

reSolve Update – 31/01/2020

Thomas Cridge (University College London)

In Collaboration with Francesco Coradeschi

LHC EW precision resummation benchmarking sub-meeting 31st Jan 2020

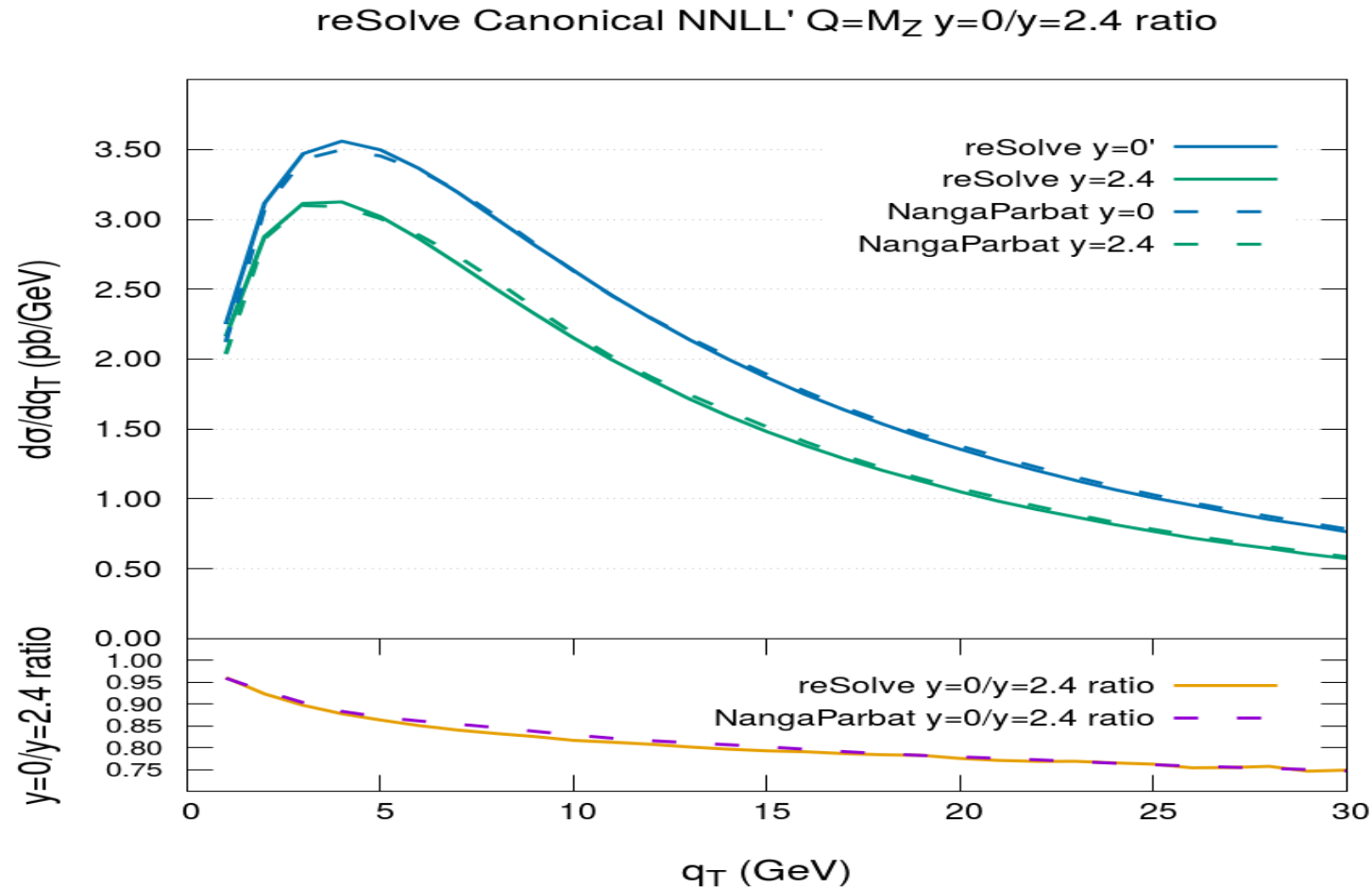
t.cridge@ucl.ac.uk

Update on reSolve results

- reSolve results available for level 1 canonical logs resummation at $Q=mZ$ inclusive y , $y=0$, $y=2.4$ at LL, NLL', NNLL' in qT and $\log qT$ (as before).
- reSolve results available for level 2 nominal logs resummation at $Q=mZ$ inclusive y , $y=0$, $y=2.4$ at LL, NLL', NNLL' in qT and $\log qT$ (as before).
- reSolve results for $Q=1\text{TeV}$ $y=0$ at LL, NLL', NNLL' now available, canonical and nominal.
- reSolve result investigating effect of changing b_{lim} now available (canonical NNLL', $Q=mZ$, $y=0$).
- reSolve results for changing the resummation scale now available for canonical vs nominal comparison ($Q=mZ$ and $Q=1\text{TeV}$, $y=0$ at LL, NLL', NNLL').
- Some comparison plots within reSolve and with different codes in the following slides for these results, largely **preliminary**....

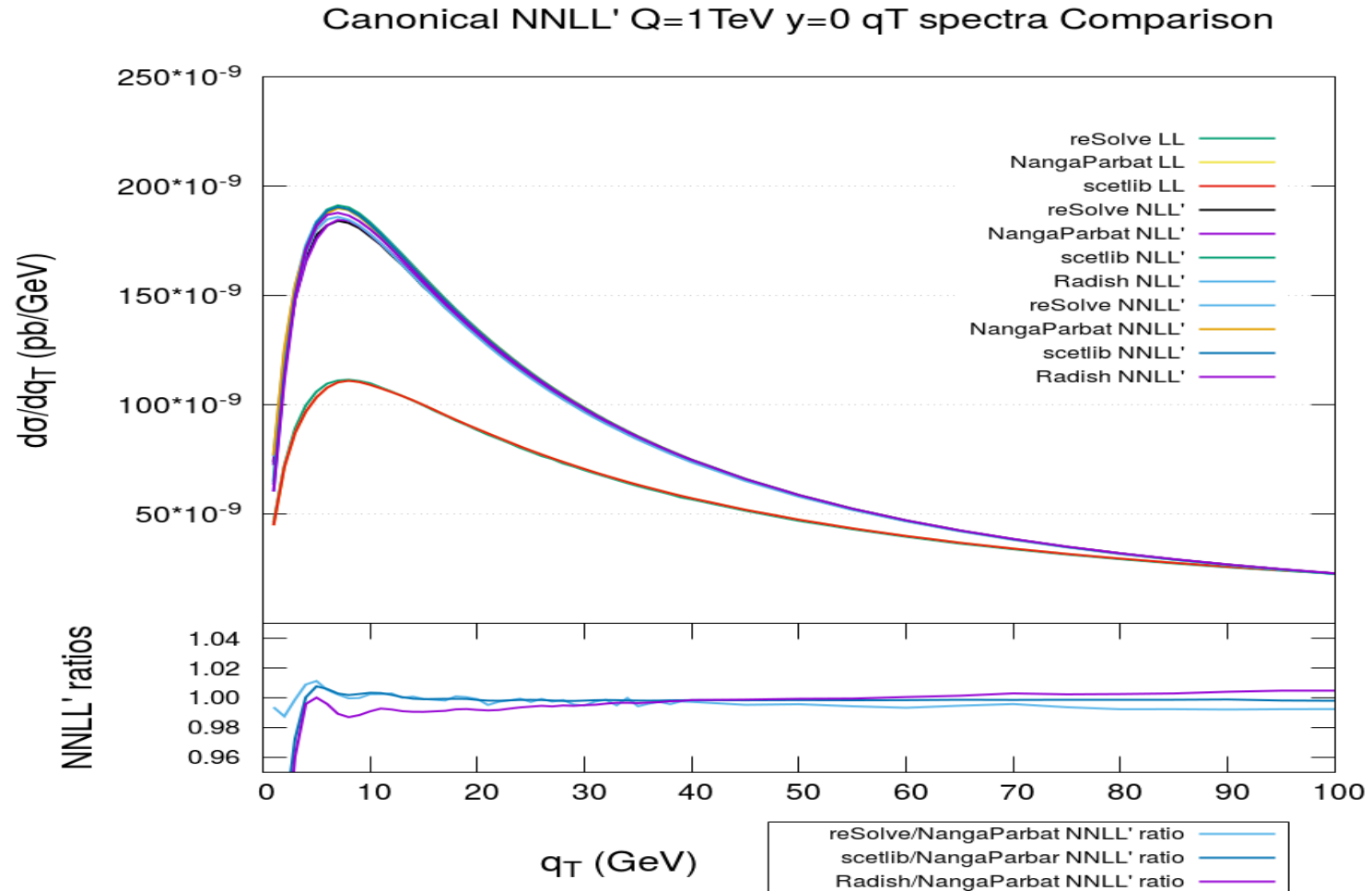
reSolve kinematic evolution: $y=2.4/y=0$ at $Q=mZ$

- Investigate resummation effects in different kinematic regions via ratios of different y at $Q=mZ$ results:



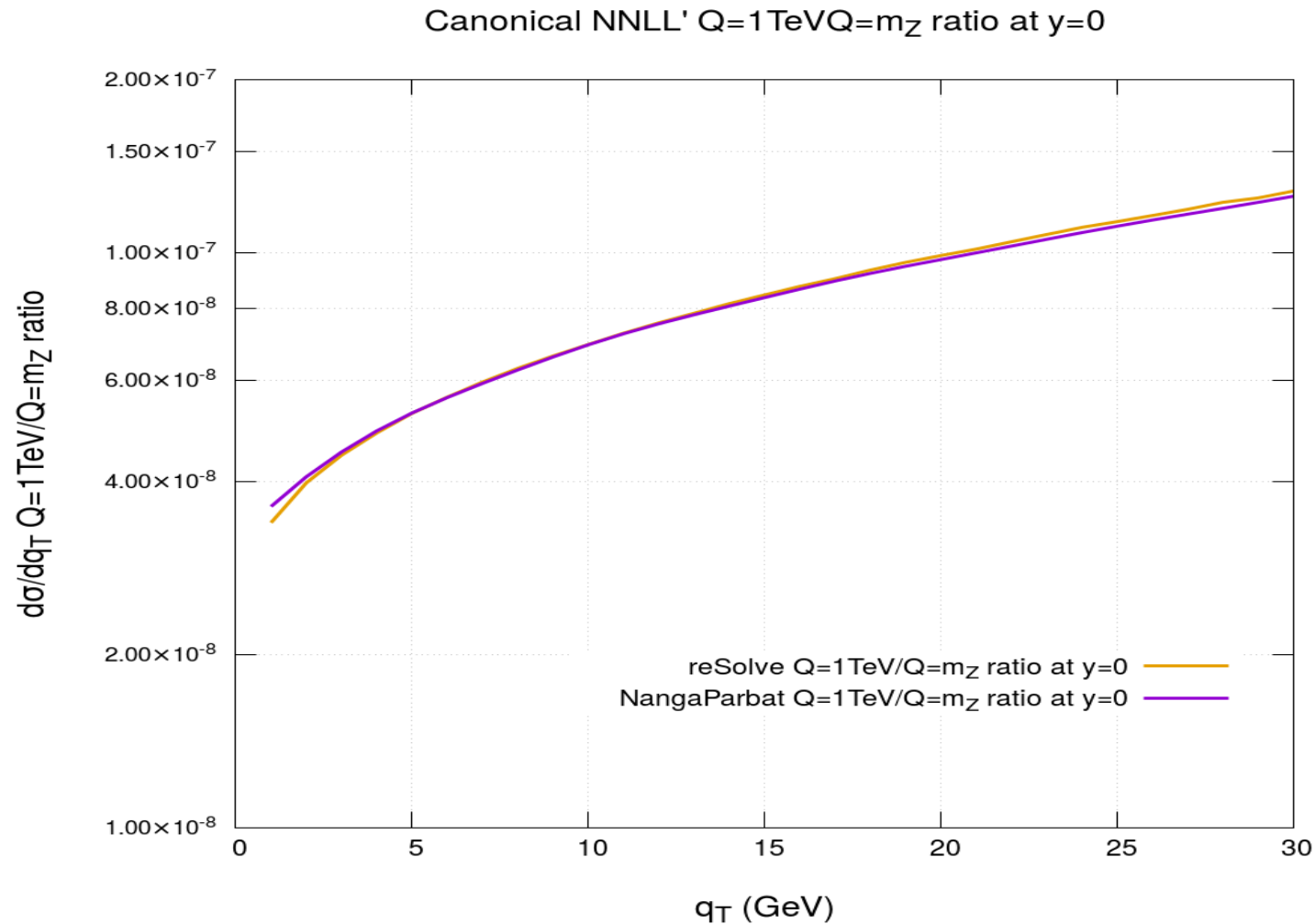
reSolve Q=1TeV, y=0 results

- First Q=1TeV results at y=0 - LL, NLL' and NNLL' as usual:



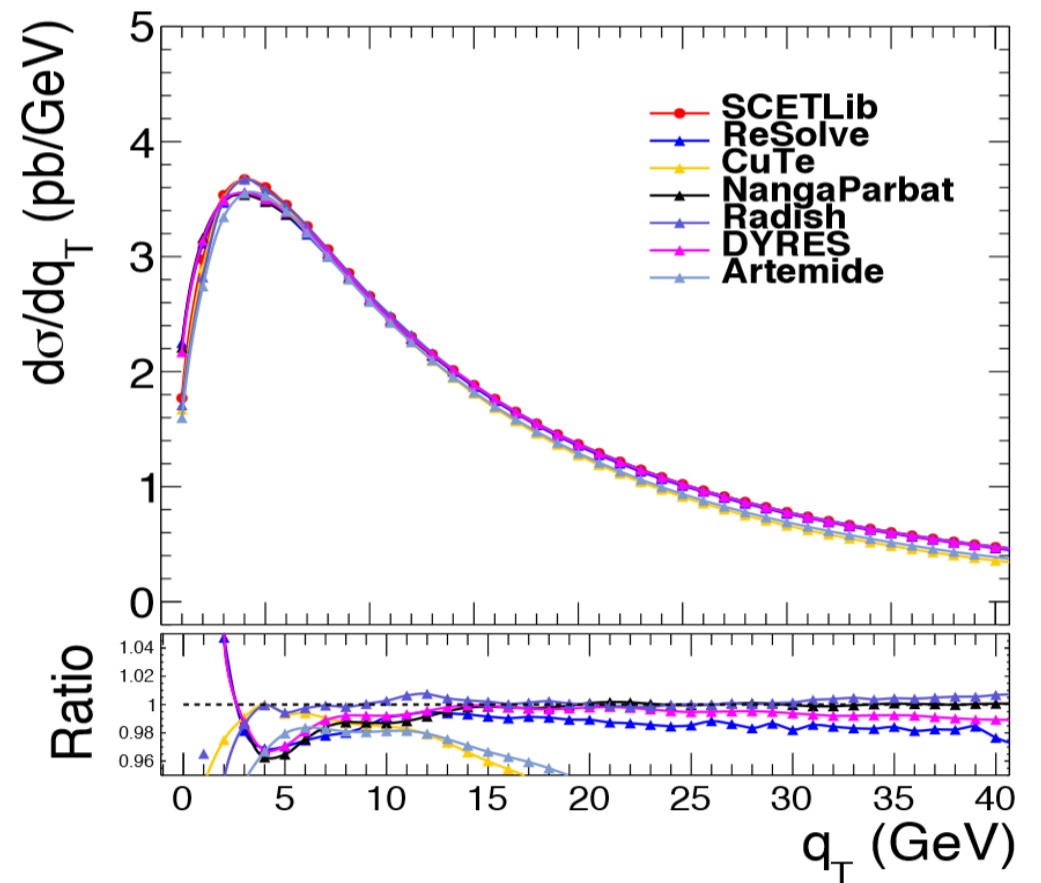
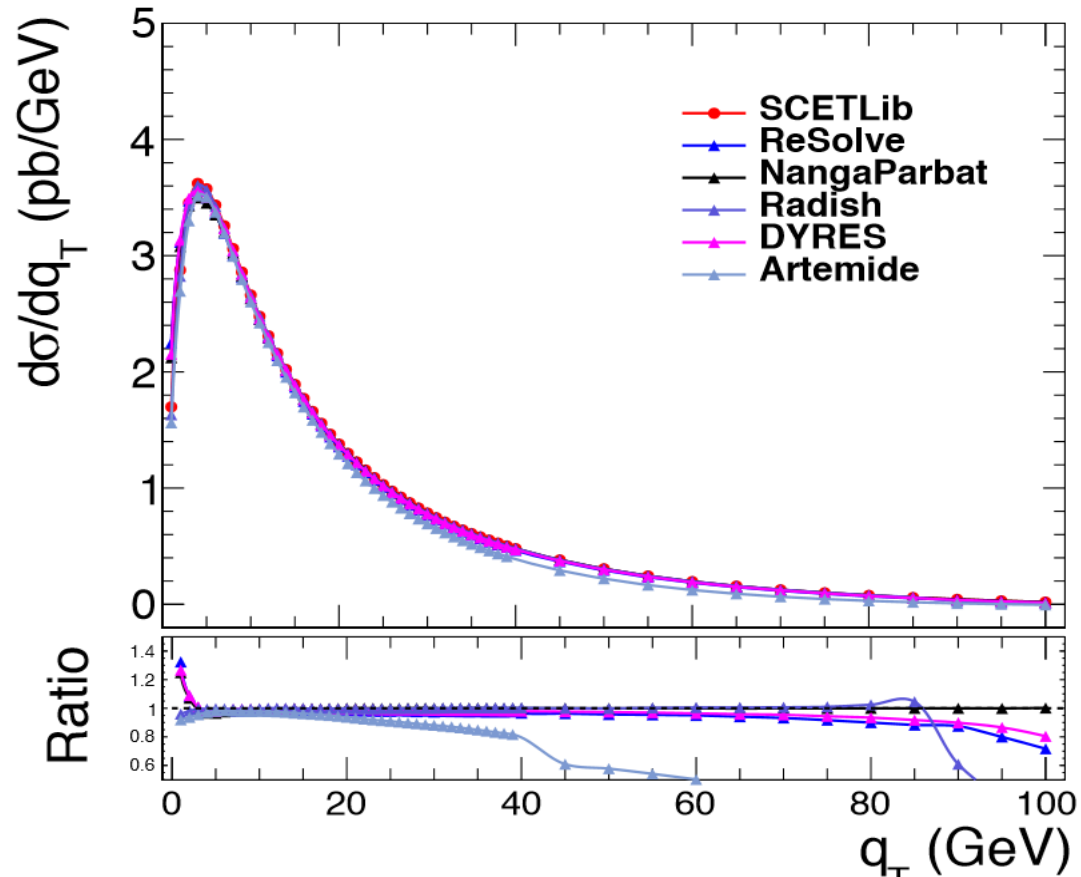
reSolve kinematic evolution: $Q=1\text{TeV}/Q=m_Z$ at $y=0$

- Investigate resummation effects in different kinematic regions via ratios of different Q at $y=0$ results:



Small q_T differences reminder

- Difference seen at low q_T between codes shown to be due to different approaches to this.
- reSolve, DYRes, NangaParbat higher in very low q_T bins than Scetlib, Radish.



b_* prescription and b_{lim} setting

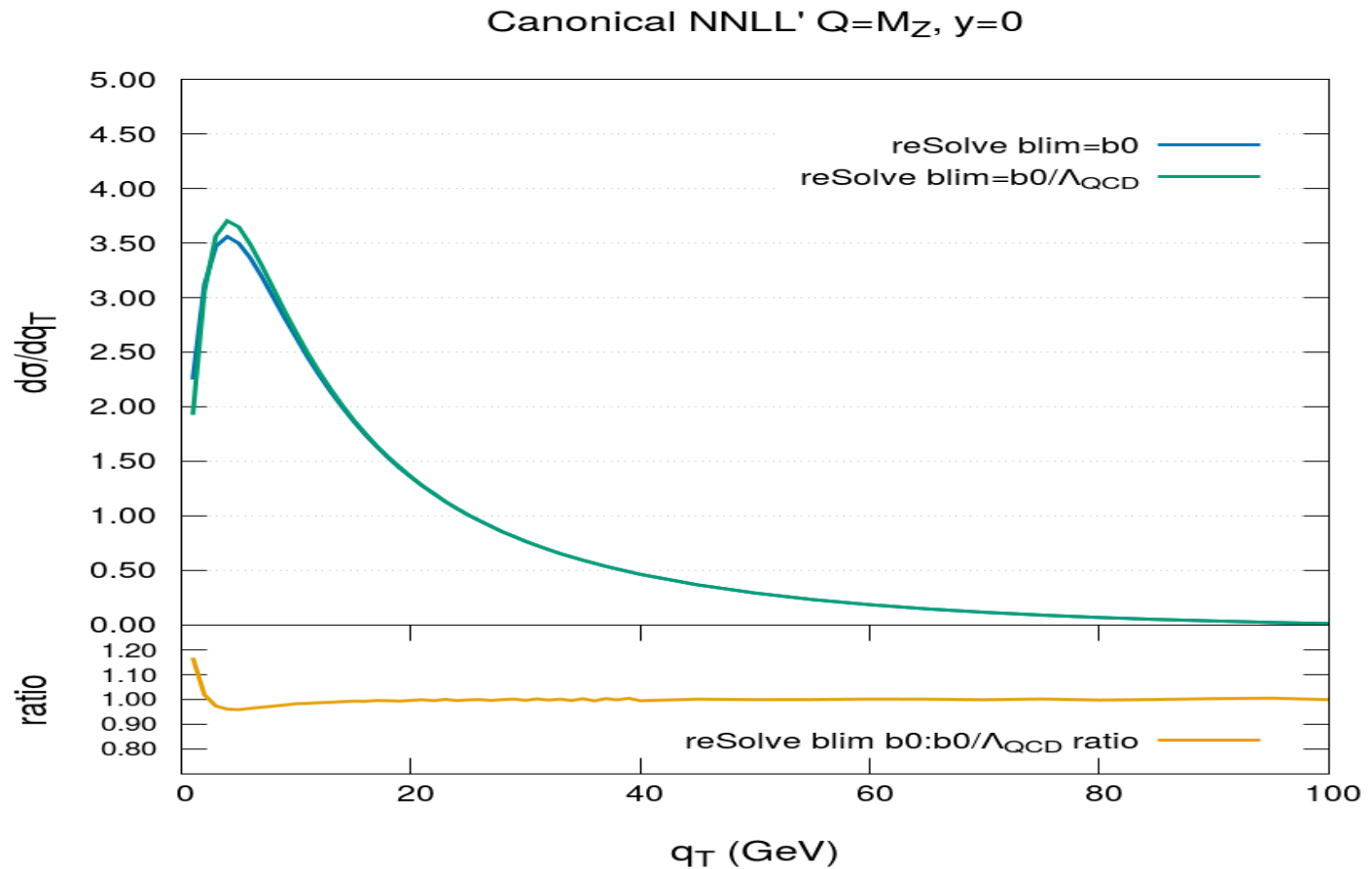
- b_* prescription used to freeze b above b_{lim} : b replaced by

$$b_* = b / \sqrt{1 + b^2 / b_{lim}^2} \text{ so as } b \rightarrow \infty, b_* \rightarrow b_{lim}.$$

- Avoids issues of Landau pole at small q_T (large b), non-perturbative effects then captured by a non-perturbative function (not applied in this benchmarking).
- reSolve uses global b_* , where b is replaced everywhere by b_* (in α_s , PDFs and Sudakov logs).
- In CSS global b_* means that b is frozen everywhere, setting $b_0/b_{lim} = 1\text{GeV}$ freezes out at too large q_T .
- Default setting in reSolve/global b_* is $b_{lim} = b_L = b'_0/Q^2 \exp[1/(2\alpha_s\beta_0)] \sim 1/\Lambda_{QCD}$ which is lower and closer to Landau pole, causing less issues of early freeze out.
- Stefano showed in DYTurbo that using this default b_{lim} is closer to minimal prescription.
- Investigate using default b_{lim} and effect on low q_T .

reSolve small q_T effect of b_{lim} setting

- $b_{lim} = b_0$ vs $b_{lim} = b_L = b'_0/Q^2 \exp[1/(2\alpha_s\beta_0)] \sim 1/\Lambda_{QCD}$
- Same effect as seen in results comparison, reSolve effect same as seen elsewhere.

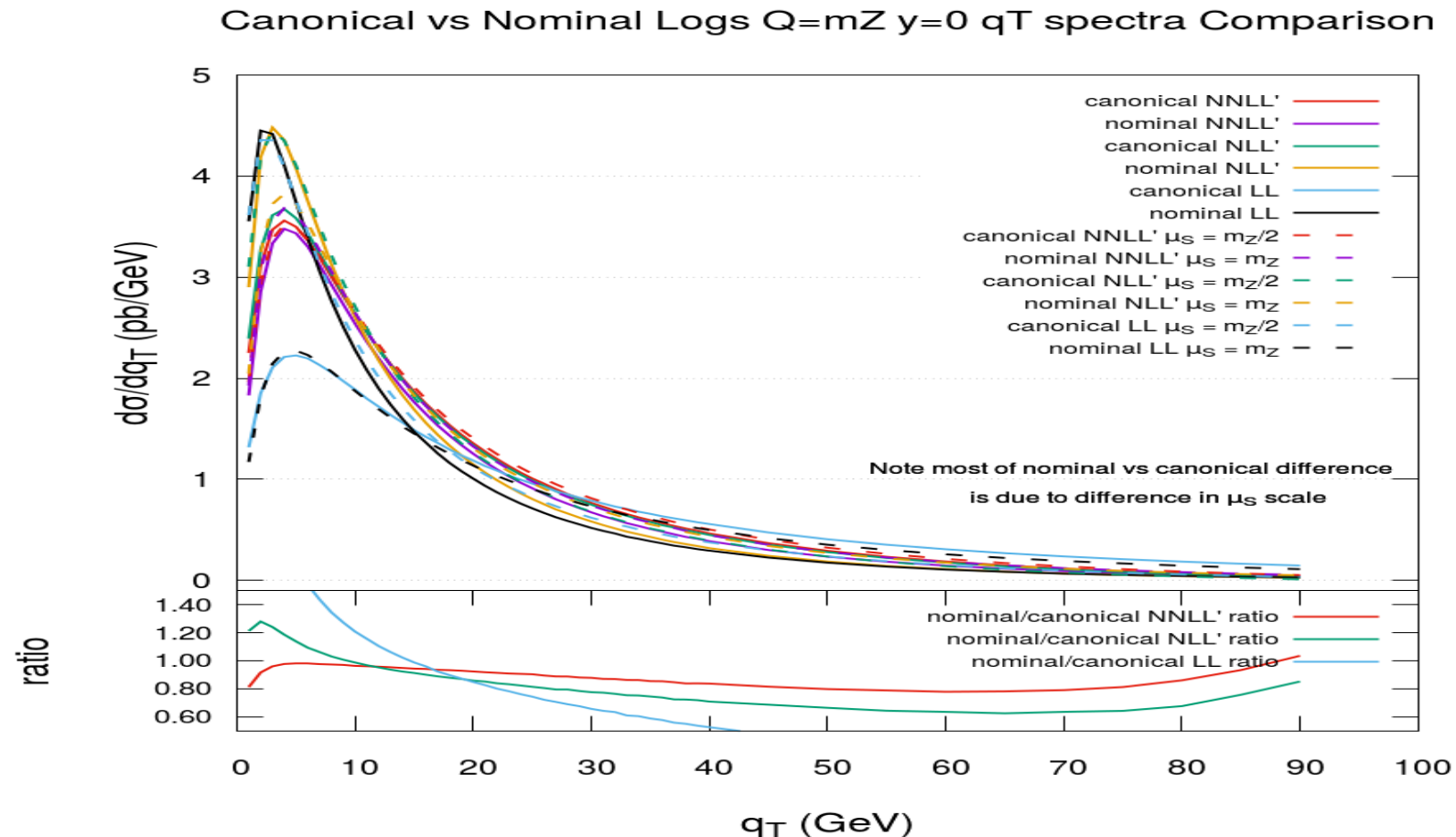


Level 2 – Nominal Logarithms

- reSolve results for nominal logs at $Q=mZ$, and inclusive γ , $\gamma=0$, $\gamma=2.4$ at LL, NLL', NNLL' have been available for some time.
- Now also some reSolve results available for $Q=1\text{TeV}$, $\gamma=0$.
- Differences of nominal logs (level 2) relative to canonical logs (level 1):
 - High q_T (low b), nominal uses modified logs to enforce unitarity as logs reduce to zero.
 - Resummation scale choice, $\mu_s = Q$ (canonical) vs $\mu_s = Q/2$ (nominal).
 - b_{lim} set to default b_L (nominal) vs b_0 (canonical), effecting low q_T .
 - Could apply additional suppression/cut-off to resummed contribution at large q_T but reSolve does not do this.

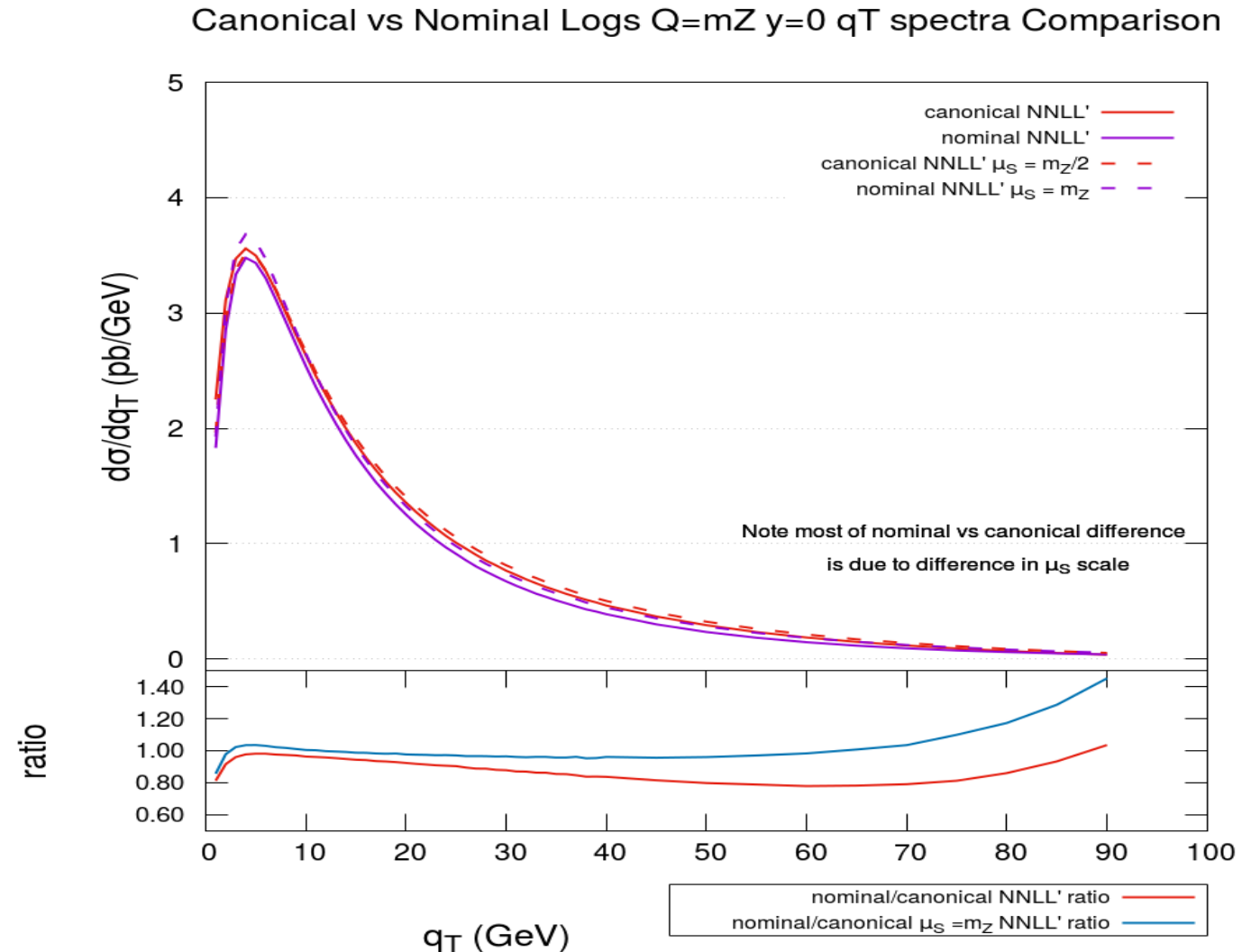
Level 2 – Nominal Logarithms – $Q=mZ, \gamma=0$

- Resummation scale choice, $\mu_S = Q$ (canonical) vs $\mu_S = Q/2$ (nominal) is main difference, particularly for lower orders – measure of scale variation.



Level 2 – Nominal Logarithms at NNLL'

- Resummation scale choice, $\mu_S = Q$ (canonical) vs $\mu_S = Q/2$ (nominal) is main difference at lower orders.
- Also see effects of different b_{lim} (nominal has reSolve default rather than b_0).
- At high q_T see nominal higher than canonical, due to modified logs.
- Such ratios for lower orders show same pattern but more variation and enhanced amplitude as more scale variation.



Level 2 – Nominal Logarithms – $Q=1\text{TeV}$, $y=0$

- Similar effects at $Q=1\text{TeV}$, resummation scale is largest difference particularly for lower orders.
- Although here the effect of scale variation is smaller as q_T is smaller fraction of Q , so difference of canonical and nominal smaller.
- Still see effect of different b_{lim} at very low q_T -> means canonical/nominal at same scale at low q_T is >1 .
- Don't see difference between canonical and nominal at high q_T as still too small relative to Q .

