

# Amplitude analyses for CPV and $\gamma$ measurements

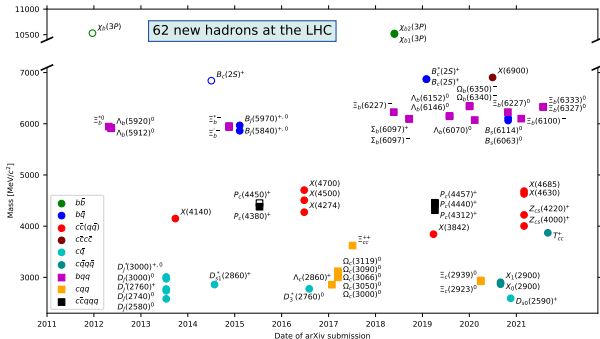
PWA12/ATHOS7 2021

Philippe d'Argent (CERN) on behalf of the LHCb collaboration

07.09.2021



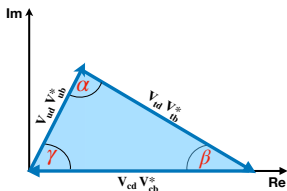
# Amplitude analyses



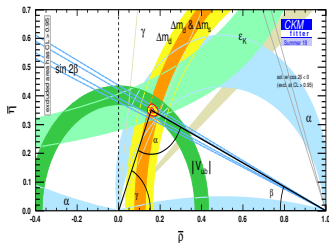
<https://www.nikhef.nl/pkoppen/particles.html>

- LHCb is a hadron discovery factory
- Especially discoveries of tetra/penta-quarks candidates triggered excitement in the theory community
- Amplitude analyses are a powerful tools for spectroscopy: determine mass, width, spin, parity of resonances
- Intrinsic sensitivity to phases  $\Rightarrow$  **CPV measurements**

# Unitarity Triangle measurements



$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

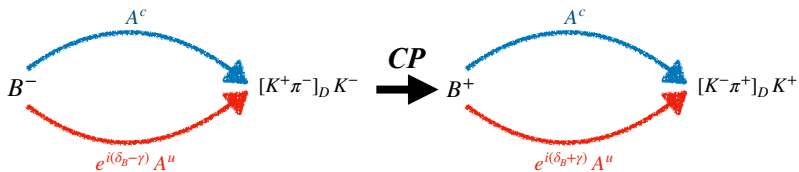


- Complex CKM matrix elements are the only source of CPV in SM
  - **Key test of the SM:** Verify unitarity of CKM matrix
    - **Magnitudes:** Measure branching fractions or mixing frequencies
    - **Phases:** Measure CPV
- ⇒ Sensitivity to NP effects from global consistency of various measurements

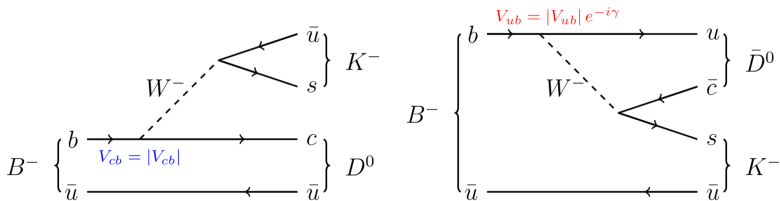
$$V_{CKM} = \begin{pmatrix} |V_{ud}| & |V_{us}| & |V_{ub}|e^{-i\gamma} \\ -|V_{cd}| & |V_{cs}| & |V_{cb}| \\ |V_{td}|e^{-i\beta} & -|V_{ts}|e^{i\beta_s} & |V_{tb}| \end{pmatrix} = \begin{pmatrix} \blacksquare & \blacksquare & \blacksquare \\ \blacksquare & \blacksquare & \blacksquare \\ \blacksquare & \blacksquare & \blacksquare \end{pmatrix}$$

- $\gamma$  is the phase between  $b \rightarrow c$  and  $b \rightarrow u$  decays
- Can be determined entirely from tree decays  $\Rightarrow$  **SM benchmark**
- Significant experimental progress over past 25 years
- Close sensitivity gap:
  - **Direct measurement:**  $\gamma = (71.1^{+4.1}_{-4.5})^\circ$  [HFLAV20]
  - **Indirect measurement:**  $\gamma = (65.7^{+1.0}_{-2.5})^\circ$  [CKMfitter19]

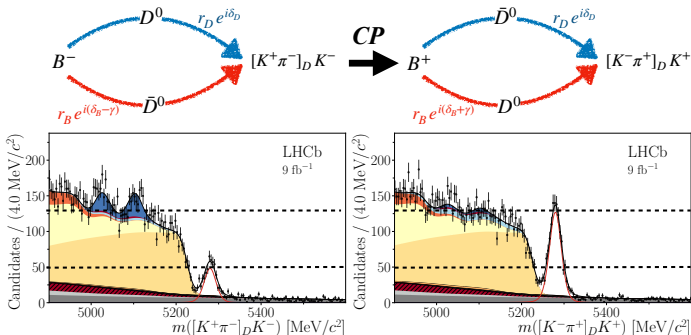
# Direct CPV in $B^\pm \rightarrow DK^\pm$



- Amplitude ratio:  $r_B = A^u / A^c \approx 0.1$
- Weak phase: **CP**  $\gamma = -\gamma$
- Strong phase: **CP**  $\delta_B = +\delta_B$

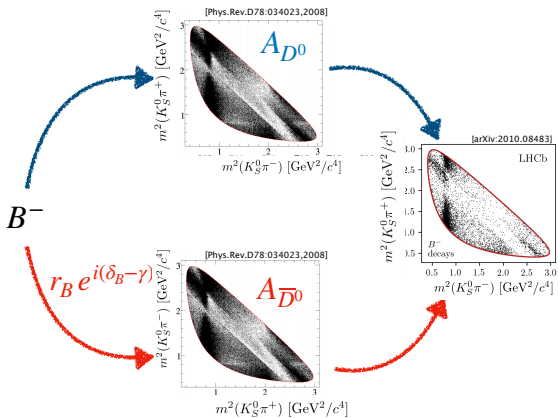


# Direct CPV in $B^\mp \rightarrow DK^\mp, D \rightarrow K^\pm \pi^\mp$



- **Decay rates:**  $\Gamma \propto |r_D e^{i\delta_D} + r_B e^{i(\delta_B - \gamma)}|^2$ ,  $\bar{\Gamma} \propto |r_D e^{i\delta_D} + r_B e^{i(\delta_B + \gamma)}|^2$
- **CP Asymmetry:**  $A_{CP} = \frac{2r_B r_D \sin(\delta_B + \delta_D) \sin(\gamma)}{r_B^2 + r_D^2 + 2r_B r_D \cos(\delta_B + \delta_D) \cos(\gamma)} = (45.1 \pm 2.6)\%$
- Only two observables but 3 unknowns  
 $\Rightarrow$  no standalone measurement of  $\gamma$  possible
- Additional information from  $D \rightarrow KK, \pi\pi, K^\mp \pi^\pm$  (and part. reco.  $B^\pm \rightarrow D^* K^\pm$ ) allows deriving tight constraints

# CKM $\gamma$ from $B^\pm \rightarrow Dh^\pm, D \rightarrow K_S^0 hh$



- Main idea: Perform a  $D \rightarrow hh$  like analysis in regions of the Dalitz plot

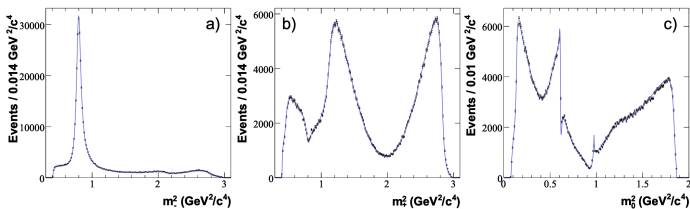
- Total amplitude for  $B^\mp \rightarrow DK^\mp$ :

$$A_{B^\mp}(m_{K_S^0 \pi^+}^2, m_{K_S^0 \pi^-}^2) = A_{D^0}(m_{K_S^0 \pi^+}^2, m_{K_S^0 \pi^-}^2) + r_B e^{i(\delta_B \mp \gamma)} A_{\bar{D}^0}(m_{K_S^0 \pi^-}^2, m_{K_S^0 \pi^+}^2)$$

- Requires knowledge of the strong phase variation over Dalitz plot

# $D \rightarrow K_S^0 hh$ Amplitude model

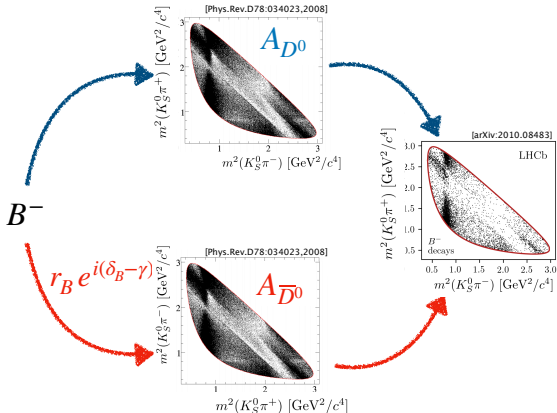
[Phys.Rev.D78(2008)034023]



- Amplitude model has been developed by BaBar using flavor-tagged  $D^0$  decays from  $D^{*+} \rightarrow D^0 \pi^+$
- Using this as input for a model-dependent  $\gamma$  measurement makes optimal use of the available statistics
- **But** systematic of the amplitude description is hard to quantify



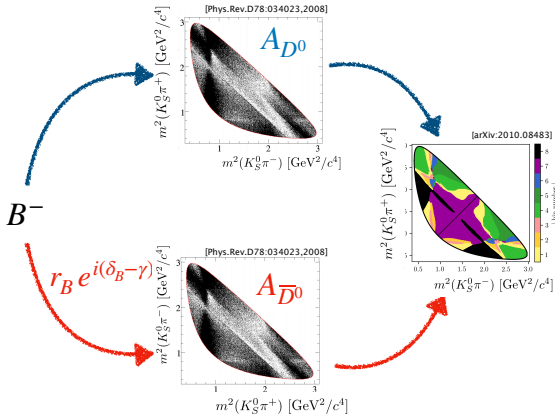
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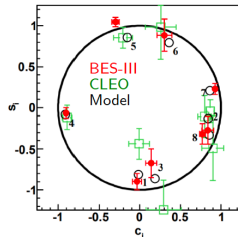
$$A_{B^\mp}(m_{K_S^0 \pi^+}^2, m_{K_S^0 \pi^-}^2) = A_{D^0}(m_{K_S^0 \pi^+}^2, m_{K_S^0 \pi^-}^2) + r_B e^{i(\delta_B \mp \gamma)} A_{\bar{D}^0}(m_{K_S^0 \pi^-}^2, m_{K_S^0 \pi^+}^2)$$
- Strong phase difference  $\delta_D = \arg(A_{D^0}) - \arg(A_{\bar{D}^0})$  measured by CLEO-c/BES-III in Dalitz-plot bins  $\Rightarrow$  **Allows model-independent measurement of  $\gamma$**   
[\[BPGGSZ, arXiv:2006.12404\]](#)
- Amplitude model still crucial to choose a binning with optimal sensitivity

# CKM $\gamma$ from $B^\pm \rightarrow Dh^\pm, D \rightarrow K_S^0 hh$



New charm input from  
BES-III (4 \* CLEO-c stat)

[PRD101, 112002(2020)]



- Total amplitude for  $B^\mp \rightarrow DK^\mp$ :

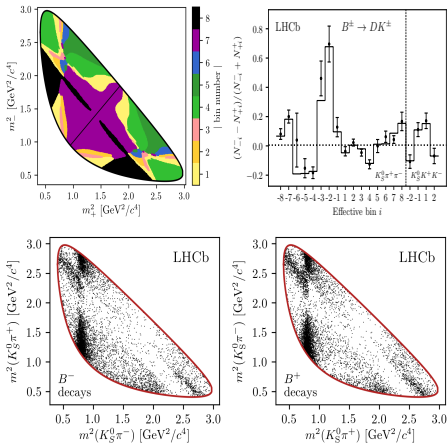
$$A_{B^\mp}(m_{K_S^0 \pi^+}^2, m_{K_S^0 \pi^-}^2) = A_{D^0}(m_{K_S^0 \pi^+}^2, m_{K_S^0 \pi^-}^2) + r_B e^{i(\delta_{B^\mp} + \gamma)} A_{\bar{D}^0}(m_{K_S^0 \pi^-}^2, m_{K_S^0 \pi^+}^2)$$

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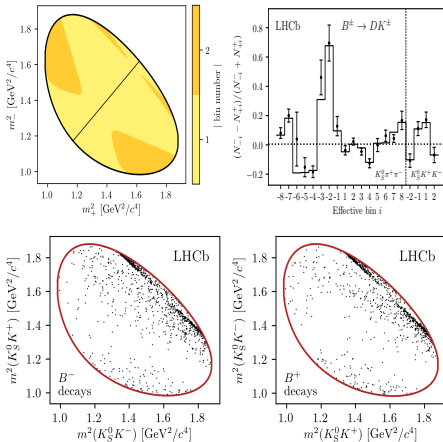
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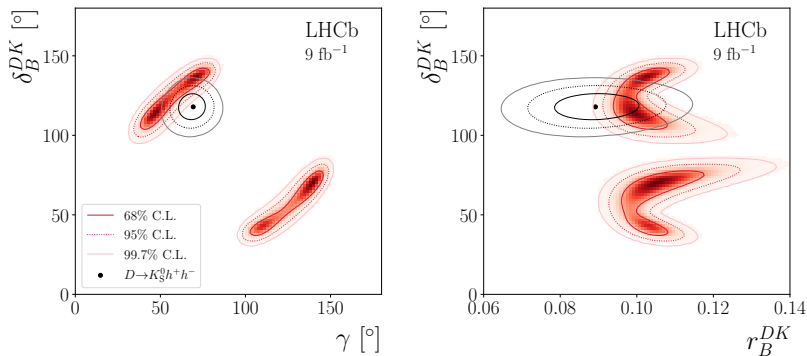
- Updated measurement with full Run 1+2 ( $9\text{fb}^{-1}$ ) data [JHEP02(2021)169]
- Compare yields in bins between  $B^-$  and  $B^+$  decays
- Includes  $B^\pm \rightarrow D(K/\pi)^\pm$  with  $D \rightarrow K_S^0 \pi \pi$  and  $D \rightarrow K_S^0 K K$
- $r_B^{DK} = 0.0904_{-0.0075}^{+0.0077}$ ,  $\delta_B^{DK} = (118.3_{-5.6}^{+5.5})^\circ$ ,  $\gamma = (68.7_{-5.1}^{+5.2})^\circ$   
 $\Rightarrow$  **Most precise single measurement!**

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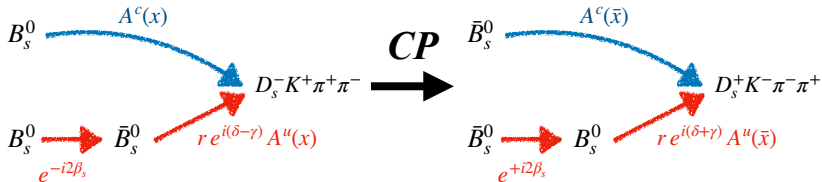
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[JHEP04(2021)081, JHEP02(2021)169]



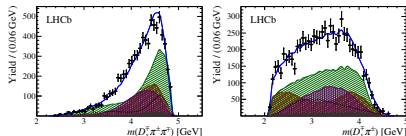
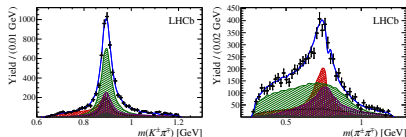
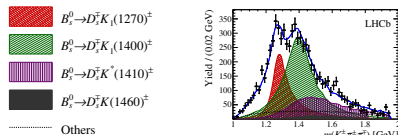
- $D \rightarrow hh$ : In total 30 observables (asymmetries, ratios) are measured  
 $\Rightarrow$  Combined information allows deriving tight constraints on  $r_B, \delta_B, \gamma$
- Combination with  $D \rightarrow K_S^0 hh$  resolves ambiguities
- Excellent agreement between  $D \rightarrow hh$  and  $D \rightarrow K_S^0 hh$

# Mixing-induced CPV in $B_s^0 \rightarrow D_s K \pi \pi$



- Interference between  $b \rightarrow c$  and  $b \rightarrow u$  achieved through  $B_s^0 - \bar{B}_s^0$  mixing
- Strong phases in  $A^c(x)$  and  $A^u(x)$  depend on 5D phase-space
- Two approaches:
  - **Model-dependent:**  
Describe resonance contributions with amplitude model
  - **Model-independent:**  
Integrate over phase-space space  
 $\Rightarrow$  Coherence factor  $\kappa$  dilutes sensitivity
- Use full Run 1+2 ( $9\text{fb}^{-1}$ ) data

[JHEP03(2021)137]



(Toy simulation, Animation only playable with Adobe Reader)

# Calibration channel $B_s \rightarrow D_s \pi \pi \pi$

Flavor-specific  $B_s \rightarrow D_s \pi \pi \pi$  used for:

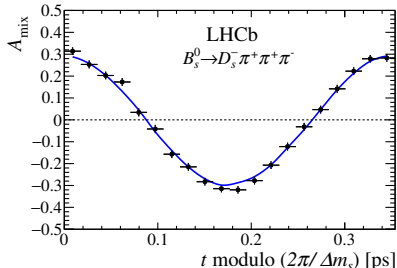
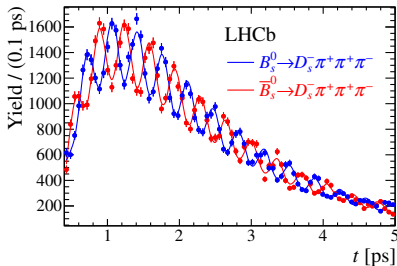
## - Calibration of flavor tagging algorithms:

- Have we produced a  $B_s^0$  or a  $\bar{B}_s^0$ ?
- Mixing asymmetry:  
$$A_{mix} = \frac{\text{Unmixed} - \text{Mixed}}{\text{Unmixed} + \text{Mixed}}$$
$$= (1 - 2\omega) \cos(\Delta m_s t)$$
$$\Rightarrow \text{Mistag } \omega \approx 40\%$$
- Tagging power  $\epsilon_{\text{eff}} = \epsilon_{\text{tag}} (1 - 2\omega)^2 \approx 6\%$

## - Mixing frequency:

- Excellent decay-time resolution:  
 $\langle \sigma_t \rangle \approx 37\text{fs} \ll 2\pi/\Delta m_s \approx 350\text{fs}$
- $\Delta m_s = (17.757 \pm 0.007 \pm 0.008)\text{ps}^{-1}$
- **More precise than world average!**  
(PDG20:  $\Delta m_s = (17.756 \pm 0.021)\text{ps}^{-1}$ )

[JHEP03(2021)137]





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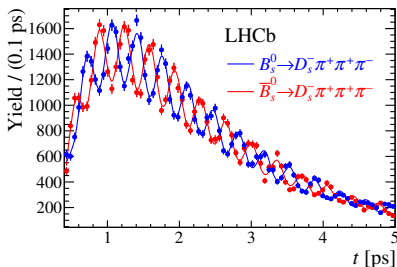
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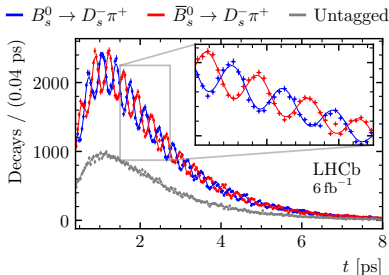
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- **More precise than world average!**  
(PDG20:  $\Delta m_s = (17.756 \pm 0.021)\text{ps}^{-1}$ )
- **New measurement from  $B_s \rightarrow D_s \pi$ :**  
 $\Delta m_s = (17.7683 \pm 0.0051 \pm 0.0032)\text{ps}^{-1}$

[JHEP03(2021)137]



[arXiv:2104.04421]



Plenty of possible decay channels ! How to select them ?

Decay channel
$B_s \rightarrow D_s^- [K_1(1270)^+[S, D] \rightarrow \pi^+ K^*(892)^0]$
$B_s \rightarrow D_s^- [K_1(1270)^+ \rightarrow \pi^+ K^*(1430)^0]$
$B_s \rightarrow D_s^- [K_1(1270)^+[S, D] \rightarrow K^+ \rho(770)^0]$
$B_s \rightarrow D_s^- [K_1(1400)^+[S, D] \rightarrow \pi^+ K^*(892)^0]$
$B_s \rightarrow D_s^- [K_1(1400)^+[S, D] \rightarrow K^+ \rho(770)^0]$
$B_s \rightarrow D_s^- [K(1460)^+ \rightarrow K^+ \sigma]$
$B_s \rightarrow D_s^- [K(1460)^+ \rightarrow \pi^+ K^*(892)^0]$
$B_s \rightarrow D_s^- [K(1460)^+ \rightarrow K^+ \rho(770)^0]$
$B_s \rightarrow D_s^- [K^*(1410)^+ \rightarrow \pi^+ K^*(892)^0]$
$B_s \rightarrow D_s^- [K^*(1410)^+ \rightarrow K^+ \rho(770)^0]$
$B_s \rightarrow D_s^- [K_2^*(1430)^+ \rightarrow \pi^+ K^*(892)^0]$
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$B_s \rightarrow D_s^- [K^*(1680)^+ \rightarrow \pi^+ K^*(892)^0]$
$B_s \rightarrow D_s^- [K^*(1680)^+ \rightarrow K^+ \rho(770)^0]$
$B_s \rightarrow D_s^- [K_2(1770)^+ \rightarrow \pi^+ K^*(892)^0]$
$B_s \rightarrow D_s^- [K_2(1770)^+ \rightarrow K^+ \rho(770)^0]$
$B_s \rightarrow \sigma^0 (D_s^- K^+)_S$
$B_s[S, P, D] \rightarrow \rho(770)^0 (D_s^- K^+)_V$
$B_s \rightarrow K^*(892)^0 (D_s^- \pi^+)_S$
$B_s[S, P, D] \rightarrow K^*(892)^0 (D_s^- \pi^+)_V$
$B_s \rightarrow (D_s^- K^+)_S (\pi^+ \pi^-)_S$
...

$\approx 100$  in total !

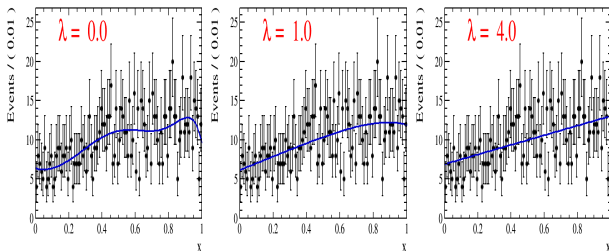
# Amplitude model selection

- Overwhelmingly high number of possible amplitudes
- Adding more fit parameters will describe **this** data better  
⇒ **Overfitting**

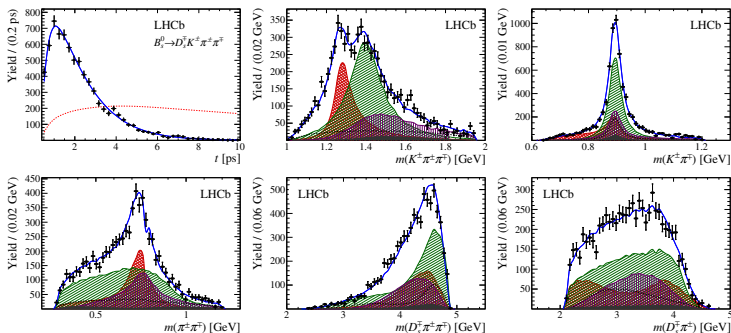
## LASSO

- Data-driven method for model selection  
[M. Williams, arXiv:1505.05133]
- Include “all” amplitudes, but penalize complexity in the likelihood:  
 $-2 \cdot \log(L) \rightarrow -2 \cdot \log(L) + \lambda \cdot \sum_i |r_i|$

(Toys generated with pdf =  $1 + x$ , fitted with 10-order polynomial)



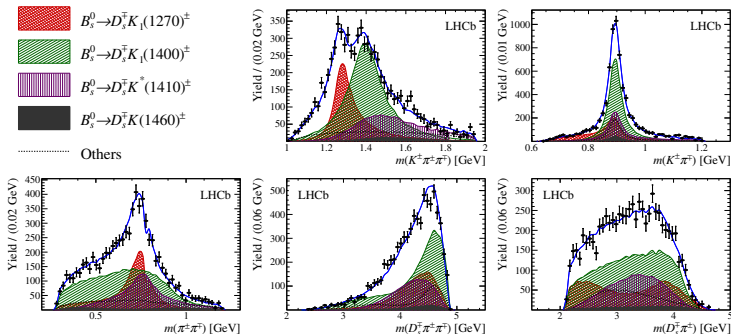
## Full time-dependent amplitude fit with LASSO model



[JHEP03(2021)137]

- 6D time-dependent amplitude fit
- Selected 8  $b \rightarrow c$  and 8  $b \rightarrow u$  amplitudes

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# Selected LASSO amplitudes

- 2 amplitude models fitted simultaneously
- Total amplitudes:  $A^c(x) = \sum_i a_i^c A_i(x)$ ,  $A^u(x) = \sum_i a_i^u A_i(x)$
- Fit fractions:  $F_i^{c(u)} = \int |a_i^{c(u)} A_i(x)|^2 d\Phi_4 / \int |A^{c(u)}(x)|^2 d\Phi_4$

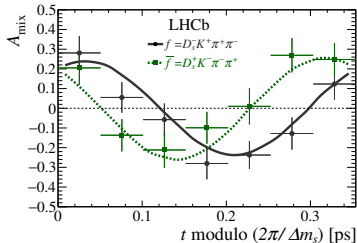
[JHEP03(2021)137]

Decay Channel	$F^c$ [%]	$F^u$ [%]
$B_s \rightarrow D_s (K_1(1270) \rightarrow K^*(892) \pi)$	$13.0 \pm 2.4 \pm 2.7 \pm 3.4$	$4.1 \pm 2.2 \pm 2.9 \pm 2.6$
$B_s \rightarrow D_s (K_1(1270) \rightarrow K \rho(770))$	$16.0 \pm 1.4 \pm 1.8 \pm 2.1$	$5.1 \pm 2.2 \pm 3.5 \pm 2.0$
$B_s \rightarrow D_s (K_1(1270) \rightarrow K_0^*(1430) \pi)$	$3.4 \pm 0.5 \pm 1.0 \pm 0.4$	$1.1 \pm 0.5 \pm 0.6 \pm 0.5$
$B_s \rightarrow D_s (K_1(1400) \rightarrow K^*(892) \pi)$	$63.9 \pm 5.1 \pm 7.4 \pm 13.5$	$19.3 \pm 5.2 \pm 8.3 \pm 7.8$
$B_s \rightarrow D_s (K^*(1410) \rightarrow K^*(892) \pi)$	$12.8 \pm 0.8 \pm 1.5 \pm 3.2$	$12.6 \pm 2.0 \pm 2.6 \pm 4.1$
$B_s \rightarrow D_s (K^*(1410) \rightarrow K \rho(770))$	$5.6 \pm 0.4 \pm 0.6 \pm 0.7$	$5.6 \pm 1.0 \pm 1.2 \pm 1.8$
$B_s \rightarrow D_s (K(1460) \rightarrow K^*(892) \pi)$		$11.9 \pm 2.5 \pm 2.9 \pm 3.1$
$B_s \rightarrow (D_s \pi)_P K^*(892)$	$10.2 \pm 1.6 \pm 1.8 \pm 4.5$	$28.4 \pm 5.6 \pm 6.4 \pm 15.3$
$B_s \rightarrow (D_s K)_P \rho(770)$	$0.9 \pm 0.4 \pm 0.5 \pm 1.0$	
Sum	$125.7 \pm 6.4 \pm 6.9 \pm 19.9$	$88.1 \pm 7.0 \pm 10.0 \pm 20.9$

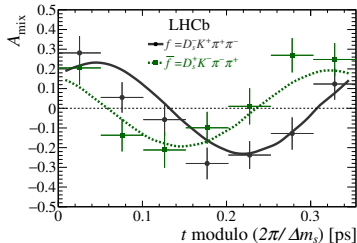
Coherence factor can be derived from amplitude models:

$$\kappa \equiv \frac{|\int \mathcal{A}^c(x)^* \mathcal{A}^u(x) d\Phi_4|}{\sqrt{\int |\mathcal{A}^c(x)|^2 d\Phi_4} \sqrt{\int |\mathcal{A}^u(x)|^2 d\Phi_4}} = 0.72 \pm 0.04 \pm 0.06 \pm 0.04$$

## Model-independent fit



## Model-dependent fit



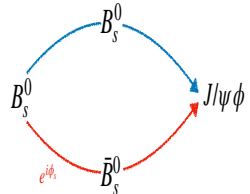
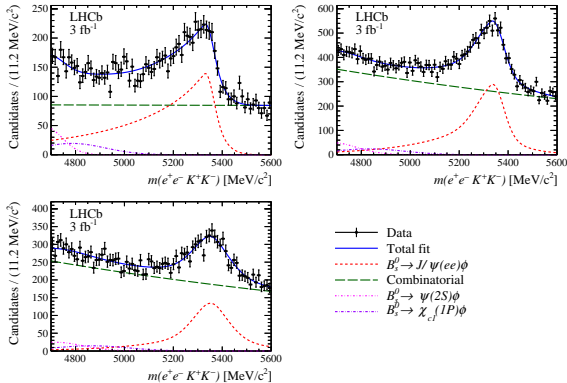
[JHEP03(2021)137]

Parameter	Model-independent	Model-dependent
$r$	$0.47^{+0.08+0.02}_{-0.08-0.03}$	$0.56 \pm 0.05 \pm 0.04 \pm 0.07$
$\kappa$	$0.88^{+0.12+0.04}_{-0.19-0.07}$	$0.72 \pm 0.04 \pm 0.06 \pm 0.04$
$\delta$ [°]	$-6^{+10+2}_{-12-4}$	$-14 \pm 10 \pm 4 \pm 5$
$\gamma - 2\beta_s$ [°]	$42^{+19+6}_{-13-2}$	$42 \pm \underbrace{10}_{\text{stat}} \pm \underbrace{4}_{\text{sys}} \pm \underbrace{5}_{\text{model}}$

- Good agreement between methods!
- What about  $\beta_s$ ?

# Measurement of $\phi_s$ from $B_s \rightarrow J/\psi(e^+e^-)\phi$

[arXiv:2105.14738]

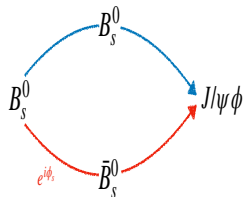
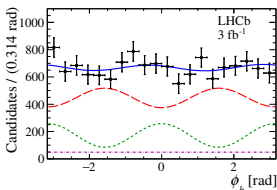
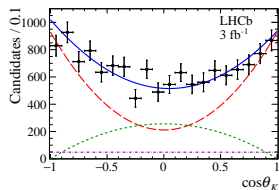
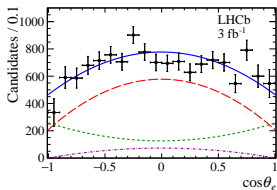
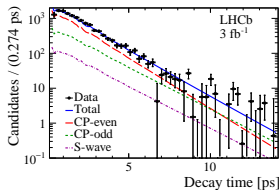


- First time-dependent angular analysis with electron final state (Run1 data ( $3\text{fb}^{-1}$ ))
- Follows similar strategy as  $J/\psi \rightarrow \mu^+\mu^-$  analysis
- Important cross-check with different systematics
- $-2\beta_s \approx \phi_s = (0.00 \pm 0.27 \pm 0.10)\text{rad}$  (PDG20:  $\phi_s = (-0.051 \pm 0.023)\text{rad}$ )



# Measurement of $\phi_s$ from $B_s \rightarrow J/\psi(e^+e^-)\phi$

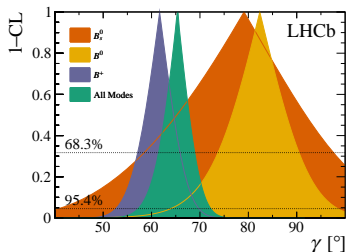
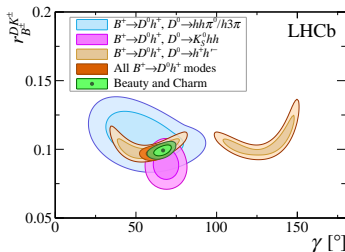
[arXiv:2105.14738]



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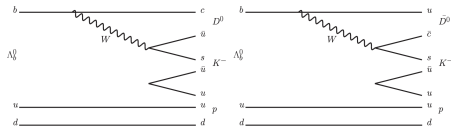
# LHCb $\gamma$ combination

- Last LHCb average:  $\gamma = (74_{-6}^{+5})^\circ$  [LHCb-CONF-2018-002]
- **New average  $\gamma = (65.4_{-4.2}^{+3.8})^\circ$  includes:**
  - $B^\pm \rightarrow D^{(*)}h^\pm$  with  $D \rightarrow hh, K_S^0 hh$  updated with Run2 data [JHEP04(2021)081, JHEP02(2021)169]
  - TD  $B_s \rightarrow D_s^\mp K^\pm \pi^\pm \pi^\mp$  for the first time [JHEP03(2021)137]
  - and more (including charm input for the first time) [LHCb-CONF-2021-001]
  - Amplitude analyses crucial to optimize sensitivity of multi-body modes
- Getting closer to challenge precision of global fits:  $\gamma = (65.7_{-2.5}^{+1.0})^\circ$  [CKMfitter]
- **New precise measurements of  $\Delta m_s$  and  $\beta_s$  vital input for global CKM fits**



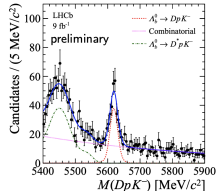
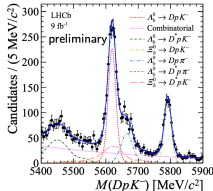
# Search for $CP$ violation in $\Lambda_b \rightarrow [K^+\pi^-]_D p K^-$ decays

- No measurement of  $\gamma$  from baryon decays yet
- $\Lambda_b \rightarrow DpK^-$  sensitive to  $\gamma$  as  $b \rightarrow c$  and  $b \rightarrow u$  amplitudes are of similar magnitude for suppressed mode
- Amplitude model could be useful to find regions of enhanced sensitivity
- For more details see Anton's talk!



- Favored decay:  
 $\Lambda_b \rightarrow [K^- \pi^+]_D p K^-$
- Suppressed decay:  
 $\Lambda_b \rightarrow [K^+ \pi^-]_D p K^-$

(discovered for the first time!)



[LHCb-PAPER-2021-027 (in preparation)]

$$R = \frac{N_{FAV}}{N_{SUP}} = 7.14 \pm 0.79(stat)^{+0.43}_{-0.33}(sys)$$

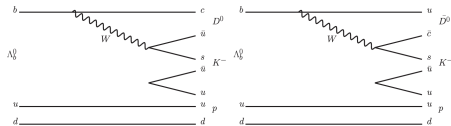
$$A = \frac{N_{SUP}(\Lambda_b^0) - N_{SUP}(\bar{\Lambda}_b^0)}{N_{SUP}(\Lambda_b^0) + N_{SUP}(\bar{\Lambda}_b^0)} = 0.119 \pm 0.088(stat)^{+0.024}_{-0.026}(sys)$$

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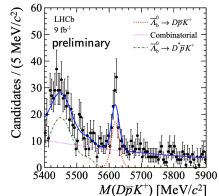
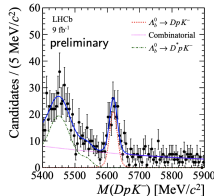
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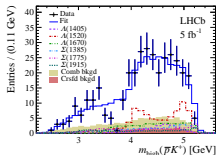
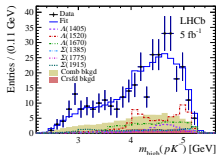
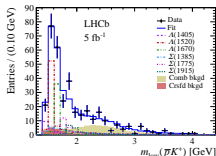
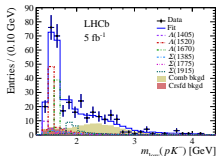
# Search for $CP$ violation in $\Xi_b^- \rightarrow pK^- K^-$ decays

- No CPV in the baryon sector observed yet!
- Search in  $\Xi_b^- \rightarrow pK^- K^-$  decays motivated by large local CPV observed in  $B^+ \rightarrow hhh$   
[Phys.Rev.Lett.124(2020)031801]
- First amplitude analysis of b-baryon decay allowing for CPV!
- For more details see Anton's talk!

Component	$A^{CP} (10^{-2})$
$\Sigma(1385)$	$-26.6 \pm 33.9$ (stat) $\pm 72.7$ (syst)
$\Lambda(1405)$	$-0.8 \pm 24.5$ (stat) $\pm 31.9$ (syst)
$\Lambda(1520)$	$-4.7 \pm 8.7$ (stat) $\pm 7.6$ (syst)
$\Lambda(1670)$	$3.1 \pm 14.0$ (stat) $\pm 10.1$ (syst)
$\Sigma(1775)$	$-47.4 \pm 25.5$ (stat) $\pm 13.8$ (syst)
$\Sigma(1915)$	$11.3 \pm 26.1$ (stat) $\pm 21.8$ (syst)

$$\begin{aligned}
 \mathcal{B}(\Xi_b^- \rightarrow \Sigma(1385)K^-) &= (0.26 \pm 0.11 \pm 0.17 \pm 0.10) \times 10^{-6}, \\
 \mathcal{B}(\Xi_b^- \rightarrow \Lambda(1405)K^-) &= (0.19 \pm 0.06 \pm 0.07 \pm 0.07) \times 10^{-6}, \\
 \mathcal{B}(\Xi_b^- \rightarrow \Lambda(1520)K^-) &= (0.76 \pm 0.09 \pm 0.08 \pm 0.30) \times 10^{-6}, \\
 \mathcal{B}(\Xi_b^- \rightarrow \Lambda(1670)K^-) &= (0.45 \pm 0.07 \pm 0.13 \pm 0.18) \times 10^{-6}, \\
 \mathcal{B}(\Xi_b^- \rightarrow \Sigma(1775)K^-) &= (0.22 \pm 0.08 \pm 0.09 \pm 0.09) \times 10^{-6}, \\
 \mathcal{B}(\Xi_b^- \rightarrow \Sigma(1915)K^-) &= (0.26 \pm 0.09 \pm 0.21 \pm 0.10) \times 10^{-6},
 \end{aligned}$$

[arXiv:2104.15074]

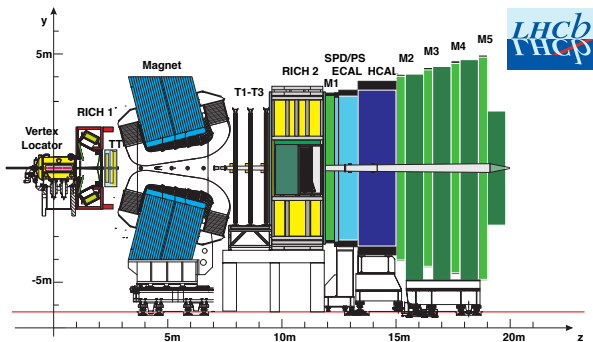


## Amplitude analyses are a powerful tool for CPV measurements!

- Model-dependent CPV searches:
  - $\Xi_b \rightarrow pK^-K^-$  [arXiv:2104.15074]
  - $B^+ \rightarrow hhh$  [Phys.Rev.Lett.124(2020)031801]
  - $D \rightarrow KK\pi\pi$  [Phys.Lett.B769(2017)345-356],  $D \rightarrow \pi\pi\pi\pi$  [JHEP05(2017)143]
- Improved statistical precision for  $\gamma$  measurement in time-dependent  $B_s \rightarrow D_s K\pi\pi$  [JHEP03(2021)137]
- Optimization of model-independent measurements:
  - Direct CPV in  $B \rightarrow DK$  [JHEP02(2021)169]  
or  $\Lambda_b \rightarrow DpK^-$  [LHCB-PAPER-2021-027 (in preparation)]
  - Charm mixing [Phys.Rev.Lett.122(2019)23,231802]
  - Search for CPV in  $D \rightarrow \pi\pi\pi\pi$  with energy test  
[Phys.Lett.B769(2017)345-356]

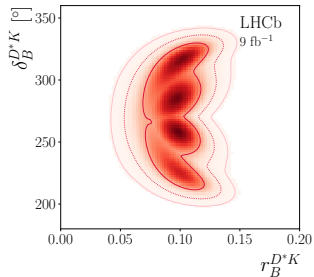
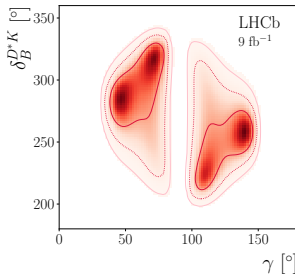
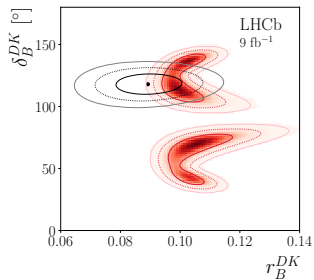
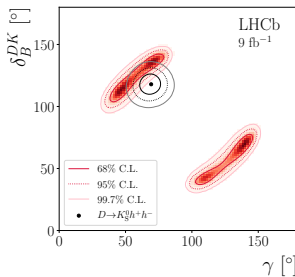
# Backup: LHCb detector

- One-arm spectrometer optimised for studies of beauty and charm decays at LHC
- Excellent time resolution ( $\approx 45\text{fs}$ ), momentum resolution ( $dp/p \approx 0.4 - 0.6\%$ ) and PID performance (RICH)
- Calorimetry: reconstruct neutrals ( $\pi^0, \gamma$ ) in the final state



# Backup: $B^\mp \rightarrow D^{(*)}K^\mp$ results

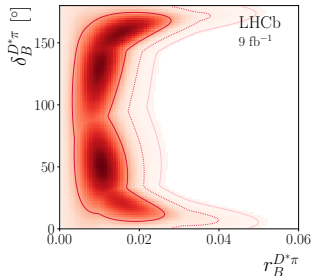
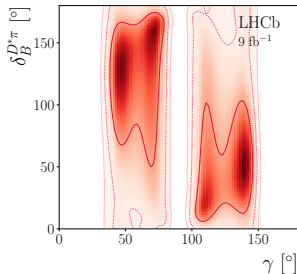
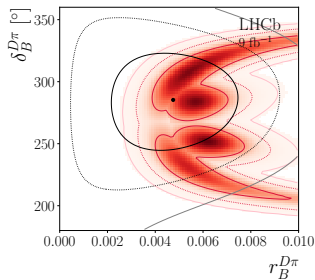
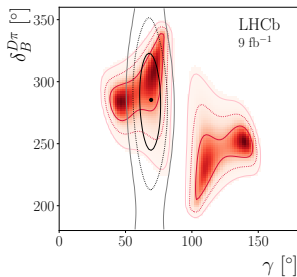
[arXiv:2012.09903, JHEP02(2021)169]



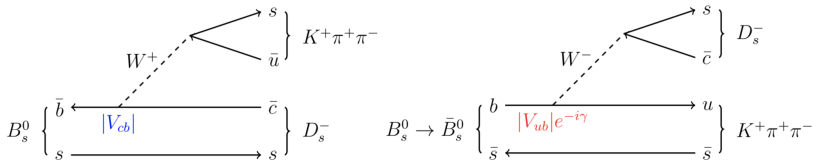


# Backup: $B^\mp \rightarrow D^{(*)}\pi^\mp$ results

[arXiv:2012.09903, JHEP02(2021)169]



# Backup: $B_s \rightarrow D_s^\mp K^\pm \pi^\pm \pi^\mp$ PDF



## Full time-dependent amplitude PDF

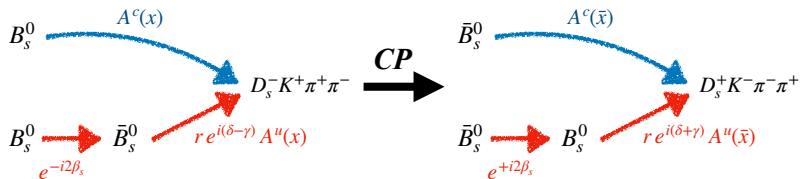
$$\begin{aligned}
 \frac{d\Gamma(x, t)}{e^{-\Gamma_s t} dt d\Phi_4} &\propto (|\mathcal{A}^c(x)|^2 + r^2 |\mathcal{A}^u(x)|^2) \cosh\left(\frac{\Delta\Gamma_s t}{2}\right) \\
 &+ q f (|\mathcal{A}^c(x)|^2 - r^2 |\mathcal{A}^u(x)|^2) \cos(\Delta m_s t) \\
 &- 2\text{Re}(\mathcal{A}^c(x)^* r \mathcal{A}^u(x) e^{i\delta - if(\gamma - 2\beta_s)}) \sinh\left(\frac{\Delta\Gamma_s t}{2}\right) \\
 &- 2q f \text{Im}(\mathcal{A}^c(x)^* r \mathcal{A}^u(x) e^{i\delta - if(\gamma - 2\beta_s)}) \sin(\Delta m_s t)
 \end{aligned}$$

$q = +1(-1)$  for  $B_s^0$  ( $\bar{B}_s^0$ ) initial state

$f = +1(-1)$  for  $D_s^- K^+$  ( $D_s^+ K^-$ ) final state

Convention with  $\Delta\Gamma_s > 0$

# Backup: $B_s \rightarrow D_s^\mp K^\pm \pi^\pm \pi^\mp$ model-independent PDF



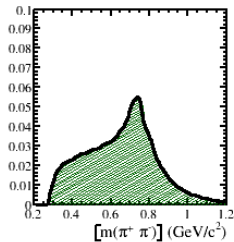
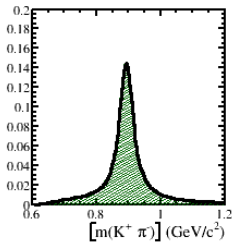
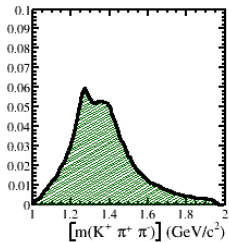
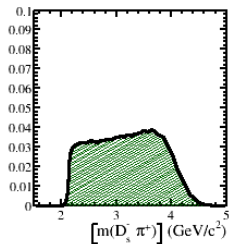
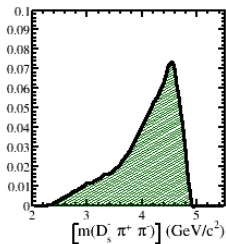
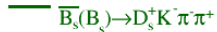
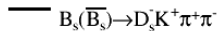
## Phasespace integrated PDF

$$\frac{d\Gamma(t)}{e^{-\Gamma_s t} dt} \propto \cosh\left(\frac{\Delta\Gamma_s t}{2}\right) + q f C \cos(\Delta m_s t) + A_f^{\Delta\Gamma} \sinh\left(\frac{\Delta\Gamma_s t}{2}\right) - q S_f \sin(\Delta m_s t)$$

$$C = \frac{1-r^2}{1+r^2}, \quad A_f^{\Delta\Gamma} = -\frac{2r\kappa \cos(\delta - f(\gamma - 2\beta_s))}{1+r^2}, \quad S_f = f \frac{2r\kappa \sin(\delta - f(\gamma - 2\beta_s))}{1+r^2}$$

Coherence factor dilutes sensitivity:  $\kappa \equiv \frac{|\int \mathcal{A}^c(x) \mathcal{A}^u(x) d\Phi_4|}{\sqrt{\int |\mathcal{A}^c(x)|^2 d\Phi_4} \sqrt{\int |\mathcal{A}^u(x)|^2 d\Phi_4}} \in [0, 1]$

$$t = 0.00(2\pi/\Delta m_s)$$

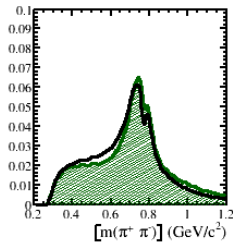
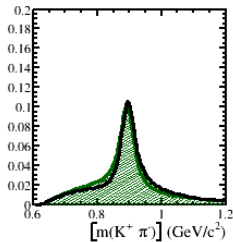
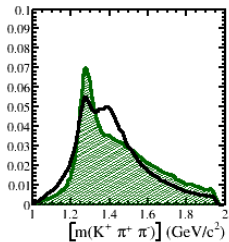
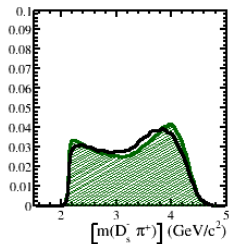
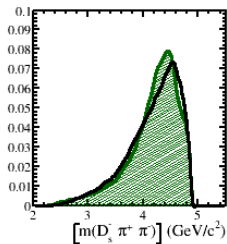


(Toy simulation)

$$t = 0.42(2\pi/\Delta m_s)$$

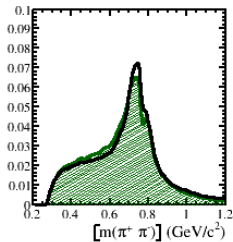
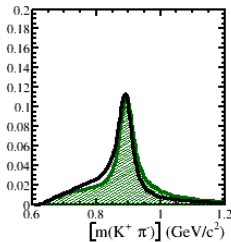
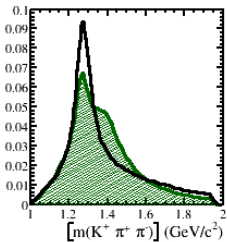
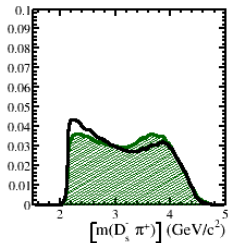
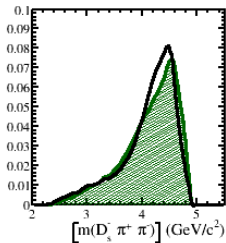
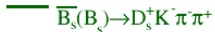
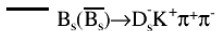
$$\text{— } B_s(\bar{B}_s) \rightarrow D_s^- K^+ \pi^+ \pi^-$$

$$\text{— } \bar{B}_s(B_s) \rightarrow D_s^+ K^- \pi^- \pi^+$$



(Toy simulation)

$$t = 0.64(2\pi/\Delta m_s)$$



(Toy simulation)