

# On the acceptance extension of electron analysis

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*CALET TIM Firenze 2020*

# Outline

- **The Firenze CALET team** involved in electron analysis is working on the **acceptance extension** (from Acc A to Acc ?) of the electron analysis
- The starting point is *CALET PRL 120, 261102*, where the energy flux was computed using:
  - A+B below 475 GeV
  - A+B+C+D above 475 GeV
- The **main aim** of our work is to give an independent measurement that, even with lower statistics, could be used to **crosscheck or improve the PRL result**

# Idea

	<b>PRL result</b>	<b>This analysis</b>
<b>Strategy</b>	<u>The analysis is divided into <b>four sub-analysis</b></u> , one for each acceptance, which are combined in the end	<u>The analysis is <b>unique</b></u> , relative to an acceptance redefinition, a bit larger than acceptance A
<b>Advantages</b>	<ul style="list-style-type: none"><li>• <b>We completely exploit CALET geometric factor</b></li><li>• We optimize the analysis for each acceptance</li></ul>	<ul style="list-style-type: none"><li>• We have a simple, unique procedure</li><li>• <b>We have a better control on the result</b></li></ul>
<b>Disadvantages</b>	<ul style="list-style-type: none"><li>• Different corrections, functions, variables must be defined for each one of the four acceptances</li><li>• Careful optimization of all sub-analyses takes time</li></ul>	<ul style="list-style-type: none"><li>• Only a subset of CALET geometric factor is used</li><li>• Corrections, functions and variables must be a compromise between event categories</li></ul>

# Challenge

**OBSERVATION** *Treatment of Helium background:*

- The electron (e) signal has both proton (p) and Helium (He) background, which must be suppressed
- p background is unavoidable before rejection (e.g. BDT), but He background can be suppressed using **charge cut**
- Making use of an efficient charge cut that remove He at the beginning, the validation of the whole analysis is dramatically simplified, because it allows us to consider only one source of background (p) over the signal (e)

**REQUIREMENT** *The new acceptance must be defined in a way that allows us to neglect He background after Charge cut, without a dramatic decrease of electron selection efficiency.*



# Study of Charge Reconstruction

# Charge reconstruction

**MOTIVATION** Charge reconstruction was deeply studied for events crossing CHD, but in order to extend the acceptance we need to study charge reconstruction for events crossing IMC, but not necessarily CHD

For this purpose:

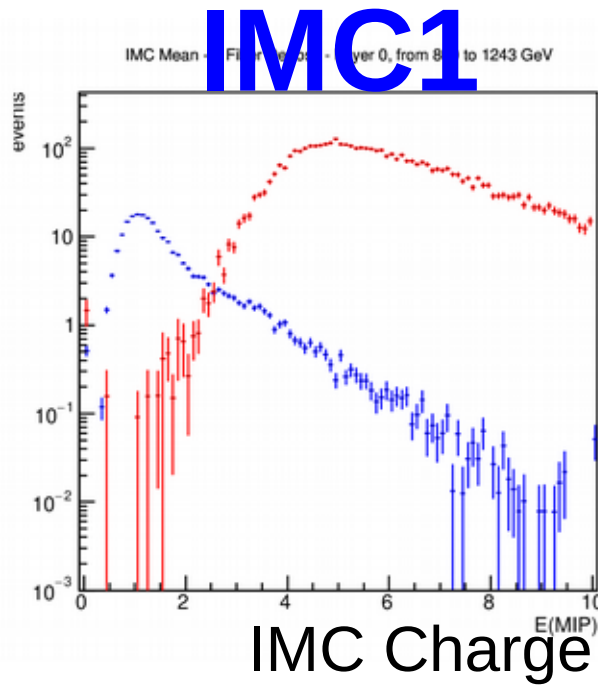
- We look for the first IMCiX-IMCiY layers traversed by the incoming particle in the detector
- We consider the energy deposit within 5 fibers from the reconstructed track on IMCiX and IMCiY
- We define an IMC charge completely equivalent to CHD charge using IMC layer  $i$

$$IMC_i = \sqrt{0.5 * (IMCiX^2 + IMCiY^2)} * \cos(\theta)$$

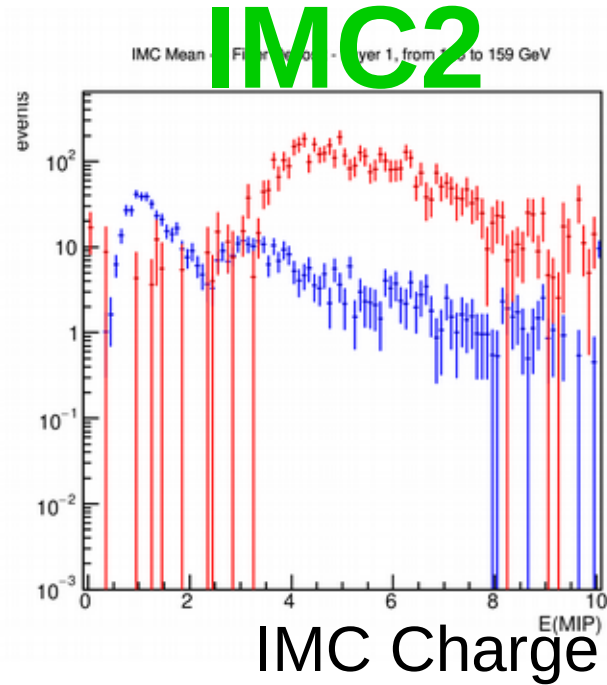
## Charge in IMCX

■ Electron  
■ Helium

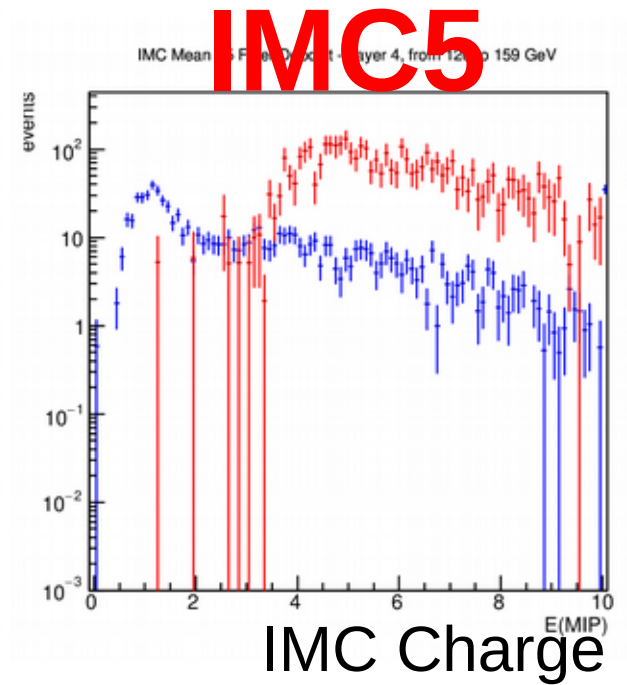
Particle enters the detector before IMCX but after IMC(X-1)



Good separation



Bad separation



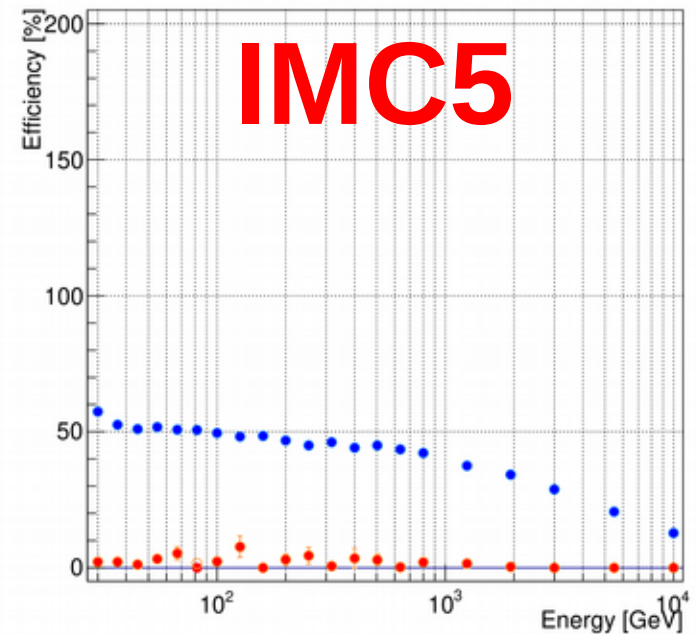
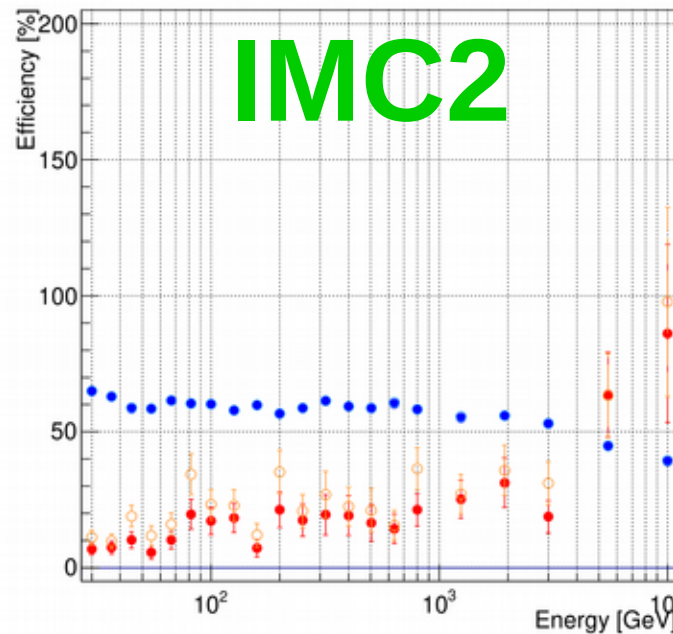
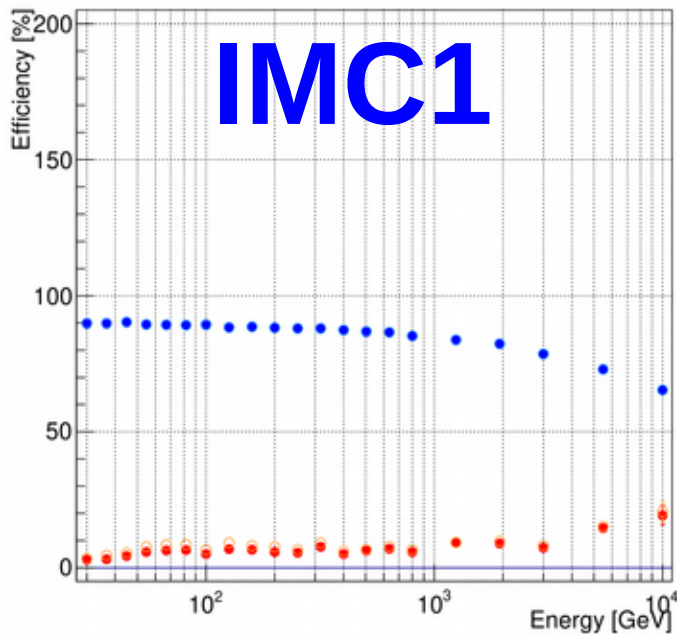
Good separation,  
large tails

# Electron selection

## IMC charge < 2.5 MIP

■ Efficiency  
 $(N_e^{\text{cut}}/N_e^{\text{tot}})$   
■ Contamination  
 $(N_{\text{He}}^{\text{cut}}/N_e^{\text{cut}})$

$N_e^{\text{tot}}$  = number of e above 0 MIP  
 $N_e^{\text{cut}}$  = number of e in [0.3, thr] MIP



Contamination < 10%  
Efficiency < 80%

Contamination < 30%  
Efficiency < 50%

Contamination < 5%  
Efficiency < 50%

# Some comments

**SUMMARY** Charge reconstruction in IMC using only the first IMCiX-IMCiY layers traversed by the incoming particle in the detector does not lead to good performances

**OBSERVATION** In order to increase reconstruction performances we can use all IMC layers, starting from the entrance one, that have the same  $W$  thickness ( $0.2 X_0$ ) between them:

- IMC1X,IMC1Y,IMC2X,... IMC6Y for entrance before IMC1
- IMC2X,... IMC6Y for entrance before IMC2
- ...
- IMC5X,... IMC6Y for entrance before IMC5

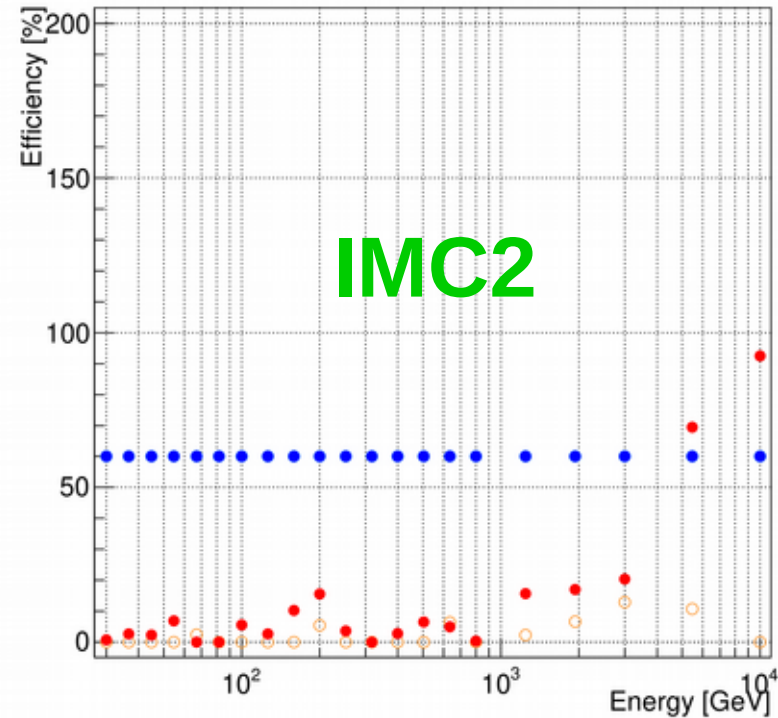
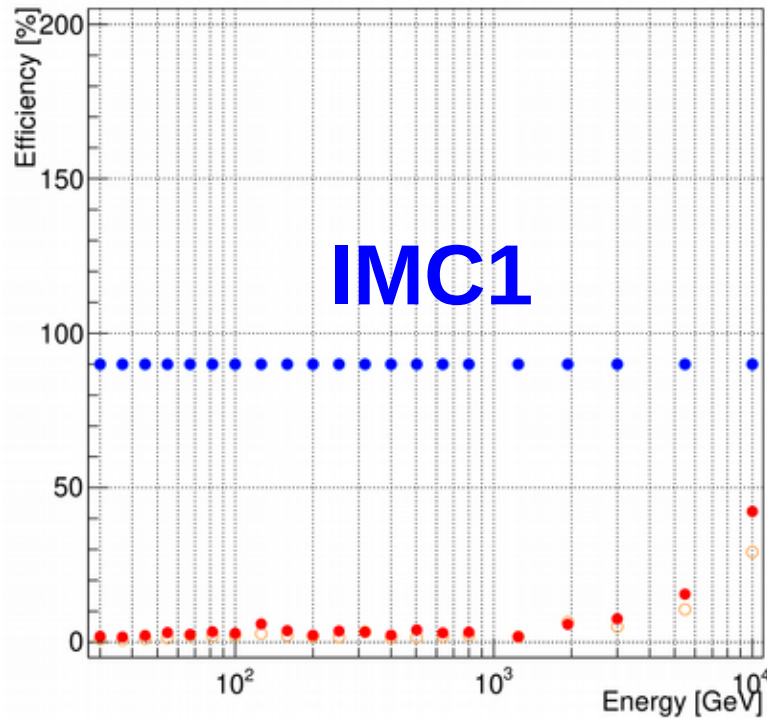
**STRATEGY** The IMC charge is obtained from **BDT** applied to all these variables (+ track length before first IMC layers), separately training each sample according to the first IMCiX-IMCiY layers traversed by the incoming particle in the detector

# BDT charge

■ Efficiency  
( $N_e^{\text{test}}/N_e^{\text{total}}$ )  
■ Contamination  
( $N_{\text{He}}^{\text{test}}/N_e^{\text{test}}$ )

□ Efficiency  
( $N_e^{\text{train}}/N_e^{\text{total}}$ )  
□ Contamination  
( $N_{\text{He}}^{\text{train}}/N_e^{\text{train}}$ )

$N_e^{\text{test}}$  = number of e above  
threshold in test sample  
 $N_e^{\text{total}}$  = number of e events in  
the all sample (test or train)



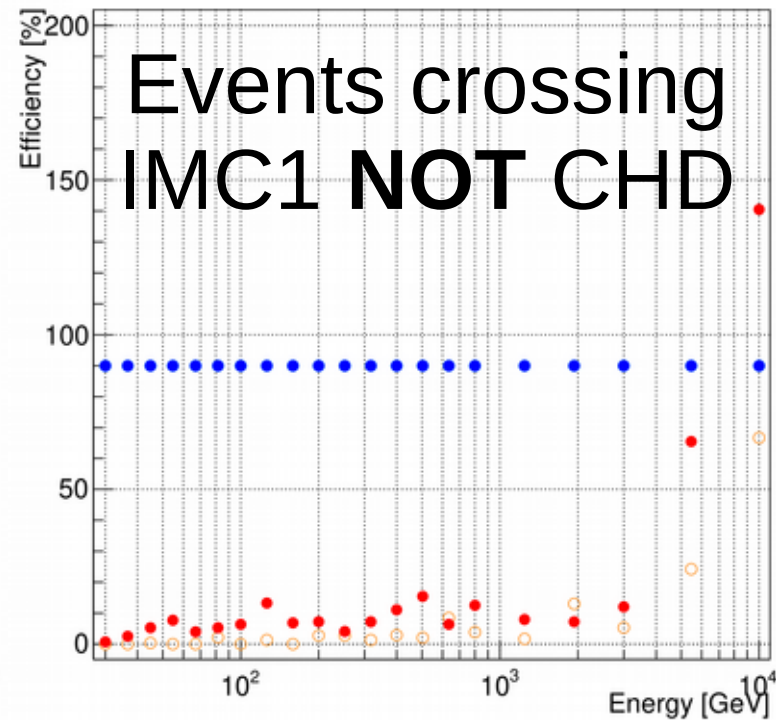
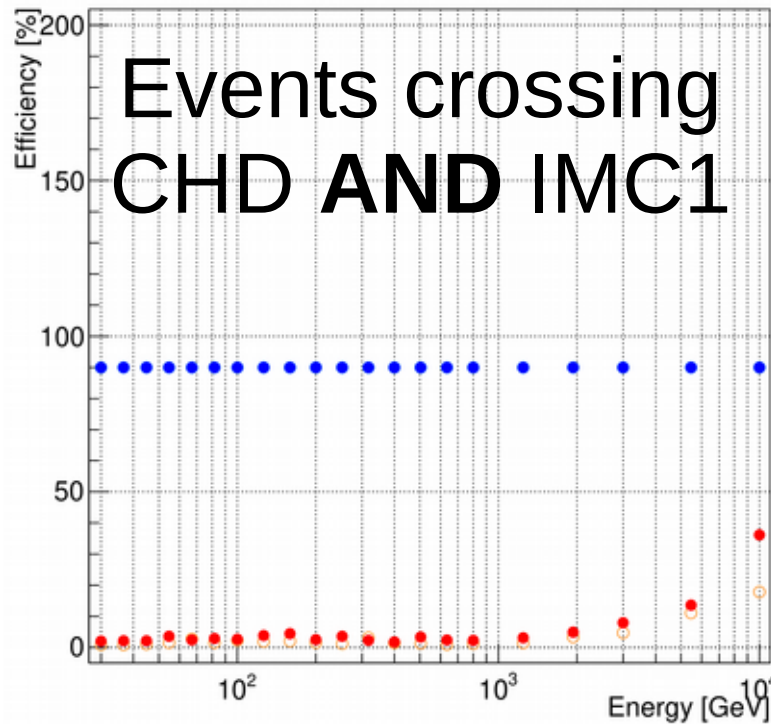
Despite a clear improvement, we were not able to get low **He contamination** and high **e efficiency**

# BDT charge

■ Efficiency  
 $(N_e^{\text{test}}/N_e^{\text{total}})$   
■ Contamination  
 $(N_{\text{He}}^{\text{test}}/N_e^{\text{test}})$

Efficiency  
 $(N_e^{\text{train}}/N_e^{\text{total}})$   
 Contamination  
 $(N_{\text{He}}^{\text{train}}/N_e^{\text{train}})$

$N_e^{\text{test}}$  = number of e above  
 threshold in test sample  
 $N_e^{\text{total}}$  = number of e events in  
 the all sample (test or train)



Furthermore, the best reconstruction performances are obtained for the events crossing CHD as well

# Definition of a new Acceptance



# Some comments

**SUMMARY** Charge reconstruction in IMC is very difficult and is working only for events where the incident particle transverses IMC1: however, even in this case, we need to use information from IMC1X,...,IMC6Y, eventually correct MC charge for each layer and finally apply BDT algorithm

**QUESTION** Which is the relative gain in statistics?

**METHOD** Considering the events belonging to Acceptance (A) OR (B) OR (C) OR (D), we can study which is the relative gain in statistics respect to Acceptance A using one of this three extended acceptances:

- E - Particles crossing CHD
- F - Particles crossing IMC1
- G - All Particles (A+B+C+D)

# Idea

The relative gain in statistics is expressed in terms of relative gain in the geometric factor (GF) and in the effective geometric factor ( $EGF = GF \times \varepsilon$ ).

For our computation, we assume that the difference in selection efficiency  $\varepsilon$  is due to **charge selection** only, whereas all others selections do not have any impact.

We roughly assume  $\varepsilon$ :

- **100%** if charge is reconstructed using **CHD**
- **90%** if charge is reconstructed using **IMC1**
- **60%** if charge is reconstructed using **IMC2, 3, 4 or 5**

# Estimation

	EGF	Relative $\sigma_{\text{STAT}}$ in Acc X / Relative $\sigma_{\text{STAT}}$ in Acc A ( $1/\sqrt{\text{EGF}}$ )
Acc G/A	2.00	0.71
Acc F/A	1.60	0.79
Acc E/A	1.55	0.80

**NOTE** Using the reconstruction methods currently available, we can reduce statistical uncertainty by at most 30% if we consider the analysis based on Acceptance G (A+B+C+D), but it is challenging

**CONCLUSION** Given the 20% reduction in statistical uncertainty and the relative simplicity of the analysis, in this work we decided to study the **feasibility of an analysis based on Acceptance E**<sup>15</sup>

Setting up the analysis for Acceptance E

# Acceptance E

	<b>x &lt; A [cm]</b>	<b>y &lt; B [cm]</b>	<b>@ z [cm]</b>
CHD X	44.969	45.0	0.7005
CHD Y	45.0	44.969	1.8535

**AND**

	<b>Trk.Len. &gt; C [cm]</b>
TASC	26.42

	<b>Fraction of other acceptances</b>
A	100%
B	100%
C	0%
D	33%

**Expected geometric factor  
(to be confirmed in future  
using simulations)**

642 cm<sup>2</sup>sr

# Preselection

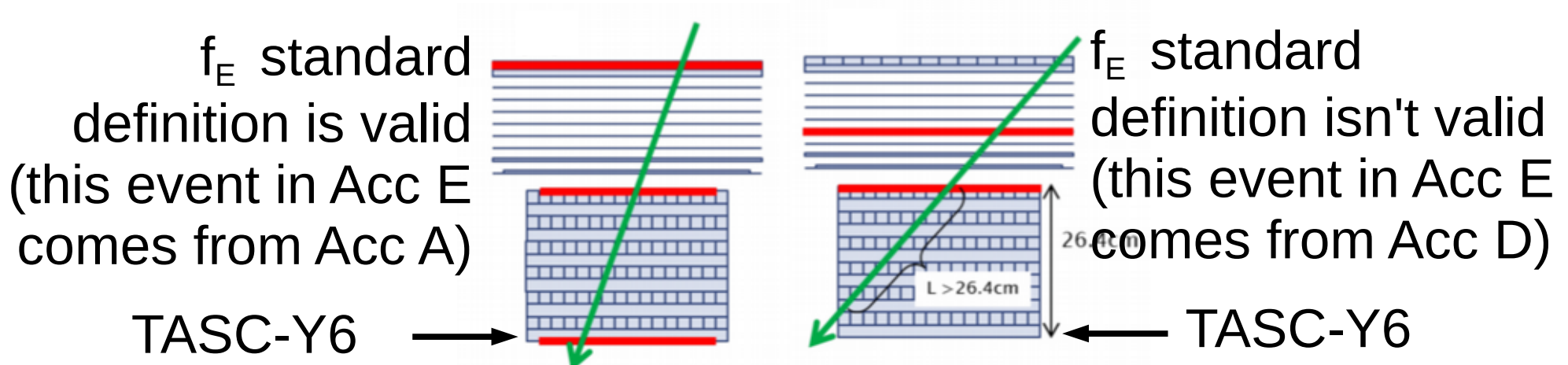
- HET Software trigger
- Good Kalman filter track in IMC
- Track inside Acceptance E
- Charge cut CHD  $< 3.5$  MIP
- TASC Consistency  $< 2$  cm
- TASC Concentration  $< 0.8$
- Shower Track  $< 10^\circ$
- Gamma Fit Consistency
- Shower Concentration  $> 0.5$

# $f_E$ definition

**MOTIVATION** The variable  $f_E$  ( $dE_{\text{TASC-Y6}}/\sum_i dE_{\text{TASC-i}}$ ) must be redefined because the particle can exit before TASC6Y.

**STRATEGY** We defined and test 3 different  $f_E$ :

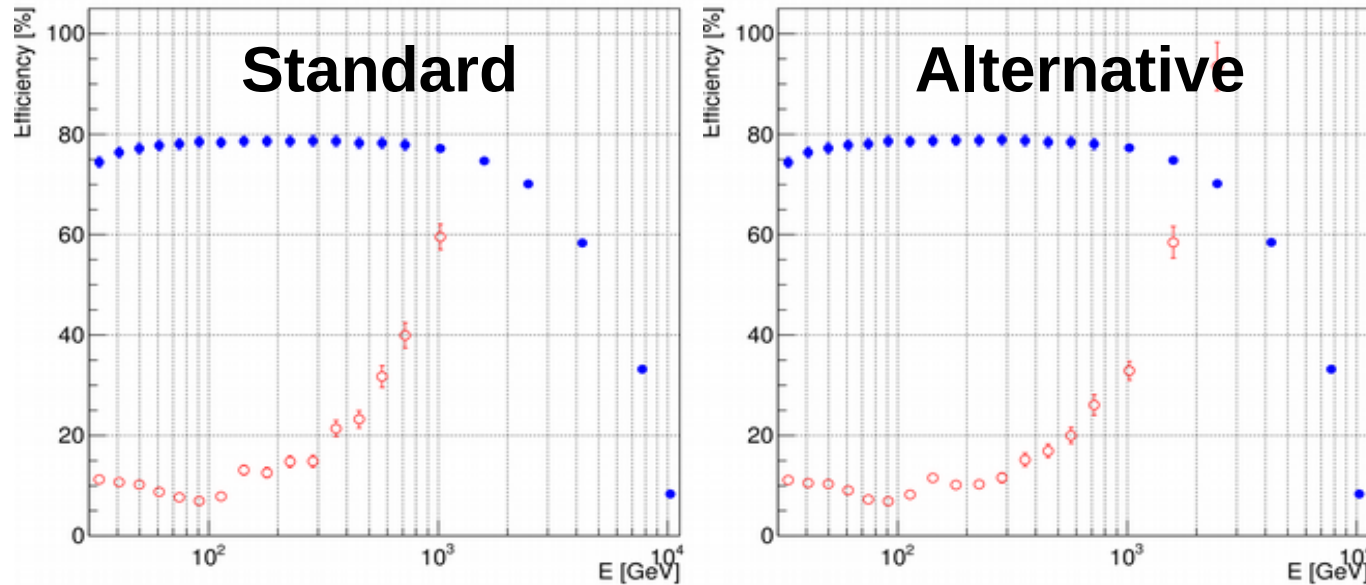
- Standard approach:  $F_E$  from TASC Y6 (as in Acc A)
- Alternative approach:  $F_E$  from the last TASC layer transversed for at least half the log depth, appropriately correcting the energy deposit in it for the fraction of transversed log depth



# K cut rejection

$$K = \log_{10}(f_E) + 0.65xR_E$$

- Efficiency  
( $N_e^{\text{cut}}/N_e^{\text{tot}}$ )
- Contamination  
( $N_p^{\text{cut}}/N_e^{\text{cut}}$ )



As expected, the Standard approach obviously fails, whereas the Alternative approach is the best one

Alternative  $f_E$  definition is used in this analysis



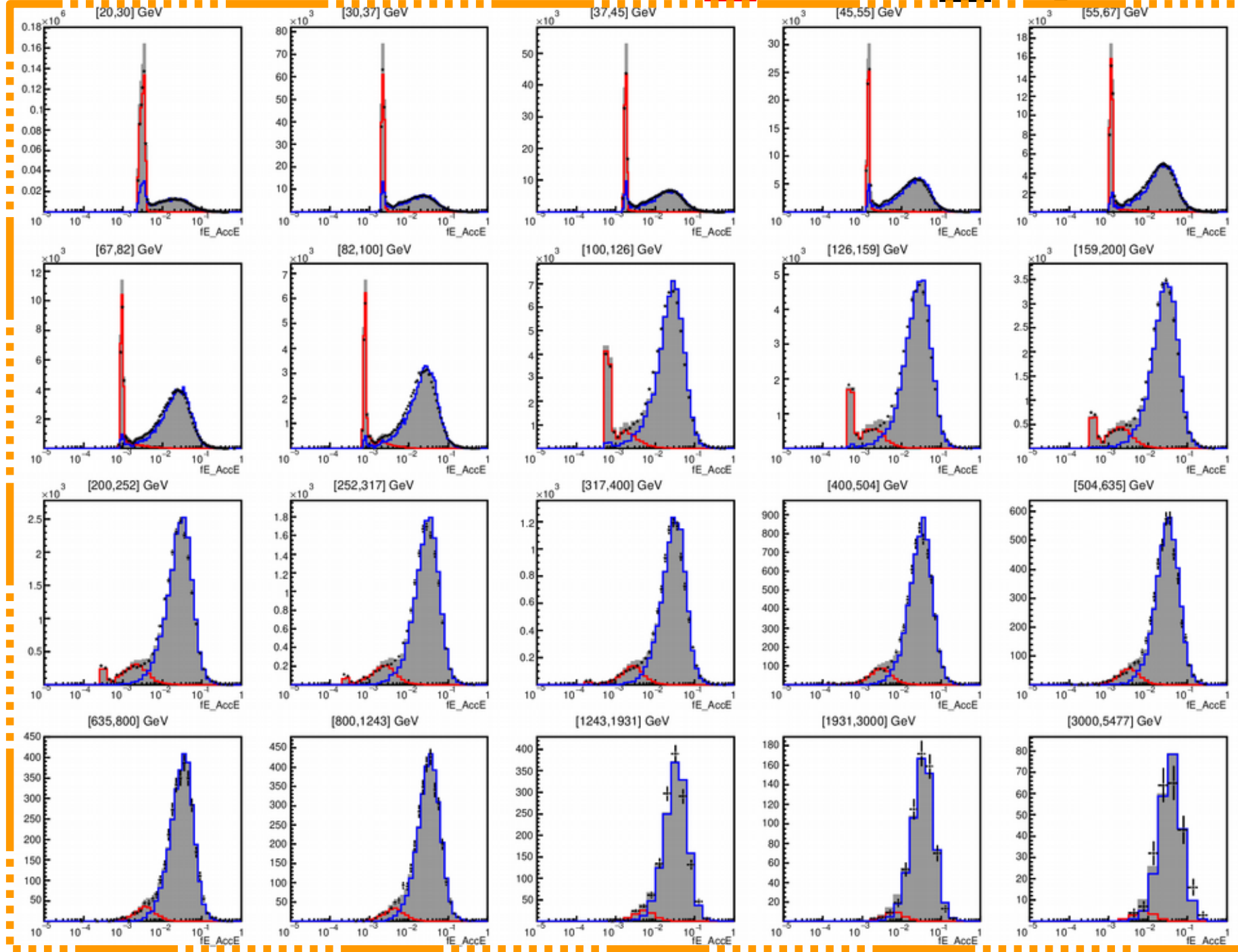


# FD-MC distributions comparison after Preselection

$f_E$ 

EPICS

■ Proton    ■ Proton+Electron  
■ Electron    ■ Flight Data

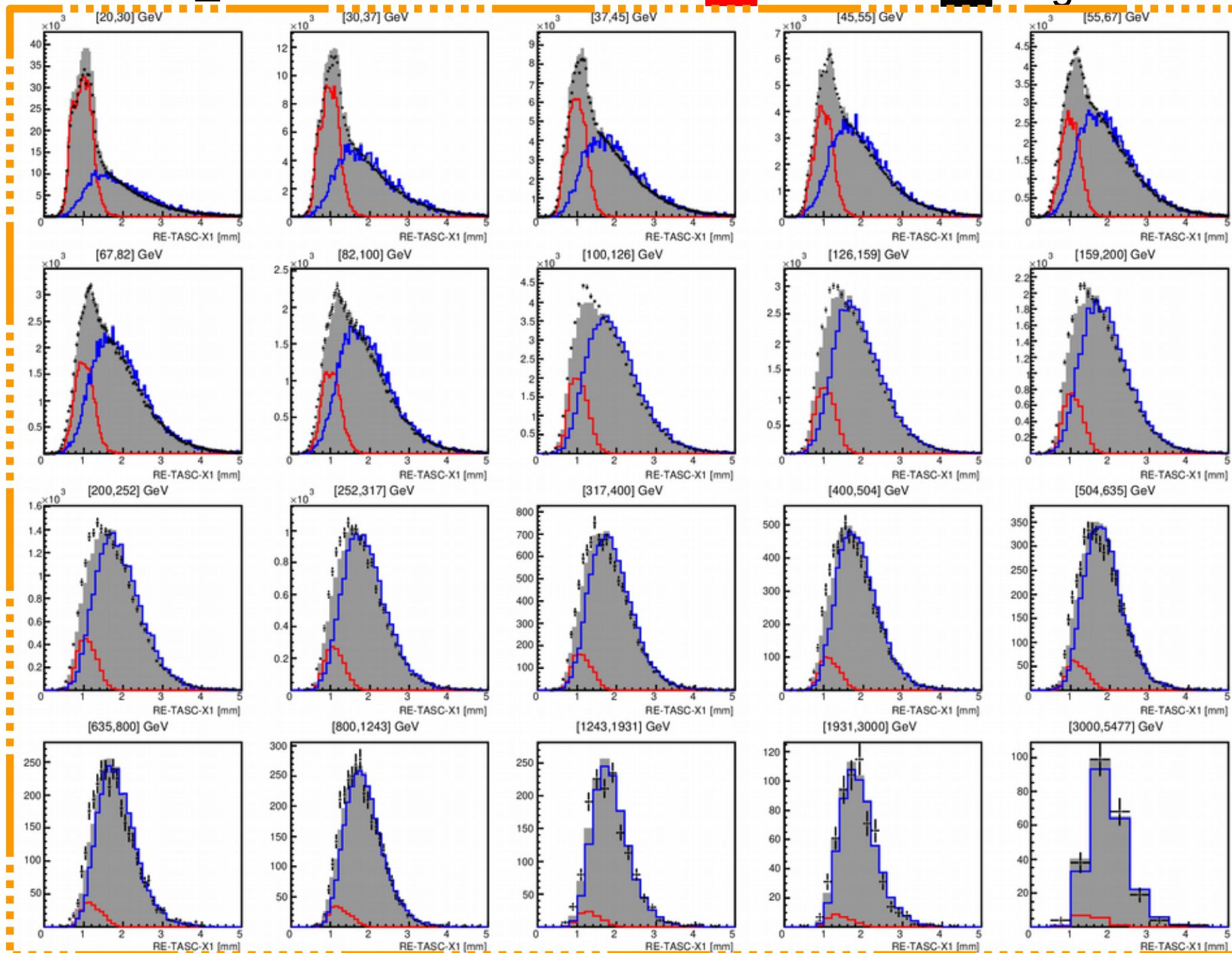


Used for BDT

# $R_E[0]$

## EPICS

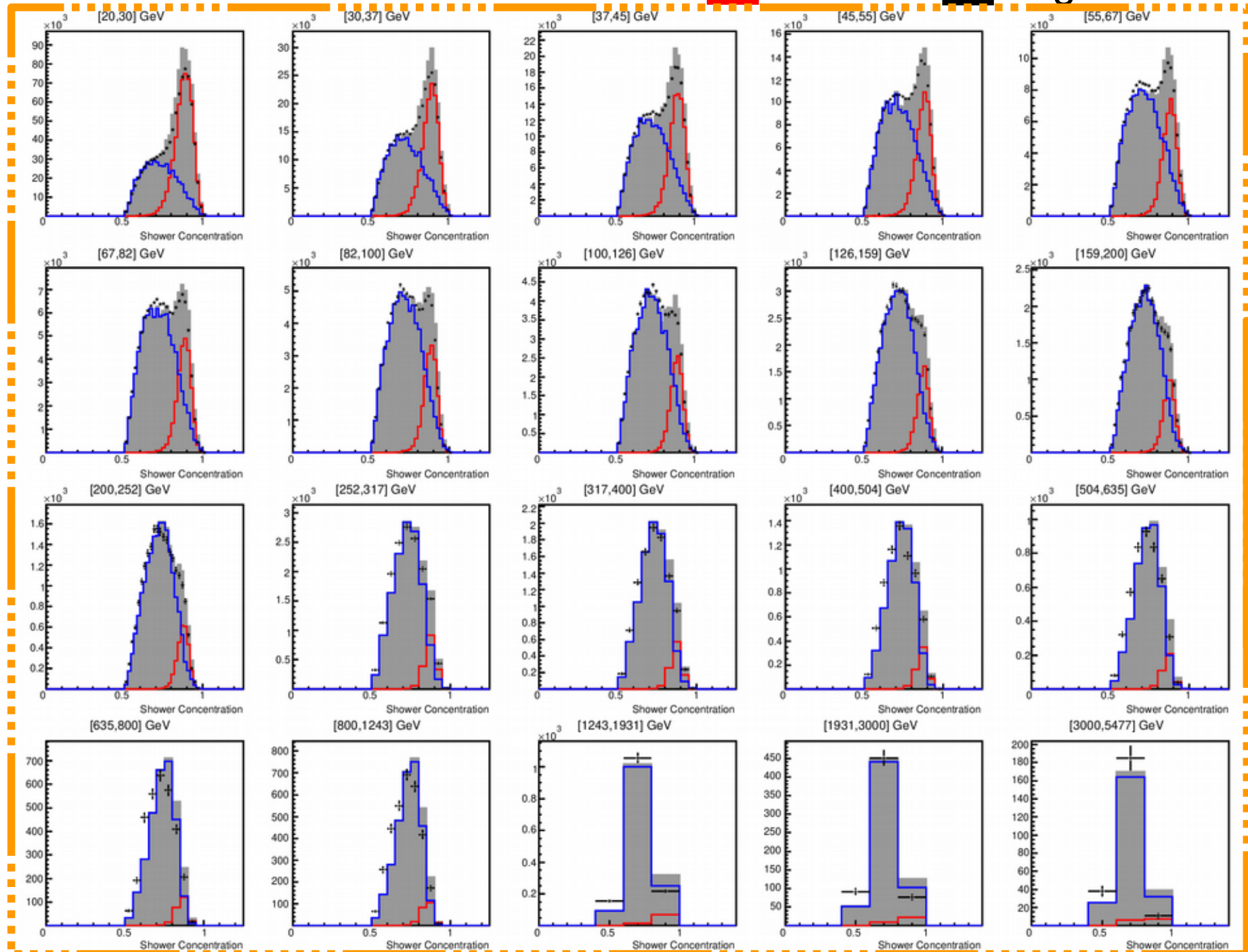
■ Proton    ■ Proton+Electron  
■ Electron    ■ Flight Data



Used for BDT

# IMC Shower Conc EPICS

■ Proton    ■ Proton+Electron  
■ Electron    ■ Flight Data



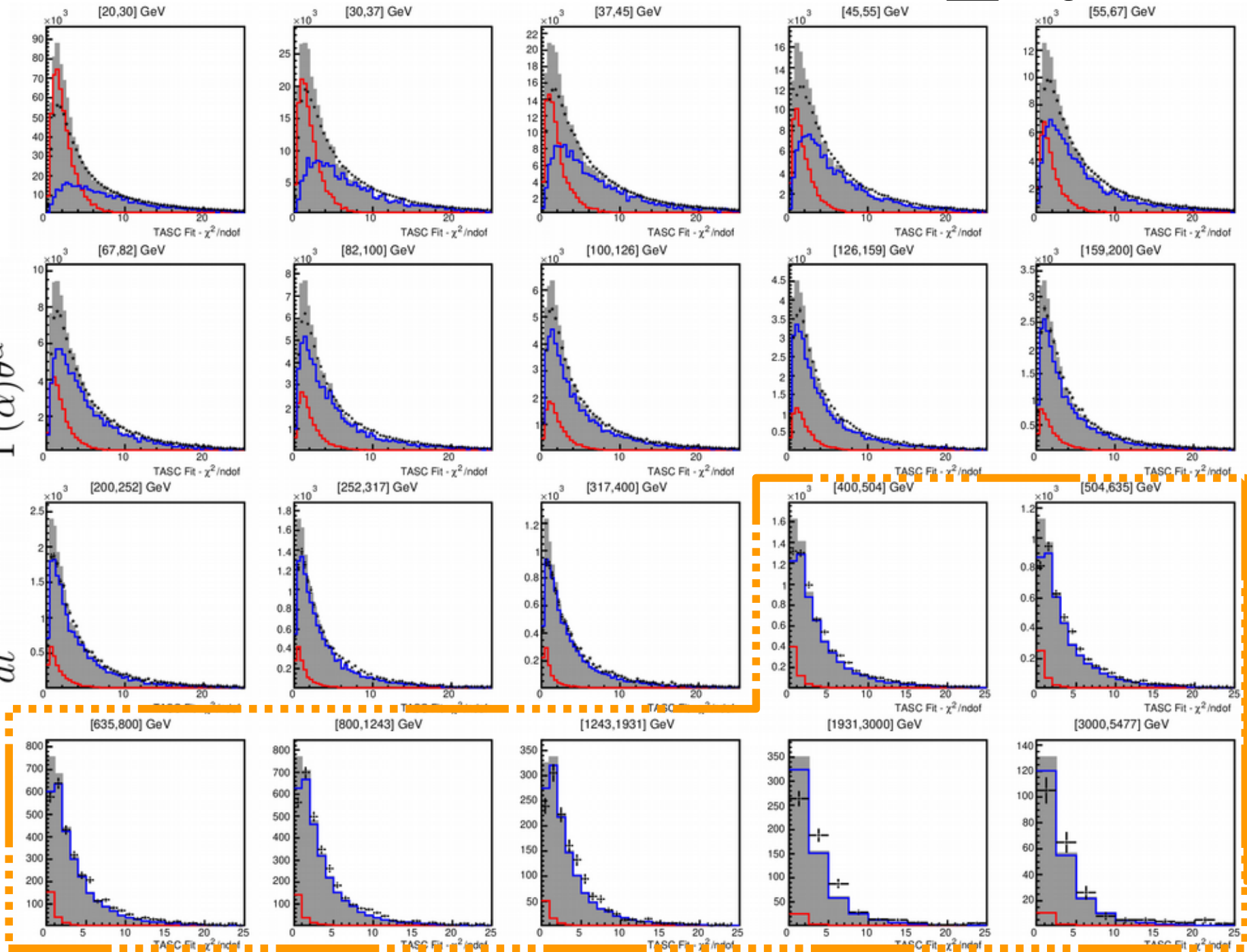
Used for BDT



# TASCFit - $\chi^2/\text{ndof}$ EPICS

■ Proton     ■ Proton+Electron  
■ Electron     ■ Flight Data

$$\frac{dE}{dt} = E_0 \frac{(t-t_0)^{\alpha-1} e^{-\frac{(t-t_0)}{\theta}}}{\Gamma(\alpha)\theta^{\alpha}}$$

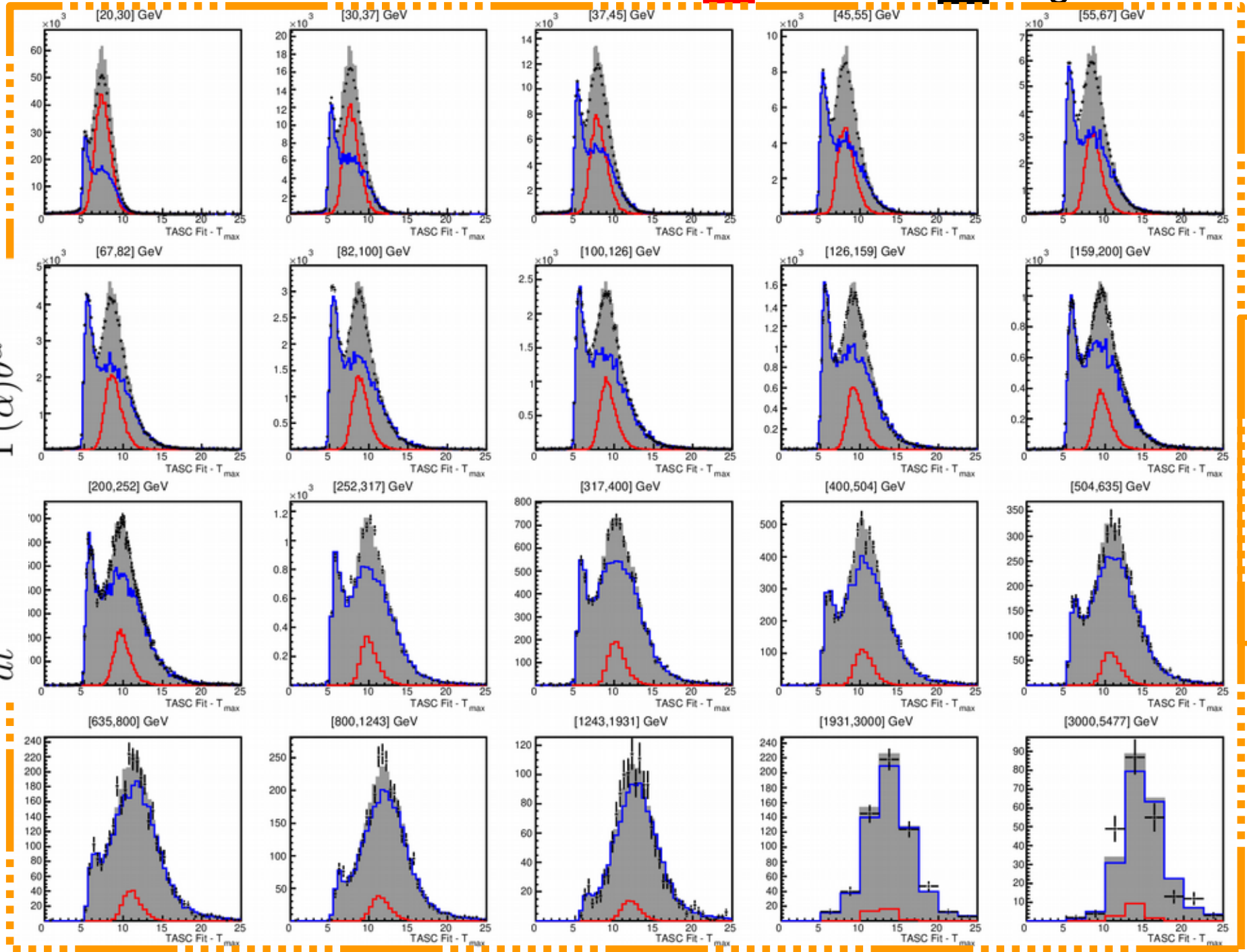


Used for BDT

# TASCFit - $T_{\max}$

EPICS ■ Proton ■ Proton+Electron  
■ Electron ■ Flight Data

$$\frac{dE}{dt} = E_0 \frac{(t-t_0)^{\alpha-1} e^{-\frac{(t-t_0)}{\theta}}}{\Gamma(\alpha)\theta^{\alpha}}$$

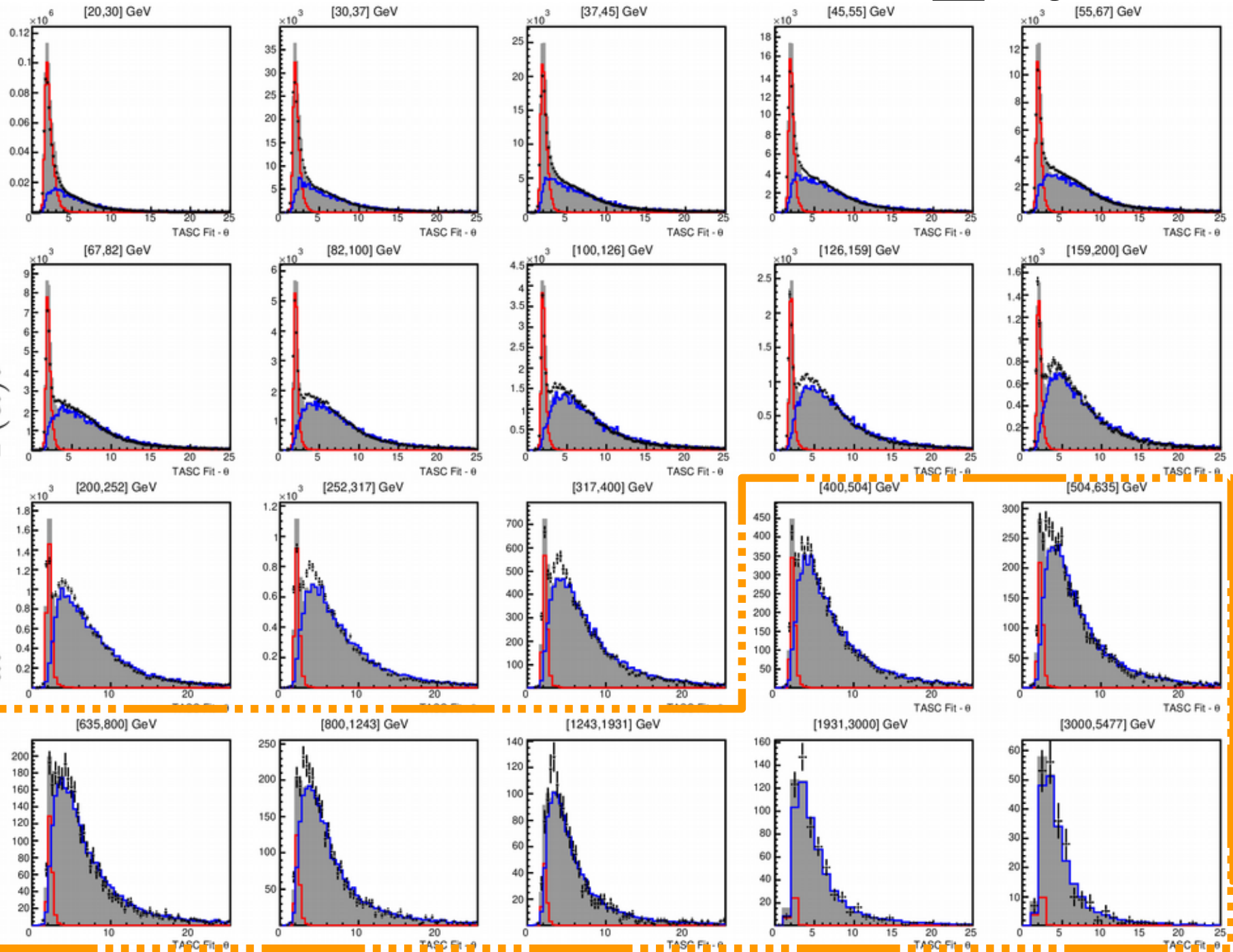


Used for BDT

# TASCFit - $\theta$

EPICS ■ Proton ■ Proton+Electron  
■ Electron ■ Flight Data

$$\frac{dE}{dt} = E_0 \frac{(t - t_0)^{\alpha-1} e^{-\frac{(t-t_0)}{\theta}}}{\Gamma(\alpha)\theta^\alpha}$$



Used for BDT

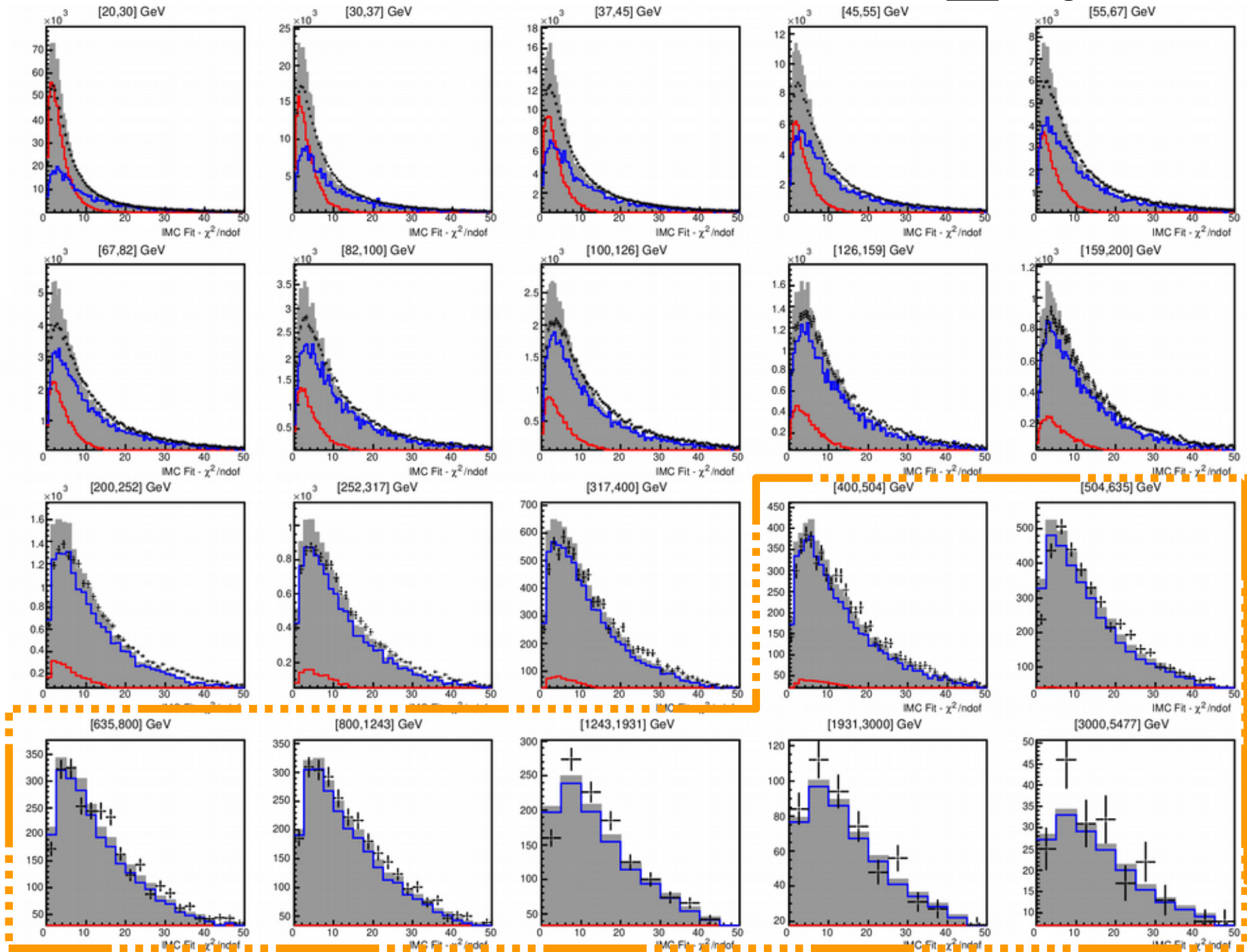


# IMCFit - $\chi^2/\text{ndof}$

EPICS

- Proton
- Proton+Electron
- Electron
- Flight Data

$$E(t) = p_0 + p_1 \cdot t^2$$



Used for BDT

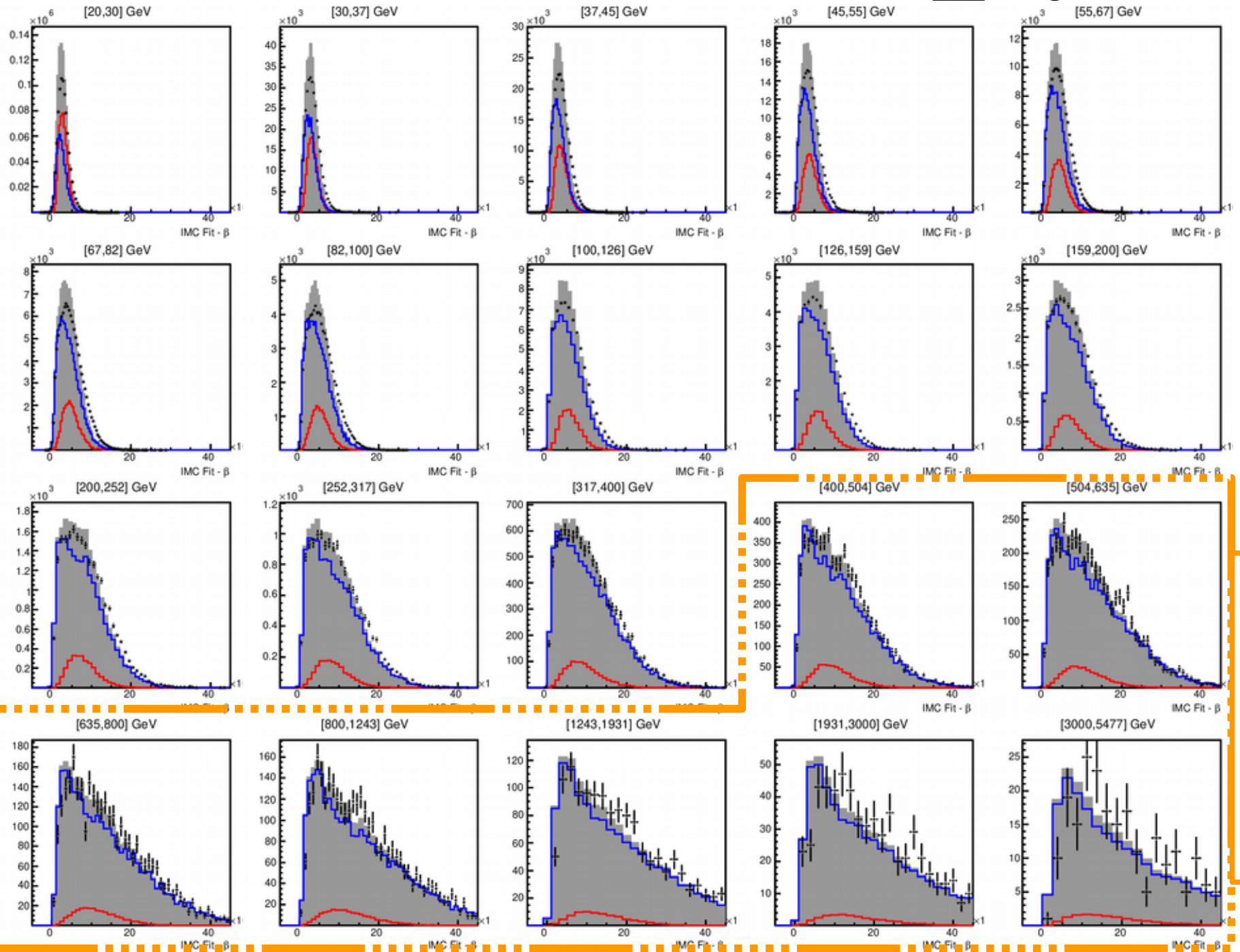


# IMCFit - p1

EPICS



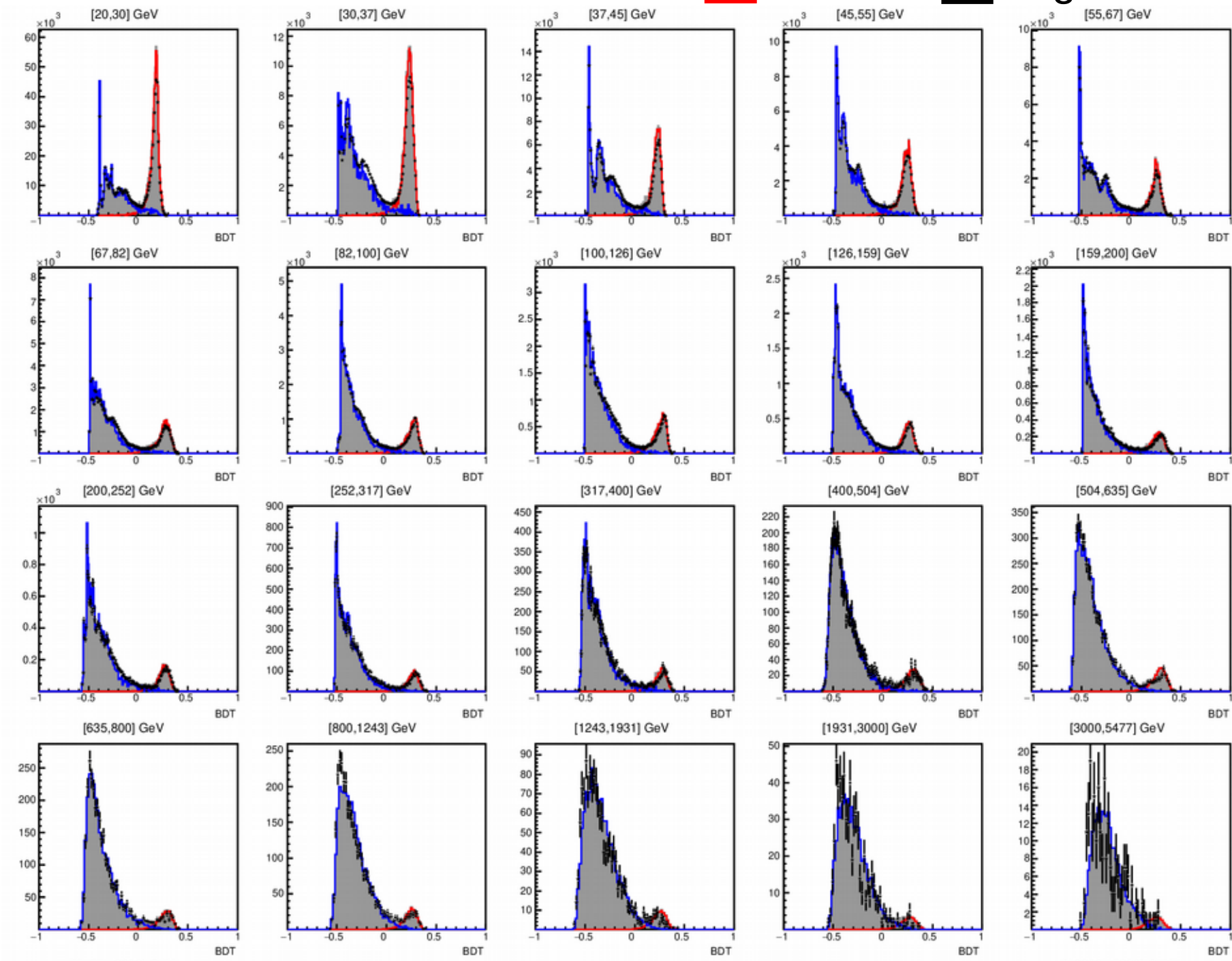
$$E(t) = p_0 + p_1 \cdot t^2$$



Used for BDT

# BDT

**EPICS** ■ Proton ■ Proton+Electron  
■ Electron ■ Flight Data



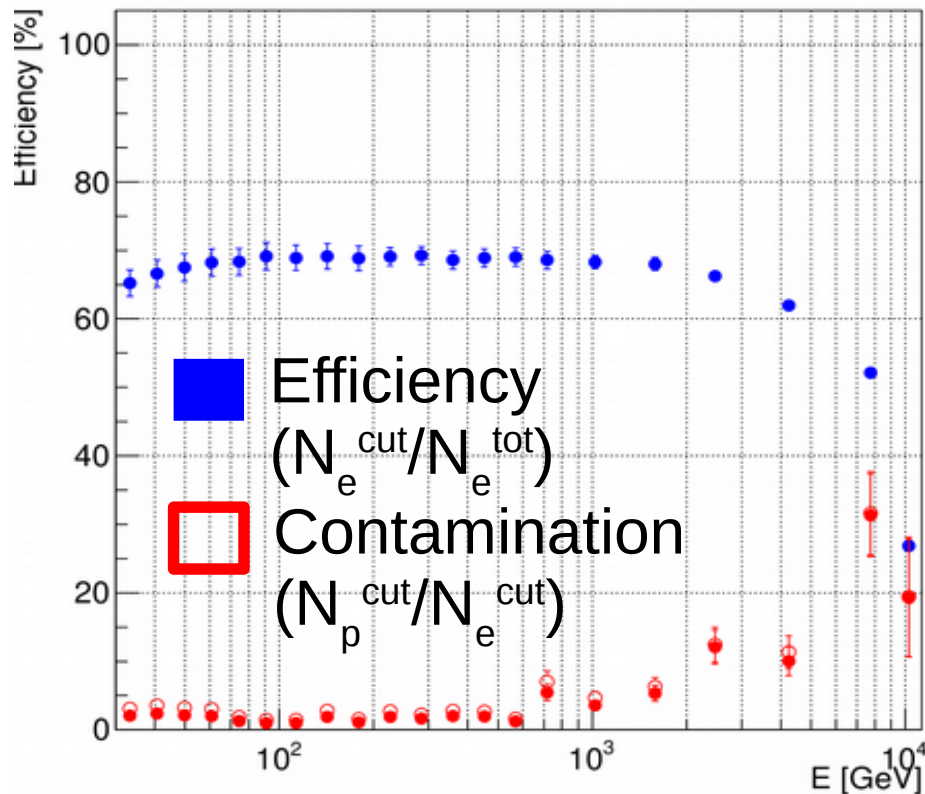


Preliminary Electron Flux  
in Acceptance E

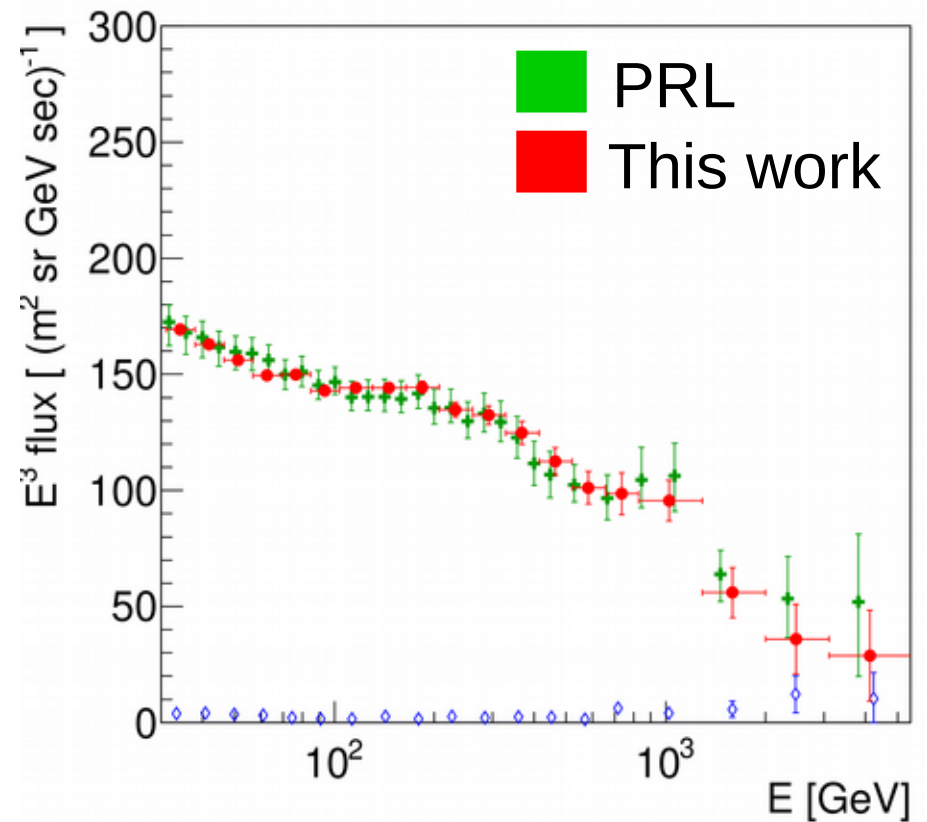
# Preliminary Flux in Acceptance E

Statistical Uncertainty only

After BDT



Calculated flux multiplied by  $E^3$

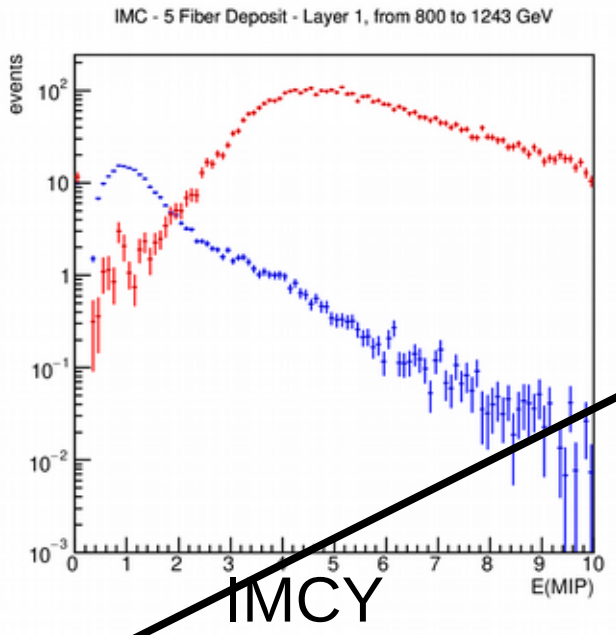
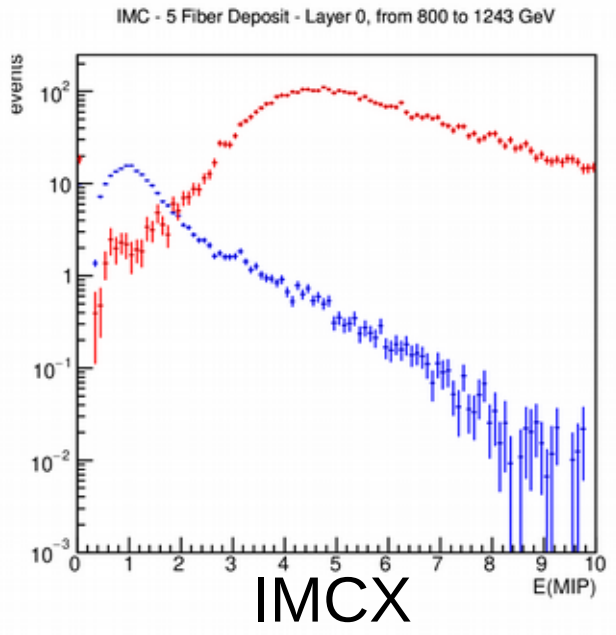


See Lorenzo's talk for detailed discussion of the electron flux

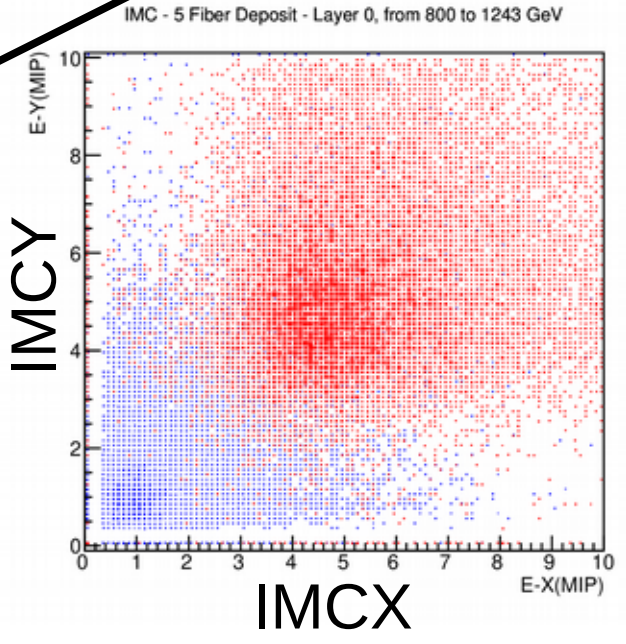
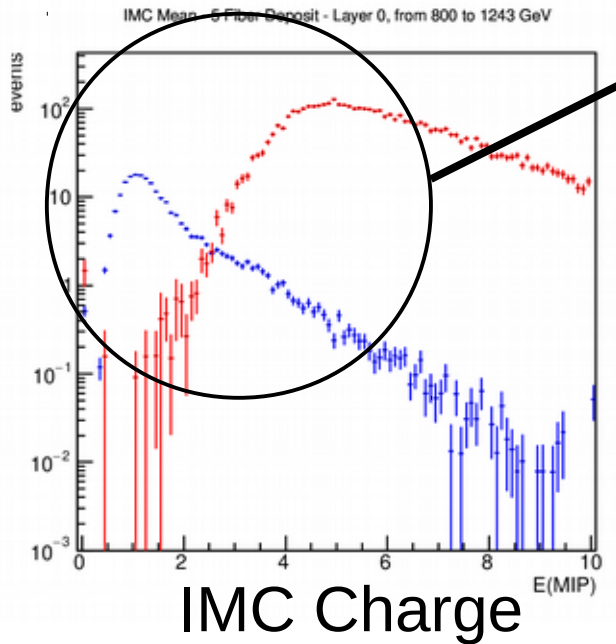
Back Up

## Charge in IMC1

■ Electron  
■ Helium



Good separation



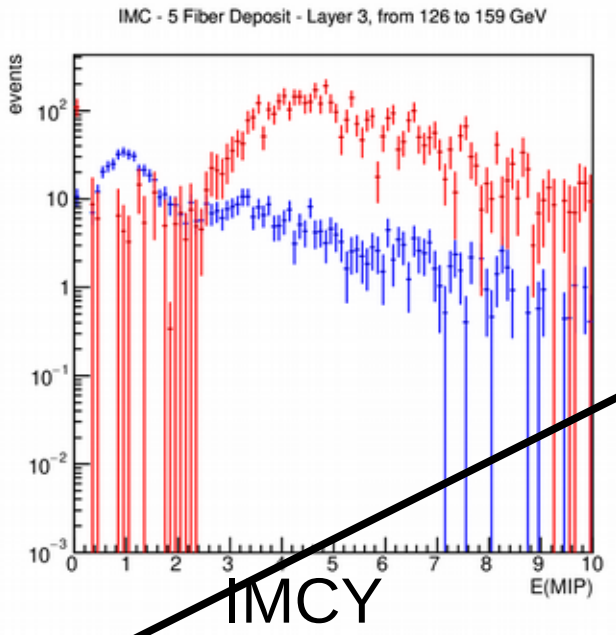
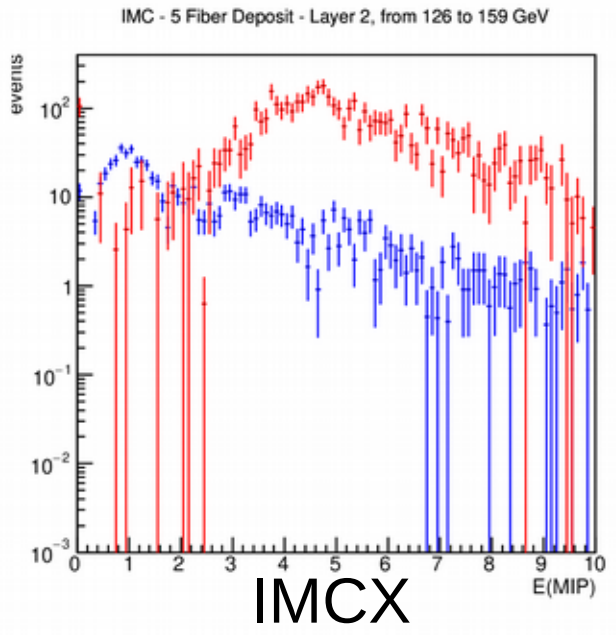
### MEANING

This is the charge reconstructed in the first IMC layer (IMC1) in events where the incident particle enters CALET before IMC1 (before or after CHD)

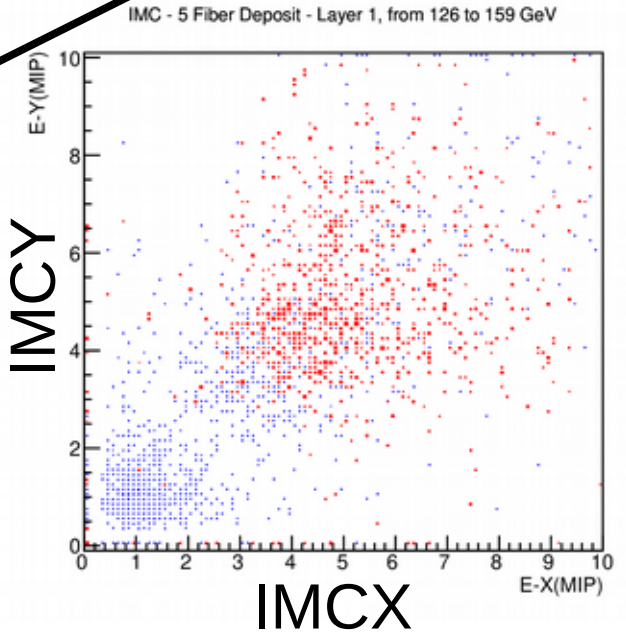
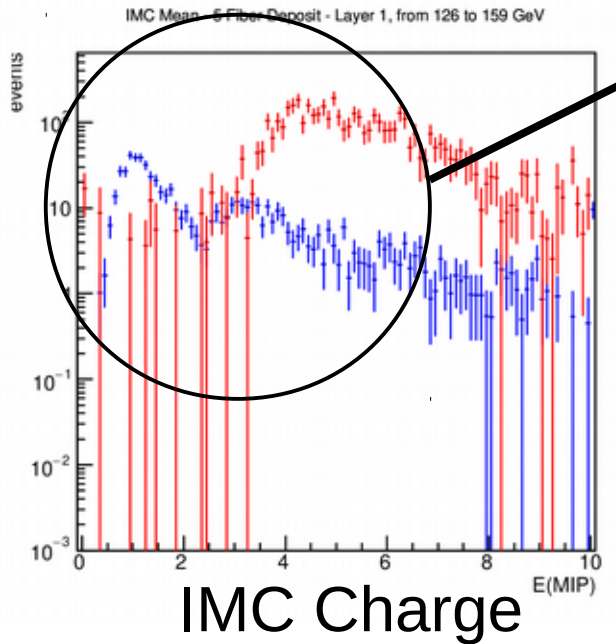


## Charge in IMC2

■ Electron  
■ Helium



Bad separation

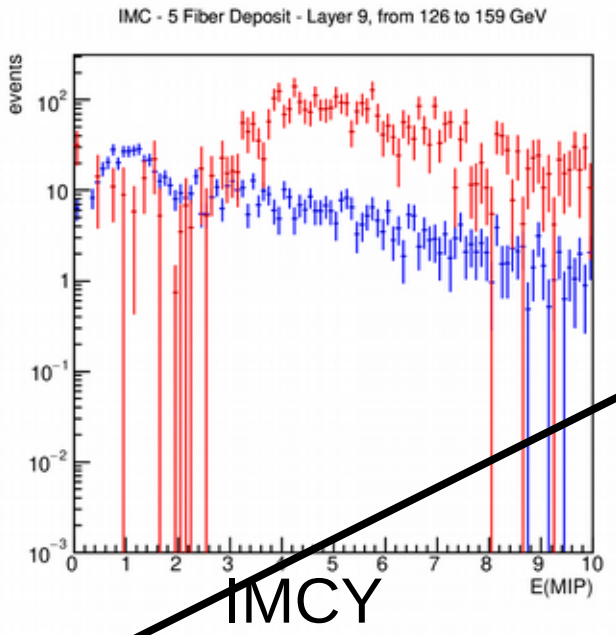
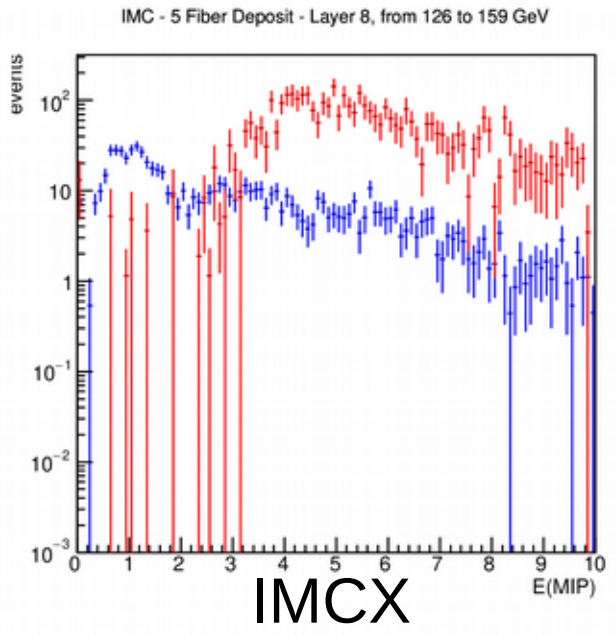


**MEANING**

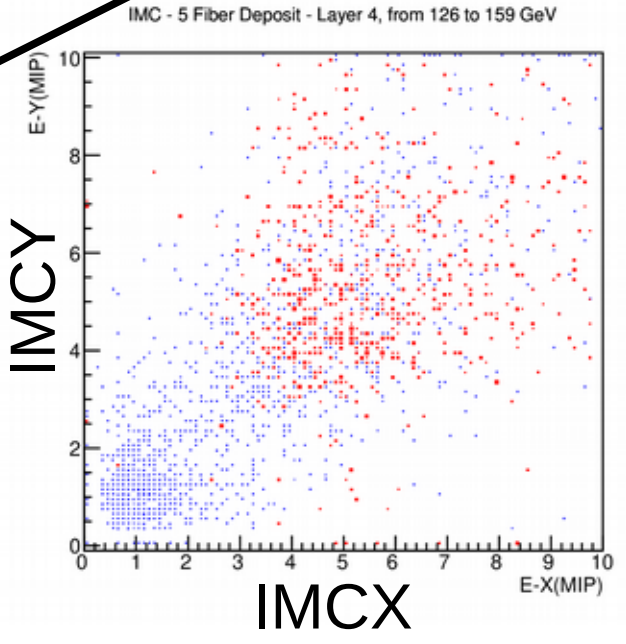
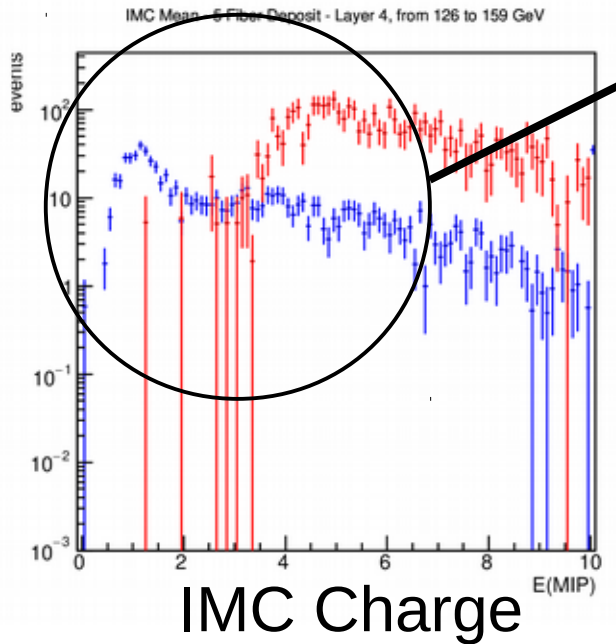
This is the charge reconstructed in the second IMC layer (IMC2) in events where the incident particle enters CALET before IMC2 (after IMC1)

## Charge in IMC5

■ Electron  
■ Helium



Good separation,  
Large tails



### MEANING

This is the charge reconstructed in the fifth IMC layer (IMC5) in events where the incident particle enters CALET before IMC5 (after IMC4)

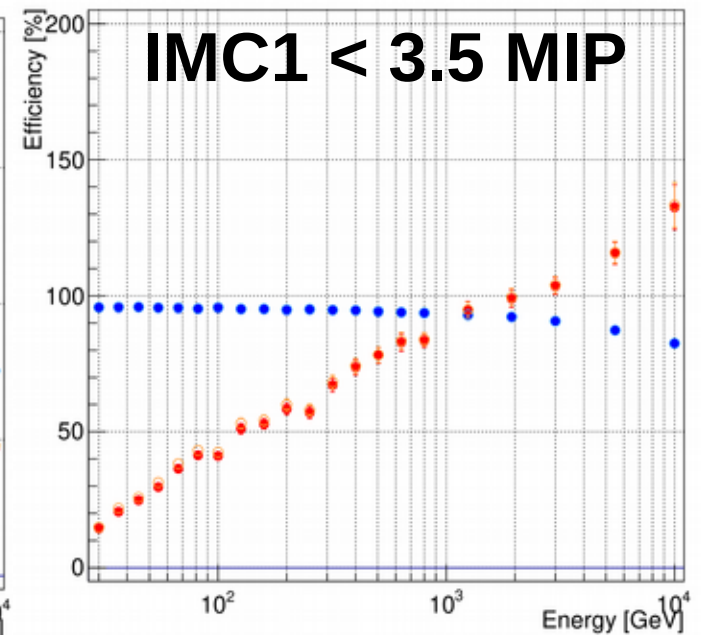
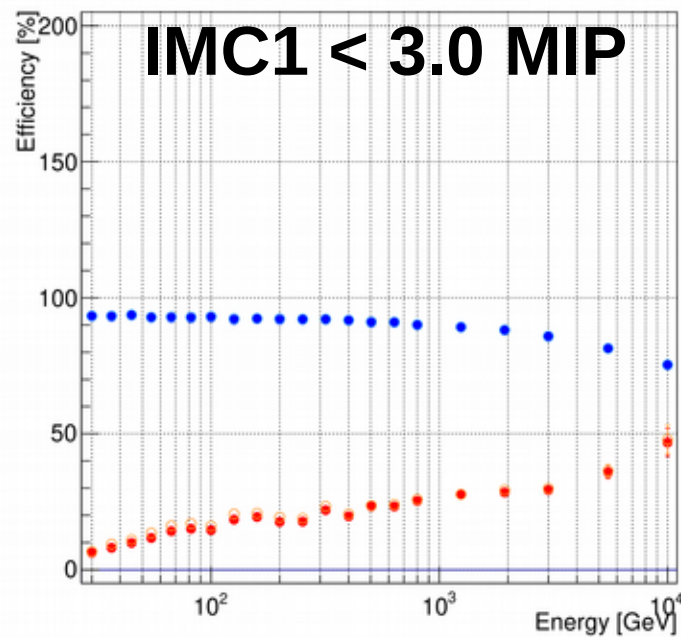
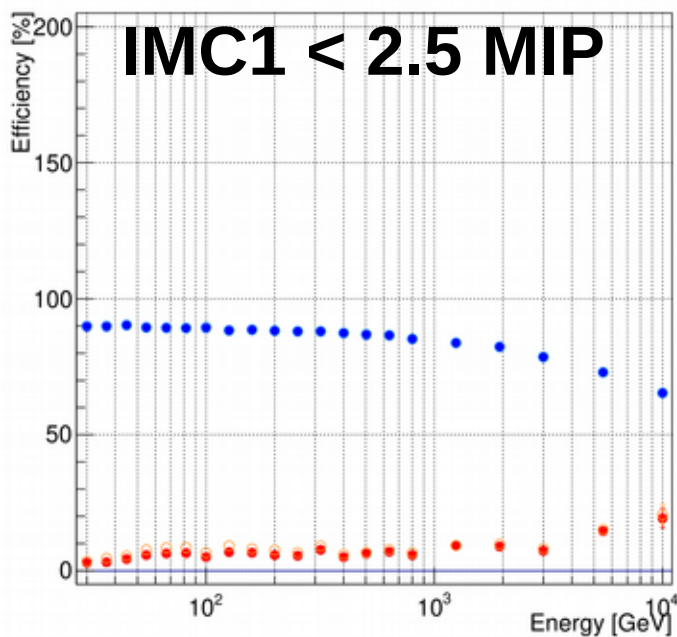


# Variable MIP Threshold on IMC variable using 5 fibers

■ Efficiency  
 $(N_e^{\text{cut}}/N_e^{\text{tot}})$   
■ Contamination  
 $(N_{\text{He}}^{\text{cut}}/N_e^{\text{cut}})$

Efficiency  
 $(N_e/N_e^{\text{tot}})$   
 Contamination  
 $(N_{\text{He}}/N_e)$

$N_e^{\text{tot}}$  = number of e above 0 MIP  
 $N_e$  = number of e in  $[0, \text{thr}]$  MIP  
 $N_e^{\text{cut}}$  = number of e in  $[0.3, \text{thr}]$  MIP



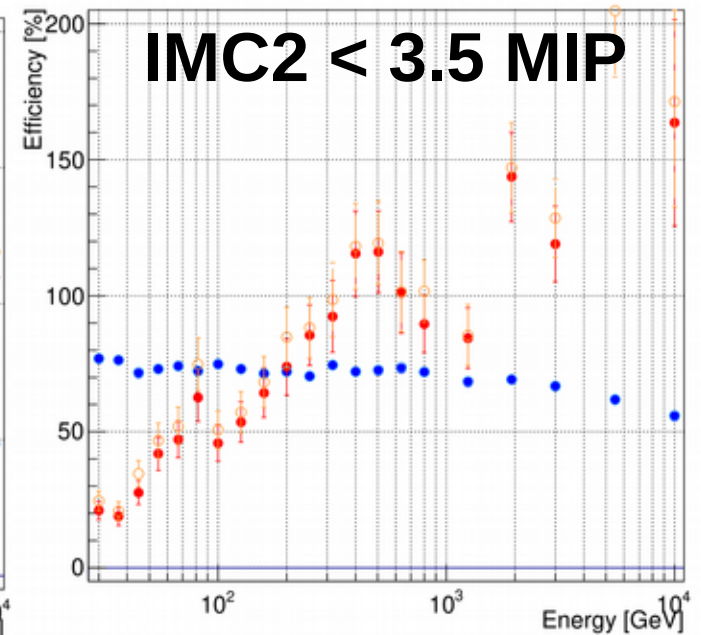
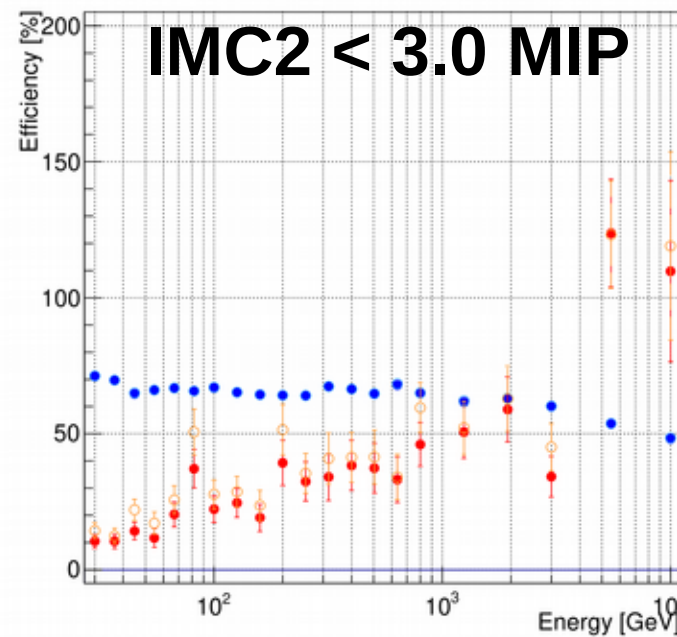
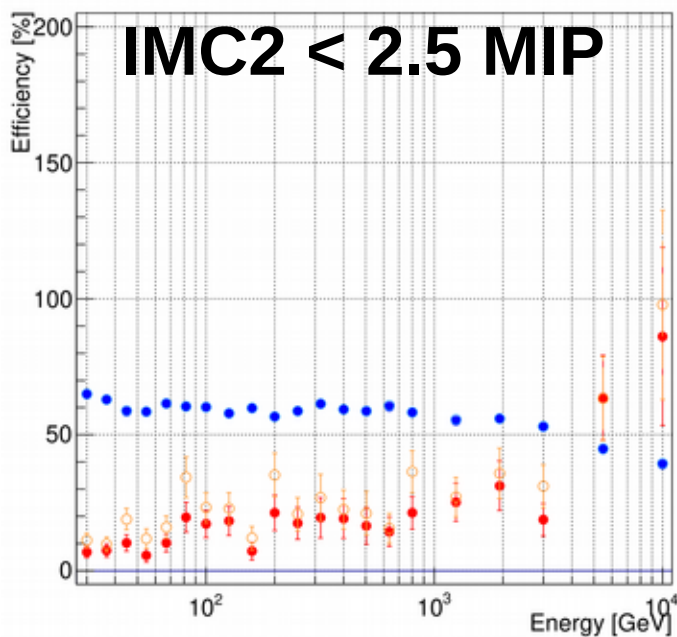
If we want to keep He contamination below 10%,  
we cannot get an e efficiency higher than 80%

# Variable MIP Threshold on IMC variable using 5 fibers

■ Efficiency  
 $(N_e^{\text{cut}}/N_e^{\text{tot}})$   
■ Contamination  
 $(N_{\text{He}}^{\text{cut}}/N_e^{\text{cut}})$

Efficiency  
 $(N_e/N_e^{\text{tot}})$   
 Contamination  
 $(N_{\text{He}}/N_e)$

$N_e^{\text{tot}}$  = number of e above 0 MIP  
 $N_e$  = number of e in  $[0, \text{thr}]$  MIP  
 $N_e^{\text{cut}}$  = number of e in  $[0.3, \text{thr}]$  MIP



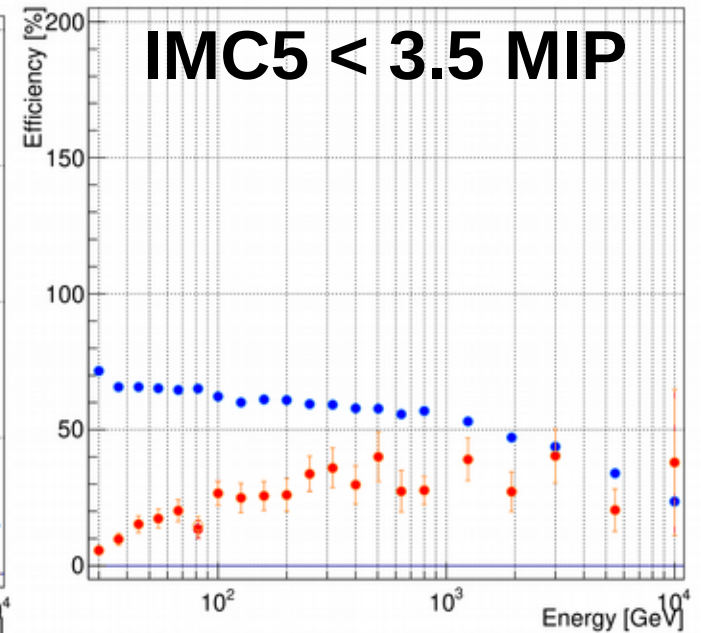
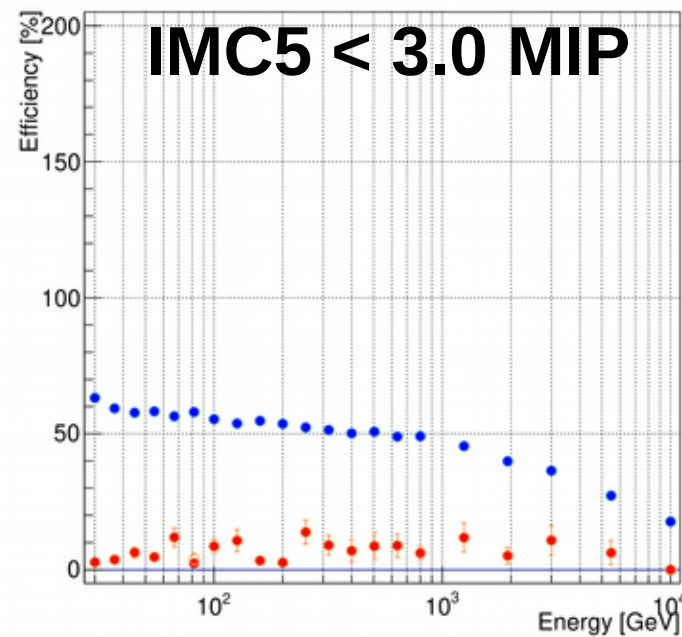
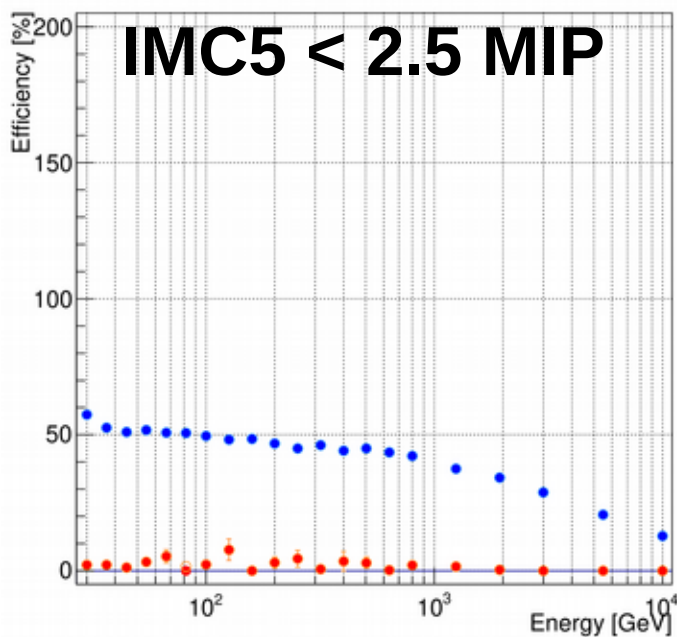
The minimum He contamination is 30%,  
but it corresponds that e efficiency of 50%

# Variable MIP Threshold on IMC variable using 5 fibers

■ Efficiency  
 $(N_e^{\text{cut}}/N_e^{\text{tot}})$   
■ Contamination  
 $(N_{\text{He}}^{\text{cut}}/N_e^{\text{cut}})$

Efficiency  
 $(N_e/N_e^{\text{tot}})$   
 Contamination  
 $(N_{\text{He}}/N_e)$

$N_e^{\text{tot}}$  = number of e above 0 MIP  
 $N_e$  = number of e in  $[0, \text{thr}]$  MIP  
 $N_e^{\text{cut}}$  = number of e in  $[0.3, \text{thr}]$  MIP



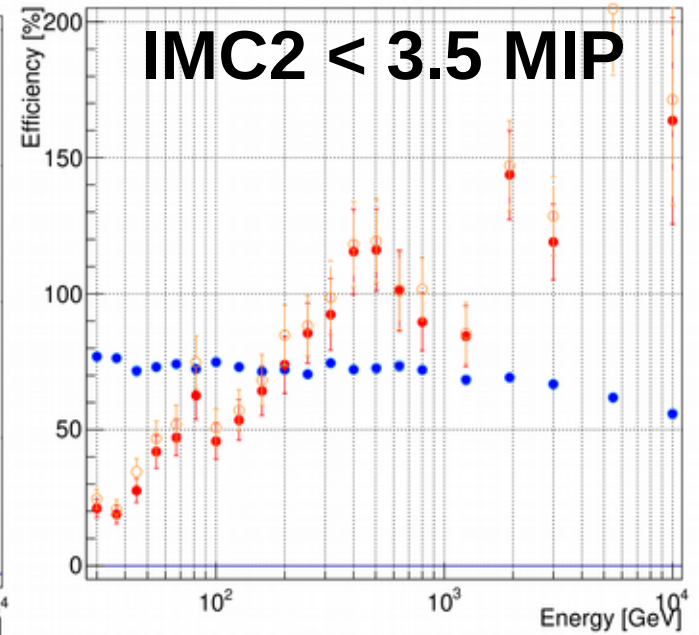
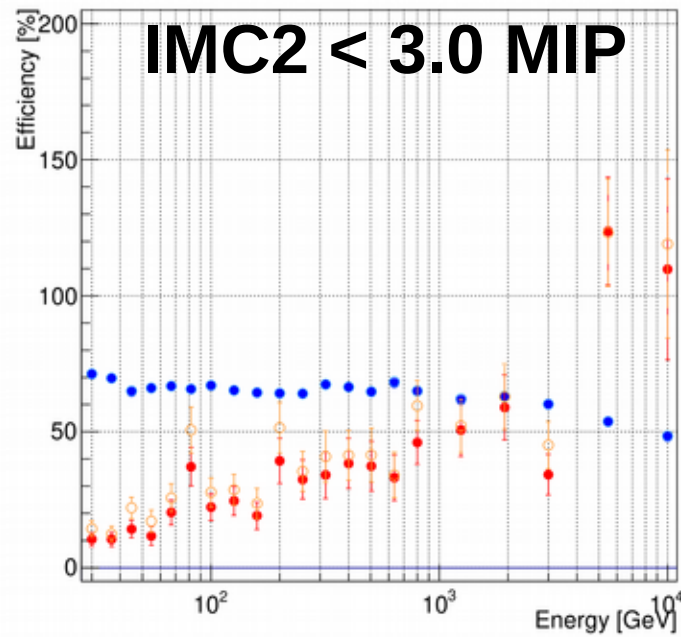
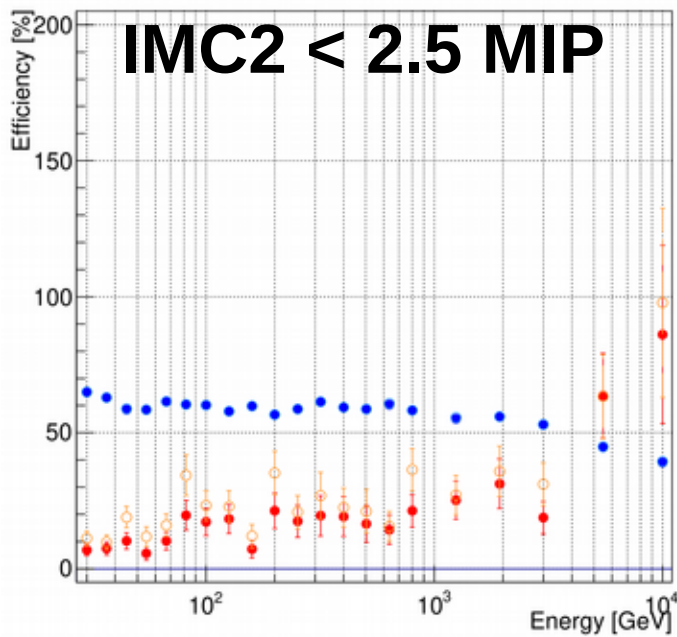
It is possible to keep He contamination below 5%,  
but large tails limit e efficiency below 50%

# Variable MIP Threshold on IMC variable using 5 fibers

■ Efficiency  
 $(N_e^{\text{cut}}/N_e^{\text{tot}})$   
■ Contamination  
 $(N_{\text{He}}^{\text{cut}}/N_e^{\text{cut}})$

Efficiency  
 $(N_e/N_e^{\text{tot}})$   
 Contamination  
 $(N_{\text{He}}/N_e)$

$N_e^{\text{tot}}$  = number of e above 0 MIP  
 $N_e$  = number of e in  $[0, \text{thr}]$  MIP  
 $N_e^{\text{cut}}$  = number of e in  $[0.3, \text{thr}]$  MIP

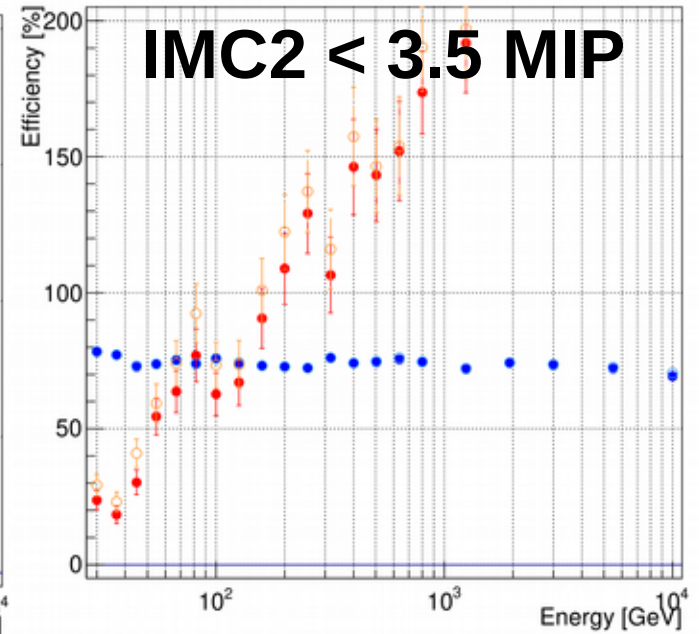
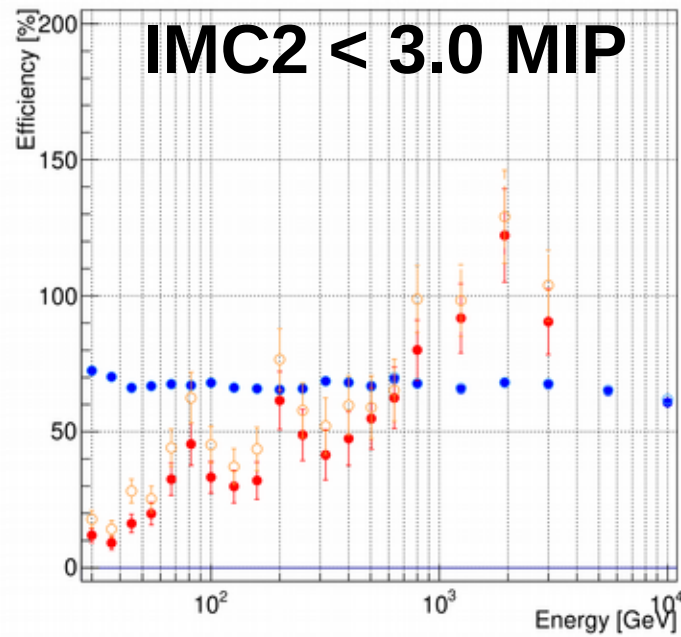
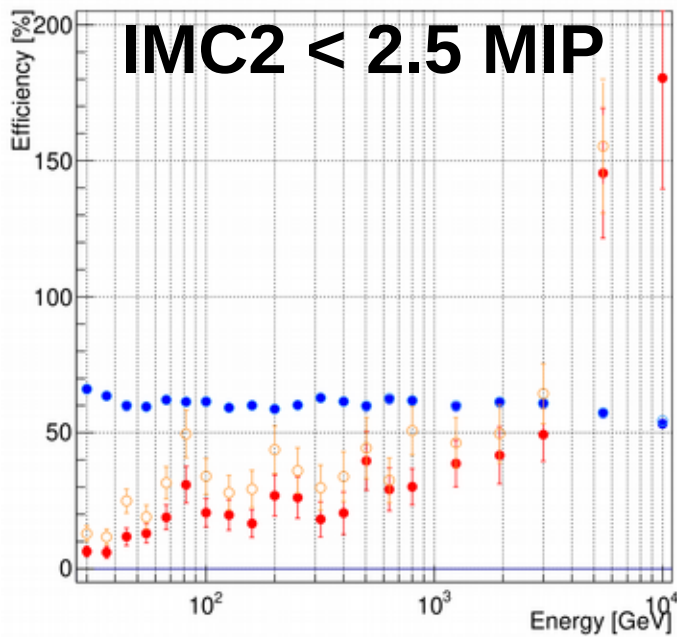


# Variable MIP Threshold on IMC variable using 2 fibers

■ Efficiency  
 $(N_e^{cut}/N_e^{tot})$   
■ Contamination  
 $(N_{He}^{cut}/N_e^{cut})$

Efficiency  
 $(N_e/N_e^{tot})$   
 Contamination  
 $(N_{He}/N_e)$

$N_e^{tot}$  = number of e above 0 MIP  
 $N_e$  = number of e in  $[0, thr]$  MIP  
 $N_e^{cut}$  = number of e in  $[0.3, thr]$  MIP



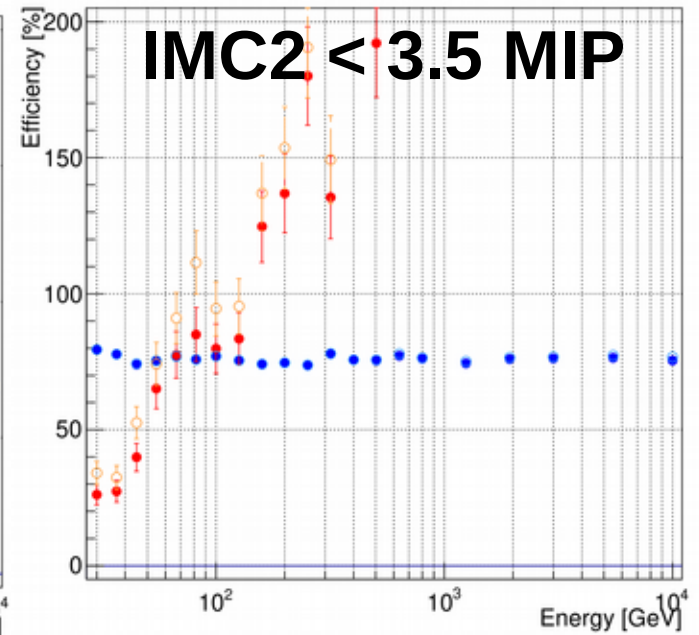
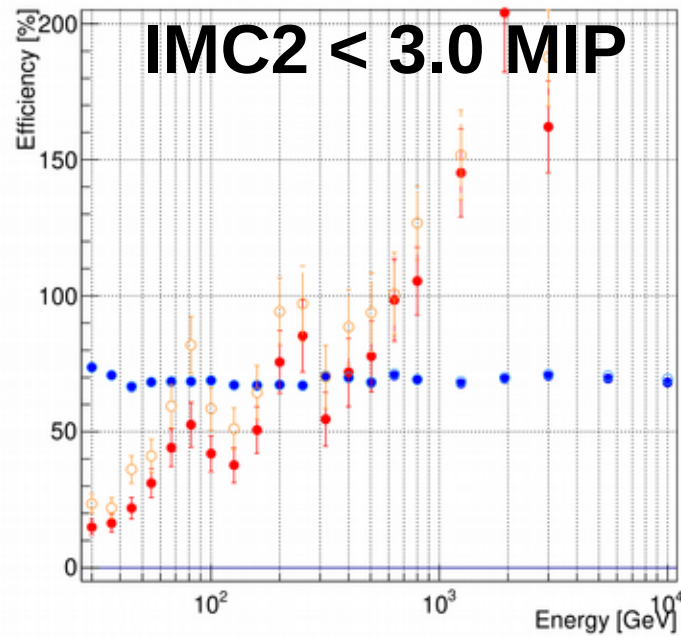
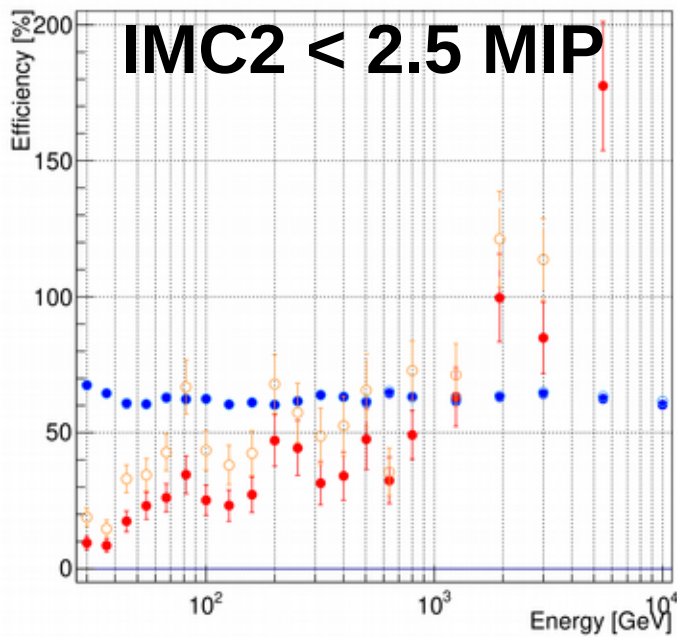


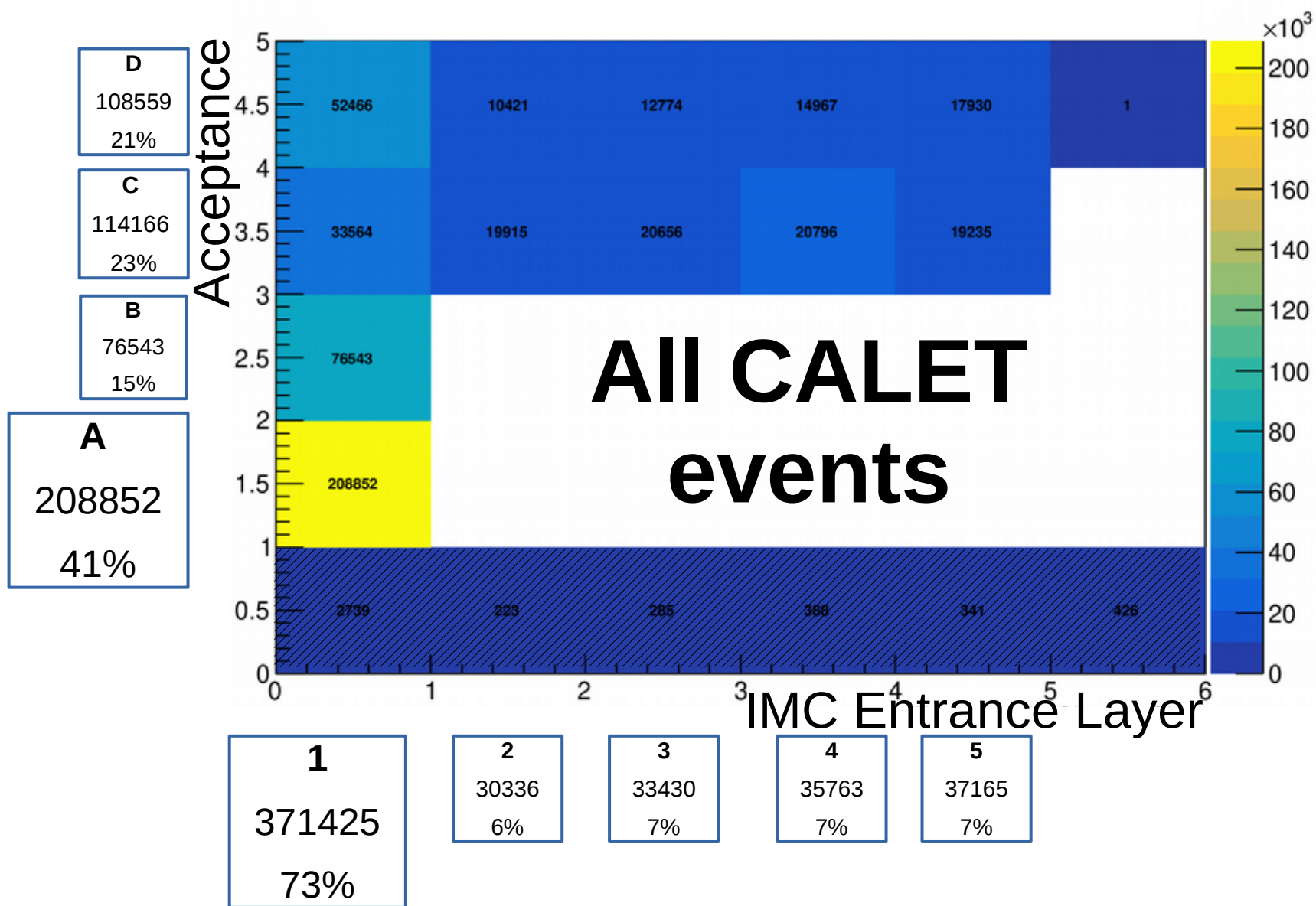
# Variable MIP Threshold on IMC variable using **1 fibers**

■ Efficiency  
 $(N_e^{cut}/N_e^{tot})$   
■ Contamination  
 $(N_{He}^{cut}/N_e^{cut})$

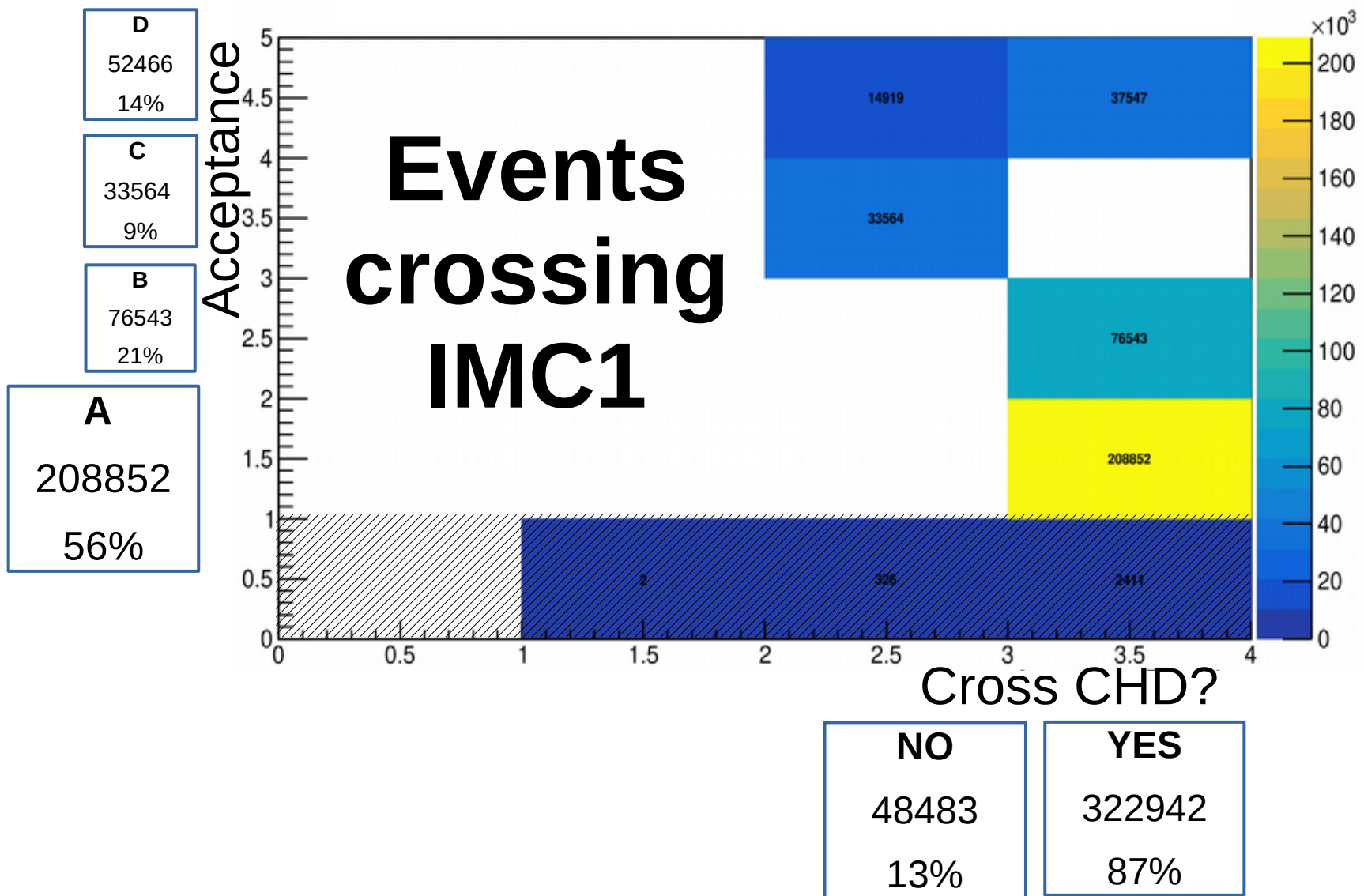
Efficiency  
 $(N_e/N_e^{tot})$   
 Contamination  
 $(N_{He}/N_e)$

$N_e^{tot}$  = number of e above 0 MIP  
 $N_e$  = number of e in  $[0, thr]$  MIP  
 $N_e^{cut}$  = number of e in  $[0.3, thr]$  MIP





	Relative GF	Relative EGF
<b>Acc G/A</b>	$100\%/41\% = 2.44$	$[73\% \times 90\% + 27\% \times 60\%] / 41\% = 2.00$
<b>Acc F/A</b>	$73\%/41\% = 1.78$	$[73\% \times 90\%] / 41\% = 1.60$
<b>Acc E/A</b>	?	?



	Relative GF	Relative EGF
<b>Acc G/A</b>	100%/41% = 2.44	[73%x90%+27%x60%] / 41% = <b>2.00</b>
<b>Acc F/A</b>	73%/41% = 1.78	[73%x90%] / 41% = <b>1.60</b>
<b>Acc E/A</b>	87%x73%/41% = 1.55	[87%x73%x100%] / 41% = <b>1.55</b>



# Explanation of Preselection

In all cases preselections are separately required on both x and y views using OR condition:

- TASC Concentration =  $TASC_{X(Y)}^{MAX} / \sum_{i=0}^6 TASC_{X(Y)}$
- Shower Track =  $|\theta_{X(Y)}^{DIAGONAL} - \theta_{X(Y)}^{KF}|$
- Shower Concentration =  $IMC_{X8(Y8)}^{9Fibers} / IMC_{X8(Y8)}^{Total}$

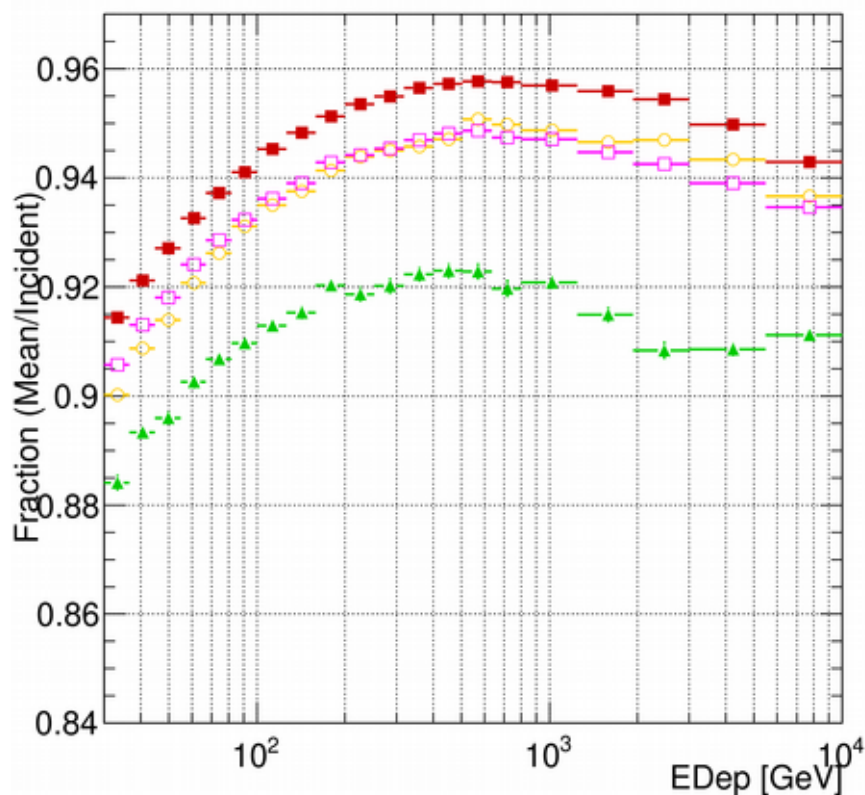
# Energy Function (After all preselections)

- Acc A  $\cap$  E
- Acc B  $\cap$  E
- Acc D  $\cap$  E
- Acc E

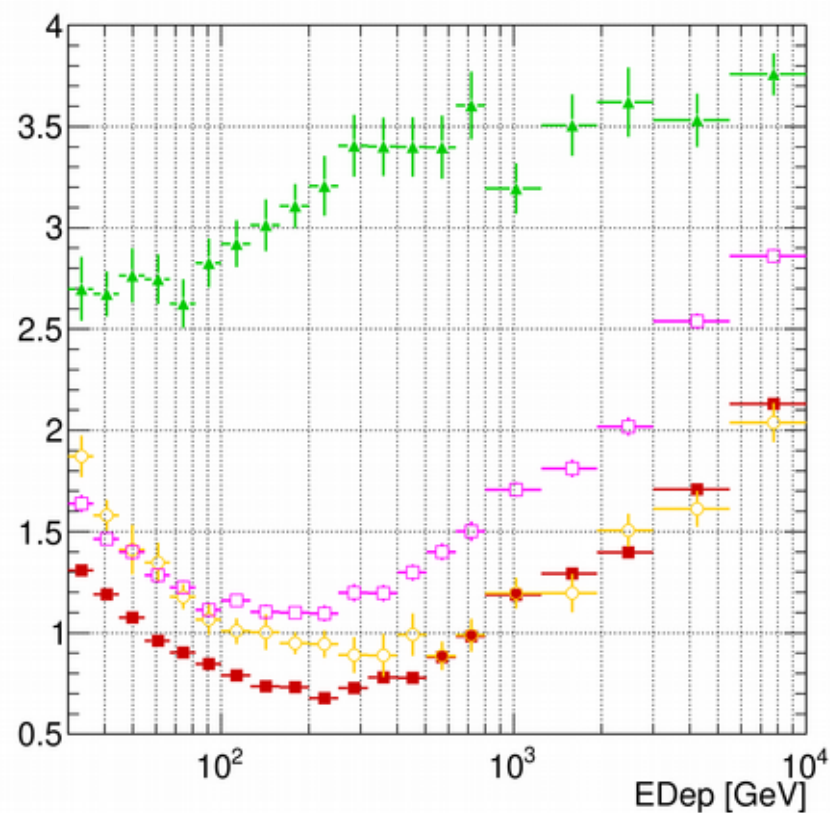
Fraction of  
deposited energy

Energy resolution

EPICS\_No\_CHD\_Correction - Fraction-IMC+TASC



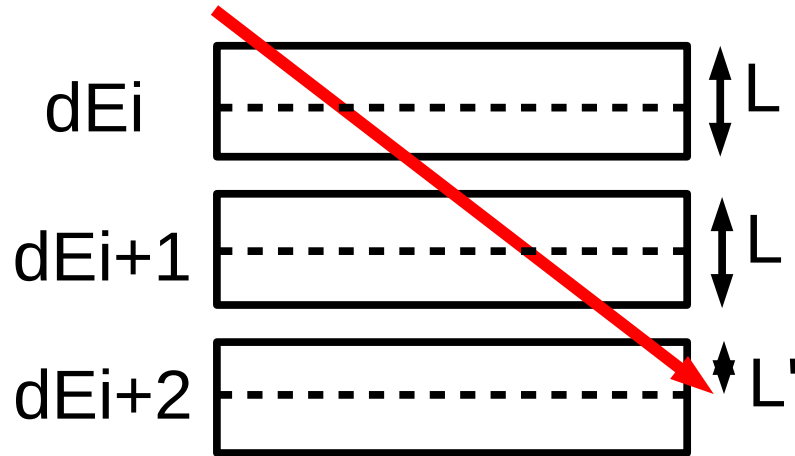
EPICS\_No\_CHD\_Correction - Resolution-IMC+TASC



As expected, Acceptance B is the most different one because of the limited lateral containment... However, it does not strongly affect energy resolution, so that function ■ can be used for all events in Acceptance E 46

# Alternative $f_E$ definition

## Event Category I

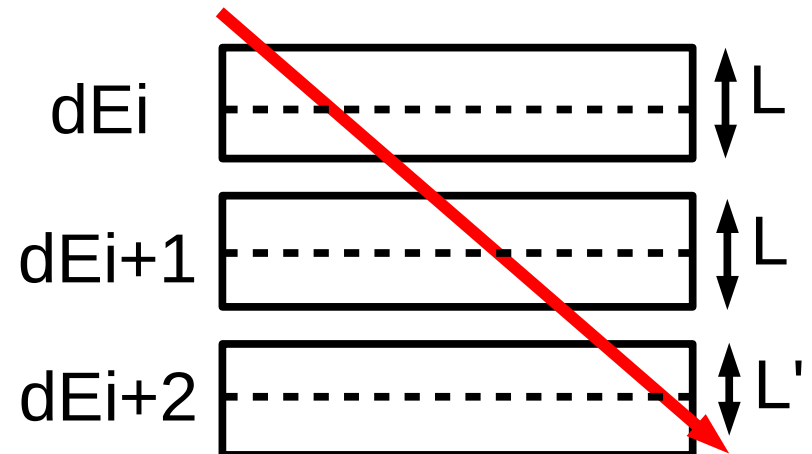


Layer  $i+2$  is transversed for  $L' < L/2$ , therefore the last layer is  **$i+1$** .  
 $f_E$  is computed as if TASC is made of only layers  **$X1, Y1, \dots, i+1$**

## Event Category II

Layer  $i+2$  is transversed for  $L' > L/2$ , therefore the last layer is  **$i+2$** .

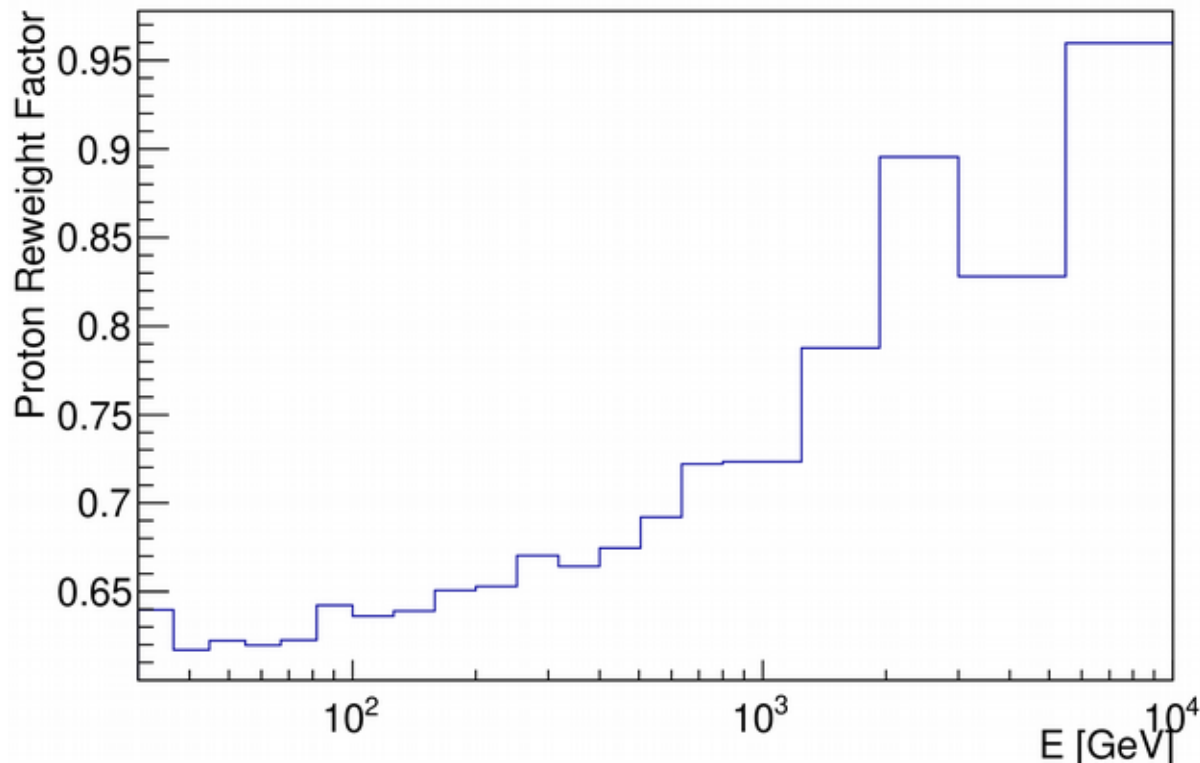
The energy deposited  $dE_{i+2}$  is corrected to  $dE_{i+2}' = dE_{i+2} * L/L'$   
 $f_E$  is computed as if TASC is made of only layers  **$X1, Y1, \dots, i+2$**



# Proton Reweight Factor

**MOTIVATION** The proton weight factor applied to simulations based on AMS measurements does not lead to a good MC-FD agreement of our distributions to a good MC-FD agreement of our distributions

**SOLUTION** A proton reweight factor is computed rescaling proton distributions to data, by simply considering the integral of  $f_E$  distributions above 0.01

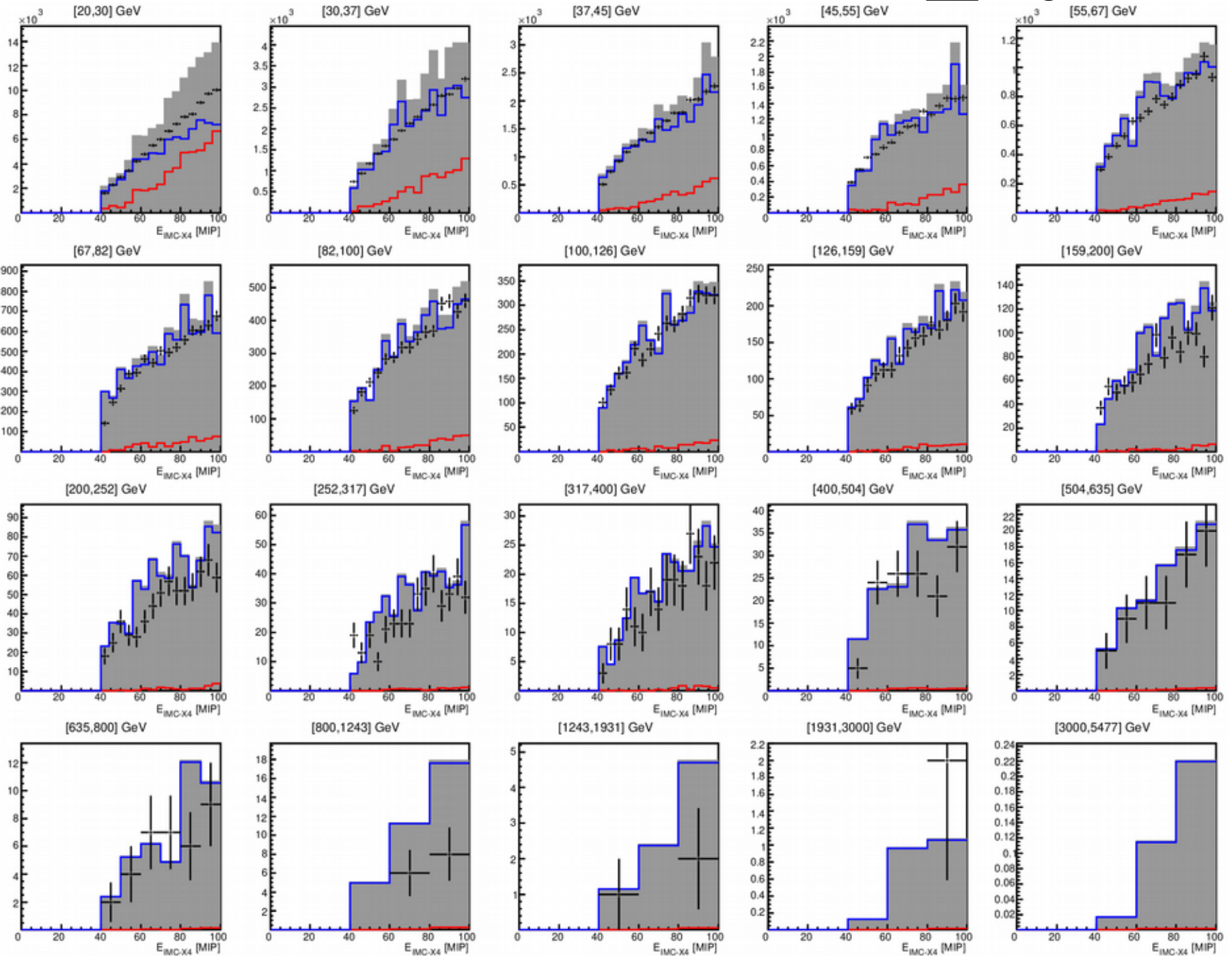


# Trigger - IMCX4

EPICS



IMCX4 = IMC7X+IMC8X

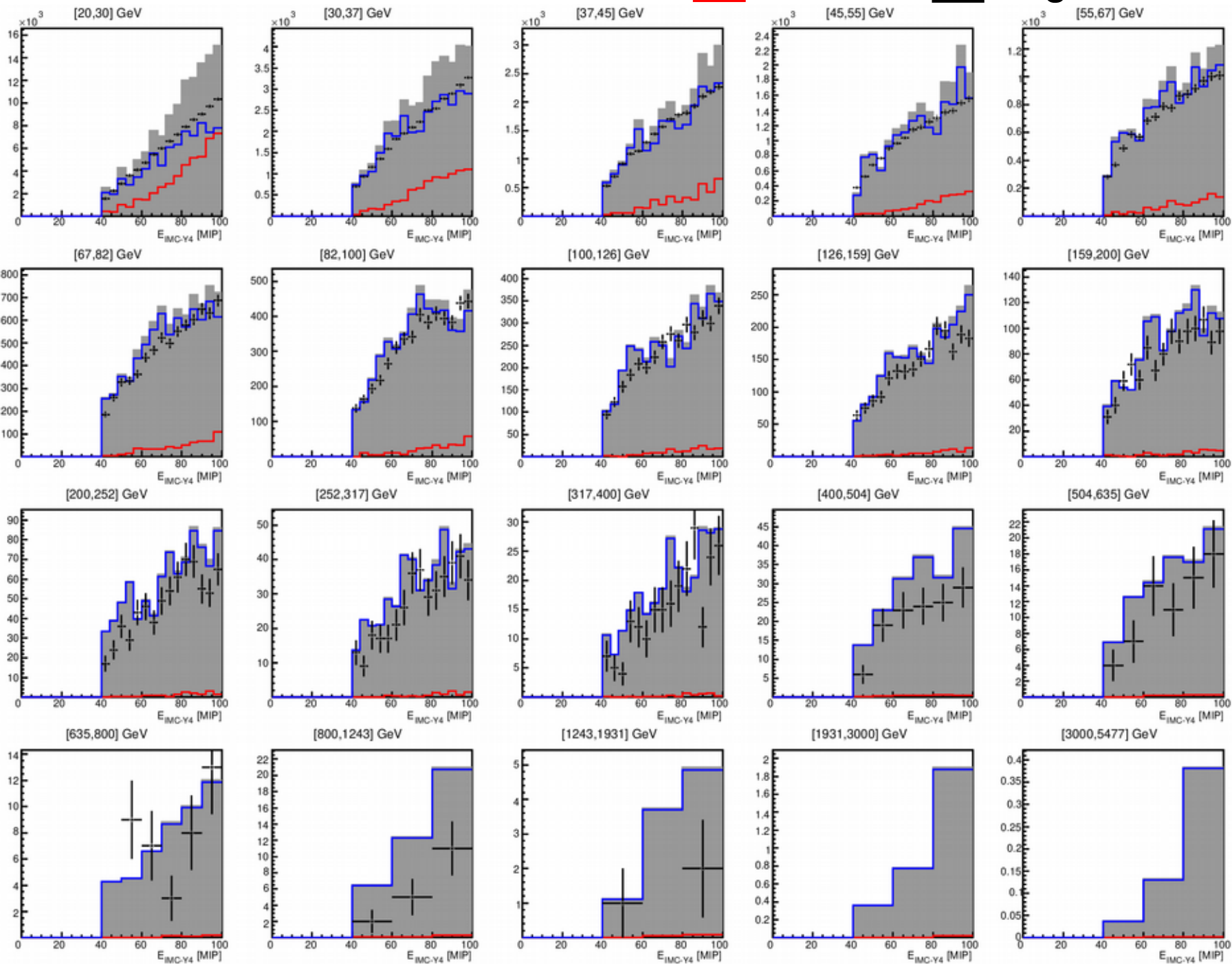


# Trigger - IMCY4

EPICS

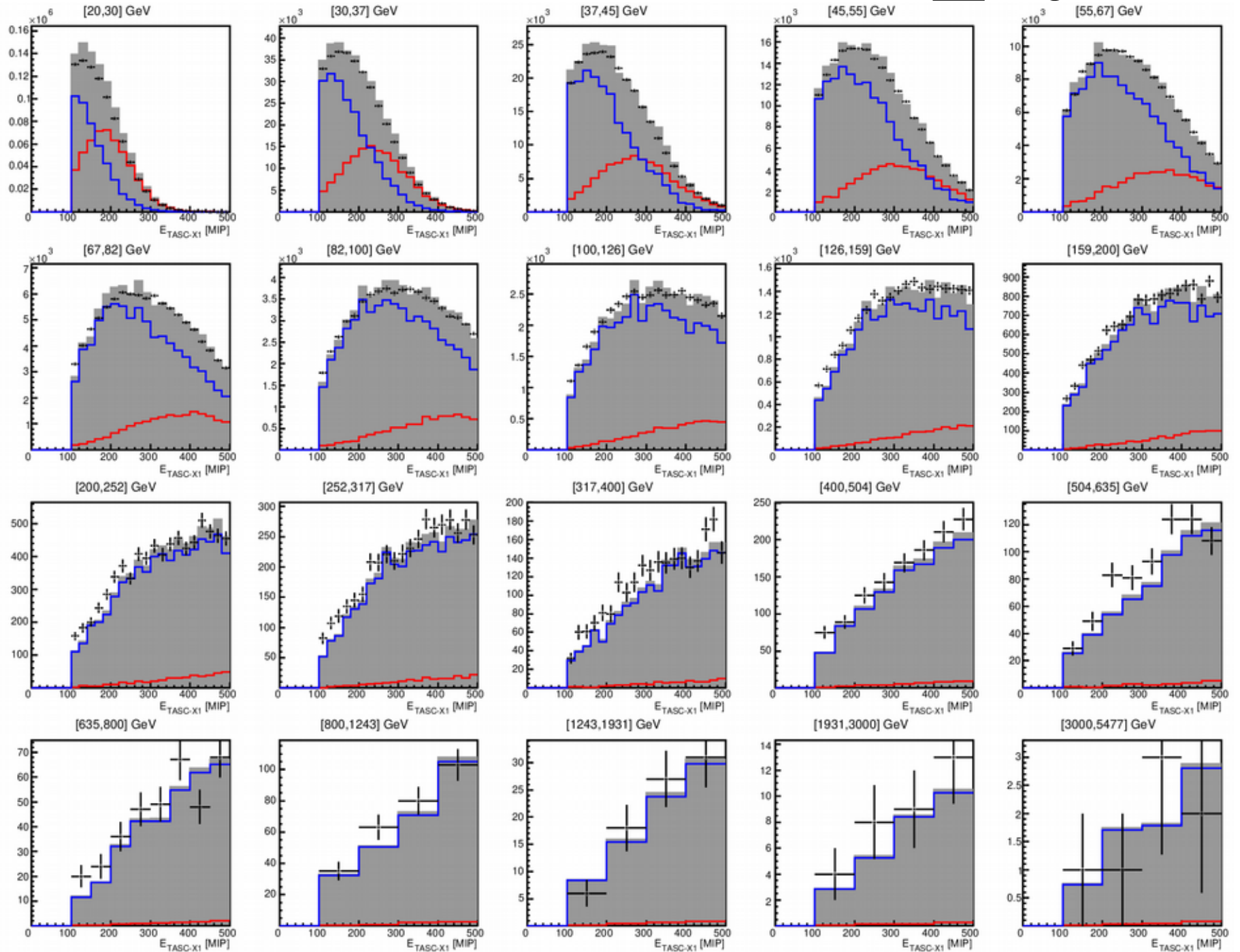


IMCY4 = IMC7Y+IMC8Y





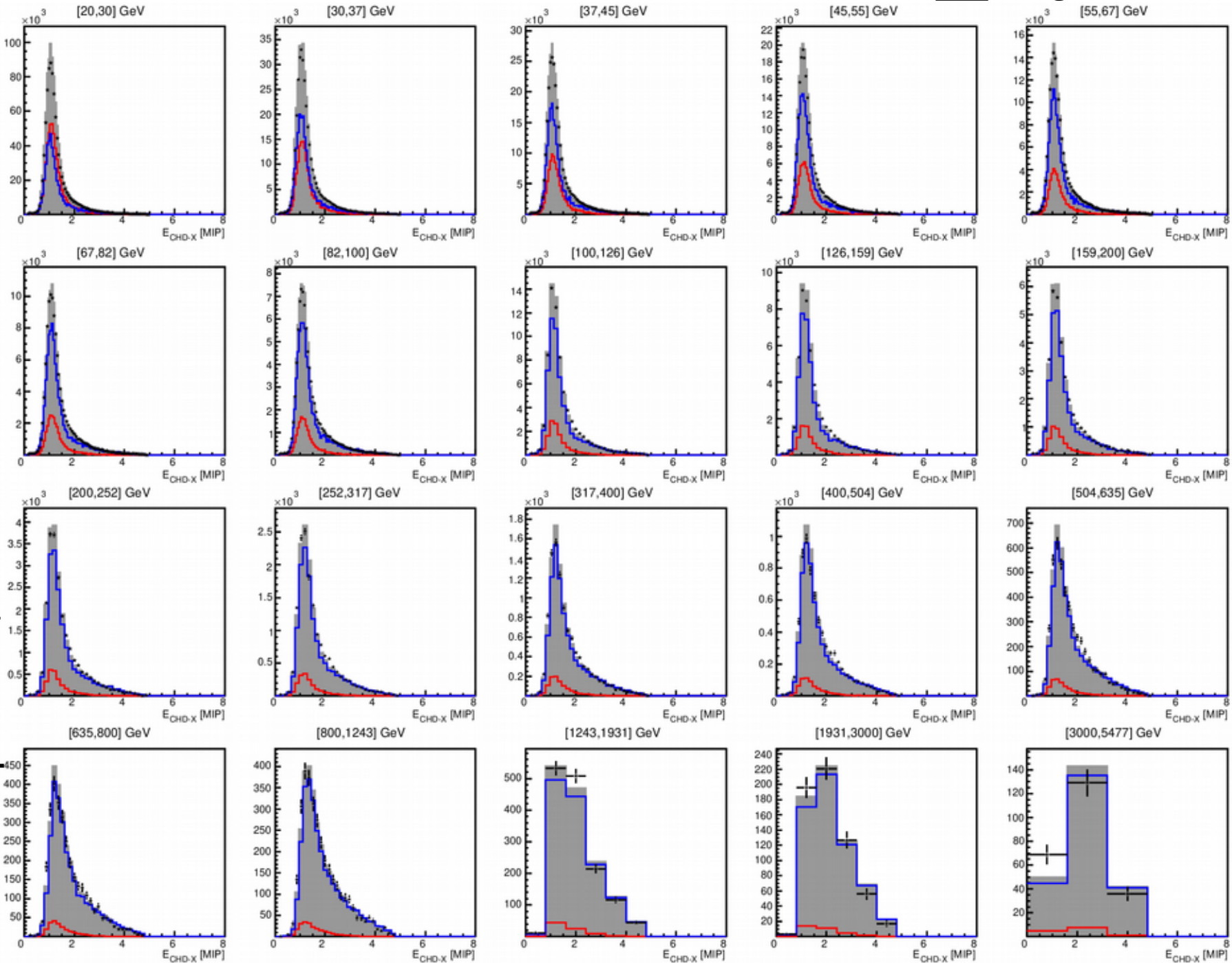
# Trigger - TASCX1 EPICS



# Charge - CHDX1 EPICS

■ Proton     ■ Proton+Electron  
■ Electron     ■ Flight Data

NB Correction applied to protons, but not to electrons

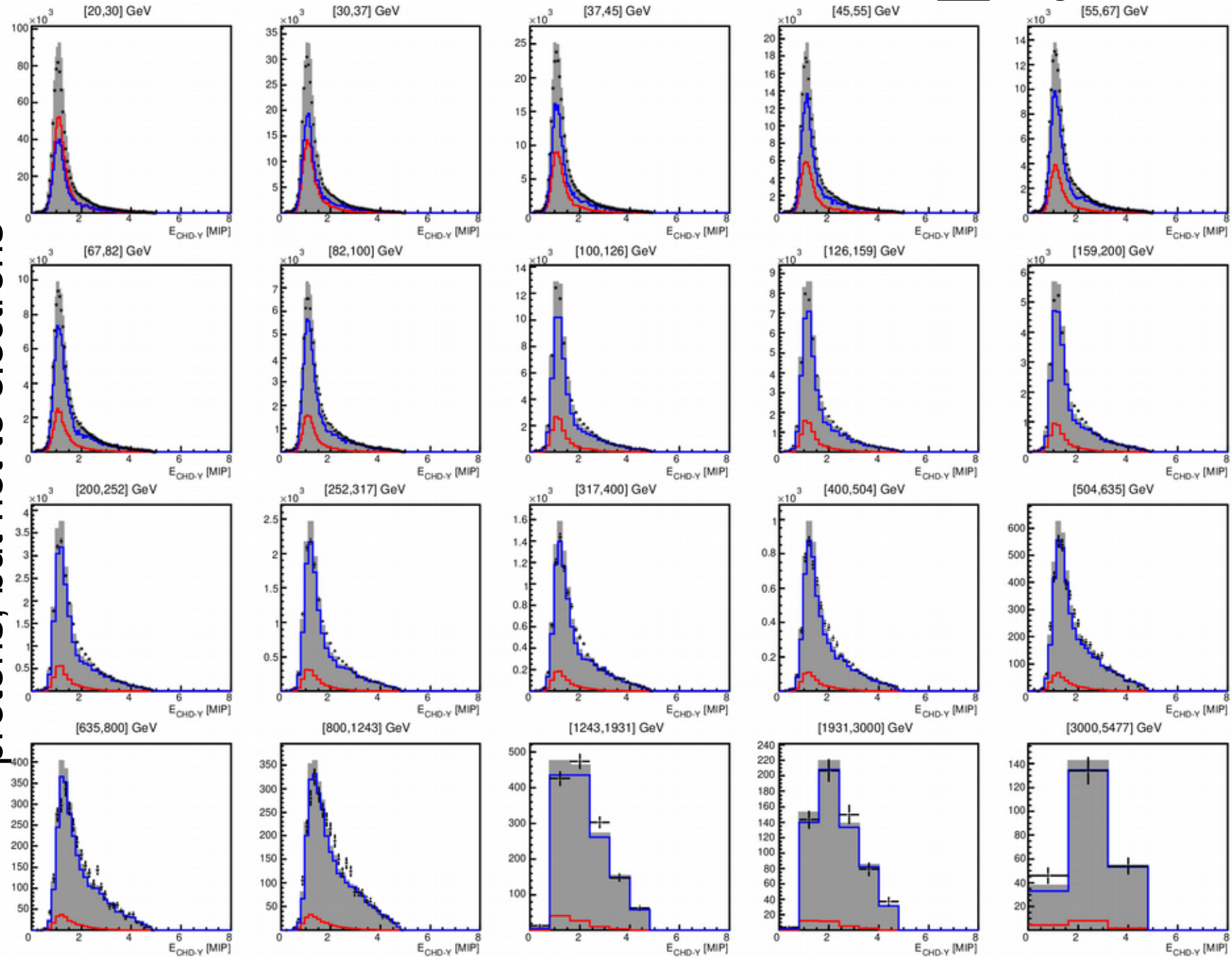




# Charge - CHDY1 EPICS

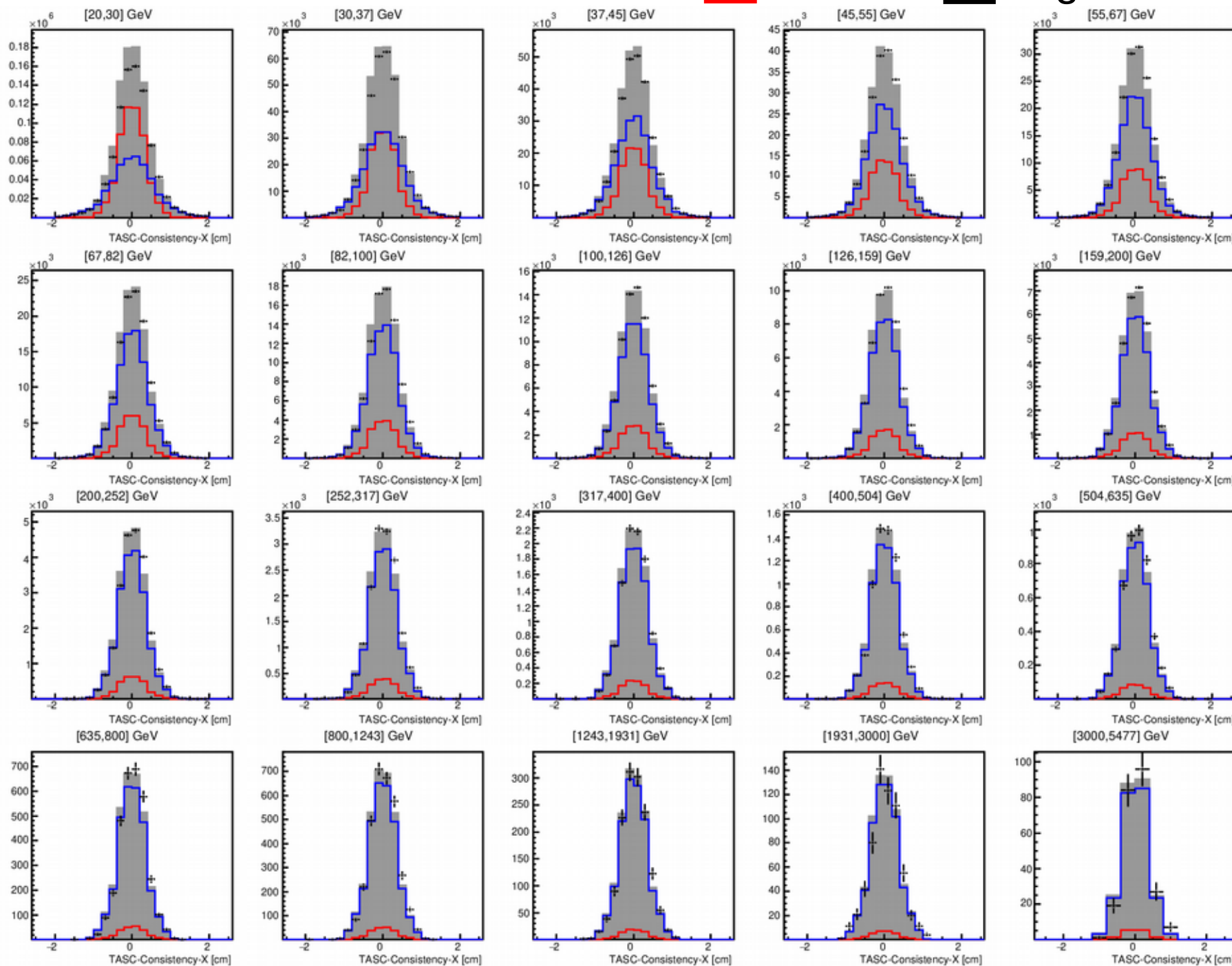


NB Correction applied to protons, but not to electrons



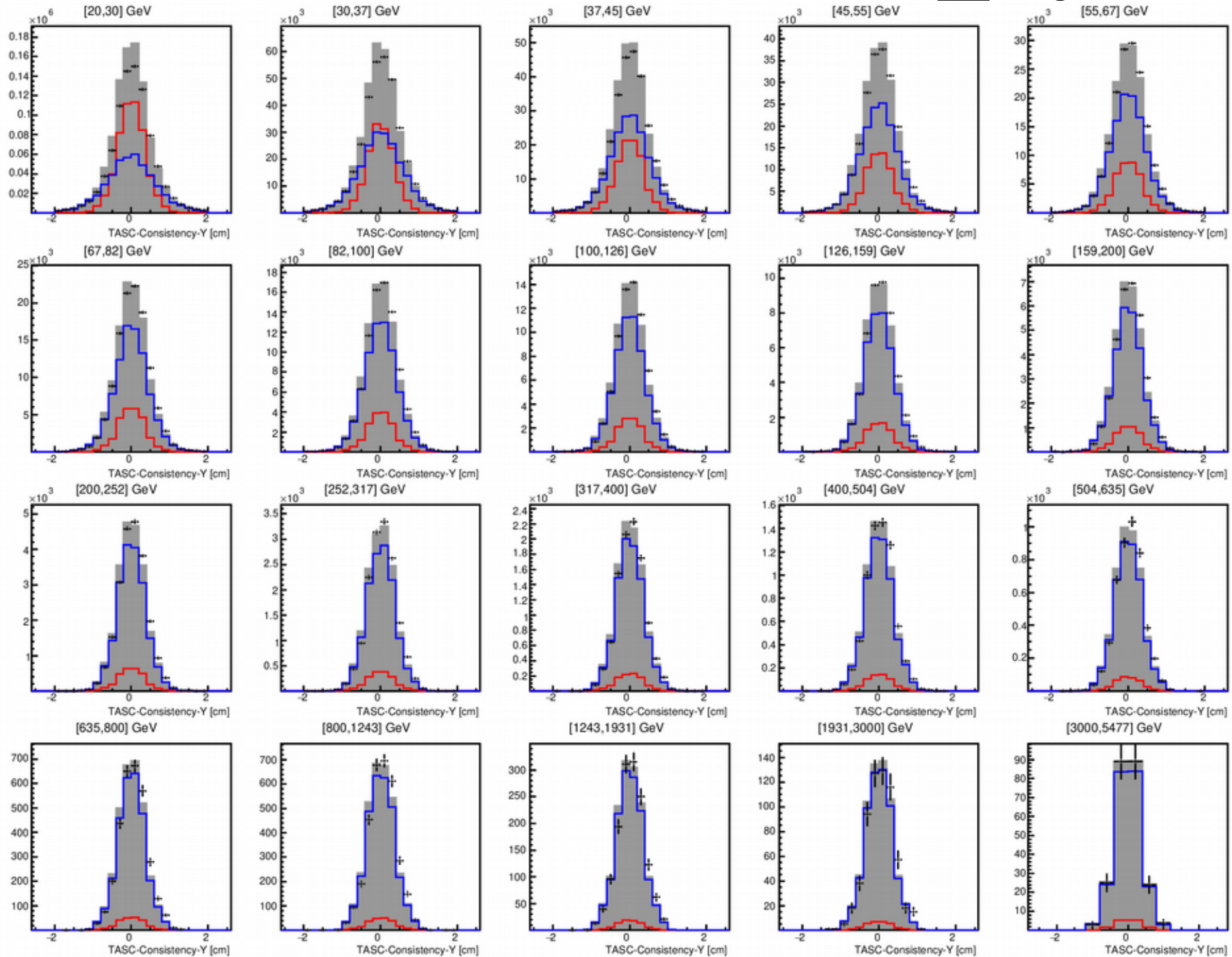
# TASCCons - X

EPICS



# TASCCons - Y

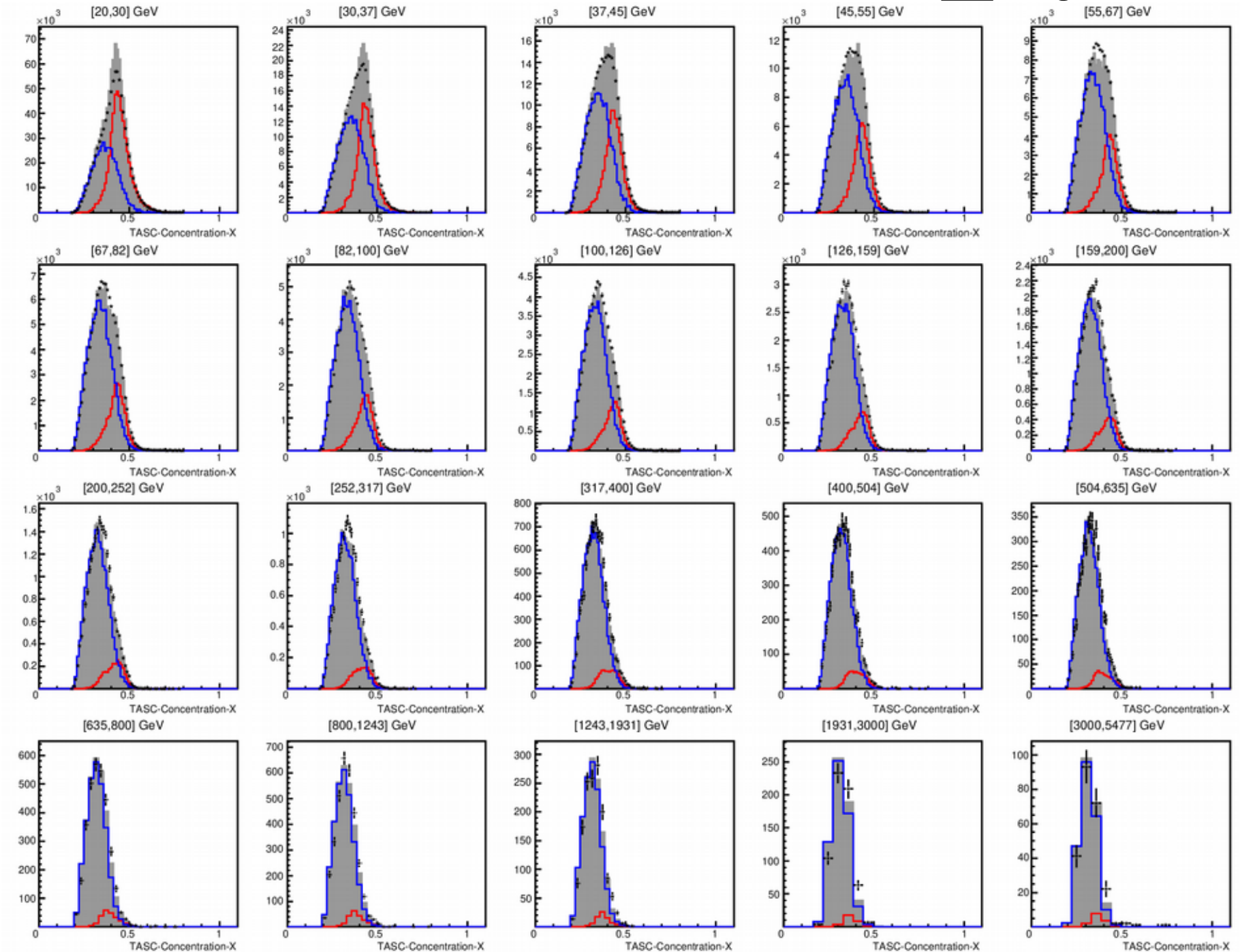
**EPICS** ■ Proton ■ Proton+Electron  
■ Electron ■ Flight Data



# LayConc - X

EPICS

Proton  
Electron  
Proton+Electron  
Flight Data





# LayConc - Y

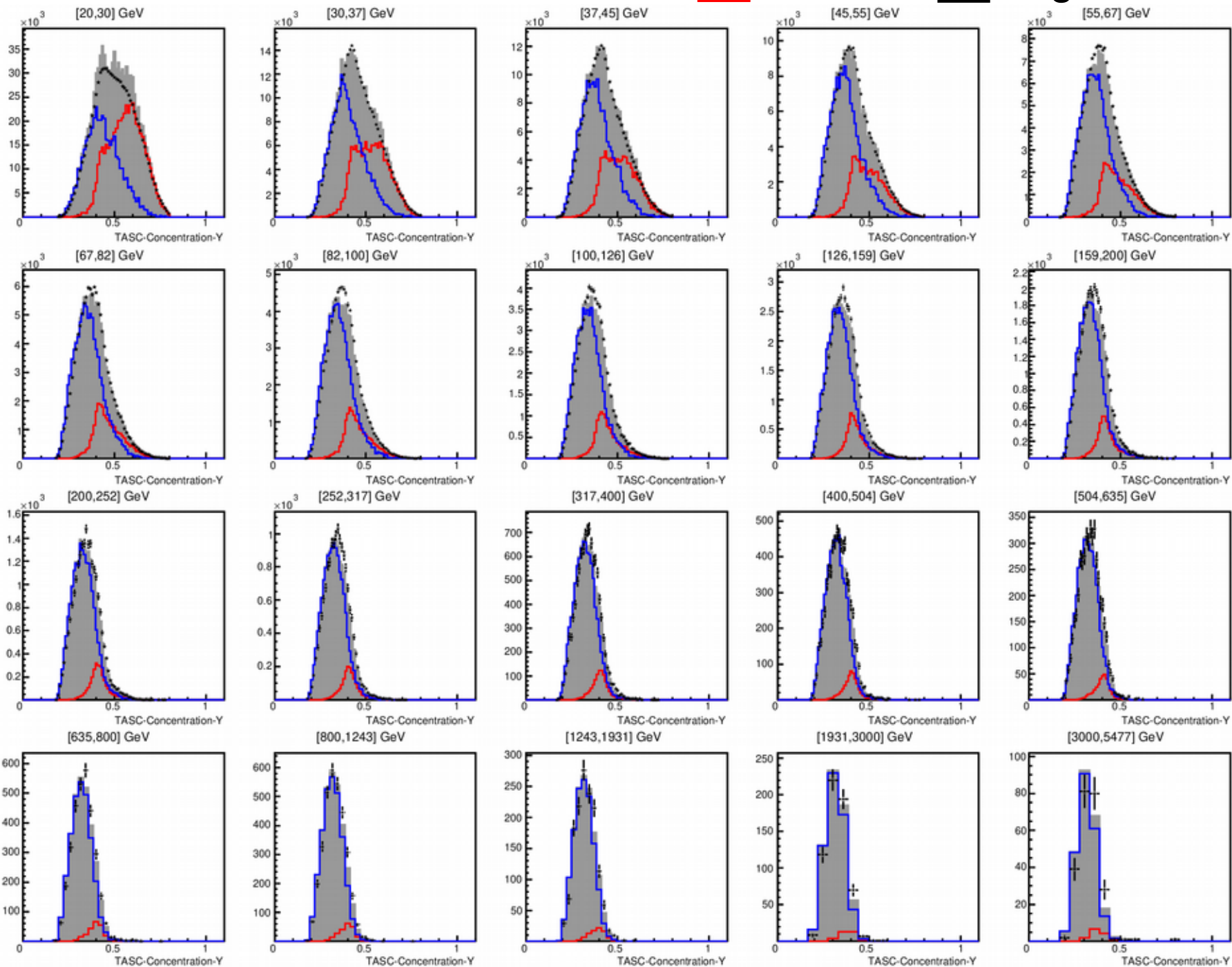
EPICS

Proton

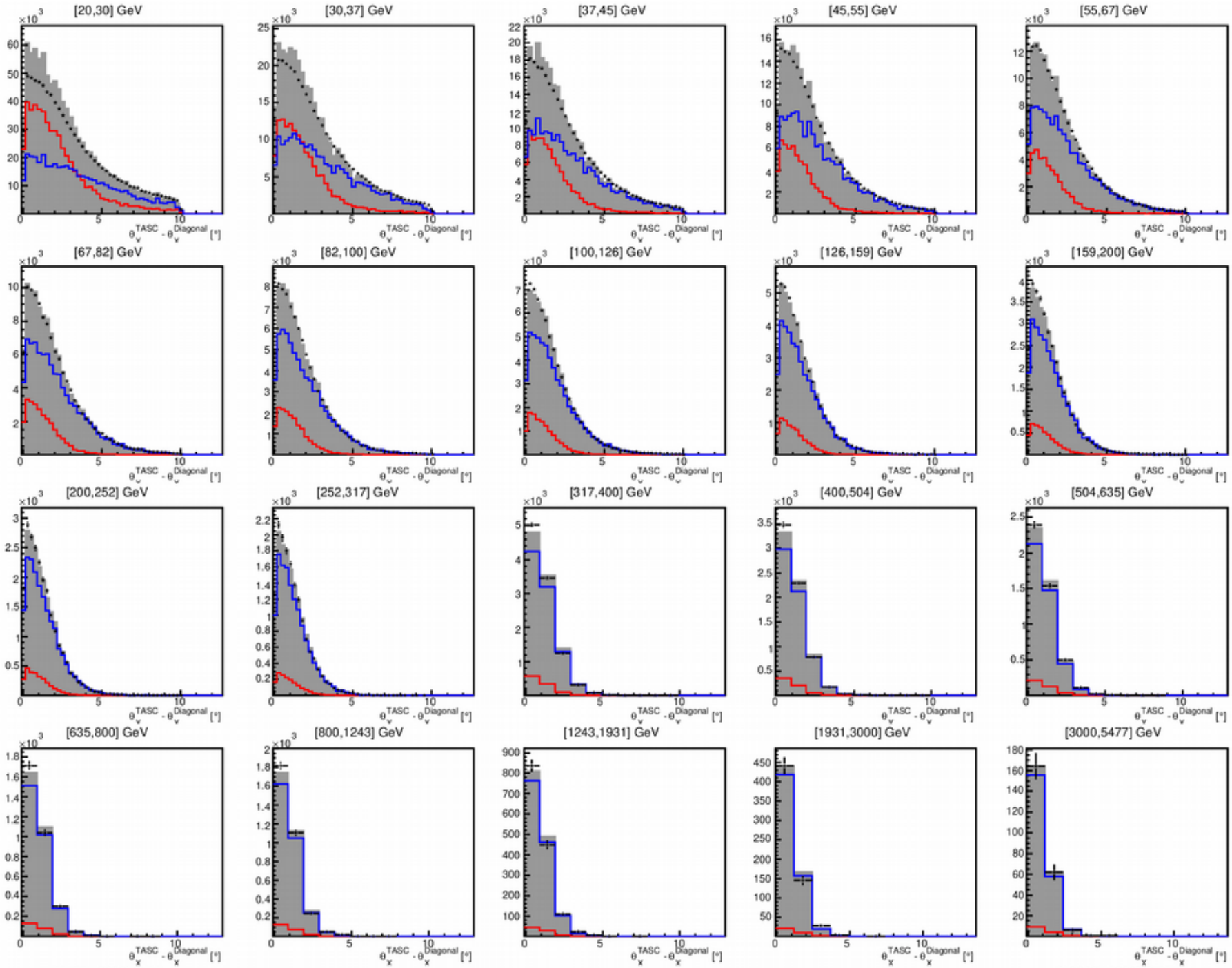
Proton+Electron

Electron

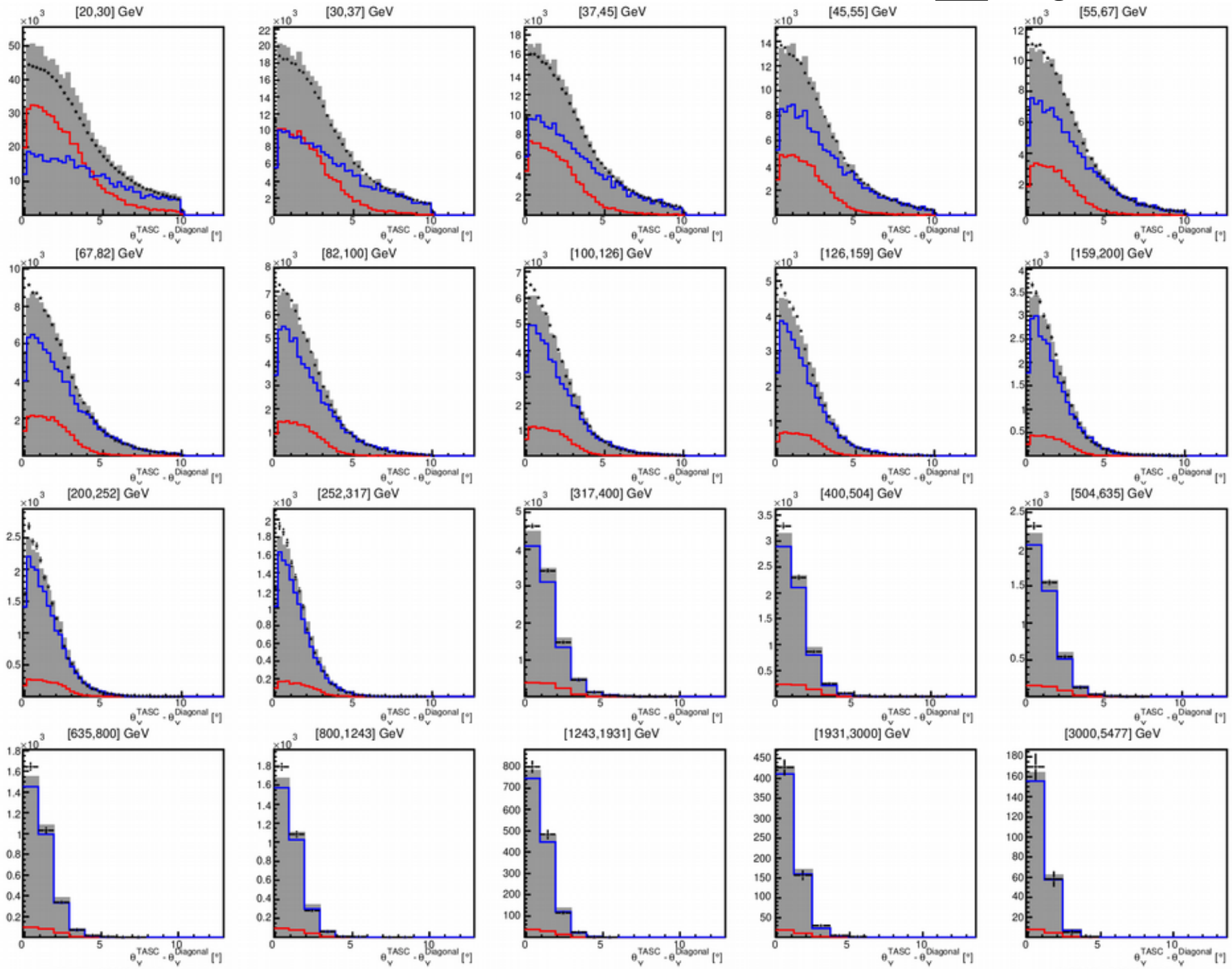
Flight Data



# ShowerTrack - X EPICS



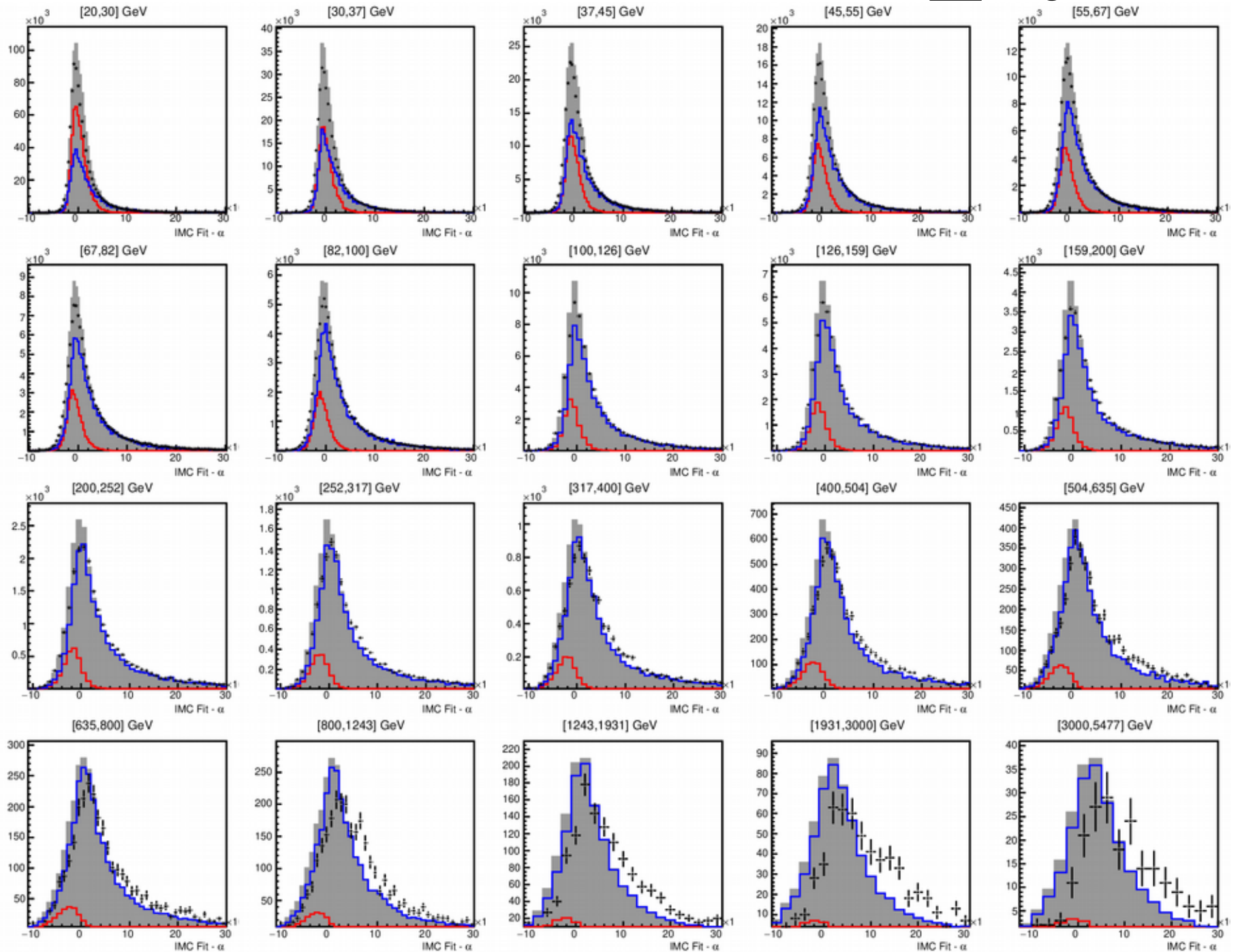
# ShowerTrack - Y EPICS



# IMC Fit - p0

EPICS ■ Proton ■ Proton+Electron  
■ Electron ■ Flight Data

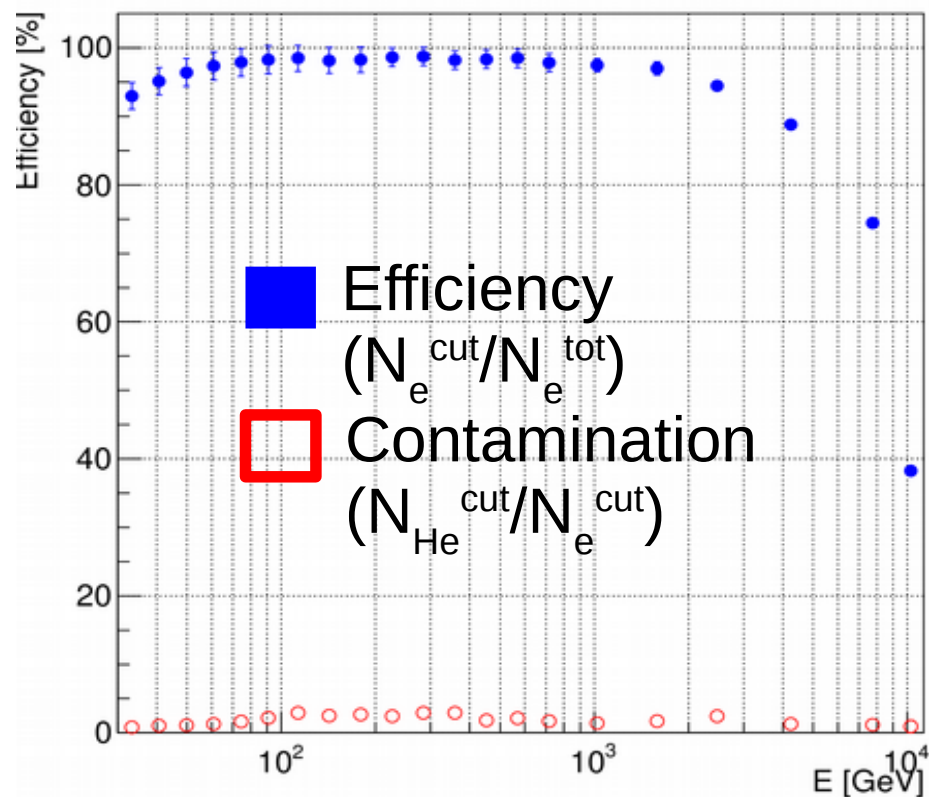
$$E(t) = p_0 + p_1 \cdot t^2$$



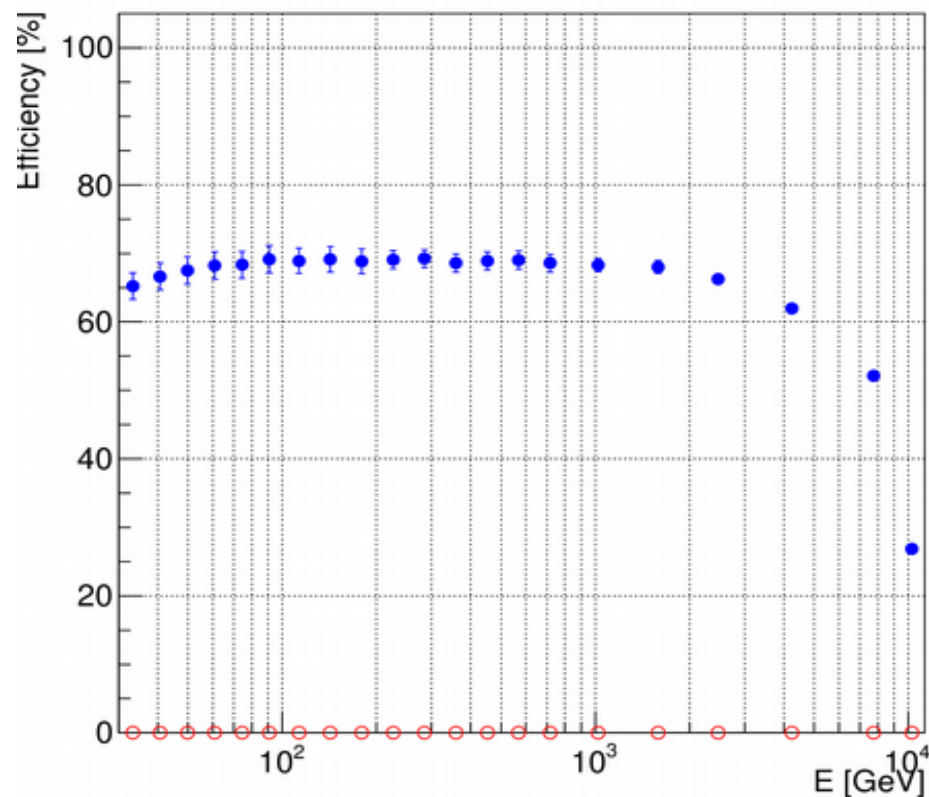


# Residual Helium contamination

Before BDT



After BDT



# Proton in Acc B identified as Electron after K cut

