BBN Photodisintegration Constraints on Gravitationally Produced Vector Bosons



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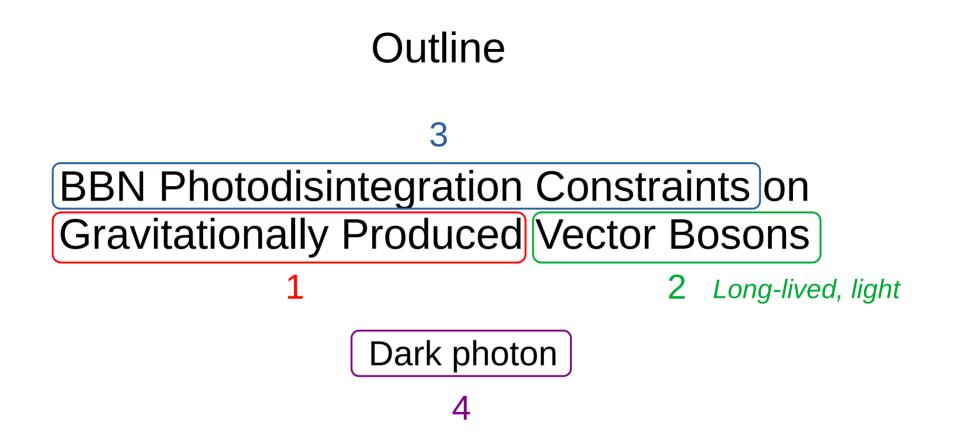
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2 Long-lived, light

3

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🛨 Basic idea

$$a_{\mathbf{k}}^{\text{late}} = \alpha_{\mathbf{k}}^* a_{\mathbf{k}}^{\text{early}} - \beta_{\mathbf{k}} a_{\mathbf{k}}^{\dagger \text{early}} \qquad a_{\mathbf{k}}^{\text{early}} |0^{\text{early}}\rangle = 0$$
$$\langle \hat{N}^{\text{late}} \rangle = \int \frac{d^3 k}{(2\pi)^3} \langle 0^{\text{early}} |a_{\mathbf{k}}^{\dagger \text{late}} a_{\mathbf{k}}^{\text{late}} |0^{\text{early}}\rangle = V \int \frac{d^3 k}{(2\pi)^3} |\beta_{\mathbf{k}}|^2$$

For a (light) massive vector boson $m_V \ll H_I$ [Graham, Mardon, Rajendran, 1504.02102]

$$\partial_{\eta}^2 A_{\mathbf{k}}^{T,L} + \omega_{T,L}^2 A_{\mathbf{k}}^{T,L} = 0$$

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$$\omega_L^2 = k^2 + a^2 m_V^2 + \frac{1}{6} \frac{k^2 a^2}{k^2 + a^2 m_V^2} R + 3 \frac{k^2 a^4 m_V^2 H^2}{(k^2 + a^2 m_V^2)^2}$$

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Longitudinal mode can be copiously produced + Can be dark matter

Isocurvature for small k

The abundance of a light vector boson

$$Y_V = \frac{na^3}{sa^3} = \frac{T_{\rm RH}H_I}{4M_{\rm Pl}^2} \int \frac{d^3k}{(2\pi)^3} |\beta_{\bf k}|^2$$

During inflation (de-Sitter), during reheating (matter-dominated), after reheating (radiation-dominated) [Kolb, Long, 2009.03828]

$$m_V Y_V \simeq \kappa \begin{cases} 1.4 \times 10^{-7} \,\text{GeV} \left(\frac{H_I}{10^{12} \,\text{GeV}}\right)^2 \left(\frac{m_V}{10 \,\text{MeV}}\right)^{1/2}, & r_T = 1\\ 2.8 \times 10^{-8} \,\text{GeV} \left(\frac{H_I}{10^{14} \,\text{GeV}}\right)^{5/2}, & r_T = 10^6 \end{cases}$$

 $\kappa \sim 1 - 10$ model dependency

 $r_T \equiv \frac{T_{\max}}{T_{\rm RH}}$ 5/21

The light vector boson is a dark matter if $\tau > 4.4 \times 10^{17} \, \mathrm{s}$

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If V were to be metastable dark matter

$$1.8 \times 10^{10} \,\text{GeV} \le H_I \kappa^{1/2} \le 9.9 \times 10^{10} \,\text{GeV}, \text{ for } r_T = 1,$$

 $H_I \kappa^{2/5} \le 1.9 \times 10^{13} \,\text{GeV}, \text{ for } r_T = 10^6$

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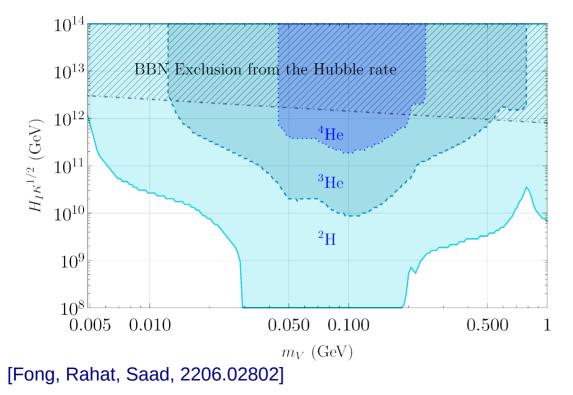
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We also impose such that entropy injection between BBN and recombination (CMB) is less than 1%

Summary

Kinetic mixing

If the light vector boson were MeV-GeV scale dark photon $\epsilon = 5 \times 10^{-14}$

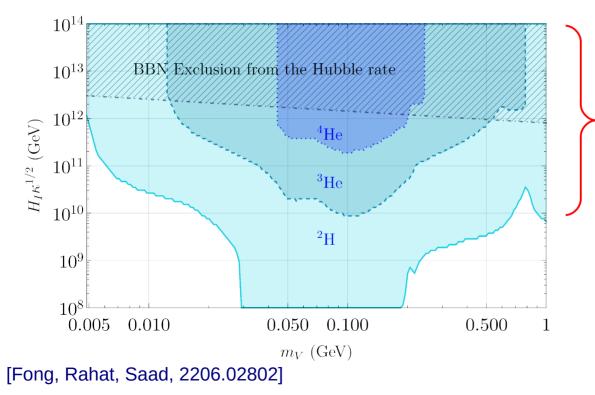


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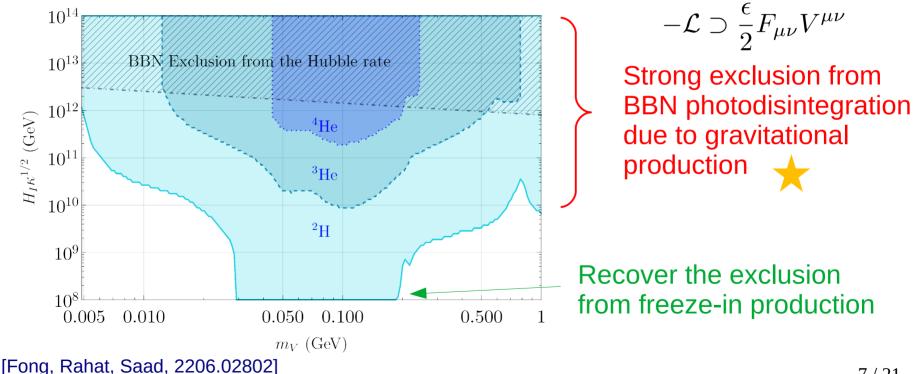
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Strong exclusion from BBN photodisintegration due to gravitational production

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The interactions of a general light vector boson with us (SM)

$$-\mathcal{L} \supset \overline{f} \gamma^{\mu} \left(g_{V} Q_{X,f} + e \epsilon Q_{\text{em},f} \right) P_{X} f V_{\mu}$$

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New gauge U(1)

 $L_e - L_\mu, L_e - L_\tau, L_\mu - L_\tau$ anomaly-free

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 $L_e - L_\mu, L_e - L_\tau, L_\mu - L_\tau$ anomaly-free B - L, B, L new d.o.f needed, assumed all of them heavy

For MeV-GeV vector boson, all possible decay channels allowed by kinematic

$$V \to e^+ e^- \quad V \to \mu^+ \mu^- \quad V \to \pi^0 \gamma \quad V \to \pi^+ \pi^- \quad V \to \pi^+ \pi^- \pi^0$$

Cascade to electromagnetic spectra: electrons, positrons and photons

$$\frac{dN}{dE_{\alpha}}\Big|_{V} = \sum_{a} BR(V \to a) \left. \frac{dN^{(a)}}{dE_{\alpha}} \right|_{V}, \quad \alpha = e, \gamma, \quad a = e^{+}e^{-}, \mu^{+}\mu^{-}, \pi^{+}\pi^{-}, \pi^{0}\gamma, \pi^{0}\pi^{+}\pi^{-}$$

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Future direction: extend to heavier V

Double photon pair creation

$$\gamma \gamma_{BG} \to e^+ e^- \qquad E_{\rm th}^{e^+ e^-} \approx \frac{m_e^2}{22T} \approx 2 \,{\rm MeV} \frac{6 \,{\rm keV}}{T}$$

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To disintegrate light elements

D-disintegration	$E_{\mathrm{th}}^{\mathrm{D}} = 2.22 \mathrm{MeV}$
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To have sufficient photons to photodisintegrate

 $T \lesssim 10 \, {
m keV}$ $\tau \lesssim 10^4 \, {
m s}$ after BBN completed $^{10/21}$

Implementation in ACROPOLIS [Depta, Hufnagel, Schmidt-Hoberg, 2011.06518]

$$\frac{d\mathcal{N}_a}{dt}(E) = \mathcal{S}_a(E) - \Gamma_a(E)\mathcal{N}_a(E); \quad \mathcal{N}_a \equiv \frac{dn_a}{dE}, \quad a = \gamma, e \qquad \begin{array}{c} \gamma\gamma_{BG} \to \gamma\gamma\\ \gamma N \to e^+e^-N\\ \gamma e_{BG}^- \to \gamma e^-\\ \gamma e^\pm\gamma_{BG} \to e^\pm\gamma \end{array}$$

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Rate >> Expansion
$$\frac{d\mathcal{N}_{a}}{dt}(E) \to 0 \implies \mathcal{N}_{a}(E) = \frac{\mathcal{S}_{a}(E)}{\Gamma_{a}(E)} \qquad \begin{array}{c} \gamma e_{BG}^{-} \to \gamma\gamma\\ \gamma e^{\pm}\gamma_{BG} \to e^{\pm}\gamma \end{array}$$

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$$\text{Rate} >> \text{Expansion} \quad \frac{d\mathcal{N}_{a}}{dt}(E) \rightarrow 0 \implies \mathcal{N}_{a}(E) = \frac{\mathcal{S}_{a}(E)}{\Gamma_{a}(E)} \qquad \gamma e^{\pm}_{BG} \rightarrow \gamma e^{-}$$

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Production of V: gravitational, freeze-in Primary EM spectra

https://github.com/shengfong/lightvectorboson

Implementation in ACROPOLIS[Depta, Hufnagel, Schmidt-Hoberg, 2011.06518]Initial conditions after BBN from AlterBBN[Arbey, Auffinger, Hickerson, Jenssen, 1806.11095]Photodisintegrations of light elements are described by dV_4 $\int_{-\infty}^{\infty}$

$$\frac{dY_A}{dt} = \sum_i Y_i \int_0^\infty dE_\gamma \mathcal{N}_\gamma(E_\gamma) \sigma_{\gamma+i\to A}(E_\gamma) - Y_A \sum_f \int_0^\infty dE_\gamma \mathcal{N}_\gamma(E_\gamma) \sigma_{\gamma+A\to f}(E_\gamma)$$

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 - We estimate "theoretical" errors

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Consider exclusion at 95% for each element individually

$$Y_p = 0.245 \pm 0.003, \quad \frac{n_{\rm D}}{n_{\rm H}} = (2.547 \pm 0.025) \times 10^{-5}, \quad \frac{n_{^3\rm He}}{n_{\rm H}} = (1.1 \pm 0.2) \times 10^{-5}$$

\star The light vector boson model for ACROPOLIS

https://github.com/shengfong/lightvectorboson [Fong, Rahat, Saad, 2206.02802]

$$m_V [\text{MeV}] \tau [\text{s}] T_0 [\text{MeV}] \frac{n_V}{n_\gamma} \Big|_{T_0} \text{BR}_{ee} \text{BR}_{\mu\mu} \text{BR}_{\pi\pi} \text{BR}_{\pi\gamma} \text{BR}_{3\pi}$$

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./decayvector 700 1e8 1 1e-6 0.1 0.1 0.7 0.01 0.09

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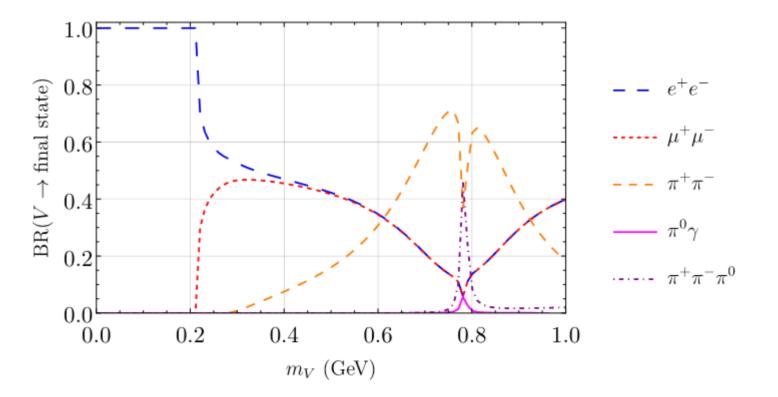
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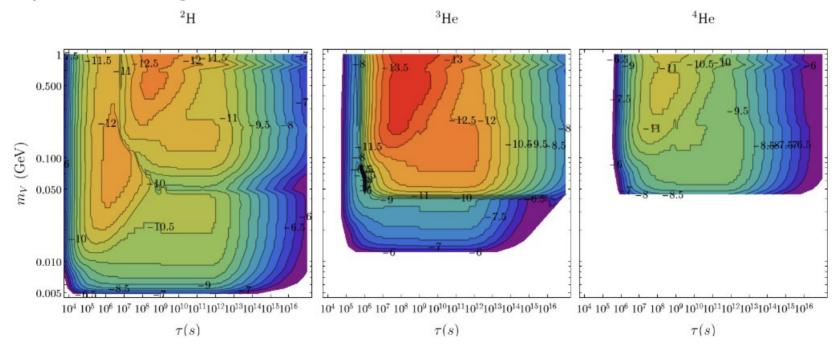
./decayvector 700 1e8 1 1e-6 0.1 0.1 0.7 0.01 0.09

Results: Yp = 0.224415, H2/p = 0.000395, He3/p = 0.006490Excluded by the BBN measurements at 2 sigma (default: He3/p not considered). Runtime - - 56.018600 mins - - -

Application $-\mathcal{L} \supset e\epsilon Q_{\mathrm{em},f} \overline{f} \gamma^{\mu} P_X f V_{\mu}$

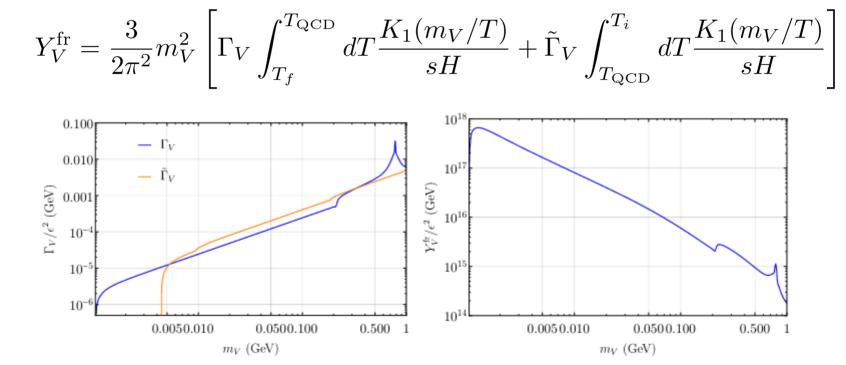


BBN photodisintegration constraints: deuterium, helium-3 & helium-4

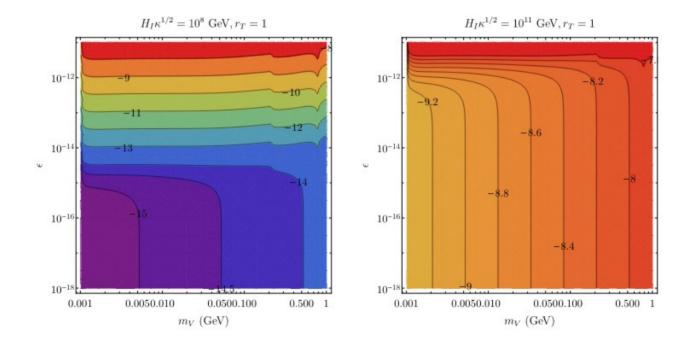


Contours are upper bounds on $m_V Y_V / \text{GeV}$

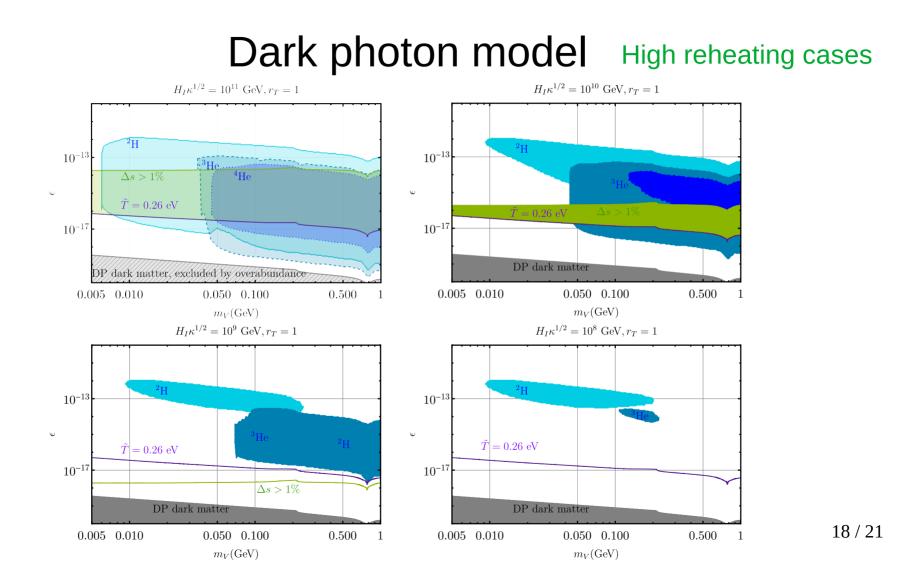
Freeze-in production



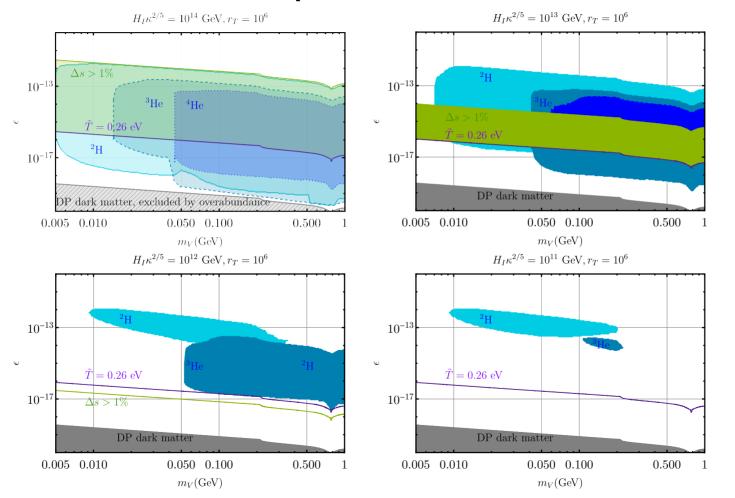
Gravitational plus freeze-in production



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Dark photon model Low reheating cases



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Summary and outlook

- Gravitational production is relevant for any massive field when Hubble rate after inflation HI is greater than 10^8 GeV
- For gravitational produced long-lived particles with lifetime 10^⁴ s, BBN photodisintegration constraints are important
- We consider BBN photodisintegration effects of decaying light gauge boson (spectra and model file for ACROPOLIS) https://github.com/shengfong/lightvectorboson
- Example: large exclusion from BBN photodisintegration of parameter space of gravitationally produced dark photon with $HI > 10^{8}$ GeV
- Extend the model to consider heavier vector boson