

TE-MPE-PE Section Meeting

CERN, Switzerland
20-08-2020

HTS Screens for Field-Error Cancellation: Preliminary Experimental Results and Lessons Learnt

L. Bortot^{1,2}, M. Mentink¹, C. Petrone¹, F.O. Pincot¹, G. Deferne¹, J. Van Nugteren¹,
G. De Rijk¹, G. Kirby¹, T. Koettig¹, A. Verweij¹ and S. Schöps²

Special Thanks

S. Russenschuck, A. Ballarino, J.C. Perez, S. Hopkins,
M. Liebsch, S. Richter, T. Nes, P. Frichot, M. Timmins



This work is supported by:

(*) The 'Excellence Initiative' of the German Government and by the Graduate School of Computational Engineering at TU Darmstadt;

(**) The Gentner program of the German Federal Ministry of Education and Research (grant no. 05E12CHA).

Outline

1. Introduction

- a. Magnetic Field Quality in Accelerator Magnets
- b. Persistent Magnetization in HTS Tapes
- c. HTS-Based Magnetic Screens

2. Experimental Setup

3. Experimental and Simulation Results

- a. Measurements
- b. Analysis
- c. Numerical Extrapolation

4. Lessons Learnt, Conclusions and Next Steps

Introduction

Experimental Setup

Experimental and Simulation Results

Magnetic field Quality in Accelerator Magnets

Relevance: Stability of particle beams

Influence factors: Construction tolerances, dynamic effects (e.g., inter-filament coupling currents), iron, **persistent magnetization**

Quantification: Magnetic field multipole expansion

Normal B_i and skew A_i multipoles

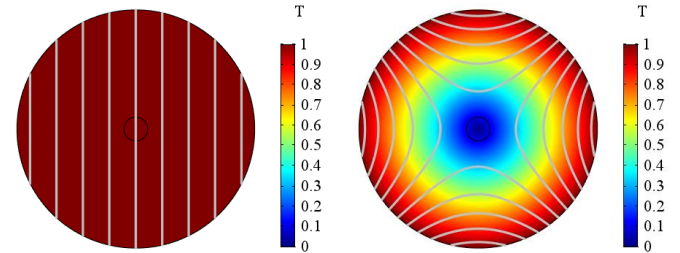
Example: dipole magnet

- B_1 dipole field
- $(A_{m \geq 1}, B_{n \geq 2})$ field error

Total Harmonic Distortion Index:

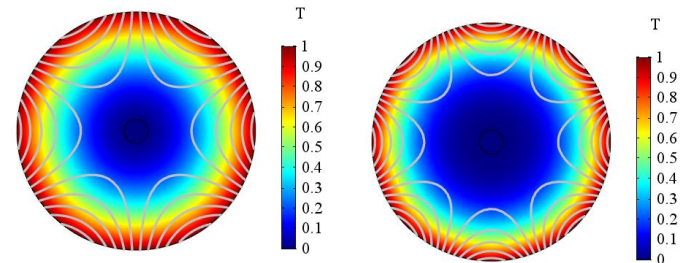
$$\text{THD}_1 = 1e^{-4} \frac{[\sum_{m=1}^{+\infty} A_m^2 + \sum_{n=2}^{+\infty} B_n^2]^{\frac{1}{2}}}{B_1}$$

Good $\text{THD}_1 < 10$



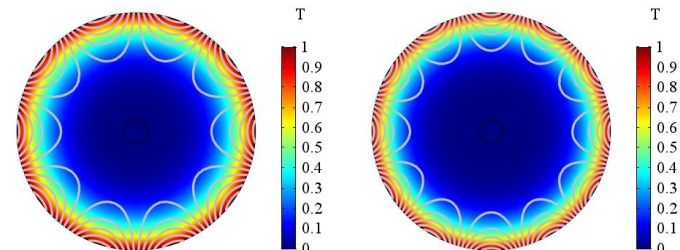
B_1 dipole

B_2 quadrupole



B_3 sextupole

B_4 octupole



B_5 decapole

B_6 dodecapole

Persistent Magnetization

Example:

HTS tape in a time-dependent magnetic field

Field variation $\partial_t \mathbf{B}$:

- Screening (eddy) currents $\mathbf{J}_{\text{screen}}$
- Screening magnetic field $\mathbf{B}_{\text{screen}}$

Superconducting material $\rho \rightarrow 0$:

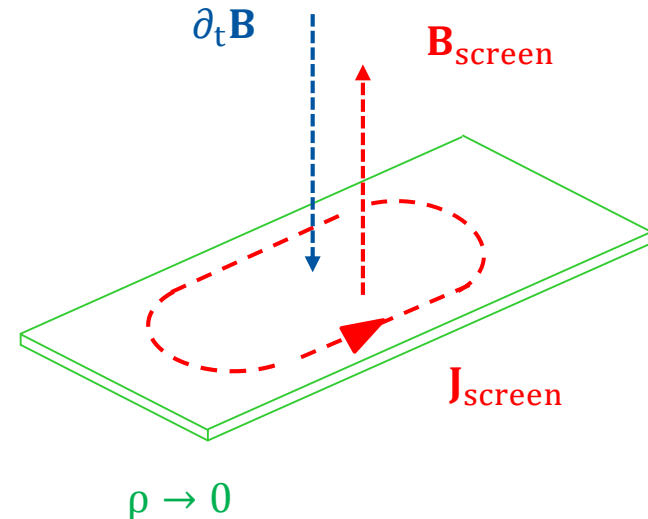
- $\mathbf{J}_{\text{screen}}$ time constant $\rightarrow \infty$
- $\mathbf{B}_{\text{screen}}$ due to persistent magnetization

Coils made of HTS tapes:

→ wide filaments (4~12 mm)

→ Significant $\mathbf{B}_{\text{screen}}$

→ Magnetic field quality degradation,
especially at low current ($\mathbf{J}_{\text{screen}} \gg \mathbf{J}$)

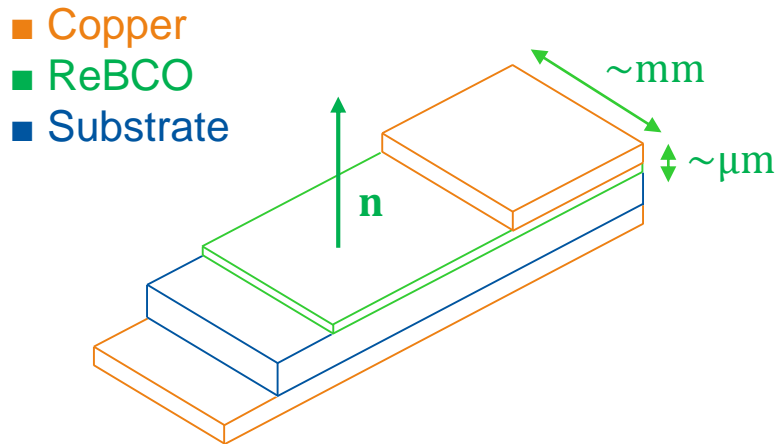


Superconducting tape in a magnetic field

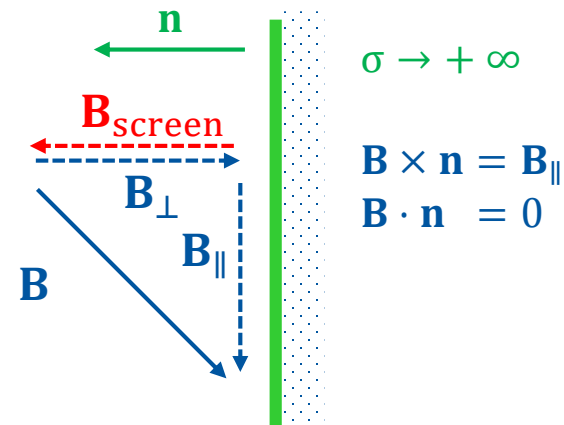
Perfect Electric Wall-Like Behaviour

Features of HTS tapes:

- high conductivity, $\sigma \rightarrow +\infty$
- high aspect ratio, ~ 1000



HTS tape layout



HTS tape seen as perfect electric wall

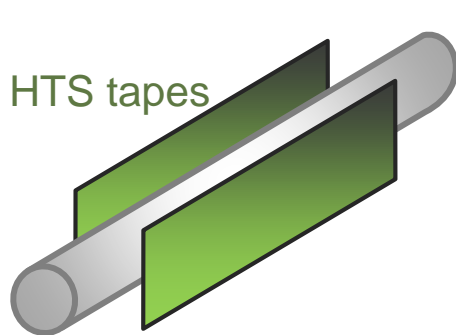
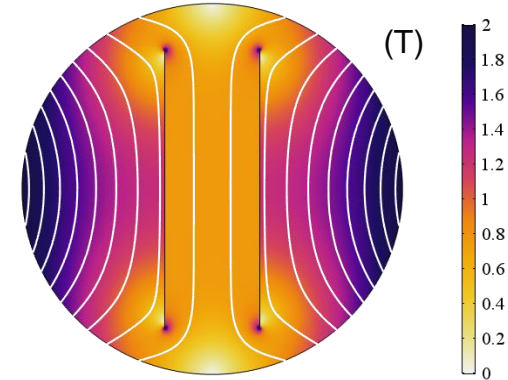
Persistent magnetization \rightarrow HTS tapes behavior similar to a perfect electric wall

Magnetic Field Error Cancellation (1/2)

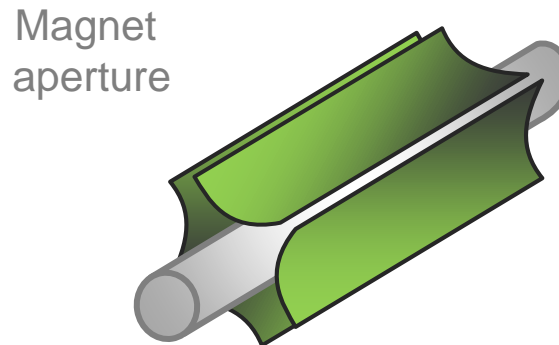
Our proposal:

HALO - Harmonics-Absorbing Layered Object

1. Magnetic field lines shaped by screening currents
2. Orientation with the main field component (e.g. dipole)
3. Selective cancellation of undesired field components
4. Brick wall architecture → wider screening surface
5. Passive device



Dipole-field screen



Quadrupole-field screen



Brick wall architecture

Magnetic Field Error Cancellation (2/2)

Field homogeneity sought in many applications (beyond accelerator magnets):

1. Solenoids for fusion reactors
2. Hollow electron lenses
3. MRI and NMR machines
4. MHD systems in hypersonic aircraft
5. Hadron therapy

Relevant research (known up to date):

1. Magnetic cloaks for sensors [1,2]
2. Shim coils for MRI [3] and NMR [4] applications
3. Selective shields based on HTS tapes for solenoids [5]
4. “Magic magnet” concept [6]

[1] Gömöry, Fedor, et al. "Experimental realization of a magnetic cloak." *Science* 335.6075 (2012): 1466-1468.

[2] Tomków, Ł., et al. "Combined magnetic screen made of Bi-2223 bulk cylinder and YBCO tape rings—Modeling and experiments." *Journal of Applied Physics* 117.4 (2015): 043901.

[3] Tomków, Ł., et al. "Improvement of the homogeneity of magnetic field by the attenuation of a selected component with an open superconducting shield made of commercial tapes." *Journal of Applied Physics* 126.8 (2019): 083903.

[4] Frolo, I., et al. "Magnetic field homogeneity adjustment for magnetic resonance imaging equipment." *IEEE Transactions on Magnetics* 54.5 (2018): 1-9.

[5] Wang, T., et al. "A 3.35 T Actively Shielded Superconducting Magnet for Dynamic Nuclear Polarization Device." *IEEE Transactions on Applied Superconductivity* 26.4 (2016): 1-4.

[6] Van Nugteren, Jeroen. High temperature superconductor accelerator magnets. Diss. Twente U., Enschede, Enschede, 2016.

Introduction

Experimental Setup

Experimental and Simulation Results

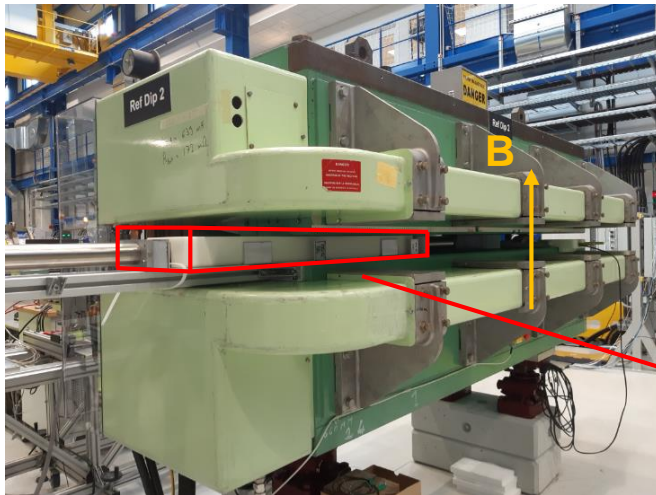
Experimental Setup (1/5)

Strategy: Screening effect quantified as differential measurement (rotating coil)

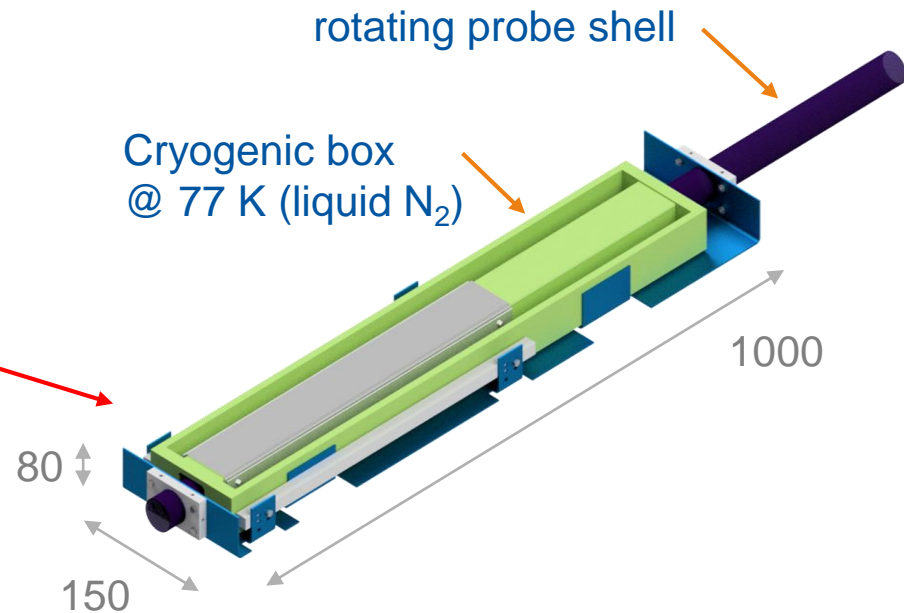
Reference: known magnetic field → dipole HB2 (Magnetic measurement Lab)

Procedure:

1. Introduction of a magnetic field distortion
2. Field correction by means of HTS screens



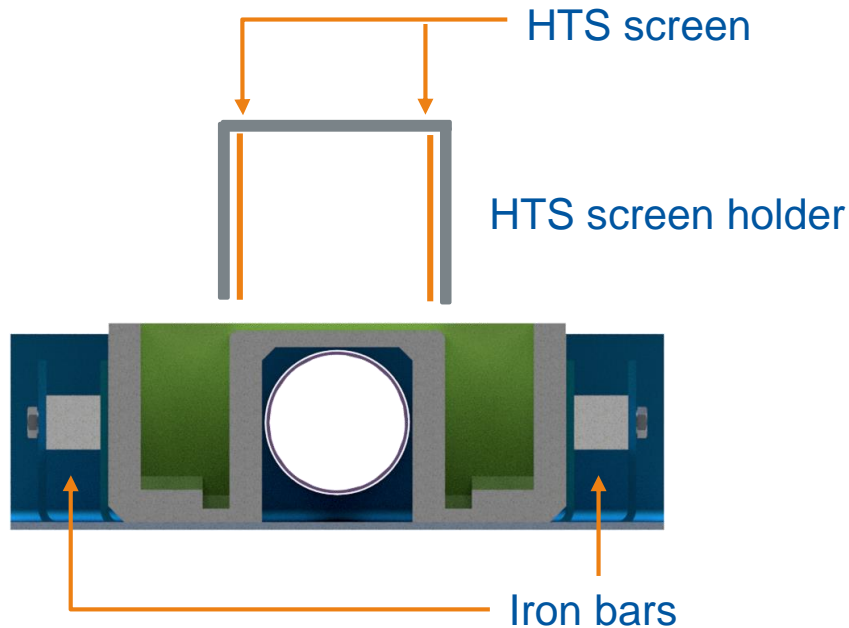
Normal conducting dipole
HB2 @ CERN



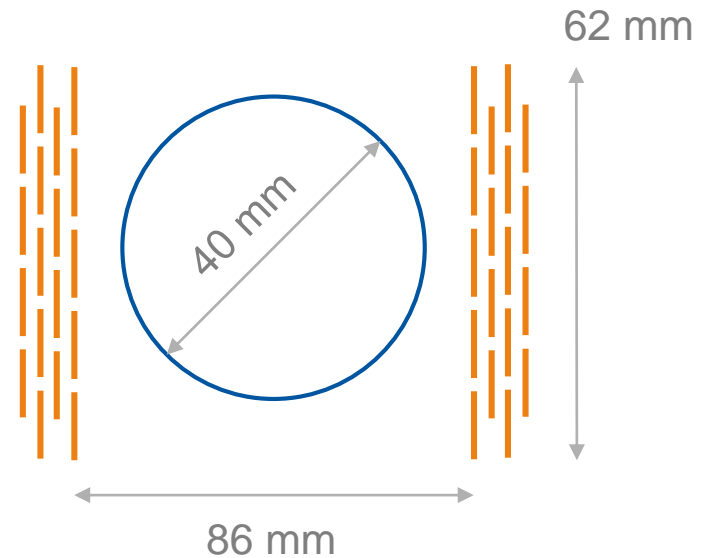
Experimental Setup (2/5)

Magnetic field error → iron bars

Magnetic field correction → HTS screen made of 4 layers of 5 tapes (18 meters)



Cross section of the experimental setup



Cross section of the rotating probe and the HTS screen

Experimental Setup - Detail (3/5)



DAQ system

Motor drive for rotating coil

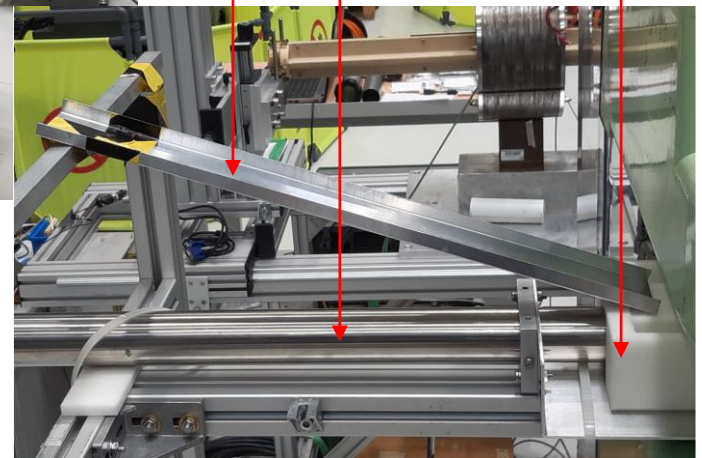
HALO setup

Reference dipole

Slide for LN2

Rotating-coil tube

Foam box



Experimental Setup - Detail (4/5)

Initial idea: aluminum counter-plates on the holder sides

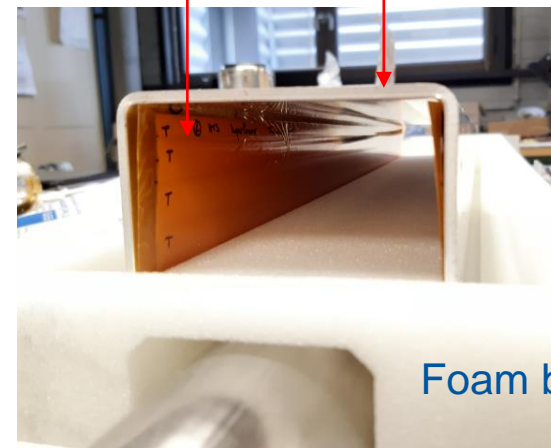
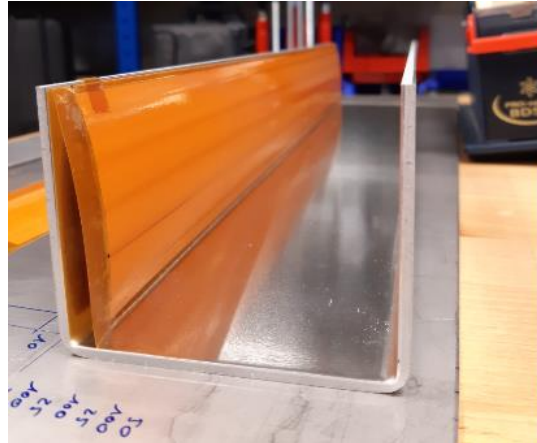
Counter-plates **deformation** during cool-down

→ HTS tapes blocked between holder and foam box



HTS Screen

HTS holder

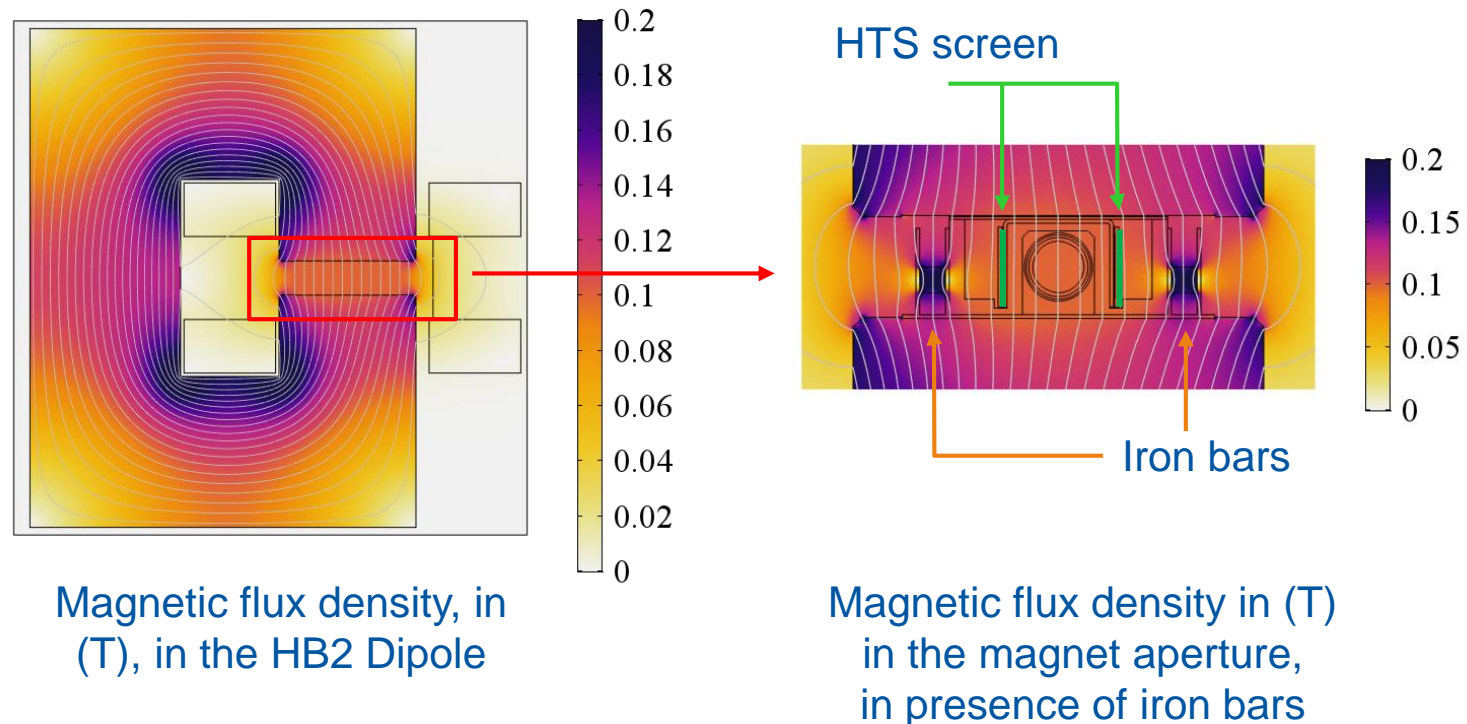


HTS holder and screen (left), and their assembly into the foam box

Experimental Setup (5/5)

Magnetoquasistatic 2D simulations:

- Numerical model based on the FEM method
- Field problem described by a coupled A-H field formulation for HTS applications [1]
- Implementation in COMSOL as weak formulation (no tool dependencies)



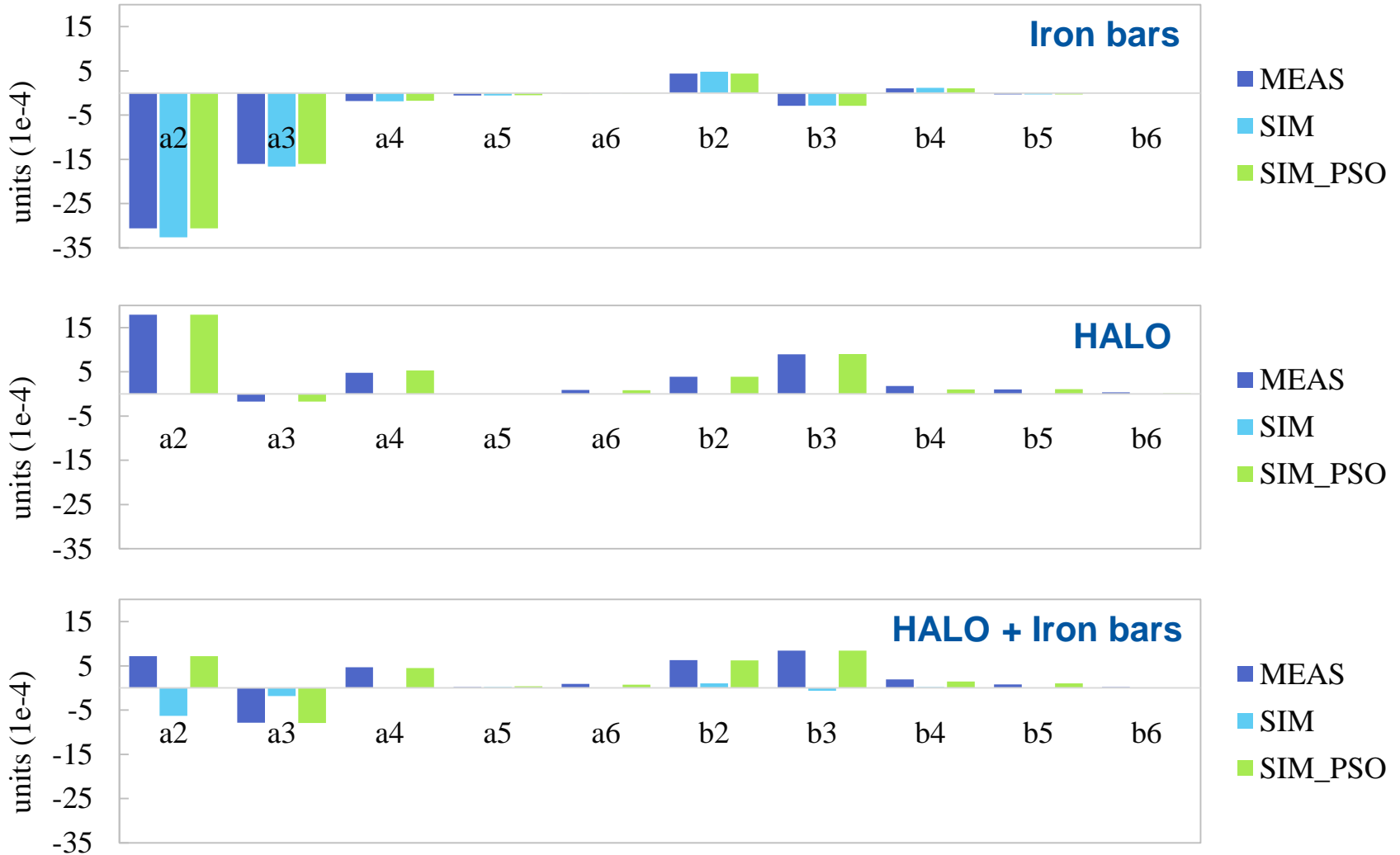
[1] Bortot, L., et al. "A Coupled A-H Formulation for Magneto-Thermal Transients in High-Temperature Superconducting Magnets." IEEE Transactions on Applied Superconductivity 30.5 (2020): 1-11.

Introduction

Experimental Setup

Experimental and Simulation Results

Measurements (1/3)

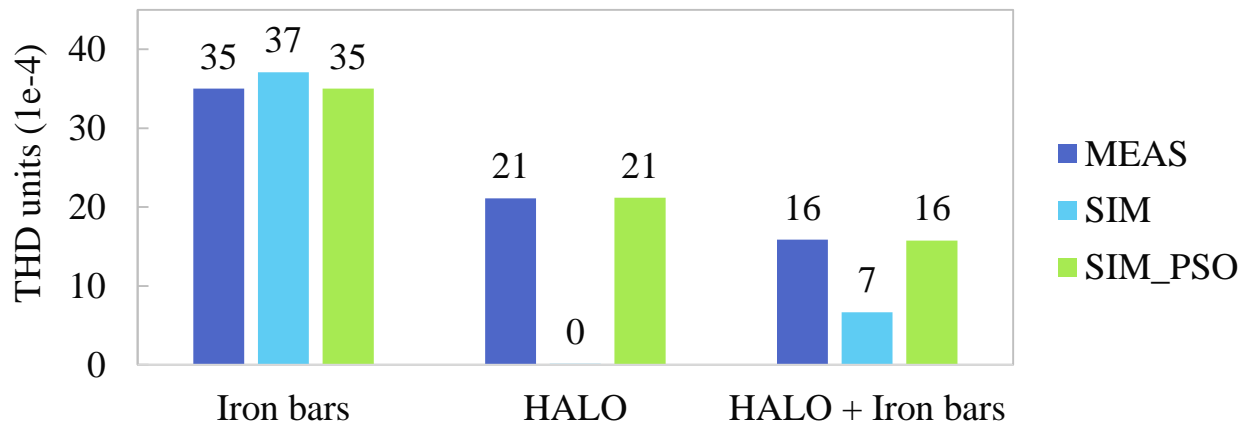


Measurements (2/3)

THD index from the multipole series in the previous slide

$$Q_{\text{THD}} = \frac{\text{THD}_{\text{Iron}}}{\text{THD}_{\text{HALO+Iron}}}$$

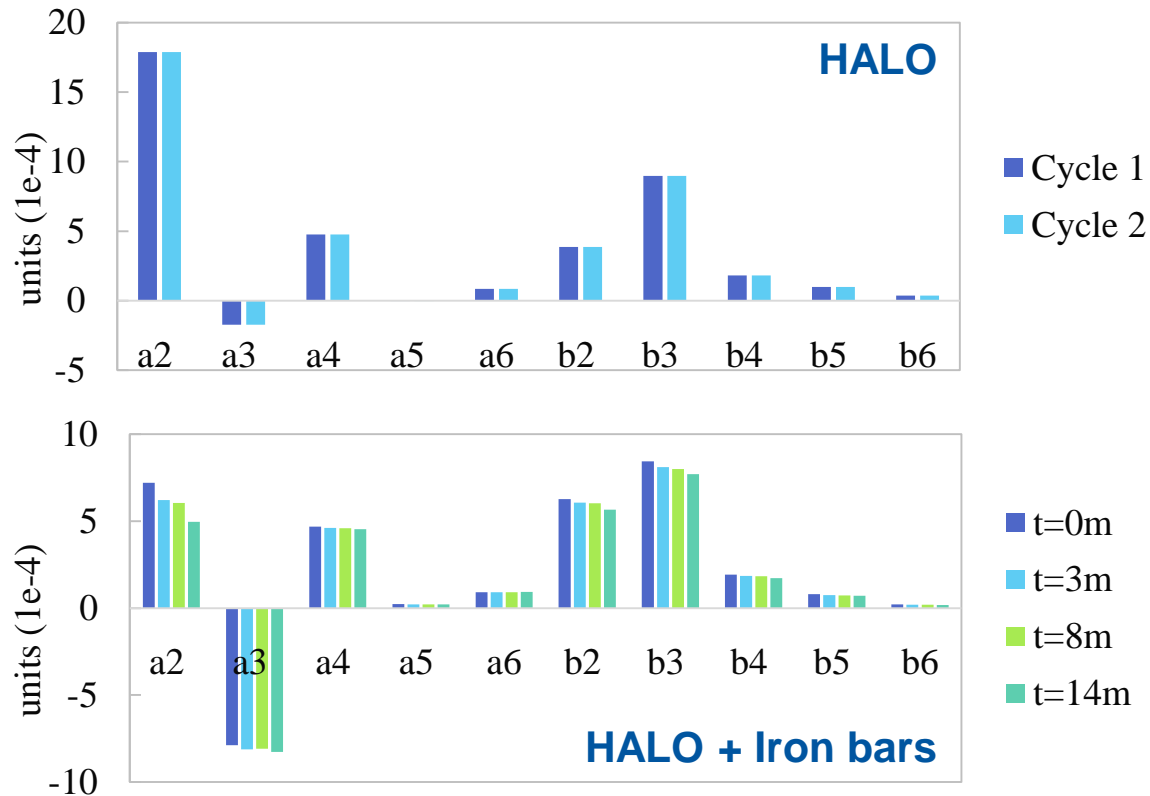
Total Harmonic Distortion Index (THD)



Observations:

- Screen error \approx Iron bars \rightarrow figure of merit $Q_{\text{THD}} = 2.2$, expected 5.6
 - Random compensation of a_2 leading to apparent field improvement
- \rightarrow Difficult to draw conclusions on field error cancellation

Measurements (3/3)



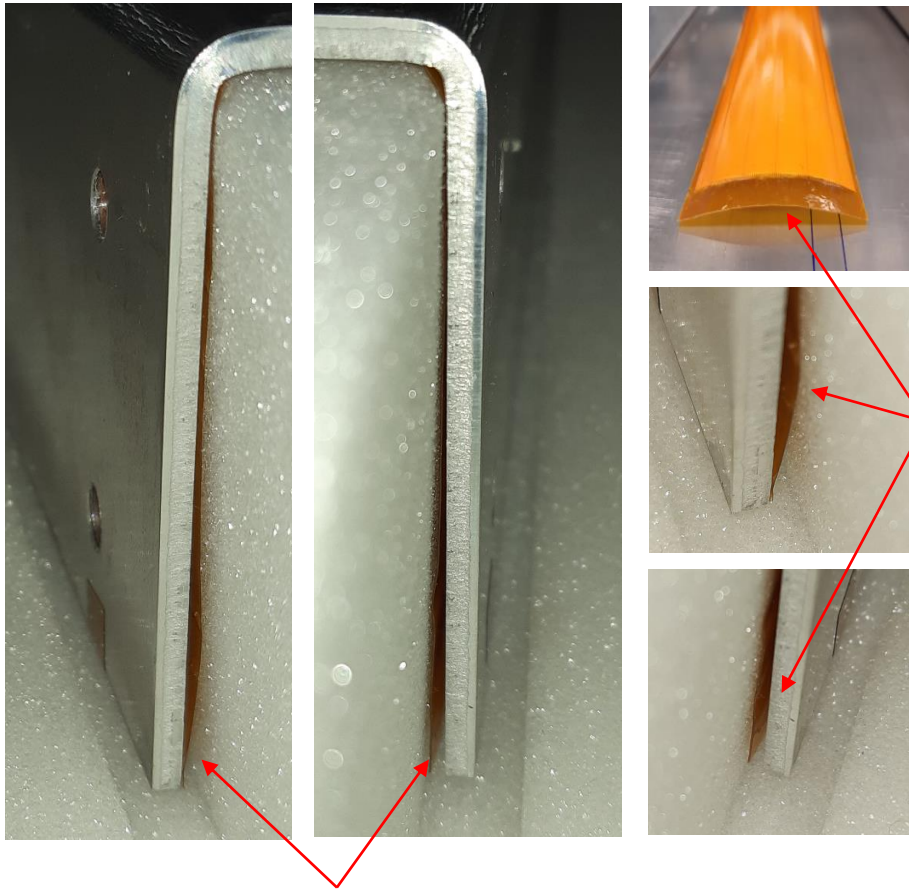
Temperature control system

Observations:

- Measurements reproducibility
- Screening currents persistency (up to temperature uncertainty)

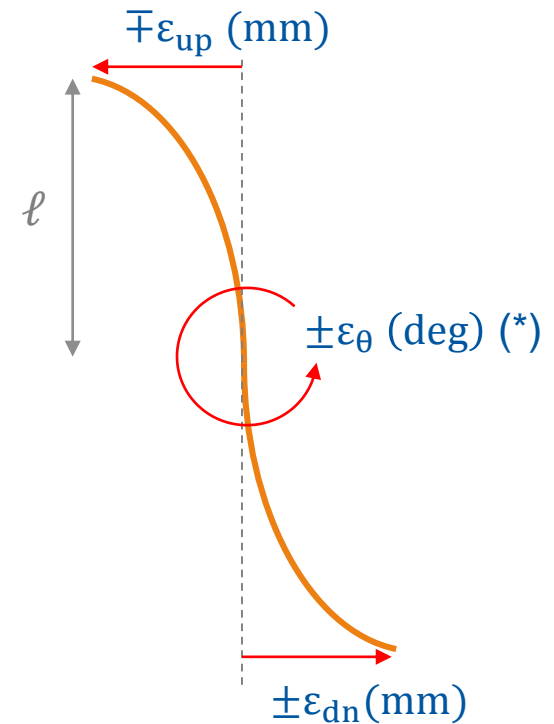
Analysis (1/3): Visual inspection

Post-mortem visual inspection of the experimental setup:



Undesired gap between holder and foam box

Tapes deformation



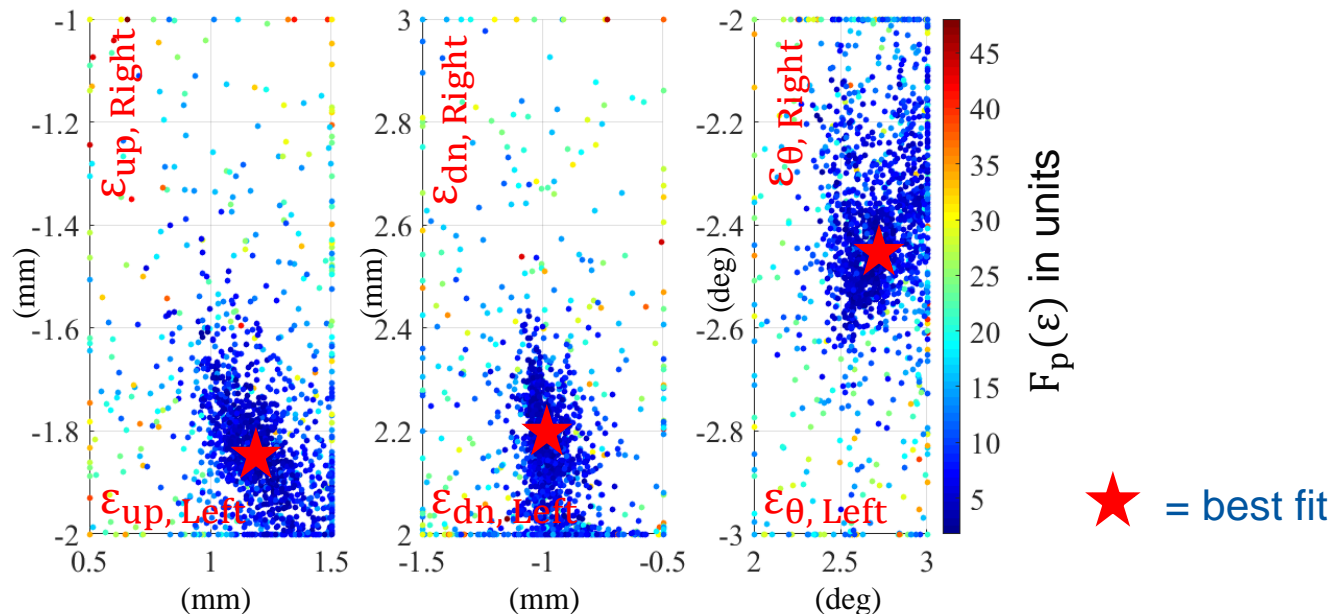
Screen deformation added to the model by means of parabolae with three DoFs (educated guess)

(*) $\pm\epsilon_{\ell(\theta)} = l \sin(\pm\epsilon_{\theta})$ (mm)

Analysis (2/3): Parameters Fitting

Particle Swarm Optimizer (PSO) (*) : $\mathbb{R}^6 \rightarrow \mathbb{R}$ where

- $\mathbb{R}^6 : \{\varepsilon_{\text{up}}, \varepsilon_{\text{dn}}, \varepsilon_{\theta}\} \times 2$ (two screens)
- $\mathbb{R} : F_p(\varepsilon) = \sum_{i=1}^6 (|a_i^{\text{meas}} - a_i^{\text{sim}}| - |b_i^{\text{meas}} - b_i^{\text{sim}}|)$ penalty function,
- HALO standalone dataset



Projections of the penalty function from the \mathbb{R}^6 parametric space

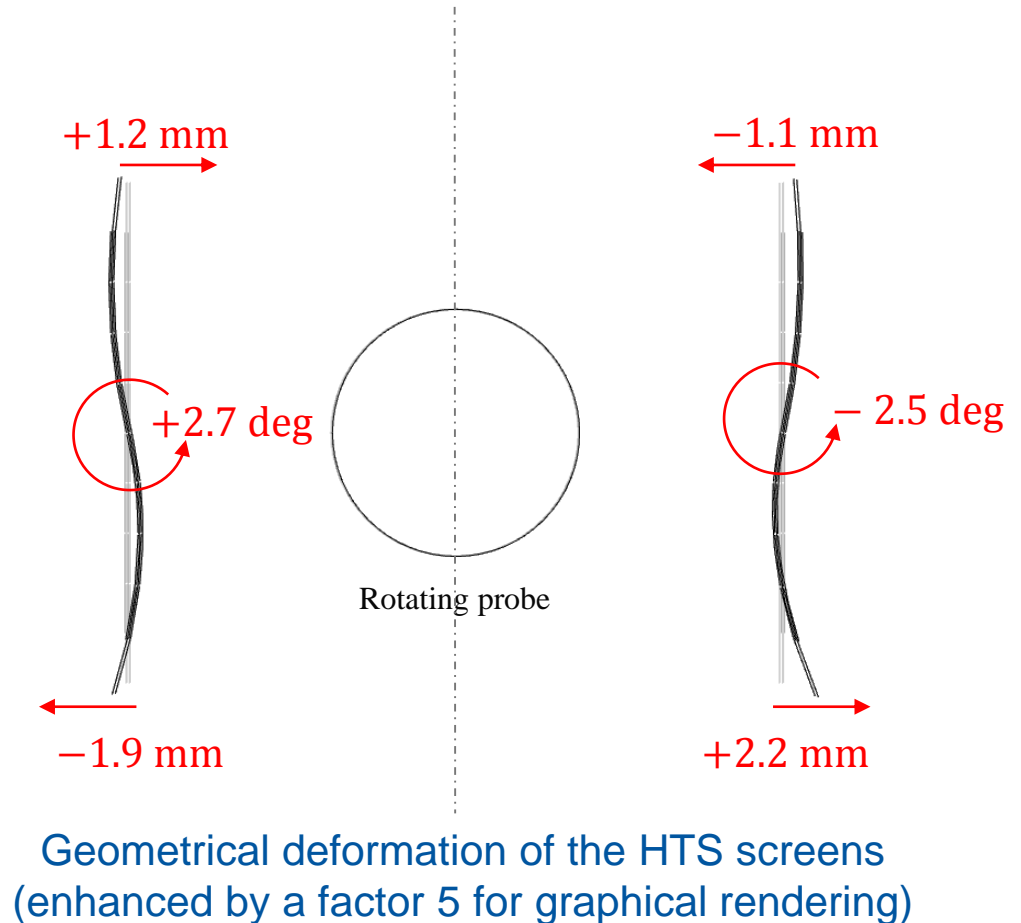
(*) **CAVEAT:** Inverse problem, with infinite solutions. The optimizer works in a functional subspace which is determined a-priori by the educated guess on the mechanical deformation. Although the solution is arbitrary, it is still useful to understand the behavior of the screen.

Analysis (3/3): Geometrical Deformation

Best-fit results from the PSO algorithm

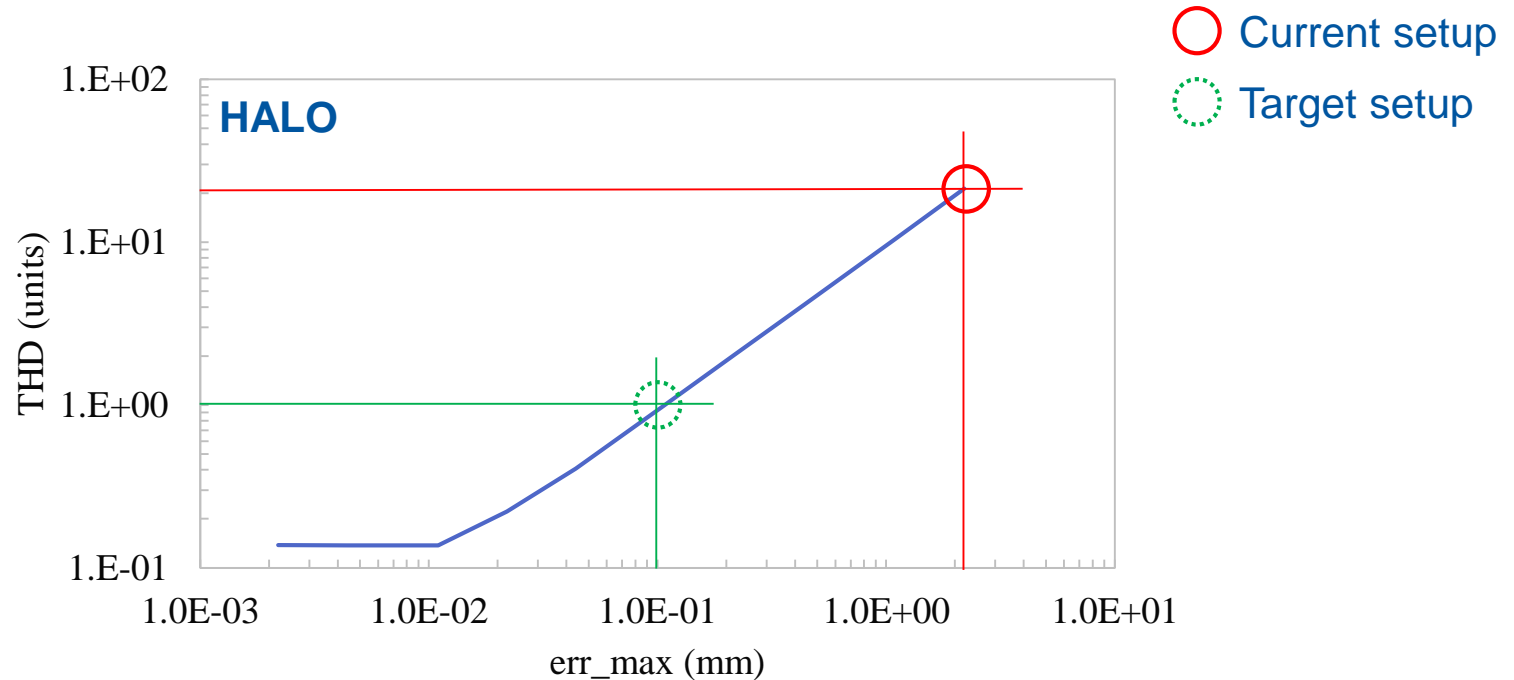
Observations on deformation:

- **Relevant, > 2 mm**
- **Consistent** with the displacements observed in the visual inspection
- **Slightly symmetric**, in accordance with the symmetric layout of the assembly



Extrapolation (1/2): Screen Error

Application of a scaling factor k_ε to geometrical errors $\{\varepsilon_{up}, \varepsilon_{dn}, \varepsilon_{\ell(\theta)}\}$:



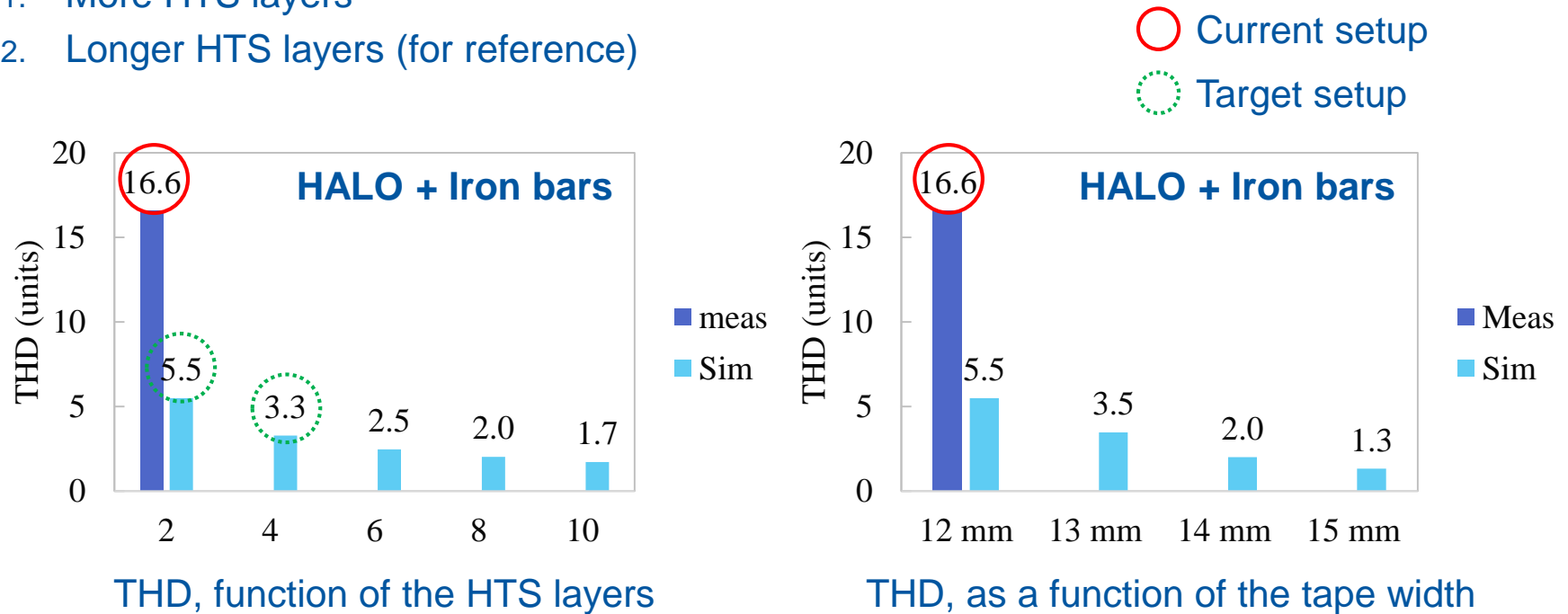
If $\max\{\varepsilon_{up}, \varepsilon_{dn}, \varepsilon_{\ell(\theta)}\} \leq 0.1 \text{ mm}$ (i.e. $k_\varepsilon \cong 20$) \rightarrow THD ≤ 1 unit

Extrapolation (2/2): Field Correction

Assumption: geometrical error ≤ 0.1 mm

Field correction improvement by:

1. More HTS layers
2. Longer HTS layers (for reference)



$$Q_{\text{THD}} = 2.2 \rightarrow 6.4 \text{ (improved geometry)} \rightarrow 10.6 \text{ (HTS layers doubling)}$$

Lessons Learnt

Design

- **Curvature in the HTS screen** → face-to-face tape-stacking
- **Geometrical error** → tolerance of 0.1 mm
- **Geometrical error** → mechanical regulation for the HTS holder
- **Mechanical deformations** → avoid metal folding in manufacturing (expensive)



Experiment

- Alignment at 300 K \nRightarrow alignment at 77 K
- **Rotating-probe tube freezing**, time-at-cold limited to ~10-15 minutes
- Iron bars mounting without removing the experimental setup from the magnet

Analysis

- **Higher Q_{THD} needed** for a convincing proof-of-concept
 - Reduced screen error → high improvement
 - Increased field distortion (more iron) → small improvement with the current design
Second HTS layer helpful

Conclusions

Highly non-standard experimental campaign **successfully completed**

1. **Reproducibility** of results, **persistency** of the screening currents
2. Sensitivity **not fully satisfactory** for a proof of concept

Validation of the coupled-field formulation (developed for HTS applications)

1. Numerical simulations in **agreement** with measurements
2. Useful **insights** for improving the design of the HTS screen
3. Extrapolation shows **relevant margins** for improvement

Next Steps

Second experimental campaign with improved holder design. Tentative proposals:

Steel + glue



Simple

No regulation

Screen flattening by gluing

1

G10 + glue



Simple(r)

No regulation

Screen flattening by gluing

2

Materials:

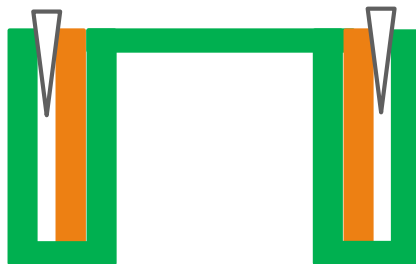
■ Stainless steel (machined)

■ G10 (machined)

■ Stycast

■ HTS screen

G10 + slots + shims



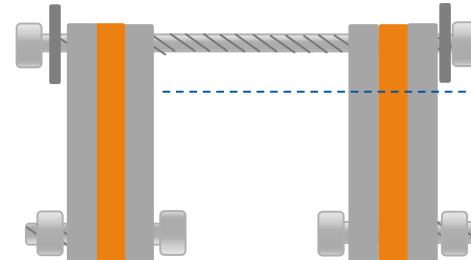
Partial regulation

Screen flattening by compression

1 mm wide, 60 mm deep slot

3

Steel plates + bolts



Regulation via washers

Screen flattening by compression

Complex

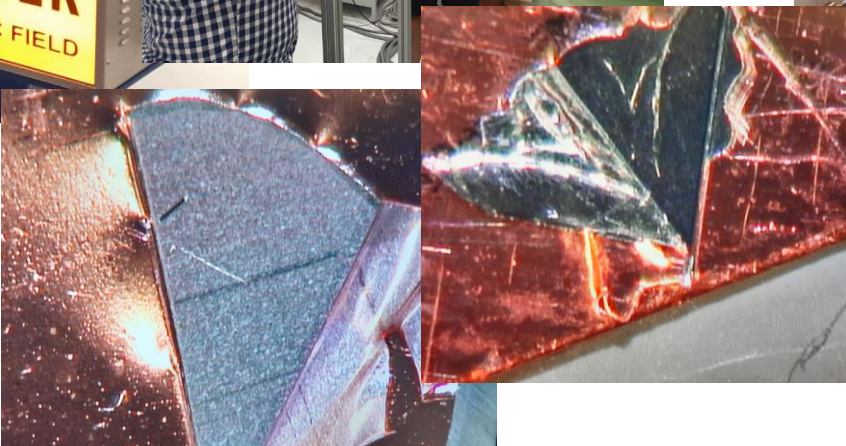
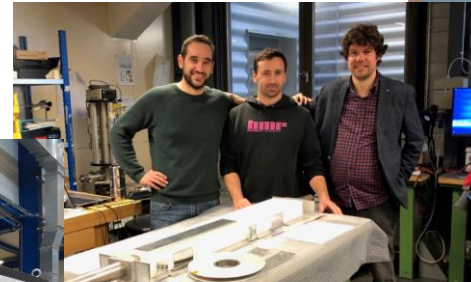
Space constraint: ~ 5 mm in the bridge gap

Iron pole

~ 5 mm

Foam box

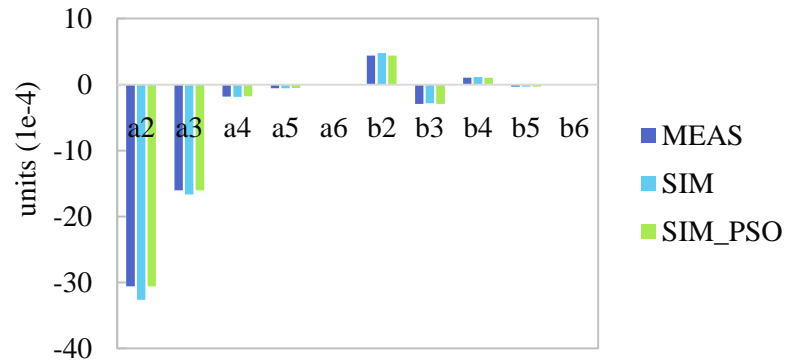
Thank you
for your support!



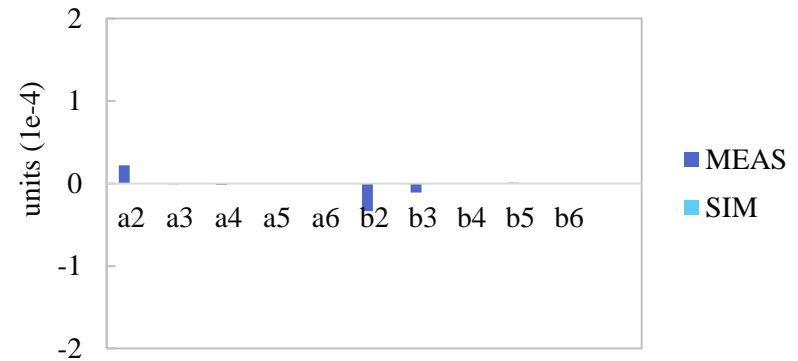
Annex

Results - Overview

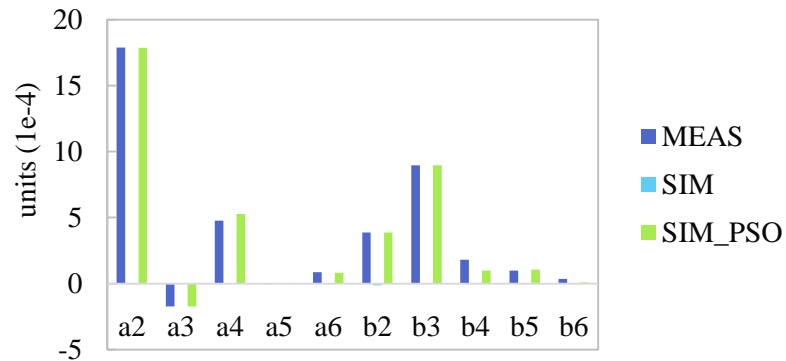
300 K HALO - IRON



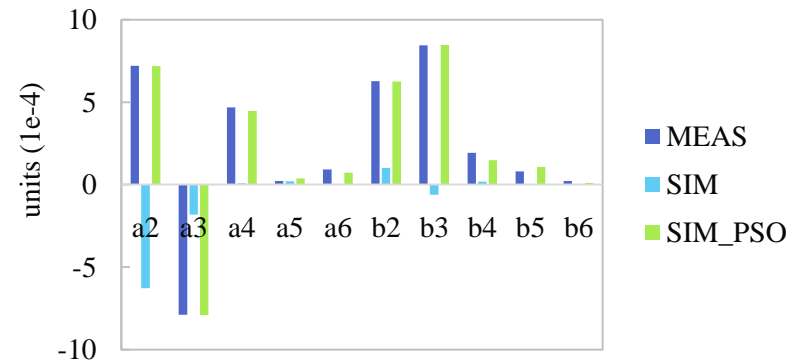
300 K HALO - NO IRON



77 K HALO - NO IRON



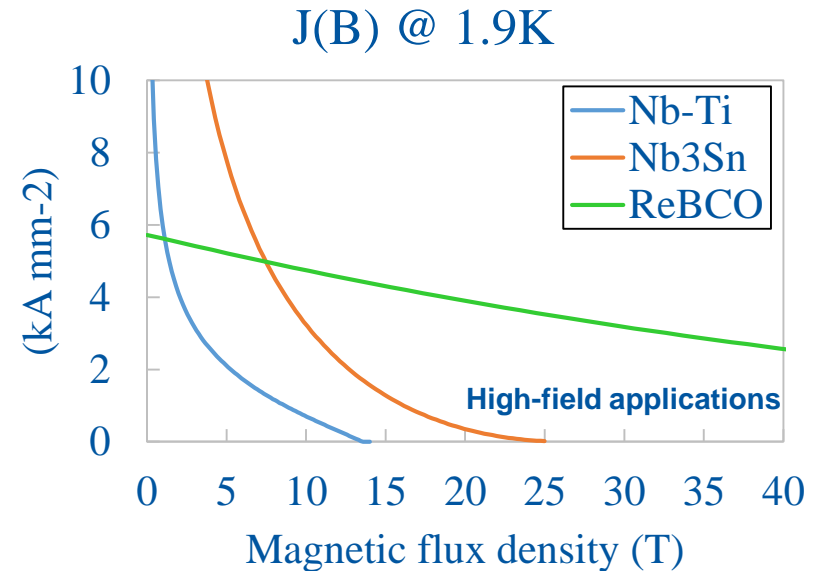
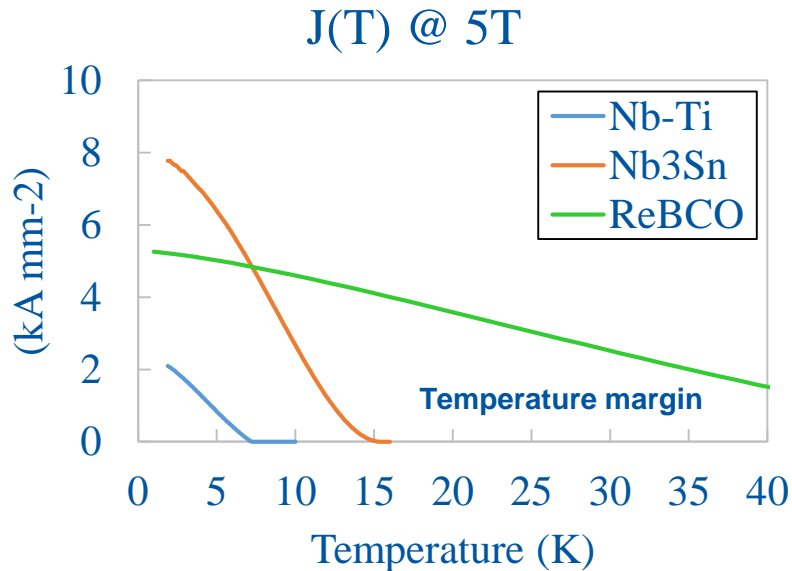
77 K HALO - IRON



High-Temperature Superconductors (HTS)

Copper oxides (CuO_2) doped with rare earths (La, Bi-Sr-Ca, Y-Ga-Ba etc.)

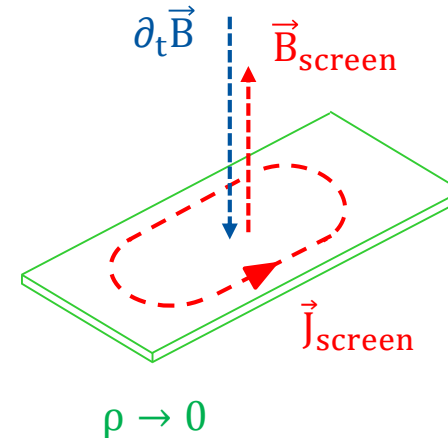
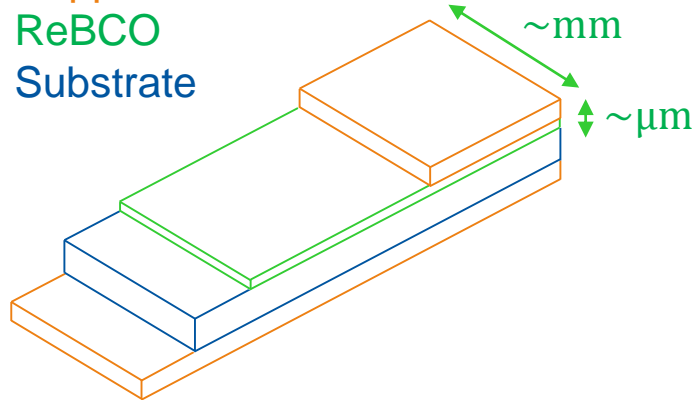
Higher critical temperature and coercive field with respect to the traditional low-temperature superconductors (LTS), such as Nb-Ti or Nb₃Sn



Transient Effects: Screening Currents in HTS

HTS tape in a time-dependent magnetic field $\partial_t \vec{B}$:

- Copper
- ReBCO
- Substrate



$\partial_t \vec{B} \rightarrow$ Screening currents \vec{J}_{screen}

$\rho \rightarrow 0 \rightarrow$ Persistent magnetization \vec{B}_{screen}

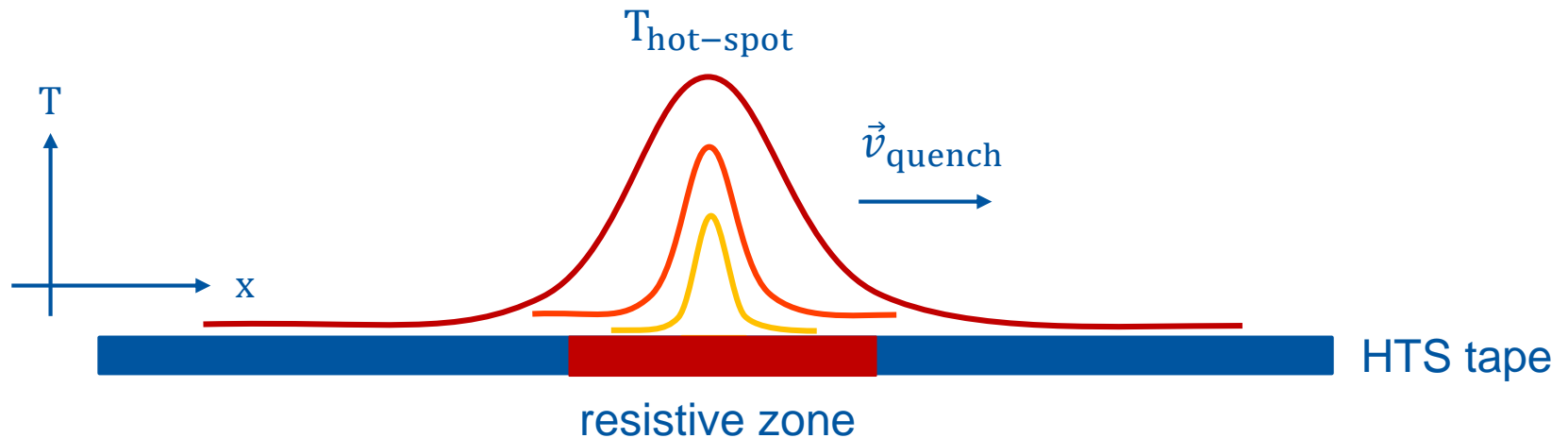
Large filament size (5-12 mm) \rightarrow large \vec{B}_{screen}

Magnetic field quality and thermal behavior, as principal Joule loss contribution

Inhomogeneous current density distribution \rightarrow Solid conductors!

Transient Effects: Quench in HTS

Local transition from superconducting to normal conducting state



Energy dissipated in the resistive zone

Potentially **irreversible effects** for high energy-density devices (accelerator magnets)!

HTS characteristics:

- **low heat diffusivity**
- **low \vec{v}_{quench}** , small resistive zone, difficult to detect
- **high $T_{\text{hot-spot}}$** , potential damage in short time (tens of ms)

Formulation

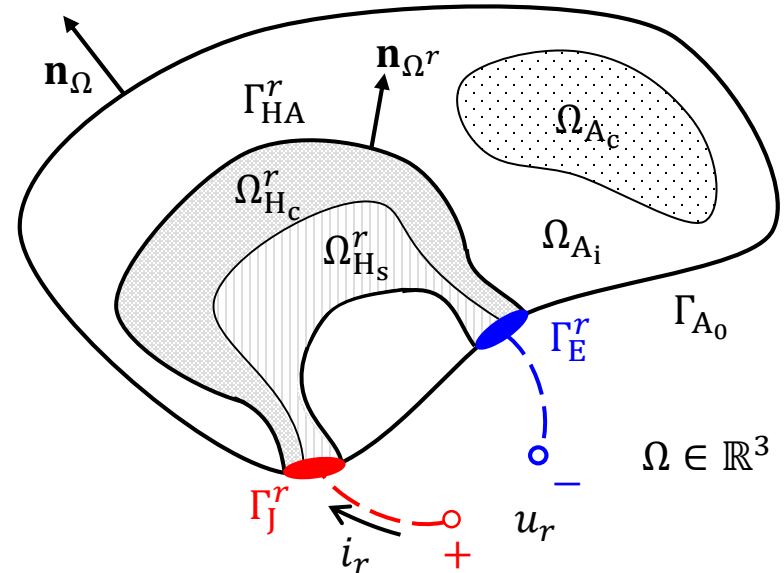
Domain decomposition

Ω_H^r source domain (r -th winding)

- $\Omega_{H_s}^r$ and $\Omega_{H_c}^r$ for superconducting and normal conducting parts

Ω_A source-free domain

- Ω_{A_c} and Ω_{A_i} for normal conducting and insulating materials



Strong formulation

for $r = 1, \dots, N_r$ windings:

- \vec{A}^* in Ω_A : reduced magnetic vector potential
- \vec{H} in Ω_H^r : magnetic field strength

Ampere
Maxwell

$$\nabla \times \mu^{-1} \nabla \times \vec{A}^* + \sigma \partial_t \vec{A}^* = 0 \text{ in } \Omega_A$$

Faraday

$$\nabla \times \rho \nabla \times \vec{H} + \partial_t \mu \vec{H} + \nabla \times \vec{\chi}_r u_r = 0 \text{ in } \Omega_H^r$$

Algebraic
constraint

$$\int_{\Omega_H^r} \vec{\chi}_r \cdot (\nabla \times \vec{H}) \, d\Omega = i_r$$

Discrete Problem

\vec{A}^* , \vec{H} discretized via Nédélec-type shape functions

$$\begin{bmatrix}
 \mathbf{K}^\nu + \mathbf{M}^\sigma \frac{d}{dt} & -\mathbf{Q} & 0 & 0 \\
 \mathbf{Q}^\top \frac{d}{dt} & \mathbf{K}^\rho + \mathbf{M}^\mu \frac{d}{dt} & -\mathbf{X} & 0 \\
 0 & \mathbf{X}^\top & 0 & 0 \\
 0 & 0 & 0 & \mathbf{K}^k + \mathbf{M}^\rho \frac{d}{dt}
 \end{bmatrix}
 \begin{bmatrix}
 \mathbf{a} \\
 \mathbf{h} \\
 \mathbf{u}_s \\
 \mathbf{t}
 \end{bmatrix}
 =
 \begin{bmatrix}
 0 \\
 0 \\
 \mathbf{i}_s \\
 \mathbf{q}(\cdot)
 \end{bmatrix}$$

Ampere-Maxwell
Faraday
Heat Balance
Field coupling
Circuit coupling

Finite material properties, bounded condition number → Solver stability 😊

Observations:

- Electric ports used as connections with the external circuit
- $u_s, i_s \rightarrow$ Each winding as one-port component, with impedance Z_r : $u_r = Z_r i_r$

Assumption:

- $(K^\nu + \lambda M^\sigma)$ positive-definite (true for gauged \vec{A}^* , e.g. via tree-cotree gauge)

Field-Circuit Coupling Interface

Field-circuit coupling interface (Schwarz transmission condition for linear systems):

$$\mathbf{Z}(j\omega) = \left[\mathbf{X}^\top \left[\mathbf{K}^\rho + j\omega \mathbf{M}^\mu + \mathbf{Q}^\top \left[\mathbf{K}^\nu + j\omega \mathbf{M}^\sigma \right]^{-1} \mathbf{Q} \right]^{-1} \mathbf{X} \right]^{-1}$$

↓

resistive
term

↓

\vec{H} -flux

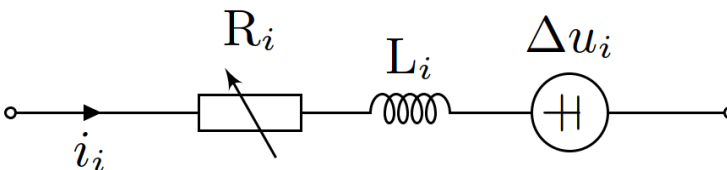
↓

\vec{A} -flux

↓

Eddy
currents

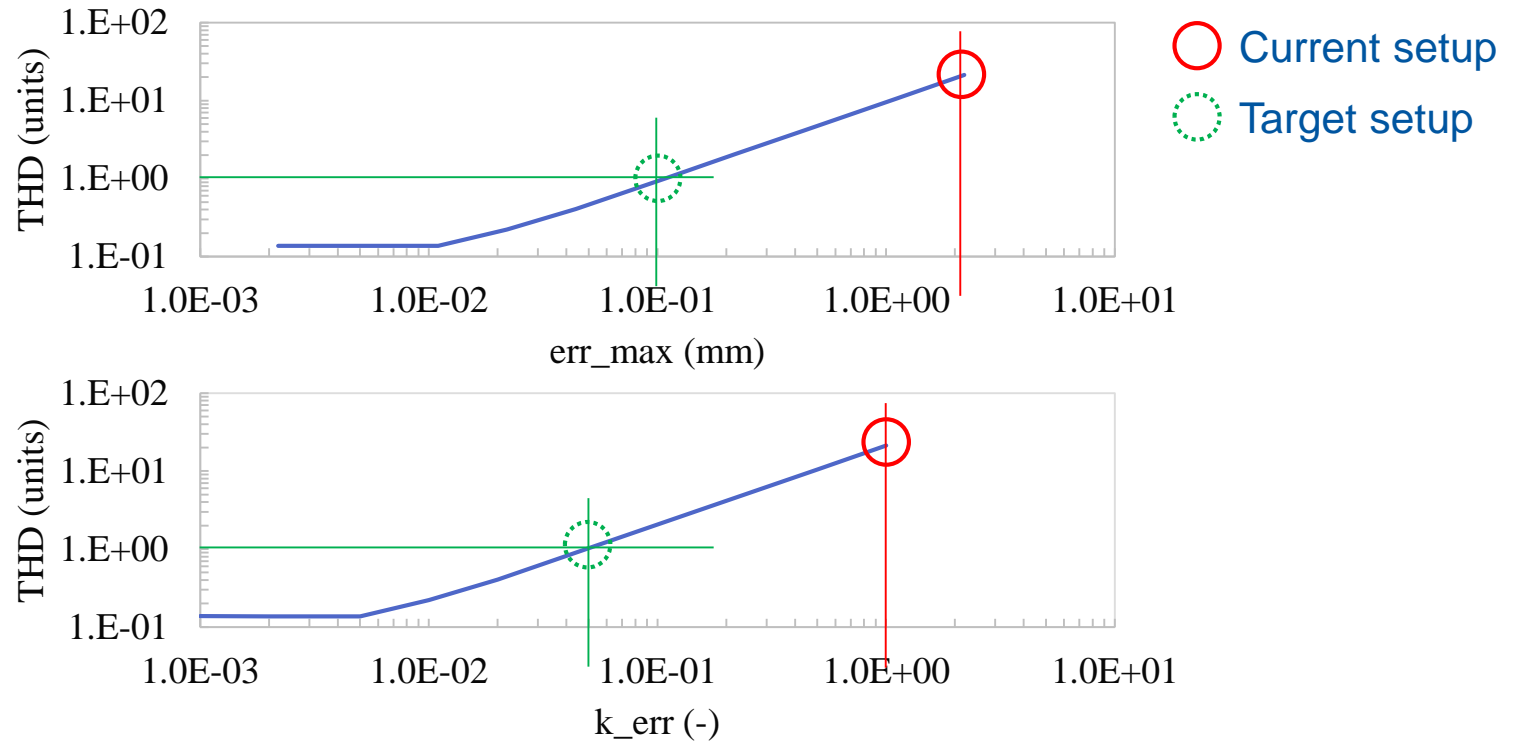
In time domain: $\mathbf{Z}(j\omega) \approx \mathbf{Z}(0) + j\omega \left. \frac{\partial \mathbf{Z}(j\omega)}{\partial j\omega} \right|_{\omega=0}$

$$\mathbf{u}_s(t) \approx \mathbf{R} \mathbf{i}_s(t) + \mathbf{L} \frac{d}{dt} \mathbf{i}_s(t)$$


Linearized field-circuit coupling interface for solid conductors

Extrapolation (1/2): Screen Error

Application of a scaling factor k_ε to geometrical errors $\{\varepsilon_{up}, \varepsilon_{dn}, \varepsilon_{\ell(\theta)}\}$:



If geometrical error is improved by a factor 20 ($k_\varepsilon \leq 0.05$)

i.e. $\max\{\varepsilon_{up}, \varepsilon_{dn}, \varepsilon_{\ell(\theta)}\} \leq 0.1 \text{ mm} \rightarrow \text{THD of the screen} \leq 1 \text{ unit}$