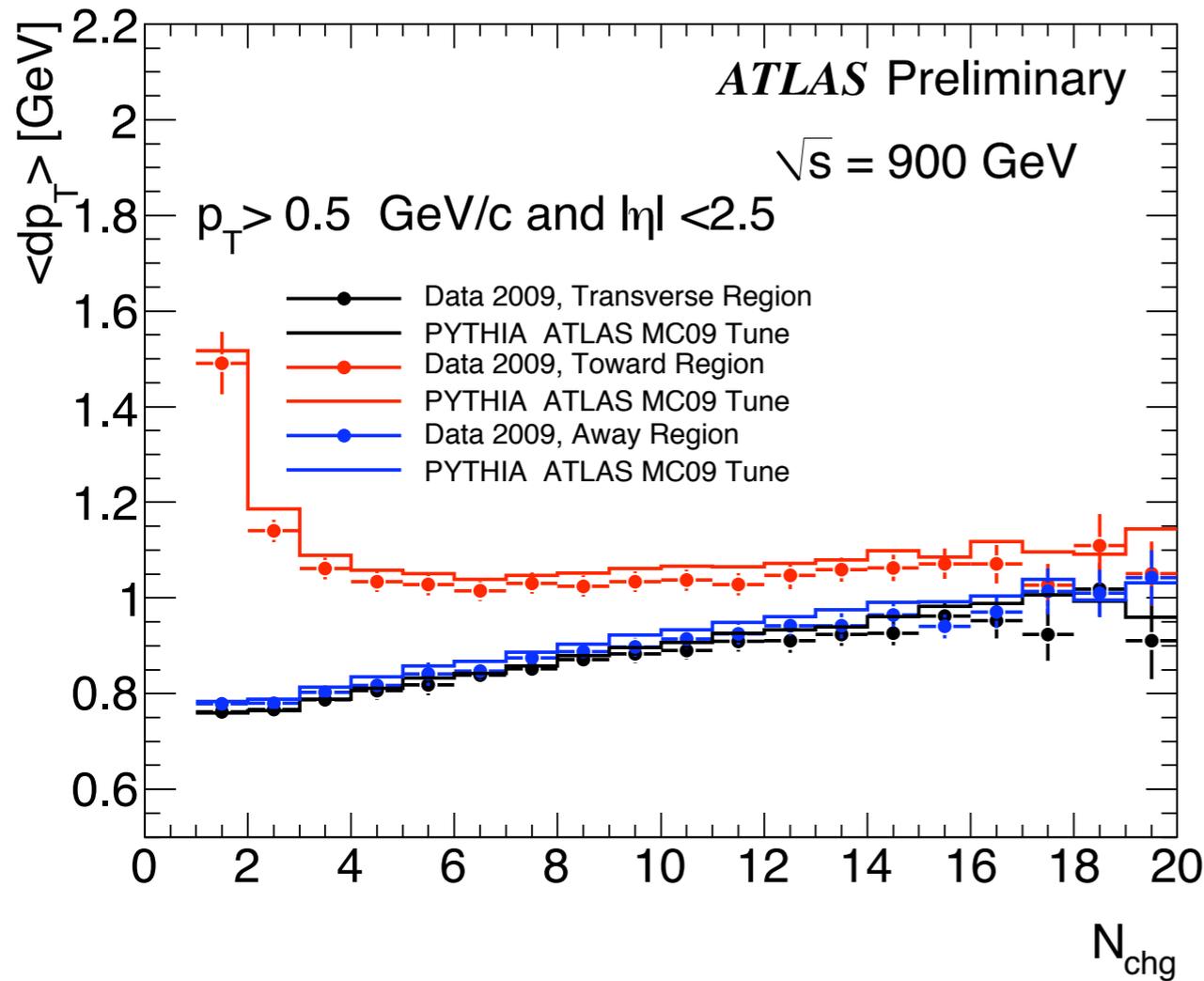
# Transverse Mean Track $p_T$



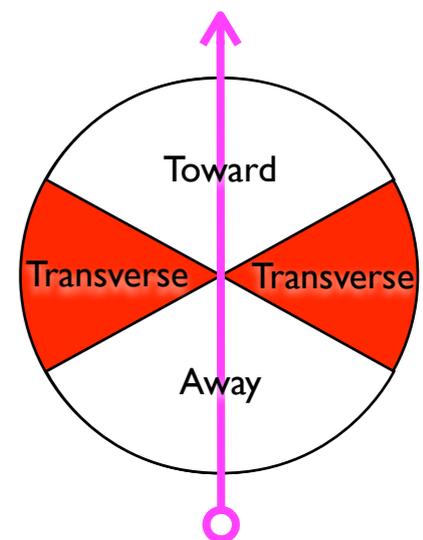
- The abscissa counts the number of tracks in the Transverse region only.
- The ordinate is the mean  $p_T$  of tracks in the Transverse region only.



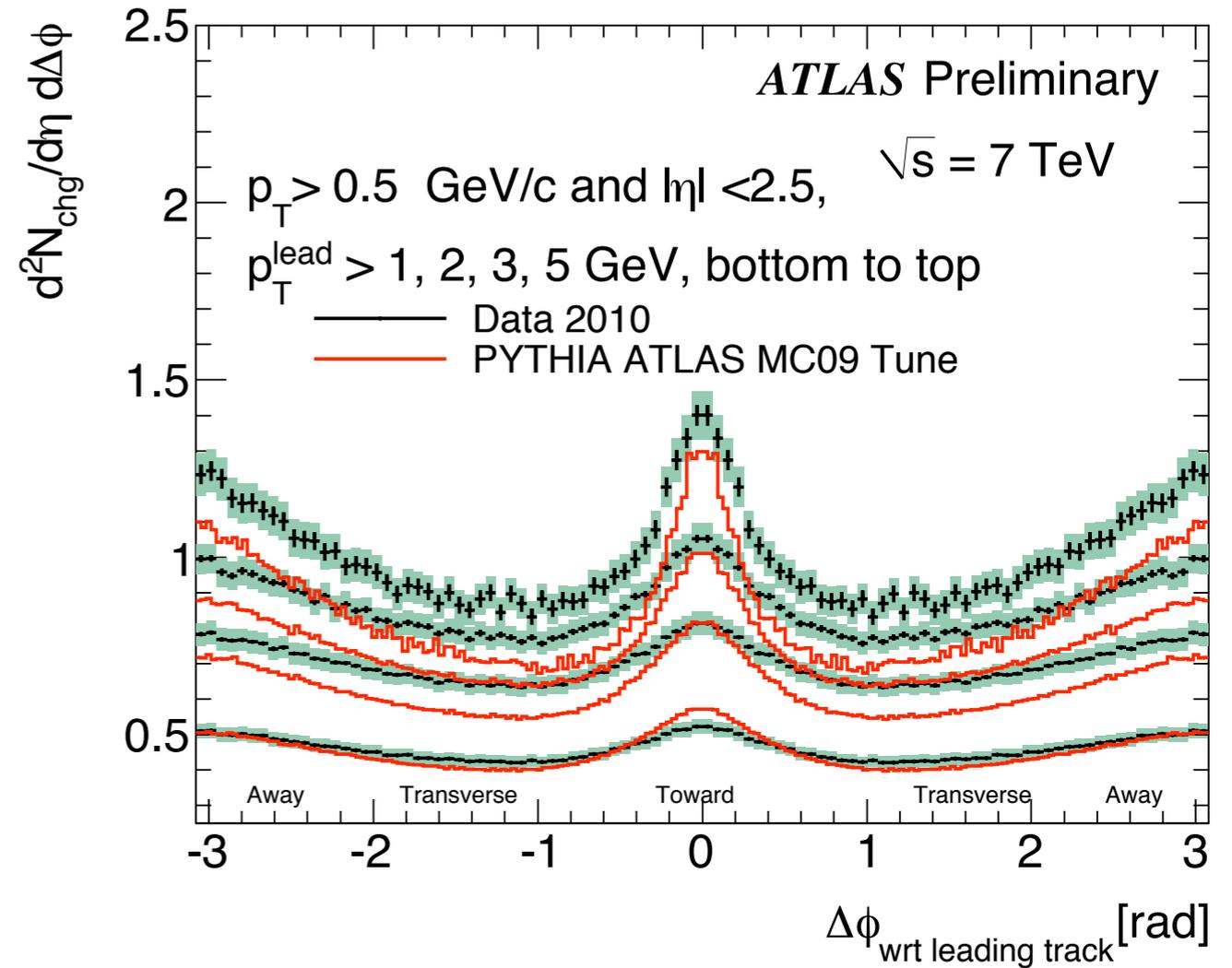
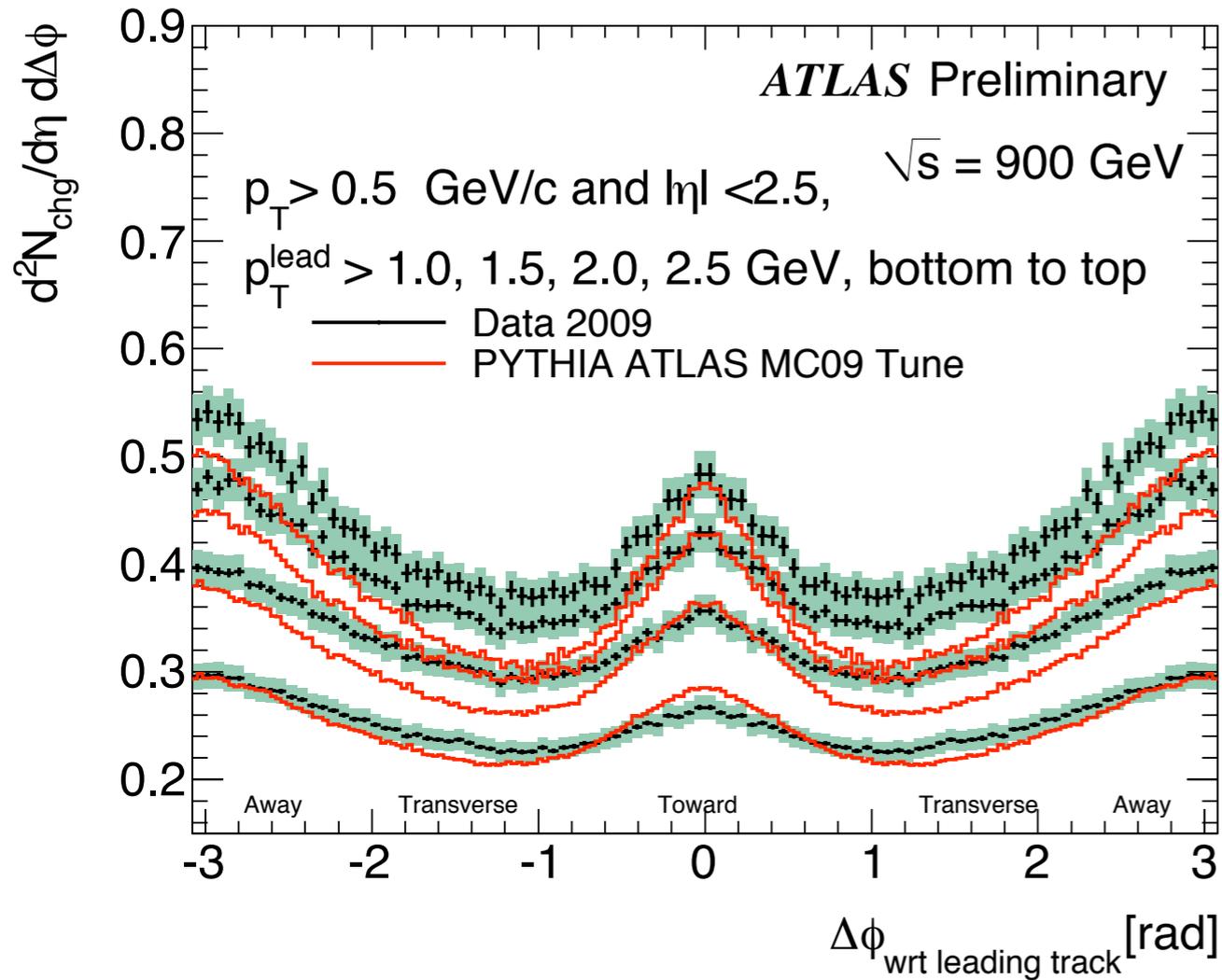
# All Mean Track $p_T$



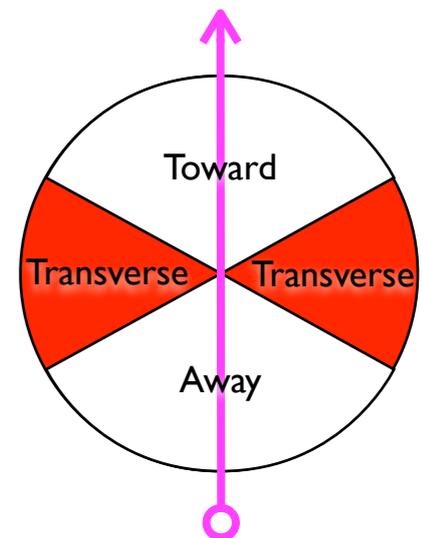
- The profiles of the mean  $p_T$  as a function of the number of tracks are sensitive to the hadronization model.
- As was seen in the Minimum Bias analysis, the mean track  $p_T$  at 7 TeV is lower than predicted in high multiplicity regions
- The mean track  $p_T$  profiles are essentially independent of the energy scale of the collisions.
- The **Transverse** & **Away** profiles match.



# Angular Distributions



- The number density is for tracks other than the leading track. The plots are reflected, so the same data points appear twice.
- As the  $p_T$  of the leading track increases, the development of ‘jet-like’ region of higher density is observed adjacent to and opposite the leading track.
- The number density is both higher and has a different angular distribution than was predicted.



# Analysis Methods



# Track Selection

- Selected Tracks:  $p_T > 500$  [MeV],  $|\eta| < 2.5$  [iRad],  $|d_{0\text{vtx}}| < 1.5$  [mm],  $|z_{0\text{vtx}} \cdot \sin(\theta)| < 1.5$  [mm],  $\geq 1$  Pixel Hit,  $\geq 6$  SCT Hits.
  - These are used to fill profiles.
  - They are also used to characterize the trigger efficiency.
- Beam-Spot Tracks:  $p_T > 500$  [MeV],  $|\eta| < 2.5$  [iRad],  $|d_{0\text{BS}}| < 4$  [mm],  $\geq 1$  Pixel Hit,  $\geq 6$  SCT Hits.
  - These are used to characterize the trigger and vertex reconstruction efficiencies.
- Vertex Tracks:  $p_T > 100$  [MeV],  $|\eta| < 2.5$  [iRad],  $|d_{0\text{BS}}| < 4$  [mm],  $\geq 1$  Pixel Hit,  $\geq 4$  SCT Hits,  $\geq 6$  Si Hits (+1 in Pixel or SCT).
  - 2+ vertex tracks are required to construct a vertex.
  - Vertex tracks are not used to parameterize efficiencies.
- Beam-Spot Tracks are used because:
  - Their efficiencies are presently well characterized due to the  $p_T > 500$  [MeV] requirement
  - The dependency on the vertex reconstruction is avoided by selecting with respect to the beam spot perigee parameter  $d_{0\text{BS}}$ .



# Track Weighting

- In addition to the possibility to fail to reconstruct a true charged particle as a track, there are three sources of “fake” tracks that were considered.
1. Fake tracks, which are those that cannot be matched to some true charged particle according to some matching criteria.
    - Cone matched if  $\Delta R < 0.05$
    - Hit matched if  $r_{\text{hit}} > 0.55$  with weights 10, 5, 1 for Pixel, SCT, TRT.
    - For tracks with  $p_T < 20$  [GeV] the fake fraction is  $< 10^{-4}$ .
  2. Secondary tracks resulting from decays (or material interactions) that are identified instead as primary tracks. (Secondary fraction  $\sim 0.02$ .)
  3. Tracks that pass all selection criteria whose matched true particles are outside of the kinematic range, because either  $p_T$  is too low or  $\eta$  is too high. (As high as  $\sim 0.2$ , but only at  $p_T$  &  $\eta$  edges.)
    - A charged primary stable particle with  $\eta_{\text{true}} > 2.5$  can be reconstructed if the vertex is displaced towards  $-z$ , and will pass the selection criteria if  $\eta_{\text{rec}} < 2.5$ .
- The fractions  $f_{\text{fake}}$ ,  $f_{\text{sec}}$ ,  $f_{\text{okr}}$  are also estimated as functions of  $p_T$  and  $\eta$ , and are compensated for by additional weight factors  $(1-f_x)$ .



# Track Weighting

- All of the profiles considered here can be considered as derivations from 2 dimensional distributions, second dimension having bins in the Y-axis values.
- For the mean transverse  $p_T$  density the relevant distribution is the sum of the track  $p_T$  in the transverse region.
- For the standard deviation the relevant distribution is the square of the sum of the track  $p_T$  in the transverse region.
- For the mean track  $p_T$  the relevant distribution is for individual track  $p_T$  normalized to the number of tracks.
- In the absence of migration with respect to X-axis bins, and in the absence of event selection bias, the track weights  $w_{\text{trk}}$  are sufficient to correct only the mean values of the Y-axis distributions.
- However, the standard deviation cannot be derived from the weighted mean distribution... they are considered separately.
- In the case of the mean track  $p_T$ , for a given number of reconstructed tracks, the weights yield a corrected  $p_T$  distribution whose normalization is to the corrected number of tracks.
- This ensures that the mean track  $p_T$  is correct, although it may be associated with the incorrect X-axis bin.



# Track Weighting

- Including the correction weights discussed above, the aggregation weight associated with each individual track is:

$$w_{\text{trk}}(p_T, \eta) = \frac{1}{\epsilon_{\text{trk}}} * (1 - f_{\text{fake}}) * (1 - f_{\text{sec}}) * (1 - f_{\text{okr}})$$

- The reconstruction characterizations necessarily have some uncertainty  $\sigma_{\text{trk}}$  which implies a systematic uncertainty for the corrected distributions.
- This uncertainty is estimated by making three versions of the corrected profiles, one corrected using  $\epsilon_{\text{trk}}$ , and two using  $\epsilon_{\text{trk}} \pm \sigma_{\text{trk}}$ .



# Event Weighting

- Events are included in the sample if:
  - The Minimum Bias Trigger Scintillator has at least one hit. (This is the L1\_MBTS\_1 trigger.)
  - At low luminosity this selects events in which inelastic collisions occurred.
  - At least one primary vertex candidate was reconstructed.
  - When more there is more than one candidate primary vertex the vertex with the highest summed  $|p_T|^2$  of its associated tracks is selected as the event primary vertex.
  - No additional primary vertex candidates with more than 3 associated beam-spot tracks was reconstructed.
  - This selects events without pile-up, while accepting events in which particles decays occurred along the beam-line.
  - There is at least one track with  $p_T > 1.0$  [GeV].
  - This reduces the diffractive contribution to  $< 1\%$  in the simulated events from all of the generators that were considered.
  - Consequently the leading track  $p_T > 1.0$  [GeV]



# Event Weighting

- Events with less activity are less likely to yield hits in the MBTS, which would bias the events toward higher multiplicity.
- The L1\_MBTS\_1 efficiency  $\epsilon_{\text{trig}}(n_{\text{BS}})$  is  $\sim 0.99$  in events with  $n_{\text{BS}}=1$ , and  $\sim 1$  in events with  $n_{\text{BS}}>2$ .
- Events with less activity are also less likely to yield a successfully reconstructed vertex.
- The vertex reconstruction efficiency  $\epsilon_{\text{trig}}(n_{\text{BS}})$  is  $\sim 0.89$  in events with  $n_{\text{BS}}=1$  and  $\sim 1$  in events with  $n_{\text{BS}}>3$ .
- In general, the reconstruction efficiency is reduced if the beam-spot tracks have higher  $\eta$ , so the full efficiency characterization is  $\epsilon_{\text{trig}}(n_{\text{BS}}, \eta_{\text{BS}})$  where  $\eta_{\text{BS}}$  is the average beam-spot track  $\eta$ . However this correction is only significant when  $n_{\text{BS}}=1$ .
- Finally, the requirement that there be at least one track with  $p_{\text{T}} > 1.0$  [GeV] introduces a probability that an event will not be selected when none of the charged stable particles with  $p_{\text{T}} > 1.0$  [GeV] are successfully reconstructed. The associated efficiency  $\epsilon_{\text{trig}}$  essentially characterizes the probability to find an acceptable leading track.

$$w_{\text{ev}} = \frac{1}{\epsilon_{\text{trig}}(n_{\text{BS}})} * \frac{1}{\epsilon_{\text{vert}}(n_{\text{BS}}, \eta_{\text{BS}})} * \frac{1}{\epsilon_{\text{lead}}}$$



# Migration Effects

- For the mean and standard deviation of the transverse track  $p_T$  density there are only two migration effects, both due to the possibility that the reconstruction will miss the true highest  $p_T$  charged primary stable (CPS) particle, or that the reconstruction yields a fake highest  $p_T$  track.
  1. If the highest  $p_T$  CPS particle is missed, the second highest  $p_T$  CPS may be associated with the leading track instead.
    - For the plateau region of the profile this effect is minor. However, in the turn-on region from 1-3 [GeV] the migration yields a mean  $p_T$  density that is too high.
  2. If the highest  $p_T$  CPS particle is missed, orientation of the reconstructed event will not be consistent with the orientation of the true event.
    - The effect in this case is that the Transverse region may receive contributions from the Toward & Away regions where there is jet-like activity.
    - This is most significant in the plateau region of the profile, and yields an increase in the mean  $p_T$  density.



# Correction Factor Method

- The bin multiplier correction factors are derived using the ATLAS MC09 tune of Pythia 6.4.
- The generated events are fully simulated by GEANT 4 using comparable conditions (disabled modules) to those of the runs during which the data would be collected. (Also a comparable misalignment is introduced.)
- The z-position of the simulated events has a wider distribution than was measured in data, so it was necessary to assign a sample weight  $\omega_{ev}(z)$  to the simulated events.
- These simulated events were also used to derive the reconstruction efficiency and fake fractions, (With many cross-checks to distributions in data.) which are used to determine the individual track weights.
- To derive the correction factors, the profiles are derived using the same track & event weighting as is used in the data.
- The bin multiplier is defined to be the ratio of the true value over the reconstructed & corrected value.
- Comparing the derived correction factors to an alternative derived using PhoJet it was found that a flat 2% uncertainty in the correction factors covered the largest discrepancies.



# Correction Factor Method

- If there are insufficient statistics the correction factor  $m_{\text{bin}}(\mathbf{x})$  will not be well estimated.

$$m_{\text{bin}}(\mathbf{x}) = \frac{V_{\text{true}}(\mathbf{x})}{V_{\text{reco}}^{\text{corr}}(\mathbf{x})}$$

- The uncertainty associated with the numerator  $\varepsilon_{\text{true}}(\mathbf{x})$  is entirely statistical.
- The statistical uncertainty associated with the denominator  $\varepsilon_{\text{reco}}^{\text{corr}}(\mathbf{x})$  will be larger, since the reconstruction inefficiencies will yield a wider distribution of values.
- The independent uncertainties associated with an unfolding involving limited statistics are estimated as:

$$\varepsilon_{\text{stat}}(\mathbf{x}) = \varepsilon_{\text{true}}(\mathbf{x})$$

$$\varepsilon_{\text{syst}}(\mathbf{x}) = \left| \varepsilon_{\text{true}}(\mathbf{x}) - \varepsilon_{\text{reco}}^{\text{corr}}(\mathbf{x}) * \frac{V_{\text{true}}(\mathbf{x})}{V_{\text{reco}}^{\text{corr}}(\mathbf{x})} \right|$$

- In the case of perfect efficiency  $\varepsilon_{\text{syst}}(\mathbf{x}) = 0$ .
- In the case of a single outlying measurement  $\varepsilon_{\text{reco}}^{\text{corr}}(\mathbf{x})$  will be large, and so the systematic error will be increased.



# Conclusions

- No current Monte Carlo tune provides a well matched description of all of the measurements of the Underlying Event, although the MC09 tune of Pythia already describes many of the characteristics of the Underlying Event.
- The measurements that presently seem to provide the most useful constraints are:
  - The low to intermediate leading  $p_T$  range of the number density in the transverse region, preceding the plateau region.
  - The number density as a function of angle from the leading track.
- Measurements at two energy points will enable tunes based on ATLAS measurements to be extrapolated to higher energies.
- The figures (including eps format) & CONF note are available here:
  - <https://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/CONFNOTES/ATLAS-CONF-2010-029/>



# Plans

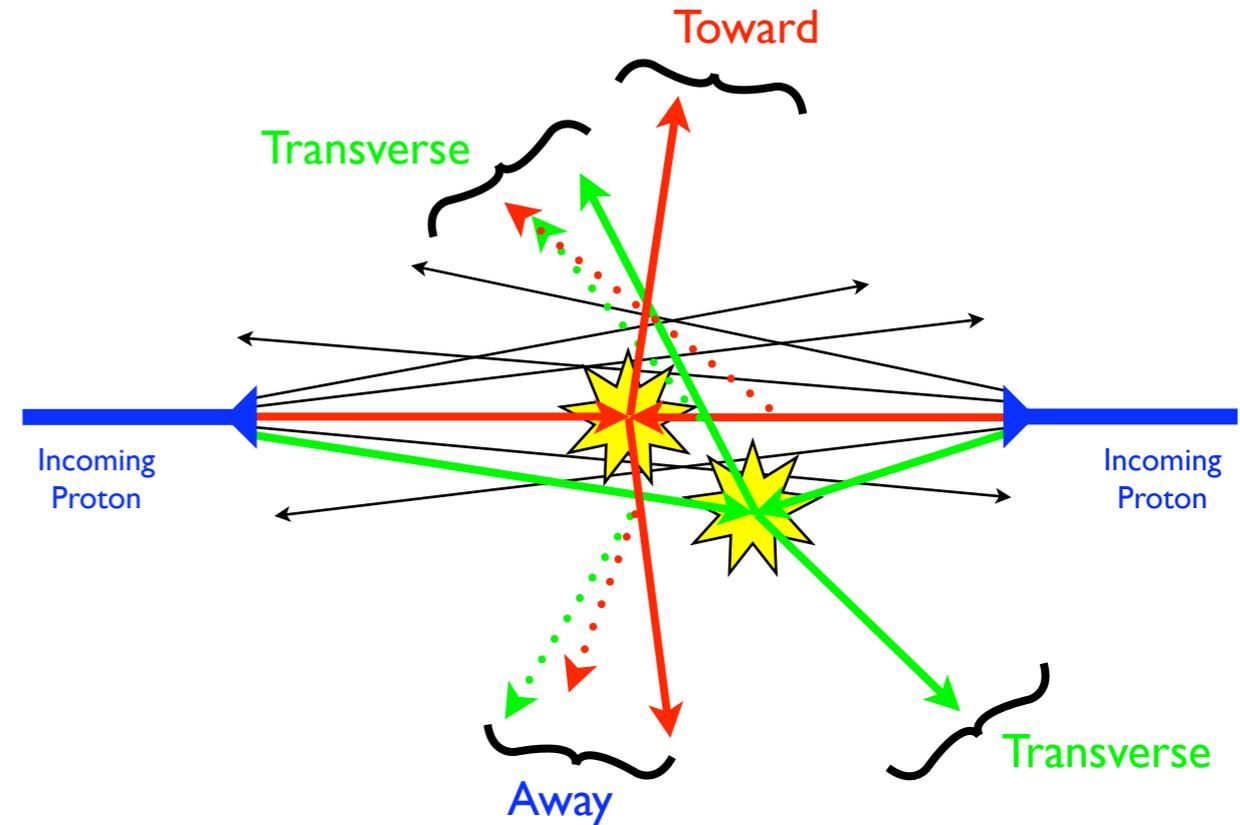
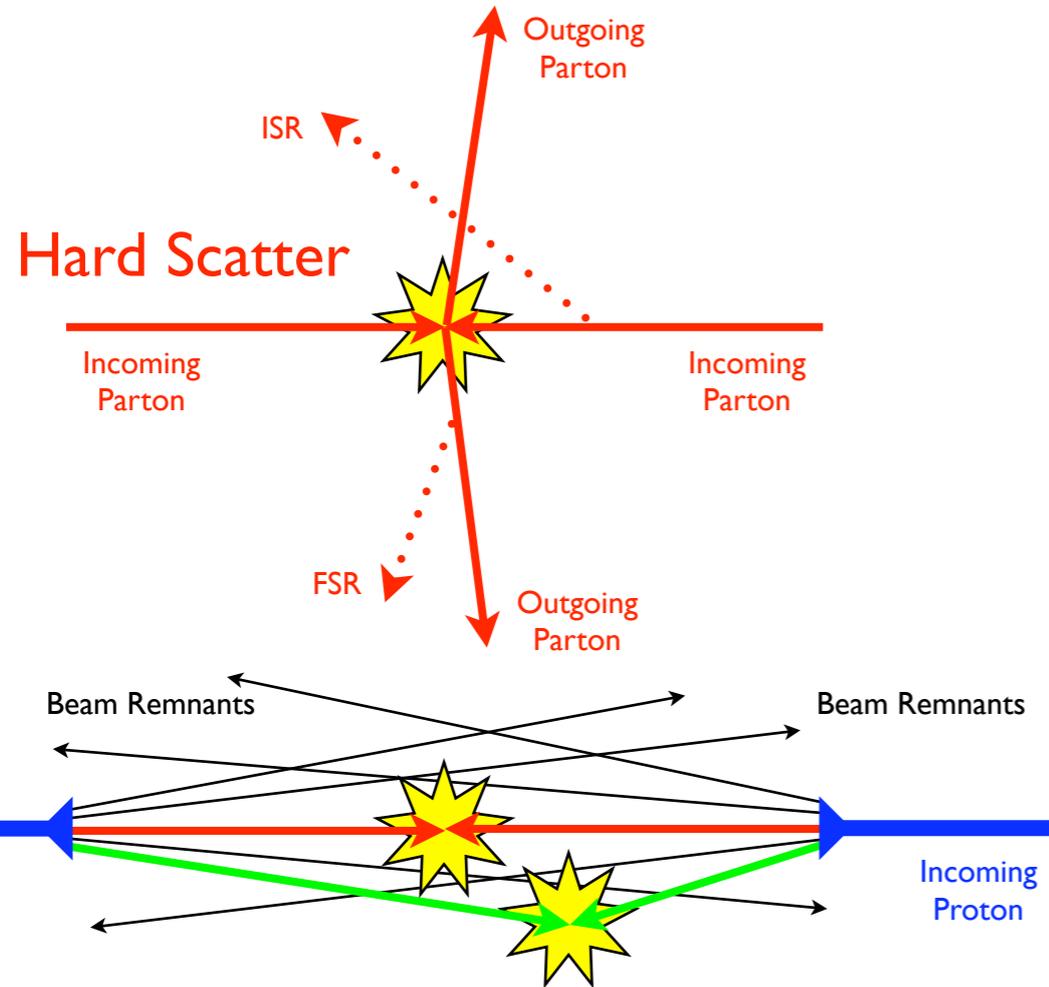
- Plans for future measurements include (but are not limited to)
  - Topo-cluster measurements
  - Jet oriented event topologies
  - Event Shape oriented event topologies
  - Drell-Yan oriented event topologies
  - Rapidity gap topologies
- Additional profiles will include (but are not limited to)
  - $p_T$  density as a function of  $\phi$
  - Mean track  $p_T$  as a function of leading track  $p_T$
  - Transverse Minimum & Maximum profiles
    - The “Minimum” side of the transverse region contains the lower summed  $p_T$  of tracks.
- Analysis methods will use regularized migration inversion, when applicable.
  - These methods require either very well known efficiencies...
  - Or, a migration that is independent of the Monte Carlo model.



# Additional Information



# Underlying Event: What



- Model dependent contributions include:
- Multiple Parton Interactions (MPI) becomes nearly independent of the hard scatter, when the hard scatter energy  $> 10$  GeV.
- Initial State Radiation (ISR) has an angular distribution that is nearly independent of the hard scatter and can contribute to the transverse region.



# Event Generation Models

Pythia 6.4: MC09 Tune	The ATLAS collaboration's tune to CDF data at taken at 630 GeV and 1.8 TeV. Uses $p_T$ -ordered shower & color reconnection. The ISR and MPI cutoff scales are tuned separately. Uses the MRST LO* PDF.
Pythia 6.4: Perugia0 Tune	By Peter Skands. Mostly tuned using Tevatron and SppS Minimum-Bias data. Uses $p_T$ -ordered shower and CTEQ5L pdf.
Pythia 6.4: DW Tune	By Rick Field. Maximal ISR, virtuality-ordered shower. To fit data on the di-jet angular distribution measured by the D0 collaboration.
PhoJet	Dual Parton Model based, using pomeron exchange for soft QCD interactions. Incorporates a model for high-mass diffraction dissociation including multi-jet production.



# Diffraction in Monte Carlo

- In all of the Monte Carlo models considered, the requirement of at least one track with  $p_T > 1.0$  GeV reduced the diffractive contribution to less than 1%.
- Although the identification of “diffractive” events is ambiguous, the requirement on the leading track avoids kinematic regions of where the Monte Carlo models depend on the tuning of their diffractive process models.
- For the profiles in which the abscissa is the highest track  $p_T$  in the event, the track  $p_T$  & number densities would be slightly increased if the diffractive components were not included in the Monte Carlo samples.



# Track Weighting

- The track reconstruction begins in the Pixel tracker (1 hit required) and is extended to the SCT tracker (6 hits required) and when possible is further extended into the TRT tracker.
- In the case of material interactions (or decays) the extension of a track from the Pixel tracker into the SCT tracker might not succeed.
- Due principally to material interactions the track efficiency depends on both the  $p_T$  and detector- $\eta$  of the track.
- Other efficiency dependencies, such as charge, have not yet been fully characterized.
- In the worst case (low  $p_T$  & high  $\eta$ ) the efficiency  $\epsilon_{\text{trk}}$  can be  $< 0.6$ , while central tracks with  $p_T > 10$  GeV have efficiencies  $> 0.9$ .
- This effect can be compensated for in every case considered here by weighting individual tracks, with a weight factor  $1/\epsilon_{\text{trk}}(p_T, \eta)$ .



# Track Correction

- Define  $P(T, p_T)$  to be the distribution for track momentum  $p_T$ , and track number  $T$ , with  $P(T)$  the  $p_T$  distribution normalized to  $T$ .
- A sample for the  $n$  event drawn from this distribution yields  $\bar{T}[n]$  tracks, where the  $t$  track has momentum  $\bar{p}_T[n, t]$ .
- Suppose that we are interested in the total  $p_T$  of tracks  $y$  in (a region of) an event. Using the distribution  $P(T, p_T)$  this is simply:

$$M^1(y) = \int_{T, p_T} p_T * P(T, p_T) \approx \sum_n^N \sum_t^{\bar{T}} \bar{p}_T[n, t]$$

- Suppose that there is  $p_T$  dependent track finding efficiency  $F(p_T)$ , and a  $T$  dependent vertex finding efficiency  $G(T)$ .
  - A sample  $\bar{F}[t]$  or  $\bar{G}[n]$  drawn from an efficiency is  $\in \{0, 1\}$ .
  - If no corrections are applied the measured distribution converges to  $G(T) * F(p_T) * P(T, p_T)$ .
- Applying the weight  $\hat{F}(\bar{p}_T)^{-1}$  to each track, and  $\hat{G}(\bar{T})^{-1}$  to each event, the measured distribution converges to a function of the measured track number  $\bar{T}$  and the measured momentum  $\bar{p}_T$  normalized to the corrected number of tracks:  $\hat{P}(\bar{T}, \bar{p}_T)$



# Track Correction

- Making a measurement of  $y$ , which is the total track  $p_T$  corrected for the efficiency, is simply a matter of including the correction weights.

$$M^1(y) \approx \sum_n^N \hat{G}(\bar{T}[n])^{-1} \sum_t^T \hat{F}(\bar{p}_T[n,t])^{-1} * \bar{p}_T[n,t]$$

- The event-to-event variation of  $M^1(y)$  is used in the definition of the statistical error of a measurement of  $M^1(y)$ . In this case, simply square the result of the weighted sum over  $t$ , and weight by  $\hat{G}(\bar{T})^{-1}$ .

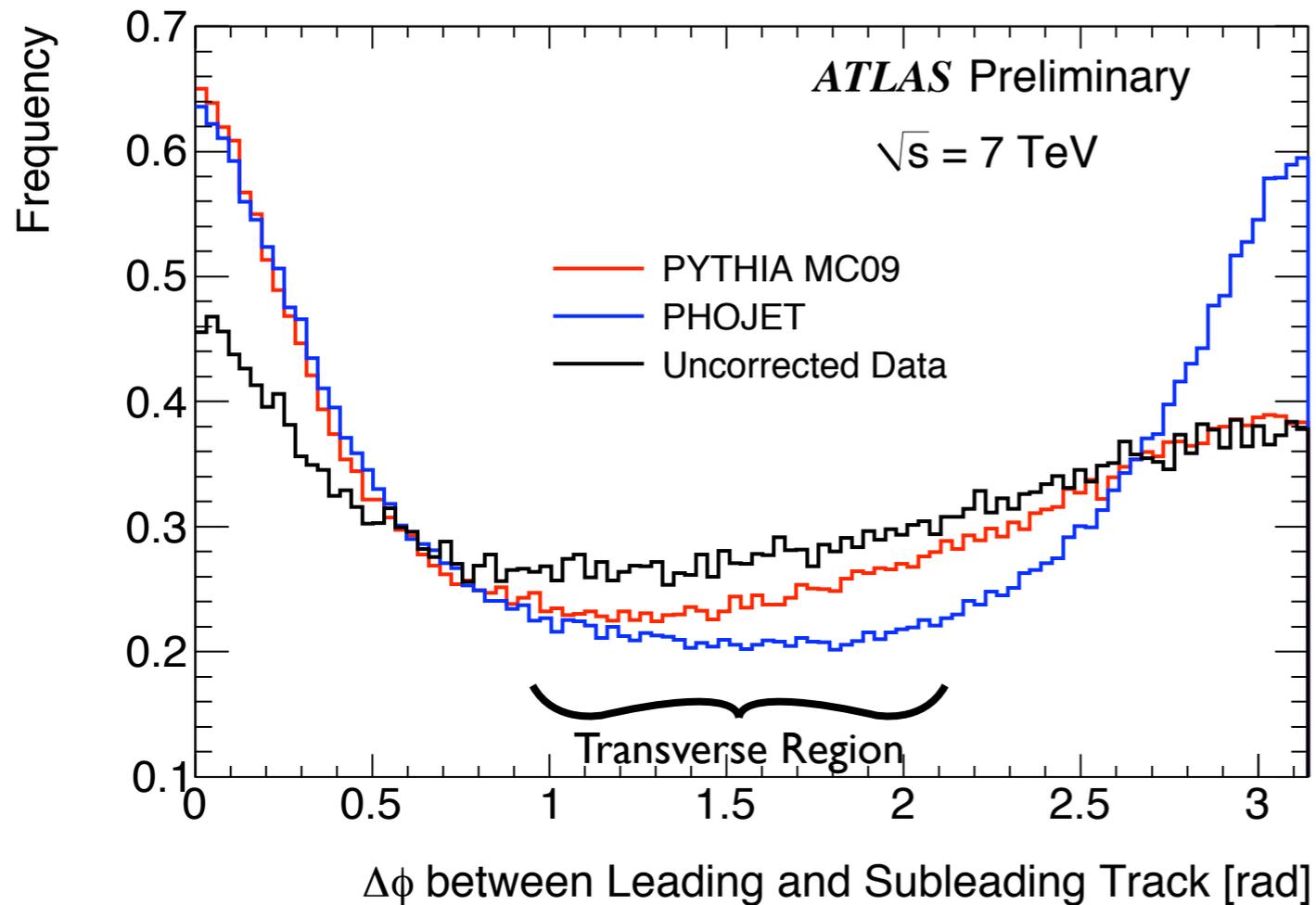
$$M^2(y) \approx \sum_n^N \hat{G}(\bar{T}[n])^{-1} \left( \sum_t^T \hat{F}(\bar{p}_T[n,t])^{-1} * \bar{p}_T[n,t] \right)^2$$

- In the case of the event-mean track  $p_T$ , the weighted sum of  $p_T$  is divided by the weighted track count.
- For higher moments of the event track  $p_T$  distribution (such as  $(p_T)^2$ ) consider a distribution  $P(T, (p_T)^2)$  defined as before.

- **CONCLUSION: Weighting by  $1/\varepsilon$  is correct!**



# Migration of Lead Track $\phi$



## Probability of Reorientation into Transverse Region

7 TeV Data	0.288
Pythia MC09 Tune	0.253
Phojet	0.219

- The systematic uncertainty associated with the bin-by-bin unfolding for  $\phi$  re-orientation is due to the uncertainty in the modeling of the angular correlation between leading & sub-leading tracks.
- The difference between Pythia and PhoJet in the transverse region is equivalent to the difference between Pythia and Data. Consequently, the uncertainty associated with the unfolding is sufficient to account for this model dependency, since it allows for variation in the opposite direction.



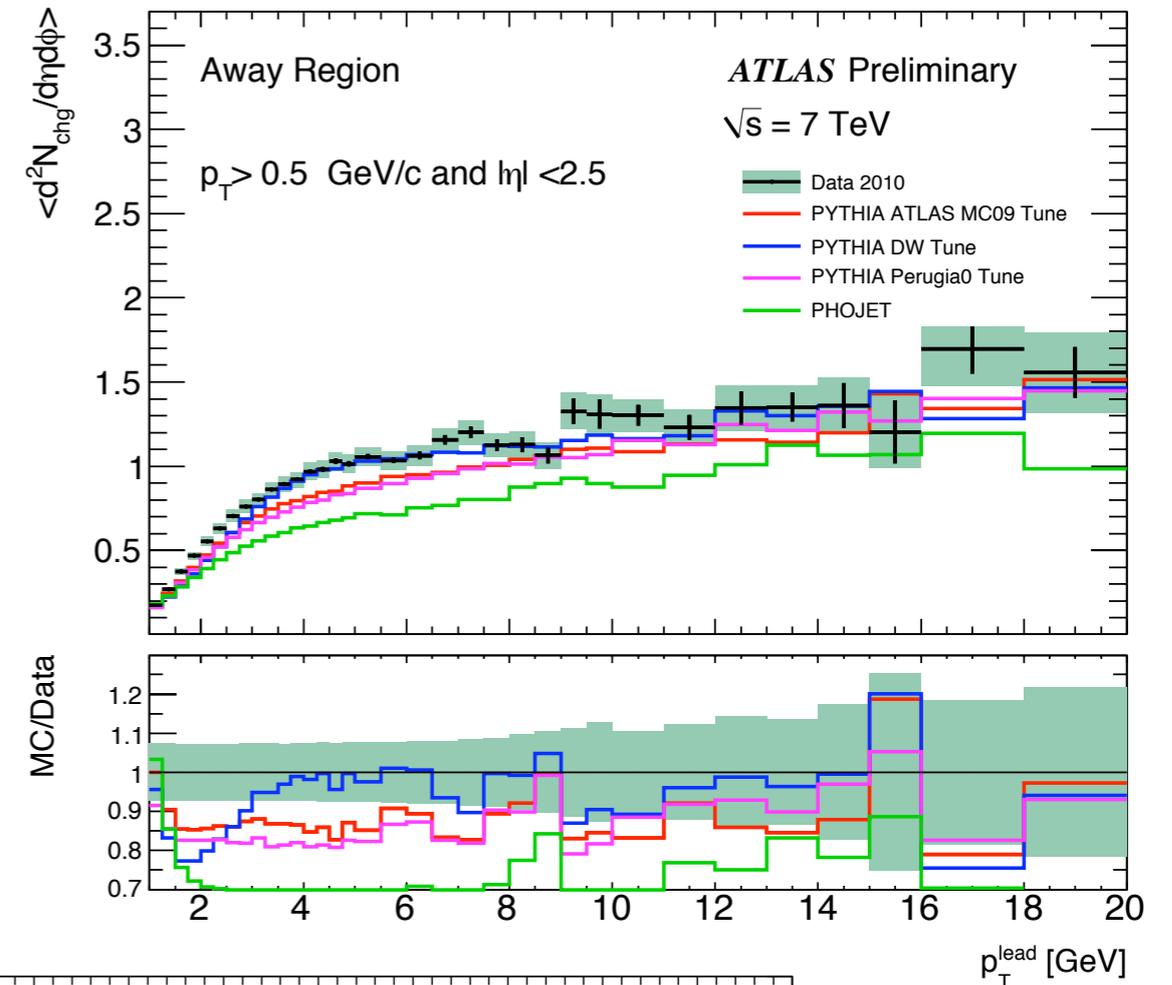
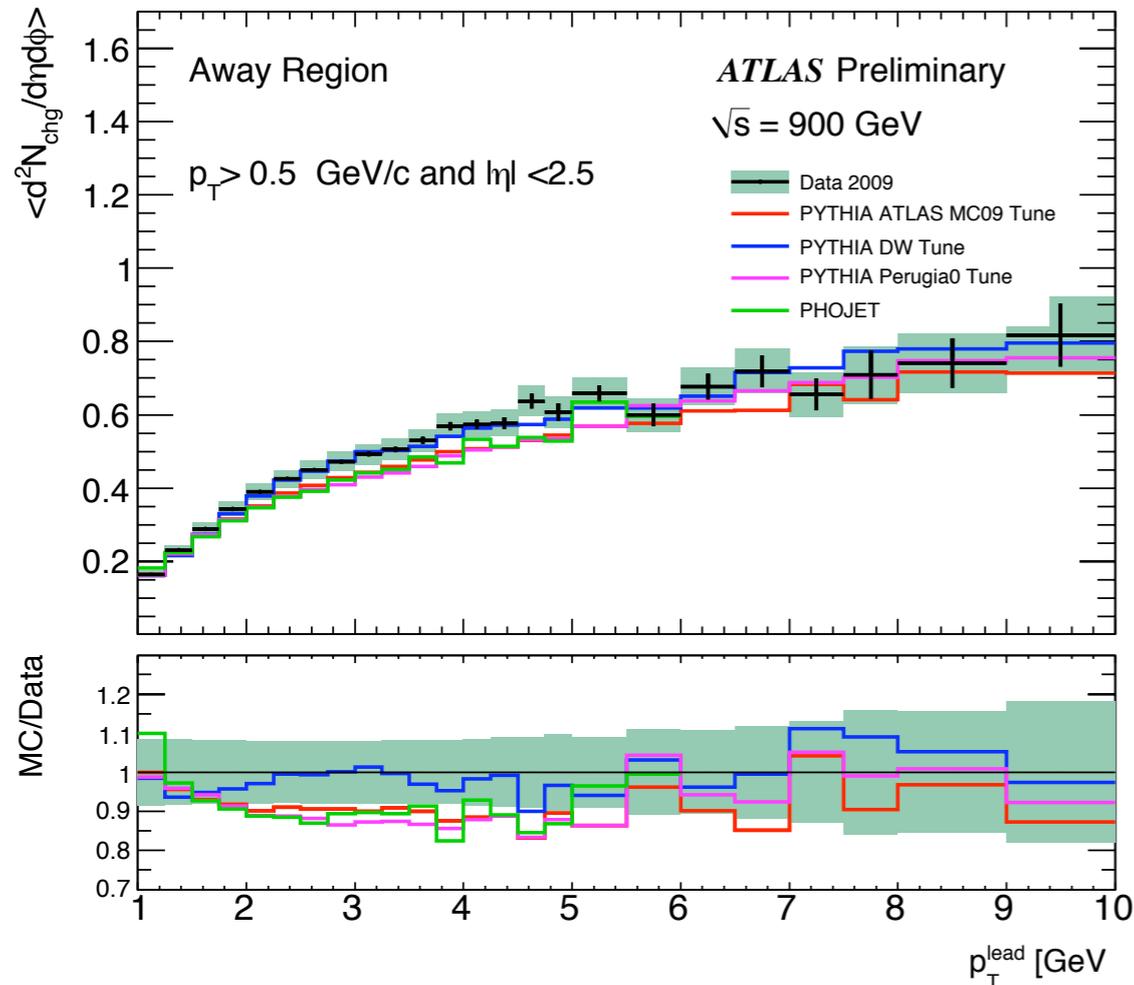
# Systematic Uncertainties

	Lowest $p_T$ bin	Intermediate $p_T$ bin	Highest $p_T$ bin
<b>Systematic uncertainty on unfolding</b>			
Difference between PYTHIA and PHOJET	— —	2% (everywhere)	— —
Statistical uncertainty on PYTHIA unfolding	0.1%	4.0% (7%)	10% (15%)
<b>Systematic uncertainties from efficiency corrections</b>			
Track reconstruction	5.5%	5%	5%
Leading track requirement	1.0%	0.1%	< 0.1%
Trigger and vertex efficiency	— —	< 0.1% (everywhere)	— —
Total from efficiency corrections	4.5%	5%	5%
<b>Total systematic uncertainty</b>	<b>5%</b>	<b>7% (9%)</b>	<b>11.5% (16%)</b>

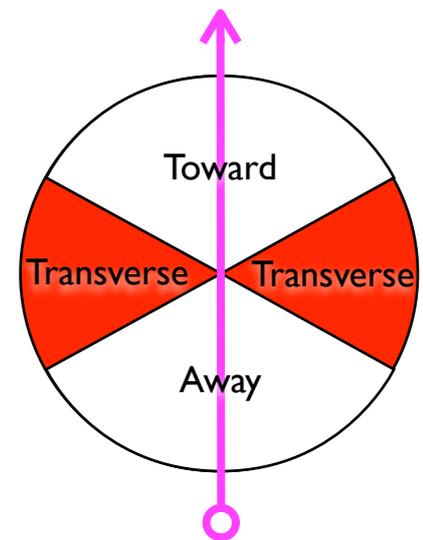
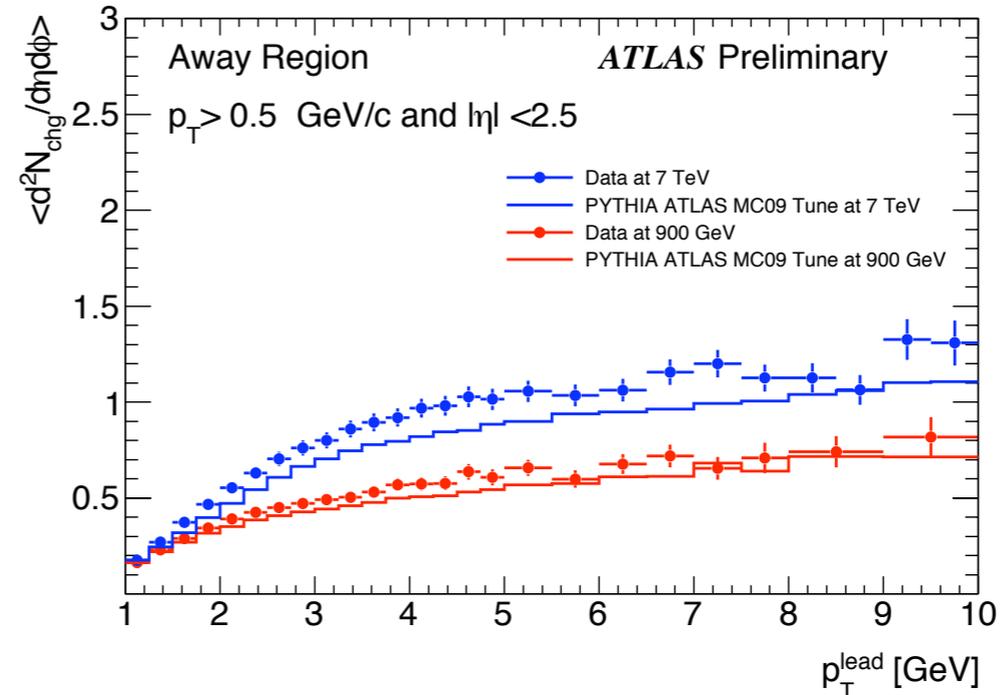
- These uncertainties are estimated from the transverse  $p_T$  density profiles, but are equal or less for all other profiles.
- 900 GeV: the lowest  $p_T$  bin refers to 1.0 – 1.5 GeV, the intermediate  $p_T$  bin refers to 4 – 5 GeV, and the highest  $p_T$  bin refers to 9 – 10 GeV.
- 7 TeV: the lowest  $p_T$  bin refers to 1.0 – 1.5 GeV, the intermediate  $p_T$  bin refers to 9 – 10 GeV, and the highest  $p_T$  bin refers to 18 – 20 GeV.
- At intermediate and high  $p_T$  the lack of statistics in the Monte Carlo samples is the dominant contribution to the systematic uncertainty associated with the corrections.



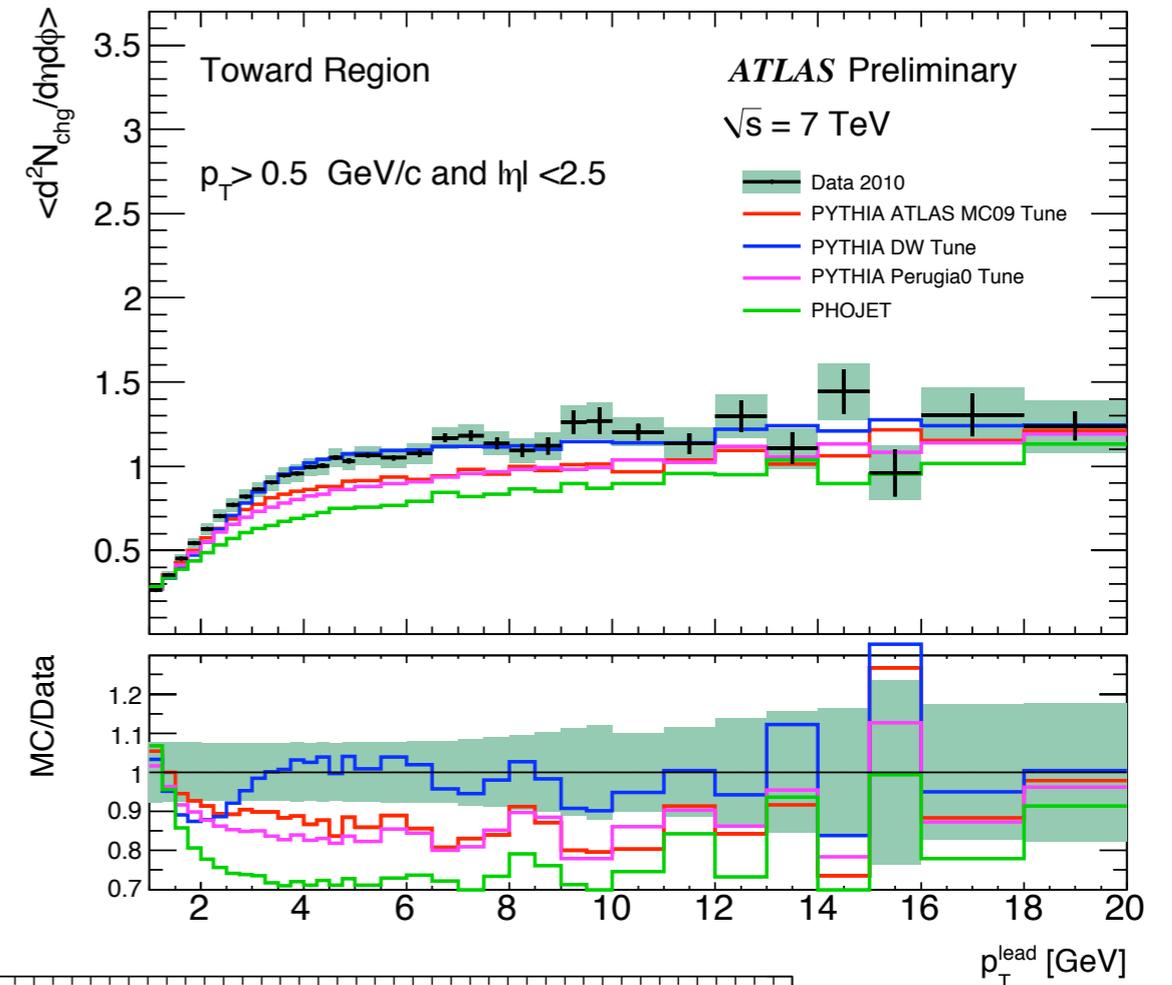
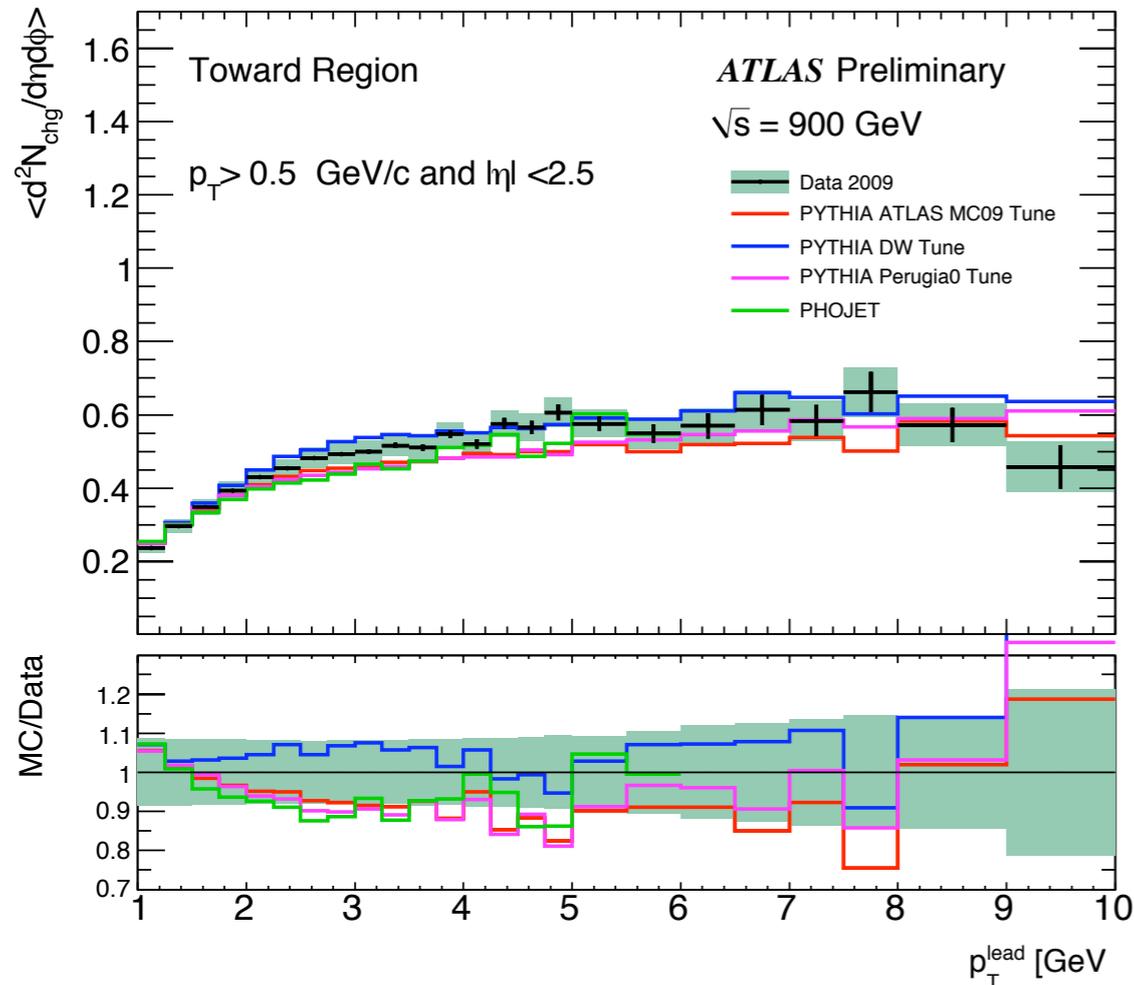
# Away Number Density



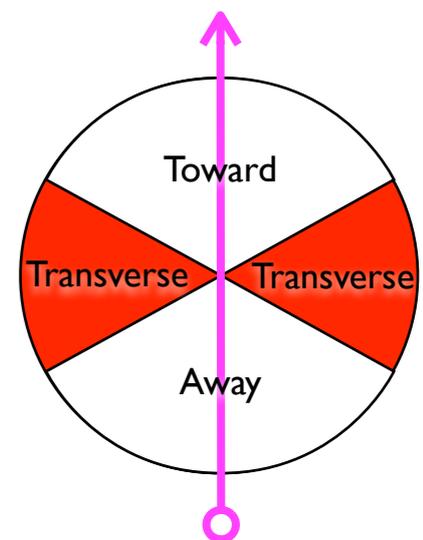
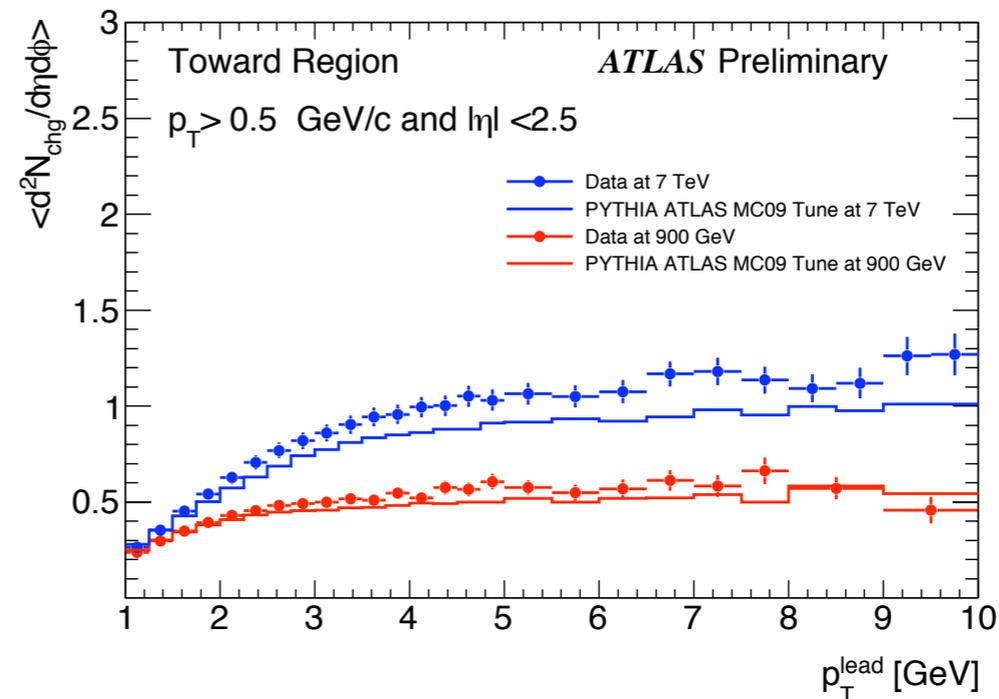
- The gradual rise is expected for the number density associated with jet-like activity in the Away region.



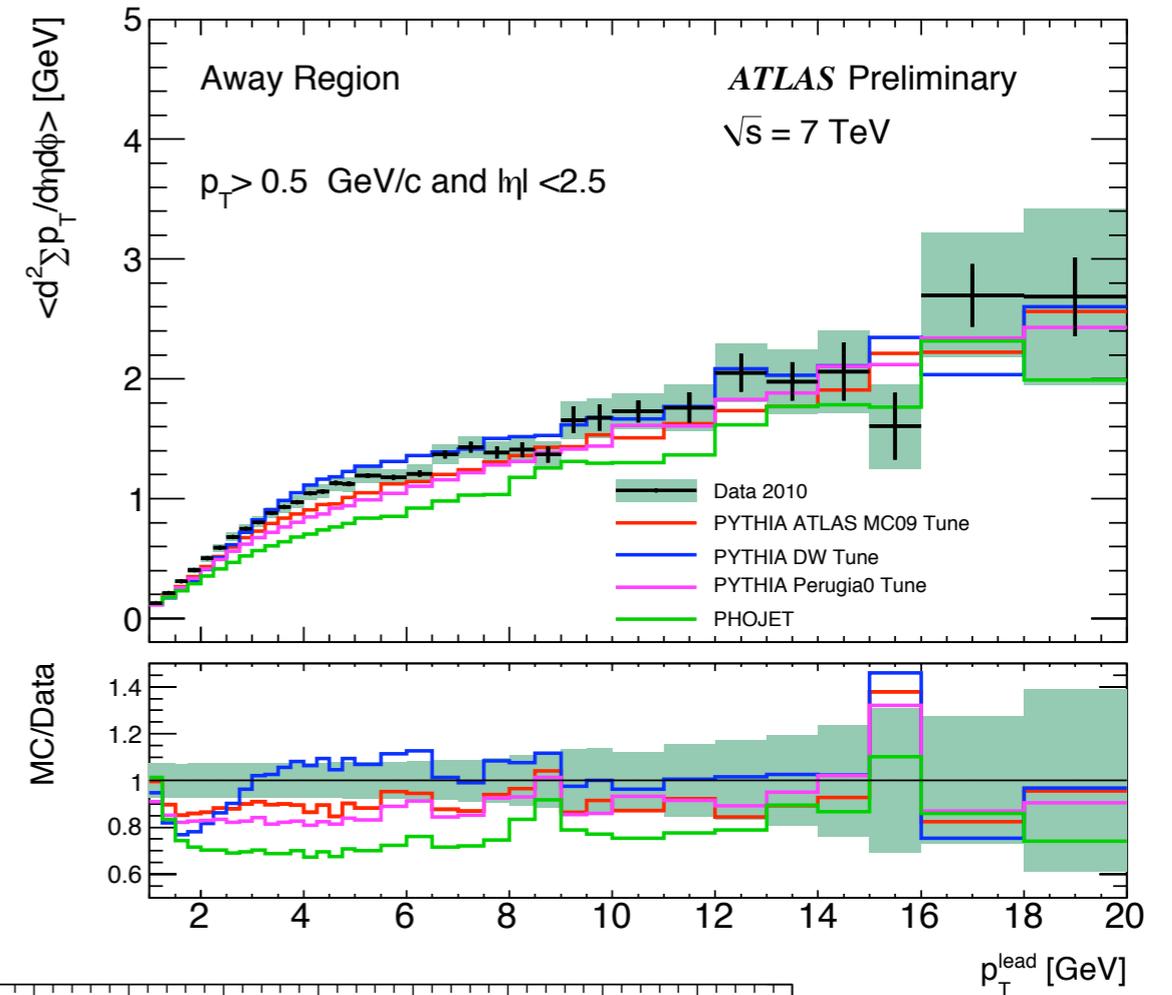
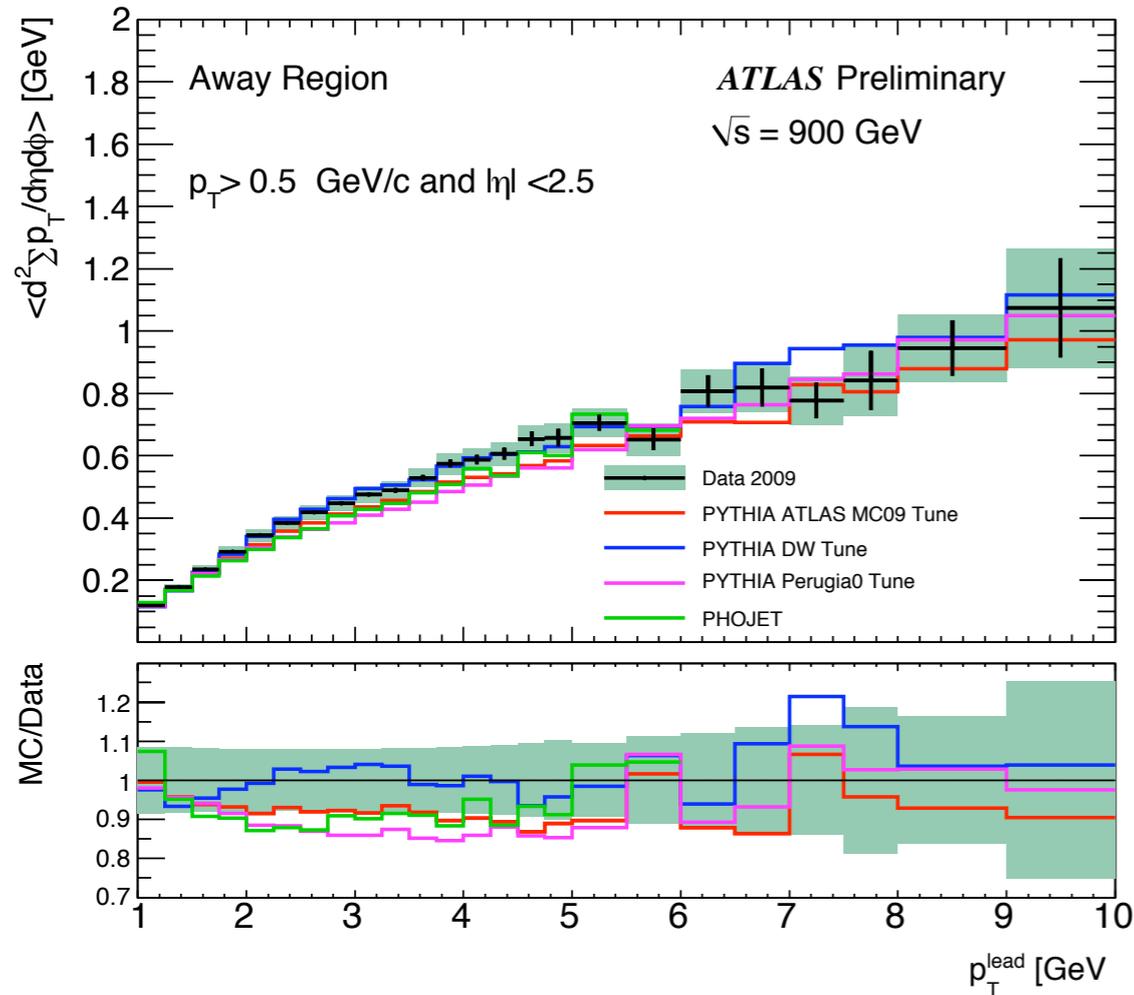
# Toward Number Density



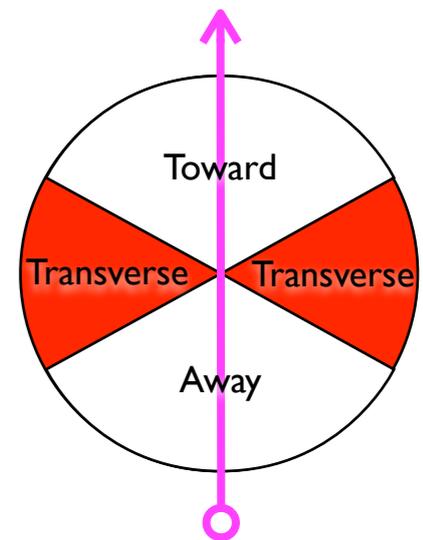
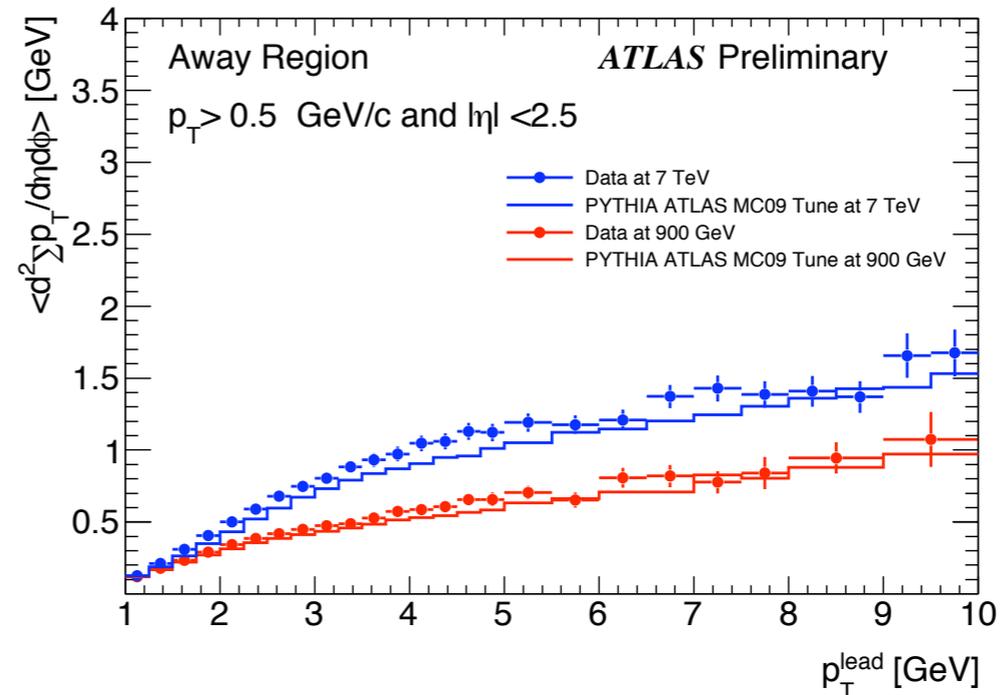
- The plateau in number density in the Toward region is due to a selection bias.
- In a di-jet event, the jet with the single highest  $p_T$  constituent has less energy to be shared among additional hadrons.



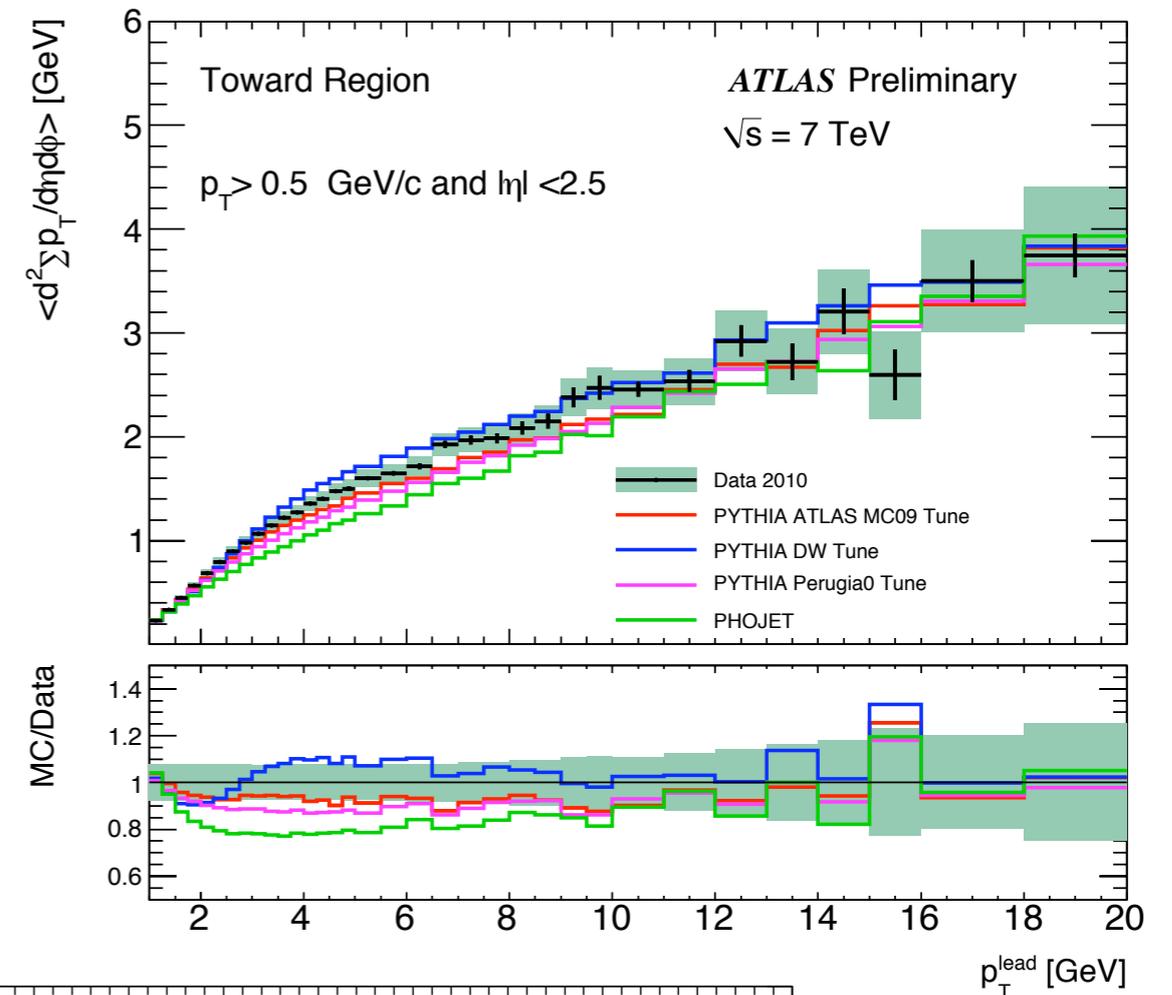
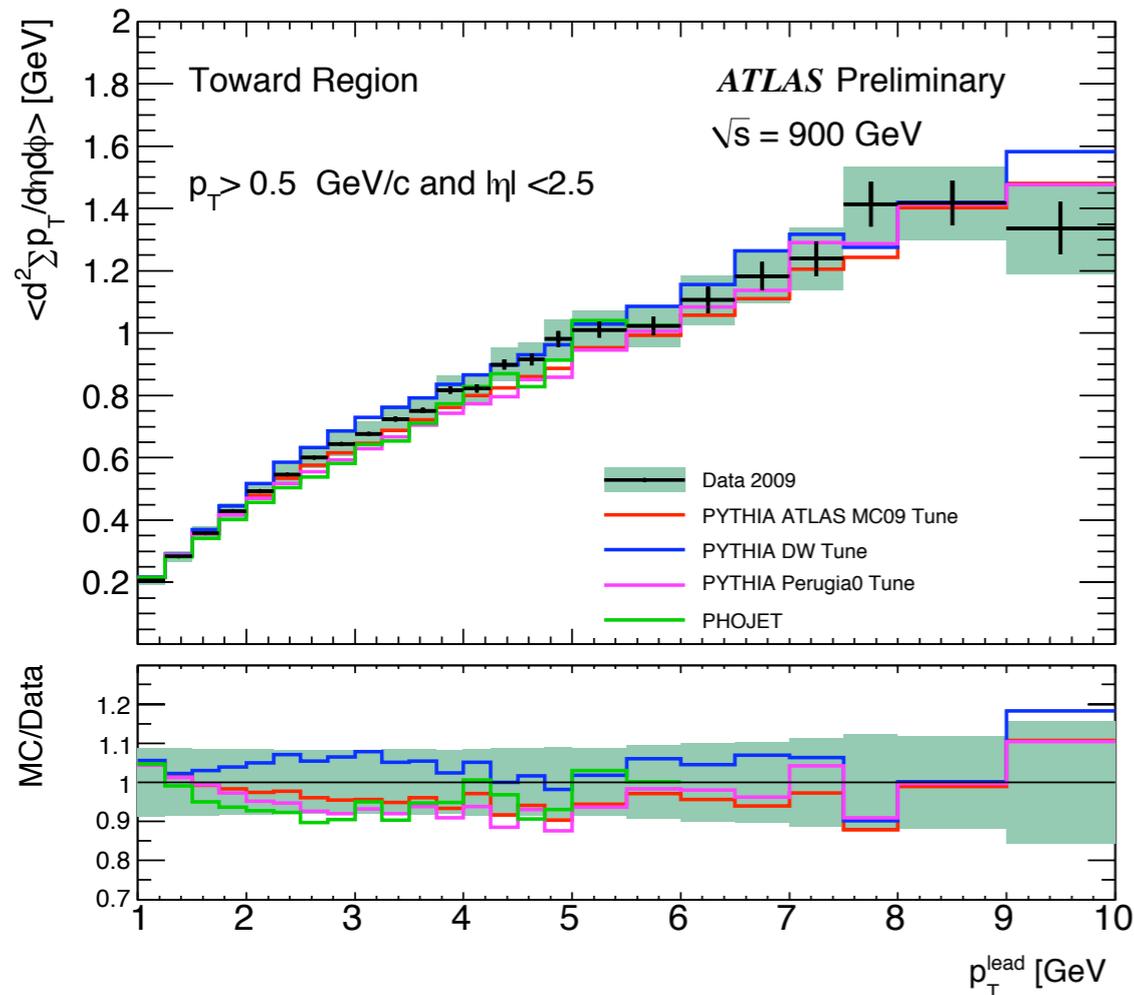
# Away $p_T$ Density



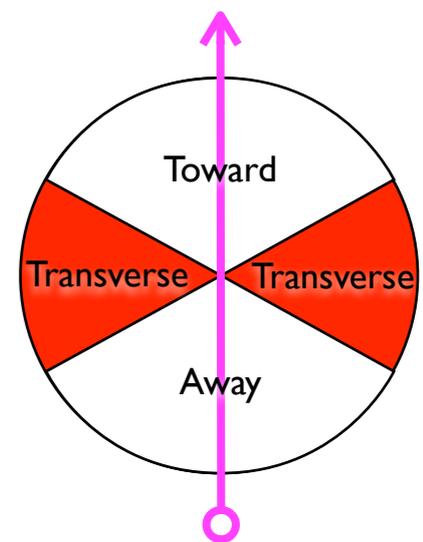
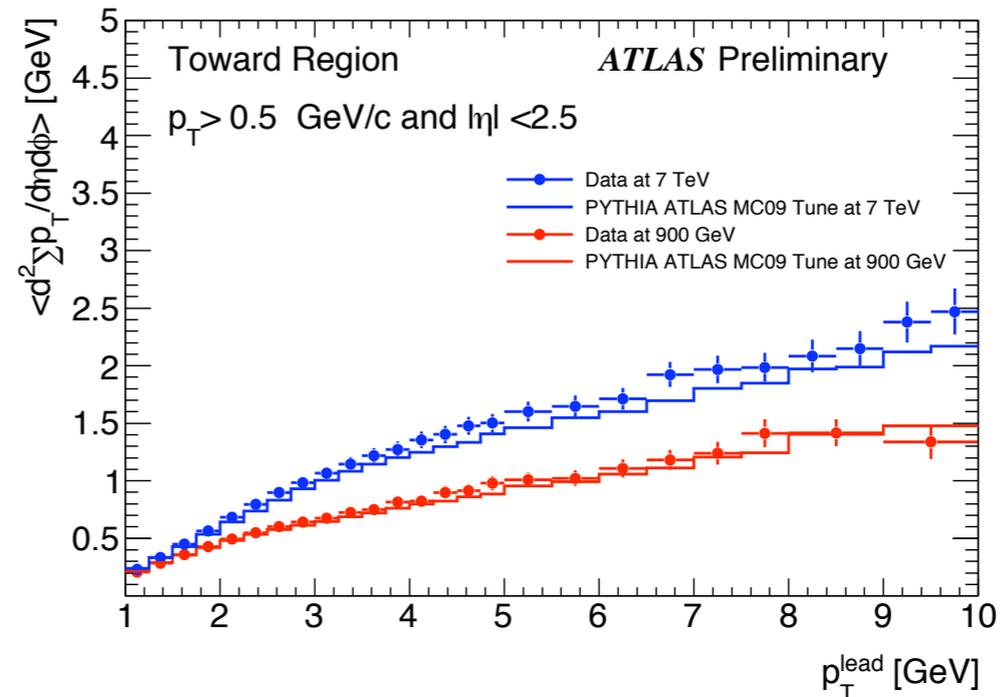
- Multiplying by the area of associated with the Away region, the linear rise corresponds to densities whose total  $p_T$  nearly balances that of the leading track alone.



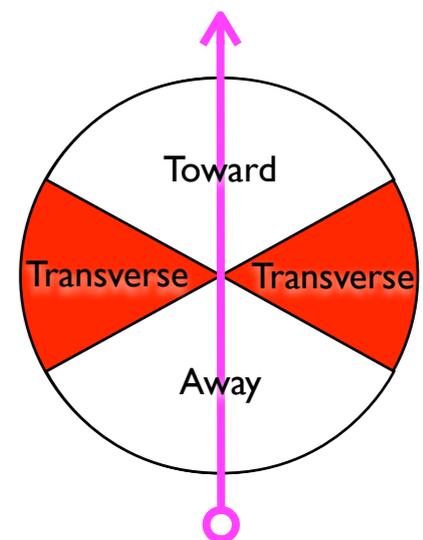
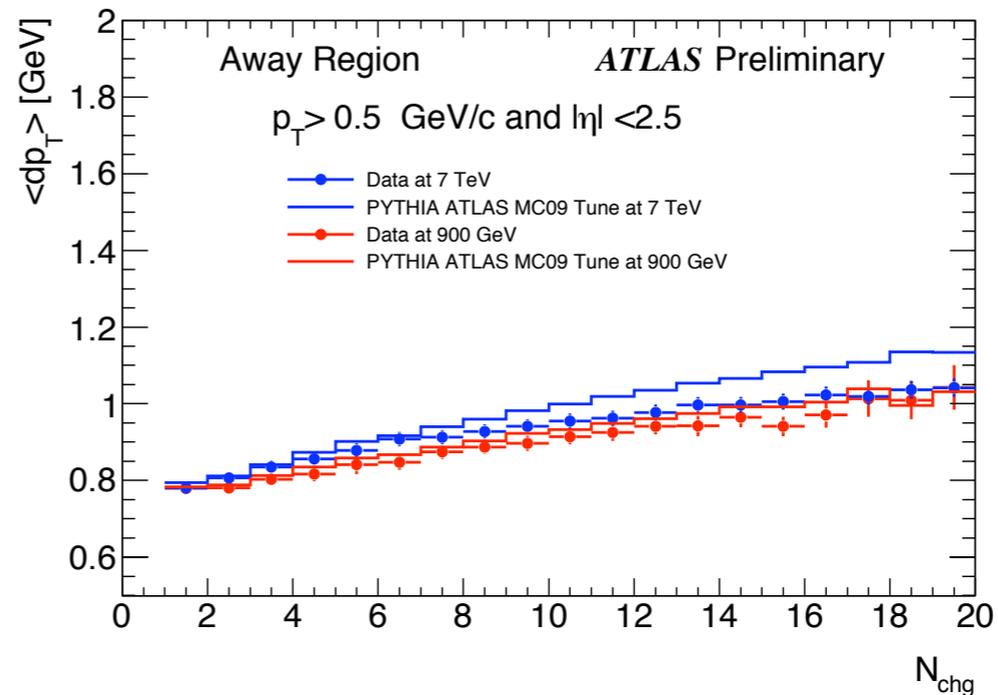
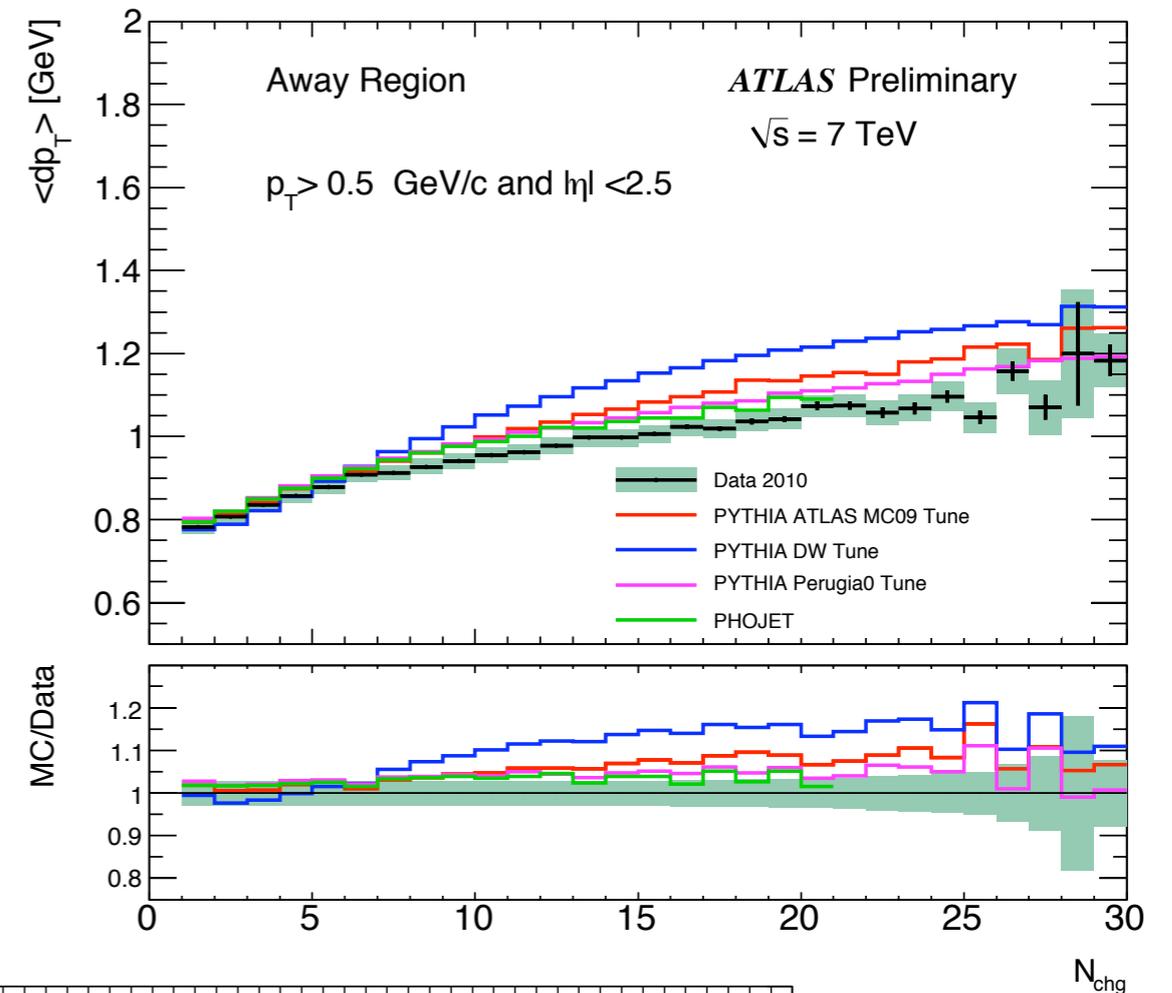
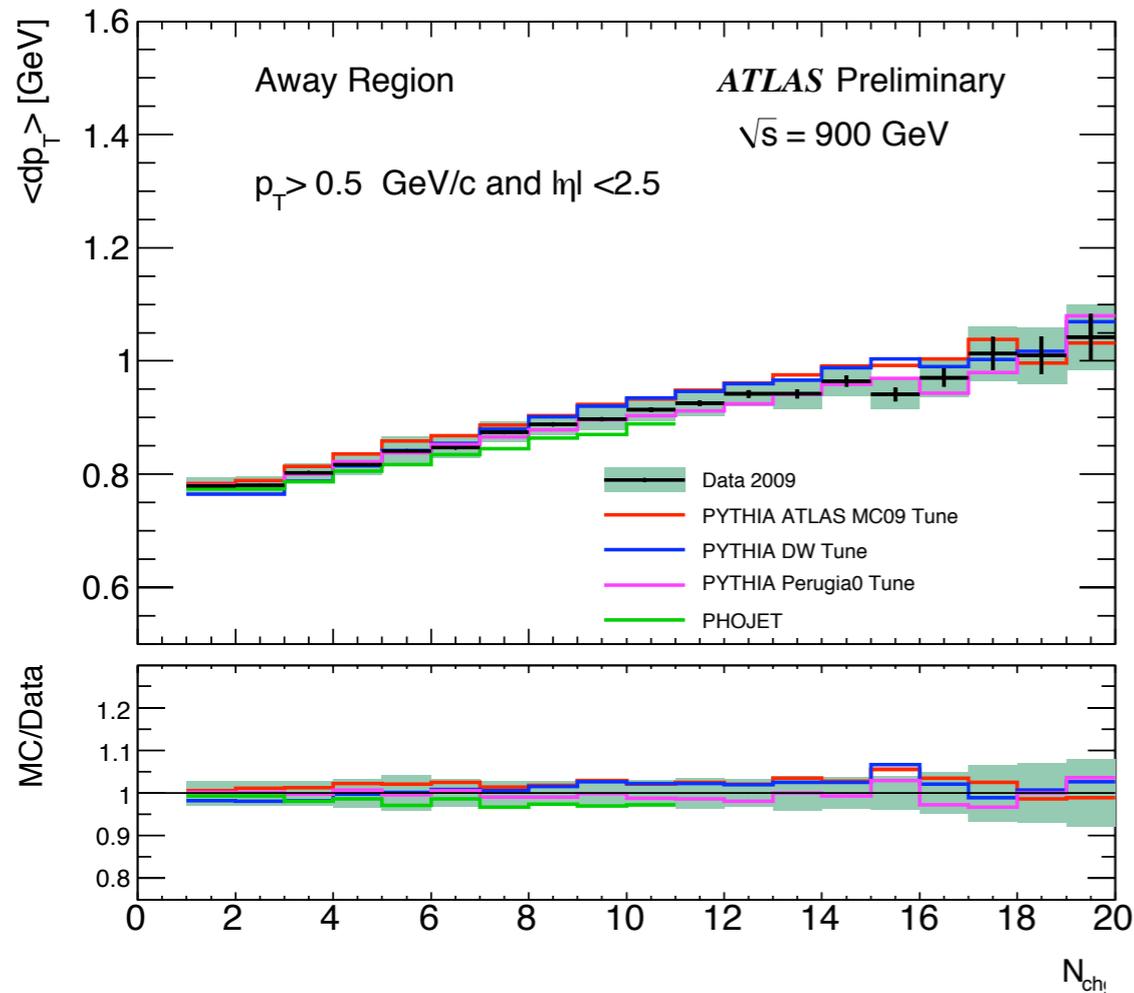
# Toward $p_T$ Density



- Multiplying by the area of associated with the Toward region, the  $p_T$  density is nearly twice what would be found if the leading track were the only track in the region.



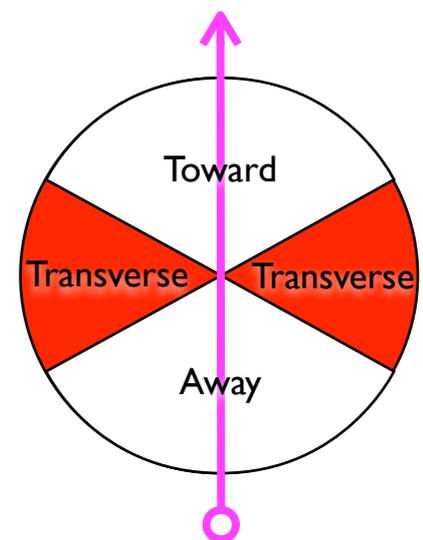
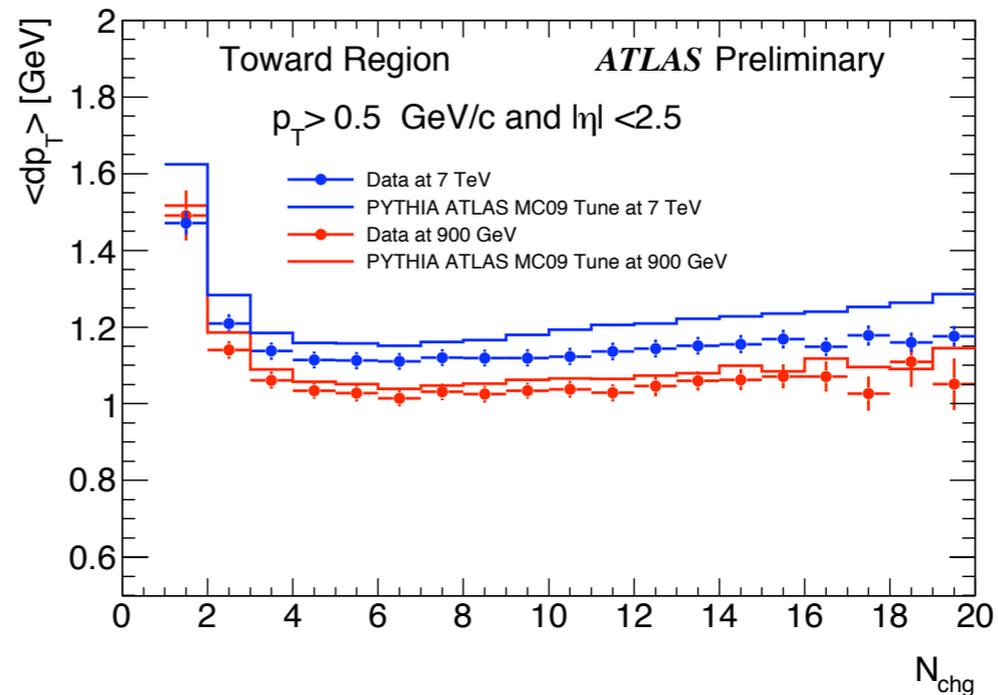
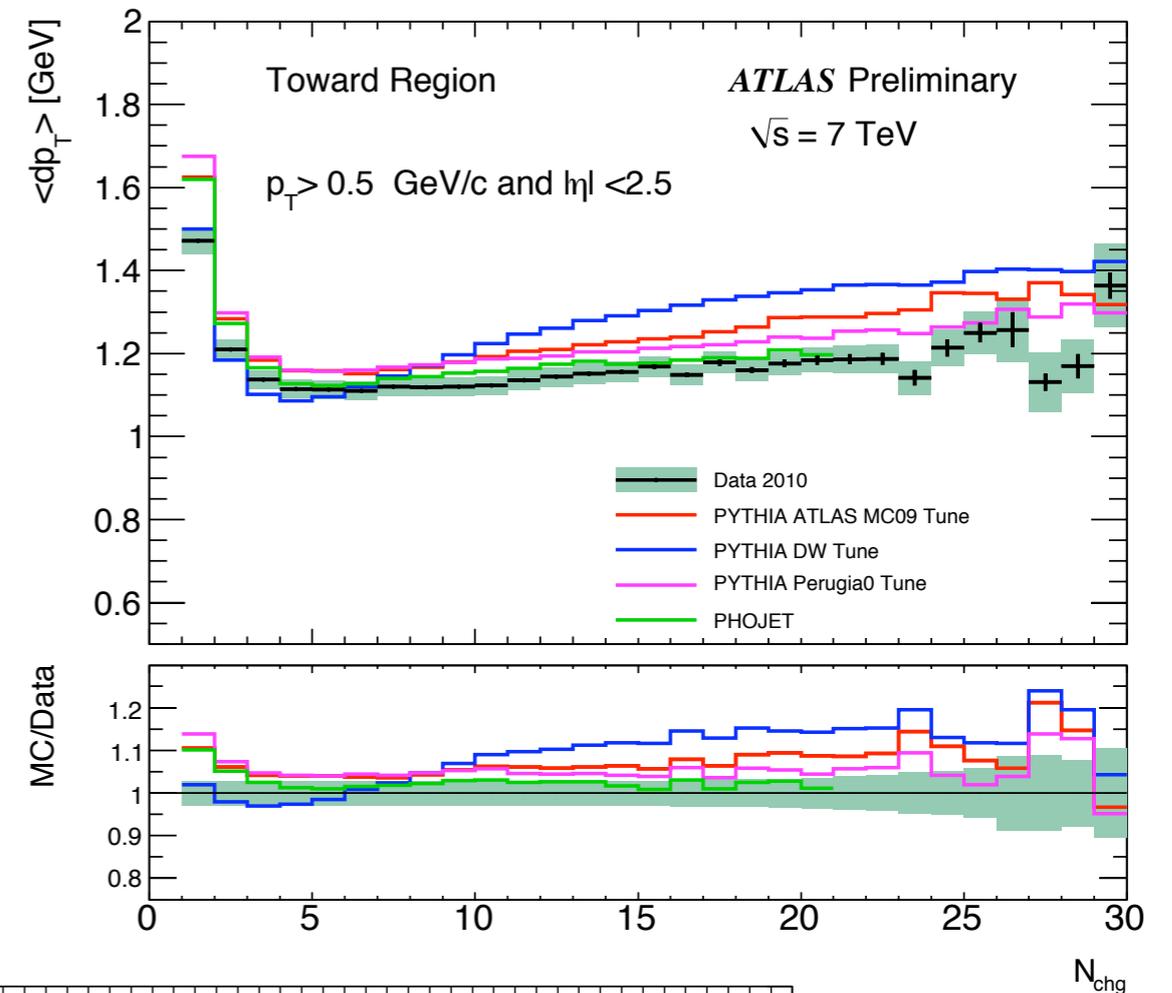
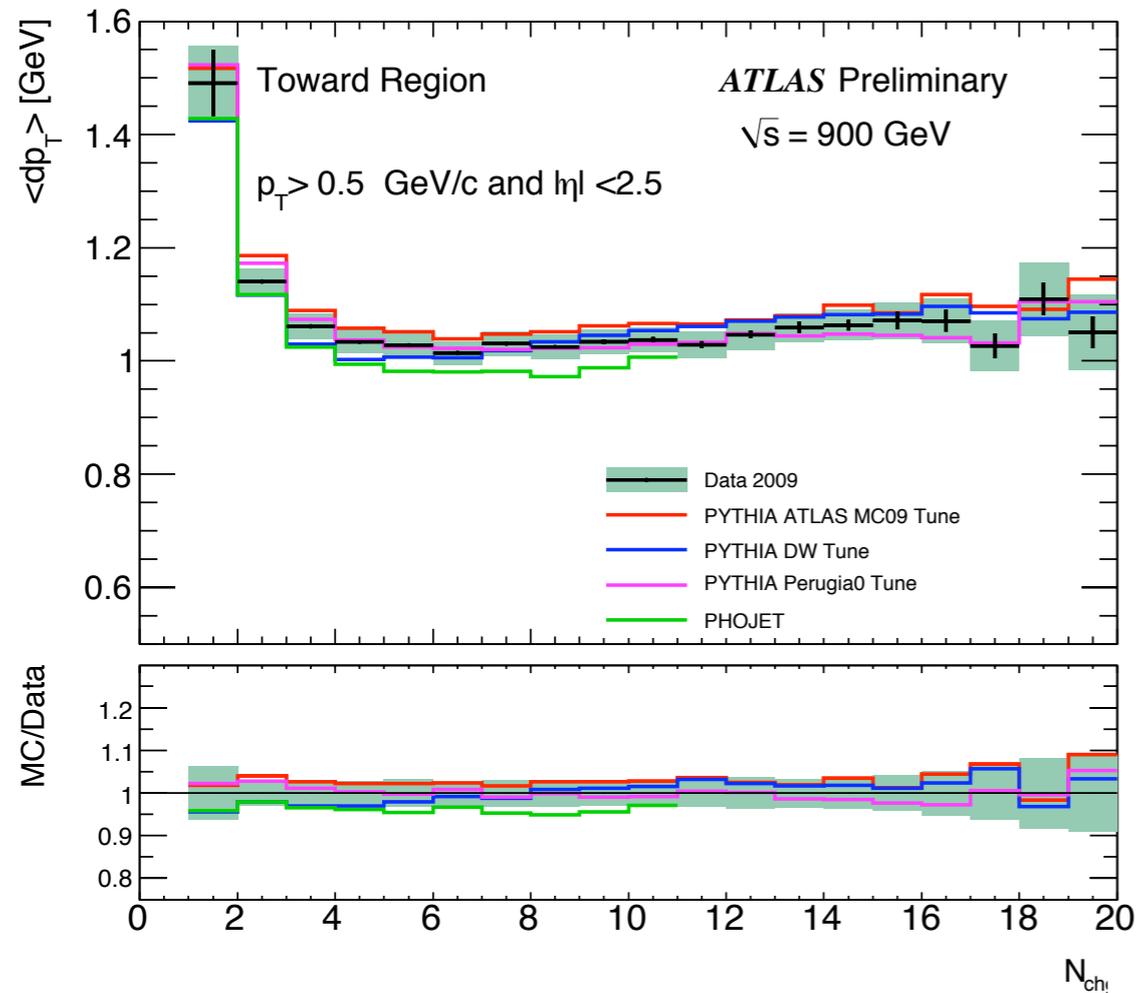
# Away Mean Track $p_T$



- The abscissa & ordinate refer to the tracks in the Away region only.
- The profiles are very similar to the Transverse region's.



# Toward Mean Track $p_T$



- The abscissa & ordinate refer to the tracks in the Toward region only.
- The mean  $p_T$  in the case of a low number of tracks is constrained by the requirement that the leading track have  $p_T > 1.0 \text{ GeV}$

